

# Preparing antihydrogen at rest for the free fall in



Laurent Hilico  
Jean-Philippe Karr  
Albane Douillet  
Vu Tran  
Julien Trapateau

Ferdinand Schmidt Kaler  
Jochen Walz  
Sebastian Wolf



2014 – 2017  
*Bescool project*

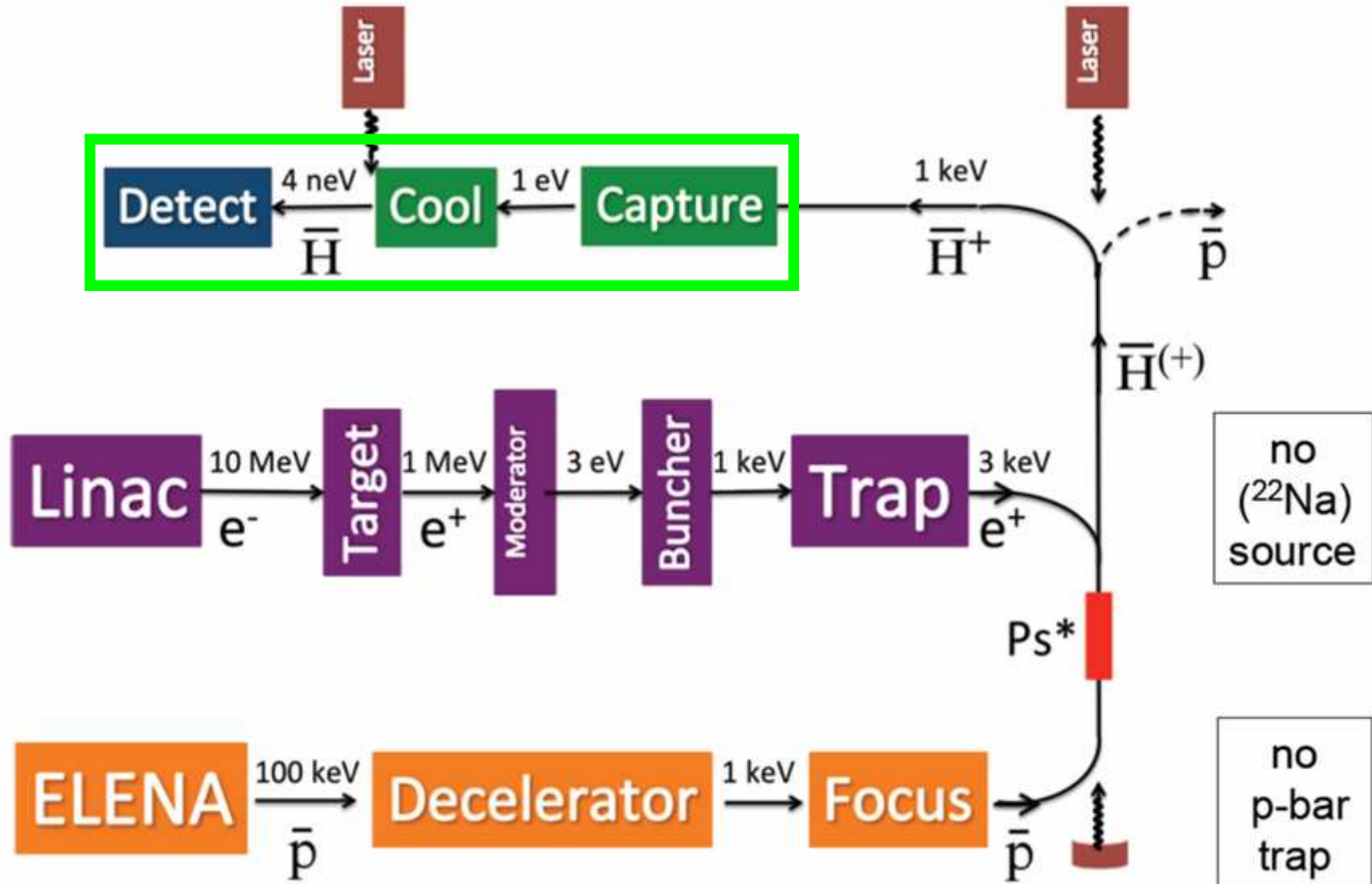


WAG 13-15 November 2013 Bern

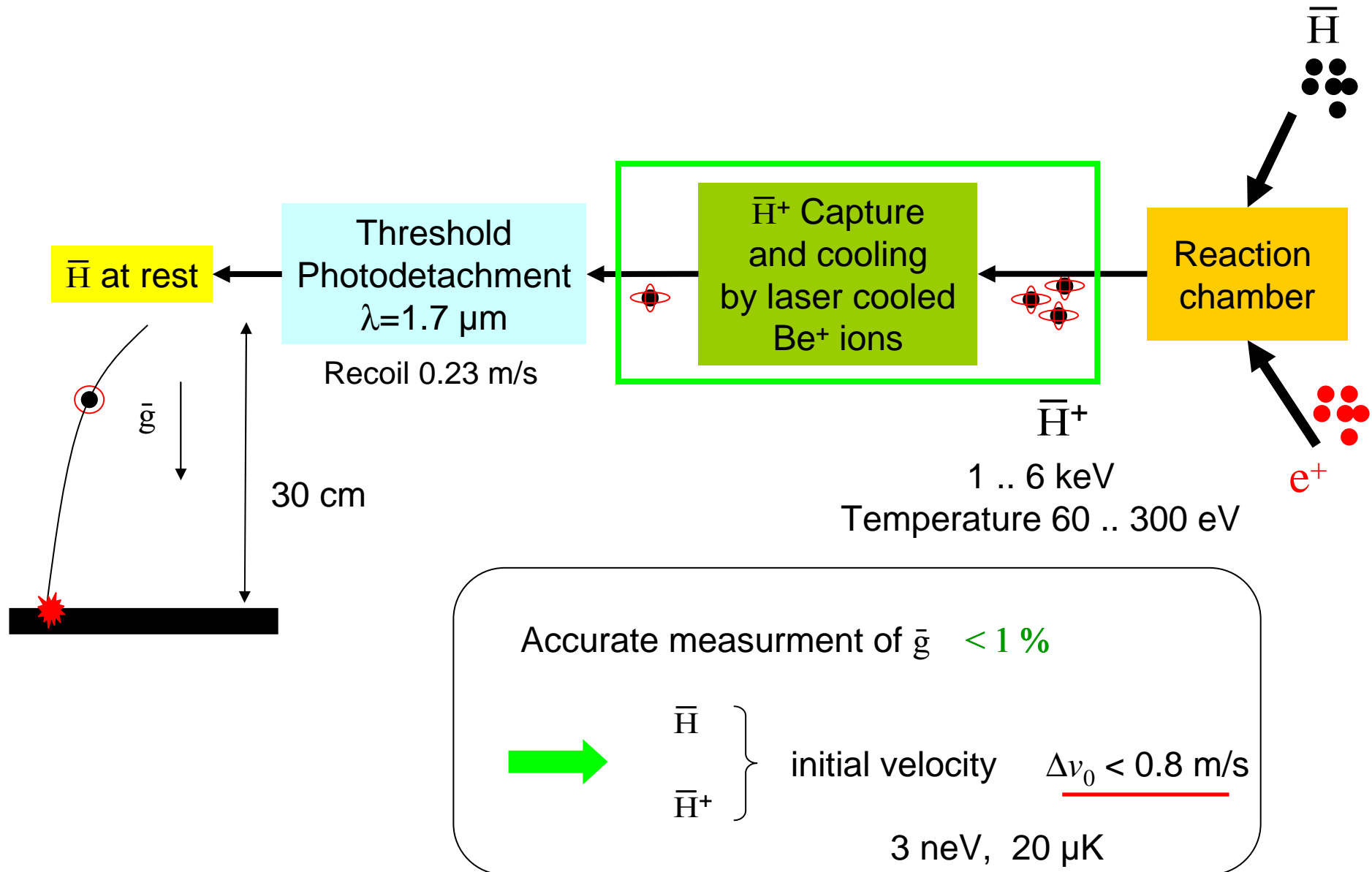
# Outline

- $\bar{H}^+$  motion control requirements
- Capture and cooling challenges
- Experimental progress

