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Search for CP Violation in Charm at the B-Factories

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Outline



Introduction to CP Violation (CPV) in Mesons

Experimental observation of CPV in Charm meson decays

Measurements of CPV in Charm decays

- ▶ **Indirect CPV and mixing in two-body decays**
- ▶ **Direct CPV in two-body decays**
 - **Interference between tree-level and penguin-level amplitudes in singly Cabibbo-suppressed decays.**
 - **Interference between Cabibbo-favored and doubly Cabibbo-suppressed amplitudes.**
- ▶ **Direct CPV in three-body singly Cabibbo-suppressed decays**

Conclusions

CP Violation in Decays of Mesons

✱ CP Violation in decay to final states f and \bar{f}

$$|A_f| \neq |\bar{A}_{\bar{f}}|$$

Two amplitudes with different weak and strong phases

$$A_{CP} = \frac{|A_f|^2 - |\bar{A}_{\bar{f}}|^2}{|A_f|^2 + |\bar{A}_{\bar{f}}|^2}$$

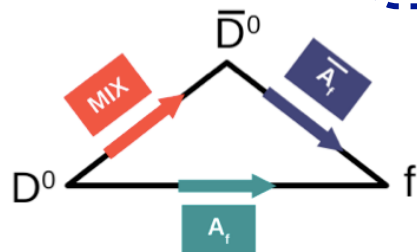
✱ CP violation in mixing if

$$r_m = |q/p| \neq 1$$

Probability of $D^0 \rightarrow \bar{D}^0$ is different than CP conjugate $\bar{D}^0 \rightarrow D^0$

$$|D_{1,2}^0\rangle = p|D^0\rangle \pm q|\bar{D}^0\rangle \quad \left(\frac{q}{p}\right)^2 = \frac{M_{12}^* - \frac{1}{2}\Gamma_{12}^*}{M_{12} - \frac{1}{2}\Gamma_{12}}$$

✱ CP violation in the *interference* between the decay with and without mixing if $\phi_f \neq 0$



$$\lambda_f = \frac{q}{p} \frac{\bar{A}_f}{A_f} = \left| \frac{q}{p} \frac{\bar{A}_f}{A_f} \right| \exp[i(\delta_f + \phi_f)]$$

strong + weak phase

D meson Decays

* Three types of D meson decays

➔ Cabibbo-favored

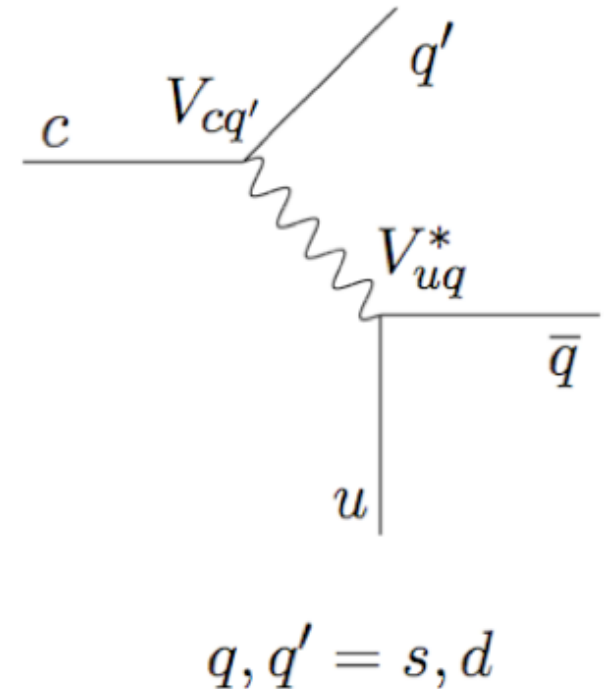
- ▶ examples: $D^0 \rightarrow K^- \pi^+$, $D^+ \rightarrow K^- \pi^+ \pi^+$
- ▶ $A_T \sim |V_{cs} V_{ud}|$

➔ singly Cabibbo-suppressed (SCS)

- ▶ examples: $D^0 \rightarrow K^+ K^-$, $D^0 \rightarrow \pi^+ \pi^-$, $D^+ \rightarrow K^+ K^- \pi^+$
- ▶ $A_T \sim |V_{cd} V_{ud}|, |V_{cs} V_{us}|$

➔ doubly Cabibbo-suppressed (DCS)

- ▶ $D^0 \rightarrow K^+ \pi^-$
- ▶ $A_T \sim |V_{cd} V_{us}|$



Why search for CP Violation in Charm Decays?

- CP-violating asymmetries in charm decays provide a unique probe for physics beyond the Standard Model (SM)
- Standard Model charm physics is CP conserving to first order approximation.
- CP-violating asymmetries in charm are small.
- New Physics can enhance CP violating observables.

Wolfenstein parameterization of the CKM matrix

Standard Model: CP Violation arises from KM phase in CKM quark mixing matrix

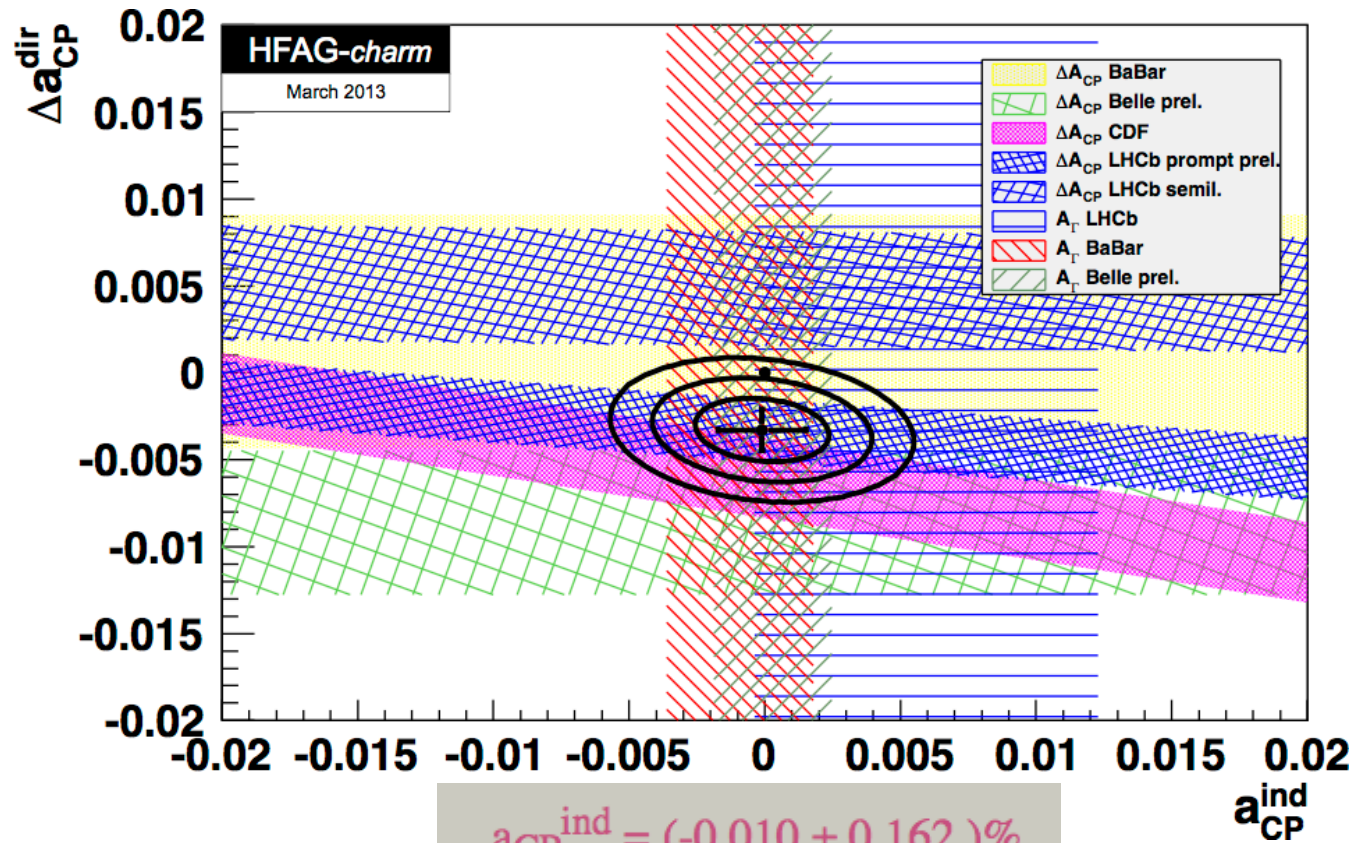
$$V = \begin{bmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda & A\lambda^3(\rho - i\eta + \frac{1}{2}\eta\lambda^2) \\ -\lambda & 1 - \frac{1}{2}\lambda^2 - i\eta A^2\lambda^4 & A\lambda^2(1 + i\eta\lambda^2) \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{bmatrix}$$

Charm Mesons:

- CP Violation is CKM suppressed at 10^{-3} or less.

$$\lambda = 0.22$$

Experimental Situation



Current data consistent with no CPV at 2.1% CL

*Is this an observation of new physics? No straightforward answer, could be SM or NP.
More measurements with greater precision required!*

Measurements in Charm Decays

- * Precision measurements of the lifetimes of neutral D^0 meson two-body decays -- indirect CPV and mixing.

$$y_{CP} = \frac{\text{Mixing } \Gamma^+ + \bar{\Gamma}^+}{2\Gamma} - 1 \qquad \Delta Y = \frac{\text{CP Violation } \Gamma^+ - \bar{\Gamma}^+}{2\Gamma}$$

- * Direct CPV measurements in two-body SCS decays probe the interference between tree-level and penguin-level amplitudes.
 - ▶ Separate direct CPV contribution from D^0 two-body decays to CP-even eigenstates.
 - ▶ SCS decays with K_S^0 in final state - direct CPV compared with contribution from indirect CPV in K^0 mixing.
- * Direct CPV probing the interference between DCS and CF charged $D_{(S)}$ decays with K_S in the final state. Compare to expected SM CP violation from neutral Kaons.

Direct CPV can only arise due to an additional phase from New Physics
- * Direct CPV exploiting final state interactions in 3-body decays. Measure asymmetries as a function of position on the **Dalitz plot (3-body)**.

