

The Flavor Of the Higgs

Roni Harnik,
Fermilab

Results drawn from:

Blankenburg, Ellis, Isidori 1202.5704

RH, Kopp, Zupan 1209.1397

Brod, Haisch, Zupan 1310.1385

RH, Martin, Okui, Primulando, Yu 1308.1094

Plan:

- * FV and CPV Higgs.
 - o Models
 - o Reasonable size of FV.
- * Constraints:
 - o Lepton flavor.
 - o Quark flavor.
 - o CP phases.

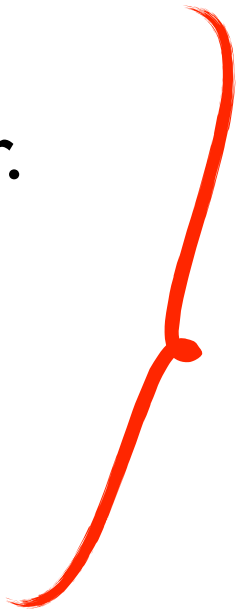
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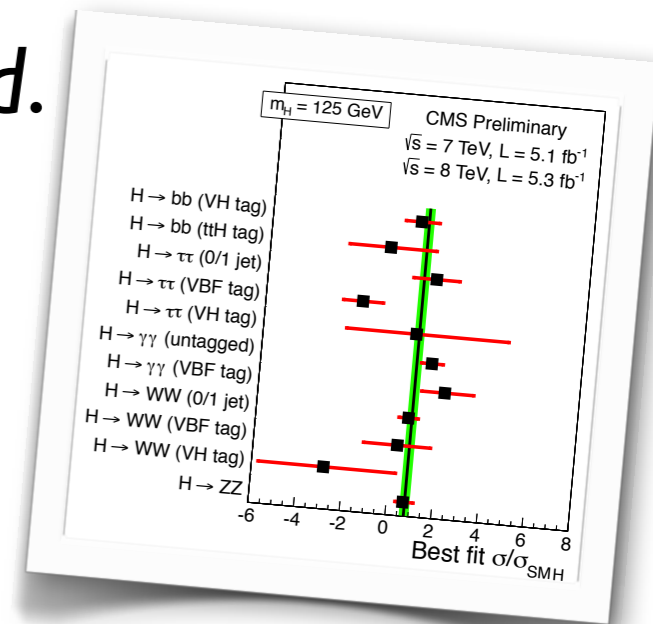
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- CP phases.



will come from a
variety of
experiments.
Both low and
high energy.

Higgs Couplings: SM

- * The Higgs couplings in the SM are *determined*.
That's why they are so important to measure!



- * Yukawa couplings:

$$\mathcal{L} \supset y_i h f_L^i f_R^i + \text{h.c.} \quad \text{with} \quad y_i = \frac{m_i}{v}$$

In the SM Yukawa couplings are:

- * Flavor diagonal.
- * Real (CP is conserved).

Higgs Couplings: New Physics

- * The Higgs boson can have more general couplings. the mass basis we could have:

$$\mathcal{L}_Y = -m_i \bar{f}_L^i f_R^i - Y_{ij} (\bar{f}_L^i f_R^j) h + h.c. + \dots$$

But didn't I just tell you that the HIGGS is automatically aligned with flavor?

How do we get FV and CPV HIGGS?

Flavor Violating Higgs

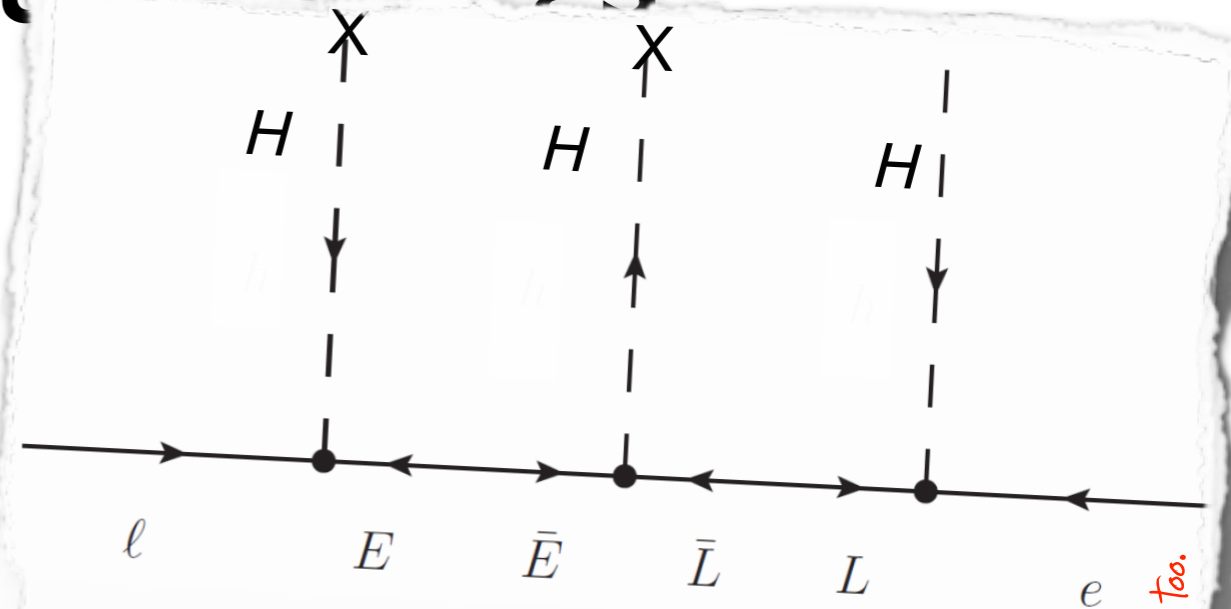
* UV Recipe for FV Higgs:

1. Rip a page from a paper that modifies Higgs couplings.
2. Sprinkle flavor indices all over the place.
3. Re-diagonalize mass matrix.

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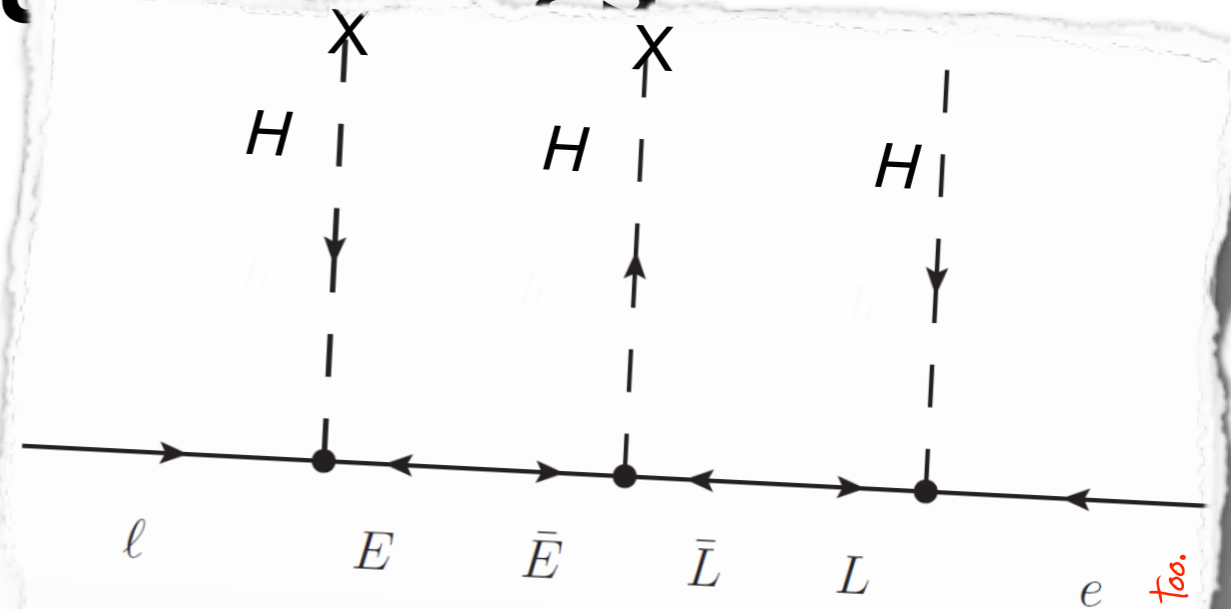
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Alt: you can get this in composite Higgs too.

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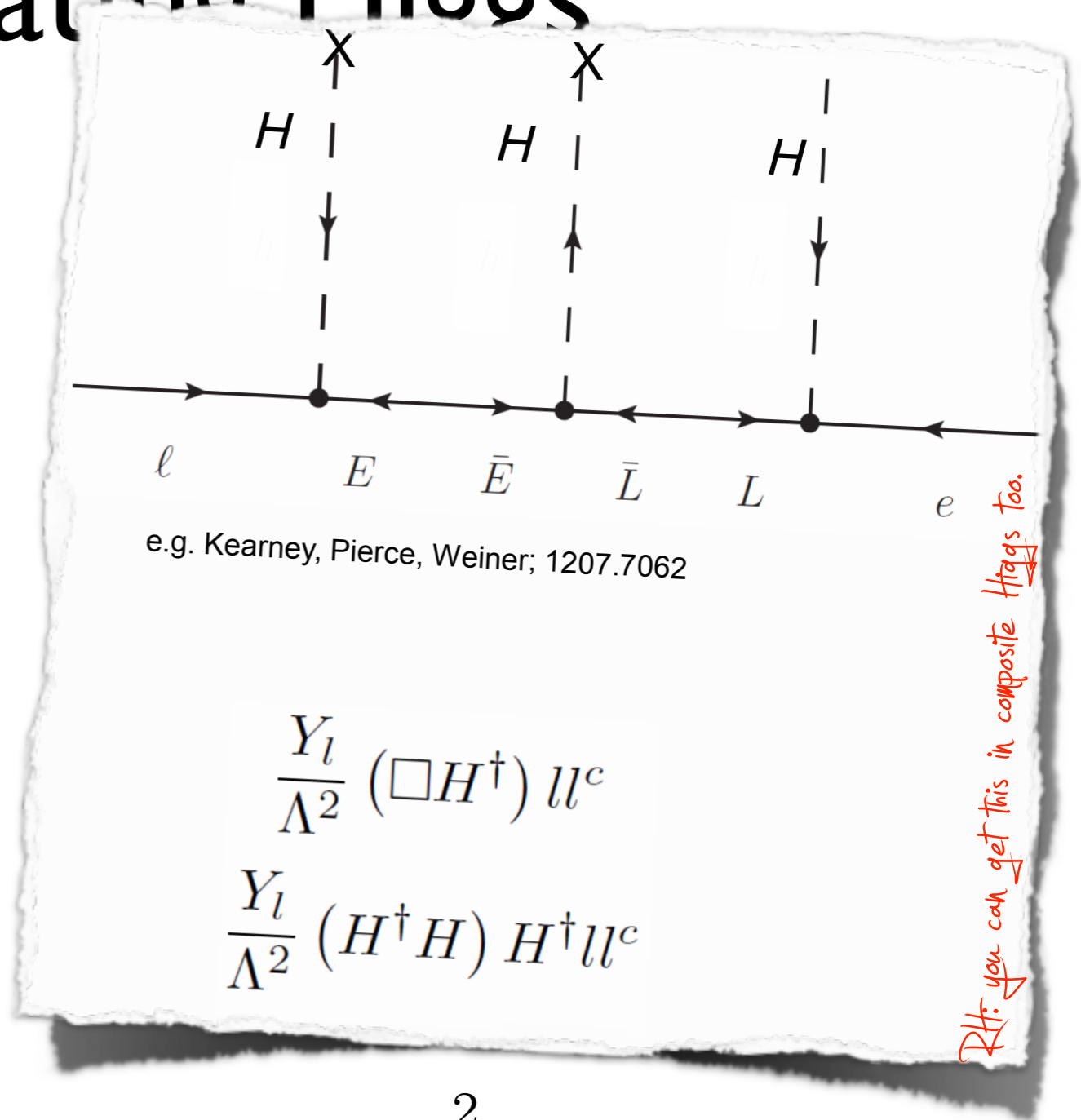
Rt: you can get this in composite Higgs too.

$$\mathcal{L} = \lambda_f H \bar{f} f + \frac{(H^\dagger H) H \bar{f} f}{\Lambda^2}$$

