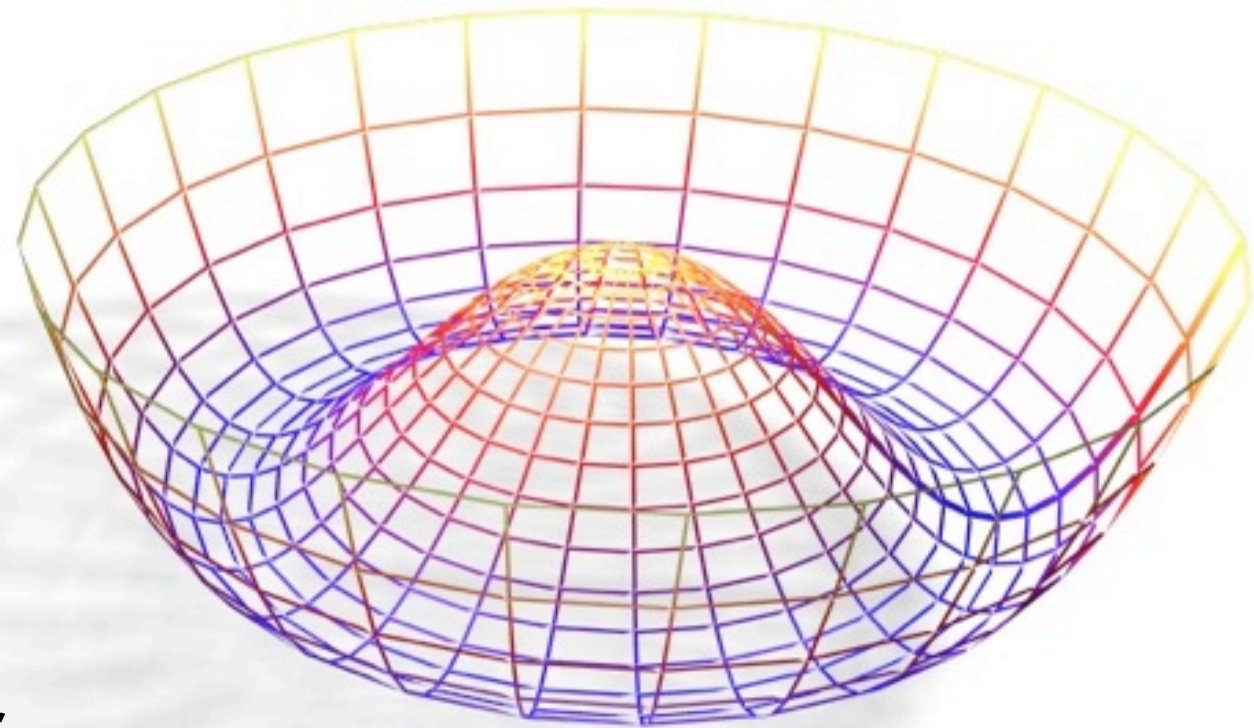


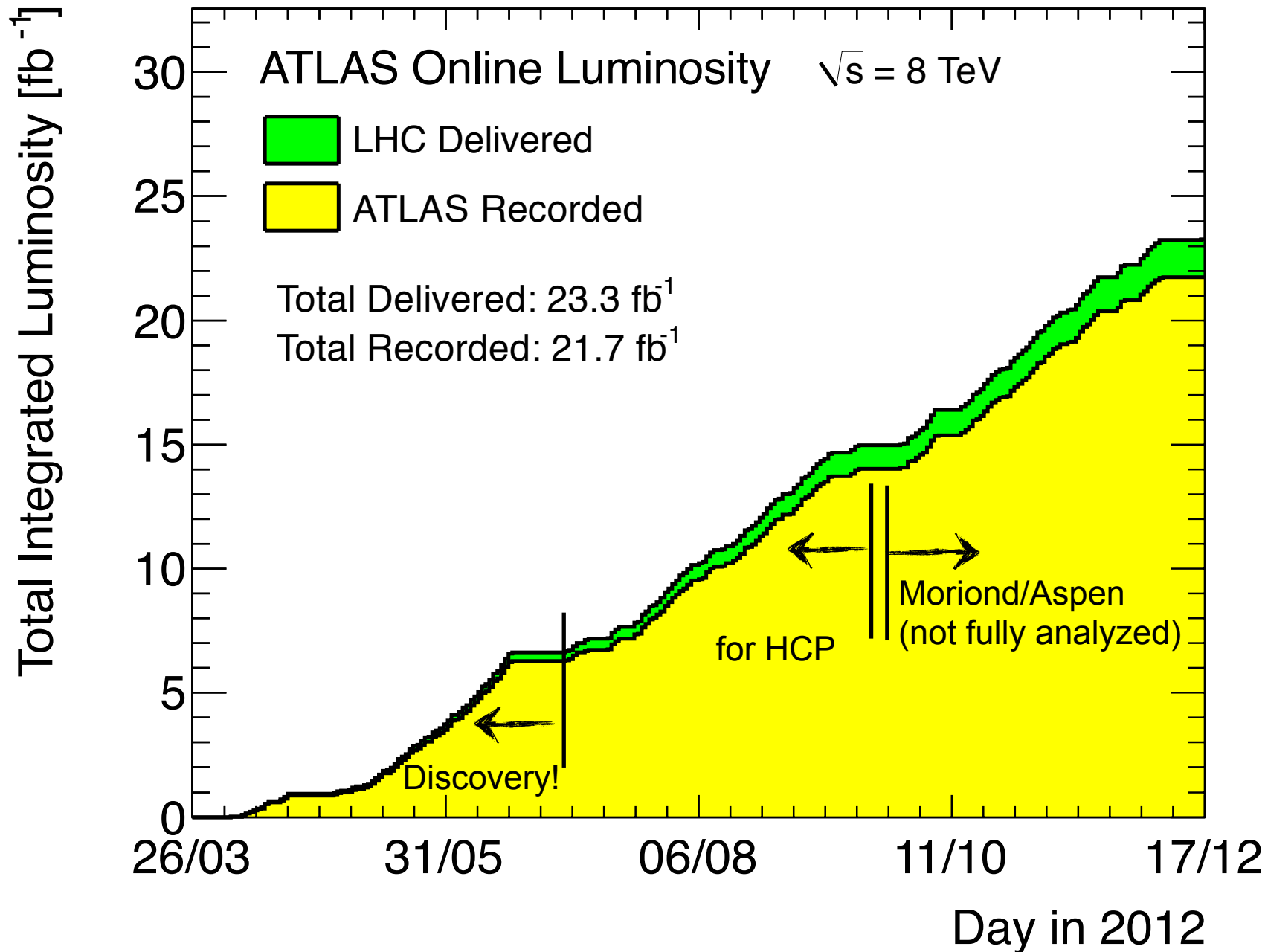


Higgs Couplings @ the LHC

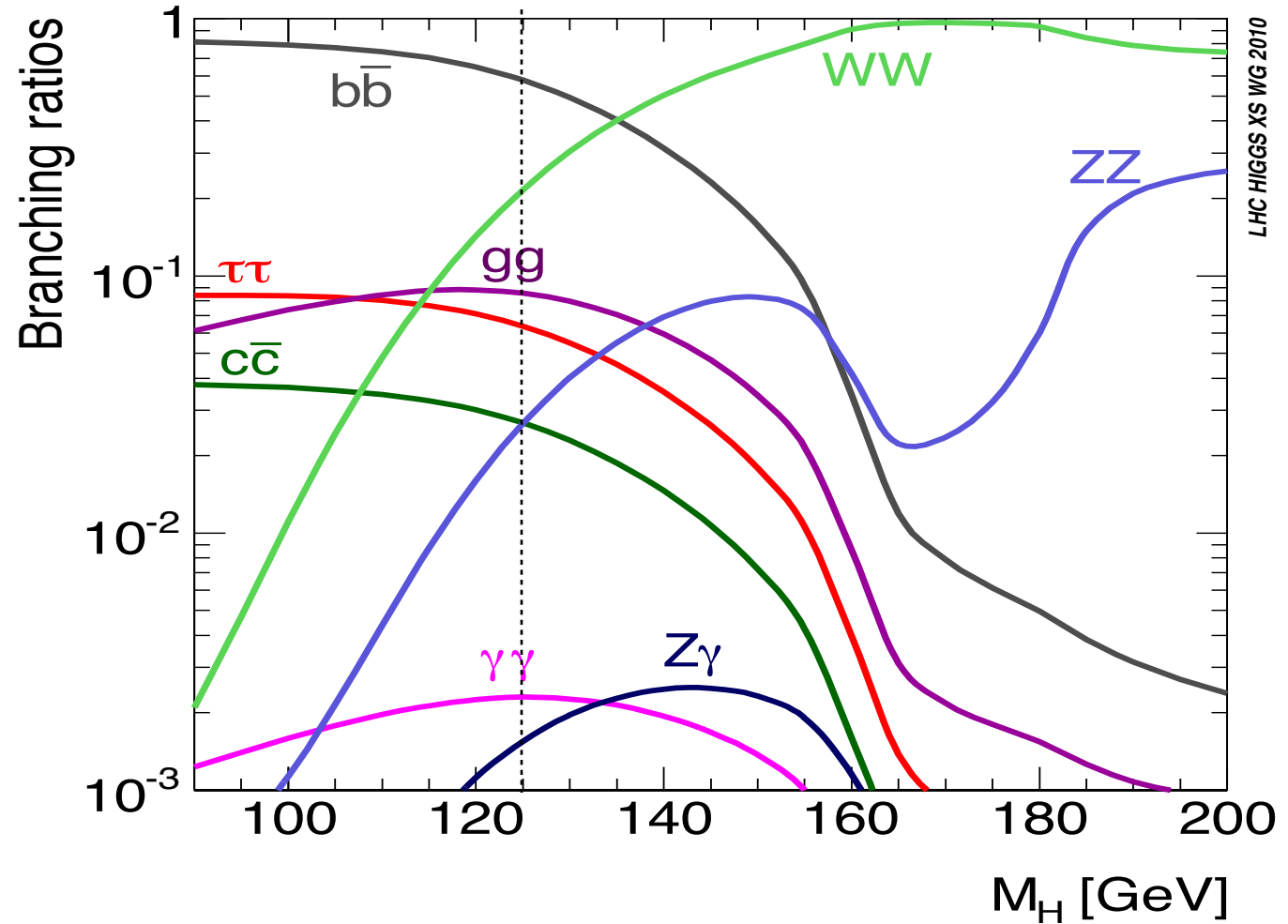
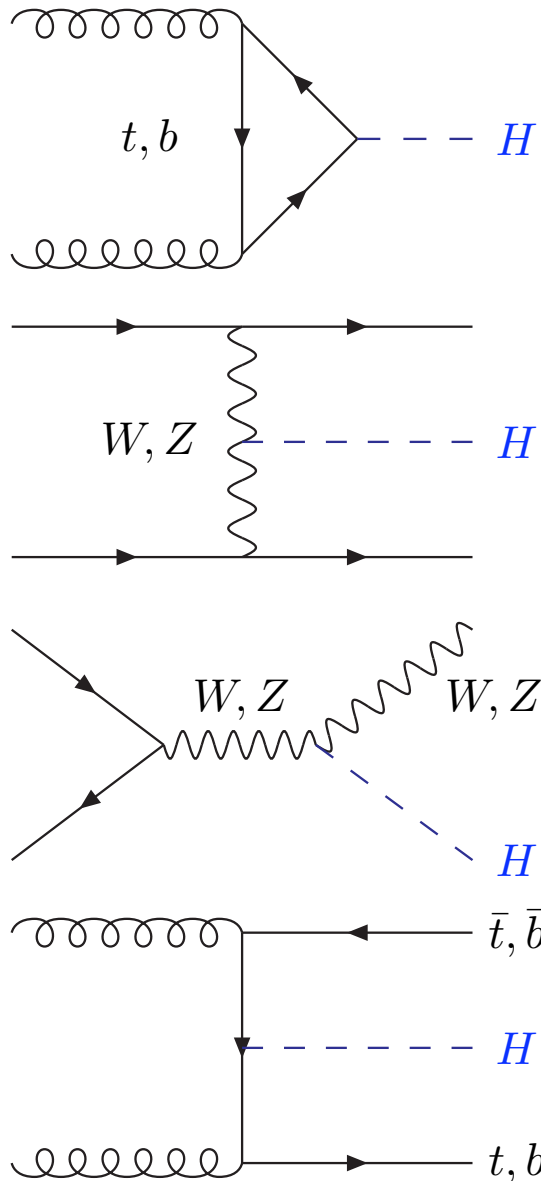


Kyle Cranmer,
New York University

Prospects for the end of the year and beyond

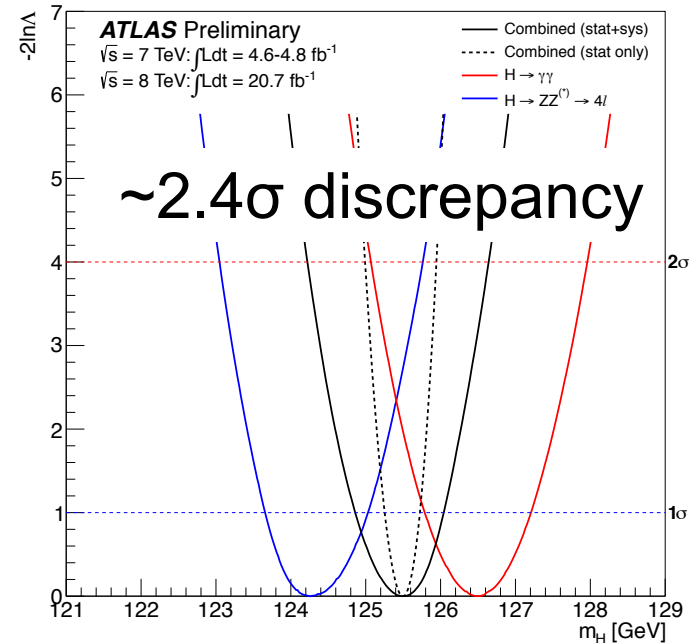
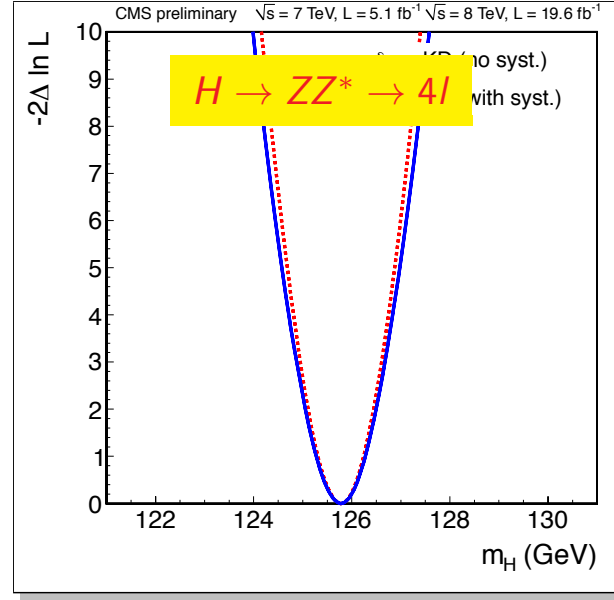
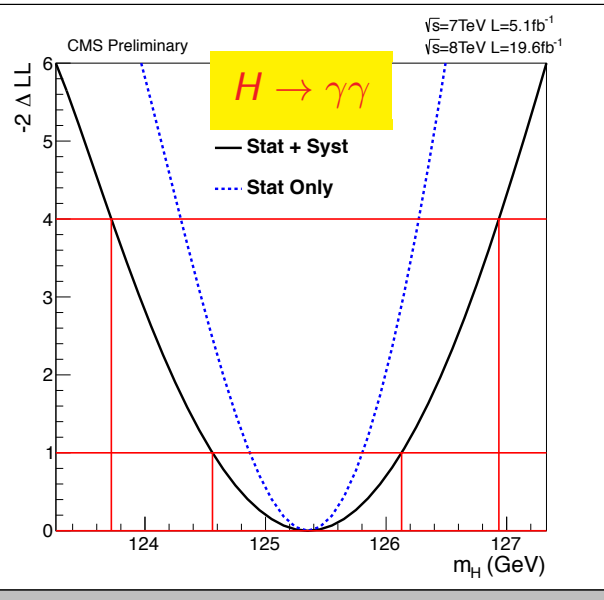


Standard Model Higgs Properties



LHC HIGGS XS WG 2010

$$\left[\frac{1}{BR(ZZ)} \frac{dBR(ZZ)}{dm_H} \right]_{m_H=125} = \frac{10\%}{\text{GeV}}$$



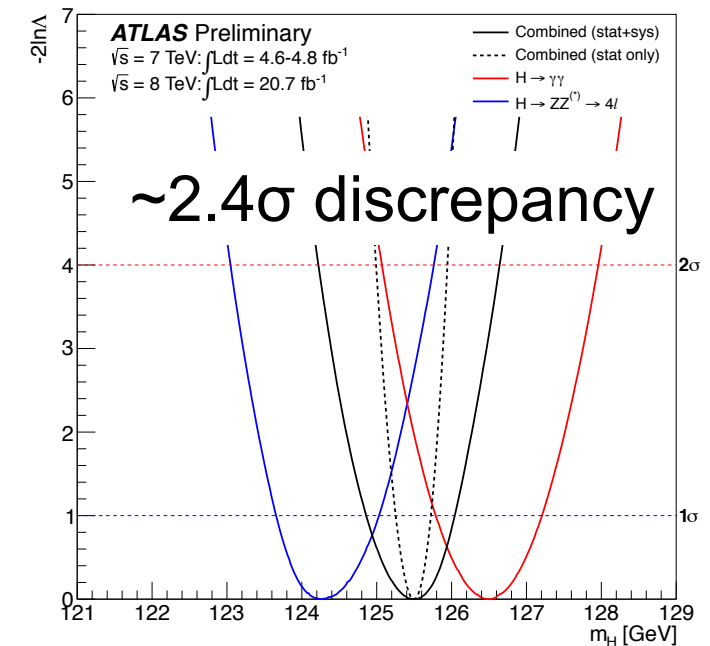
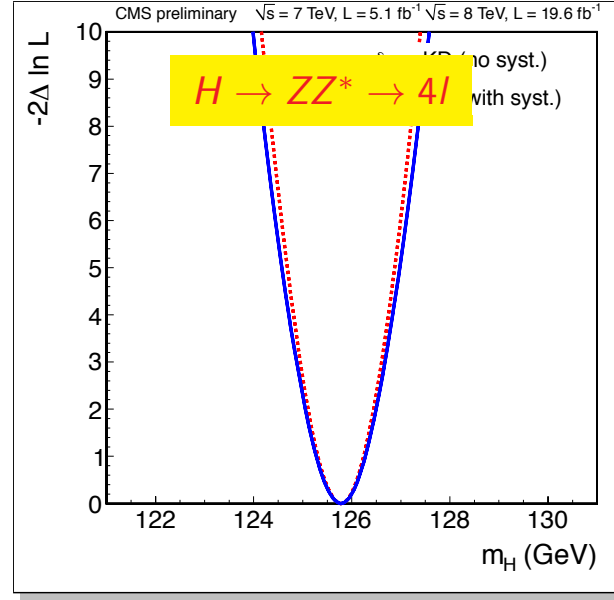
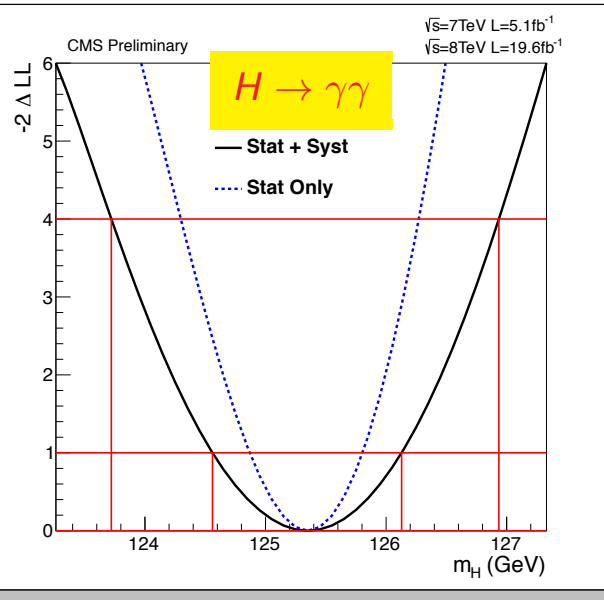
$m_H = 125.4 \pm 0.5 (stat) \pm 0.6 (syst) GeV$ $m_H = 125.8 \pm 0.5 (stat) \pm 0.2 (syst) GeV$

Mass from $H \rightarrow \tau\tau$ ($m_H = 120_{-6}^{+9}(stat) \pm 4(syst) GeV$) consistent

	$H \rightarrow ZZ^{(*)} \rightarrow llll$	$H \rightarrow \gamma\gamma$
\hat{m}_H (GeV)	$124.3_{-0.5}^{+0.6}(stat)_{-0.3}^{+0.5}(syst)$	$126.8 \pm 0.2(stat) \pm 0.7(syst)$

Combined mass:

$125.5 \pm 0.2(stat)_{-0.6}^{+0.5}(syst) GeV$



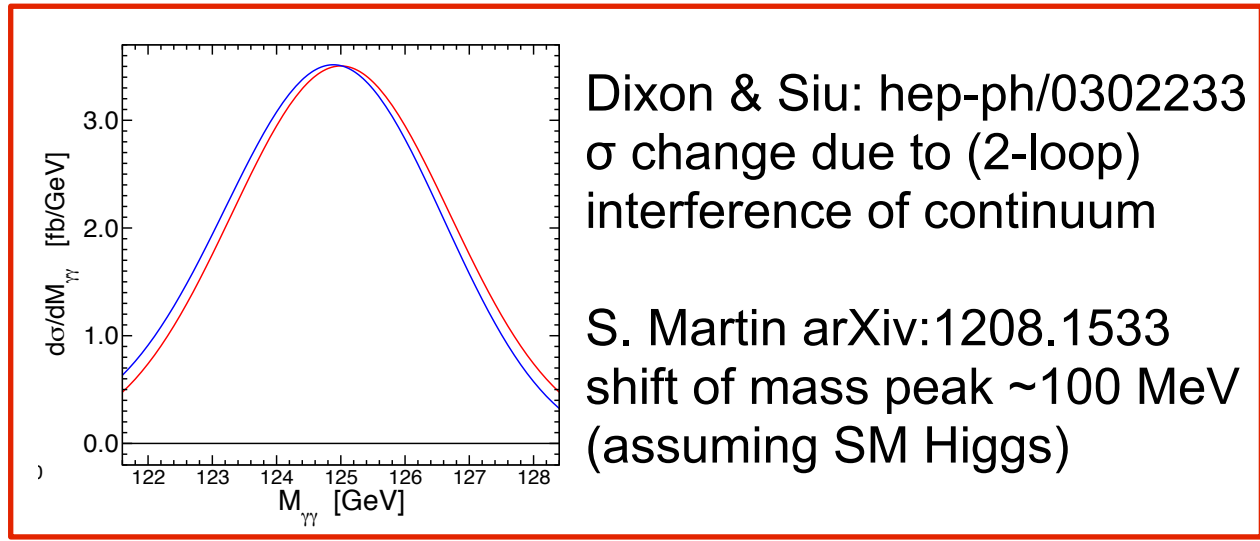
$m_X = 125.4 \pm 0.5 (stat) \pm 0.6 (syst) GeV$ $m_X = 125.8 \pm 0.5 (stat) \pm 0.2 (syst) GeV$

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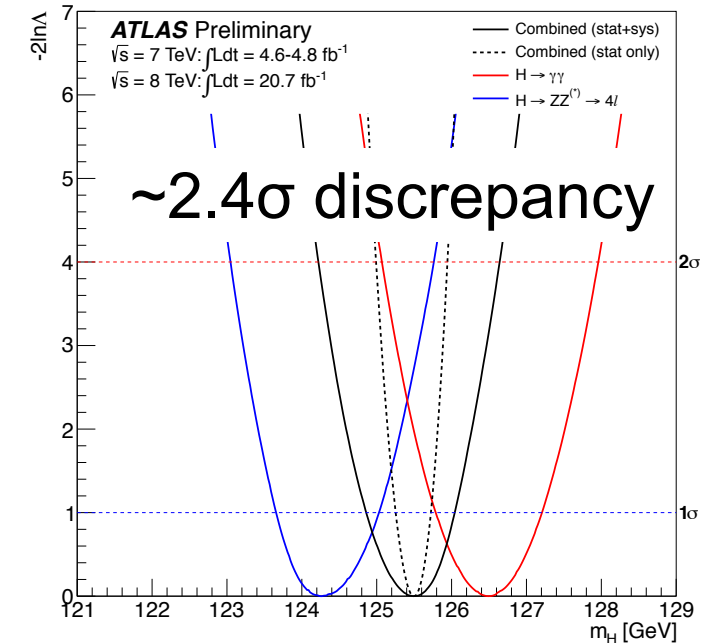
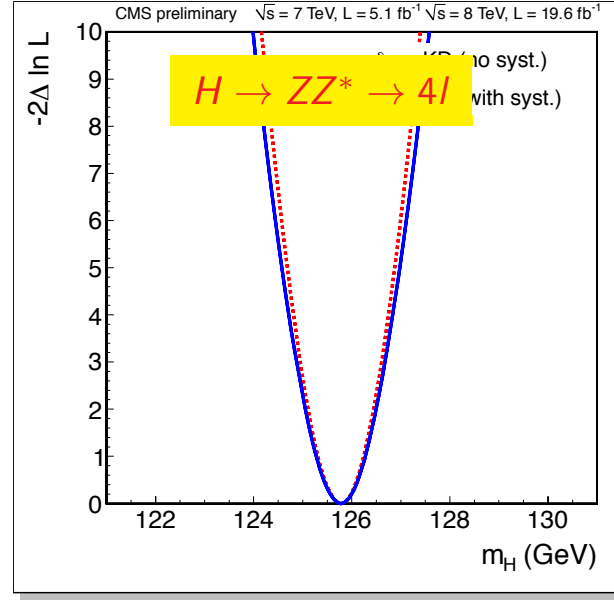
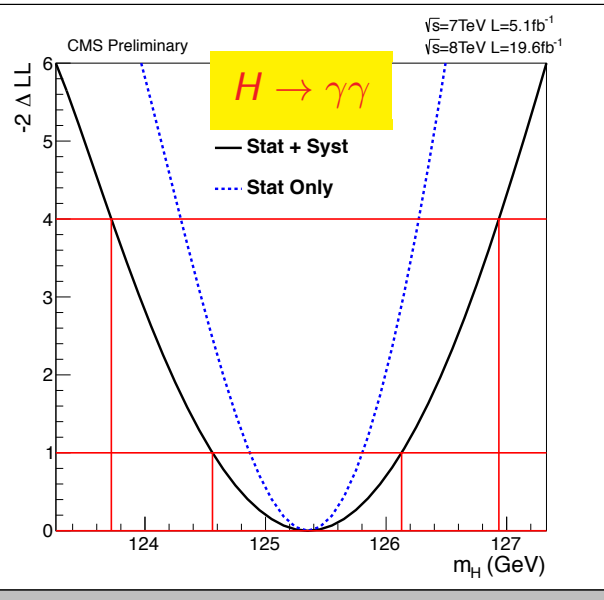
Combined mass:

$125.5 \pm 0.2(stat)_{-0.6}^{+0.5}(syst) GeV$



Dixon & Siu: hep-ph/0302233
 σ change due to (2-loop) interference of continuum

S. Martin arXiv:1208.1533
shift of mass peak ~ 100 MeV (assuming SM Higgs)



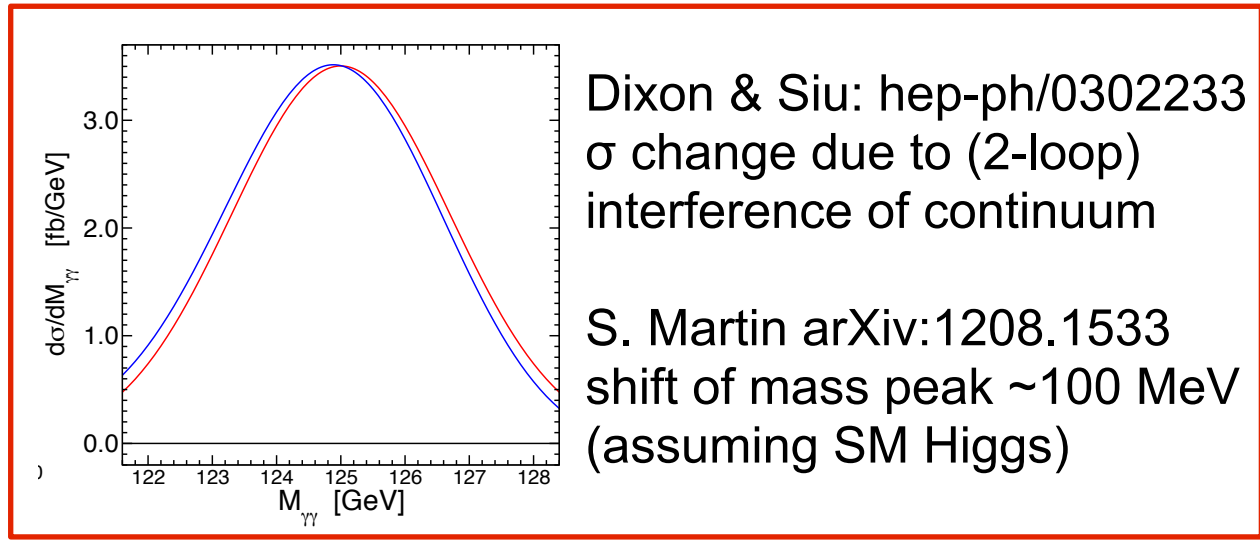
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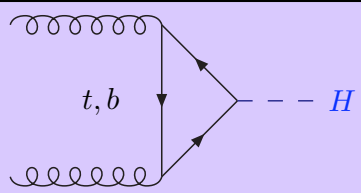
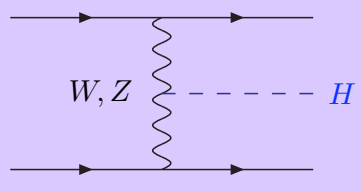
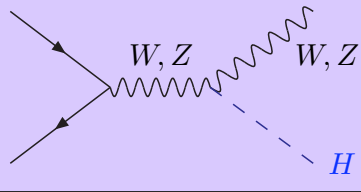
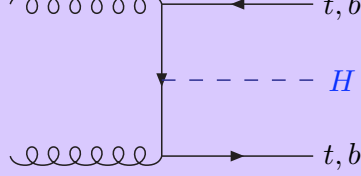
Combined mass:

$125.5 \pm 0.2(stat)_{-0.6}^{+0.5}(sys) GeV$



Does this give a handle on total width or complex phases from new physics?

Overview of the channels

	$\gamma\gamma$	ZZ	WW	$Z\gamma$	gg	bb	$\tau\tau$
							
							
							
							

done

not yet

difficult

Channels are sub-divided to enhance sensitivity either for experimental reasons or take advantage of production features

Higgs Boson Decay	Subsequent Decay	Sub-Channels	$\int L dt$ [fb ⁻¹]	Ref.
2011 $\sqrt{s} = 7$ TeV				
$H \rightarrow ZZ^{(*)}$	4ℓ	$\{4e, 2e2\mu, 2\mu2e, 4\mu, 2\text{-jet VBF}, \ell\text{-tag}\}$	4.6	[8]
$H \rightarrow \gamma\gamma$	–	10 categories $\{p_{Tt} \otimes \eta_\gamma \otimes \text{conversion}\} \oplus \{2\text{-jet VBF}\}$	4.8	[7]
$H \rightarrow WW^{(*)}$	$\ell\nu\ell\nu$	$\{ee, e\mu, \mu e, \mu\mu\} \otimes \{0\text{-jet}, 1\text{-jet}, 2\text{-jet VBF}\}$	4.6	[9]
$H \rightarrow \tau\tau$	$\tau_{\text{lep}}\tau_{\text{lep}}$	$\{e\mu\} \otimes \{0\text{-jet}\} \oplus \{\ell\ell\} \otimes \{1\text{-jet}, 2\text{-jet}, p_{T,\tau\tau} > 100 \text{ GeV}, VH\}$	4.6	[10]
	$\tau_{\text{lep}}\tau_{\text{had}}$	$\{e, \mu\} \otimes \{0\text{-jet}, 1\text{-jet}, p_{T,\tau\tau} > 100 \text{ GeV}, 2\text{-jet}\}$	4.6	
	$\tau_{\text{had}}\tau_{\text{had}}$	$\{1\text{-jet}, 2\text{-jet}\}$	4.6	
$VH \rightarrow Vbb$	$Z \rightarrow \nu\nu$	$E_T^{\text{miss}} \in \{120 - 160, 160 - 200, \geq 200 \text{ GeV}\} \otimes \{2\text{-jet}, 3\text{-jet}\}$	4.6	[11]
	$W \rightarrow \ell\nu$	$p_T^W \in \{< 50, 50 - 100, 100 - 150, 150 - 200, \geq 200 \text{ GeV}\}$	4.7	
	$Z \rightarrow \ell\ell$	$p_T^Z \in \{< 50, 50 - 100, 100 - 150, 150 - 200, \geq 200 \text{ GeV}\}$	4.7	
2012 $\sqrt{s} = 8$ TeV				
$H \rightarrow ZZ^{(*)}$	4ℓ	$\{4e, 2e2\mu, 2\mu2e, 4\mu, 2\text{-jet VBF}, \ell\text{-tag}\}$	20.7	[8]
$H \rightarrow \gamma\gamma$	–	14 categories $\{p_{Tt} \otimes \eta_\gamma \otimes \text{conversion}\} \oplus \{2\text{-jet VBF}\} \oplus \{\ell\text{-tag}, E_T^{\text{miss}}\text{-tag}, 2\text{-jet VH}\}$	20.7	[7]
$H \rightarrow WW^{(*)}$	$\ell\nu\ell\nu$	$\{ee, e\mu, \mu e, \mu\mu\} \otimes \{0\text{-jet}, 1\text{-jet}, 2\text{-jet VBF}\}$	20.7	[9]
$H \rightarrow \tau\tau$	$\tau_{\text{lep}}\tau_{\text{lep}}$	$\{\ell\ell\} \otimes \{1\text{-jet}, 2\text{-jet}, p_{T,\tau\tau} > 100 \text{ GeV}, VH\}$	13	[10]
	$\tau_{\text{lep}}\tau_{\text{had}}$	$\{e, \mu\} \otimes \{0\text{-jet}, 1\text{-jet}, p_{T,\tau\tau} > 100 \text{ GeV}, 2\text{-jet}\}$	13	
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$H \rightarrow WW^{(*)}$	$\ell\nu\ell\nu$	$\{ee, e\mu, \mu e, \mu\mu\} \otimes \{0\text{-jet}, 1\text{-jet}, 2\text{-jet VBF}\}$	20.7	[9]
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Global combined μ scales all modes w.r.t. SM expectation

- ▶ good for discovery, but a blunt instrument for probing deviations

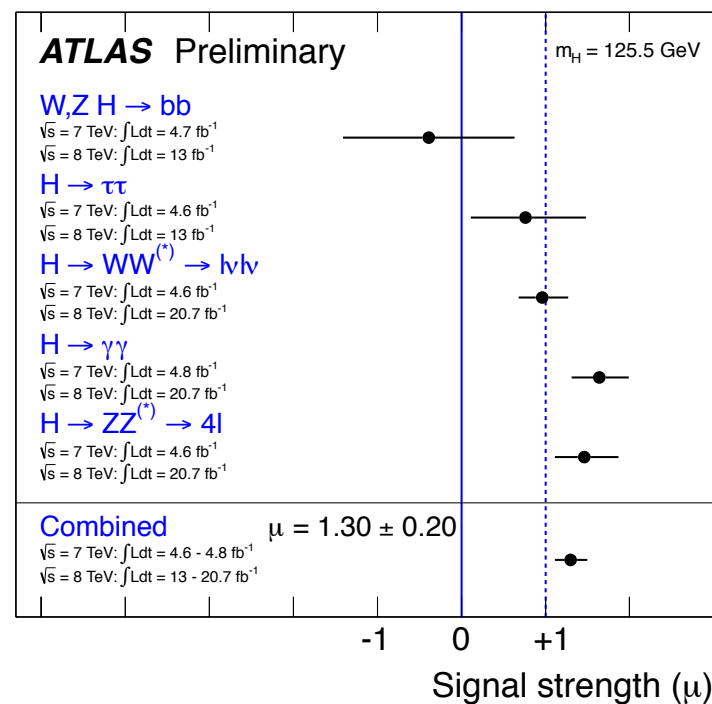
Several goodness-of-fit tests - depend on #d.o.f. considered

- ▶ Individual μ_i compatible with combined $\hat{\mu}$ at 13% (and $\mu=1$ at 8%)
- ▶ Combined $\hat{\mu}$ compatible with $\mu = 1$ within 9%

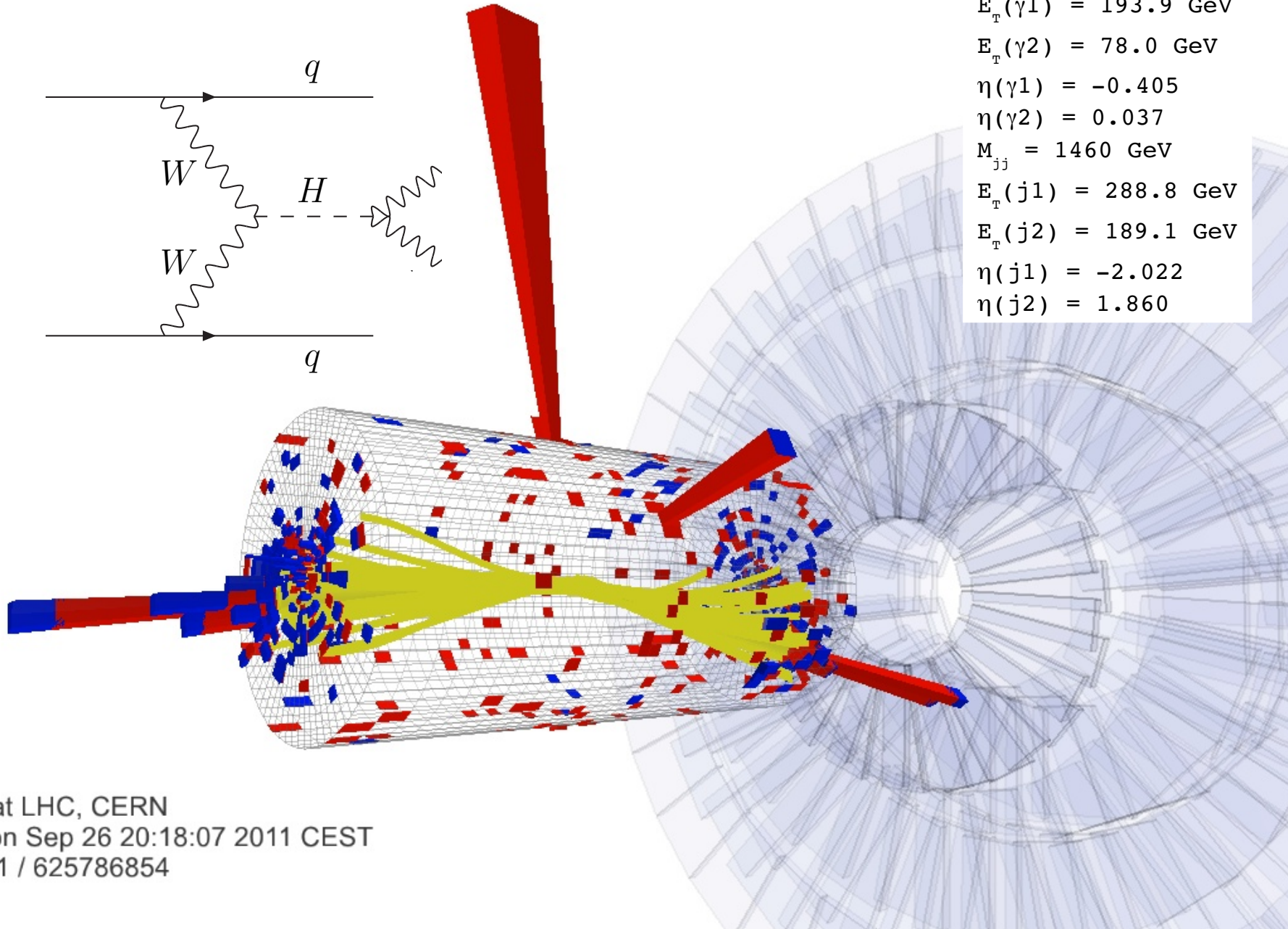
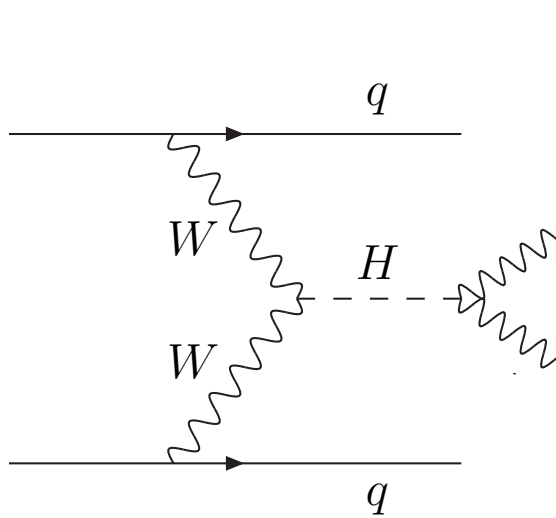
Higgs Decay Mode	$\hat{\mu}$ ($m_H=125.5$ GeV)
$VH \rightarrow Vbb$	-0.4 ± 1.0
$H \rightarrow \tau\tau$	0.8 ± 0.7
$H \rightarrow WW^{(*)}$	1.0 ± 0.3
$H \rightarrow \gamma\gamma$	1.6 ± 0.3
$H \rightarrow ZZ^{(*)}$	1.5 ± 0.4
Combined	1.30 ± 0.20

$$\mu_{\text{obs}} = 1.65^{+0.24}_{-0.24}(\text{stat})^{+0.25}_{-0.18}(\text{syst})$$

$$\mu_{\text{obs}} = 1.01 \pm 0.21 (\text{stat.}) \pm 0.19 (\text{theo. syst.}) \pm 0.12 (\text{expt. syst.}) \pm 0.04 (\text{lumi.})$$



