

What I do(t): Last year and half, (re)focused on h, \mathcal{H}

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Fit pheno:

Espinosa, Muhlleitner, Grojean, Trott arXiv:1202.3697

Espinosa, Muhlleitner, Grojean, Trott arXiv: 1205.6790

Espinosa, Muhlleitner, Grojean, Trott arXiv:1207.1717

Espinosa, Grojean, Sanz, Trott arXiv:1207.7355

Content (for ref):

Basic EFT fits & limits

Invisible width, PDF developments

“Tension”, ICHEP data (updates)

NSUSY

RGE/Minimal Coupling bro-ha-ha:

Grojean , Jenkins, Manohar,Trott, arXiv:1301.1717

Jenkins, Manohar,Trott, arXiv:1305.0017

Jenkins, Manohar,Trott arXiv:1308.2627, 1309.0819, 1310.4838

Higgs RGE, initial study

EFT's are not Minimal coupled!

RGE systematically being sorted out

Distributions for the EFTs, rare decays:

Isidori, Manohar,Trott arXiv:1305.0017

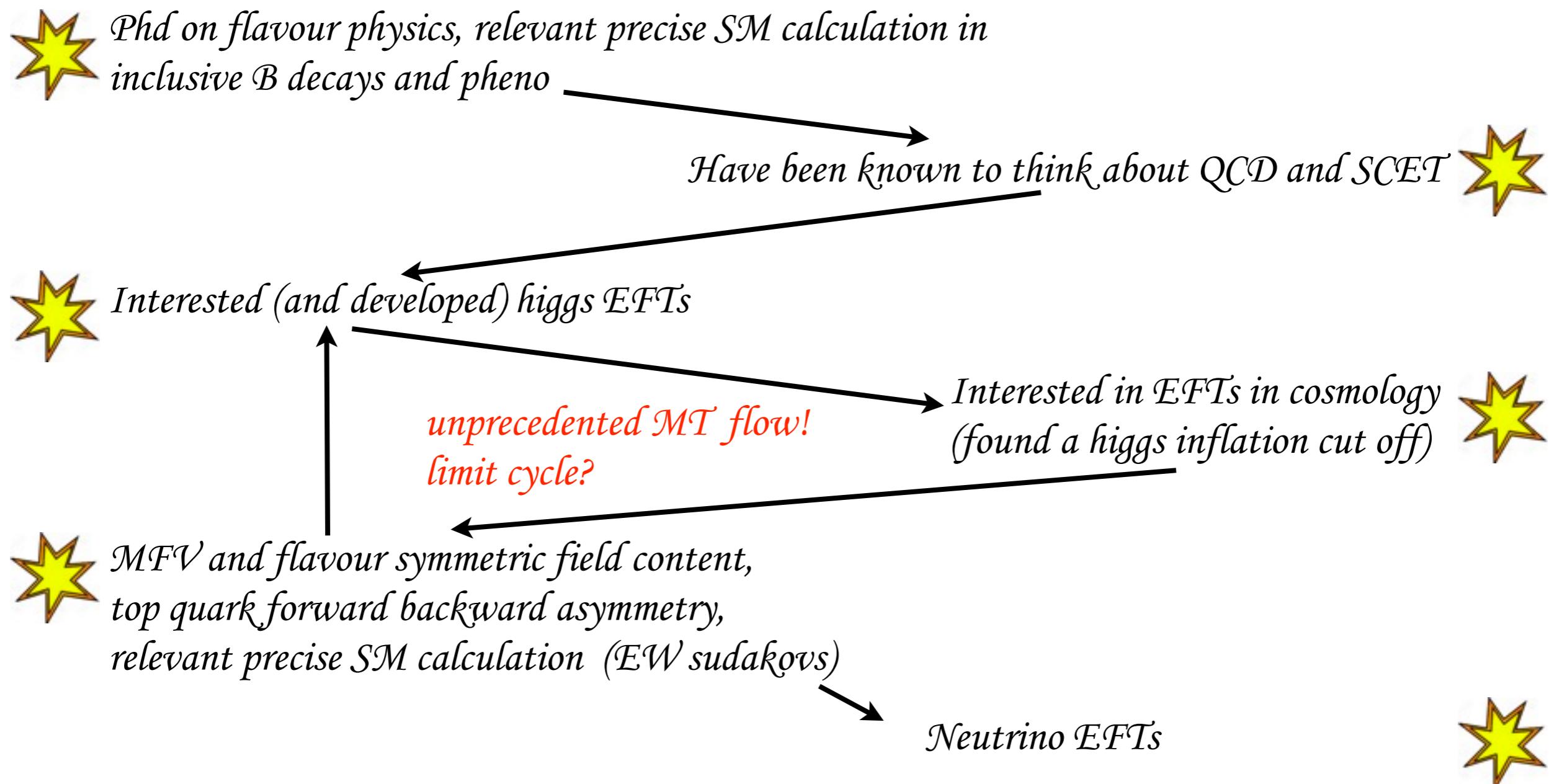
