



## $B \rightarrow hh$ status

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on behalf of the LHCb collaboration

Implications of LHCb measurements and future  
prospects workshop  
16 October 2013



## Motivation

### Why do we want to study these decays?

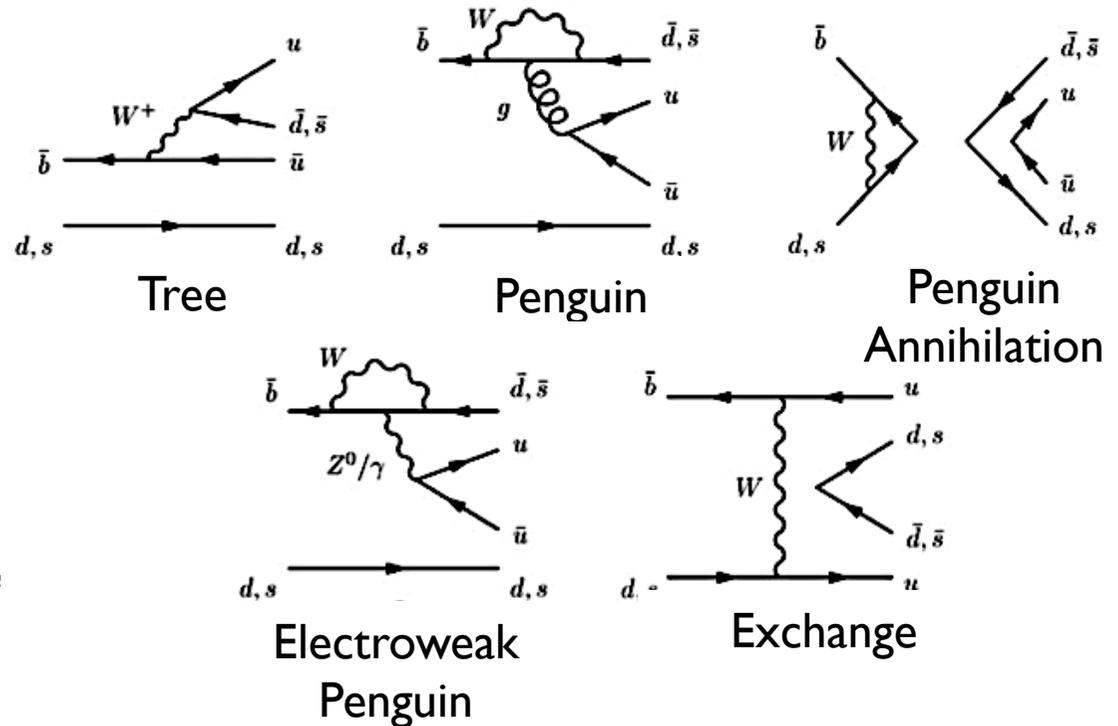
Sensitive to New physics contributions  
 Loop level determination of weak phase  $\gamma$   
 and mixing phases  $\phi_s, \phi_d$ .  
 Test U-spin symmetry.  
 Contribution to  $A_{CP} K \pi$ -puzzle.

### What channels can we use?

$B_d \rightarrow K \pi^*$ ,  $B_d \rightarrow \pi \pi^*$ ,  $B_d \rightarrow KK$ ,  $B_d \rightarrow pK$ ,  
 $B_s \rightarrow \pi K^*$ ,  $B_s \rightarrow \pi \pi$ ,  $B_s \rightarrow KK^*$ ,  
 $B_s \rightarrow pK$ ,  $\Lambda_b \rightarrow p \pi$ ,  $\Lambda_b \rightarrow pK$  etc.

### What information can we get?

Branching Ratios\*  
 Time-integrated  $CP$  asymmetries ( $A_{CP}$ )\*  
 Time-dependent  $CP$  asymmetries ( $A(t)$ )\*  
 Effective lifetime  
 Triple decay asymmetries and polarization amplitudes



$$A_{CP} = \frac{\Gamma_{\bar{B} \rightarrow \bar{f}} - \Gamma_{B \rightarrow f}}{\Gamma_{\bar{B} \rightarrow \bar{f}} + \Gamma_{B \rightarrow f}}$$

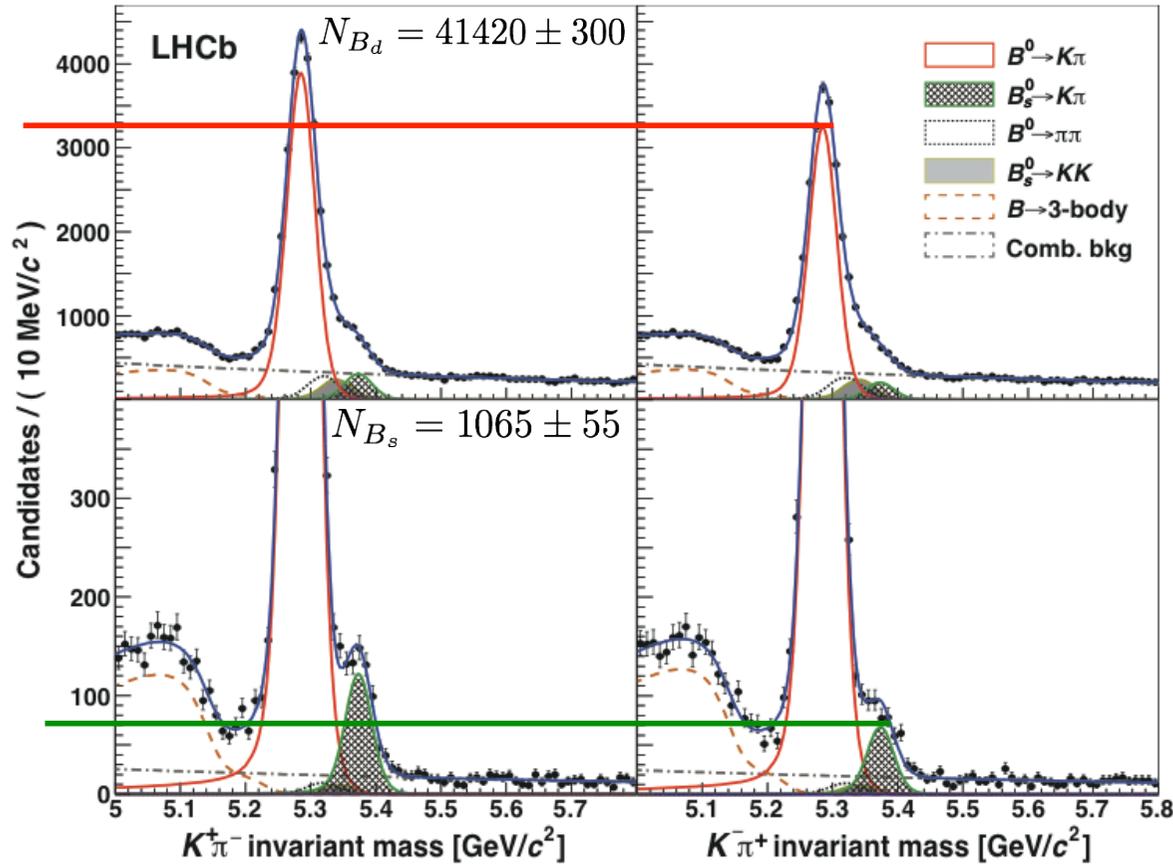
$$A(t) = \frac{\Gamma_{\bar{B} \rightarrow \bar{f}}(t) - \Gamma_{B \rightarrow f}(t)}{\Gamma_{\bar{B} \rightarrow \bar{f}}(t) + \Gamma_{B \rightarrow f}(t)}$$

