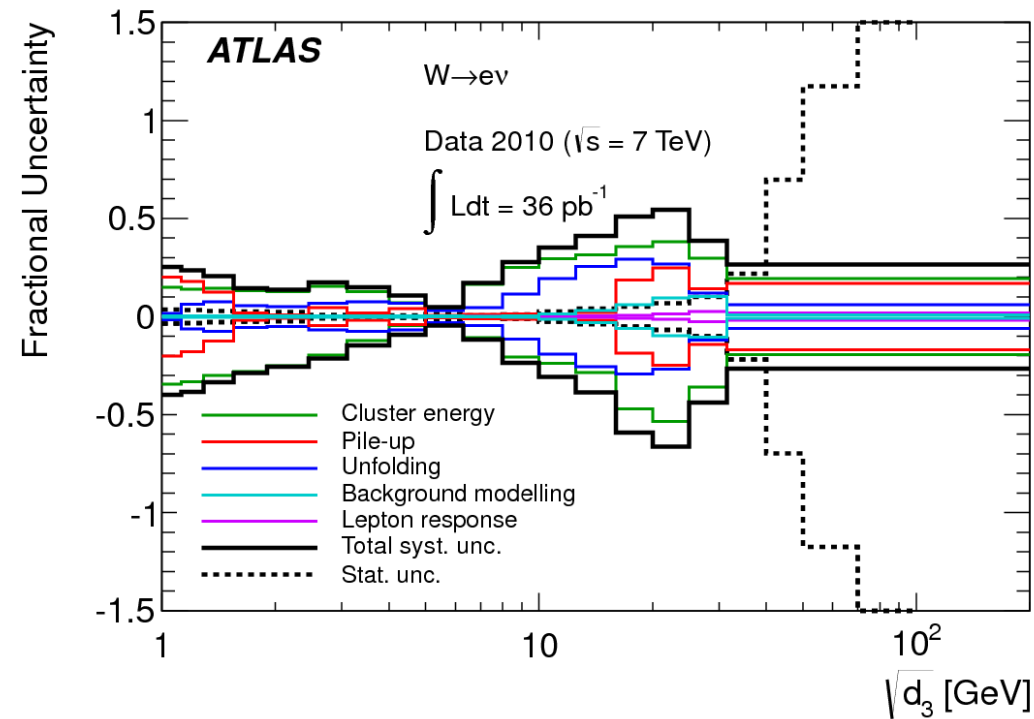
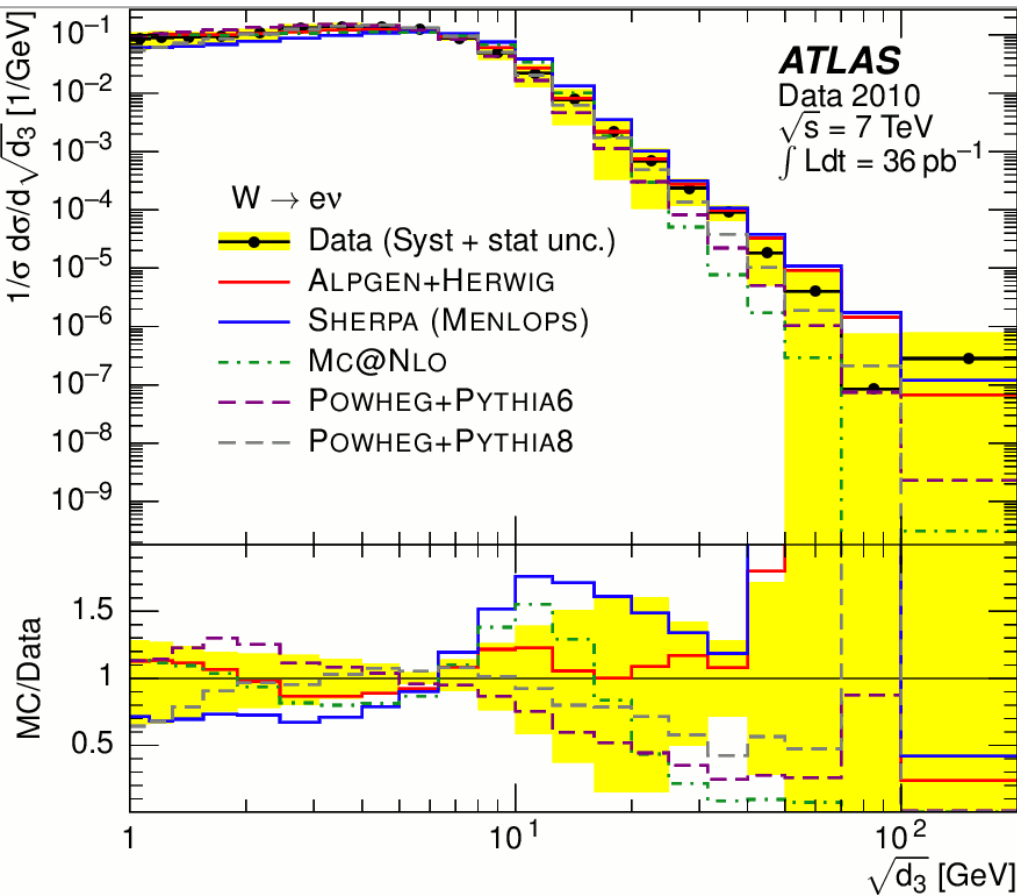


