Valence quarks and k_T factorisation

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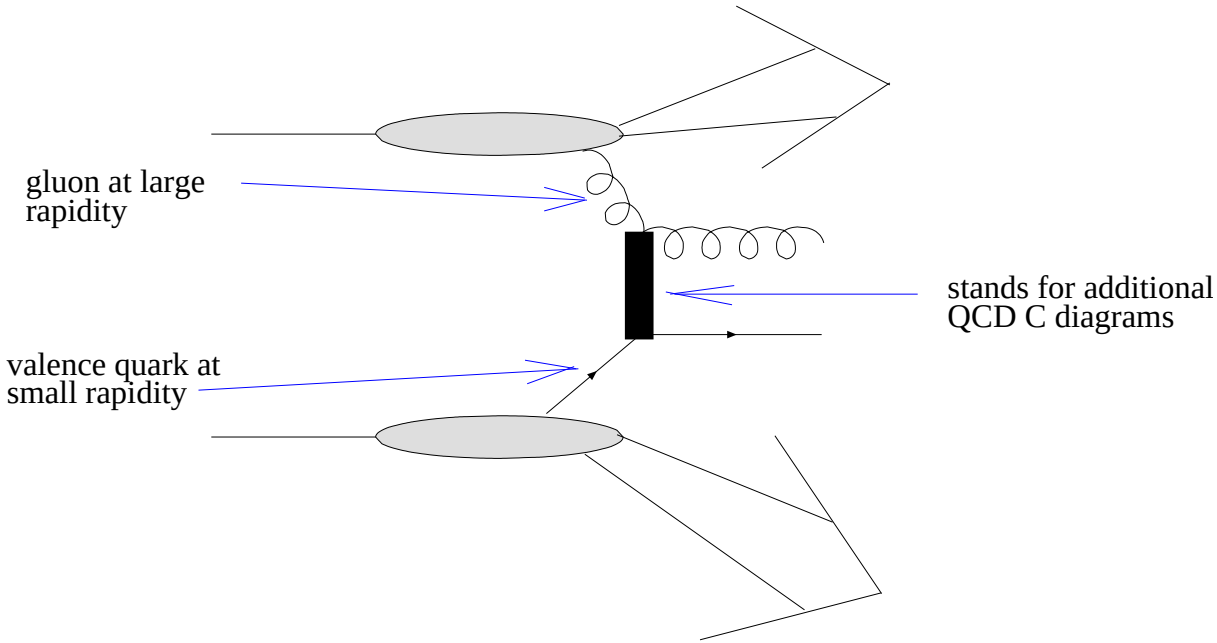
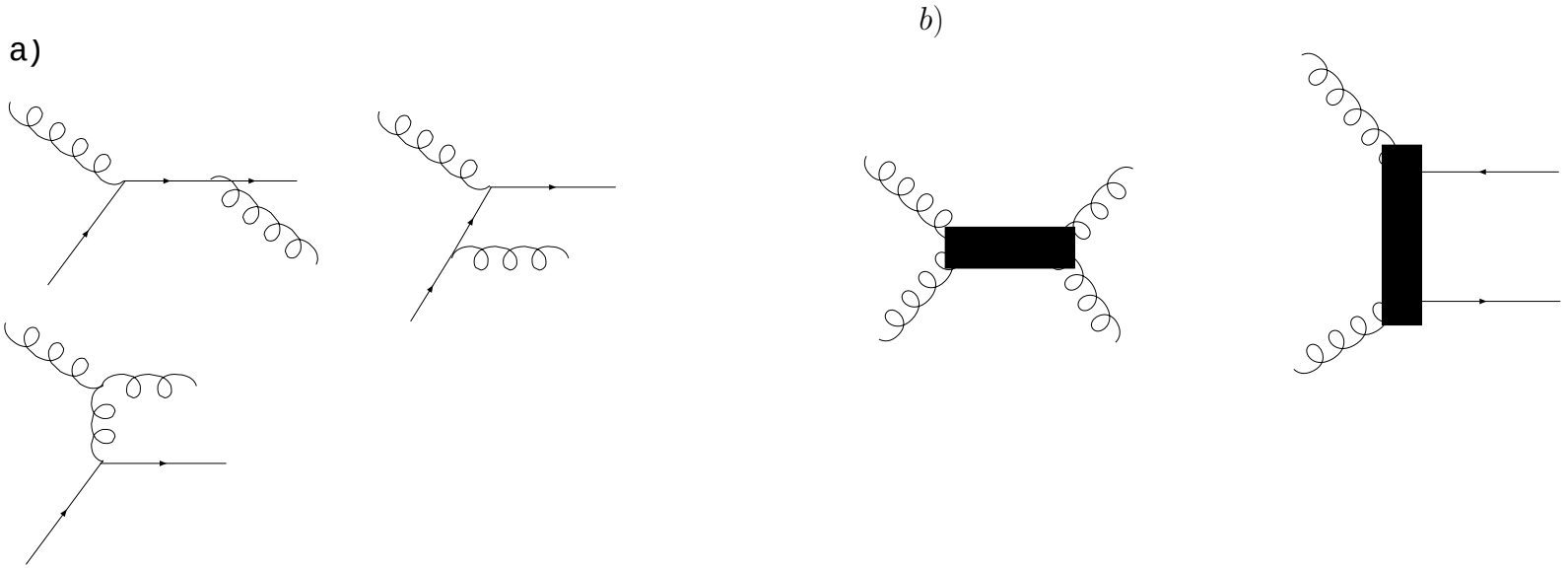
Motivation

