

Influence of HTS Wire and Coil Configuration on Quench Propagation

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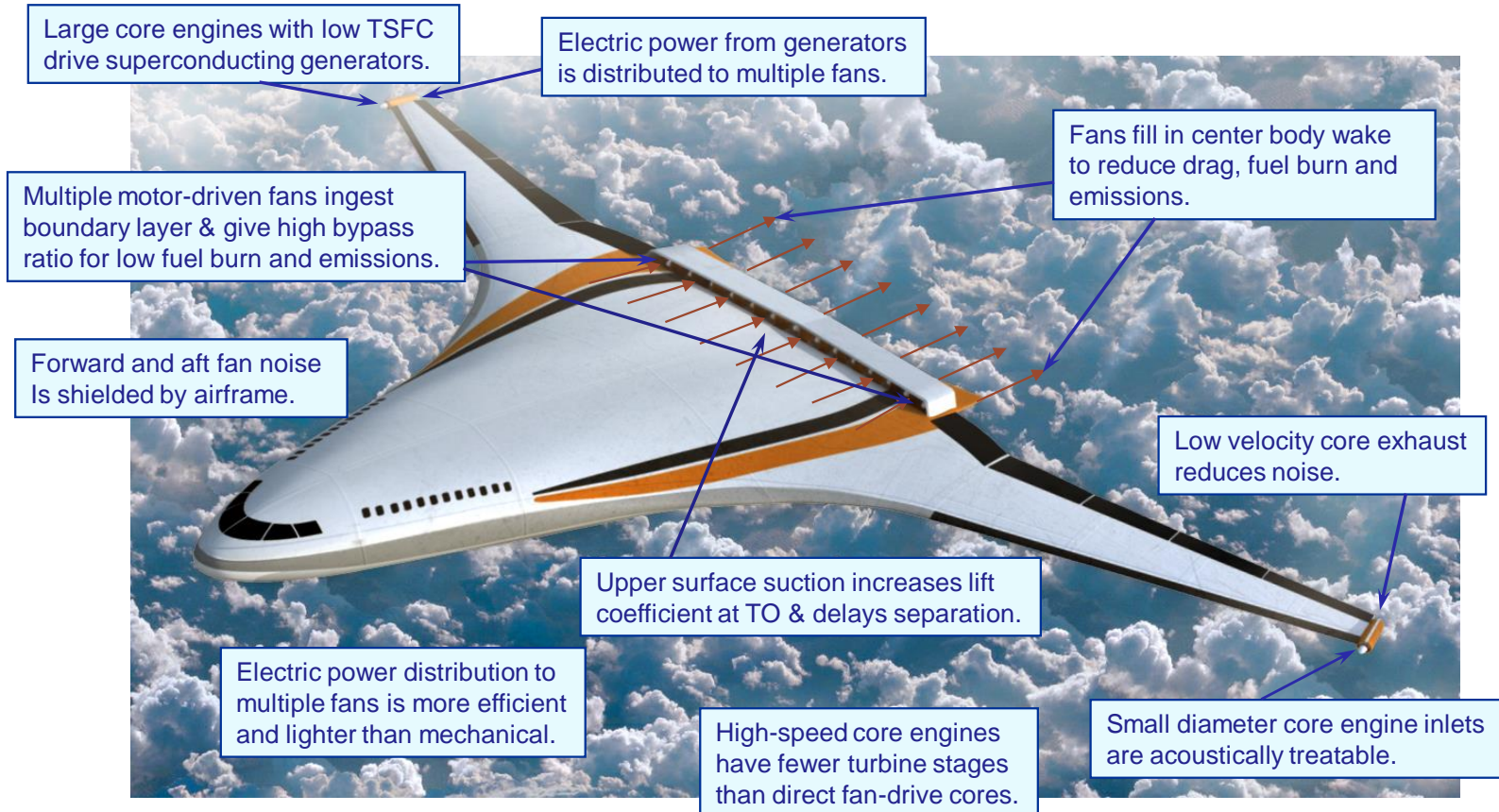
October 10th, 2013



National Aeronautics and Space Administration



BENEFITS

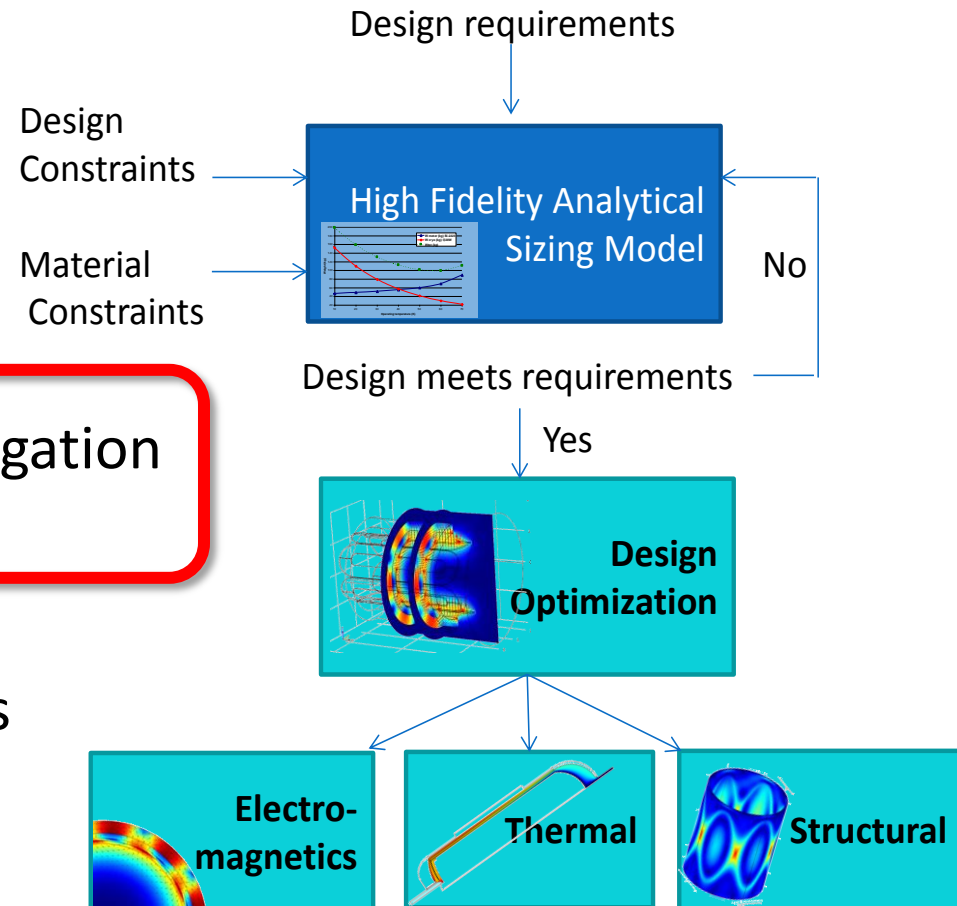


THE TURBOELECTRIC APPROACH CONTRIBUTES TO EVERY CORNER OF THE SFW TRADE SPACE

Project Objectives

- Develop a **high fidelity** sizing tool for **fully superconducting rotating machines**.

- Accurate 3D geometry represented
 - Electromagnetics, mechanical and thermal
- Portable code in Python and C



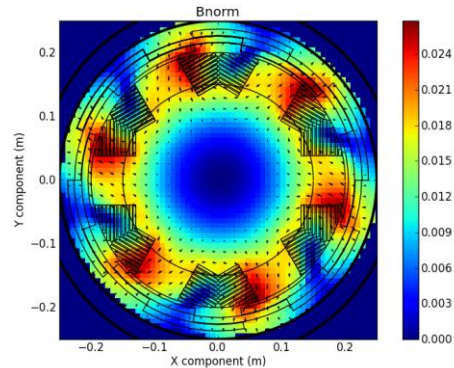
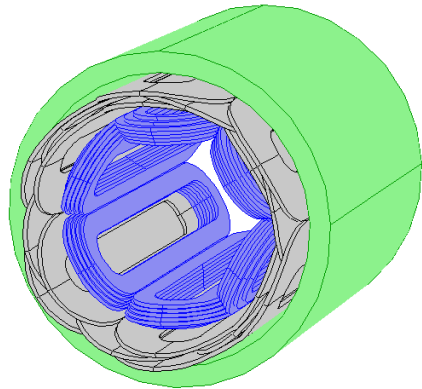
- Develop model for quench propagation
 - Address detection and protection

- Develop **new model** for AC losses for superconducting stators
 - Based on FEA simulations

- Validate AC losses model **experimentally**

Sizing Model “Amber” Version 0.9

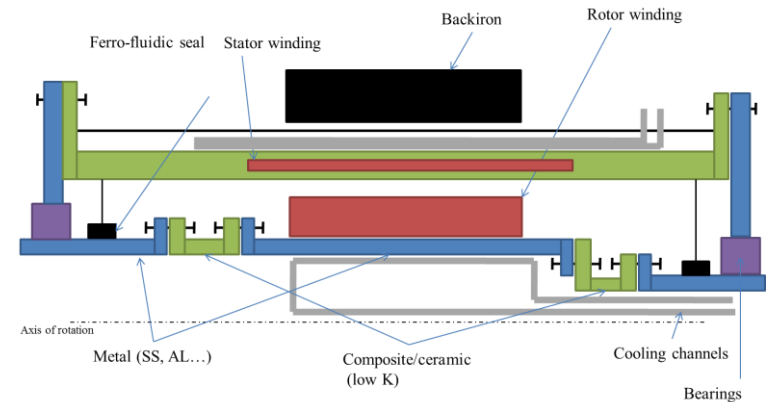
- Zeroth order analytical sizing model (2D) used for preliminary optimization



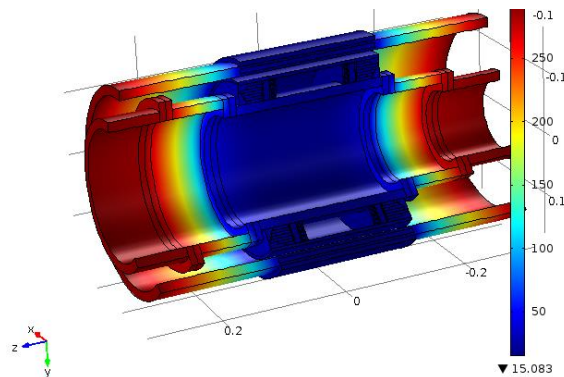
- Mechanical model
 - Geometry accurately represented
 - Steel and composite materials
 - Thermal and force induced stress

Electromagnetic model

- Geometry accurately represented
- No mesh in air
- Based on integral methods (GFUN – Biot Savart)

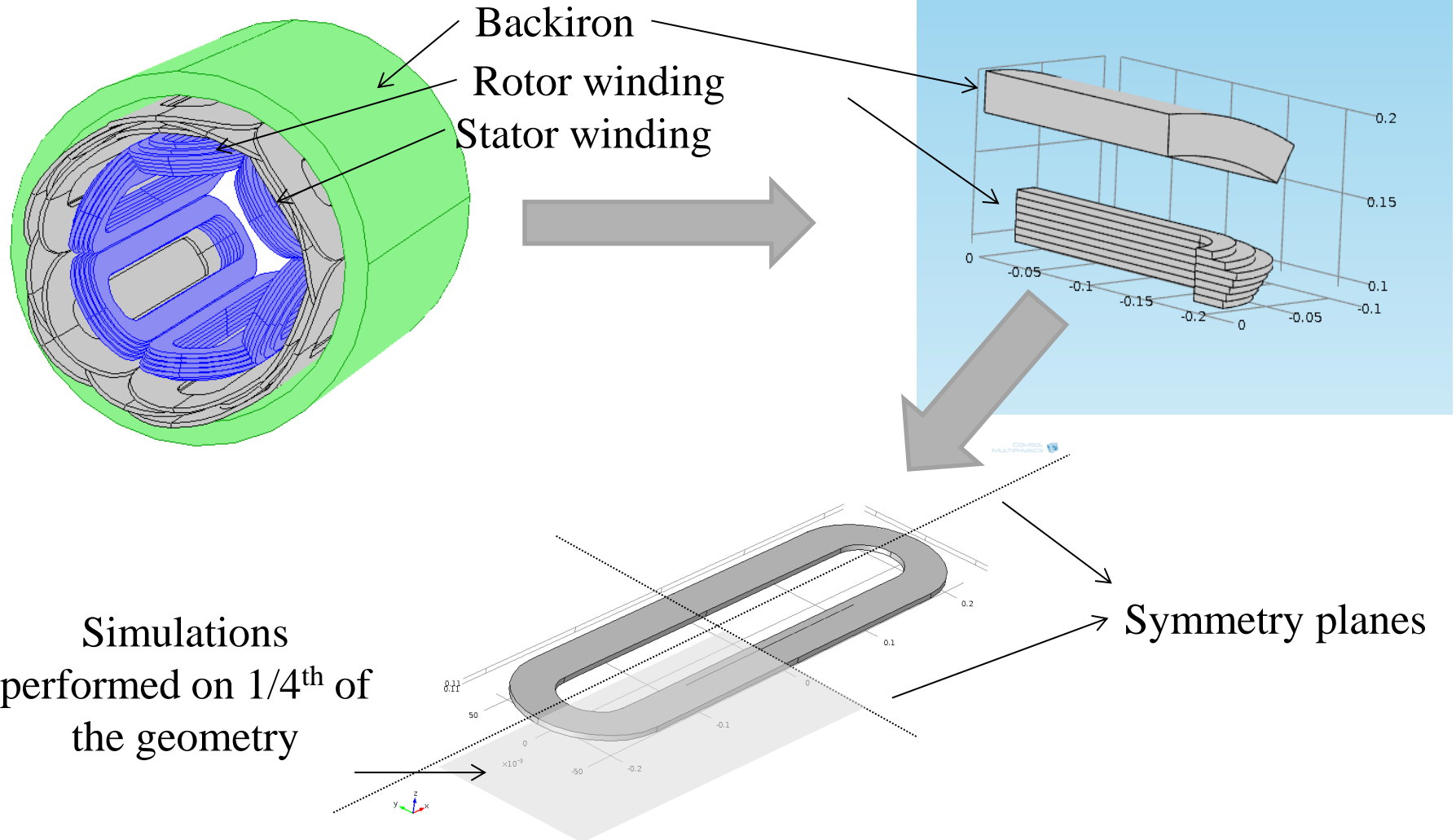


- Thermal model
 - Total cryogenic heat load and temperature distribution estimated using finite differences
 - Cryogenic system based on LH2 or GHe and Reversed Turbo-Brayton cryocoolers



Winding Geometry

- First step focuses on quench in the rotor winding
- Objective is to evaluate the impact of quench protection on the machine design



Quench in Superconductors

A quench is an electro-thermal instability

Localized energy input (disturbance), e.g., low J_c area, heat input, etc.

