

Thomas Burton

DIS 2014

XXII International Workshop on  
Deep-Inelastic Scattering and  
Related Subjects

Warsaw

28th April- 2 May 2014

**BROOKHAVEN**  
NATIONAL LABORATORY



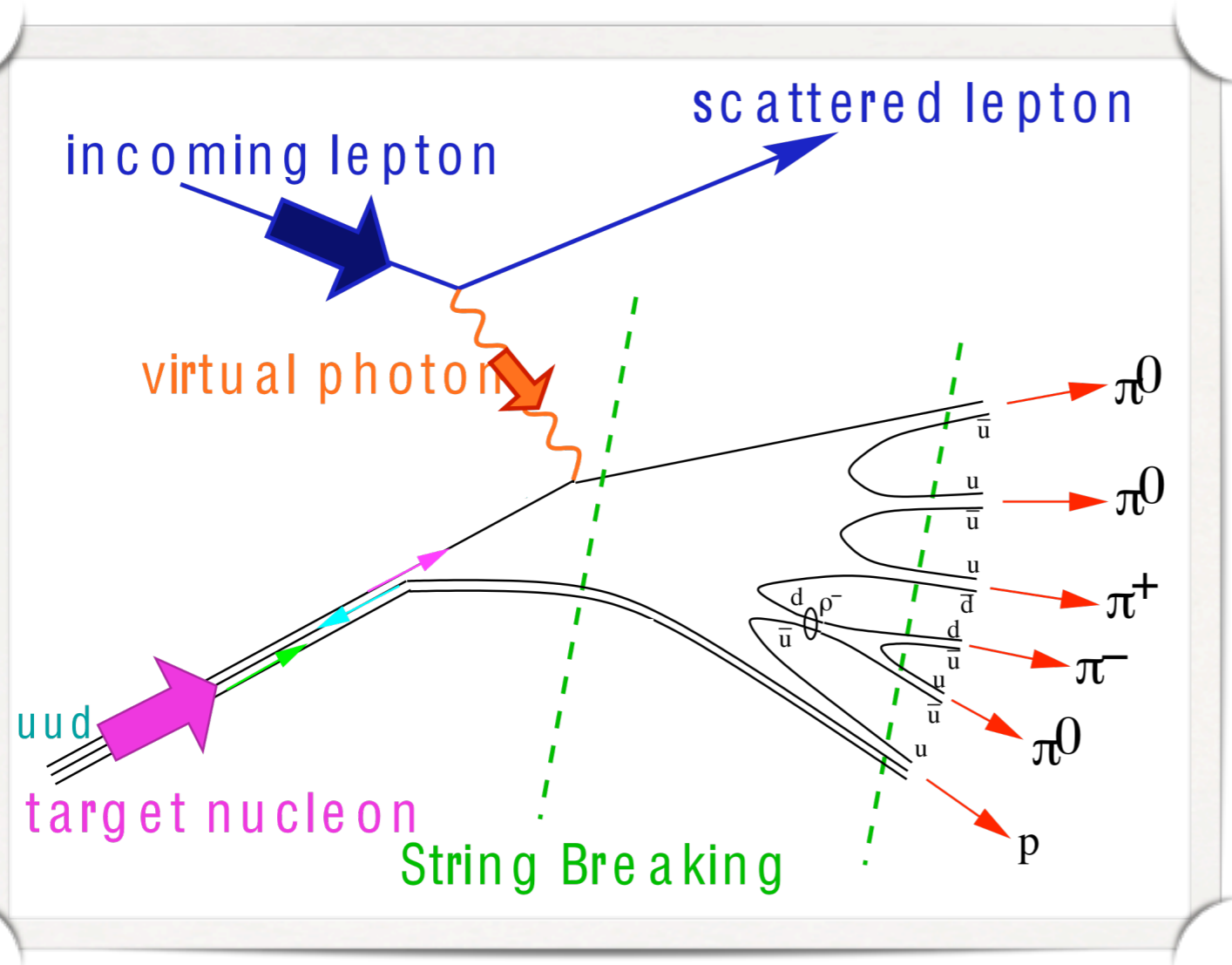
charged  
current **DIS**  
on  
longitudinally  
polarised  
nucleons  
at  
an **EIC**

# Overview

- Charged current DIS with polarised nucleons
- CC DIS and electron-ion collider (EIC)
- Event simulation with radiative corrections
- Detector effects and kinematic reconstruction
- Asymmetry results

**PRD 88 114025 (2013)**

# SIDIS vs. charged current DIS

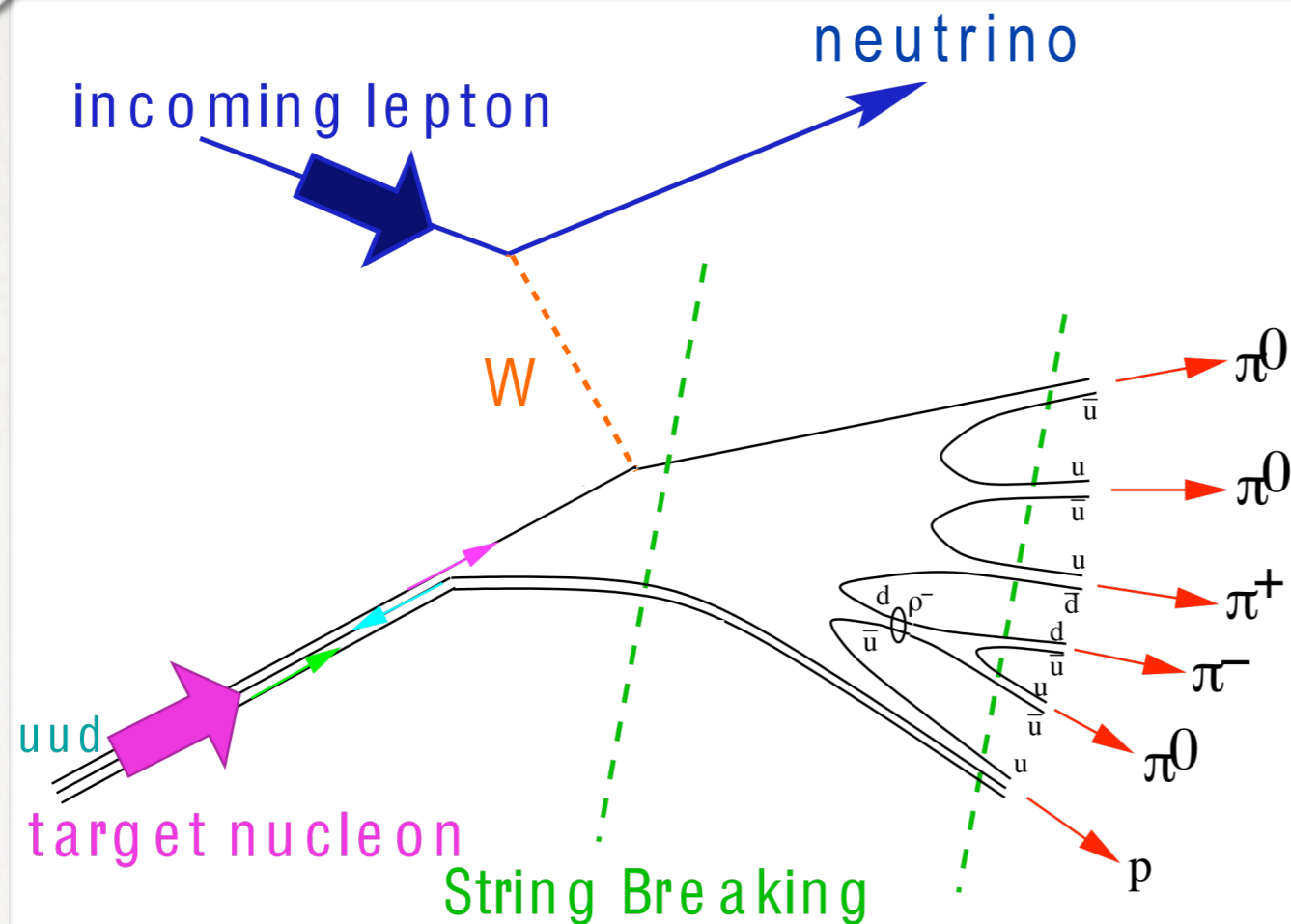


- Both allow **flavour separation**
- CC differs in:
  - ▶ no **fragmentation functions**
  - ▶ accesses higher  $Q^2$
  - ▶ different flavour combinations

Want to do both because they

- offer **complementary information**
- access different **kinematic regimes**

# SIDIS vs. charged current DIS



- Both allow **flavour separation**
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- Want to do both because they
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$$\frac{d^2 \Delta \sigma^{W^-, N}}{dx dy} = \frac{2\pi \alpha_{em}^2}{xy Q^2} \eta [2Y_- x g_1^{W^-, N} - Y_+ g_4^{W^-, N} + y^2 g_L^{W^-, N}]$$