- HERA $\rightarrow$ hints that at rapidities $y > 3$ there can be new kind of dynamics $\rightarrow$ BFKL, CCFM, BK. However, at HERA we cannot go to the more forward region.
- LHC will allow for this study. The interesting region can be studied if we consider QCD Compton scattering:



Jets at LHC - collinear approach

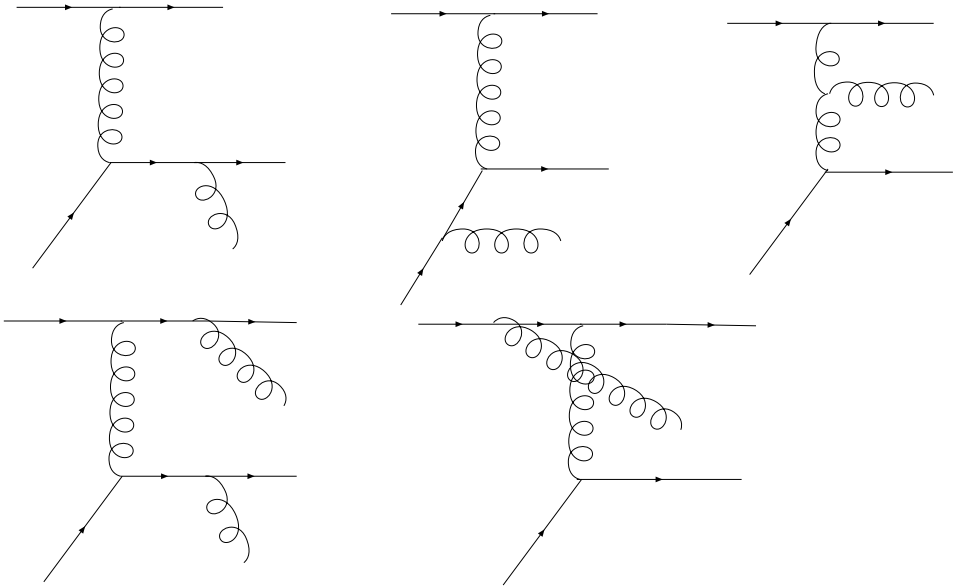
Jets are initiated by hard subprocesses (a), (b). QCD Compton (a) is the relevant hard process if we want to study low x_g effects where x_g is a longitudinal momentum fraction carried by gluon.



To go to low x_g safely we need to consider off-shell gluon...