# GBAR overview



# Last GBAR steps

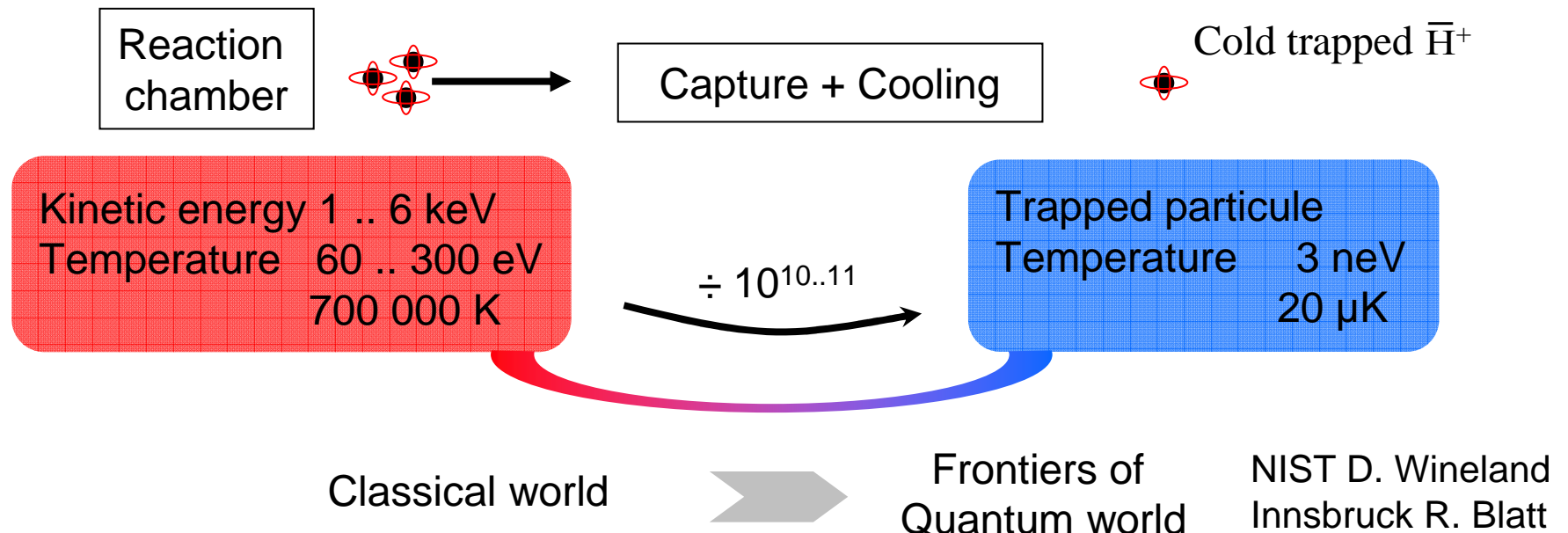


# $\bar{\text{H}}$ with $v_0 < 1 \text{ m/s}$ ?

**Ground state** quantum **harmonic oscillator**  $p = \sqrt{m\hbar\omega} \frac{a - a^\dagger}{i\sqrt{2}}$   $\Delta v = \sqrt{\frac{\hbar\omega}{2m}}$

$m = 1.67 \cdot 10^{-27} \text{ kg}$  ,  $\Delta v_0 < 0.8 \text{ m/s}$  ➔  $\omega < 3 \text{ MHz}$

## Cooling challenges

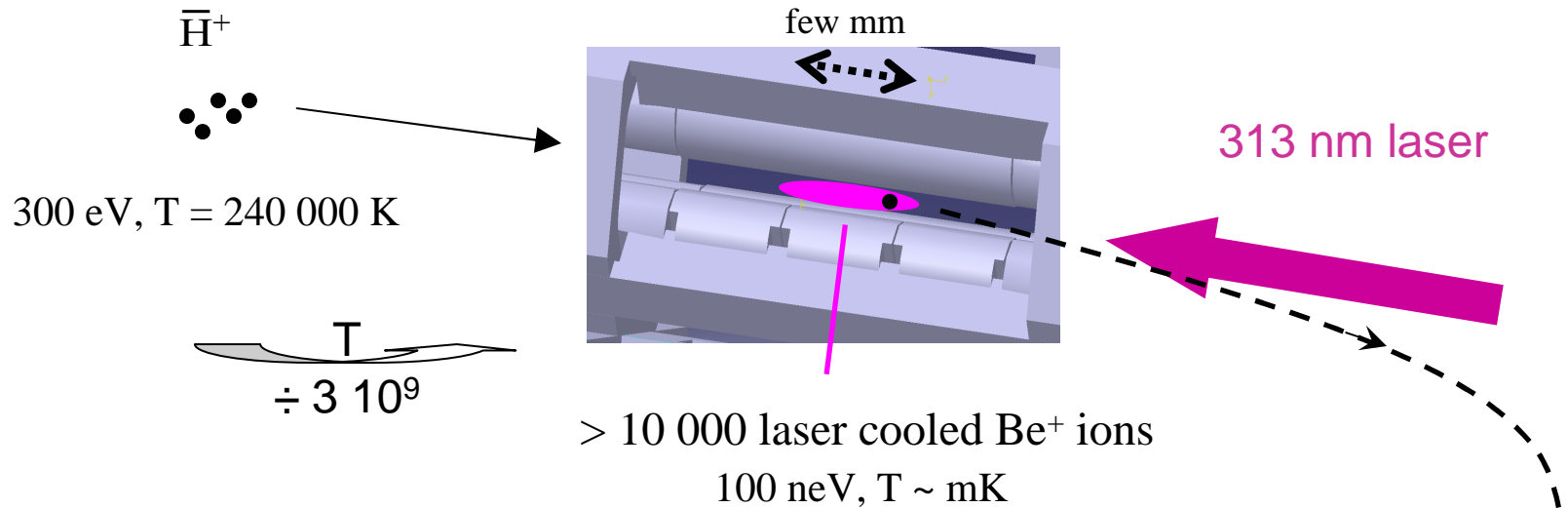


# Two Cooling Steps

## First step

Capture and sympathetic Doppler cooling by laser cooled Be<sup>+</sup> ions

in the linear **capture trap** (Paul trap,  $r_0 = 3.5$  mm,  $\Omega = 13$  MHz)