$+\Delta Q$

Hot-spot
localized temperature rise

$+\Delta T$

*Quench
positive feedback loop*

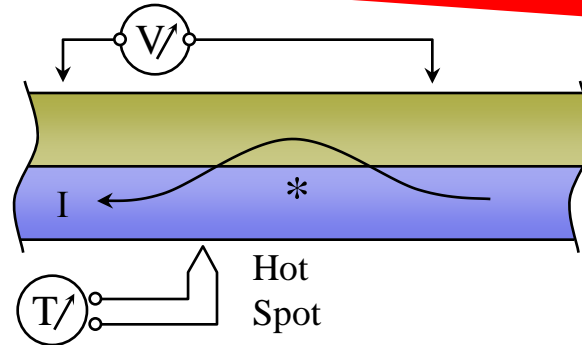
$+\Delta Q$

$Q = \text{Joule Heating} - \text{Cooling}$

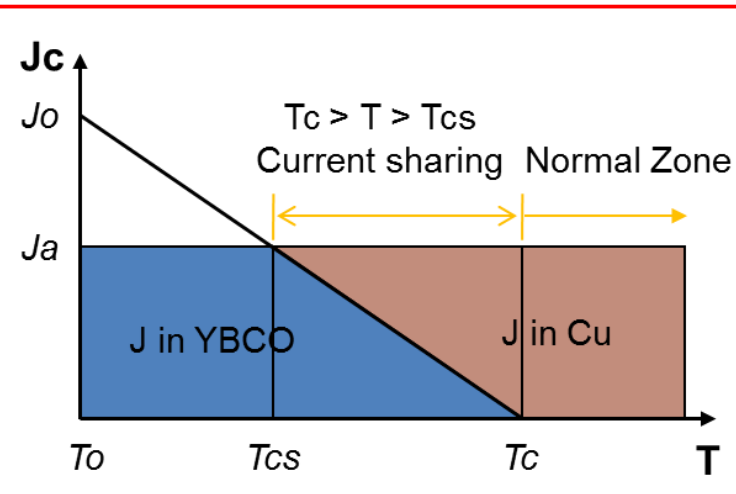
$+\Delta J_{cu}$

$-\Delta Q$

$-\Delta Q \Rightarrow -\Delta T \Rightarrow -\Delta J_{cu}$
Recovery loop



Stabilizer
Superconductor



Minimum Quench Energy (MQE)

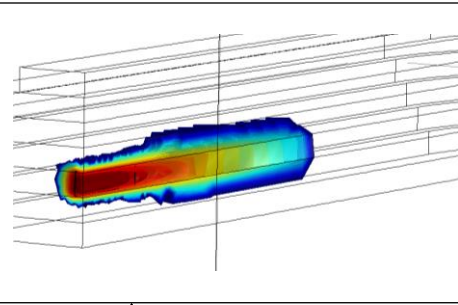
Normal Zone Propagation Velocity (NZPV)

Quench model

Conductor
topology/materials

Winding geometry

Model



NZPV

MQE

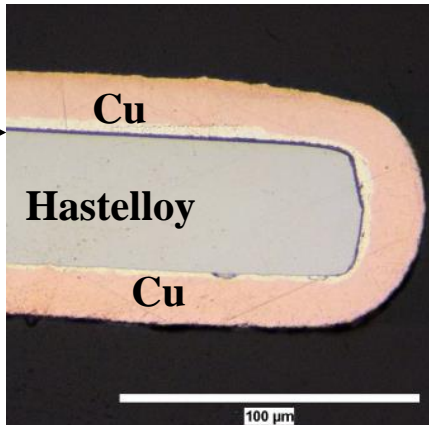
Peak temperature
versus $\tau_{\text{discharge}}$

Detection parameters (Voltage)

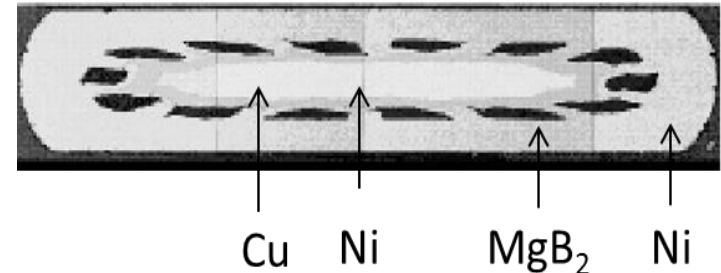
Protection parameters ($\tau_{\text{discharge}}$)

YBCO Tapes

YBCO



MgB₂ conductors

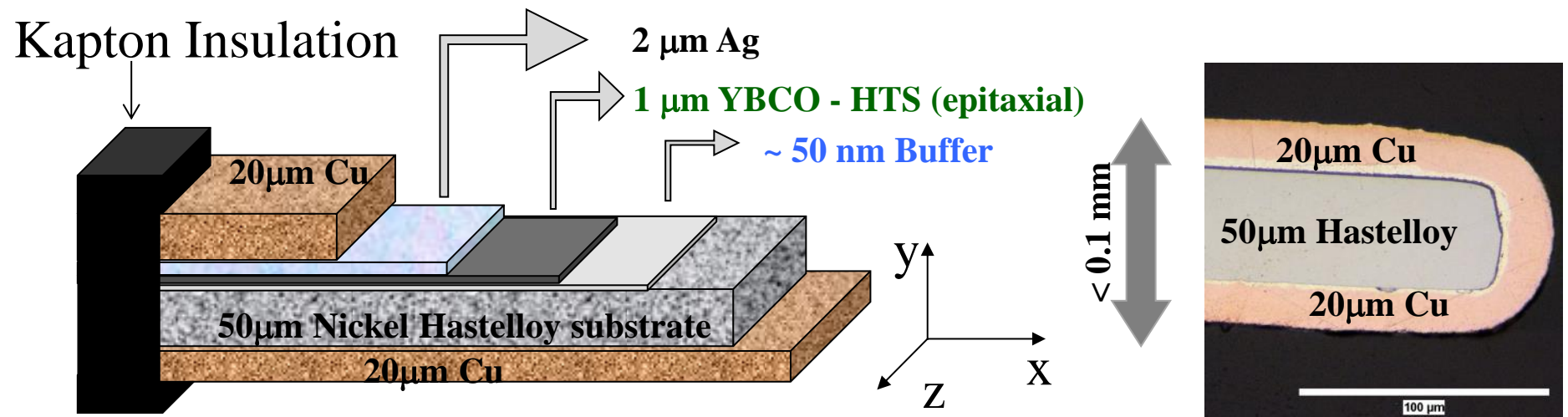


NZPV: Normal zone propagation velocity

MQE: Minimum quench energy

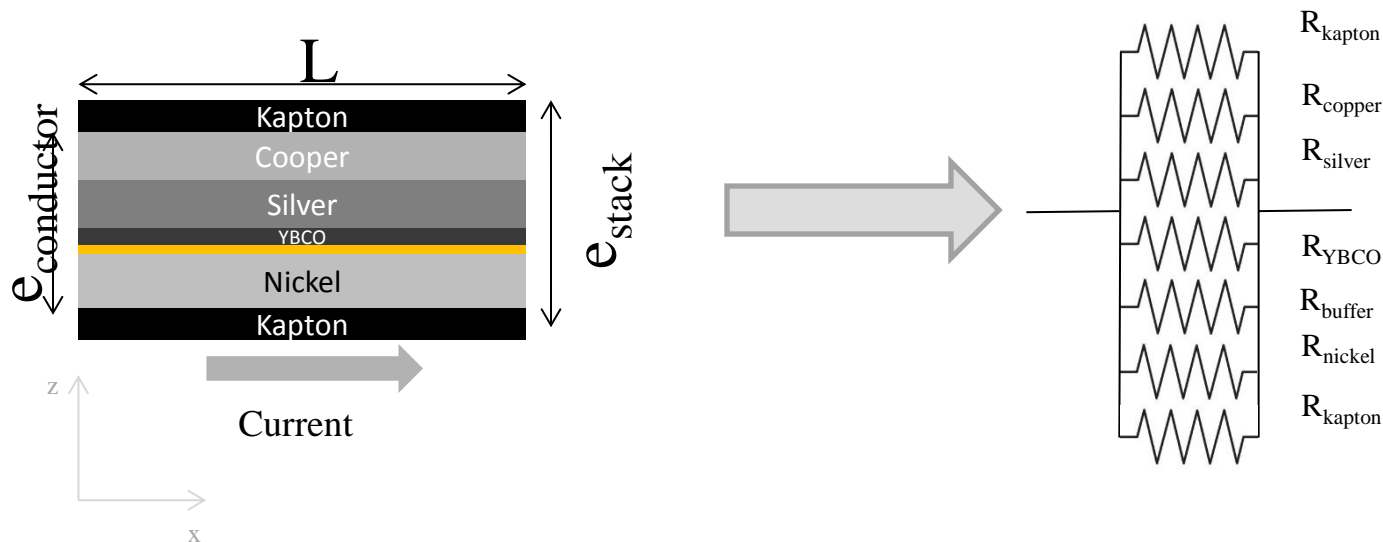
$\tau_{\text{discharge}}$: time constant of the discharge

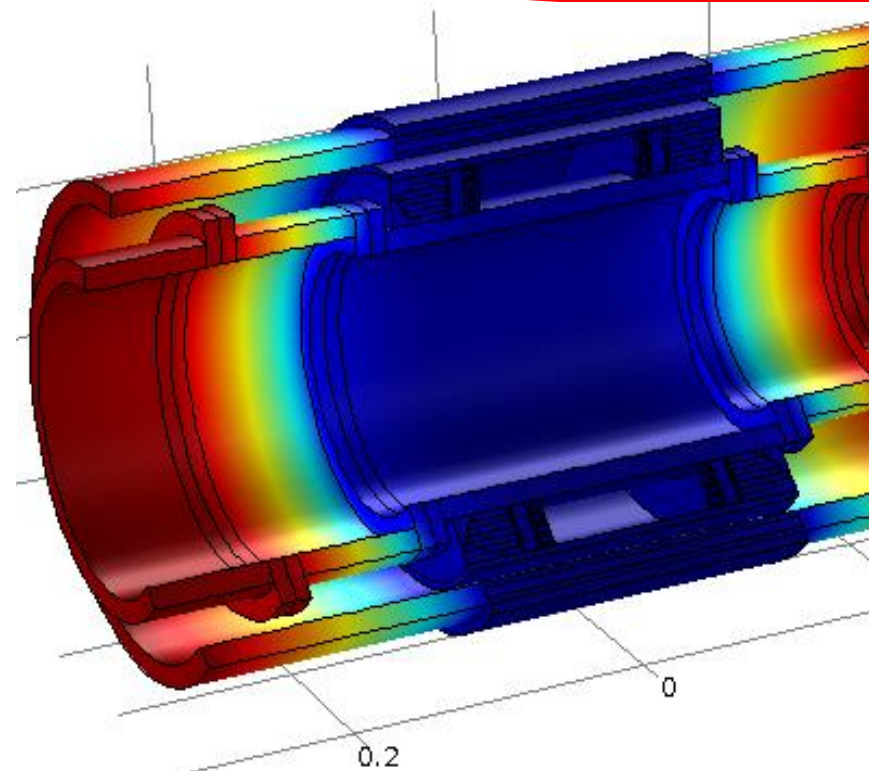
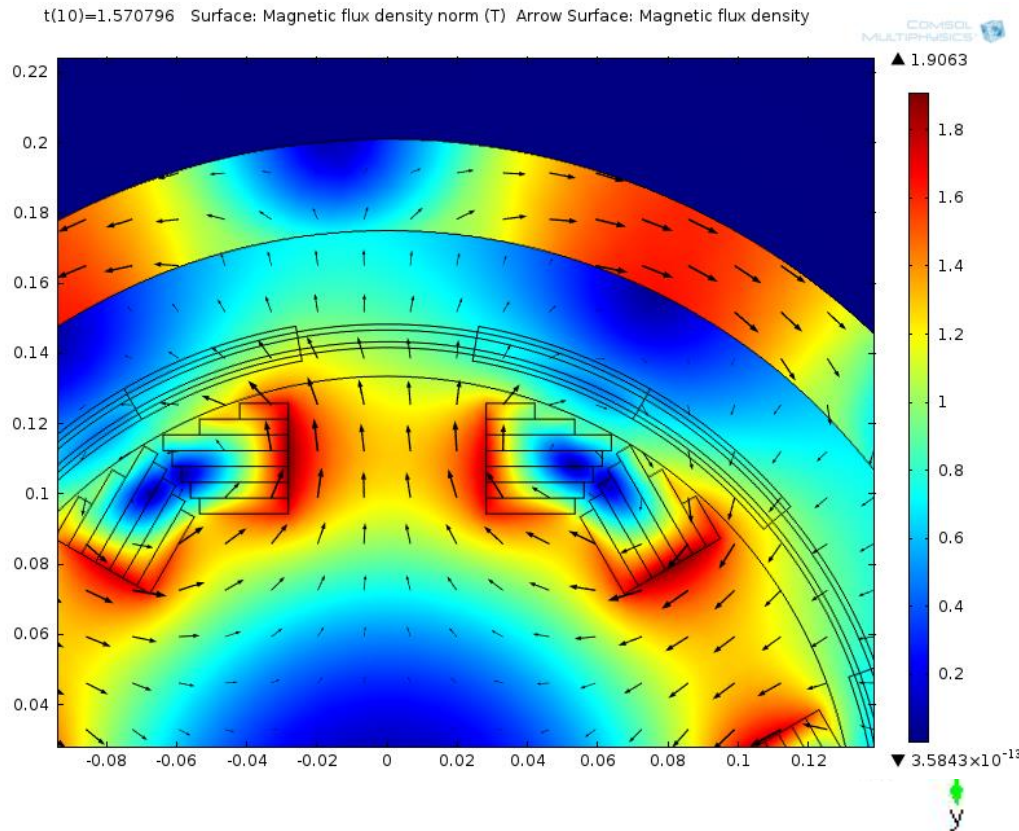
YBCO Tape Configuration



