### Probing Gluon Saturation through Dihadron correlations at an Electron-Ion Collider

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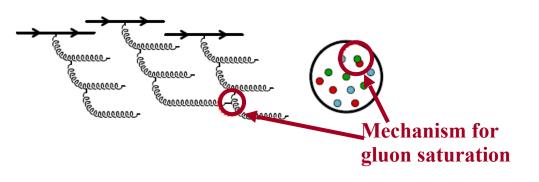
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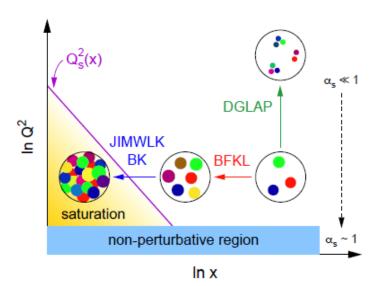


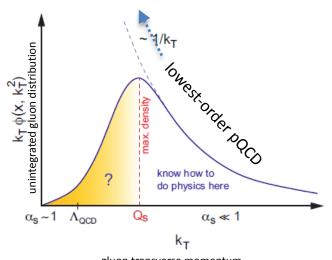


### exploring gluon saturation regime

- Gluons dominate at small-x regime
  - 99% of proton mass accounted by QCD interaction
  - Gluon PDF grows explosively at small x
- Nonlinear evolution like BK evolution alternative to DGLAP, BFKL due to gluon recombination
- Saturation regime: Q<sup>2</sup><Q<sup>2</sup><sub>s</sub>(x)

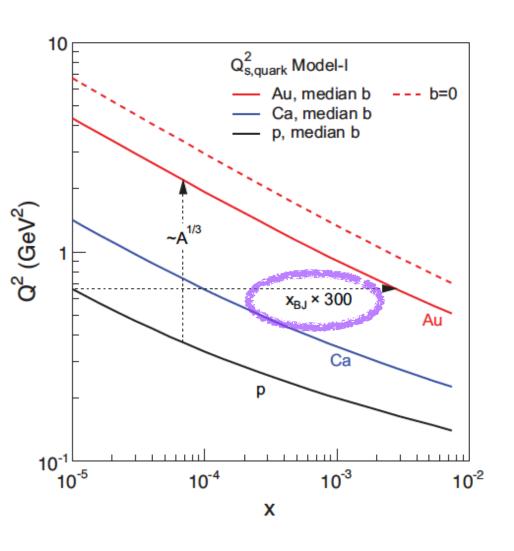


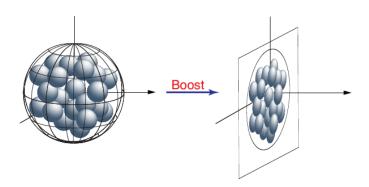




DIS 2014 gluon transverse momentum

### nuclear amplification of saturation





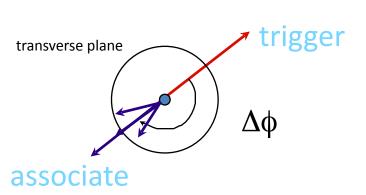
 Transverse gluon density scales with nuclear size at high energy/small-x
 ⇒ Effective x much smaller in large nuclei

$$Q_{\mathrm{S}}^{2}(x,A) \sim Q_{\mathrm{0}}^{2}A^{1/3}(\frac{x_{\mathrm{0}}}{x})^{\lambda}$$

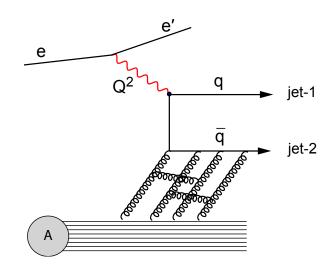
 $Q_0=1$  GeV,  $x_0=3x10^{-4},\lambda=0.288$ 

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#### saturation and dihadron correlation



$$C(\Delta\phi)=rac{N_{
m pair}(\Delta\phi)}{N_{
m trig}}$$



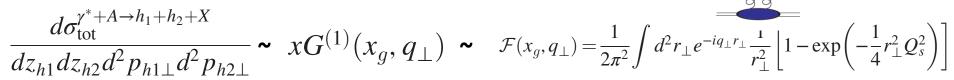
- Dijet/dihadron correlation sensitive to the transverse momentum imbalance
- In the saturation regime (< Qs), large transverse momentum imbalance for the hadron pairs expected, which leads to back-to-back jet/hadron pairs to decorrelation

