

**30 Years Spin Physics**  
**in 30 minutes**  
**Past, Present and Future**  
at a “logarithmic” scale

**Jianwei Qiu**

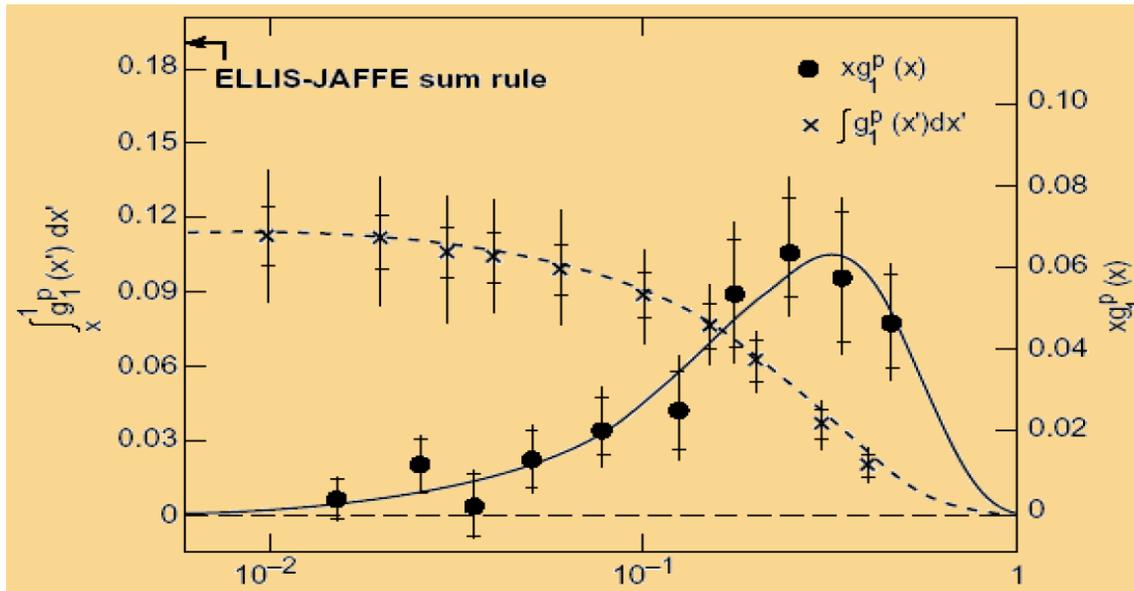
*Brookhaven National Laboratory*

**XXII International Workshop on Deep-Inelastic Scattering and Related Subjects  
(DIS 2014)**

**University of Warsaw, Poland, April 28 – May 2, 2014**

# The Past

## □ EMC (European Muon Collaboration '87) – “the Plot”:



$$g_1(x) = \frac{1}{2} \sum_q e_q^2 [\Delta q(x) + \Delta \bar{q}(x)] + \mathcal{O}(\alpha_s) + \mathcal{O}(1/Q)$$

✧ Combined with earlier SLAC data:

$$\int_0^1 g_1^p(x) dx = 0.126 \pm 0.018$$

✧ Combined with:  $g_A^3 = \Delta u - \Delta d$  and  $g_A^8 = \Delta u + \Delta d - 2\Delta s$   
from low energy neutron & hyperon  $\beta$  decay



$$\Delta\Sigma = \sum_q [\Delta q + \Delta \bar{q}] = 0.12 \pm 0.17$$

## □ “Spin crisis” or puzzle:

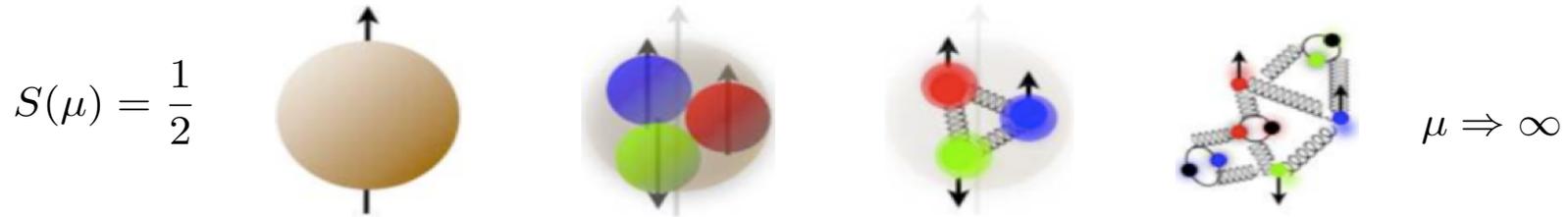
- ✧ Strange sea polarization is sizable & negative
- ✧ Very little of the proton spin is carried by quarks



**New era of spin physics**

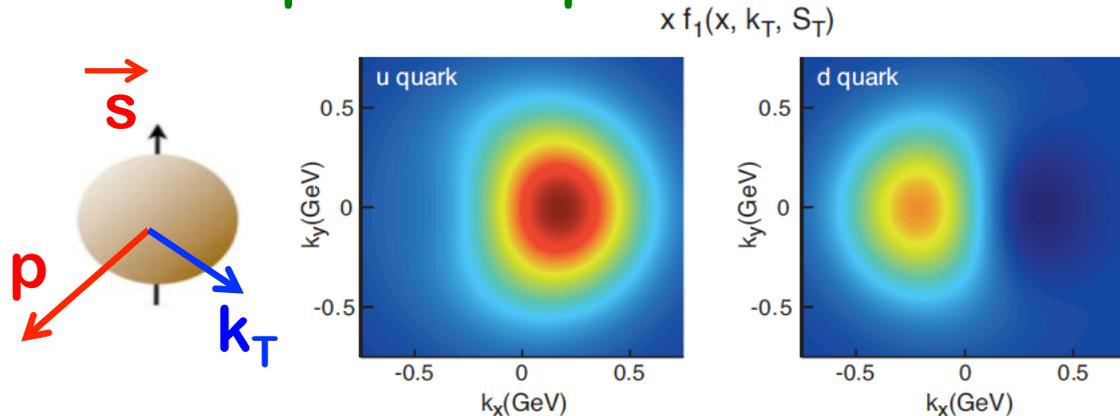
# Questions driving the spin physics

- How do quarks/gluons + their dynamics make up the proton spin?



Helicity distributions + orbital contribution

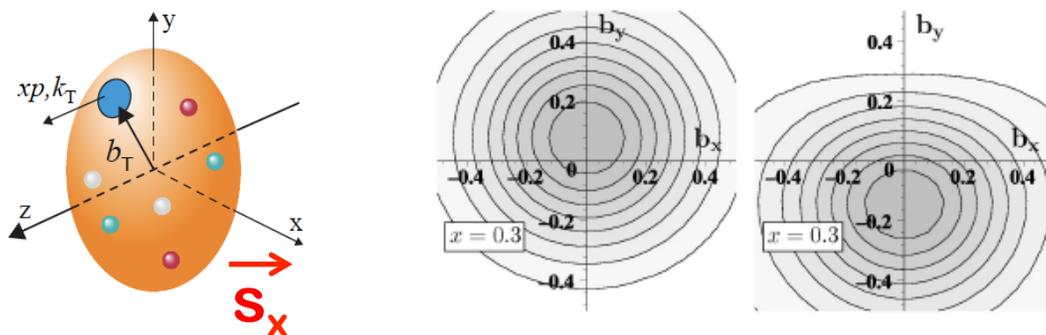
- How is proton's spin correlated with the motion of quarks/gluons?



Deformation of parton's  
*confined motion*  
when hadron is polarized?

TMDs!

- How does proton's spin influence the spatial distribution of partons?



Deformation of parton's  
*spatial distribution*  
when hadron is polarized?

GPDs!

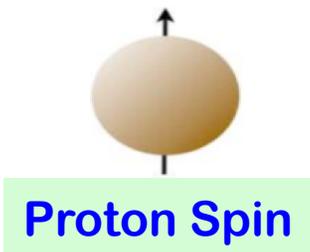
# The Present: Proton Spin

□ **The sum rule:** 
$$S(\mu) = \sum_f \langle P, S | \hat{J}_f^z(\mu) | P, S \rangle = \frac{1}{2} \equiv J_q(\mu) + J_g(\mu)$$

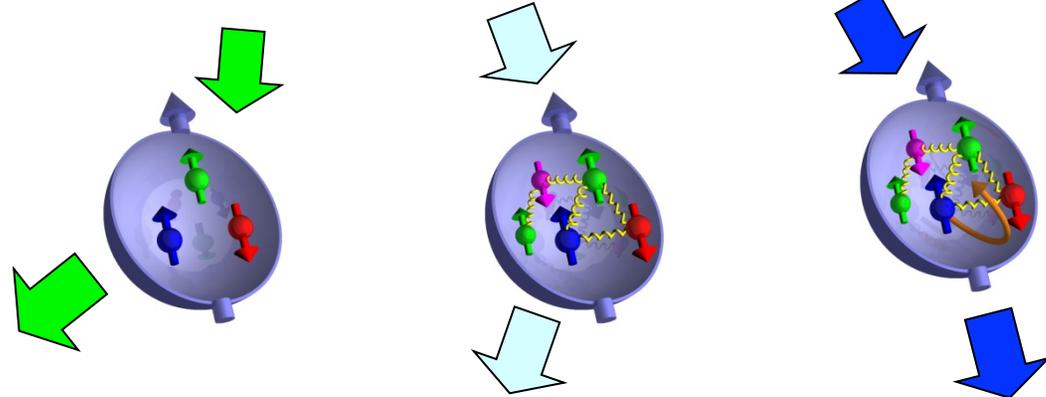
- Infinite possibilities of decompositions – connection to observables?
- Intrinsic properties + dynamical motion and interactions

□ **An incomplete story:**

Jaffe-Manohar, 90  
Ji, 96, ...



$$\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta G + (L_q + L_g)$$



**Quark helicity**  
**Best known**

$$\frac{1}{2} \int dx (\Delta u + \Delta \bar{u} + \Delta d + \Delta \bar{d} + \Delta s + \Delta \bar{s})$$

~ 30%

**Gluon helicity**  
**Start to know**

$$\Delta G = \int dx \Delta g(x)$$

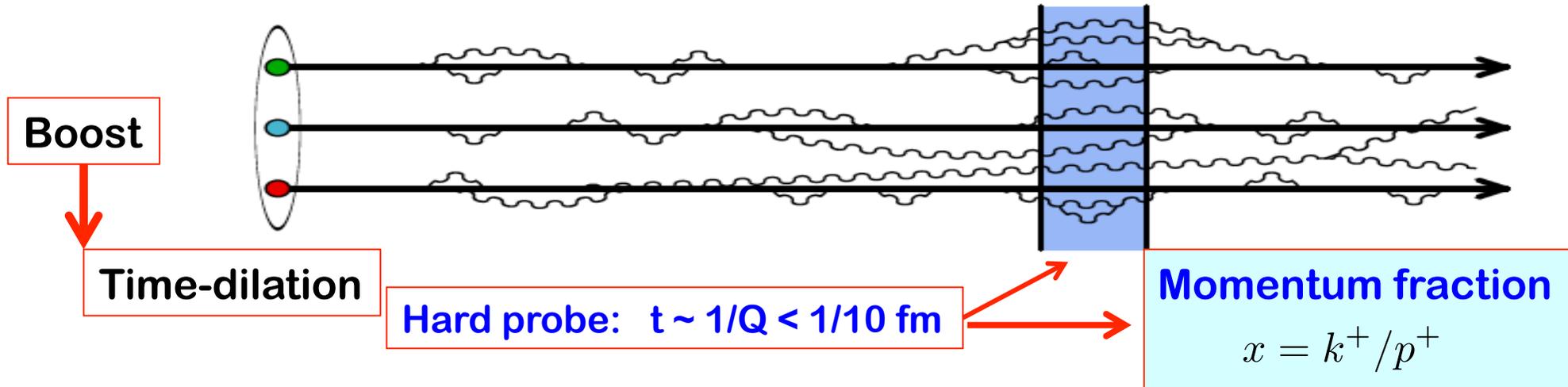
~ 20% (STAR Data)

**Orbital Angular Momentum of quarks and gluons**  
**Little known**

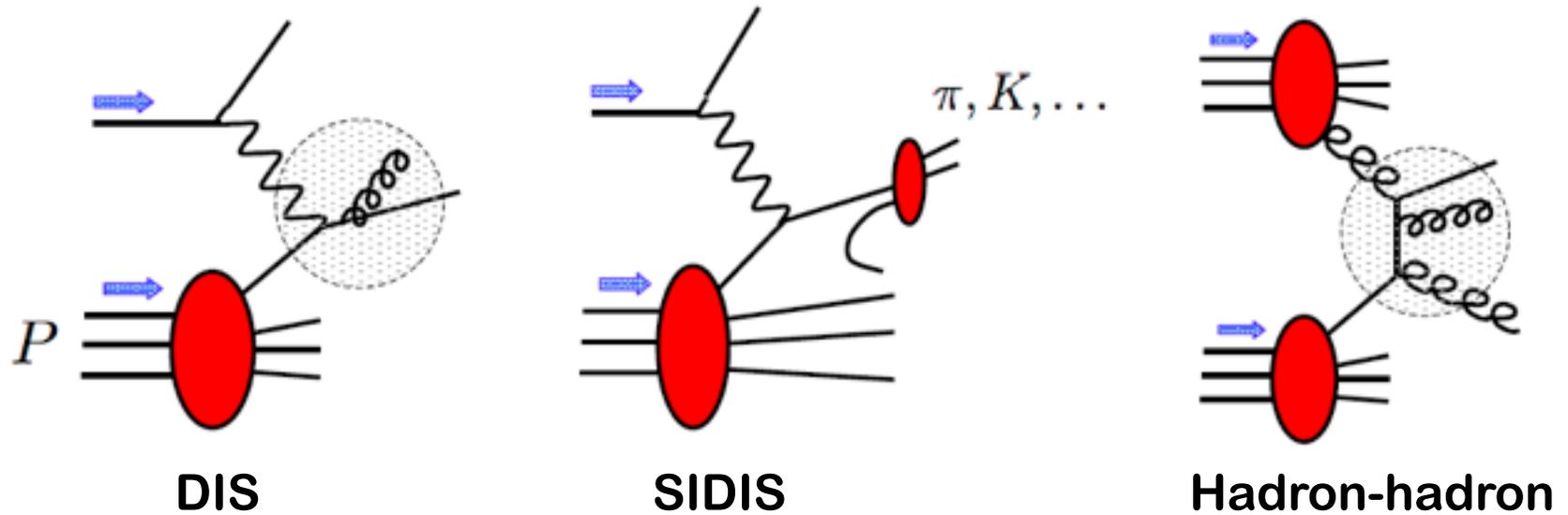
Net effect of partons' transverse motion?

# Probes and facilities

- High energy scattering – to see quarks and gluons:



- Spin Probes:

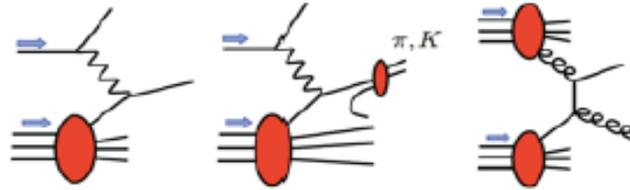


HEMES, COMPASS, JLab, Future EIC, ...

RHIC, FermiLab, JPAC, ...

