

# Simulation on silicon tracker for the TAC-PF Detector

**Ilhan TAPAN\*** and **F. Belgin Pilicer**  
**Uludag University**  
**Physics Department**  
**Bursa-Turkey**



\* on behalf of TAC-PF group

**9th International "Hiroshima" Symposium on the Development and Application of  
Semiconductor Tracking Detectors, Hiroshima, Japan**



# Outline

---

- **Turkish Accelerator Center (TAC) project**
- **TAC Particle Factory (PF) Detector and Tracker**
- **Simulation works**
  - Momentum resolution**
  - Particle track- Energy deposition**
    - **Spot size calculation**
- **Conclusion**

# Turkish Accelerator Center (TAC) Project



TÜRK HIZLANDIRICI  
MERKEZİ PROJESİ

<http://thm.ankara.edu.tr/>

Search

[Ana Sayfa](#) | [Ulaşım](#) | [English](#)

Tanıtım | Proje ▾ | Enstitü ▾ | Organizasyon ▾ | Kollaborasyonlar ▾ | Yayınlar ▾ | Etkinlikler ▾ | Raporlar ▾ | Dokümanlar ▾ | İletişim

PROJE ORTAĞI ÜNİVERSİTELER: [Ankara](#) | [Gazi](#) | [Boğaziçi](#) | [Doğuş](#) | [İstanbul](#) | [Dumlupınar](#) | [Uludağ](#) | [Erciyes](#) | [Niğde](#) | [S.Demirel](#) | [Osmangazi](#) | [GYTE](#) | [Adıyaman](#) | [G.paşa](#)

[Hızlı Erişim](#) ▾

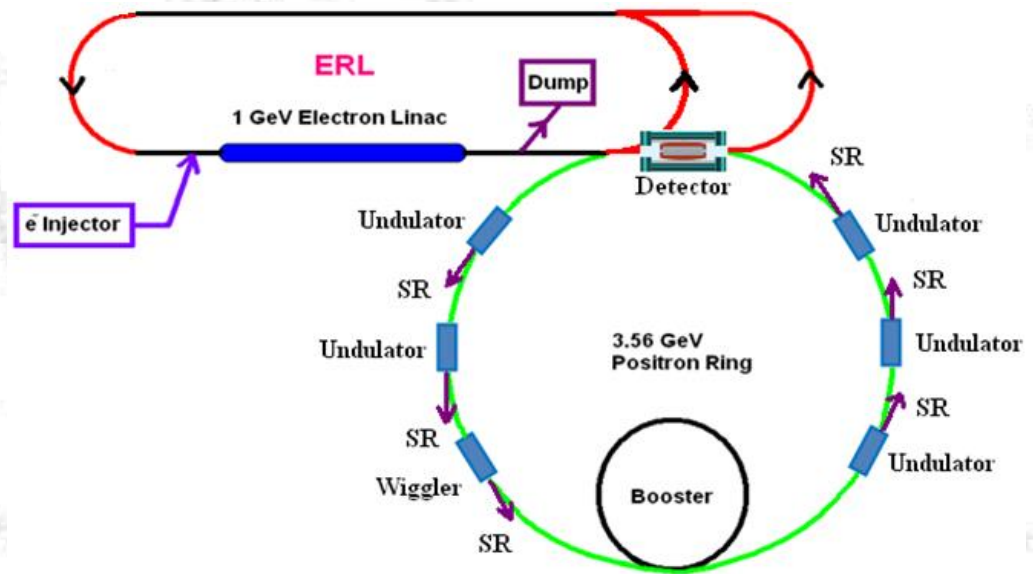


The mission of TAC is to design, construct and use high energy particle accelerators for scientific researches in Turkey and in the region and to collaborate with international HEP community.

# Turkish Accelerator Center (TAC) Project

The ongoing project has three main parts

- 1) Accelerator Based Light Sources,
- 2) Proton Accelerator (PA)
- 3) Particle Factory (PF)



An electron-positron collider as a “super charm factory”

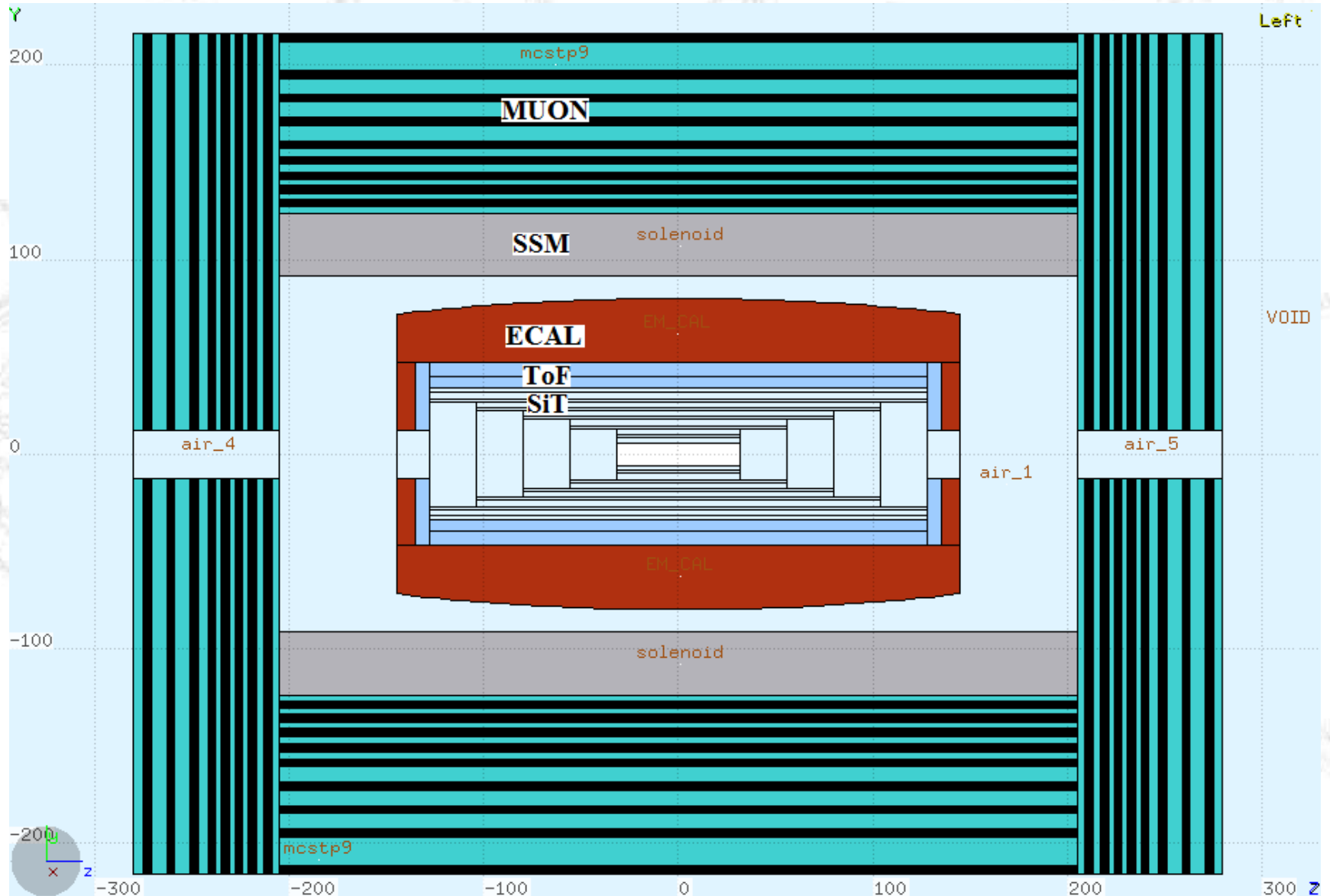
A 1 GeV electron linac and a 3.56 GeV positron ring for linac on ring type collisions and a dedicated detector “TAC-PF Detector”

# Turkish Accelerator Center (TAC) Project

## TAC super charm factory collider parameters

Parameter	Positron ring	Electron ERL
Positron Beam energy (GeV)	3.56	1
Number of positron per bunch ( $10^{11}$ )	2	0.2
Beta Functions at IP $\beta_x/\beta_y$ (mm)	80/5	80/5
Normalized emittance $\varepsilon_x^N/\varepsilon_y^N$ ( $\mu\text{m rad}$ )	111/0.36	31/0.1
$\sigma_x/\sigma_y$ ( $\mu\text{m}$ )	36/0.5	36/0.5
$\sigma_z$ (mm)	5	5
Beam –beam tune shift ( $\xi_x/\xi_y$ )	0.012/0.13	
Energy loss/Turn (MeV)	0.7	
Number of bunches	300	
Circumference (m)	600	
Beam Current (A)	4.8	0.48
Momentum Acceptance (%)	1	
Luminosity ( $\text{cm}^{-2}\text{s}^{-1}$ )	$1.4 \times 10^{35}$	