D^0 Mixing and CP Violation Observables

Mixing and CP violation observables are obtained from the partial widths of the decays:

$$D^0(\bar{D}^0) \rightarrow h^+h^-, h^\pm = K^\pm, \pi^\pm$$

Mixing	CP Violation
$y_{CP} = \frac{\Gamma^+ + \bar{\Gamma}^+}{2\Gamma} - 1$	$\Delta Y = \frac{\Gamma^+ - \bar{\Gamma}^+}{2\Gamma}$

$$\Delta Y = (1 + y_{CP}) A_\Gamma \qquad A_\Gamma = \frac{\Gamma^+ - \bar{\Gamma}^+}{\Gamma^+ + \bar{\Gamma}^+}$$

CP Eigenstates

Γ^+ is the width of the decay to $D^0 \rightarrow CP^+$

$\bar{\Gamma}^+$ is the width of the decay to $\bar{D}^0 \rightarrow CP^+$

- ▶ Mixing appears when the width of CP eigenstates differs from the flavor (CP-mixed) eigenstates, CF and DCS decays $D^0 \rightarrow K^+\pi^+$.
- ▶ CP is violated if the width for D^0 and \bar{D}^0 differs when decaying to the same CP eigenstate.
- ▶ The flavor (CP-mixed) eigenstates $D^0 \rightarrow K^+\pi^+$ are assumed to be described by the average lifetime Γ .

D^0 decays to CP-even Eigenstates K^+K^- , $\pi^+\pi^-$

Experimentally we measure the lifetimes of CP-even and CP-mixed eigenstates.

Experimental assumptions:

- (i) small mixing ($|x|, |y| \ll 1$) proper time distributions are exponential with corresponding effective lifetimes to very good approximation.
- (ii) not sensitive to direct CPV and weak phase does not depend on final state \rightarrow KK and $\pi\pi$ share the same common effective lifetime. [PRD 80, 076008 (2009)]

Effective lifetimes - measured quantities

$$\begin{aligned}\tau^+ &= \tau(D^0 \rightarrow h^+ h^-) \\ \bar{\tau}^+ &= \tau(\bar{D}^0 \rightarrow h^+ h^-) \\ \tau_D &= \tau(D^0 \rightarrow K^\mp \pi^\pm) \\ h^\pm &= K^\pm, \pi^\pm\end{aligned}$$

$$\begin{aligned}\text{Mixing: } y_{CP} &= \frac{\tau_D}{2} \left(\frac{1}{\tau^+} + \frac{1}{\bar{\tau}^+} \right) - 1 \\ \text{CP Violation: } \Delta Y &= \frac{\tau_D}{2} \left(\frac{1}{\tau^+} - \frac{1}{\bar{\tau}^+} \right)\end{aligned}$$

If CP is conserved $y_{CP} \equiv y$ and $\Delta Y = A_\Gamma = 0$

Tagged Candidates $D^* \rightarrow D^0 \pi_s$, sample purities > 98%

- ▶ Slow pion reconstructed and D^0 decays selected with two dimensional cut $[m(D^0), q]$

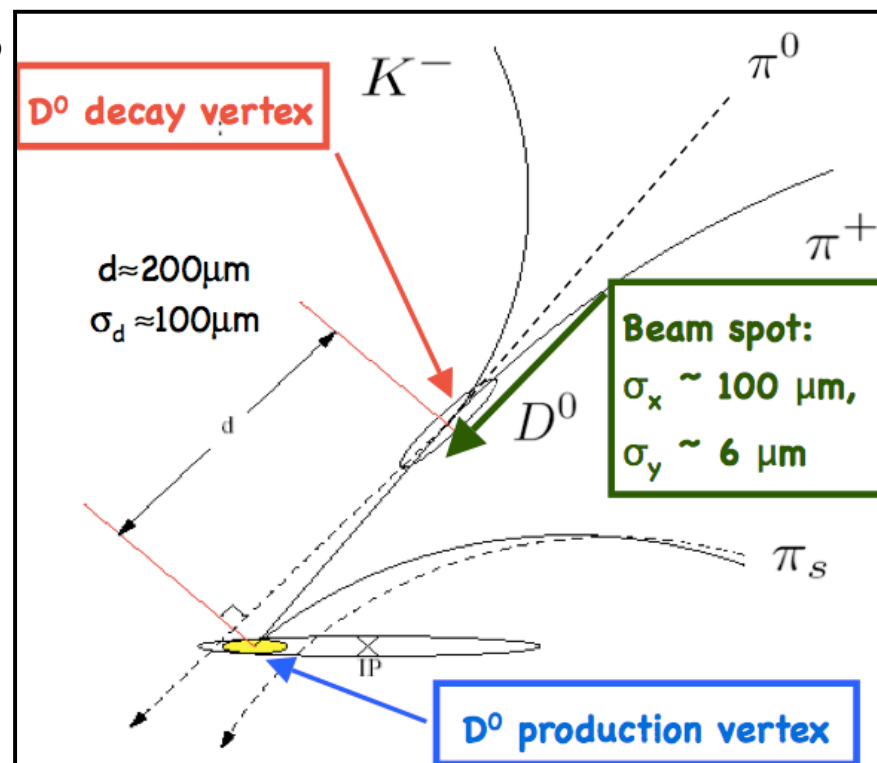
$$q = (M_D^* - M(h^+ h^-) - m_\pi) c^2$$

Untagged $D^0 \rightarrow K^+ K^-$, $K^\mp \pi^\pm$ candidates with sample purities ~ 75%.

- ▶ Statistically independent samples used in BaBar analysis to improve sensitivity of y_{CP} and Δy .

Selection of signal events

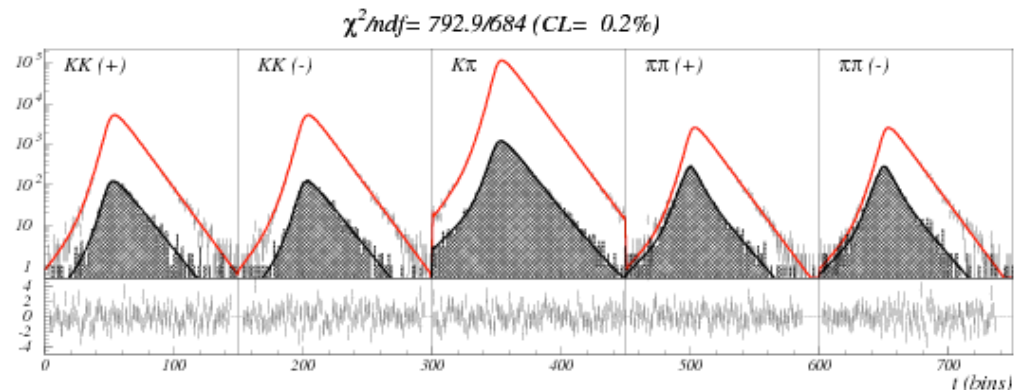
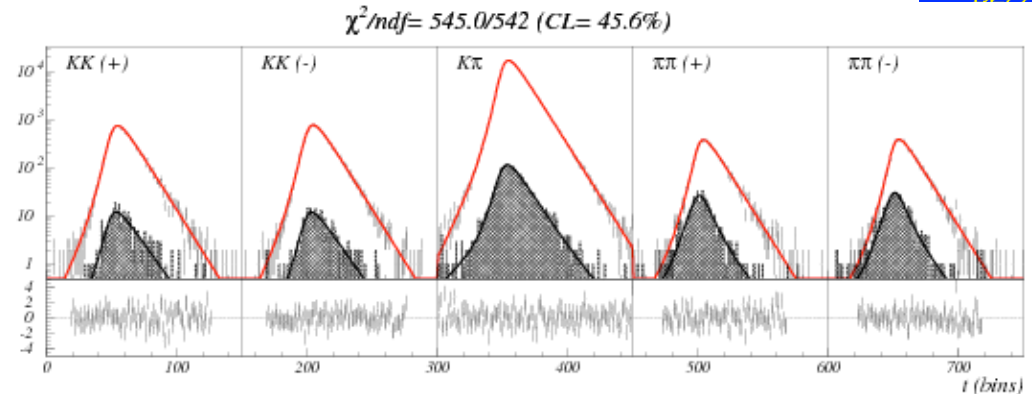
- ▶ remove D from B decays, $p_{CM}(D^0) > 2.5 \text{ GeV}/c$
- ▶ Belle measures D^0 lifetime in intervals of p_{CM} due to resolution function offset. Increase $p_{CM}(D^0) > 3.1 \text{ GeV}/c$ for Y(5S) dataset
- ▶ Vertex fit requirements, Particle ID using Cherenkov detectors.



- ▶ Resolution on proper time adequate for mixing measurements.
- ▶ Decay time uncertainty evaluated event-by-event from error matrices from production and decay vertices

arXiv: 1212.3478

- Belle uses tagged decays
- Full dataset 976 fb⁻¹
- Many systematics cancel in the relative lifetime measurements.
- Measured in intervals of the D⁰ center-of-mass polar angle due to resolution function offset dependence.



$$D^{*+} \rightarrow D^0 \pi_s^+; D^0 \rightarrow K^+ K^-$$

$$D^{*+} \rightarrow D^0 \pi_s^+; D^0 \rightarrow \pi^+ \pi^-$$

$$D^{*+} \rightarrow D^0 \pi_s^+; D^0 \rightarrow K^- \pi^+, K^+ \pi^-$$

$$y_{CP} = (+1.11 \pm 0.22 \pm 0.11)\%$$

$$A_{\Gamma} = (-0.03 \pm 0.20 \pm 0.08)\%$$

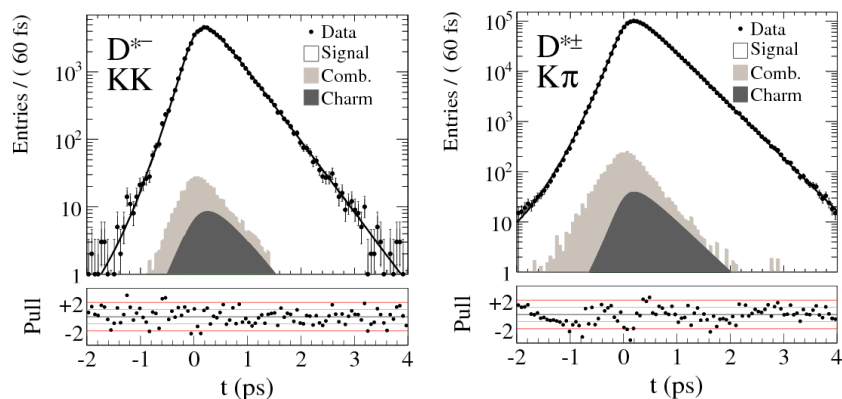
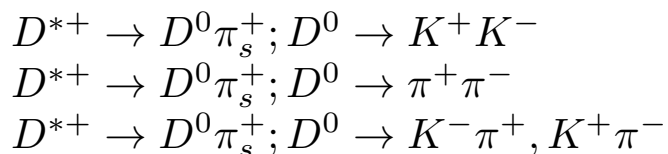
Evidence for mixing at 4.5 σ