Isidori, Trott arXiv:1307.4051

EFT analysis $h \rightarrow V F$

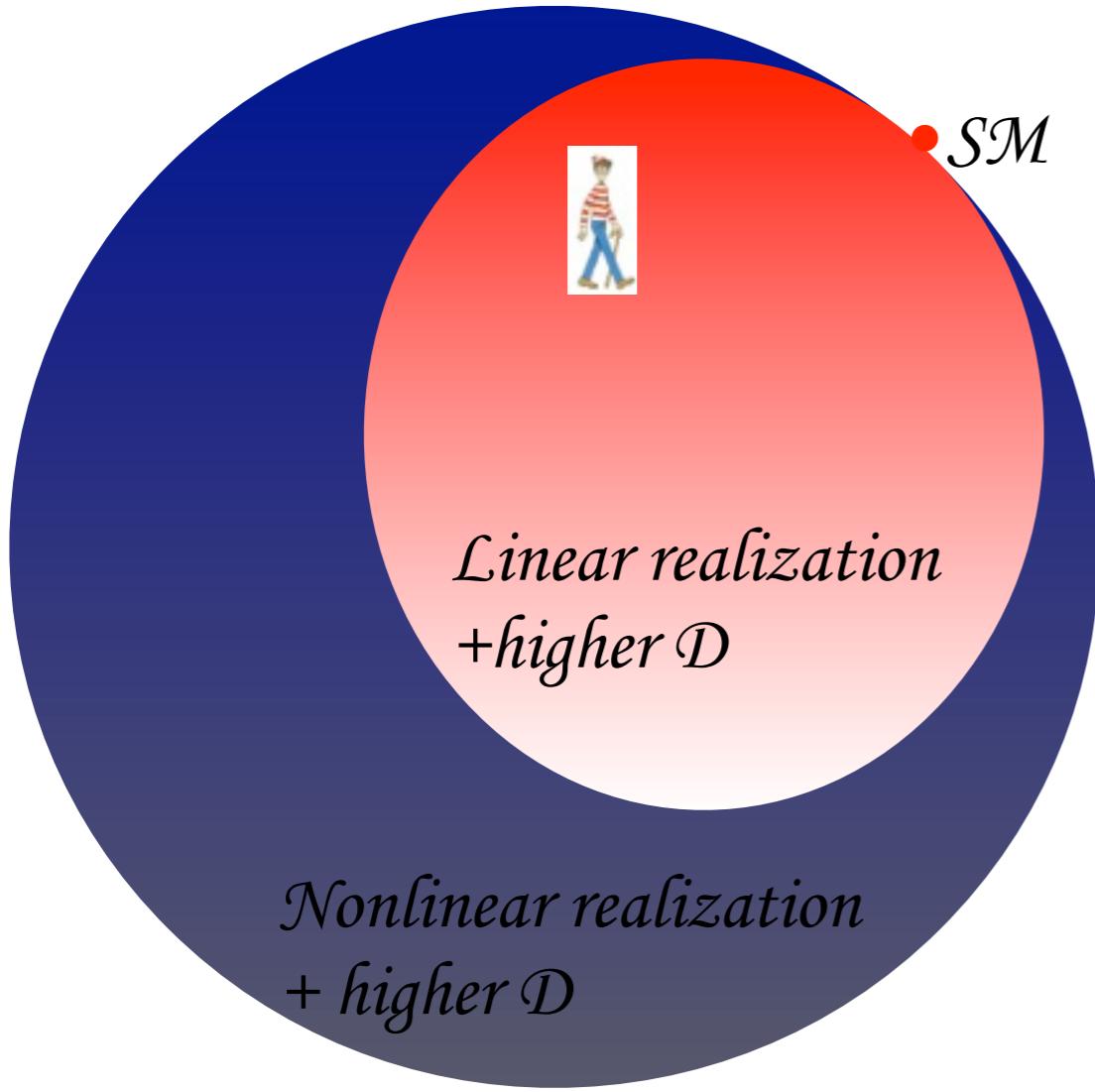
EFT analysis $F \rightarrow h V$

Although currently interested in $h, \mathcal{H}...$

Broad interests:



Current interests, 1: is it h or \mathcal{H} ?



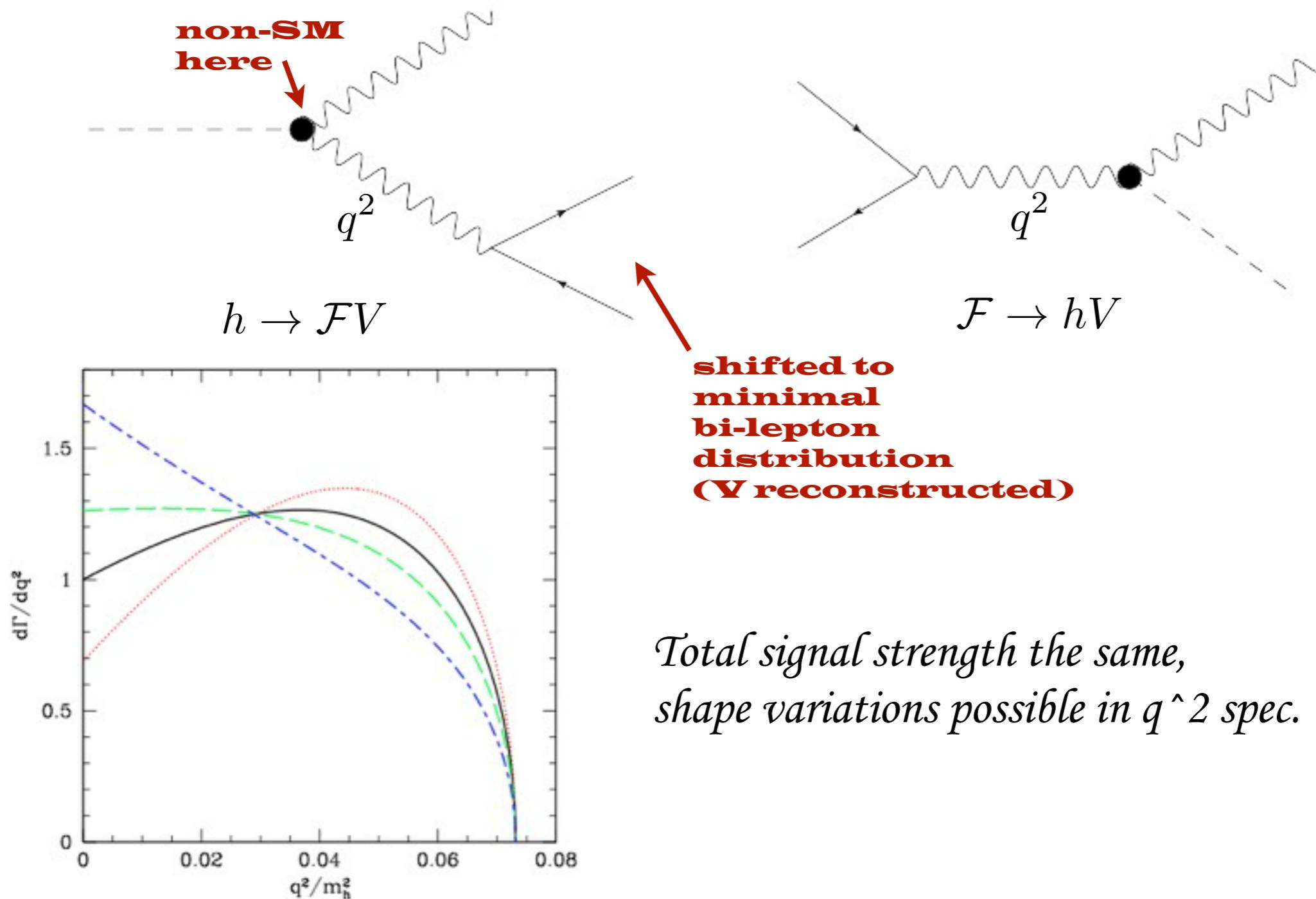
We want to know IF the scalar, the Higgs-Like Boson, the $BEEH$, whateveris embedded in a non-SM derivative expansion, and if so, which one.