$$g_L \equiv g_4 - 2xg_5$$

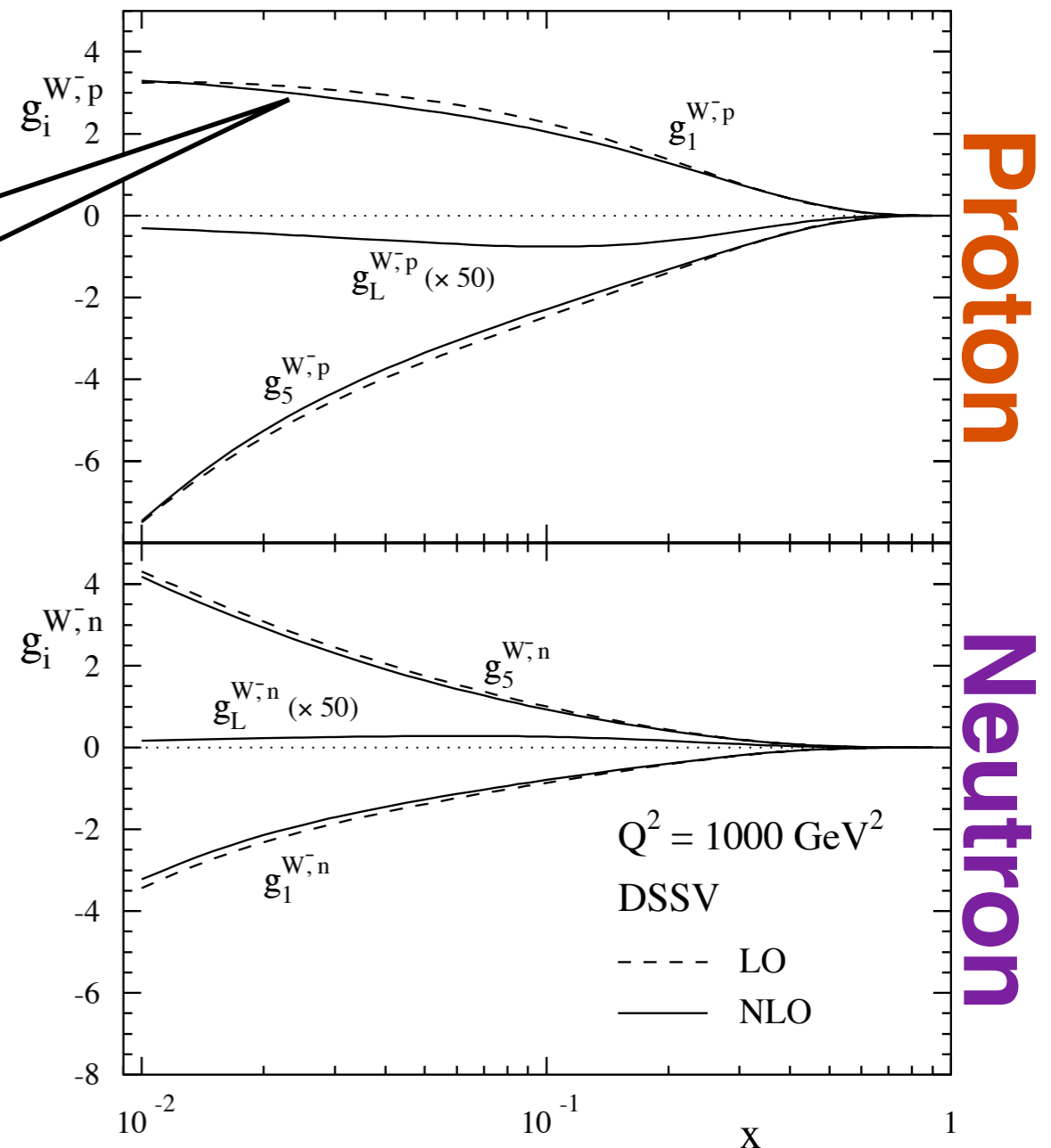
## CC structure functions

$$g_1^{W^-, p}(x) = \Delta u(x) + \Delta \bar{d}(x) + \Delta c(x) + \Delta \bar{s}(x),$$

$$g_5^{W^-, p}(x) = -\Delta u(x) + \Delta \bar{d}(x) - \Delta c(x) + \Delta \bar{s}(x)$$

NLO corrections are modest

- How can we measure **polarised CC DIS?**
- ▶ need a **new machine**



# Structure functions

# Charged current DIS at an EIC

# Electron-Ion Collider (EIC)

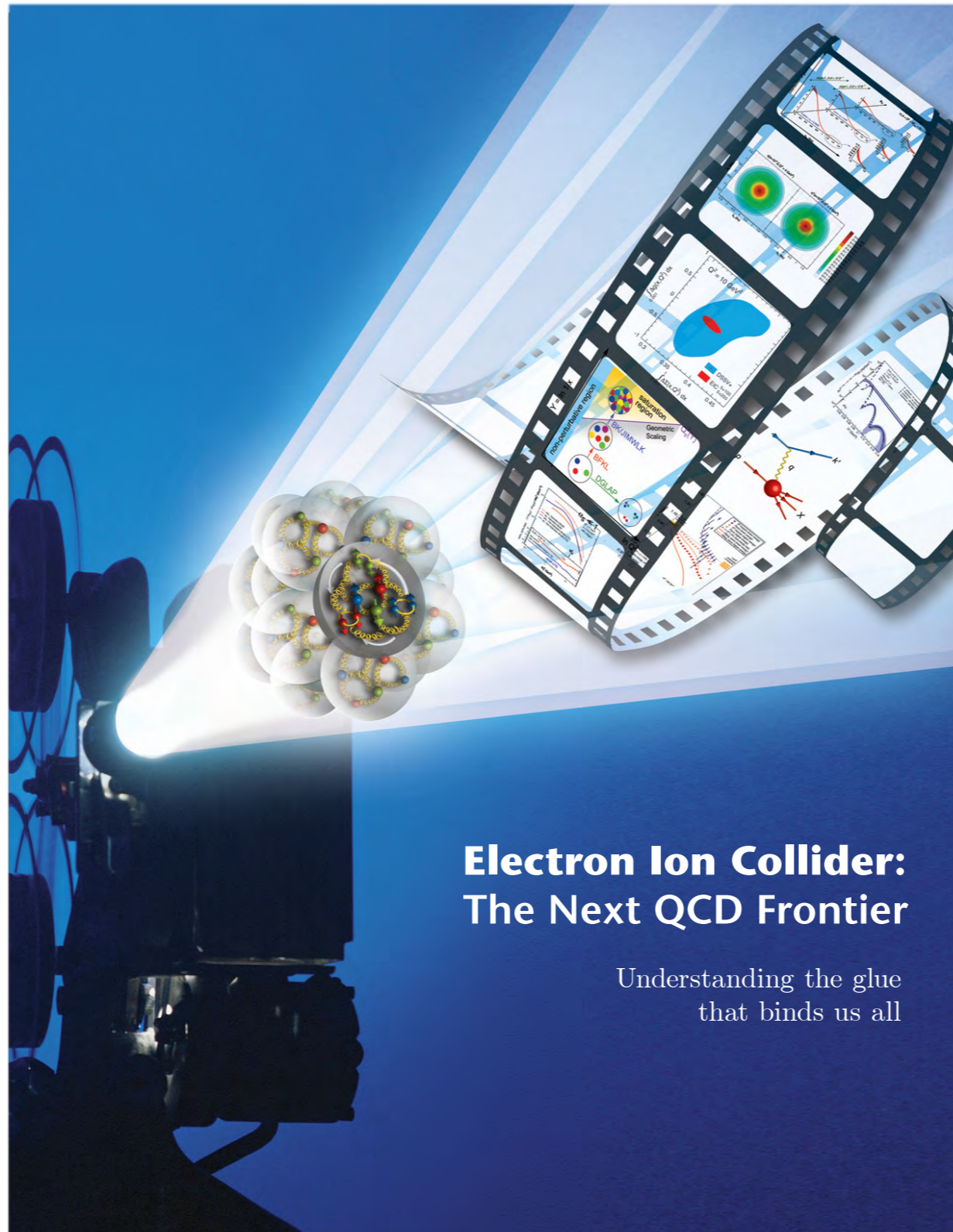
- High energy **electron-hadron** collider
- Assume **eRHIC** baseline performance here
  - ▶ Beams: **p**<sup>↑</sup>, “**n**<sup>↑</sup>” (He<sup>3</sup>) & nuclei
  - ▶ **10-20** GeV **electrons**
  - ▶ up to **250** GeV **protons**
  - ▶ luminosity: ~ **10<sup>33</sup>** cm<sup>-2</sup> s<sup>-1</sup>

See talks by  
E. Aschenauer  
& JH Lee  
& P. Nadel-  
Turonski

Use **10 fb<sup>-1</sup>** (~ 1 year of running) as a realistic “chunk” of data for our study

# Electron-Ion Collider (EIC)

- High energy
- Assume  $e$
- ▶ Beams:
- ▶ **10-20 GeV**
- ▶ up to **25**
- ▶ luminosity



