

# Search for Rare Z Decays into Two Reconstructed Photons at CDF

April 15<sup>th</sup>, 2013  
Baylor HEP Seminar

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for the CDF collaboration

Public webpage:  
<http://www-cdf.fnal.gov/physics/exotic/run2/Zgamgam/index.html>



# Outline

- Introduction
- Tevatron and CDF Detector
- Diphoton Event Selection
- Photon Selection
- Photon ID Efficiency
- Signal MC Samples
- Backgrounds
- Limit Calculation



# Introduction

- Properties of the W and Z bosons have been studied extensively by collider experiments
- Most of the information we know about the vector bosons however comes from leptonic decays,  $W \rightarrow l^- \nu$  and  $Z \rightarrow l^+ l^-$
- In addition to hadronic W and Z decays, there has been interest by theorists to further understand properties of the vector (V) bosons by searching for  $V \rightarrow P + \gamma$ , where P is a pseudoscalar meson (such as a pion)
- Observation of such decays would be a sensitive probe of strong interaction dynamics and vector boson couplings to the photon



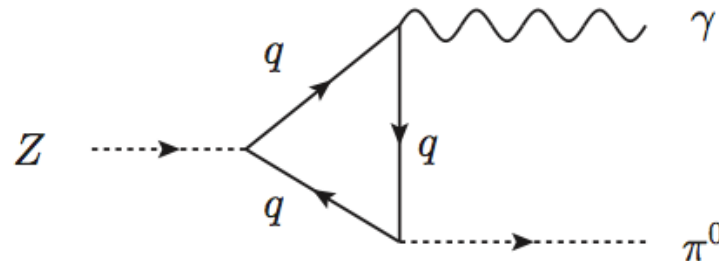
# Introduction

- The challenge for these decay modes is the very small predicted branching ratios (BR), ranging from about  $\sim 10^{-6}$  to  $\sim 10^{-11}$  in the SM
- However, with an abundance of vector bosons produced at the Tevatron and LHC, further searches can improve the experimental upper bounds on these branching ratios that were obtained from LEP
- Furthermore, any significant deviations of the SM prediction of the BR of these decays to observation could indicate new physics



# Introduction

- In the analysis presented here, we focus on both rare and forbidden decays of the Z boson\*
- Among the rare Z decays, we focus on  $Z \rightarrow \pi^0 \gamma$ , which is experimentally interesting because of the clean signature the decay products leave in the detector



\* CDF has already performed a search for  $W \rightarrow \pi^+ \gamma$  using  $4.3 \text{ fb}^{-1}$  of data and improved the LEP branching ratio upper limit by a factor of 10.. Phys. Rev. D 85, 032001 (2012)



# Introduction

- We also search for the forbidden decays,  $Z \rightarrow \gamma\gamma$  and  $Z \rightarrow \pi^0\pi^0$
- The Z boson is a spin-1 particle
- Along with conservation of angular momentum, the identity of the final-state particles in the  $Z \rightarrow \gamma\gamma$  and  $Z \rightarrow \pi^0\pi^0$  decays forbids them in the SM
- That the  $Z \rightarrow \gamma\gamma$  decay is forbidden is due to the Landau-Yang theorem, which forbids a spin-1 particle decaying to two spin-1 particles\*
- (Since the Higgs-like particle discovered at the LHC decays to two photons, it is not expected to be a spin-1 particle due to Landau-Yang theorem)
- There exist theory papers that motivate a search for a  $Z \rightarrow \gamma\gamma$  decay as a test of Bose-Einstein statistics

\*A recent paper gives an argument that would allow this process through an axial coupling (arxiv:1109.0926)



# Introduction

- No limits from Tevatron or LHC on these decays
- Most stringent limits in PDG on  $\text{Br}(Z \rightarrow \gamma\gamma)$  and  $\text{Br}(Z \rightarrow \pi^0\gamma)$  are from LEP
- Both are  $5.2 \times 10^{-5}$  at 95% C.L.
- No search has been performed for  $Z \rightarrow \pi^0\pi^0$

$$\Gamma(\gamma\gamma)/\Gamma_{\text{total}}$$

This decay would violate the Landau-Yang theorem.

<u>VALUE</u>	<u>CL%</u>	<u>DOCUMENT ID</u>	<u>TECN</u>
<b><math>&lt;5.2 \times 10^{-5}</math></b>	95	<sup>62</sup> ACCIARRI	95G L3
$<5.5 \times 10^{-5}$	95	ABREU	94B DLPH
$<1.4 \times 10^{-4}$	95	AKRAWY	91F OPAL

$$\Gamma(\pi^0\gamma)/\Gamma_{\text{total}}$$

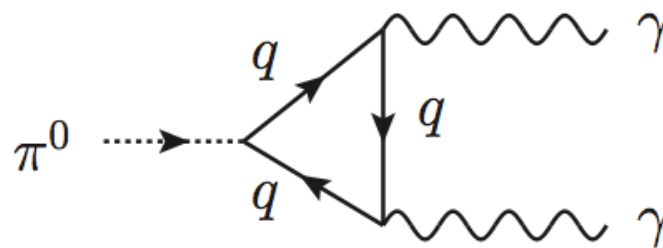
<u>VALUE</u>	<u>CL%</u>	<u>DOCUMENT ID</u>	<u>TECN</u>
<b><math>&lt;5.2 \times 10^{-5}</math></b>	95	<sup>61</sup> ACCIARRI	95G L3
$<5.5 \times 10^{-5}$	95	ABREU	94B DLPH
$<2.1 \times 10^{-4}$	95	DECAMP	92 ALEP
$<1.4 \times 10^{-4}$	95	AKRAWY	91F OPAL

PDG Particle Listings: Z Boson

J. Beringer et al. (Particle Data Group), PR D86, 010001 (2012) (URL: <http://pdg.lbl.gov>)



# Introduction



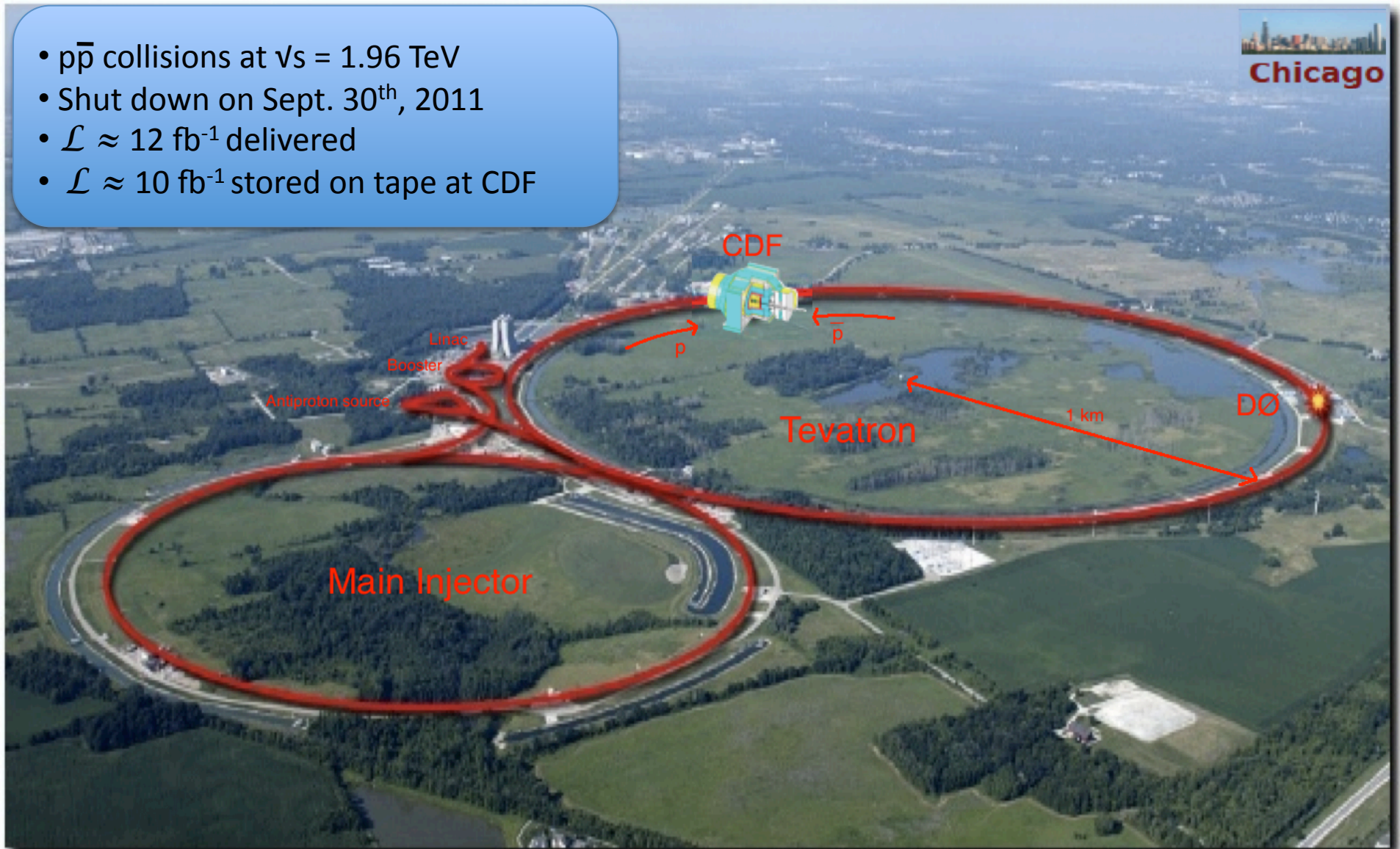
- $\pi^0$  from the  $Z \rightarrow \pi^0 \gamma$  or  $Z \rightarrow \pi^0 \pi^0$  decay:
  - Isolated (not in a jet)
  - Decays 98.8% to a pair of photons
  - High momentum  $\pi^0$  from the Z decay leads to collinear pairs of photons, which often appear as a single electromagnetic shower in the detector rather than separated showers
- Experimentally, the isolated  $\pi^0$  shower in the detector is nearly indistinguishable from the isolated  $\gamma$  shower
- For the  $Z \rightarrow \gamma \gamma$ ,  $Z \rightarrow \pi^0 \gamma$ , and  $Z \rightarrow \pi^0 \pi^0$  search then, we use already developed tools from  $H \rightarrow \gamma \gamma$  analysis at CDF to identify events with two reconstructed photons



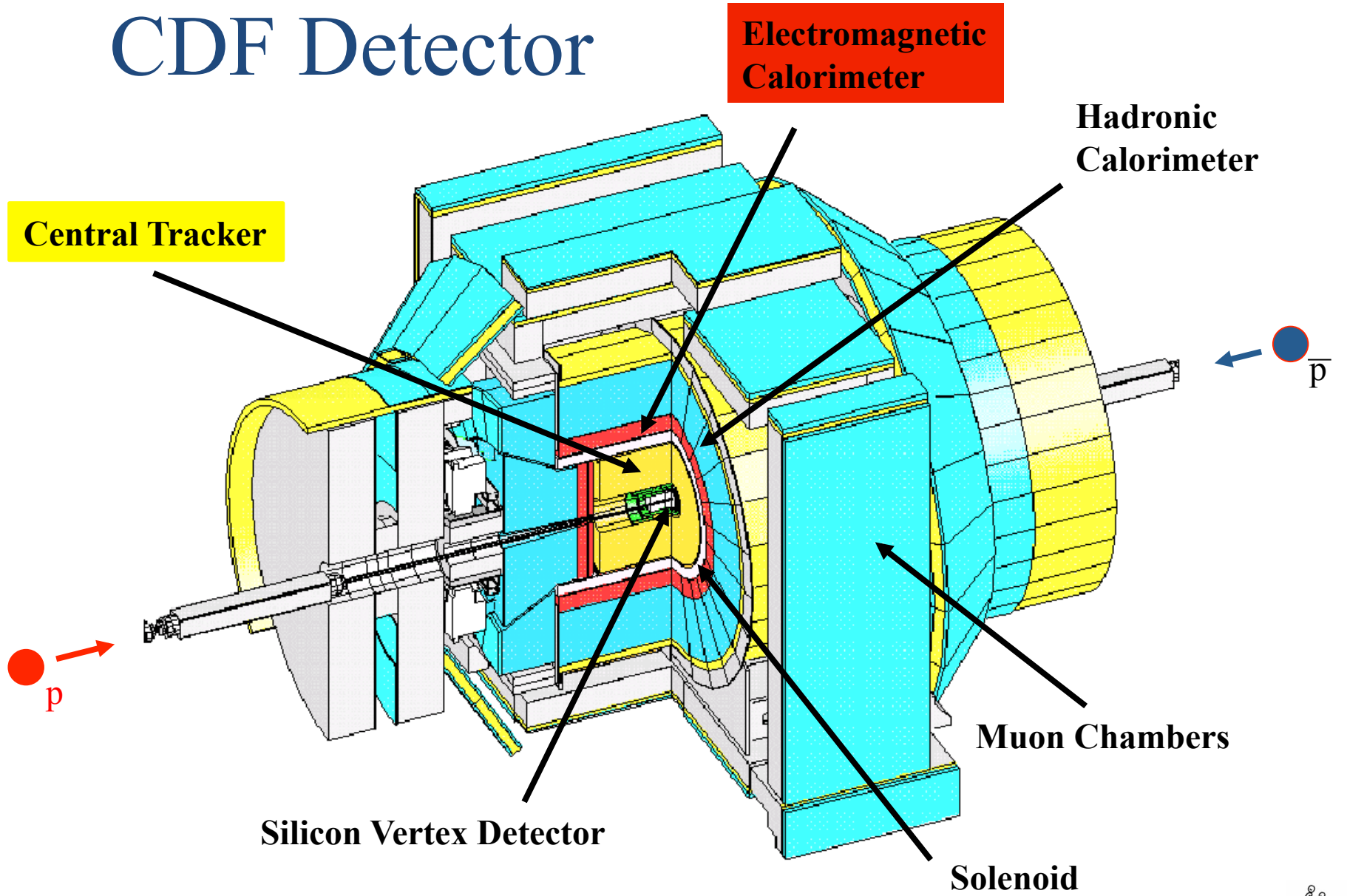


# Tevatron

- $p\bar{p}$  collisions at  $\sqrt{s} = 1.96$  TeV
- Shut down on Sept. 30<sup>th</sup>, 2011
- $\mathcal{L} \approx 12 \text{ fb}^{-1}$  delivered
- $\mathcal{L} \approx 10 \text{ fb}^{-1}$  stored on tape at CDF