#### dihadron correlation in saturation formalism

#### Correlation Function = = = = = =

$$C(\Delta\phi) = \frac{1}{\frac{d\sigma_{\text{SIDIS}}^{\gamma^* + A \to h_1 + h_2 + X}}{dz_{h1}}} \frac{d\sigma_{\text{tot}}^{\gamma^* + A \to h_1 + h_2 + X}}{dz_{h1} dz_{h2} d\Delta\phi}$$





gauge link for large nucleus for small-x using McLerran-Venugopalan model

#### Trigger particle cross-section (color dipole gluon distribution $G^{(2)}$ )

$$\frac{d\sigma_{\text{SIDIS}}^{\gamma^* + A \to h_1 + X}}{dz_{h1} d^2 p_{h1 \perp}} \sim xG^{(2)}(x_g, q_{\perp}) \sim F_{x_g}(q_{\perp}) = \int \frac{d^2 r}{2\pi^2} e^{iq_{\perp} \cdot r_{\perp}} \frac{1}{N_c} \text{Tr} \langle U(r_{\perp}) U^{\dagger}(0) \rangle_{\rho}$$
Fourier transformation of dipole cross-section 
$$\simeq \frac{1}{\pi O_{xA}^2} \exp\left[-\frac{q_{\perp}^2}{O_{xA}^2}\right].$$

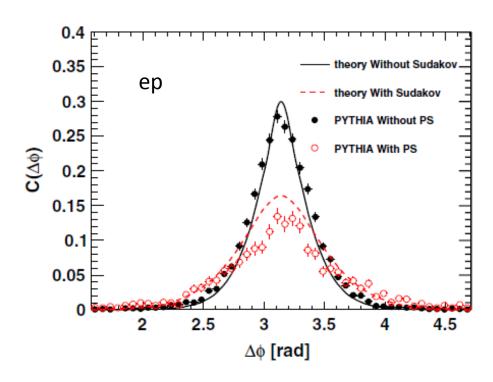
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### parton shower in dihadron correlation - Sudakov effect in nuclei

$$\mathcal{F}(x_g, q_{\perp}) = \frac{1}{2\pi^2} \int d^2 r_{\perp} e^{-iq_{\perp}r_{\perp}} \frac{1}{r_{\perp}^2} \left[ 1 - \exp\left(-\frac{1}{4}r_{\perp}^2 Q_s^2\right) \right] \\ \times \exp\left[ -\frac{\alpha_s N_c}{4\pi} \ln^2 \frac{K^2 r_{\perp}^2}{c_0^2} \right]$$

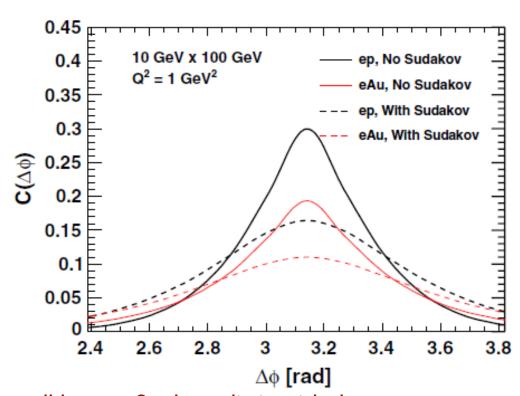
$$K^2 = P_T^2 \text{ or } K^2 = Q^2, C_0 = 2e^{-\gamma_E}$$

- Nuclear Beyond leading order calculation is achieved by inclusion of Sudakov factor at leading double log level in WW gluon distribution (O(Q²)~O(P<sub>T</sub>²))
- Parton shower effect is effectively cast into Sudakov factor in saturation calculation for dihadron correlation



#### saturation formalism with Sudakov factor

- Strong suppression expected at away-side of the correlation function
- Away-side suppression is due to a combination of Sudakov factor and saturation effects
- Nuclear modification of parton shower at leading order is small in the saturation formalism