$$\mathcal{L} = 1 \text{ fb}^{-1}$$

$B_d \rightarrow K \pi, B_s \rightarrow \pi K$  Time-integrated  $CP$  asymmetries

[Phys. Rev. Lett. 110 \(2013\) 221601](#)

# Raw Asymmetries



**Event selection** is cut –based and tuned to have better sensitivities for the  $CP$  violation variables. Exclusive event samples selected under  $\pi\pi, K\pi, KK, pK, p\pi$  daughter mass hypothesis.

**PID calibration** is performed on data using  $D^* \rightarrow D0(K\pi)\pi$  and  $\Lambda_b \rightarrow p\pi$  decays.

**Maximum Likelihood fit** is performed simultaneously to all the samples (additional samples are fixing the cross-feed backgrounds contributions under the signal peaks). The measured observable is

$$A_{\text{raw}} = \frac{N_{K^-\pi^+} - N_{K^+\pi^-}}{N_{K^-\pi^+} + N_{K^+\pi^-}}$$

$$A_{\text{raw}}(B^0 \rightarrow K^+\pi^-) = -0.091 \pm 0.006$$

$$A_{\text{raw}}(B_s^0 \rightarrow K^-\pi^+) = 0.28 \pm 0.04$$

The extracted asymmetries are, in fact, “raw” asymmetries (depend on the  $B$  production asymmetries and detection asymmetries).

# Corrections

We correct raw results using the following formula:

$$A_{CP} = A^{\text{raw}} - A_{\Delta}$$

$$A_{\Delta} = \zeta A_D - \kappa A_P$$

**Detection asymmetry part:** estimated from the tagged and untagged decays of  $D \rightarrow hh$ ,  $\zeta = +1$  for  $B_d$  and  $\zeta = -1$  for  $B_s$ .

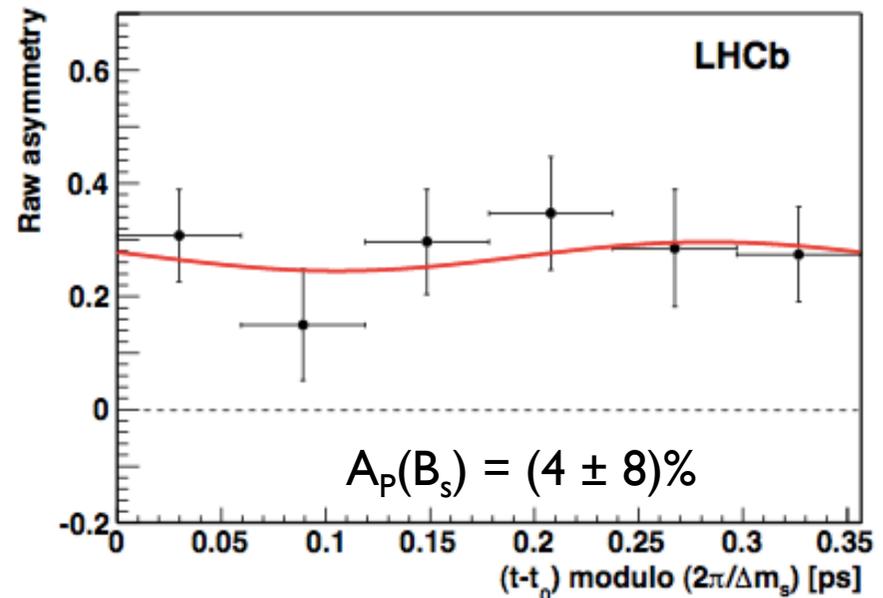
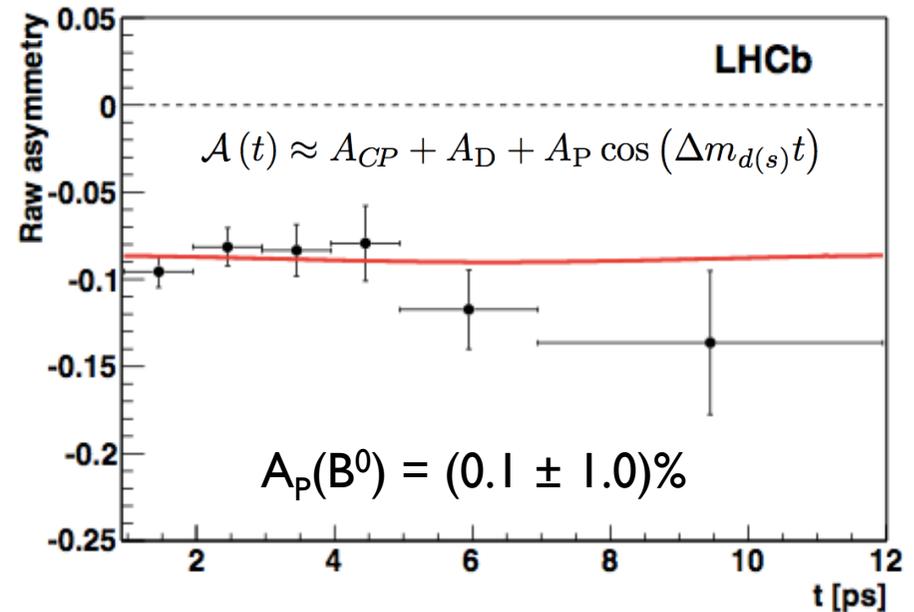
$$A_D(B_d \rightarrow K\pi) = (-1.15 \pm 0.23)\%$$

$$A_D(B_s \rightarrow K\pi) = (-1.22 \pm 0.21)\%$$

**Production asymmetry part:** determined from fits to untagged decay time spectra,  $\kappa$  takes mixing into account.