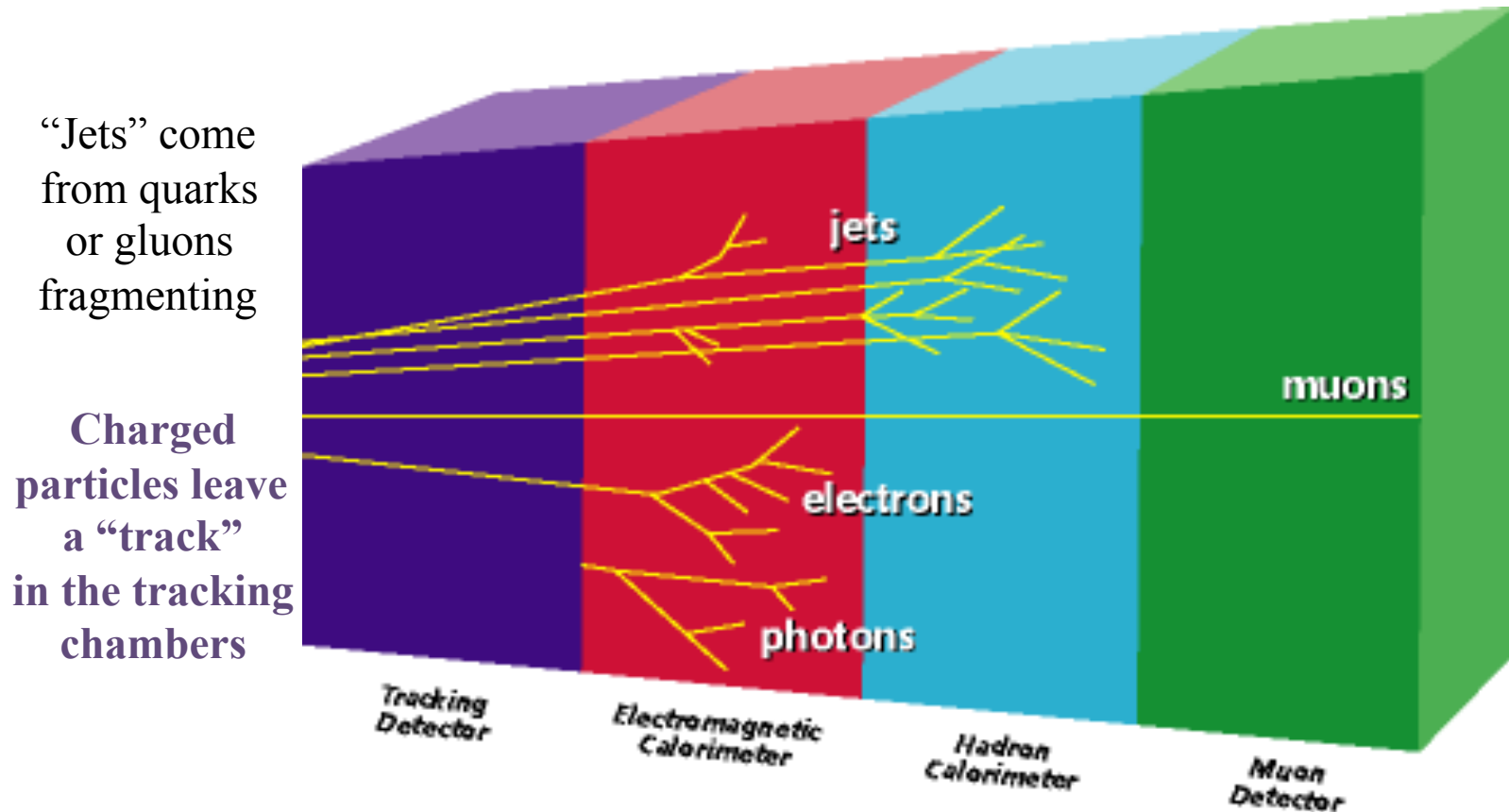
# CDF Detector



# CDF Detector and Particle Identification

***$e$ 's and  $\gamma$ 's interact in calorimetry via electromagnetic cascades***

***Hadrons interact in calorimetry via cascades of nuclear interactions***



**The CDF detector is designed to differentiate between many different types of final state particles**



# Summary of $H \rightarrow \gamma\gamma$ Techniques

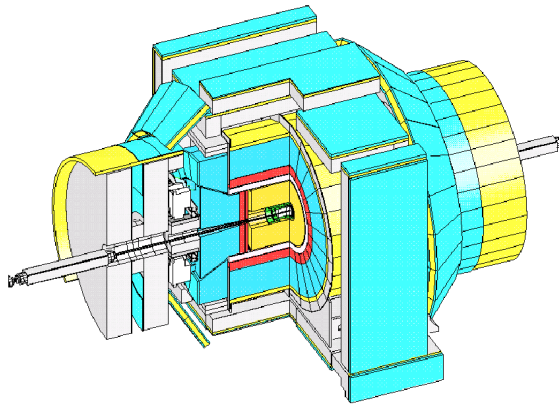
- Event Selection:
  - Isolated photon trigger (25 GeV cut)
  - Identify two 15 GeV CEM photons using central NN selection
- Signal Model:
  - Shape and acceptance from Pythia MC
  - Isolated photon trigger and photon ID efficiency validated in  $Z \rightarrow e+e-$  data
- Background Model:
  - Exploit resonant feature of H decay into photons
  - Use sideband regions of diphoton mass to determine background shape and rate in signal region

# Modifications for $Z \rightarrow \gamma\gamma/\pi^0\gamma$ Analysis

- Event Selection:
  - Isolated photon trigger (25 GeV cut)
  - Identify two 15 GeV CEM photons using central NN selection
- Signal Model:
  - Shape and acceptance from a modified (angle- or  $\pi^0$  efficiency-weighted) Pythia MC
  - Isolated photon trigger and photon ID efficiency validated in  $Z \rightarrow e+e-$  data
- Background Model:
  - Exploit resonant feature of Z decay into photons
  - Use sideband regions of diphoton mass to determine background shape and rate in signal region
  - Model  $Z \rightarrow e+e-$  from Pythia MC

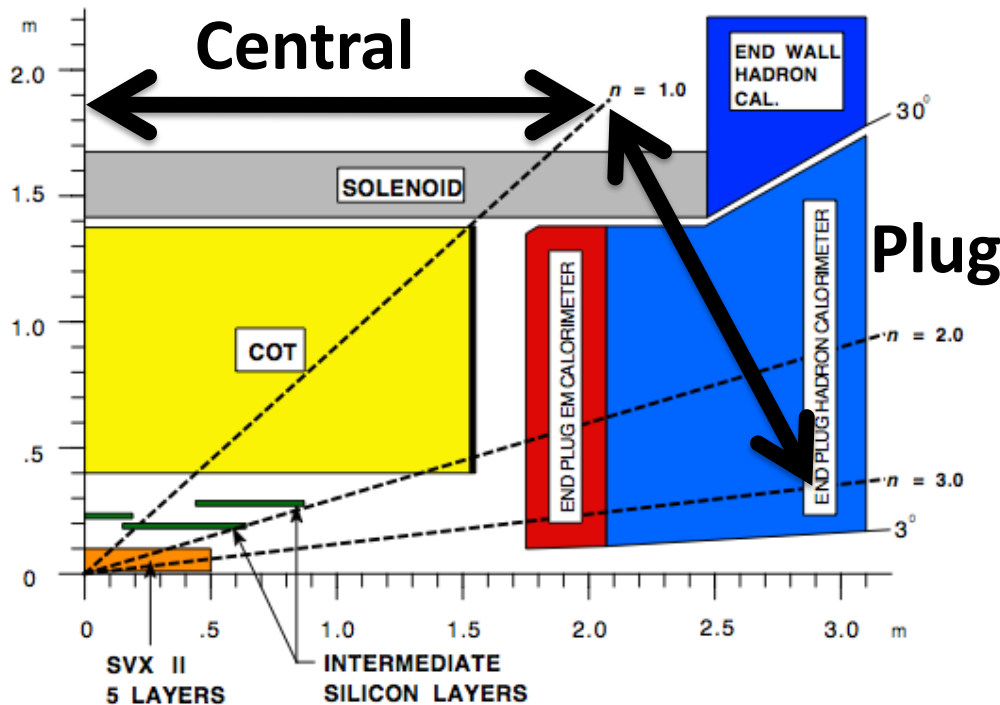
Blue indicates what has dominated our time for transition to the  $Z \rightarrow \gamma\gamma/\pi^0\gamma/\pi^0\pi^0$  analysis





# Diphoton Event Selection

- “Central”
  - $|\eta| < 1.1$
- “Plug”
  - $1.2 < |\eta| < 2.8$
  - Tracking efficiency lower than in central region
  - Easier to miss a track and reconstruct fake object as a photon
  - Higher backgrounds than for plug photons
- We focus on cases where there are *two reconstructed photons in the central region* of the detector



Cross sectional view of one detector quadrant



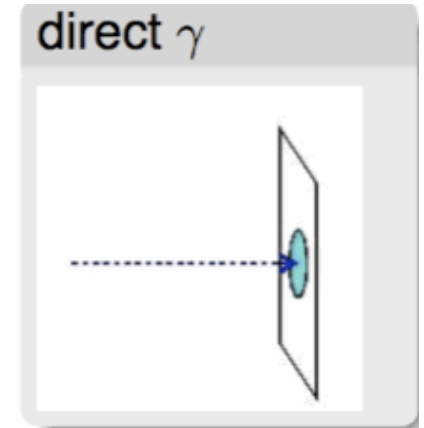
# Diphoton Event Selection

- Use data corresponding to 10.0 fb<sup>-1</sup> of integrated luminosity
- Diphoton data collected from an inclusive photon trigger
  - Single EM cluster with  $E_T > 25$  GeV
  - Trigger efficiency after offline selection obtained from trigger simulation software (TrigSim)
  - MC samples corrected based on trigger efficiency
- Require two central reconstructed photons with  $p_T > 15$  GeV
- Photon selection described in coming slides
- The Z boson mass signal region is chosen to be 80 – 102 GeV, where about 90% of the signal lies

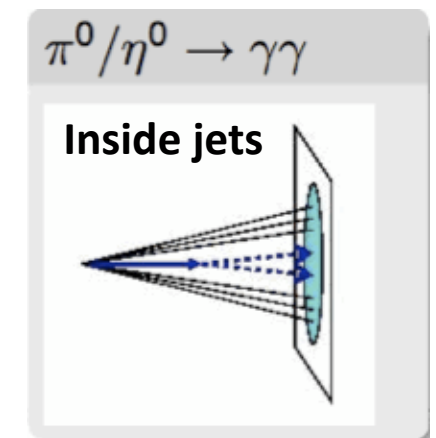


# Photon Identification

- Basic Photon Signature:
  - Compact EM cluster
  - Isolated
  - No high momentum track associated with cluster
  - Profile (lateral shower shape) consistent with that of a prompt photon
    - Unlike that of  $\pi^0/\eta \rightarrow \gamma\gamma$  decays *inside of jets* (the largest background for prompt photons)