We need to test, and distinguish the EFT's to sub-leading order.

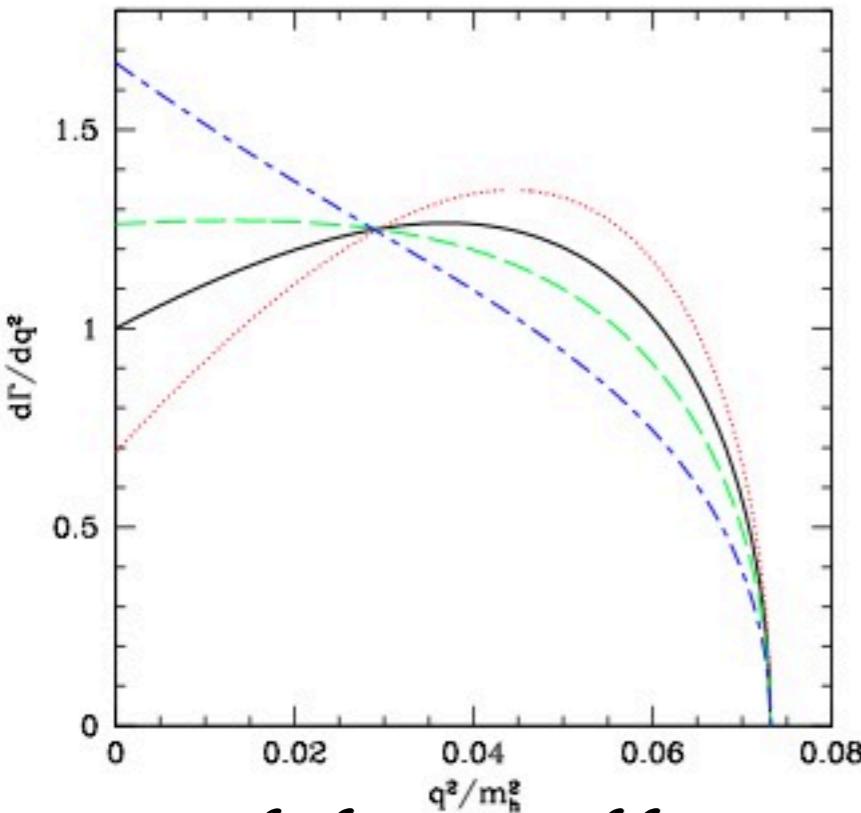
These two extensions of the SM are NOT the same EFT ---at any finite precision.