VBF 2-photon candidate

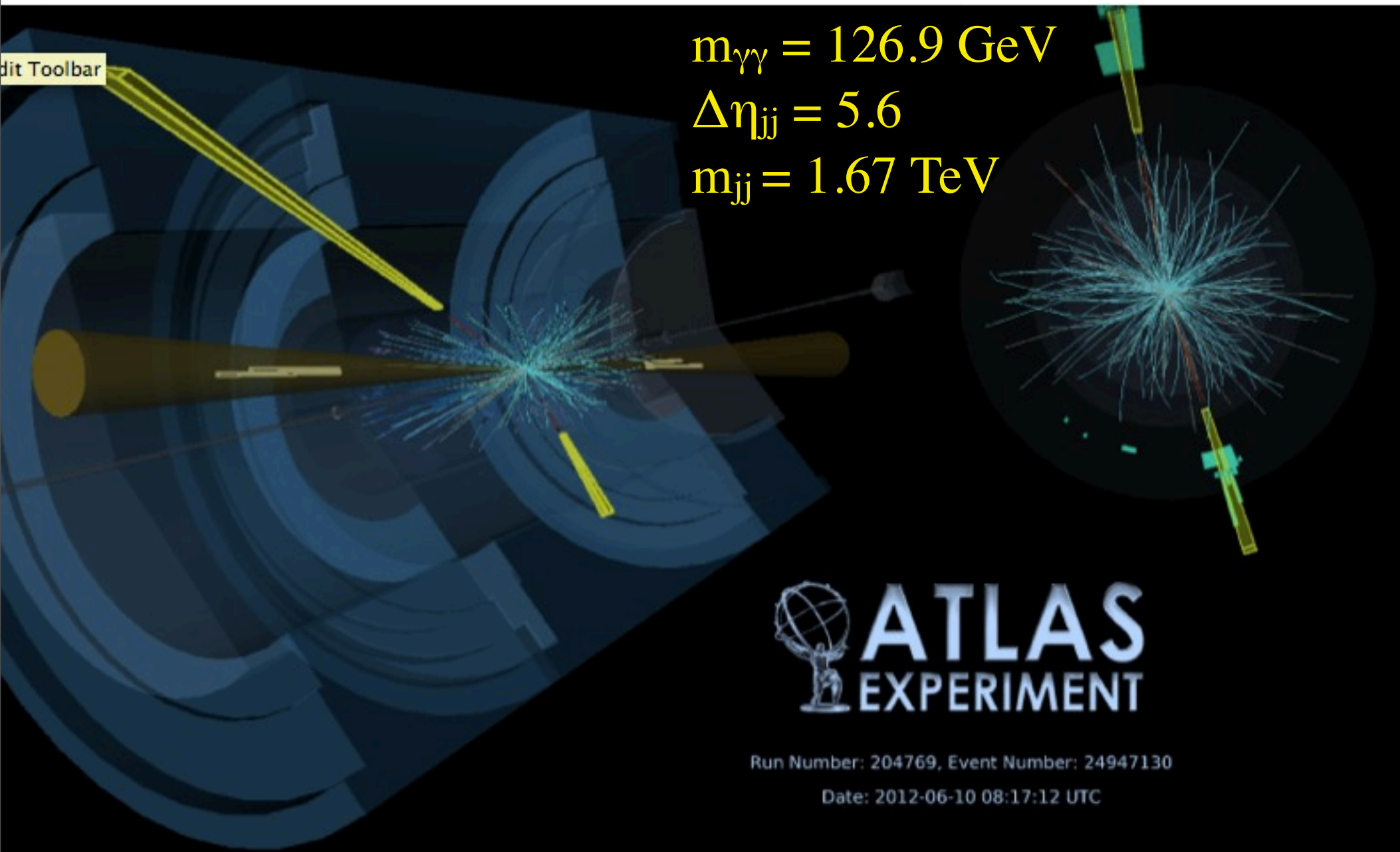


$M_{\gamma\gamma} = 121.9 \text{ GeV}$
 $E_T(\gamma 1) = 193.9 \text{ GeV}$
 $E_T(\gamma 2) = 78.0 \text{ GeV}$
 $\eta(\gamma 1) = -0.405$
 $\eta(\gamma 2) = 0.037$
 $M_{jj} = 1460 \text{ GeV}$
 $E_T(j 1) = 288.8 \text{ GeV}$
 $E_T(j 2) = 189.1 \text{ GeV}$
 $\eta(j 1) = -2.022$
 $\eta(j 2) = 1.860$

CMS Experiment at LHC, CERN
Data recorded: Mon Sep 26 20:18:07 2011 CEST
Run/Event: 177201 / 625786854
Lumi section: 450

VBF 2-photon candidate

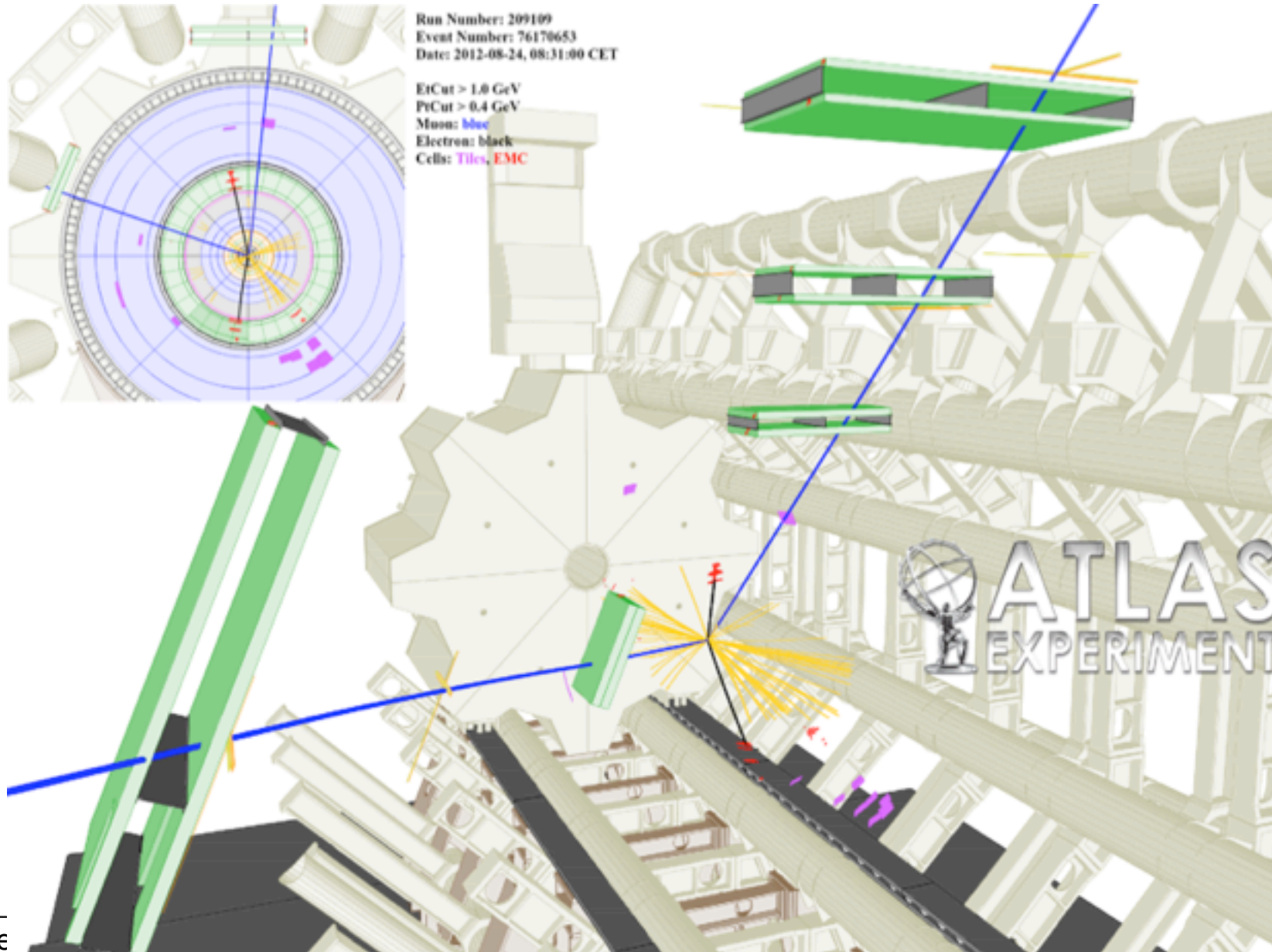
About 12 Higgs events expected in VBF-like categories



VBF $H \rightarrow 4l$ candidate

no candidates in lepton-tagged categories

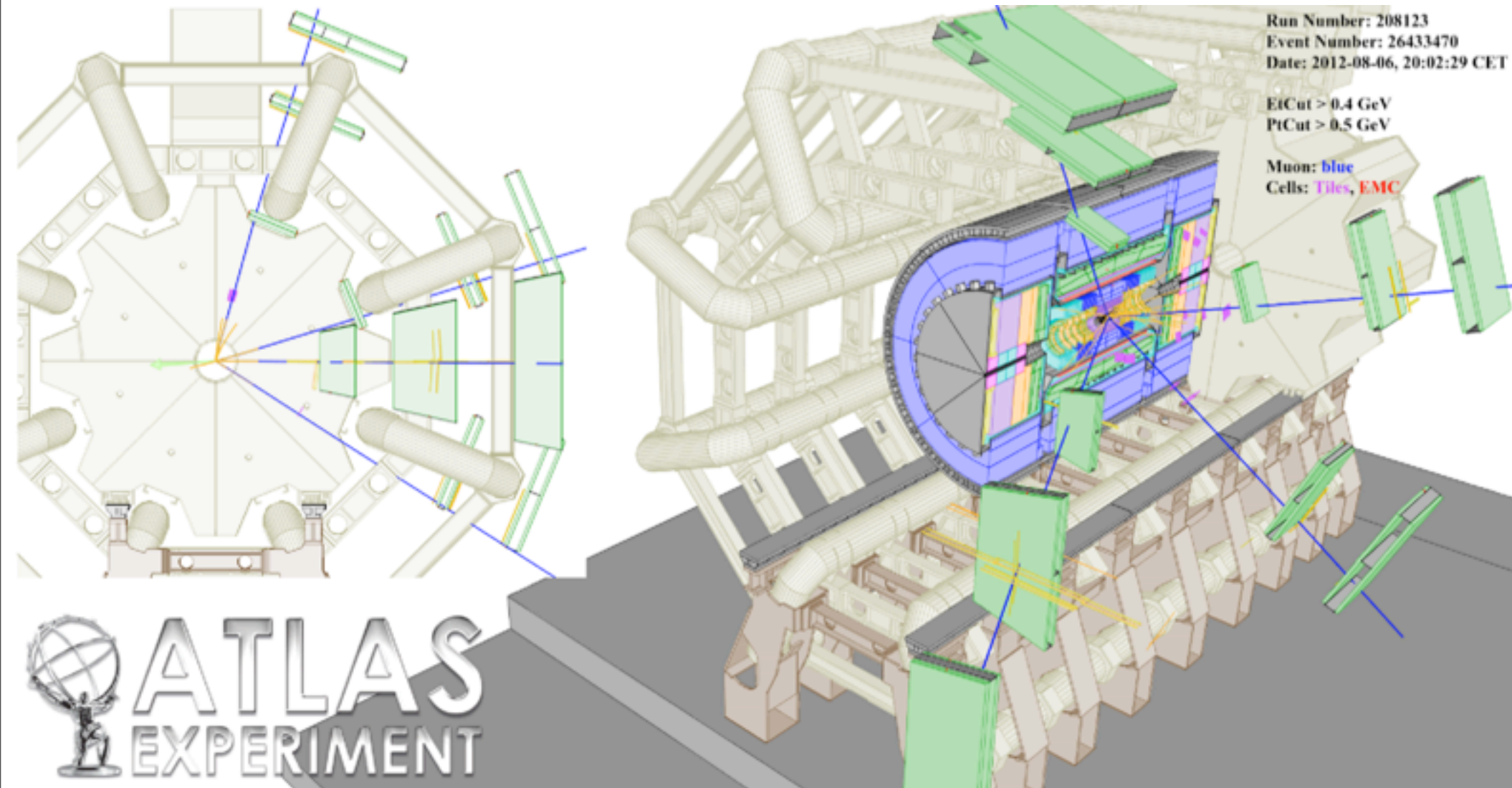
1 VBF candidate observed ($m_{4l} = 123.5$ GeV) [0.7 expected, S/B ~ 5]



Our SM bias?

ATLAS does not have a $Z(\rightarrow \nu\nu)$ $H(\rightarrow 4l)$ b/c sensitivity in SM is small

$m_{4l}=123.5$ GeV, $ET_{\text{miss}}=121.3$ GeV





Model-independent vs. model-specific approach

Model-independent approach, single channel results:
Signal strength parameters μ_i for separate search channels

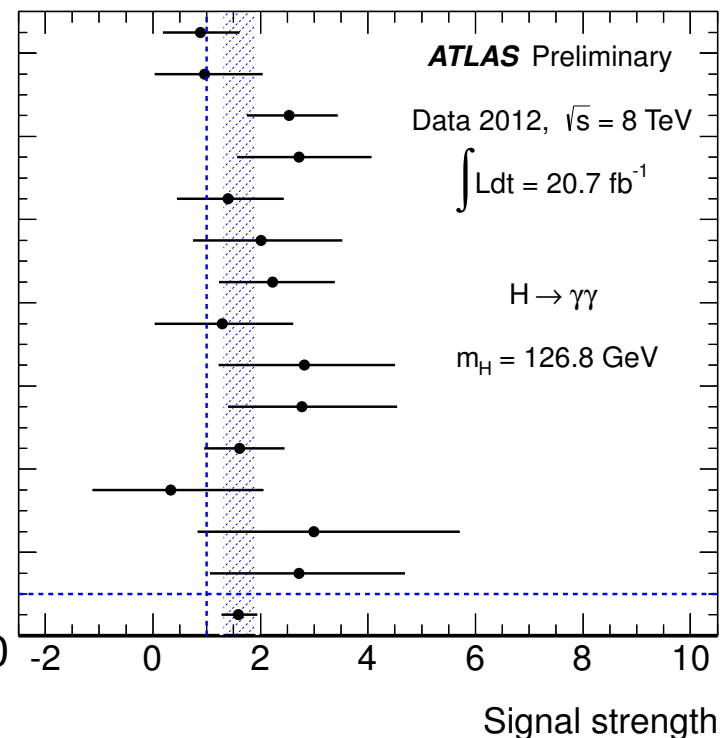
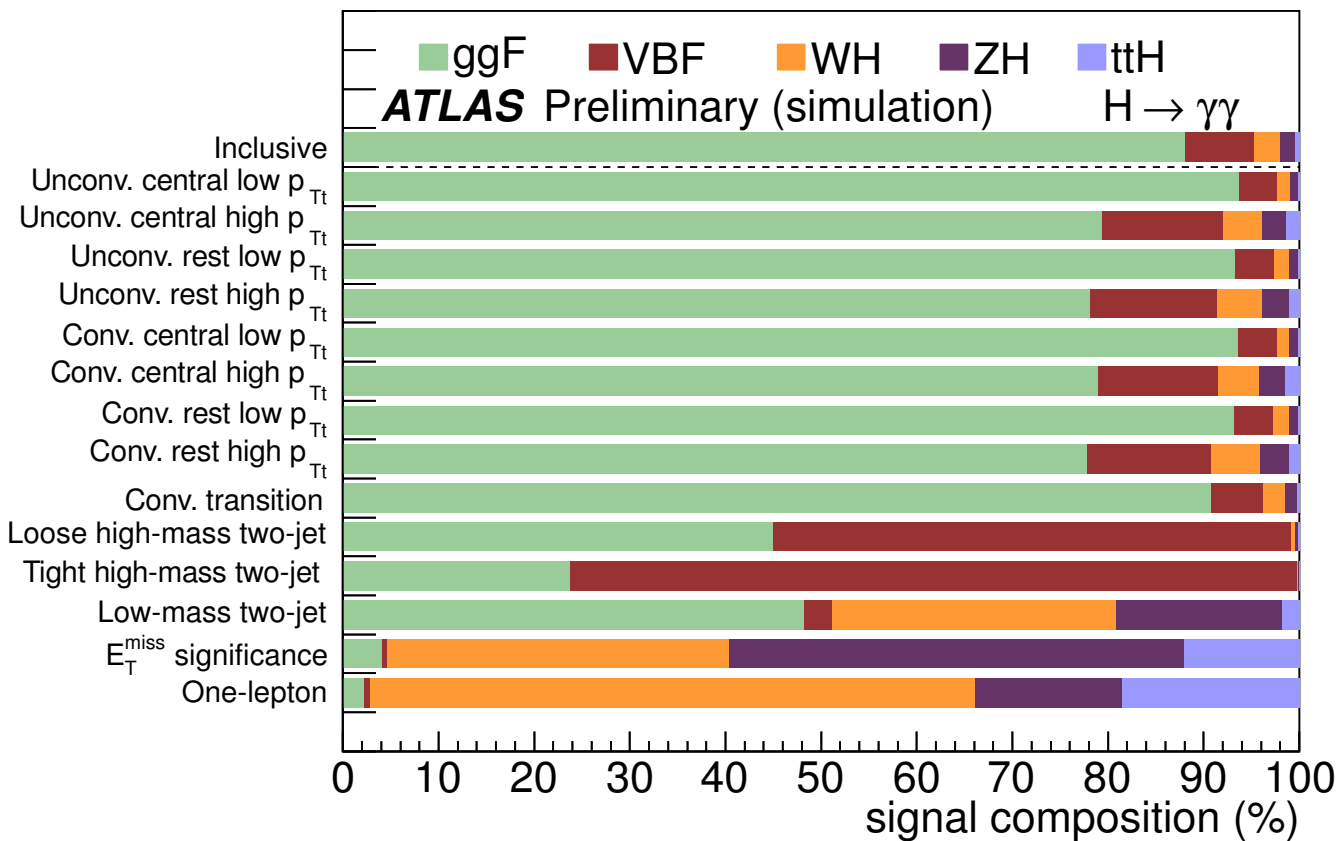
⇒ **Most robust information for testing different models**

Interpretation is nevertheless not trivial:

- Assume same acceptances and efficiencies as in the SM?
- How to disentangle different production modes?

Correlations?

“You think you know what you want...”