## Second step

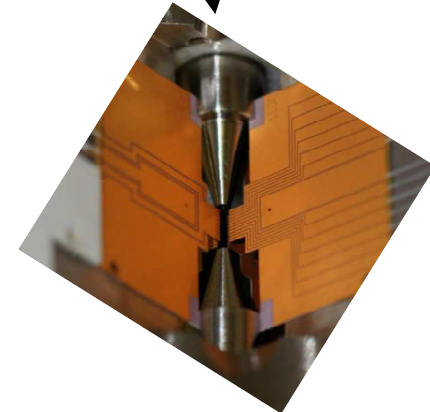
Transfer and ground state cooling

of a Be<sup>+</sup>/ $\bar{H}^+$  ion pair in the **precision trap**

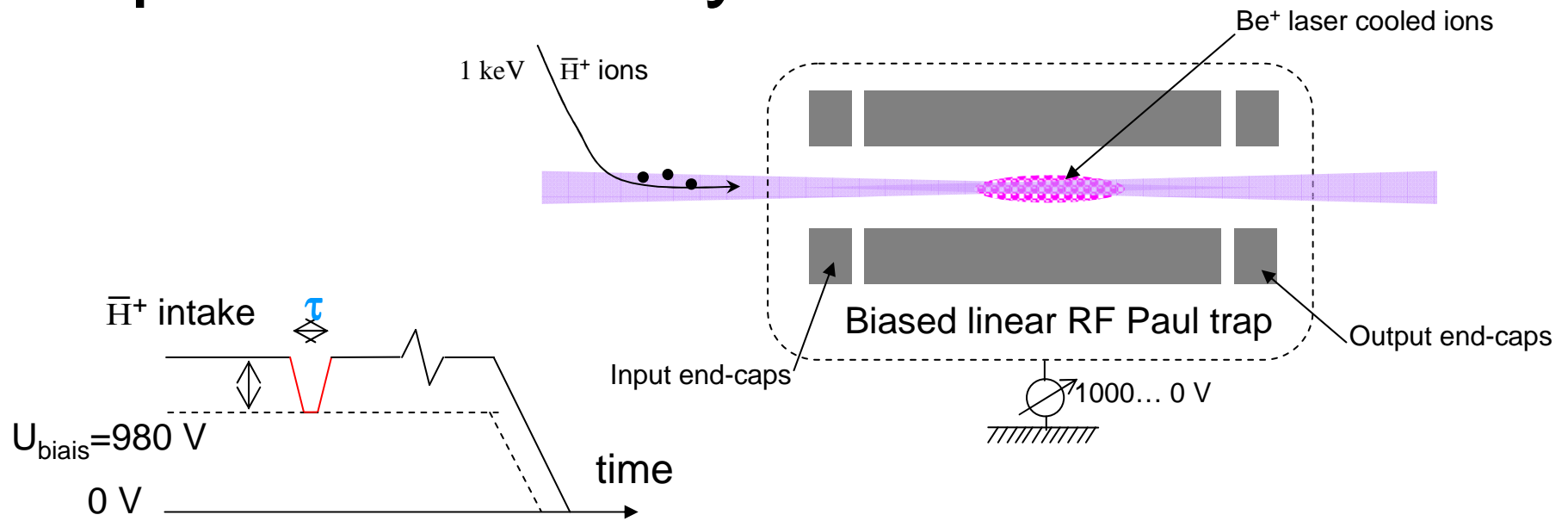
F. Schmidt Kaler, S. Wolf , Mainz



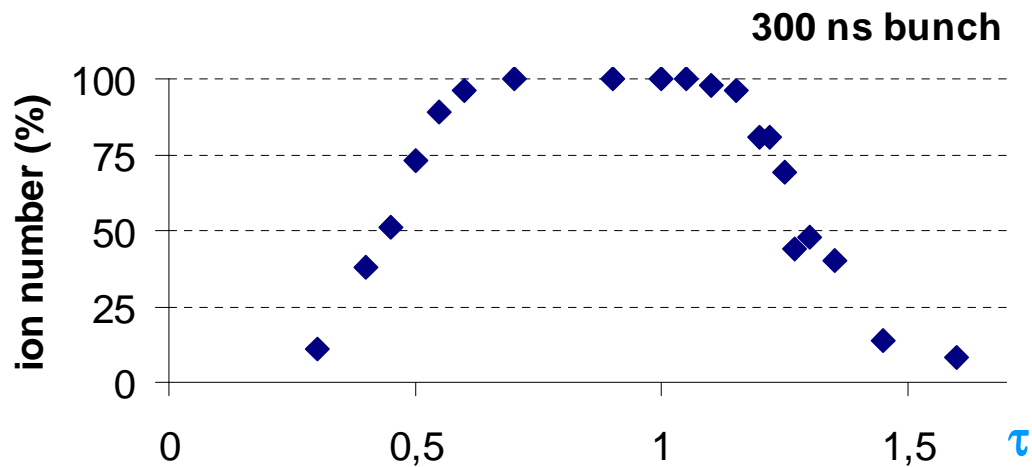
JOHANNES GUTENBERG  
UNIVERSITÄT MAINZ



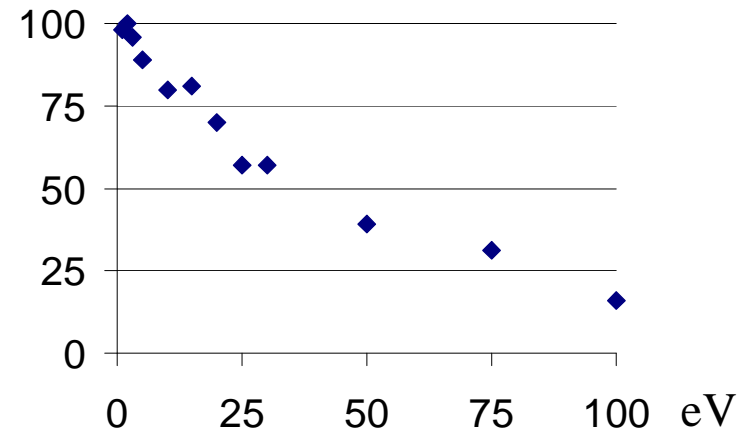
# Capture efficiency First step



Versus intake delay

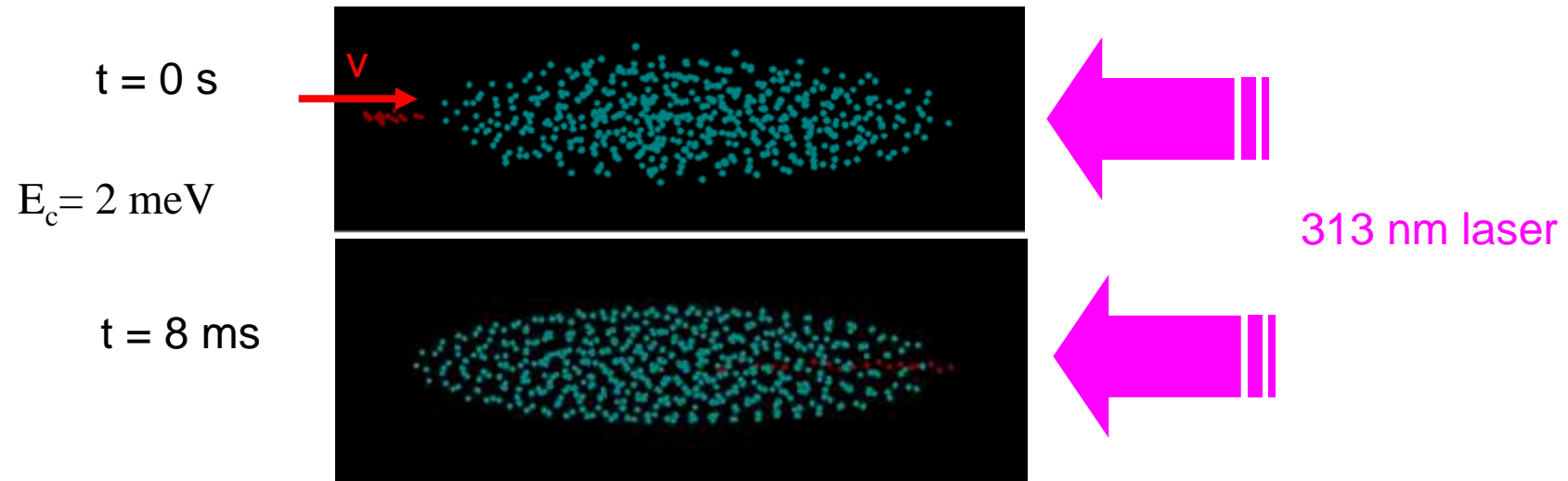


Versus initial temperature (eV)