Electrical Properties

- Anisotropic model
- Infinite transversal equivalent resistivity (insulator)
 - Resistivity on x-axis
 - Infinite resistivity on y-axis and z axis (Use of Kapton)





- Need to consider field distribution and temperature gradient in winding for YBCO equivalent resistivity

YBCO Layer Critical Current

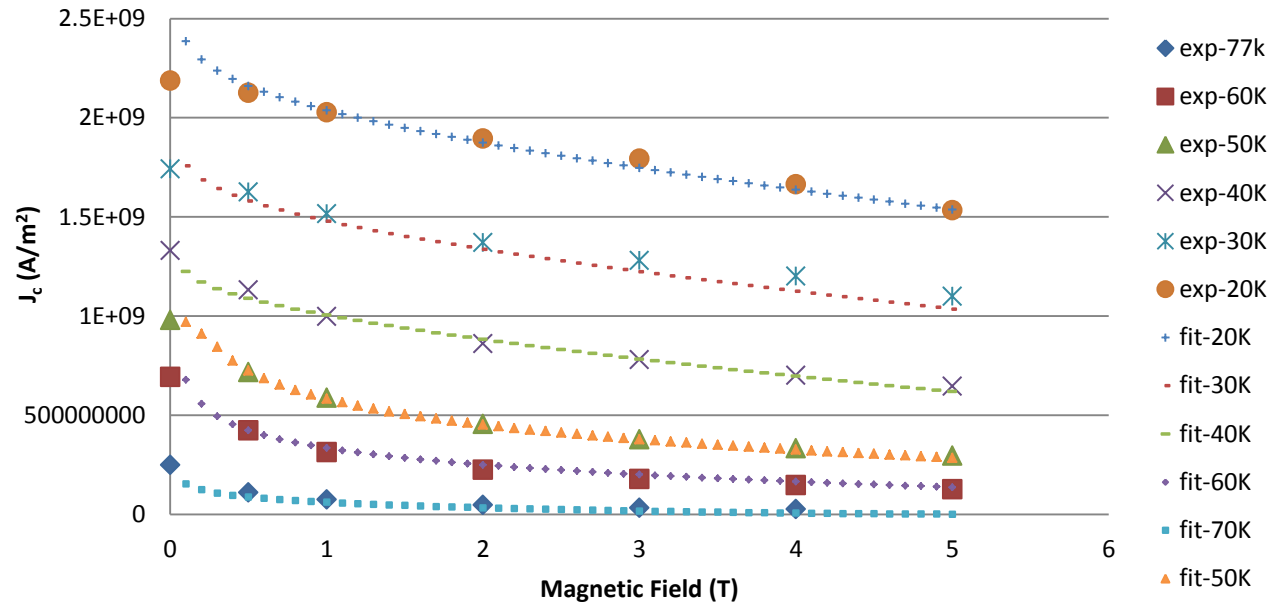
YBCO $J_c(B,T)$ Scaling Law

$$J_c(B, T) = \frac{C_0}{B} \cdot B_{irr}(T)^m \cdot \left(\frac{B}{B_{irr}(T)}\right)^p \cdot \left(1 - \frac{B}{B_{irr}(T)}\right)^q \text{ A/m}^2$$

with
$$B_{irr}(T) = B_{irr0} \cdot \left(1 - \frac{T}{T_c}\right)^\lambda T$$

and
$$\rho_{sc} = \frac{E_c}{J_c(B,T)} \cdot \frac{J}{J_c(B,T)}^{n-1} \Omega \cdot m$$

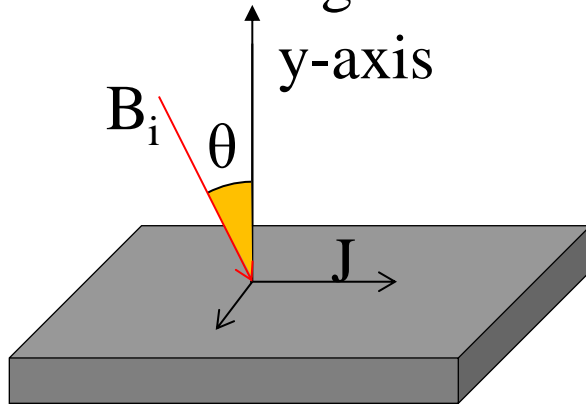
	YBCO T<50K	YBCO T≥50K
T _c (K)	92	92
ρ	0.95	0.73
q	2.568	1.69
m	1.98	1.98
λ	1.98	1.54
B _{irr0} (T)	88	91
C ₀	3.5e7	1e7
E _c (V/m)	10 ⁻⁶	10 ⁻⁶
n	30	30



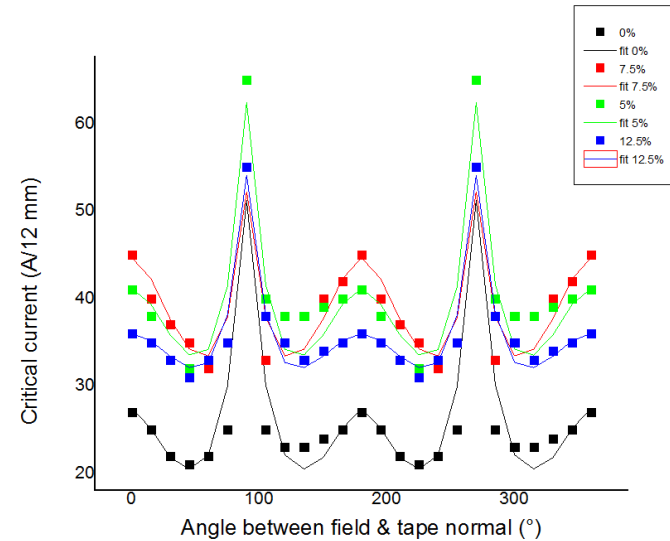
Jc data from SuperPower – 2G HTS Tape w/ Advanced Pinning

Anisotropic critical current, magnetic field dependency

Incidence magnetic field



Percentage of improved pinning by Zr in YBCO tape



$$J_c(\theta) = J_c(90^\circ) \cdot \left(A \cdot (\cos(\theta))^2 + \gamma^{-2} \cdot \sin(\theta)^2 \right)^{-\frac{1}{2}} + B \cdot \left((\cos(\theta))^2 + \beta^{-2} \cdot \sin(\theta)^2 \right)^{-\frac{1}{2}}$$

J_c : Critical current density (A/m²)

B_i : Incidence magnetic field (T)

Fit values for 0% Zr doping

A=5.97

$\gamma=7$

B=21.39

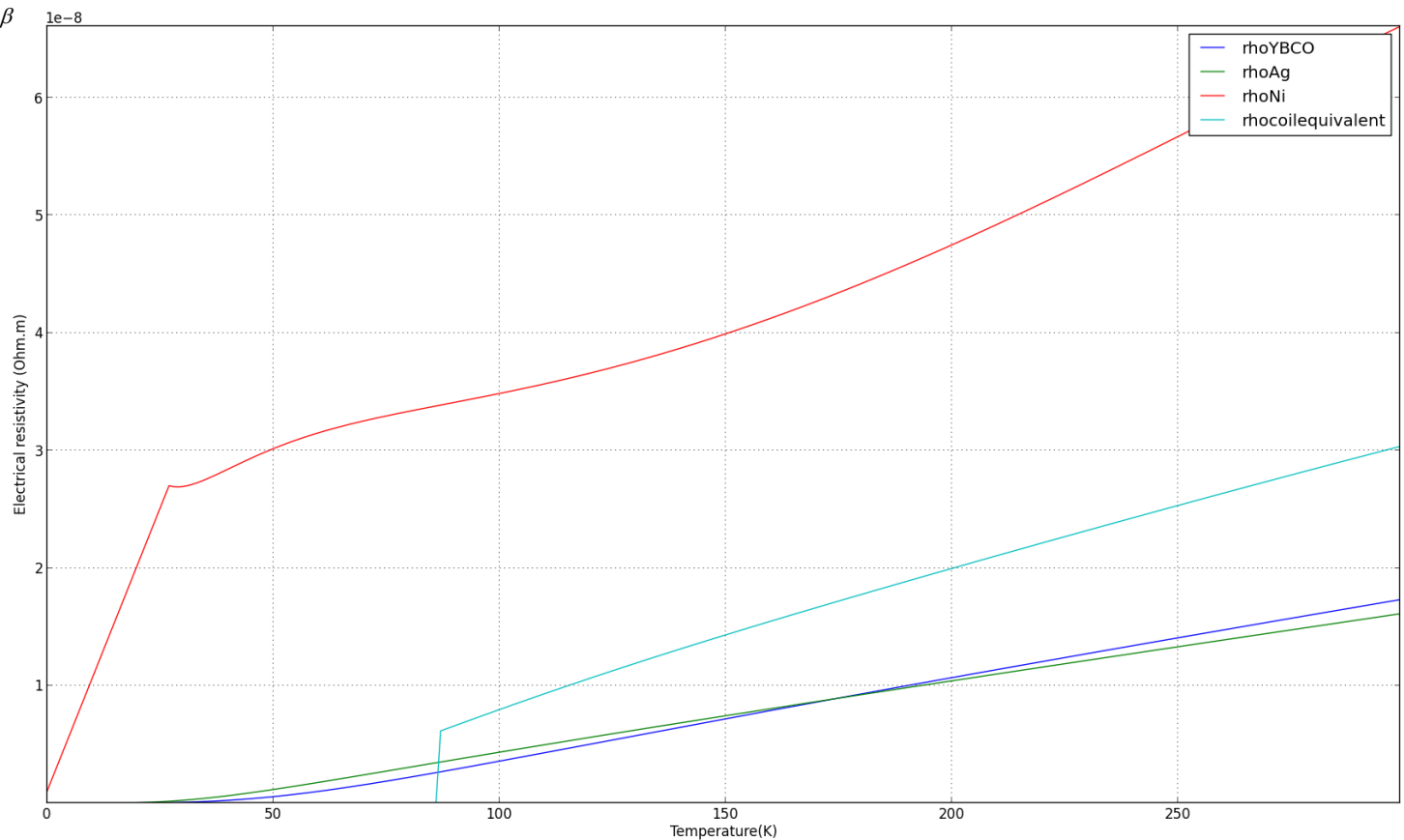
$\beta=0.438$

Electrical Equivalent Properties

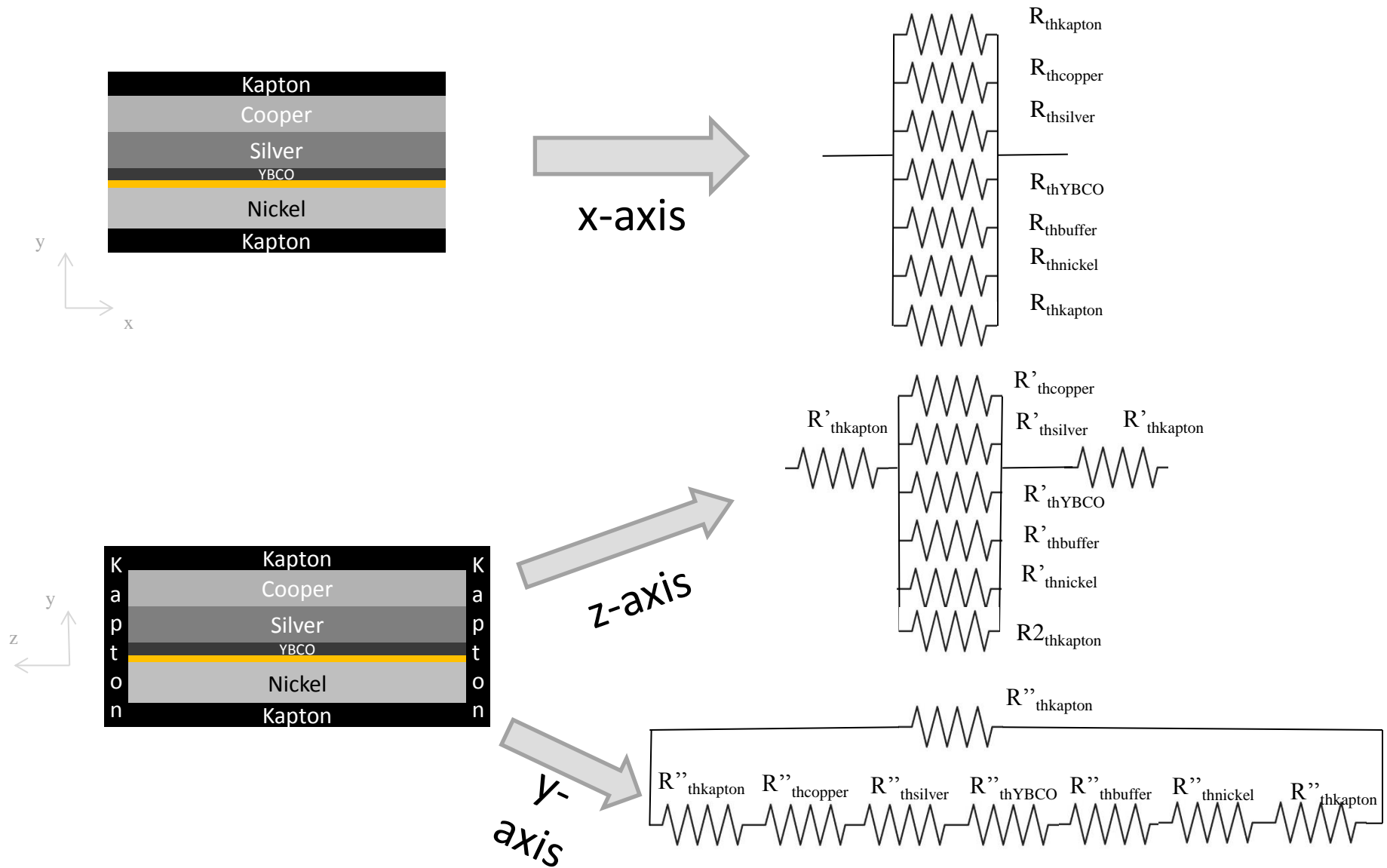
- Example of electrical resistivity of material and coil for $J/J_c = 0.6$, no field