$$A_{\Delta}(B_d) = (-1.12 \pm 0.23 \pm 0.30)\%$$

$$A_{\Delta}(B_s) = (1.09 \pm 0.21 \pm 0.26)\%$$



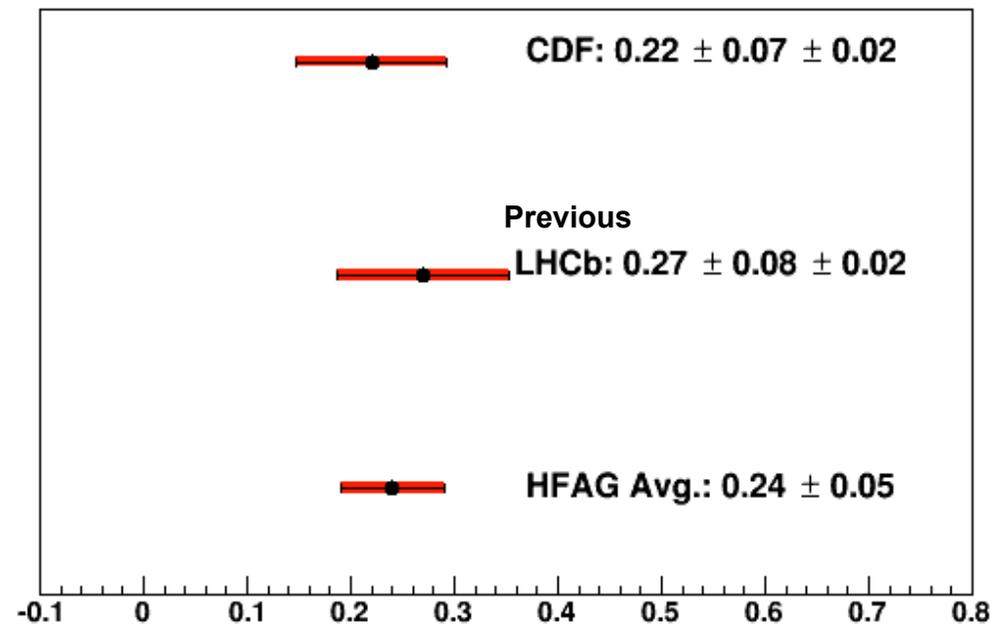
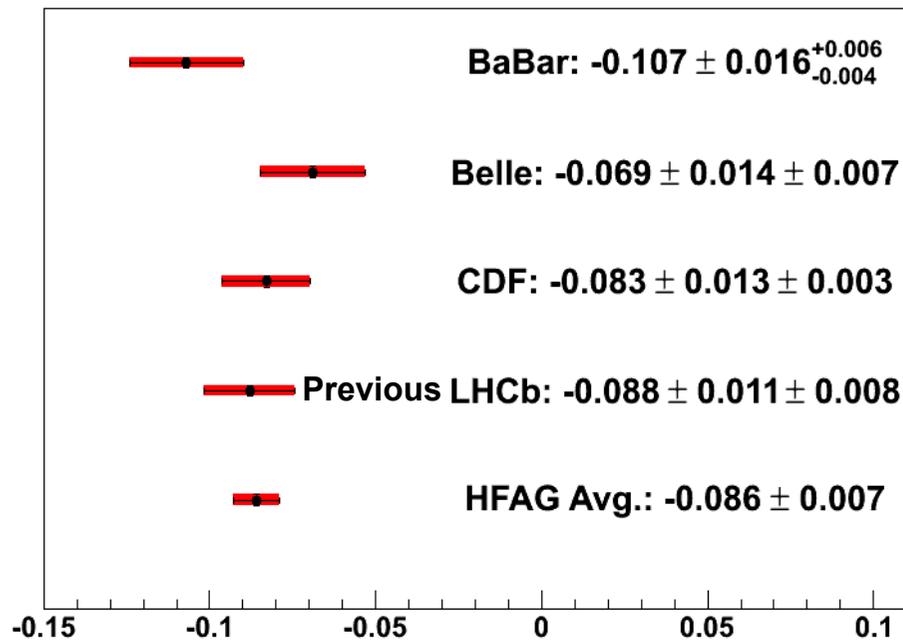
## Results

Most precise to date ( $10.5 \sigma$  significance):

$$A_{CP}(B^0 \rightarrow K^+ \pi^-) = -0.080 \pm 0.007 \text{ (stat)} \pm 0.003 \text{ (syst)}$$

First observation of CP violation in  $B_s$  ( $6.5 \sigma$  significance):

$$A_{CP}(B_s^0 \rightarrow K^- \pi^+) = 0.27 \pm 0.04 \text{ (stat)} \pm 0.01 \text{ (syst)}.$$



$\mathcal{L} = 1 \text{ fb}^{-1}$  (2011)  
 $2 \text{ fb}^{-1}$  (2012)

## $B \rightarrow K_s h$ Time-integrated $CP$ asymmetries

## Raw Asymmetries

**Event selection** is Boosted-Decision Tree based and tuned to have better sensitivities for the  $CP$  violation variables in each channel.

**PID calibration** is performed on data using  $D^* \rightarrow D0(K\pi)\pi$  decays.

**Selection efficiencies** from Monte Carlo

**Correction of raw asymmetries:**  
Production and detection asymmetry: taken from  $B^+ \rightarrow J/\psi K^+$  decays.