BaBar Lifetime Ratio Analysis

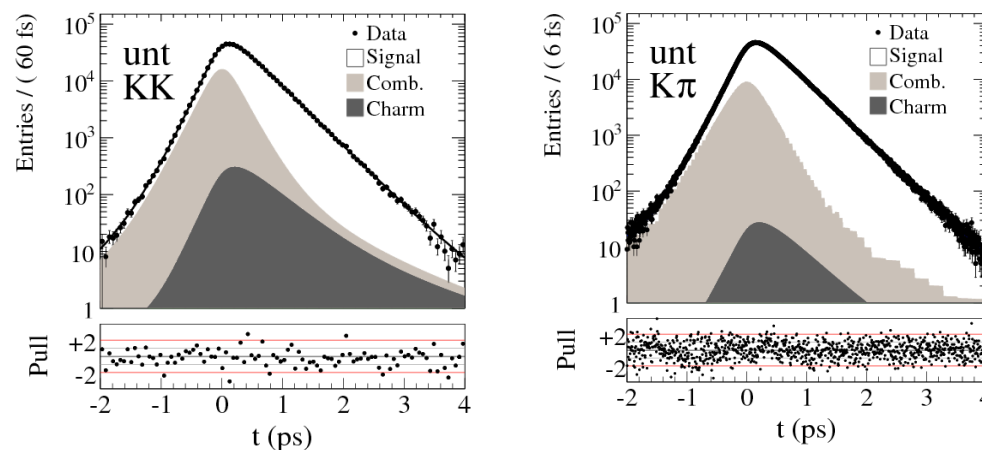
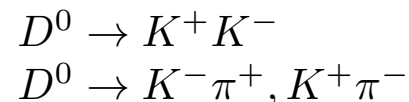
BaBar uses independent datasets of tagged and untagged decays with full dataset 468 fb⁻¹.

Simultaneous fit to all decays both tagged and untagged to measure the lifetime.

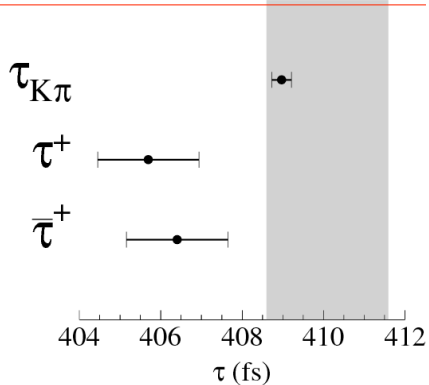
Flavor tagged



Flavor untagged



Measured Lifetimes



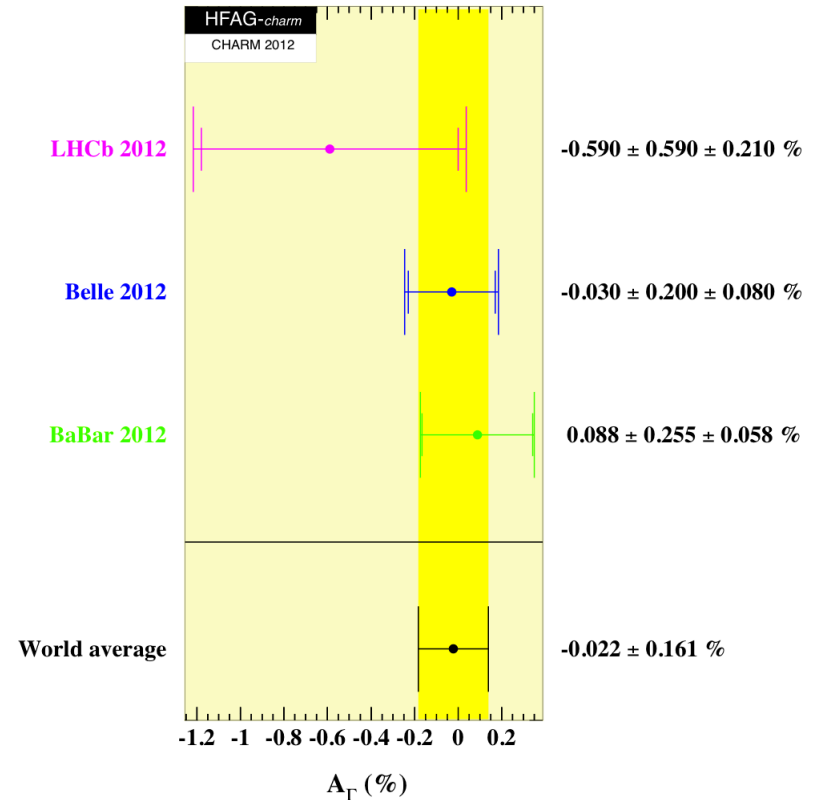
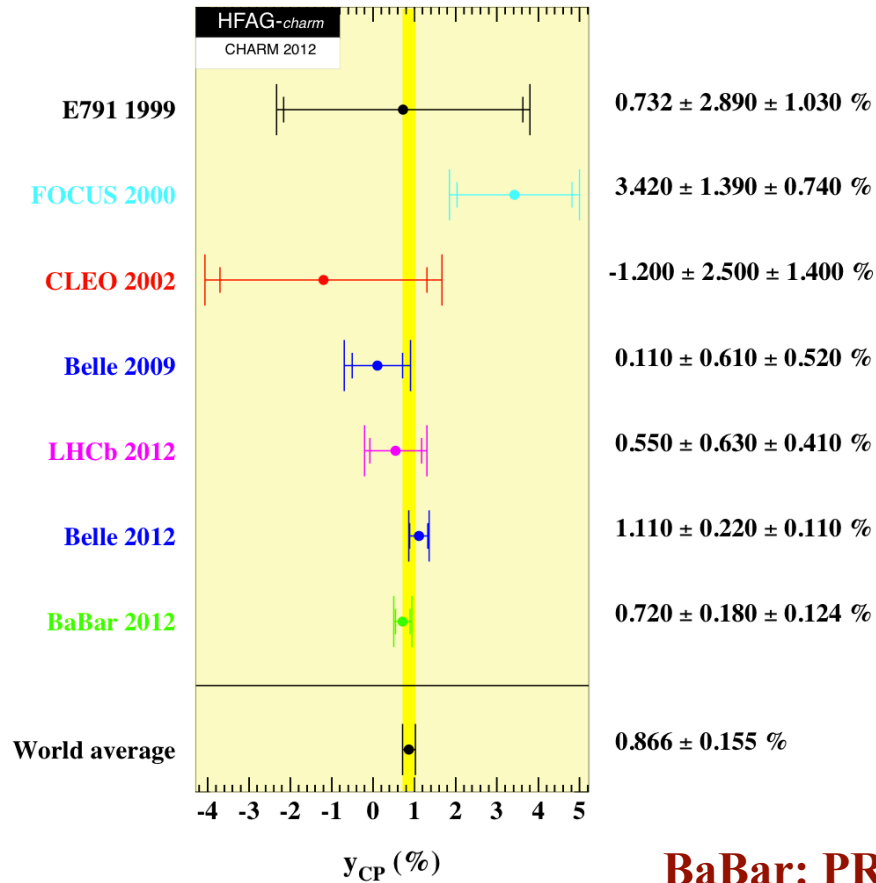
Evidence for mixing at 3.3σ

$$y_{CP} = [0.72 \pm 0.18(\text{stat}) \pm 0.12(\text{syst})]\%$$

$$\Delta Y = [0.09 \pm 0.26(\text{stat}) \pm 0.06(\text{syst})]\%$$

PRD 87, 012004 (2013)

D⁰-D̄⁰ Mixing and CP Violation



BaBar: PRD 87, 012004 (2013)

Belle: arXiv: 1212.3478

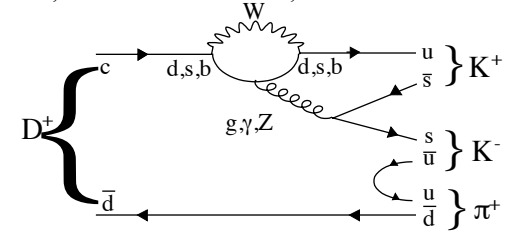
**BaBar has most precise measurement for mixing parameter y_{CP} .
BaBar central value is closer to zero.**

Direct CP Violation



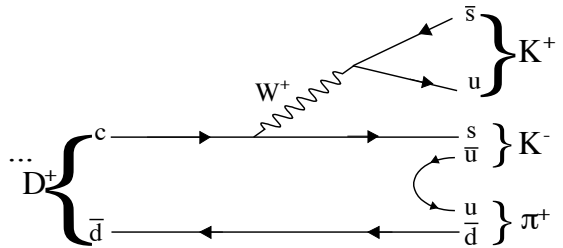
Direct CPV due to interference of CF and DCS decays

- ▶ Direct CPV is evidence of NP in interference between CF and DCS amplitudes in $D^\pm \rightarrow K_{S,L}\pi^\pm$ and $D_s \rightarrow K_{S,L}K^\pm$
- ▶ Single weak phase in SM, therefore expect NO CPV
- ▶ SM contribution due to K^0 mixing $A_{SM} \sim 3.3 \times 10^{-3}$
- ▶ Experimental uncertainties at sub percent level



Direct CPV in SCS decays

- ▶ $D^\pm \rightarrow K^+K^-\pi^\pm$, $D^0 \rightarrow h^+h^-\pi^0$, $D^\pm \rightarrow K_S K^\pm$, $D_s \rightarrow K_S \pi^\pm$, $D^0 \rightarrow K^+K^-$, $D^0 \rightarrow \pi^+\pi^-$, decays with η ...
- ▶ SCS decays are unique - probe gluonic penguin operators.
- ▶ CP asymmetry generated from interference of tree-level and penguin-level amplitudes.
- ▶ In SM effects up to 10^{-3} may be observable with NP models generating $\sim 10^{-2}$.
- ▶ Source of new physics most likely contributes to decay via loop-diagrams.