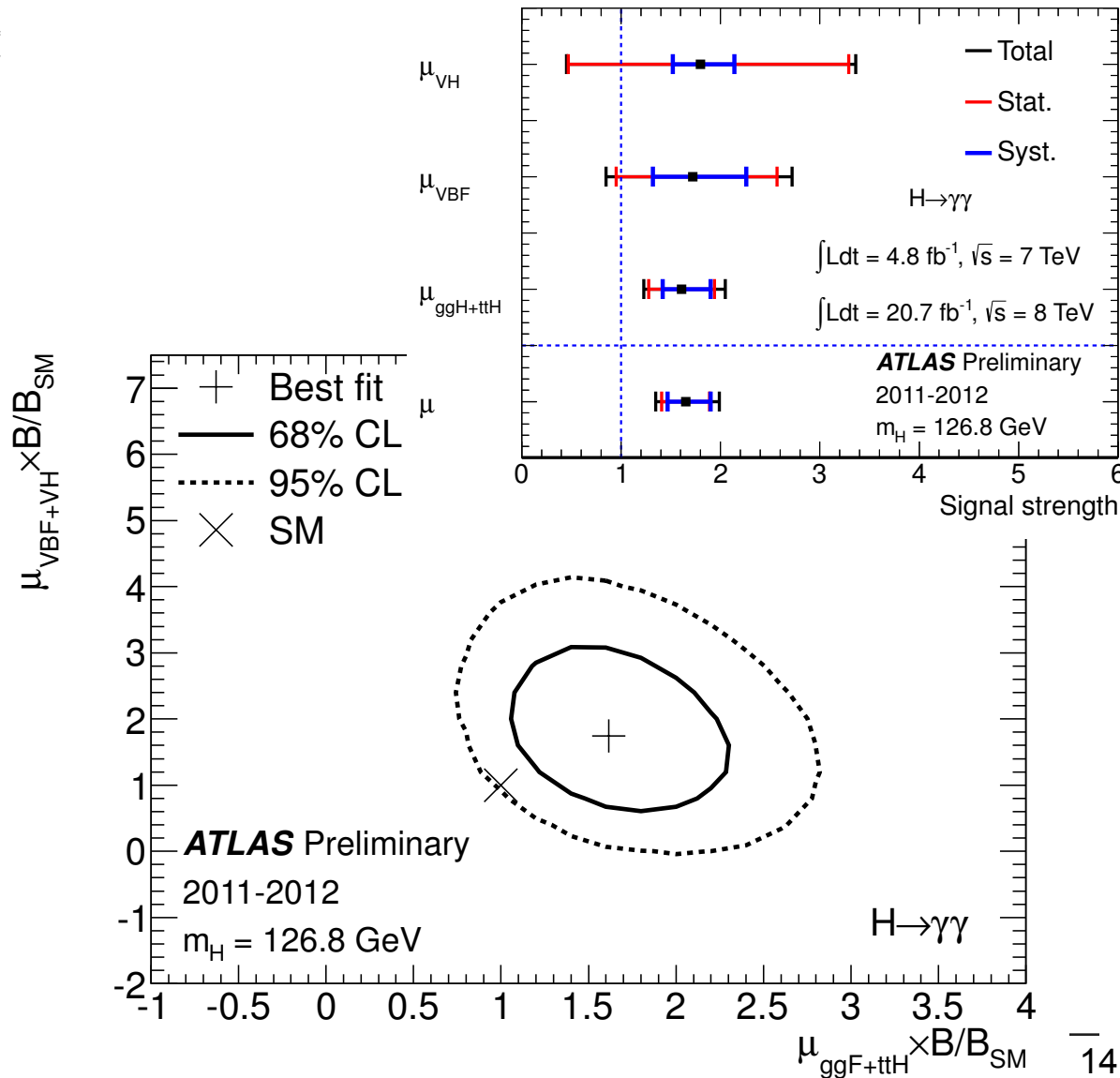
$$n_{\text{Signal}}^k = \left(\sum \mu_i \sigma_{i,SM} \times A_{if}^k \times \varepsilon_{if}^k \right) \times \mu_f \mathcal{B}_{f,SM} \times \mathcal{L}^k$$

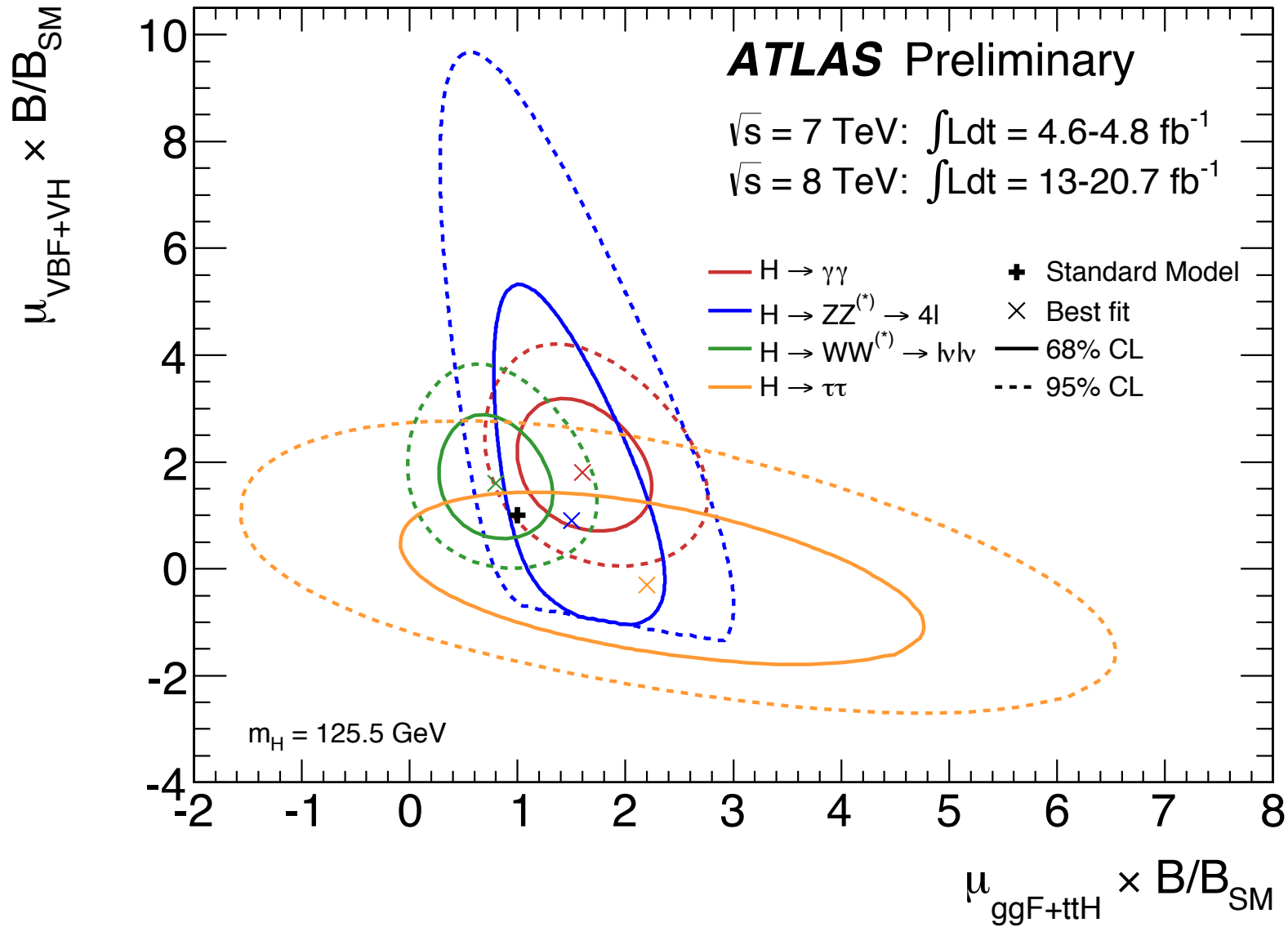
- $\sigma_i = \mu_i \sigma_{i,SM}$ is the i^{th} hypothesized production cross section
- $\mathcal{B}_f = \mu_f \mathcal{B}_{f,SM}$ is the f^{th} hypothesized branching fraction
- Detector acceptance A_{if}^k , reconstruction efficiency ε_{if}^k , and integrated luminosity \mathcal{L}^k are fixed by above assumptions

The systematics are correlated, which leads to a non-trivial migration of events between categories.

► We can disentangle the different production modes

Systematic uncertainties	Category	Value(%)	Constraint
Underlying Event	Tight high-mass two-jet	ggF: ±8.8 VBF: ±2.0 VH, ttH: ±8.8	Log-normal
	Loose high-mass two-jet	ggF: ±12.8 VBF: ±3.3 VH, ttH: ±12.8	
	Low-mass two-jet	ggF: ±12 VBF: ±3.9 VH, ttH: ±12	
Jet Energy Scale	Low p_T	ggF: -0.1 VBF: -1.0 Others: -0.1	Gaussian
	High p_T	ggF: -0.7 VBF: -1.3 Others: +0.4	
	Tight high-mass two-jet	ggF: +11.8 VBF: +6.7 Others: +20.2	
	Loose high-mass two-jet	ggF: +10.7 VBF: +4.0 Others: +5.7	
	Low-mass two-jet	ggF: +4.7 VBF: +2.6 Others: 1.4	
	E_T^{miss} significance one-lepton	ggF: 0.0 VBF: 0.0 Others: -0.1	
Jet Energy Resolution	Low p_T	ggF: 0.0 VBF: 0.2 Others: 0.0	Gaussian
	High p_T	ggF: -0.2 VBF: 0.2 Others: 0.6	
	Tight high-mass two-jet	ggF: 3.8 VBF: -1.3 Others: 7.0	
	Loose high-mass two-jet	ggF: 3.4 VBF: -0.7 Others: 1.2	
	Low-mass two-jet	ggF: 0.5 VBF: 3.4 Others: -1.3	
	E_T^{miss} significance one-lepton	ggF: 0.0 VBF: 0.0 Others: 0.0	
η^* modelling	Tight high-mass two-jet	+7.6	Gaussian
	Loose high-mass two-jet	+6.2	
Dijet angular modelling	Tight high-mass two-jet	+12.1	Gaussian
	Loose high-mass two-jet	+8.5	
Higgs p_T	Low p_T	+1.3	Gaussian
	High p_T	-10.2	
	Tight high-mass two-jet	-10.4	
	Loose high-mass two-jet	-8.5	
	Low-mass two-jet	-12.5	
Material Mismodelling	Unconv:	-4.0	Gaussian
	Conv:	+3.5	
JVF	Loose High-mass two-jet	ggF: -1.2 VBF: -0.3 Others: -1.2	Gaussian
	Low-mass two-jet	ggF: -2.3 VBF: -2.4 Others: -2.3	
E_T^{miss}	E_T^{miss} significance	ggF: +66.4 VBF: +30.7 VH, ttH: +1.2	Gaussian
e reco and identification	one-lepton:	< 1	Gaussian
e Scale and resolution	one-lepton:	< 1	Gaussian
μ reco, ID resolution	one-lepton:	< 1	Gaussian
μ spectrometer resolution	one-lepton:	0	Gaussian

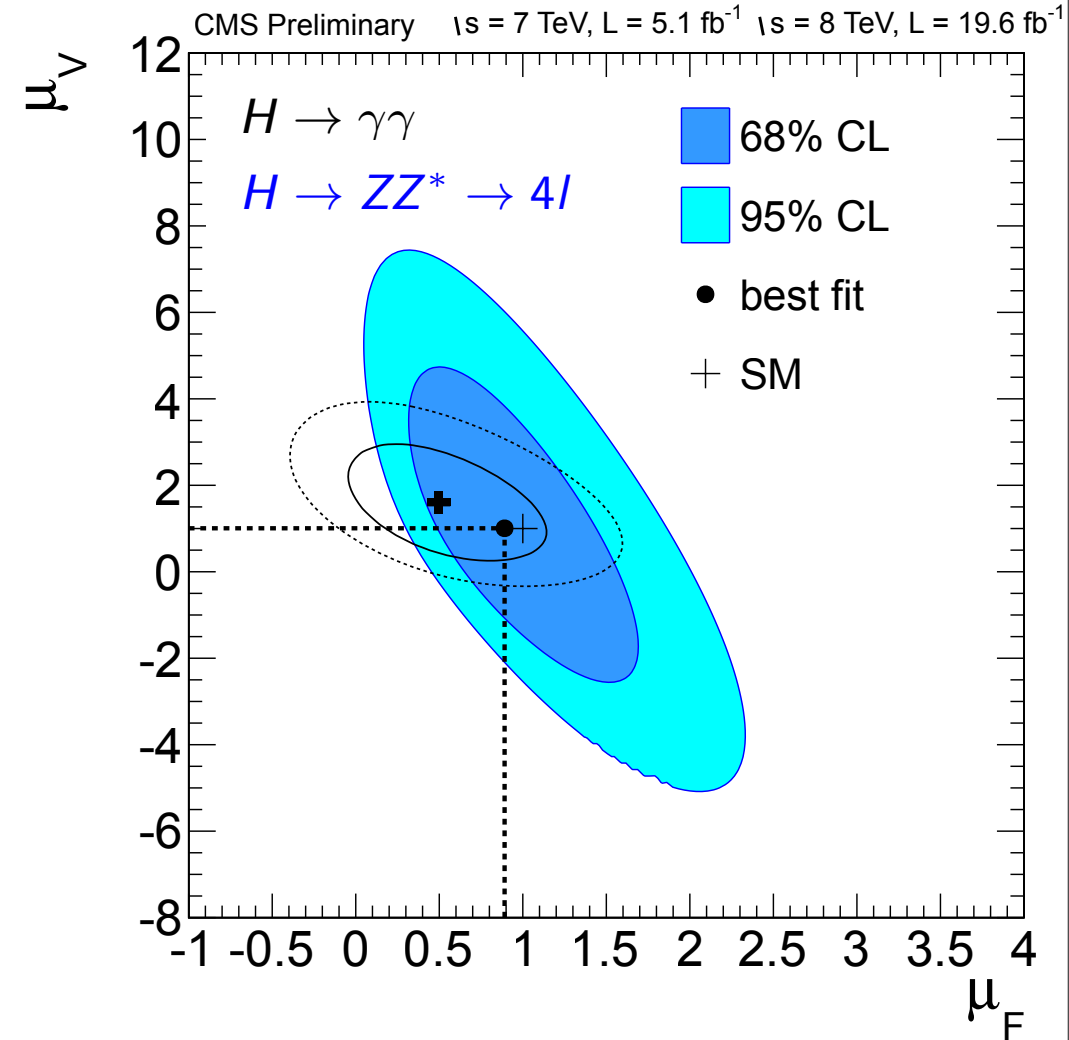
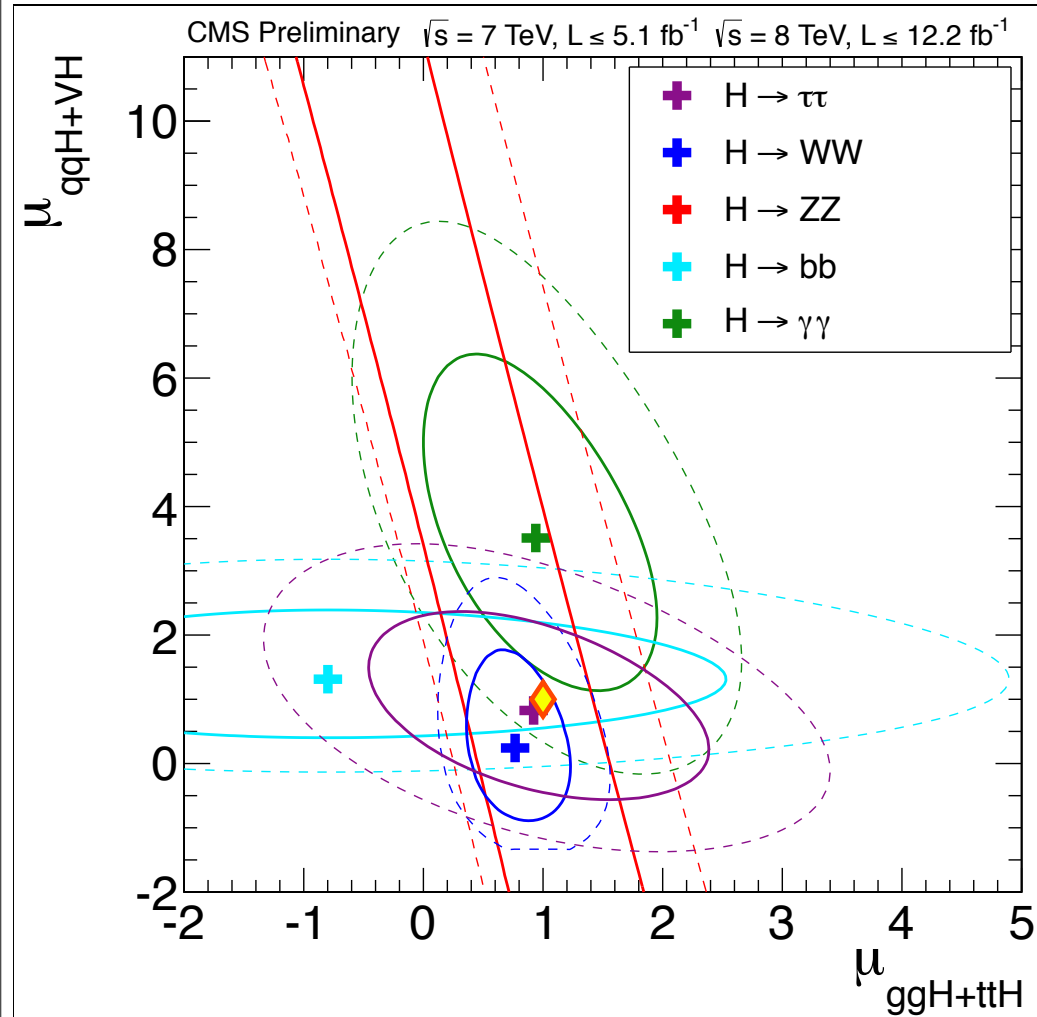




Next: covariance matrix or likelihood before grouping ggF+ttH & VBF+VH

Note: All coupling measurements pass through this space

Unfortunately, $H \rightarrow \gamma\gamma$ no longer high

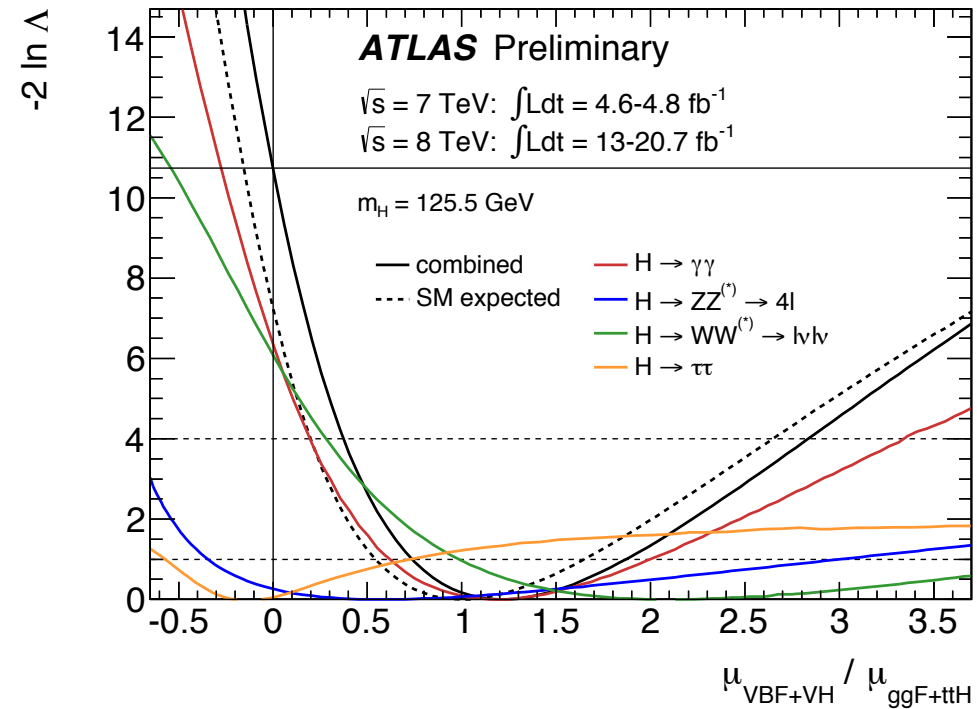
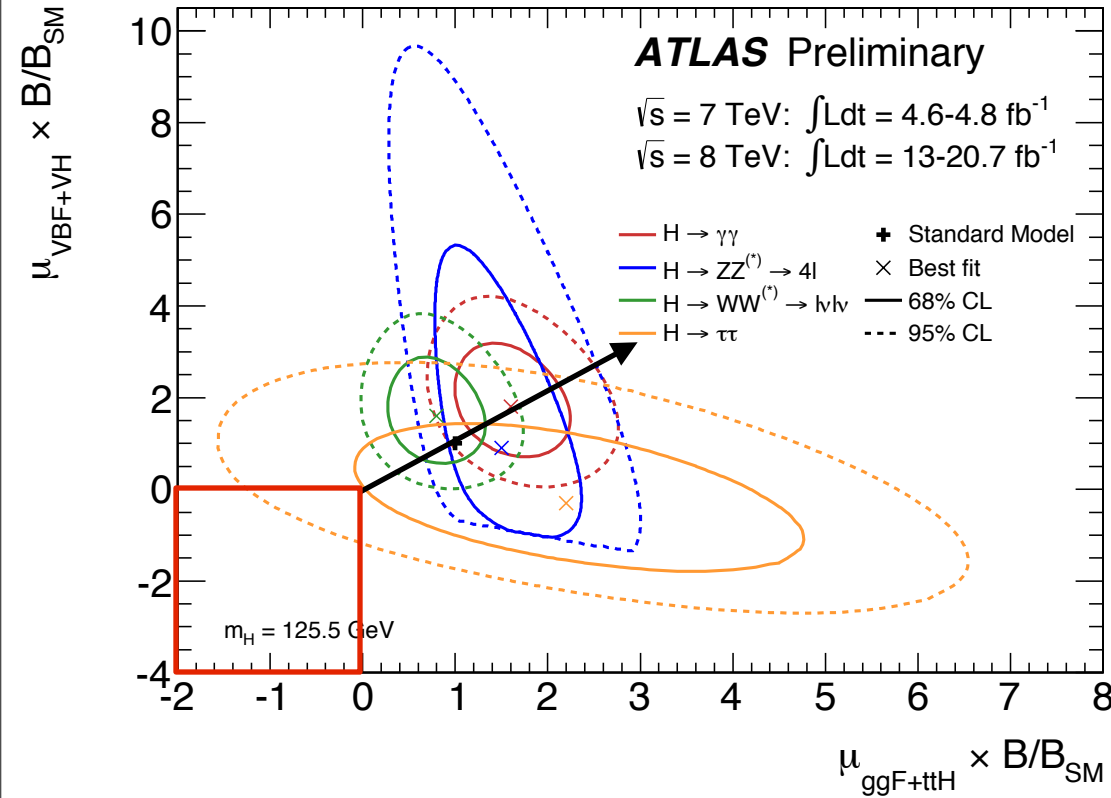


Model-independent presentation

Can't compare contours directly, b/c there is a different BR for axis

But, BR cancels when considering slope in this plane

- still sensitive to theory uncertainties (jet veto, ggH+2jet contamination,...)



~3 σ evidence for VBF Higgs production!

