

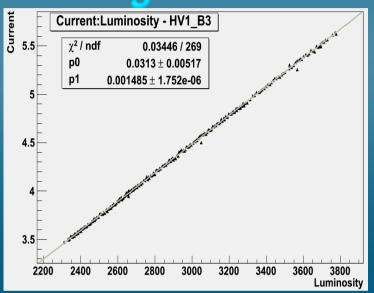
### Introduction (2) My work consists in extracting the current injected by the EMEC high voltage system to measure the luminosity. Work Plan: > Select properly the HV channels (correspond to the same type of HV zone) Extract the good Run (Use the Good Run List [GRL]) Luminosity Algorithm (Beam Condition Monitor [BCM]) 3 BCM Calibration Van der Meer





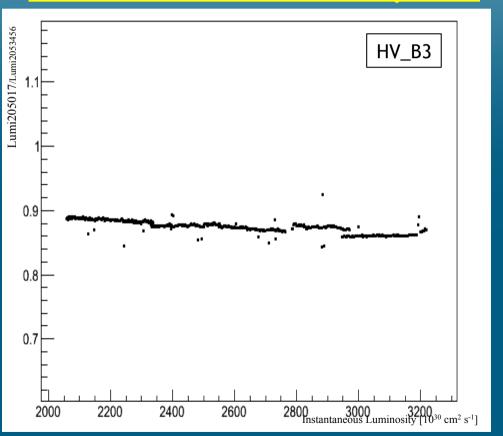






Extracted fit parameters from the relationship:

Current = a. Luminosity + b



Not good Distribution!!
We need a distribution
around 1



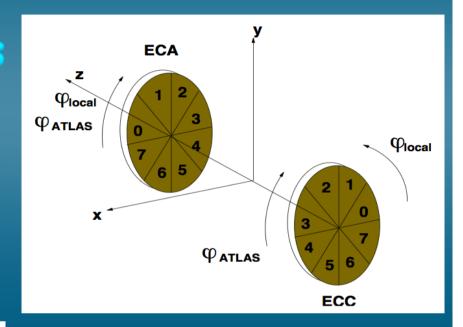






### Selection of HV lines

✓ « EMEC (A ou C)» is composed by 8 modules (ECAo, ..., ECA1), each module is composed by an outer wheel (1.375<17<2.5) and an inner wheel (2.5<\eta<3.2).



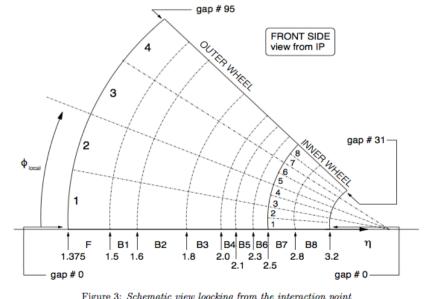
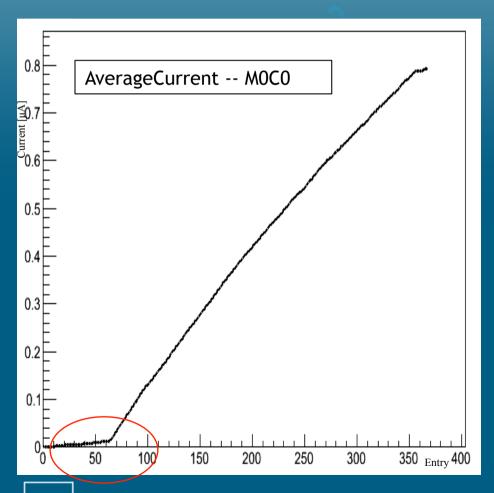
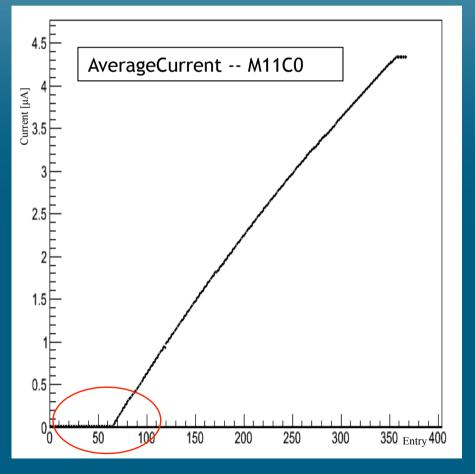


Figure 3: Schematic view looking from the interaction point

✓ « Secteur HV» is defined as a 1 ŋ sector [F, B1, ..., B8] and 1  $\phi$  sector [OW with 4  $\phi$  sector and IW with 8  $\phi$  sector] with 2 side HV [HV1, HV2].