here

talks by  
schenauer  
JH Lee  
P. Nadel-  
uronski

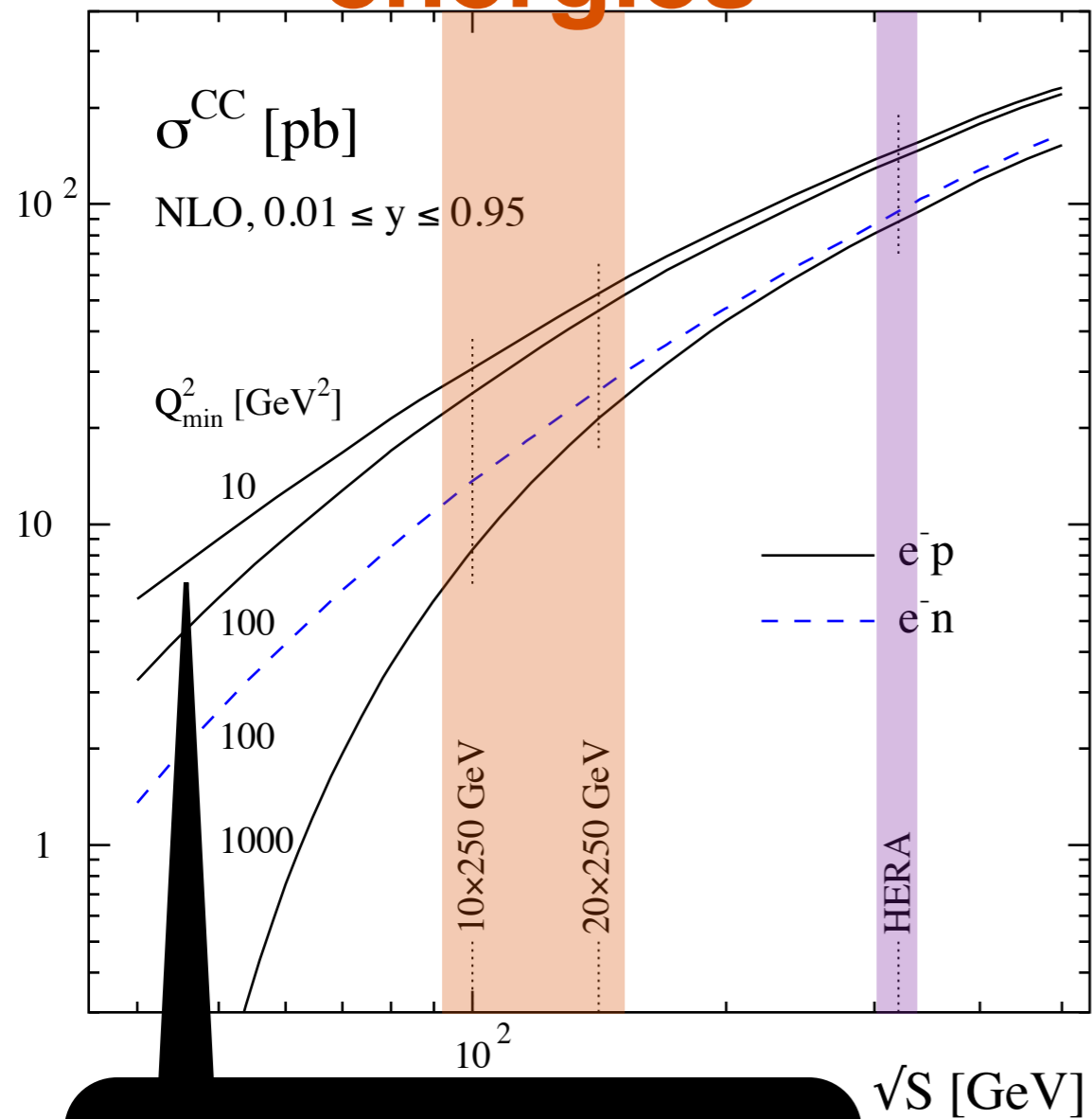
Use  
realis

as a  
study



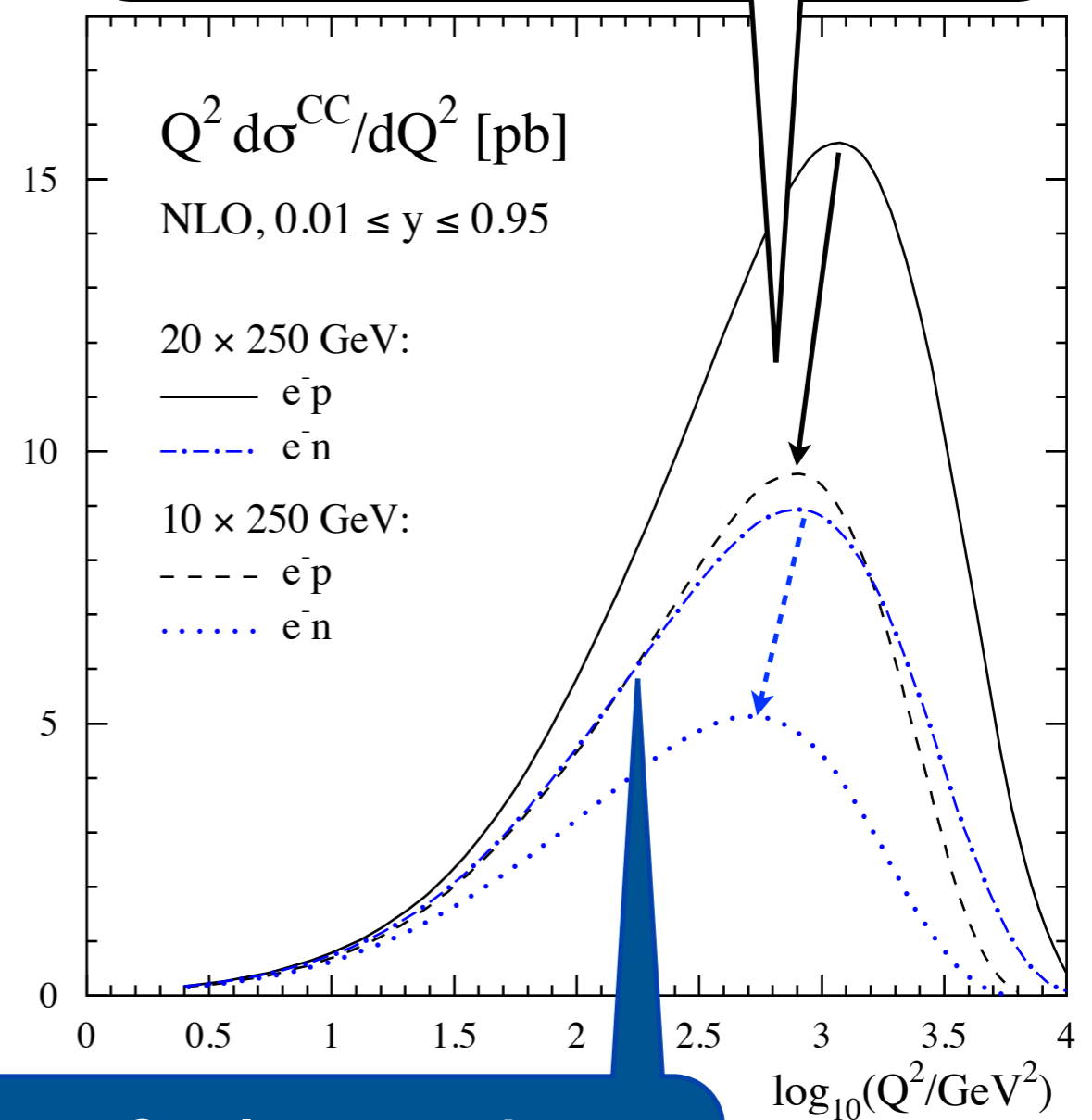
# CC DIS cross section

**EIC  
energies**

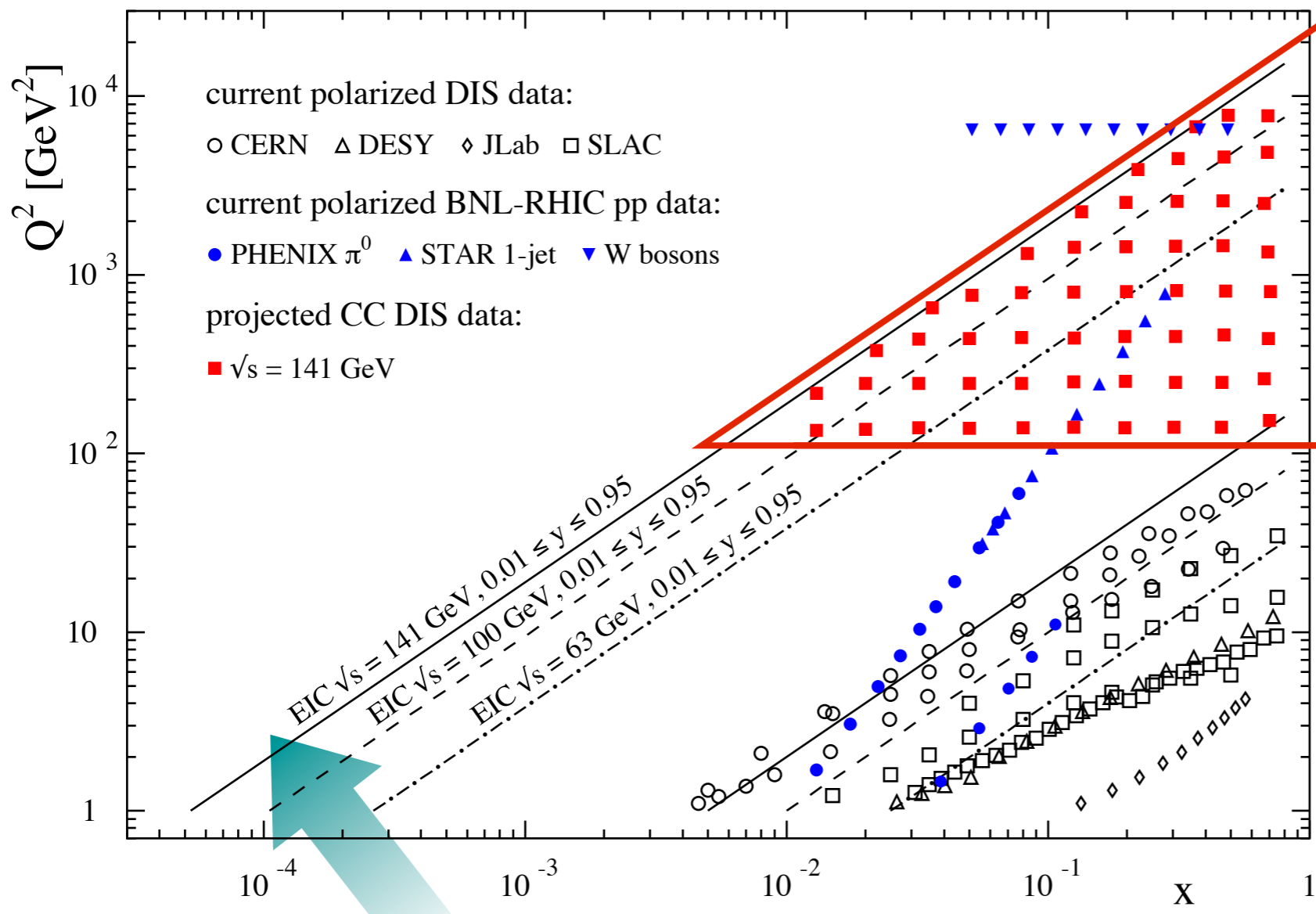


$\sigma$  depends little on  $Q_{\text{min}}^2$  for  $Q_{\text{min}}^2 < M_W^2$

Still feasible at  
lower electron energy



$n \sim 2x$  lower than  $p$   
 $u(x) < d(x)$



Up to  $\times 100$  range  
 in  $Q^2$  at given  $x$   
 $\rightarrow$  QCD evolution

Most  $\sigma > 100$  GeV<sup>2</sup>

Limit ourselves to  
 here for this study

Higher energy better for

- cross section and
- kinematic reach

Kinematic  
 coverage

# Event simulation with radiative corrections

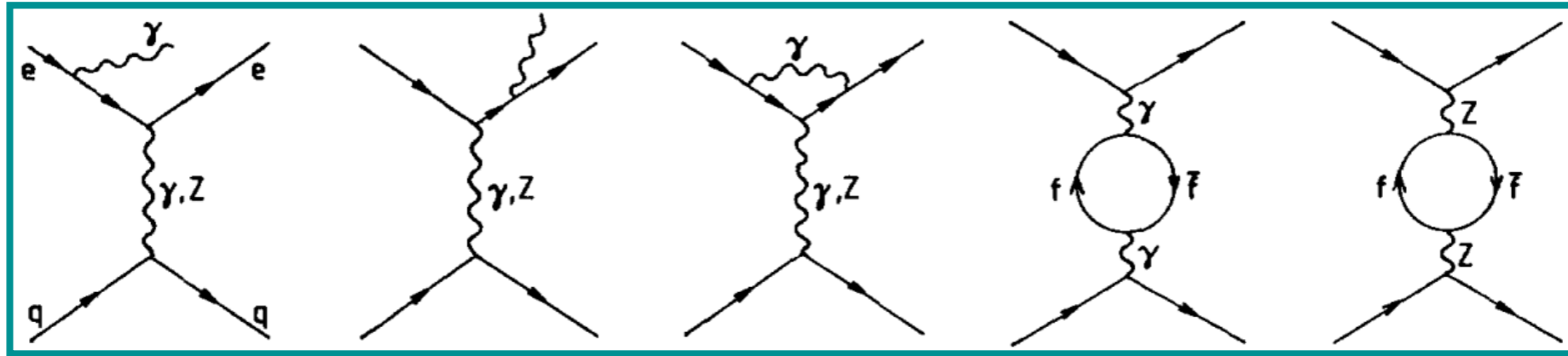
# DJANGO

K. Charchula, G. A. Schuler,  
and H. Spiesberger,

[Comput. Phys. Commun. 81, 381 \(1994\).](#)