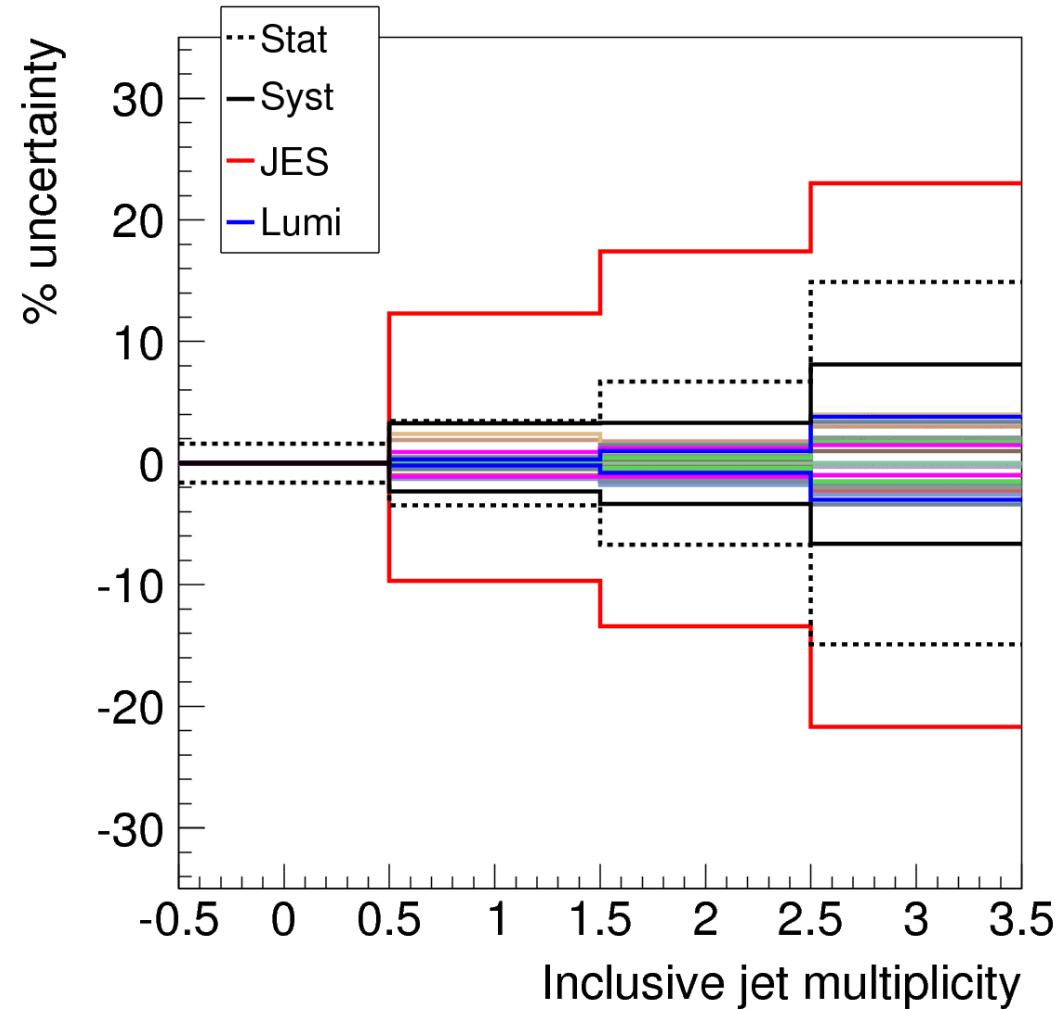
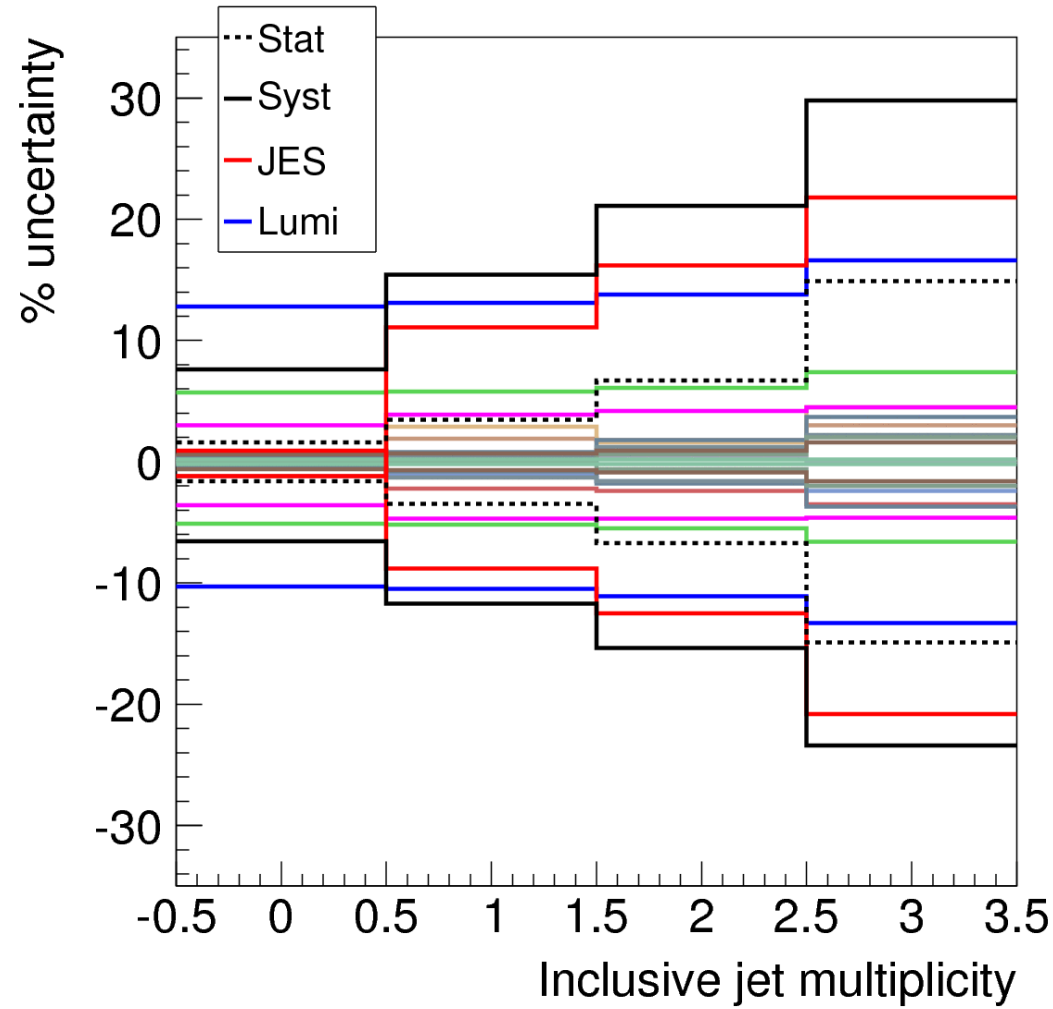
many analyses produce systematics-dominated results.