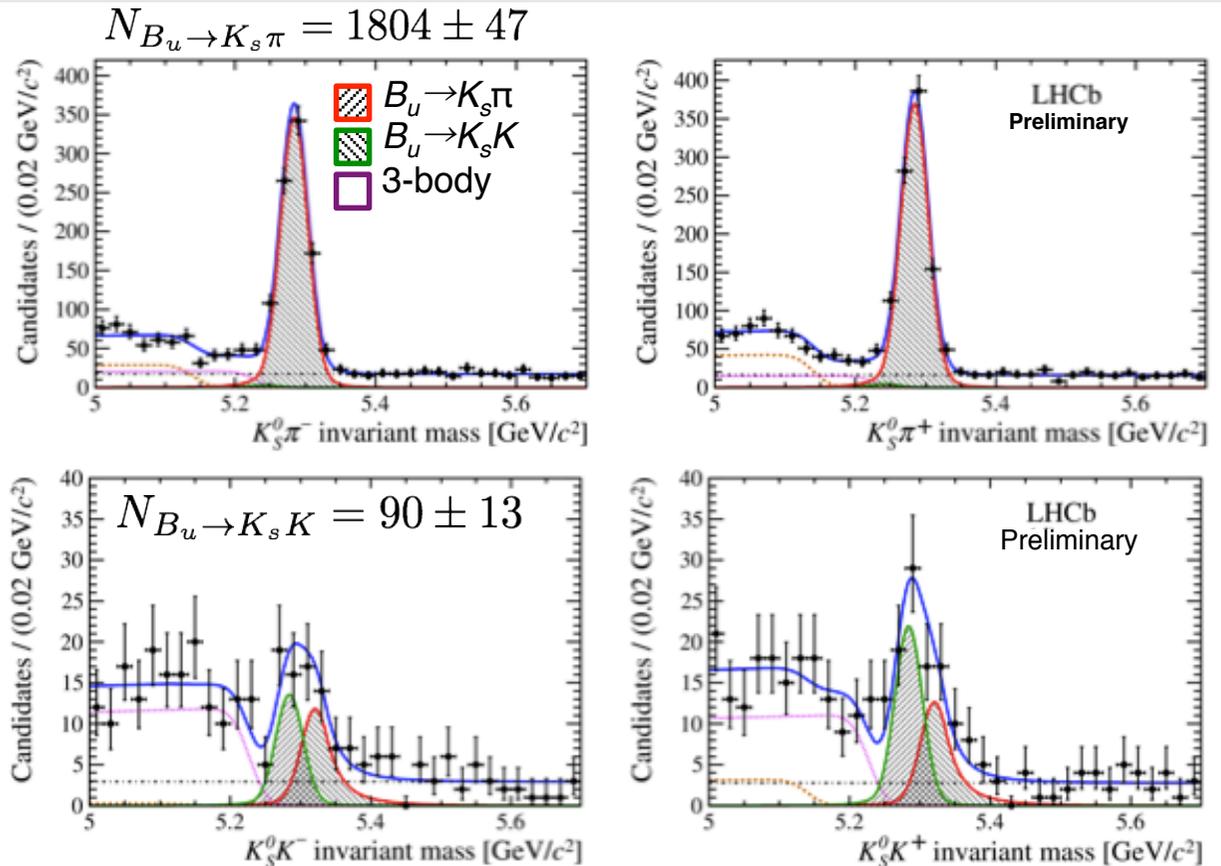
**$K_S$  related:**

- $CP$  violation in  $K_S$
- $K_S$  regeneration from  $K_L$  interaction with the detector

We obtain

$$A_{\text{raw}}(B^+ \rightarrow K_S \pi^+) = -0.032 \pm 0.025$$

$$A_{\text{raw}}(B^+ \rightarrow K_S K^+) = -0.23 \pm 0.14$$



## Branching Fractions and results

Full results of the study are

$$\frac{\mathcal{B}(B^+ \rightarrow K_s^0 K^+)}{\mathcal{B}(B^+ \rightarrow K_s^0 \pi^+)} = 0.064 \pm 0.009 \text{ (stat.)} \pm 0.004 \text{ (syst.)},$$

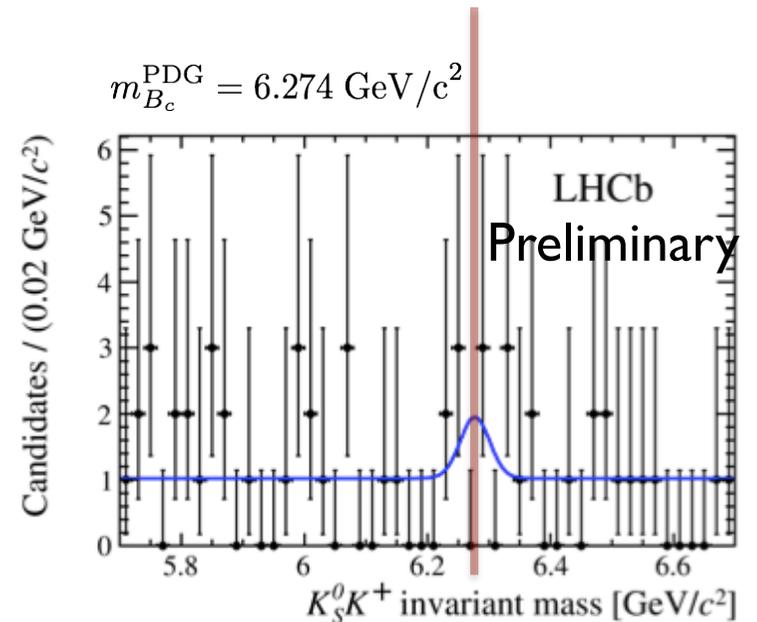
$$\mathcal{A}^{CP}(B^+ \rightarrow K_s^0 \pi^+) = -0.022 \pm 0.025 \text{ (stat.)} \pm 0.010 \text{ (syst.)},$$

$$\mathcal{A}^{CP}(B^+ \rightarrow K_s^0 K^+) = -0.21 \pm 0.14 \text{ (stat.)} \pm 0.01 \text{ (syst.)}.$$

	BaBar, $10^{-2}$	Belle, $10^{-2}$
$\mathcal{A}^{CP}(B^+ \rightarrow K_s \pi)$	$-2.9 \pm 3.9 \pm 1.0$	$-1.1 \pm 2.1 \pm 0.6$
$\mathcal{A}^{CP}(B^+ \rightarrow K_s K)$	$10 \pm 26 \pm 3$	$1.4 \pm 16.8 \pm 0.2$

We also search for the  $B_c \rightarrow K_s K$  decays (using  $1 \text{ fb}^{-1}$ ) with retuned BDT selection. We find 2.8 signal events. Feldman-Cousin's method has been used to estimate confidence intervals.

$$\frac{f_c}{f_u} \cdot \frac{\mathcal{B}(B_c^+ \rightarrow K_s^0 K^+)}{\mathcal{B}(B^+ \rightarrow K_s^0 \pi^+)} < 5.8 \times 10^{-2}$$



$$\mathcal{L} = 1 \text{ fb}^{-1}$$

$B_d \rightarrow \pi \pi$ ,  $B_s \rightarrow KK$  Time-dependent  $CP$  asymmetries