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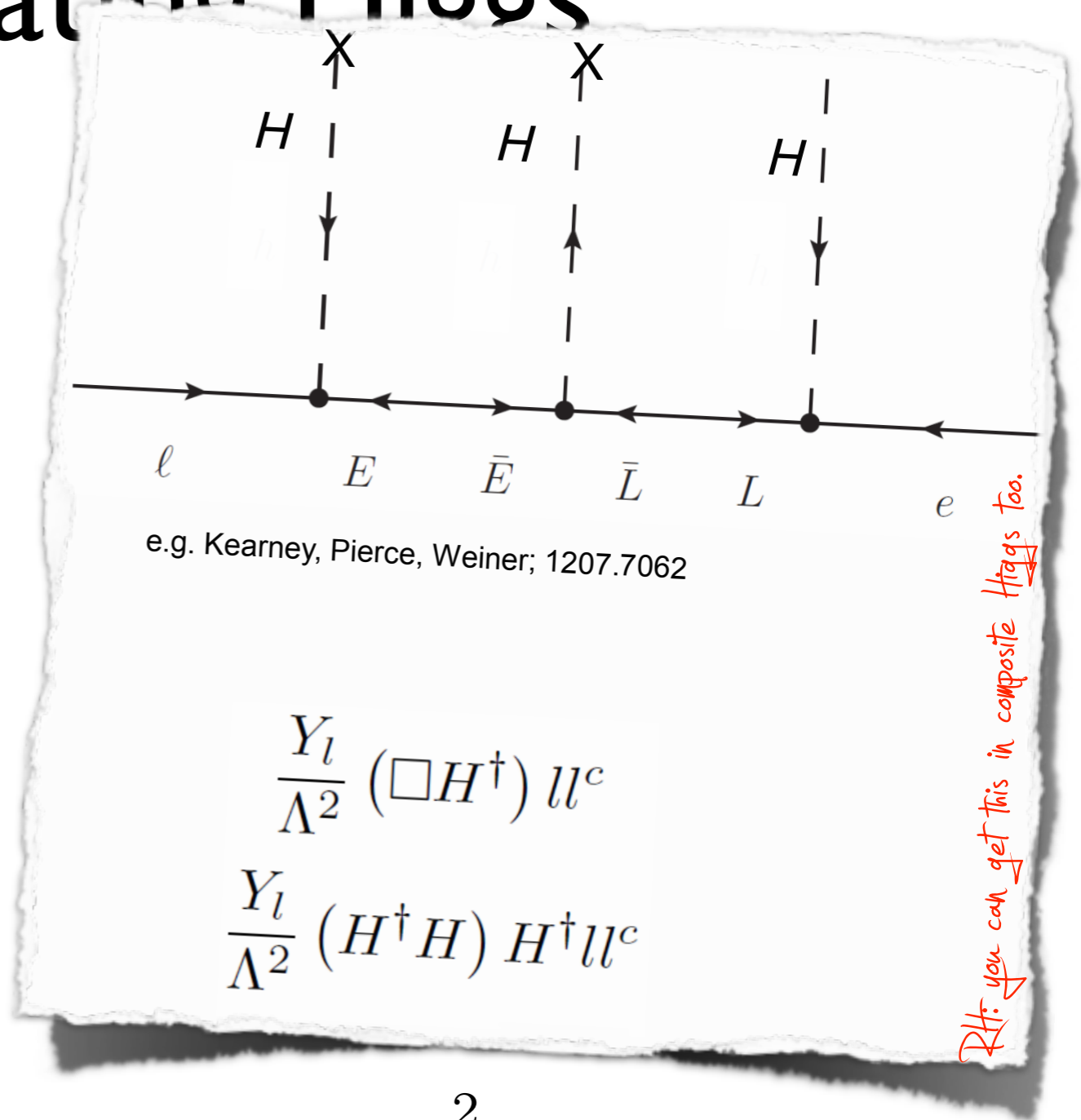


$$\mathcal{L} = \lambda_f H \bar{f} f + \frac{(H^\dagger H) H \bar{f} f}{\Lambda^2} \begin{cases} m_f = (\lambda_f + \frac{v^2}{\Lambda^2})v \\ y_f = \lambda_f + \frac{3v^2}{\Lambda^2} \end{cases}$$

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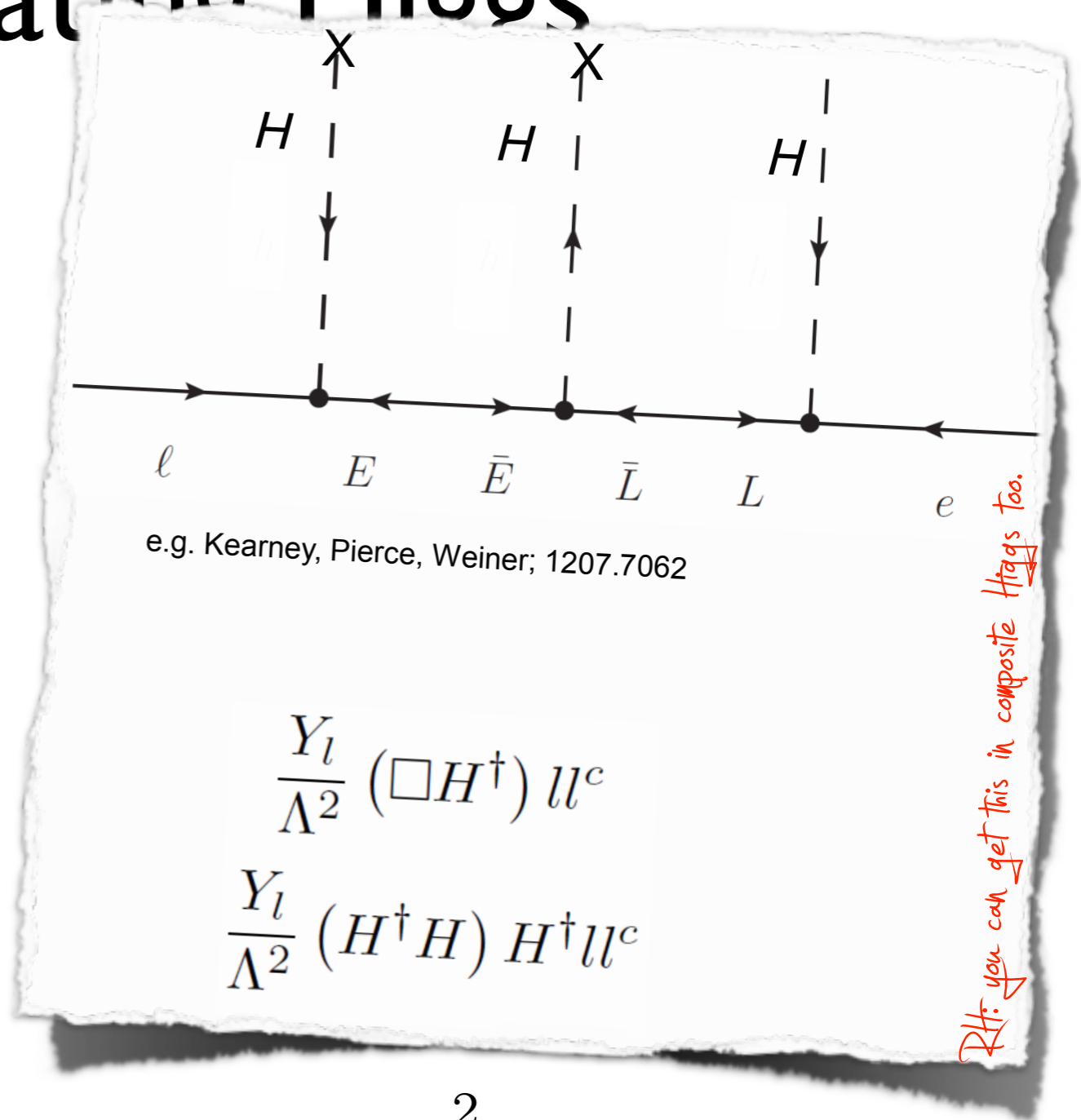
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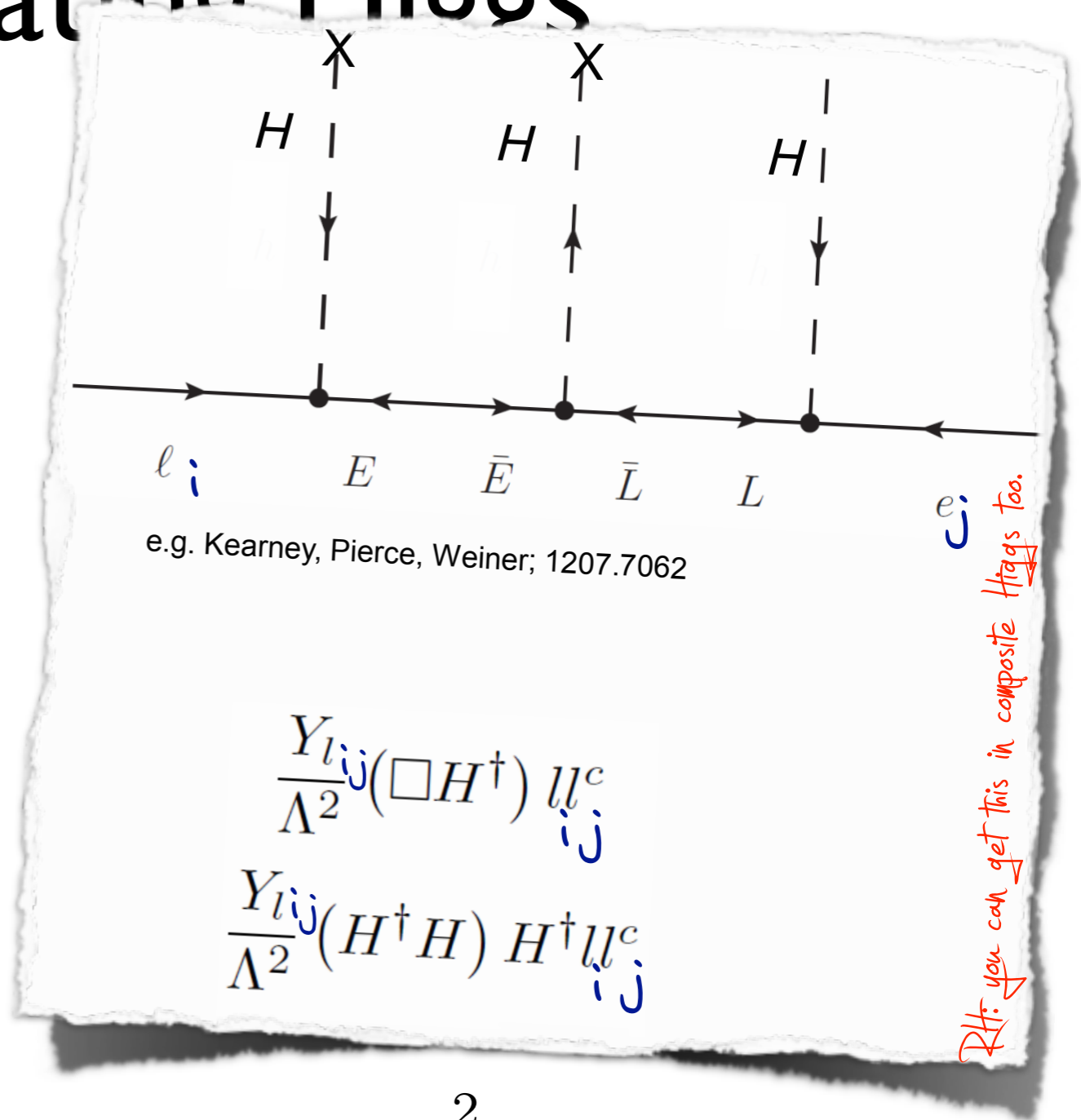
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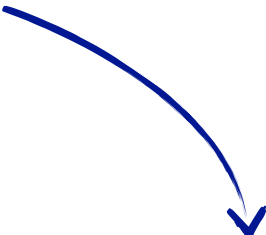
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Flavor Violating Higgs

* Writing it a bit more neatly, we get:

$$Y^{ij} H f_L^i f_R^j + \hat{Y}^{ij} \frac{|H|^2}{\Lambda^2} H f_L^i f_R^j$$


$$\sqrt{2}m = V_L \left[\lambda + \frac{v^2}{2\Lambda^2} \lambda' \right] V_R^\dagger v$$


$$\sqrt{2}Y = V_L \left[\lambda + 3 \frac{v^2}{2\Lambda^2} \lambda' \right] V_R^\dagger$$

or

$$Y_{ij} = \frac{m_i}{v} \delta_{ij} + \frac{v^2}{\sqrt{2}\Lambda^2} \hat{\lambda}_{ij}$$

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An arbitrary matrix!
(sort of)

“Natural” FV

- * FV that's too large comes at a tuning price:

$$\sqrt{2}m = V_L \left[\lambda + \frac{v^2}{2\Lambda^2} \lambda' \right] V_R^\dagger v \quad \sqrt{2}Y = V_L \left[\lambda + 3 \frac{v^2}{2\Lambda^2} \lambda' \right] V_R^\dagger$$

- * Requiring no cancelation in the determinant

$$Y_{ij} \lesssim \frac{\sqrt{m_i m_j}}{v}$$

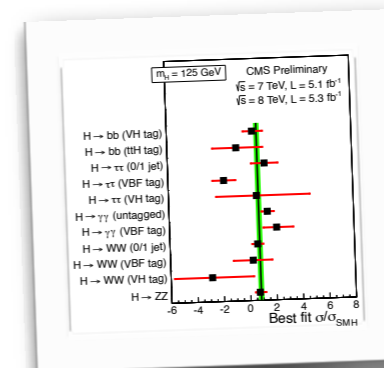
*I'll call these
"natural" models*.*

* In this era of data, considerations of fine-tuning are not of huge importance...
But we'll keep it in the back of our mind.

With NP Yukawa couplings can be:

- * Flavor off-diagonal.
- * complex (CP violating).
- * Both.

So, in addition to these



there are a lot more couplings the Higgs can have, and that we should probe.

Low energy experiments are crucial to test many of these couplings.