# Sympathetic cooling time First step

- Numerical simulation 500 Be<sup>+</sup> and 20 H<sup>+</sup>

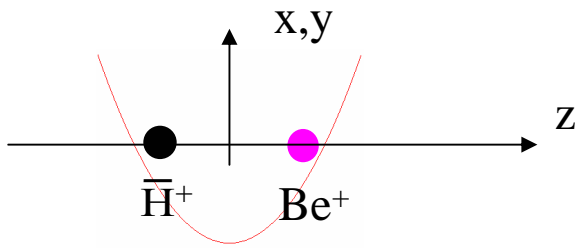


- Hotter H<sup>+</sup> ions and larger ion clouds ➡ numerical challenge

Work plan : Experimental tests with matter ions H<sub>2</sub><sup>+</sup> or H<sup>+</sup>



# Precision trap – motional couplings



Two coupled oscillators in an external potential

- z trapping DC potentials
- x,y trapping RF effective potentials
- Coulomb interaction coupling

Newton equations → equilibrium positions → small oscillations

individual ion modes  
x, y, z

normal modes

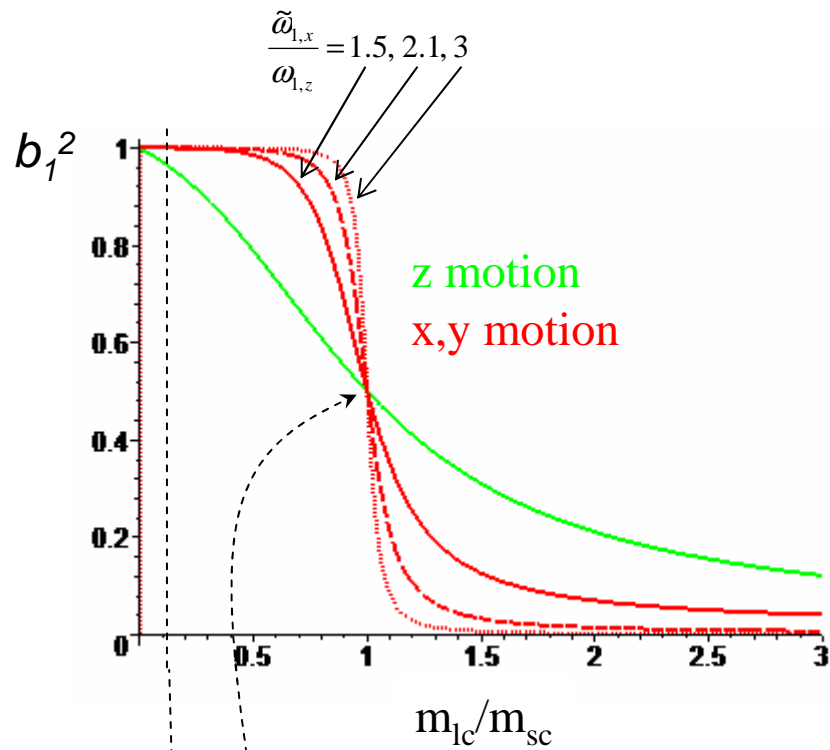
*in* phase mode  
*out* of phase mode

$b_1^2 + b_2^2 = 1$

$$\begin{aligned}
 q_1(t) &= b_1 z_{in} \sin(\omega_{in} t + \varphi_{in}) + b_2 z_{out} \cos(\omega_{out} t + \varphi_{out}) \\
 q_2(t) &= b_2 \frac{z_{in}}{\sqrt{m_2/m_1}} \sin(\omega_{in} t + \varphi_{in}) - b_1 \frac{z_{out}}{\sqrt{m_2/m_1}} \cos(\omega_{out} t + \varphi_{out})
 \end{aligned}$$

# Precision trap – motional couplings

Second step



$m_{LC}/m_{SC} \sim 1$      $b_1 = 50 \%$

$b_2 = 50 \%$

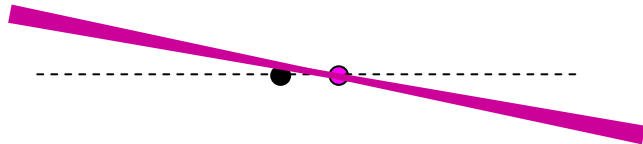
Efficient  
sympathetic cooling

$m_{LC}/m_{SC} = 9/1$      $b_1 = 99.996 \%$

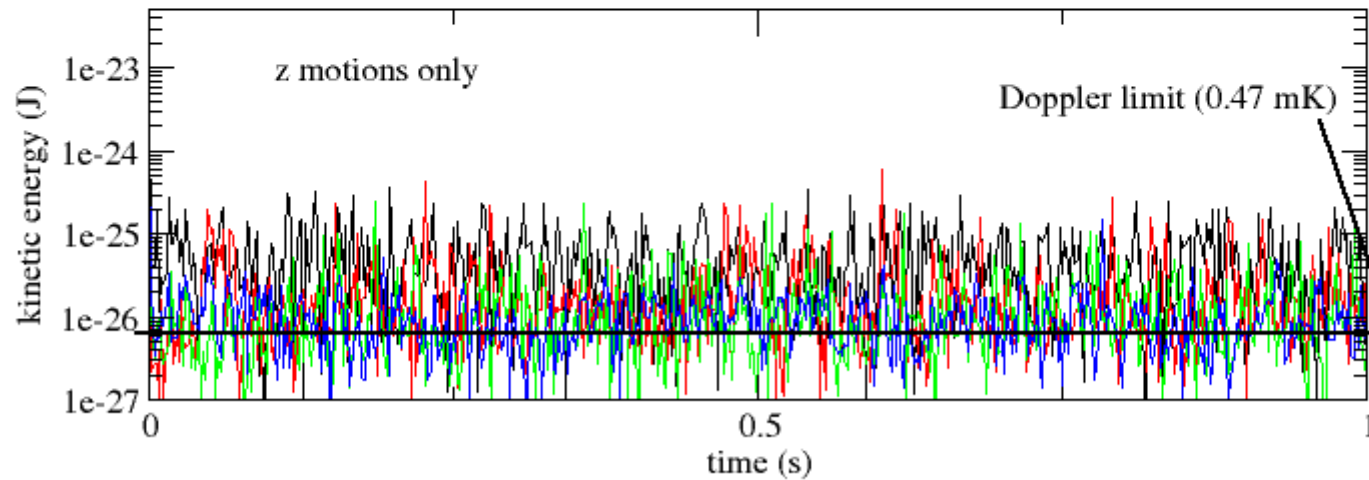
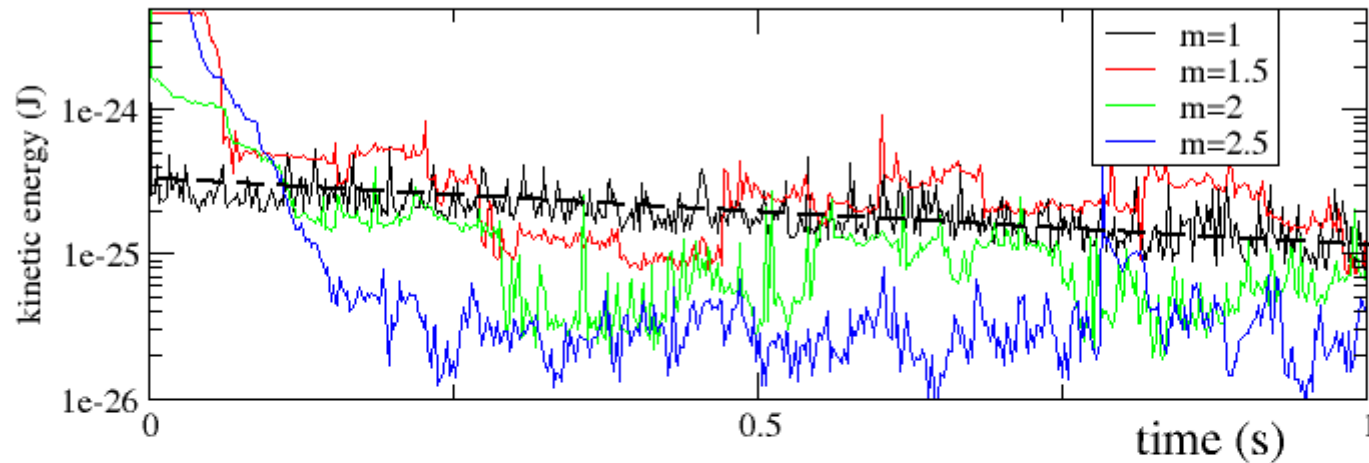
$b_2 = 0.872 \%$