- DIS event generator

- ▶ includes QED and QCD **radiative effects**



- ▶ LUND string fragmentation: full final state

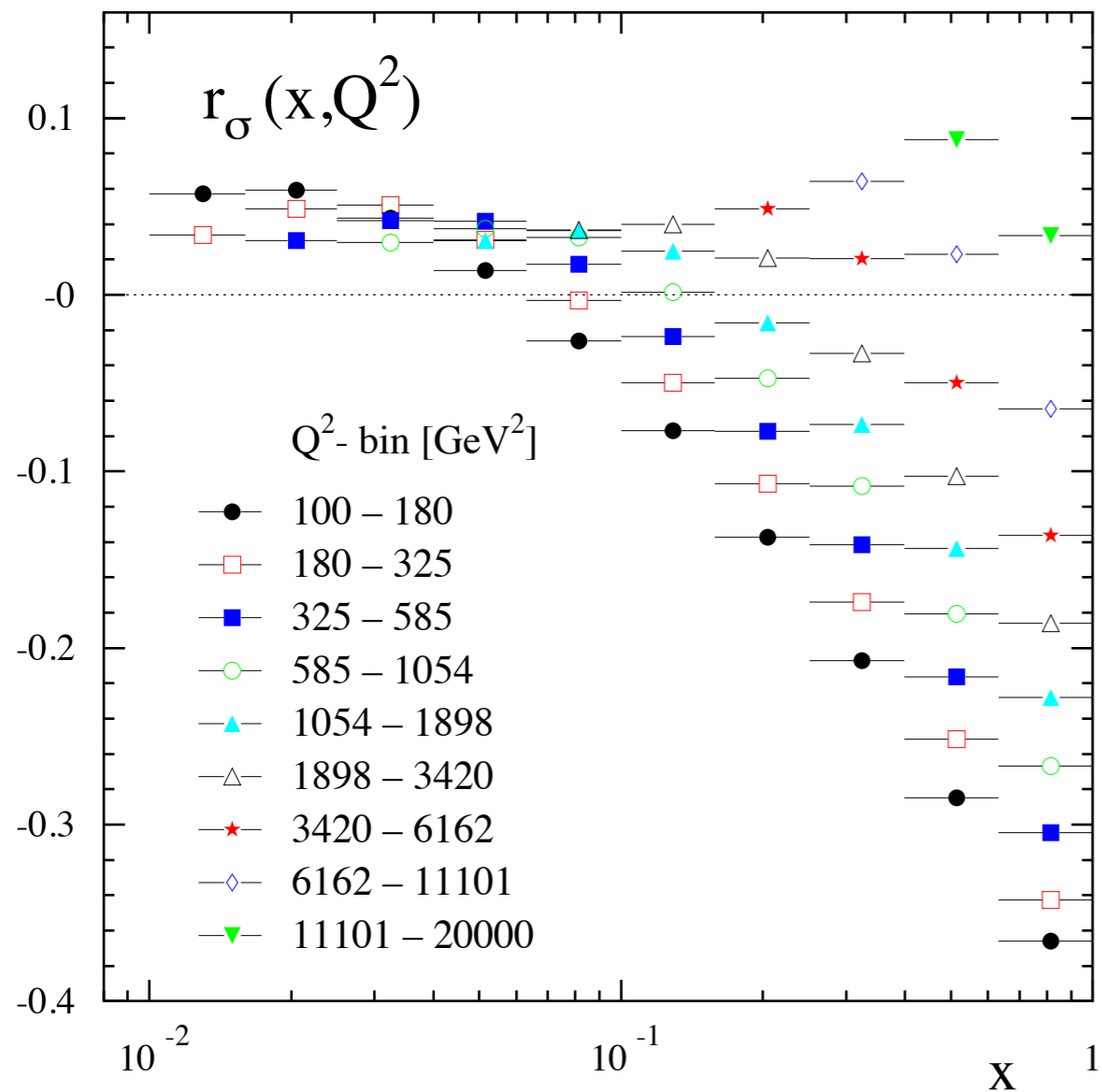
- Widely used at HERA

- This analysis uses a new version

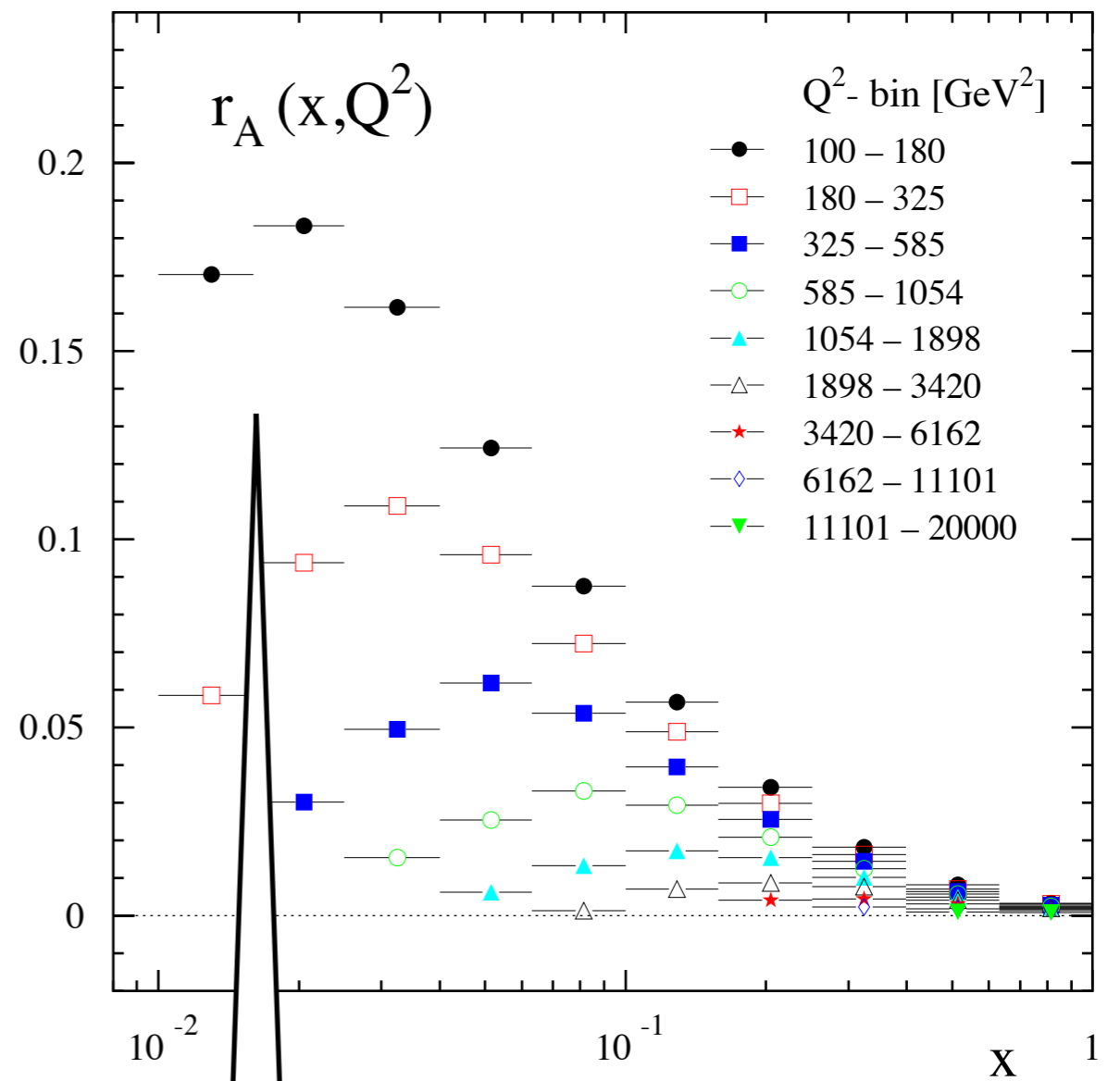
- ▶ Add **polarised nucleons**

<http://wwwthep.physik.uni-mainz.de/~hspiesb/djangoh/djangoh.html>

$$r_\sigma = d^2\sigma^{W^-,p}|_{\mathcal{O}(\alpha_{\text{em}}^3)} / d^2\sigma^{W^-,p}|_{\mathcal{O}(\alpha_{\text{em}}^2)} - 1$$



$$r_A = A_L^{W^-,p}|_{\mathcal{O}(\alpha_{\text{em}}^3)} / A_L^{W^-,p}|_{\mathcal{O}(\alpha_{\text{em}}^2)} - 1$$