Leptonic Flavor Violation

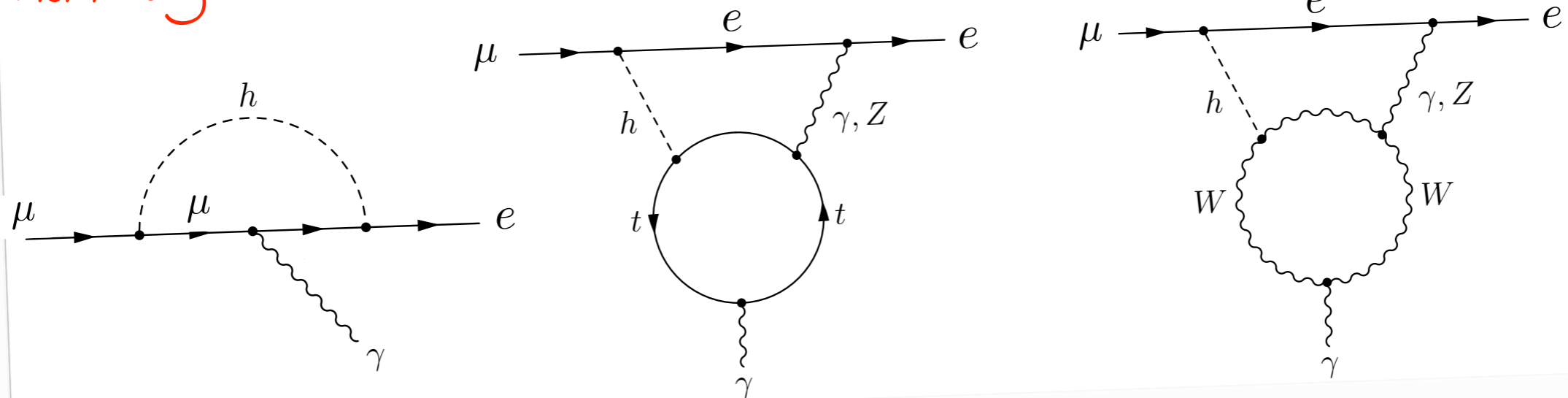
$$\mathcal{L}_Y \supset -Y_{e\mu}\bar{e}_L\mu_R h - Y_{\mu e}\bar{\mu}_L e_R h - Y_{e\tau}\bar{e}_L\tau_R h - Y_{\tau e}\bar{\tau}_L e_R h - Y_{\mu\tau}\bar{\mu}_L\tau_R h - Y_{\tau\mu}\bar{\tau}_L\mu_R h + h.c..$$

Which experiments constrain the Y_{ij} 's?

Higgs couplings to μe

* Higgs coupling to μe is constrained, e.g. by:

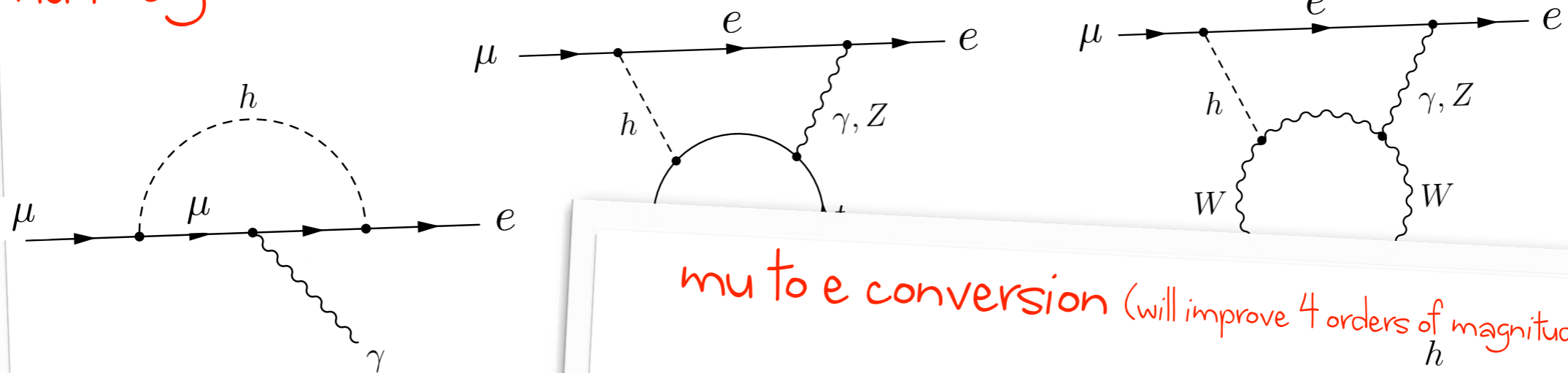
mu to e gamma & mu to 3e (at 1 and 2-loop):



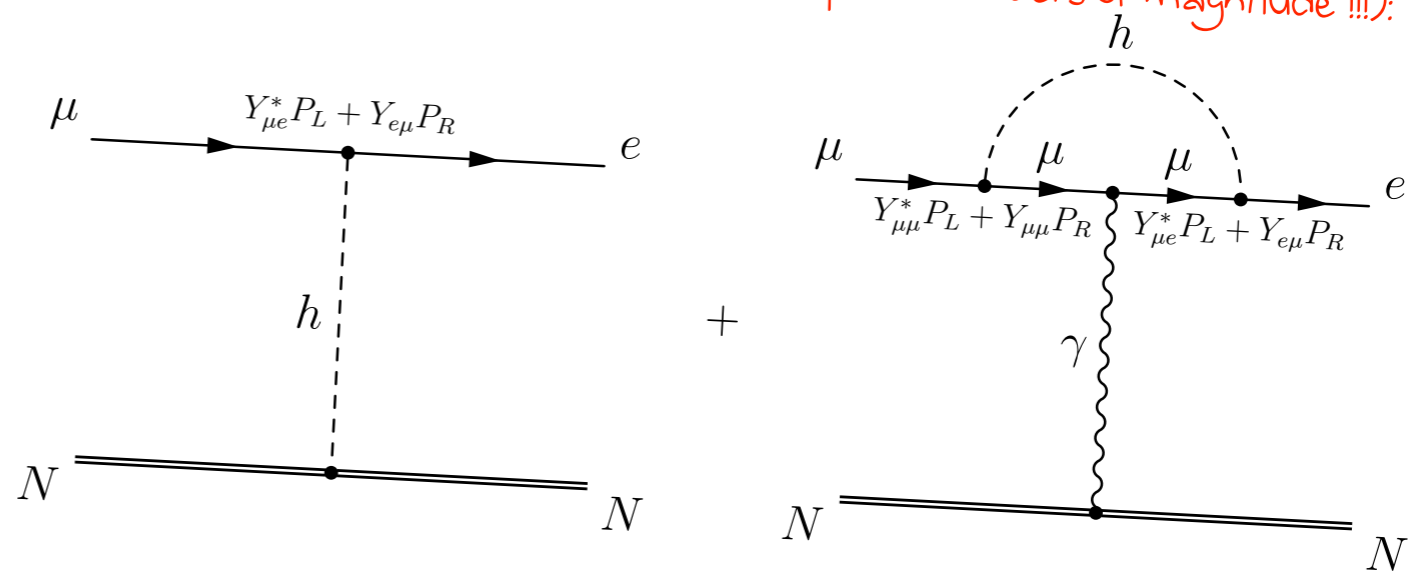
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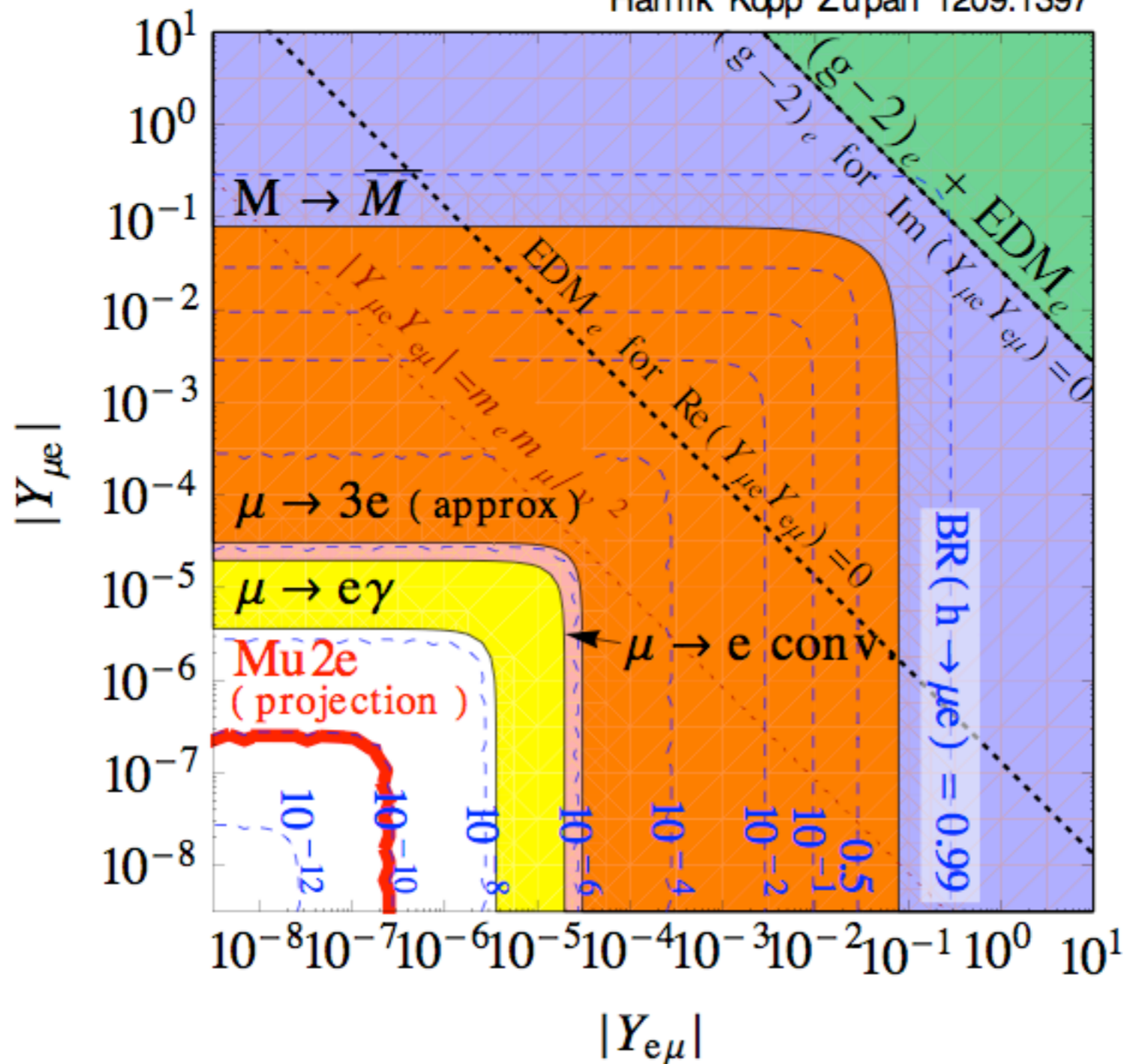


mu to e conversion (will improve 4 orders of magnitude !!!):



Higgs couplings to μe

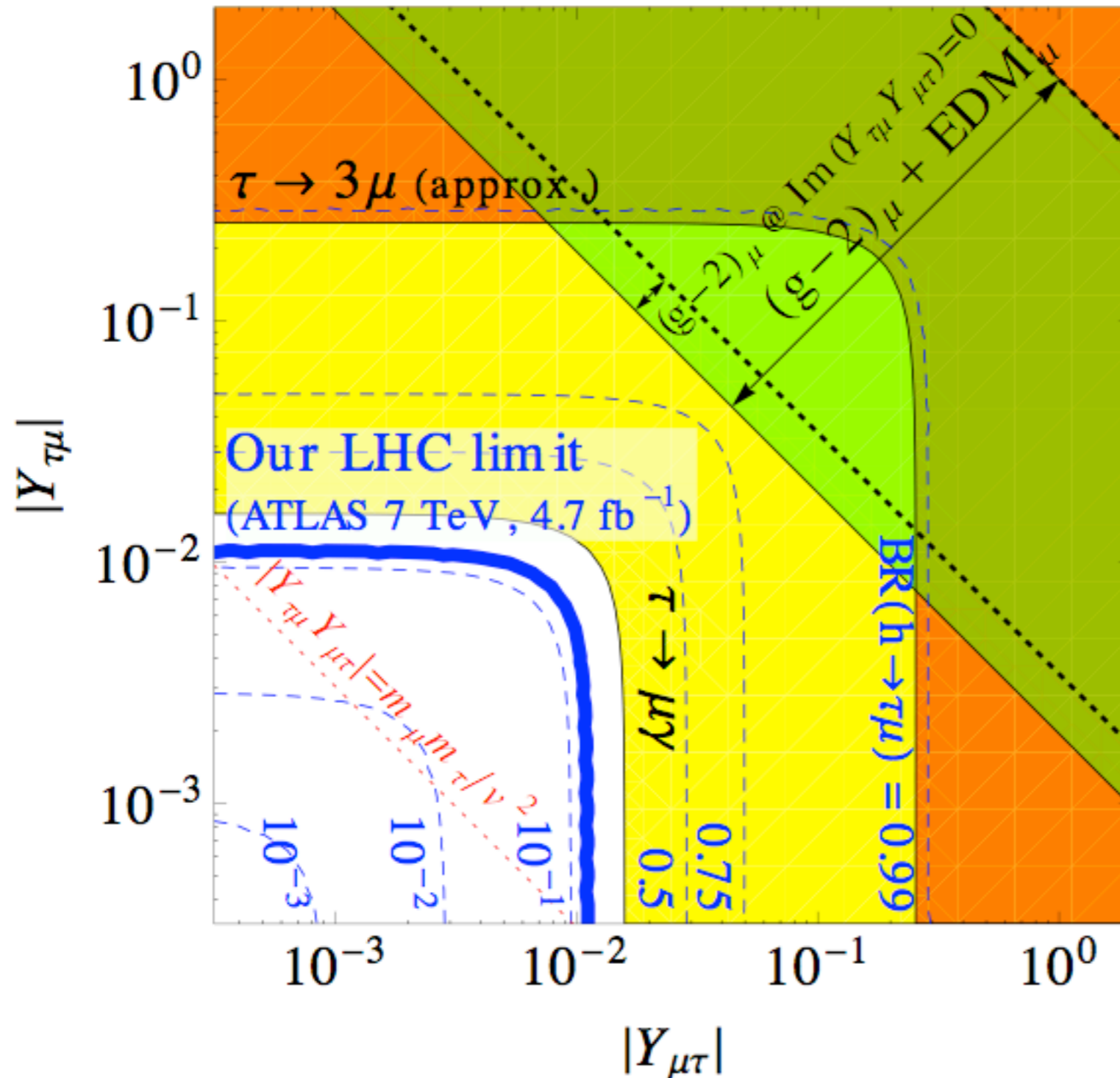
Harnik Kopp Zupan 1209.1397



Outside of LHC reach.