QCD Compton in k_T factorisation

Incoming gluon is not collinear to the proton it is off-shell. Valence quark is collinear to the proton. The upper quark line $\longrightarrow$ replaced by gluon distribution after matrix element is calculated



All five diagrams are required by gauge invariance.

Details of kinematics

The Sudakov decomposition is:

$k = x_g p_A + z_g p_B + k_T$

$q = x_q$

$k' = x_{g'} p_A + z_{g'} p_B + k'_T$

$q' = z_{q'} p_A + x_{q'} p_B + q'_T$

Mandelstam variables are:

$s = (p_1 + p_2)^2$

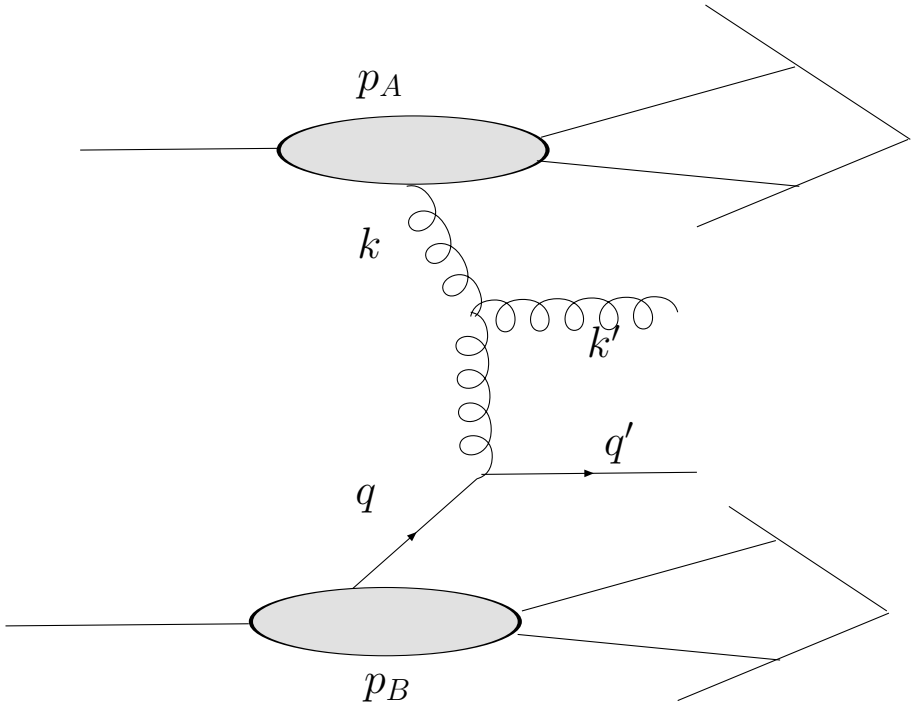
$\hat{s} = (k + q)^2$

$\hat{u} = (k - q')^2$

$\hat{t} = (k - k')^2$

We are interested in configuration where:

$\hat{s},\ \hat{t},\ \hat{u} \ll s$



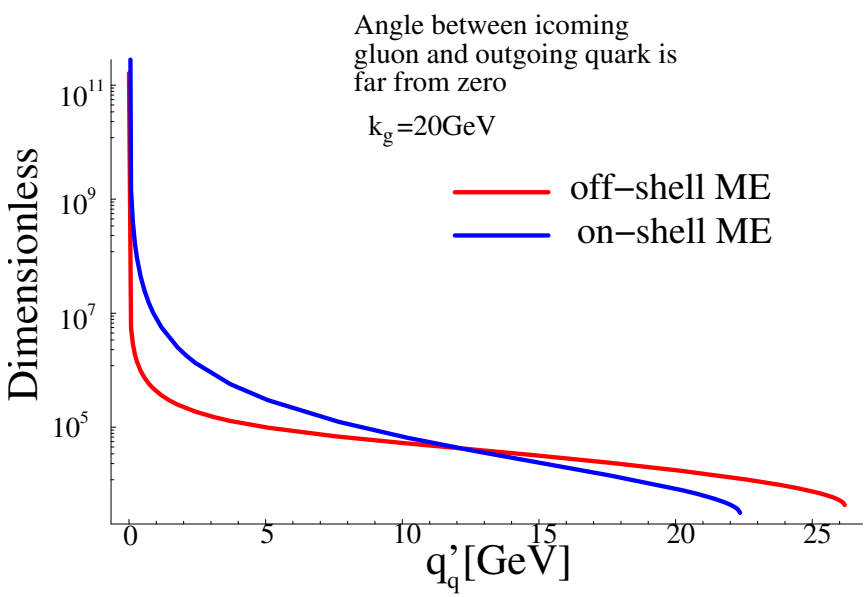
Hard matrix element

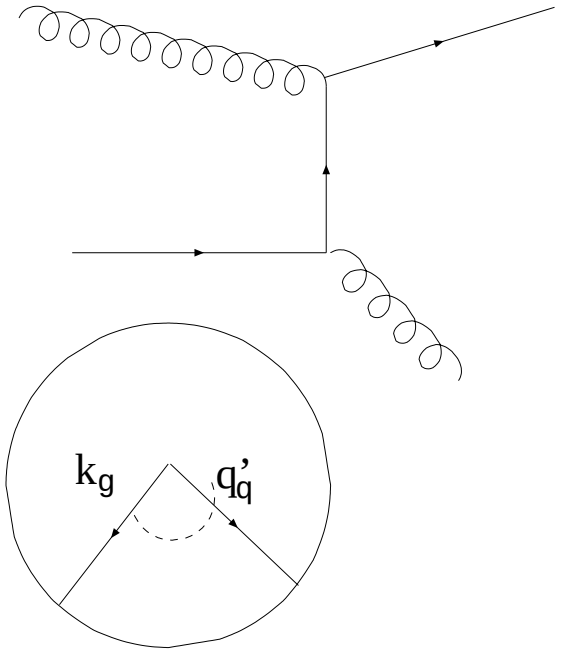
After squaring amplitude we obtain:

$$|M|^2 = -(4\pi)^2\alpha_s^2\frac{x_g^2 s^2(x_q^2+x_{q'}^2)}{18\hat{s}\hat{u}\hat{t}}\left(\frac{\hat{s}(8x_q+x_{q'})-\hat{u}(8x_{q'}+x_q)}{x_q-x_{q'}}+k^2\right)$$

- In collinear limit $k^2 \longrightarrow 0$ one obtains QCD Compton
- Symmetry $\hat{s} \longrightarrow -\hat{u}$, $x_{q'} \longrightarrow x_q$

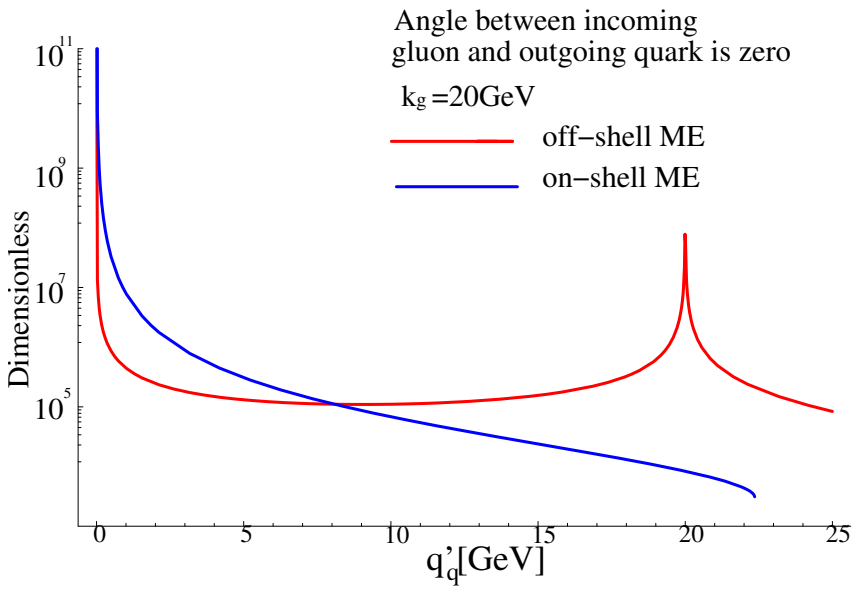
Some properties of the off-shell ME

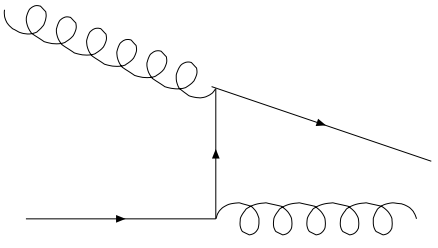


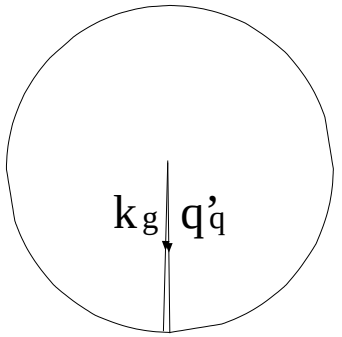


- off-shell ME allows for larger q'_q

Some properties of the off-shell ME







- at 0 angle there is a singularity at $k'_q = k_g$

Cross-section for 2 jets

Cross-section for 2-jet production:

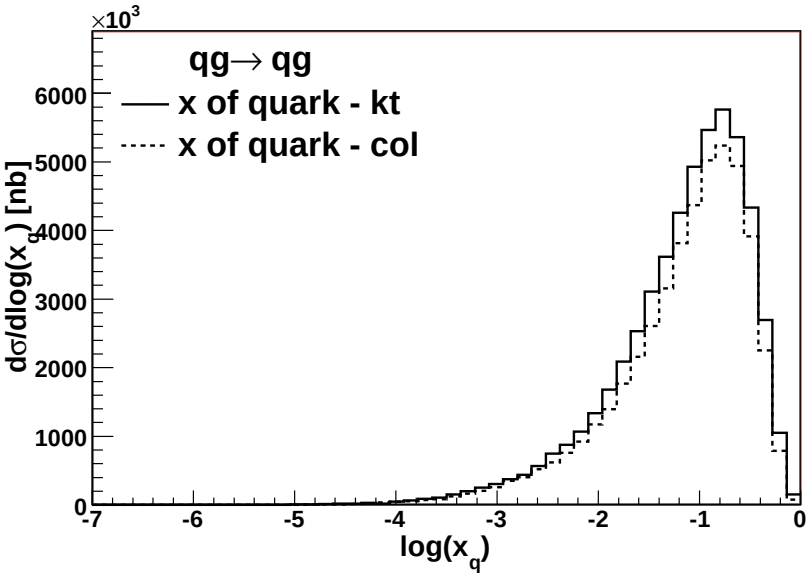
$$\sigma \sim f_g(x_g, k_T^2, \mu) \otimes |M|^2 \otimes f_q(x_q, k_{T\,2}^2, \mu)$$

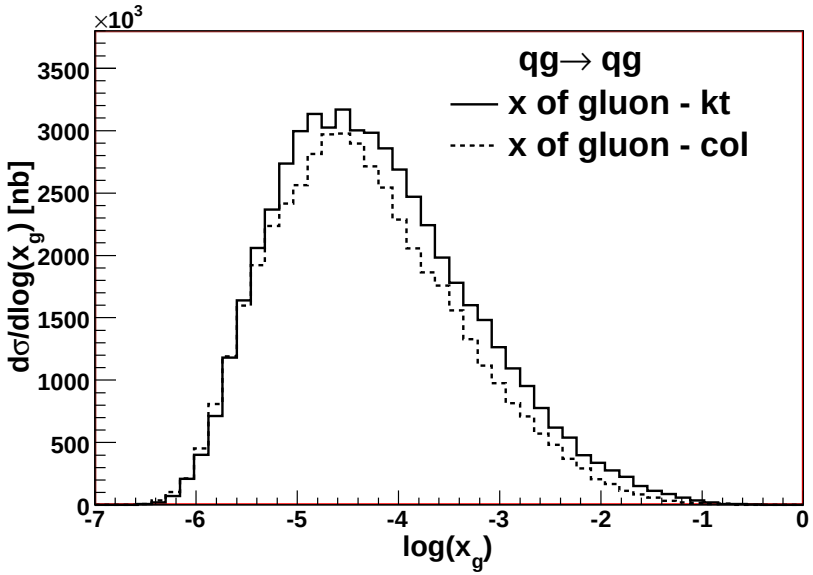
- $f_g(x_g, k_T^2, \mu)$ unintegrated gluon density $\leftarrow$ CCFM
- $f_q(x_q, k_T^2, \mu)$ unintegrated valence quark density (needed for technical reasons) $\leftarrow$ CCFM-like. Initial valence quark distribution is provided by CTEQ 6.1
- $\alpha_s \rightarrow \alpha_s(k_T^2)$
- cut on momenta of outgoing jets $\rightarrow$ $p_T{>}2.5GeV$

The result for the total x-section is roughly: $10mb$

For comparison total pp x-section at LHC energies is roughly 80 mb

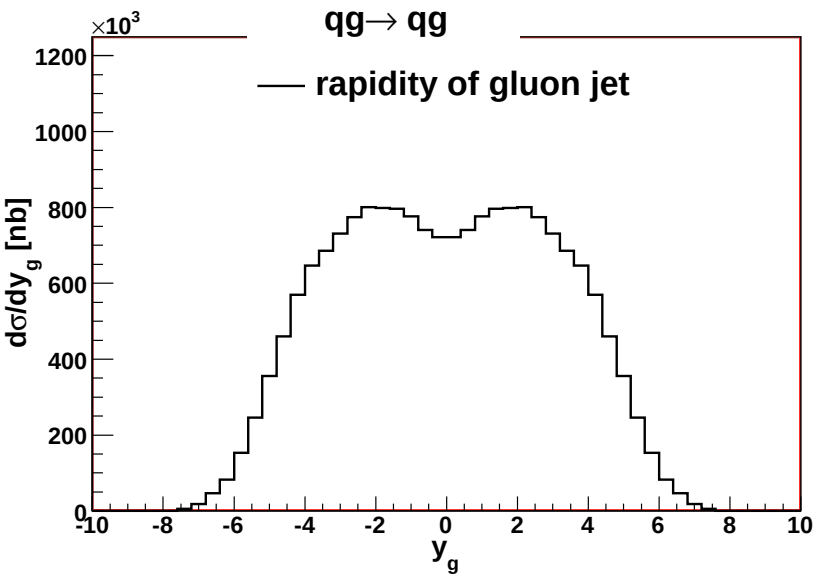
Results - x distribution before collision

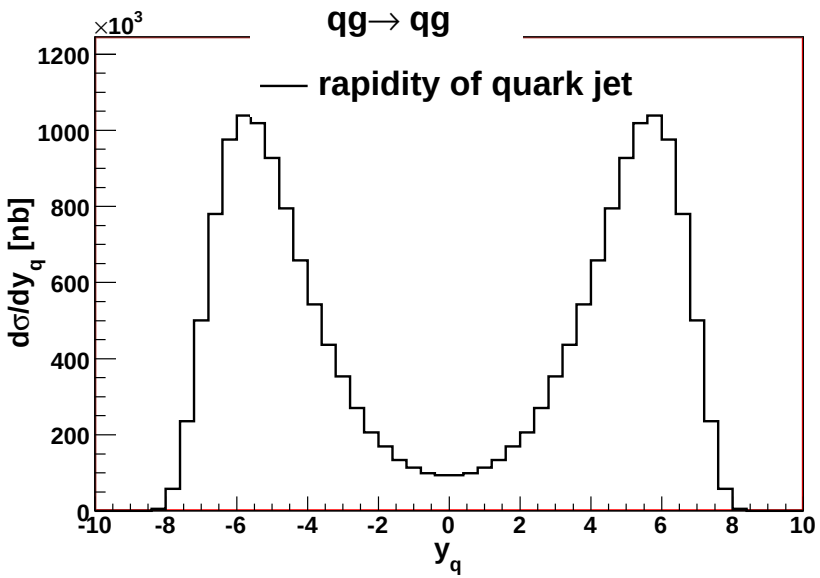




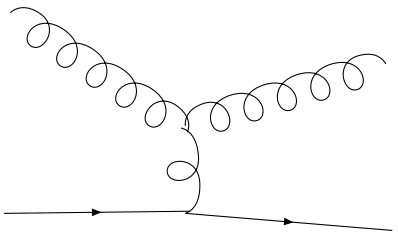
- Incoming off-shell gluon carrying low momentum fraction
- Incoming on-shell quark carrying large momentum fraction

Results - pseudo-rapidity distribution of produced jets

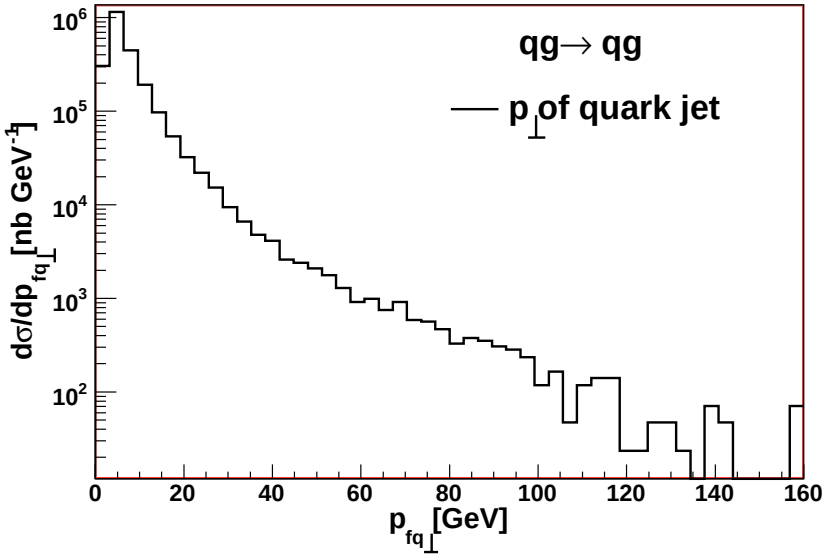


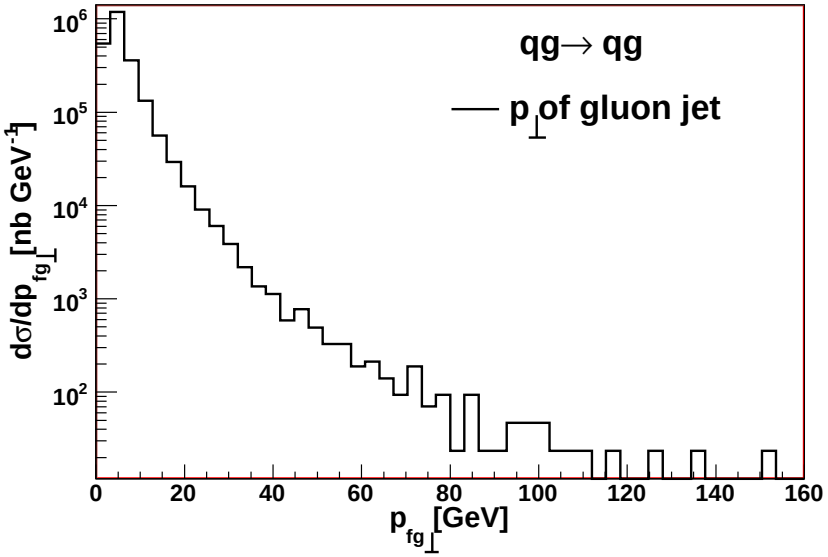


- valence quark $(m_q = 0)$ is slightly deflected
- produced jets are well separated in rapidity