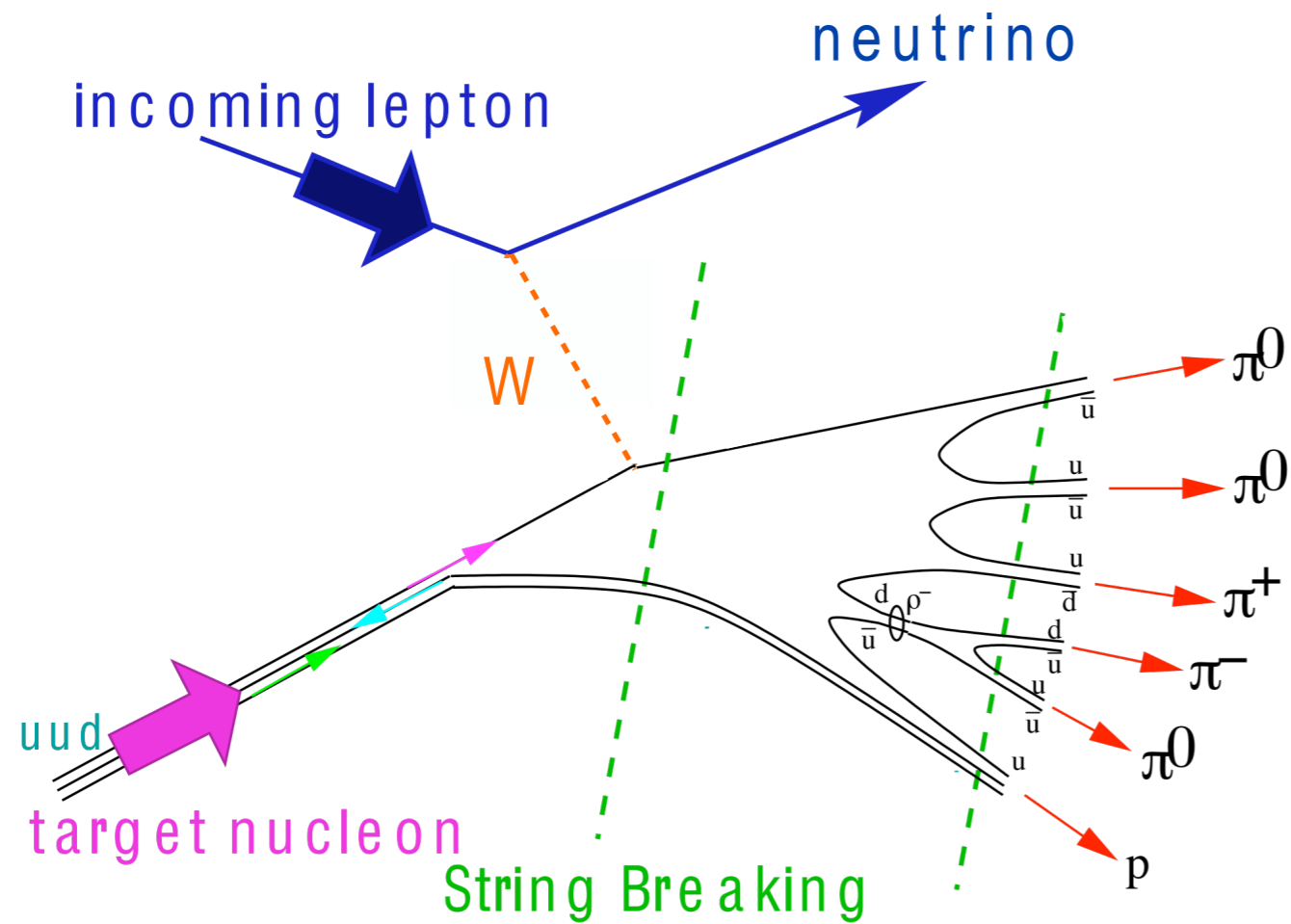


Radiative  
corrections

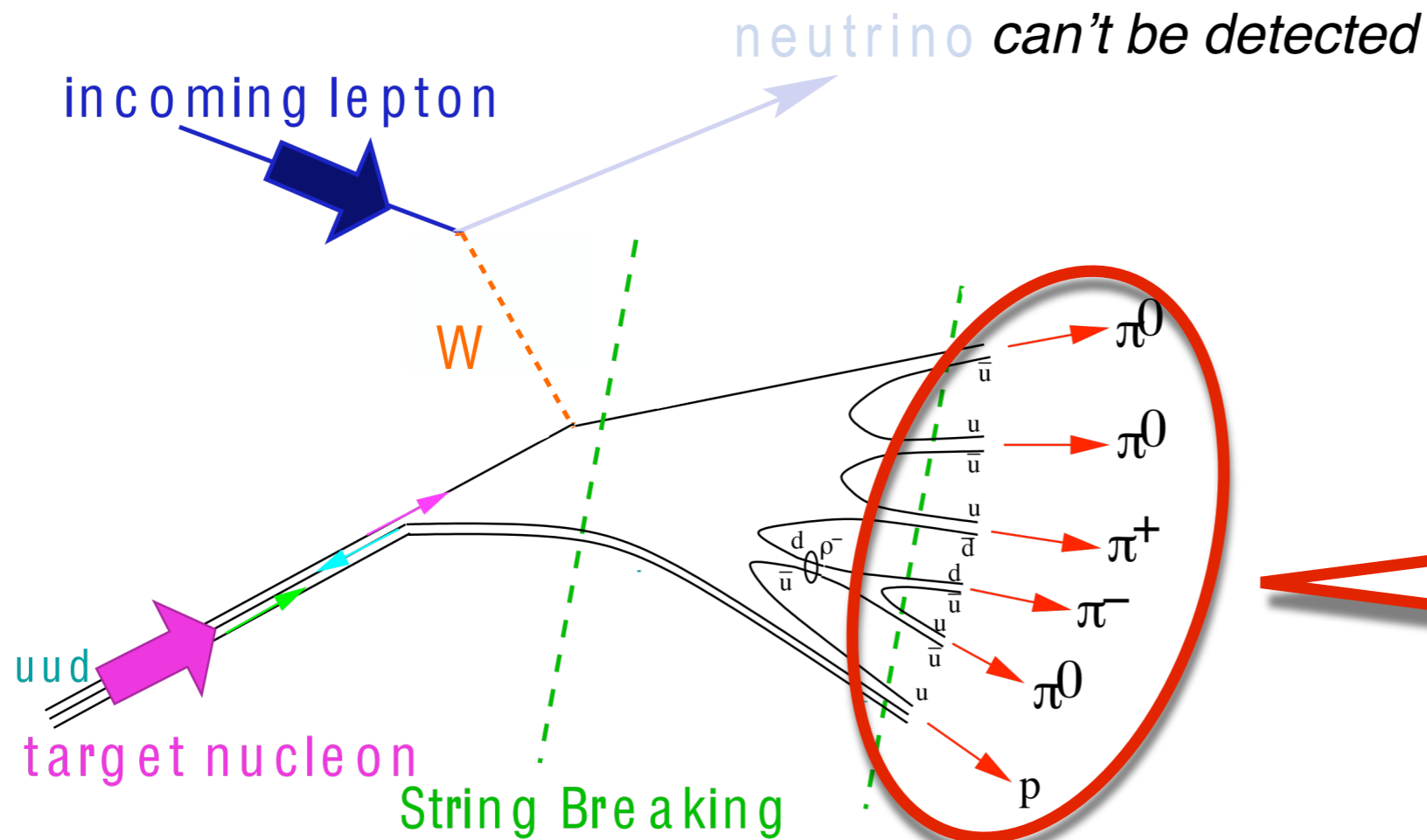
Can expect to be  
important at **low x**  
where  **$A_L^W$**  is **small**

# Detector effects and kinematic reconstruction

# Jacquet-Blondel method



# Jacquet-Blondel method



Reconstruct kinematics from **hadronic final state**

$$y_{\text{JB}} = \frac{\sum_i (E_i - p_{z,i})}{2E_e}$$

$$Q_{\text{JB}}^2 = \frac{p_{T,h}^2}{1 - y_{\text{JB}}}$$

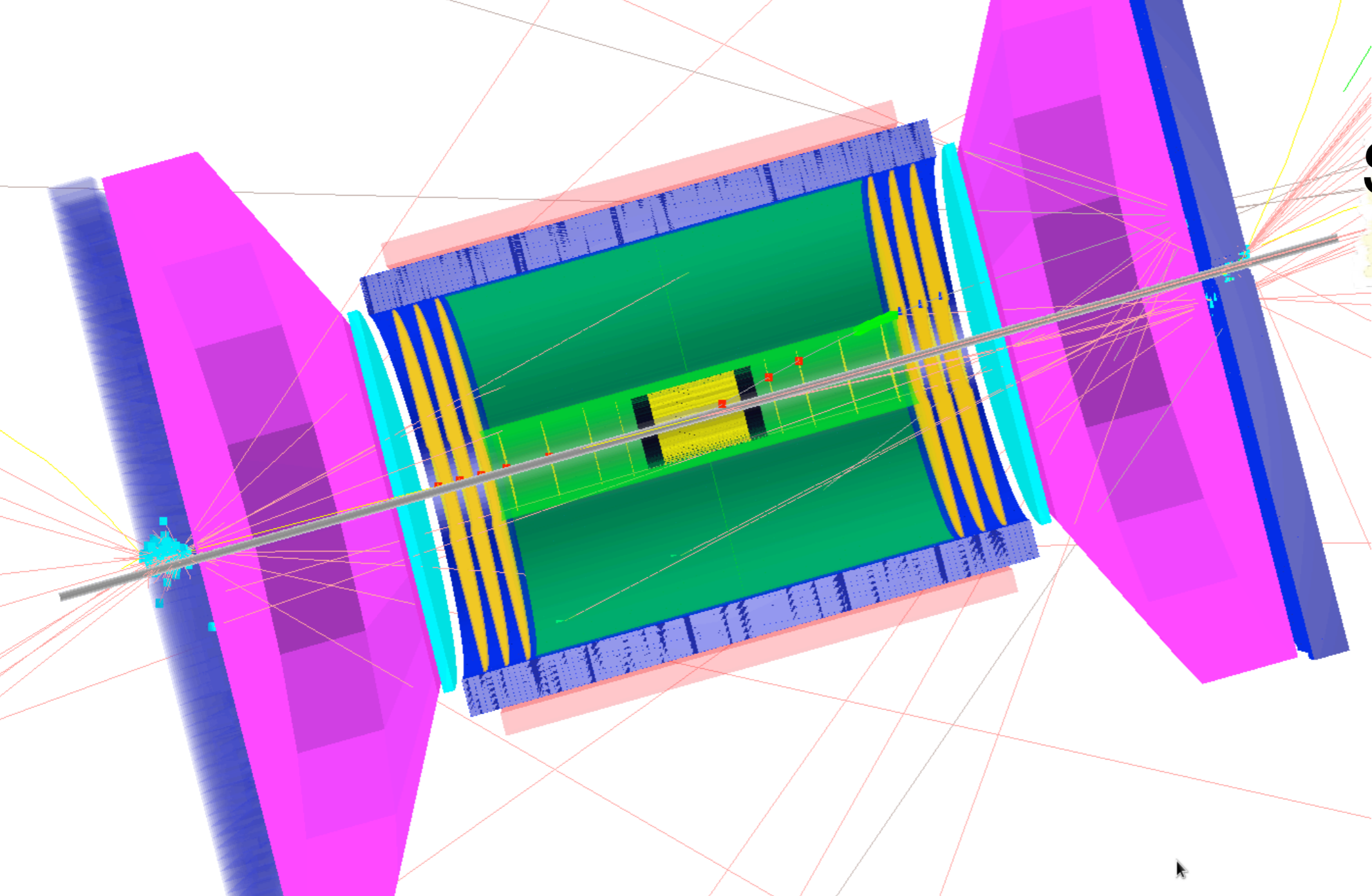
$$x_{\text{JB}} = \frac{Q_{\text{JB}}^2}{y_{\text{JB}} S}$$

$$(p_{T,h} = |\sum_i \vec{p}_{T,i}|)$$

Requires sufficient detector **resolution** and **acceptance**

- ▶ How well can we do with an EIC?