PROBING "natural" models.

Higgs couplings to $\tau\mu$

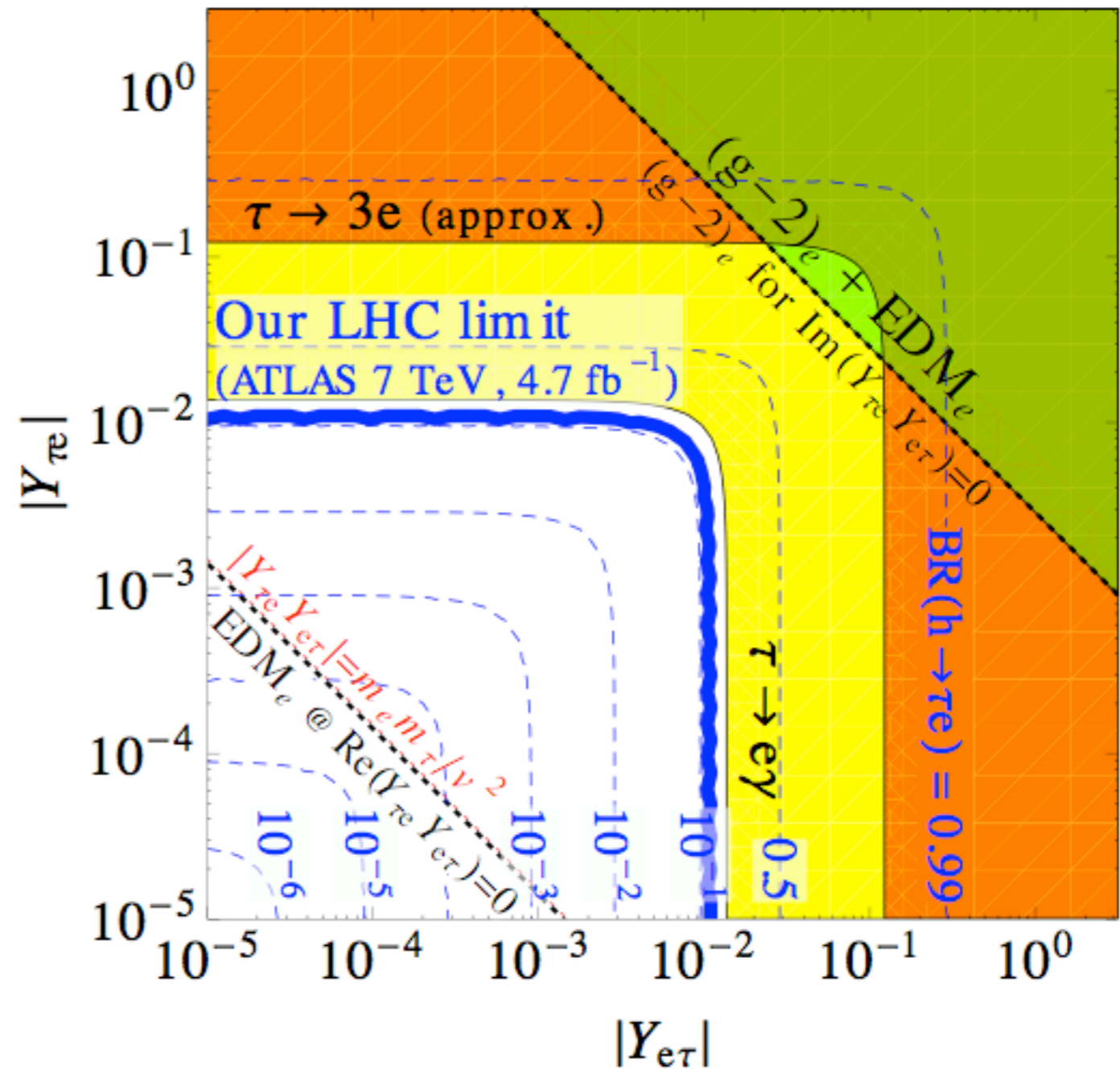


LHC $h \rightarrow \tau\mu$ gives dominant bound.
(currently just a theorist's re-interpretation)

"natural models" are within reach.

Higgs couplings to τe

* τe is similar to $\tau\mu$... but:

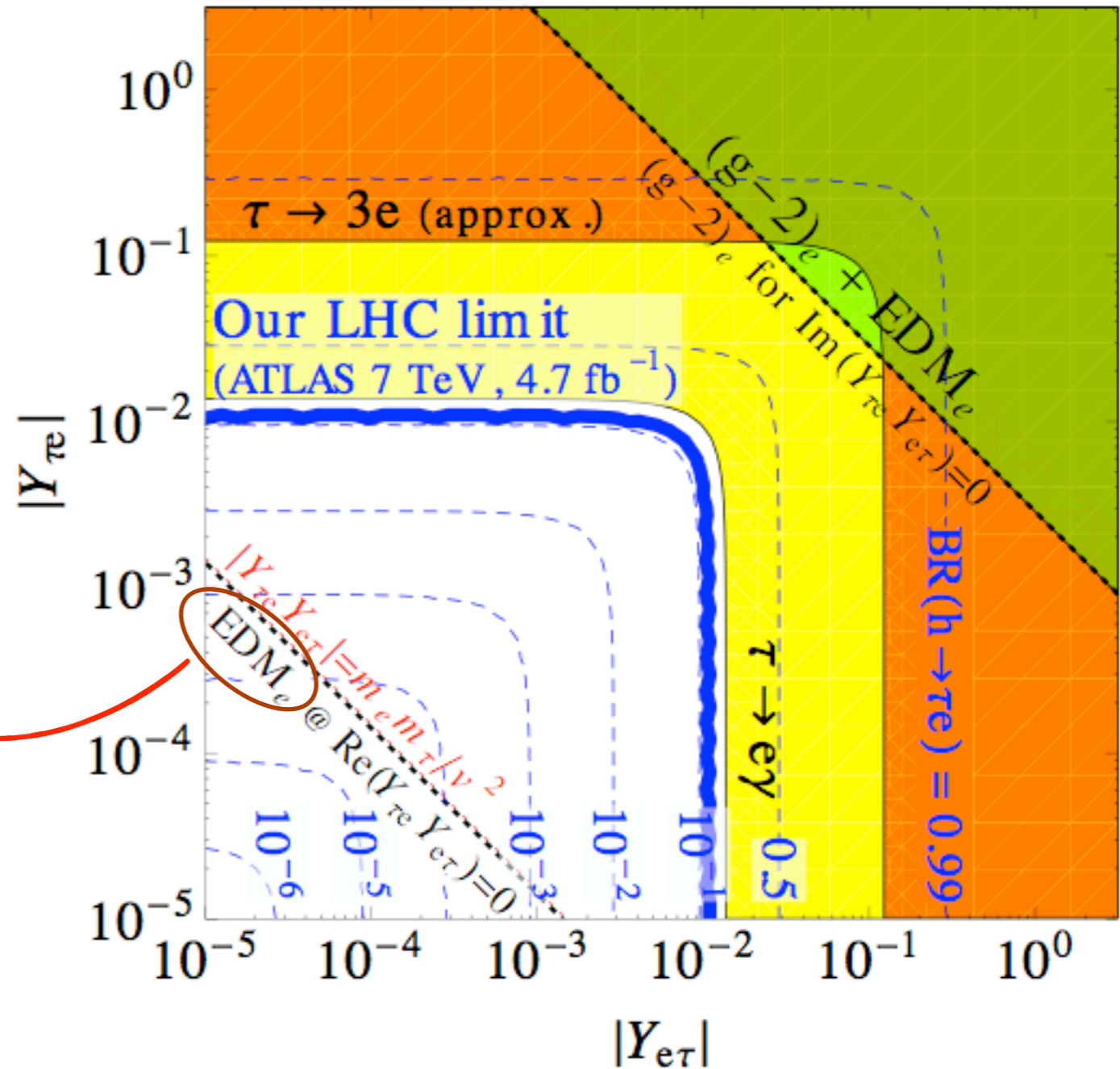
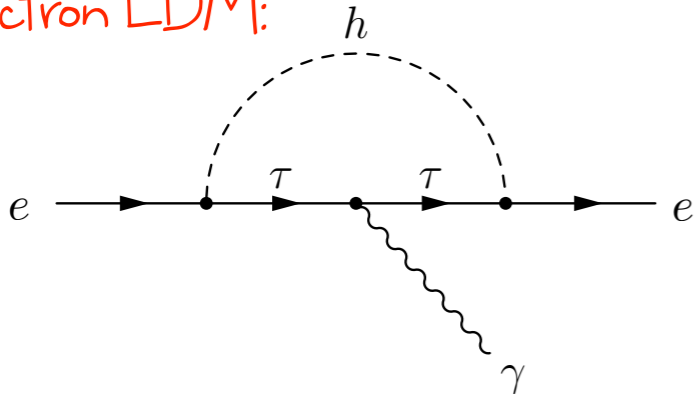


Higgs couplings to τe

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Electron EDM is interesting here!

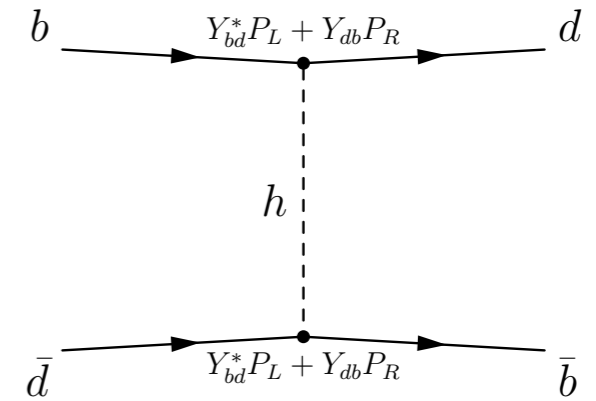
electron EDM:



Quark Flavor Violation

Meson Mixing

* Meson mixing's powerful:



Technique	Coupling	Constraint	$m_i m_j / v^2$
\$D^0\$ oscillations [48]	\$ Y_{uc} ^2, Y_{cu} ^2\$	\$< 5.0 \times 10^{-9}\$	\$5 \times 10^{-8}\$
	\$ Y_{uc} Y_{cu} \$	\$< 7.5 \times 10^{-10}\$	
\$B_d^0\$ oscillations [48]	\$ Y_{db} ^2, Y_{bd} ^2\$	\$< 2.3 \times 10^{-8}\$	\$3 \times 10^{-7}\$
	\$ Y_{db} Y_{bd} \$	\$< 3.3 \times 10^{-9}\$	
\$B_s^0\$ oscillations [48]	\$ Y_{sb} ^2, Y_{bs} ^2\$	\$< 1.8 \times 10^{-6}\$	\$7 \times 10^{-6}\$
	\$ Y_{sb} Y_{bs} \$	\$< 2.5 \times 10^{-7}\$	
\$K^0\$ oscillations [48]	\$\text{Re}(Y_{ds}^2), \text{Re}(Y_{sd}^2)\$	\$[-5.9 \dots 5.6] \times 10^{-10}\$	\$8 \times 10^{-9}\$
	\$\text{Im}(Y_{ds}^2), \text{Im}(Y_{sd}^2)\$	\$[-2.9 \dots 1.6] \times 10^{-12}\$	
	\$\text{Re}(Y_{ds}^* Y_{sd})\$	\$[-5.6 \dots 5.6] \times 10^{-11}\$	
	\$\text{Im}(Y_{ds}^* Y_{sd})\$	\$[-1.4 \dots 2.8] \times 10^{-13}\$	

“Natural” models are constrained!