# Global fits for helicity PDFs @ NLO

Stratmann's talk  
@BNL Users



uncertainties

last update

## NNPDF

Ball, Forte, Guffanti, Nocera, Rodolfi, Rojo



100 replicas  
stat. approach

1303.7236

## DSSV

de Florian, Sassot, MS, Vogelsang



L.M.  $\Delta\chi^2 = 8$  (1)  
(Hessian  $\Delta\chi^2 = 1$ )

0904.3821

[DSSV+/++: 1112.0904  
1304.0079]

## LSS

Leader, Sidorov, Stamenov



Hessian  $\Delta\chi^2 = 1$

1010.0574

## BB

Blumlein, Bottcher



Hessian  $\Delta\chi^2 = 1$

1010.3113

⋮

⋮

⋮

## GRSV

Gluck, Reya, MS, Vogelsang



1<sup>st</sup> NLO analysis

9508347

## JAM

PoS DIS2013 (2013) 208



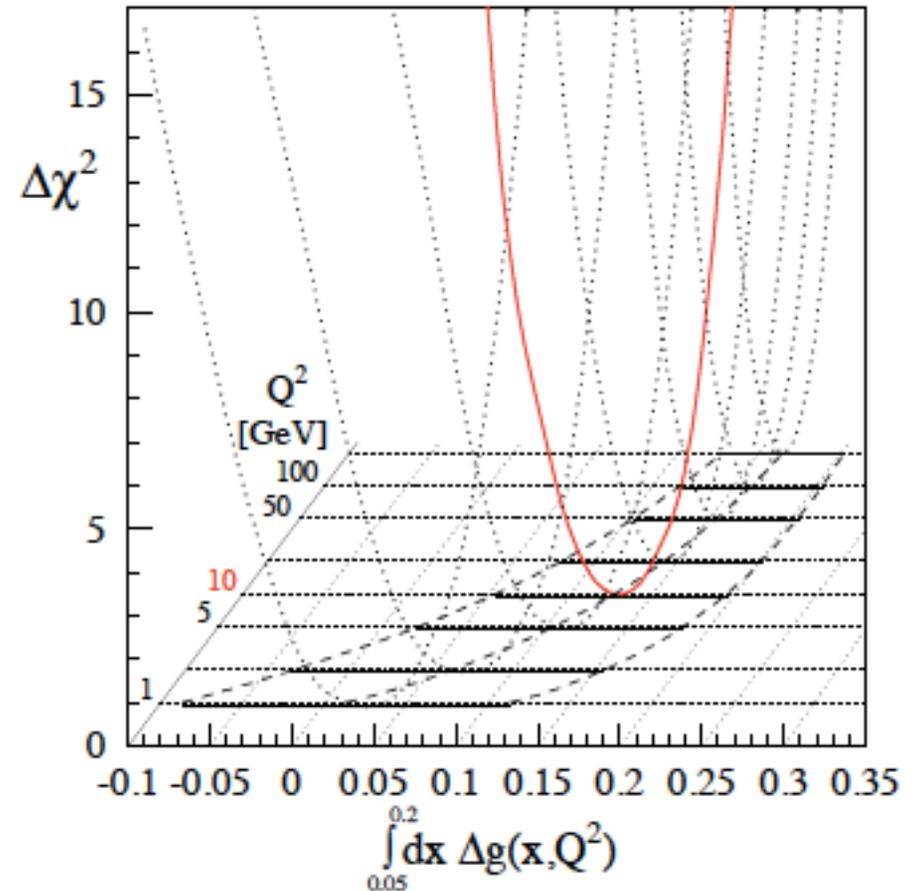
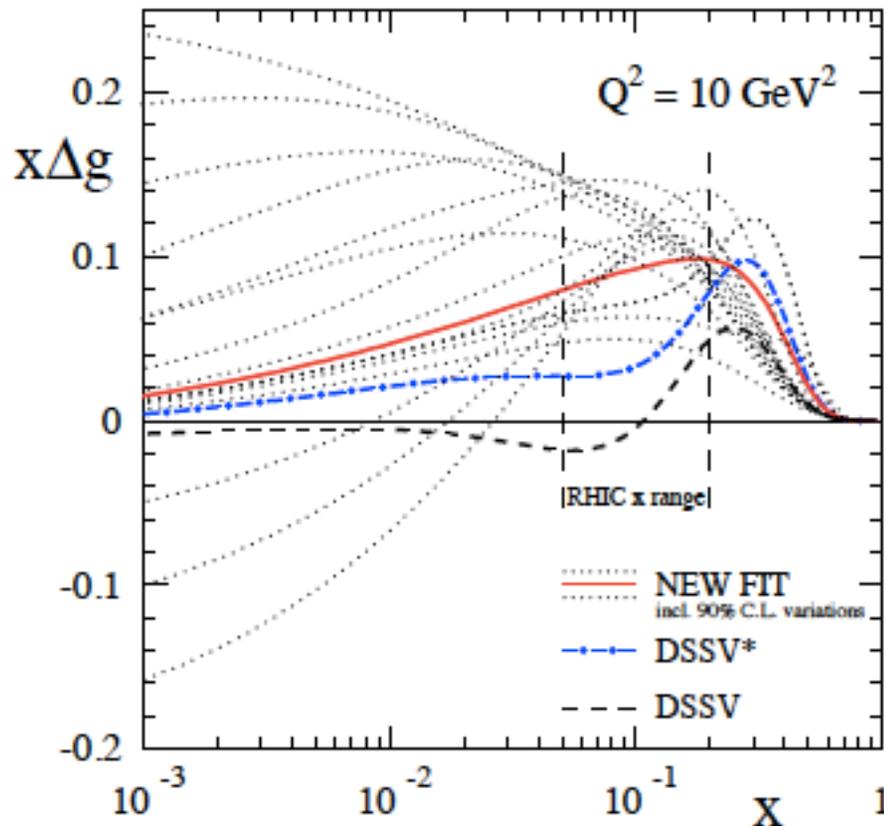
TMC, HT, ...

Accardi's talk on Tue

# Highlights from new DSSV fits

de Florian, et al. 1404.4293

## □ Gluon polarization with new RHIC 2009 data:



- ✧ Red line is the new fit
- ✧ Dotted lines  
= Alternative fits with 90% C.L.

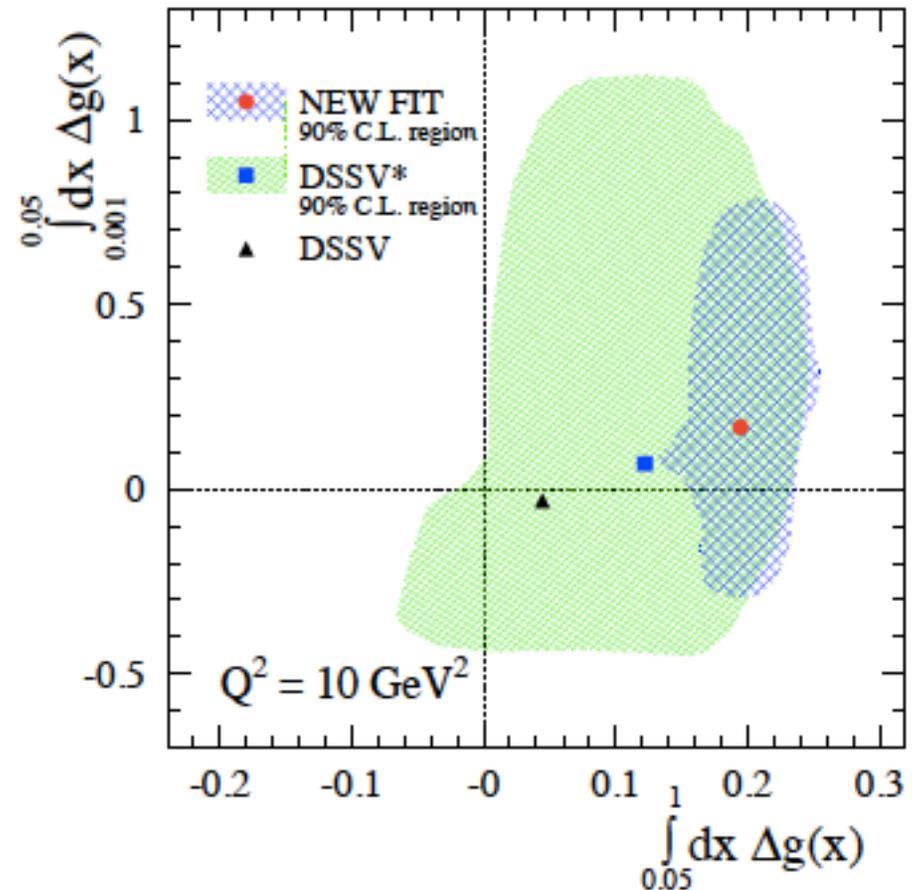
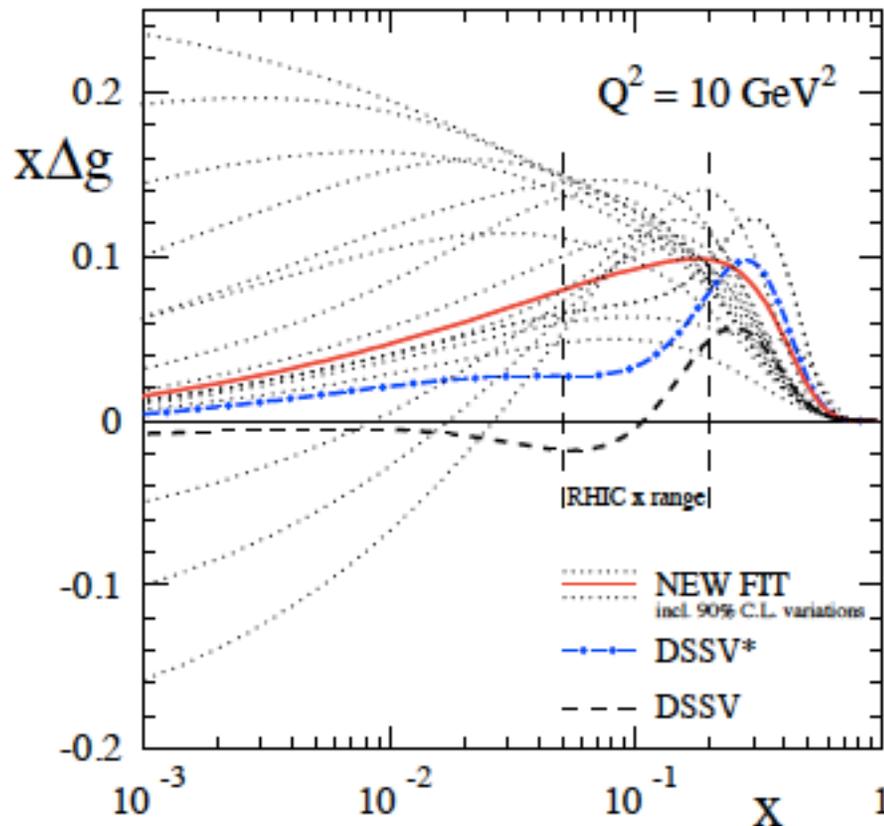
- ✧  $\Delta g$  - moment from RHIC data
- ✧ Increase with  $Q^2$
- Dashed lines – 90% C.L.

## □ $\Delta g$ from COMPASS DIS data – talk by Stolarski, M.

# Highlights from new DSSV fits

de Florian, et al. 1404.4293

## □ Gluon polarization with new RHIC 2009 data:

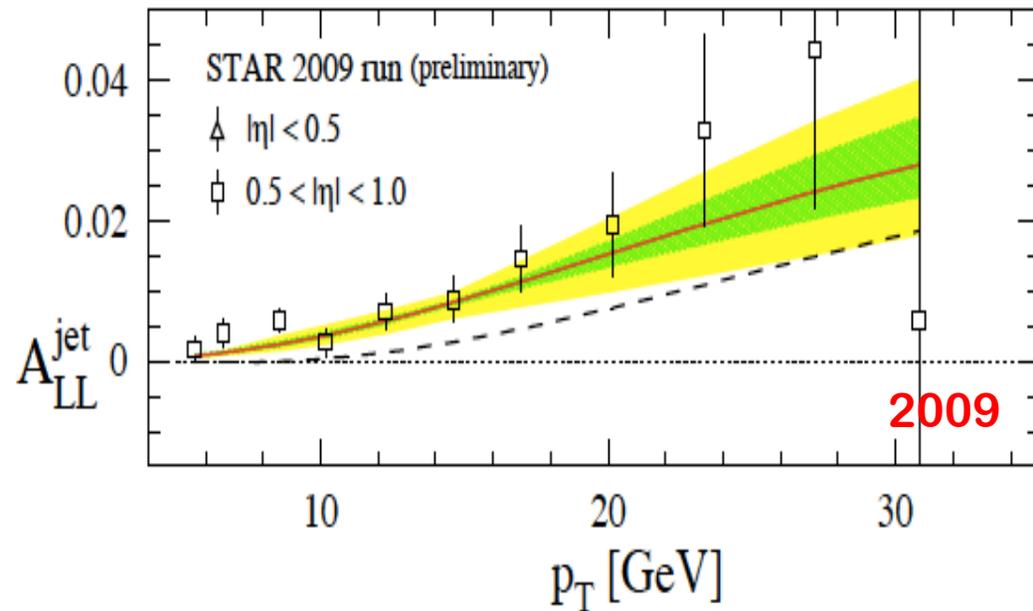
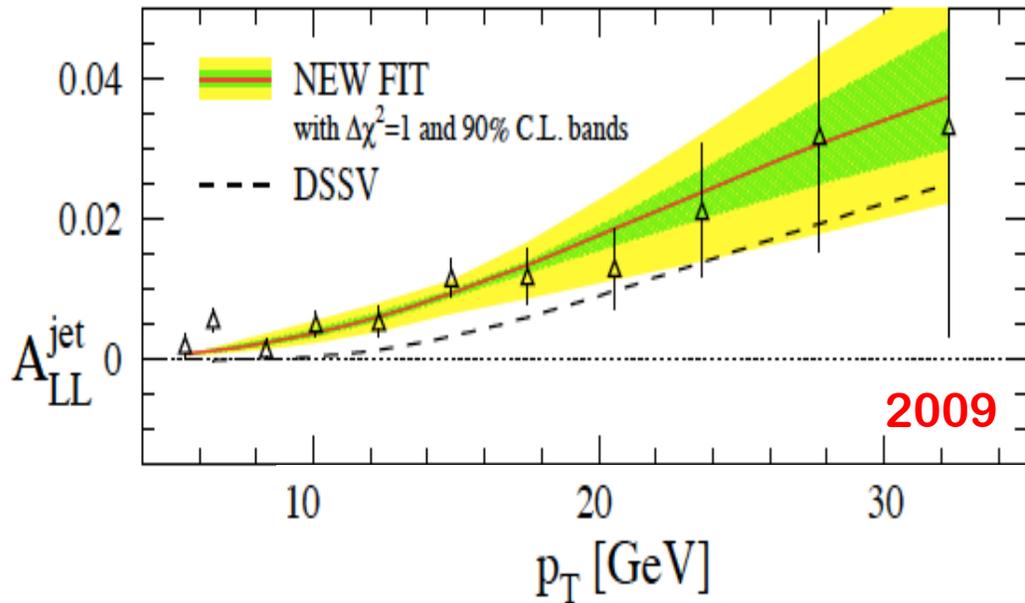
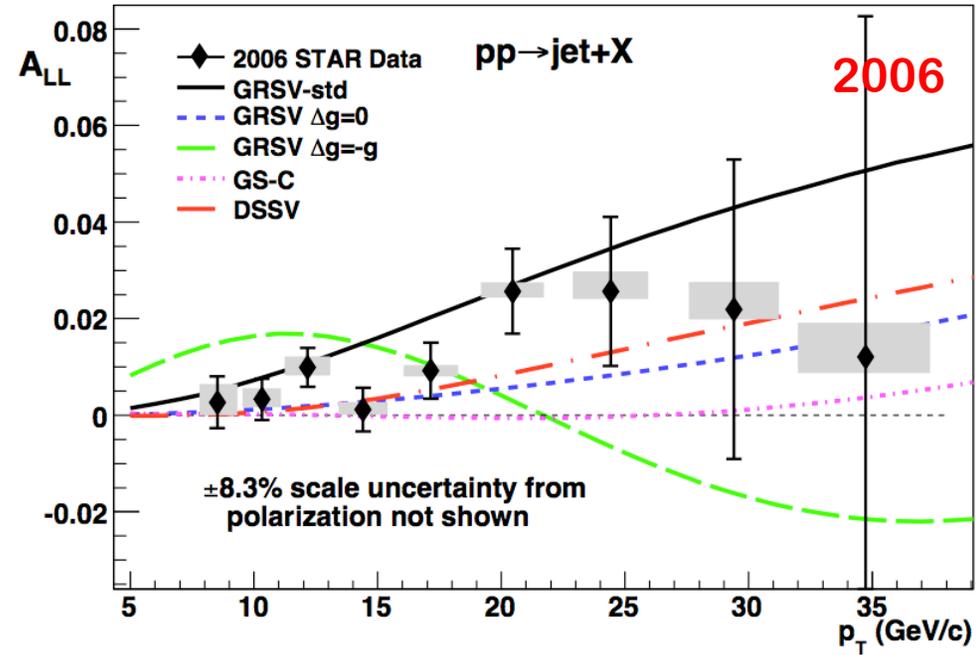
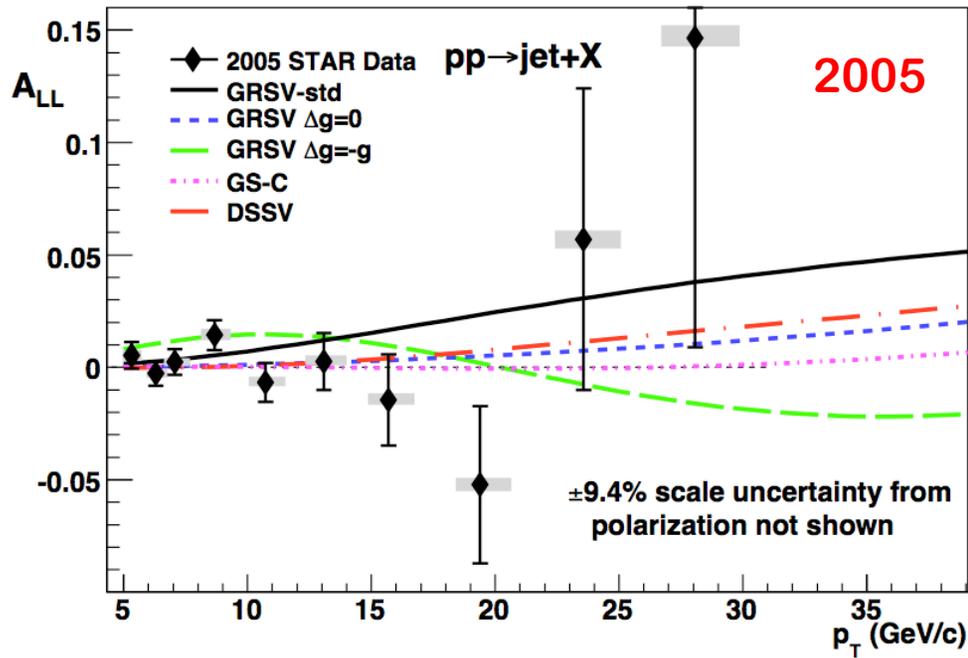


- ✧ Red line is the new fit
- ✧ Dotted lines = Alternative fits with 90% C.L.