Preliminary  
LHCB-PAPER-2013-040  
arXiv:1308.1428

## Formalism for time-dependence and tagging

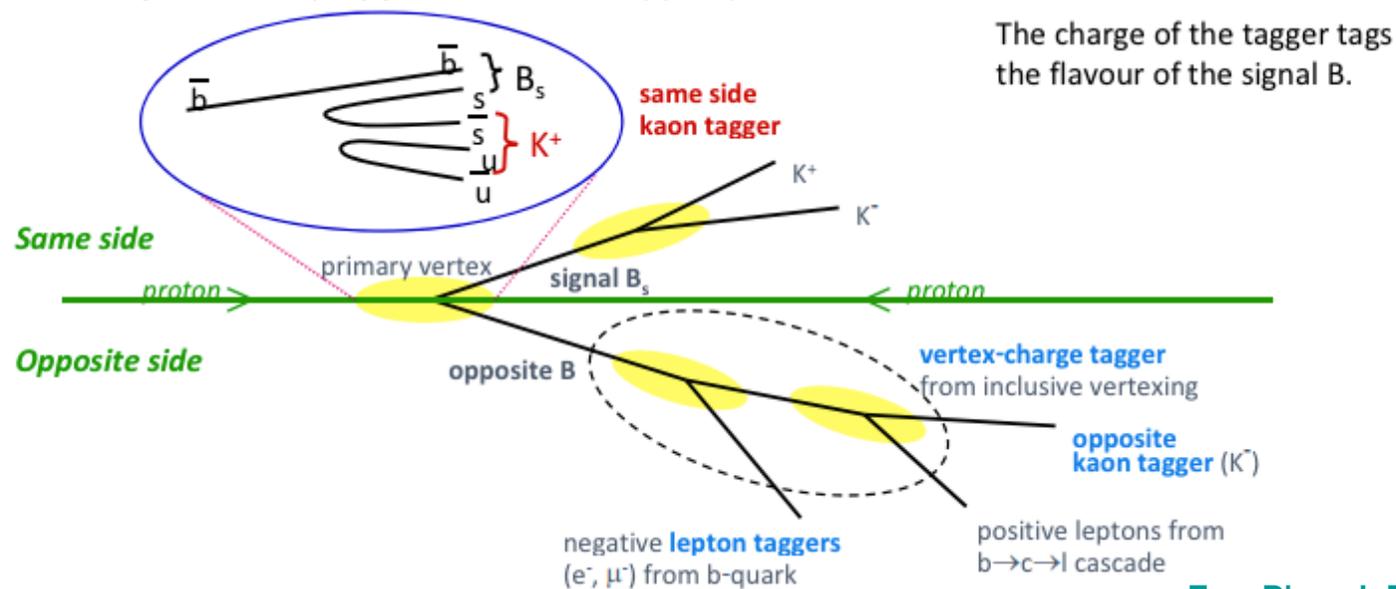
CP asymmetry as a function of time for neutral  $B$  mesons decaying to a CP eigenstate  $f$  is given by

$$\mathcal{A}(t) = \frac{\Gamma_{\bar{B}_{(s)}^0 \rightarrow f}(t) - \Gamma_{B_{(s)}^0 \rightarrow f}(t)}{\Gamma_{\bar{B}_{(s)}^0 \rightarrow f}(t) + \Gamma_{B_{(s)}^0 \rightarrow f}(t)} = \frac{-C_f \cos(\Delta m_{d(s)} t) + S_f \sin(\Delta m_{d(s)} t)}{\cosh\left(\frac{\Delta\Gamma_{d(s)} t}{2}\right) - A_f^{\Delta\Gamma} \sinh\left(\frac{\Delta\Gamma_{d(s)} t}{2}\right)}$$

with  $\Delta m_{d(s)} = m_{d(s),H} - m_{d(s),L}$  and  $\Delta\Gamma_{d(s)} = \Gamma_{d(s),L} - \Gamma_{d(s),H}$  mass and width difference of mass eigenstates

To obtain  $C_f$  and  $S_f$  we need to tag initial flavour of  $B$  meson.

In this analysis, we exploit the decay products of the other  $b$  hadron: lepton ( $e$  or  $\mu$ ); kaon; overall charge of secondary vertex (“opposite side” taggers).

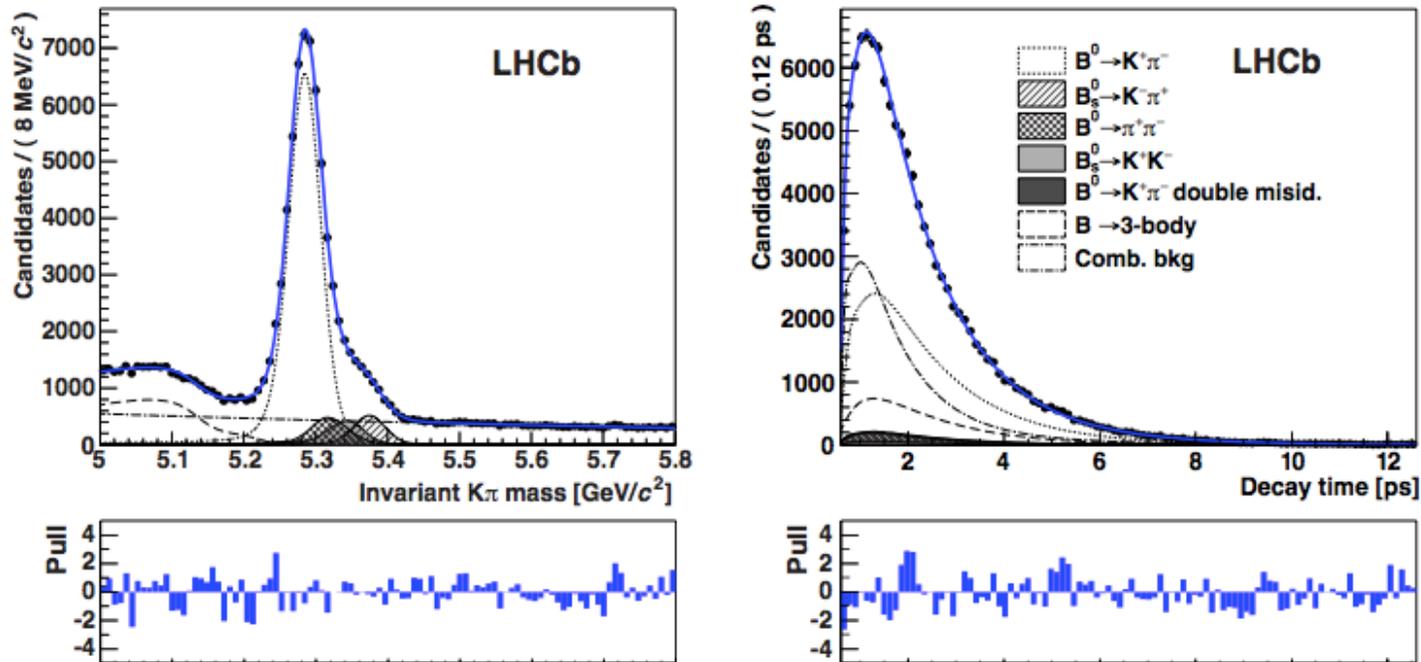


[Eur. Phys. J. 72 \(2012\), 2022.](#)

Tagging performance: mistag rate,  $\omega_{\text{mistag}}$ , tagging efficiency,  $\varepsilon_{\text{tag}}$ .  
Neural Network determines  $\omega_{\text{mistag}}$ , which is then calibrated on the data sample

## Tagging and Decay time studies

Samples divided into categories of predicted mistag. Simultaneous invariant mass and decay fit with  $B \rightarrow K\pi$  decays to calibrate the neural network performance.