Testing the derivative expansion

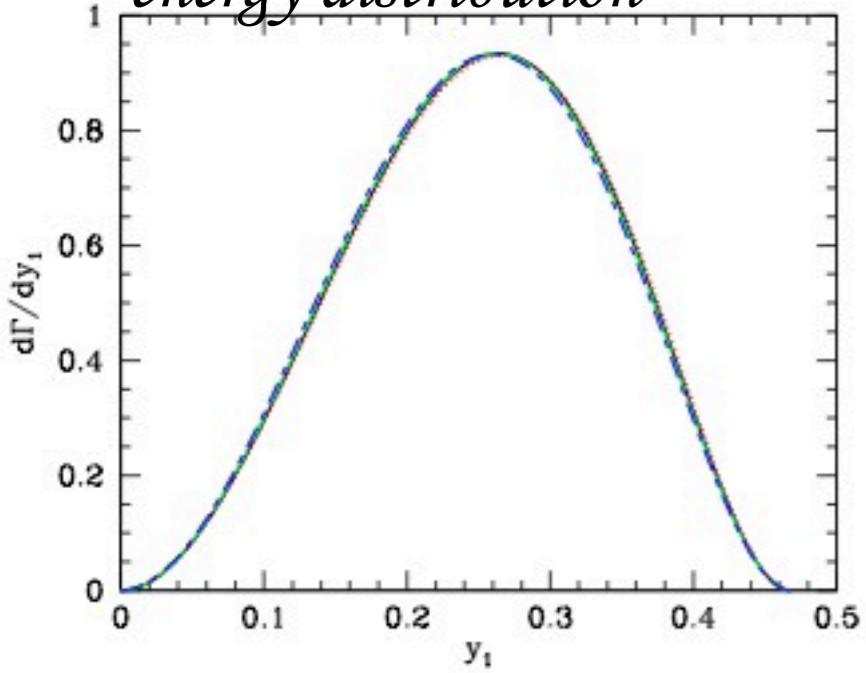
Consider the following processes with non-SM interactions involving the “ h ”:



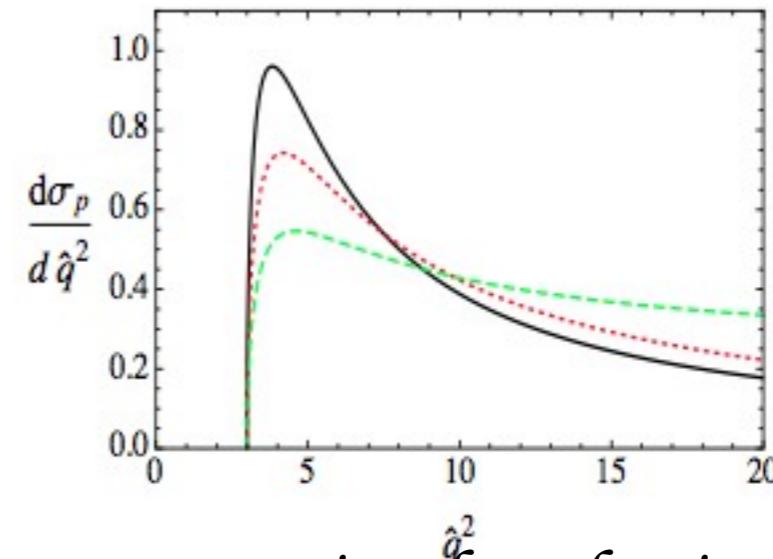
Testing the derivative expansion



q^2 bi-lepton and lepton energy distribution

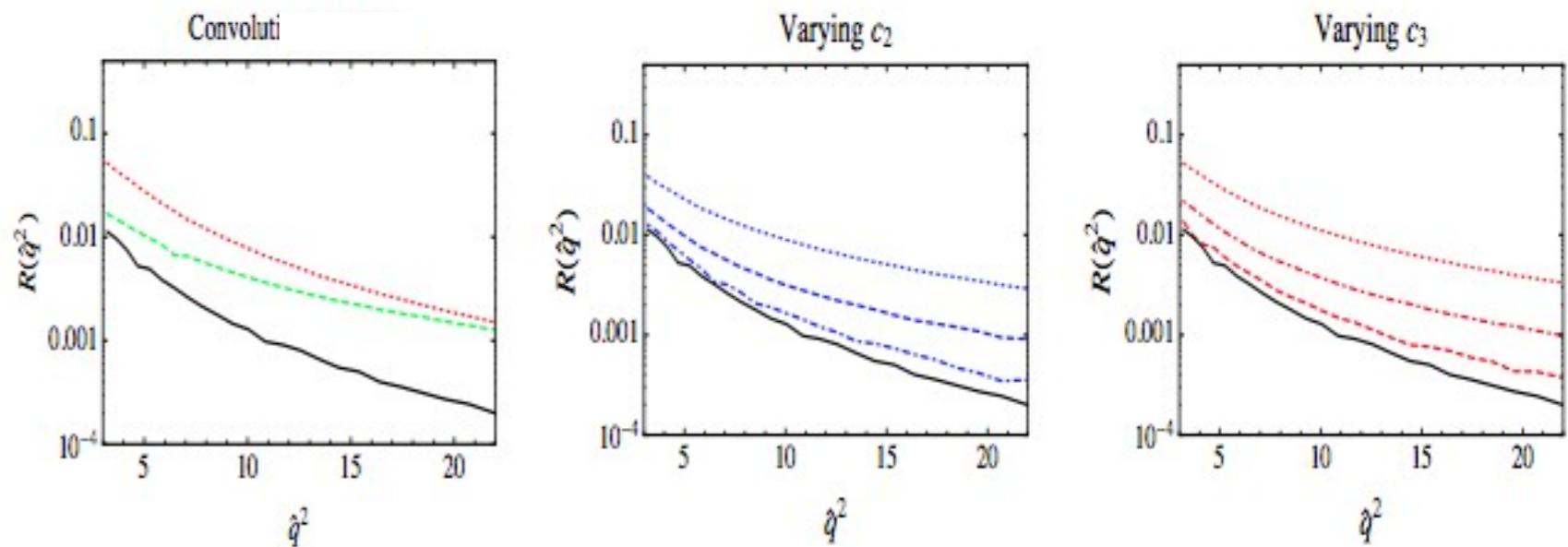


If this deviates more than expected in linear realization, nonlinear smoking gun



associated production

PDF's suck (sorry juan) in associated production



2: Moving towards a precision understanding of the (linear) SM EFT

- 1) Using EFT allow(s,ed) you to make pretty plots.
- 2) Violently changes the UV divergence structure of the theory!
 - this may seem like a trivial modification of Higgs phenomenology, some new interactions, some re-scalings of SM expectations.

Effective Theory:

$$\mathcal{L}_{SM} + \sum_i \frac{c_i}{\Lambda^2} \mathcal{O}_i + \sum_i c.t.$$

Renormalize it!

MUST reproduce the IR of the full theory!

Full Theory:

$$\mathcal{L}_{SM} + \mathcal{L}_{please\ exist} + \sum_i c.t.$$

Renormalize it!

Run the ops.
As we don't see other NP effects at low scales

Matching

There were subtle warnings not to do this:

Interesting fact, Latexit will not even display a 59×59 dim matrix. Here is a 45×45 one:

Took a couple months of work..

With further thought, it does not really make sense to think of just RGE improving a sector like the higgs sector. We need the whole RGE evolution.

O_1	O_1
O_2	O_2
O_3	O_3
O_4	O_4
O_5	O_5
O_6	O_6
O_7	O_7
O_8	O_8
O_9	O_9
O_{10}	O_{10}
O_{11}	O_{11}
O_{12}	O_{12}
O_{13}	O_{13}
O_{14}	O_{14}
O_{15}	O_{15}
O_{16}	O_{16}
O_{17}	O_{17}
O_{18}	O_{18}
O_{19}	O_{19}
O_{20}	O_{20}
O_{21}	O_{21}
O_{22}	O_{22}
O_{23}	O_{23}
O_{24}	O_{24}
O_{25}	O_{25}
O_{26}	O_{26}
O_{27}	O_{27}
O_{28}	O_{28}
O_{30}	O_{30}
O_{31}	O_{31}
O_{32}	O_{32}
O_{33}	O_{33}
O_{34}	O_{34}
O_{35}	O_{35}
O_{36}	O_{36}
O_{37}	O_{37}
O_{38}	O_{38}
O_{39}	O_{39}
O_{40}	O_{40}
O_{41}	O_{41}
O_{42}	O_{42}
O_{43}	O_{43}
O_{44}	O_{44}
O_{45}	O_{45}