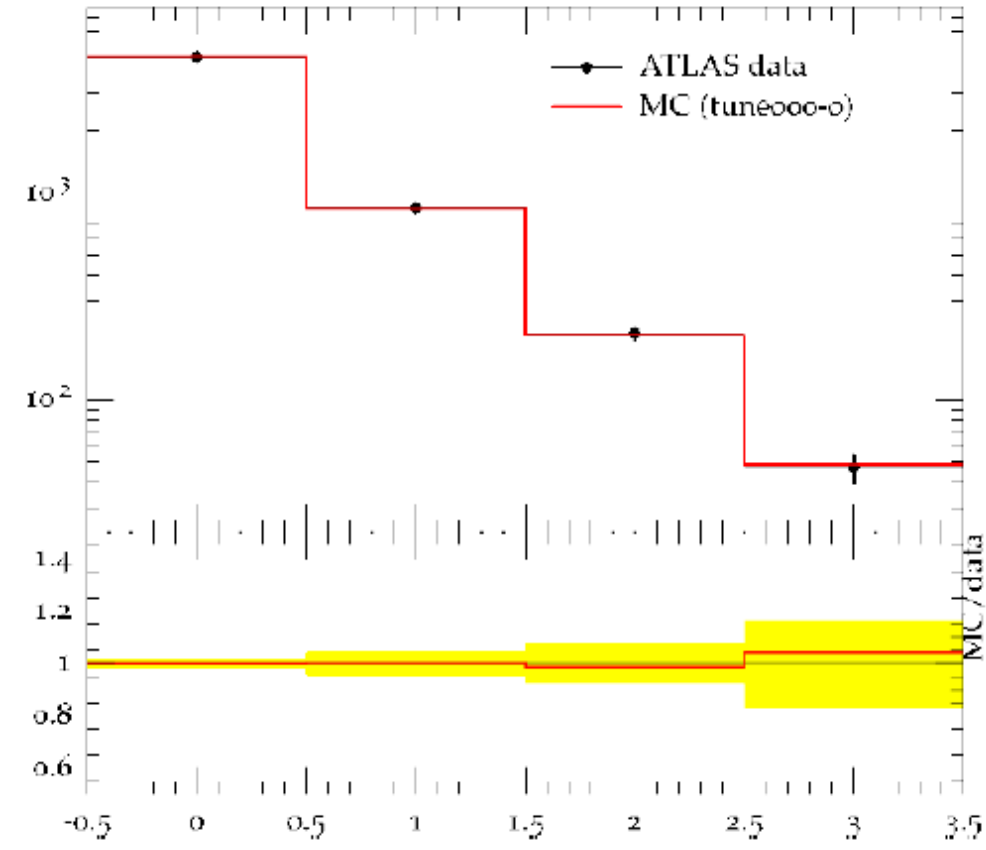
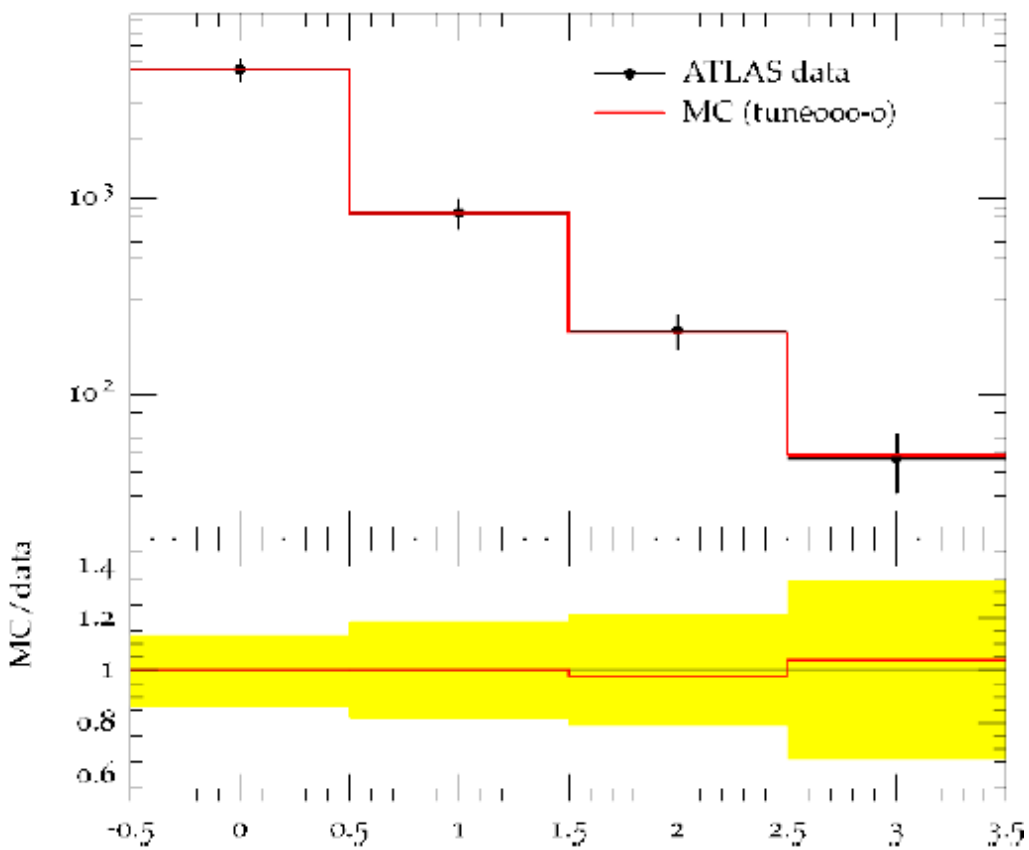
eg: Measurement of k_T splitting scales in $W \rightarrow \text{Inu}$ events at $\sqrt{s} = 7$ TeV with the ATLAS detector