?

# Doppler cooling in precision trap

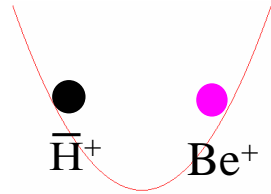


200 V 13 MHz 300 kHz  $E_{c_0}=1$  meV



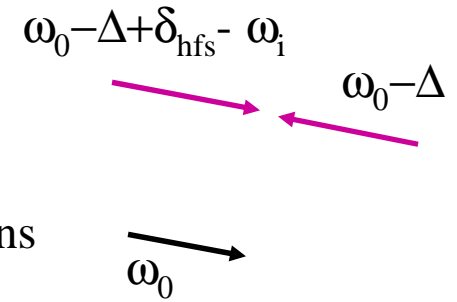
$\gg 20 \mu\text{K}$

# Raman side band cooling

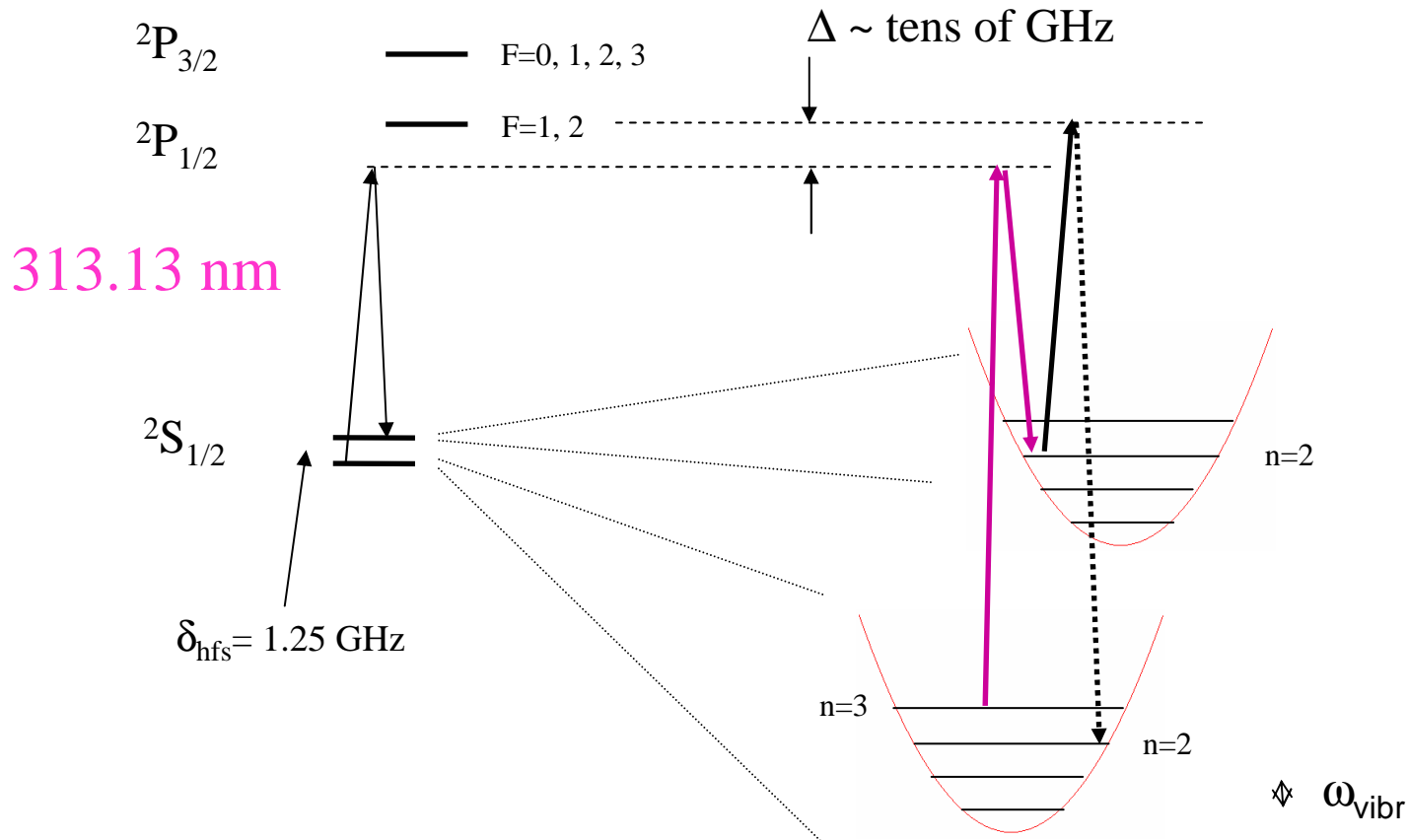


Stimulated Raman transition

Spontaneous Raman transitions



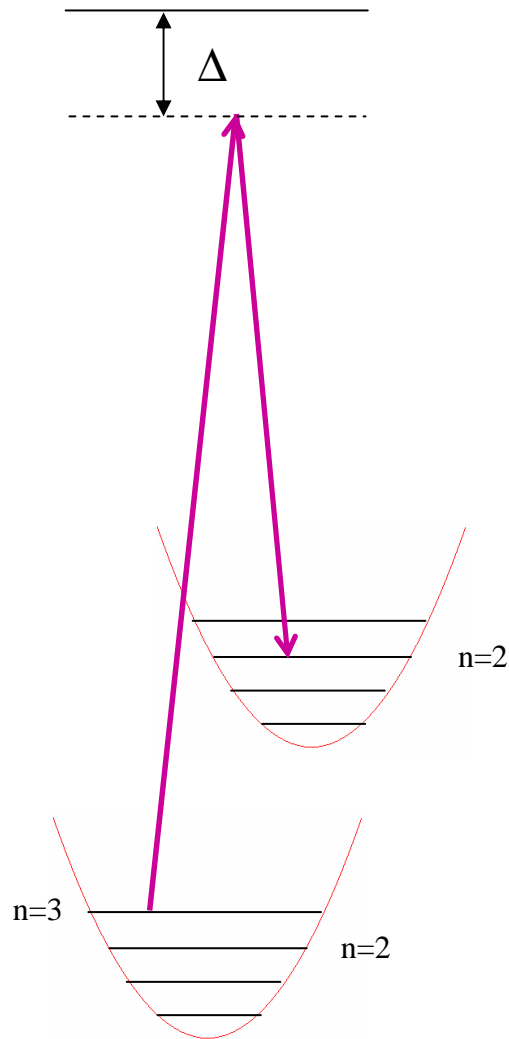
3 laser freq.  
2 beams



# Raman side band cooling

## Second step

Stimulated Raman transition  $\rightarrow$  no spontaneous emission  $\rightarrow$  coherent process