Grossman, Kagan, Nir PRD 75, 036008 (2007)

$$A(D \rightarrow f) \equiv A_f = |A_1| e^{i\delta_1} e^{i\phi_1} + |A_2| e^{i\delta_2} e^{i\phi_2}, \quad \Delta\delta \neq 0, \Delta\phi \neq 0$$

$$A_{CP} = \frac{|A_f|^2 - |\bar{A}_{\bar{f}}|^2}{|A_f|^2 + |\bar{A}_{\bar{f}}|^2} = \frac{2|A_1 A_2| \sin(\delta_2 - \delta_1) \sin(\phi_2 - \phi_1)}{|A_1|^2 + |A_2|^2 + 2A_1 A_2 \cos(\delta_2 - \delta_1)}$$

D⁰ decays to CP-even Eigenstates K⁺K⁻, π⁺π⁻

For final CP eigenstates, indirect CPV is universal.
Difference in time-integrated CP asymmetry separates non-universal direct CPV contribution.

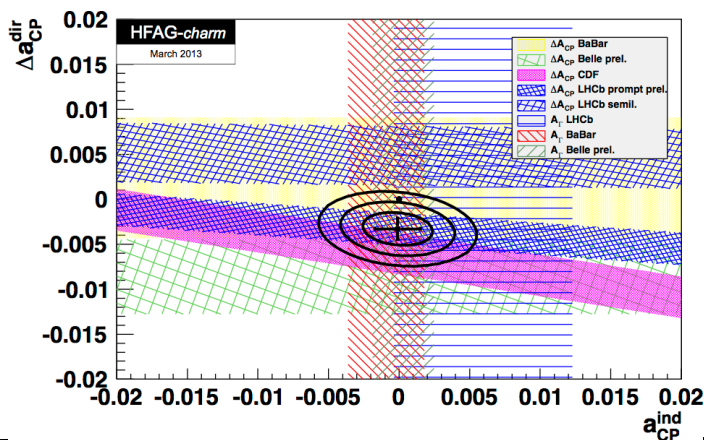
$$\Delta A_{CP}^{direct} = A_{CP}(K^+K^-) - A_{CP}(\pi^+\pi^-)$$

HFAG world average: $\Delta A_{CP} = (-0.329 \pm 0.121)\%$

LHCb D⁰ production modes : (1) inclusive semileptonic b-hadron decays (2) direct production of charm D^{*+}→D⁰π_s

Measurement (1): $\Delta A_{CP} = (0.49 \pm 0.30 \pm 0.14)\%$ [arXiv 1303.2614]

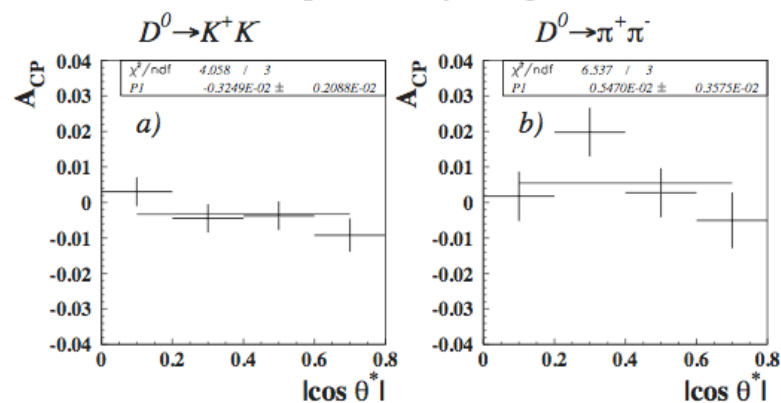
Measurement (2): $\Delta A_{CP} = (-0.34 \pm 0.15 \pm 0.10)\%$ [LHCb-CONF-2013-003]



Belle (ICHEP 2012 976 fb⁻¹)
[arXiv: 1212.5320]

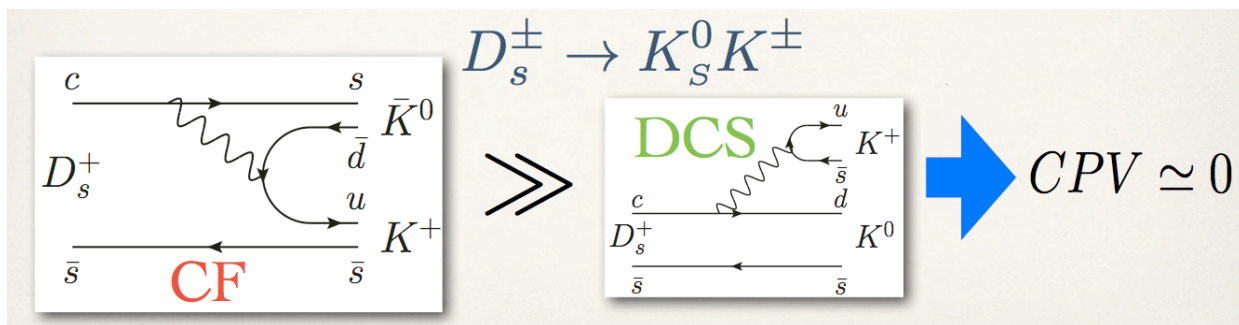
$$\Delta A_{CP} = -0.87 \pm 0.41 \pm 0.06$$

Belle preliminary using 976/fb



CPV from K^0 mixing

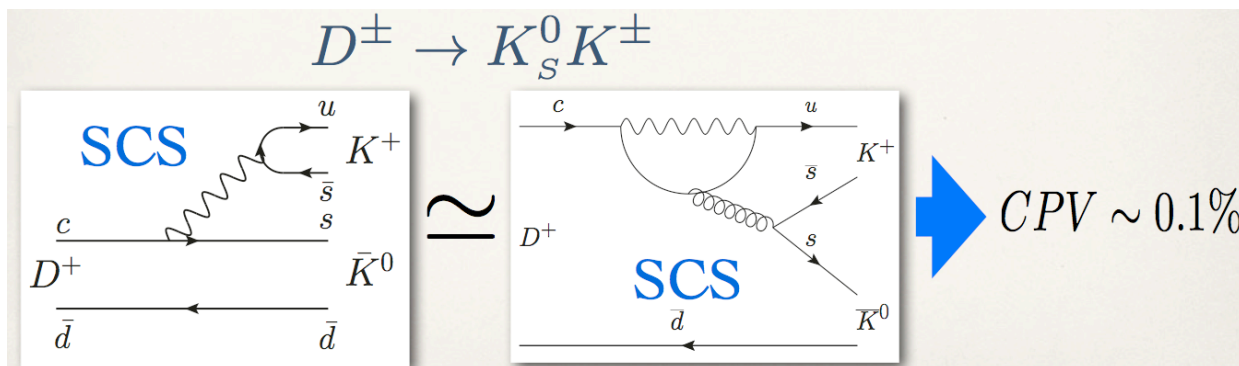
$$A_{CP} = \frac{\mathcal{B}(D_{(s)}^+ \rightarrow K_S^0(\pi^+, K^+)) - \mathcal{B}(D_{(s)}^- \rightarrow K_S^0(\pi^-, K^-))}{\mathcal{B}(D_{(s)}^+ \rightarrow K_S^0(\pi^+, K^+)) + \mathcal{B}(D_{(s)}^- \rightarrow K_S^0(\pi^-, K^-))}$$



$$D_s^\pm \rightarrow K_S^0 K^\pm$$

$$D_s^\pm \rightarrow K_S^0 \pi^\pm$$

Proceeds through CF and DCS transitions.
CF dominates - single phase and no SM CPV.



$$D_s^\pm \rightarrow K_S^0 \pi^\pm$$

$$D^\pm \rightarrow K_S^0 K^\pm$$

No CF transition - amplitude for tree-level and penguin level are comparable.
Penguin amplitude has relative weak phase to tree-amplitude - relevant interference.

CPV contribution from K^0 mixing [PDG 2012]: + (-) 0.332 ± 0.006 % when K^0 (\bar{K}^0) in final state.

$A_{CP}^{D^+ \rightarrow K_S^0 \pi^+}$ Belle has most precise measurement for direct CPV in charm. All channels analyzed by BaBar and Belle. Results consistent with CPV from K^0 mixing.

Search for CPV in presence of indirect CPV from K^0 mixing

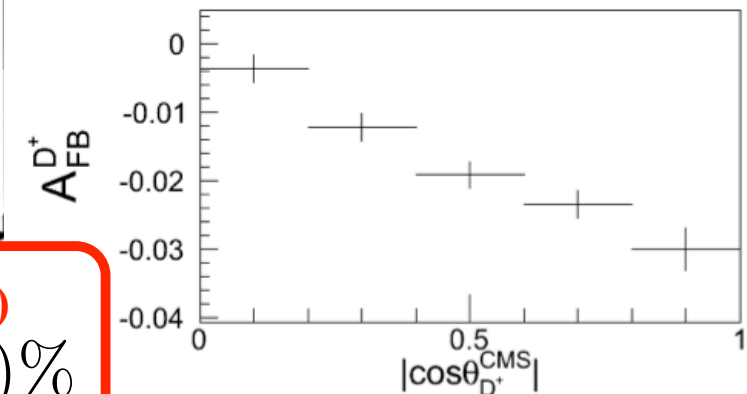
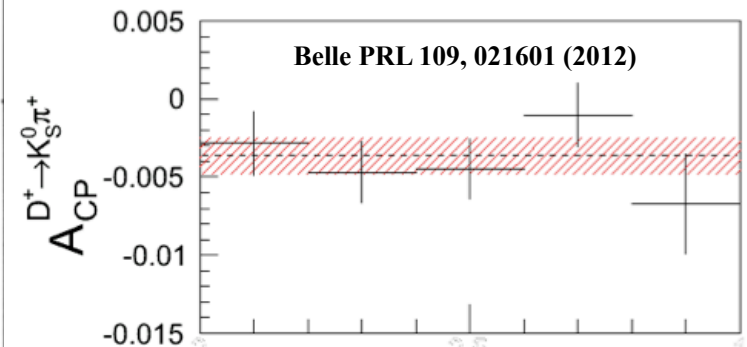
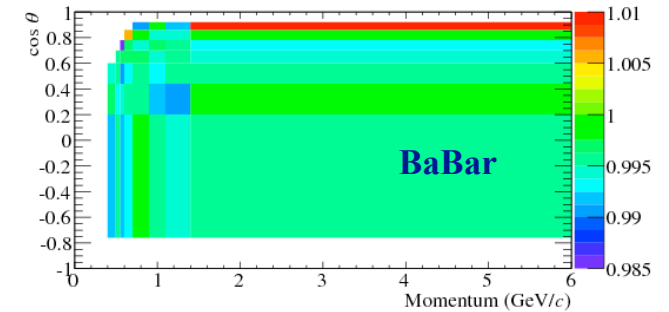
$$A_{rec}^{D_{(s)}^{\pm} \rightarrow K_S^0 h^{\pm}} = \frac{N_{rec}^{+} - N_{rec}^{-}}{N_{rec}^{+} + N_{rec}^{-}}$$