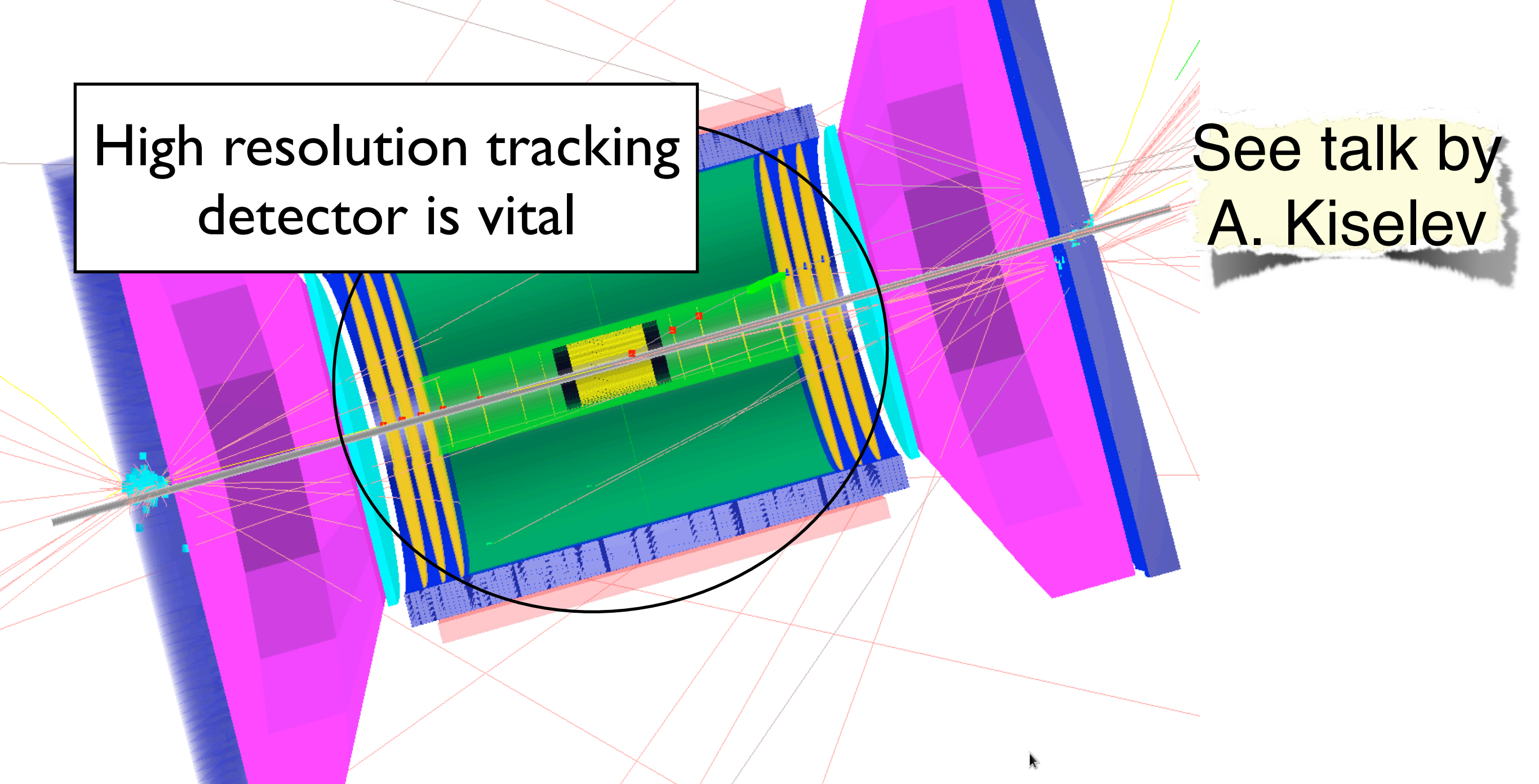




See talk by  
A. Kiselev

Geant4 simulation of eRHIC detector

# eRHIC detector simulation

A 3D simulation of the eRHIC detector. The detector is composed of several layers of detector components, including tracking chambers and calorimeters, shown in various colors like blue, green, yellow, and purple. A central particle track is shown as a grey line with red dots, passing through the detector. A black circle highlights a specific region of the detector. A mouse cursor is visible near the bottom right of the simulation.

High resolution tracking  
detector is vital

See talk by  
A. Kiselev

Geant4 simulation of eRHIC detector

# eRHIC detector simulation

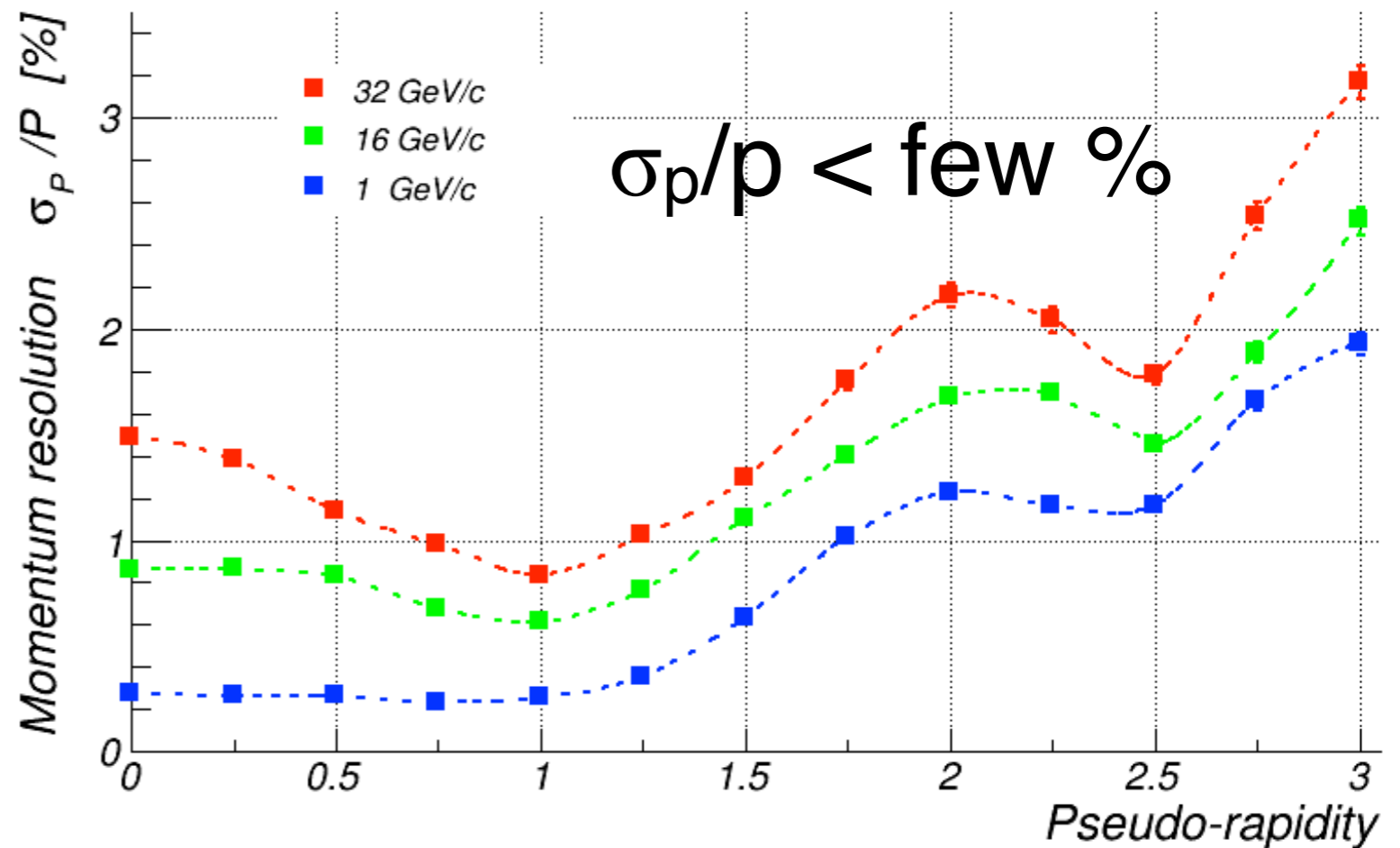
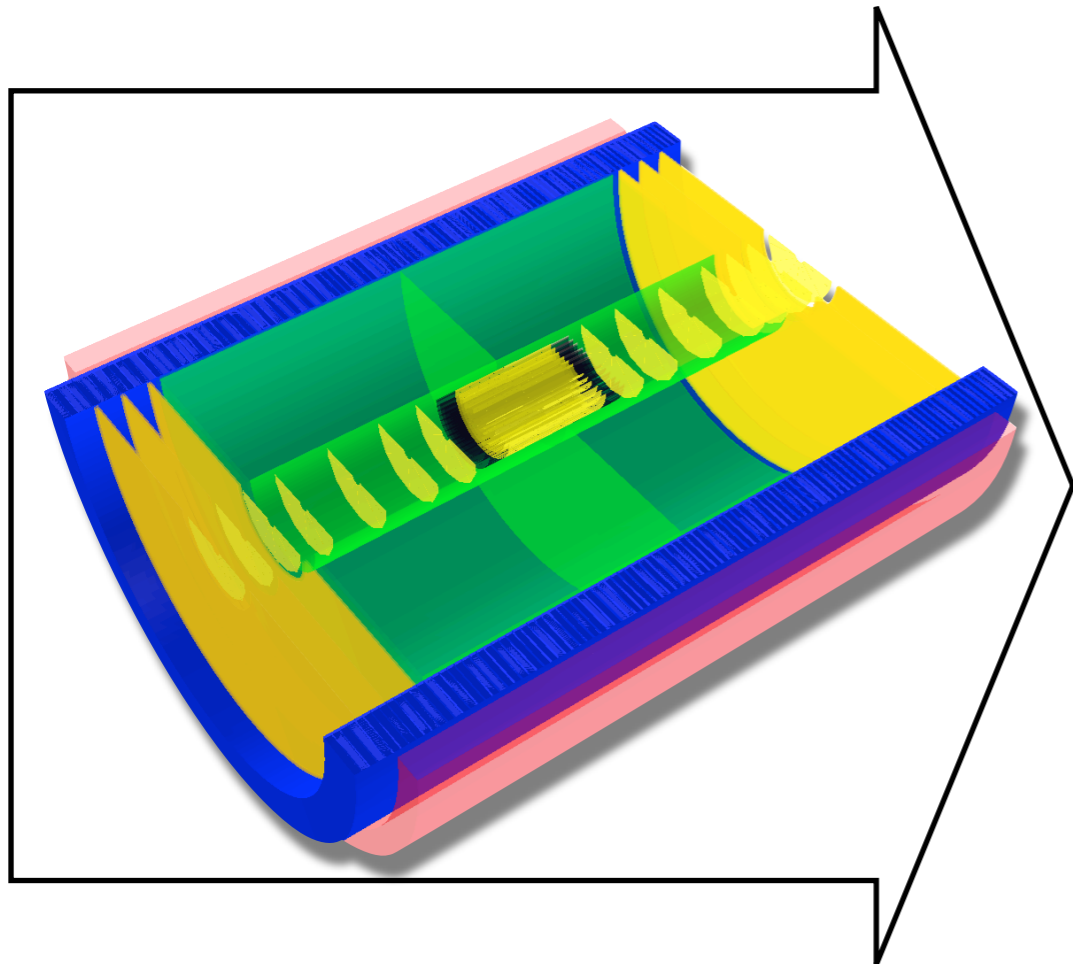
High resolution tracking  
detector is vital