Population transfert probability  $P(n=3 \rightarrow n=2) = \sin^2(\Omega_{3,2}t)$  Rabi oscillation

$$\Omega_{n',n} = \frac{\Omega_1 \Omega_2}{\Delta} \langle n' | e^{i\eta(a+a^\dagger)} | n \rangle \quad \text{Lamb Dicke parameter} \quad \eta = (\vec{k}_1 - \vec{k}_2) \cdot \vec{u}$$

$$\text{For } n \rightarrow n-1, \quad \Omega_{n,n-1} \approx \frac{\Omega_1 \Omega_2}{\Delta} \eta \sqrt{n} \propto \frac{\Omega_1 \Omega_2}{\Delta} \sqrt{n} b_2$$

$$\pi \text{ pulse duration} \quad \tau \propto \frac{\pi}{2} \frac{\Delta}{\Omega_1 \Omega_2} \frac{1}{\sqrt{n}} \left( \frac{1}{b_2} \right)$$

Single ion	$b_1 = 1$	3 modes	$\tau \sim 100 \mu\text{s} / n/\text{mode}$
$\text{Be}^+/\bar{\text{H}}^+$	$b_{1z} = 0.18$	2 modes	x 5
	$b_{1x,y} = 0.0872$	4 modes	x 15

$\sim 10 \text{ ms}$

$< 1 \text{ s}$

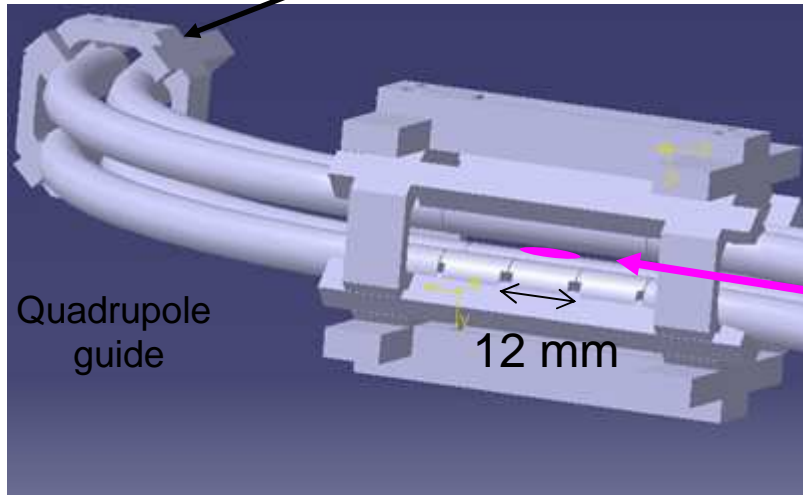
Experimental progress