- ✧ 90% C.L. areas for truncated moments from  $0.001 < x < 0.05$ ,  $0.05 < x < 1$
- ✧ Leads  $\Delta g$  to to a positive #

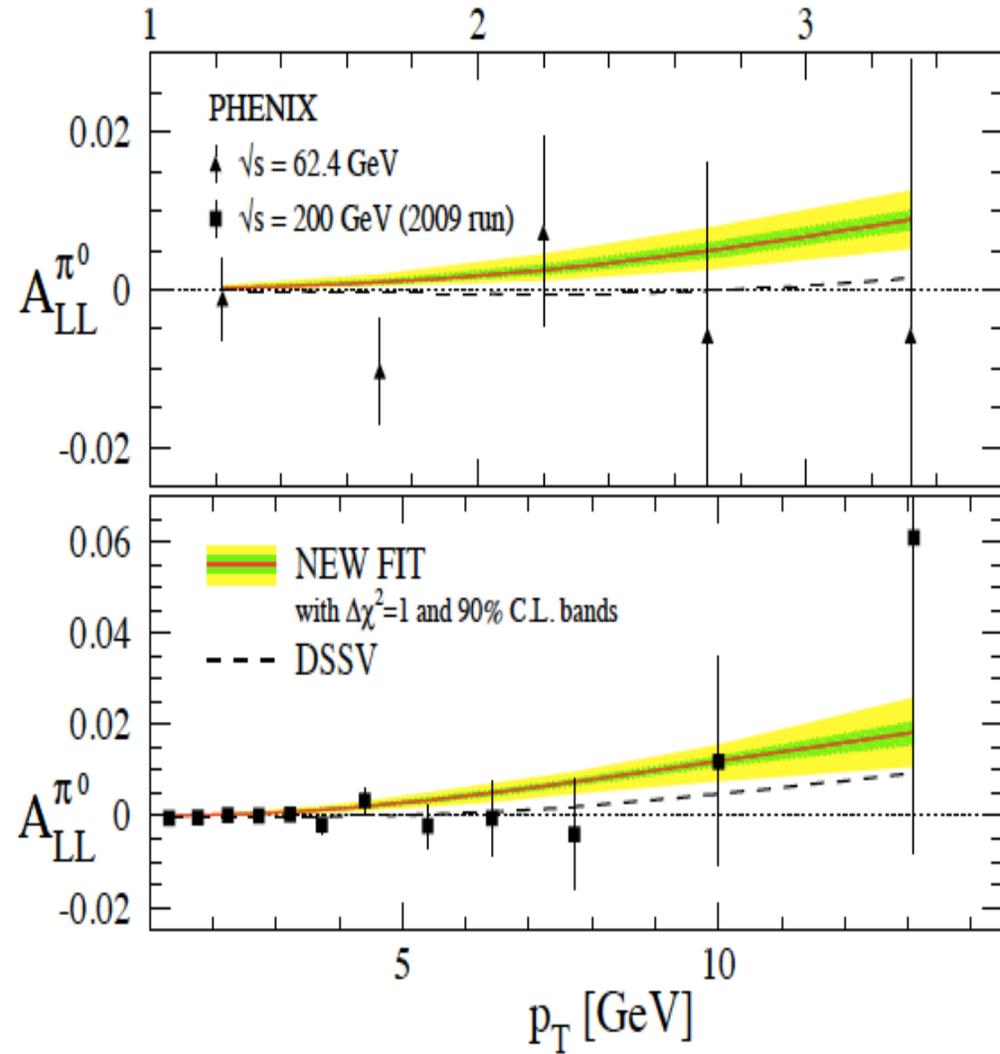
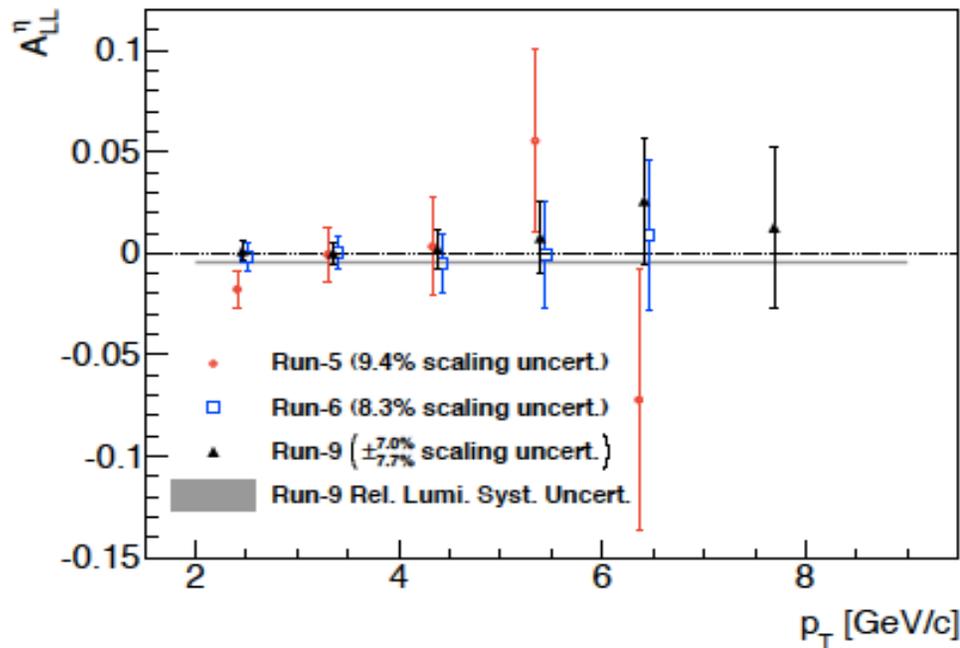
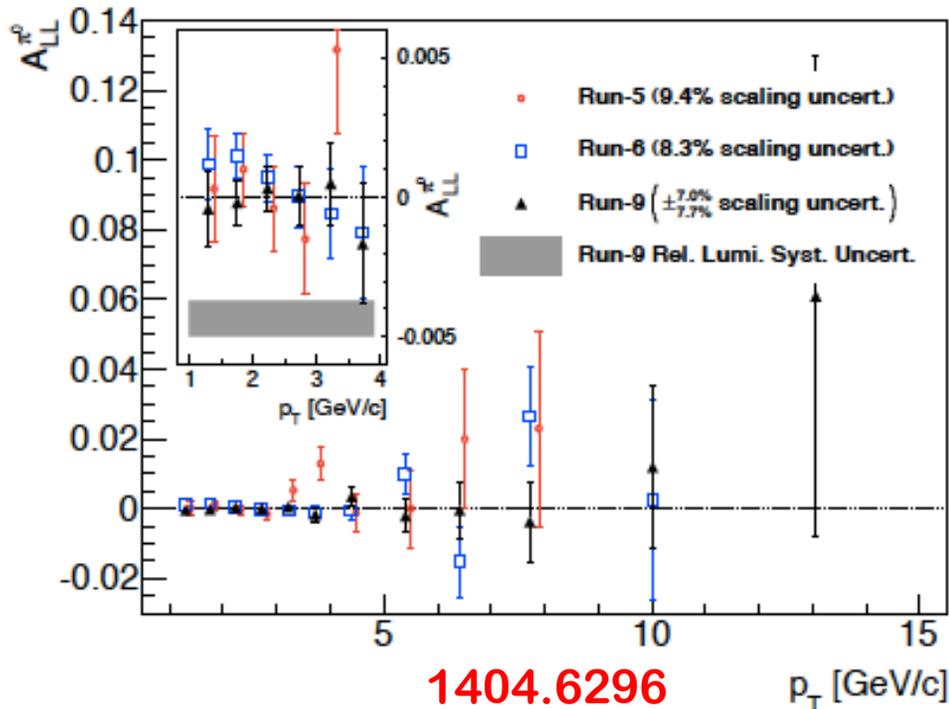
# STAR data

Talk by Stevens, J.



# PHENIX data

Talk by Nakagawa, I.



Also di-jets – STAR  
Di-hadrons - PHENIX

# Quark Polarization – RHIC W program

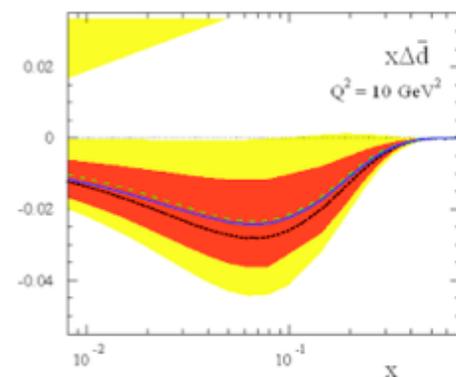
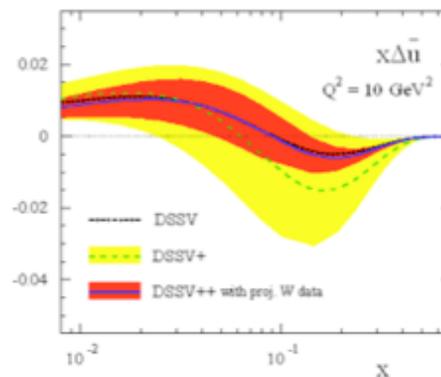
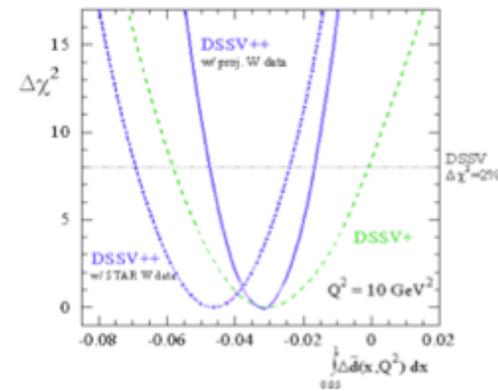
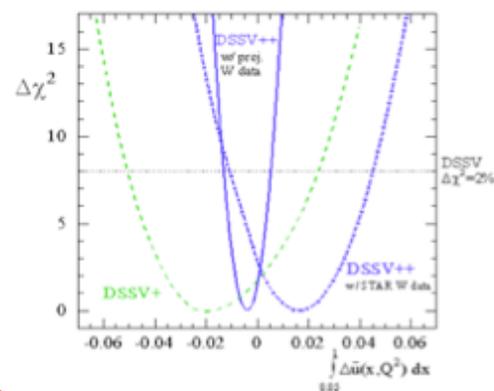
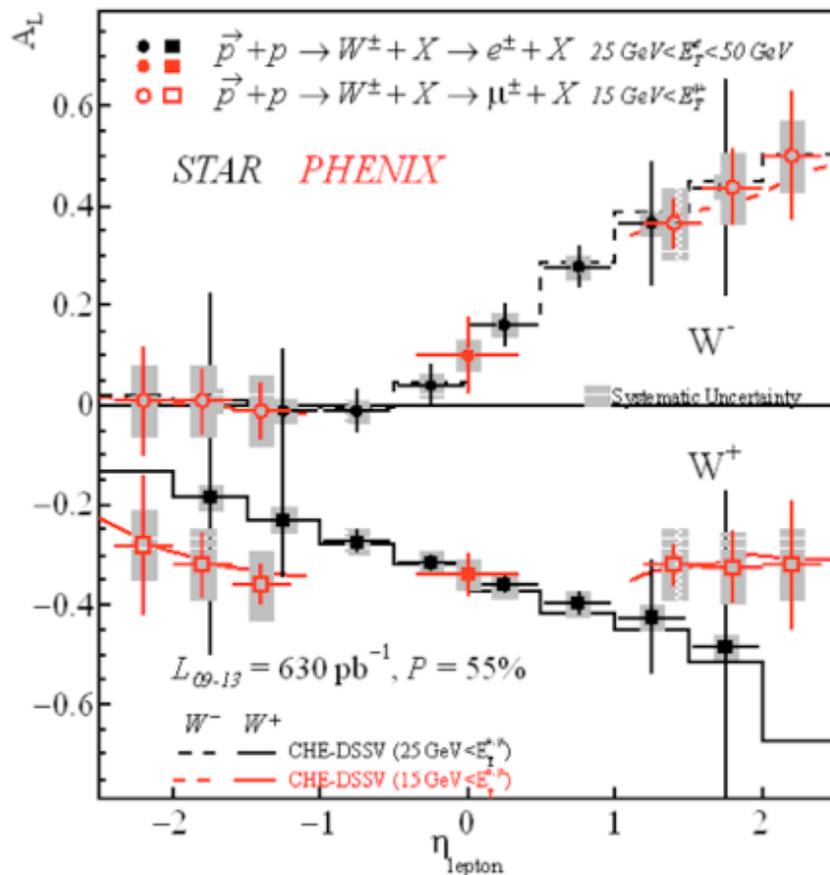
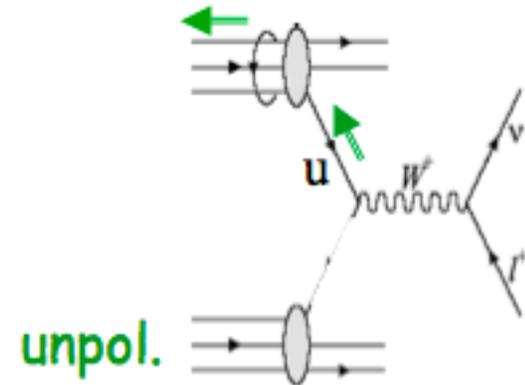
## □ Single longitudinal spin asymmetries:

$$A_L = \frac{[\sigma(+)-\sigma(-)]}{[\sigma(+)+\sigma(-)]} \quad \text{for } \sigma(s)$$