$$\sigma_{YBCO} = \frac{E_c}{J_{c0}(\theta, T) \frac{B_0}{|B| + B_0}} \left(\frac{J}{J_{c0}(\theta, T) \frac{B_0}{|B| + B_0}} \right)^{1/n(T, B)}$$

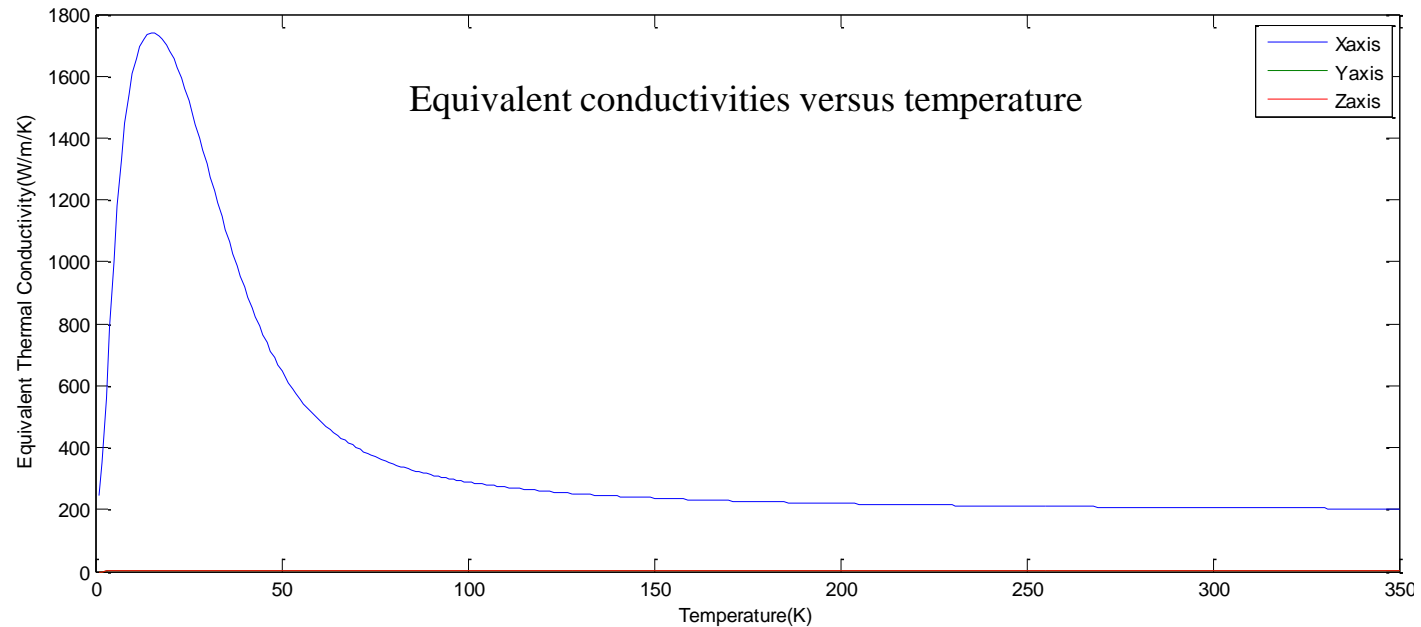
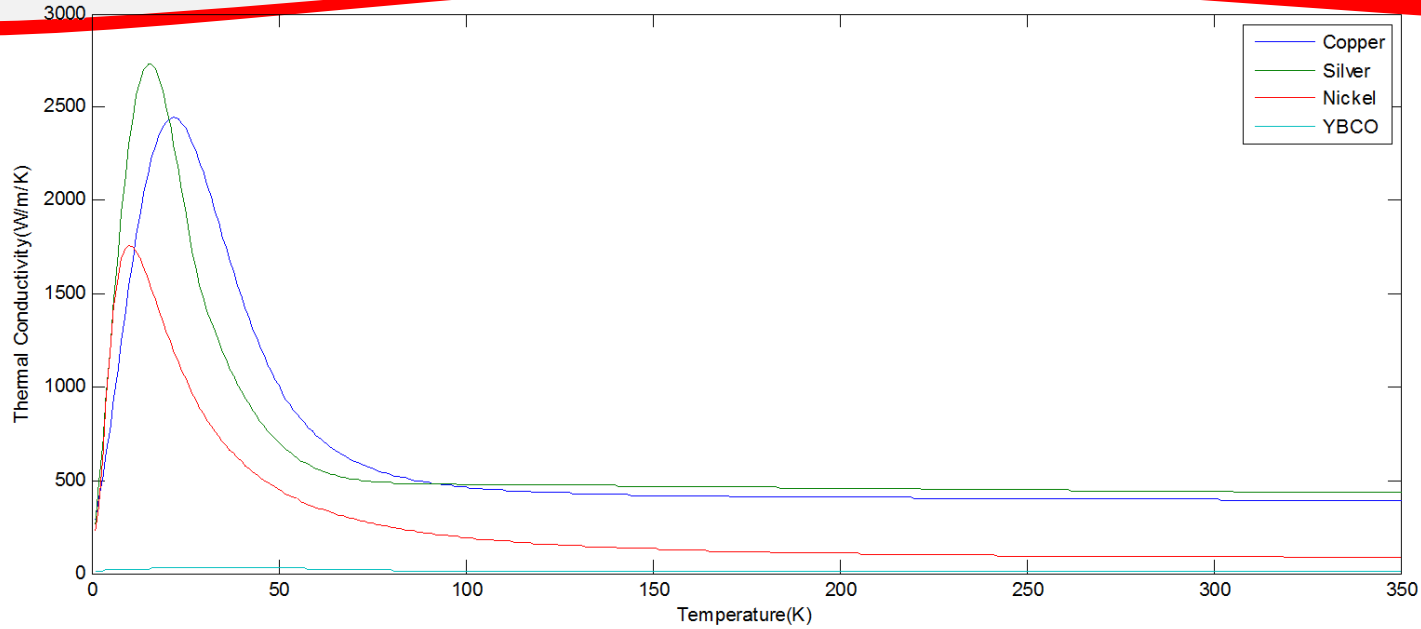
$$J_{c0}(T) = \alpha \left(1 - \frac{T}{T_{c0}} \right)^\beta$$



Equivalent Thermal Properties



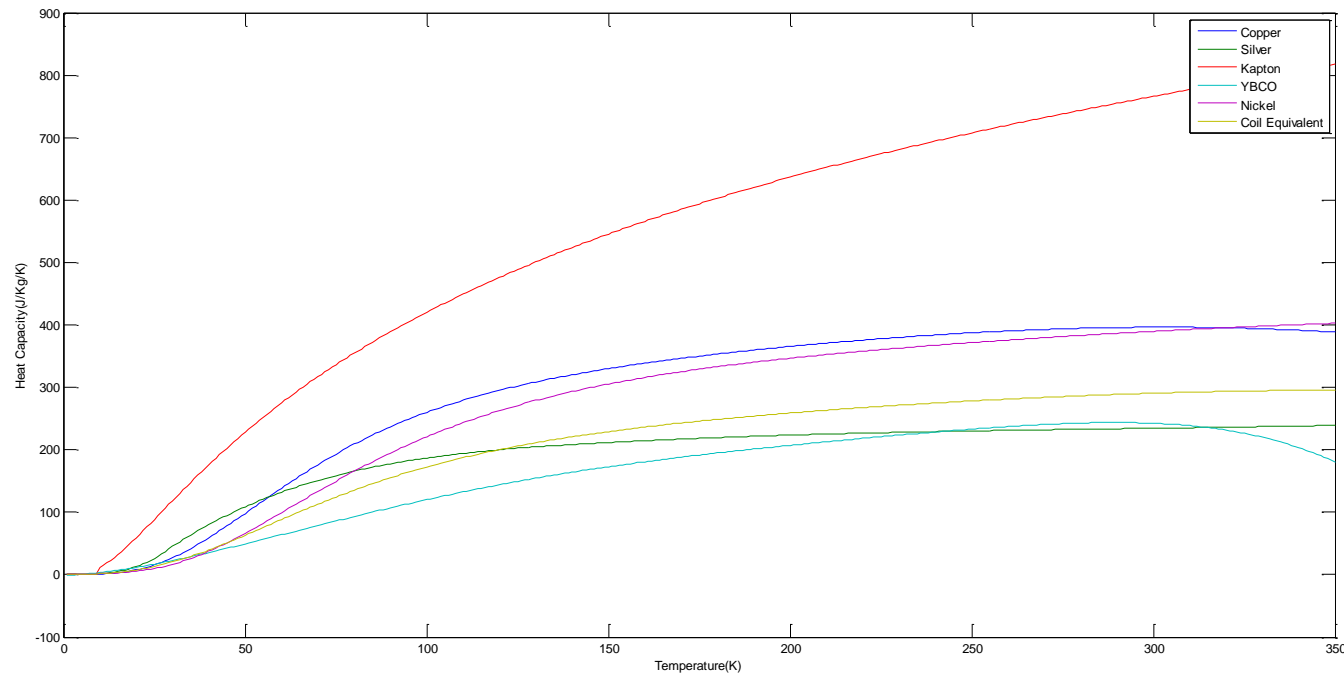
Thermal conductivities



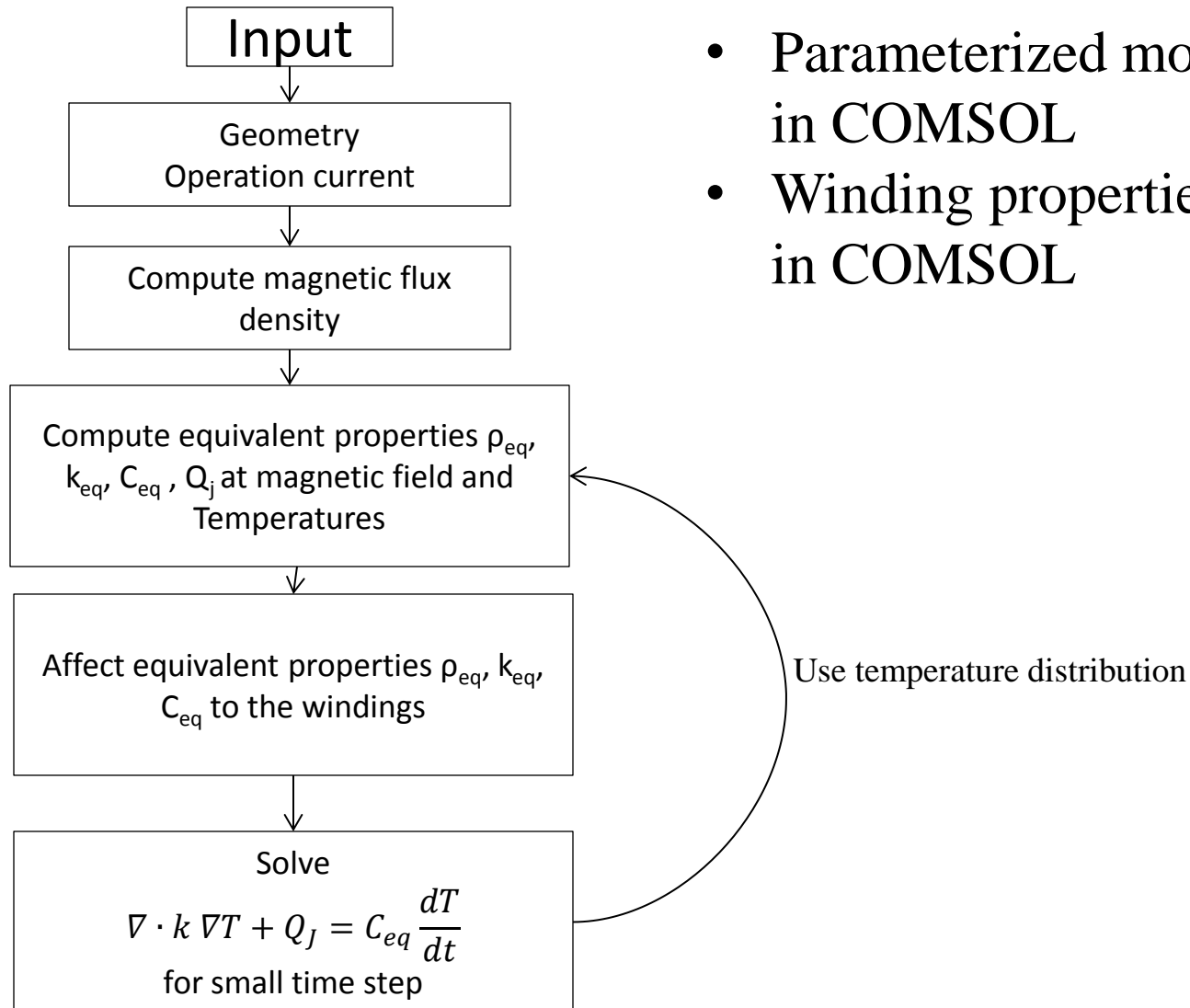
- Heat capacity:

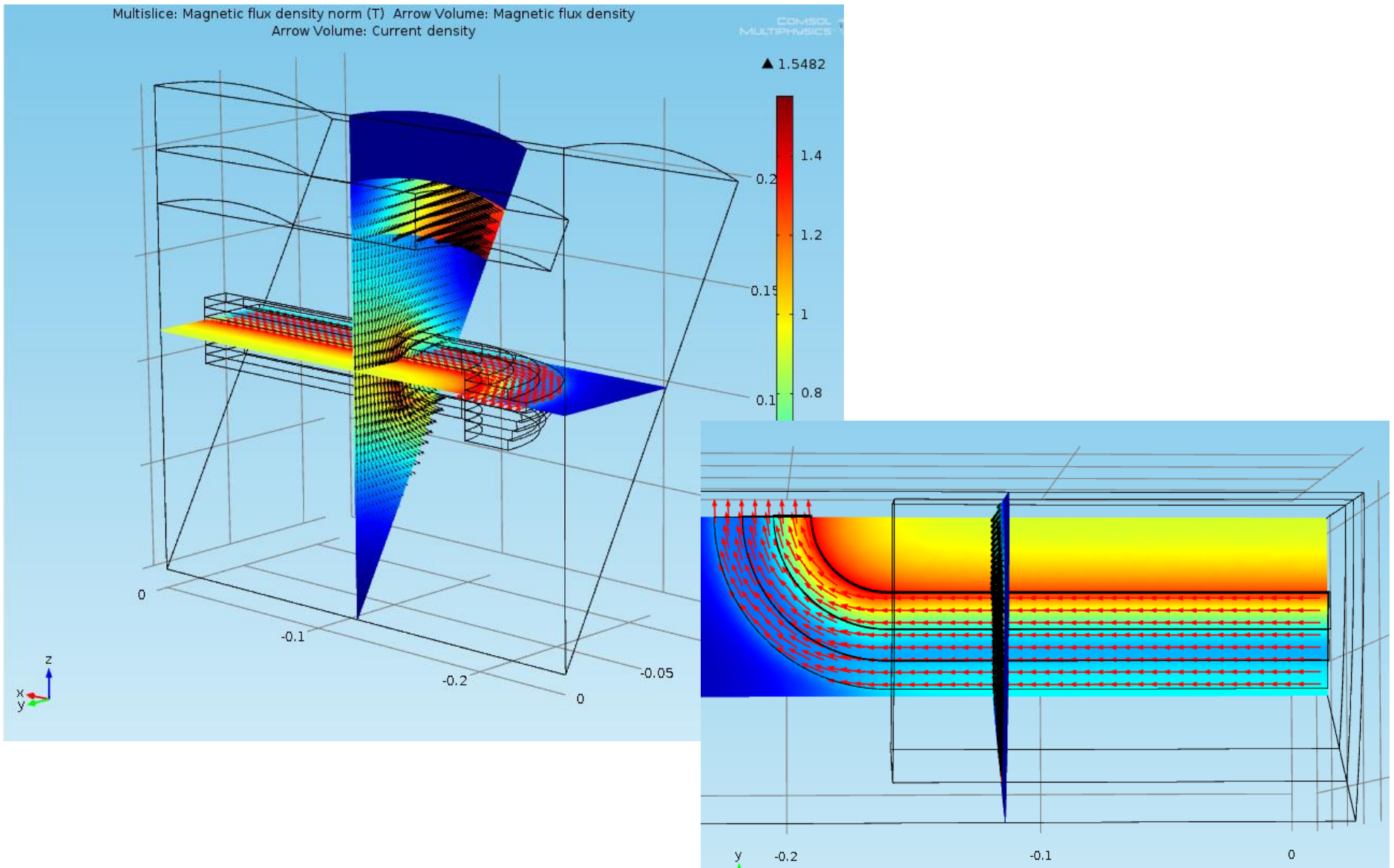
$$C_{eq} = \frac{\sum m \cdot C}{\sum m}$$

C_{eq} : equivalent heat capacity (J/Kg/K)
 C : heat capacity of layers (K/Kg/K)
 m : mass of layers (Kg)



- Parameterized model implemented in COMSOL
- Winding properties are calculated in COMSOL



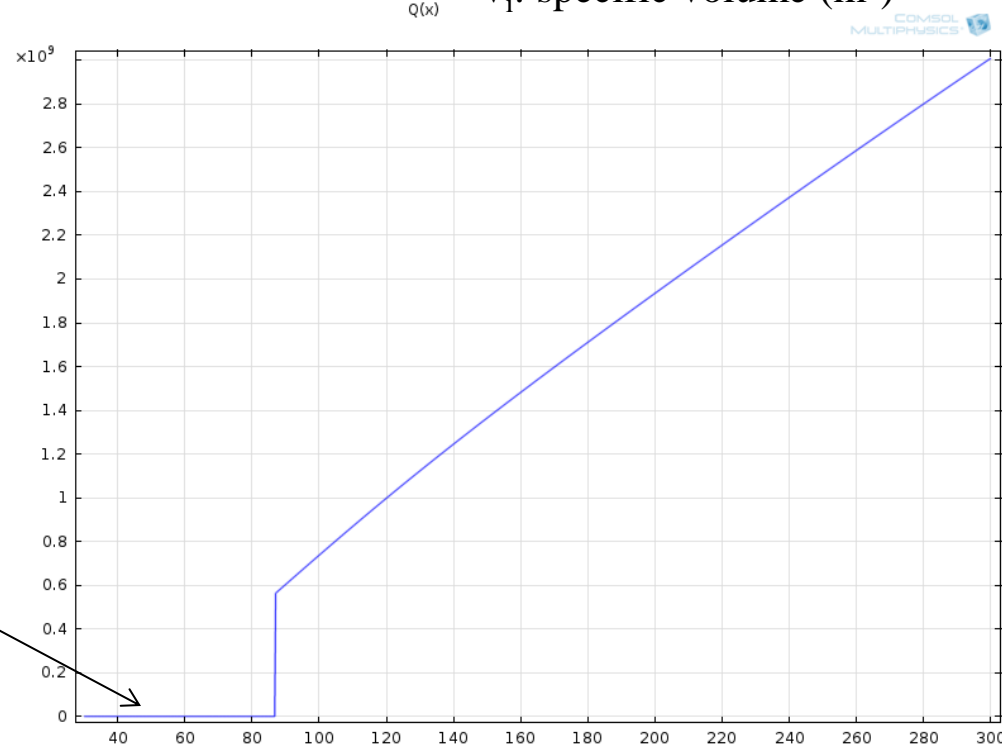


Coil heat source

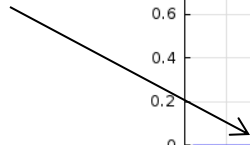
$$Q_J = \frac{1}{V_i} \iiint_{V_i} E(t) \cdot J(t) dv = \frac{J_{operating}^2}{\sigma_{coil}(T, B)}$$

With:

- $J_{operating}$: operating current density (A/m²)
- σ_{coil} : equivalent conductivity of the coil (S/m)
- P_j : Joule losses in the coil (W/m³)
- V_i : specific volume (m³)



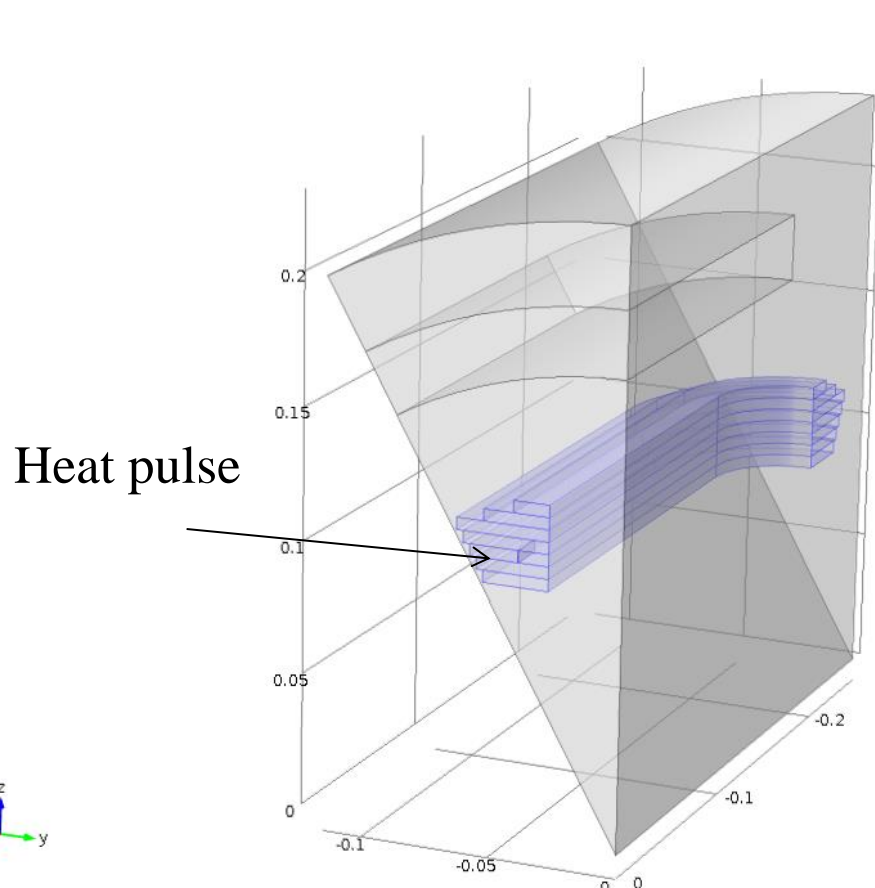
Superconducting state



Joule losses versus temperature at constant magnetic field (1T)

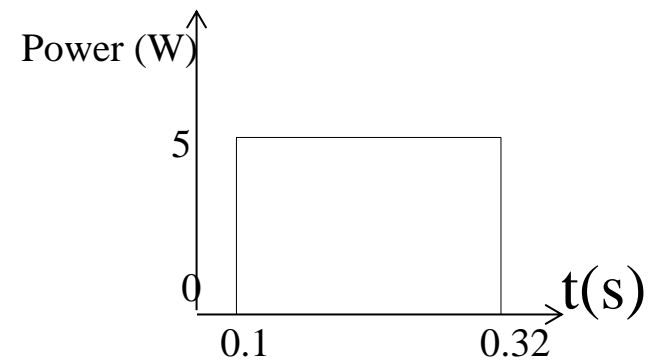
Thermal model

- Cooling from inner pole surface (heat exchange coefficient)
- Joule losses in the winding as Heat source

COMSOL
MULTIPHYSICS

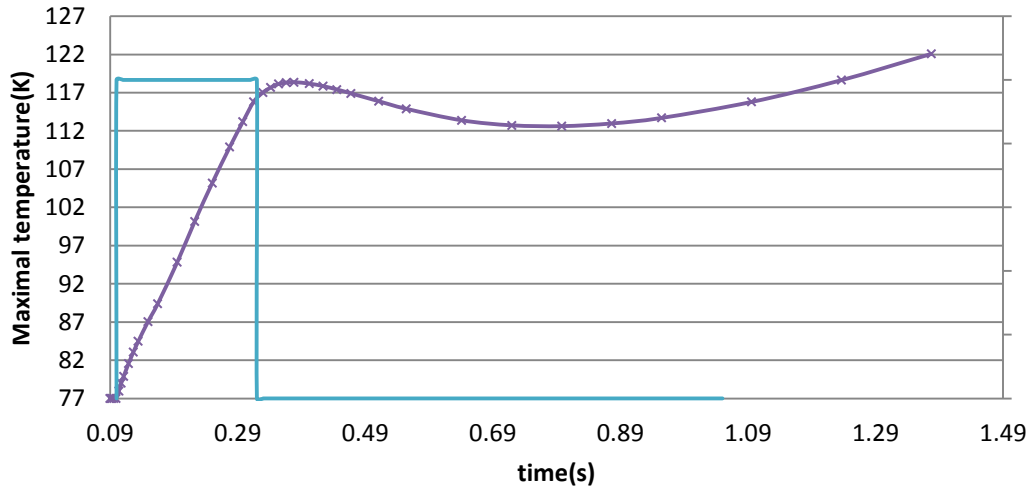
Heat source:

- Rectangle pulse
- Start time: 0.1 s
- Duration 220 ms
- Value ≈ 5 W at 77K

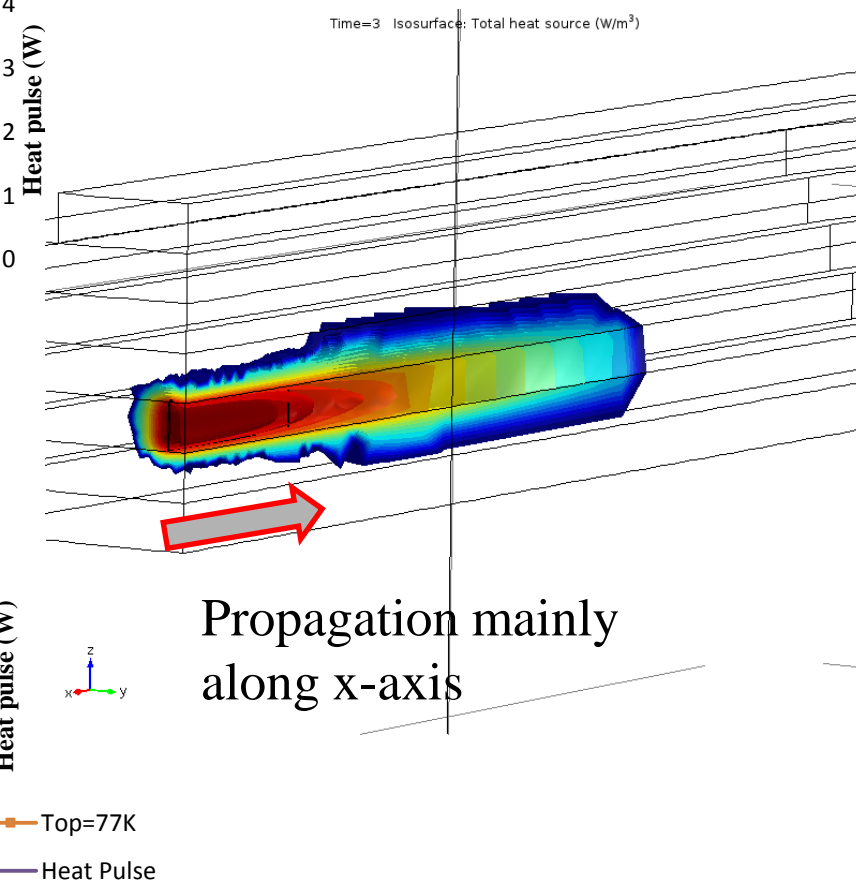
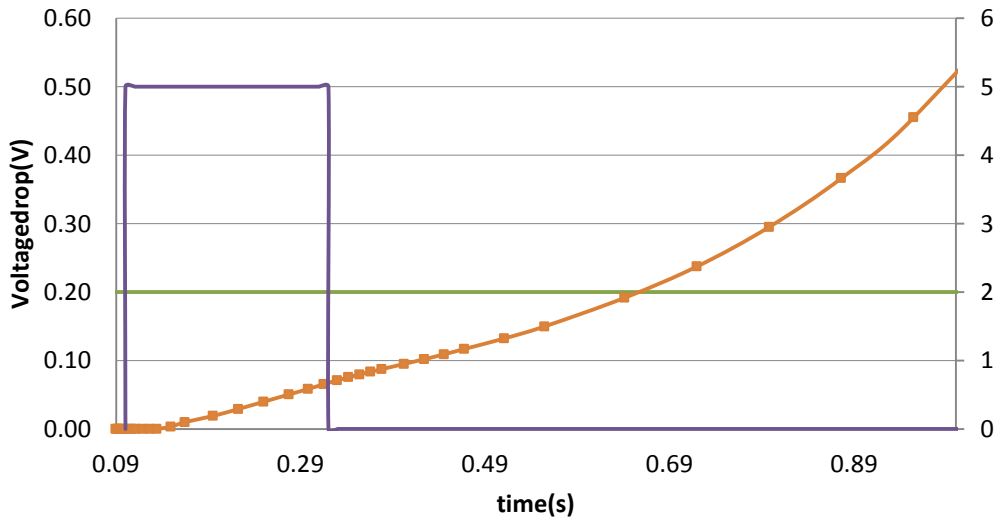


Example of Quench Simulation at 77 K

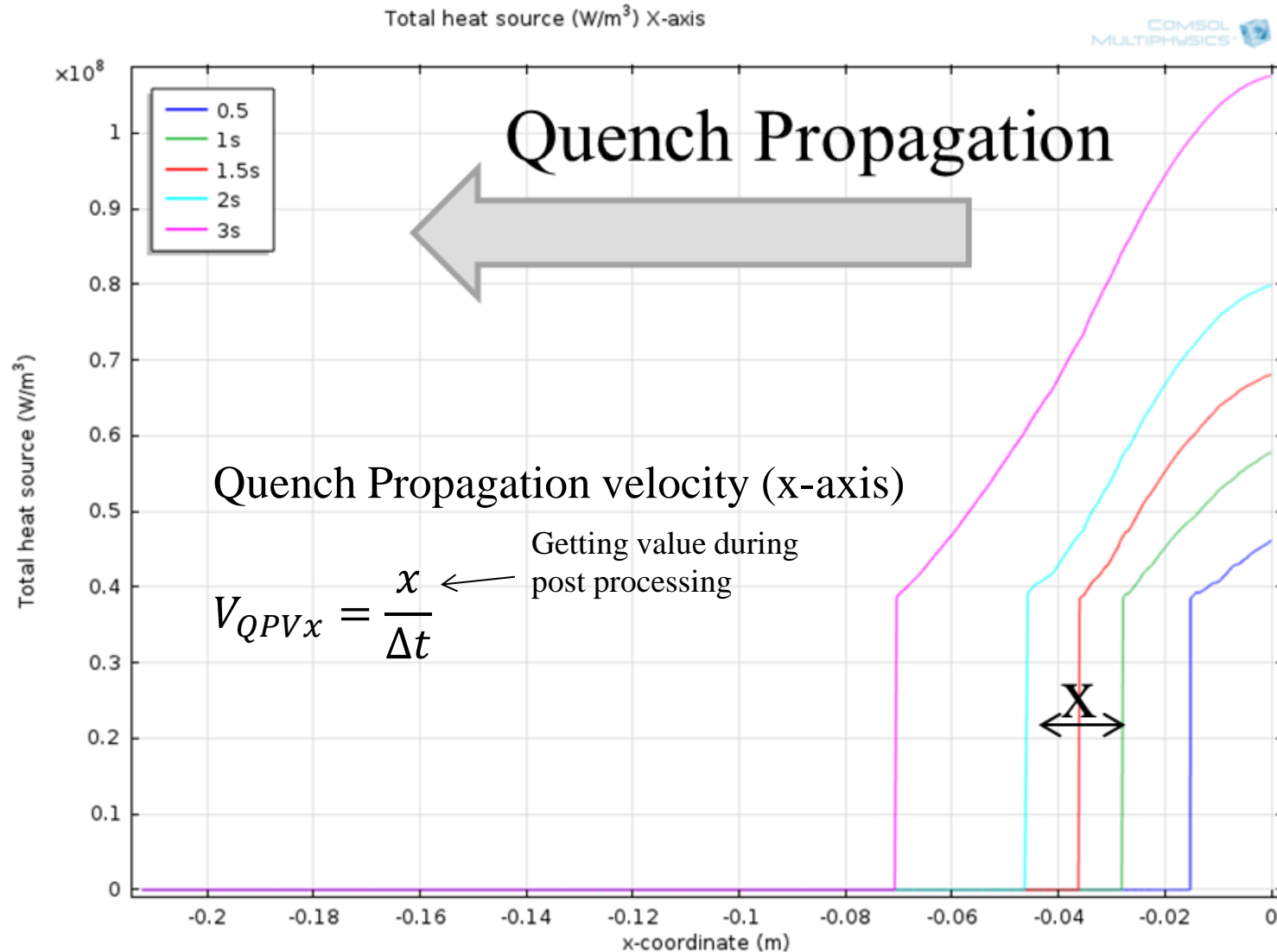
maximal temperature versus time



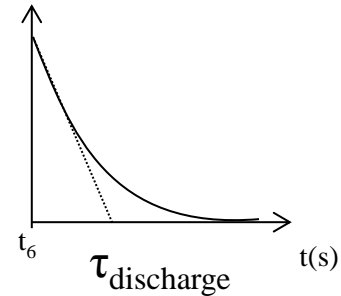
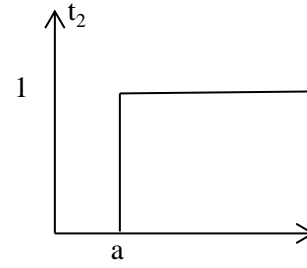
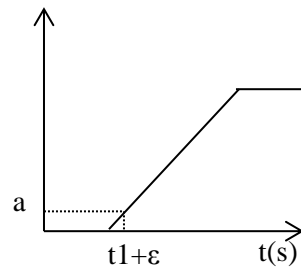
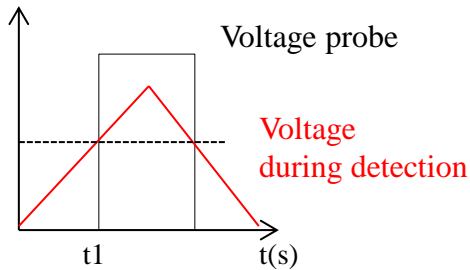
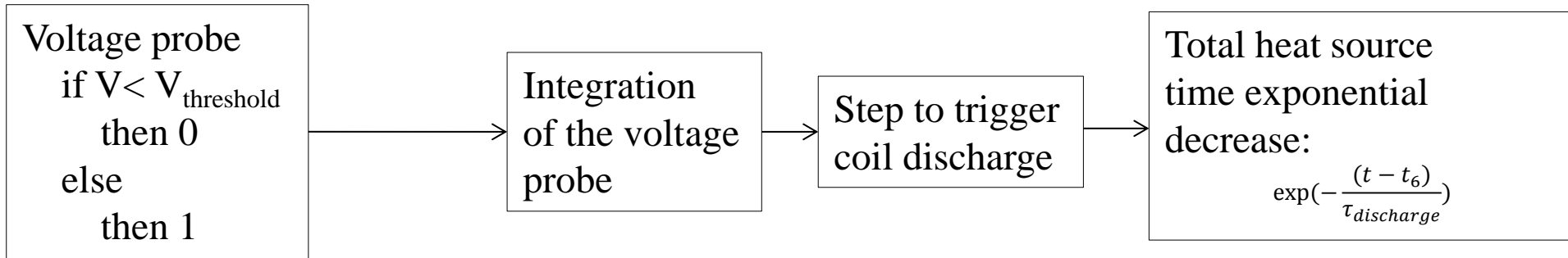
Voltage drop versus temperature



Propagation mainly along x-axis



Quench detection



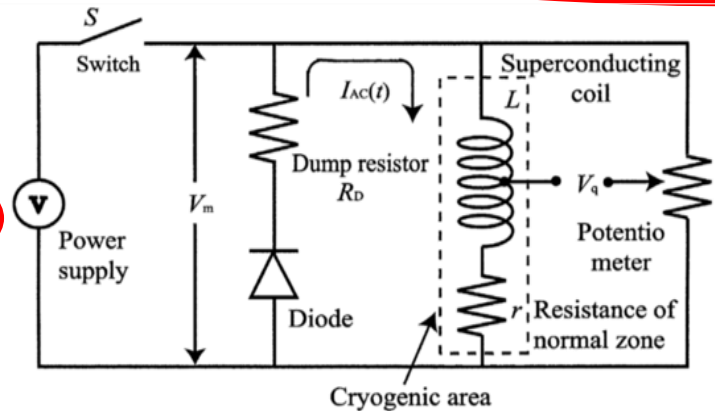
With $\tau_{\text{discharge}} = \frac{L}{R}$ the discharge time constant

L the inductance of the winding, R: the dump resistance

And $t_6 = \int (t_2 < 1) dt$

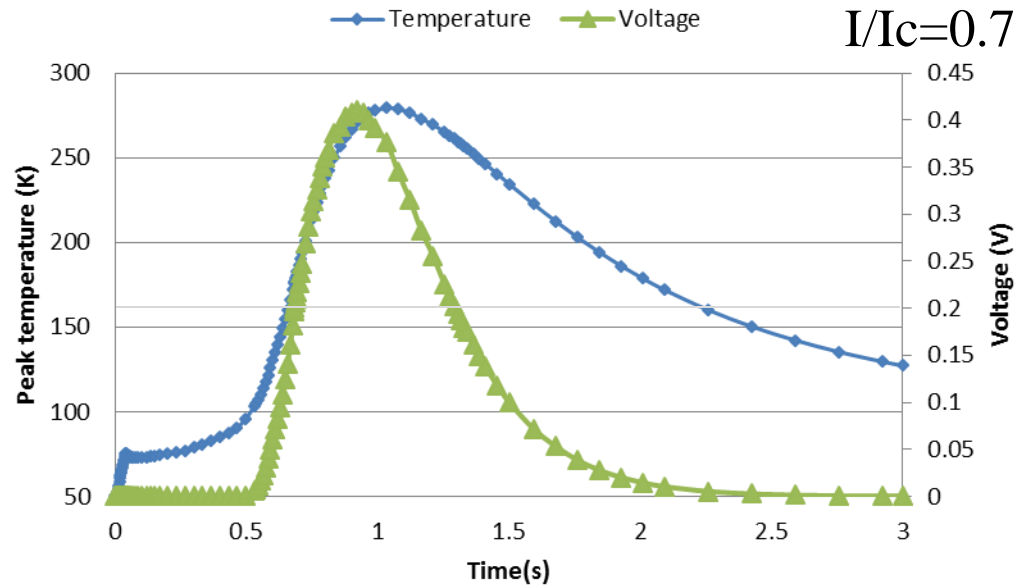
Example of Quench Simulations

- Voltage detection
 - Threshold: **400 mV**
 - Current discharge time constant: **0.5 s**