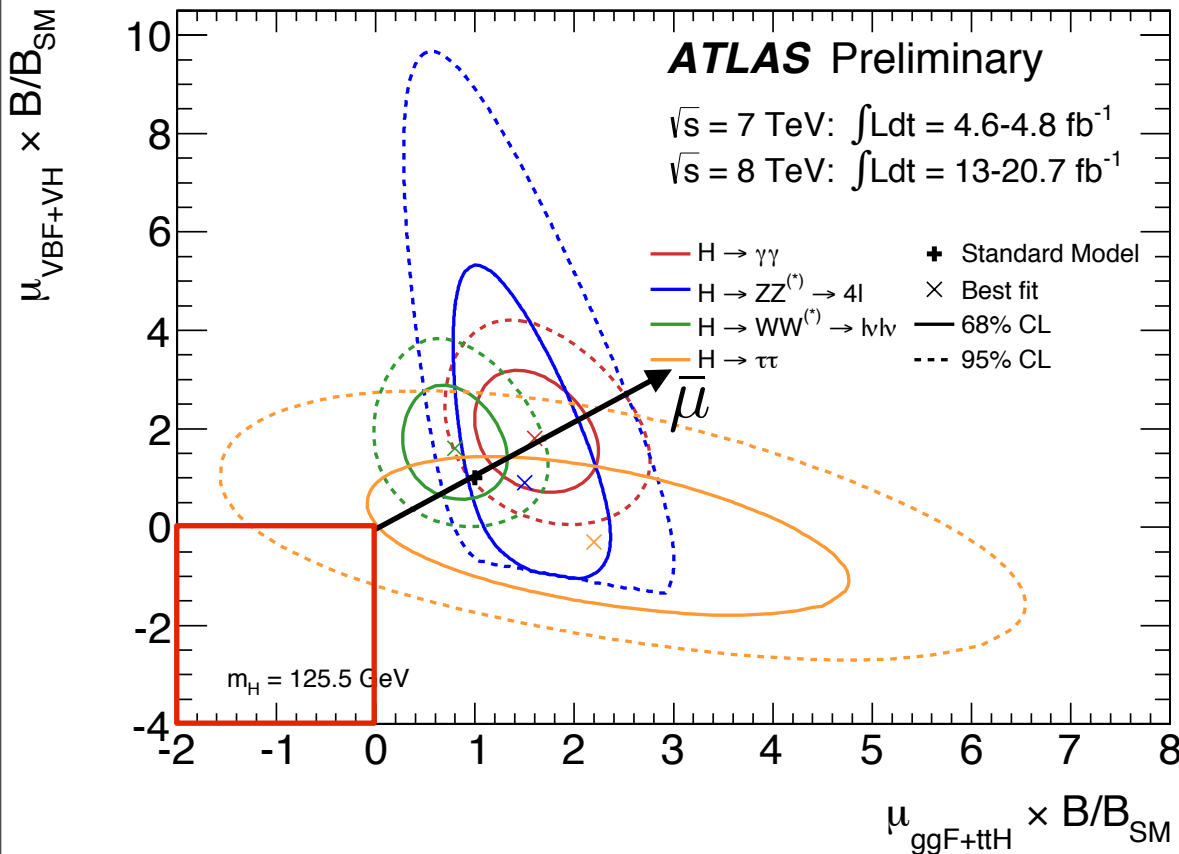
Ratio of Branching Ratios

Anything that relies on σ_{ggF} subject to reasonably large theoretical uncertainty (thus hard to make claim of BSM physics)

- ▶ Measure ratio of branching ratios instead

Not trivial with multiple production modes b/c cross-section doesn't cancel

$$L\left(\bar{\mu} \frac{BR(\gamma\gamma)}{BR_{SM}(\gamma\gamma)}\right) L\left(\bar{\mu} \frac{BR(ZZ)}{BR_{SM}(ZZ)}\right) \rightarrow L\left(\underbrace{\bar{\mu} \frac{BR(ZZ)}{BR_{SM}(ZZ)}}_{NP} \underbrace{\frac{BR(\gamma\gamma)}{BR(ZZ)} \frac{BR_{SM}(ZZ)}{BR_{SM}(\gamma\gamma)}}_{POI}\right) L\left(\underbrace{\bar{\mu} \frac{BR(ZZ)}{BR_{SM}(ZZ)}}_{NP}\right)$$

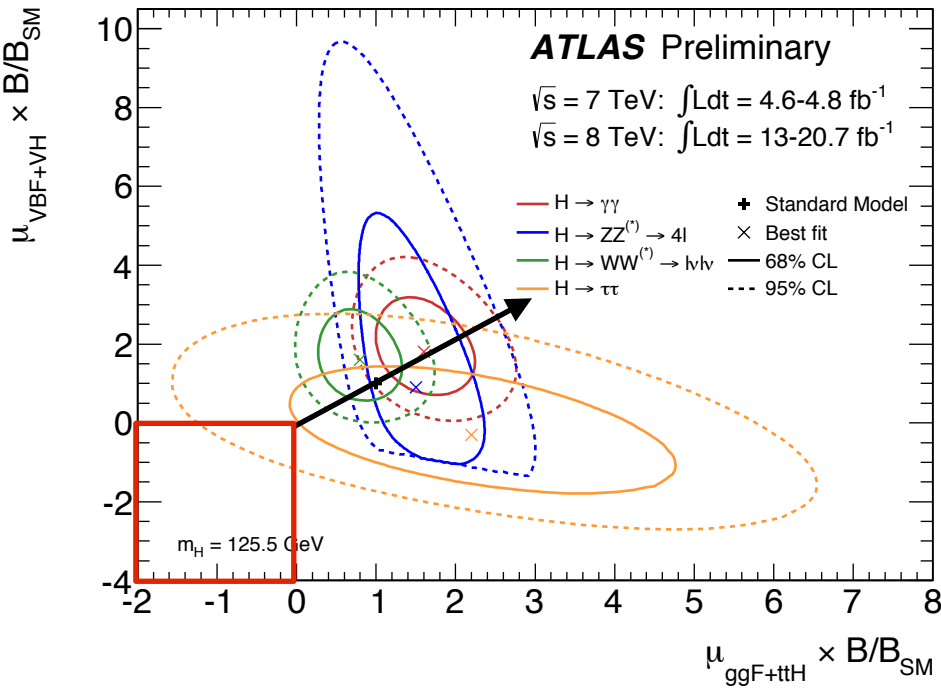


1. Profile on $\frac{\mu_{ggF+ttH}}{\mu_{VBF+WH}}$

2. Overall $\bar{\mu}$ production cancels

3. Measure: $\frac{BR(\gamma\gamma)}{BR(ZZ)} \frac{BR_{SM}(ZZ)}{BR_{SM}(\gamma\gamma)}$

Ratio of Branching Ratios

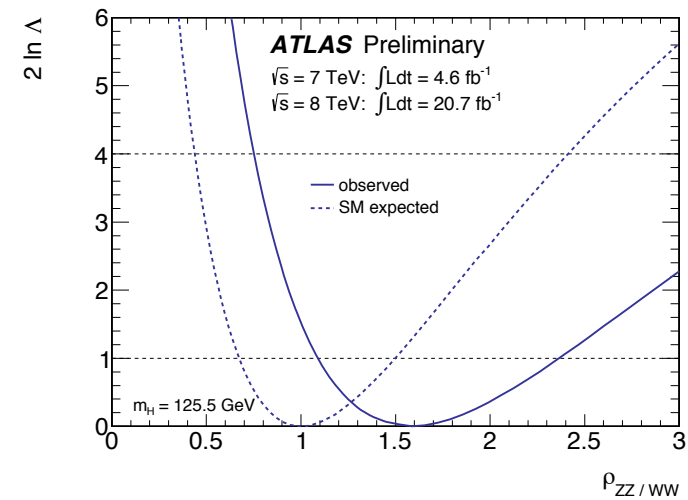
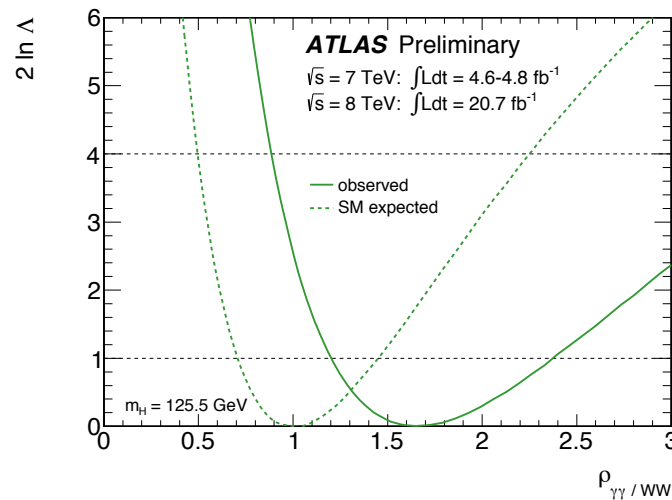
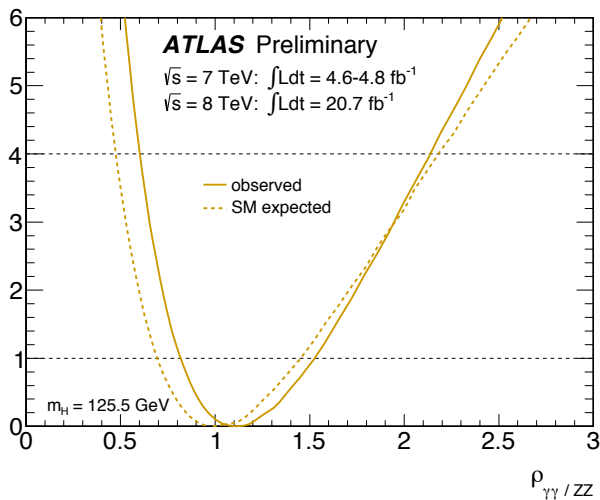


$$\rho_{\gamma\gamma/ZZ} = \frac{\text{BR}(H \rightarrow \gamma\gamma)}{\text{BR}(H \rightarrow ZZ^{(*)})} \times \frac{\text{BR}_{\text{SM}}(H \rightarrow ZZ^{(*)})}{\text{BR}_{\text{SM}}(H \rightarrow \gamma\gamma)}$$

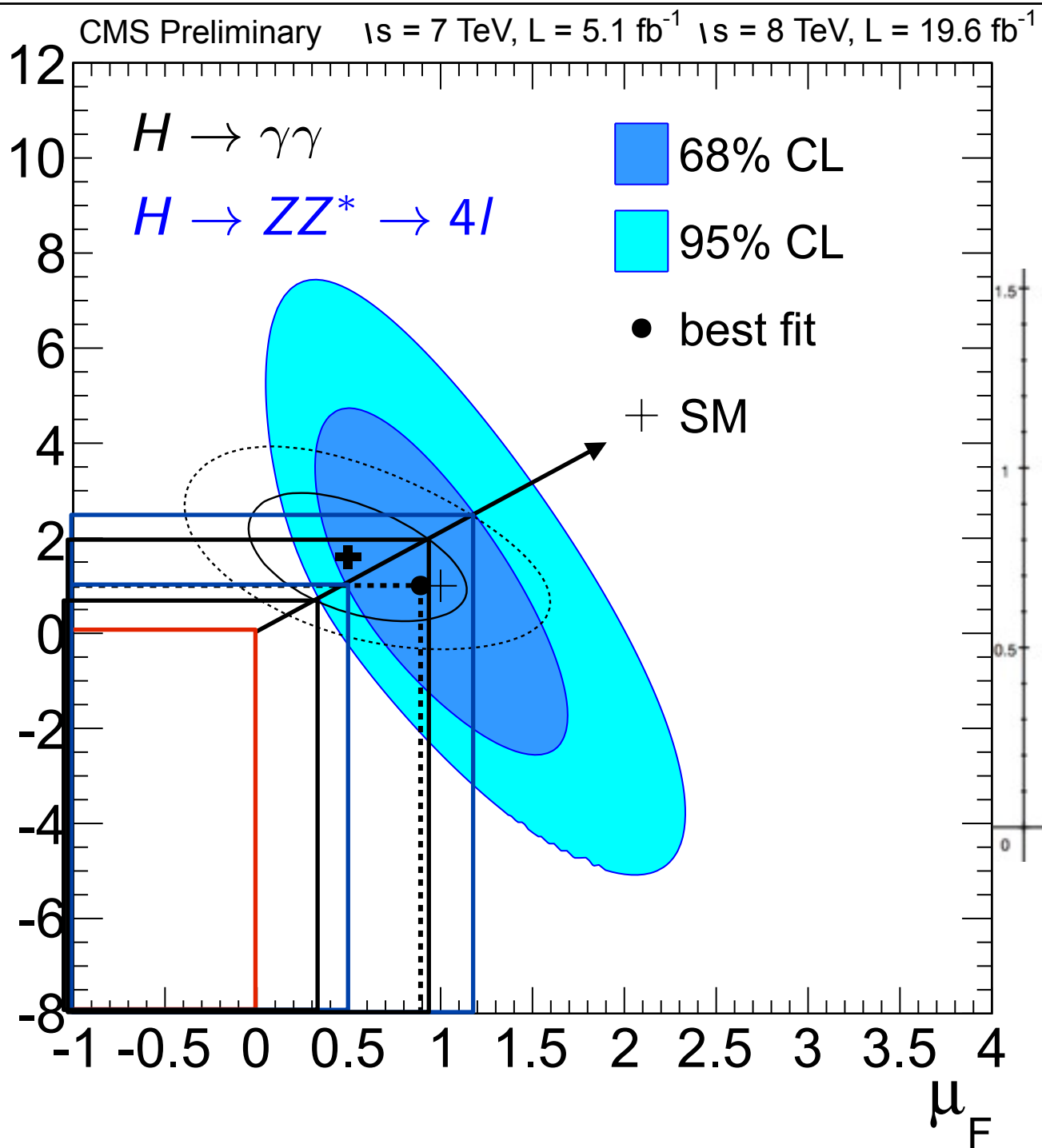
$$\rho_{\gamma\gamma/ZZ} = 1.1^{+0.4}_{-0.3}$$

$$\rho_{\gamma\gamma/WW} = 1.7^{+0.7}_{-0.5}$$

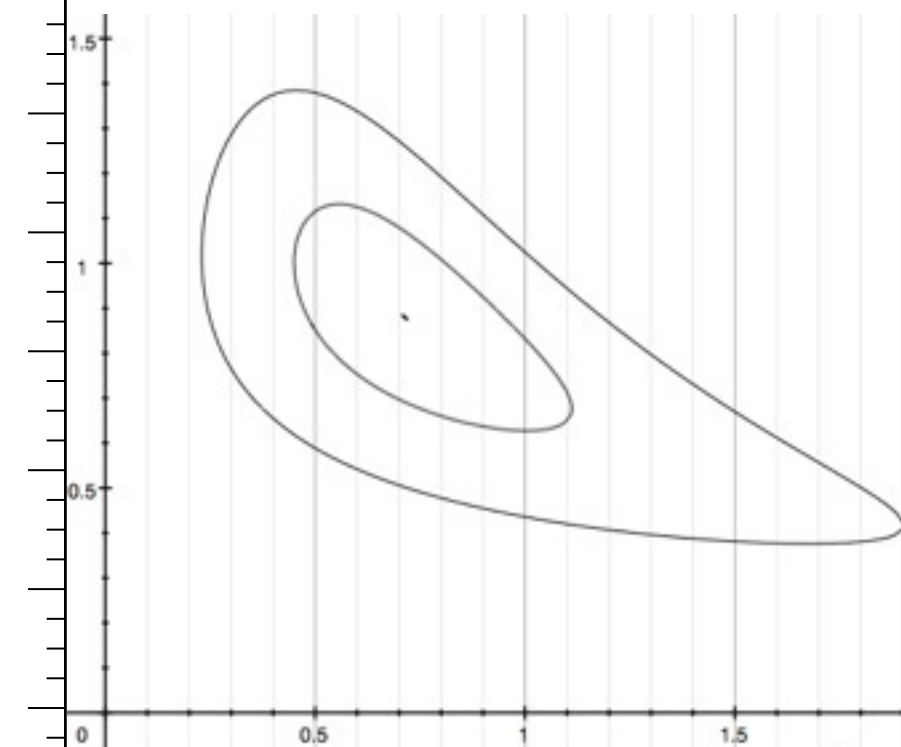
$$\rho_{ZZ/WW} = 1.6^{+0.8}_{-0.5}$$



Unofficial estimate from CMS



$$\rho_{\gamma\gamma/ZZ}^{\text{approx}} = 0.7^{+0.4}_{-0.3}$$



$$\frac{BR(\gamma\gamma)}{BR(ZZ)} \frac{BR_{SM}(ZZ)}{BR_{SM}(\gamma\gamma)}$$

The basic starting point for the various parametrizations :

$$\sigma(H) \times \text{BR}(H \rightarrow xx) = \frac{\sigma(H)^{\text{SM}}}{\Gamma_p^{\text{SM}}} \cdot \frac{\Gamma_p \Gamma_x}{\Gamma}$$

No useful direct constraint on total width at LHC

- ▶ ideally, allow for invisible or undetected partial widths
- ▶ leads to an ambiguity unless something breaks degeneracy

Various strategies / assumptions break this degeneracy

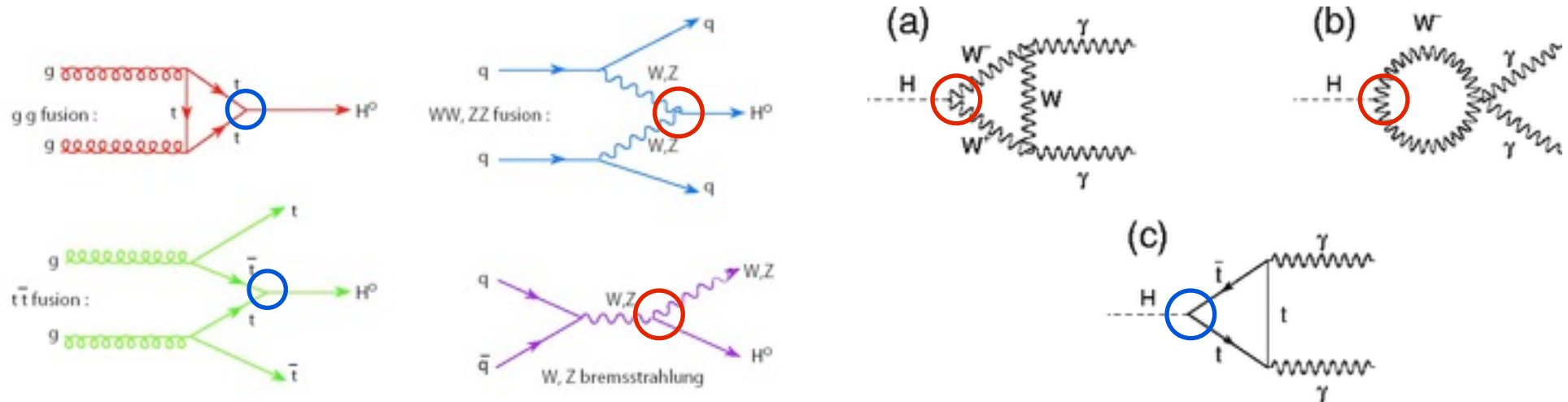
- ▶ Assume no invisible decays
- ▶ Fix some coupling to SM rate
- ▶ Only measure ratios of couplings
- ▶ **Limit** $\Gamma_V \leq \Gamma_V^{\text{SM}}$ eg. Dührssen et. al, Peskin, ...
 - valid for CP-conserving H, no H^{++} , ... Gunion, Haber, Wudka (1991)
 - together with $\Gamma_V^2/\Gamma = \text{meas} \Rightarrow \Gamma_{\text{vis}} \leq \Gamma \leq \Gamma_{V,SM}^2/\text{meas}$

Parametrizing the couplings

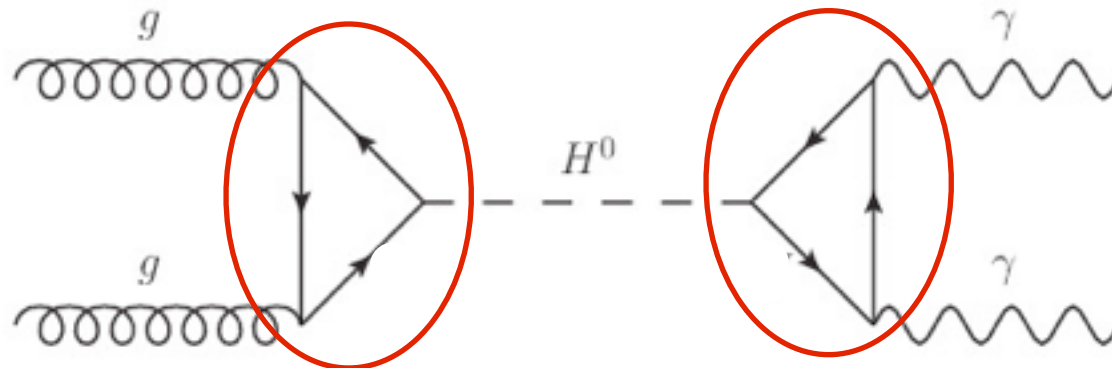
Approach: scale couplings w.r.t. SM values by factor κ

- Expansion around SM point with state-of-the-art predictions

Option 1) relate ggH and $\gamma\gamma H$ assuming no new particles in loop



Option 2) introduce κ_g and κ_γ as effective coupling to ggH and $\gamma\gamma H$



Production modes

$$\frac{\sigma_{ggH}}{\sigma_{ggH}^{SM}} = \begin{cases} \kappa_g^2(\kappa_b, \kappa_t, m_H) \\ \kappa_g^2 \end{cases} \quad \text{option 1/2}$$

$$\frac{\sigma_{VBF}}{\sigma_{VBF}^{SM}} = \kappa_{VBF}^2(\kappa_W, \kappa_Z, m_H)$$

$$\frac{\sigma_{WH}}{\sigma_{WH}^{SM}} = \kappa_W^2$$

$$\frac{\sigma_{ZH}}{\sigma_{ZH}^{SM}} = \kappa_Z^2$$

$$\frac{\sigma_{t\bar{t}H}}{\sigma_{t\bar{t}H}^{SM}} = \kappa_t^2$$

Total width

$$\frac{\Gamma_H}{\Gamma_H^{SM}} = \begin{cases} \kappa_H^2(\kappa_i, m_H) \\ \kappa_H^2 \end{cases}$$

Detectable decay modes

$$\frac{\Gamma_{WW^{(*)}}}{\Gamma_{WW^{(*)}}^{SM}} = \kappa_W^2$$

$$\frac{\Gamma_{ZZ^{(*)}}}{\Gamma_{ZZ^{(*)}}^{SM}} = \kappa_Z^2$$

$$\frac{\Gamma_{b\bar{b}}}{\Gamma_{b\bar{b}}^{SM}} = \kappa_b^2$$

$$\frac{\Gamma_{\tau^-\tau^+}}{\Gamma_{\tau^-\tau^+}^{SM}} = \kappa_\tau^2$$

$$\frac{\Gamma_{\gamma\gamma}}{\Gamma_{\gamma\gamma}^{SM}} = \begin{cases} \kappa_\gamma^2(\kappa_b, \kappa_t, \kappa_\tau, \kappa_W, m_H) \\ \kappa_\gamma^2 \end{cases}$$

$$\frac{\Gamma_{Z\gamma}}{\Gamma_{Z\gamma}^{SM}} = \begin{cases} \kappa_{(Z\gamma)}^2(\kappa_b, \kappa_t, \kappa_\tau, \kappa_W, m_H) \\ \kappa_{(Z\gamma)}^2 \end{cases}$$

Fully model independent fit is not very informative with current data

- Benchmarks proposed by joint theory/experiment LHC XS group

arXiv:1209.0040

Probe Fermionic vs. Bosonic couplings:

$$\kappa_F = \kappa_t = \kappa_b = \kappa_\tau$$

- relevant for Type I 2HDM

$$\kappa_V = \kappa_W = \kappa_Z$$

Probe W vs. Z couplings (custodial symmetry)

- note: current benchmark assumes nothing new in ggH and $\gamma\gamma H$ loops!