Example

Not the whole row, just a subset of terms (yukawas)

$$\begin{aligned}
& \left(\begin{array}{c} O_1 \\ O_2 \\ O_3 \\ O_4 \\ O_5 \\ O_6 \\ O_7 \\ O_8 \\ O_9 \\ O_{10} \\ O_{11} \\ O_{12} \\ O_{13} \\ O_{14} \\ O_{15} \\ O_{16} \\ O_{17} \\ O_{18} \\ O_{19} \\ O_{20} \\ O_{21} \\ O_{22} \\ O_{23} \\ O_{24} \\ O_{25} \\ O_{26} \\ O_{27} \\ O_{28} \\ O_{29} \\ O_{30} \\ O_{31} \\ O_{32} \\ O_{33} \\ O_{34} \\ O_{35} \\ O_{36} \\ O_{37} \\ O_{38} \\ O_{39} \\ O_{40} \\ O_{41} \\ O_{42} \\ O_{43} \\ O_{44} \\ O_{45} \end{array} \right) = \boxed{\dot{C}_{prst}^{(1)} = \frac{1}{2}[Y_u^\dagger Y_u - Y_d^\dagger Y_d]_{pr} C_{Hq}^{(1)} + \frac{1}{2}[Y_u^\dagger Y_u - Y_d^\dagger Y_d]_{st} C_{Hq}^{(1)} \\
+ \frac{1}{4N_c} \left([Y_u^\dagger]_{pv} [Y_u]_{wr} C_{stvw}^{(8)} + [Y_u^\dagger]_{sv} [Y_u]_{wt} C_{prvw}^{(8)} \right) + \frac{1}{4N_c} \left([Y_d^\dagger]_{pv} [Y_d]_{wr} C_{stvw}^{(8)} + [Y_d^\dagger]_{sv} [Y_d]_{wt} C_{prvw}^{(8)} \right) \\
- \frac{1}{8} \left([Y_u^\dagger]_{pv} [Y_u]_{wt} C_{srvw}^{(8)} + [Y_u^\dagger]_{sv} [Y_u]_{wr} C_{ptvw}^{(8)} \right) - \frac{1}{8} \left([Y_d^\dagger]_{pv} [Y_d]_{wt} C_{srvw}^{(8)} + [Y_d^\dagger]_{sv} [Y_d]_{wr} C_{ptvw}^{(8)} \right) \\
+ \frac{1}{16N_c} \left([Y_d]_{wt} [Y_u]_{vr} C_{pesw}^{(8)} + [Y_d]_{wr} [Y_u]_{vt} C_{supw}^{(8)} \right) + \frac{1}{16N_c} \left([Y_d^\dagger]_{sw} [Y_u^\dagger]_{pv} C_{rvtw}^{(8)*} + [Y_d^\dagger]_{pw} [Y_u^\dagger]_{sv} C_{tvrw}^{(8)*} \right) \\
+ \frac{1}{16} \left([Y_d]_{wt} [Y_u]_{vr} C_{quqd}^{(8)} + [Y_d]_{wr} [Y_u]_{vt} C_{quqd}^{(8)} \right) + \frac{1}{16} \left([Y_d^\dagger]_{sw} [Y_u^\dagger]_{pv} C_{quqd}^{(8)*} + [Y_d^\dagger]_{pw} [Y_u^\dagger]_{sv} C_{quqd}^{(8)*} \right) \\
- \frac{1}{2} [Y_u^\dagger]_{pv} [Y_u]_{wr} C_{stvw}^{(1)} - \frac{1}{2} [Y_d^\dagger]_{pv} [Y_d]_{wr} C_{stvw}^{(1)} - \frac{1}{2} [Y_u^\dagger]_{sv} [Y_u]_{wt} C_{prvw}^{(1)} - \frac{1}{2} [Y_d^\dagger]_{sv} [Y_d]_{wt} C_{prvw}^{(1)} \\
- \frac{1}{8} [Y_d]_{wt} [Y_u]_{vr} C_{pesw}^{(1)} - \frac{1}{8} [Y_d^\dagger]_{sw} [Y_u^\dagger]_{pv} C_{rvtw}^{(1)*} - \frac{1}{8} [Y_d]_{wr} [Y_u]_{vt} C_{supw}^{(1)} - \frac{1}{8} [Y_d^\dagger]_{pw} [Y_u^\dagger]_{sv} C_{tvrw}^{(1)*} \\
+ \gamma_q^{(Y)} C_{pv}^{(1)} C_{vrst}^{(1)} + \gamma_q^{(Y)} C_{sv}^{(1)} C_{prvt}^{(1)} + C_{pq}^{(1)} \gamma_q^{(Y)} + C_{pq}^{(1)} \gamma_q^{(Y)} \right) \quad (A.36)
\end{aligned}$$

Some nice field theory here

The EOM have been used EXTENSIVELY in reducing the basis to 59 operators. Our intuition does not accommodate that, but it is a fact.