Signal



Background



# Photon Identification

- Three level selection
- (1) Loose requirements
  - Fiducial in shower max detector
  - Ratio of hadronic to electromagnetic transverse energy (Had/EM) < 12.5%
  - Calorimeter isolation
    - $I = E_T^{Tot}(\Delta R < 0.4) - E_T^{EM}$
    - Cut slides with  $E_T^{EM}$
  - Track isolation
- (2) Track veto
  - Number tracks  $\leq 1$
  - If 1, then  $p_T^{trk1} < 1 \text{ GeV}$
- (3) Cut on NN Output
  - More details on next slides

$$\sum_{\substack{trk \\ \Delta R < 0.4 \\ |z_{trk} - z_{trk}| < 5 \text{ cm}}} p_T^{trk} < 5 \text{ GeV}$$





# Electron Identification

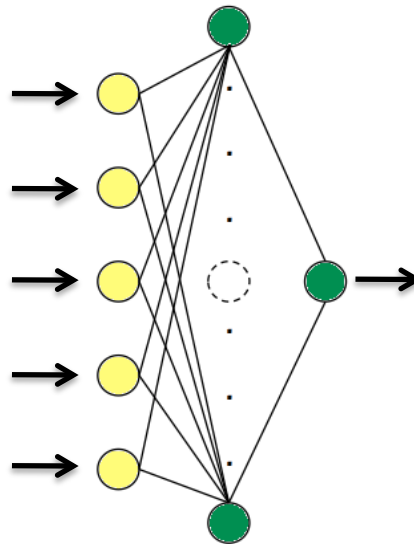
- Three level selection
- (1) Loose requirements
  - Fiducial in shower max detector
  - Ratio of hadronic to electromagnetic transverse energy (Had/EM) < 12.5%
  - Calorimeter isolation
    - $I = E_T^{Tot}(\Delta R < 0.4) - E_T^{EM}$
    - Cut slides with  $E_T^{EM}$
  - Track isolation
    - $\sum_{\substack{trk \Delta R < 0.4 \\ |z_{trk} - z_{trk1}| < 5 \text{ cm}}} p_T^{trk} - p_T^{trk1} < 5 \text{ GeV}$
- (2) Track veto
  - Number tracks  $\leq 2$
  - If 2, then  $p_T^{trk2} < 1 \text{ GeV}$
- (3) Cut on NN Output
  - More details on next slides
- No pure high statistics data sample of photons to validate ID efficiency
- Selection chosen so can be modified for electrons
- Then use  $Z \rightarrow e^+e^-$  decays (more detail later)



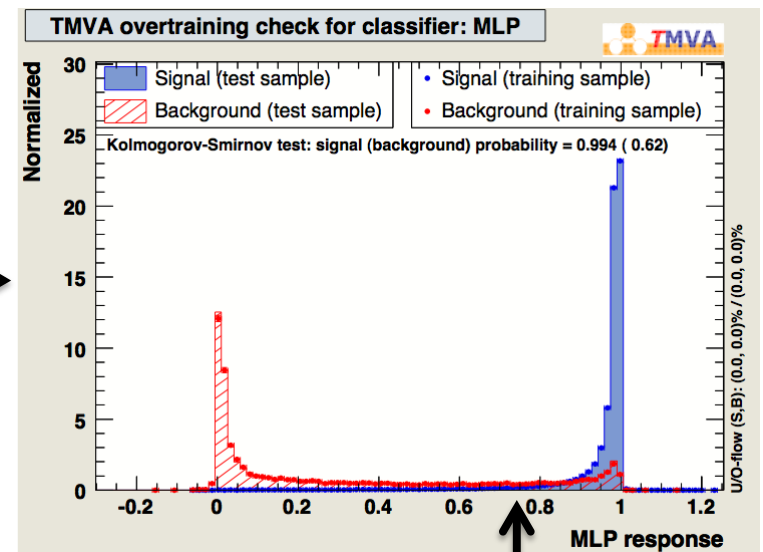
# Photon Identification

NN discriminant constructed from seven well understood variables:

- Ratio of hadronic to EM transverse energy
- Shape in shower max compared to expectation
- Calorimeter Isolation
- Track isolation
- Ratio of energy at shower max to total EM energy
- Lateral sharing of energy between towers compared to expectation



Trained using Monte Carlo (MC) simulated events with photons (blue) and events with jets (red)

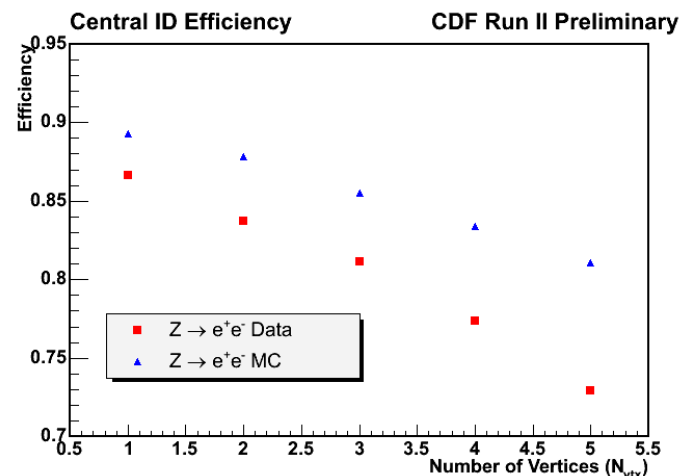
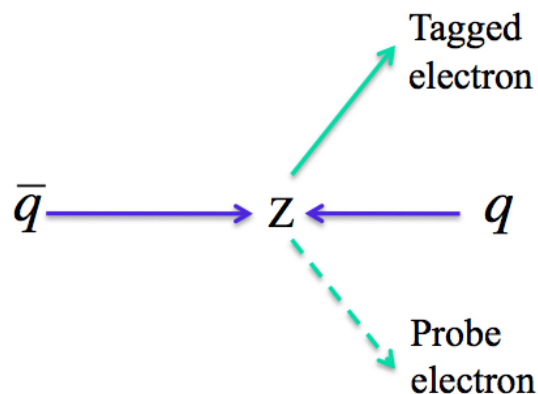


NN cut of 0.74 applied

- *Relative to standard photon selection, increases photon signal efficiency by 5% and jet background rejection by 12%*



# Photon ID Efficiency

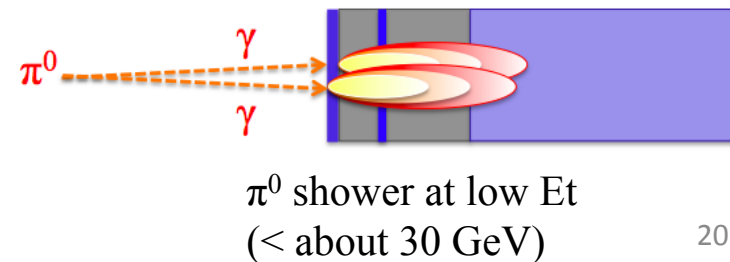
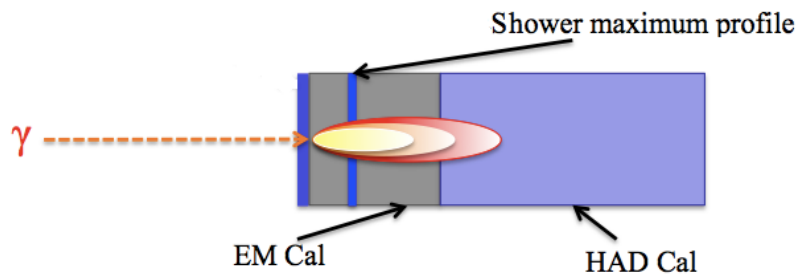


- ID efficiency checked in data and MC from  $Z \rightarrow e^+e^-$  decays
- Z mass constraint applied to get a pure sample of electrons to probe
- Effect of overlapping collisions (pile-up) seen through  $N_{vtx}$  dependence
- Net efficiencies obtained by folding  $\epsilon_{vtx}$  into  $N_{vtx}$  distribution of diphoton data and signal MC (a weighted average)
- **Net photon ID efficiency:**  
Data: 83.3%      MC: 88.2%
- **Correction factor of 94.4% applied to signal MC simulation**
- **Total systematic uncertainty of  $\sim 2\%$  applied from:**
  - Differences between electron vs photon response (checked in MC)
  - Data taking period dependence
  - Fits made to Z mass distribution
- **Small uncertainties using this method!**



# $\pi^0$ Photon ID Efficiency

- We use  $\gamma$  and  $\pi^0$  from (particle gun) MC samples to study the photon ID efficiency for neutral pions compared to neutral photons as a function of  $E_t$
- $\pi^0$ 's from Z boson decays have an average  $E_t$  around 45 GeV
- For this  $E_t$  region, the photons from most  $\pi^0$  decays is highly collinear, appearing as a single EM shower rather than separated as two EM showers
- We find these isolated  $\pi^0$ 's to have an efficiency to our photon ID selection that is about 2% smaller on average than isolated photons



# Signal MC Samples

- Pythia has no decay table for  $Z \rightarrow \gamma\gamma$ , so we first start with a  $Z \rightarrow \nu_e \bar{\nu}_e$  Pythia sample and then convert the neutrino/antineutrino to photons before showering in Pythia and passing through CDF detector simulation
- This is called the “ $Z \rightarrow \gamma\gamma$  unweighted model”
- *The photons of this sample have a generated angular distribution for that of the neutrino/antineutrino*



# Signal MC Samples

- $Z \rightarrow \pi^0 \gamma$  Model
  - Determined to have the same angular distribution as the neutrinos  $\sim (\alpha + \cos^2 \theta)$  with  $\alpha$  a constant
  - Slightly different photon deflection efficiency  $\rightarrow$  The  $\pi^0$  is then corrected for the observed 2% difference in  $\pi^0/\gamma$  efficiency
- $Z \rightarrow \gamma \gamma$  and  $Z \rightarrow \pi^0 \pi^0$  Models
  - Determined to have *different* angular distribution as the neutrinos (but same as each other)
  - We then correct the unweighted  $Z \rightarrow \gamma \gamma$  sample to the expected angular distribution of these decays  $\sim (\beta - \cos^2 \theta)$  with  $\beta$  a constant
  - The  $Z \rightarrow \pi^0 \pi^0$  MC sample is furthermore corrected based on the 2% difference observed in  $\pi^0/\gamma$  efficiency
- The next dozen slides describe the method for obtaining angular distributions for each decay mode



# Angular Distribution Formulas\*

We consider the decay of a particle with spin  $s_0$  with polarization state  $m_0$  that decays into two particles that have helicities  $\lambda_1$  and  $\lambda_2$ . In the helicity basis, the angular distribution of a specific polarization and helicity state is taken to be proportional to the square of the corresponding d-function:

$$F_{m_0\lambda_1\lambda_2}(\theta) \propto \left| d_{m_0\lambda_1-\lambda_2}^{s_0}(\theta) \right|^2$$

We obtain the net angular distribution by summing over all the polarization and helicity states considered, each weighted by the states probability:

$$F(\theta) = \sum_{m_0\lambda_1\lambda_2} f_{m_0\lambda_1\lambda_2} \left| d_{m_0\lambda_1-\lambda_2}^{s_0}(\theta) \right|^2$$

The following restriction is made on helicity states due to conservation of angular momentum:

$$|\lambda_1 - \lambda_2| \leq s_0$$

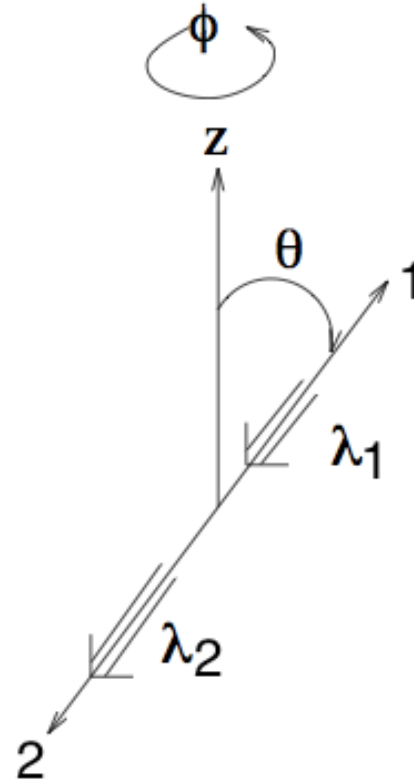
We apply these formulas to Z boson decays...

\**An Angular Distribution Cookbook* by Rob Kutschke



# Angular Distribution Formulas\*

- Definition of angle  $\theta$ :
- In Z boson rest frame, angle between momentum direction of first decay product and spin quantization axis of Z boson (z-axis)



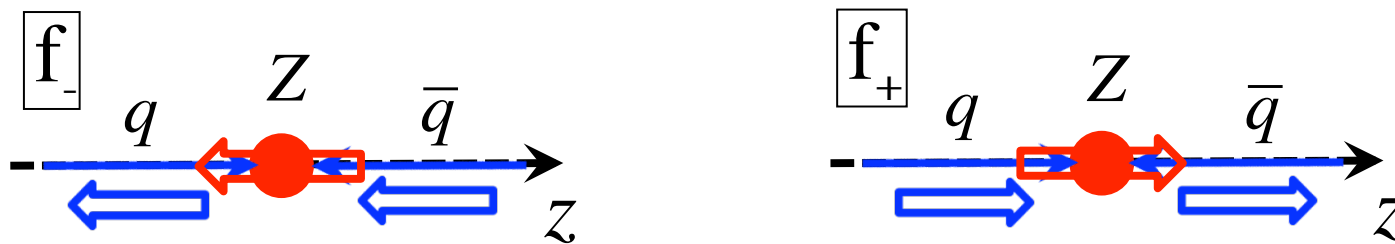
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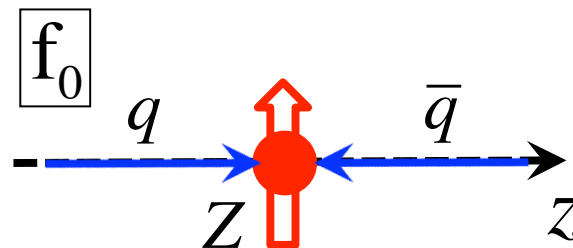


# Z boson polarization from Drell Yan

A Z boson decay will have  $s_0 = 1$ . Since we model the Z production and decay using Pythia, the Z is expected to be polarized. For head-on collisions of (massless) quarks, conservation of total angular momentum and of the z-component in the lab frame imply the following longitudinal spin orientations:



ISR and UE cause quark collisions to have some angle  $\neq 180^\circ$  which generate a finite transverse  $f_0$ , which we include as a contribution to the total angular distribution.



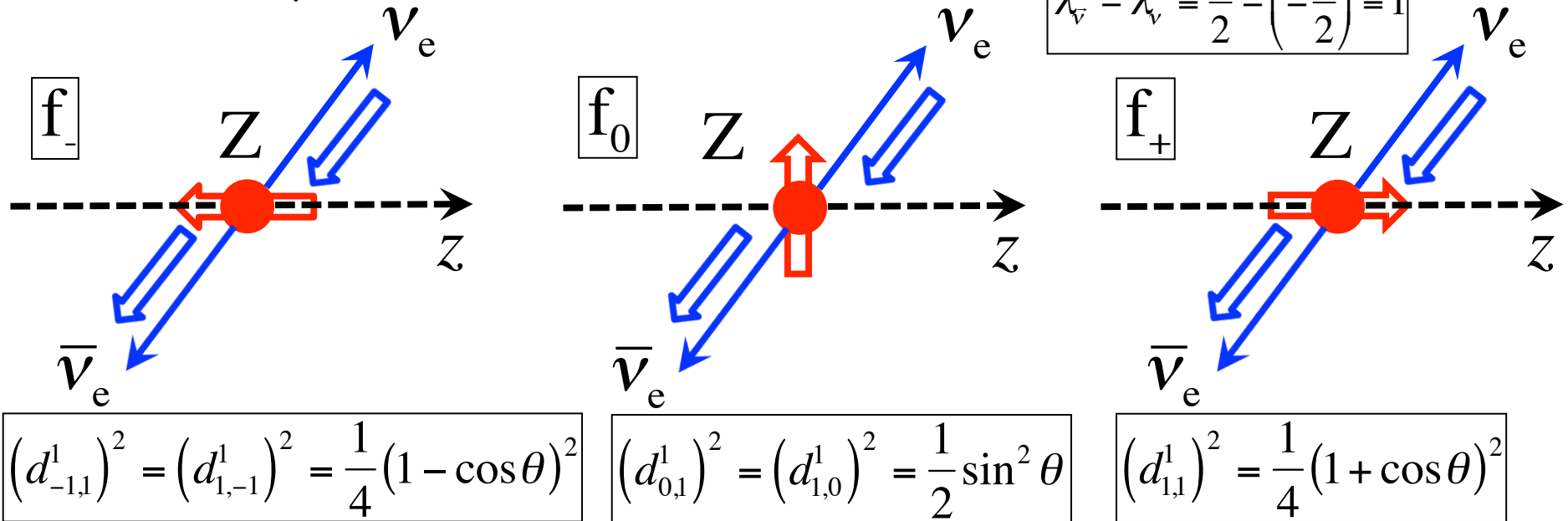
We then allow  $m_0 = +1, 0,$  and  $-1$ , each occurring with probability  $f_+, f_-,$  and  $f_0$ , respectively. Due to symmetry, we assume  $f_+ = f_-$ .



# $Z \rightarrow \nu_e \bar{\nu}_e$ decay

With left-handed (massless) neutrinos and right-handed (massless) antineutrinos, the allowed spin orientations in the Z rest frame are:

$$\lambda_{\bar{\nu}} - \lambda_{\nu} = \frac{1}{2} - \left(-\frac{1}{2}\right) = 1$$



where  $f_-$ ,  $f_0$ , and  $f_+$  are the left-handed, longitudinal, and right-handed polarizations of Z, and  $\theta$  is the angle between  $\nu_e$  and the z axis. From symmetry,  $f_- = f_+$ . For unpolarized Z ( $f_+ = f_0$ ) the sum of the three angular distributions is a constant:

$$(d_{1,1}^1)^2 + (d_{1,0}^1)^2 + (d_{1,-1}^1)^2 = 1$$

For polarized Z ( $f_+ \neq f_0$ ):

$$F_{\nu\bar{\nu}}(\theta) = f_+ (d_{1,1}^1)^2 + f_0 (d_{1,0}^1)^2 + f_- (d_{1,-1}^1)^2 = \frac{f_+ - f_0}{2} \left( \frac{f_+ + f_0}{f_+ - f_0} + \cos^2\theta \right)$$



# Angular Distribution of Unweighted $Z \rightarrow \gamma\gamma$ MC Sample

$$F_{\nu\bar{\nu}}(\theta) = \frac{(f_+ - f_0)}{2} \left( \frac{f_+ + f_0}{f_+ - f_0} + \cos^2 \theta \right)$$

We determine the unknown values of the  $f_+$  and  $f_0$  parameters by fitting to the neutrino angular distributions in the Z rest frame using the MC simulated data.

$Z \rightarrow \nu_e \bar{\nu}_e$  decay

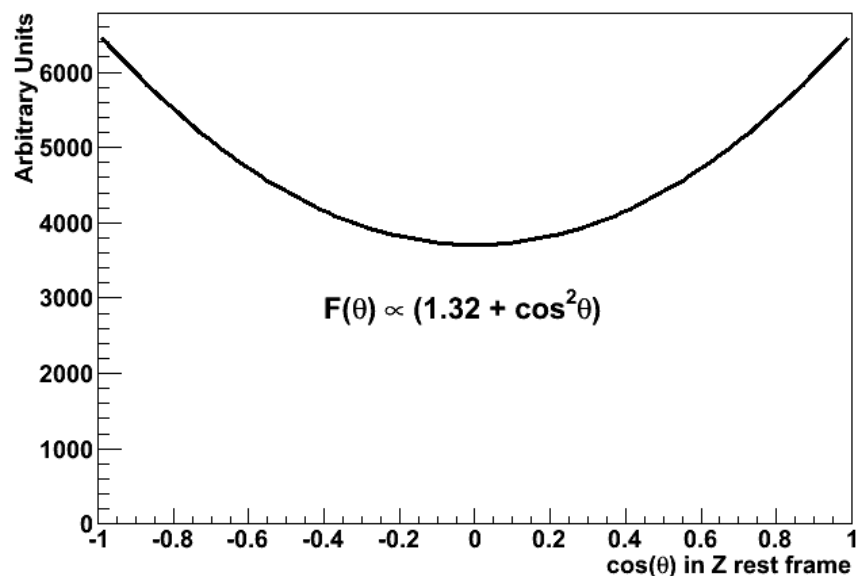
We fit to the MC histogram with:

$$F(\theta) = p_0(p_1 + \cos^2 \theta)$$

With best fit parameters of  $p_0 = 2811$  and  $p_1 = 1.32$ , we obtain

$$F_{\nu\bar{\nu}}(\theta) = 2811(1.32 + \cos^2 \theta)$$

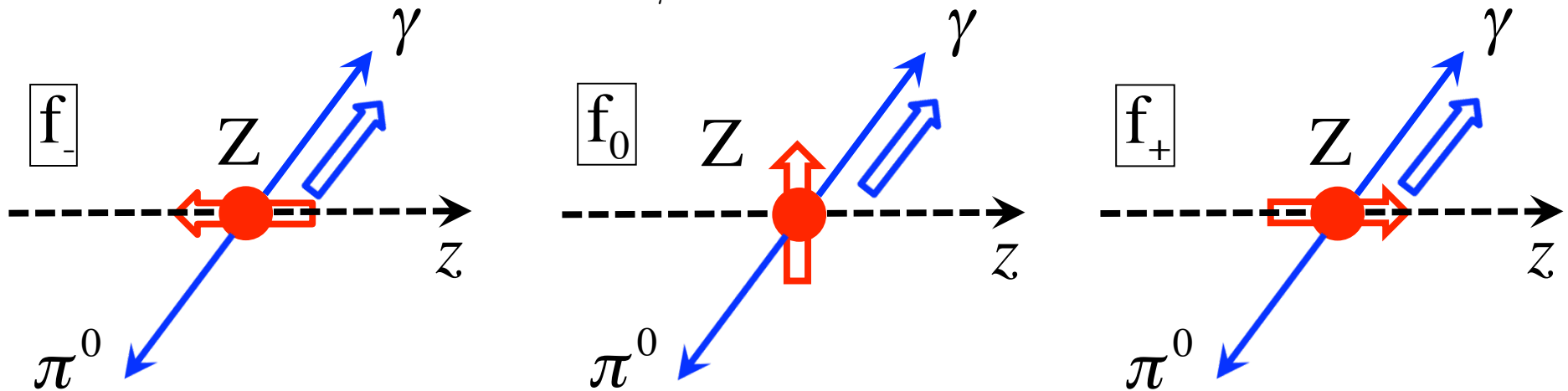
Which gives  $f_+ = 7.26f_0$ .



# $Z \rightarrow \pi^0 \gamma$ decay

$\lambda_\gamma$  can be  $\pm 1$  and  $\lambda_\pi$  can be only zero. We then have the following spin states:

$$\lambda_\gamma - \lambda_\pi = 1 - 0 = 1$$



$$\left(d_{-1,1}^1\right)^2 = \left(d_{1,-1}^1\right)^2 = \frac{1}{4}(1 - \cos\theta)^2$$

$$\left(d_{0,1}^1\right)^2 = \left(d_{1,0}^1\right)^2 = \frac{1}{2}\sin^2\theta$$

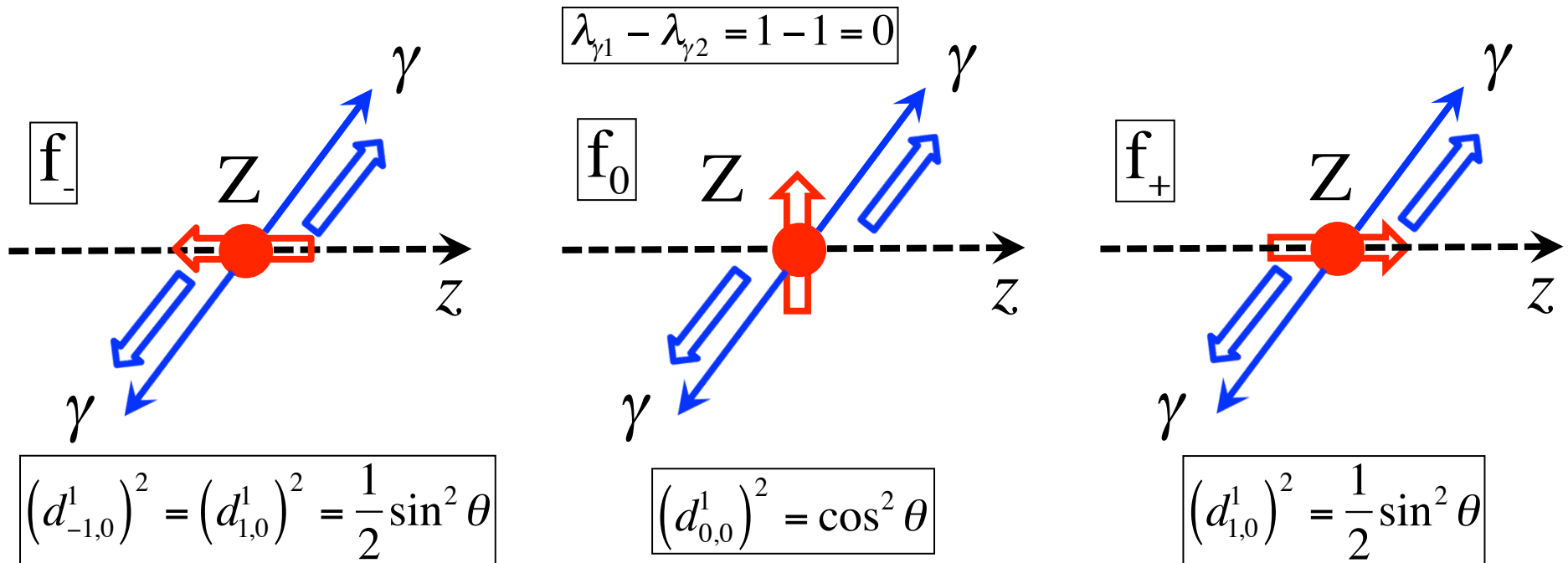
$$\left(d_{1,1}^1\right)^2 = \frac{1}{4}(1 + \cos\theta)^2$$

The angular distributions are the same as with the neutrino decay. No neutrino to reweighting function is then needed to correct the unweighted  $Z \rightarrow \gamma\gamma$  (neutrino) angular distributions to the expected  $\pi^0\gamma$  angular distributions.



# Z $\rightarrow$ $\gamma\gamma$ decay

Angular momentum conservation ( $|\lambda_{\gamma 1} - \lambda_{\gamma 2}| \leq s_z = 1$ ) excludes parallel photon spins and  $\lambda_{\gamma 1} = \lambda_{\gamma 2} = 0$  scenarios are excluded because photons are massless. We then have:



For unpolarized Z ( $f_+ = f_0$ ) the sum of the three angular distributions is a constant:

$$(d_{1,0}^1)^2 + (d_{0,0}^1)^2 + (d_{-1,0}^1)^2 = 1$$

For polarized Z ( $f_+ \neq f_0$ ):

$$F_{\gamma\gamma}(\theta) = f_+(d_{1,0}^1)^2 + f_0(d_{0,0}^1)^2 + f_-(d_{-1,0}^1)^2 = (f_+ - f_0) \left( \frac{f_+}{f_+ - f_0} - \cos^2 \theta \right)$$



# Neutrino to Photon Angle-Weight Function

We insert  $f_+ = 7.26f_0$  (which we got from the  $Z \rightarrow \nu\nu$  sample) into

$$F_{\gamma\gamma}(\theta) = (f_+ - f_0) \left( \frac{f_+}{f_+ - f_0} - \cos^2 \theta \right)$$

to obtain the formula we expect for the photons from  $Z \rightarrow \gamma\gamma$  in the Pythia sample:

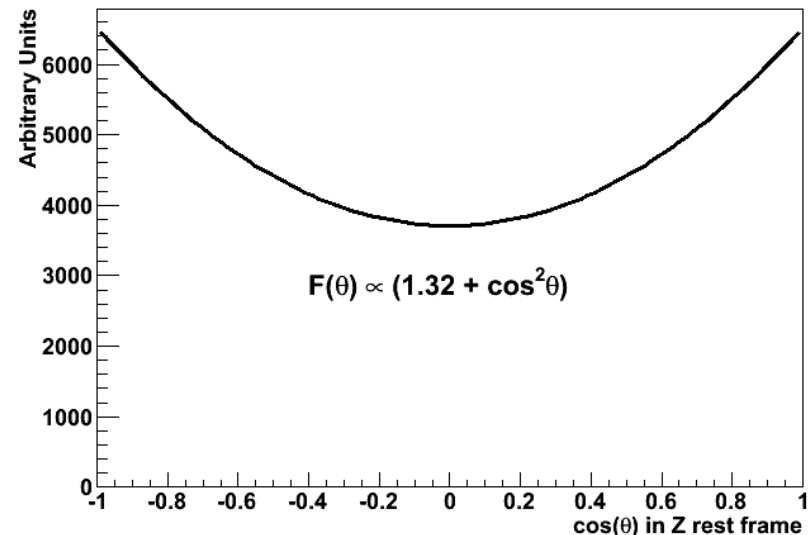
$$F_{\gamma\gamma}(\theta) = 2811(1.16 - \cos^2 \theta)$$

This gives the following neutrinos-to-photons reweighting function to be used to correct the unweighted  $Z \rightarrow \gamma\gamma$  to what we expect for photons:

$$w_{\gamma\gamma}(\theta) = \frac{F_{\nu\bar{\nu}}(\theta)}{F_{\gamma\gamma}(\theta)} = \frac{1.16 - \cos^2 \theta}{1.32 + \cos^2 \theta}$$

Neutrino-photon angular weights correct the unweighted  $Z \rightarrow \gamma\gamma$  sample to the expected angular distribution

Unweighted  
 $Z \rightarrow \gamma\gamma$  decay



# Neutrino to Photon Angle-Weight Function

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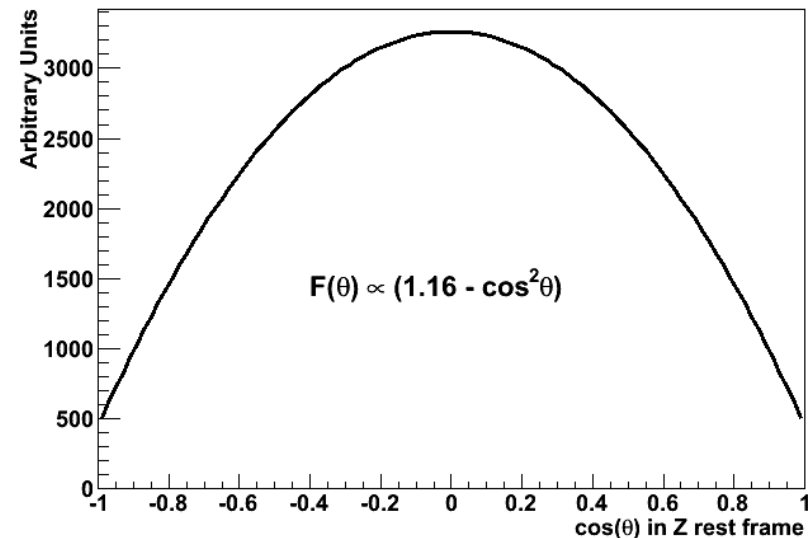
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Neutrino-photon angular weights correct the unweighted  $Z \rightarrow \gamma\gamma$  sample to the expected angular distribution

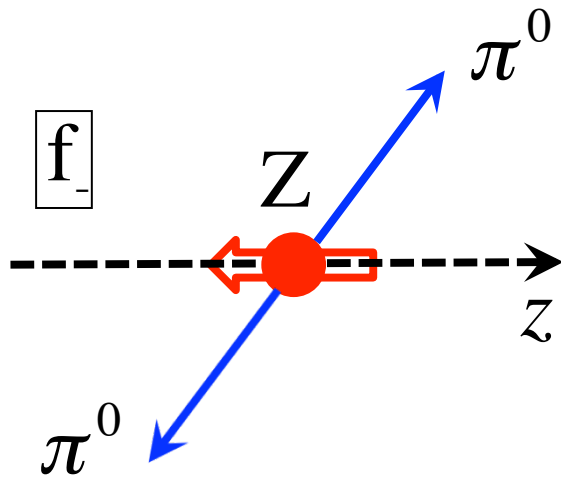
Angle-Weighted  
 $Z \rightarrow \gamma\gamma$  decay



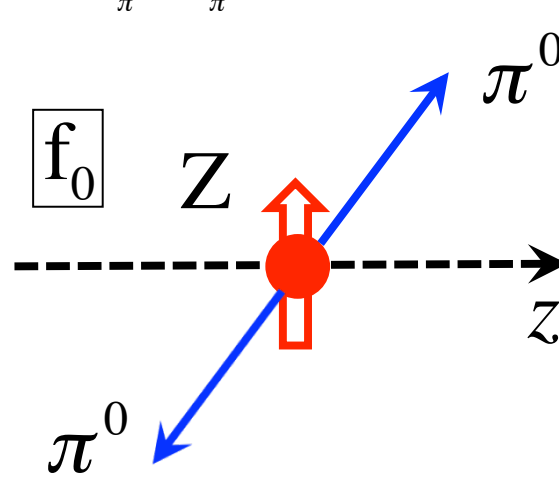
# $Z \rightarrow \pi^0 \pi^0$ decay

$\lambda_\pi$  can be only zero. We then have the following spin states:

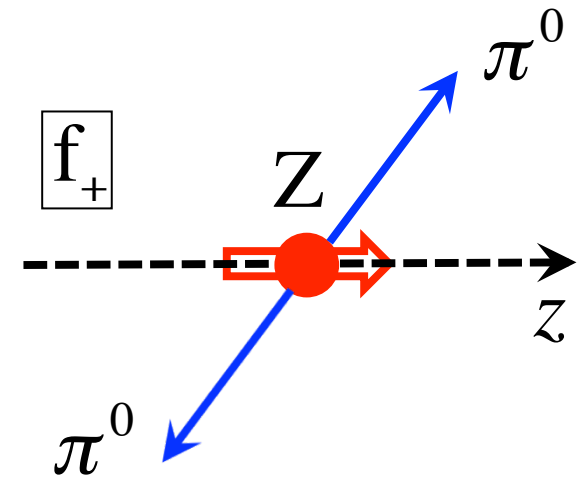
$$\lambda_\pi - \lambda_\pi = 0 - 0 = 0$$



$$\left(d_{-1,0}^1\right)^2 = \left(d_{1,0}^1\right)^2 = \frac{1}{2} \sin^2 \theta$$



$$\left(d_{0,0}^1\right)^2 = \cos^2 \theta$$



$$\left(d_{1,0}^1\right)^2 = \frac{1}{2} \sin^2 \theta$$

The angular distributions are the same as with the  $Z \rightarrow \gamma\gamma$  decay.  
We then apply the neutrino to  $\gamma$  reweighting function to the  $Z \rightarrow \pi^0 \pi^0$  decay.





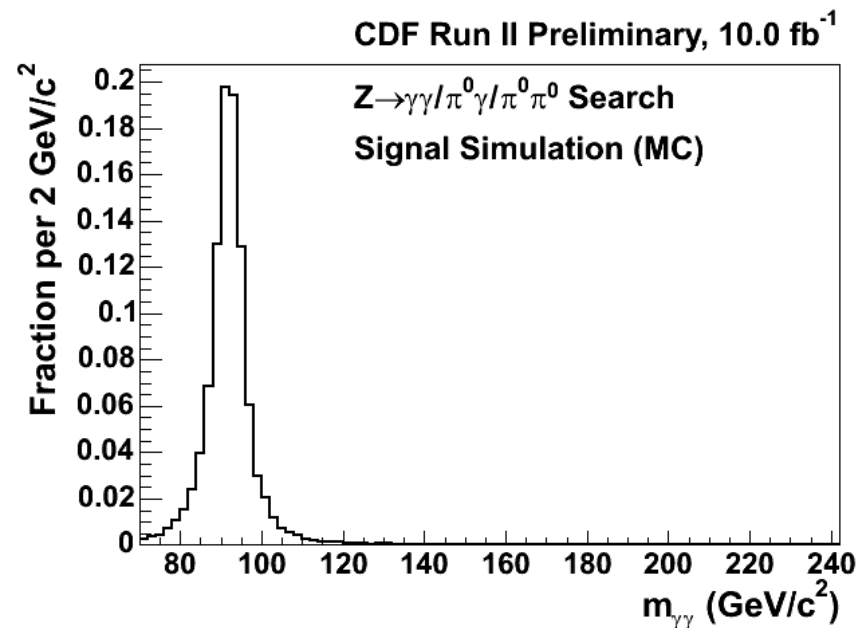
# Signal MC Samples: Summary

- Unweighted  $Z \rightarrow \gamma\gamma$  MC Sample
  - Has angular distribution of neutrinos  $\sim (\alpha + \cos^2\theta)$  with  $\alpha$  a constant
- $Z \rightarrow \pi^0\gamma$  Model
  - Determined to have the same angular distribution as the neutrinos
  - Start with unweighted  $Z \rightarrow \gamma\gamma$  MC sample then, and correct for the observed 2% difference in  $\pi^0/\gamma$  efficiency
- $Z \rightarrow \gamma\gamma$  and  $Z \rightarrow \pi^0\pi^0$  Models
  - Determined to have *different* angular distribution as the neutrinos (but same as each other)
  - Start with unweighted  $Z \rightarrow \gamma\gamma$  MC sample, then correct to the expected angular distribution of these decays:  $\sim (\beta - \cos^2\theta)$  with  $\beta$  a constant
  - The  $Z \rightarrow \pi^0\pi^0$  decay is furthermore corrected based on the 2% difference observed in  $\pi^0/\gamma$  efficiency



# Signal Diphoton Mass Shapes

- After all corrections, reconstructed mass shape of each decay is obtained
- Expected to be the same for each signal decay mode
- This is because the calorimeter response for  $\pi^0$  is found to be the same as that for isolated photons for  $\pi^0$  with  $E_t$  around 45 GeV, determined by studying energy scale



# Signal Acceptance $\times$ Efficiency

- Both the angular distributions and the photon identification efficiency affect the fraction of  $Z \rightarrow \pi^0 \gamma$ ,  $Z \rightarrow \gamma \gamma$  and  $Z \rightarrow \pi^0 \pi^0$  that pass the full diphoton event selection
- Difference in acceptance  $\times$  efficiency for  $Z \rightarrow \pi^0 \gamma$  relative to  $Z \rightarrow \gamma \gamma$  and  $Z \rightarrow \pi^0 \pi^0$  is almost entirely due to difference in angular distribution
- Difference in acceptance  $\times$  efficiency for  $Z \rightarrow \gamma \gamma$  relative to  $Z \rightarrow \pi^0 \pi^0$  is due to difference in  $\pi^0/\gamma$  photon ID efficiency

Signal Decay Mode	$Z \rightarrow \pi^0 \gamma$	$Z \rightarrow \gamma \gamma$	$Z \rightarrow \pi^0 \pi^0$
Acc * Eff ( $m_{\gamma\gamma} = 80 - 102$ GeV)	5.5%	7.6%	7.3%



# Signal Yields

- In principle, could obtain signal yields from

$$N_{Z \rightarrow \gamma\gamma} = \frac{\sigma(Z \rightarrow ee)}{\text{Br}(Z \rightarrow ee)} \cdot \text{Br}(Z \rightarrow \gamma\gamma) \cdot L \cdot (A\epsilon)_{Z \rightarrow \gamma\gamma},$$

$$N_{Z \rightarrow \pi^0\gamma} = \frac{\sigma(Z \rightarrow ee)}{\text{Br}(Z \rightarrow ee)} \cdot \text{Br}(Z \rightarrow \pi^0\gamma) \cdot L \cdot (A\epsilon)_{Z \rightarrow \pi^0\gamma},$$

$$N_{Z \rightarrow \pi^0\pi^0} = \frac{\sigma(Z \rightarrow ee)}{\text{Br}(Z \rightarrow ee)} \cdot \text{Br}(Z \rightarrow \pi^0\pi^0) \cdot L \cdot (A\epsilon)_{Z \rightarrow \pi^0\pi^0},$$

where  $\sigma(Z \rightarrow ee)$  is 250 pb,  $\text{Br}(Z \rightarrow ee) = 0.034$ ,  
 $L = 10.0 \text{ fb}^{-1}$ , and  $A\epsilon$  is acceptance  $\times$  efficiency values  
from previous slide

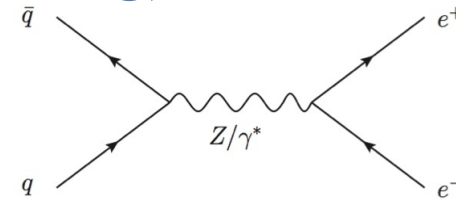
- We assume no theoretical branching ratio however
- Later, signal branching ratios become a parameter of  
95% C.L. limit calculation



# Background Model

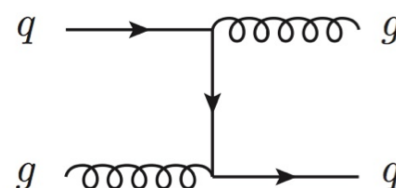
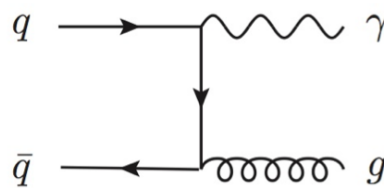
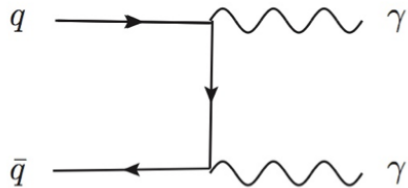
- Resonant background (2% of total bkg)

- Drell-Yan
- Modeled with MC



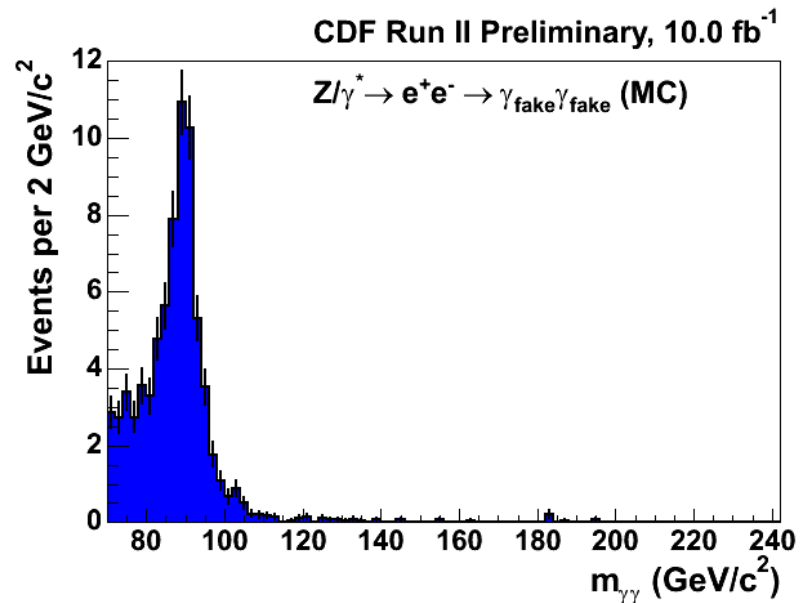
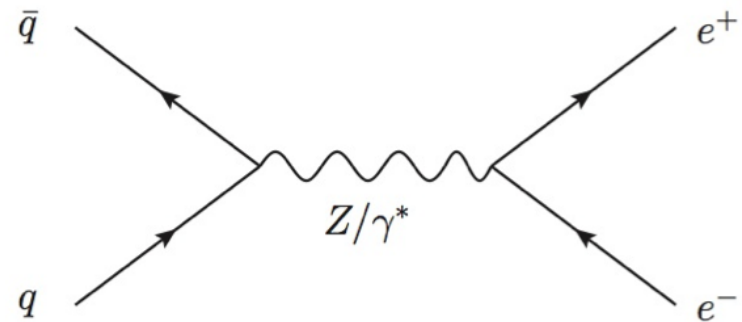
- Smooth  $m_{\gamma\gamma}$  backgrounds ( $\sim 98\%$  of total bkg)

- Modeled from fit to  $m_{\gamma\gamma}$  sideband region
- Fit is made to Drell-Yan subtracted data
- Composition:
  - $\gamma\gamma$  from QCD processes ( $\sim 2/3$  of smooth bkg); irreducible
  - $\gamma j$  or  $jj$ : one or two jets faking a photon ( $\sim 1/3$  of smooth bkg)



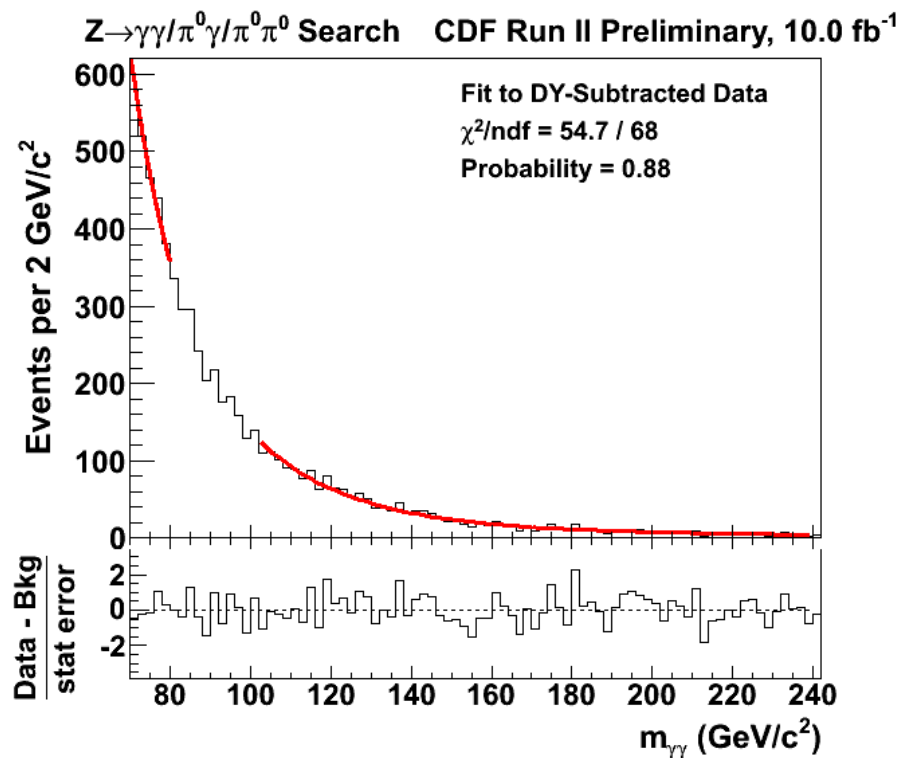
# Drell-Yan Background

- Drell-Yan background arises from electrons faking photons
- Use inclusive  $Z \rightarrow e^+e^-$  Pythia MC sample
  - $\sigma = 355 \text{ pb}$  and a k-factor = 1.4
- $L = 10.0/\text{fb}$
- Acceptance  $\times$  diphoton efficiency,  $A\epsilon_{\gamma\gamma}$ , for full mass range: 0.0031%
- $N_{\text{expected}} = \sigma \cdot k \cdot L \cdot A\epsilon_{\gamma\gamma}$   
 $= 154 \text{ events}$   
 for entire mass range
- 54 of these events expected in signal region,  
 $m_{\gamma\gamma} = 80 - 102 \text{ GeV}$



# Non-Resonant Backgrounds

- We do not model the prompt diphoton and jet faking photons background separately
- Instead use mass sidebands to determine shape and yield in signal region
- First subtract Drell-Yan component from data
- Then fit to sideband regions of DY-subtracted data
- Fit is interpolated into signal region

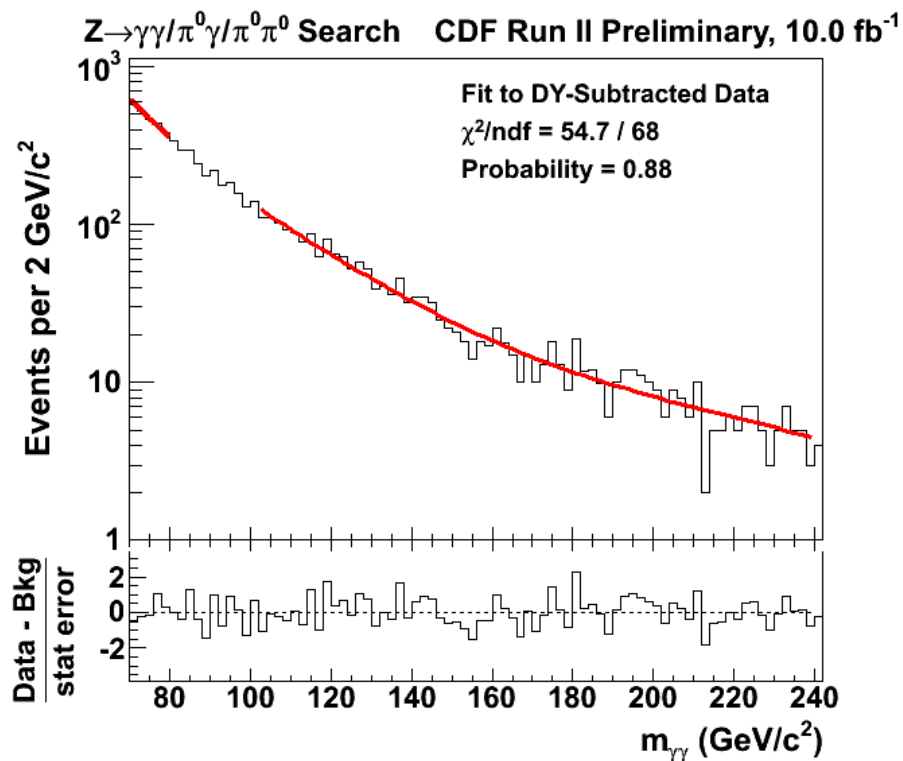


Fit to DY-subtracted data  
(linear scale)



# Non-Resonant Backgrounds

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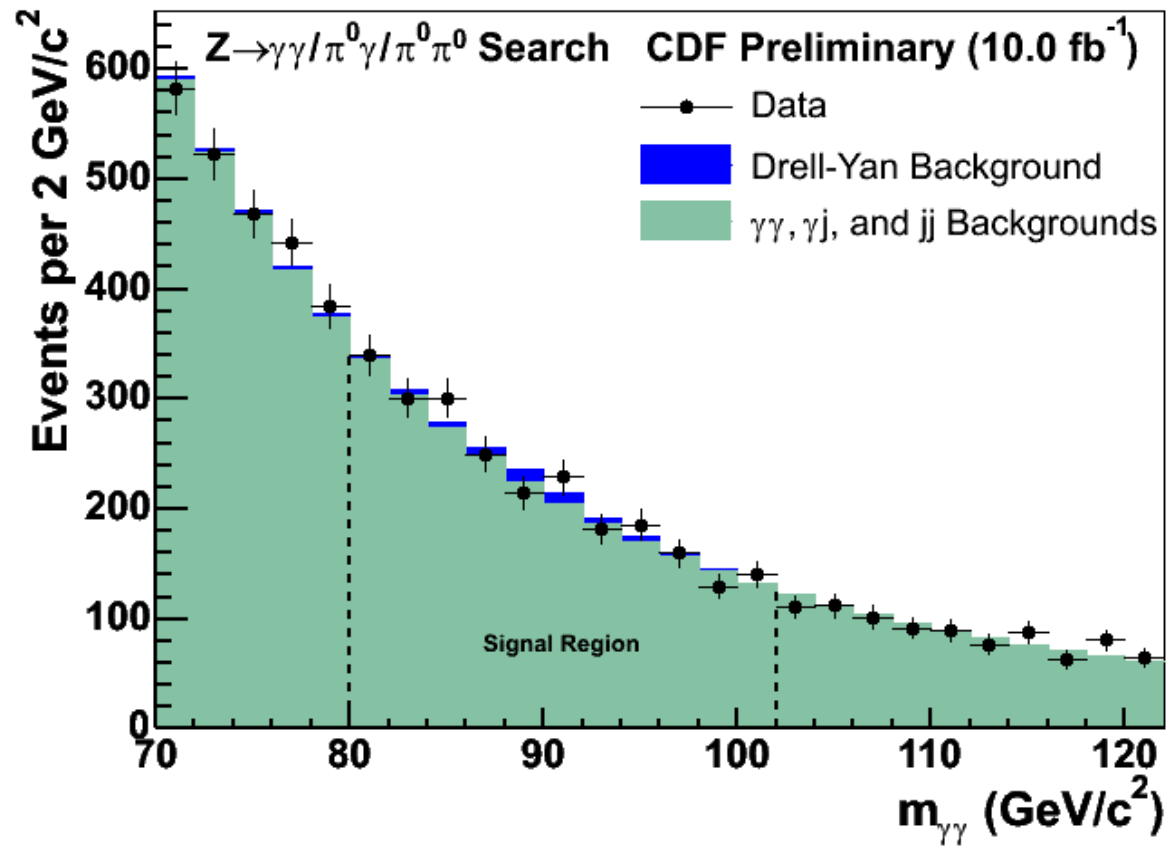
Fit to DY-subtracted data  
(log scale)





# Background Model versus Data

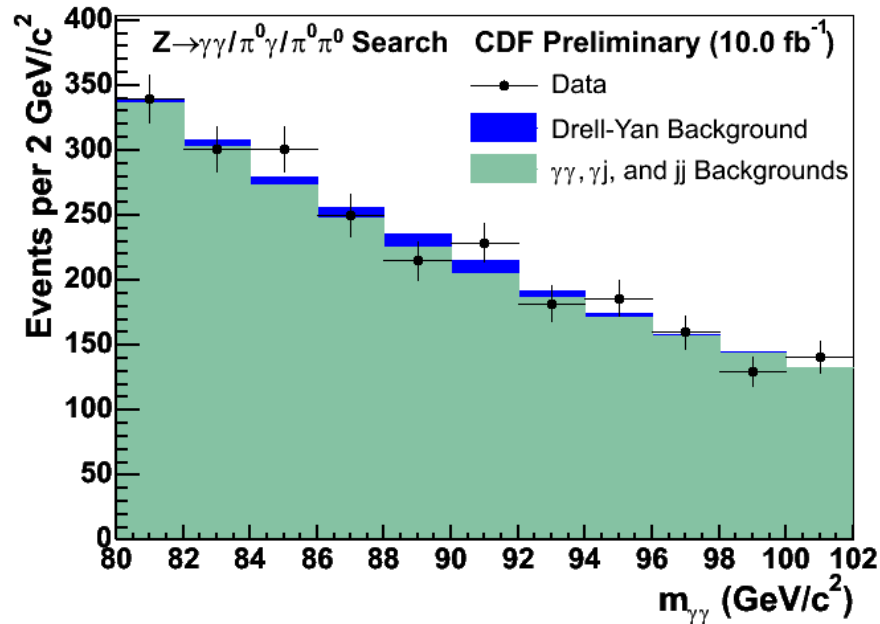
## Sideband and Signal Region



# Background Model versus Data

## Signal Region

$Z \rightarrow \gamma\gamma/\pi^0\gamma/\pi^0\pi^0$ Search	CDF Run II Preliminary, $10.0 \text{ fb}^{-1}$
Process	Number of Events for $80 < m_{\gamma\gamma} < 102 \text{ GeV}$
Drell-Yan	$54 \pm 5$
$\gamma\gamma$ , $\gamma j$ , and $jj$	$2251 \pm 61$
Total background	$2305 \pm 61$
Data	2294



- No evidence for resonance in diphoton mass distribution
- So we set 95% C.L. limits on the branching ratios of the signal
- The mass shapes and event yields shown here are inputs to this calculation



# Limit Calculation

- Binned mass shapes given as inputs
- Use mclimit software to set a Bayesian 95% C.L. upper limit on signal Br
- The binned likelihood as a function of  $f = \text{Br}(Z \rightarrow \pi^0 \gamma)$ ,  $\text{Br}(Z \rightarrow \gamma \gamma)$ , or  $\text{Br}(Z \rightarrow \pi^0 \pi^0)$ :
- $n_i$  = number of data (pseudodata) events for observed (expected) limit
- $s_i$  is  $\sigma L A \epsilon$  of signal
- $b_i$  is sum of backgrounds
- 95% confidence limit obtained by finding the value of  $f_{95}$  for which:

$$L(f) = \prod_{i=1}^{N_{\text{bins}}} \frac{\mu(f)_i^{n_i} e^{-\mu(f)_i}}{n_i!}$$

$$\mu_i(f) = f s_i + b_i$$

$$0.95 = \int_0^{f_{95}} L(f) df$$

- Truncated Gaussian priors for systematic uncertainties integrated out before this



# Limit Calculation

CDF Run II Preliminary  $\int \mathcal{L} = 10.0 \text{ fb}^{-1}$

Systematic Uncertainties (%)	Signal			Background	
	$Z \rightarrow \gamma\gamma$	$Z \rightarrow \pi^0\gamma$	$Z \rightarrow \pi^0\pi^0$	Drell-Yan	Non-Resonant
Luminosity	6	✓	✓	✓	✓
Z Cross Section	6	✓	✓	✓	✓
PDF	5	✓	✓	✓	
ISR/FSR	3	✓	✓	✓	
Energy Scale	0.2	✓	✓	✓	
Trigger Efficiency	1	✓	✓	✓	✓
z-Vertex	0.2	✓	✓	✓	✓
Photon ID Efficiency	4	✓	✓	✓	
$\pi^0/\gamma$ Efficiency	2 per $\pi^0$		✓	✓	
Electron Fake Rate	2			✓	
Sideband Fit	2.7				✓

- Drell-Yan: also bin-by-bin statistical uncertainties
- Dominant uncertainty is that for the non-resonant background



# Limit Results

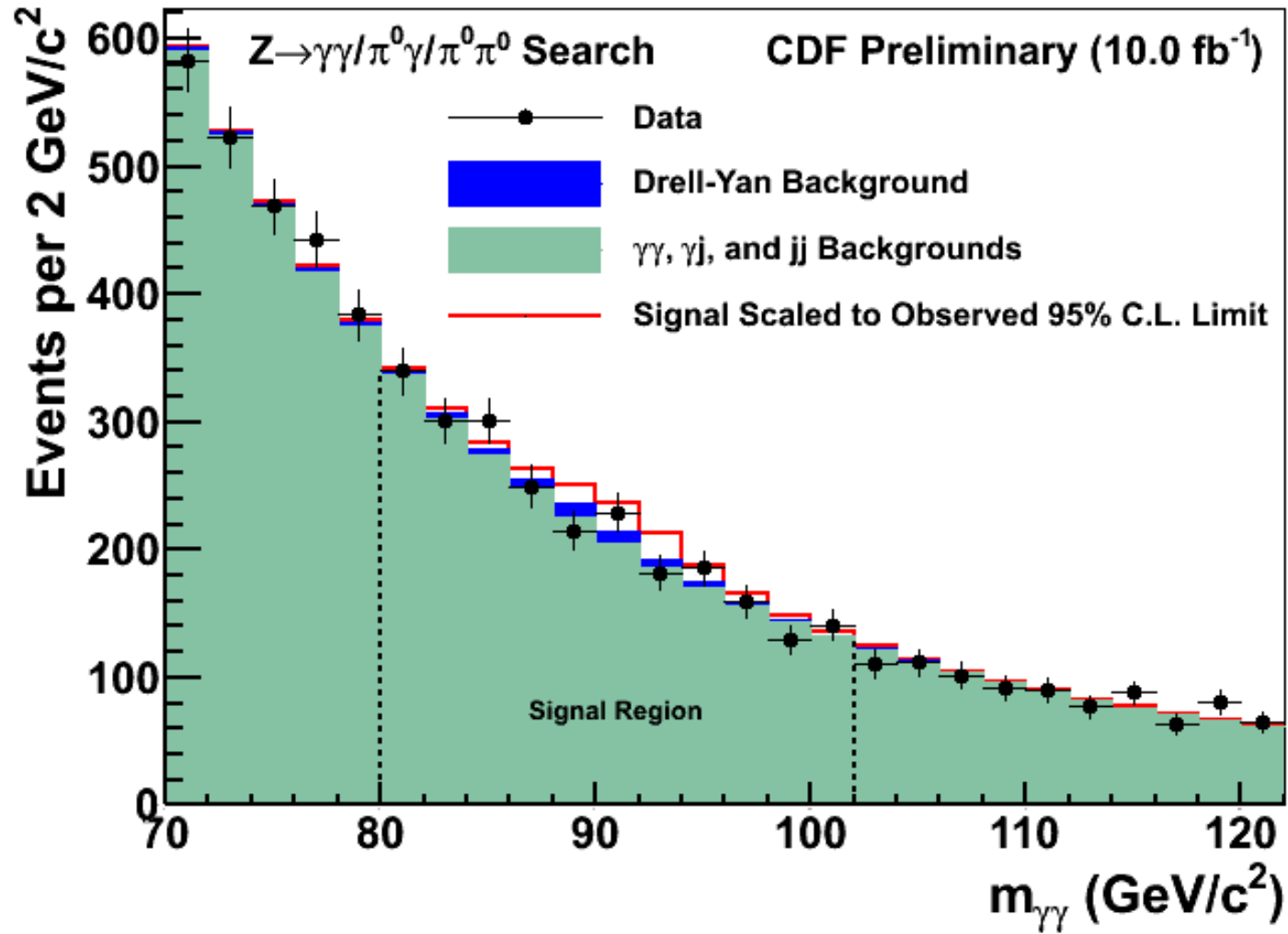
- We cannot distinguish the isolated photon from the isolated neutral pion
- We then calculate 95% C.L. limits on one at a time, assuming the other signals are not present

CDF Run II Preliminary		$\int \mathcal{L} = 10.0 \text{ fb}^{-1}$				
		95% C.L. Limits				
Signal	Expected ( $\times 10^{-5}$ )					Observed
Process	$-2\sigma$	$-1\sigma$	Median	$+1\sigma$	$+2\sigma$	( $\times 10^{-5}$ )
$\text{Br}(Z \rightarrow \gamma\gamma)$	0.88	1.19	1.66	2.34	3.20	1.66
$\text{Br}(Z \rightarrow \pi^0\gamma)$	1.21	1.63	2.28	3.21	4.37	2.28
$\text{Br}(Z \rightarrow \pi^0\pi^0)$	0.93	1.23	1.72	2.41	3.29	1.73

- $\text{Br}(Z \rightarrow \pi^0\gamma)$  and  $\text{Br}(Z \rightarrow \gamma\gamma)$  limits are more sensitive by factors of 3.1 and 2.3 over the previous limits
- The  $\text{Br}(Z \rightarrow \pi^0\pi^0)$  limit is the first reported in this decay mode



# Limit Results



# Summary and Conclusions

- We report the most sensitive search to date for forbidden and exotic decays of the Z boson to a pair of photons, a pair of neutral mesons, or a neutral meson and a photon.
- 10 fb<sup>-1</sup> of diphoton data used in this search
- Observed 95% C.L. upper limits are:
  - Br(Z → π<sup>0</sup>γ) < 2.28 × 10<sup>-5</sup>
  - Br(Z → γγ) < 1.66 × 10<sup>-5</sup>
  - Br(Z → π<sup>0</sup>π<sup>0</sup>) < 1.73 × 10<sup>-5</sup>
- The Br(Z → π<sup>0</sup>γ) and Br(Z → γγ) limits are, respectively, 2.3 and 3.1 × better than the previous limits
- The Br(Z → π<sup>0</sup>π<sup>0</sup>) limit is the first reported in this decay mode
- Future plans: consider rare Z decays involving eta mesons



# Backup





# Landau-Yang Theorem

- To construct a spin 1 Z from two spin 1 photons, the total  $J = 1$  spin function for the Z would be constructed from antisymmetric spin functions.
- For example, the  $|1,1\rangle$  Z state would come from  $|1,1\rangle|1,0\rangle - |1,0\rangle|1,1\rangle$  photon states.
- Then, assuming that the photons conserve linear momentum in the rest frame of the Z, the spatial part of their wave function is symmetric, giving an overall antisymmetric wavefunction.
- Which is not allowed for a total  $J = 1$  state, which should be symmetric.