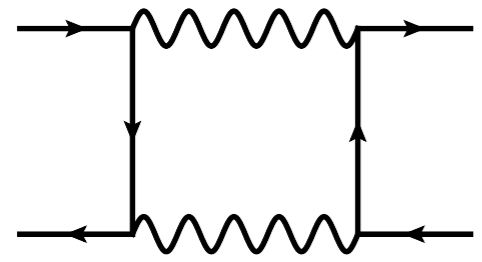
"What about $B_s \rightarrow T\mu$?"

"And $B_s \rightarrow \mu\mu$?"

Lets do a Back of the envelope estimate:

$B_s \rightarrow \mu\mu$:

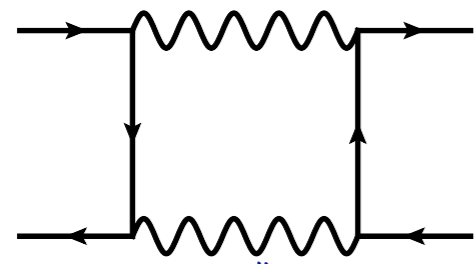
In the SM, $BR(B_s \rightarrow \mu\mu) \sim 3 \times 10^{-9}$


$$\sim \frac{1}{16\pi^2} G_F g^2 V_{tb} V_{ts}^* \frac{m_\mu}{m_B}$$



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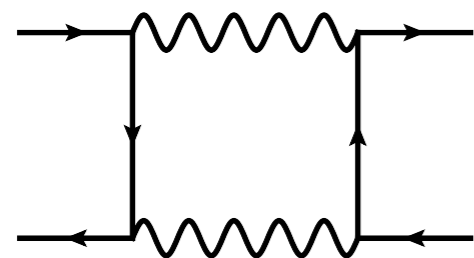
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I'm not a box.
I'm really a fish.



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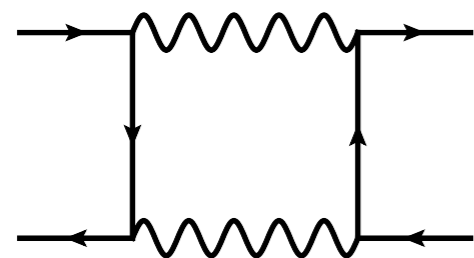
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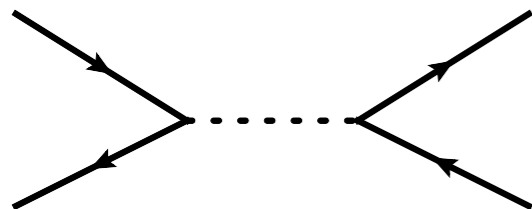
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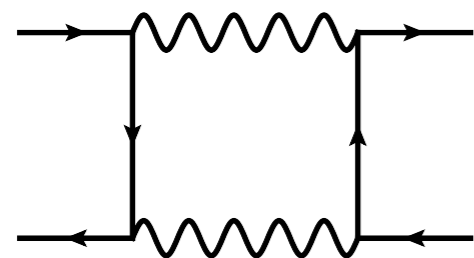


$$\sim \frac{1}{m_h^2} Y_{bs} Y_{\mu\mu}^*$$



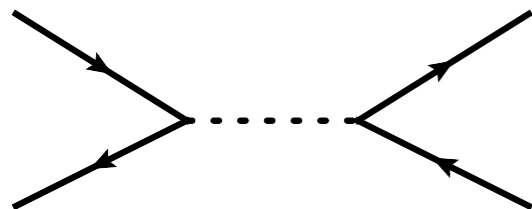
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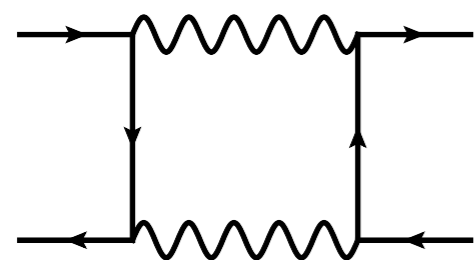


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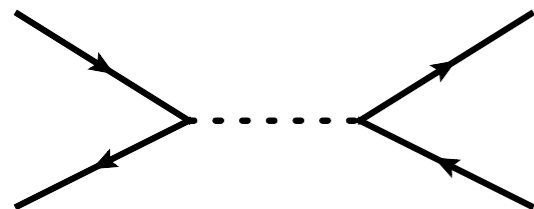
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$$\sim \frac{1}{m_h^2} Y_{bs} Y_{\mu\mu}^*$$

$$Y_{bs} \lesssim \frac{\lambda^2 G_F g^2 m_h^2 v}{16\pi^2 m_B} \sim 3 \times 10^{-3}$$

(after plugging in 1303.3820)

not as strong as mixing...

$B_s \rightarrow T\mu$:

$$\begin{array}{c} \diagup \\ \text{---} \\ \diagdown \end{array} \text{---} \text{---} \begin{array}{c} \diagdown \\ \text{---} \\ \diagup \end{array} \sim \frac{1}{m_h^2} Y_{bs} Y_{\tau\mu}^*$$

use the limits: $Y_{Bs} < 5 \times 10^{-4}$ and $Y_{T\mu} < 10^{-2}$

algebra
+ 1303.3820

$$BR(B_s \rightarrow T\mu) \sim 5 \times 10^{-8}$$

Beyond reach...



FV Couplings with top

* A variety of techniques:

Technique	Coupling	Constraint	$m_i m_j / v^2$
$t \rightarrow hj$ [Craig et al. 1207.6794]	$\sqrt{ Y_{tc}^2 + Y_{ct} ^2}$	< 0.34	3×10^{-3}
	$\sqrt{ Y_{tu}^2 + Y_{ut} ^2}$	< 0.34	7×10^{-6}
D^0 oscillations	$ Y_{ut} Y_{ct} , Y_{tu} Y_{tc} $	$< 7.6 \times 10^{-3}$	2×10^{-4}
	$ Y_{tu} Y_{ct} , Y_{ut} Y_{tc} $	$< 2.2 \times 10^{-3}$	
	$ Y_{ut} Y_{tu} Y_{ct} Y_{tc} ^{1/2}$	$< 0.9 \times 10^{-3}$	
neutron EDM	$\text{Im}(Y_{ut} Y_{tu})$	$< 4.4 \times 10^{-8}$	7×10^{-6}

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* Improvements:

$t + (h \rightarrow \gamma\gamma) : Y_{tj} < 0.17 (!)$
(ATLAS-CONF-2013-081)

lepton + multi-B + met: $Y_{tj} < 10^{-3} (!)$
(Atwood, Gupta, Soni 1305.2427)

FV Couplings with top

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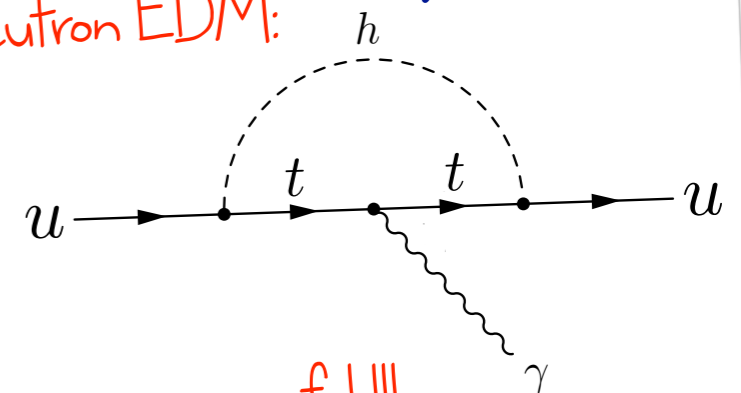
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lepton + multi-B + met: $Y_{tj} < 10^{-3} (!)$
(Atwood, Gupta, Soni 1305.2427)

neutron EDM:



powerful !!!

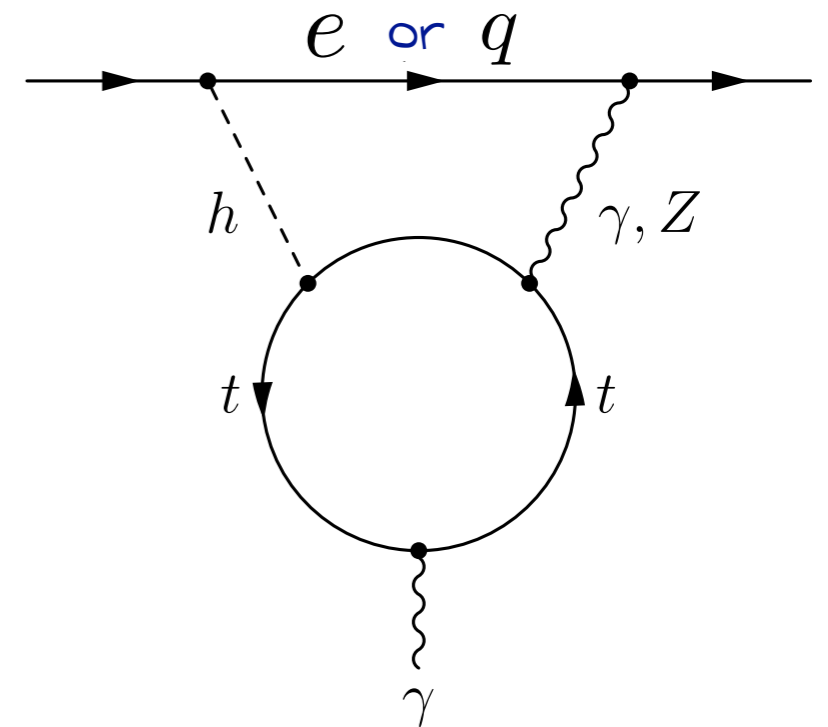
Flavor diagonal phases

Assume diagonal Yukawas with $|Y_i| = \frac{m_i}{v}$.

What are the constraints on
the phases of the Y_i 's?

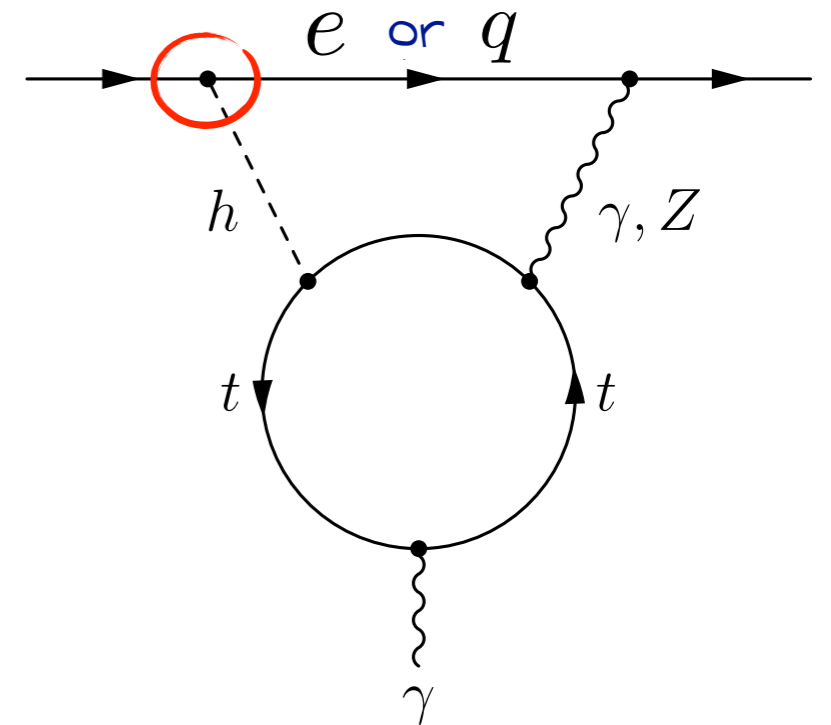
Two Loop EDM

- * Electron or neutron EDM at 2-loops (Barr-Zee):