Calibration of flavour tagging response:  $\varepsilon = (2.45 \pm 0.25)\%$

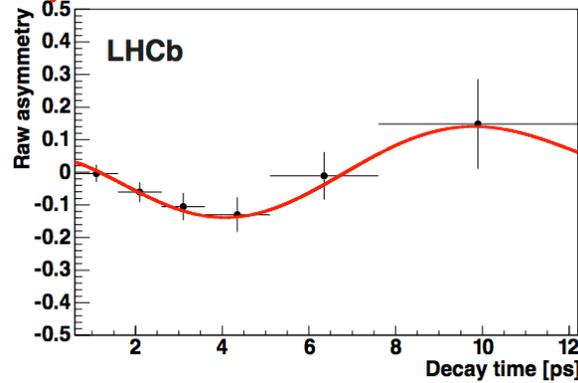
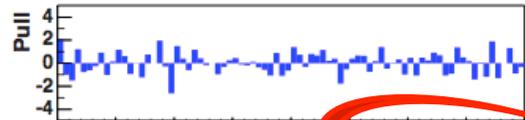
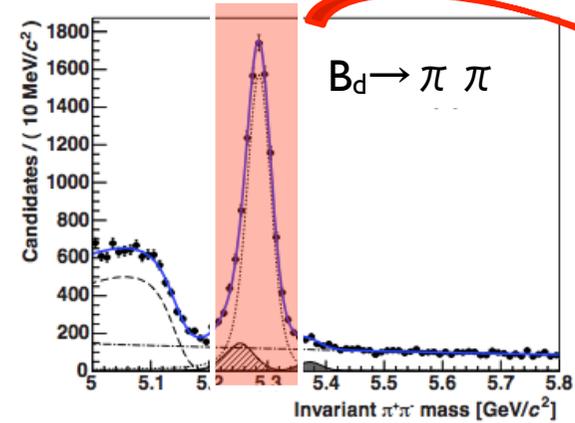
We also obtain production asymmetry  $A_p(B^0) = (0.6 \pm 0.9)\%$  and  $A_p(B_s^0) = (7 \pm 5)\%$

For  $B_s \rightarrow KK$  study, the decay time resolution plays important role (as it is comparable to oscillation period). We estimate this quantity using  $Y(nS)$ ,  $J/\psi$ , and  $\psi(2S) \rightarrow \mu\mu$  data and Monte Carlo samples:  $\sigma_t = 50 \pm 5$  fs

# Time-Dependent Results

We perform a 2D Maximum Likelihood fit to mass and time.

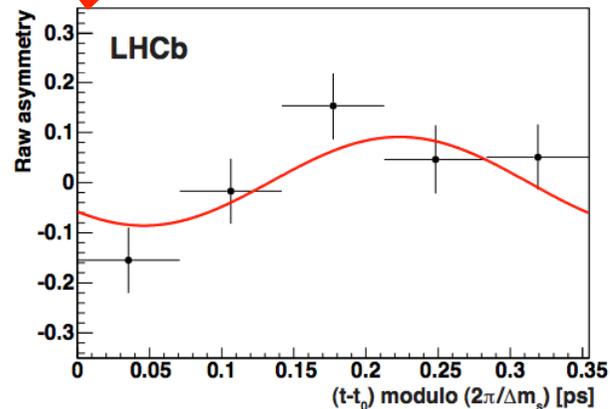
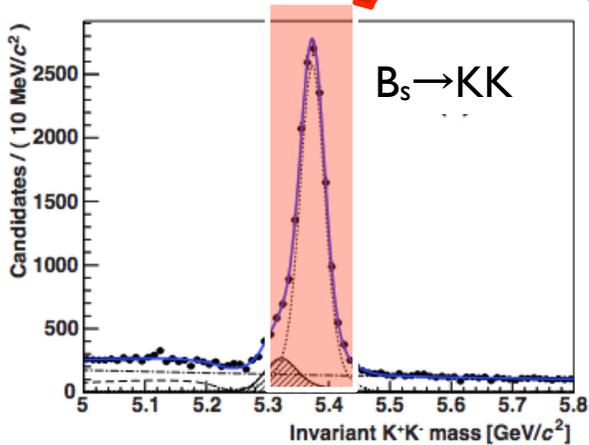
Tagging parameters and production asymmetry are propagated from  $K\pi$  fit using gaussian priors



$$C_{\pi\pi} = -0.38 \pm 0.15 \pm 0.02,$$

$$S_{\pi\pi} = -0.71 \pm 0.13 \pm 0.02,$$

$$\rho(C_{\pi\pi}, S_{\pi\pi}) = 0.38$$

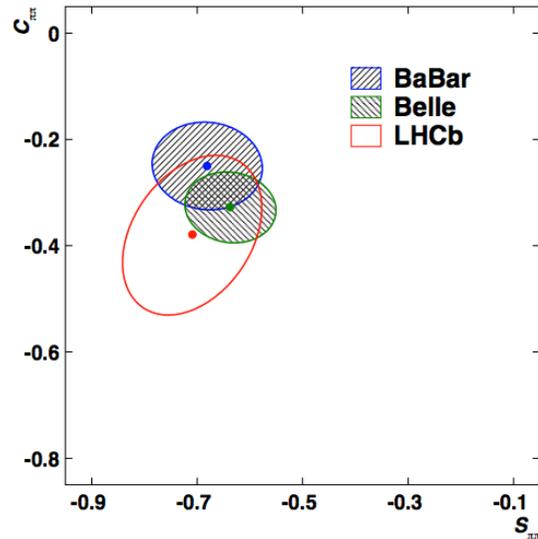


$$C_{KK} = 0.14 \pm 0.11 \pm 0.03,$$

$$S_{KK} = 0.30 \pm 0.12 \pm 0.04,$$

$$\rho(C_{KK}, S_{KK}) = 0.02$$

## U-spin tests and previous results



Our results are in agreement with previous studies by BaBar and Belle in  $B_d \rightarrow \pi \pi$

Experiment	$C_{\pi\pi}$	$S_{\pi\pi}$	$\rho(C_{\pi\pi}, S_{\pi\pi})$
BaBar	$-0.25 \pm 0.08 \pm 0.02$	$-0.68 \pm 0.10 \pm 0.03$	$-0.06$
Belle	$-0.33 \pm 0.06 \pm 0.03$	$-0.64 \pm 0.08 \pm 0.03$	$-0.10$

$B_s \rightarrow KK$  is the first time measurement.

