

Upsilon Studies in Pb-Pb and p-Pb Collisions Using ALICE Muon Spectrometer

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On behalf of the Upsilon2mumu PAG

Plan of My Talk

- Physics Motivation
- Detector and Data Taking
- Analysis on Nuclear Modification Factor
- Results on Pb-Pb:

R_{AA} vs Npart

R_{AA} vs Rapidity

and Comparison With The Theoretical Model

- Results on p-Pb and Pb-p:

R_{pA} and R_{Ap}

Forward Backward Ratio R_{FB}

- Summary and Outlook

Physics Motivation

The motivation is to study the particle physics under extreme high density ($\sim 25 \text{ GeV}/\text{fm}^3$) and temperature ($\sim 5 \times 10^{12} \text{ K}$), when the quarks and gluons are no longer confined within the dimension of the nucleon, but free to move over the volume of high temperature and/or density, called quark-gluon-plasma (QGP).

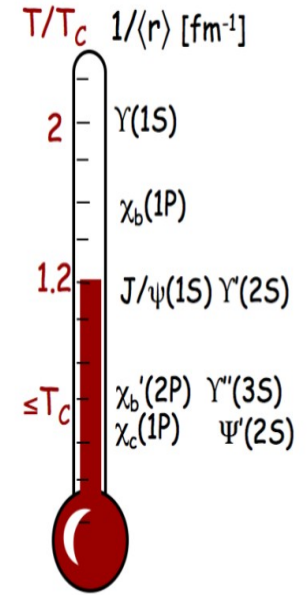
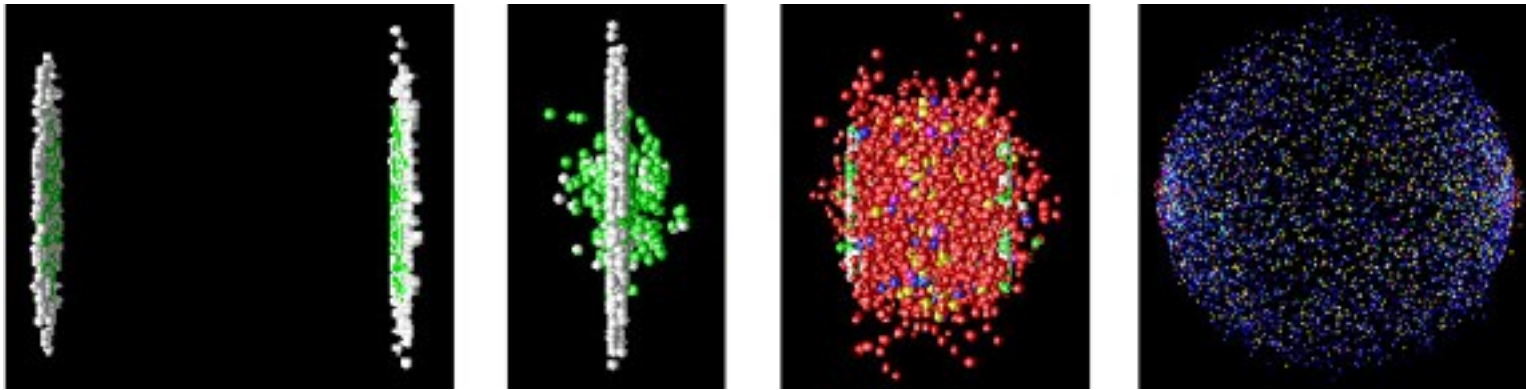
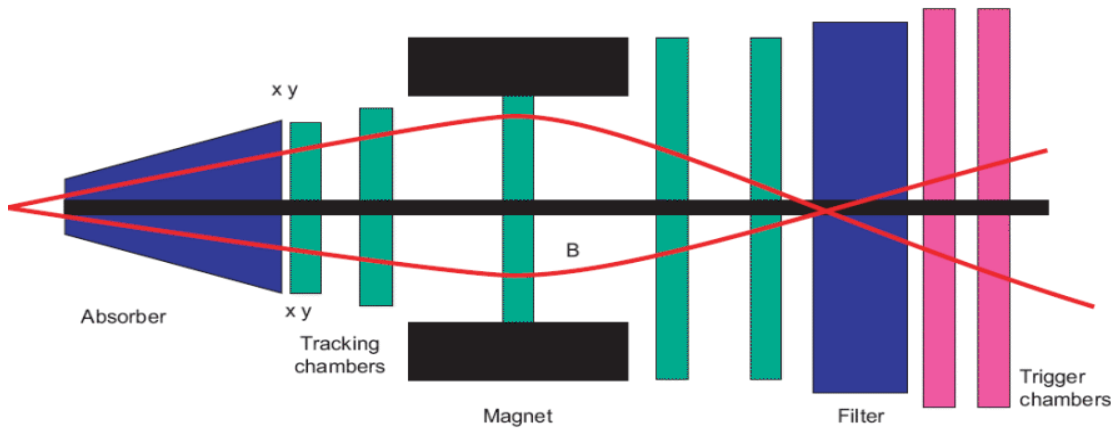
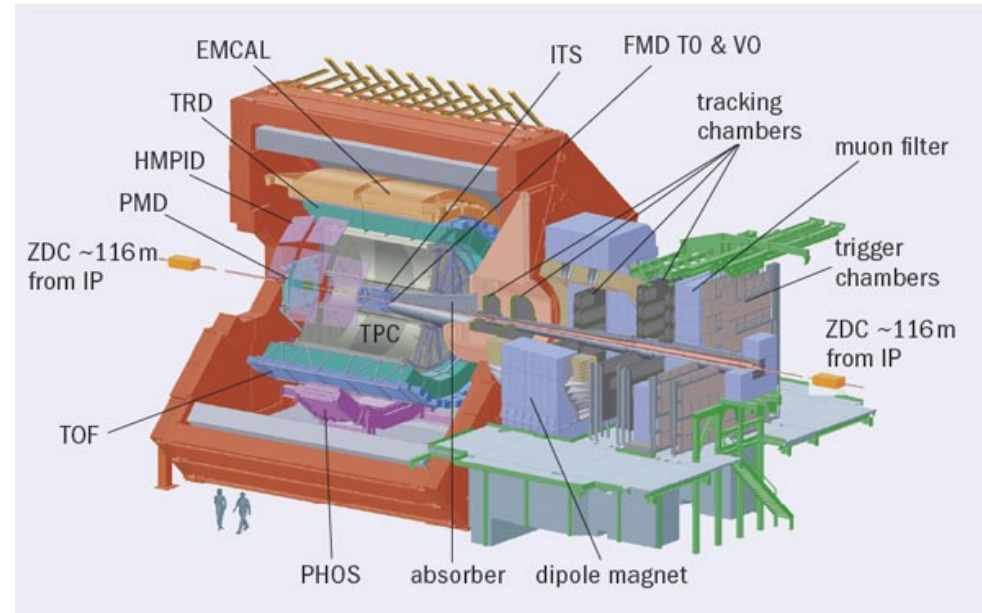


Fig. 5. The QGP thermometer.
Agnes Mocsy, Eur.Phys.J.C61, 2009

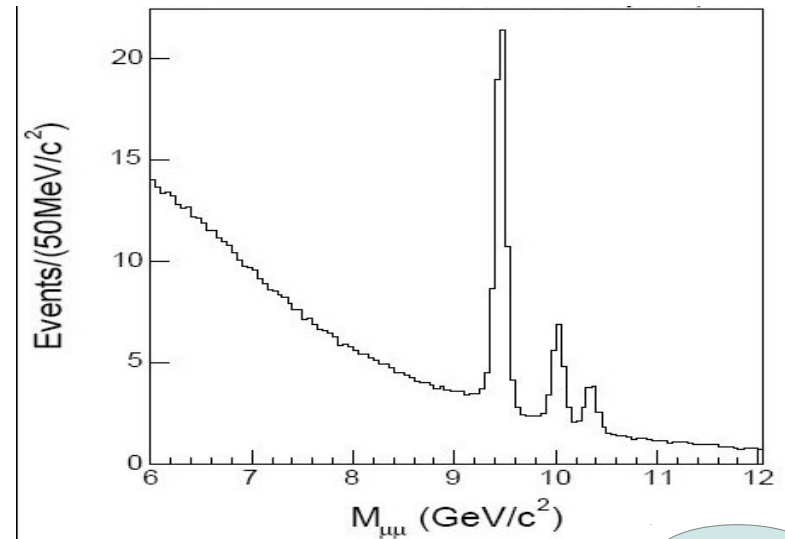
- Quarkonia (J/ψ and Upsilon) suppression is considered as one of the most striking signatures for QGP formation in AA collisions.
- Charm (1.29 GeV) and Bottom (4.19 GeV) quarks are massive
- Formation takes place at very early stage of the collision
- Sequential suppression pattern of quarkonia production reveal the information about the temperature of the produced medium and acts as a QGP thermometer.
- Measurements of the Y resonances are particularly important since the theoretical calculations are more robust than for the charmonium family due to the heavy bottom quark and the absence of b-hadron feed-down and less recombination than charm.

Detector and Data Taking

- Forward Rapidity: $2.5 < \eta < 4.0$
- Acceptance down to $p_T \sim 0$ GeV
- Upsilon(Y) $\rightarrow \mu^+\mu^-$
- Three Resonances (lifetime $\sim 10^{-20}$ s):
 - $Y(1S) \rightarrow 9.460$ GeV
 - $Y(2S) \rightarrow 10.023$ GeV
 - $Y(3S) \rightarrow 10.355$ GeV
- In 2011 around $70 \mu\text{b}^{-1}$ PbPb data collected at energy 2.76 TeV



$$p^\mu p_\mu = M^2$$



Nuclear Modification Factor (R_{AA})

The suppression of quarkonia can be quantified by calculating the Nuclear Modification Factor (R_{AA}), which is the ratio of the production in A-A collisions to the production in p+p scaled by the number of binary collisions.

$$R_{AA} = \frac{N_{Y(1S)}}{\langle AccxEff \rangle_{Y(1S)} \times \langle T_{AA} \rangle \times N_{MB} \times BR_{Y(1S)} \times \sigma_{Y(1S)}^{pp}}$$

$N_{Y(1S)}$ → number of raw Y(1S) yield over background

$AccXEff$ → correction factor for acceptance and efficiency of our detector

T_{AA} → nuclear overlap function

N_{MB} → number of minimum bias events analyzed

$BR_{Y(1S)}$ → branching ratio of upsilon decaying to dimuons (2.48 ± 0.05) %

$\sigma_{Y(1S)}^{pp}$ → differential cross-section in pp collision at center of mass energy 2.76 TeV

Pb-Pb ANALYSIS

Signal Extraction

Upsilon Invariant Mass Spectrum

Event Cuts:
 Physics Selection
 CMUL Trigger
 Centrality (0-90) %

Muon Cuts:
 Trigger Matched Track (Lpt,Lpt)
 $-4.0 < \eta < -2.5$
 $17.6 \text{ cm} < R \text{ abs} < 89.5 \text{ cm}$
 pDCA Selection
 $p_T \geq 2 \text{ GeV}$

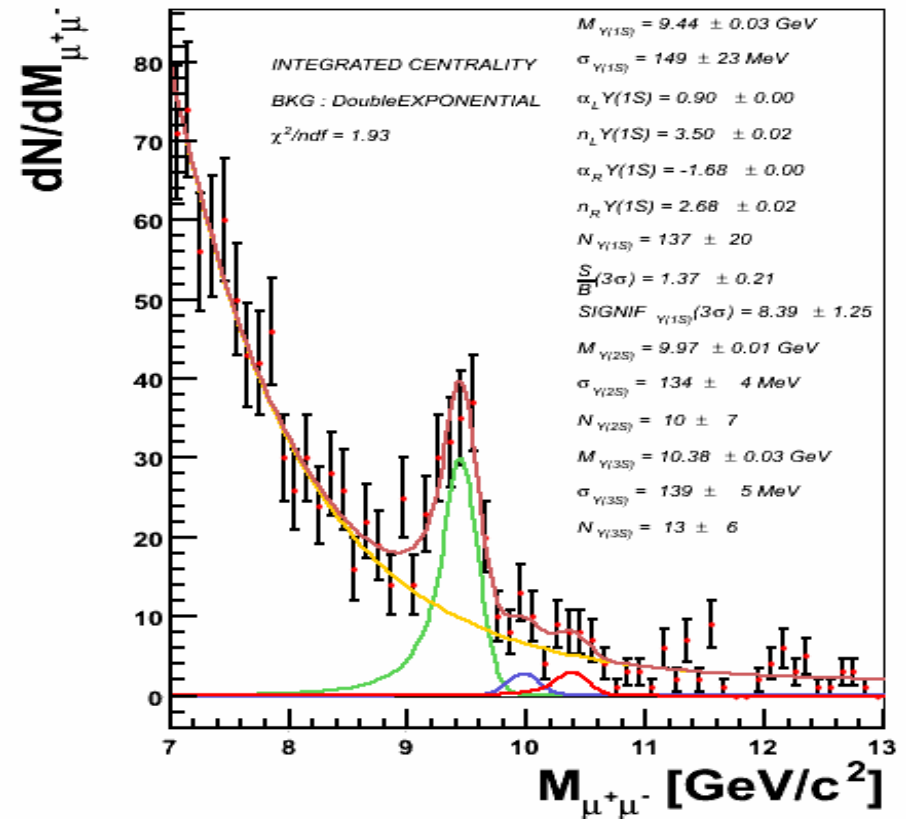
Dimuon Cuts:
 $-4.0 < y < -2.5$

$$M_{Y(2S)} = M_{Y(2S)}^{PDG} + (M_{Y(1S)}^{FIT} - M_{Y(1S)}^{PDG}) \frac{M_{Y(2S)}^{PDG}}{M_{Y(1S)}^{PDG}}$$

$$M_{Y(3S)} = M_{Y(3S)}^{PDG} + (M_{Y(1S)}^{FIT} - M_{Y(1S)}^{PDG}) \frac{M_{Y(3S)}^{PDG}}{M_{Y(1S)}^{PDG}}$$

$$\sigma_{Y(2S)} = \sigma_{Y(1S)} \frac{M_{Y(2S)}^{PDG}}{M_{Y(1S)}^{PDG}}$$

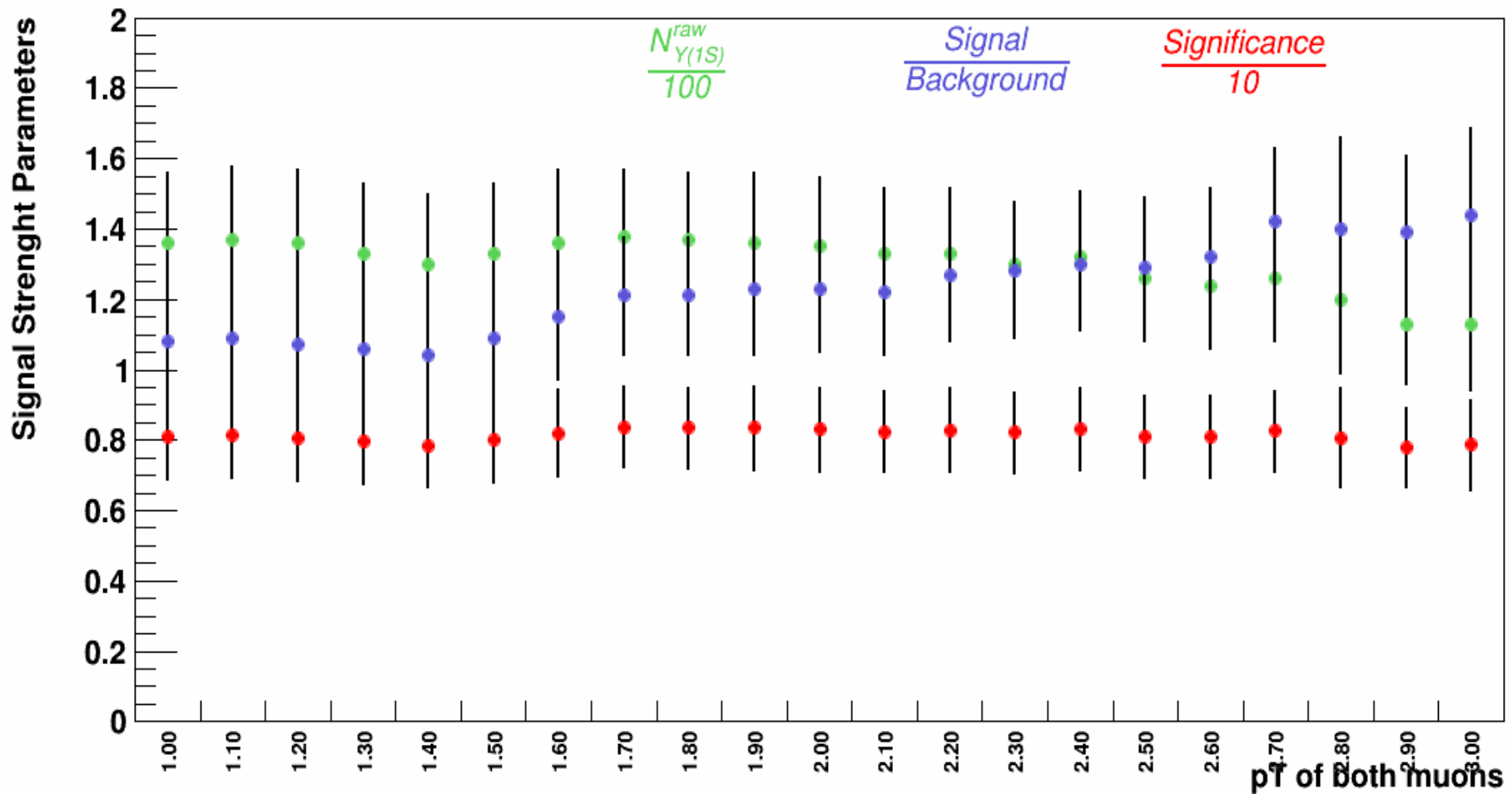
$$\sigma_{Y(3S)} = \sigma_{Y(1S)} \frac{M_{Y(3S)}^{PDG}}{M_{Y(1S)}^{PDG}}$$



- Signal fitted with Double Crystal Ball
- Tail parameters taken from embedding (Javier)
- Mass, Sigma and Amplitude free for Y(1S)
- Amplitude of Y(2S) and Y(3S) kept free

Signal Strength Parameters

Signal Strength Parameters as Function of pT



Acceptance Times Efficiency

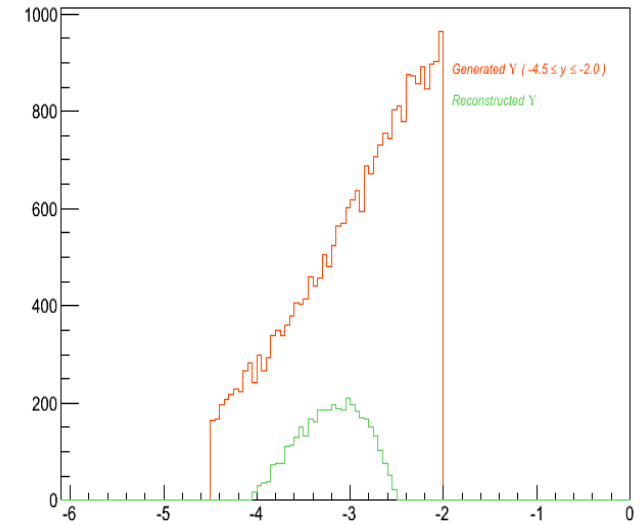
$$A \times \varepsilon = \frac{N_{\gamma}^{rec}(-4 \leq y \leq -2.5)}{N_{\gamma}^{sim}(-4 \leq y \leq -2.5)}$$

Run-by-Run Simulation of 132 runs of LHC11h (2011 PbPb) period

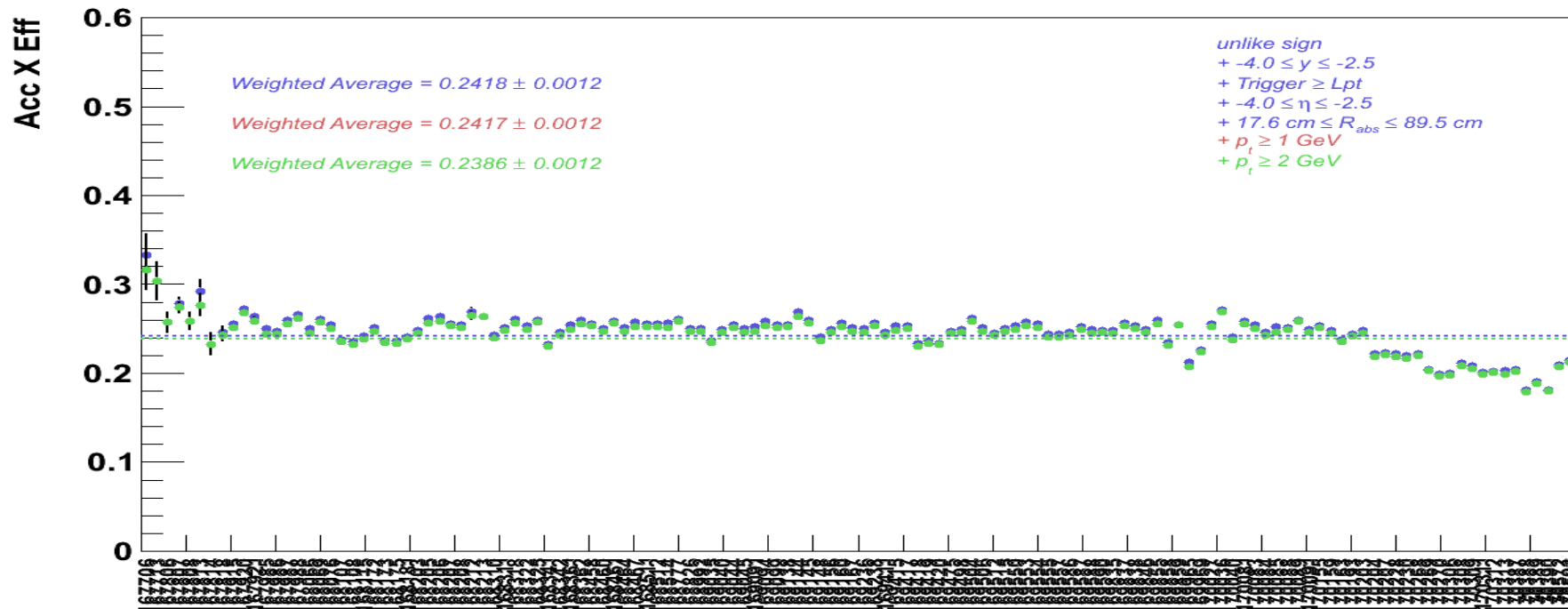
Number of simulated event proportional to run size (MUL events)

Rapidity Distribution of Generated Upsilon

Entries	26311
Mean	-2.924
RMS	0.6548

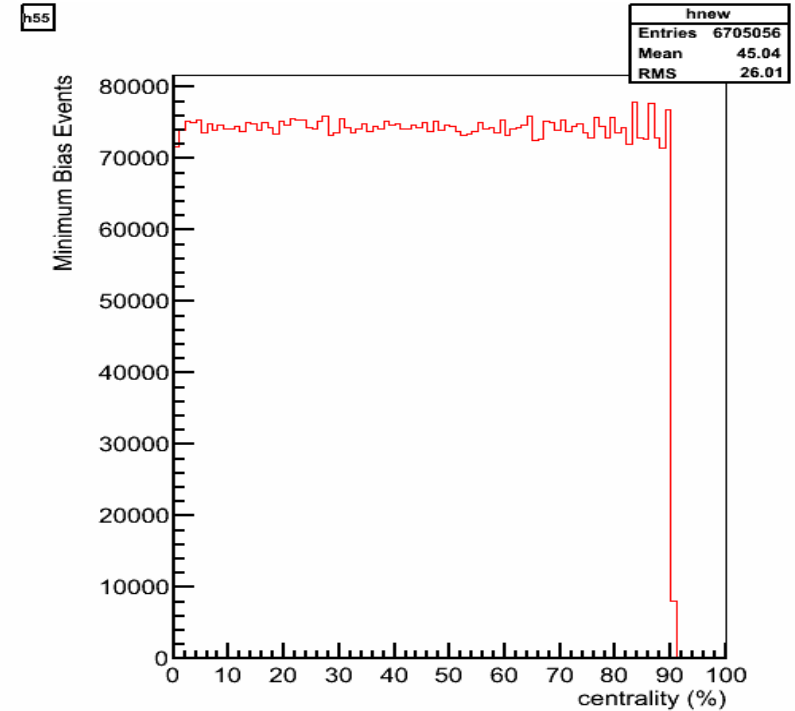
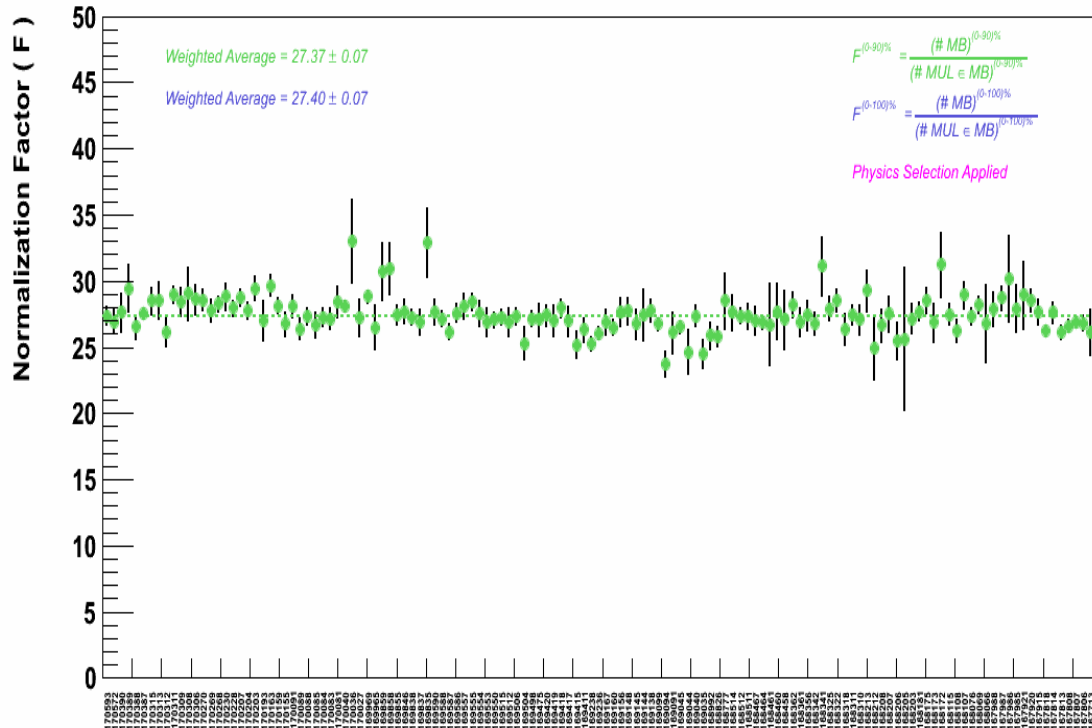


Run-by-Run Simulation of Acceptance Times Efficiency of Upsilon for 2011 Pb-Pb



Normalization to Minimum Bias Events

Run-by-Run Normalization Factor for 2011 Pb-Pb



- We need to normalize signal yield by minimum bias events, but we are using MUL Trigger
- Normalization factor (F) connects the MUL trigger to the Minimum Bias Trigger

Statistical and Systematic Uncertainties

→ The dominating source of statistical uncertainties comes from signal extraction (~15 -- 22 %)

→ The dominating source of systematic uncertainty comes from pp reference cross-section (pp reference cross-section [Martino and Francesco](#))

→ The systematic is divided in two parts:

Uncorrelated and Correlated

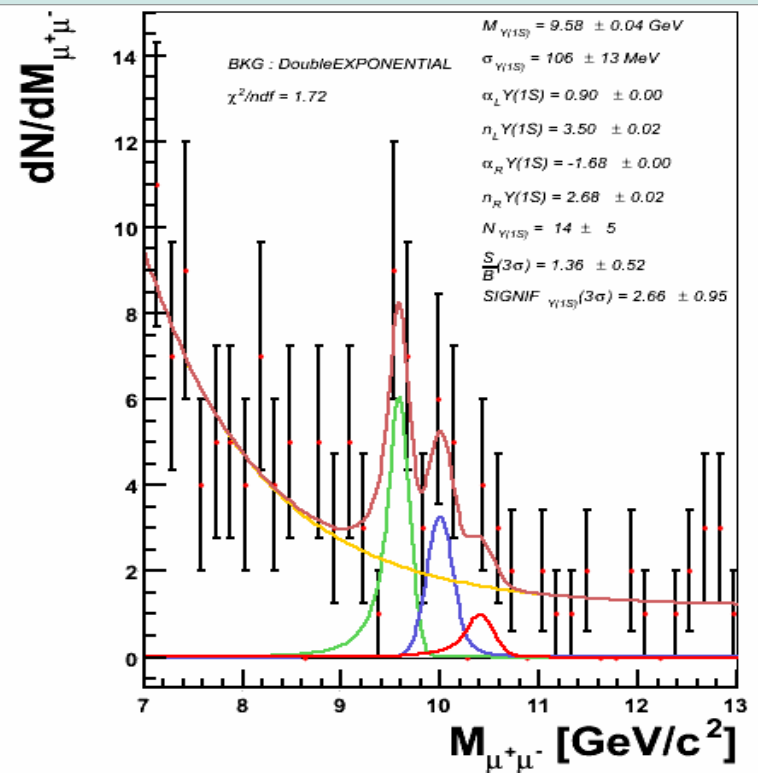
For example, pp reference cross-section does not depend on centrality but depends on rapidity.

So, pp reference cross-section systematic uncertainty for:

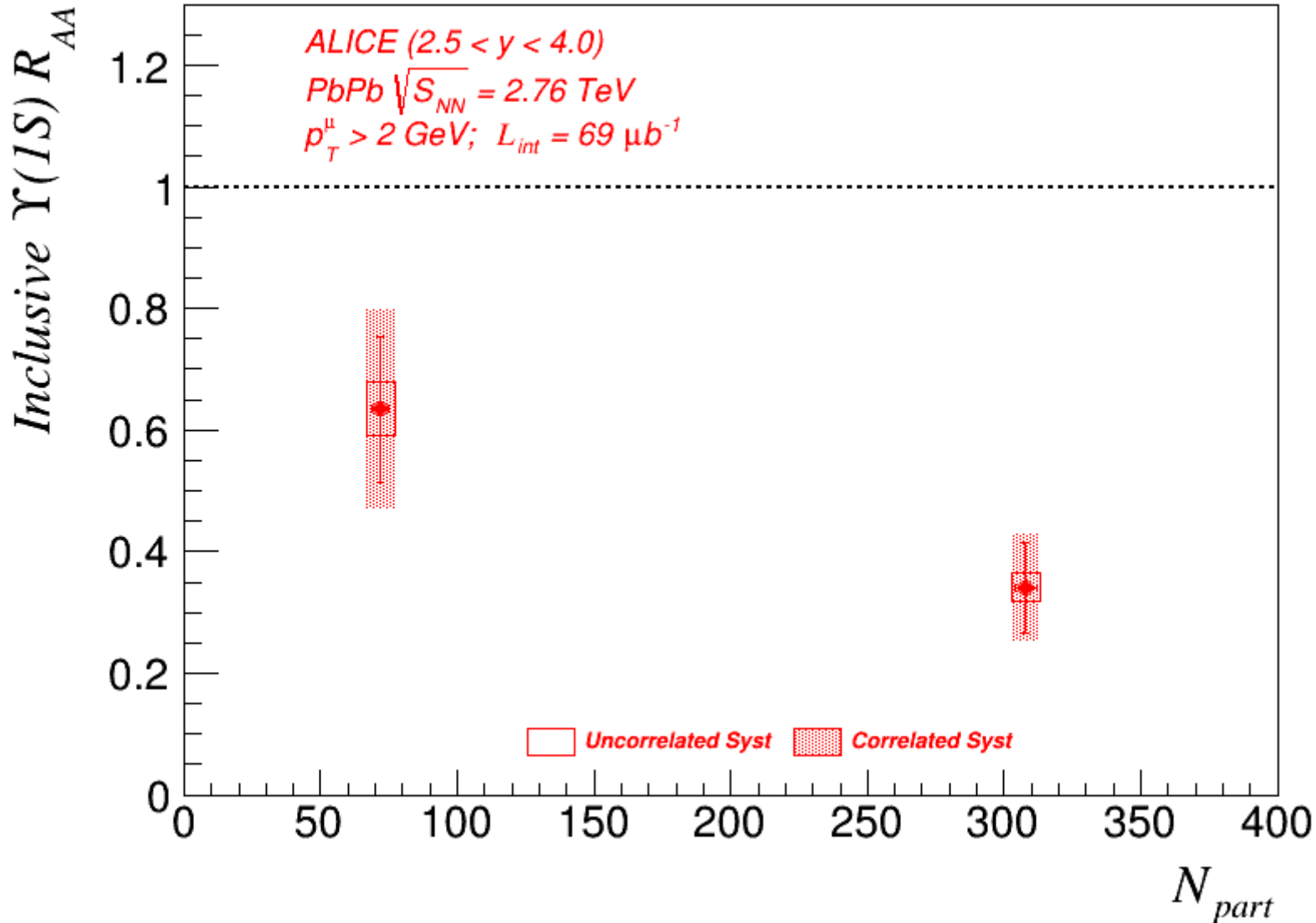
Centrality bins:--> Correlated

Rapidity bins:--> Uncorrelated

Upsilon @ 2.76 TeV 2013 Data



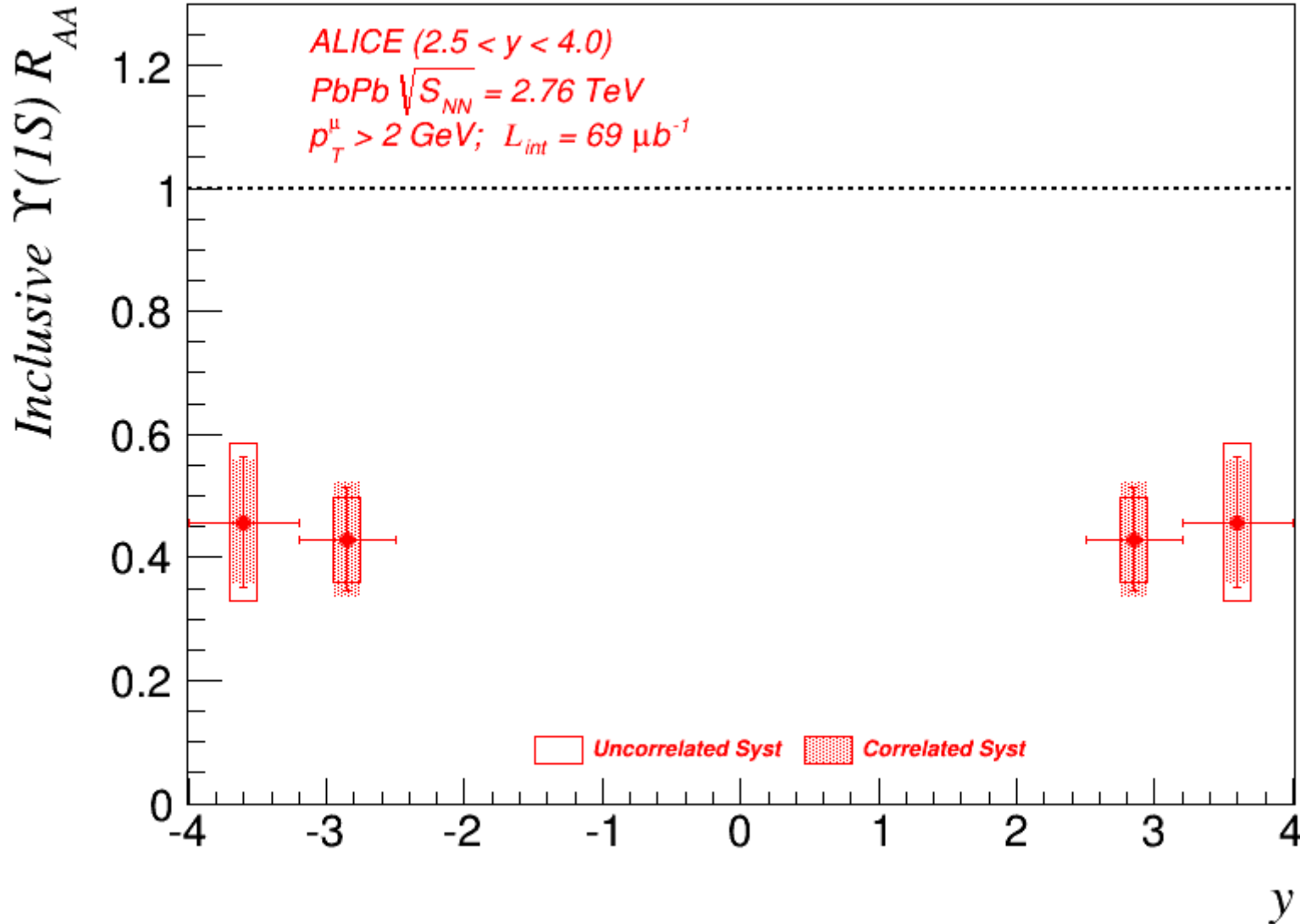
ALICE $Y(1S) R_{AA}$: Centrality Dependence



→ Clear Indication of Suppression

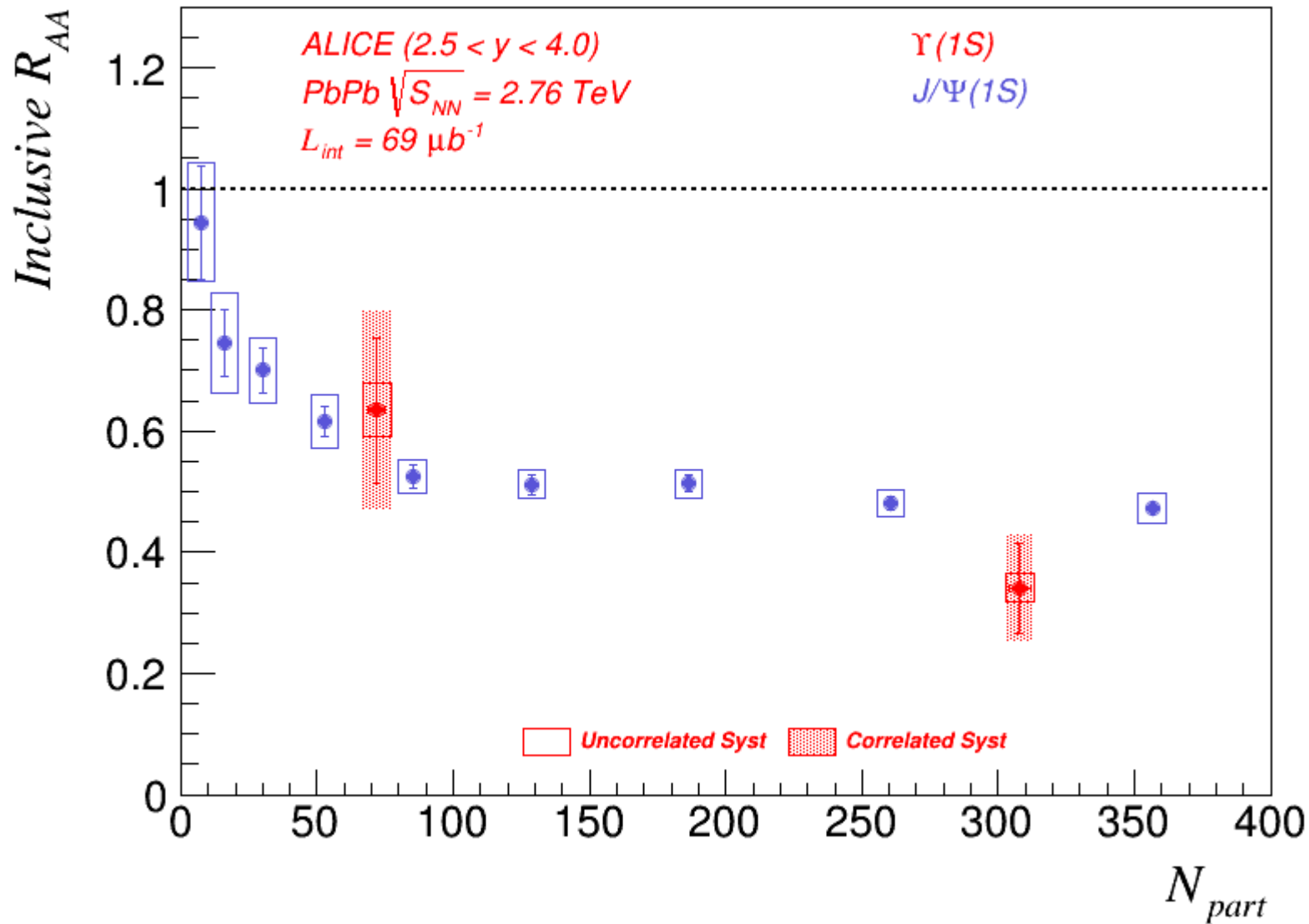
→ Suppression increases with centrality

ALICE $Y(1S) R_{AA}$: Rapidity Dependence



→ No clear rapidity dependence within the large uncertainties

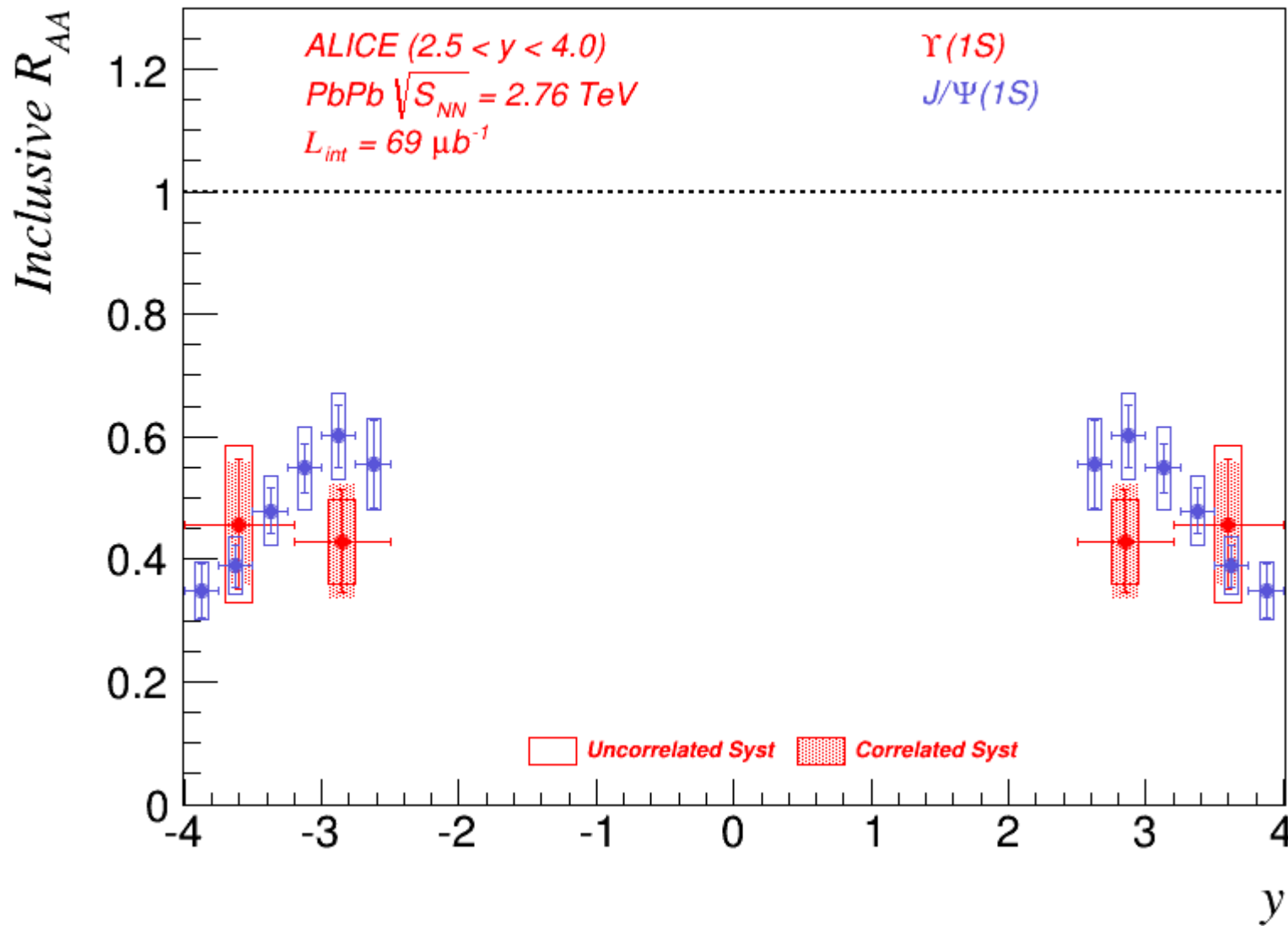
ALICE Y(1S) Vs J/psi R_{AA} Comparison: Centrality



→ At higher centrality $\Upsilon(1S)$ suppression seems more compared to J/psi

→ Note Upsilon has much less regeneration than J/psi

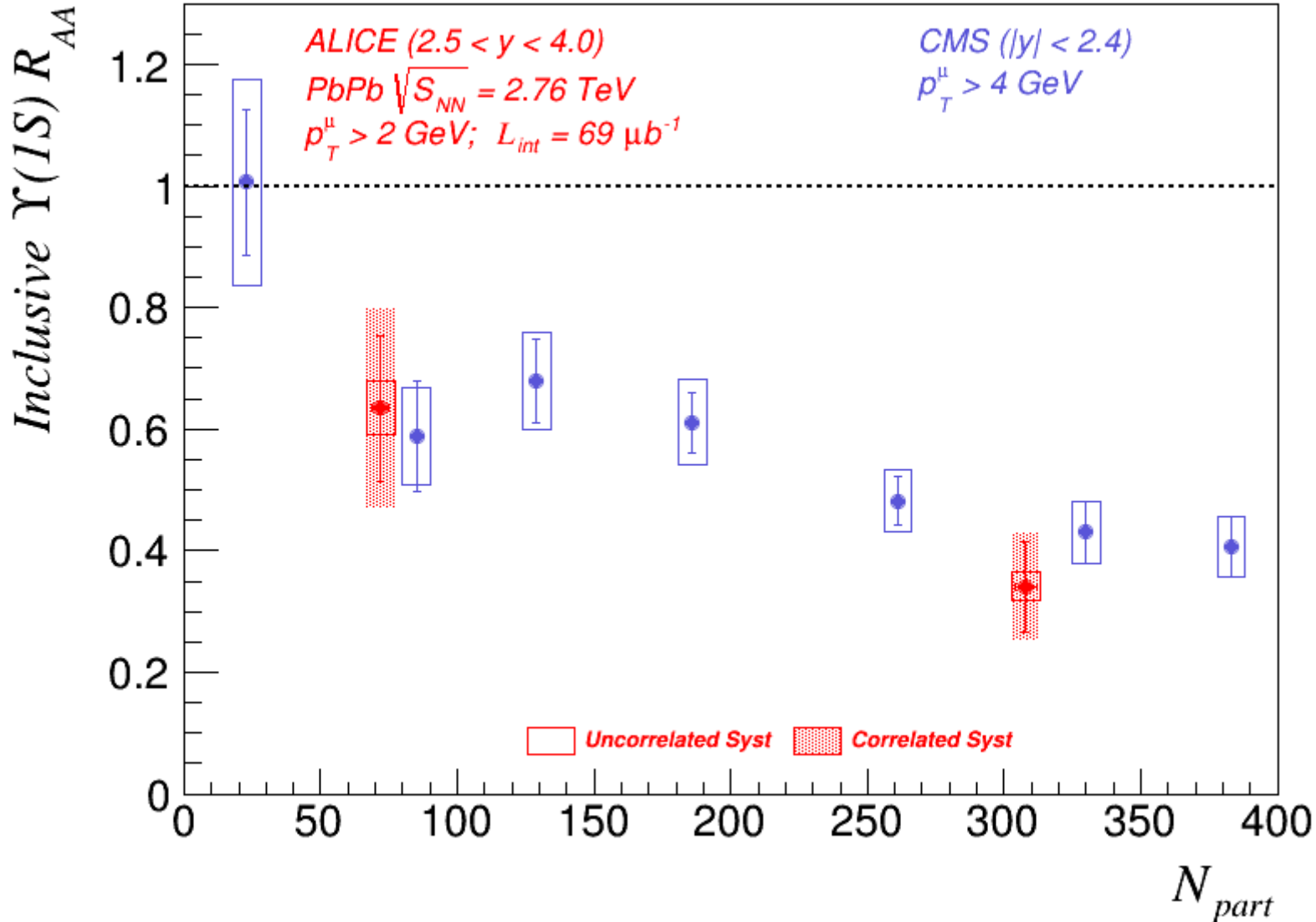
ALICE $\Upsilon(1S)$ Vs J/ψ R_{AA} Comparison: Rapidity



→ Both results are integrated over 0-90 % centrality

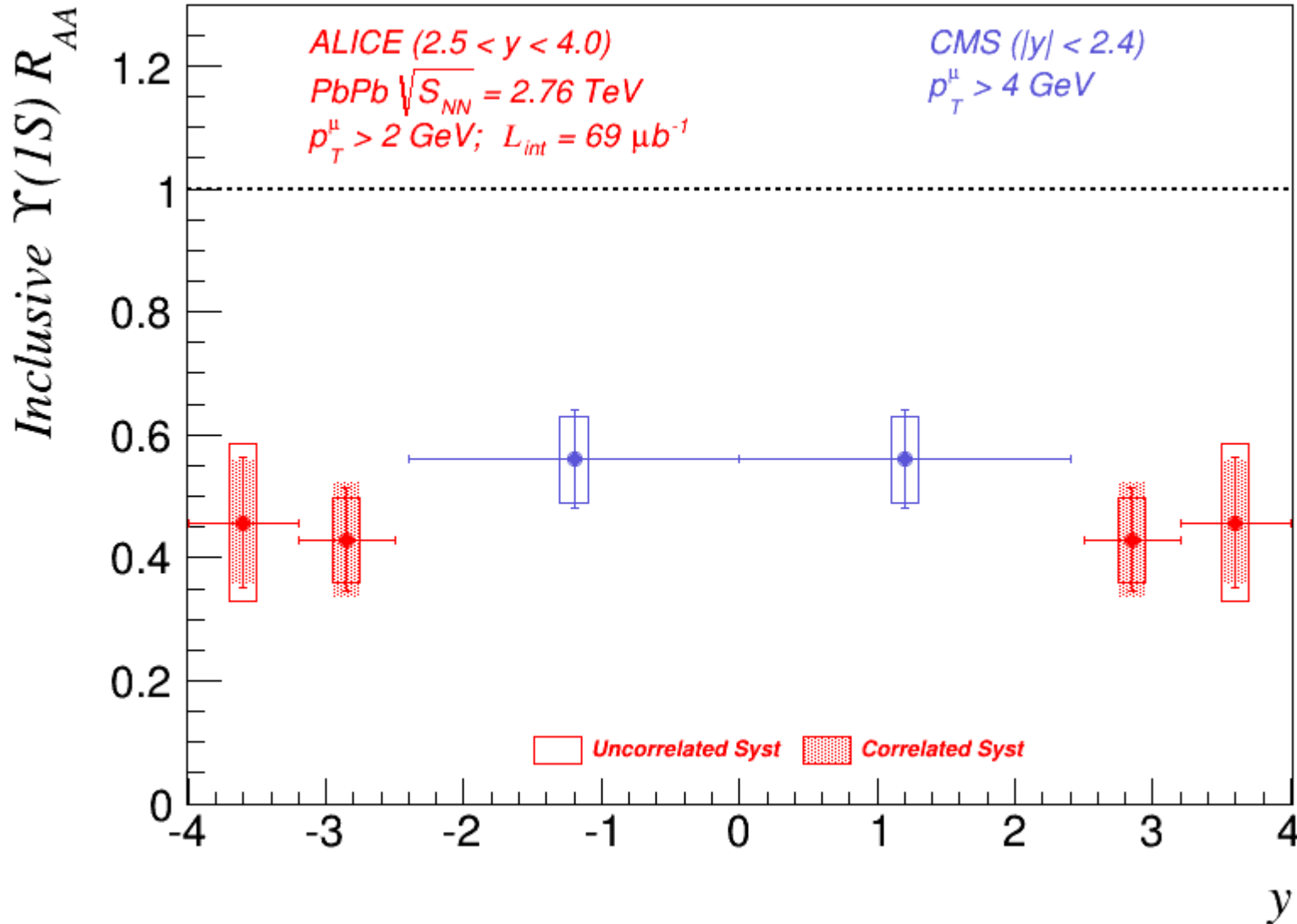
→ No different behaviour is observed compared to J/ψ within the large uncertainties

ALICE Vs CMS Y(1S) R_{AA} : Centrality



→ The suppression at forward rapidity in ALICE is compatible with mid-rapidity CMS data points for both central and semi-peripheral collisions

ALICE Vs CMS $Y(1S) R_{AA}$: Rapidity

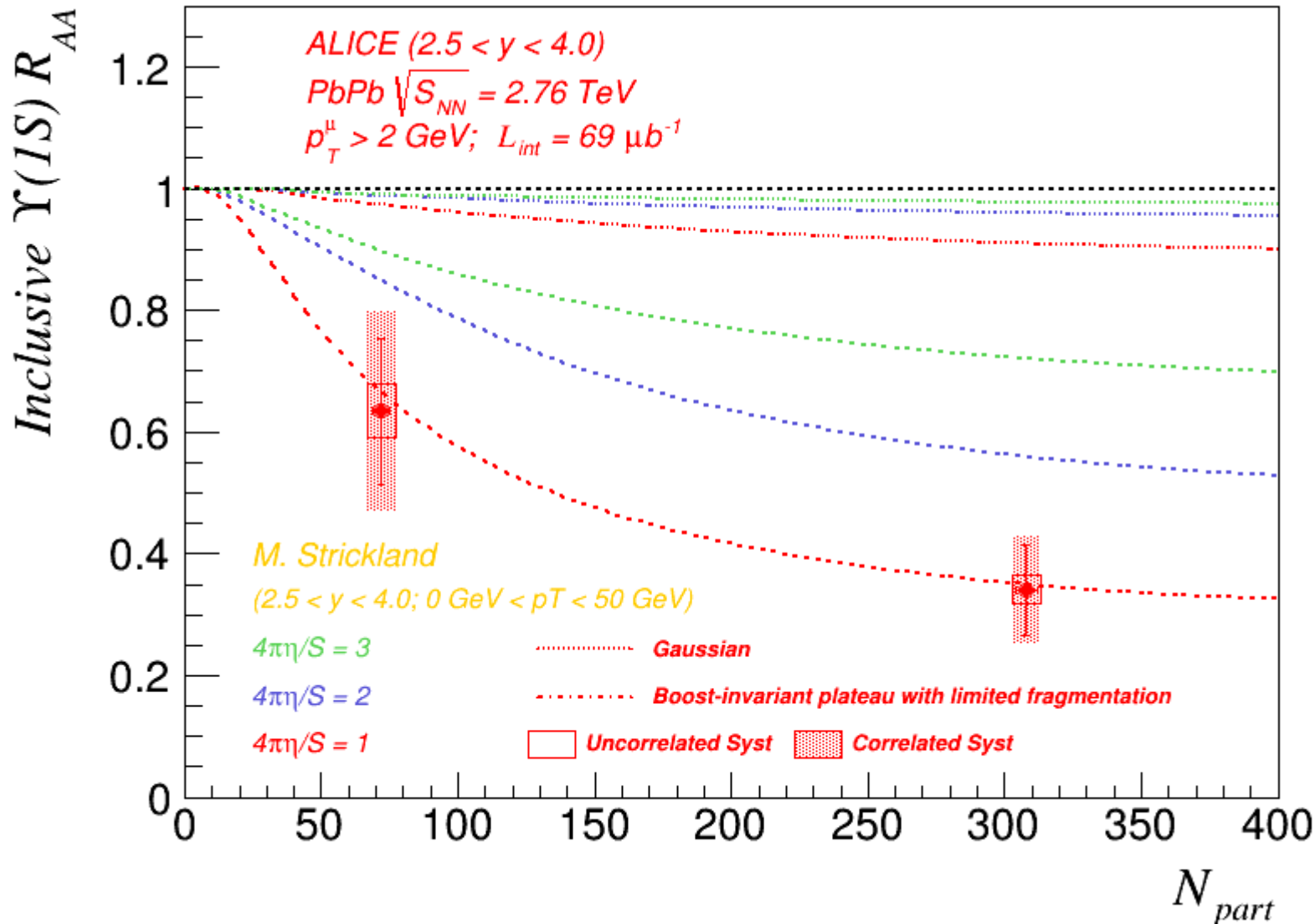


→ CMS data integrated 0-100 %, while for ALICE 0-90 %

→ Hint of more suppression at forward rapidity

ALICE $\Upsilon(1S) R_{AA}$ Vs Theoretical Model: Centrality

M. Strickland
arXiv:1207.5327



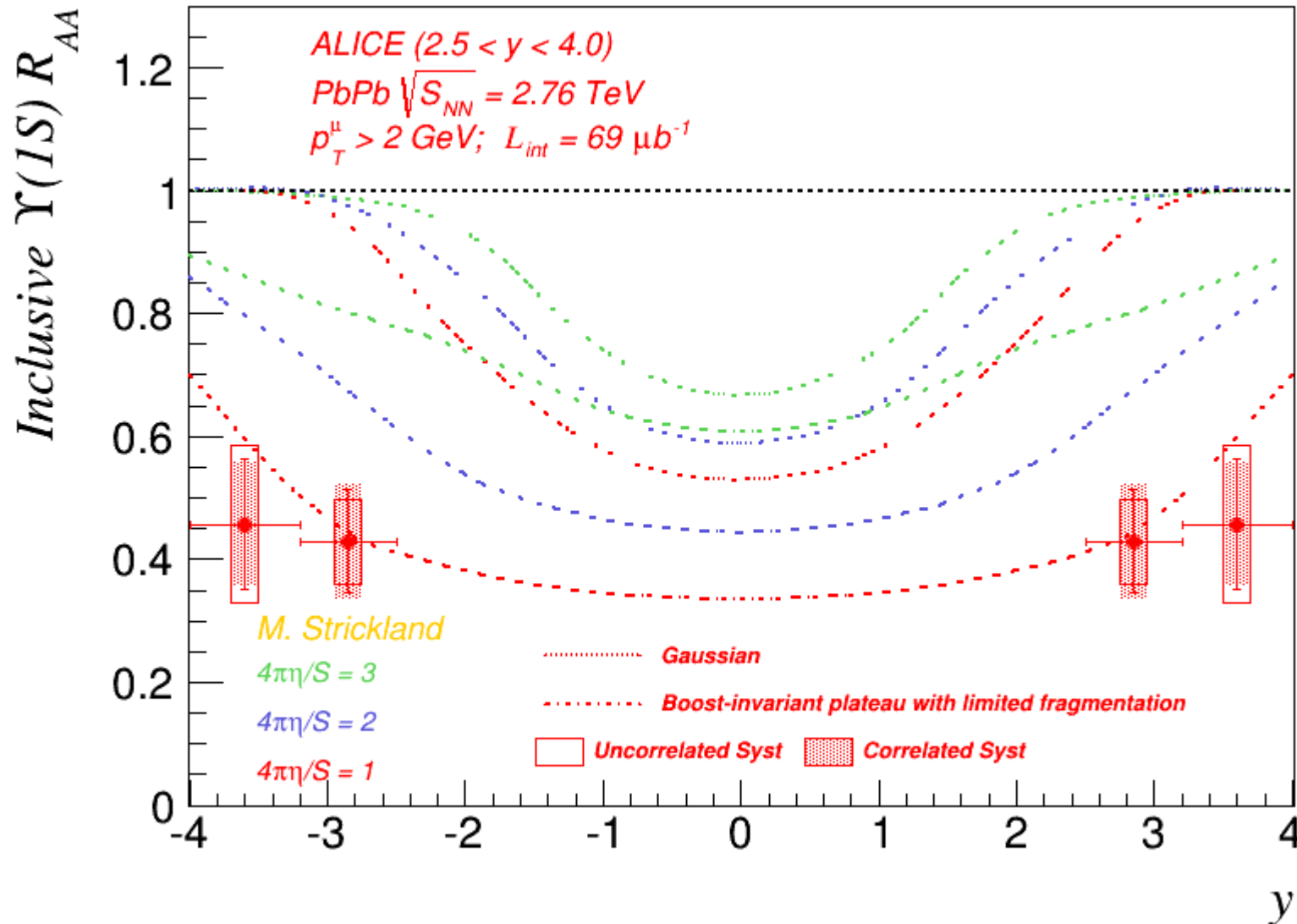
→ Model includes feed-down of $\Upsilon(1S)$ by higher mass states

→ Does not include recombination effect

→ Does not include cold nuclear matter effect

→ Data agrees quite well with the boost invariant plateau with limited fragmentation for shear viscosity 1.

ALICE $Y(1S) R_{AA}$ Vs Theoretical Model: Rapidity



→ Data agrees with the boost invariant plateau with limited fragmentation for shear viscosity 1 within the uncertainties.

→ Note that this model does not include CNM effects

→ 2013 p-Pb data can help to understand the CNM effects !

Analysis Note and Twiki

EUROPEAN ORGANIZATION FOR NUCLEAR RESEARCH



ALICE-INT-2013-xxx
April 12, 2013

Authors:

- Loic
- Palash
- Massimiliano
- Martino
- Francesco

Data Analysis

Theory Part
(pp reference
cross-section)

Measurement of the $\Upsilon(1S) R_{AA}$ in Pb-Pb collisions at $\sqrt{s_{NN}} = 2.76$ TeV with the ALICE muon spectrometer

Francesco Bossù¹, Martino Gagliardi², Palash Khan³, Loïc Manceau⁴, Massimiliano Marchisone^{2,5},
on behalf of the Upsilon PAG

→ Analysis note is ready on ALICE website

<https://aliceinfo.cern.ch/Notes/node/155>

→ More details of our analysis can be found in the twiki:

<https://twiki.cern.ch/twiki/bin/viewauth/ALICE/MuonPbPbQA2011>

Public Note and Paper Writing in Progress ...

First Heavy-Ion Result on Upsilon at Forward Rapidity !

Abstract

In the ALICE experiment, $\Upsilon(1S)$ meson can be measured in its dimuon decay channel at forward rapidity ($2.5 < y < 4$) and down to $p_T = 0$. We report on the analysis of the $\Upsilon(1S)$ nuclear modification factor in Pb-Pb collisions at $\sqrt{s_{NN}} = 2.76$ TeV. Results are discussed and compared with the J/ψ data of the ALICE muon spectrometer along with the $\Upsilon(1S)$ data from the CMS Collaboration and theoretical predictions.

Email: debasish.das@cern.ch, marchiso@to.infn.it, lmanceau@to.infn.it

p-Pb and Pb-p ANALYSIS

R_{pA} and R_{FB}

Nuclear Modification Factor R_{pA} :

$$R_{pA} = \frac{N_{pA}^{Y(1S)}}{\langle AccxEff \rangle_{pA}^{Y(1S)} \times \langle T_{pA} \rangle \times N_{pA}^{MB} \times \Delta y \times BR^{Y(1S)} \times \sigma_{pp}^{Y(1S)}}$$

* $T_{pPb} = 0.0983 \pm 0.0035 \text{ mb}^{-1}$ (arXiv: 1210.4520)

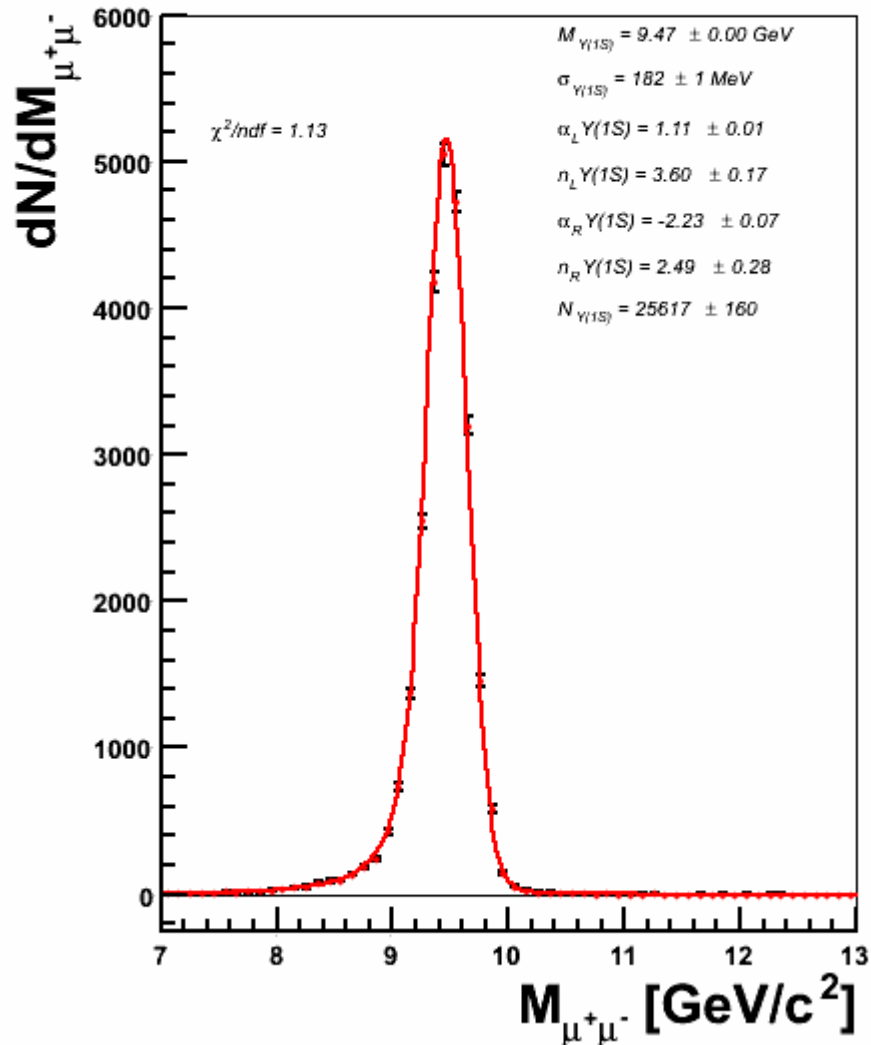
* $BR \cdot d\text{Sigma}/dy \rightarrow 945 +62-76$ (norm) + 27-56 (extrap) pb for pPb
 $\rightarrow 510 +34-41$ (norm) +35-95 (extrap) pb for Pbp
 (Francesco, Martino Upsilon PAG meeting 20/02/2013)

Forward Backward Ratio R_{FB} :

$$R_{FB}^{Y(1S)} = \frac{R_{pA}^{Y(1S)}}{R_{Ap}^{Y(1S)}} = \left(\frac{N_{pA}^{Y(1S)}}{N_{Ap}^{Y(1S)}} \right) \times \left(\frac{\langle AccxEff \rangle_{pA}^{Y(1S)}}{\langle AccxEff \rangle_{Ap}^{Y(1S)}} \right) \times \left(\frac{N_{pA}^{MB}}{N_{Ap}^{MB}} \right)$$

Simulation

Upsilon Invariant Mass Spectrum



- Run-by-run simulation
- Generator: AliGenMUONlib::kUpsilon
- Parametrization: “Pbp 5.02”

Simulation:

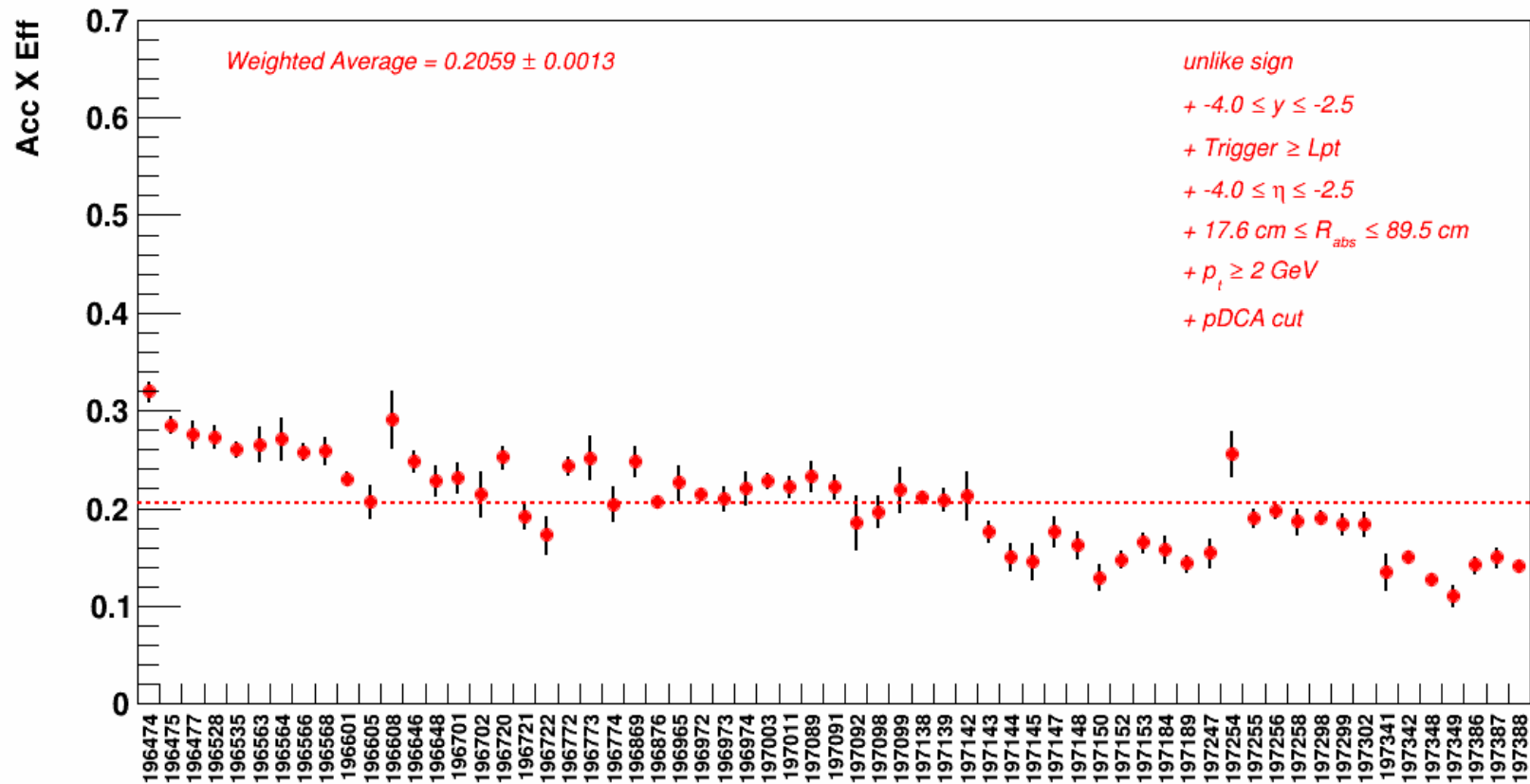
- /alice/simulation/2008/v4-15-Release/Ideal
- Realistic vertex from OCDB
- VertexSmear

Reconstruction:

- /alice/simulation/2008/v4-15-Release/Residual
- Vertex reconstructed at zero

Acceptance Times Efficiency

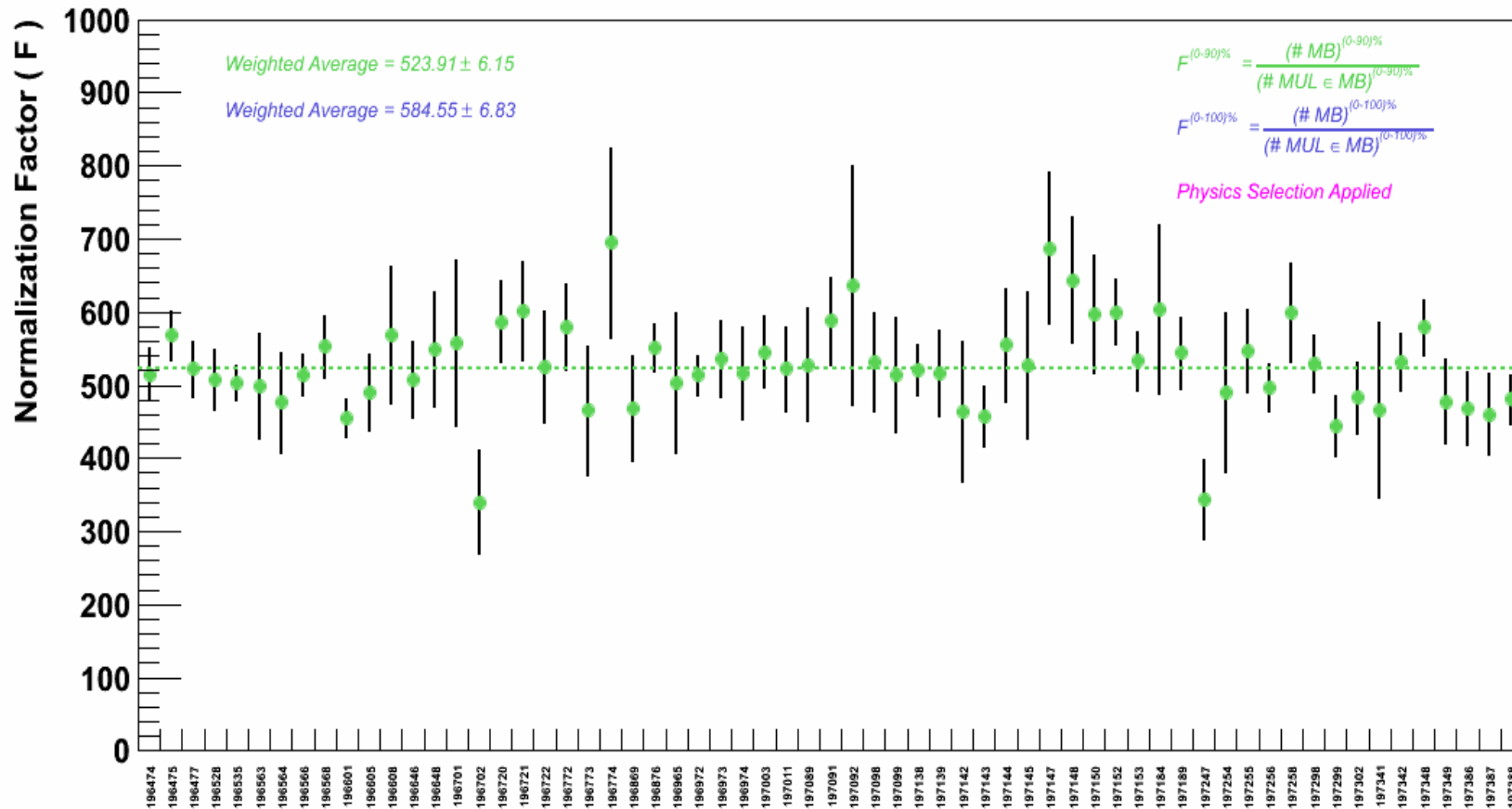
Run-by-Run Simulation of Acceptance Times Efficiency of Upsilon for LHC13f Pb-p DATA



→ Total 64 Runs from LHC13f Simulated

Normalization to Minimum Bias

Run-by-Run Normalization Factor for 2013f Pb-p DATA



→ Analyzed MUL trigger 20.55 M

→ Equivalent Minimum Bias Event 10766.35 M

Signal Extraction (LHC13f)

Upsilon Invariant Mass Spectrum

Event Cuts:

Physics Selection
CMUL Trigger
Centrality (0-90) %

Muon Cuts:

Trigger Matched Track (Lpt,Lpt)
 $-4.0 < \eta < -2.5$
 $17.6 \text{ cm} < R_{\text{abs}} < 89.5 \text{ cm}$
pDCA Cut
 $p_T \geq 2 \text{ GeV}$

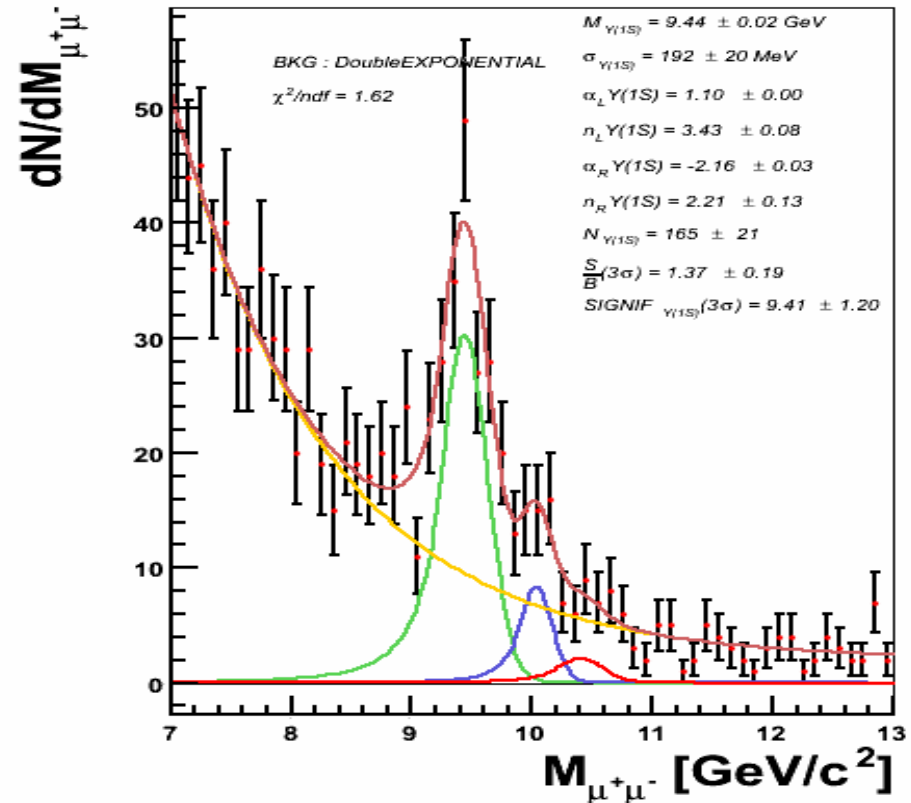
Dimuon Cuts:

$-4.0 < y < -2.5$

$$M_{Y(2S)} = M_{Y(2S)}^{\text{PDG}} + (M_{Y(1S)}^{\text{FIT}} - M_{Y(1S)}^{\text{PDG}}) \frac{M_{Y(2S)}^{\text{PDG}}}{M_{Y(1S)}^{\text{PDG}}}$$

$$M_{Y(3S)} = M_{Y(3S)}^{\text{PDG}} + (M_{Y(1S)}^{\text{FIT}} - M_{Y(1S)}^{\text{PDG}}) \frac{M_{Y(3S)}^{\text{PDG}}}{M_{Y(1S)}^{\text{PDG}}}$$

$$\sigma_{Y(2S)} = \sigma_{Y(1S)} \frac{M_{Y(2S)}^{\text{PDG}}}{M_{Y(1S)}^{\text{PDG}}} \quad \sigma_{Y(3S)} = \sigma_{Y(1S)} \frac{M_{Y(3S)}^{\text{PDG}}}{M_{Y(1S)}^{\text{PDG}}}$$



→ Signal fitted with Double Crystal Ball

→ Tail parameters taken from pure simulation

→ Mass, Sigma and Amplitude free for Y(1S)

→ Amplitude of Y(2S) and Y(3S) kept free

Systematic From Signal Extraction

Following sources of systematics have been considered:

1. Background Fit Function
(Double Exponential and Double Power Law)
2. Mass Scaling of Y(2S) and Y(3S)
3. Sigma Scaling of Y(2S) and Y(3S)
4. Scaling of CB tail parameter alpha of Y(2S) and Y(3S)
5. Scaling of CB tail parameter n of Y(2S) and Y(3S)

$$N_{Y(1S)} = N_{Y(1S)}^{cent} \pm N_{Y(1S)}^{stat} \pm N_{Y(1S)}^{syst}$$

$$N_{Y(1S)}^{cent} = \frac{\sum N_{Y(1S)}^i}{n}$$

$$N_{Y(1S)}^{stat} = \frac{\sum Error_{Y(1S)} N_{Y(1S)}^i}{n}$$

→ Central value is the arithmetic average between results of reliable fits

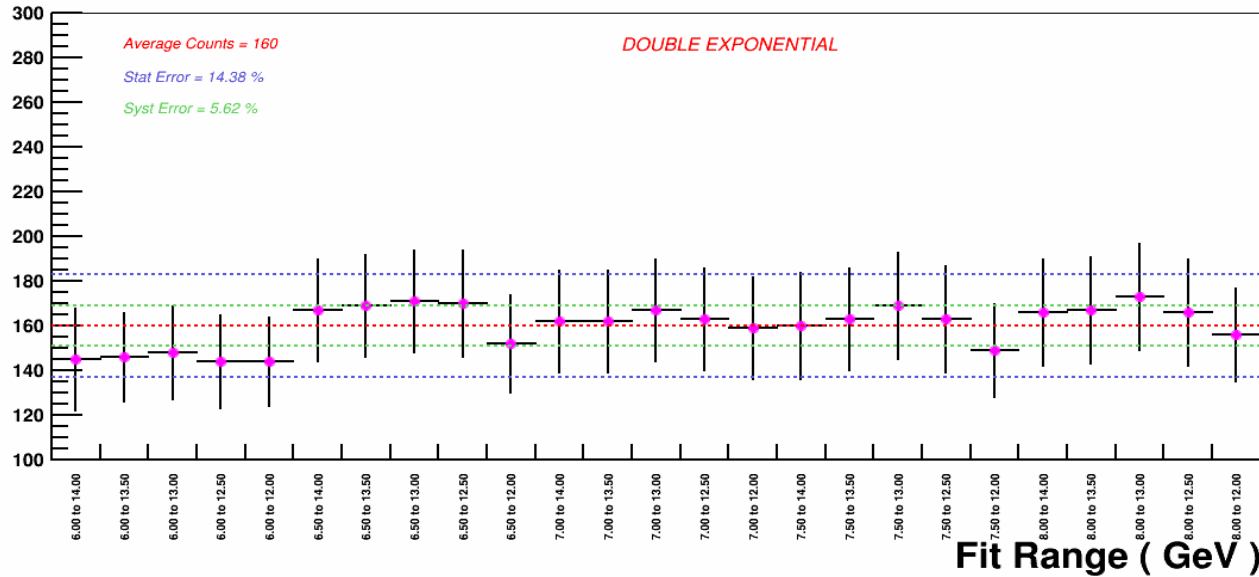
→ Statistical error is the average value of statistical uncertainties

→ Systematic error is the RMS value between results of reliable fits for a given source of systematic

$$N_{Y(1S)}^{syst} = \sqrt{\frac{\sum (N_{Y(1S)}^i - N_{Y(1S)}^{cent})^2}{n}}$$

Systematic From Background Fit Function

Variation Of Number Of Y(1S) With Background Fit Function

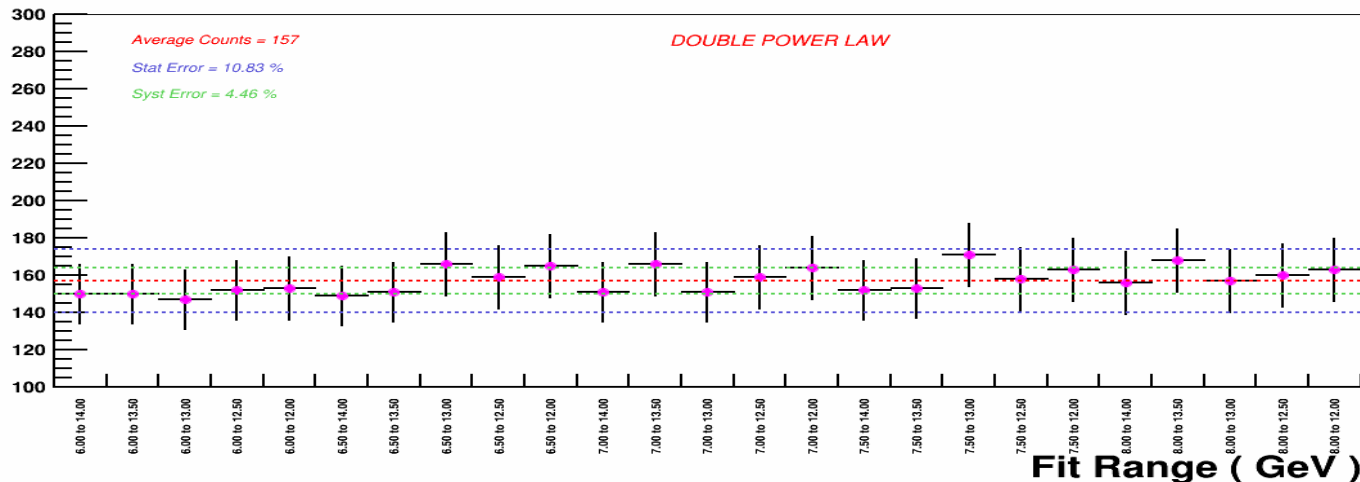


Two Background function used:

1. Double Exponential
2. Double Power Law

→ Fit range varied for various combination of mass between (6.00-8.00)GeV and (12.00-14.00) GeV

Variation Of Number Of Y(1S) With Background Fit Function

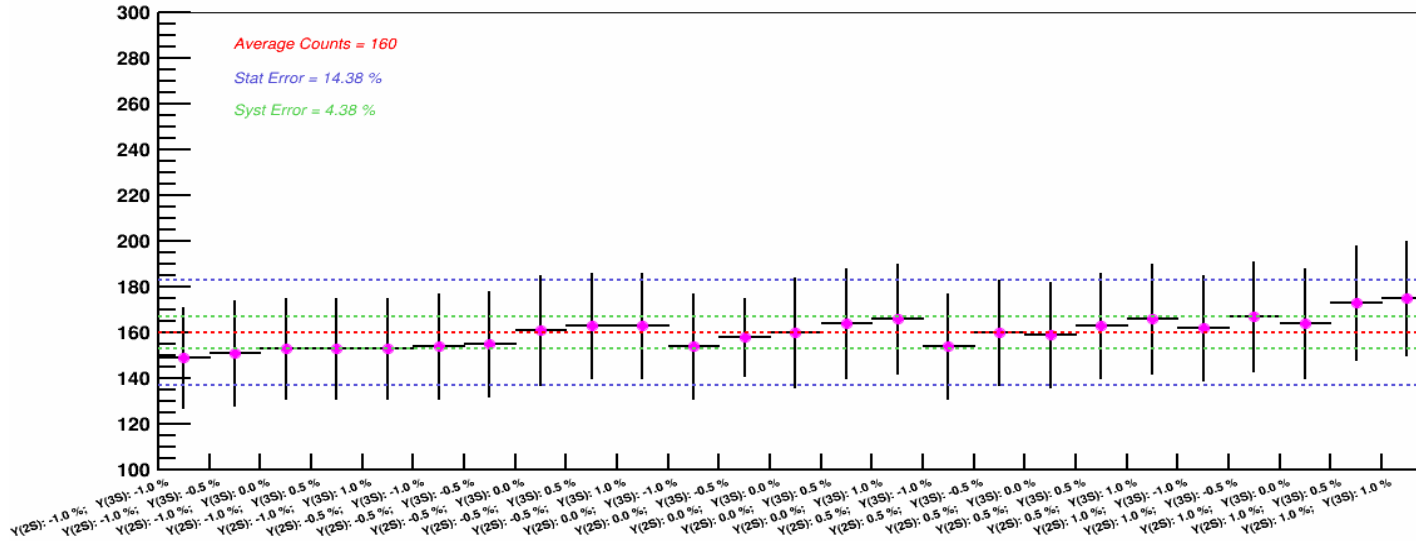


→ Statistical uncertainty large ~ 10-15 %

→ Systematic error ~ 4-6 %

Mass and Sigma Scaling Factor

Variation Of Number Of Y(1S) With Mass Scaling Factor



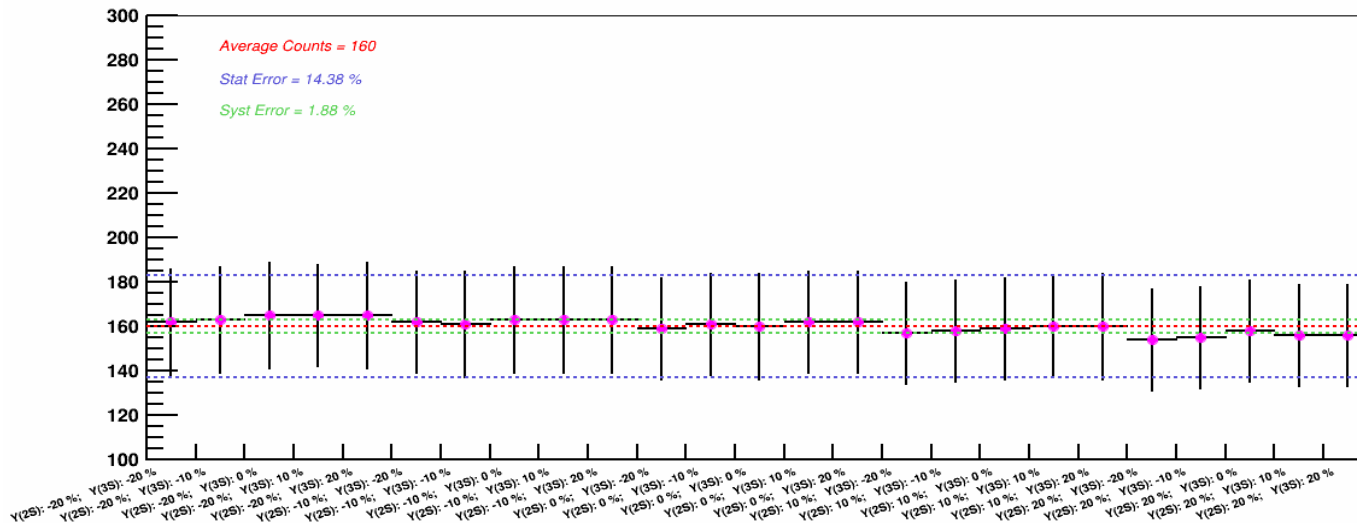
→ Systematic
Uncertainty:

Mass Scaling: ~ 4.38 %

Sigma Scaling: ~ 1.88 %

Variation of Mass Position of Y(2S) and Y(3S)

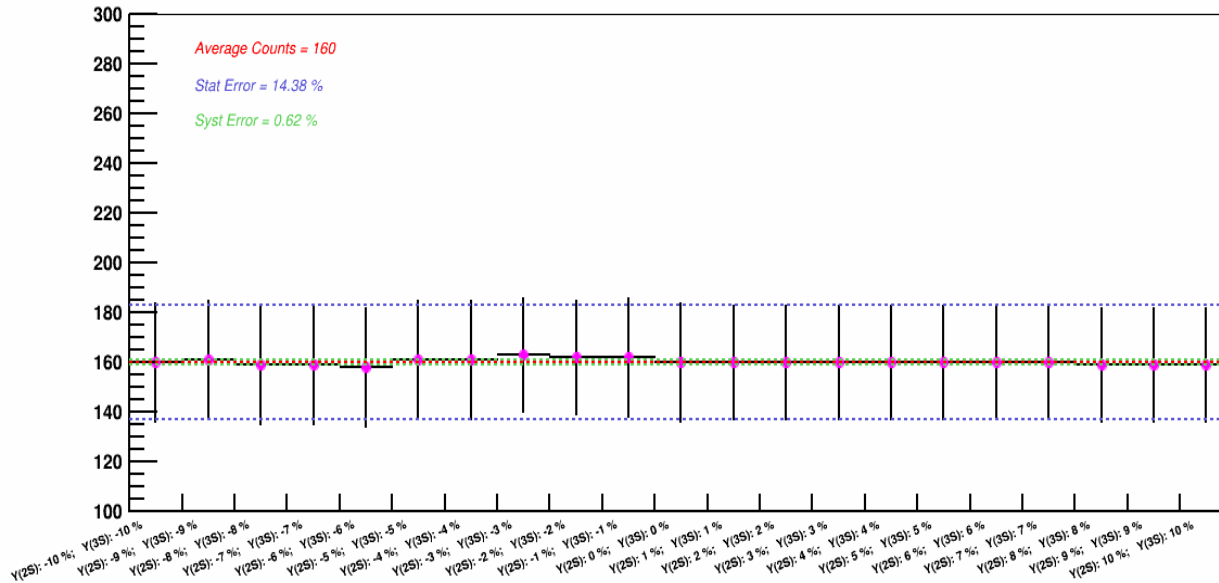
Variation Of Number Of Y(1S) With Sigma Scaling Factor



Variation of Sigma of Y(2S) and Y(3S)

Crystal Ball α and n Scaling Factor

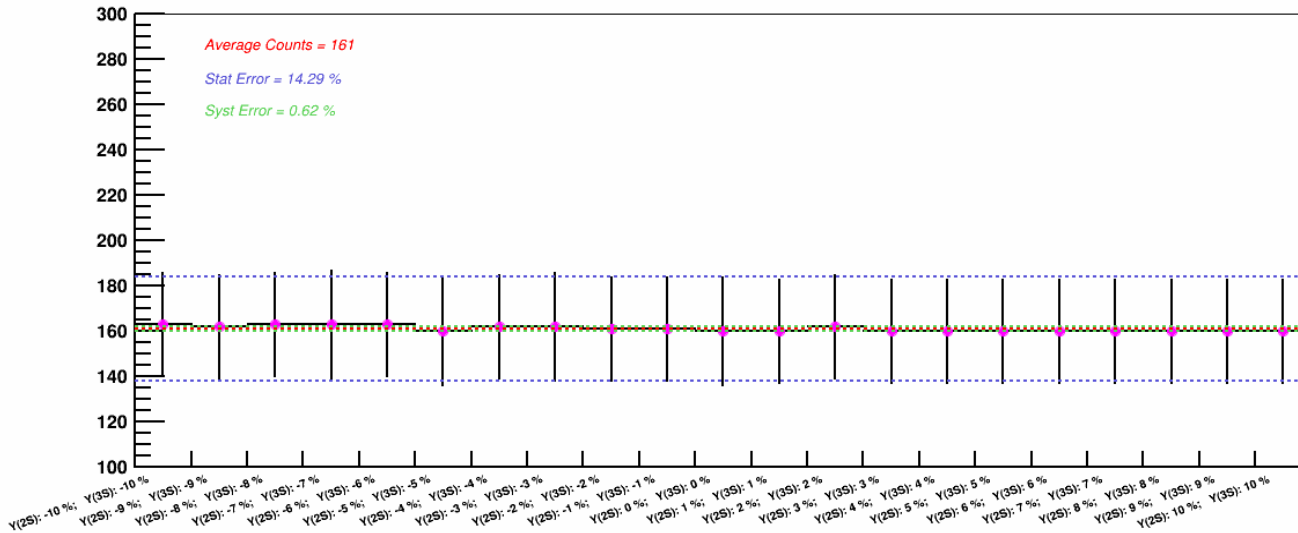
Variation Of Number Of Y(1S) With Crystal Ball α Scaling Factor



→ Systematic Uncertainty

CB alpha and n: ~ 0.6 %

Variation Of Number Of Y(1S) With Crystal Ball n Scaling Factor



Variation of CB n of Y(2S) and Y(3S)

Systematic From Signal Extraction: Summary

Source of Systematic	Central Value	Stat Error	Syst Error
BKG Fit Function Double Exponential	160	23	9
BKG Fit Function Double Power Law	157	17	7
Mass Scaling	160	23	7
Sigma Scaling	160	23	3
Crystal Ball α Scaling	160	23	1
Crystal Ball n Scaling	161	23	1
TOTAL	160	22	14

Central Value : Arithmetic Average

Stat Error: Arithmetic Average

Syst Error: Quadratic Sum

--> Statistical Error ~ 13.75 %

→ Systematic Error ~ 8.75 %

→ Dominant Source of Systematic is the BKG Fitting Function (~ 6.88 %) and MSF (~ 4.38 %)

Forward Backward Ratio

$$R_{FB} = R_{pPb} / R_{Pbp}$$

Quantity	NLO Predictions (Sambat 27th Feb Upsilon PAG)	My Result
R_{pA}	0.88 ± 0.04 (syst)	0.697 ± 0.077 (stat) ± 0.098 (syst)
R_{Ap}	1.13 ± 0.04 (syst)	0.960 ± 0.133 (stat) ± 0.119 (syst)
R_{FB}	0.78 ± 0.06 (syst)	0.73 ± 0.18 (stat) ± 0.19 (syst)

Summary and Game Plan

- 2011 Pb-Pb data has been analyzed, Upsilon R_{AA} extracted
- Analysis note ready on ALICE website, Public Note and Paper on progress ...

- 2013 p-Pb and Pb-p data analysis started
- More work is to be done
- Game plan is to write analysis note on p-Pb Upsilon analysis !



THANK YOU