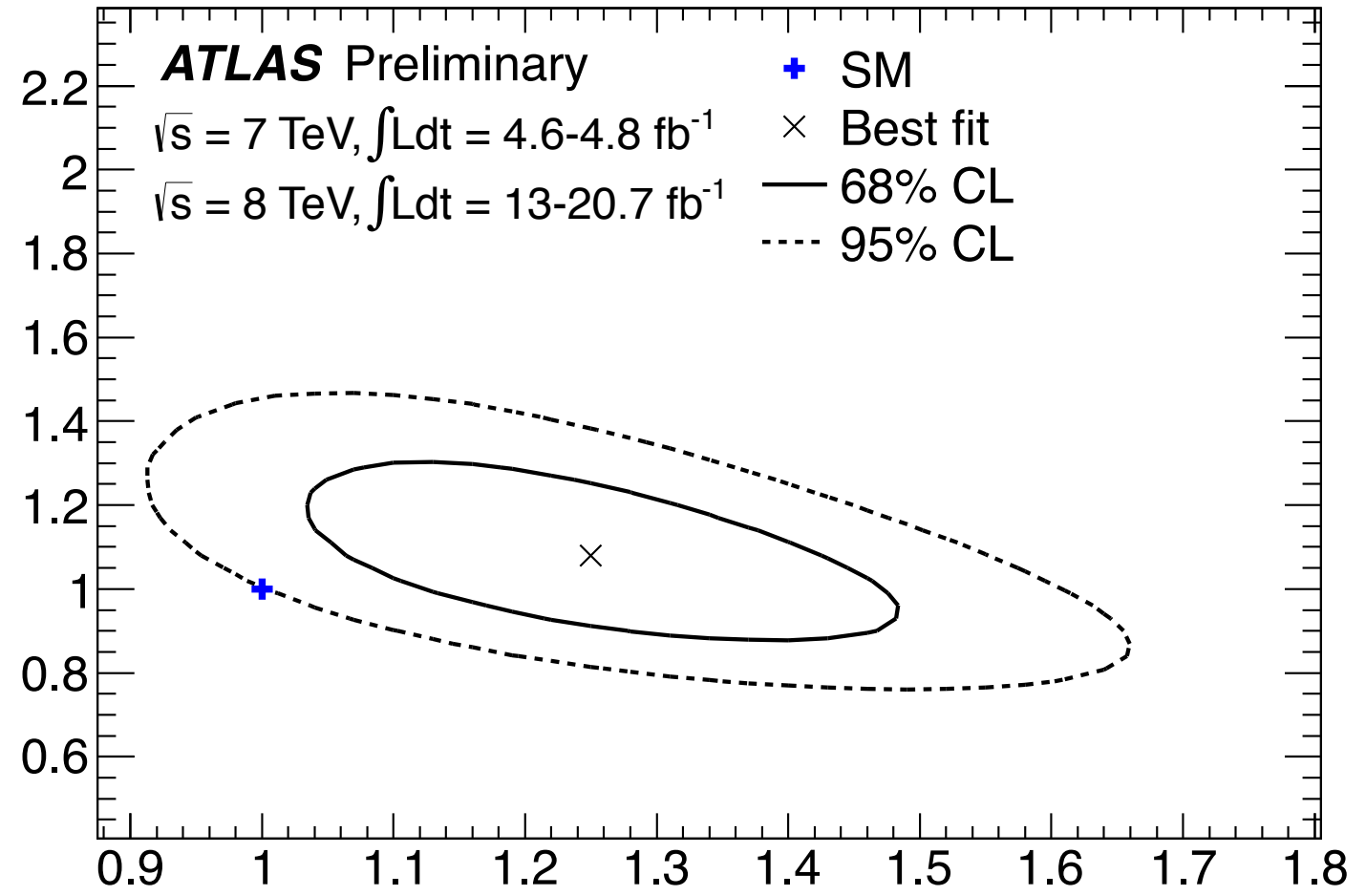
Probe up. vs. down fermion couplings

Probe quark vs. lepton couplings

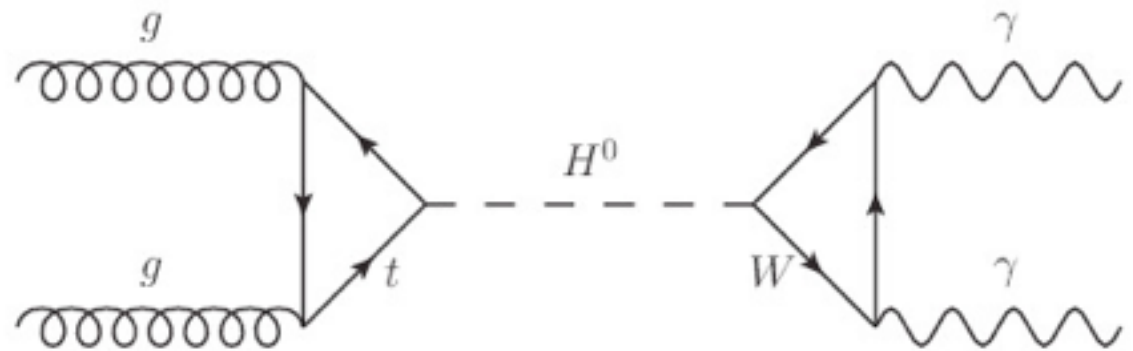
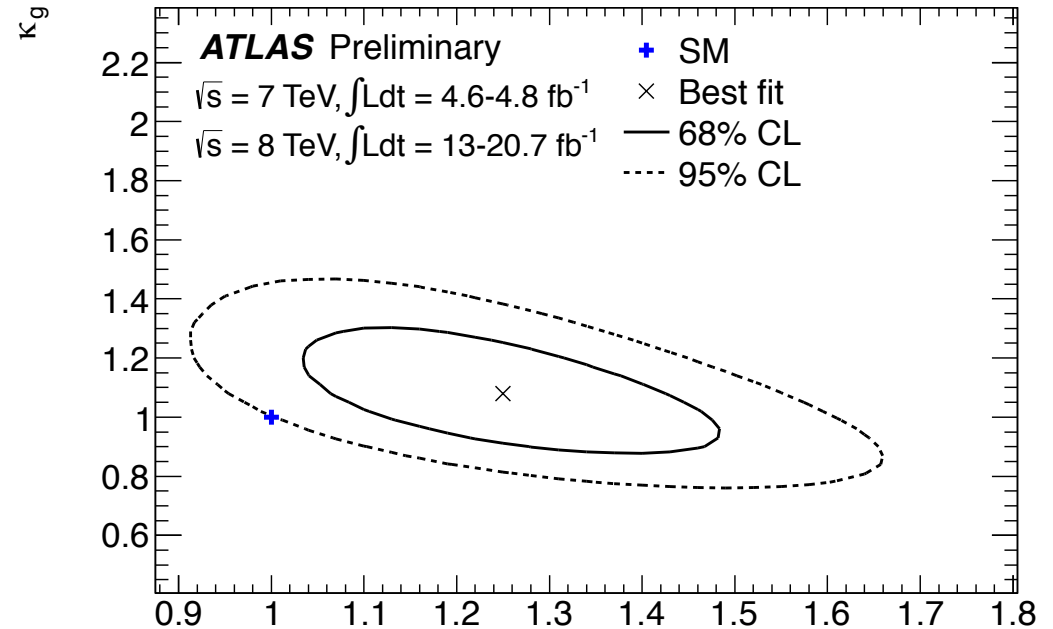
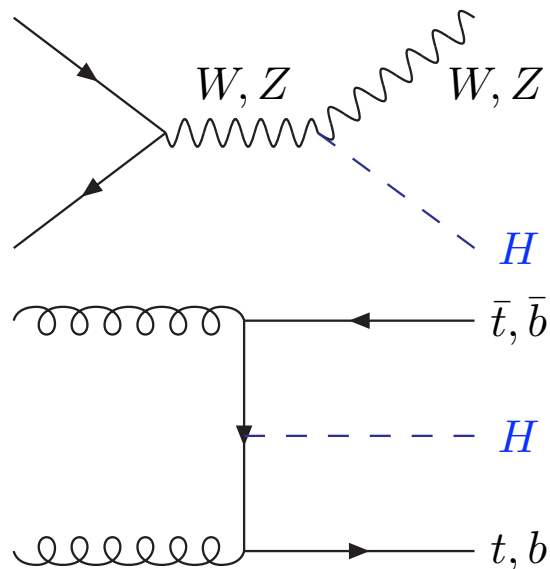
Probe new particles in ggH and $\gamma\gamma H$ loops

Probe invisible decays

Probing new physics in loops



ttH and WH production with $H \rightarrow bb$ and $H \rightarrow \gamma\gamma$ will offer some useful measurements to play against $H \rightarrow \gamma\gamma$

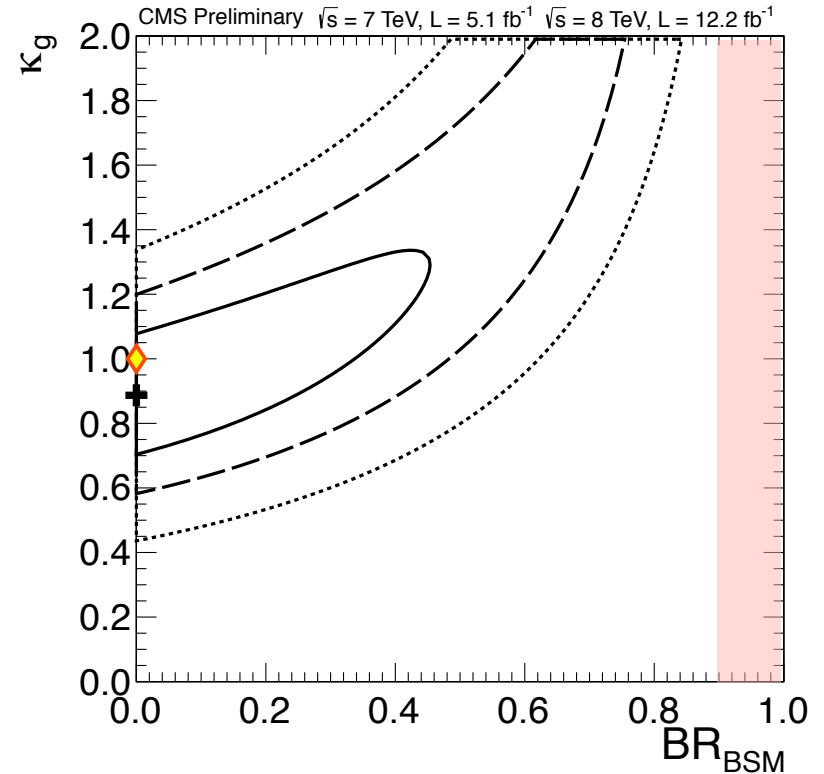
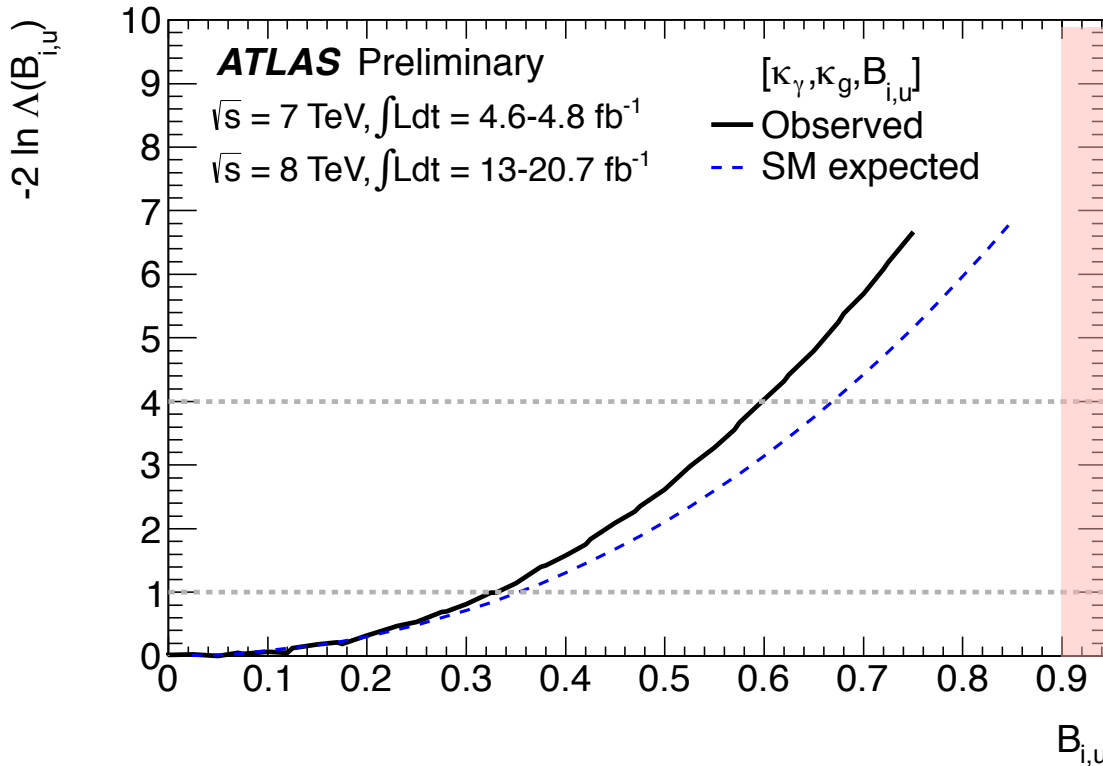


Here total width modified by:
$$\Gamma_H = \frac{\kappa_H^2(\kappa_i)}{(1 - \text{BR}_{\text{inv.,undet.}})} \Gamma_H^{\text{SM}}$$

- ▶ uses effective coupling for ggH and $\gamma\gamma H$ loops
- ▶ everything else is SM-like (namely VBF production)

Disfavors large BR to invisible

As $\text{BR}(\text{inv})$ increases, κ_g must increase
As $\kappa_g \rightarrow \infty$ $B(gg) \rightarrow B(gg)_{\text{SM}} \sim 10\%$
Thus $\text{BR}(\text{inv}) < 1 - B(gg)_{\text{SM}}$



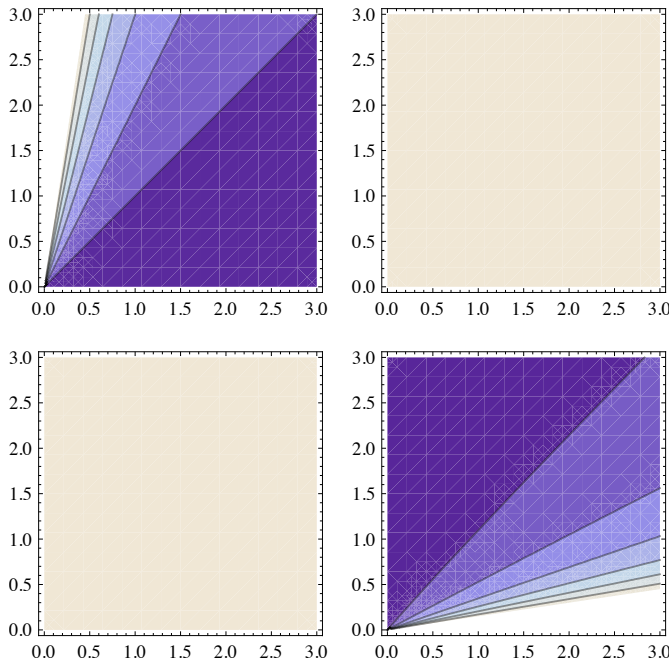
For a given experiment, there is a natural parametrization of the theory where the expected error ellipses are all unit circles \Rightarrow a metric on the original parameters

For couplings, the metric tensor for any theory can be written in terms of

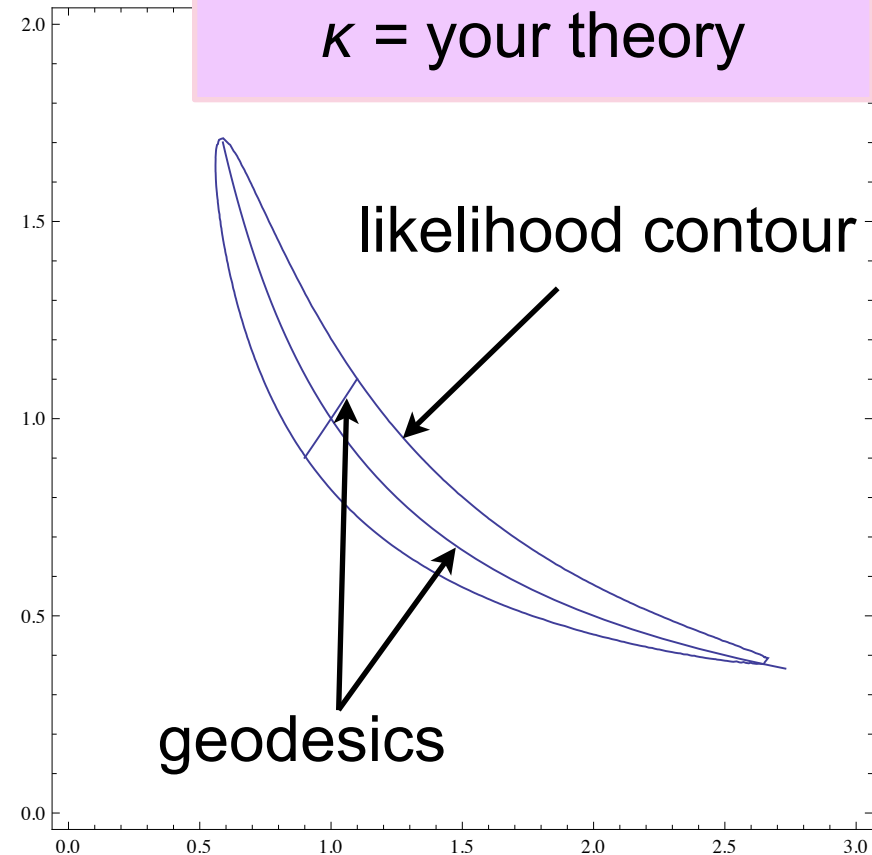
- ▶ a (singular) matrix representing experimental information, and
- ▶ a Jacobian that depends only on the theory

In example below the likelihood contour is reconstructed by following geodesics

metric tensor



$$I(\kappa) = \mathbf{J}^T I(\eta) \mathbf{J}$$
$$\eta = (\sigma_i, BR_f)$$
$$\kappa = \text{your theory}$$



A worked example

Consider several number counting expts. (bins) with expectation:

$$\lambda_c = \sum_{p,d} s_{c;pd} \eta_p \eta_d + b_c$$

where the η are scale factors for production and decay. Fisher information matrix is given by the following (singular) matrix:

$$I_{\mu\nu}(\boldsymbol{\eta}) = \sum_c \frac{1}{\lambda_c} \begin{bmatrix} \frac{\partial \lambda_c}{\partial \eta_\mu} \end{bmatrix} \begin{bmatrix} \frac{\partial \lambda_{c'}}{\partial \eta_\nu} \end{bmatrix} = \sum_c I_{\mu\nu}^c(\boldsymbol{\eta})$$

For a specific theory parametrized by κ that predicts $\eta(\kappa)$ we have

$$I_{\mu\nu}(\boldsymbol{\kappa}) = \sum_c \begin{bmatrix} \frac{\partial \eta_i}{\partial \kappa_\nu} \end{bmatrix} I_{ij}^c(\boldsymbol{\eta}) \begin{bmatrix} \frac{\partial \eta_j}{\partial \kappa_\nu} \end{bmatrix}$$

cleanly factorizes theory from experiment.