it is incorrect to take the per bin uncertainties as uncorrelated!

An old example (24/3/11), looking at W+jet events





In the case of a single distribution, a covariance matrix is fine
But for many distributions, probably not:

- eg Z+jets: jet1 pT, jet 2pT, jet 1 y, jet 2 y, dR(j,j),.....
- many distributions with the same correlated uncertainty (JES)
- could build a giant covariance matrix (100's x 100's)
- or publish a list of uncertainty sources

TABLE VII: The measured cross section in bins of $\Delta\phi(Z, \text{jet})$ for $Z/\gamma^* + \text{jet} + X$ events with $p_T^Z > 25$ GeV, normalized to the measured Z/γ^* cross section.

$\Delta\phi$ (rad)	$\langle\Delta\phi\rangle$ (rad)	result (1/rad)	stat. unc. (%)	uncorr. unc. (%)	source 1 (%)	source 2 (%)	source 3 (%)	source 4 (%)	source 5 (%)	source 6 (%)	source 7 (%)	source 8 (%)	source 9 (%)	source 10 (%)										
0.0-1.5	1.09	0.000282	$\pm 12.$	± 4.0	16.	-20.	0.7	-0.7	-1.9	1.9	-1.0	1.0	8.0	-8.0	-3.2	1.3	-3.8	5.3	2.4	-2.4	-0.3	0.1	-4.4	6.3
1.5-2.2	1.95	0.00422	± 6.9	± 0.8	3.2	-4.2	0.7	-0.7	-1.0	1.0	-0.5	0.5	2.1	-2.1	-3.5	4.2	-4.4	3.4	1.3	-1.3	-0.8	-0.7	-3.7	2.9
2.2-2.5	2.38	0.0193	± 5.5	± 0.9	1.4	-1.6	0.5	-0.5	-0.6	0.6	-0.3	0.3	0.5	-0.5	-2.6	1.6	-3.7	3.3	0.1	-0.1	-0.3	-0.2	-2.8	2.4
2.5-2.7	2.61	0.0527	± 4.2	± 0.8	1.1	-1.4	0.5	-0.5	-0.3	0.3	-0.2	0.2	0.6	-0.6	-1.7	1.9	-2.4	2.3	-1.2	1.2	-0.1	-0.3	-2.9	2.8
2.7-2.9	2.81	0.113	± 2.8	± 0.6	0.8	-2.1	0.5	-0.5	-0.3	0.3	-0.1	0.1	0.8	-0.8	-1.2	1.1	-1.7	1.8	-0.9	0.8	0.1	0.2	-1.7	2.1
2.9-3.2	3.04	0.332	± 1.7	± 0.4	-0.3	0.3	0.2	-0.2	-0.5	0.5	0.0	-0.0	-0.4	0.4	2.2	-1.8	-1.0	1.2	-1.1	1.1	0.2	0.0	-1.3	1.3