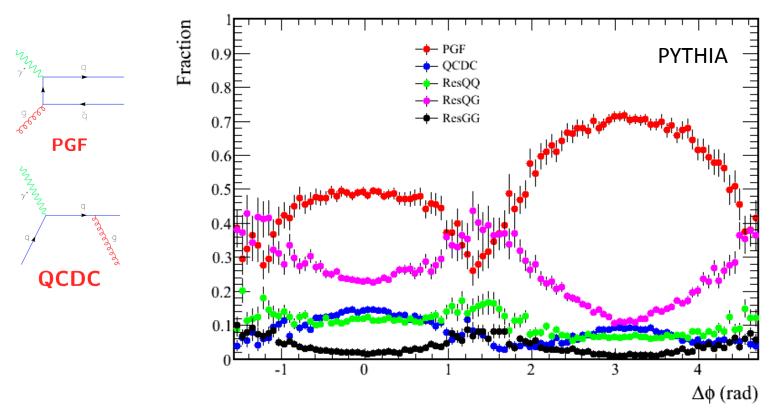


Parton shower in nuclei not well known: Study to distinguish the contribution from Sudakov and saturation can be achieved by running with different target types and/or utilizing the near side peak scanned with different Q<sup>2</sup>

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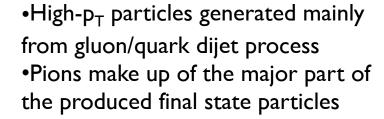
## QCD processes contributing to back-to-back dihadron in DIS at EIC energies

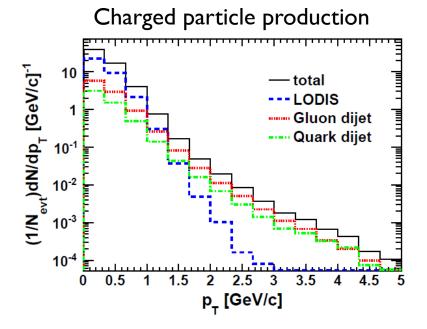


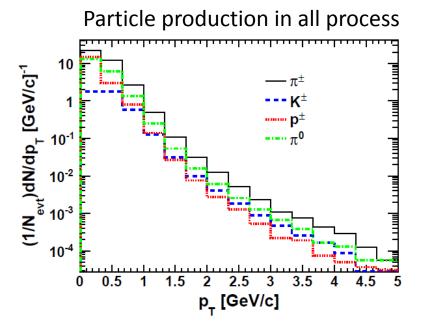
- Photon-Gluon Fusion dominates (~70%) away-side correlation
- Processes without gluon coupling < ~20%</li>

# Particle yield from different underlying process

e+p 10 GeV x 100 GeV 1<Q<sup>2</sup><20 GeV<sup>2</sup> 0.01<y<0.95

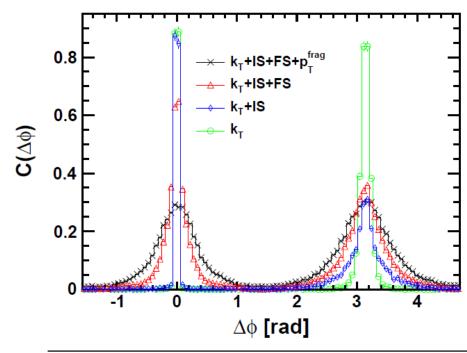






## impact on dihadron correlation function from different QCD effects

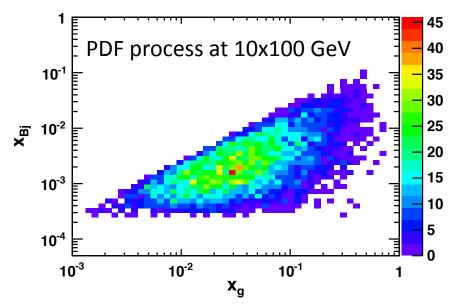
- Near-side peak width mainly affected by final state parton shower and fragmentation
- Away-side peak width dominated by initial state parton shower