Reconstructed asymmetry A_{rec} contributions:

- (1) CPV from the decay of the charm meson - what we want to measure
- (2) CPV in the K^0 system, depends on the K_S^0 lifetime [Grossman and Nir, JHEP 4 (2012), 2]
- (3) Production asymmetry of the D meson, odd as a function of the D meson polar angle in the center-of-mass. Extract directly by measuring reconstructed asymmetry in intervals of the polar angle.
- (4) Detection asymmetry of the π^{\pm} or the K^{\pm} . Corrected from the detection efficiency measured from high-statistics control samples.
- (5) Dilution asymmetry from different nuclear cross-sections.

$$A_{CP}^{D^+ \rightarrow K_S^0 \pi^+} = (-0.363 \pm 0.094 \pm 0.067)\% \quad \text{Belle } 977 \text{ fb}^{-1} \text{ PRL } 109, 021601 \text{ (2012)}$$

Map of charged particle reconstruction correction



Direct CPV Searches in Dalitz plot decays

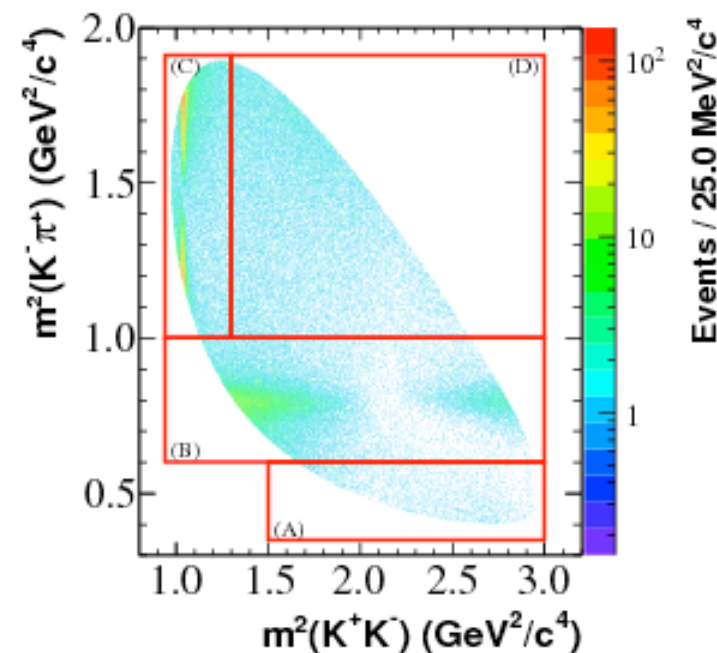
Decouple localized and DP-integrated A_{CP}

CP asymmetry can be:

- ➔ Localized in a specific part of the Dalitz plot.
- ➔ Integrated over the entire phase space.

The two must be decoupled:

- ➔ Obtain phase-space integrated asymmetry.
- ➔ Model independent techniques require normalizing D^+ and D^- events to have same integrated yield. Measure the ratio of efficiency corrected yields R .
- ➔ Model dependent - measure asymmetry in a particular resonance. Magnitudes / phases w.r.t. to one resonance, e.g. $K^*(892)$



Probing for direct CPV with SCS Dalitz plot decays take advantage of final state interactions.

Final state interactions can affect / produce amplitudes of resonances and strong phases.

Important for CP violation studies since small NP CP phases can be enhanced in localized regions of Dalitz plot and differential observables can shed light on the mechanisms at play.

Direct CPV in $D^{\pm} \rightarrow K+K^{-}\pi^{\pm}$



As with two-body measurements, phase-space integrated direct CPV measured as function of the production angle.

- ▶ A_{rec} has several contributions: A_{FB} , $A_{K,\pi}$, ... additional asymmetries must be accounted for.

Analysis techniques of BaBar and Belle - complementary but different

- ▶ Belle uses larger dataset of SCS and CF decays to search for CPV in $D^{\pm} \rightarrow \phi\pi^{\pm}$.
- ▶ Belle measures asymmetry difference between the SCS decay $D^{\pm} \rightarrow \phi\pi^{\pm}$ and the CF decay $D_s^{\pm} \rightarrow \phi\pi^{\pm}$.

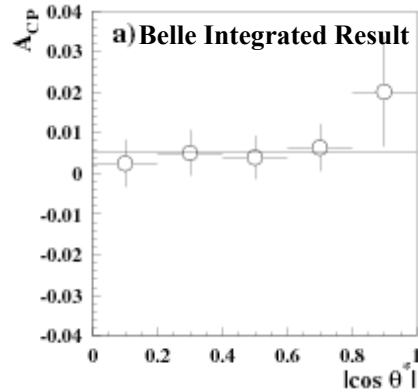
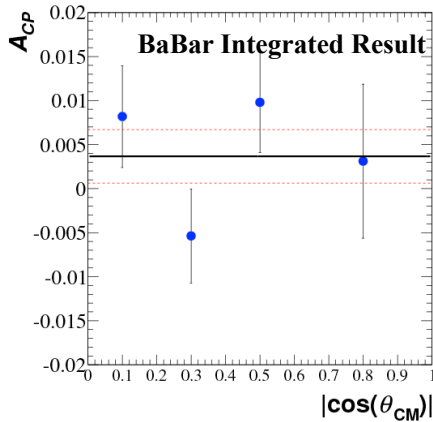
$$\Delta A_{rec} = \frac{N(D^+) - N(D^-)}{N(D^+) + N(D^-)} - \frac{N(D_s^+) - N(D_s^-)}{N(D_s^+) + N(D_s^-)}$$

- ▶ BaBar measures phase-space integrated A_{CP} and searches for CPV in localized regions of the Dalitz plot and the resonances.
- ▶ BaBar measures asymmetry from efficiency-corrected yields and relies on the reconstruction efficiency determined from phase-space generated Monte Carlo (MC) events, correcting for additional asymmetries not accurately modeled in the MC from the data.
- Advantage that the systematic uncertainties can be evaluated equally for model-independent, phase-space integrated, and Dalitz plot amplitude analysis and the efficiency is a function of the Dalitz plot.

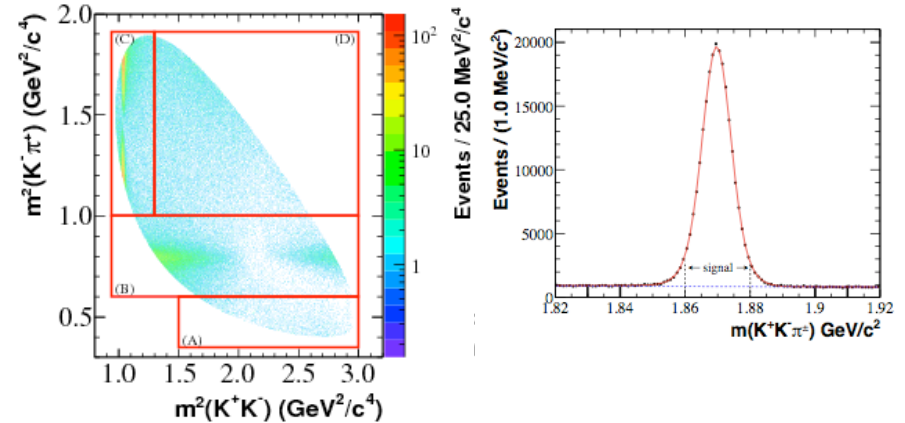
$$A(\cos(\theta_{CM})) \equiv \frac{N_{D^+}/\epsilon_{D^+} - N_{D^-}/\epsilon_{D^-}}{N_{D^+}/\epsilon_{D^+} + N_{D^-}/\epsilon_{D^-}}$$

Overview of Methods

Asymmetry in bins of production angle.



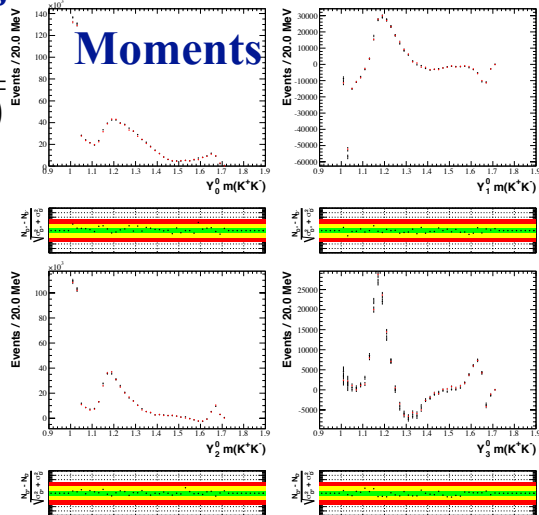
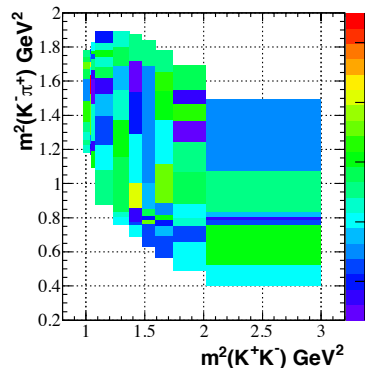
Localized CP Asymmetry [BaBar/Belle]



Model Independent Techniques [BaBar]