Parity violating weak interaction

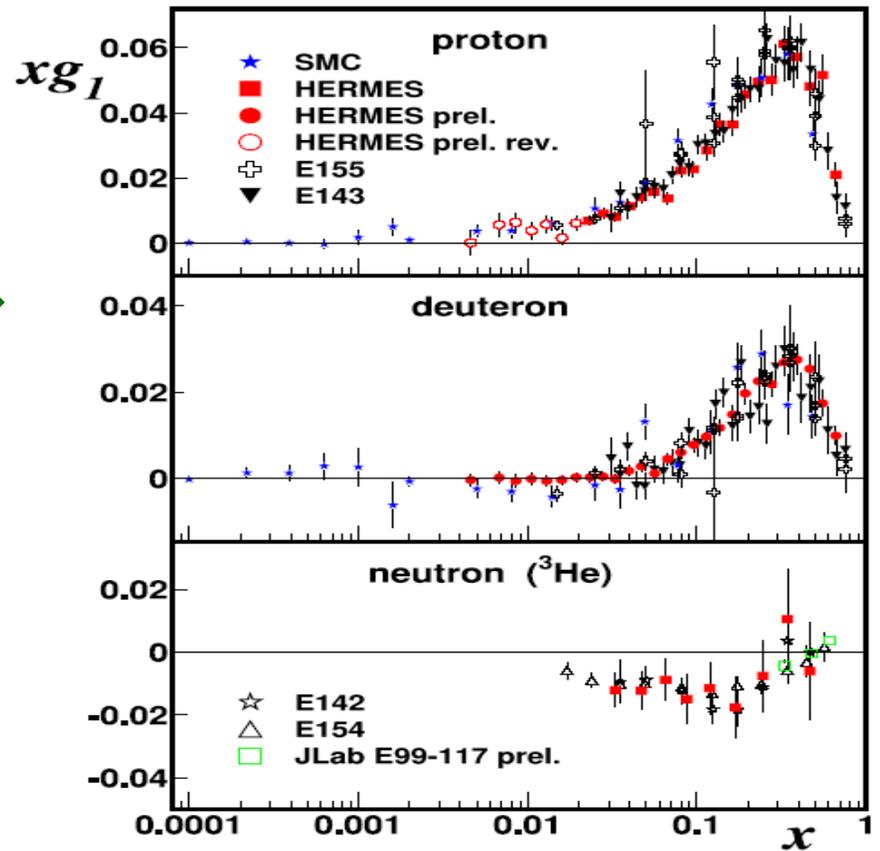
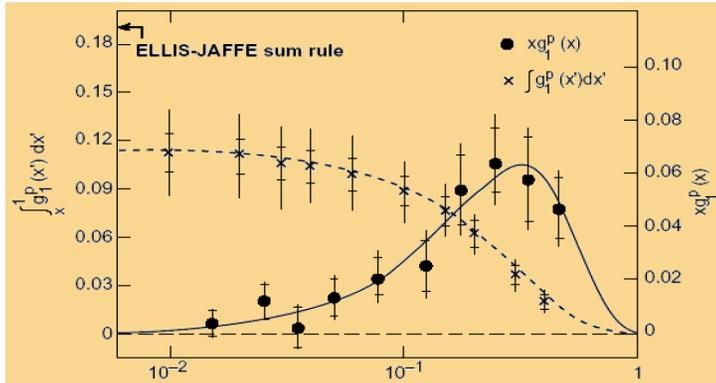
## □ From 2013 RHIC data:

Talks by Gal, Seidl, ...



# Inclusive DIS

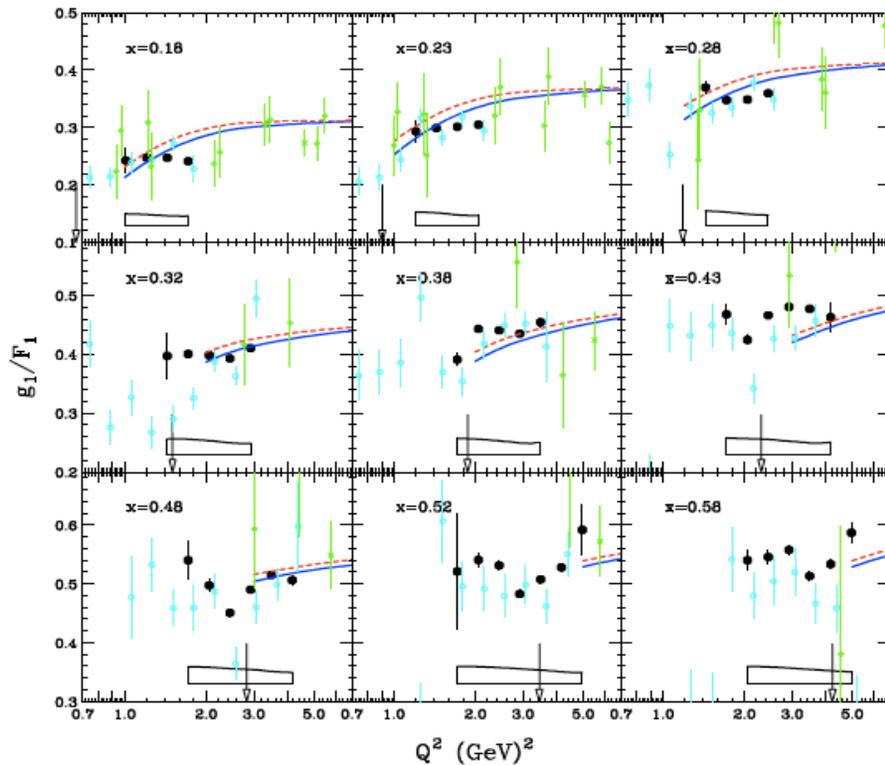
□ The “Plot” is greatly improved:



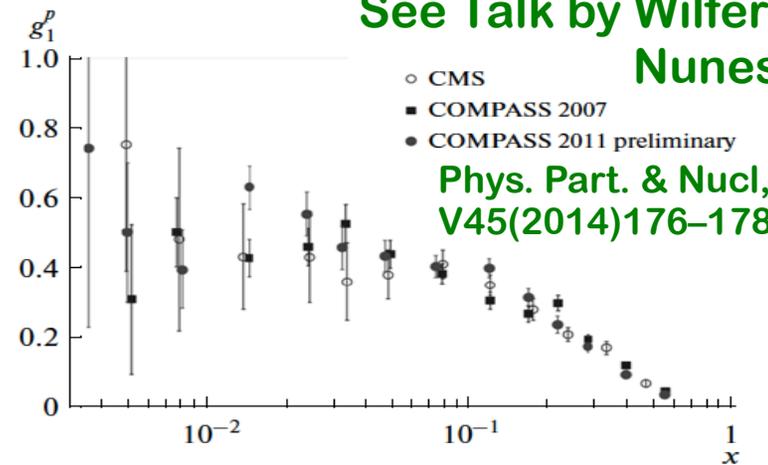
JLab/CLAS



arXiv:1404.6231



Lower  $Q^2$   
HT's



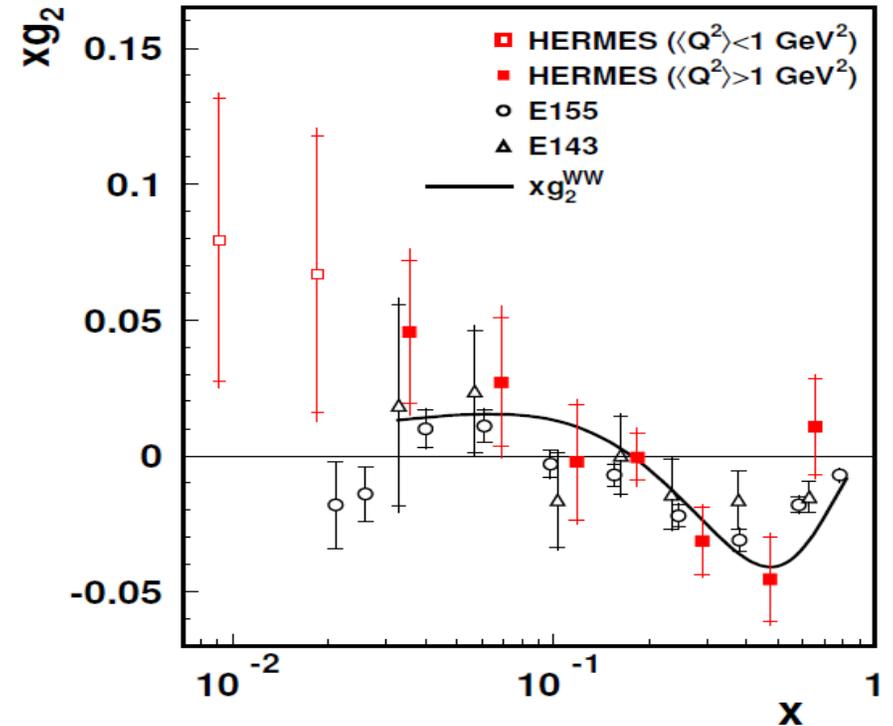
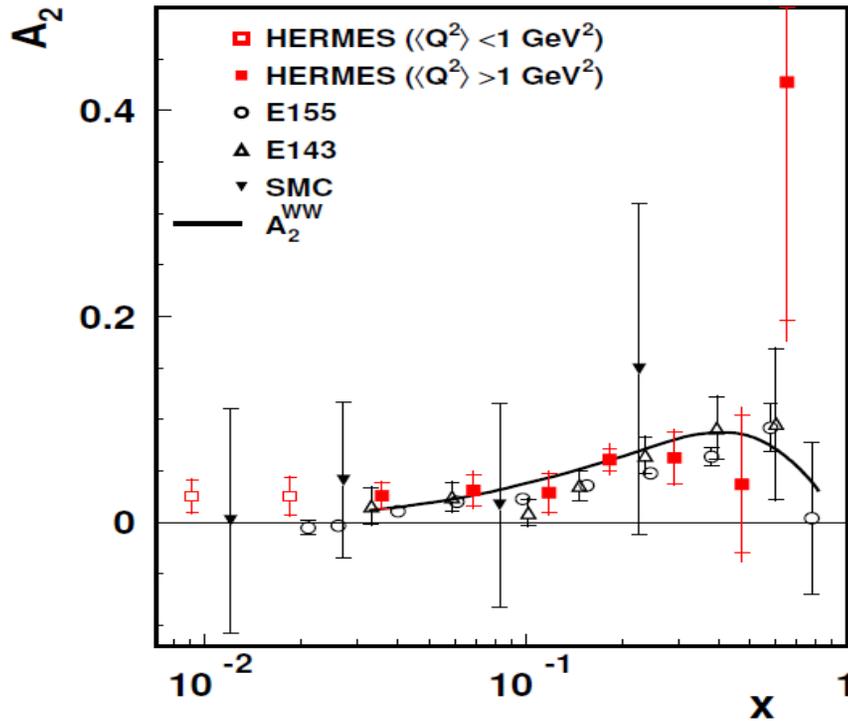
See Talk by Wilfert  
Nunes

Phys. Part. & Nucl.,  
V45(2014)176–178

# Inclusive DIS

Van Hulse, Pan Pacific Spin '13

## □ $g_2$ - go beyond $g_1^p$ :

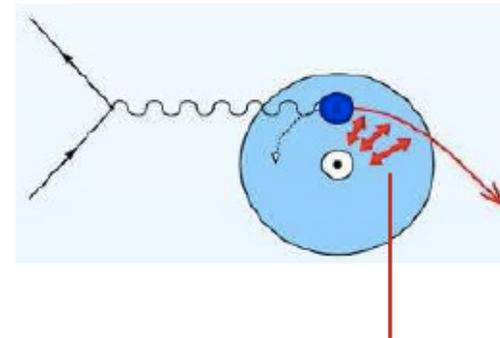


## □ Physics behind $g_2$ :

$$\bar{g}_2(x, Q^2) = g_2(x, Q^2) - g_2^{WW}(x, Q^2),$$

$$g_2^{WW}(x, Q^2) = -g_1(x, Q^2) + \int_x^1 g_1(y, Q^2) dy/y,$$

$$d_2 = 3 \int_0^1 dx x^2 \bar{g}_2(x) = \int_0^1 dx x^2 [3g_2(x) + 2g_1(x)]$$



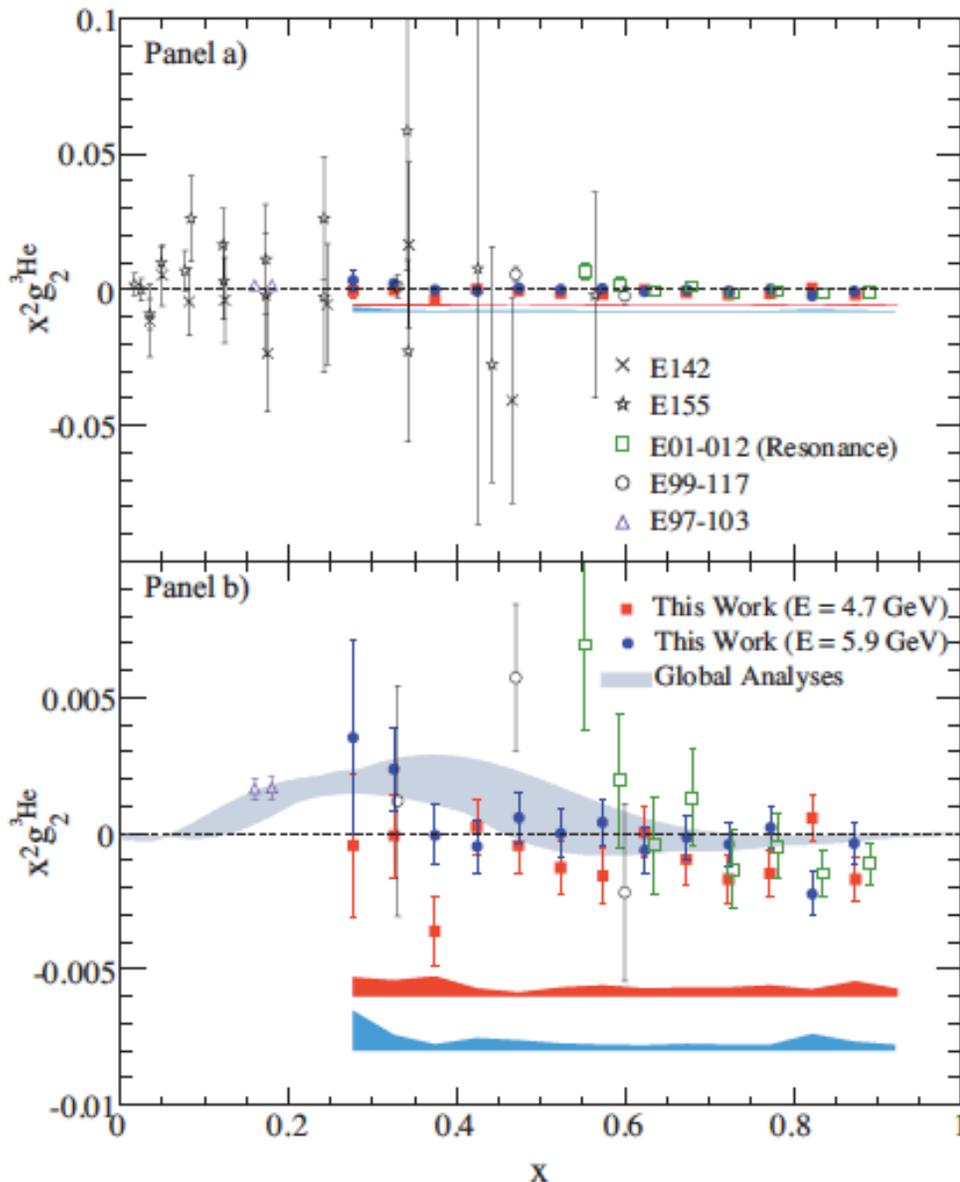
M. Burkardt

force on struck quark at  $t=0$   
 $\propto -d_2$

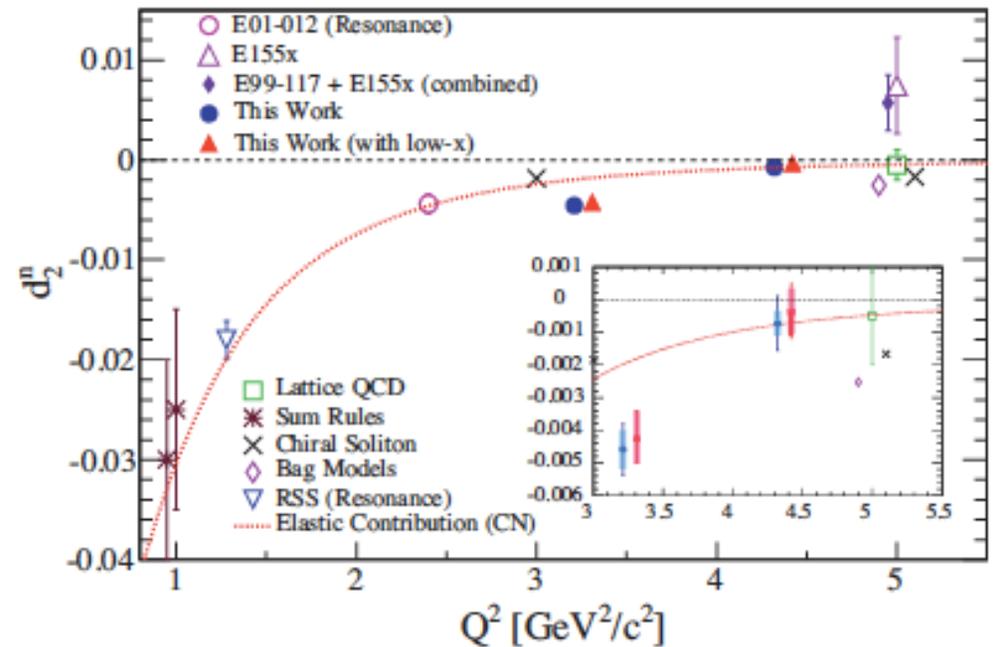
# Inclusive DIS

arXiv:1404.4003

□ Jlab/Hall A - precision  $d_2^n$  on  $^3\text{He}$ :



$$d_2 = 3 \int_0^1 dx x^2 \bar{g}_2(x) = \int_0^1 dx x^2 [3g_2(x) + 2g_1(x)]$$



Color electric/magnetic force: Burkardt

$$F_E = -\frac{M^2}{4} \chi_E = -\frac{M^2}{4} \left[ \frac{2}{3} (2d_2 + f_2) \right]$$