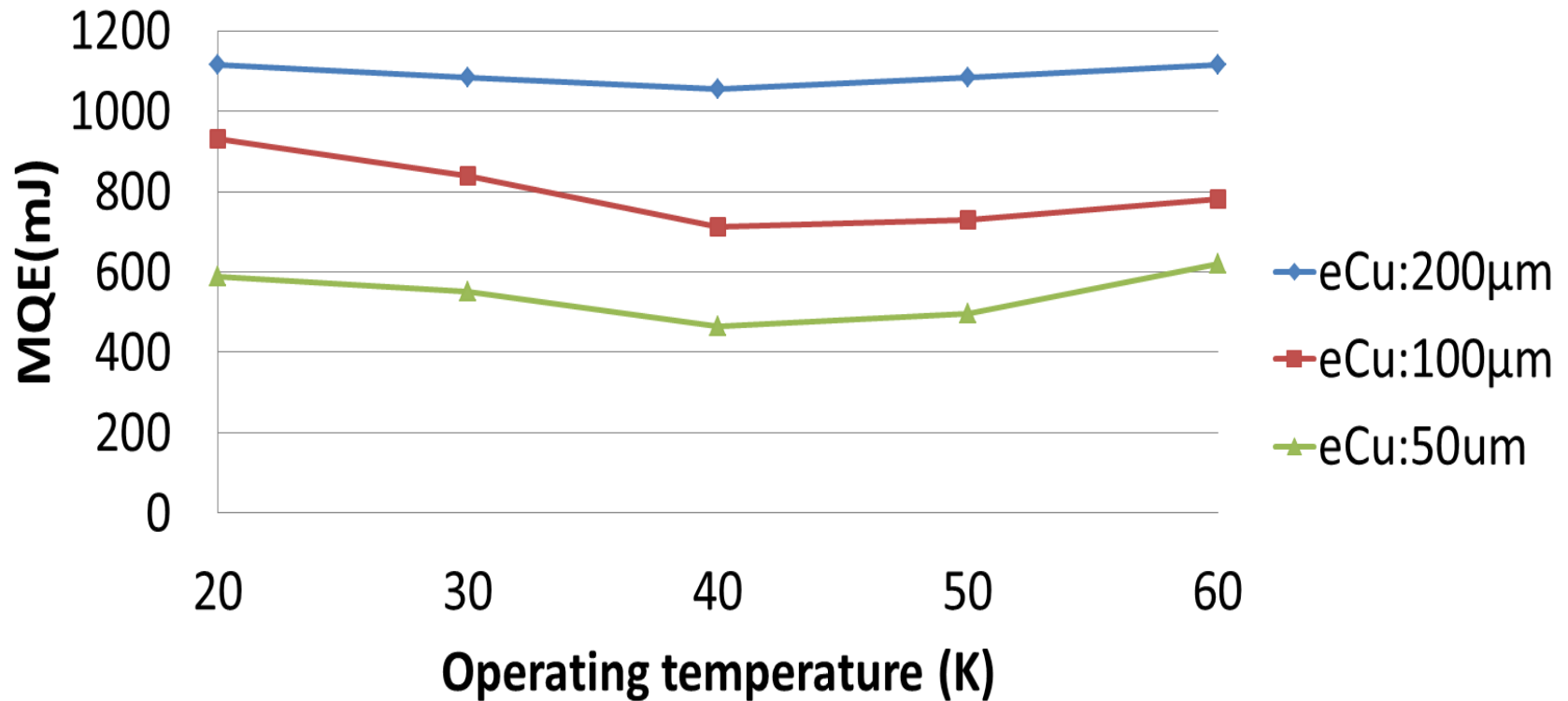
Time=0.018889

Top: 50 K
I/I_c=0.7

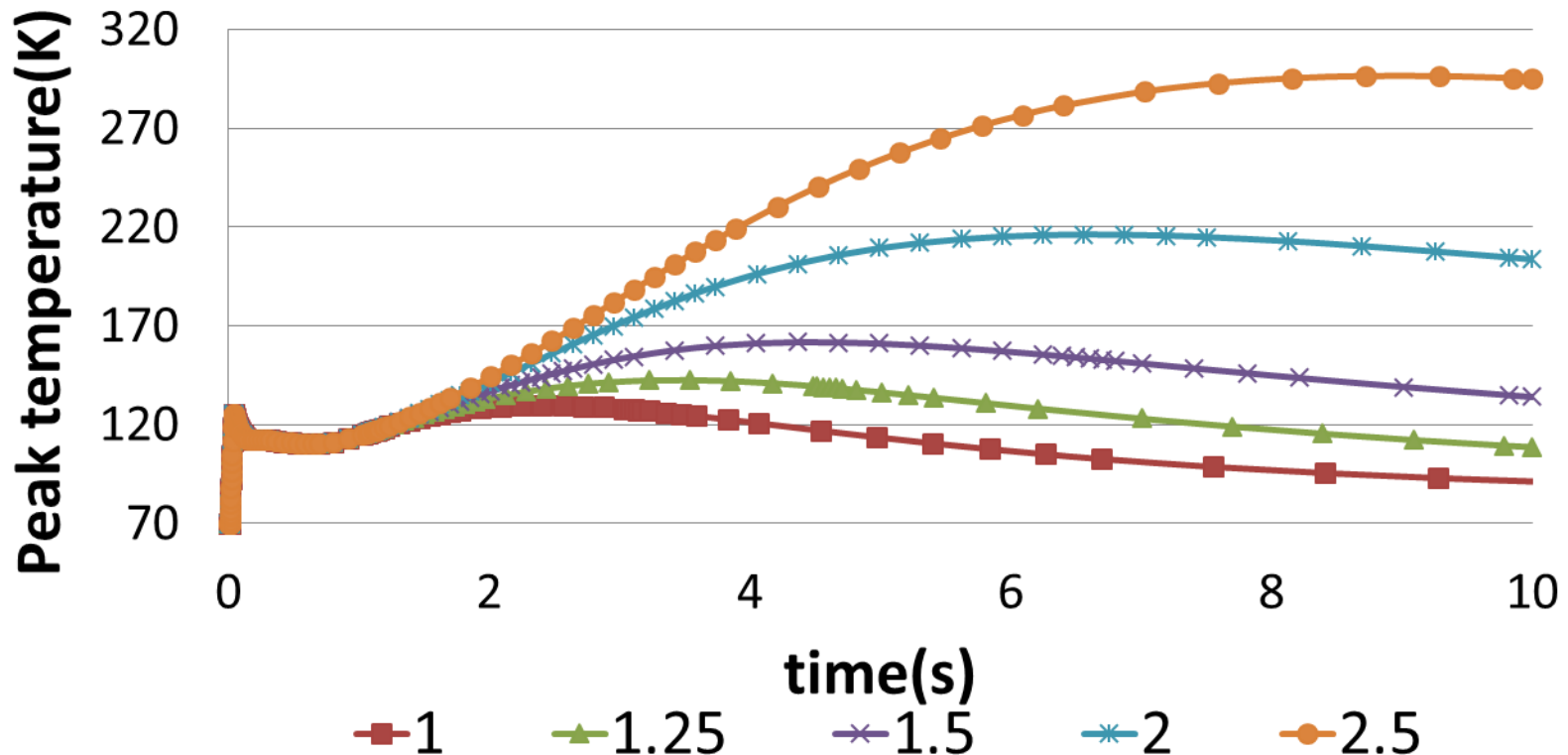


Pulse of heat induces quench in winding

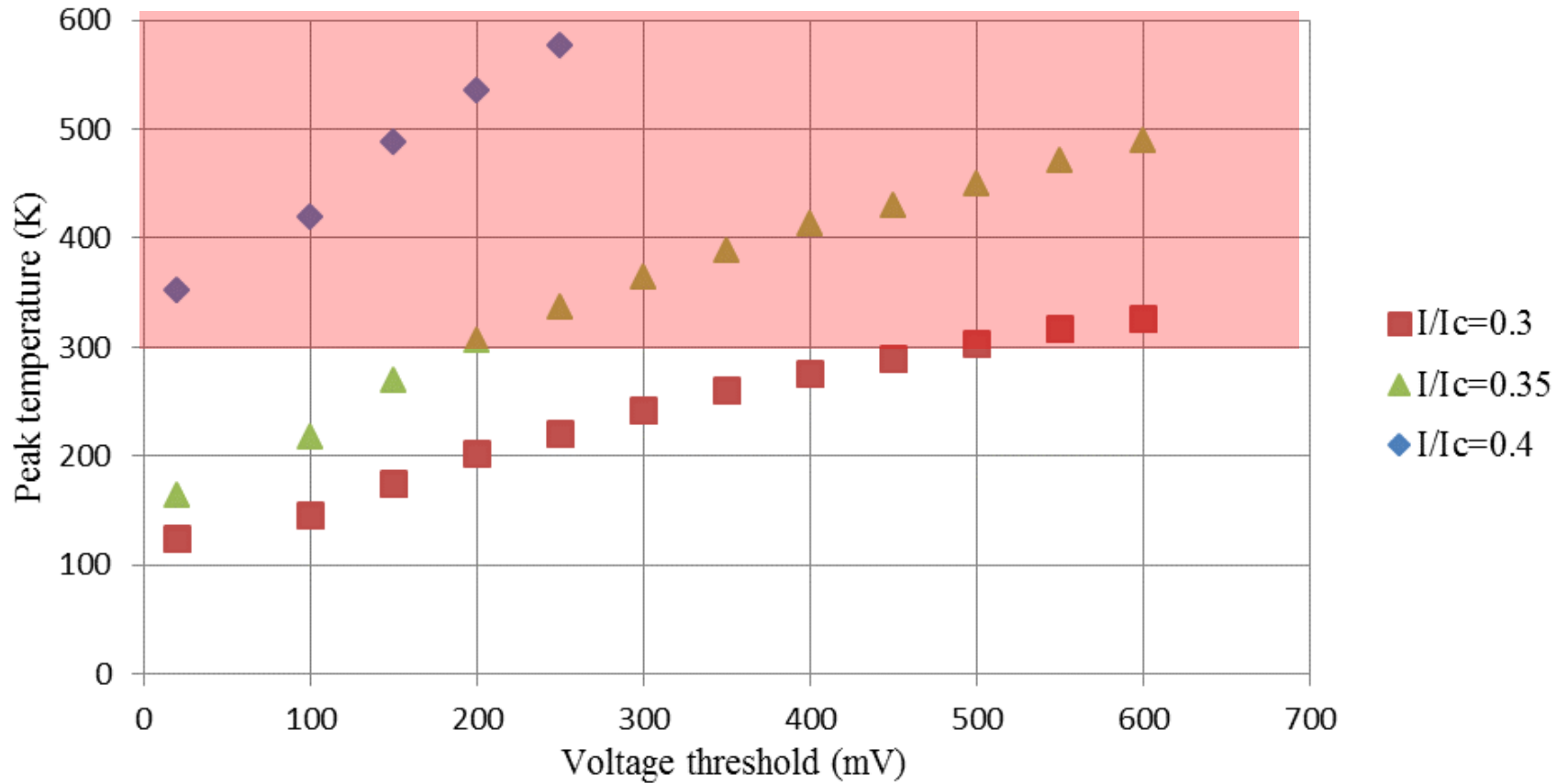
Minimum Quench Energy (MQE) versus operating temperature