# Summary of $H \rightarrow \gamma\gamma$ Techniques

- Event Selection:
  - Isolated photon trigger (25 GeV cut)
  - Identify two 15 GeV CEM photons using central NN selection
- Signal Model:
  - Shape and acceptance from Pythia MC
  - Isolated photon trigger and photon ID efficiency validated in  $Z \rightarrow e^+e^-$  data
- Background Model:
  - Exploit resonant feature of H decay into photons
  - Use sideband regions of diphoton mass to determine background shape and rate in signal region

# Modifications for $Z \rightarrow \gamma\gamma/\pi^0\gamma$ Analysis

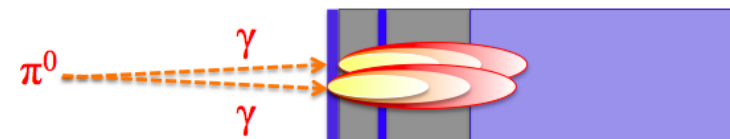
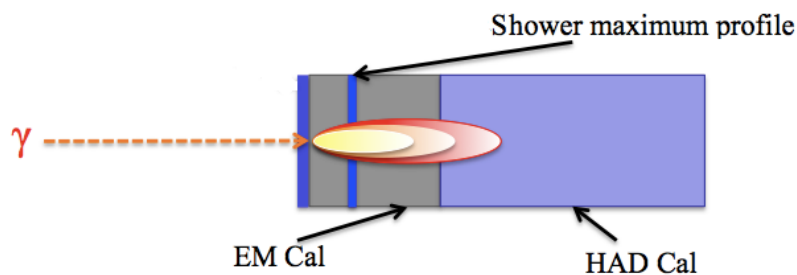
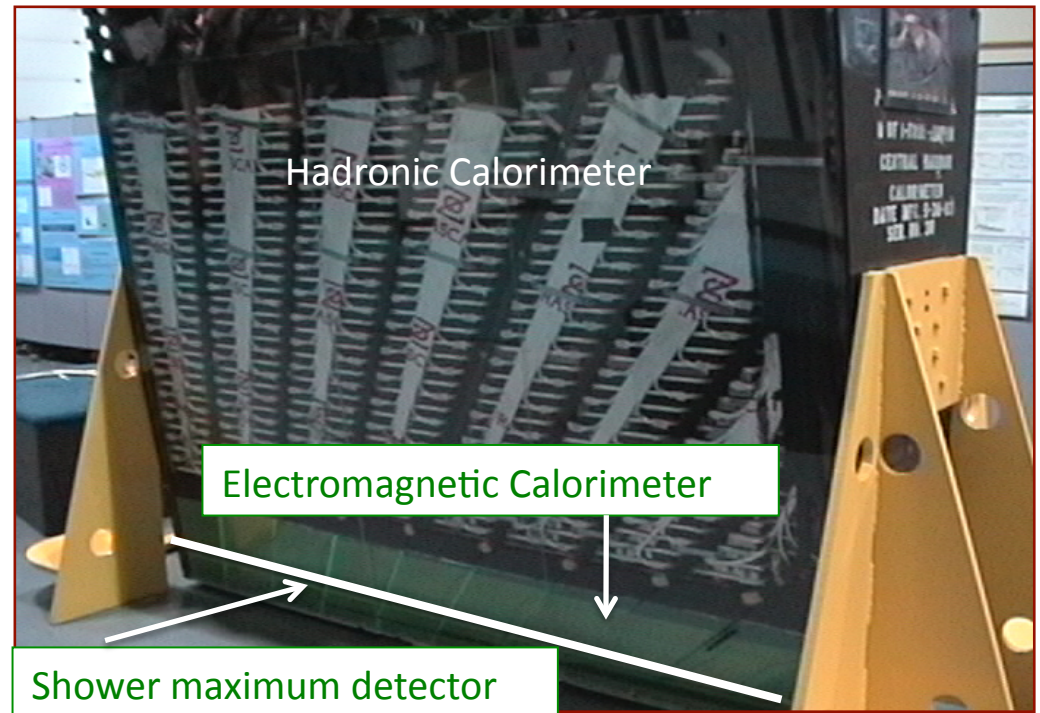
- Event Selection:
  - Isolated photon trigger (25 GeV cut)
  - Identify two 15 GeV CEM photons using central NN selection
- Signal Model:
  - Shape and acceptance from a modified (angle- or  $\pi^0$  efficiency-weighted) Pythia MC
  - Isolated photon trigger and photon ID efficiency validated in  $Z \rightarrow e^+e^-$  data
- Background Model:
  - Exploit resonant feature of Z decay into photons
  - Use sideband regions of diphoton mass to determine background shape and rate in signal region
  - Model  $Z \rightarrow e^+e^-$  from Pythia MC

Blue indicates what has dominated our time for transition to the  $Z \rightarrow \gamma\gamma/\pi^0\gamma$  analysis



# Photon Identification

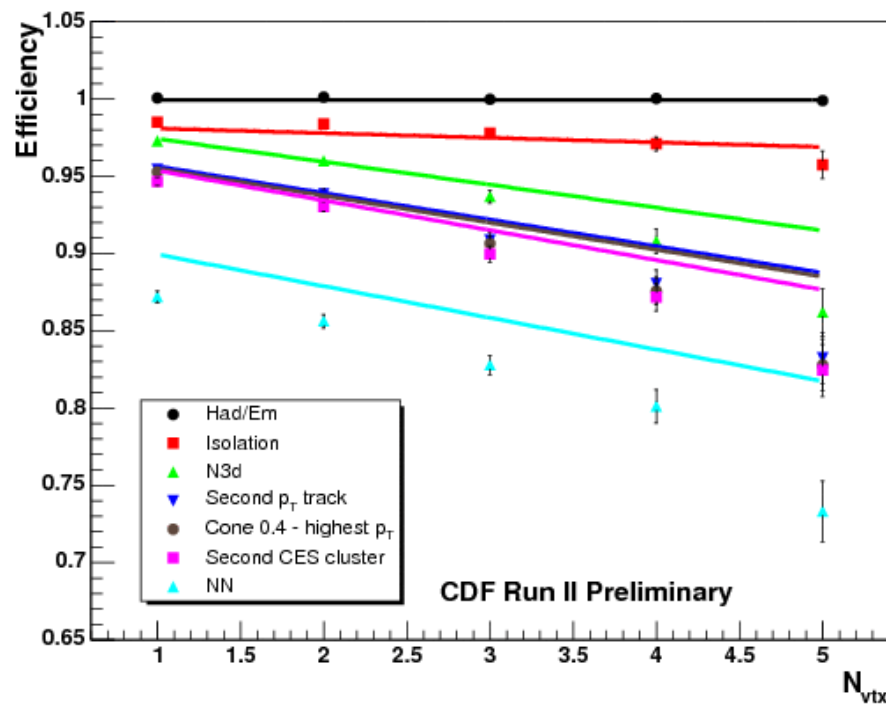
- EM calorimeter segmentation:
  - $\Delta\eta \times \Delta\varphi \sim 0.1 \times 15^\circ$  ( $|\eta| < 1$ )
  - Not fine enough to distinguish  $\pi^0/\eta$  and photon showers
- Shower max detector
  - $\sim 6$  radiation lengths into EM calorimeter
  - Finely segmented: Position resolution  $\sim 1\text{mm}$
  - Gives resolution to better distinguish  $\pi^0/\eta \rightarrow \gamma\gamma$  from  $\gamma$  at low  $E_t$
  - For  $\pi^0$  with sufficiently high  $E_t$ , collinear photons like single  $\gamma$



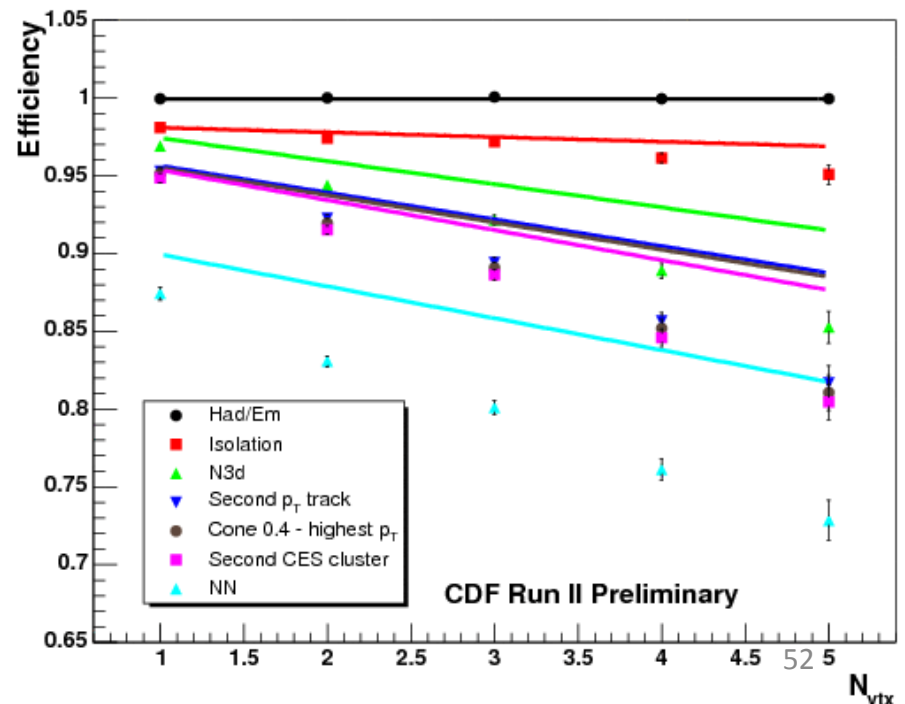
# Photon ID Efficiency Scale Factors

- Photon ID efficiency calibrated with  $Z \rightarrow e^+e^-$
- Data (MC) efficiency indicated with points (lines)

Central p0 - p17 Data Efficiencies



Central p18 - p23 Data Efficiencies



# Revisiting the Z polarization from Drell-Yan

We considered all polarization states. In the limiting case (where the collision is of head-on (massless) quarks) only the two states here would be considered:



In this limit  $f_0 = 0$ , and then the angular distributions in the Z rest frame for  $Z \rightarrow v\bar{v}$  and  $Z \rightarrow \gamma\gamma$  events becomes

$$F_{v\bar{v}}(\theta) = f_+(d_{1,1}^1)^2 + f_-(d_{1,-1}^1)^2 = f_+(1 + \cos^2 \theta)$$

$$F_{\gamma\gamma}(\theta) = f_+(d_{1,0}^1)^2 + f_-(d_{1,0}^1)^2 = f_+(1 - \cos^2 \theta)$$

The corresponding weight function would then be:

$$w_{\gamma\gamma}(\theta) = \frac{F_{v\bar{v}}(\theta)}{F_{\gamma\gamma}(\theta)} = \frac{1 + \cos^2 \theta}{1 - \cos^2 \theta}$$