# Capture trap design

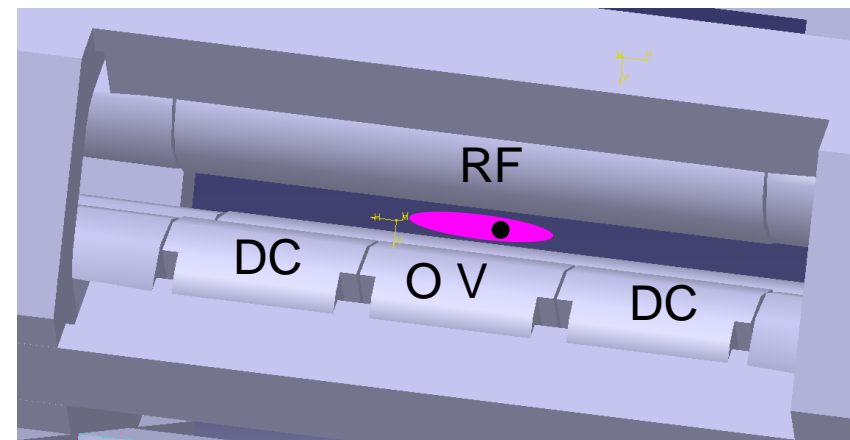
Jean-Philippe Karr

Hot  $\bar{H}^+$

RF 250 V at 13.3 MHz,  $r_0 = 3.5$  mm  
DC's 2 .. 10 V

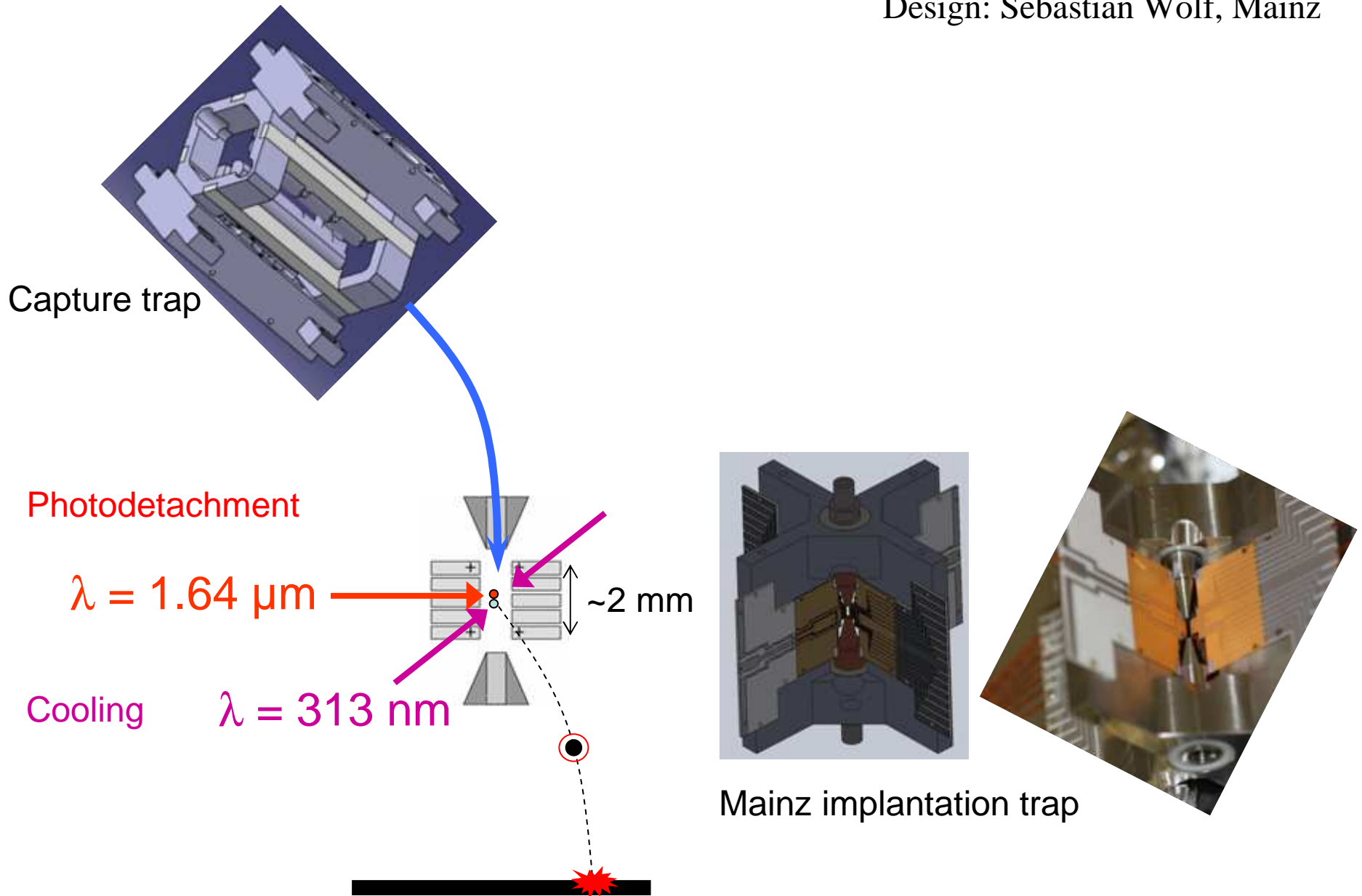


313 nm cooling laser



# Transfer to precision trap

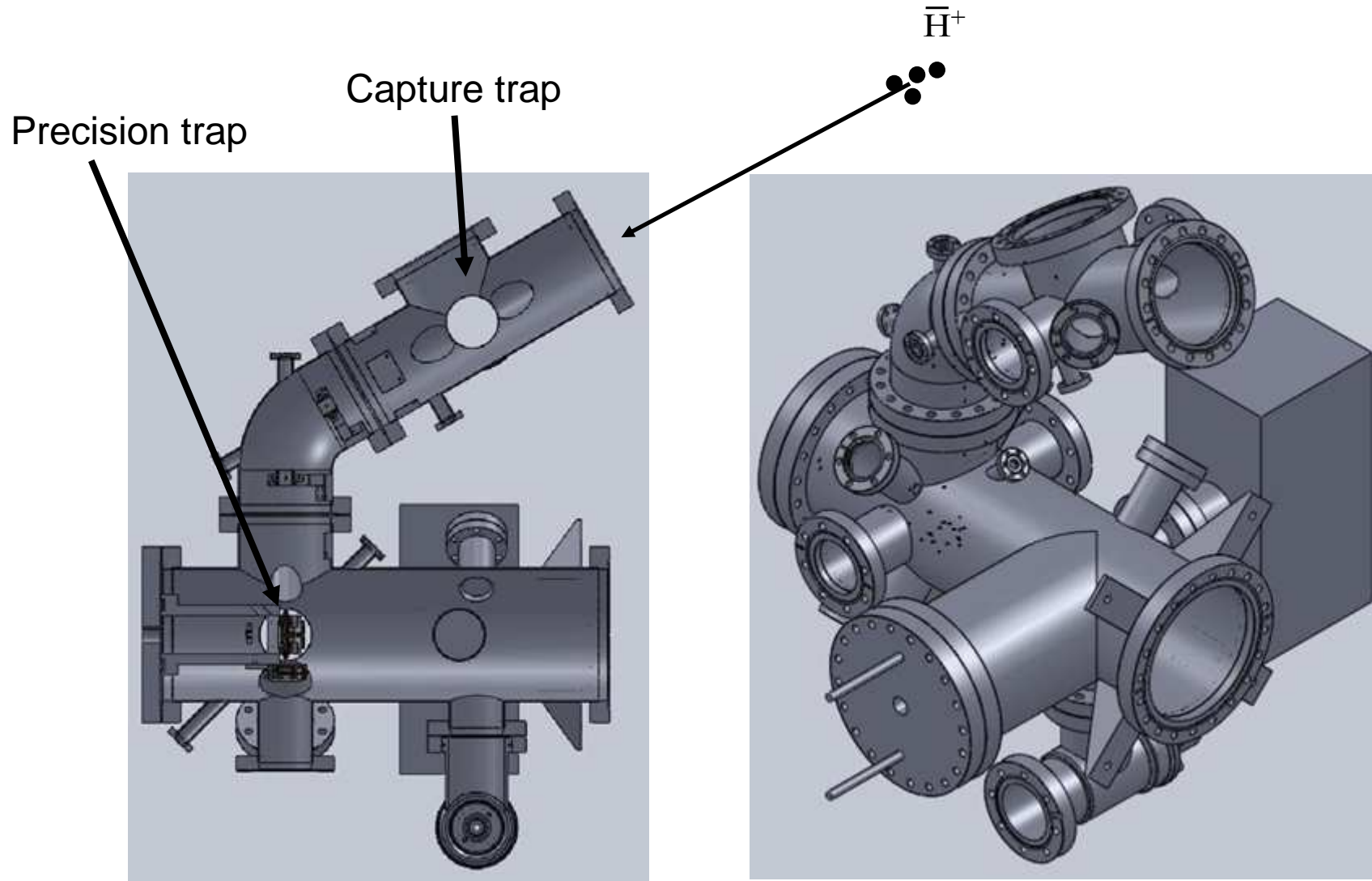
Design: Sebastian Wolf, Mainz



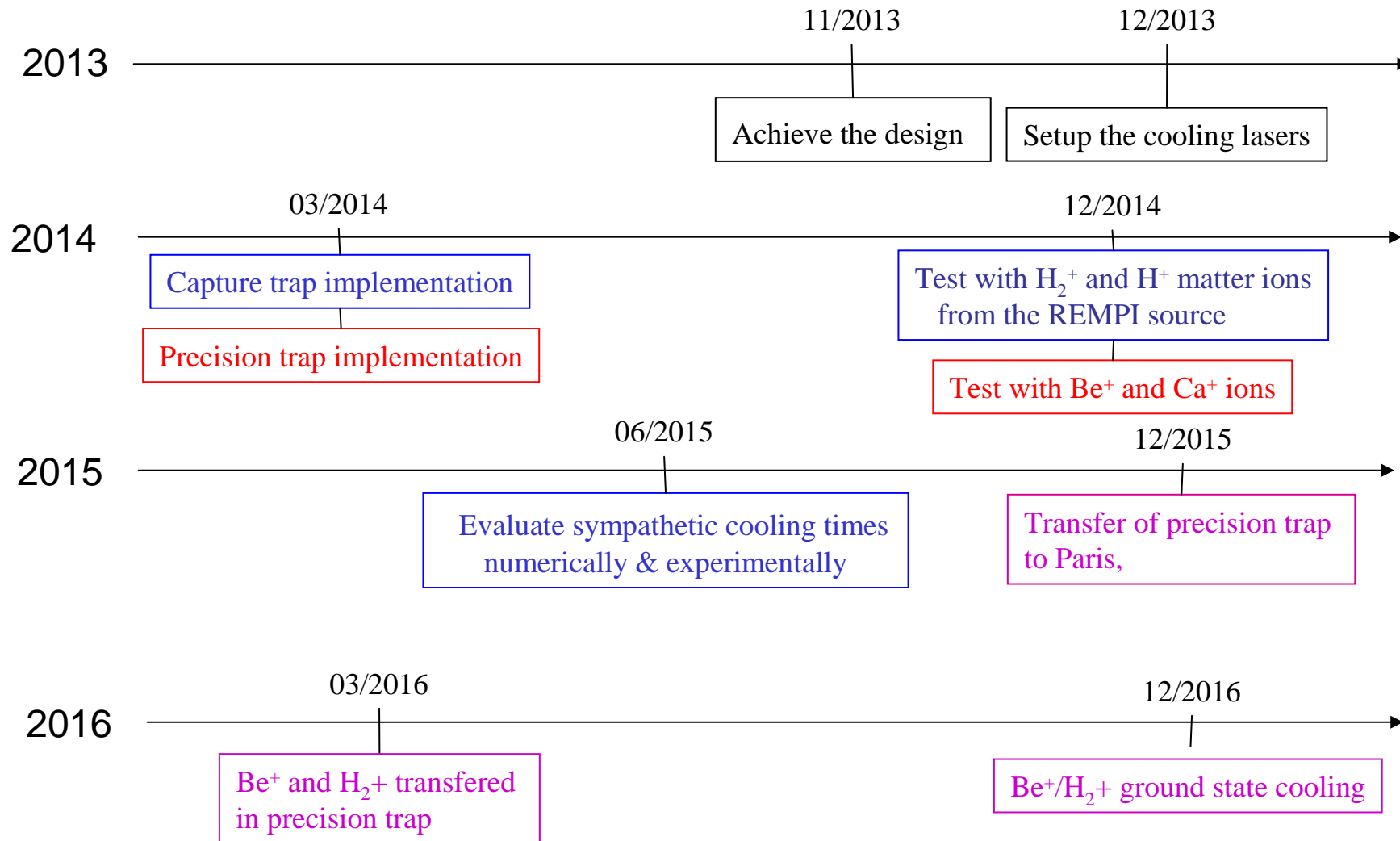


# Vacuum vessel

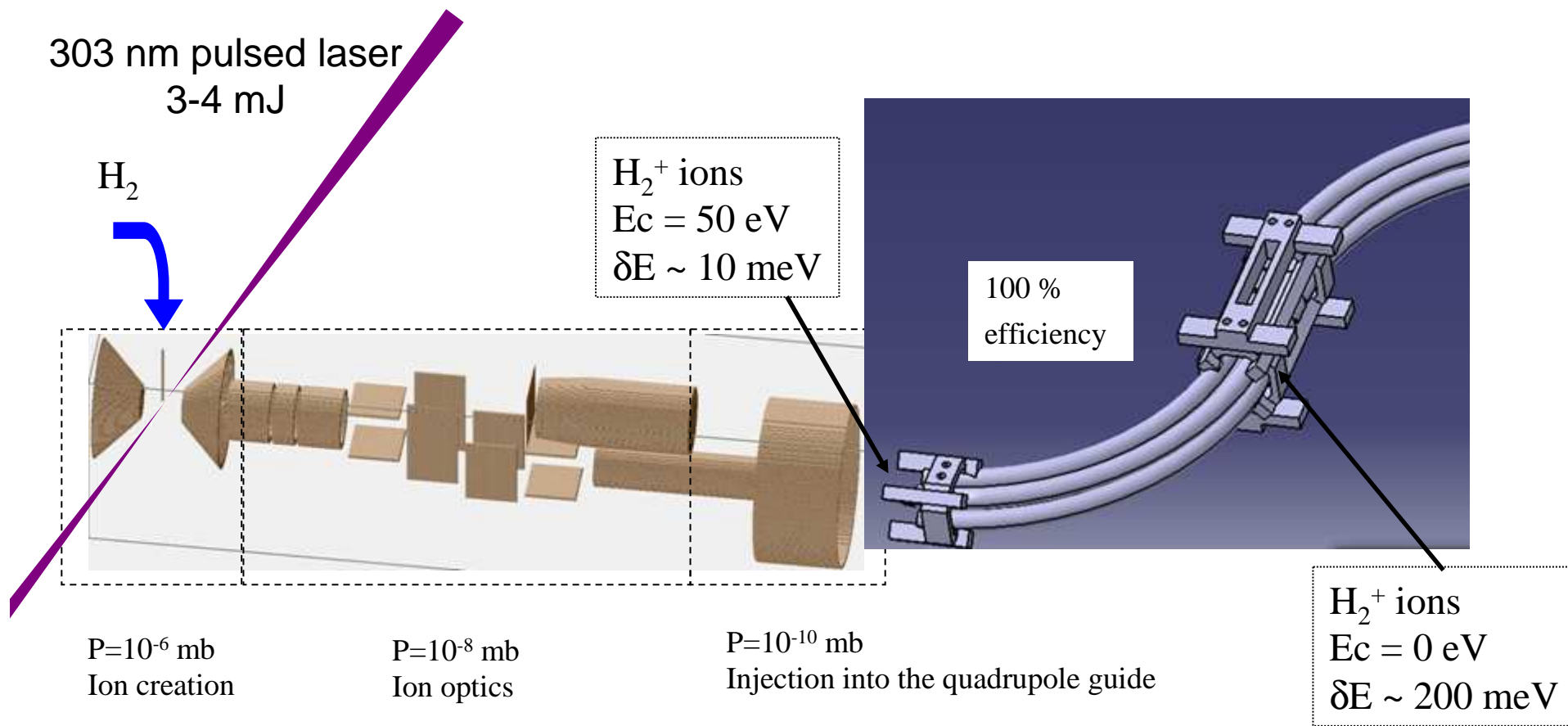
with cryopumping



# Work plan



# Tests with a $\text{H}_2^+$ / $\text{H}^+$ REMPI source



Synergies

$\bar{\text{H}}^+$  Gbar

$\text{H}_2^+$  metrology project

HCI highly charged ions  $^{40}\text{Ar}^{13+}$ , P. Indelicato, C. Szabo

# Conclusion

- ✓ **Capture** of  $> 10$  eV  $\bar{\text{H}}^+$  and **Doppler cooling** in a linear Paul trap
- ✓ Transfer to precision trap **OK**
