A new method for a sterile neutrino search in a 2-reactor I-detector configuration

M. Bergevin, UC Davis

Work done by M. Bergevin, R. Svoboda

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Topics of this talk:

- Sterile neutrinos and the reactor neutrino anomaly
- Difficulties in current analysis techniques
- Describe a 2-reactor I-detector analysis technique that provides a new approach to searching for sterile neutrinos
- Case Study: apply technique to Double Chooz near detector

What is the reactor anti-neutrino anomaly?

In 2011, re-evaluation of reactor anti-neutrino spectra because

- (a) 3% increased flux of antineutrinos relative to the previous calculations
- (b) experimental neutron lifetime value significantly lower

Previously published experimental result with L< 100 m now show a disappearance not consistent with θ_{13} , but that could be due to a sterile neutrino oscillation

The current reactor experiments probe regions of $\Delta m^2 > 0.3 \text{ eV}^2$



Sterile neutrino allowed mixing parameters for RNA

The rate has a best fit value of $(\sin^2(2\theta_{new}), \delta m^2) = (0.12, 0.5 \text{ eV}^2)$. The best fit value is ruled out by shape constraint. New best fit value: $(\sin^2(2\theta_{new}), \delta m^2) = (0.12, 2 \text{ eV}^2)$



Figure 58. Allowed regions in the $\sin^2(2\theta_{torw}) - \Delta m_{torw}^2$ plane obtained from the fit of the reactor neutrino data, without any energy spectra information, to the 3+1 neutrino hypothesis, with $\sin^2(2\theta_{13}) = 0$. The best-fit point is indicated by a star.

Bugey



FIG. 2. 90% C.L. exclusion domains obtained in the Δm^2 sin²(29) plane from a raster scan of Bugey-3's data. Our result (continuous line) is in good agreement with the original result from 4 (dashed line), excluding oscillations such that $0.06 < \Delta m^2 < 1 \text{ eV}^2$ for $\sin^2(29) > 0.05$.





Figure 60. Allowed regions in the $\sin^2(2\theta_{new})-\Delta m_{new}^2$ plane from the combination of reactor neutrino experiments, the Gallex and Sage calibration sources experiments, and the ILL and Bugey-3-energy spectra. The data are well fitted by the 3+1 neutrino hypothesis, while the no-oscillation hypothesis is disfavored at 99.97% C.L (3.6 σ).

Future Experiments to measure L/E oscillation

- Closer to Reactor : SCRAAM, Nucifer, Stereo, ...
- Appearance: π DAR, K DAR, see J. Spits talk this morning





Stereo at ILL, France





POSEIDON at Reactor PIK, Russia



Gd-LS Detector: 2.1x1.3x1.3 m³ Energy resolution: σ = 7% at 1 MeV Spatial resolution: $\sigma_x = 15$ cm at 1 MeV

> Energy and spatial resolution to measure oscillation curves for different E_v

aim to detect oscillatory signature

15







Ricochet, USA



10/21.2

17

Neutrino2012, Kyoto, June 4, 2012

Traditional way of looking at a reactordetector relationship:



Chinese Phys. C37 (2013) 011001

Double Chooz Configuration:

Two 4.25 GWth reactors (1,2 for this talk) Two detectors (Near, Far)



Why the I-reactor multi-detector sterile neutrino rate or shape analysis is difficult:

- A traditional rate analysis of the neutrino spectra at each detector may not be sufficient to detect a higher Δm^2_{14} due to systematic uncertainties in the absolute rate
- The **detector resolution will wash out** the large Δm^2 such that the sin²(2 θ_{14}) term will average out to 1/2 for a shape analysis
- In addition, distances implied are on the order of the core size which will also wash it out the oscillation feature in a shape analysis



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Traditional way of looking at a reactordetector relationship (DC case study)

Double Chooz:

- Two 4.25 GWth Reactors
- (1,2 for this talk)
- 2 Detectors (Near, Far)

In 2-reactor 2-detector set-up, it is customary to think of an "average" reactor and multiple detector scenario ("I"reactor 2-detector)

In the rare case when both reactors are off, gain better understanding of detector related systematics (⁹Li, FN)

It is fairly common for one reactor to be on while the other is off. In the case of DC, it is 30% of the time



New idea of the reactor-detector relationship for a Shape-Only analysis:

Do not have the two reactor running at the same time (luckily, we don't have to convince anyone, this happens naturally)

Collect data when Reactor I is on and Reactor 2 off and vice versa

One can then think of a **near and far** reactor

Do a ratio of the energy spectra corrected for livetime and distance for near and far reactor:

This can be used in a shape analysis that does **not depend on rate information**



In a shape only analysis, major detector related systematics (fast neutrons, 9Li production, ...) can be constrained

A quantitative case study : DC Near detector

Assumption for this analysis:

~274 days of data per Reactor assuming down cycle of 15% per Reactor. This implies 5 years total of detector operation

Reactor I-Near detector :

- 351 meters away from DC Ndetector
- ~460 anti-neutrinos per day

Reactor 2-Near detector :

- 465 meters away from detector
- ~260 anti-neutrinos per day



Only works with 2 "identical" reactors

Do a ratio of the energy spectra corrected for livetime and distance for near and far reactor!

Understanding the shape from the ratio of the oscillated spectra:

$$P_{ee} = 1 - \sin^2(2\theta_{new})\sin^2\left(\frac{\Delta m_{new}^2 L}{4E_{\bar{\nu}_e}}\right) \xrightarrow{\text{ratio + simplify}} \frac{P_{ee}^{R_1}}{P_{ee}^{R_2}} = \frac{1 - \alpha^2 \sin^2(\beta L_1)}{1 - \alpha^2 \sin^2(\beta L_2)}$$

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do some math

$$\frac{P_{ee}^{R_1}}{P_{ee}^{R_2}} = \frac{1 + \alpha^2 \sin\left(\beta L_{2-1}\right) \sin\left(\beta L_{1+2}\right) - \alpha^4 \sin^2(\beta L_1) \sin^2(\beta L_2)}{1 - \alpha^4 \sin^4(\beta L_2)}$$

Doing a ratio of two distribution yields an **interference term** with a behavior ~ sin(γ/E) function (and not as the square of a sin function)

identify 4 baselines

- (a) $L_1 \equiv \text{distance from detector to reactor 1}$
- (b) $L_2 \equiv \text{distance from detector to reactor } 2$

$$(c) \quad L_{2-1} \equiv L_2 - L_1$$

 $(d) \quad L_{1+2} \equiv L_1 + L_2$

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Doing a ratio of two distribution yields an **interference term** with a behavior $\sim sin(\gamma/E)$ **function** (and not as the square of a sin function)

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When α is small, the expression simplifies there is 3 important baselines $\frac{P_{ee}^{R_1}}{P_{ee}^{R_2}} \approx 1 + \left[1 - \alpha^2 \sin^2(\beta L_2)\right] \left[\alpha^2 \sin(\beta L_{2-1}) \sin(\beta L_{1+2})\right] + O(6) + \dots$ Interference terms depend on sin and not sin²

What can be probed with these baselines?

$$\frac{P_{ee}^{R_1}}{P_{ee}^{R_2}} \approx 1 + \left[1 - \alpha^2 \sin^2(\beta L_2)\right] \left[\alpha^2 \sin\left(\beta L_{2-1}\right) \sin\left(\beta L_{1+2}\right)\right] + O(6) + \dots$$



arXiv:1204.5379

How is this ratio observed in a detector?

- Convolve 4th neutrino with 3-neutrino oscillation
- Make appropriate livetime, core evolution and distance corrections
- Finally, convolve with detector energy resolution and finite core size



How does this ratio change as a function of Δm^2 ?





At even lower Δm^2 the detector resolution has less of an impact



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Uncertainties

Shape Uncertainties in ratio: Detector

-resolution used (7 +/- 1)%-energy scale stability ~1%



Shape Uncertainties in ratio : Reactor

-Full loading < 0.01% -Reactor core size of 3.47 meter



Results for this case study: exclusion domain with 5 year of near detector operation + shape systematics





Will gain discrimination power below 0.01 eV²



FIG. 2. 90% C.L. exclusion domains obtained in the Δm^2 sin²(2 θ) plane from a raster scan of Bugey-3's data. Our result (continuous line) is in good agreement with the original result from [4] (dashed line), excluding oscillations such that $0.06 < \Delta m^2 < 1 \text{ eV}^2$ for sin²(2 θ) > 0.05.

To Do:

- Add rate constraint with appropriate systematics
- Optimize position for new experiment to probe higher Δm^2
- Optimize binning strategy for different Δm^2 domain

Conclusions

- The DC near detector experiment is being built (no cost) and offers sensitivity in a region of phase space not explored before
- Formalism developed can be applicable for different experimental sites. Braidwood is a good example, 2 identical cores separated by ~100 m
- The choice of the location of the detector is paramount: L₁₋₂ and L₁₊₂ should be optimized for specific detector set-up: for example with L₁₋₂=10~15 meters, the ILL region might be probed by the interference terms, however core fission mapping needs to be implemented to assess the effect of core washing out



Backup: Sensitivity map Going in a unexplored region