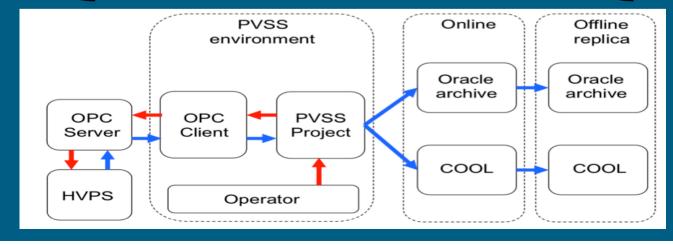








- « High Voltage System (HV) » A selection of values is archived in the Online Oracle database for each module HV, The online database contents are subsequently replicated to an offline database outside the technical network → « Cool » :





## ☐ The results LumiCalib/LumiRef HV\_B1 (EMEC -A) LumiRef (205016) LumiRef (205017) 0.9 8.0 0.7 0.6

2600

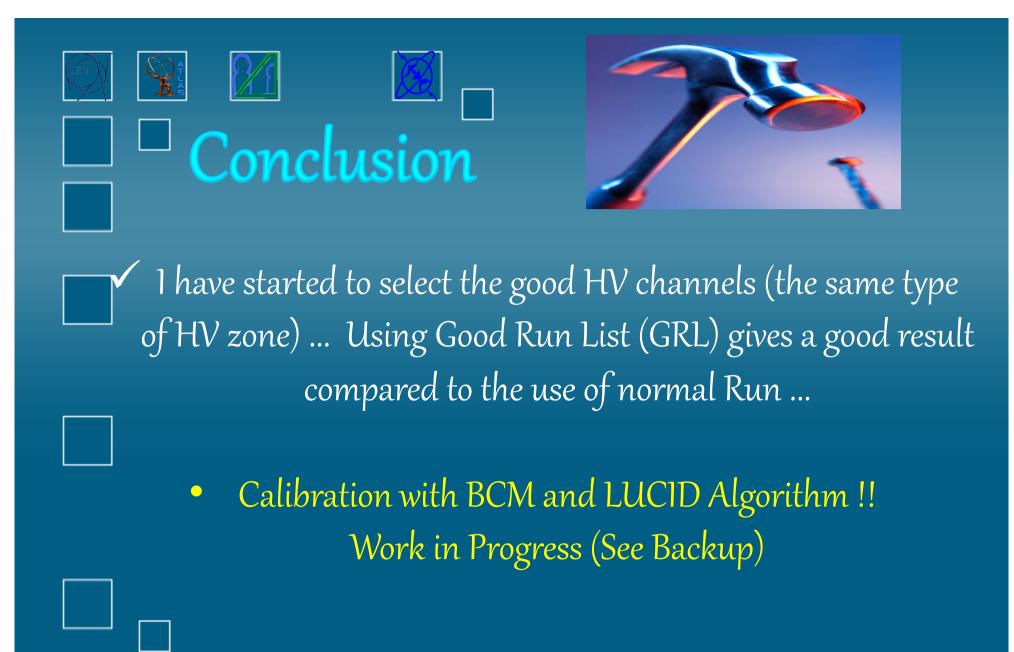
2800

2200

2000

2400

300 3000 3200 3400 3



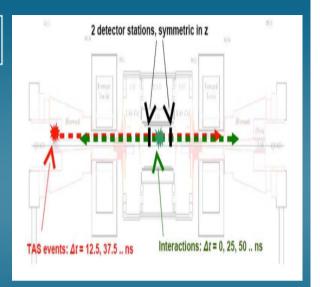
# Backup







« Beam Condition Monitor (BCM) » is designed to detect such incidents and trigger an abort before they happen.
It consists of two stations (forward and backward) of detectors each with four modules



By matching their rate measurements with the BCID, the LUCID and BCM detectors are able to provide a bunch-by-bunch luminosity determination.