See talk by  
A. Kiselev

Geant4 simulation of the detector

# eRHIC detector simulation

# Detector performance



● ECal:  $\sigma_E/E = 12\% / \sqrt{E}$ ,  $-1 < \eta < 4.5$

● ECal:  $\sigma_E/E = 1.8\% / \sqrt{E}$ ,  $-4.5 < \eta < -1$

● HCal:  $\sigma_E/E = 38\% / \sqrt{E}$ ,  $2 < \eta < 4.5$

Better ECal in  
electron-going  
direction

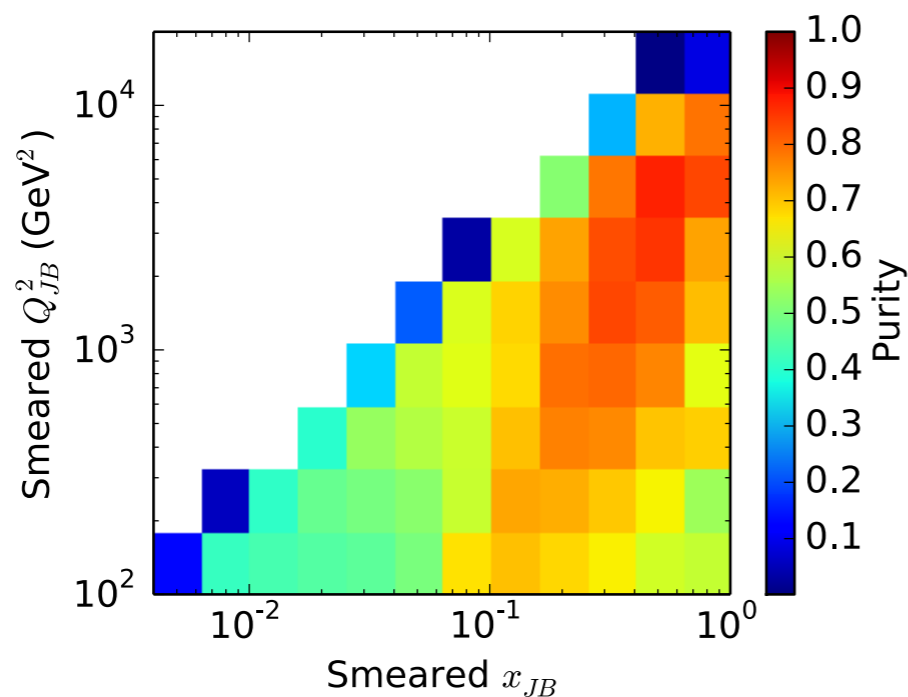
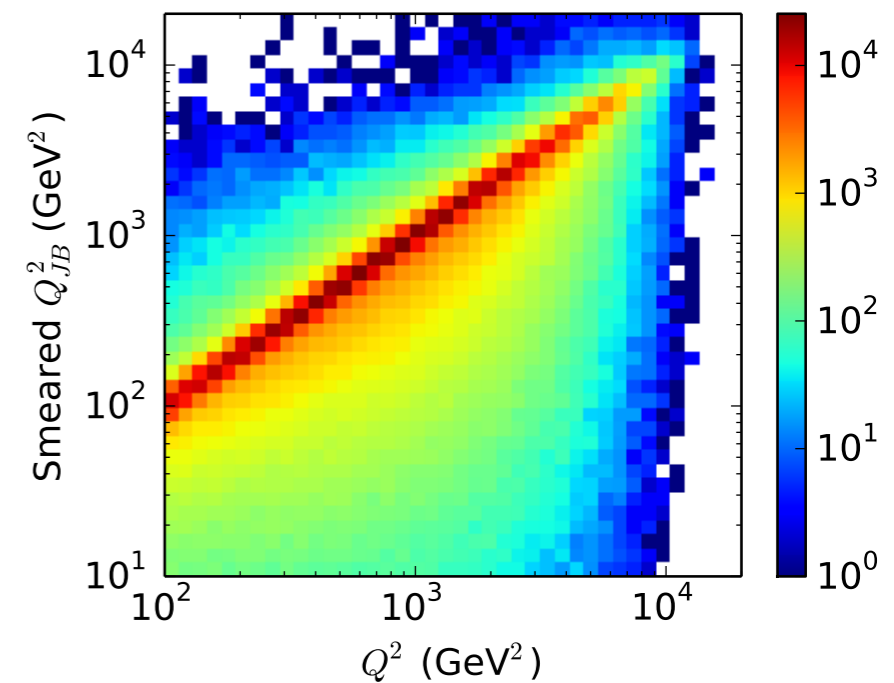
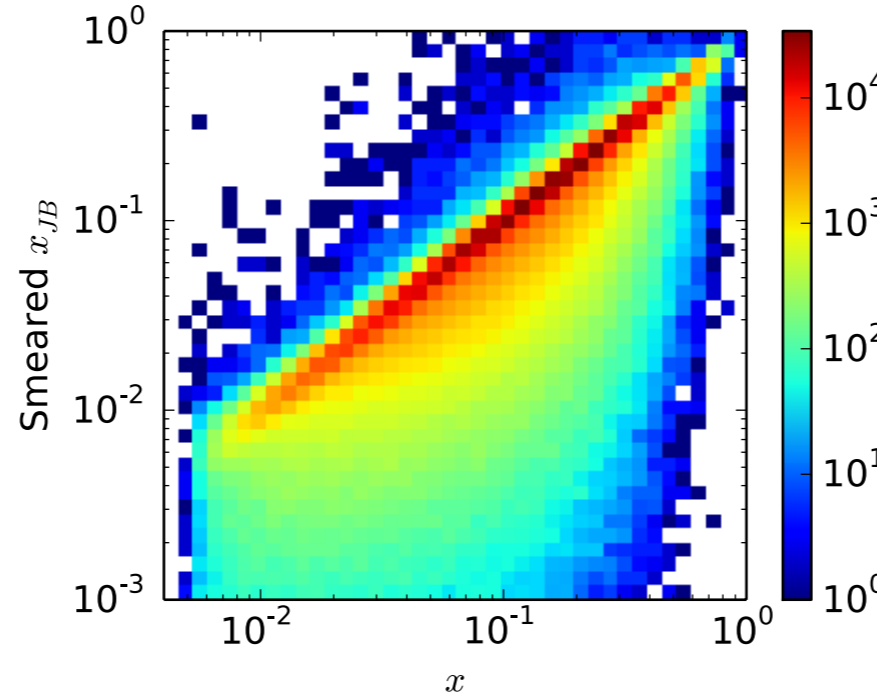
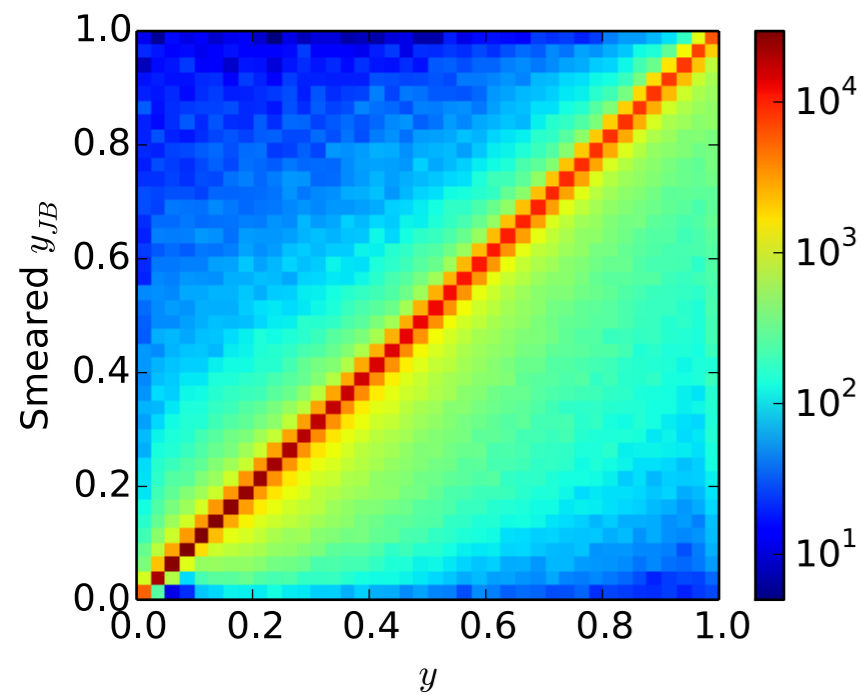
Smear Monte Carlo events with these parameterisations

# Kinematic reconstruction

$$y_{JB} = \frac{\sum_i (E_i - p_{z,i})}{2E_e}$$

$$x_{JB} = \frac{Q_{JB}^2}{y_{JB} S}$$

$$Q_{JB}^2 = \frac{p_{T,h}^2}{1 - y_{JB}}, \quad p_{T,h} = |\sum_i \vec{p}_{T,i}|$$