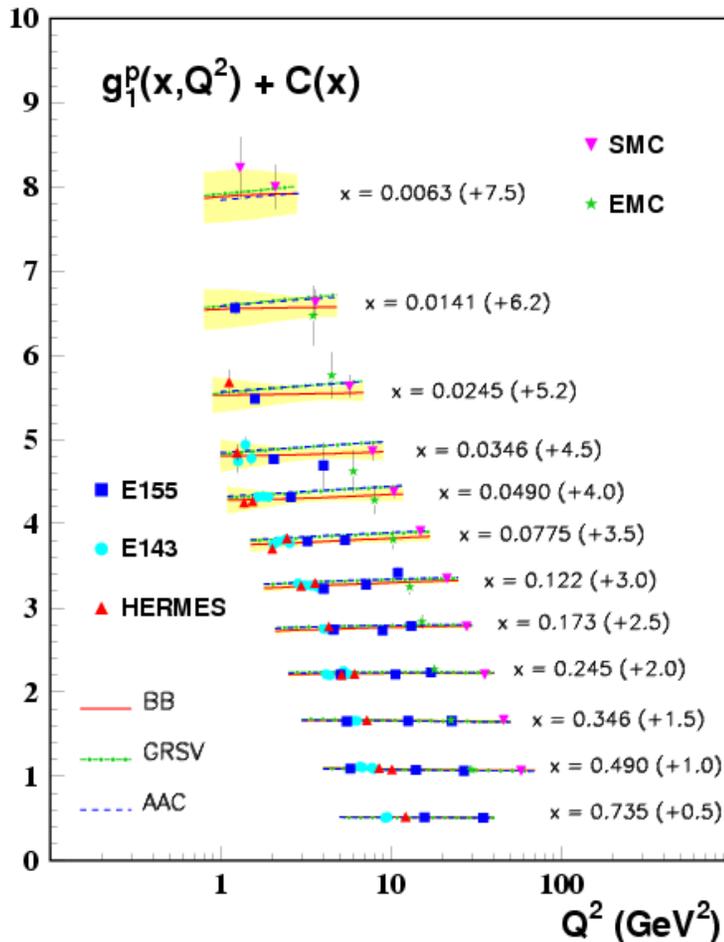
$$F_B = -\frac{M^2}{2} \chi_B = -\frac{M^2}{2} \left[ \frac{1}{3} (4d_2 - f_2) \right]$$

Claim:  $f_2^n \gg d_2^n \rightarrow F_E \sim -F_B$

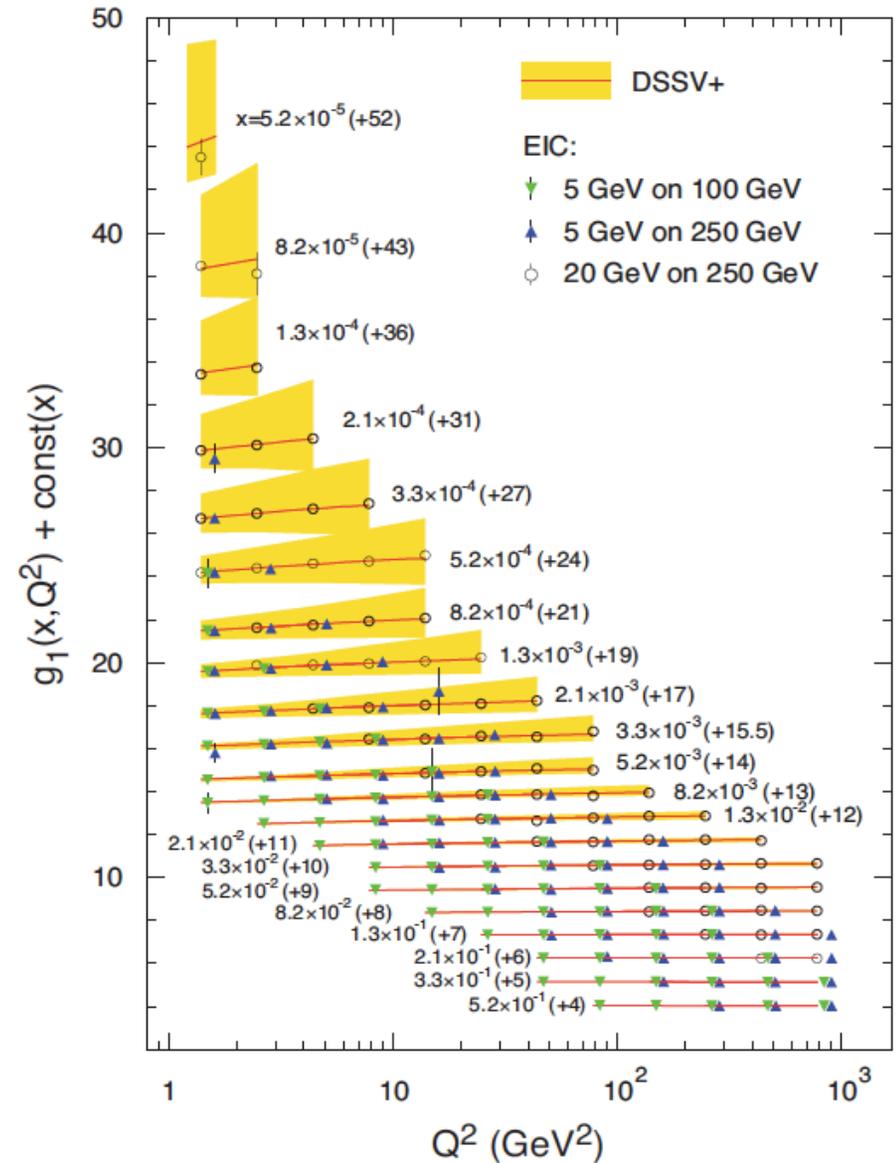


# The Future: Challenges & opportunities

## □ The power & precision of EIC:



at EIC



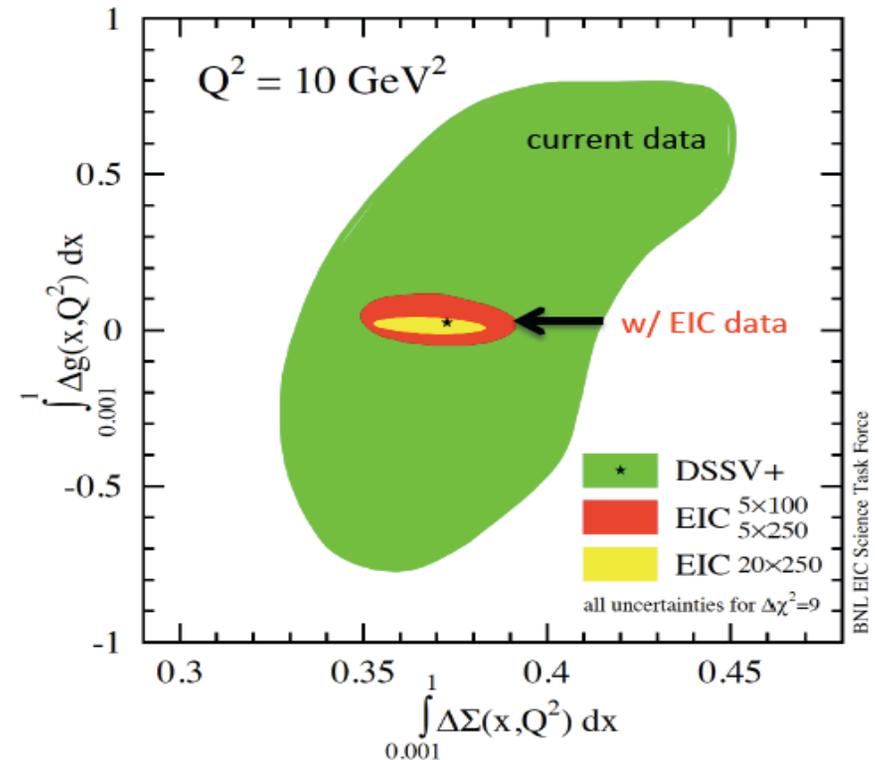
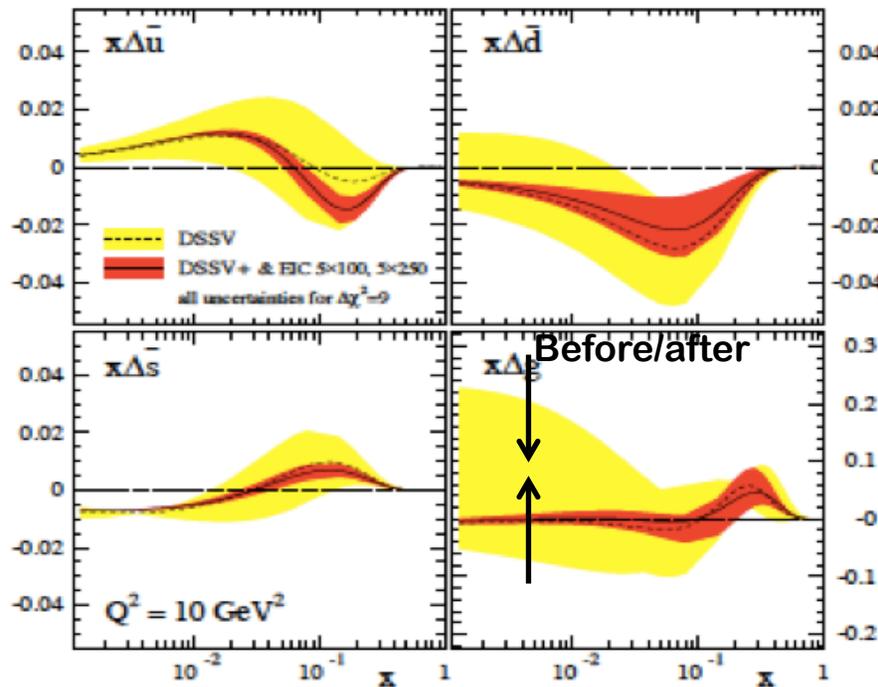
## □ Reach out the glue:

$$\frac{dg_1(x, Q^2)}{d \ln Q^2} = \frac{\alpha_s}{2\pi} P_{qg} \otimes \Delta g(x, Q^2) + \dots$$

# The Future: Challenges & opportunities

## One-year of running at EIC:

Wider  $Q^2$  and  $x$  range including low  $x$  at EIC!



No other machine in the world can achieve this!

## Ultimate solution to the proton spin puzzle:

- ✧ Precision measurement of  $\Delta g(x)$  – extend to smaller  $x$  regime
- ✧ Orbital angular momentum contribution – measurement of GPDs!

# Additional talks in parallel sessions

## □ Tuesday – WG6:

Measurements of parity violating spin asymmetries of the W boson (to e) at mid-rapidity with the PHENIX Detector at RHIC *Mr. Ciprian GAL*

PHENIX W to mu measurements in polarized proton-proton collisions *Dr. Ralf SEIDL*

Hermes reevaluation of the Parton Distribution of Strange Quarks in the Nucleon *F. GIORDANO*

First results on  $A_1$  and  $g_1^p$  at low x and low  $Q^2$  from COMPASS *Ana Sofia NUNES*

Single hadron double longitudinal spin asymmetries at  $p_T < 1$  GeV/c measured at COMPASS *Maxime LEVILLAIN*

Unbiased helicity-dependent parton distributions with polarized collider data *Emanuele Roberto NOCERA*

## □ Wednesday – WG7:

eRHIC: An Electron-Ion Collider at BNL *Elke-caroline Aschenauer*

Physics opportunities at the MEIC at JLab *Pawel Nadel-Turonski*

## □ Thursday – WG6:

The  $g_2$  Spin Structure Function *Ms. Melissa CUMMINGS*

# Hunting for orbital angular momentum

Talk by Lorce, C.

□ **Orbital angular momentum:**  $L_q \equiv J_q - \frac{1}{2} \Delta \Sigma$

Ji '96

$$J_q = \int_0^1 x (H_q + E_q) dx \quad = \text{Hadronic matrix element of local operator}$$

Calculable in Lattice QCD!