Two Loop EDM

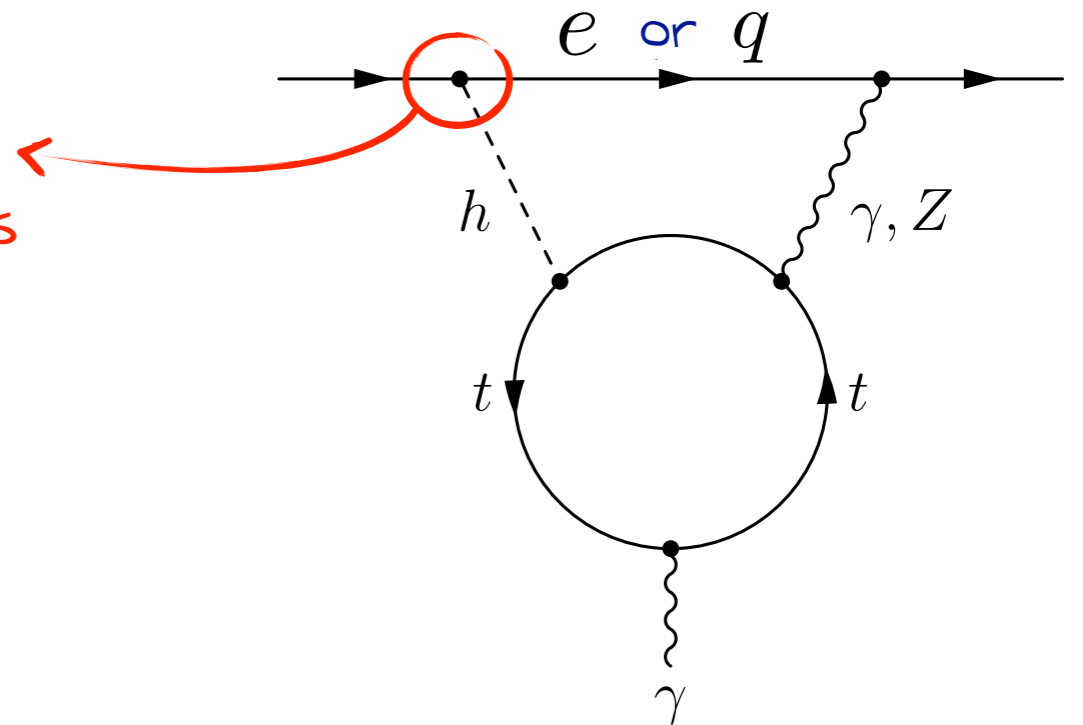
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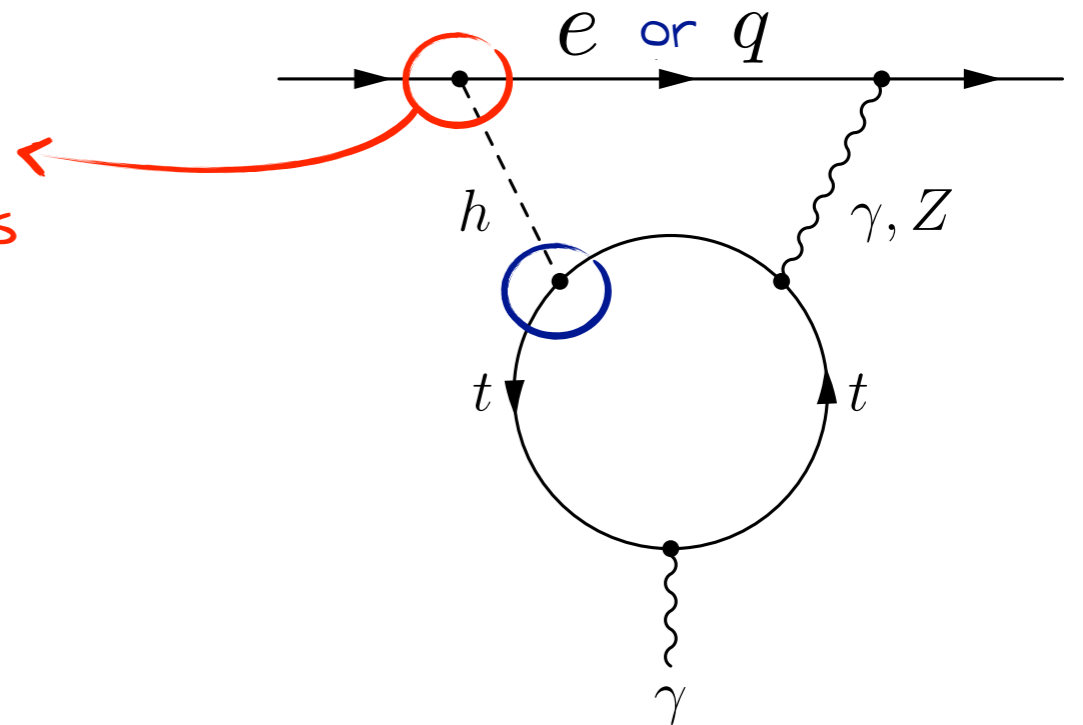
$\phi_e, \phi_q \lesssim 0.1$
from e and n EDM's



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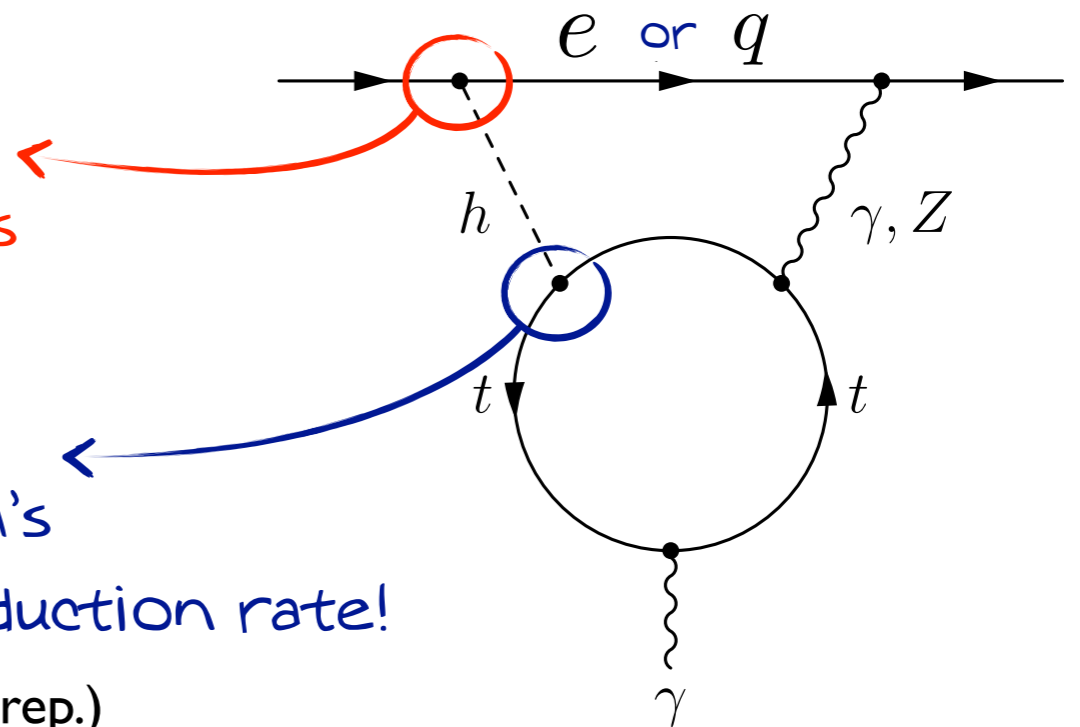
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from e and n EDM's

$\phi_t \lesssim 0.05$
from e and n EDM's

Interplay with LHC Higgs production rate!

Brod, Haisch, Zupan (in prep.)



Two Loop EDM

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$$\phi_e, \phi_q \lesssim 0.1$$

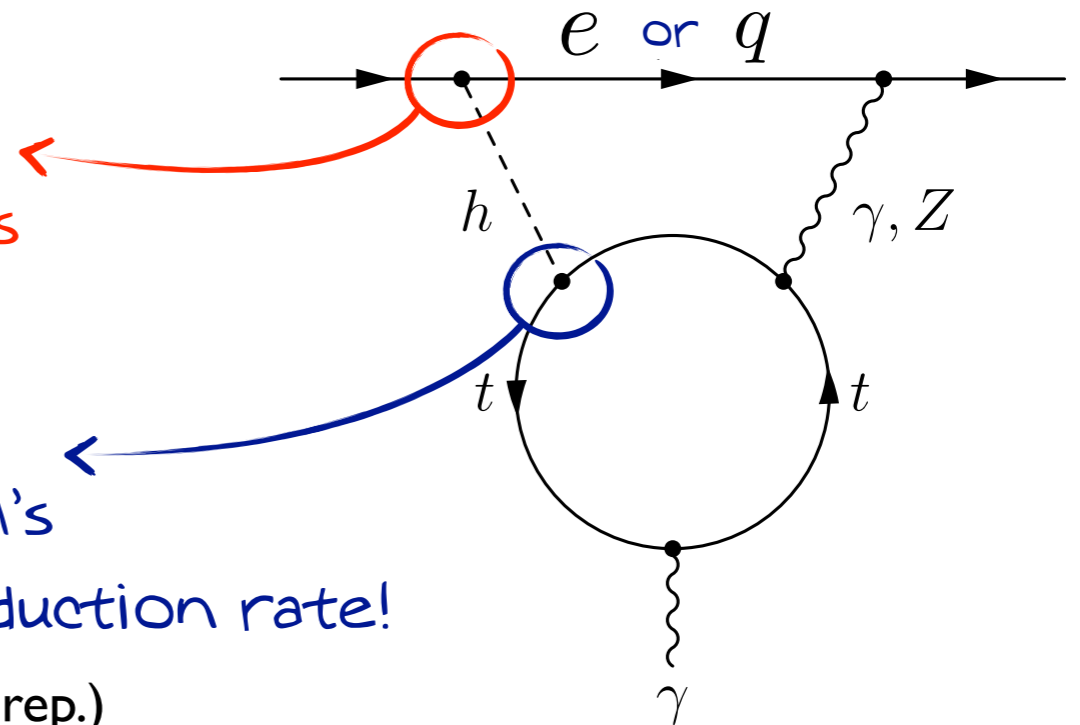
from e and n EDM's

$$\phi_t \lesssim 0.05$$

from e and n EDM's

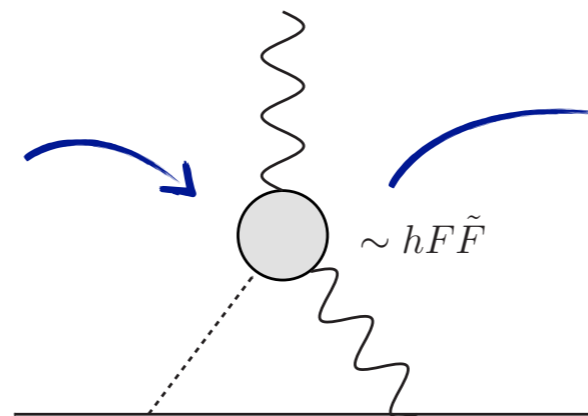
Interplay with LHC Higgs production rate!

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- * Also sensitive to CPV in $h\gamma\gamma$ from NP:

$$c_\gamma \frac{\alpha}{\pi v} h F_{\mu\nu} F^{\mu\nu} + \tilde{c}_\gamma \frac{\alpha}{2\pi v} h F_{\mu\nu} \tilde{F}^{\mu\nu}$$



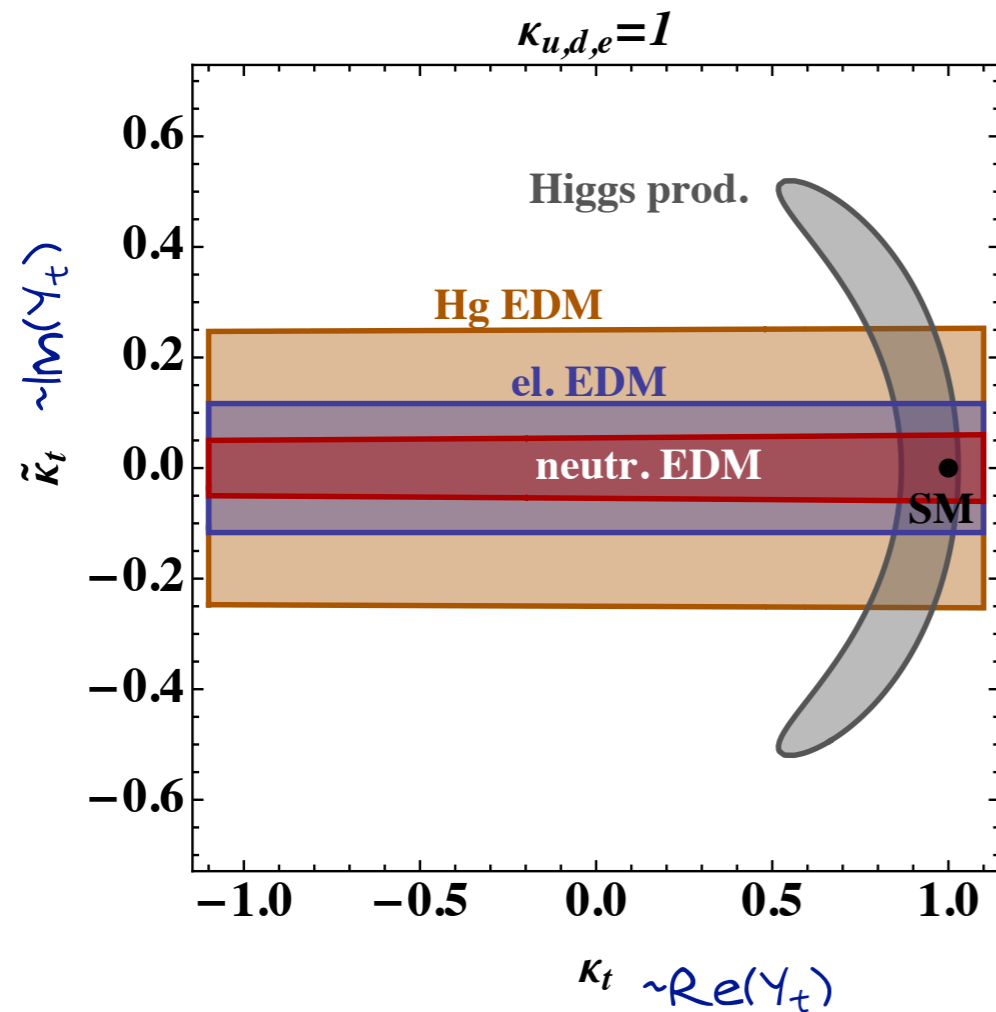
$$\phi_\gamma \lesssim 0.01 - 0.1$$

McKeen, Pospelov, Ritz
(1208.4597)