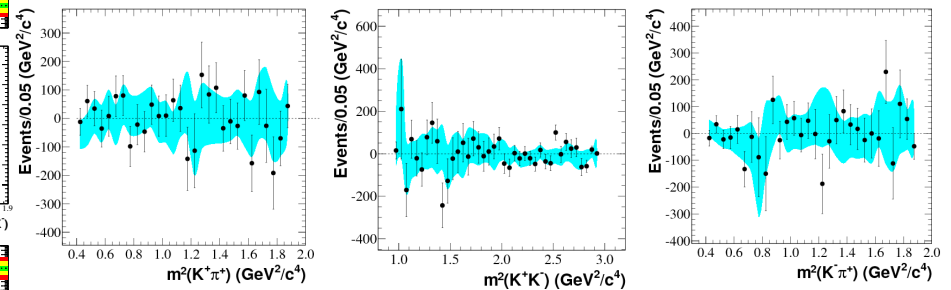
Normalized Residuals

$$\Delta \equiv \frac{n(D^+) - Rn(D^-)}{\sqrt{\sigma^2(D^+) + R^2\sigma^2(D^-)}}$$



$$A_{CP} = \frac{N(D^+) - RN(D^-)}{N(D^+) + RN(D^-)}$$

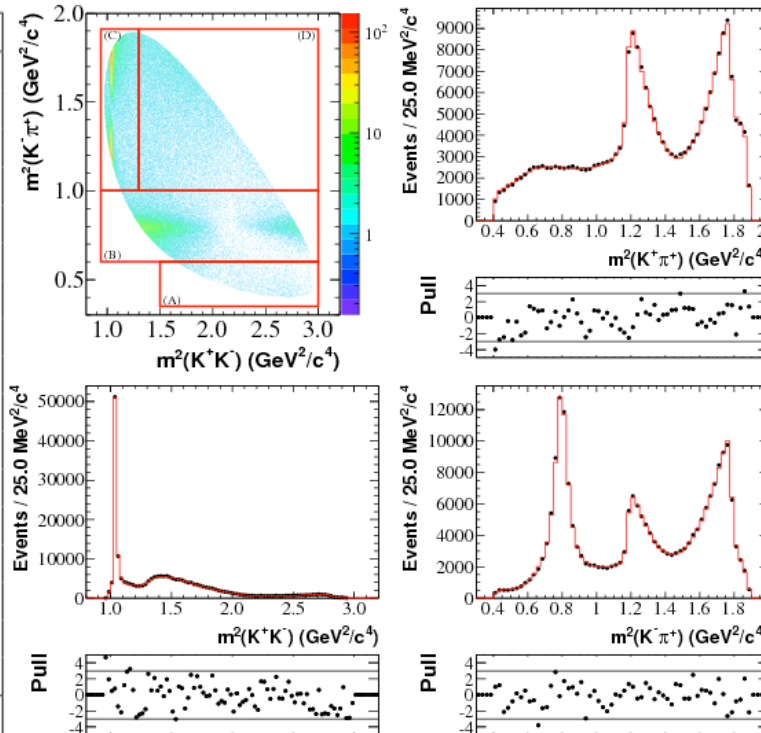
Dalitz Plot Analysis [BaBar]



$D^\pm \rightarrow K+K\pi^\pm$ Dalitz plot Analysis

Unbinned Maximum likelihood fit to determine best model to test for CPV in the resonant and non-resonant structure of the Dalitz plot.

Resonance	Fraction (%)
$\bar{K}^*(892)^0$	21.15 ± 0.20
$\phi(1020)$	28.42 ± 0.13
$\bar{K}_0^*(1430)^0$	25.32 ± 2.24
NR	6.38 ± 1.82
κ	7.08 ± 0.63
$a_0(1450)^0$	3.84 ± 0.69
$f_0(980)$	2.47 ± 0.30
$f_0(1370)$	1.17 ± 0.21
$\phi(1680)$	0.82 ± 0.12
$\bar{K}_1^*(1410)$	0.47 ± 0.37
$f_0(1500)$	0.36 ± 0.08
$a_2(1320)$	0.16 ± 0.03
$f_2(1270)$	0.13 ± 0.03
$\bar{K}_2^*(1430)$	0.06 ± 0.02
$\bar{K}_1^*(1680)$	0.05 ± 0.16
$f_0(1710)$	0.04 ± 0.03
$f_2'(1525)$	0.02 ± 0.008
Sum	97.92 ± 3.09



Likelihood function

$$-2 \ln \mathcal{L} = -2 \sum_{i=1}^N \ln \left[p(m_i) \frac{\epsilon_{MC}(x_1, x_2) S(x_1, x_2)}{\iint \epsilon_{MC}(x_1, x_2) S(x_1, x_2) dx_1 dx_2} + (1 - p(m_i)) \frac{B(x_1, x_2)}{\iint B(x_1, x_2) dx_1 dx_2} \right]$$

Mass-dependent signal probability

$$p(m_i) = \frac{S(m_i)}{S(m_i) + B(m_i)}$$

MC efficiency as a function of DP position corrected for differences in production and tracking efficiency asymmetry

$$\epsilon_{MC} \rightarrow \epsilon'_{MC} = P_R(p_{CM}, \cos(\theta)_{CM}) R_{Track} \epsilon_{MC}$$

$S(x_1, x_2)$ = Isobar model for the decay of the D meson

$B(x_1, x_2)$ = Background modeled from data sidebands

$\chi^2/ndof = 1.2$

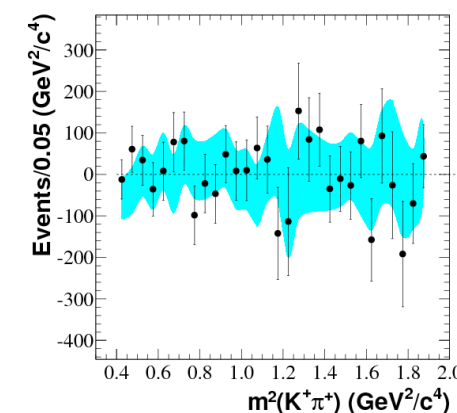
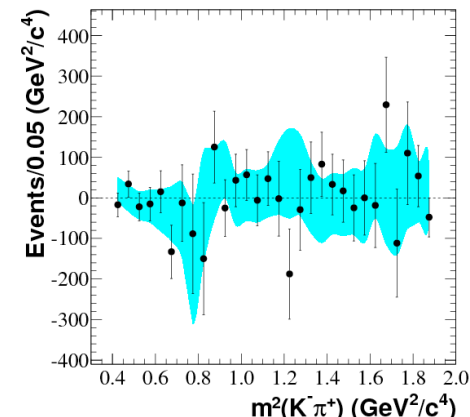
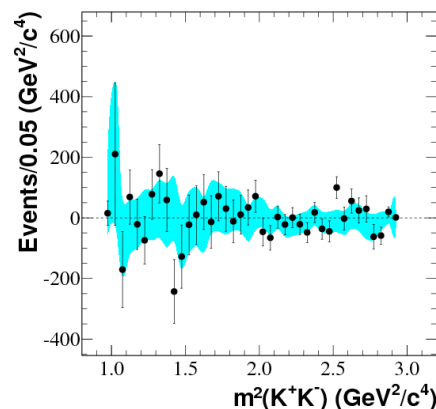
Fit masses & widths of several resonances.
 $f_0(980)$ effective parameterization from $D_s \rightarrow KK\pi$
 Several $K\pi$ s-wave parameterizations tested:
 best fit obtained from $K^*(1430)^0 + \kappa +$ non-resonant.

Resonance	Mass (MeV)	Width (MeV)
$\bar{K}^*(892)^0$	895.53 ± 0.17	44.90 ± 0.30
$\phi(1020)$	1019.48 ± 0.01	4.37 ± 0.02
$a_0(1450)$	1441.59 ± 3.77	268.58 ± 5.28
$\bar{K}_0^*(1430)^0$	1431.88 ± 5.89	293.62 ± 3.83
$\bar{K}^*(1680)^0$	1716.88 ± 21.03	319.28 ± 109.07
$f_0(1370)$	1221.59 ± 2.46	281.48 ± 6.6
κ	798.35 ± 1.79	405.25 ± 5.05

$D^\pm \rightarrow K^+ K^- \pi^\pm$ Dalitz plot CP Asymmetry

D^+/D^- difference in data and **model**. Correct for integrated difference ($R = 1.02 \pm 0.006$).

Resonance	r (%)	$\Delta\phi$ ($^\circ$)
$\bar{K}^*(892)^0$	0. (FIXED)	0. (FIXED)
$\bar{K}_0^*(1430)^0$	$-9.40_{-5.36}^{+5.65} \pm 4.42$	$-6.11_{-3.24}^{+3.29} \pm 1.39$
$\phi(1020)$	$0.35_{-0.82}^{+0.82} \pm 0.60$	$7.43_{-3.50}^{+3.55} \pm 2.35$
NR	$-14.30_{-12.57}^{+11.67} \pm 5.98$	$-2.56_{-6.17}^{+7.01} \pm 8.91$
κ	$2.00_{-4.96}^{+5.09} \pm 1.85$	$2.10_{-2.45}^{+2.42} \pm 1.01$
$a_0(1450)^0$	$5.07_{-6.54}^{+6.86} \pm 9.39$	$4.00_{-3.96}^{+4.04} \pm 3.83$
	Δx	Δy
$f_0(980)$	$-0.199_{-0.110}^{+0.106} \pm 0.084$	$-0.231_{-0.105}^{+0.100} \pm 0.079$
$f_0(1370)$	$0.019_{-0.048}^{+0.049} \pm 0.022$	$-0.0045_{-0.039}^{+0.037} \pm 0.016$



Allow different amplitude for D^+/D^- events

$$A = \sum_i \mathcal{M}_i e^{i\phi_i} F_i \quad \bar{A} = \sum_i \bar{\mathcal{M}}_i e^{i\bar{\phi}_i} F_i$$

CP Violating Parameters

$$r_i = \frac{|\mathcal{M}_i|^2 - |\bar{\mathcal{M}}_i|^2}{|\mathcal{M}_i|^2 + |\bar{\mathcal{M}}_i|^2} \quad \Delta\phi_i = \phi_i - \bar{\phi}_i$$

$$x(D^\pm) = x \pm \Delta x/2$$

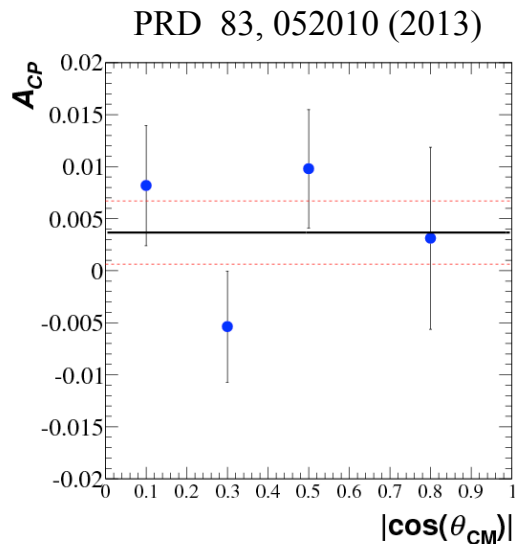
$$y(D^\pm) = y \pm \Delta y/2$$

- Dominant systematics are model-dependent.
- Good fit of Dalitz plot $\chi^2/\text{ndof} = 1.2$.
- Requires additional resonances to describe signal events.
- These resonances contribute to $\sim 1\%$ of fit fraction. Assume no CP violation in these resonances.