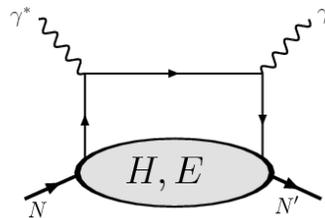
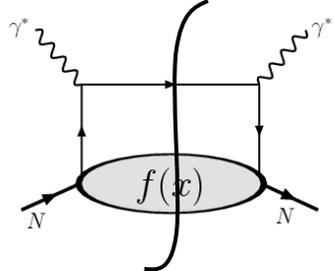
Negele et al

Experimental  
Extraction of GPDs

Both  $L_u$  and  $L_d$  large

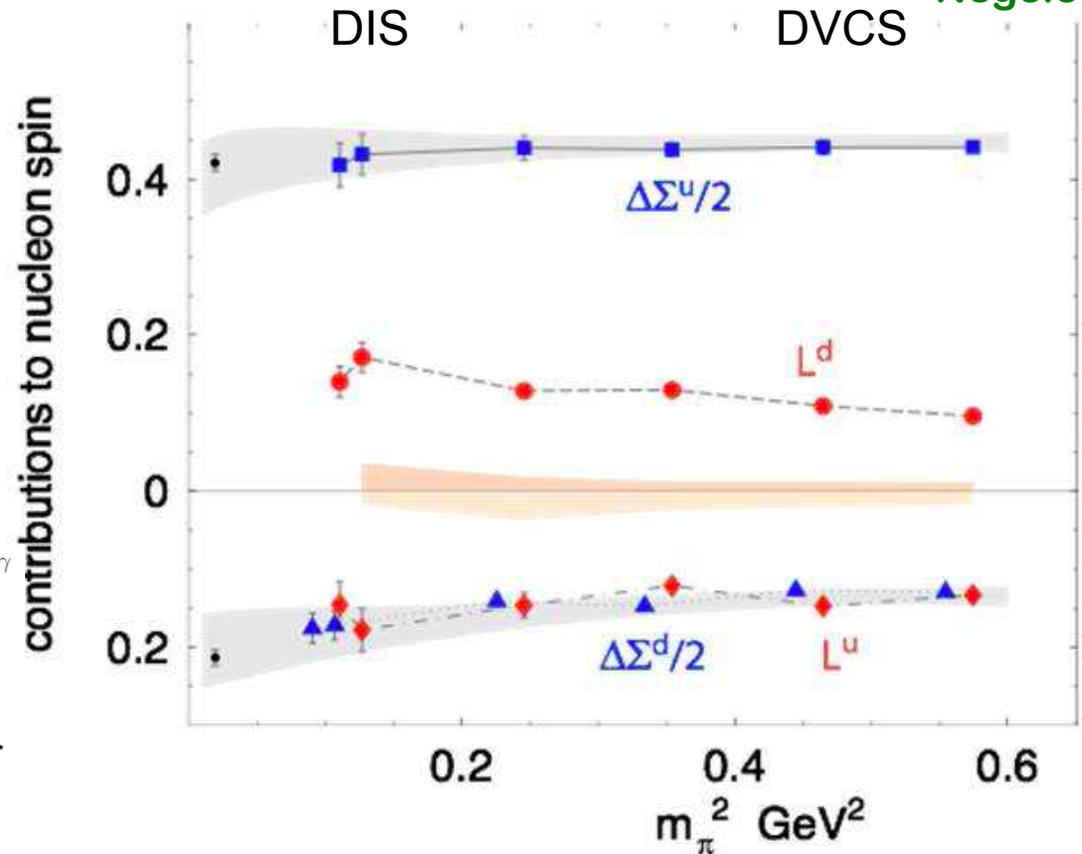
But,  $L_u + L_d \sim 0$

□ **GPDs:**



PDFs, TMDs

GPDs, GTMDs



# The present: GPDs

## □ Experimental access to GPDs:

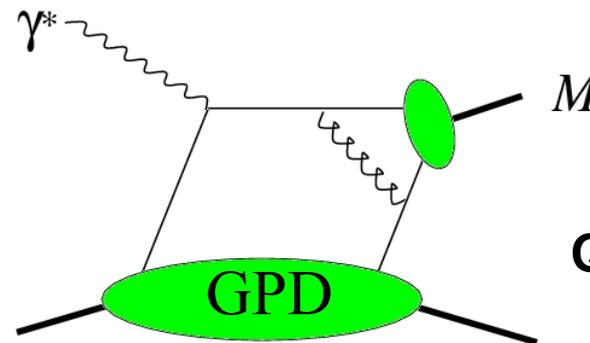
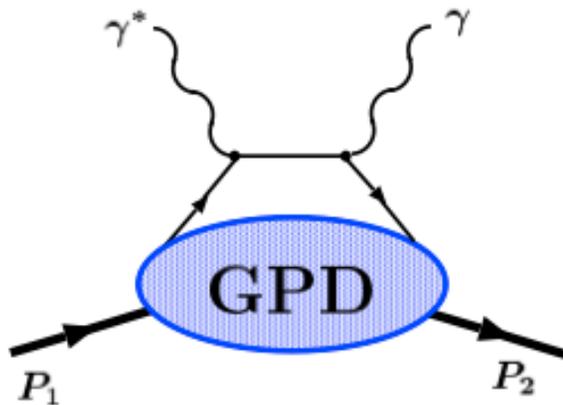
Mueller et al., 94;  
Ji, 96;  
Radyushkin, 96

### ✧ Diffractive exclusive processes – high luminosity:

DVCS: Deeply virtual Compton Scattering

DVEM: Deeply virtual exclusive meson production

### ✧ No factorization for hadronic processes – EIC is ideal:



Require

$$Q^2 \gg (-t), \Lambda_{\text{QCD}}^2, M^2$$

## □ Much more complicated – $(x, \xi, t)$ variables:

Challenge to derive GPDs from data

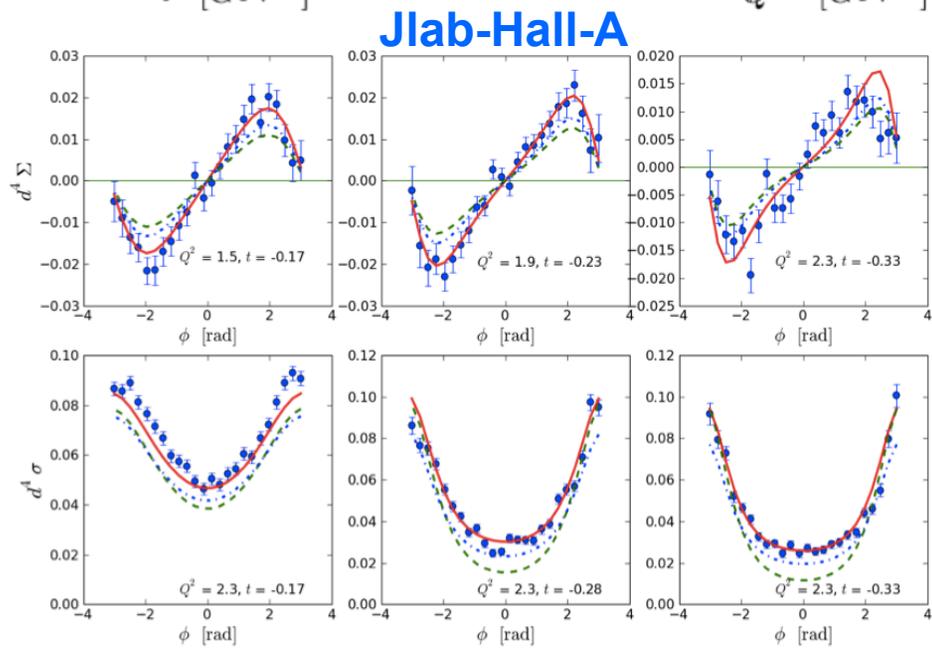
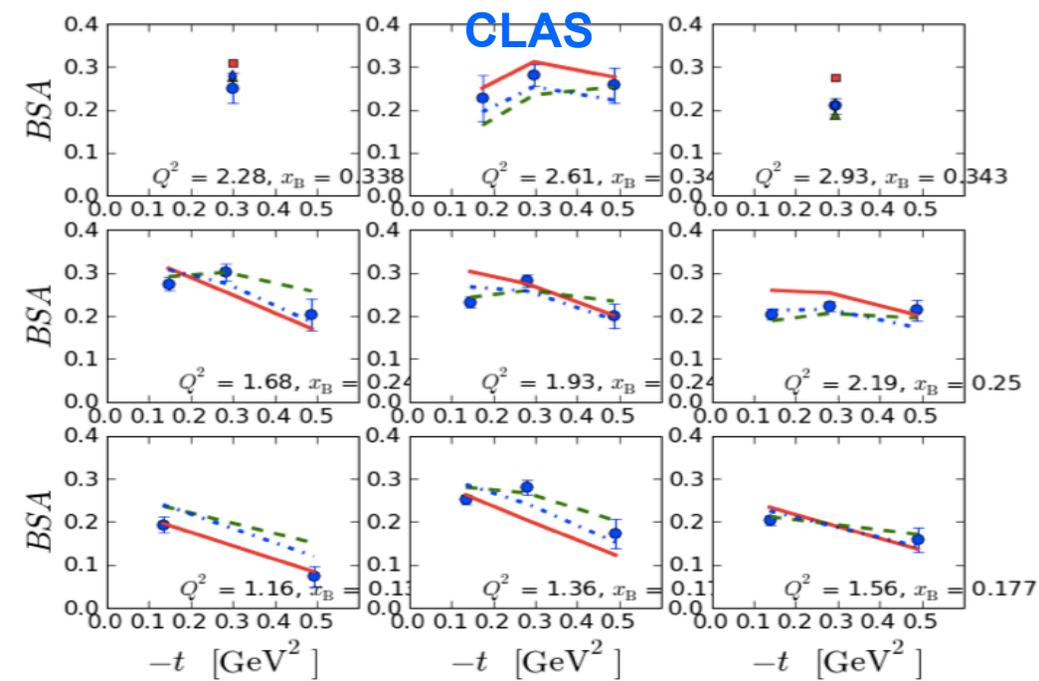
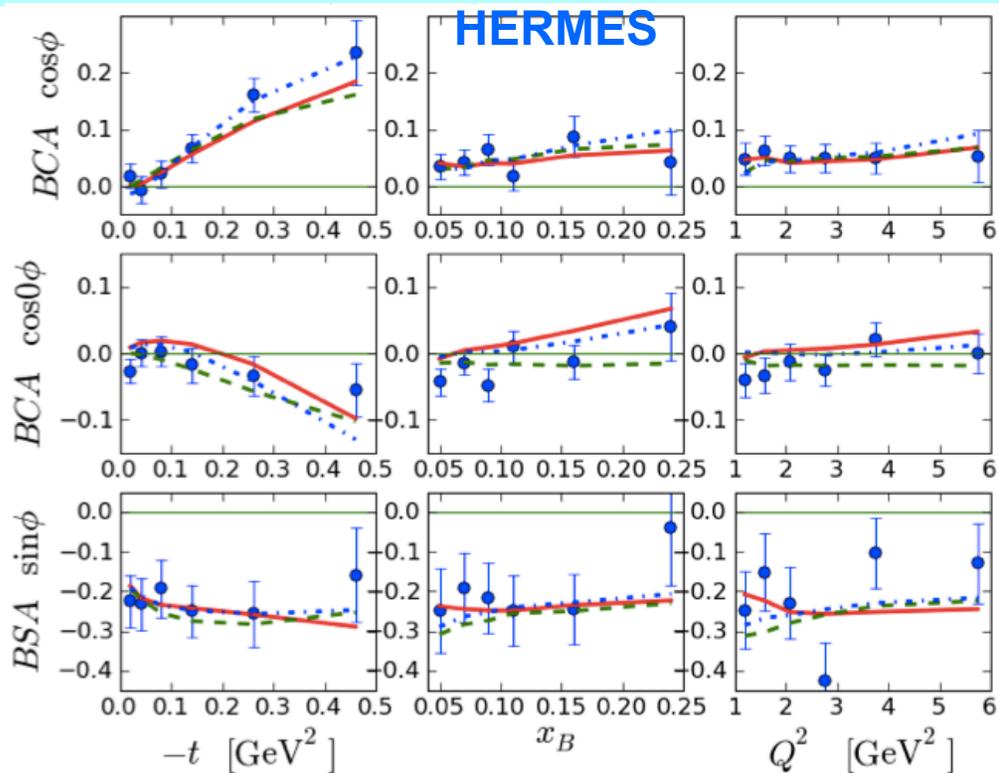
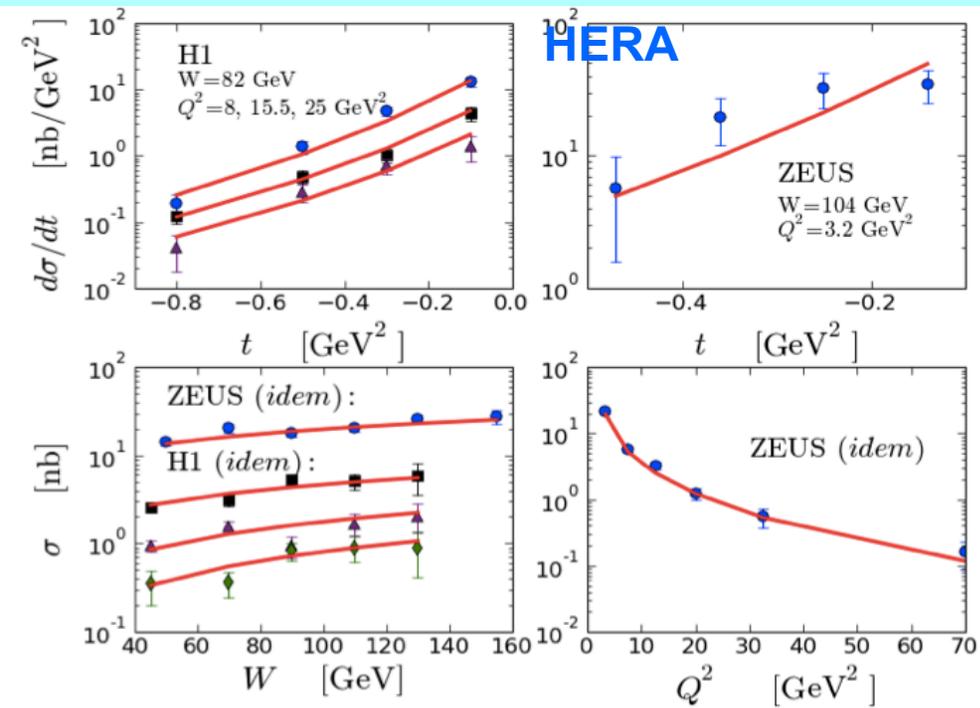
## □ Great experimental effort:

HERA, HERMES, COMPASS, JLab



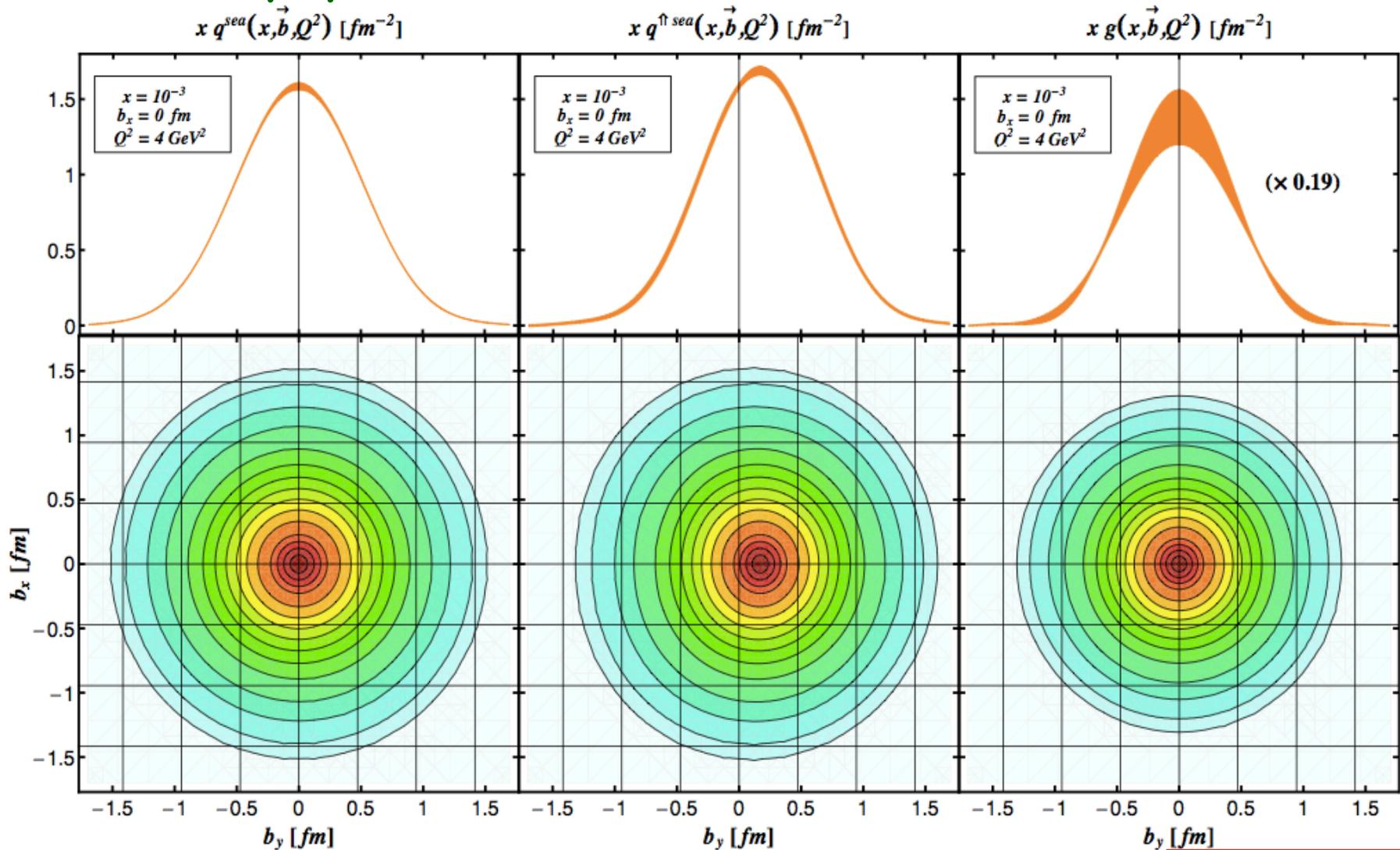
JLab12, COMPASS-II, EIC

# The present: GPDs



# The Future: Spatial Imaging

## □ EIC Whitepaper:



$$q(x, |\vec{b}|, Q^2) = \frac{1}{4\pi} \int_0^\infty d|t| J_0(|\vec{b}| \sqrt{|t|}) H(x, \xi = 0, t, Q^2)$$



Quark radius?  
 Sea radius?  
 Gluon radius?