Taking into account U-spin symmetry we are able to obtain CKM angle  $\gamma$  using our experimental results (see talk by Paolo Gandini). Some other useful relations can be tested using also the time-integrated analysis.

In case of **exact** U-spin symmetry: 
$$\Delta = \frac{A_{CP}(B^0 \rightarrow K^+ \pi^-)}{A_{CP}(B_s^0 \rightarrow K^- \pi^+)} + \frac{\mathcal{B}(B_s^0 \rightarrow K^- \pi^+) \tau_d}{\mathcal{B}(B^0 \rightarrow K^+ \pi^-) \tau_s} = 0$$

Using LHCb results for branching ratios [[JHEP 10 \(2012\) 037](#)]: 
$$\Delta = -0.02 \pm 0.05 \pm 0.04$$

Moreover, time-integrated and time-dependent results are related:

$$C(B_d \rightarrow \pi \pi) = -0.38 \pm 0.15 \pm 0.02 \sim -A_{CP}(B_s \rightarrow \pi K) = -0.27 \pm 0.04 \pm 0.01$$

$$C(B_s \rightarrow KK) = 0.14 \pm 0.11 \pm 0.03 \sim -A_{CP}(B_d \rightarrow K \pi) = 0.080 \pm 0.007 \pm 0.003$$

Evidence of baryonic decays  $B \rightarrow p\bar{p}$

## Analysis results

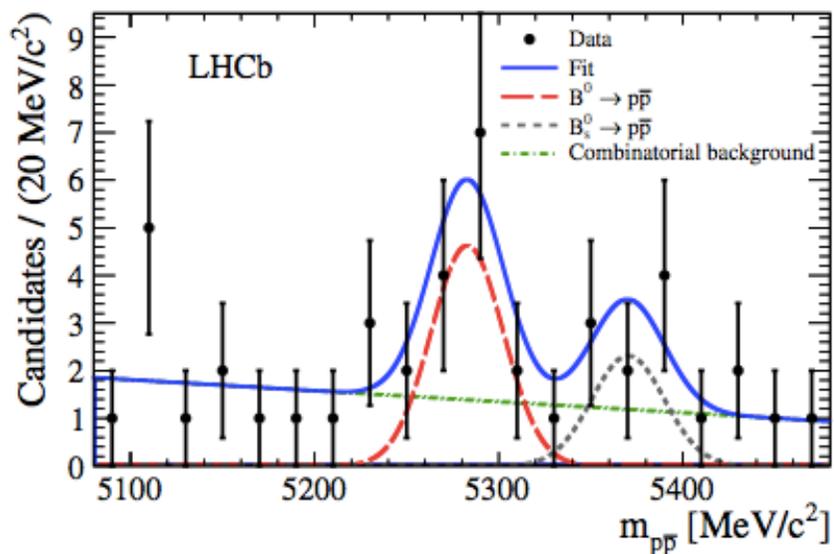
The decay has never been observed before.

All theory predictions point to branching fraction  $\sim 10^{-7}$ .

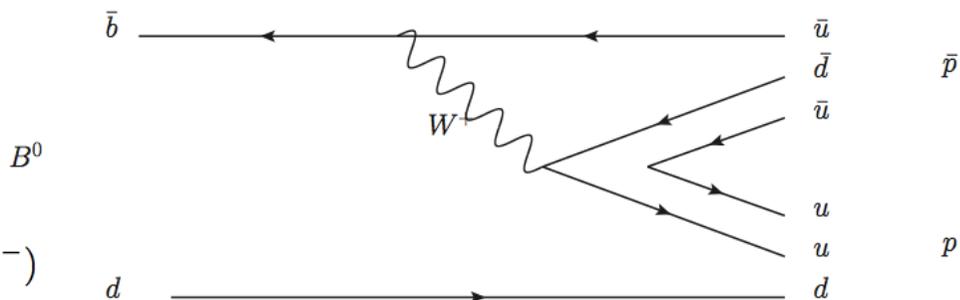
We measure the ratio of decays of interest to  $B \rightarrow K\pi$

$$\mathcal{B}(B^0 \rightarrow p\bar{p}) = \frac{N(B^0 \rightarrow p\bar{p})}{N(B^0 \rightarrow K^+\pi^-)} \cdot \frac{\epsilon_{B^0 \rightarrow K^+\pi^-}}{\epsilon_{B^0 \rightarrow p\bar{p}}} \cdot \mathcal{B}(B^0 \rightarrow K^+\pi^-)$$

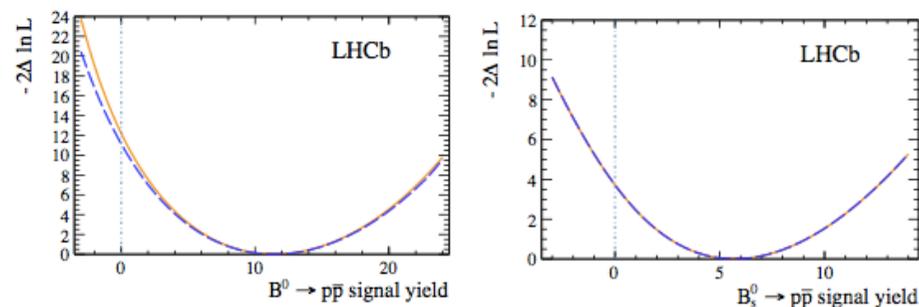
Efficiency is taken from simulated events, other quantities are measured by LHCb



First evidence of  $B_d \rightarrow p\bar{p}$



### Likelihood scans



### Using Feldman-Cousins approach

$$\mathcal{B}(B^0 \rightarrow p\bar{p}) = (1.47^{+0.62}_{-0.51} \text{ } ^{+0.35}_{-0.14}) \times 10^{-8} \quad \text{at } 68.3\% \text{ CL}$$

$$\mathcal{B}(B^0 \rightarrow p\bar{p}) = (1.47^{+1.09}_{-0.81} \text{ } ^{+0.69}_{-0.18}) \times 10^{-8} \quad \text{at } 90\% \text{ CL}$$

$$\mathcal{B}(B_s^0 \rightarrow p\bar{p}) = (2.84^{+2.03}_{-1.68} \text{ } ^{+0.85}_{-0.18}) \times 10^{-8} \quad \text{at } 68.3\% \text{ CL}$$

$$\mathcal{B}(B_s^0 \rightarrow p\bar{p}) = (2.84^{+3.57}_{-2.12} \text{ } ^{+2.00}_{-0.21}) \times 10^{-8} \quad \text{at } 90\% \text{ CL}$$