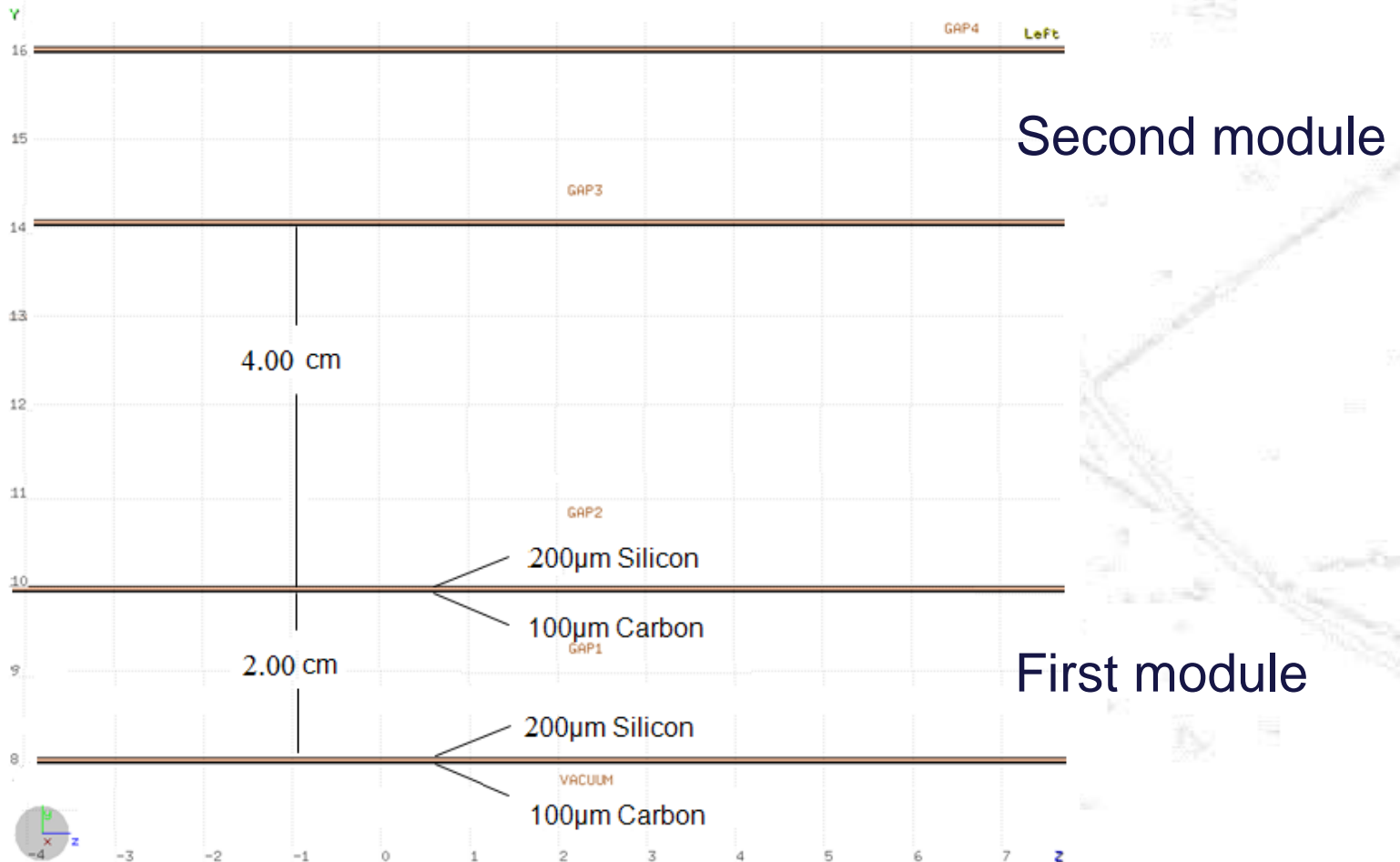
# TAC-PF detector





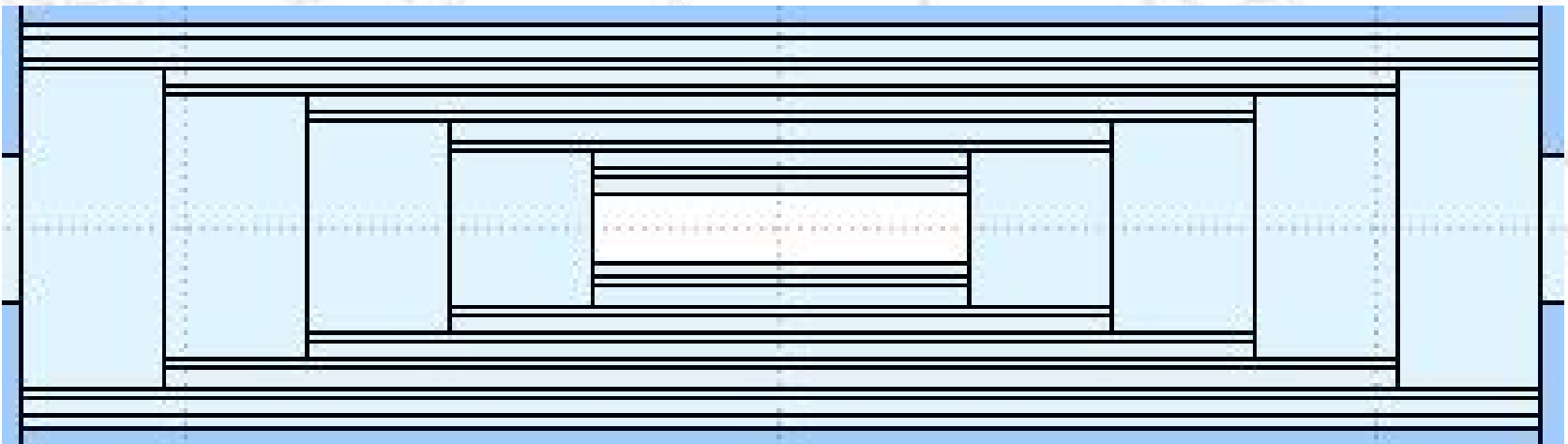
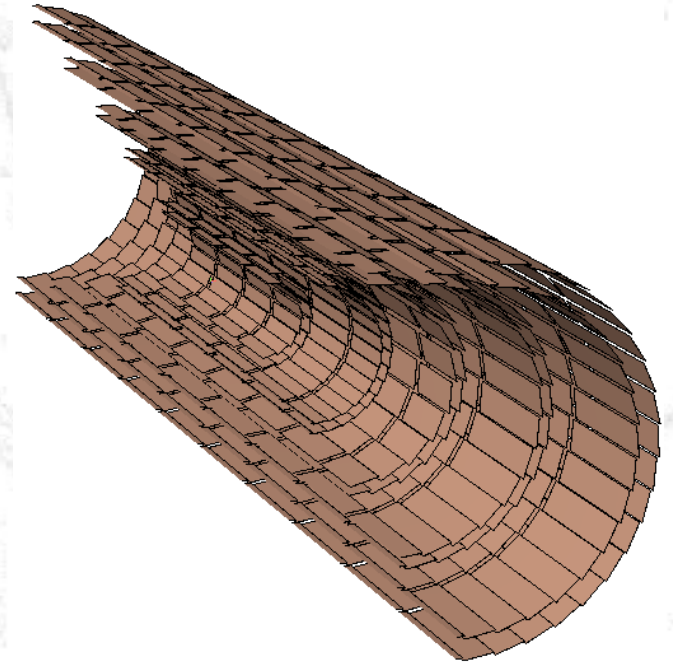
# TAC-PF tracker

Five individual modules with 4 cm distances between them.  
Each module has two parallel silicon strip detector planes.  
(carbon+ silicon + 2 cm gap + carbon + silicon)



# TAC-PF tracker

	Radius [cm]	z extend [cm]	number of Si sensor
1 - 2 layer	8.0-10.0	32.0	192+240
3 - 4 layer	14.0-16.0	56.0	638+726
5 - 6 layer	20.0-22.0	80.0	600+690
7 - 8 layer	26.0-28.0	104.0	1080+1160
9 - 10 layer	32.0-34.0	128.0	1650+1750



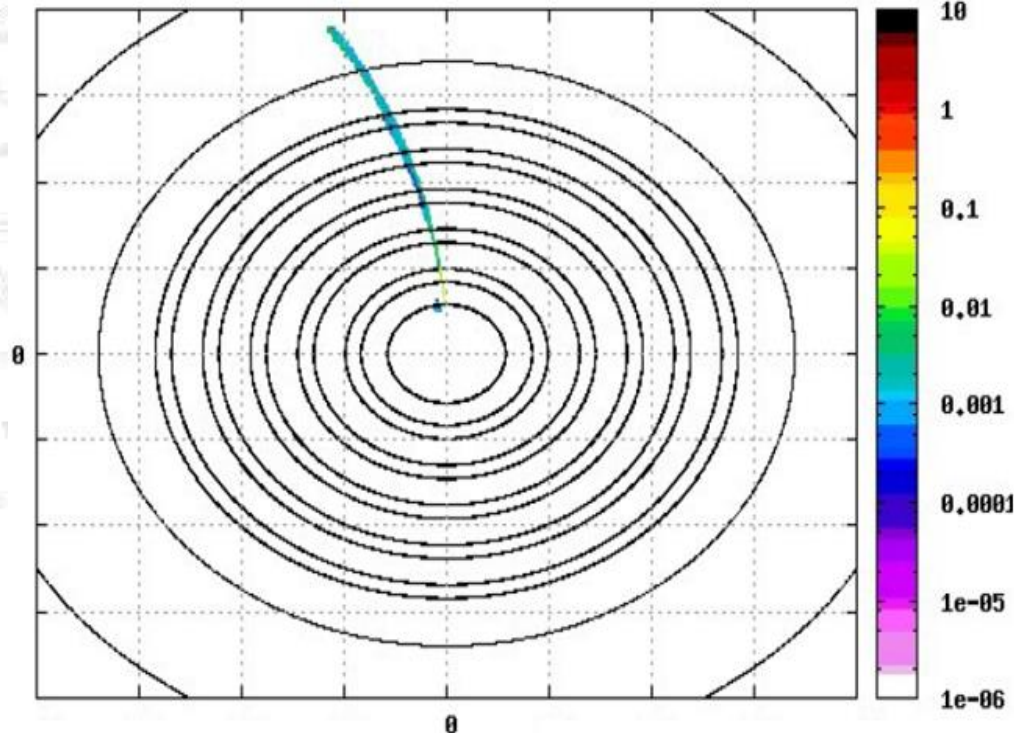
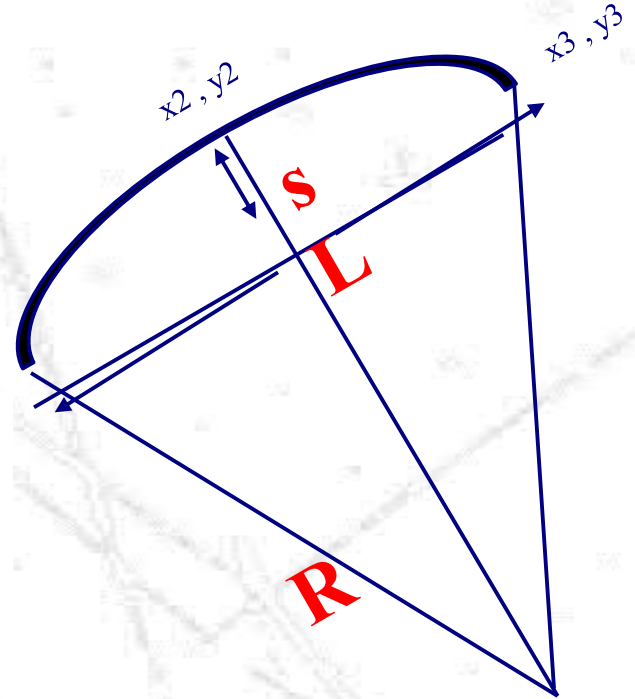