# Additional talks in parallel sessions

## □ Thursday – WG6:

Deeply Virtual Compton Scattering to the twist-four accuracy:  
Impact of finite- $t$  and target mass corrections *Vladimir BRAUN*

Crossed channel analysis of quark and gluon *Dr. Kirill SEMENOV-TIAN-SHANSKY*  
Generalized parton distributions with helicity flip

A classification of chiral-odd pion generalized parton  
distributions beyond leading twist *Samuel WALLON*

Transverse densities in the nucleon's chiral periphery *Carlos GRANADOS*

DVCS measurements at HERMES *Klaus RITH*

Single and double polarization asymmetries from deeply virtual  
exclusive  $\pi^0$  electroproduction *Andrey KIM*

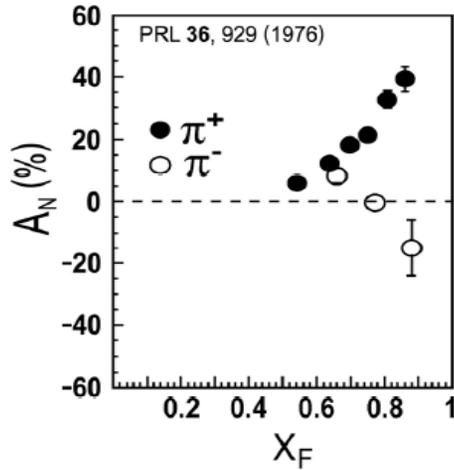
JLab/Hall A Deeply Virtual Compton Scattering results *Franck SABATIÉ*

Exclusive meson production at COMPASS *Pawel SZNAJDER*

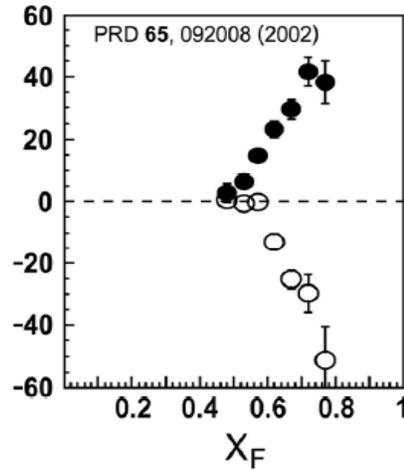
# The Present: TMDs

□  $A_N$  - consistently observed for over 35 years!

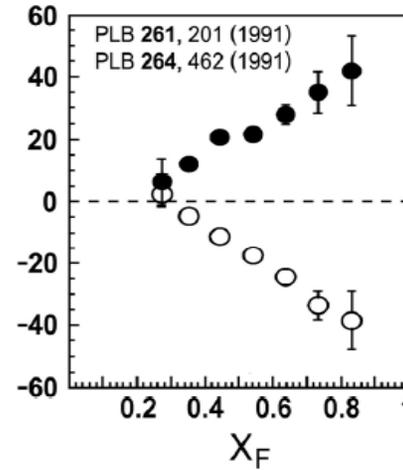
ANL – 4.9 GeV



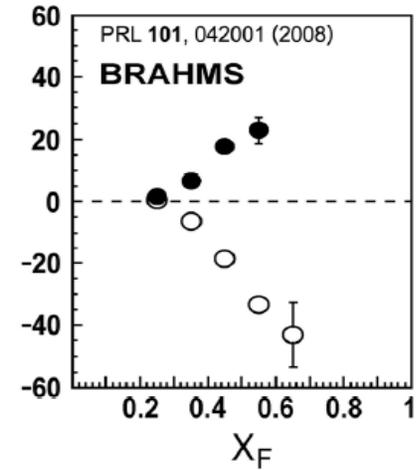
BNL – 6.6 GeV



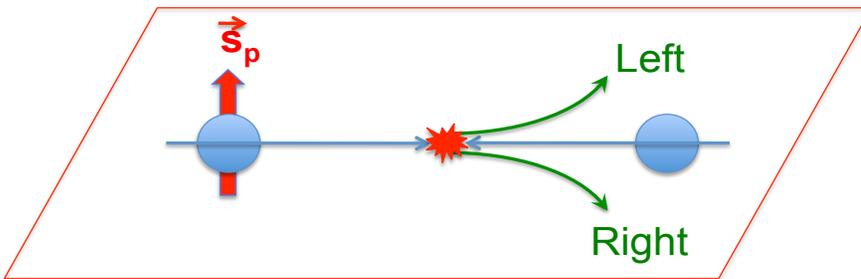
FNAL – 20 GeV



BNL – 62.4 GeV



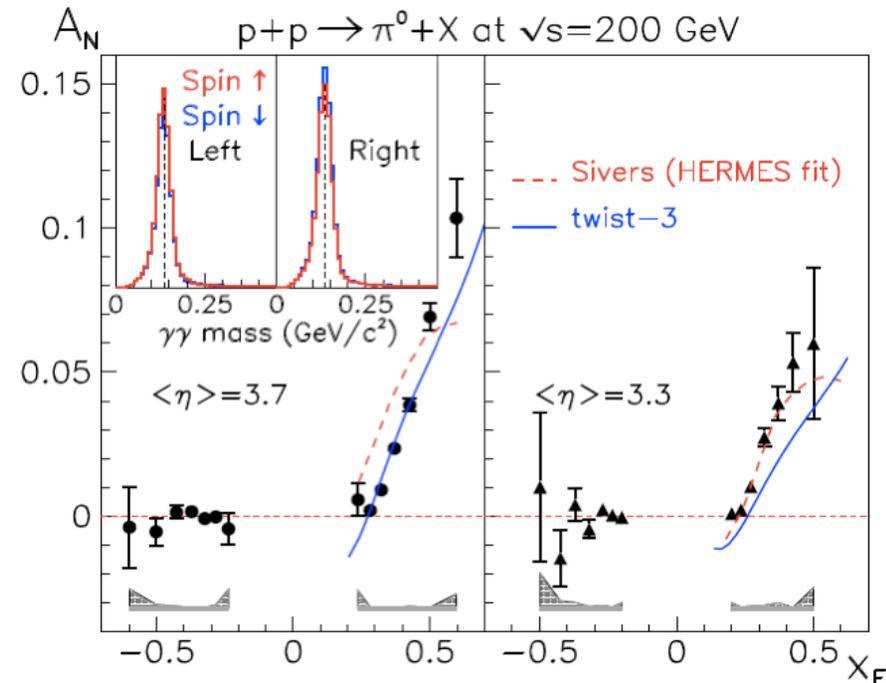
□ Definition:



$$A_N \equiv \frac{\Delta\sigma(l, \vec{s})}{\sigma(l)} = \frac{\sigma(l, \vec{s}) - \sigma(l, -\vec{s})}{\sigma(l, \vec{s}) + \sigma(l, -\vec{s})}$$

Vanish if active parton has no  $k_T$ !!!

BNL – 200 GeV

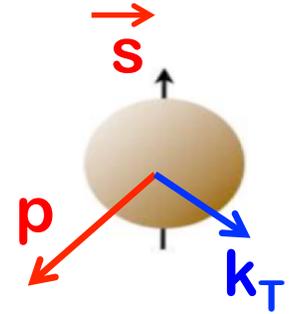


# The Present: TMDs

□ Power of spin – many more correlations:

|                      |   | Quark Polarization           |                              |   |
|----------------------|---|------------------------------|------------------------------|---|
|                      |   | Un-Polarized (U)             | Longitudinally Polarized (L) | Transversely Polarized (T)                      |
| Nucleon Polarization | U | $f_1 =$                      |                              | $h_1^\perp =$ -<br>Boer-Mulders                 |
|                      | L |                              | $g_{1L} =$ -<br>Helicity     | $h_{1L}^\perp =$ -                              |
|                      | T | $f_{1T}^\perp =$ -<br>Sivers | $g_{1T}^\perp =$ -           | $h_1 =$ -<br>Transversity<br>$h_{1T}^\perp =$ - |

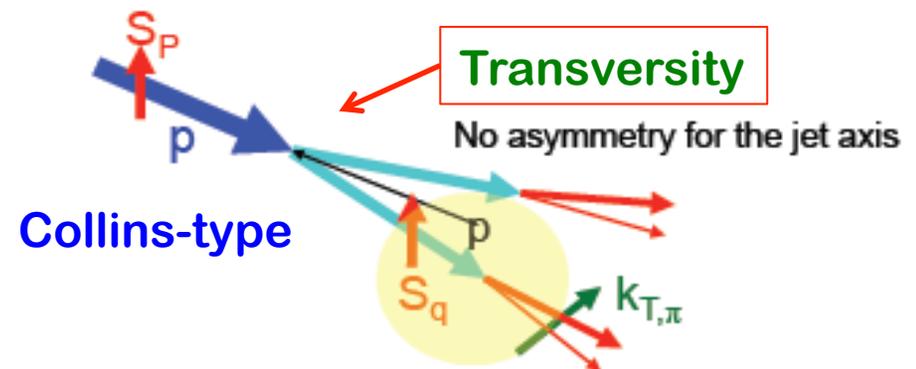
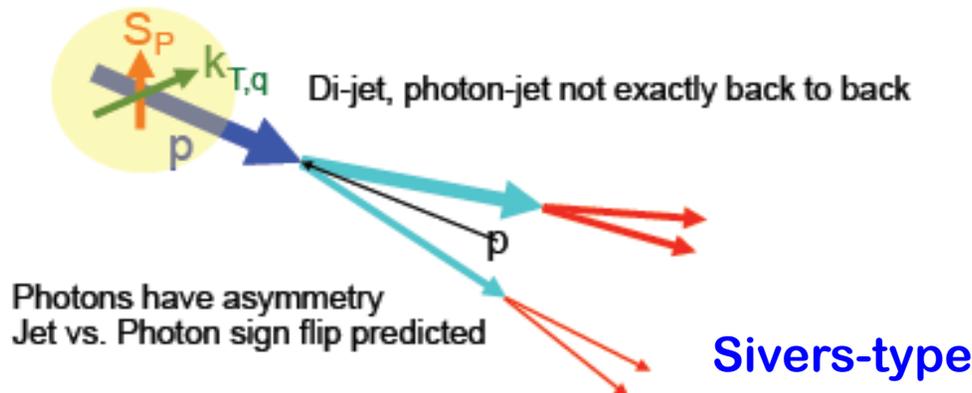
Nucleon Spin      Quark Spin      Similar for gluons



Require **two** Physical scales

More than one TMD contribute to the same observable!

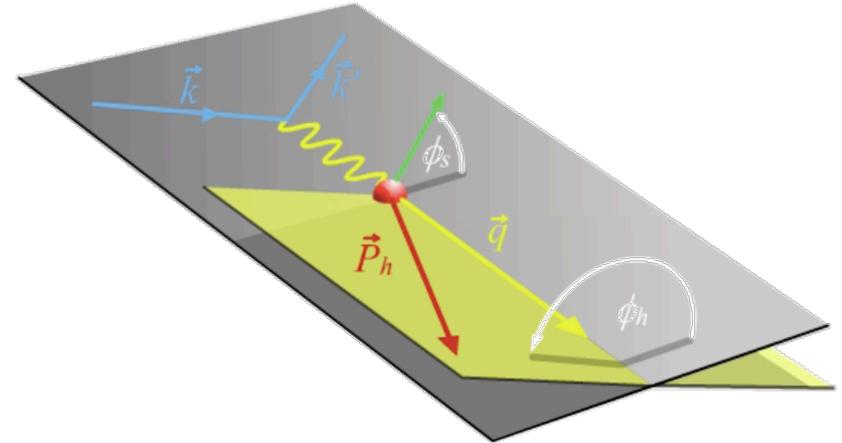
□  $A_N$  – single hadron production:



# SIDIS – best place to measure TMDs

## □ Naturally **two** scales and **two** planes:

- ✧ high  $Q$  – localized probe  
To “see” quarks and gluons
- ✧ Low  $p_T$  – sensitive to confining scale  
To “see” their confined motion
- ✧ *Theory – QCD TMD factorization*



## □ Separation of TMDs:

$$A_{UT}^{Collins} \propto \langle \sin(\phi_h + \phi_S) \rangle_{UT} \propto h_1 \otimes H_1^\perp$$

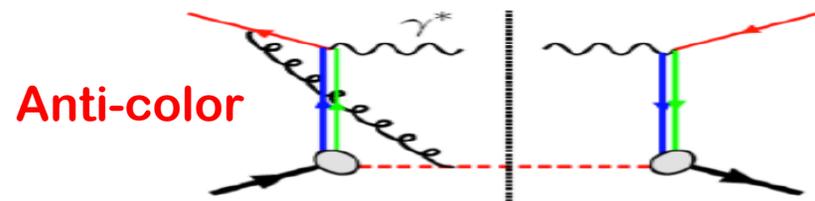
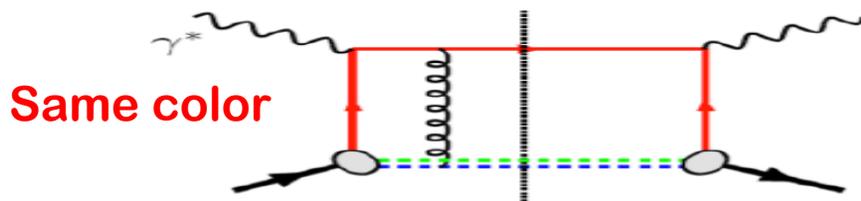
$$A_{UT}^{Sivers} \propto \langle \sin(\phi_h - \phi_S) \rangle_{UT} \propto f_{1T}^\perp \otimes D_1$$

$$A_{UT}^{Pretzelosity} \propto \langle \sin(3\phi_h - \phi_S) \rangle_{UT} \propto h_{1T}^\perp \otimes H_1^\perp$$

← Collins frag. Func.  
from  $e^+e^-$  collisions

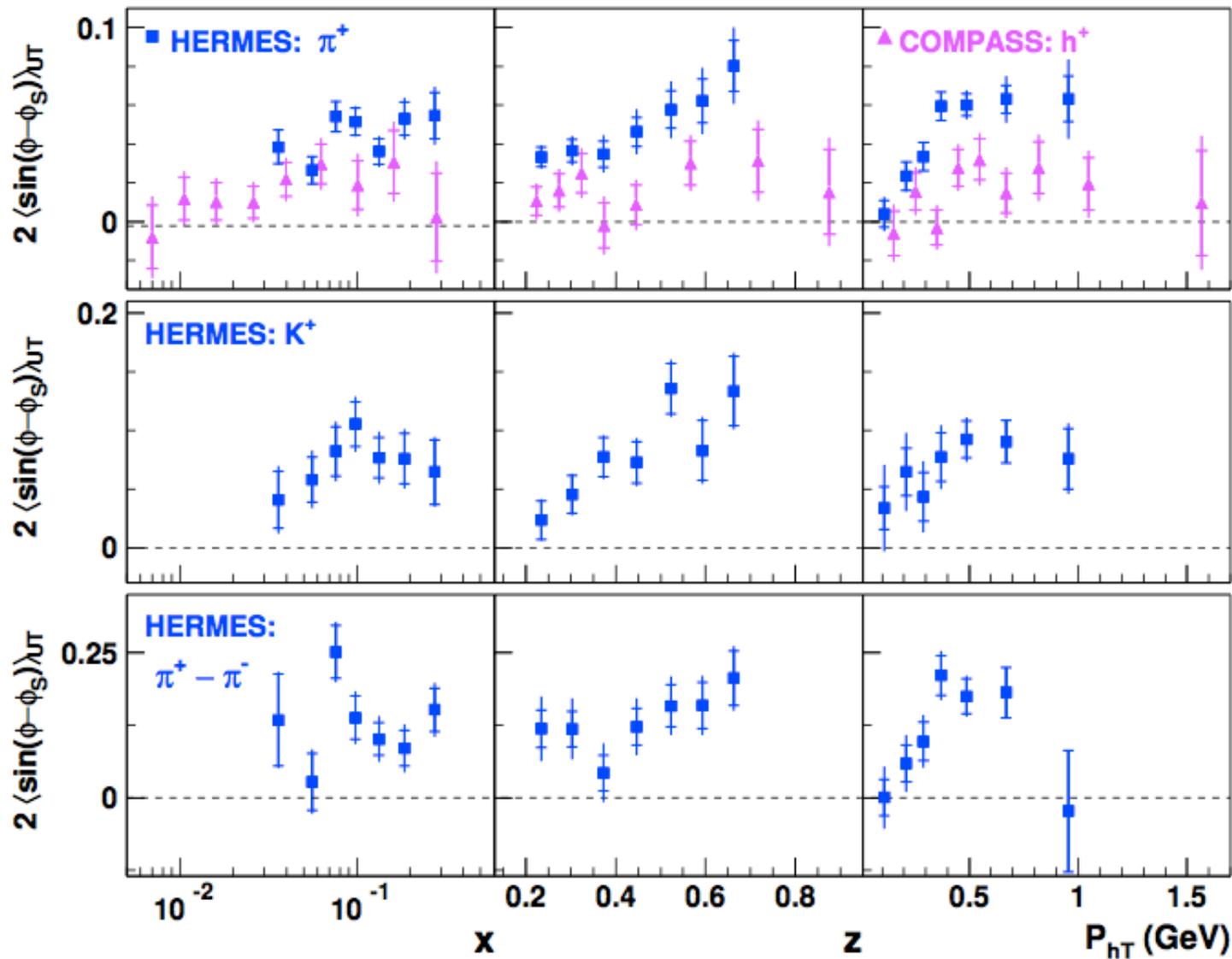


## □ Critical test – sign change of Sivers function – color flow!



# Sivers asymmetries from SIDIS

□ From SIDIS (HERMES and COMPASS) – low  $Q^2$ :