## Summary

LHCb have provided several results in the field:

Time integrated  $B \rightarrow K \pi$ :

- $B_d \rightarrow K \pi$ : world's best ( $10 \sigma$ ) significance of the direct  $CP$  asymmetry.
- $B_s \rightarrow \pi K$ : first observation of direct  $CP$  asymmetry ( $6 \sigma$ ).
- $B_u \rightarrow K_s h$ : world leading measurement

Time dependent  $B \rightarrow \pi \pi / KK$ :

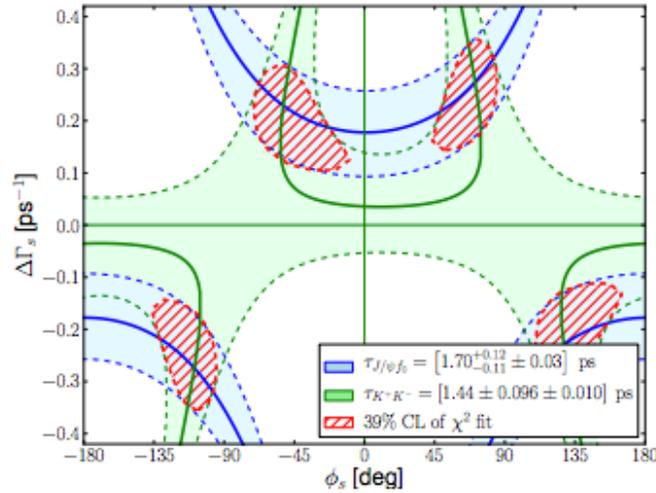
- $B_d \rightarrow \pi \pi$ : measurement in agreement with B-factories results.
- $B_s \rightarrow KK$ : first ever measurement in this channel

Rare decays:

- $B_d \rightarrow p \bar{p}$  first evidence of the decay.
- $B_c \rightarrow K_s K$  first upper limit in sector.

$B_s \rightarrow KK$  Effective Lifetime Measurement

## Motivation and Selection



Comparison between  $CP$  even and  $CP$  odd lifetimes is useful to constrain the  $CP$  violation parameters

Fleischer, Knegjens Eur.Phys.J. C71 (2011) 1789

The untagged decay time distribution can be written as:

$$\Gamma(t) \propto (1 - \mathcal{A}_{\Delta\Gamma_s}) e^{-\Gamma_L t} + (1 + \mathcal{A}_{\Delta\Gamma_s}) e^{-\Gamma_H t}.$$

In this case, fitting the decay time with a single exponential gives an effective lifetime defined as:

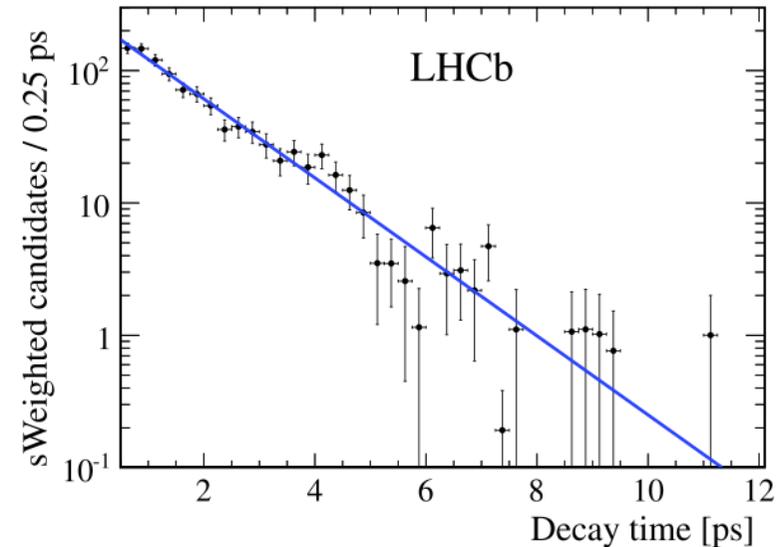
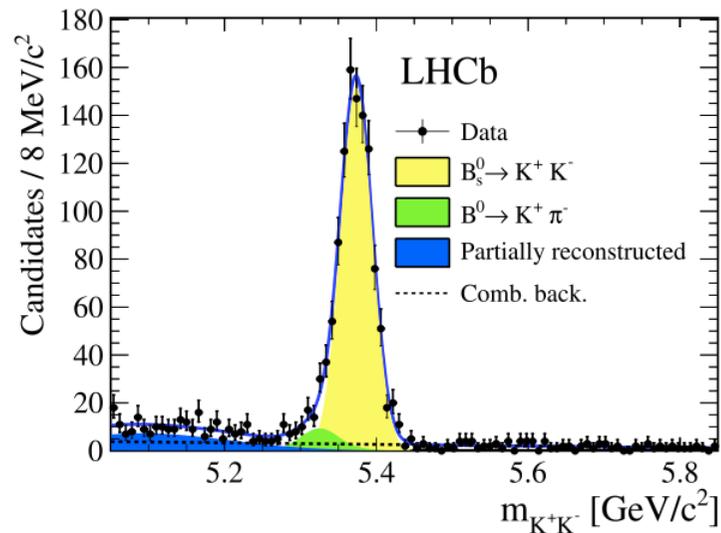
$$\tau_{KK} = \tau_{B_s^0} \frac{1}{1 - y_s^2} \left[ \frac{1 + 2\mathcal{A}_{\Delta\Gamma_s} y_s + y_s^2}{1 + \mathcal{A}_{\Delta\Gamma_s} y_s} \right]$$

$$\text{with } y_s \equiv \frac{\Delta\Gamma_s}{2\Gamma_s},$$

## Effective Lifetime Measurement

Analysis steps:

- two consecutive Neural Network NeuroBayes<sup>®</sup> selections applied:
  1. based on the kinematic variables
  2. the kinematic information is combined with the PID
- only events with  $\tau > 0.5$  ps are considered
- mass fit is used to extract sWeights for the signal decay time distribution



$$\tau_{KK} = 1.455 \pm 0.046 \text{ (stat.)} \pm 0.006 \text{ (syst.) ps,}$$

Which can be compared to the SM predictions:

$$\tau_{KK}^{\text{SM}} = 1.40 \pm 0.02 \text{ ps}$$