Results - p_T spectra of produced jets



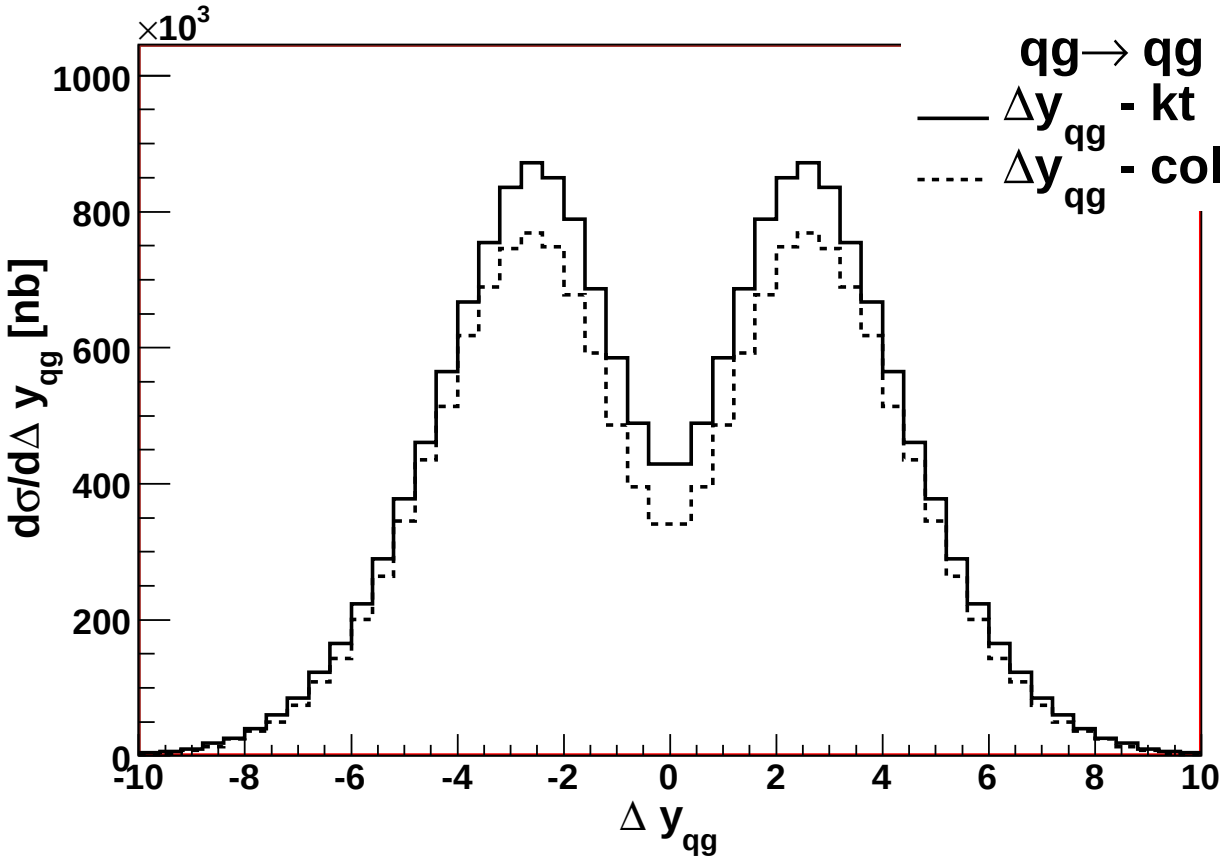


Conclusions and outlook

- We obtained matrix element in k_T factorisation which allow for studies of low x_g effects at the LHC
- CCFM-like equation for unintegrated quark distribution has been incorporated in Monte Carlo framework $\longrightarrow$ CASCADE
- p_T and rapidity spectra of produced jets have been calculated
- Consistency check with collinear approach has been done

- Step towards including multiple interactions for MC generator in k_T factorisation framework
- Important for testing different models
- Since gluon is probed at low momentum fraction we are going to include nonlinear evolution equation to parametrize unintegrated gluon distribution

Back up slides



- Rapidity difference between produced jets