The volume of the error ellipse is proportional to

$$\sqrt{\det[I_{\mu\nu}(\boldsymbol{\kappa})]}$$

The volume of the ellipse at the standard model ($\kappa=\kappa_{\text{SM}}$) is a reasonable figure of merit for optimizing an analysis.

Recall

$$\lambda_c = \sum_{p,d} s_{c;pd} \eta_p \eta_d + b_c$$

Parametrize cut requirements by α , then expected signal becomes

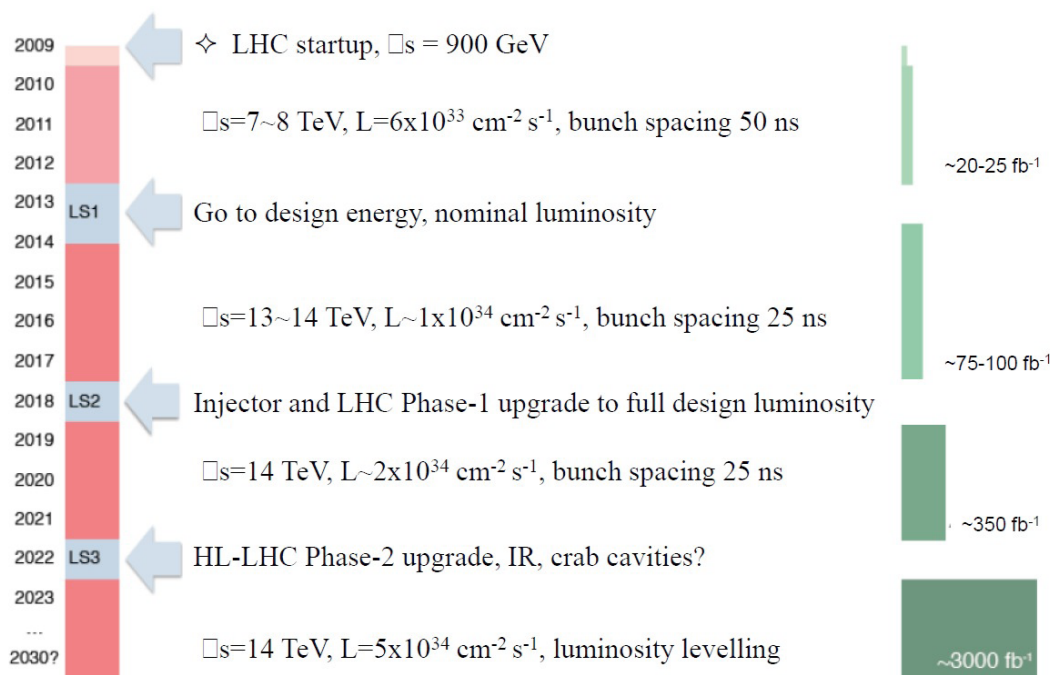
$$s_{c;pd} \rightarrow s_{c;pd}(\boldsymbol{\alpha})$$

And analysis optimization becomes

$$\nabla_{\boldsymbol{\alpha}} \sqrt{\det[I_{\mu\nu}(\boldsymbol{\kappa}_{\text{SM}})]} = 0$$

Bad timing:

- ▶ same few months as discovery and first property measurements
- ▶ limited effort available for these studies
- ▶ based on simplifications and assumptions about detector, how theory uncertainty evolves & systematics will scale with increased lumi, etc.



Higgs self coupling measurements feasible only at HL-LHC

→ More challenging environment ($\langle \mu \rangle \sim 140$):

Major detectors upgrades to cope with higher radiation levels, higher occupancy and required data rates:

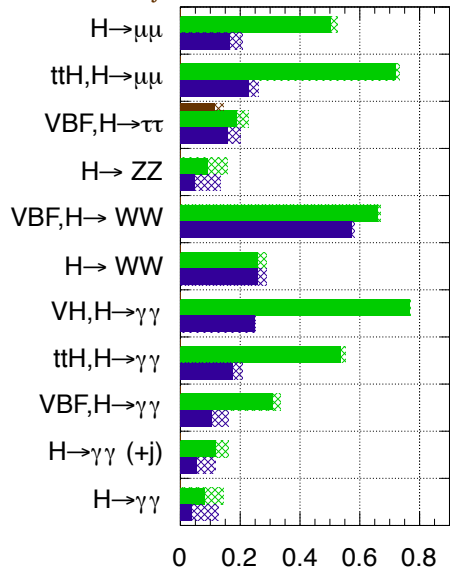
- Replacement of critical components,
- Upgrades to trigger and electronics

E. Meoni (Aspen 2013)

ATLAS Preliminary (Simulation)

$\sqrt{s} = 14$ TeV: $\int L dt = 300 \text{ fb}^{-1}$; $\int L dt = 3000 \text{ fb}^{-1}$

$\int L dt = 300 \text{ fb}^{-1}$ extrapolated from 7+8 TeV

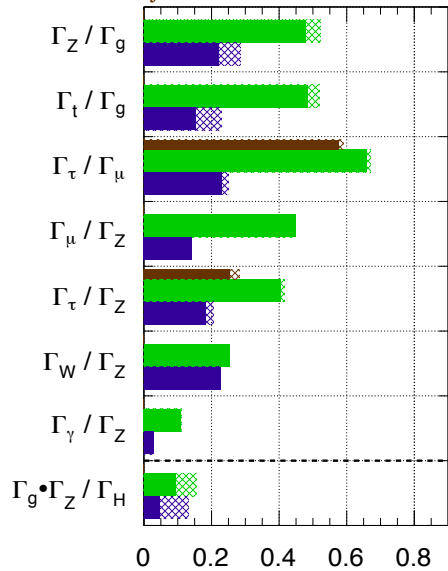


$\frac{\Delta\mu}{\mu}$

ATLAS Preliminary (Simulation)

$\sqrt{s} = 14$ TeV: $\int L dt = 300 \text{ fb}^{-1}$; $\int L dt = 3000 \text{ fb}^{-1}$

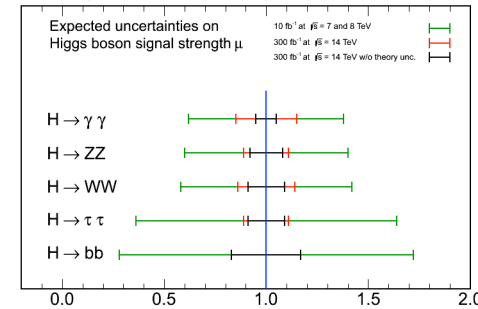
$\int L dt = 300 \text{ fb}^{-1}$ extrapolated from 7+8 TeV



$\frac{\Delta(\Gamma_X/\Gamma_Y)}{\Gamma_X/\Gamma_Y} \sim 2 \frac{\Delta(\kappa_X/\kappa_Y)}{\kappa_X/\kappa_Y}$

Figure 2.10: (a) Expected measurement precision on the signal strength in a selection of channels for 300 fb^{-1} and 3000 fb^{-1} . (b) Expected precisions on ratios of Higgs boson partial widths. In both figures the bars give the expected relative uncertainty for a SM Higgs with mass 125 GeV (dashed are current theory uncertainty from QCD scale and PDFs). The thin bars show extrapolations from current analysis to 300 fb^{-1} , instead of the dedicated studies for VBF channels.

CMS Projection



CMS Projection

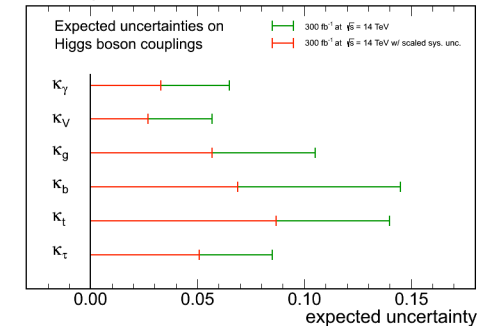


Figure 2.8: (Left) Estimated precision of the signal strength determination for a SM Higgs boson, from CMS. The projections assume $\sqrt{s} = 14$ TeV and an integrated luminosity of 300 fb^{-1} . They are shown including the current uncertainties and neglecting the systematic uncertainties from theory and are compared to the expected uncertainties of the measurement with 10 fb^{-1} at $\sqrt{s} = 7$ and 8 TeV. (Right) Estimated precision on the measurements of the couplings κ_γ , κ_V , κ_g , κ_b , κ_t , and κ_τ from CMS, for 300 fb^{-1} at $\sqrt{s} = 14$ TeV. The green line represents the precision attainable in the case where all systematic uncertainties are kept unchanged (present knowledge). The red line represents the precision achievable scaling the theoretical uncertainties by a factor of 1/2, while other systematic uncertainties are scaled by the square root of the integrated luminosity.

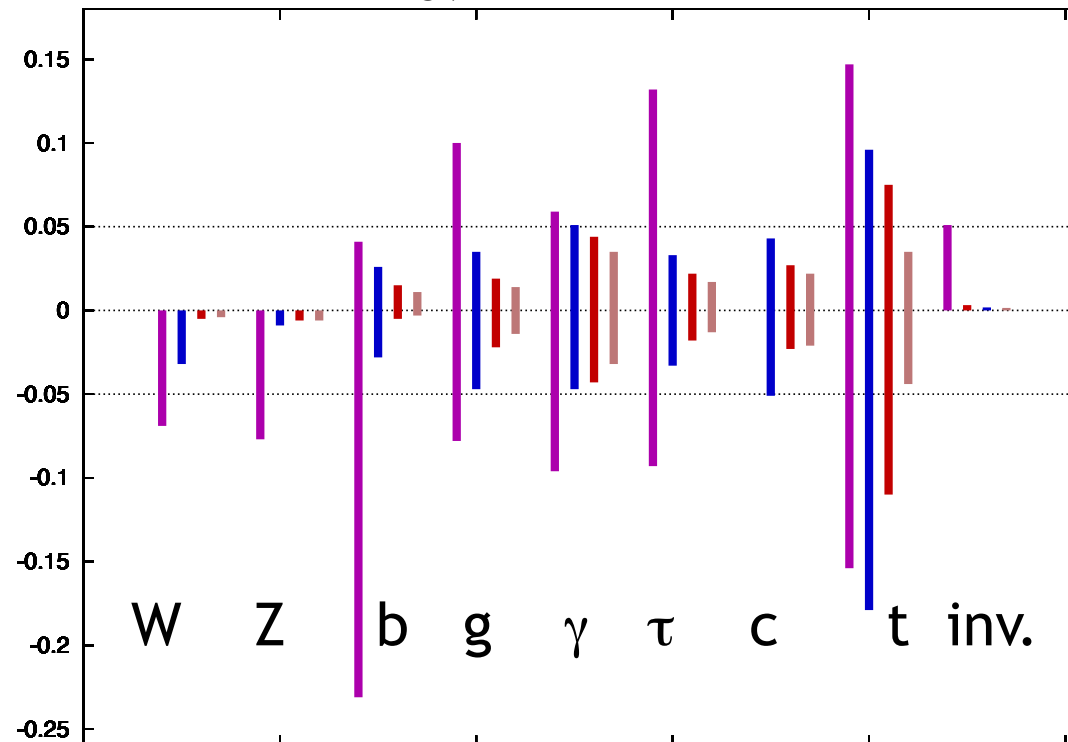
Status of the current projections

v3 appendix of M. Peskin's [[arXiv:1208.5152](https://arxiv.org/abs/1208.5152)] discussing European Strategy results

- understandable frustration with lack of documentation for these projections and poorly understood differences between ATLAS & CMS

What can be done to improve this situation for Snowmass?

$g(hAA)/g(hAA)|_{SM}^{-1}$ LHC/ILC1/ILC/ILCTeV



0.5% precision on $h \rightarrow bb$!

- **warning... no systematic uncertainties**

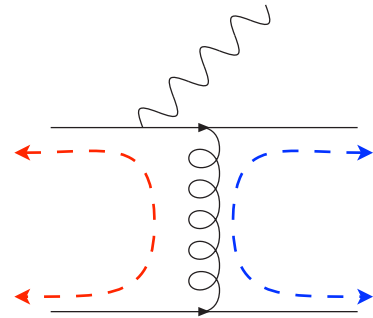
Table 11.2.4: Relative uncertainties on the Higgs $\sigma \times BR$ expected at $\sqrt{s} = 1$ TeV using the SiD detector with integrated luminosities of 500 fb^{-1} and 1 ab^{-1} and polarisation sets $P(e^-) = -80\%$, $P(e^+) = +20\%$ and $P(e^-) = +80\%$, $P(e^+) = -20\%$.

	$\mathcal{L} = 500 \text{ fb}^{-1}$		$\mathcal{L} = 1 \text{ ab}^{-1}$
	$P(e^-) = -80\%$ $P(e^+) = +20\%$	$P(e^-) = +80\%$ $P(e^+) = -20\%$	$P(e^-) = -80\%$ $P(e^+) = +20\%$
$h \rightarrow b\bar{b}$	0.0067	0.046	0.0047
$h \rightarrow c\bar{c}$	0.108	0.843	0.076
$h \rightarrow gg$	0.044	0.294	0.028
$h \rightarrow W^+W^-$	0.047	0.346	0.031

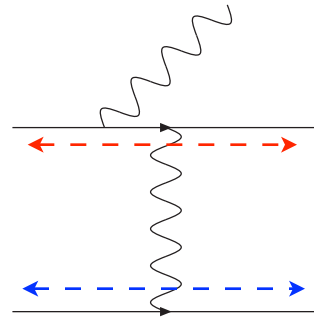
Tim Barklow, Snowmass Energy Frontier @ BNL [\[link\]](#)



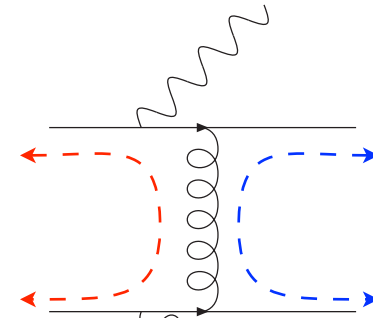
Central Jet Veto leads to theoretical uncertainties



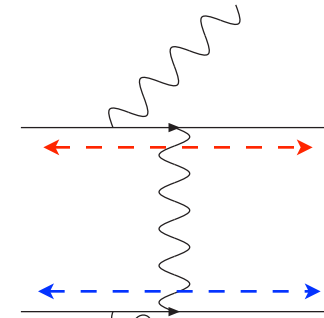
QCD Zjj



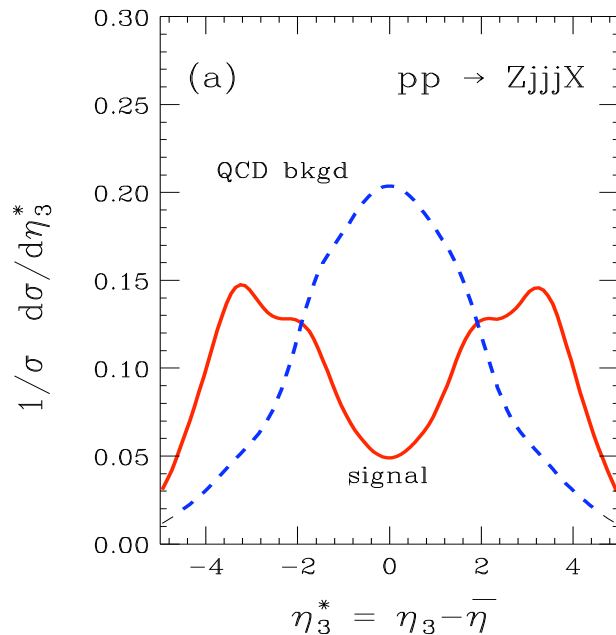
EW Zjj



QCD $Zjjj$



EW $Zjjj$

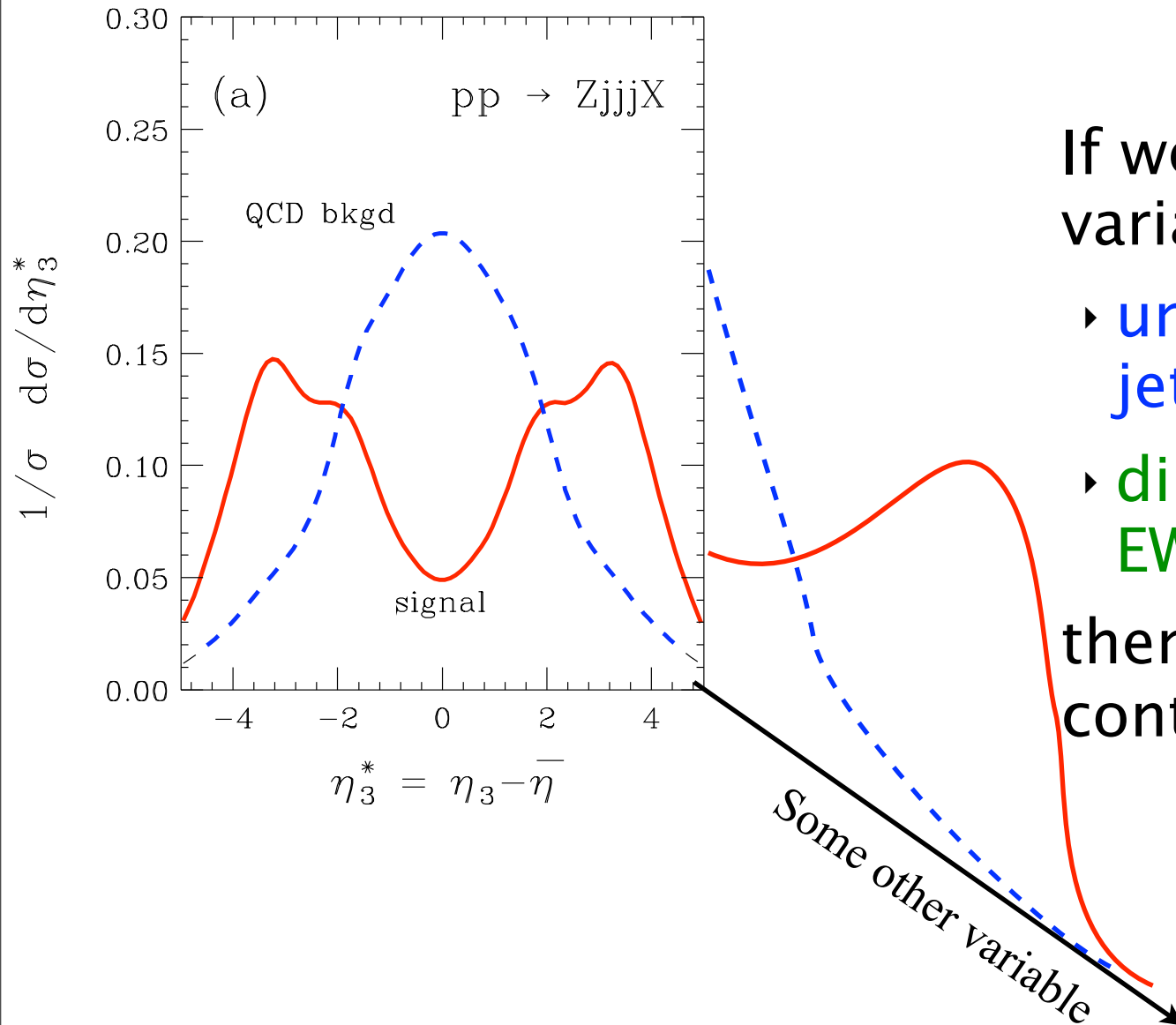


Flow of color-charge leads to different distributions for additional QCD radiation for Electroweak and QCD Zjj background

A Central Jet Veto is a major tool for the analysis

Precise knowledge of signal efficiency is crucial for limits and coupling measurements

By looking at $Z \rightarrow e^+e^-$ & $Z \rightarrow \mu^+\mu^-$ we remove Higgs contribution