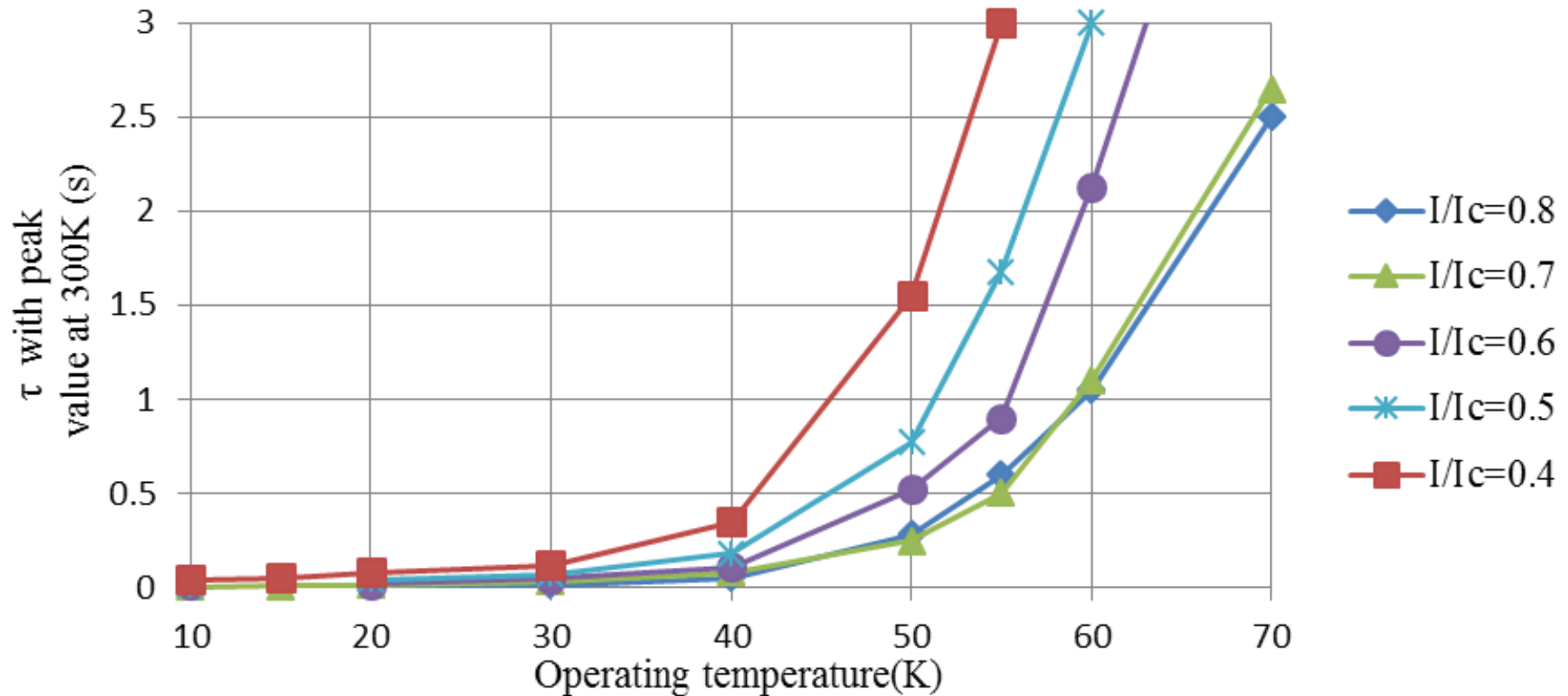


Peak temperature in the winding with different discharge time constant

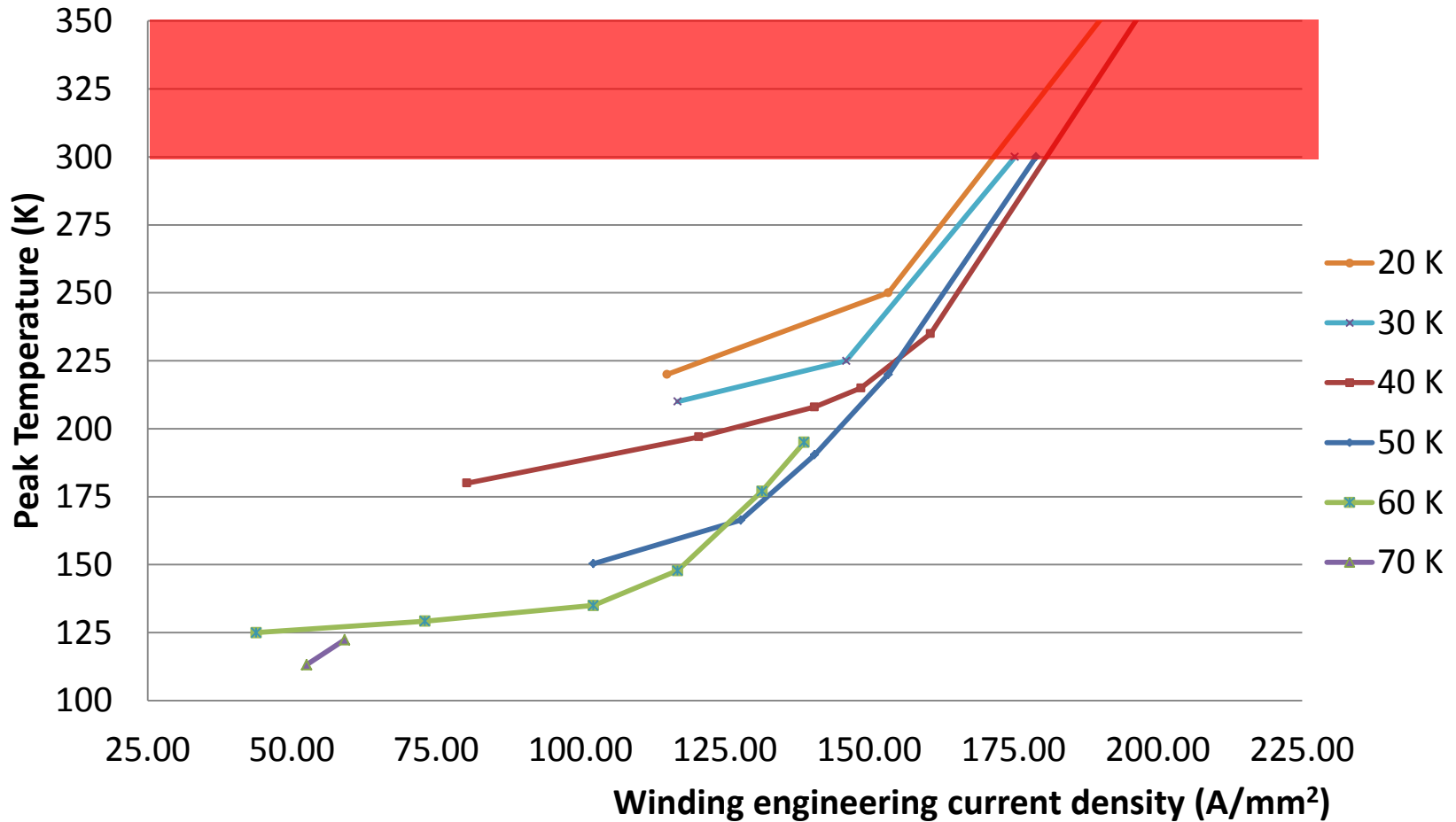


Impact of Detection Threshold on Peak Temp.

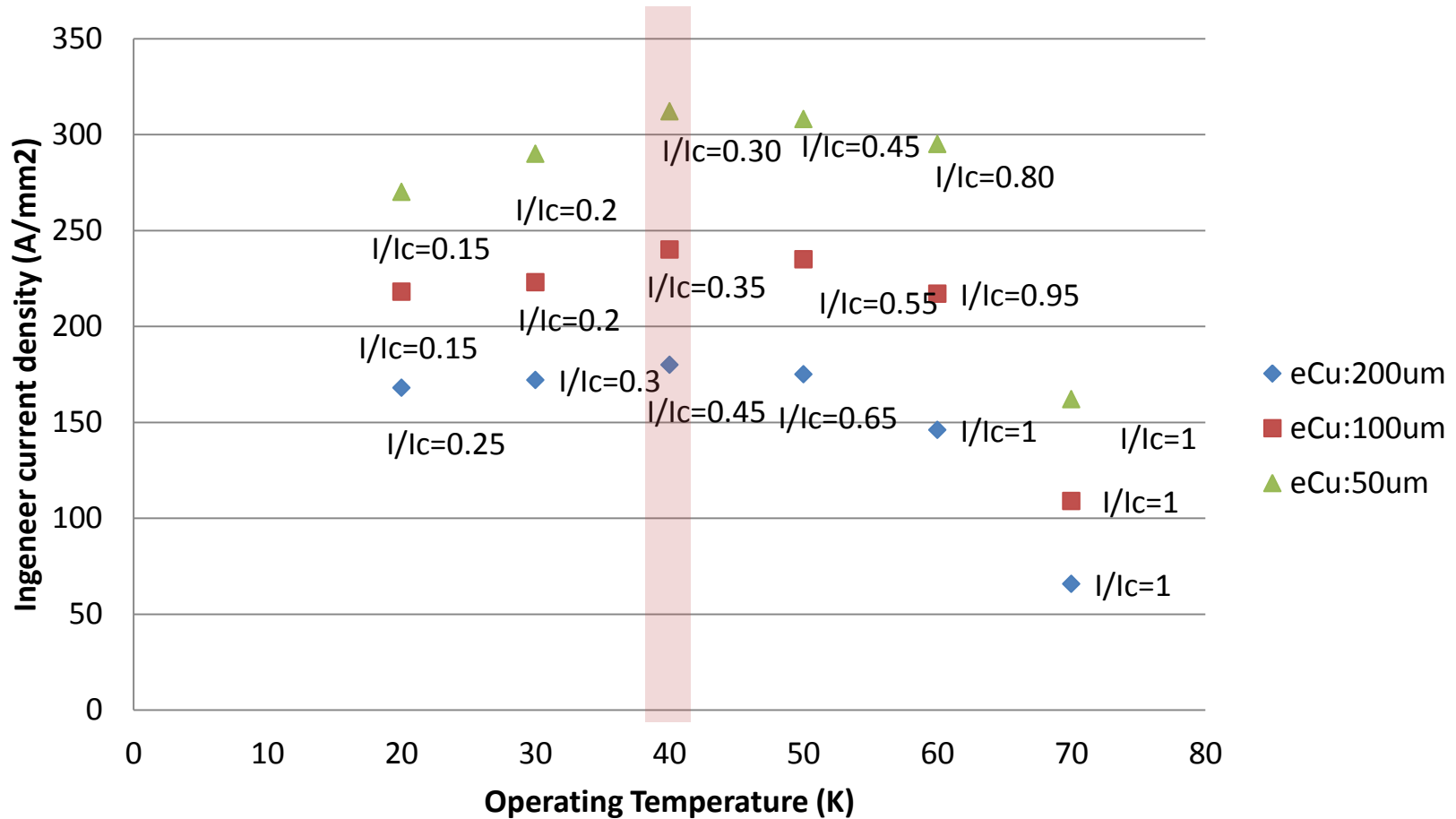


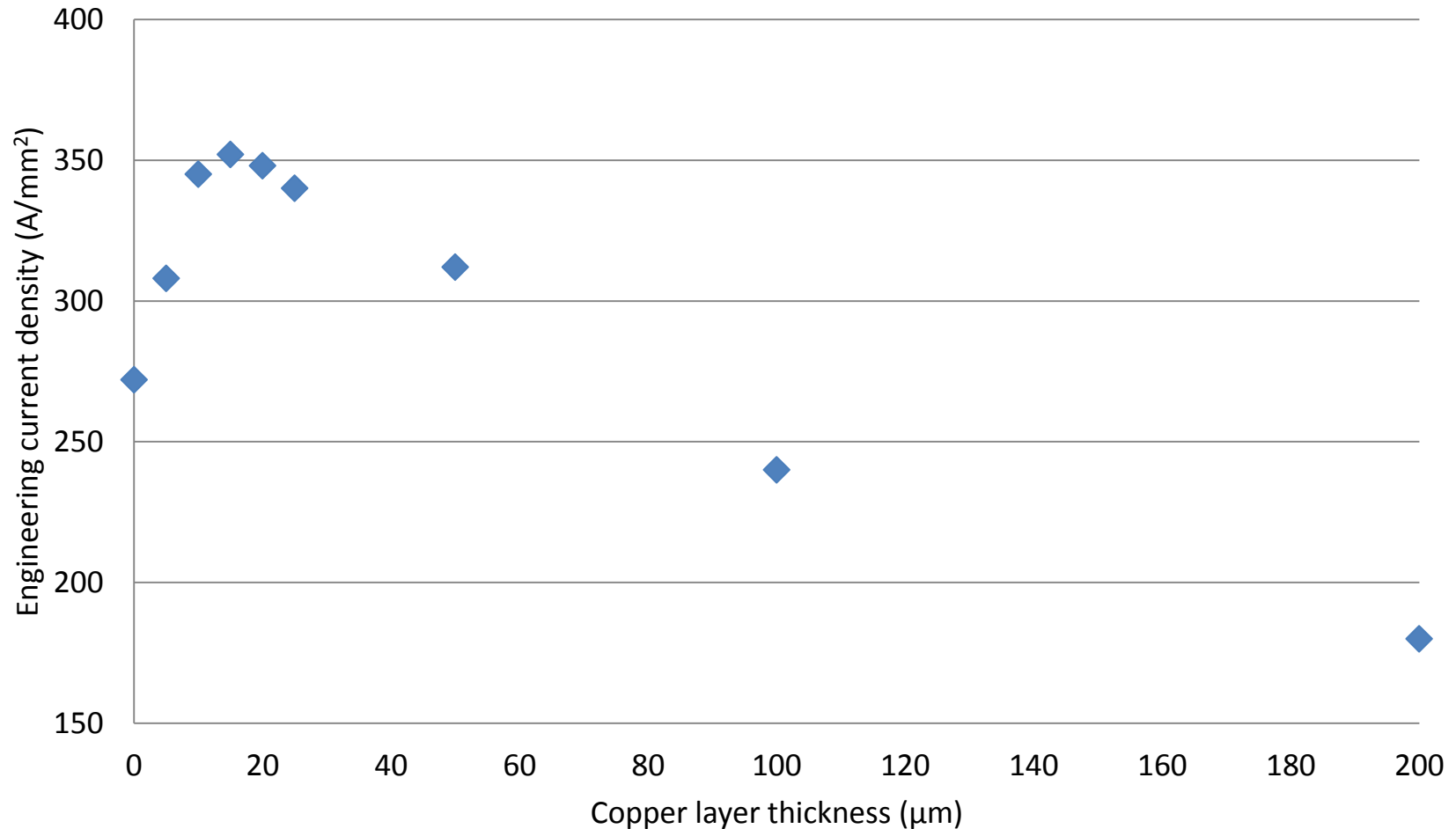


Peak Temperature vs. Je



Highest admissible engineering current density (peak temperature at 300 K) versus operating temperature





15 µm copper layer thickness leads to the highest engineering. current density in the winding

- Parameterized model developed for YBCO
 - Quench behavior can be estimated from
 - Materials composing winding
 - $J_c(B,T)$ characteristic of the superconductor
 - Voltage detection threshold
 - Discharge time constant
- Python code is being generated based on simulation results and will be implemented in Amber
 - Quench protection will be used as additional constraints for the machine design
- More data needs to be generated to extract response surface
- Need coupling with external electric circuit model
 - magnetic coupling, quench back
- Development of an in house flexible tool independent from FEA commercial packages is being considered