- ✓ Doppler and ground state cooling in precision trap **OK**

**PhD positions available**

- ANR BESCOOL
- ITN ComiQ



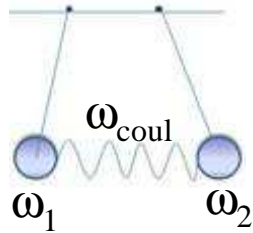
COLD MOLECULAR IONS AT THE QUANTUM LIMIT  
A MARIE CURIE INITIAL TRAINING NETWORK  
FP7-PEOPLE-2013-ITN





# Can we improve the motional couplings ?

Idea



$$|\omega_1 - \omega_2| \approx \omega_{Coul} \rightarrow \text{Efficient coupling}$$

Trapped ions  $\omega_1 \sim \omega_2 \sim 1.0 \text{ MHz}$   $\rightarrow$   $\omega_{Coul} \sim 100 \text{ kHz}$

Coulomb coupling  $\omega_{Coul} = \sqrt{\frac{2}{m} \frac{q^2}{4\pi\epsilon_0 z_{12eq}^3}}$   $\rightarrow$   $z_{12eq} < 40 \mu\text{m}$

Single well with  $m_1 = 9, m_2 = 1$   $\omega_{z2} \sim 3 \omega_{z1}$   $\omega_{x2} \sim 9 \omega_{x1}$   $\rightarrow$  poor couplings

Possible solution  $\rightarrow$  Double well structure with very small electrodes ?