# TAC-PF tracker – Momentum resolution

Two main parameters contribute on transverse momentum resolution;

1. Contribution from measurement error:

Sagitta  $s$  defines trajectory uncertainties and measured inside the magnet region via the measurement of three space points



$$\frac{\sigma p_T}{p_T} = ?$$

# TAC-PF tracker – Momentum resolution

Measurement of curvature  $R$  and lever arm  $L$  provides Sagitta determination

$$s = \frac{L^2}{8R} \quad \text{as} \quad \frac{\sigma p_T}{p_T} = \frac{\sigma s}{s} \quad \text{thus} \quad \frac{\sigma p_T}{p_T} = \frac{8p_T}{0.3BL^2} \sigma s ; \quad \frac{\sigma p_T}{p_T} \propto P_T$$

$\sigma s$ ; sagitta measurement error

The resolution becomes worse with momentum and improves as  $1/BL^2$

## 2. Multiple Scattering contribution to momentum uncertainty:

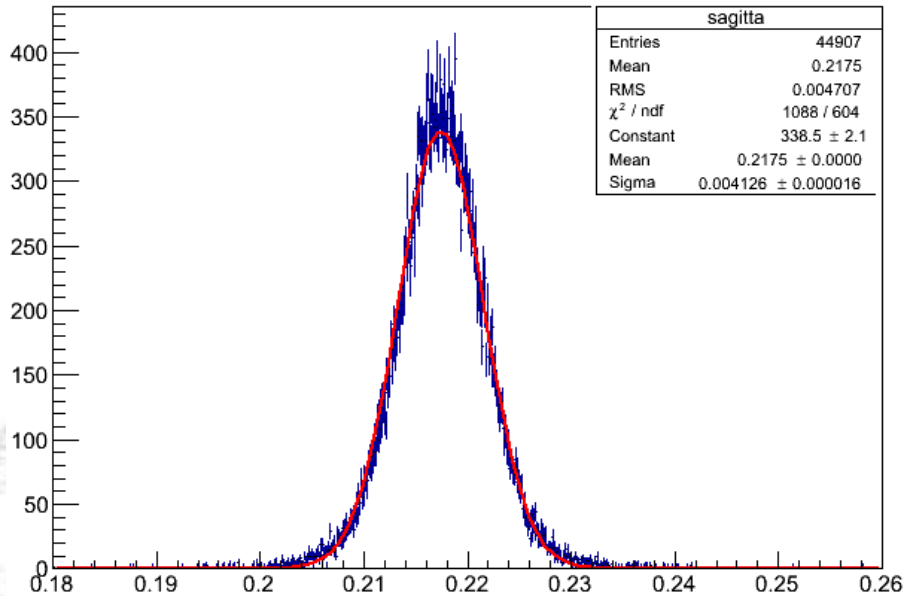
Due to presence of material inside the tracker, will result in wiggling of the track and consequently to mis-measurements of the curvature.

$$\frac{\sigma p_T}{p_T} = \frac{0.05}{BL} \sqrt{\frac{x}{X_0}} \quad \text{It is momentum independent and improved only as } 1/BL$$

Together with total momentum resolution

$$\frac{\sigma p_T}{p_T} = \frac{8\sigma s p_T}{0.3BL^2} \oplus \frac{0.05}{BL} \sqrt{\left(\frac{x}{X_0}\right)}$$

# Simulation works - Momentum resolution

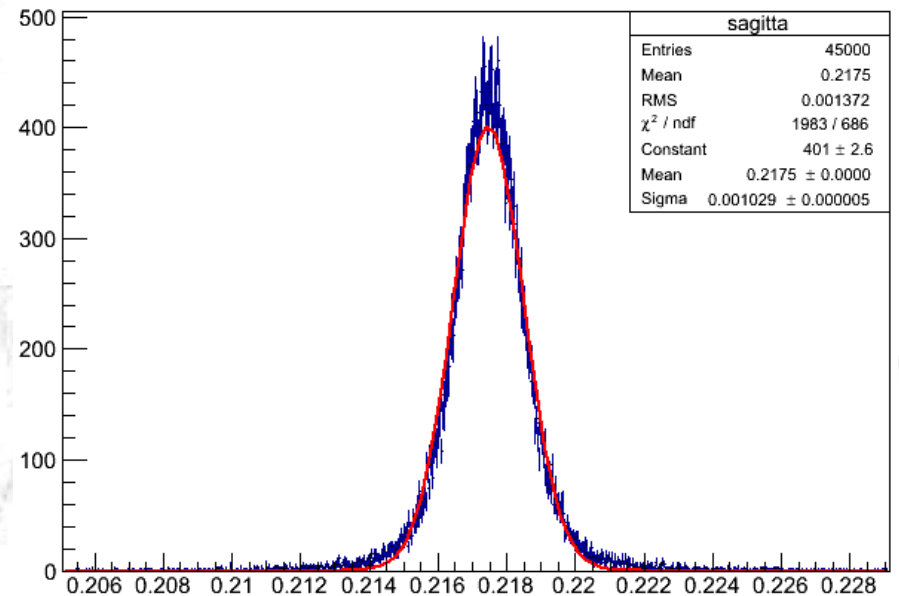


FLUKA with precision physics (1GeV e+ @ 1T)

From this graph  $\frac{\sigma_S}{s} = 0.01897 \sim 1.9\%$

Precision physics include both multiple scattering term and measurement term

$$\frac{\sigma_S}{s} = \frac{\sigma_{p_T}}{p_T} = \frac{8\sigma s p_T}{0.3BL^2} \oplus \frac{0.05}{BL} \sqrt{\left(\frac{x}{X_0}\right)}$$



FLUKA with precision physics and suppress multiple scattering (1GeV e+ @ 1T)

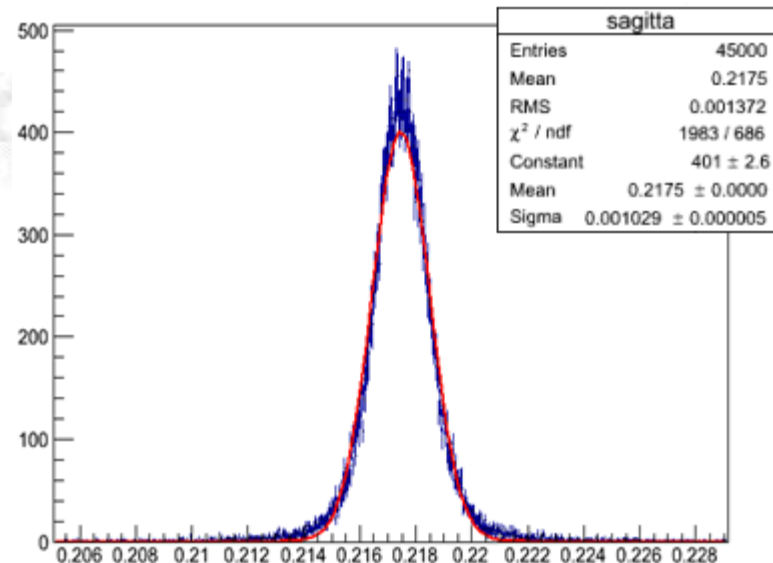
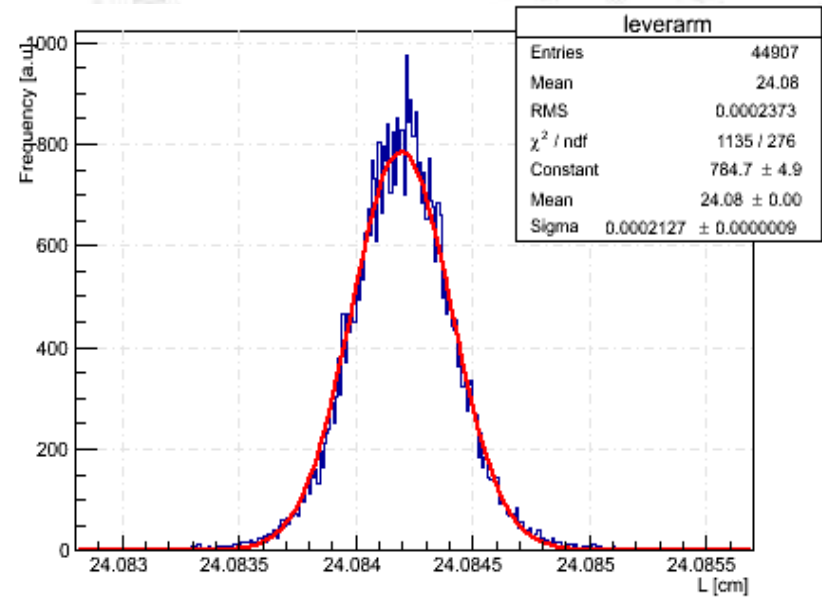
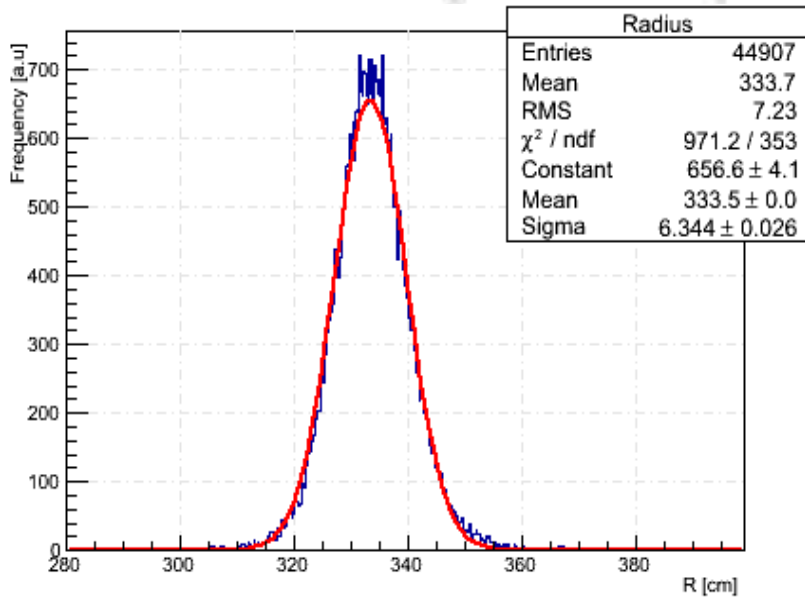
From this graph  $\frac{\sigma_S}{s} = 0.004731 \sim 0.5\%$

This value includes only measurement term. To suppress multiple scattering in silicon MULSOPT card is used.

