

Determination of Trapping Time Constants in Neutron-Irradiated Thin Silicon Pad Detectors

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- charge dQ induced on electrodes by drifting charge q

$$dQ = \frac{q(t)}{d} dx = \frac{q(t)}{d} v(t) dt$$

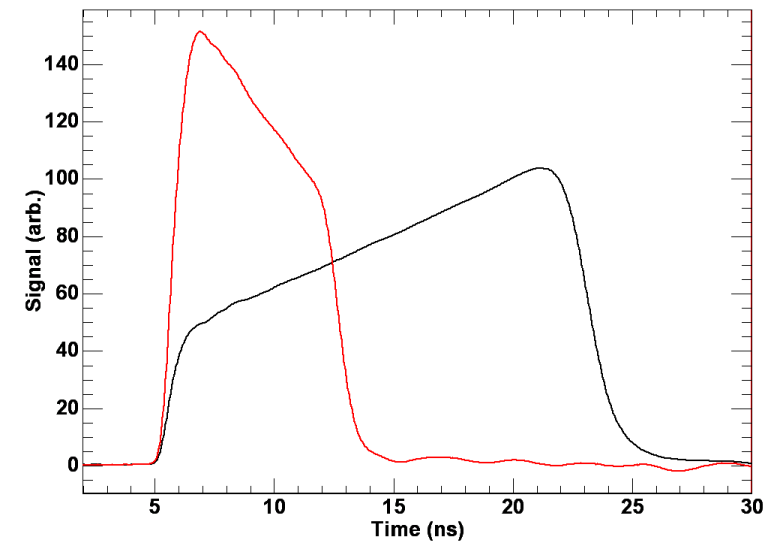
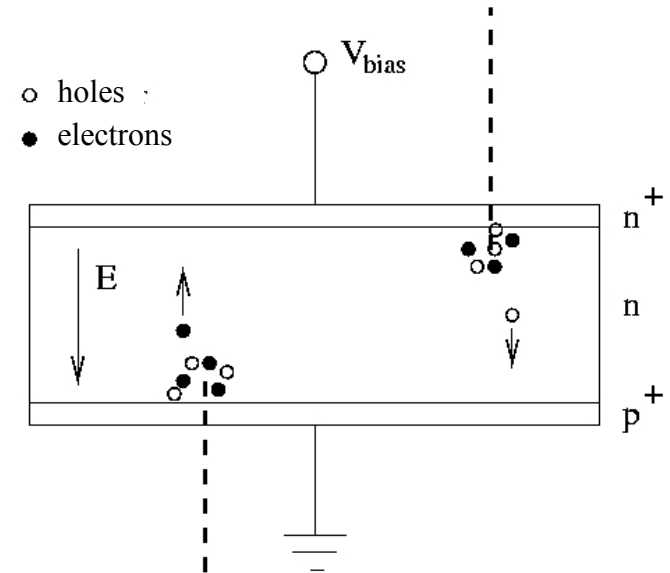
- trapping leads to charge carrier loss

$$dq(t) = -\frac{1}{\tau_{eff}} q(t) dt, \quad \text{with } \tau_{eff} = \tau_{eff}(\Phi_{eq})$$

- resulting (measured) signal current

$$i_m(t) = \frac{q_0}{d} v(t) \exp(-t/\tau_{eff})$$

- injection with short range laser from one side allows to distinguish between electron and hole signal

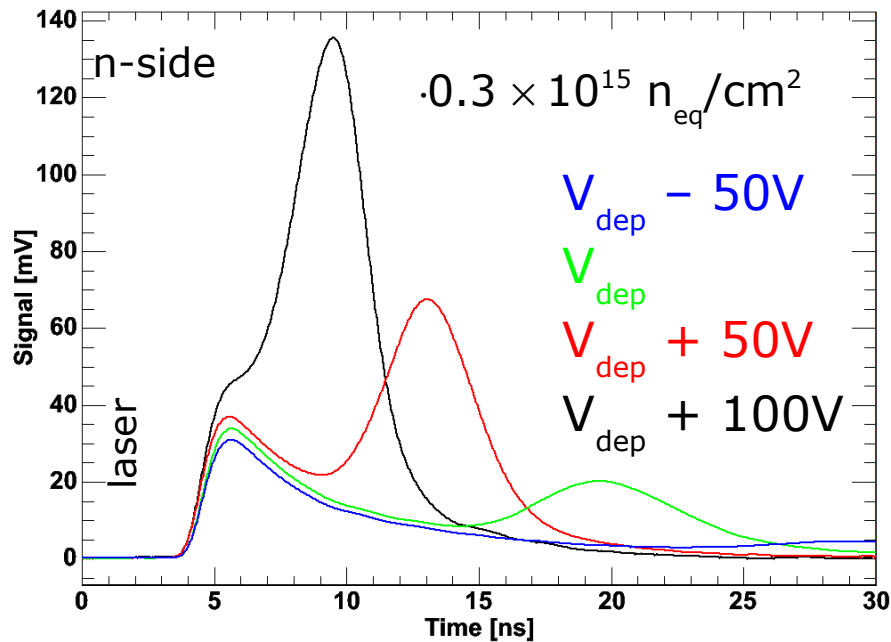


Signal Examples (thick diodes)

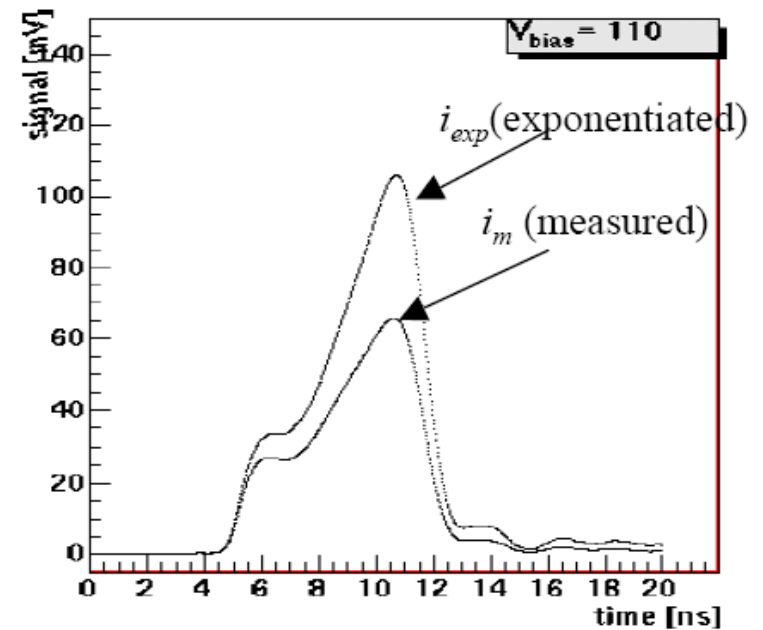
need time resolved signal to extract trapping time