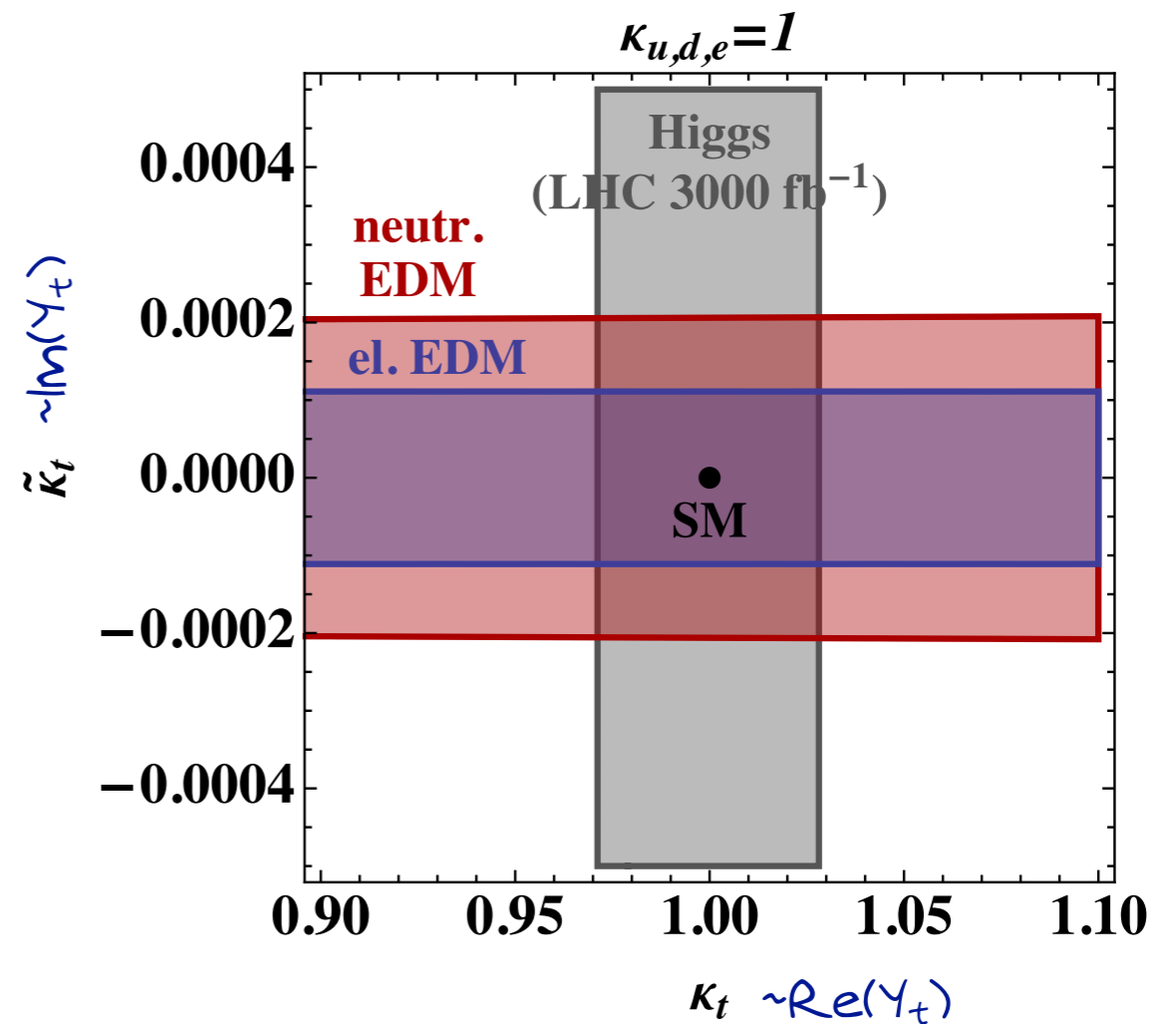
LHC & EDMS

- * Top couplings are probed both by the LHC (gluon fusion) and by EDM experiments. Interplay

Today:



In the future:



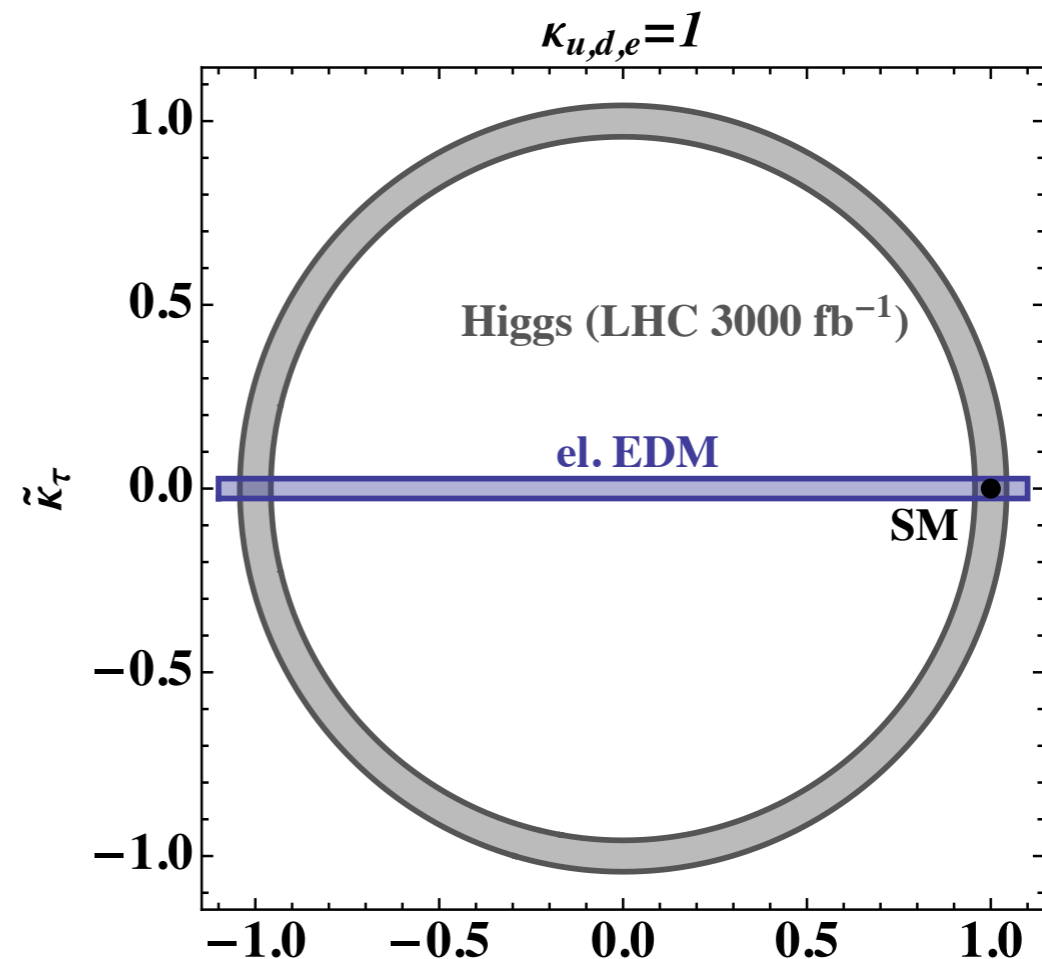
τ phase

- * The tau phase is currently unconstrained!
 - * Can be probed by:
 - o Hadronic tau polarization in Higgs decay.
 - o Electron EDM.
-

τ phase

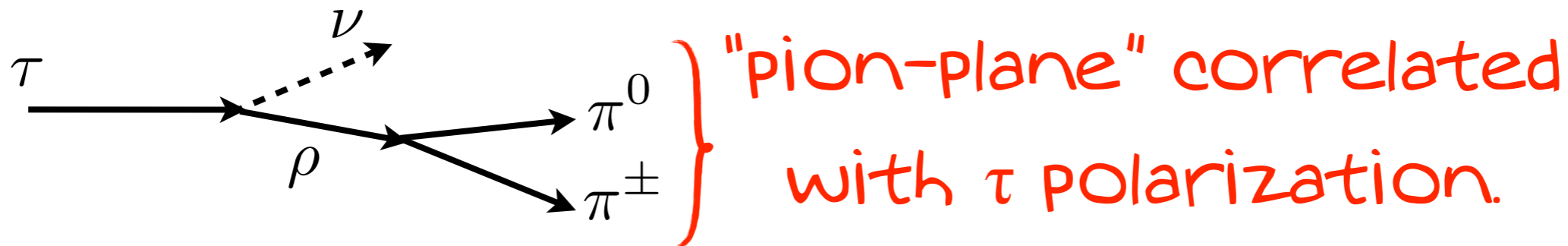
- * The tau phase is currently unconstrained!
- * Can be probed by:
 - o Hadronic tau polarization in Higgs decay.
 - o Electron EDM.

Future e EDMs:
high sensitivity!



τ phase at Colliders

- * A challenging measurement.
- * Requires hadronic “tau-substructure” (LHCb?).

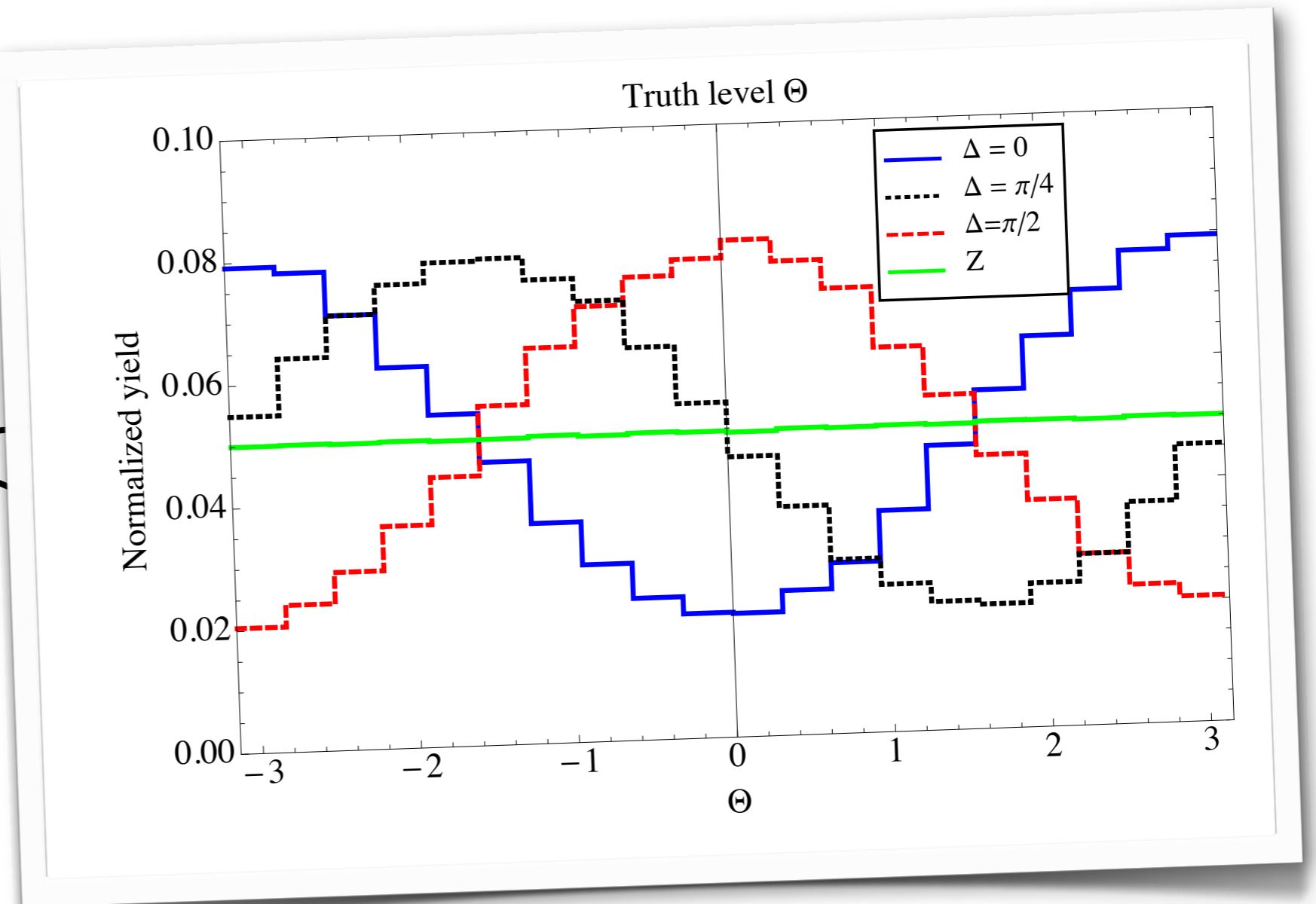
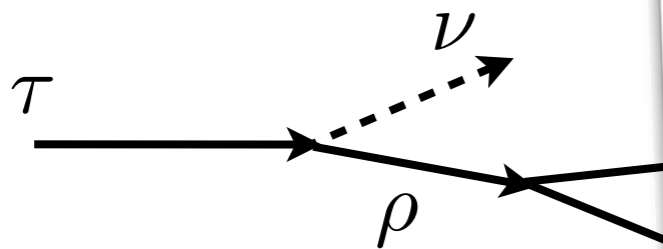