Here is one way this non-intuitive physics shows up.

An operator O_1 can mix with an operator O_2 when NO 1PI diagram exists that corresponds to the mixing.

You renormalize and obtain a divergence, for example

$$E_{H\square} = [H^\dagger H][H^\dagger(D^2 H) + (D^2 H^\dagger)H]$$

This operator form is not retained in the basis, so remove it:

$$\mathcal{L}_{\text{SM}} + \frac{c}{\Lambda^2} E_{H\square} \rightarrow \mathcal{L}_{\text{SM}} + \frac{c}{\Lambda^2} \tilde{E}_{H\square} + \mathcal{O}\left(\frac{1}{\Lambda^4}\right) \quad \text{via field redefinition} \quad H \rightarrow H + \frac{c}{\Lambda^2}(H^\dagger H)H$$

$$\tilde{E}_{H\square} = 2\lambda v^2(H^\dagger H)^2 - 4\lambda Q_H - \left([Y_u^\dagger]_{rs} Q_{uH}^{rs} + [Y_d^\dagger]_{rs} Q_{dH}^{rs} + [Y_e^\dagger]_{rs} Q_{eH}^{rs} + \text{h.c.} \right)$$

RGE improved SM EFT

Structure:

		g^3X^3	H^6	H^4D^2	$g^2X^2H^2$	$y\psi^2H^3$	$gy\psi^2XH$	ψ^2H^2D	ψ^4
		1	2	3	4	5	6	7	8
g^3X^3	1	g^2	0	0	1	0	0	0	0
H^6	2	$g^6\lambda$	λ, g^2, y^2	$g^4, g^2\lambda, \lambda^2$	$g^6, g^4\lambda$	$\lambda y^2, y^4$	0	$\lambda y^2, y^4$	0
H^4D^2	3	g^6	0	g^2, λ, y^2	g^4	y^2	g^2y^2	g^2, y^2	0
$g^2X^2H^2$	4	g^4	0	1	g^2, λ, y^2	0	y^2	1	0
$y\psi^2H^3$	5	g^6	0	g^2, λ, y^2	g^4	g^2, λ, y^2	$g^2\lambda, g^4, g^2y^2$	g^2, λ, y^2	λ, y^2
$gy\psi^2XH$	6	g^4	0	0	g^2	1	g^2, y^2	1	1
ψ^2H^2D	7	g^6	0	g^2, y^2	g^4	y^2	g^2y^2	g^2, λ, y^2	y^2
ψ^4	8	g^6	0	0	0	0	g^2y^2	g^2, y^2	g^2, y^2

Entries follow the rule: $\left(\frac{g^2}{16\pi^2}\right)^{n_g} \left(\frac{y^2}{16\pi^2}\right)^{n_y} \left(\frac{\lambda}{16\pi^2}\right)^{n_\lambda}, \quad N = n_g + n_y + n_\lambda;$

Where: $N = L + w - \sum_k w_k \equiv L + \Delta.$ nice general equation

The ω is the power of f^2 in the operator normalization.

RGE improved SM EFT

What has been calculated in the last few months: Jenkins, Manohar, Trott arXiv:1308.2627

$$\mu \frac{d}{d\mu} C_{d \leq 4} \propto m_h^2 \sum_{i=1..59} C_{d=6}^i \quad \text{Complete result for the higher } d \text{ ops.}$$

Computed the complete dependence of the 59×59 matrix on $\lambda, \lambda^2, \lambda y^2$ (about 50 diagrams or so ($\chi 59$ ops), not so bad) Jenkins, Manohar, Trott arXiv:1308.2627

Computed the complete dependence of the 59×59 matrix on y^2, y^4 (about 100 diagrams or so ($\chi 59$ ops), pretty darn bad) Jenkins, Manohar, Trott arXiv: 1310.4838

*The complete gauge dependence of the 59×59 matrix...
(> 100 diagrams, ($\chi 59$ ops) very very bad)*

Soon..