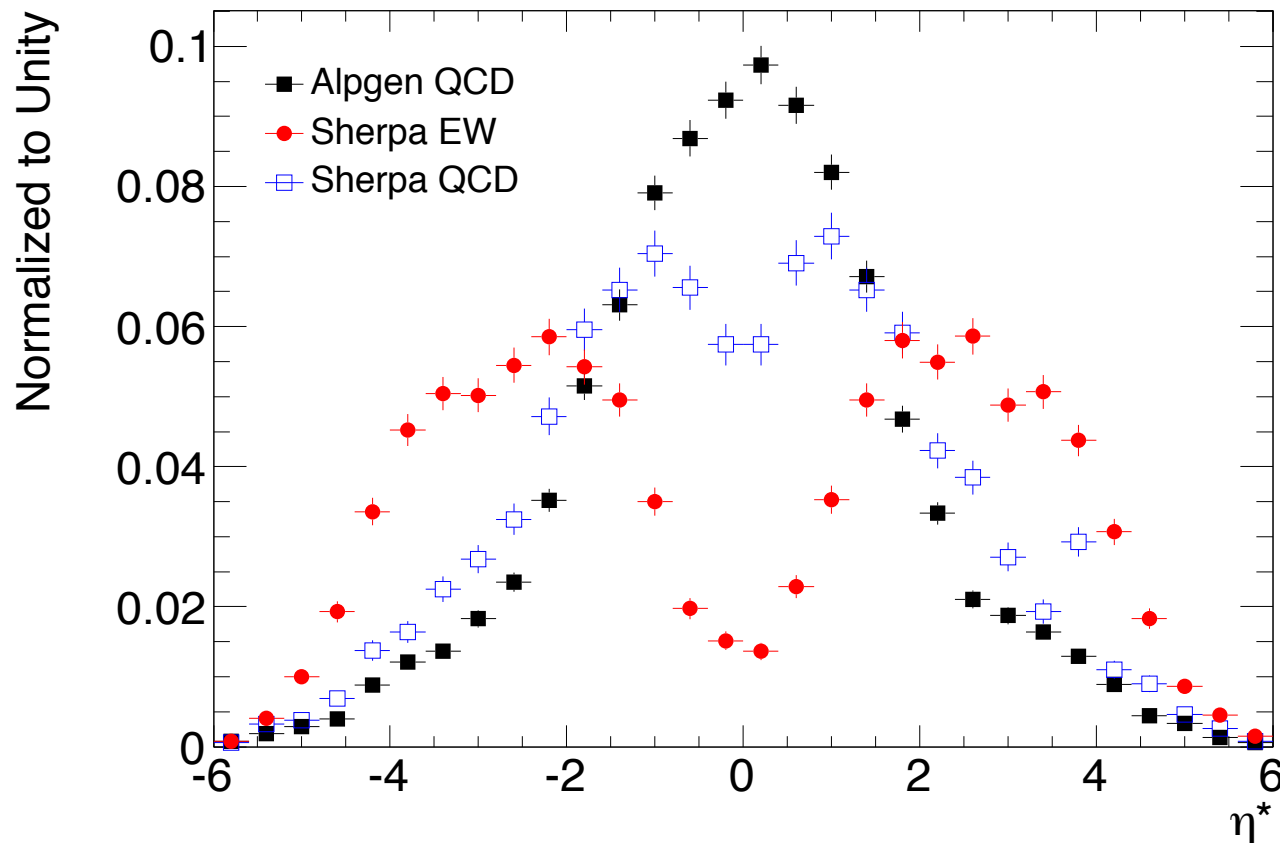
If we can find some other variable that is:

- ▶ uncorrelated to the 3rd jet's distribution
- ▶ discriminates between EW & QCD

then we can unfold the two contributions

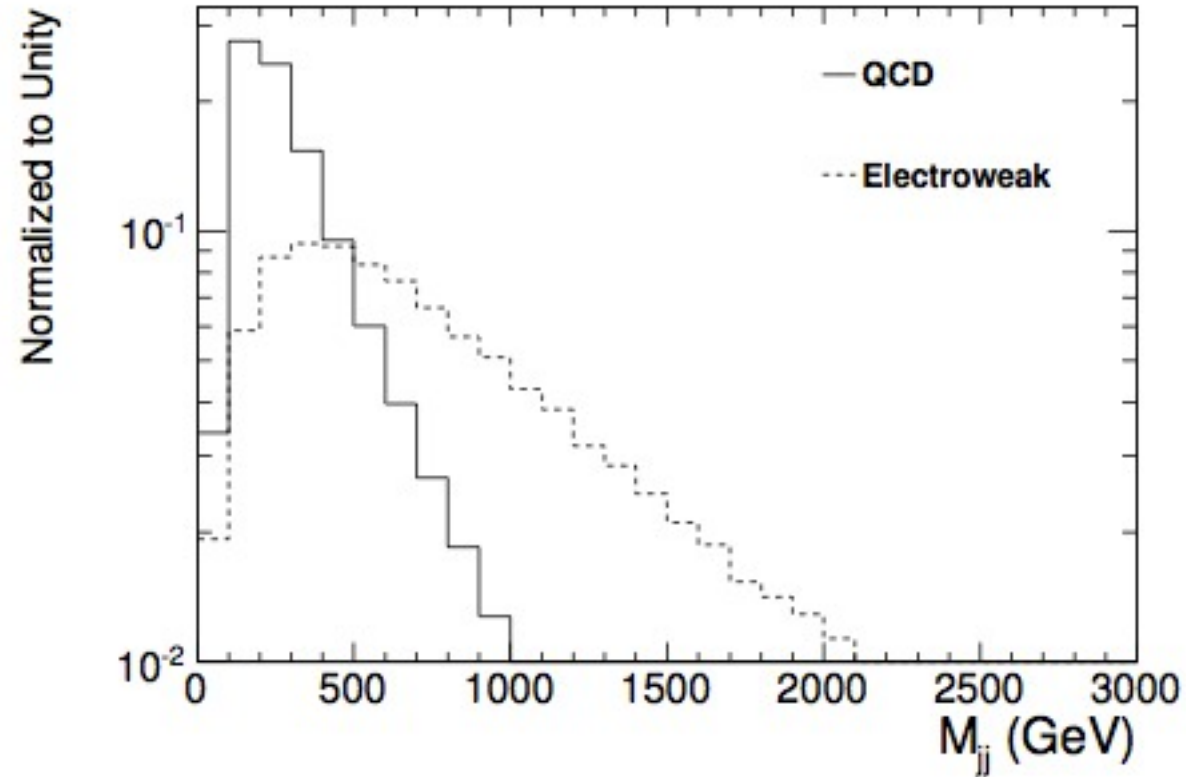
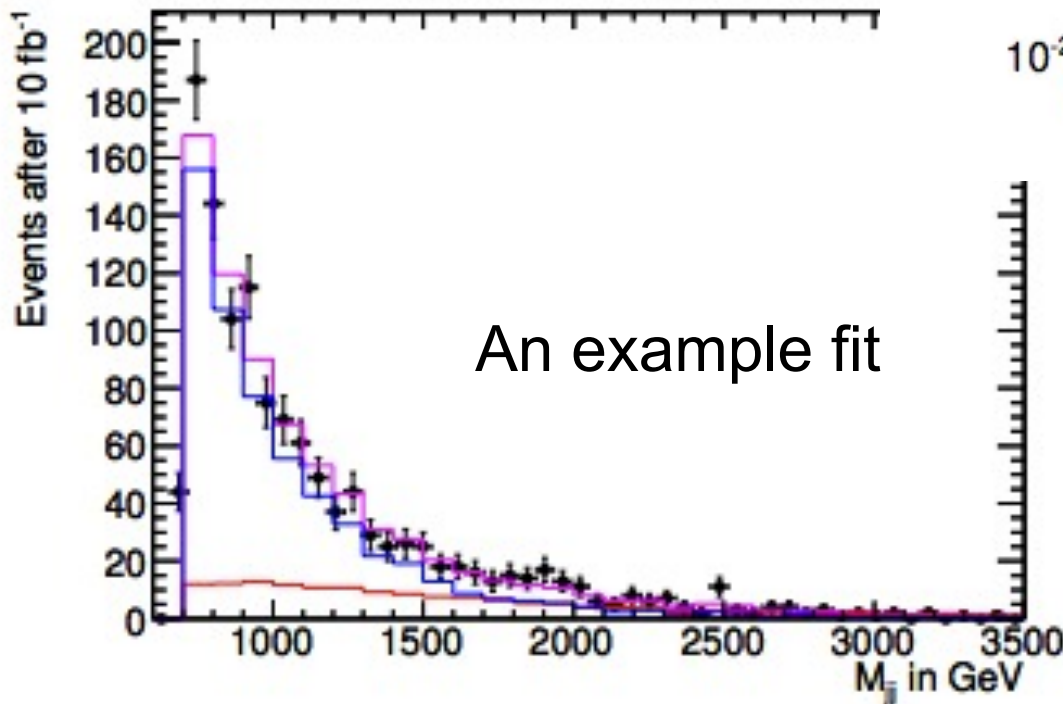
Fairly striking difference between Sherpa & Alpgen QCD

- ▶ Steffen Schumann helped us validate this in Sherpa
- ▶ this is a good testing ground for modern QCD tools
- ▶ my point here is not the prediction, but about how well we can measure the EW vs. QCD



Different shapes for EW / QCD

- Z+2j is leading order for the EW process, under better control (NLO possible)



QCD M_{jj} shape either:

- from data (loosen cuts) or from MC
- Assess systematic on shape assumption by switching between Alpgen and Sherpa template

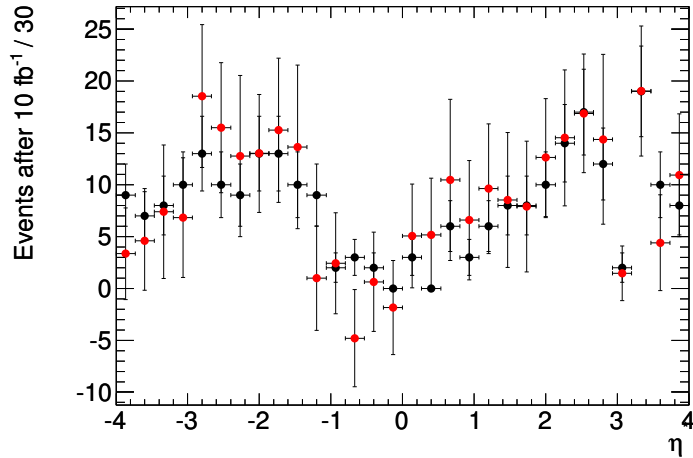
An example unfolding



black: truth blue/red : unfolded

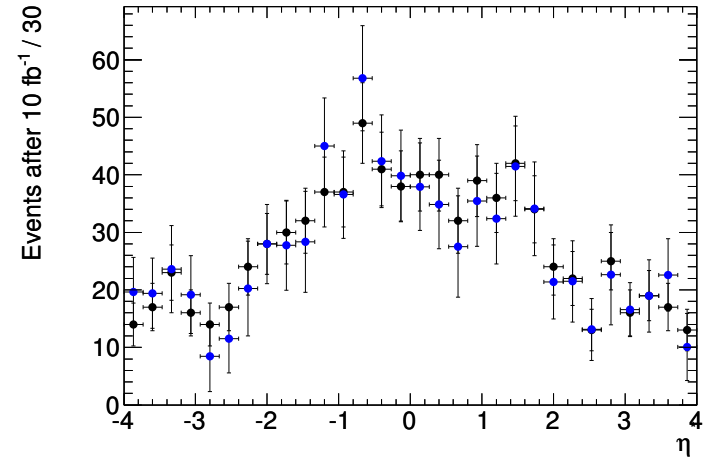
η^*

EW



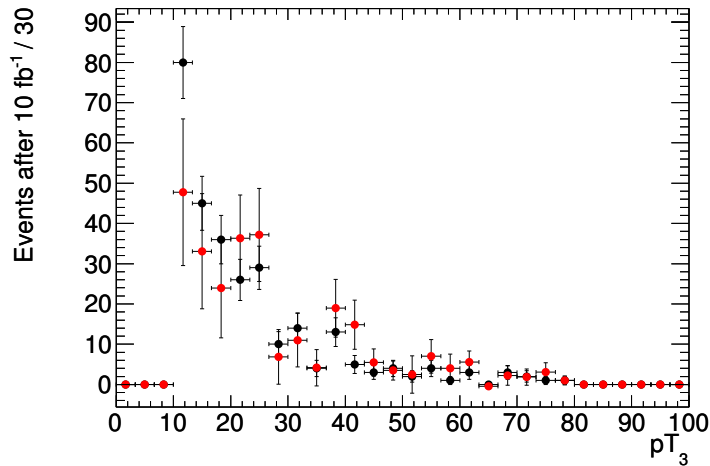
(a)

QCD

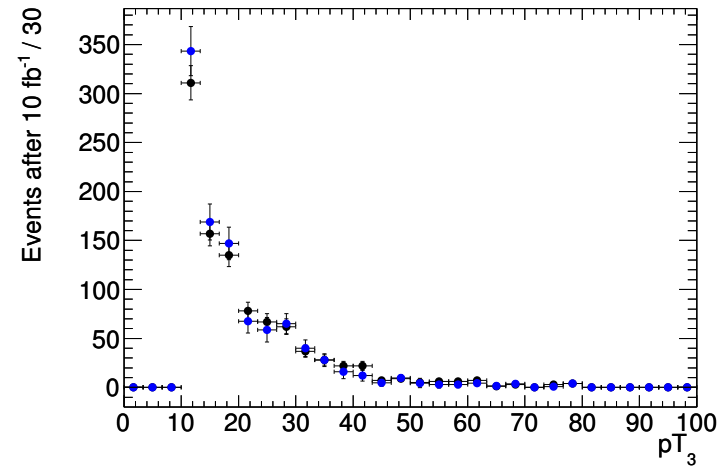


(b)

p_{T3}



(c)

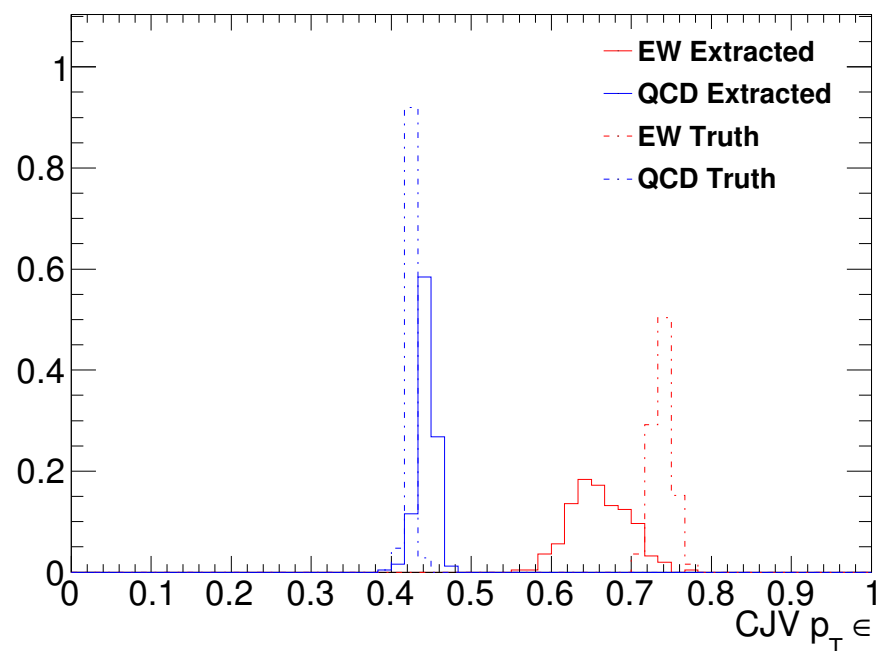
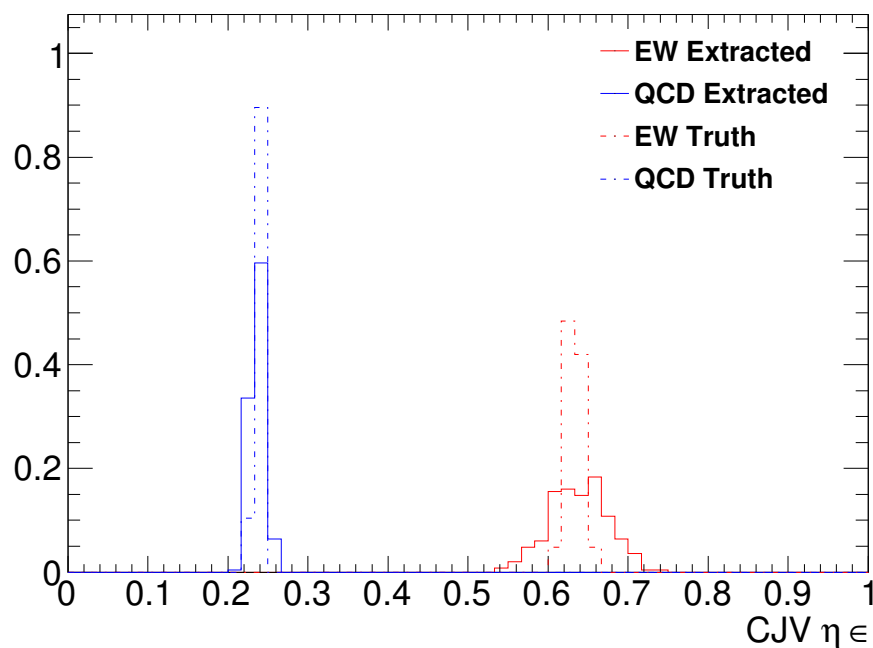


(d)

Performance of the method depends on true S/B (EW/QCD) ratio.

- η^* can be unfolded quite well
- systematic due to QCD M_{jj} shape and correlation with p_{T3}
- with a favorable S/B we might be able to measure difference between Alpgen & Sherpa

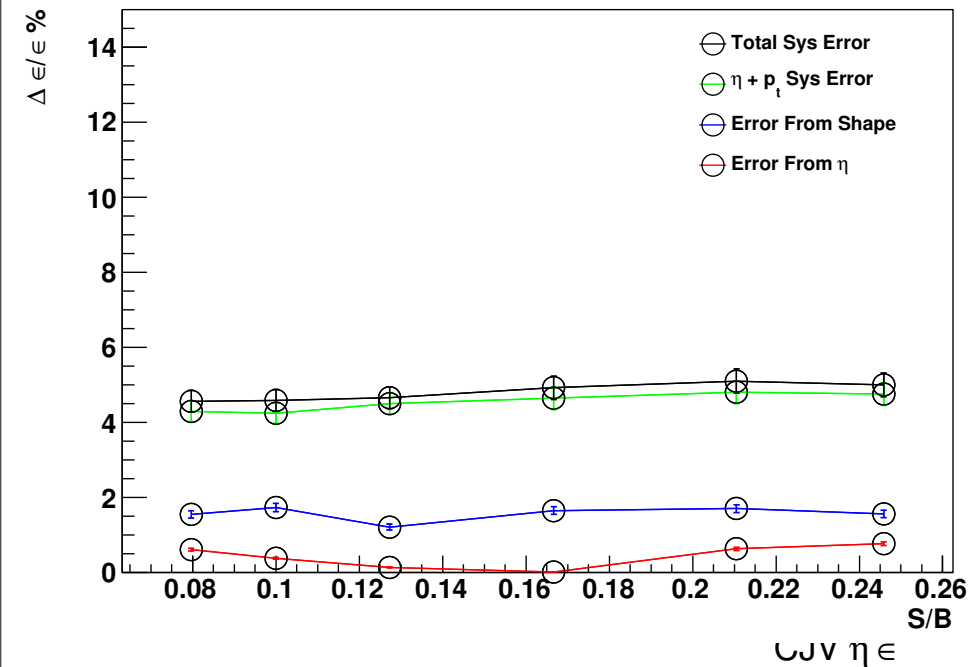
Now needs to be followed up within experiments



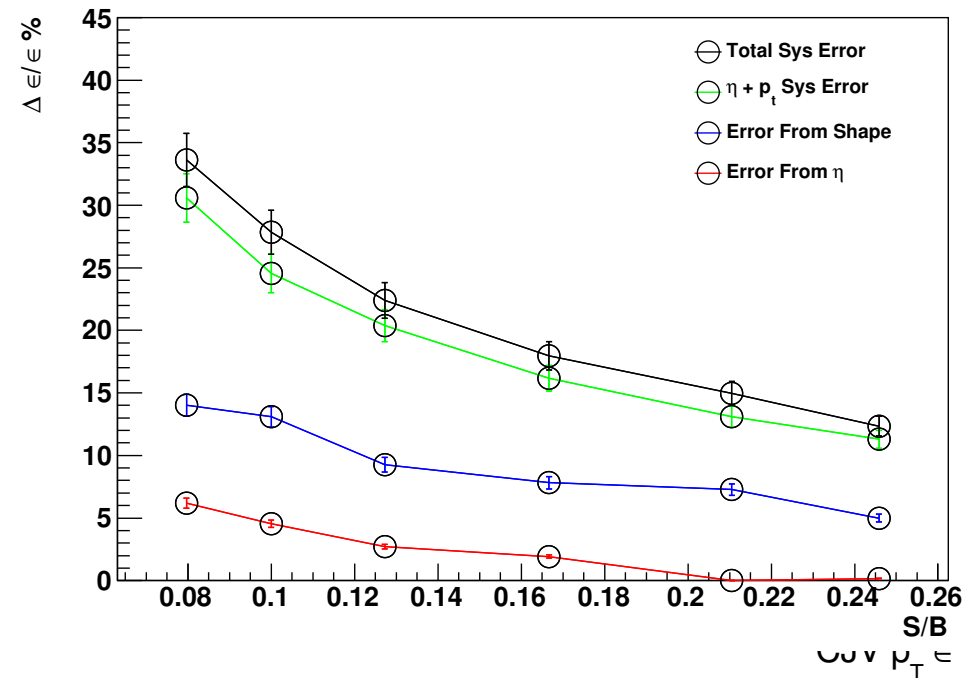
Performance of the method depends on true S/B (EW/QCD) ratio.

- η^* can be unfolded quite well
- systematic due to QCD M_{jj} shape and correlation with p_{T3}
- with a favorable S/B we might be able to measure difference between Alpgen & Sherpa

Now needs to be followed up within experiments



(a)



(b)

The measurement of Higgs properties is under way

- ▶ we have a working framework in which to perform these measurements
- ▶ some channels are already transitioning to systematics limited
- ▶ theoretical uncertainties are a big challenge

Our current projections for LHC potential are quite uncertain

- ▶ we don't want to make our physics case on overly optimistic or pessimistic projections
 - Don't mis-underestimate how clever we can be with time
 - it's hard to plan on these improvements, when the strategy for achieving them is not yet in place.

Higgs coupling measurements in scenario where we observe non-standard production or decay are also interesting