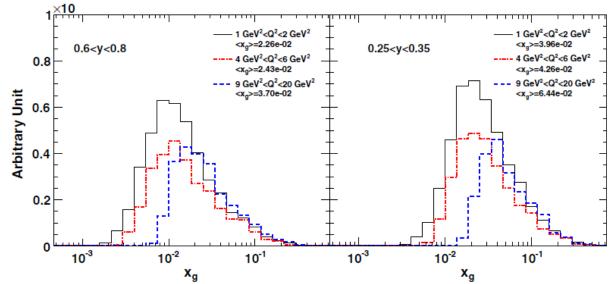
	Near-side $\Delta \phi$ RMS	Away-side $\Delta \phi$ RMS
$k_T$	0.21	0.25
$k_T + IS$	0.30	0.72
$k_T + IS + FS$	0.65	0.81
$\frac{k_T + \mathrm{IS} + \mathrm{FS}}{k_T + \mathrm{IS} + \mathrm{FS} + p_T^{\mathrm{frag}}}$	1.00	1.00

IU

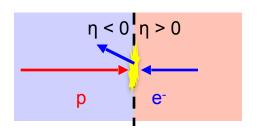
#### kinematics access



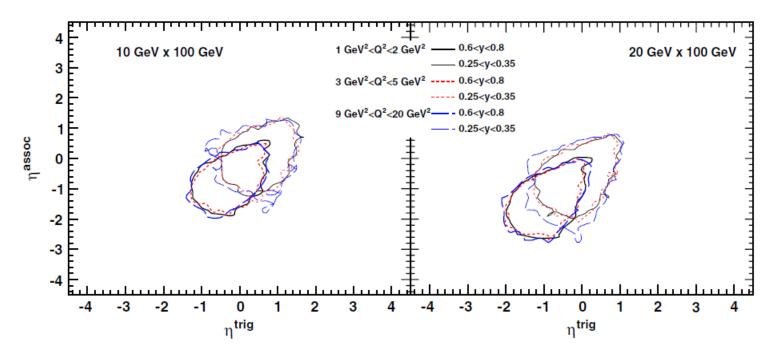
- x<sub>g</sub> coverage can be constrained by selecting certain kinematics bins
- EIC accessible kinematics region covers the transition to saturation regime



## experimental measurements of dihadron correlations at EIC



Device	acceptance	smearing
Barrel track	-1<η <b>&lt;</b> 1	0.1%*p
Endcap track	1 η <2</td <td>1%*p</td>	1%*p
Endcap Cal	-4.5<η<-2	1.78% * sqrt(E) + 0.69% * E



# dihadron correlation with non-saturation prediction

ep/eAu 20x100 GeV Cuts:

0.6<y<0.8 I <Q<sup>2</sup><2 GeV<sup>2</sup>

 $p_{tl}$ >2 GeV, I GeV< $p_{t2}$ < $p_{tl}$ 

0.2 < z1, z2 < 0.4

2560 < v < 3400 GeV

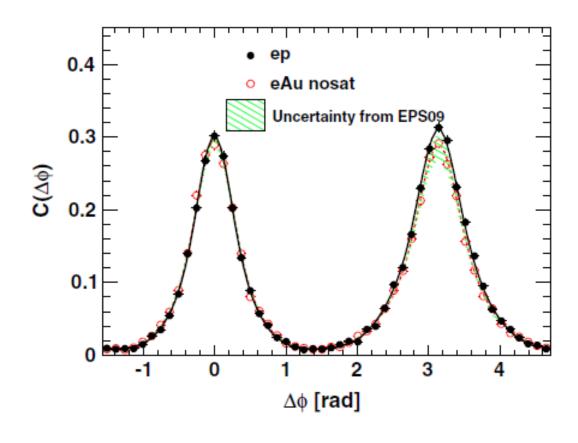
 $< x_{bi} > = 2.59 \times 10^{-4}$ 

 $< x_g > = 3.42 \times 10^{-2}$ 

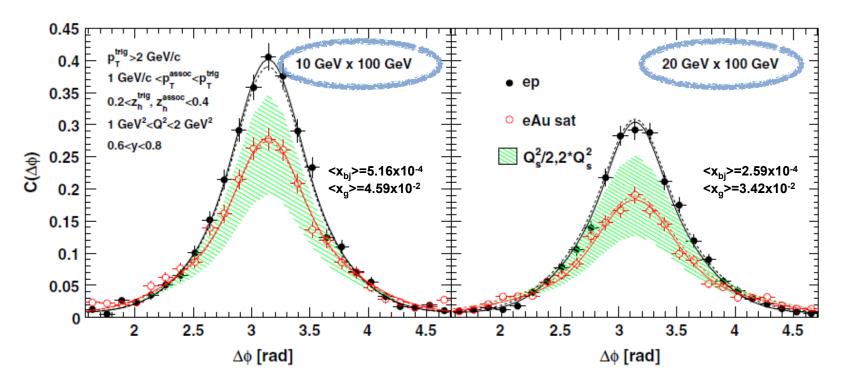
Charged particles

#### Nuclear effects:

- nPDF EPS09
- Cold nuclear medium energy loss



## saturation prediction and expected measurement at EIC



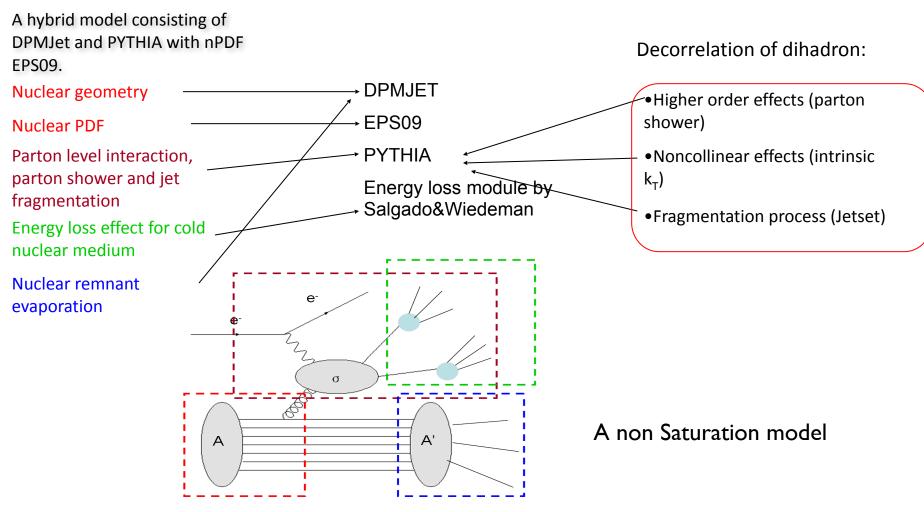
- EIC expected data from I fb<sup>-1</sup> integrated luminosity at 10,20(e)x100(p/Au)
   GeV
- Saturation / no-saturation can be clearly distinguished
- Strong suppression cannot be reproduced by the non-saturation model

#### summary

- Dihadrons (Dijet) in DIS ep, eA provide gluon distributions.
- Nuclear dependent QCD effects and gluon saturation can be measured in dihadron correlations at an EIC over a broad kinematic range.
- The onset of the projected saturation region is well covered by the EIC energy regime and the proposed luminosity and the detectors are suitable to measure the gluon saturation with high precision through dihadron correlations.

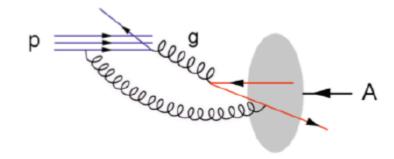
### Backup

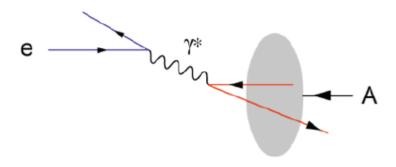
# Monte-Carlo simulation for dihadron correlation in ep/eA



### Connections to pA

- Control initial/final state
- eA experimentally much cleaner, no pedestal
  - no "spectator" background to subtract
- Access to the exact kinematics of the DIS process  $(x, Q^2)$
- Constrain WW gluon distribution which is rarely known from other measurements





	DIS and DY	SIDIS	hadron in $pA$	photon-jet in $pA$	Dijet in DIS	Dijet in $pA$
$G^{(1)}$ (WW)	×	×	×	×	$\checkmark$	$\checkmark$
$G^{(2)}$ (dipole)	$\sqrt{}$	$\sqrt{}$	$\checkmark$	$\checkmark$	×	$\sqrt{}$