Direct CPV in $D^{\pm} \rightarrow K^+ K^- \pi^{\pm}$

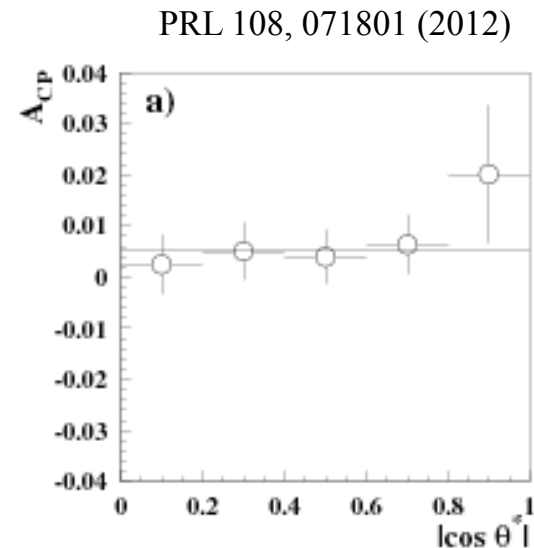
BaBar [PRD 87, 052010 (2013)]

$$A_{CP} = (0.37 \pm 0.30 \pm 0.15)\%$$



Belle [PRL 108, 071801 (2012)]

$$A_{CP}(D^{\pm} \rightarrow \phi \pi^{\pm}) = (0.51 \pm 0.28 \pm 0.05)\%$$



No evidence of CP violation measured as a function of the center-of-mass polar angle of D^+ meson.

BaBar studied the asymmetry as a function of the Dalitz plot. No evidence for CP violation found in the Dalitz plot amplitude analysis or with model-independent techniques.

Conclusions



- ▶ The current data samples from the B-factories are being used effectively to complete many analyses of mixing and CP violation in Charm decays.
- ▶ Hints of CP violation in charm sector -- cannot rule out SM or NP.
- ▶ Evidence for mixing approaching 5σ for individual B-factory results. All consistent with no CP violation.
- ▶ Direct CP Violation in Charm decays not observed at the e^+e^- collider experiments.

- Flavor mixing occurs when flavor eigenstates differ from the mass eigenstates: experimentally observed in neutral K, B_d, B_s, and in the D system at the B factories.

$$|D_{1,2}^0\rangle = p|D^0\rangle \pm q|\bar{D}^0\rangle \quad \left(\frac{q}{p}\right)^2 = \frac{M_{12}^* - \frac{1}{2}\Gamma_{12}^*}{M_{12} - \frac{1}{2}\Gamma_{12}}$$

$$|p|^2 + |q|^2 = 1$$

$$|A_f/\bar{A}_f| \neq 1 \quad \phi_f = \arg\left(\frac{q}{p} \frac{\bar{A}_f}{A_f}\right) \neq 0$$

$$r_m = |q/p| \neq 1$$

Two-body $D_{(s)}$ decays with K_S^0 in final state



BaBar results

PRD 83, 071103(R) (2011)

PRD 87, 052012 (2013)

Belle results

PRL 104, 181602(2010)

PRL 109, 021601 (2012)

JHEP 02 098 (2013)

BaBar results completed with the full data set

Belle has most precise measurement for direct CPV in charm using full data set in $D^\pm \rightarrow K_S^0 \pi^\pm$

	BaBar	Belle
$D^\pm \rightarrow K_S^0 \pi^\pm$	$(-0.44 \pm 0.13 \pm 0.10)\%$	$(-0.363 \pm 0.094 \pm 0.067)\%$
$D_s^\pm \rightarrow K_S^0 K^\pm$	$(-0.05 \pm 0.23 \pm 0.25)\%$	$(0.12 \pm 0.36 \pm 0.22)\%$
$D^\pm \rightarrow K_S^0 K^\pm$	$(0.13 \pm 0.36 \pm 0.25)\%$	$(-0.16 \pm 0.58 \pm 0.25)\%$
$D_s^\pm \rightarrow K_S^0 \pi^\pm$	$(0.6 \pm 2.0 \pm 0.3)\%$	$(5.45 \pm 2.50 \pm 0.33)\%$

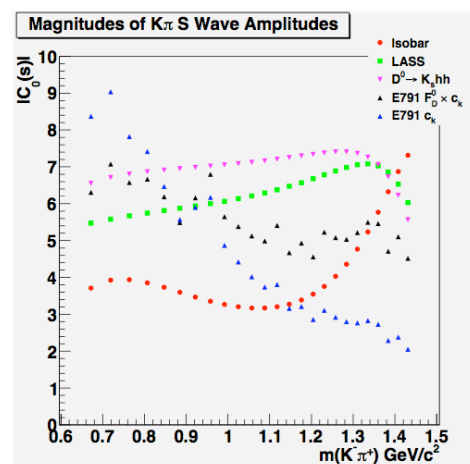
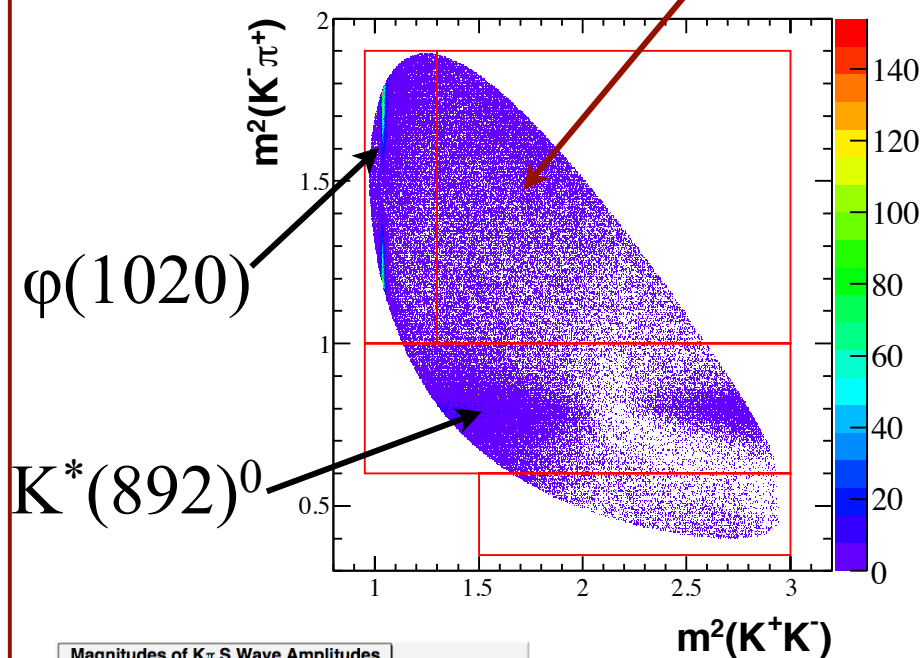
↑
Full dataset

Results include SM contribution of indirect CPV from K^0 mixing

$D^{\pm} \rightarrow K+K^{-}\pi^{\pm}$ Dalitz plot Analysis

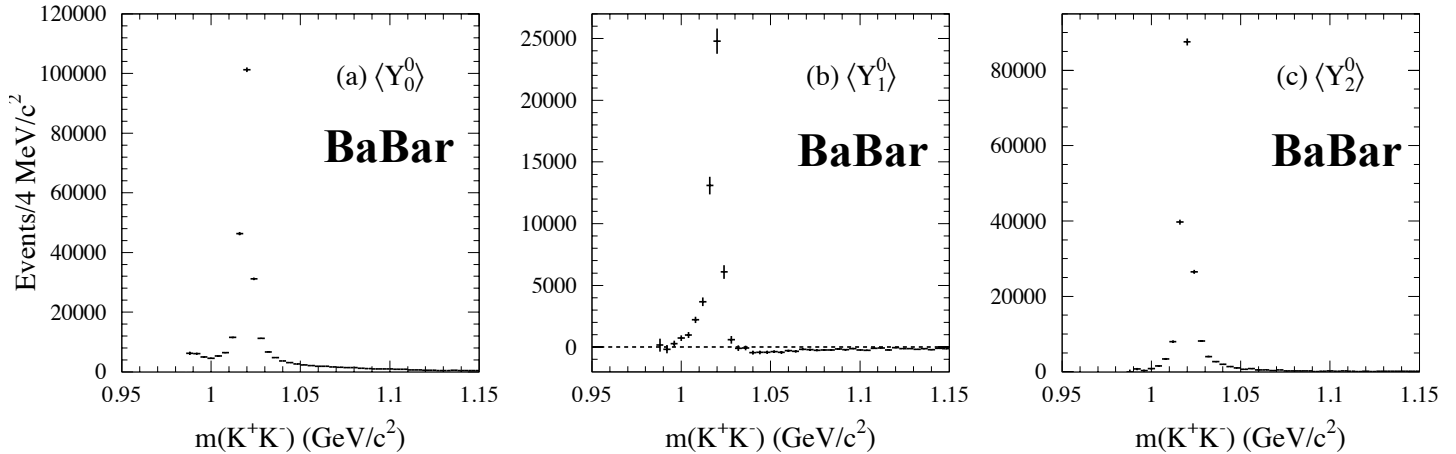
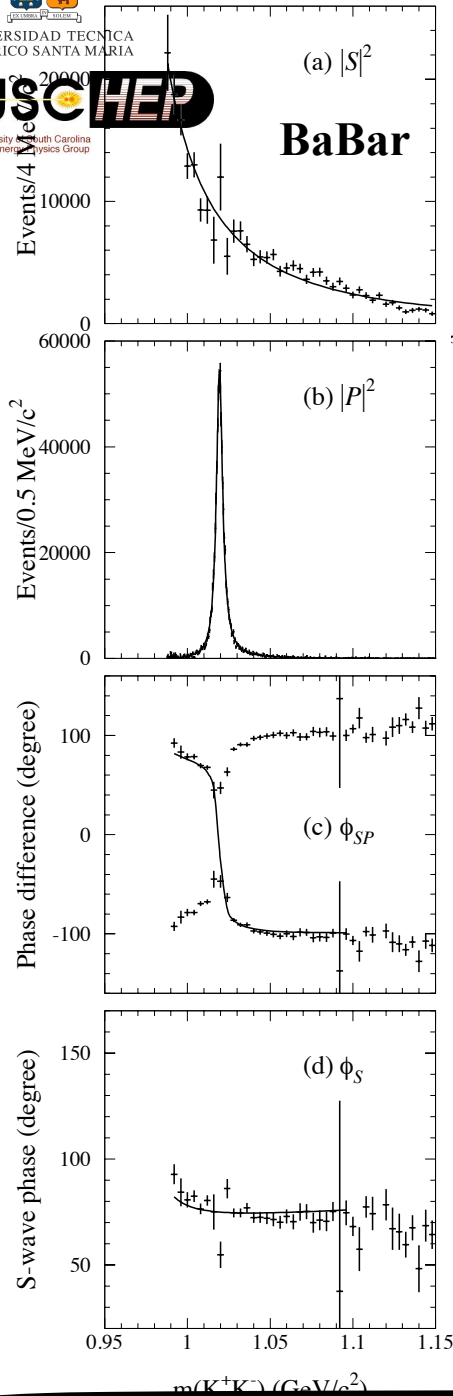
Broad structure over large region of Dalitz plot

- ➔ Neural network describes the Dalitz plot efficiency.
- ➔ Combined parametric and non-parametric model to describe the background (using the sidebands)
- ➔ S-wave dependence near the $\phi(1020)$ resonance taken from $D_s \rightarrow KK\pi$ analysis [PRD 83, 052001 (2011)]
- ➔ Several models tested for $K\pi$ S-wave.
- ➔ Two step unbinned maximum likelihood fit:
 - ➔ Assume no CP asymmetry and find the Dalitz plot model which best describes the data (determined from the goodness-of-fit).
 - ➔ Allow for CP asymmetry in the dominant resonances.



$D_s^+ \rightarrow K+K^-\pi^+$ PWA

Effective S-wave parameterization



$$\sqrt{4\pi} \langle Y_0^0 \rangle = |S|^2 + |P|^2$$

$$\sqrt{4\pi} \langle Y_1^0 \rangle = 2|S||P| \cos \phi_{SP}$$

$$\sqrt{4\pi} \langle Y_2^0 \rangle = \frac{2}{\sqrt{5}} |P|^2$$

PRD 83, 052001 (2011)

Simultaneous Binned Fit:

- $S \equiv C_{f_0(980)} A_{f_0(980)}$
- $P \equiv C_\phi A_\phi$
- $S + P \equiv C_\phi A_\phi + C_{f_0(980)} e^{i\delta} A_{f_0(980)}$

Fitting Model

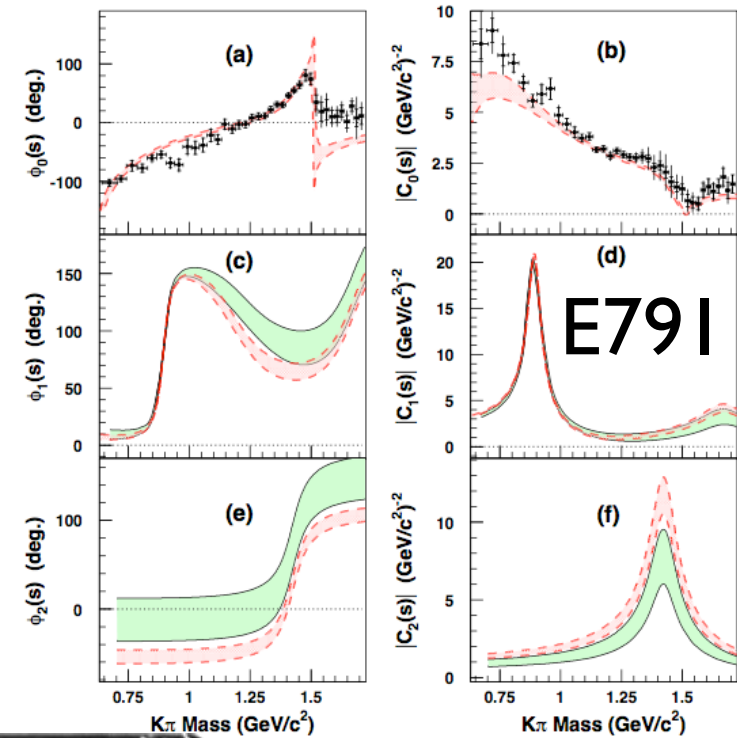
$$A_\phi = \frac{F_{RD}}{m_0^2 - m^2 - im_0\Gamma} \times (-4pq) \text{ Relativistic Breit-Wigner}$$

$$A_{f_0(980)} = \frac{1}{m_0^2 - m^2 - im_0\Gamma_0 \rho_{K\bar{K}}}$$

Formula

$K\pi$ S-wave Model

- Isobar Model -- K + $K^*(1430)^0$ + Non-resonant amplitude.
- Model-Independent partial wave MIPWA (E791). [PRD 73, 032004 (2006)]
- K -matrix approach, reduces to $K\pi$ scattering amplitude from LASS. Parameterization from $D^0 \rightarrow K_S \pi^+ \pi^-$ mixing analysis. [PRL 105, 081803 (2010)]



$$T_R = B e^{i\phi_B} \frac{(\cos \phi_B + \cot \delta_B \sin \phi_B) \sqrt{s}}{q(s) \cot \delta_B - iq(s)} + R e^{i\phi_R} e^{i2(\delta_B + \phi_B)} \frac{m_R \Gamma_R m_R / q_0}{m_R^2 - s - im_R \Gamma(s)}$$

with

$$q(s) \cot \delta_B = \frac{1}{a} + \frac{r q(s)^2}{2}$$

and

$$e^{i2\delta_B} = \frac{q(s) \cot \delta_B + iq(s)}{q(s) \cot \delta_B - iq(s)}$$

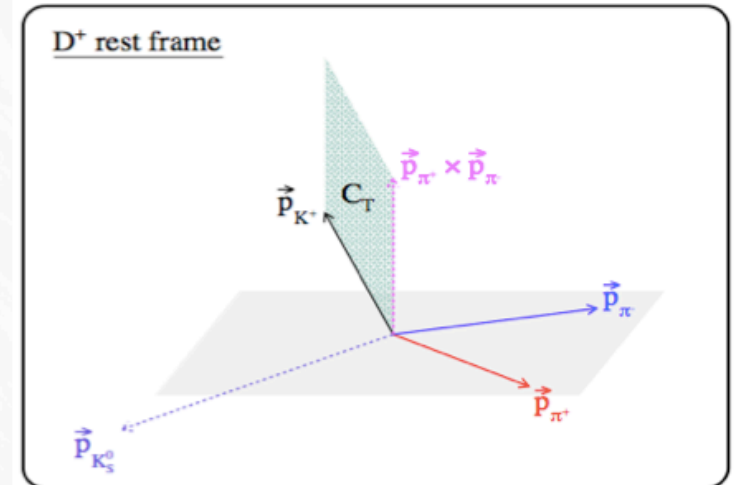
T-odd Observables

I.I. Bigi hep-ph/0107102

- Assuming CPT invariance, T-violation implies CP violation.
- C_T observable is odd under T-reversal $C_T \equiv \vec{p}_{K^+} \cdot (\vec{p}_{\pi^+} \times \vec{p}_{\pi^-})$

$$A_T \equiv \frac{\Gamma(C_T > 0) - \Gamma(C_T < 0)}{\Gamma(C_T > 0) + \Gamma(C_T < 0)}$$

Measured on D^+



- Final-state interactions (FSI) may introduce T-odd asymmetries $A_T \neq 0$.
- Measuring the T-violating observable removes FSI effects:

$$\mathcal{A}_T \equiv \frac{1}{2} (A_T - \bar{A}_T)$$

Measured on D^-

BaBar Results

T-odd Observables

$$A_T(D^+) = (+11.2 \pm 14.1_{stat} \pm 5.7_{syst}) \times 10^{-3}$$

PRD 84, 031103 (R) (2011)

$$\bar{A}_T(D^-) = (+35.1 \pm 14.3_{stat} \pm 7.2_{syst}) \times 10^{-3}$$

PRD 81, 111103 (R) (2010)

520 fb^{-1}

$$A_T(D_s^+) = (-99.2 \pm 10.7_{stat} \pm 8.3_{syst}) \times 10^{-3}$$

→ FSI effects appear larger in D_s

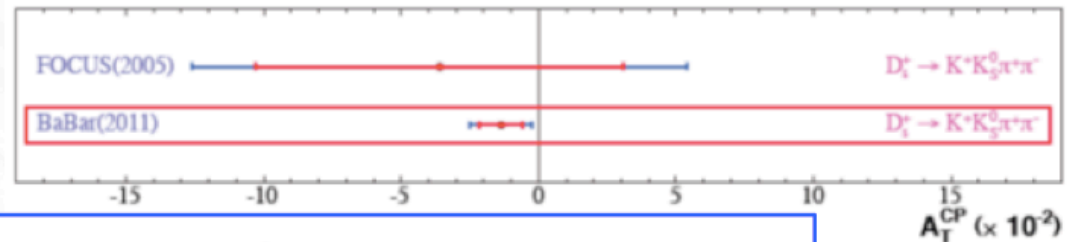
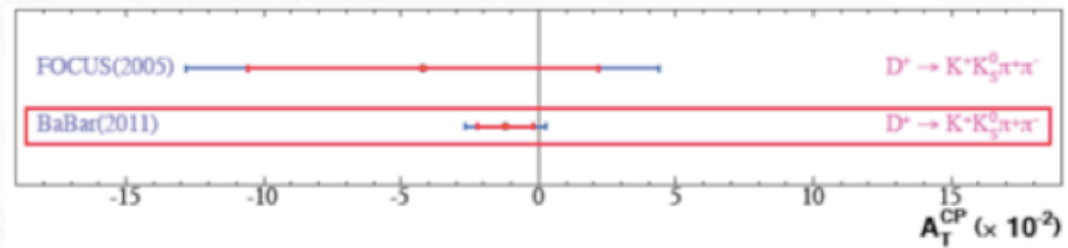
$$\bar{A}_T(D_s^-) = (-72.1 \pm 10.9_{stat} \pm 10.7_{syst}) \times 10^{-3}$$

T-violating observable
consistent with 0.

$$A_T(D^+) = (-12.0 \pm 10.0_{stat} \pm 4.6_{syst}) \times 10^{-3}$$

$$A_T(D_s^+) = (-13.6 \pm 7.7_{stat} \pm 3.4_{syst}) \times 10^{-3}$$

X10 improvement over
previous result.



$$A_T(D^0) = (+1.0 \pm 5.1_{stat} \pm 4.4_{syst}) \times 10^{-3} \quad \text{PRD 81, 111103 (R) (2010)}$$