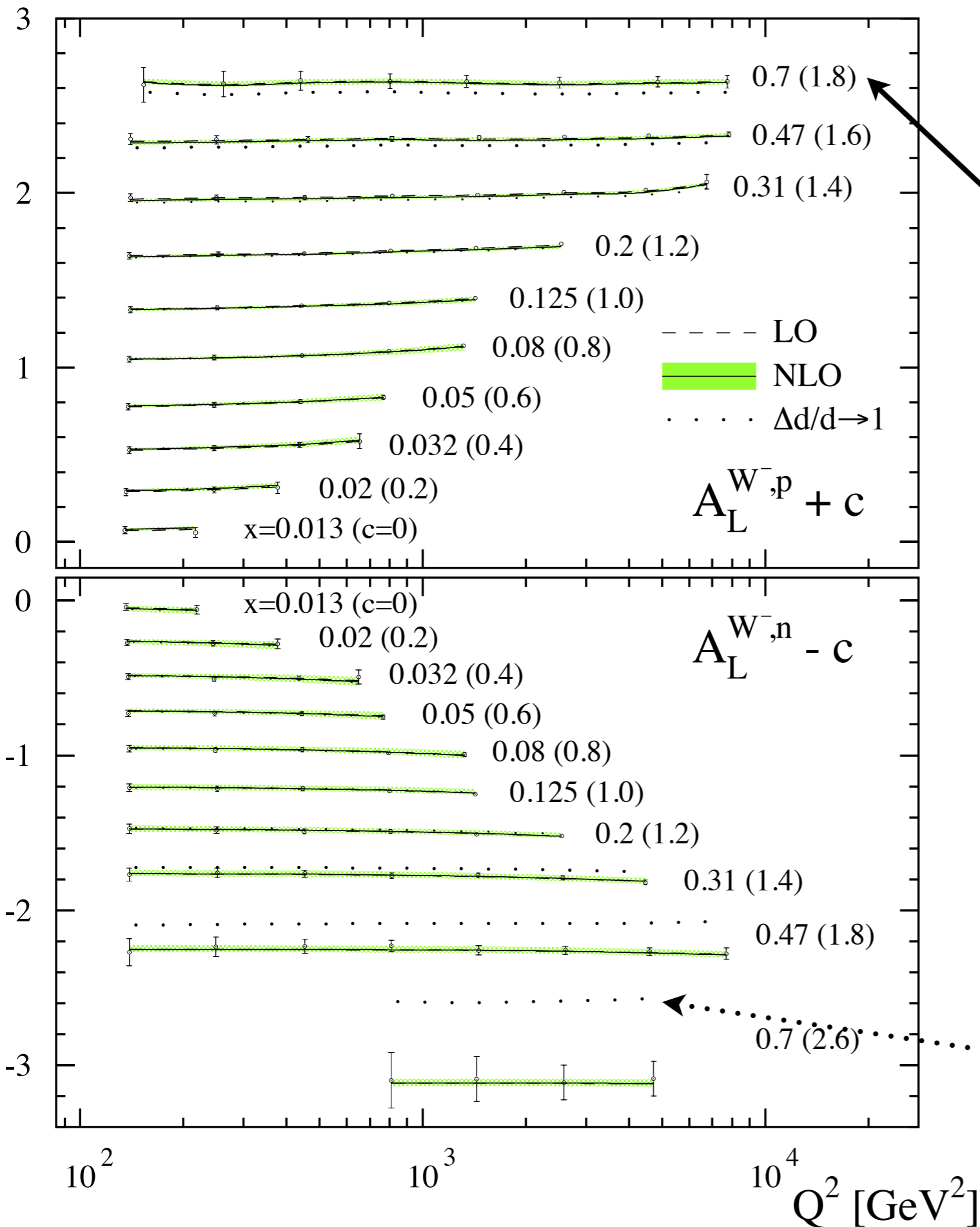


$$\frac{N_{gen} - N_{out}}{N_{gen} - N_{out} + N_{in}}$$

**Kinematic construction  
under control**

# Asymmetry results

# $A_L^W$ results



- Large  $A_L^W$  at large  $x \sim 80\%$

- NLO effects small

- $\sigma(A_L^W)/A_L^W$  small

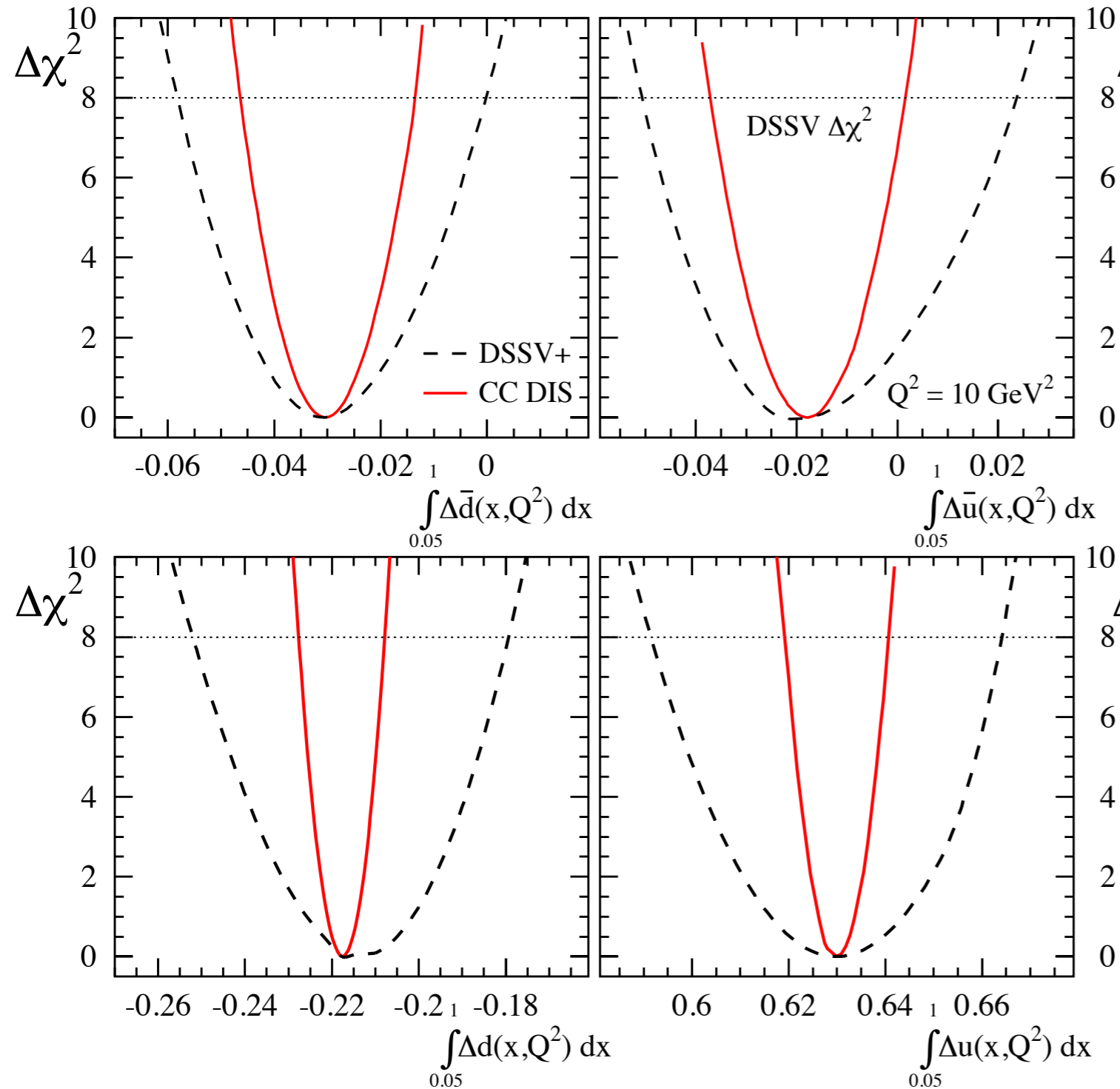
- ▶  $< \sim 5\%$  for **p**

- ▶  $< \sim 8\%$  for **n**

- ▶  $\sim 25\%$  at  $x$  limits

- Sensitive to “helicity retention”

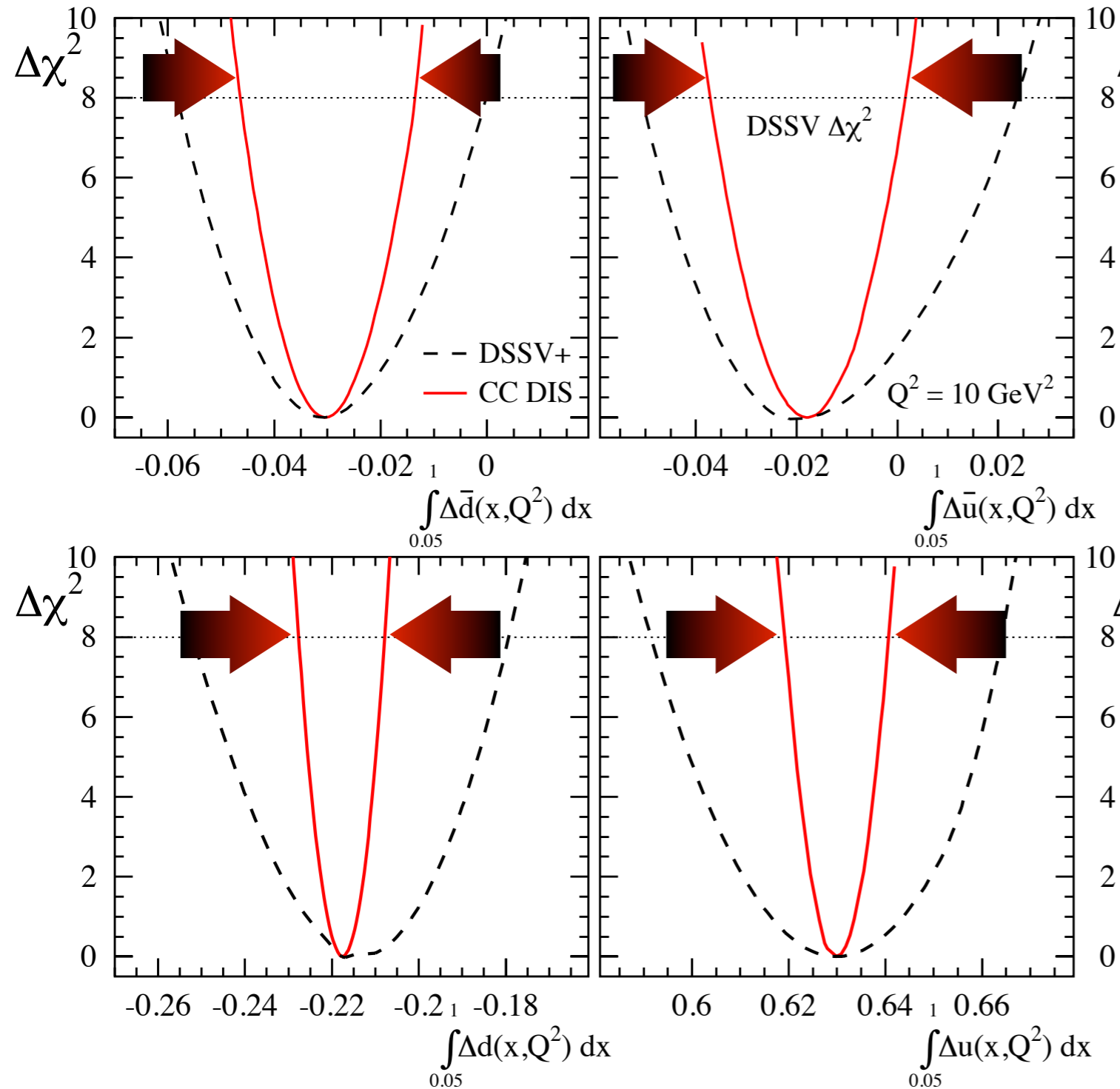
# Impact on global analyses



- Constrain **u**, **d** & **anti-q** helicities
- Flavour constraint independent of **fragmentation**
- Important cross check on **SIDIS**
- ▶ low  $Q^2$ , higher twist effects



# Impact on global analyses



- Constrain **u**, **d** & **anti-q** helicities
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# Summary

- **Large  $A_L^W$**  in CC DIS
  - ▶ yields information complementary to SIDIS
- EIC is **ideal laboratory** to study it
  - ▶ Proposed detector is **well suited** to the measurement
- Similar studies may give insights into:
  - ▶ **Unpolarised PDFs** at high  $x$  & high  $Q^2$
  - ▶ **Strangeness**, using CC SIDIS with charm