TABLE VIII: The measured cross section in bins of $|\Delta y(Z, \text{jet})|$ for $Z/\gamma^* + \text{jet} + X$ events with $p_T^Z > 25$ GeV, normalized to the measured Z/γ^* cross section.

$ \Delta y $	$\langle \Delta y \rangle$	result	stat. unc. (%)	uncorr. unc. (%)	source 1 (%)	source 2 (%)	source 3 (%)	source 4 (%)	source 5 (%)	source 6 (%)	source 7 (%)	source 8 (%)	source 9 (%)	source 10 (%)										
0.00-0.40	0.21	0.0791	± 2.6	± 0.6	0.5	-0.5	0.3	-0.3	-0.4	0.4	-0.1	0.1	0.1	-0.1	0.8	-0.3	-1.6	1.8	-1.1	1.1	0.3	0.2	-1.4	1.6
0.40-0.80	0.61	0.0679	± 2.8	± 0.6	0.1	-0.1	0.3	-0.3	-0.4	0.4	-0.1	0.1	-0.6	0.6	0.4	-0.4	-1.5	1.6	-0.9	0.9	-0.3	-0.2	-1.6	1.5
0.80-1.20	1.02	0.0568	± 3.0	± 0.7	-0.1	0.1	0.4	-0.4	-0.4	0.4	-0.1	0.1	-0.0	0.0	0.5	-0.5	-1.4	1.6	-1.1	1.1	0.1	0.1	-1.5	1.6
1.20-1.55	1.37	0.0452	± 3.6	± 0.9	-0.2	0.2	0.2	-0.2	-0.4	0.4	-0.1	0.1	0.1	-0.1	0.3	-0.8	-1.6	1.4	-0.3	0.3	-0.1	-0.6	-1.8	1.6
1.55-2.05	1.78	0.0274	± 3.8	± 0.9	-0.4	0.4	-0.2	0.2	-0.4	0.4	-0.1	0.1	1.1	-1.1	1.1	-0.1	-1.3	1.8	-1.2	1.2	0.4	0.4	-1.8	2.5
2.05-4.50	2.89	0.00480	± 4.0	± 1.1	-0.6	0.6	-1.1	1.1	-0.5	0.5	-0.1	0.1	1.3	-1.3	-0.1	-0.8	-2.0	1.5	-0.5	0.5	-0.0	-0.1	-3.0	2.6

So, can a YODA histogram come with a list of systematic errors per bin?
- do we even need this, or will PROFESSOR use a different format?

the same probably holds for madgraph

Breaks down a process into slices based on number of final state partons

eg $Z+0lp$, $Z+1lp$, $Z+2lp$, $Z+ \geq 3lp$

- these must be combined to obtain a full sample
- combine by normalising each slice to the same lumi, then adding.

Generating each slice involves running three steps:

1) generate weighed events

2) from this, produce some unweighted events (parton level 4-vectors)

- produces N events, with a cross section X
- corresponding to a luminosity L

3) run these 4-vectors through pythia/herwig/...

- this is the AGILE step
- the MLM matching is applied here
 - changes the cross section and the number of events
 - the luminosity is constant
- the final cross section & number of events per slice is only known **after** this step.

So, how to implement this in RIVET?

My hack job:

1) Any normalisation must be turned off:

- eg $1/\sigma \quad d\sigma / dX$



this is only known after combining all slices

2) read in the luminosity from step 2, normalise all plots to $1/L$

3) run over **all** the events produced in step 2

- note you can't specify the number in advance, due to MLM

- specify a large number, or N, even though this many will not be processed.

4) use a custom script to add all the resulting plots from the various slices

- and then calculate eg $1/\sigma \quad d\sigma / dX$