θ : the relative azimuthal angle
between reconstructed polarizations

τ phase at Colliders

* A challenging

* Requires ha

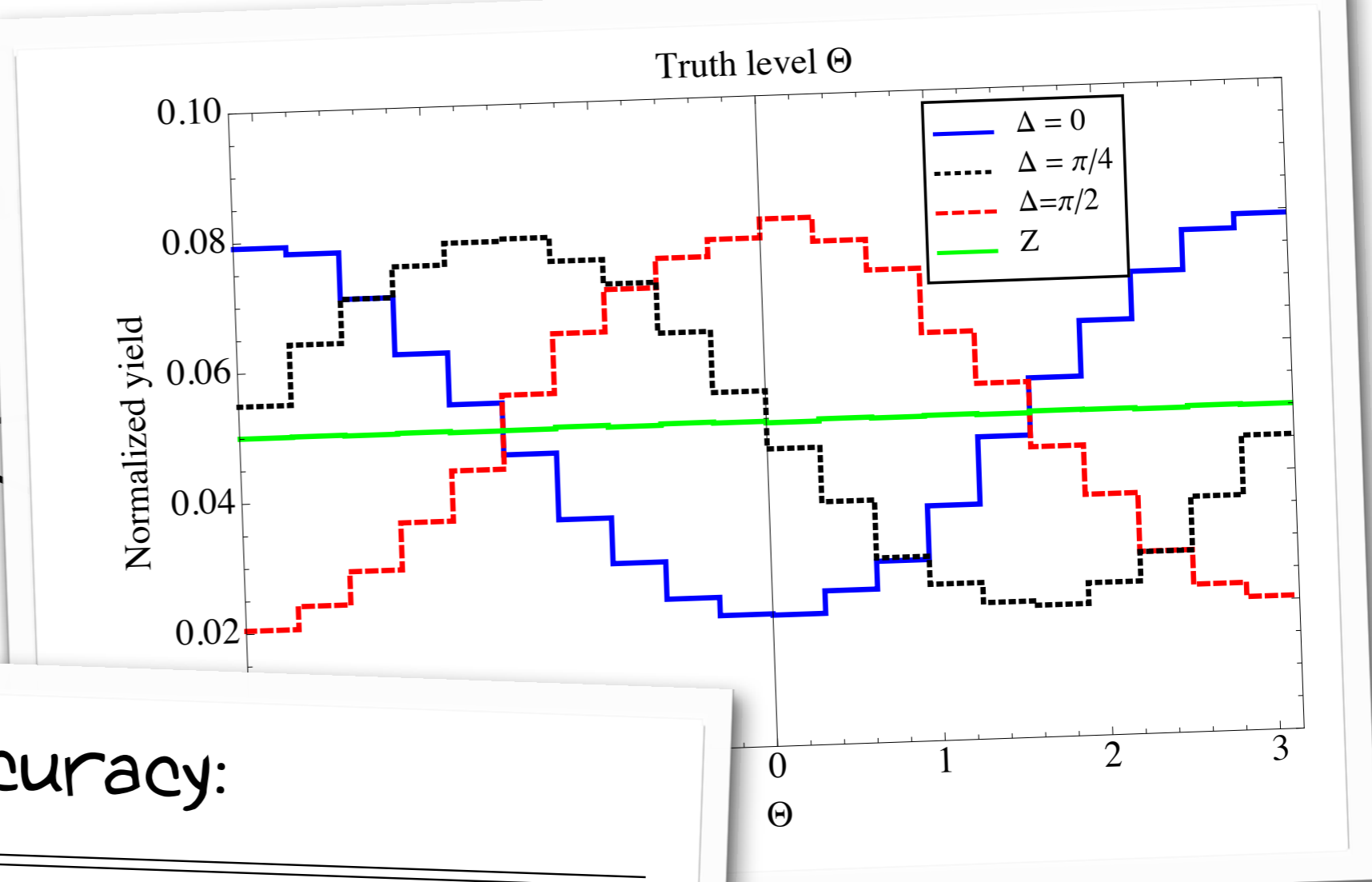
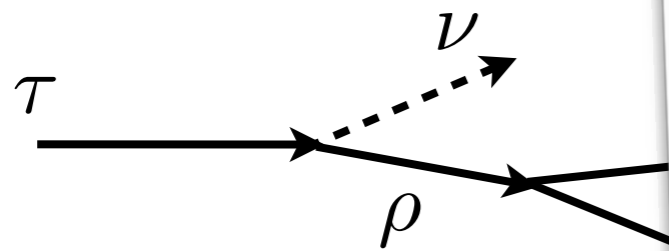


Θ : the relative azimuthal angle
between reconstructed polarizations

τ phase at Colliders

* A challenging

* Requires ha



Promising accuracy:

τ_h efficiency	50%	70%
3σ	$L = 550 \text{ fb}^{-1}$	$L = 300 \text{ fb}^{-1}$
5σ	$L = 1500 \text{ fb}^{-1}$	$L = 700 \text{ fb}^{-1}$
Accuracy ($L = 3 \text{ ab}^{-1}$)	11.5°	8.0°

thical angle
polarizations

W phase

- * Up-down asymmetry is sensitive to CPV in Higgs coupling to W .

The paper I discovered very late last night....

Delanuey, Perez, de Sandes, Skiba
1308.4930

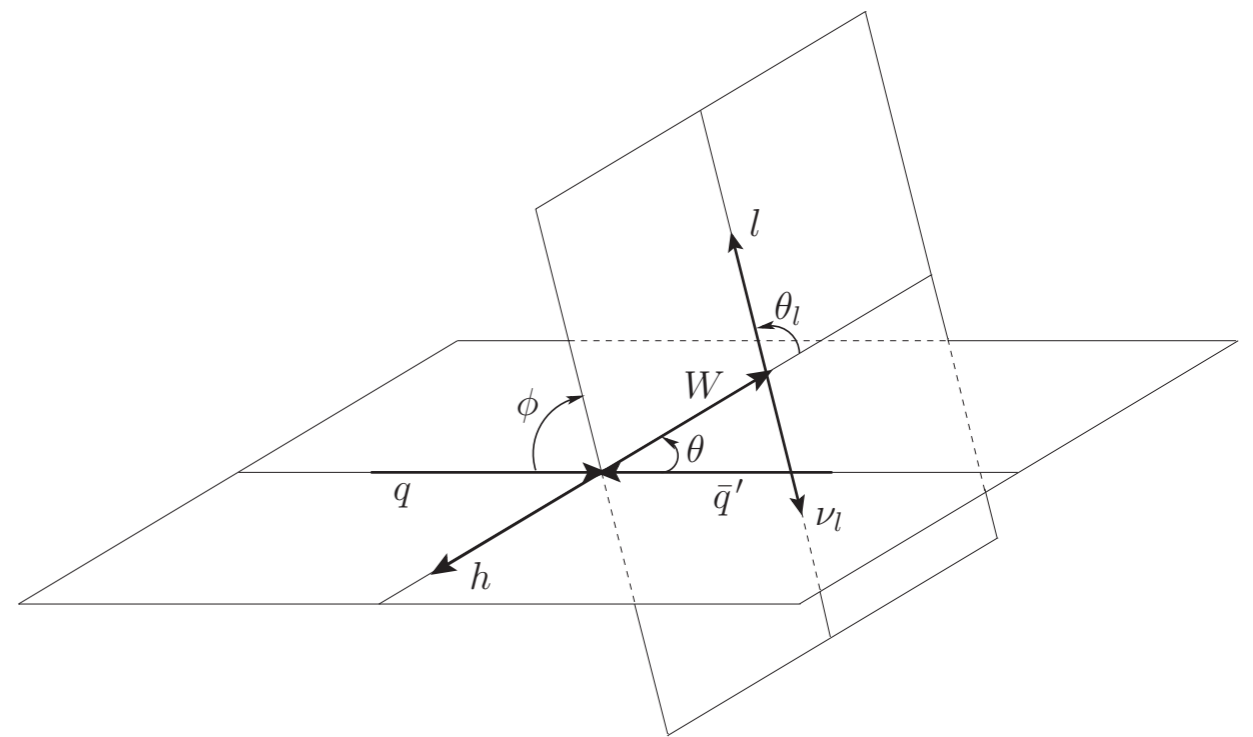


FIG. 1: Definition of the production and decay angles. The W and h directions are drawn in the $q\bar{q}'$ center-of-mass frame, while the leptons are drawn in their parent W rest frame. ϕ is the angle between the production plane and the W decay plane.

Summary:

Flavor violation:

✓ = sensitive at the level of $Y_{ij} \lesssim \frac{\sqrt{m_i m_j}}{v}$.

Leptons	Probe
$\mu-e$	muons ✓
$\tau-e$	eEDM* ✓
$\tau-\mu$	LHC ✓

d-quarks	Probe
$s-d$	K-K ✓
$b-d$	B-B ✓
$b-s$	B_s-B_s ✓

d-quarks	Probe
$c-u$	D-D ✓
$t-u$	nEDM* ✓
$t-c$	LHC / D-D ✓?

*LHC, if CP is conserved.

CP violation:

Phase	Probe
e	e-EDM
u, d	nEDM
γ	eEDM

Phase	Probe
t	EDMs
τ	LHC / Higgs factory
W/Z	LHC

Multiple probes!
 Many experiments!
 Almost all channels
 are sensitive at well
 motivated levels!

Summary:

Flavor violation:

✓ = sensitive at the level of $Y_{ij} \lesssim \frac{\sqrt{m_i m_j}}{v}$.

Leptons	Probe	d-quarks	Probe	d-quarks	Probe
$\mu-e$	muons ✓	$s-d$	K-K ✓	$c-u$	D-D ✓
$\tau-e$	eEDM* ✓	$b-d$	B-B ✓	$t-u$	EDMs
$\tau-\mu$	LHC				

**The Higgs can violate flavor and CP.
A large variety of measurements
and future opportunities!**

	Probe	Probe	Probe
e	e-EDM	t	EDMs
u, d	nEDM	τ	LHC / Higgs factory
γ	eEDM	W/Z	LHC

Multiple PROBES!
Many experiments!

Almost all channels
are sensitive at well
motivated levels!

Deleted Scenes:

LFV Summary

Channel	Coupling	Bound
$\mu \rightarrow e\gamma$	$\sqrt{ Y_{\mu e} ^2 + Y_{e\mu} ^2}$	$< 3.6 \times 10^{-6}$
$\mu \rightarrow 3e$	$\sqrt{ Y_{\mu e} ^2 + Y_{e\mu} ^2}$	< 0.31
electron $g - 2$	$\text{Re}(Y_{e\mu}Y_{\mu e})$	$-0.019 \dots 0.026$
electron EDM	$ \text{Im}(Y_{e\mu}Y_{\mu e}) $	$< 9.8 \times 10^{-8}$
$\mu \rightarrow e$ conversion	$\sqrt{ Y_{\mu e} ^2 + Y_{e\mu} ^2}$	$< 4.6 \times 10^{-5}$
$M-\bar{M}$ oscillations	$ Y_{\mu e} + Y_{e\mu}^* $	< 0.079
$\tau \rightarrow e\gamma$	$\sqrt{ Y_{\tau e} ^2 + Y_{e\tau} ^2}$	< 0.014
$\tau \rightarrow e\mu\mu$	$\sqrt{ Y_{\tau e} ^2 + Y_{e\tau} ^2}$	< 0.66
electron $g - 2$	$\text{Re}(Y_{e\tau}Y_{\tau e})$	$[-2.1 \dots 2.9] \times 10^{-3}$
electron EDM	$ \text{Im}(Y_{e\tau}Y_{\tau e}) $	$< 1.1 \times 10^{-8}$
$\tau \rightarrow \mu\gamma$	$\sqrt{ Y_{\tau\mu} ^2 + Y_{\mu\tau} ^2}$	$< 1.6 \times 10^{-2}$
$\tau \rightarrow 3\mu$	$\sqrt{ Y_{\tau\mu} ^2 + Y_{\mu\tau} ^2}$	< 0.52
muon $g - 2$	$\text{Re}(Y_{\mu\tau}Y_{\tau\mu})$	$(2.7 \pm 0.75) \times 10^{-3}$
muon EDM	$\text{Im}(Y_{\mu\tau}Y_{\tau\mu})$	$-0.8 \dots 1.0$
$\mu \rightarrow e\gamma$	$(Y_{\tau\mu}Y_{\tau e} ^2 + Y_{\mu\tau}Y_{e\tau} ^2)^{1/4}$	$< 3.4 \times 10^{-4}$

many
processes to
consider...

Top Flavor Violation

* But, top decays are interesting:

