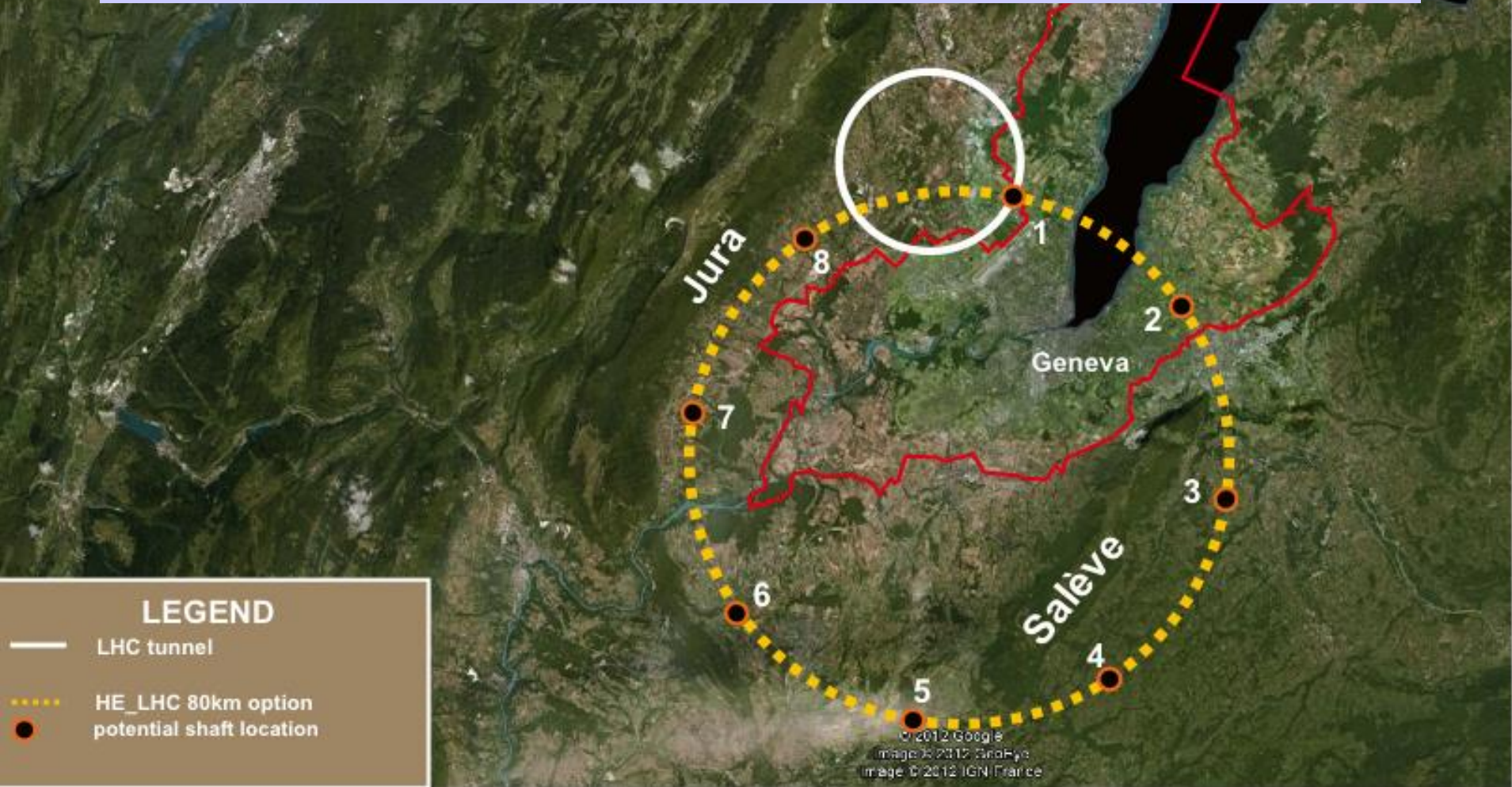
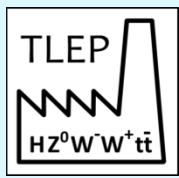


# TLEP

## The Neutrino Connection



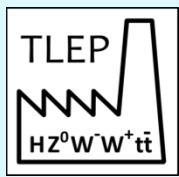


# NEUTRINO CONNECTIONS

The only known BSM physics at the particle physics level is the existence of neutrino masses

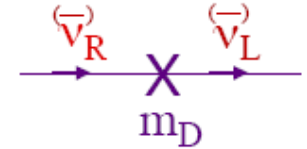
- There is no unique solution for mass terms: **Dirac** only? **Majorana** only? **Both**?
- if **Both**, existence of (2 or 3) families of massive right-handed ( $\sim$ sterile)  $N_i$ ,  $\bar{N}_i$  neutrinos is predicted («see-saw» models) but masses are unknown (eV to  $10^{10}$ GeV)
- Arguably, sterile neutrinos are the most likely 'new physics' there is.





Adding masses to the Standard model neutrino 'simply' by adding a Dirac mass term

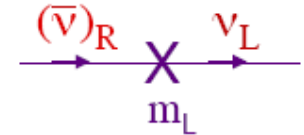
$$m_D \nu_L \bar{\nu}_R \quad m_D \bar{\nu}_L \nu_R$$



implies adding a right-handed neutrino (new particle)

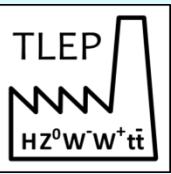
No SM symmetry prevents adding then a term like

$$m_M \overline{\nu_R^c} \nu_R$$



and this simply means that a neutrino turns into a antineutrino (the charge conjugate of a right handed antineutrino is a left handed neutrino!)





# See-saw in the most general way :

$$\mathcal{L} = \frac{1}{2} (\bar{\nu}_L, \bar{N}_R^c) \begin{pmatrix} 0 & m_D \\ m_D^T & M_R \end{pmatrix} \begin{pmatrix} \nu_L^c \\ N_R \end{pmatrix}$$

$M_R \neq 0$

$m_D \neq 0$

Dirac + Majorana

$$\tan 2\theta = \frac{2m_D}{M_R - 0} \ll 1$$

$$m_\nu = \frac{1}{2} \left[ (0 + M_R) - \sqrt{(0 - M_R)^2 + 4m_D^2} \right] \simeq -m_D^2/M_R$$

$$M = \frac{1}{2} \left[ (0 + M_R) + \sqrt{(0 - M_R)^2 + 4m_D^2} \right] \simeq M_R$$

general formula

if  $m_D \ll M_R$

$M_R = 0$

$m_D \neq 0$

Dirac only, (like e- vs e+):

	$\nu_L$	$\nu_R$	$\bar{\nu}_R$	$\bar{\nu}_L$
$I_{\text{weak}} =$	$\frac{1}{2}$	$0$	$\frac{1}{2}$	$0$

4 states of equal masses

Some have  $I=1/2$  (active)

Some have  $I=0$  (sterile)

$M_R \neq 0$

$m_D = 0$

Majorana only

	$\nu_L$	$\bar{\nu}_R$
$I_{\text{weak}} =$	$\frac{1}{2}$	$\frac{1}{2}$

2 states of equal masses

All have  $I=1/2$  (active)

$M_R \neq 0$

$m_D \neq 0$

Dirac + Majorana

	$\nu_L$	$N_R$	$\bar{\nu}_R$	$\bar{N}_L$
$I_{\text{weak}} =$	$\frac{1}{2}$	$0$	$\frac{1}{2}$	$0$

4 states, 2 mass levels

m1 have  $I=1/2$  (~active)

m2 have  $I=0$  (~sterile)

$$\tan 2\theta = \frac{2m_D}{M_R - 0} \ll 1$$

$$m_\nu = \frac{1}{2} \left[ (0 + M_R) - \sqrt{(0 - M_R)^2 + 4m_D^2} \right] \simeq -m_D^2/M_R$$

$$M = \frac{1}{2} \left[ (0 + M_R) + \sqrt{(0 - M_R)^2 + 4m_D^2} \right] \simeq M_R$$

general formula

if  $m_D \ll M_R$

$m_D$  associated with EWSB, part of SM, bounded by  $v/\sqrt{2} = 174$  GeV

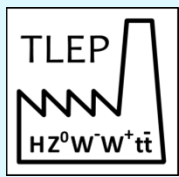
$M_R$  is SM singlet, does whatever it wants:  $\Rightarrow M_R \gg m_D$

Hence,  $\theta \simeq m_D/M_R \ll 1$

Note that this is not necessary as we have no idea of  $m_D$  and  $M_R$ !

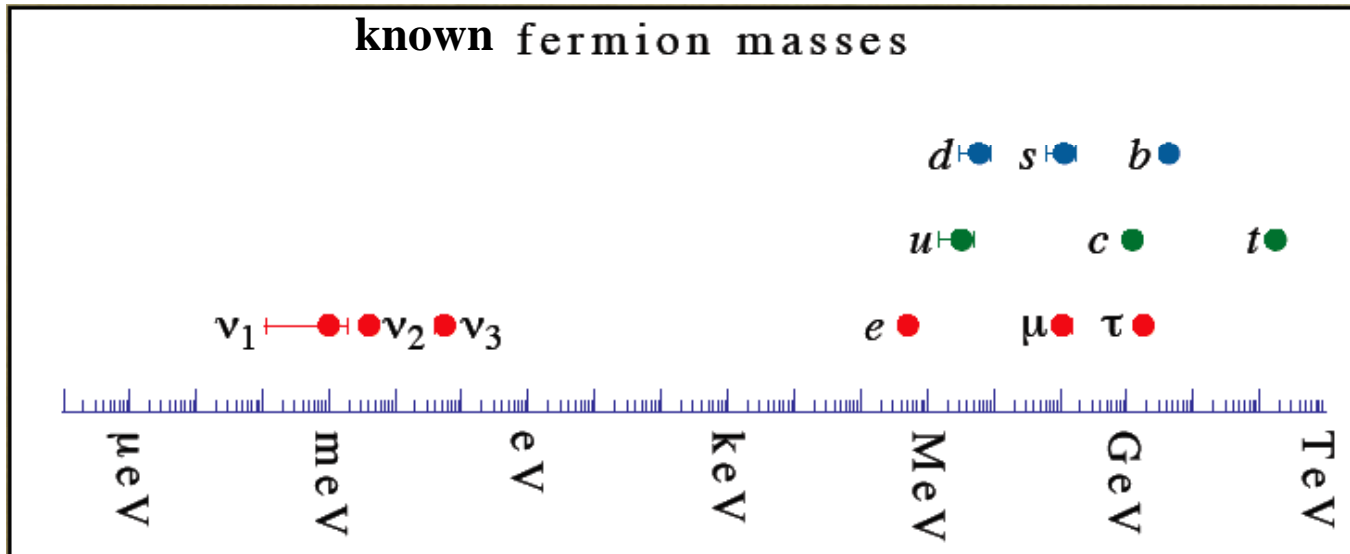
$\nu = \nu_L \cos \theta - N_R^c \sin \theta \simeq \nu_L$  with mass  $m_\nu \simeq -m_D^2/M_R$

$N = N_R \cos \theta + \nu_L^c \sin \theta \simeq N_R$  with mass  $M \simeq M_R$

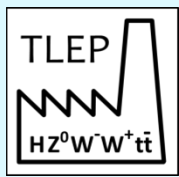


$$m_\nu = \frac{m_D^2}{M}$$

has been invoked to explain the smallness of active neutrino masses







# Manifestations of sterile neutrinos

$$\nu = \nu_L \cos\theta - N_R^c \sin\theta$$

$$N = N_R \cos\theta + \nu_L^c \sin\theta$$

$\nu$  = light mass eigenstate  
 $N$  = heavy mass eigenstate  
 $\neq \nu_L$  which couples to weak interaction

-- mixing with active neutrinos leads to various observable consequences

-- if very light (eV) , possible effect on neutrino oscillations

-- if mixing in % or permil level, possibly measurable effects on

→ PMNS matrix unitarity violation and **deficit in Z invisible width**

← today

→ occurrence of **Higgs invisible decays**  $H \rightarrow \nu_i \bar{N}_i$



next times!

→ violation of unitarity and lepton universality in **W or  $\tau$  decays**



-- etc etc..

-- Couplings are small ( $m_D/M$ ) and generally out of reach of hadron colliders

-- Require high statistics e+e-



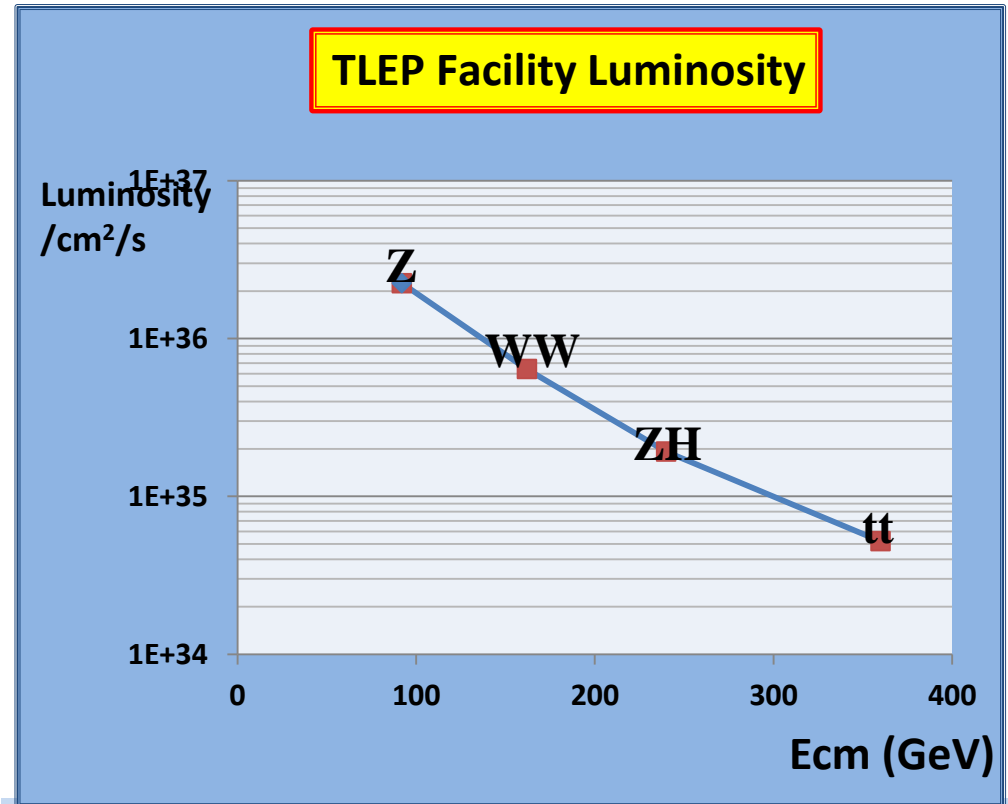
**Table 1:** TLEP parameters at different energies

	TLEP Z	TLEP W	TLEP H	TLEP t
$E_{\text{beam}}$ [GeV]	45	80	120	175
circumf. [km]	80	80	80	80
beam current [mA]	1180	124	24.3	5.4
#bunches/beam	4400	600	80	12
# $e^-$ /beam [ $10^{12}$ ]	1960	200	40.8	9.0
horiz. emit. [nm]	30.8	9.4	9.4	10
vert. emit. [nm]	0.07	0.02	0.02	0.01
bending rad. [km]	9.0	9.0	9.0	9.0
$\kappa_e$	440	470	470	1000
mom. c. $a_c$ [ $10^{-5}$ ]	9.0	2.0	1.0	1.0
$P_{\text{loss,SR}}/\text{beam}$ [MW]	50	50	50	50
$\beta_x^*$ [m]	0.5	0.5	0.5	1
$\beta_y^*$ [cm]	0.1	0.1	0.1	0.1
$\sigma_x^*$ [ $\mu\text{m}$ ]	124	78	68	100
$\sigma_y^*$ [ $\mu\text{m}$ ]	0.27	0.14	0.14	0.10
hourglass $F_{\text{hg}}$	0.71	0.75	0.75	0.65
$E_{\text{loss}}^{\text{SR}}/\text{turn}$ [GeV]	0.04	0.4	2.0	9.2
$V_{\text{RF,tot}}$ [GV]	2	2	6	12
$\delta_{\text{max,RF}}$ [%]	4.0	5.5	9.4	4.9
$\xi_x^*/\text{IP}$	0.07	0.10	0.10	0.10
$\xi_y^*/\text{IP}$	0.07	0.10	0.10	0.10
$f_s$ [kHz]	1.29	0.45	0.44	0.43
$E_{\text{acc}}$ [MV/m]	3	3	10	20
eff. RF length [m]	600	600	600	600
$f_{\text{RF}}$ [MHz]	700	700	700	700
$\delta_{\text{rms}}^{\text{SR}}$ [%]	0.06	0.10	0.15	0.22
$\sigma_{z,\text{rms}}^{\text{SR}}$ [cm]	0.19	0.22	0.17	0.25
$\mathcal{L}/\text{IP}$ [ $10^{32} \text{cm}^{-2} \text{s}^{-1}$ ]	5600	1600	480	130
number of IPs	4	4	4	4
beam lifet. [min]	67	25	16	20

**TLEP: A HIGH-PERFORMANCE CIRCULAR  $e^+e^-$  COLLIDER TO STUDY THE HIGGS BOSON**

M. Koratzinos, A.P. Blondel, U. Geneva, Switzerland; R. Aleksan, CEA/Saclay, France; O. Brunner, A. Butterworth, P. Janot, E. Jensen, J. Osborne, F. Zimmermann, CERN, Geneva, Switzerland; J. R. Ellis, King's College, London; M. Zanetti, MIT, Cambridge, USA.

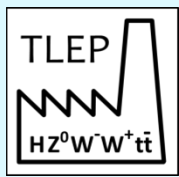
<http://arxiv.org/abs/1305.6498>.



**CONSISTENT SET OF PARAMETERS FOR TLEP  
TAKING INTO ACCOUNT BEAMSTRAHLUNG**

Will consider also : x10 upgrade with e.g. charge compensation?  
(suppresses beamstrahlung and beam-beam blow up)





**In October 1989 LEP determined that the number of neutrino families was  $3.11 \pm 0.15$**

**In Feb 1990 Cecilia Jarlskog commented that this number could be smaller than 3 if the left handed neutrino(s) has a component of (a) heavy sterile neutrino(s) which is kinematically suppressed or forbidden**



## NEUTRINO COUNTING AT THE Z-PEAK AND RIGHT-HANDED NEUTRINOS

C. JARLSKOG

*CERN, CH-1211 Geneva 23, Switzerland  
and Department of Physics, University of Stockholm, S-113 46 Stockholm, Sweden*

Received 20 February 1990

We consider the implications of extending the minimal standard model, with  $n$  families of quarks and leptons, by introducing an arbitrary number of right-handed neutrinos, for neutrino-counting via the "invisible width" of the Z. It is shown that the effective number of neutrinos,  $\langle n \rangle$ , satisfies, the inequality  $\langle n \rangle \leq n$ , where  $\langle n \rangle$  is defined by  $\Gamma(Z \rightarrow \text{neutrinos}) \equiv \langle n \rangle \Gamma_0$  and  $\Gamma_0$  is the standard width for one massless neutrino. Thus, in the case of three families, the neutrino-counting can give a result which is less than three, if there are right-handed neutrinos.

### *Theorem.*

In the standard model, with  $n$  left-handed lepton doublets and  $N - n$  right-handed neutrinos, the effective number of neutrinos,  $\langle n \rangle$ , defined by

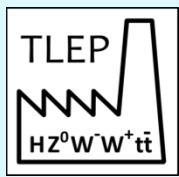
$$\Gamma(Z \rightarrow \text{neutrinos}) \equiv \langle n \rangle \Gamma_0,$$

where  $\Gamma_0$  is the standard width for one massless neutrino, satisfies the inequality

$$\text{Alain Blond} \quad \langle n \rangle \leq n.$$

(15)





# At the end of LEP:

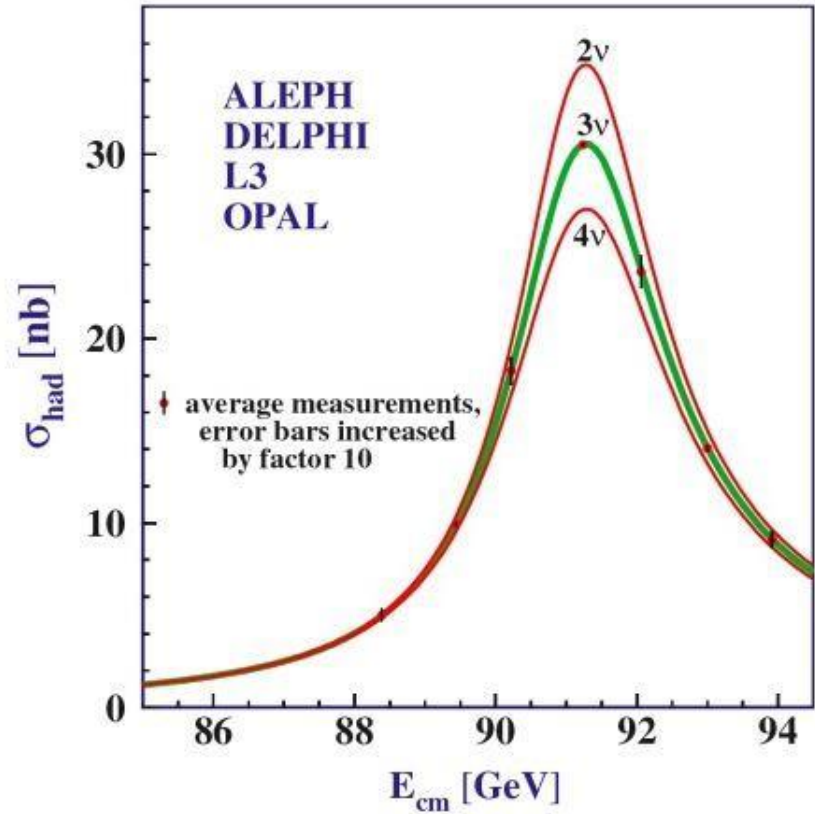
Phys.Rept.427:257-454,2006

$$N_\nu = 2.984 \pm 0.008$$

- 2  $\sigma$  :^ ) !!

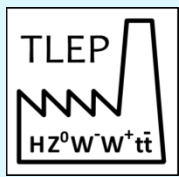
This is determined from the Z line shape scan and dominated by the measurement of the hadronic cross-section at the Z peak maximum →

The dominant systematic error is the theoretical uncertainty on the Bhabha cross-section (0.06%) which represents an error of  $\pm 0.0046$  on  $N_\nu$



Improving on  $N_\nu$  by more than a factor 2 would require a large effort to improve on the Bhabha cross-section calculation!





Another solution:

determine the number of neutrinos from the **radiative returns**

$$e^+e^- \rightarrow \gamma Z (\rightarrow \nu \bar{\nu})$$

CERN-TH.5528/89



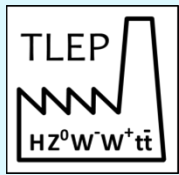
NEUTRINO COUNTING

G. Barbiellini<sup>1</sup>, X. Berdugo<sup>2</sup>, G. Bonvicini<sup>3</sup>, P. Colas<sup>4</sup>, L. Mirabito<sup>4</sup>,  
C. Dionisi<sup>5</sup>, D. Karlen<sup>6</sup>, F. Linde<sup>7</sup>, C. Luci<sup>8</sup>, C. Mana<sup>8</sup>, C. Matteuzzi<sup>9</sup>,  
O. Nicosini<sup>10</sup>, R. Ragazzon<sup>1</sup>, D. Schaile<sup>11</sup>, F. Scuri<sup>1</sup> and L. Trentadue\*)<sup>1,2</sup>

in its original form (Karlen) the method only counts the 'single photon' events and is actually less sensitive than claimed. It has poorer statistics and requires running ~10 GeV above the Z pole. Systematics on photon selection are not small.

**present result:  $N_\nu = 2.92 \pm 0.05$**





## Neutrino counting at TLEP

given the very high luminosity, the following measurement can be performed

$$N_\nu = \frac{\frac{\gamma Z(inv)}{\gamma Z \rightarrow ee, \mu\mu}}{\frac{\Gamma_\nu}{\Gamma_{e, \mu}} (SM)}$$

The common  **$\gamma$  tag** allows cancellation of systematics due to photon selection, luminosity etc. The others are extremely well known due to the availability of  $O(10^{12})$  Z decays.

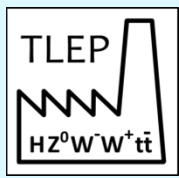
The full sensitivity to the number of neutrinos is restored, and the theory uncertainty on  $\frac{\Gamma_\nu}{\Gamma_e} (SM)$  is very very small.

A good measurement can be made from the data accumulated at the WW threshold where  $\sigma(\gamma Z(inv)) \sim 4$  pb for  $|\cos\theta_\gamma| < 0.95$

161 GeV ( $10^7$  s) running at  $1.6 \times 10^{35}/\text{cm}^2/\text{s} \times 4$  exp  $\rightarrow 3 \times 10^7$   $\gamma Z(inv)$  evts,  $\Delta N_\nu = 0.0011$   
 adding 5 yrs data at 240 and 350 GeV .....  $\Delta N_\nu = 0.0008$

A better point may be 105 GeV (20pb and higher luminosity) may allow  $\Delta N_\nu = 0.0004?$





# Conclusions

Given the high statistics (and if the detectors are designed appropriately) the measurement of the Z invisible width at TLEP should allow a powerful search for sterile neutrinos (or other invisible or exotic final states in Z decays)

The most powerful technique is the radiative returns  $e^+e^- \rightarrow \gamma Z$  with a tag on the photon.

A sensitivity of  $\Delta N_\nu = 0.001$  should be achievable and perhaps better

To do:

- confirm numbers and check selection backgrounds etc..
- optimize the experiment ('guess' is optimum around 105 GeV )
- this is exciting.