Algorithm name	Description
LUCID Event_OR	A/C inclusive OR
LUCID Event_AND	A/C coincidence
LUCID Event_A	A exclusive OR
LUCID Event_C	C exclusive OR
BCM Event_OR	A/C inclusive OR , horizontal sensors
BCM Event_AND	A/C coincidence , horizontal sensors
BCM Event_OR_V	A/C inclusive OR , vertical sensors
BCM Event_AND_V	A/C coincidence , vertical sensors

During the 2010 and 2011 data-taking periods, the ATLAS luminosity algorithms were calibrated using dedicated:

### van der Meer

http://www-f9.ijs.si/~margan/Atlas/BCM/jinst8 02 p02004.pdf











### □ Van Der Meer calibration (1)

« Van Der Meer » The principle is to measure simultaneously the luminosity, beam currents, and collision rates

$$\longrightarrow$$
 The luminosity:

$$\mathcal{L} = \frac{\mu n_b f_r}{\sigma_{inel}}$$

 $\mu$  et  $\sigma_{inel}$  are not a directly measurable quantity



$$\frac{\mu}{\sigma_{inel}} = \frac{\mu_{vis}}{\varepsilon \sigma_{inel}} = \frac{\mu_{vis}}{\sigma_{vis}}$$

Their Ratio:  $\frac{\mu}{\sigma_{inel}} = \frac{\mu_{vis}}{\varepsilon \sigma_{inel}} = \frac{\mu_{vis}}{\sigma_{vis}}$  With  $\mu_{vis}$  is the observed number of collisions per bunch crossing

 $\diamondsuit$  So, The luminosity:

$$\mathcal{L} = \frac{\mu_{vis} n_b f_r}{\sigma_{vis}}$$

$$\mathcal{L} = \frac{n_b n_1 n_2}{2\pi \Sigma_x \Sigma_y}$$

 $\mathcal{L} = \frac{n_b n_1 n_2}{2\pi \Sigma_x \Sigma_y} \longrightarrow \frac{\text{Another expression of luminosity using the}}{}$ machine parameters

$$^{
m l}$$

$$\mu_{vis}^{MAX} = \frac{\mathcal{L}_{MAX}\sigma_{vis}}{n_b f_r} = \frac{n_1 n_2 \sigma_{vis}}{2\pi \Sigma_x \Sigma_y}$$



$$\sigma_{vis} = \mu_{vis}^{MAX} \frac{2\pi \Sigma_x \Sigma_y}{n_1 n_2}$$

So The peak rate (see Slide 14) µMax can then be compared to the measured luminosity and the visible cross-section



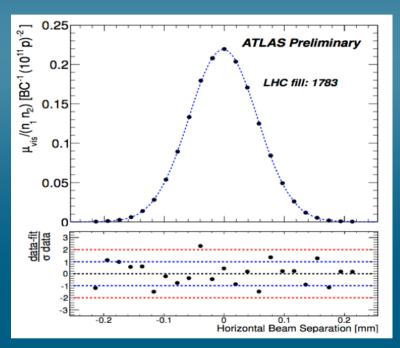












The Remaining calculations is to convert the rate of visible events into visible number of interactions and finally into instantaneous luminosity.

☐ With the BCM algorithm.: EventOR inclusive

(follows a Poisson distribution)

$$P_{EventOR} = \frac{N_{OR}}{N_{BC}} = 1 - \exp(-\mu \varepsilon^{OR}) = 1 - \exp(-\mu_{vis}^{OR})$$

#### The visible number of interactions:

$$\mu_{vis}^{OR} = \ln\left(1 - \frac{N_{OR}}{N_{BC}}\right)$$