# Simulation works - Momentum resolution

**FLUKA** results for  
**e+ @ 1 GeV and 1T**

suppressing multiple scattering



# Simulation works - Momentum resolution

$$\frac{\sigma p_T}{p_T} = \frac{8\sigma_s p_T}{0.3BL^2} = 0.0046 = 0.46\%$$

$$\sigma_s = 0.001 \text{ cm} = 0.00001 \text{ m @ 1 GeV and 1T}$$

$$L = 24.08 \text{ cm} = 0.2408 \text{ m}$$

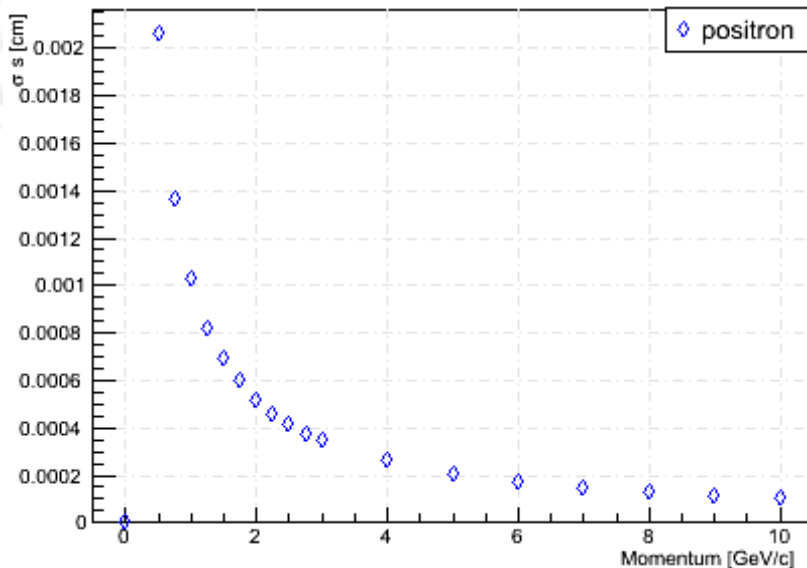
$$\frac{\sigma p_T}{p_T} = \frac{0.05}{BL} \sqrt{\frac{x}{X_0}} = 0.0167 = 1.67\%$$

$$x_0 = 0.0936 \text{ m (Si), 0.25 m (C)}$$

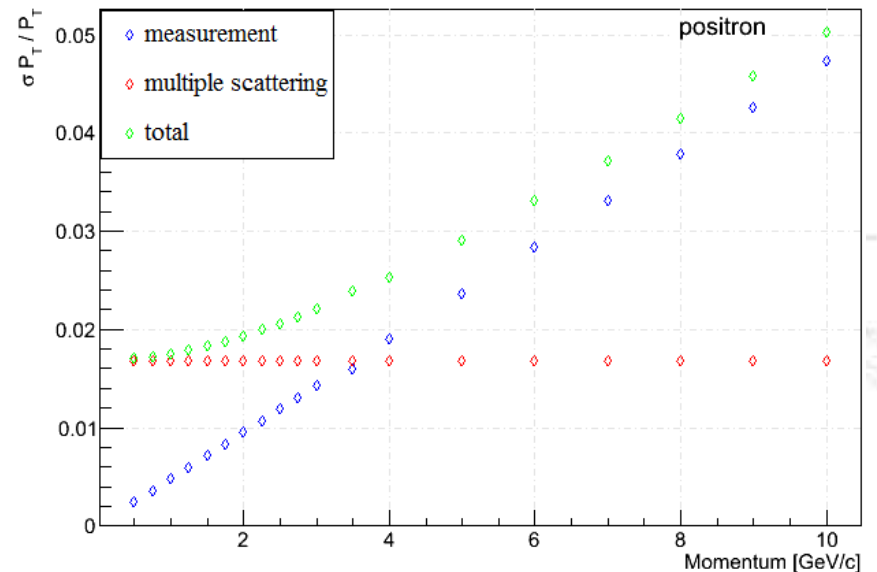
$$\frac{\sigma p_T}{p_T} = a p_T \oplus b$$

$$\frac{\sigma p_T}{p_T} = 0.46 \oplus 1.67 = 1.74\%$$

Sagitta measurement error variation with momentum



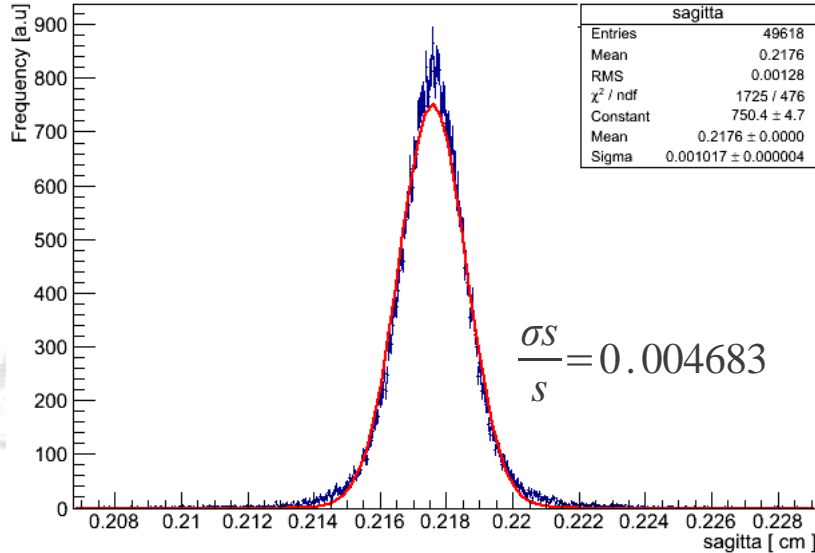
Relative momentum resolution variation with momentum



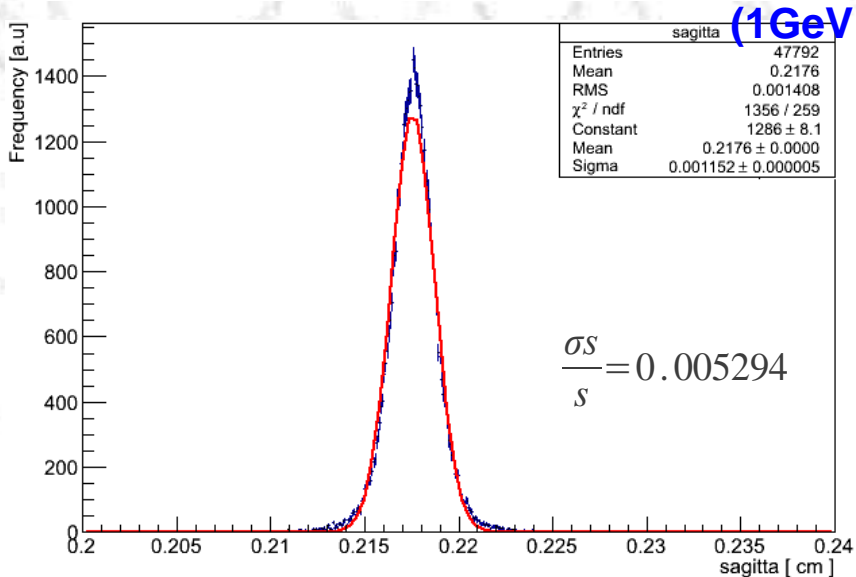
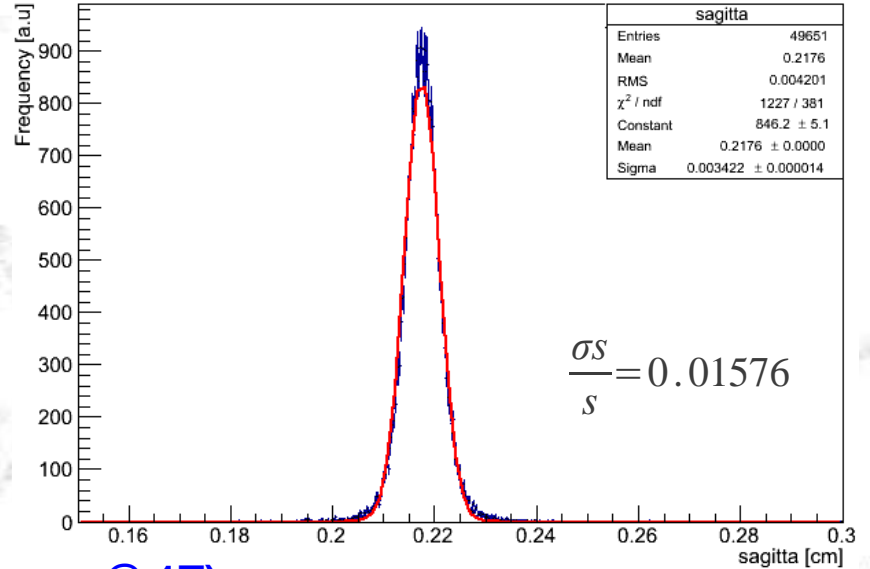
# Simulation works - Momentum resolution

precision physics and  
suppress multiple scattering

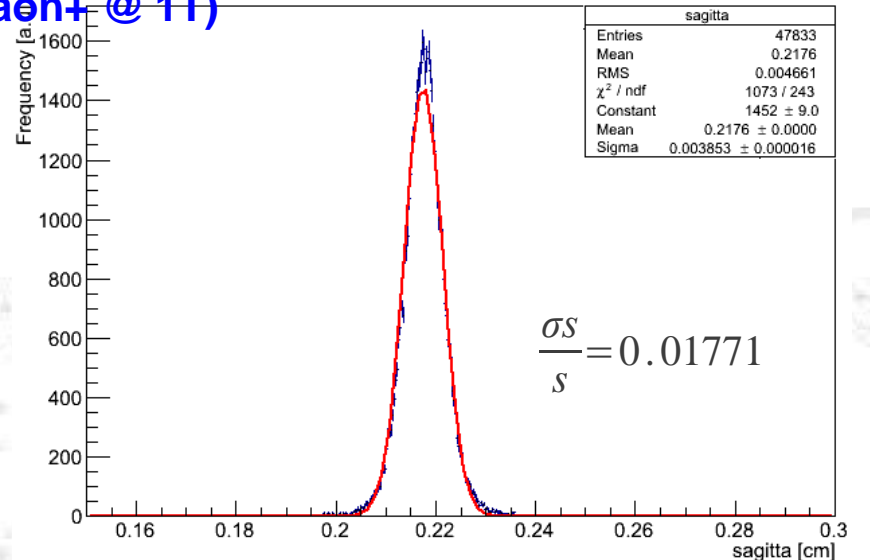
(1GeV pion+ @ 1T)



precision physics



(1GeV kaon+ @ 1T)



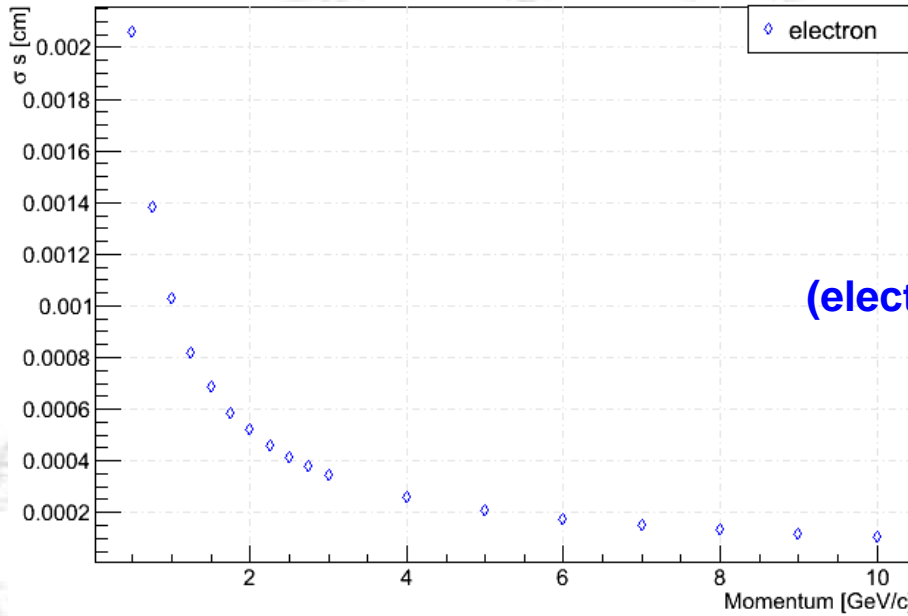


# Simulation works - Momentum resolution

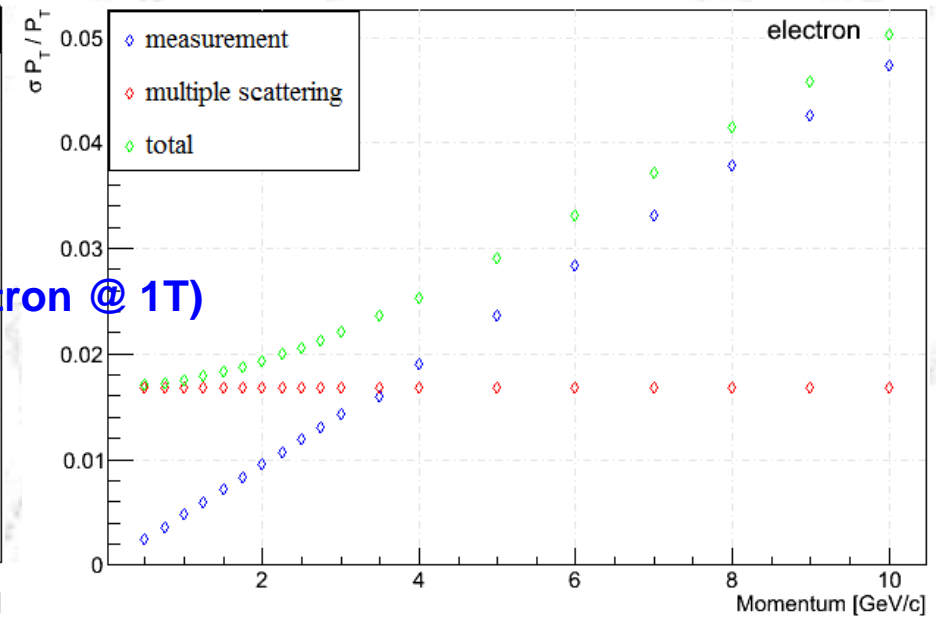
(1GeV @ 1T)

	Measurement [%]	Multiple Scattering term [%]	$\sigma_{P_t} / P_T$ [%]
Positron	0.46	1.67	1.74
Pion+	0.47	1.50	1.57
Kaon+	0.53	1.69	1.77

# Simulation works - Momentum resolution

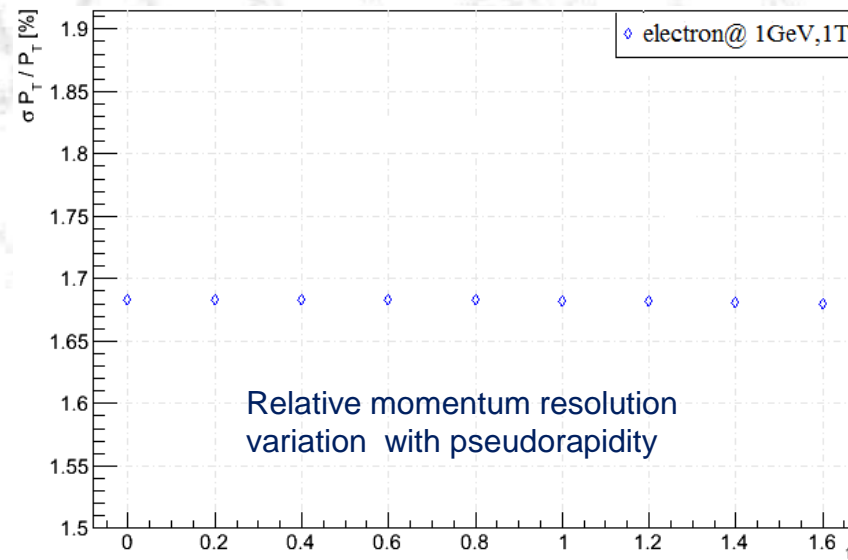


(electron @ 1T)



Sagitta measurement error variation

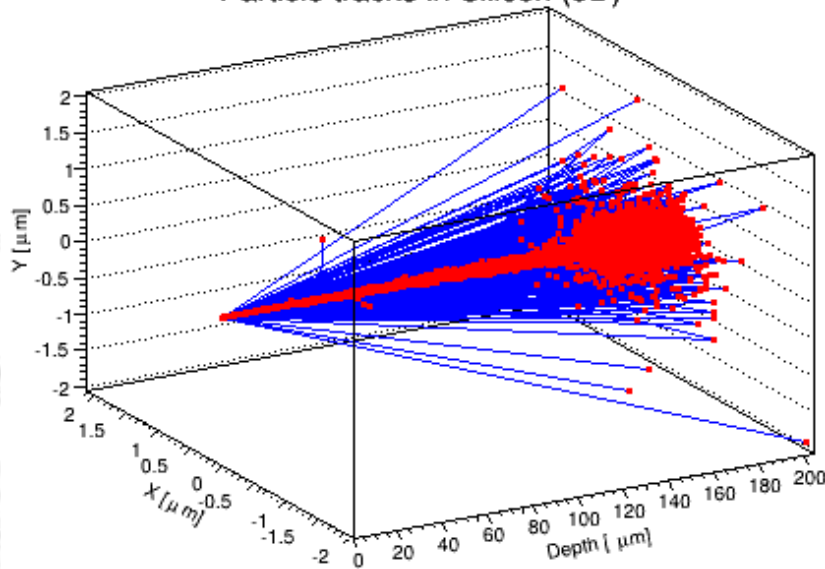
Relative momentum resolution variation



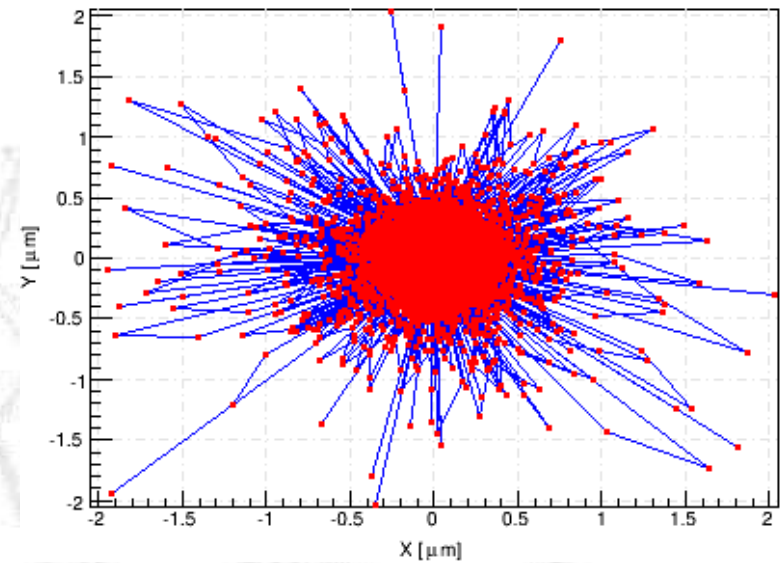
Relative momentum resolution variation with pseudorapidity

# Simulation works – Particle tracks- Energy deposition

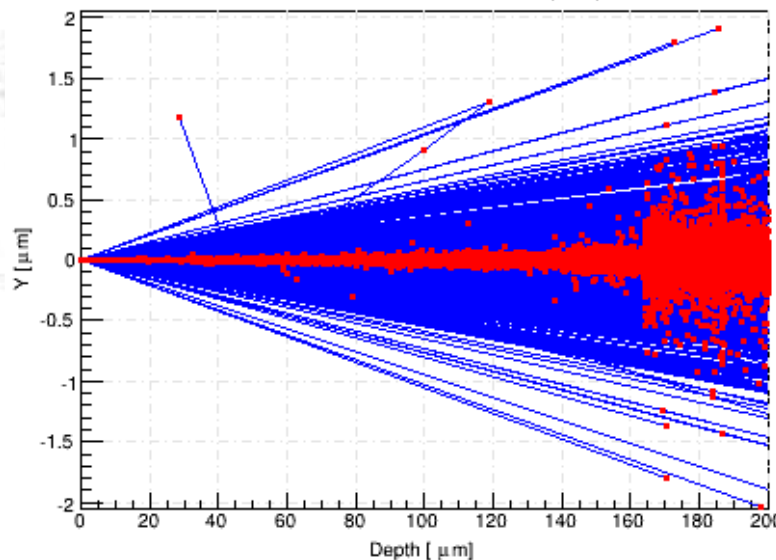
Particle tracks in Silicon (3D)



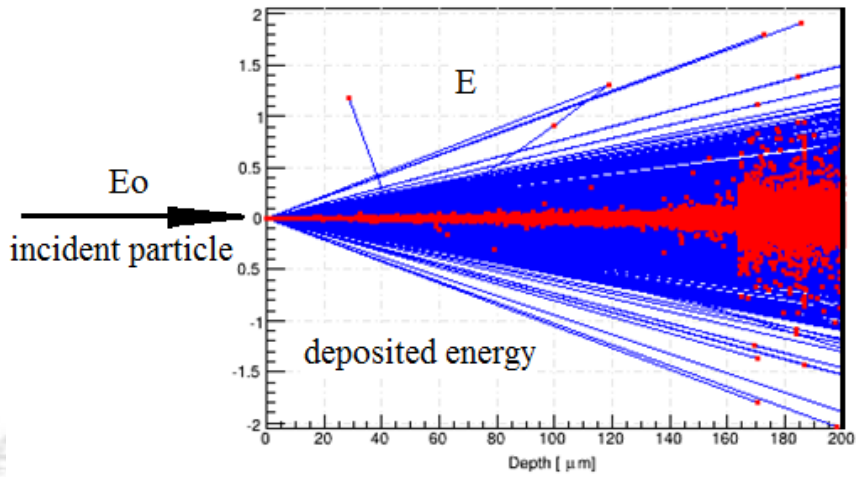
Particle tracks in Silicon (XY)



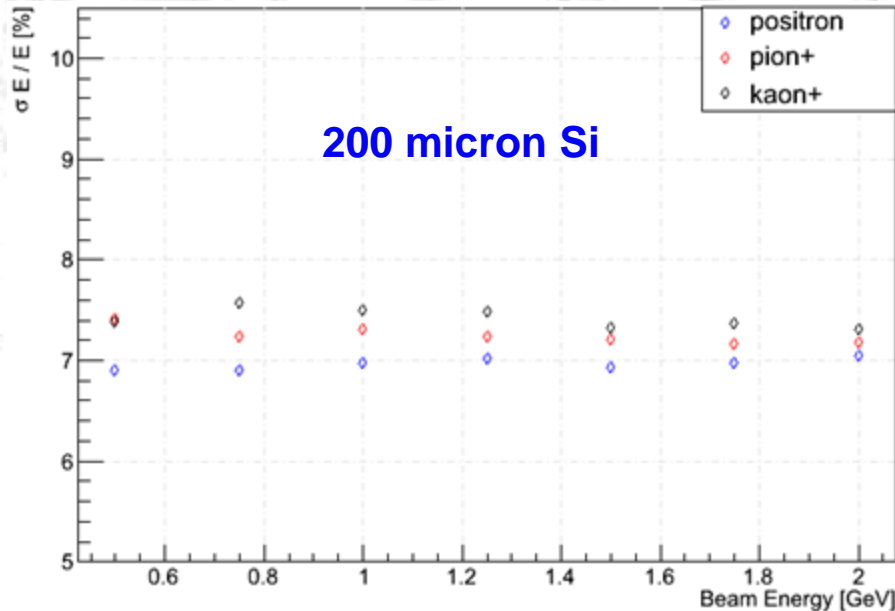
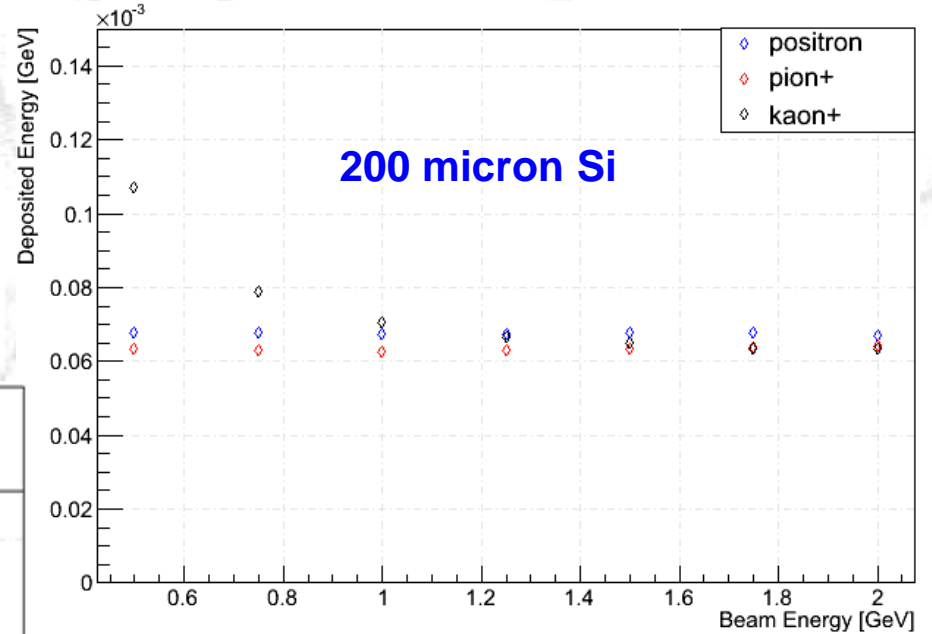
Particle tracks in Silicon (YZ)



# Simulation works - Energy deposition

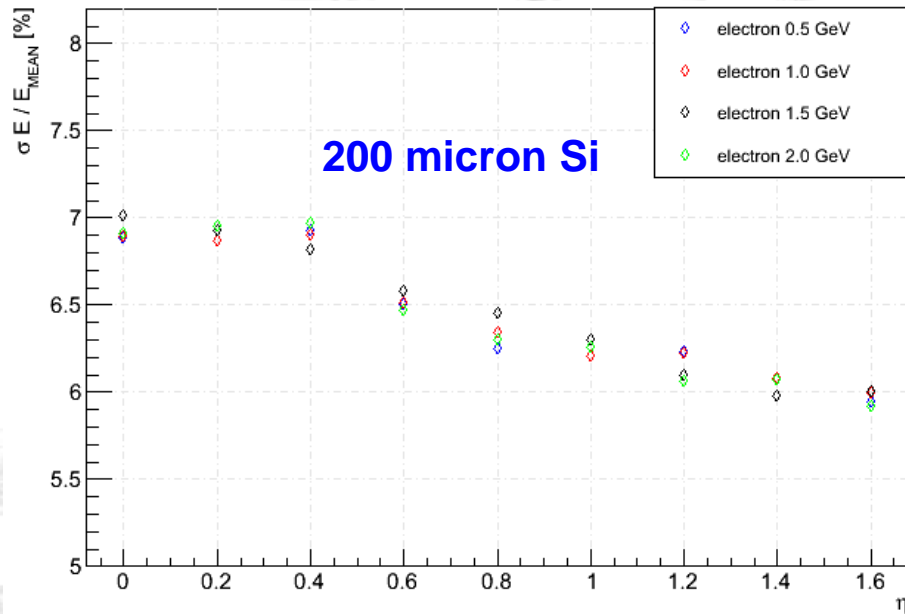


Deposited energy variation with incident particle energy



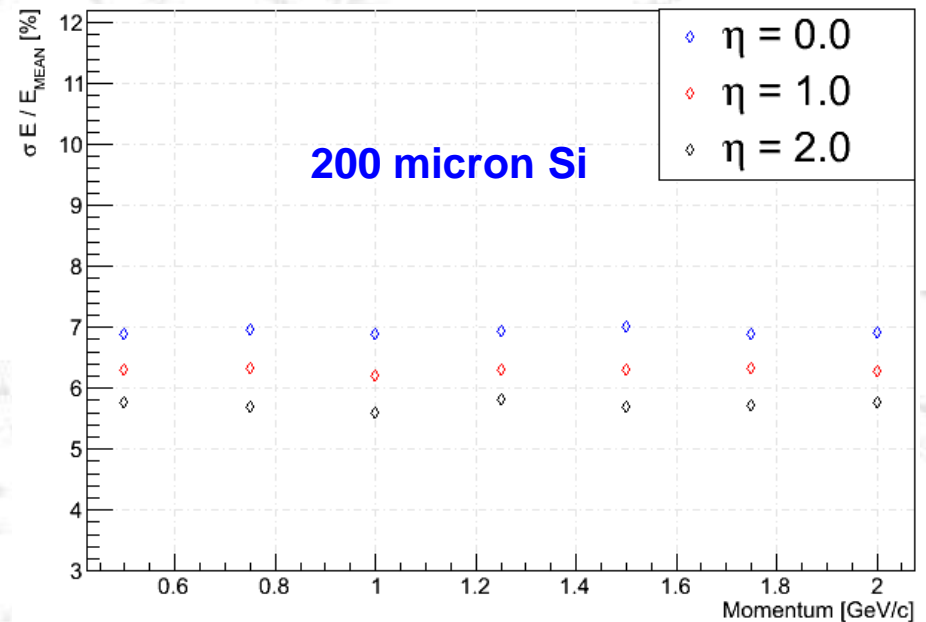
Deposited energy resolution variation with incident particle energy

# Simulation works - Energy deposition

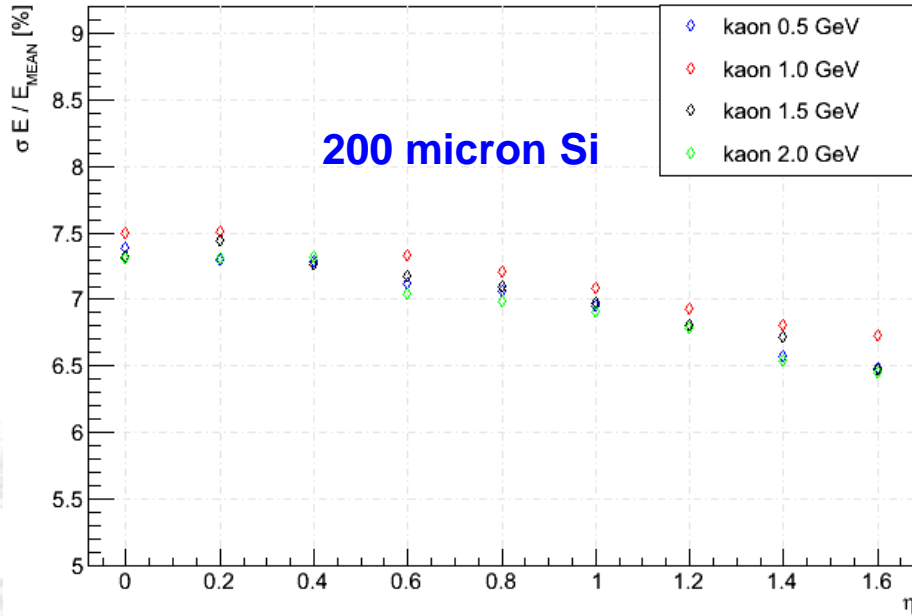


Deposited energy resolution vs  $\eta$  at different electron energies

Deposited energy resolution vs momentum at different  $\eta$ s

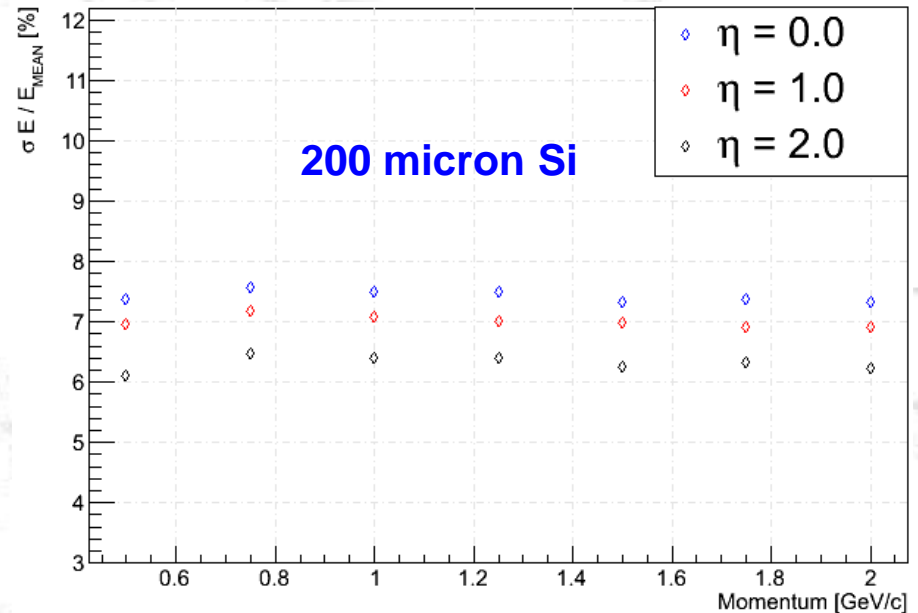


# Simulation works - Energy deposition



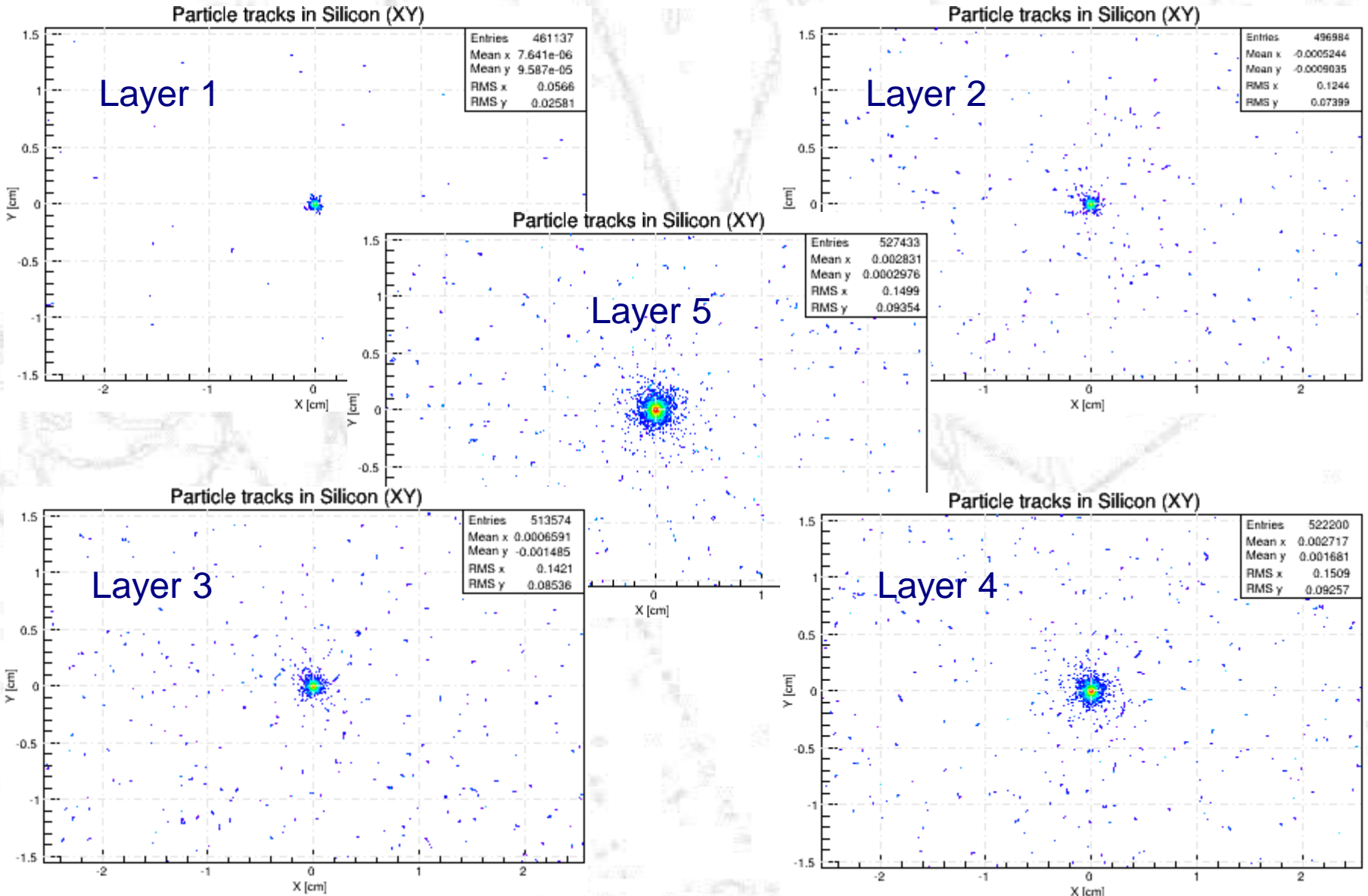
Deposited energy resolution vs  $\eta$   
at different kaon energies

Deposited energy resolution vs momentum  
at different  $\eta$ s

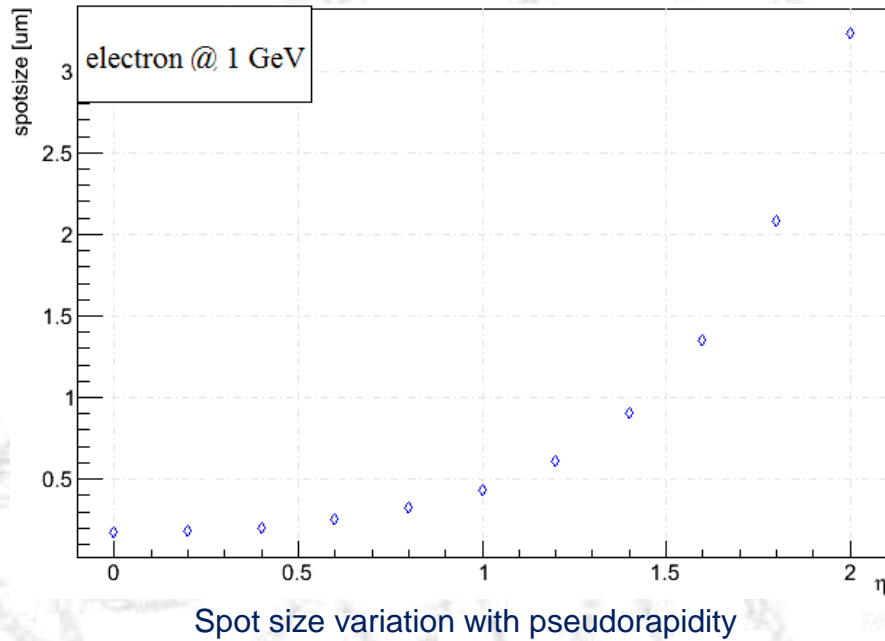




# Simulation works – Particle tracks- Spot size

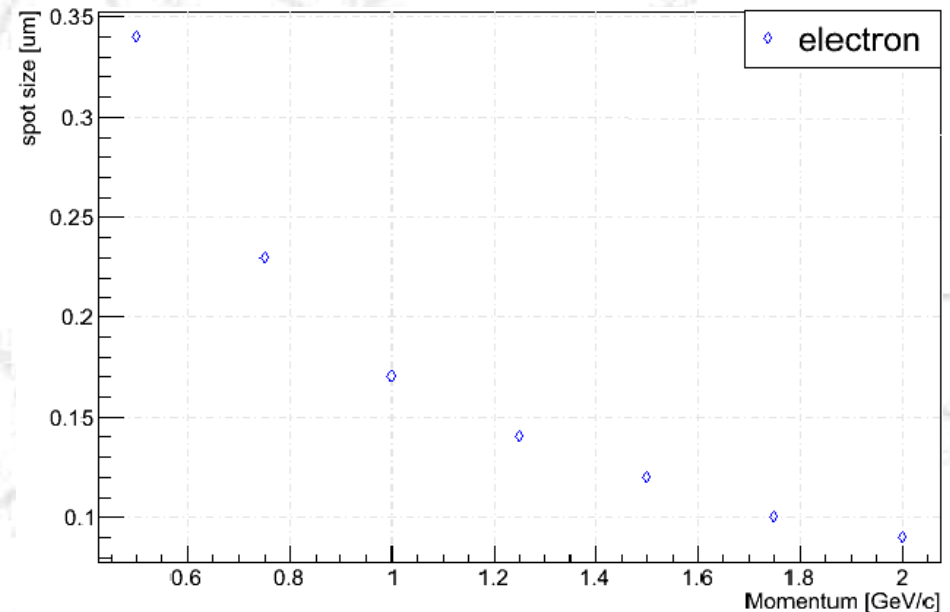


# Spot size

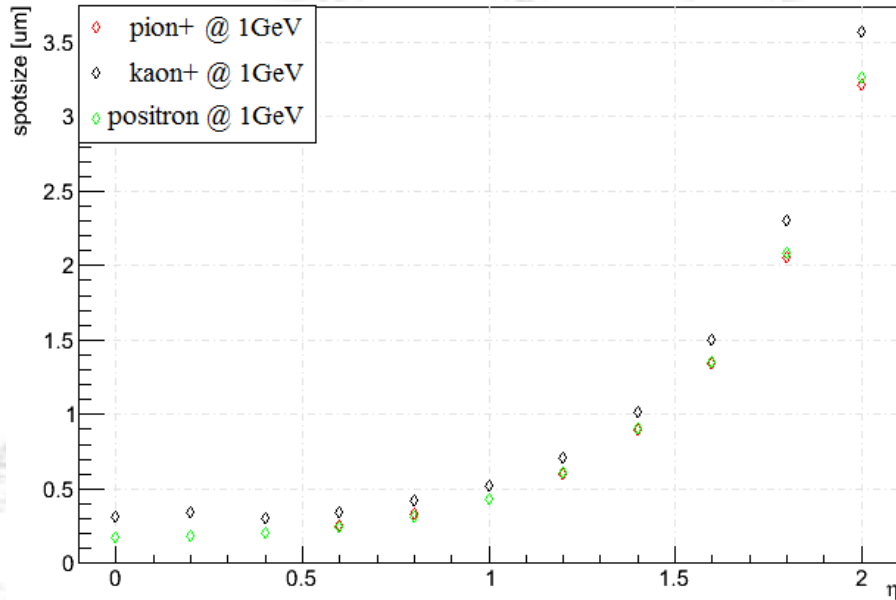


Calculated spot size is the standard deviation of the charged particles path due to the scattering in Si layer.

Spot size variation with incident particle momentum

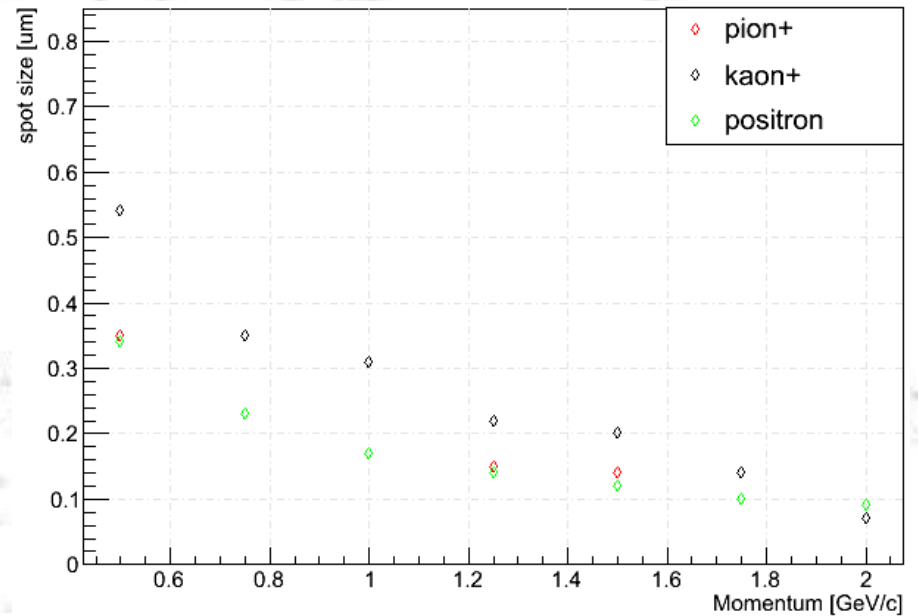


# Spot size



Spot size variation with pseudorapidity for different type charged particles

Spot size variation with incident particles momentum

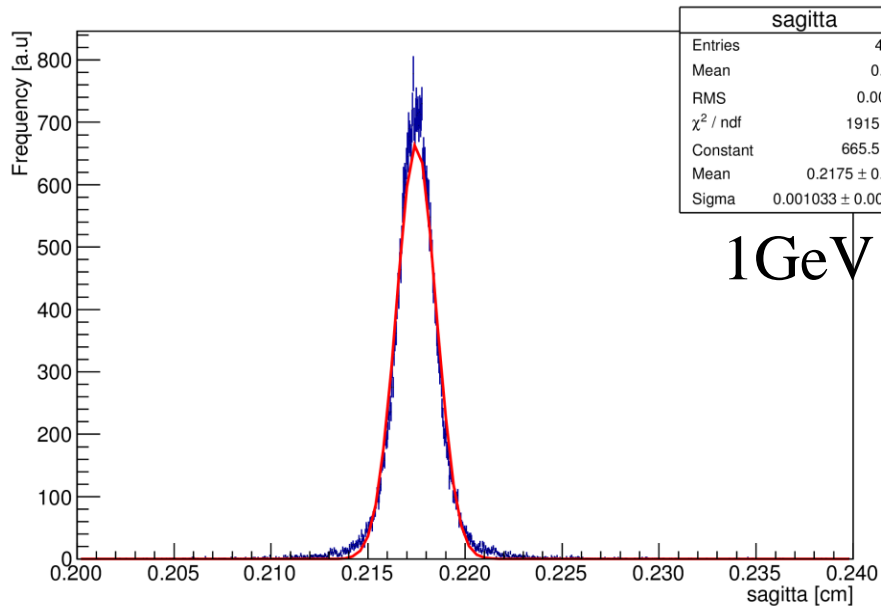


# Conclusion

**Simulation shows for the designed tracker structure with 200 micron Si layer that;**

- **Gives momentum resolution ~ 0.5 % from the measurements  
~ 1.6 % due to the multiple scatt.**
- **Energy deposition rate is OK for the energy loss measurements  
and energy resolution ~ 7 % up to 2 GeV  
gets better with increasing  $\eta$**
- **As the calculated spot sizes small, the proposed pitch width  
of 50 micron would be fine below 2 GeV.**

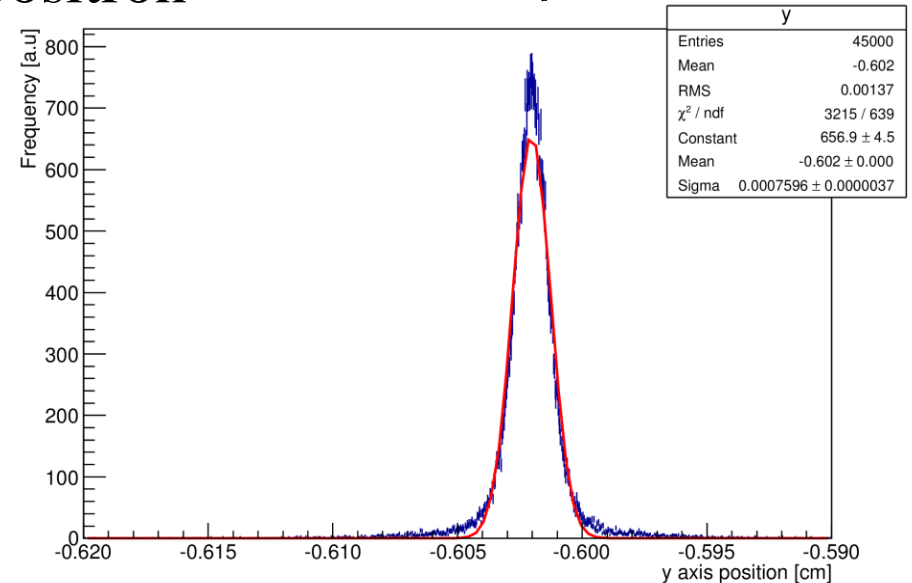
# Sigma s-sigma y



1 GeV positron

$$\sigma_s = 10.3 \mu\text{m}, \sigma_y = 7.6 \mu\text{m}$$

$$\sigma_s = \sigma_y \sqrt{\frac{3}{2}}$$



$$\sigma = \frac{d}{\sqrt{12}}$$

$\sigma$ ; Spot size

d ; the width of the pitch that would record the signal