→ two methods:

1. Charge Correction Method (CCM)
2. Exponentiated Charge Crossing (ECC)

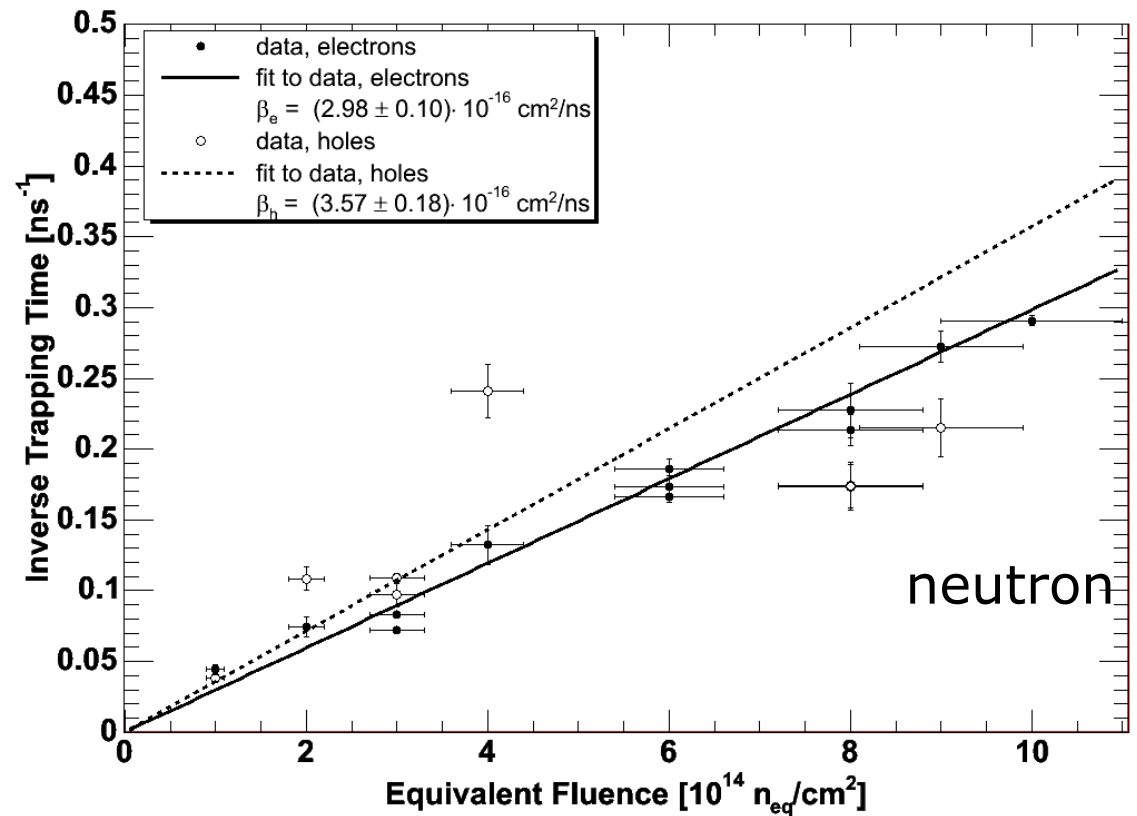


Assumption: $i_{exp}(t) = i_m(t) \exp(-t/\tau_{eff})$



neutron irradiated
DOFZ samples
with thickness between
250 μm and 300 μm

with: $\frac{1}{\tau_{eff}} = \beta(t, T) \Phi_{eq}$



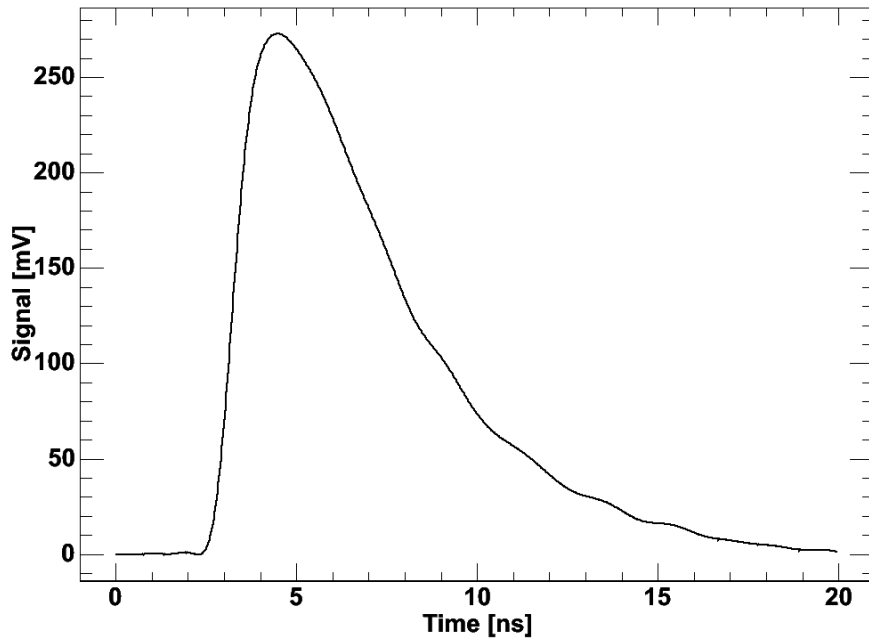
$$\beta_{n,e} = (2.98 \pm 0.10) \cdot 10^{-16} \text{ cm}^2/\text{ns},$$

$$\beta_{n,h} = (3.57 \pm 0.18) \cdot 10^{-16} \text{ cm}^2/\text{ns}$$

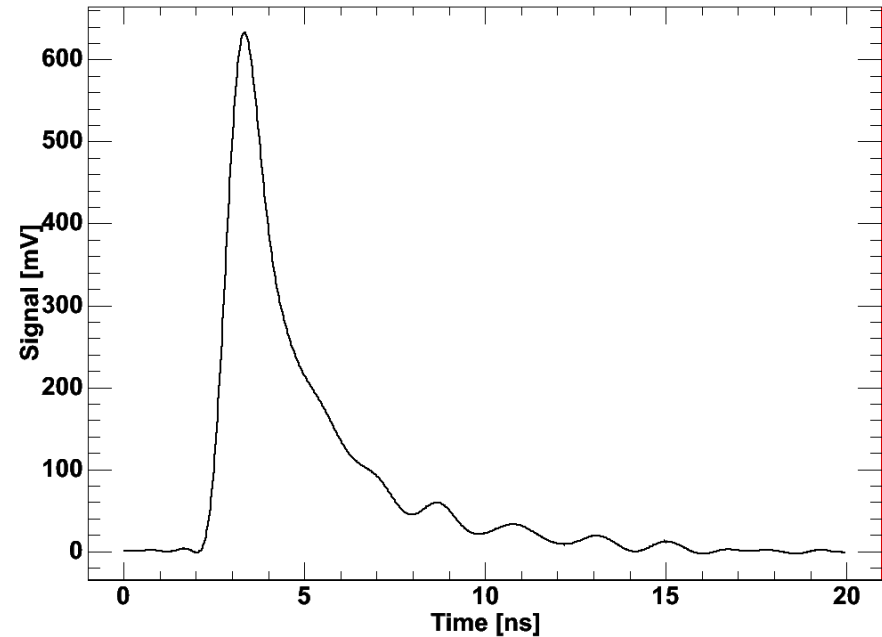
J.Weber, R. Klingenberg

„Free Charge Carriers Trapping Properties in Neutron-Irradiated DOFZ Silicon Pad Detectors“
accepted for publication in Trans. Nucl. Sci. (2007)

Signal of sample en1 (epi-Si; 75 μ m thick, $5.0 \times 10^{14} n_{eq}/\text{cm}^2$)



no bandwidth correction

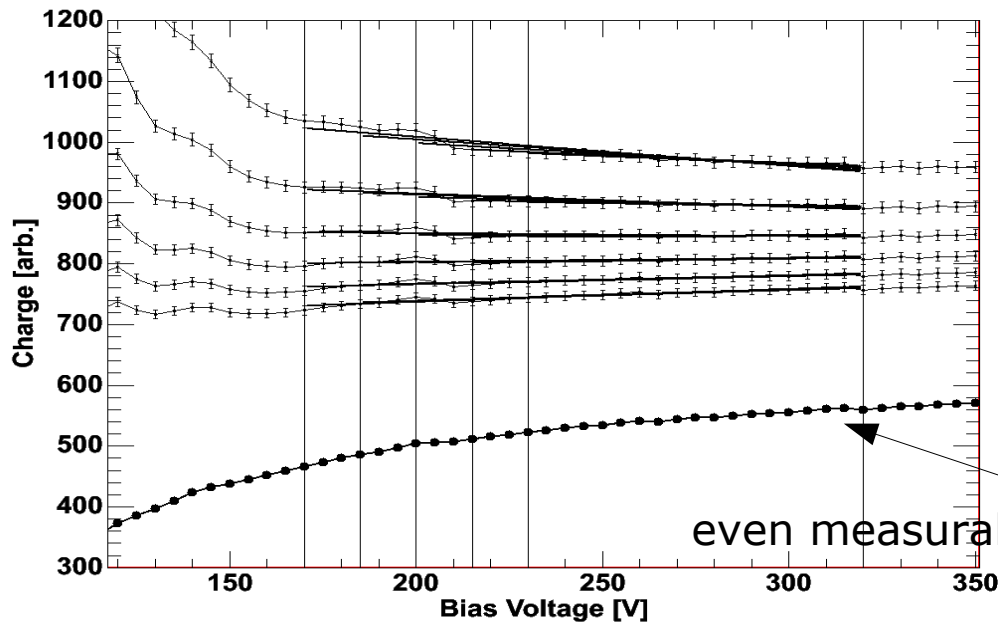


with bandwidth correction; $C = 40\text{pF}$

→ time resolution too bad to use one of the two methods

but remember Charge Correction Method:

→ collected charge for different V_{bias} depends on trapping time



calculate: $i_m(t) = i_0(t) \exp(-t/\tau_{\text{eff}})$

with different τ

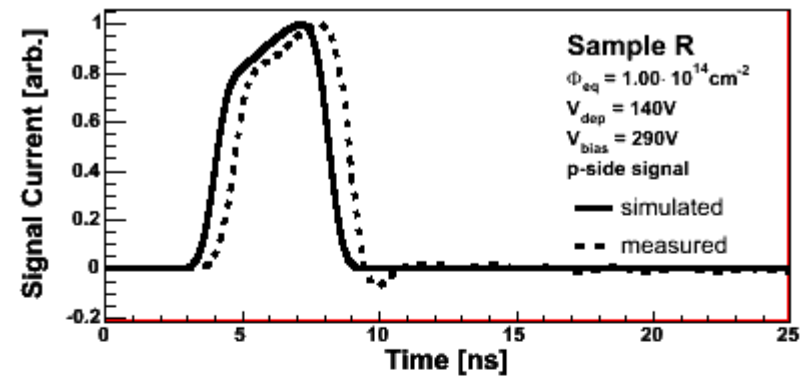
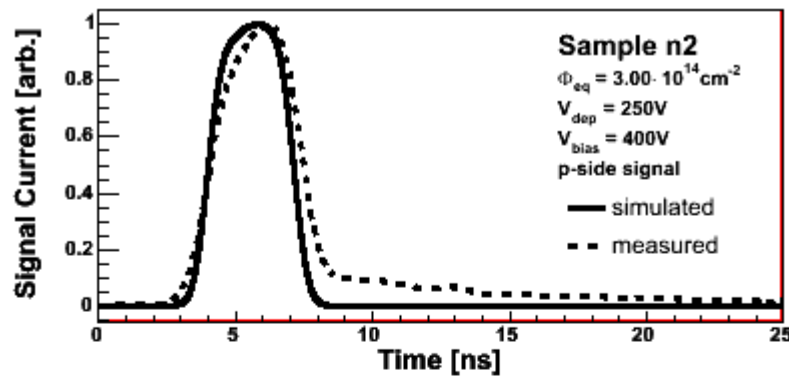
even measurable with thin diodes

→ if slope = 0, trapping time determined

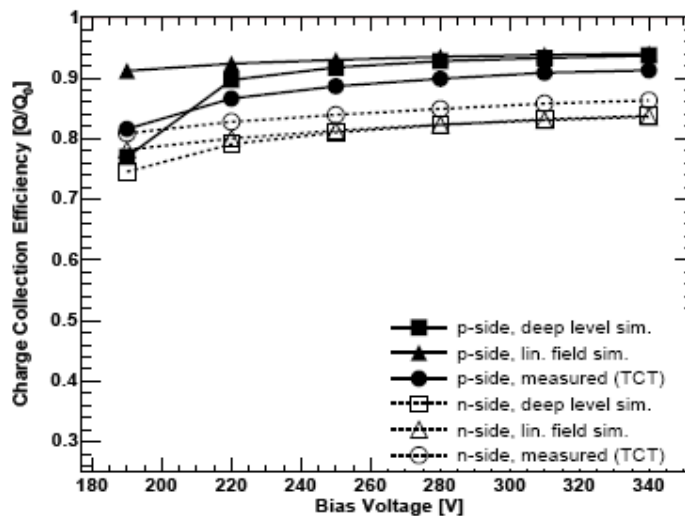
- possible solution:
- simulate collected charge with different trapping time constants
 - calculate slope of collected charge of simulated samples and measured curves
 - extract trapping time constant by comparison

Simulated versus Measured Signal

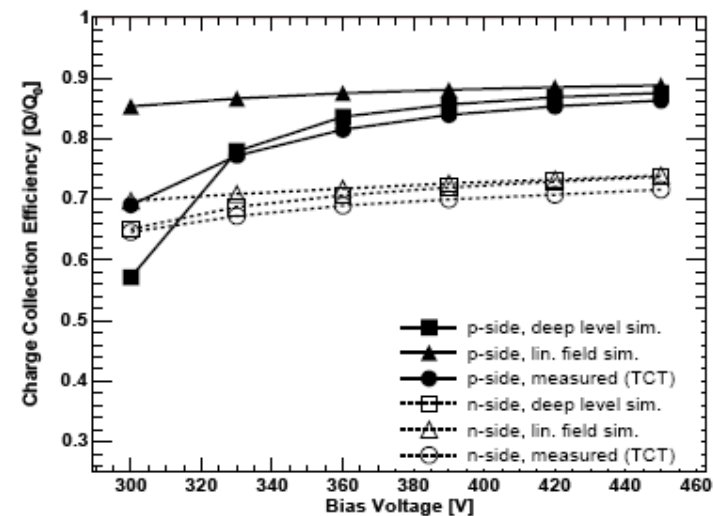
Check simulated pulse shapes



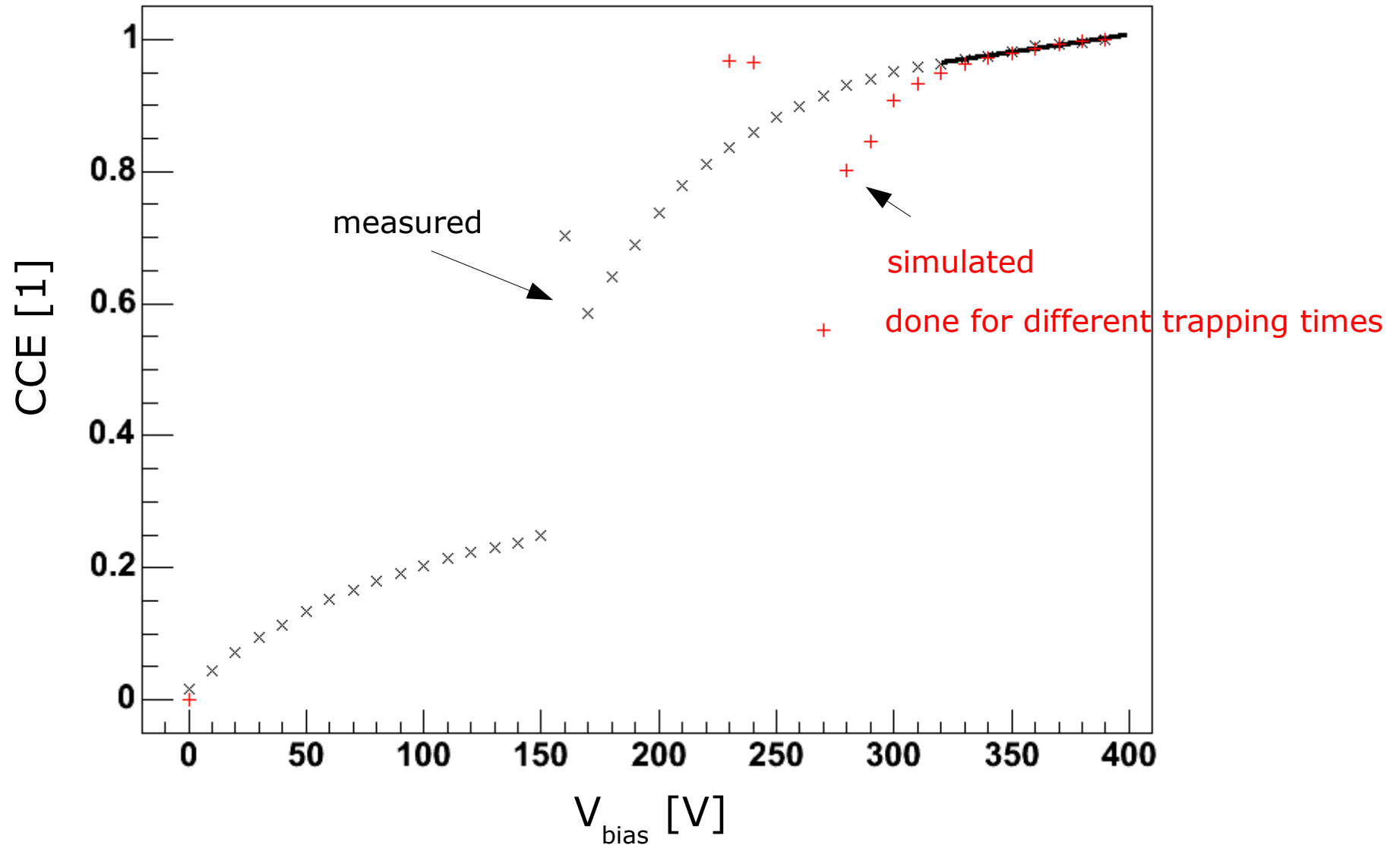
and simulated charge collection



(a) Sample R, $V_{dep}=140\text{V}$



(b) Sample V, $V_{dep}=250\text{V}$



Extracting of Trapping Time Constant

→ plot slope vs β

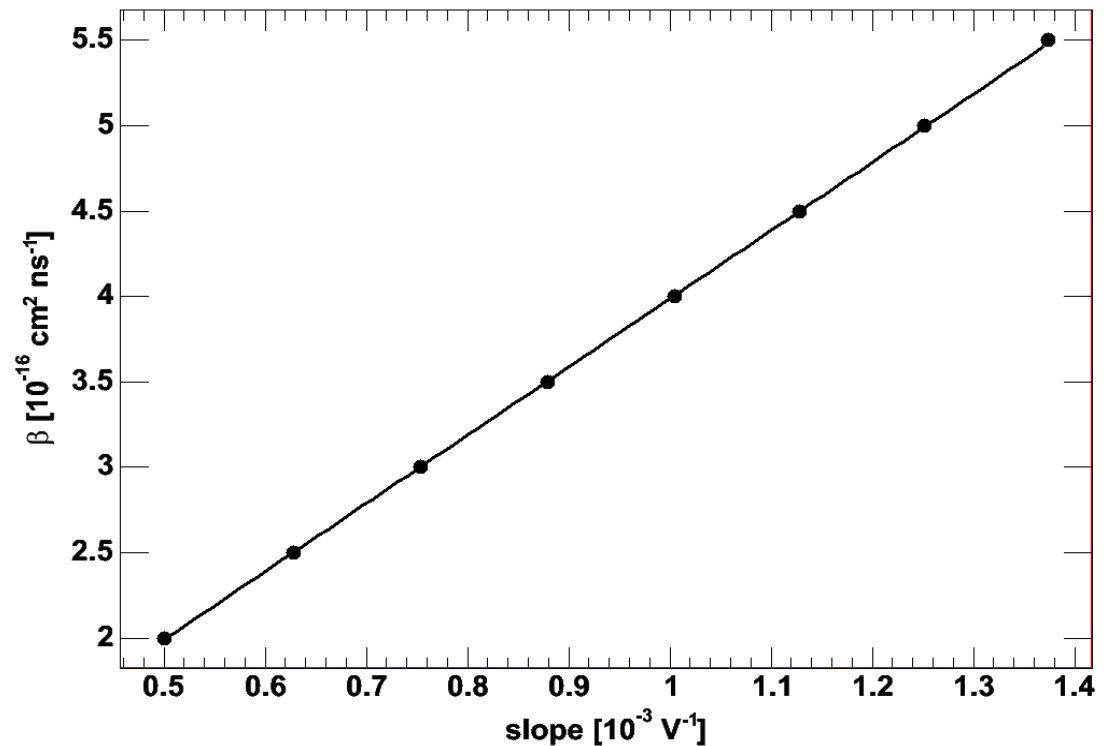
here as an example:

sample R with known τ

↳ DOFZ Silicon
300 μ m thick
 $2.0 \times 10^{14} n_{eq}/\text{cm}^2$

→ with linear fit:

$$\beta = 3.99 \cdot 10^{-16} x \text{ cm}^2 \text{ V/ns} - 0.05 \cdot 10^{-16} \text{ cm}^2 / \text{ns}$$



and with slope of measured charge collection: $1,252 \cdot 10^{-3} \text{ V}^{-1}$:

→ $\beta = 4.95 \times 10^{-16} \text{ cm}^2 / \text{ns}$

Method checked with already measured thick samples

Sample	Φ [*]	d [μm]	β [$10^{-16} \text{ cm}^2/\text{ns}$]	τ_{sim} [ns]	τ_{ECC} [ns]
Set R	0.1	300	4.95	20.2	22.59 ± 1.88
Set V	0.2	300	3.87	12.9	13.41 ± 1.29
Set n16	0.3	250	2.39	13.9	13.95 ± 0.18

=> τ determinable

* = $10^{15} n_{\text{eq}}/\text{cm}^2$; error Φ : 10%

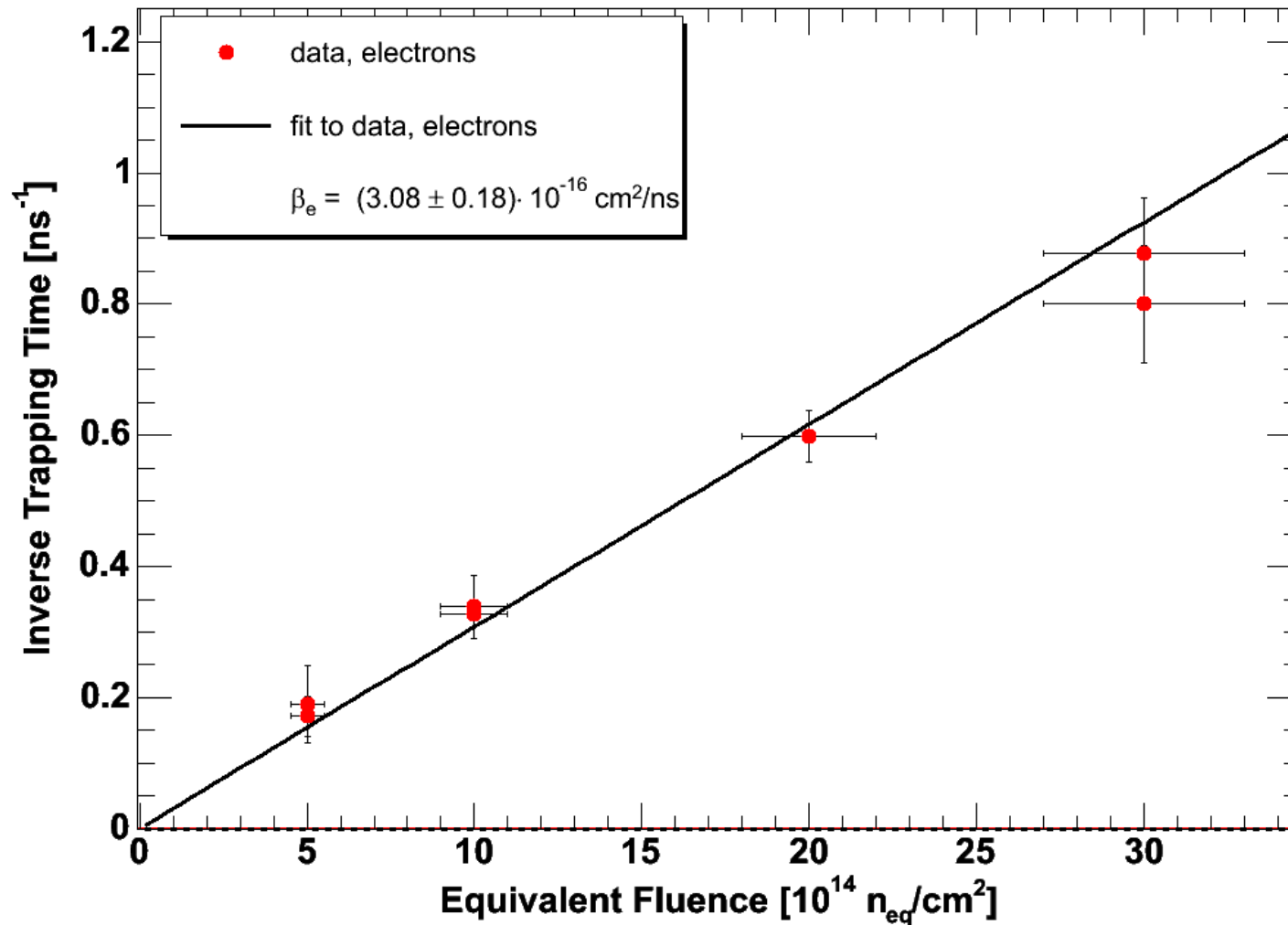
simulation (deep level) with epi-parameters** and measurement (all samples 75 μ m thick) leads to:

Sample	Φ [*]	β_{sim} [10^{-16} cm ² /ns]	τ_{sim} [ns]
Set EN1	0.5	3.80 \pm 1.19	5.26 \pm 1.65
Set EN2	0.5	3.43 \pm 0.62	5.83 \pm 1.05
Set EN3	1.0	3.39 \pm 0.48	2.95 \pm 0.42
Set EN4	1.0	3.27 \pm 0.19	3.06 \pm 0.18
Set EN6	2.0	3.00 \pm 0.19	1.67 \pm 0.11
Set EN7	3.0	2.66 \pm 0.29	1.25 \pm 0.14
Set EN8	3.0	2.92 \pm 0.29	1.14 \pm 0.11

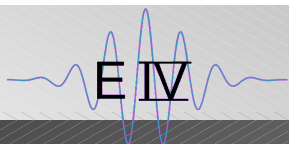
* = 10^{15} n_{eq}/cm²; error Φ : 10%

** see E.Fretwurst „Comparison of neutron damage in thin FZ, MCz and epitaxial silicon detectors“ 10th RD50 Workshop

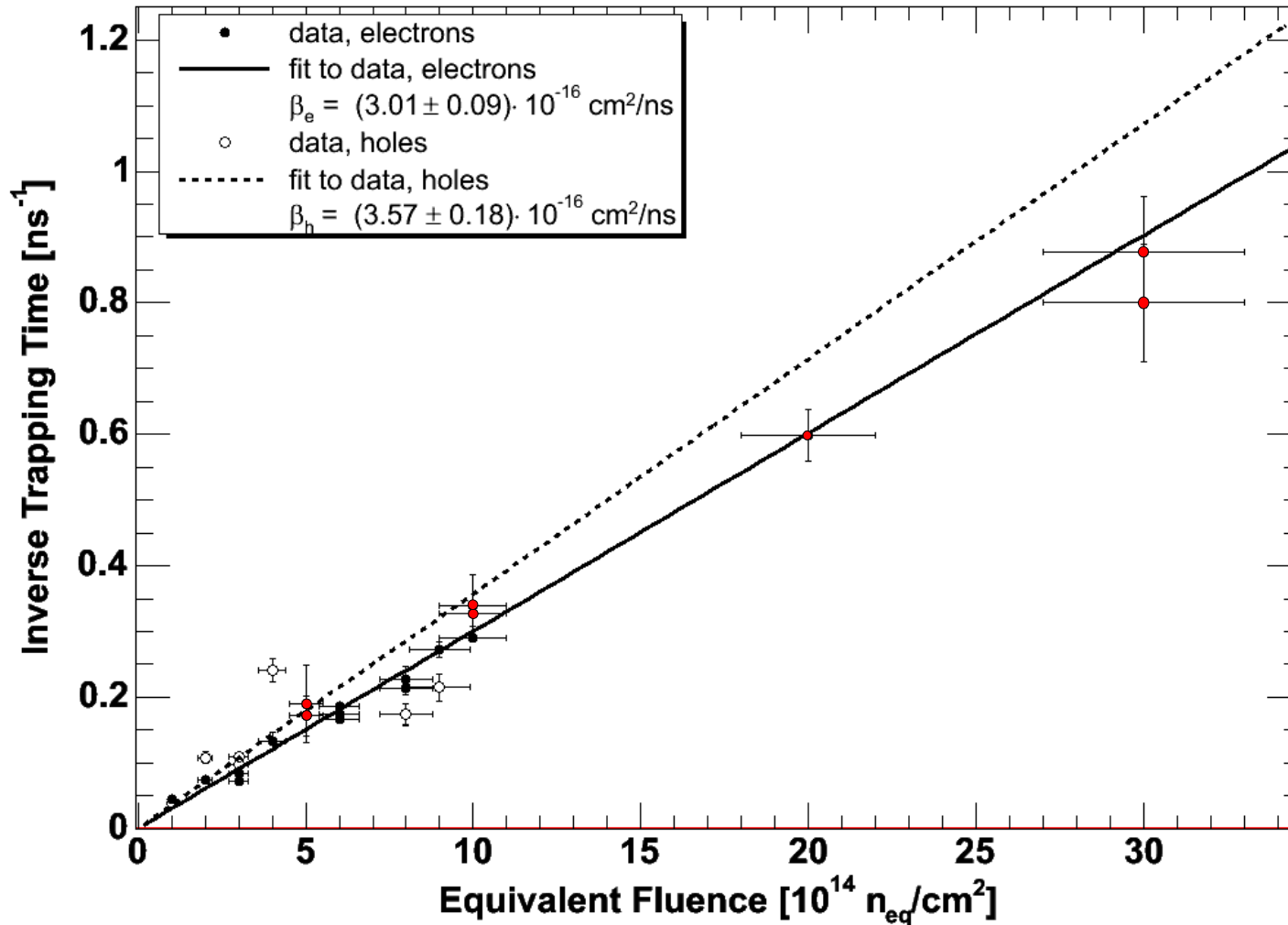
Inverse Trapping Time vs. Fluence (epi)



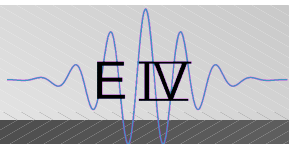
$$\beta_{n,e} = (3.08 \pm 0.18) \cdot 10^{-16} \text{ cm}^2/\text{ns},$$



Inverse Trapping Time vs. Fluence (DOFZ + epi)

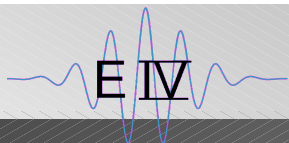


$$\beta_{n,e} = (3.01 \pm 0.09) \cdot 10^{-16} \text{ cm}^2/\text{ns},$$



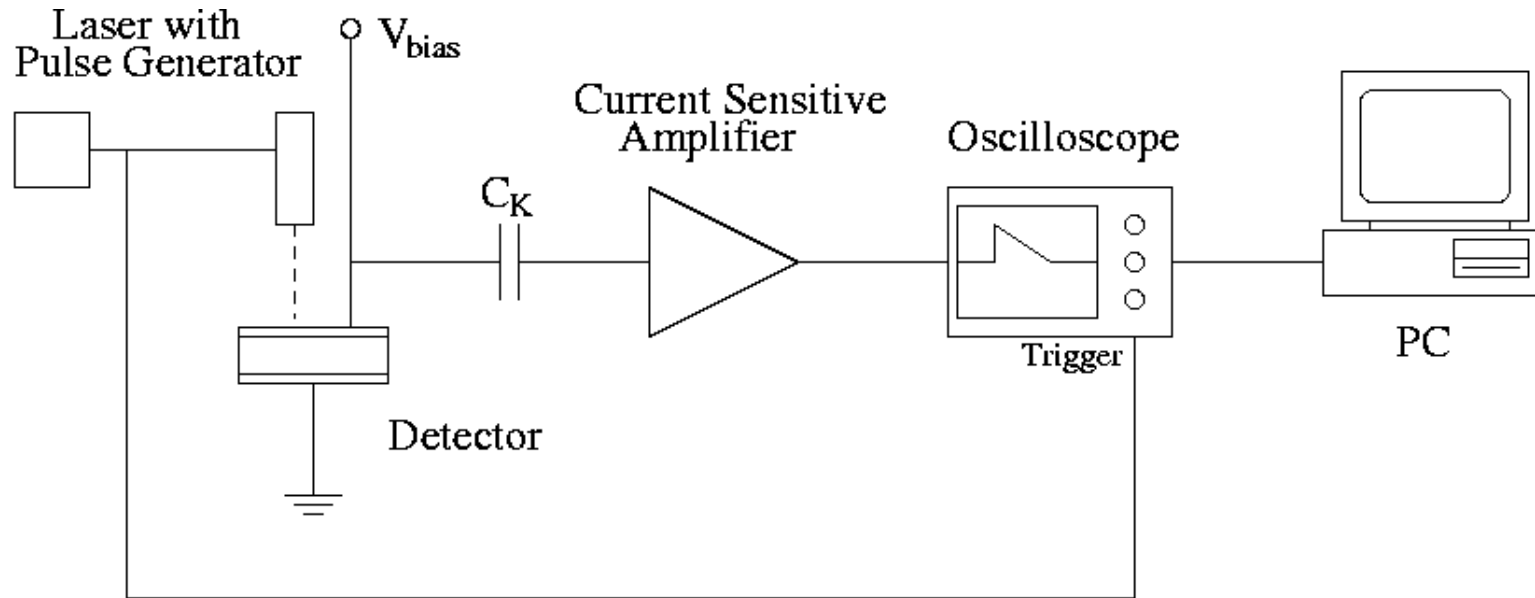
- classic analysis for trapping times failed due to time resolution
 - ↳ developing method based on simulation and measurement of collected charge
- ⇒ determination of the trapping times possible without time resolved signal only with charge collection

Ende



Jens Weber

Determination of Trapping Time Constants in Thin Pad Detectors



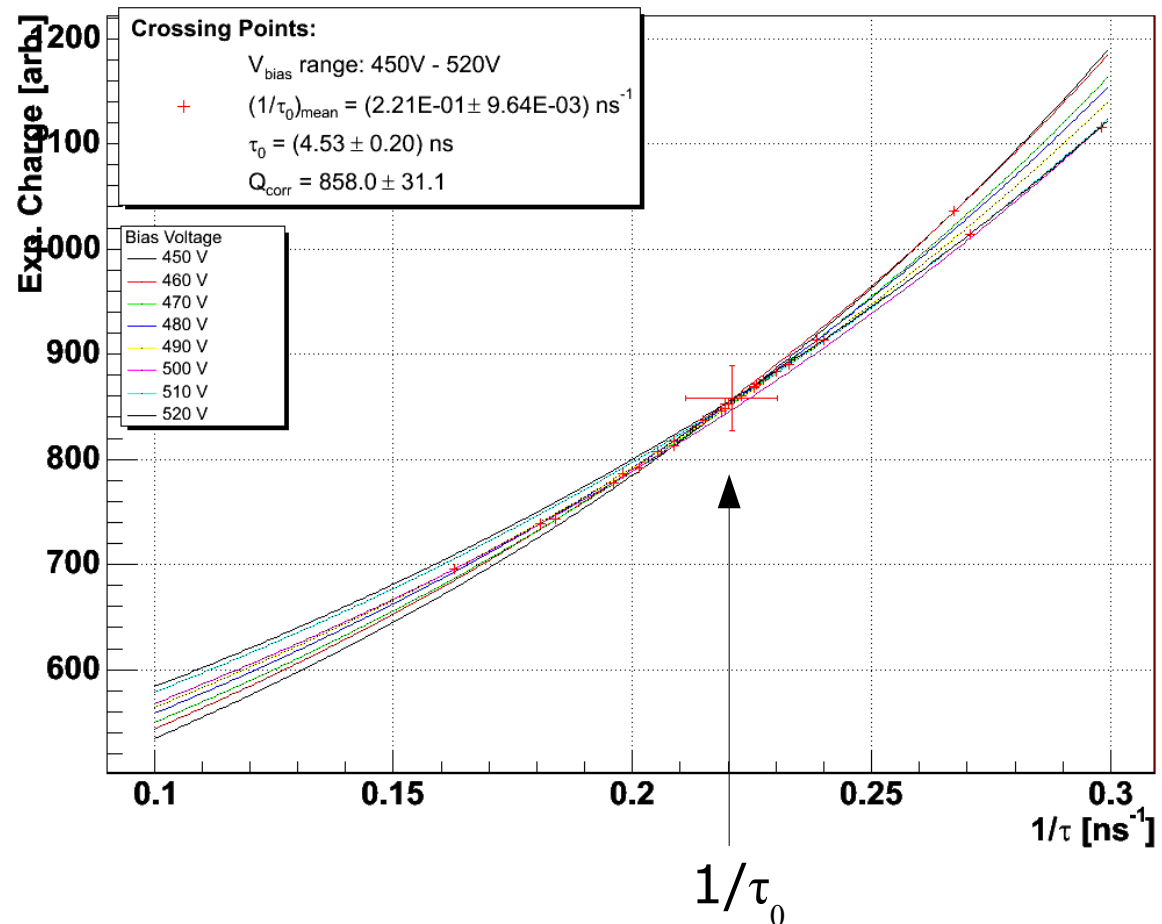
- 672nm red laser (3.6 μm absorption length, FWHM = 44ps),
- applicable bias voltage range 0-1500V
- fast pulse amplifier (10x, 100 kHz - 1.8 GHz), (*current sensitive!*)
- oscilloscope (Tektronix TDS 784D, **band width 1 GHz**)
- **rise time of system (incl. detector) about 1 ns**
- PC readout system (LabVIEW)
- cooling system (-20°C - +20°C, rms 0.2°C)

Exponentiated Charge Crossing (ECC)

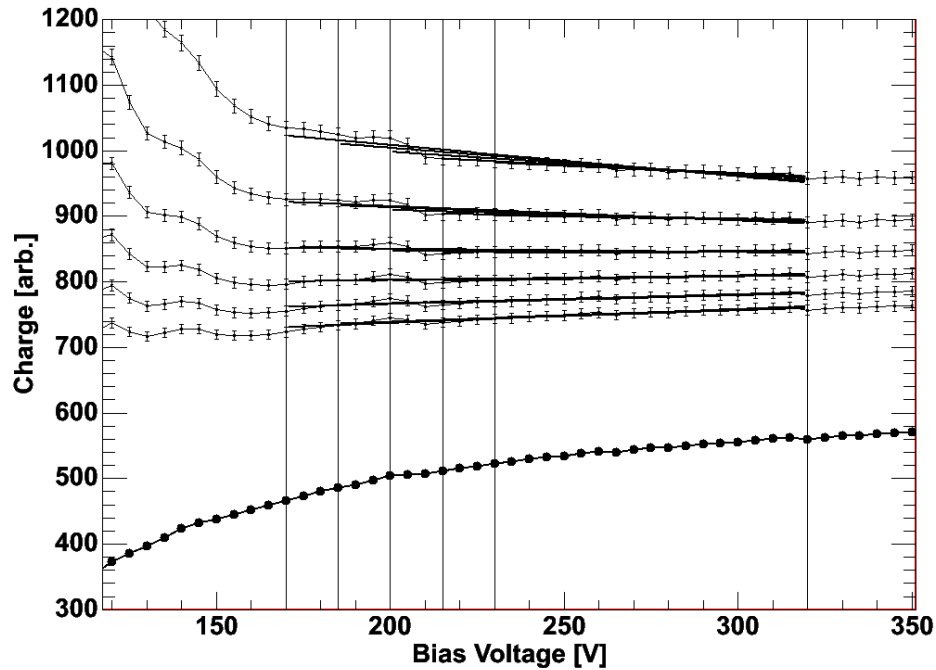
- calculate exponentiated charge and vary $1/\tau$ for different V_{bias}
- $$Q_{\text{exp}} = \int i_m(t) \exp(+t/\tau) dt$$

- V_{bias} is plotted vs. $1/\tau$

- $1/\tau_0$ is obtained from mean of intersection points of line pairs



Charge Correction Method



calculate: $i_m(t) = i_0(t) \exp(-t/\tau_{eff})$

with different τ

plot charge versus bias voltage
and calculate slope

plot slope versus assumed τ

▶ if slope zero correct τ found