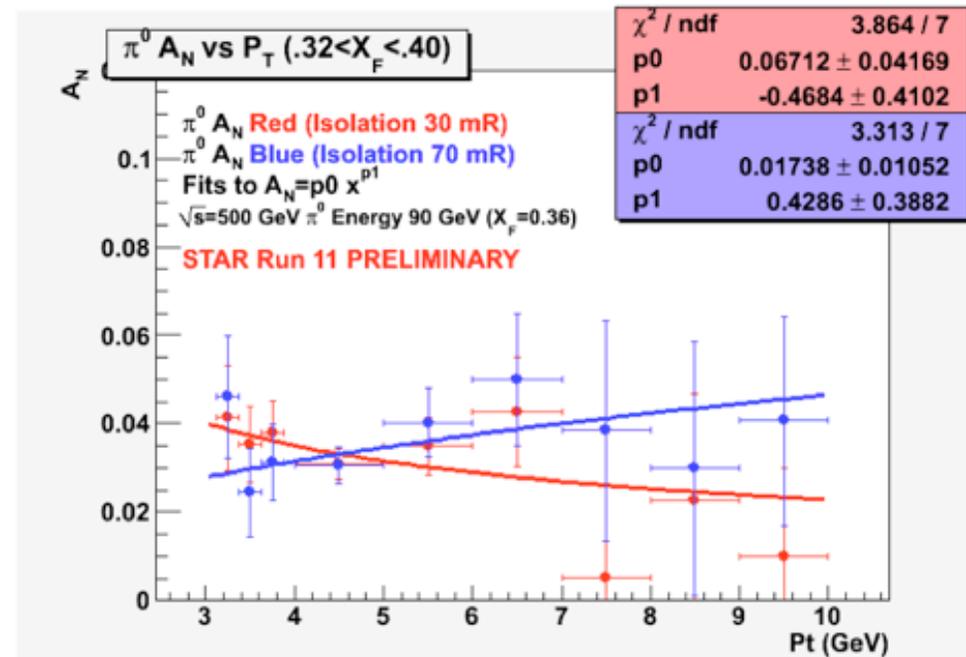
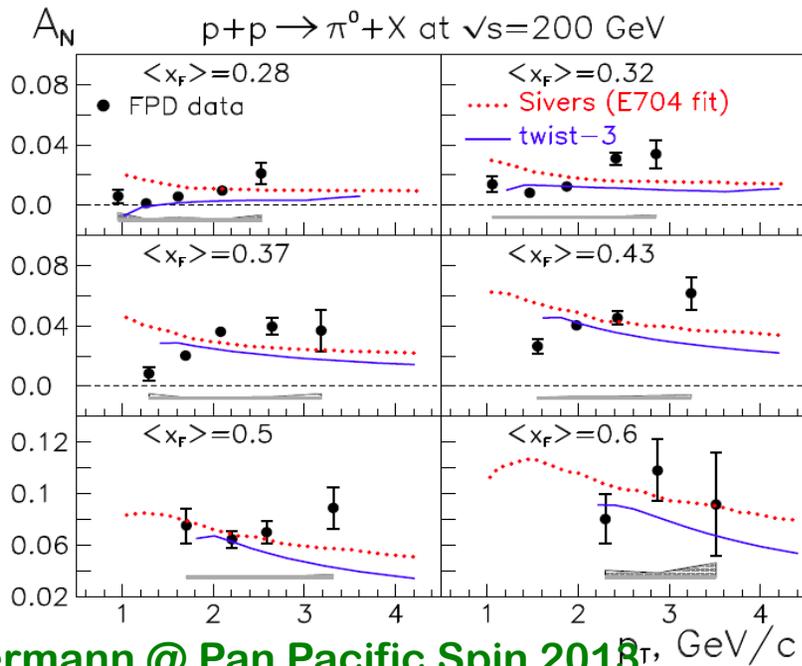
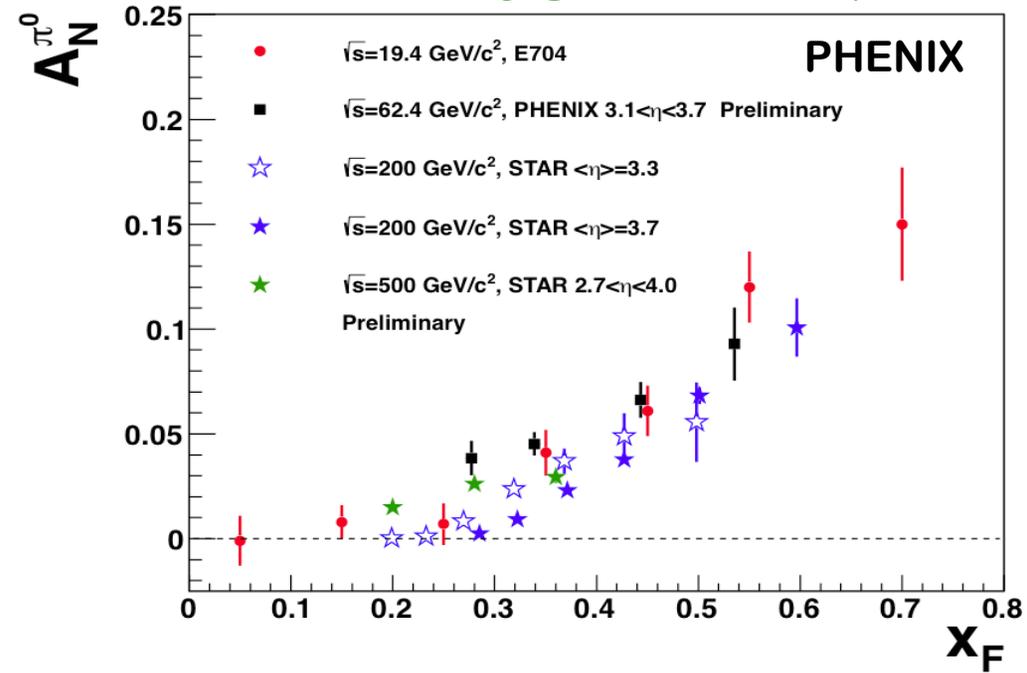
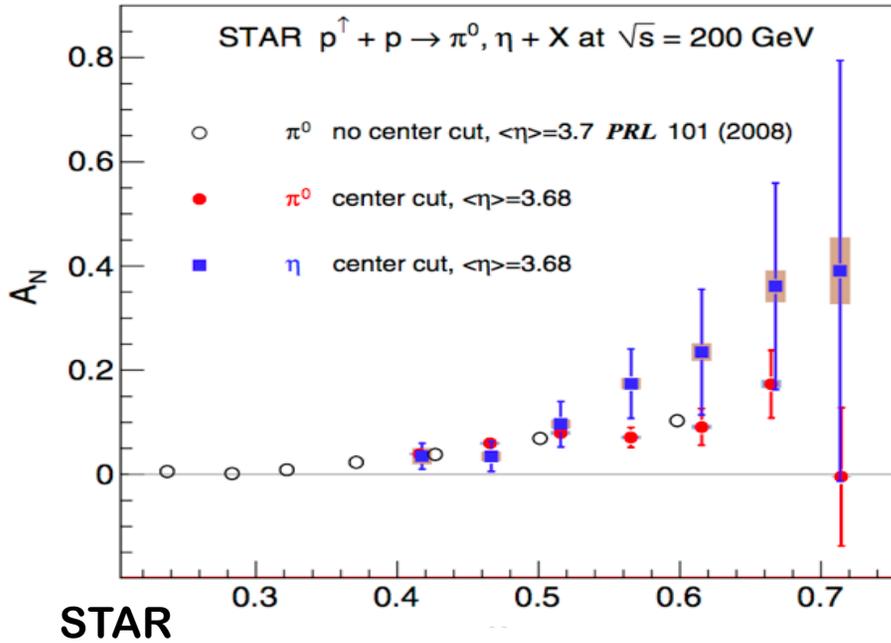
**Non-zero  
Sivers effects  
Observed  
in SIDIS!**

**Visible  $Q^2$   
dependence**

**Major theory  
Development  
In last year**

# $A_N$ from RHIC

Jiang @ Pan Pacific Spin 2013



Sichtermann @ Pan Pacific Spin 2018

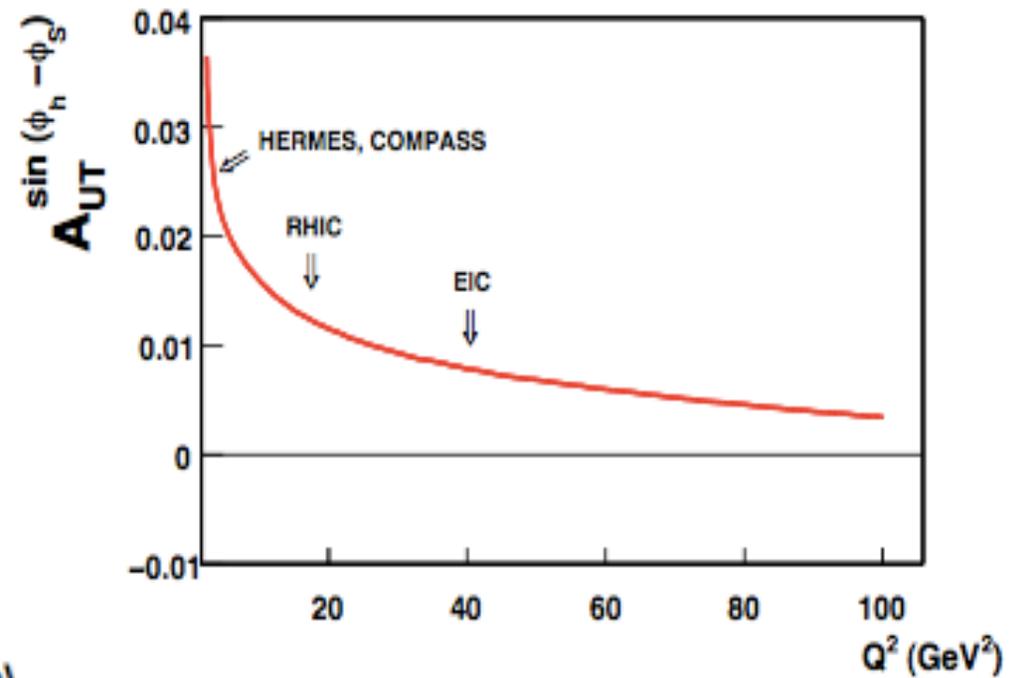
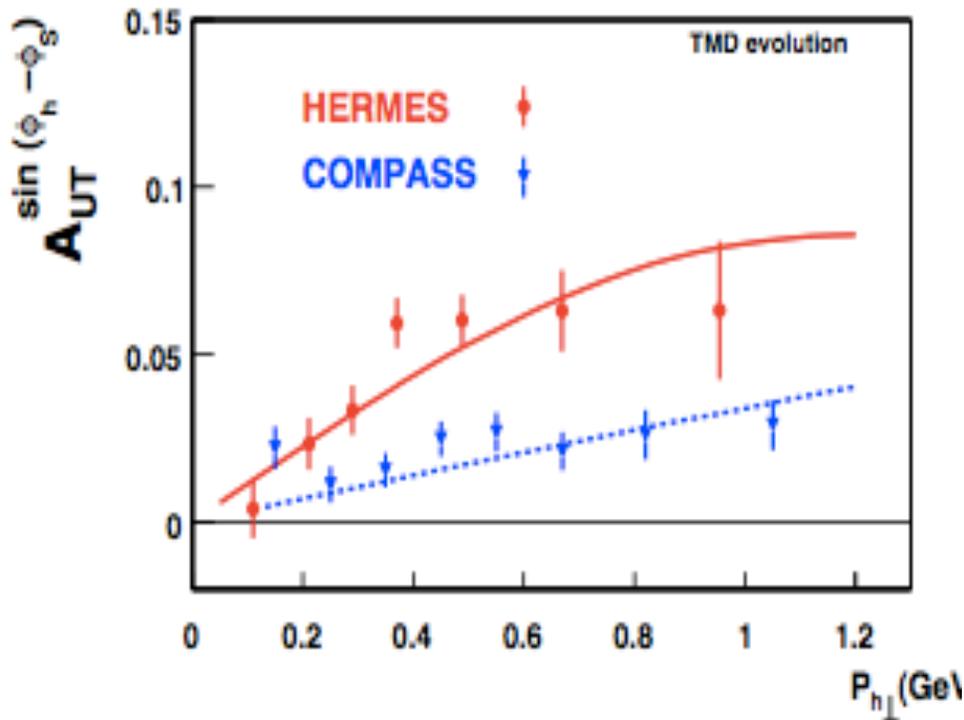
# Evolution of Sivers function

Aybat, Rogers, 2012

## □ SSAs – Sivers function:

Collins-Soper-Sterman (CSS) resummation approach

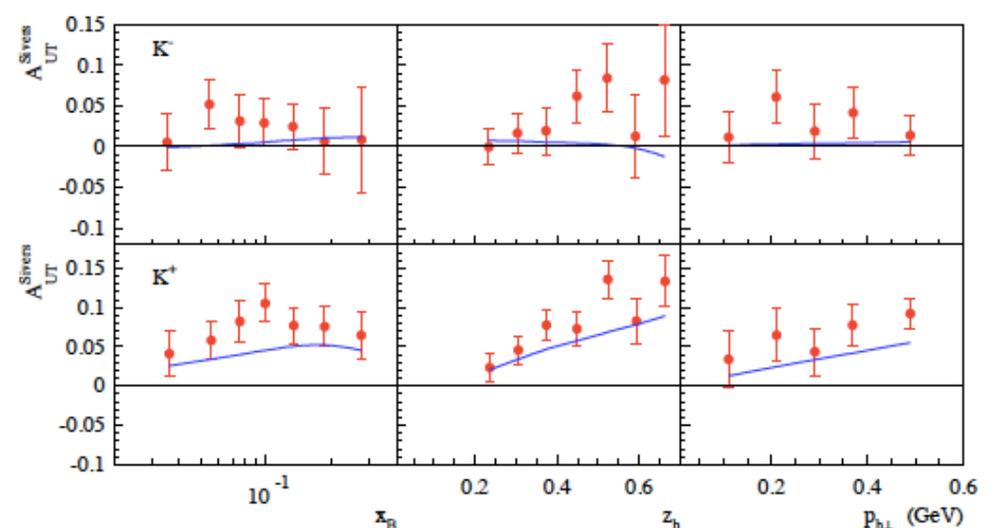
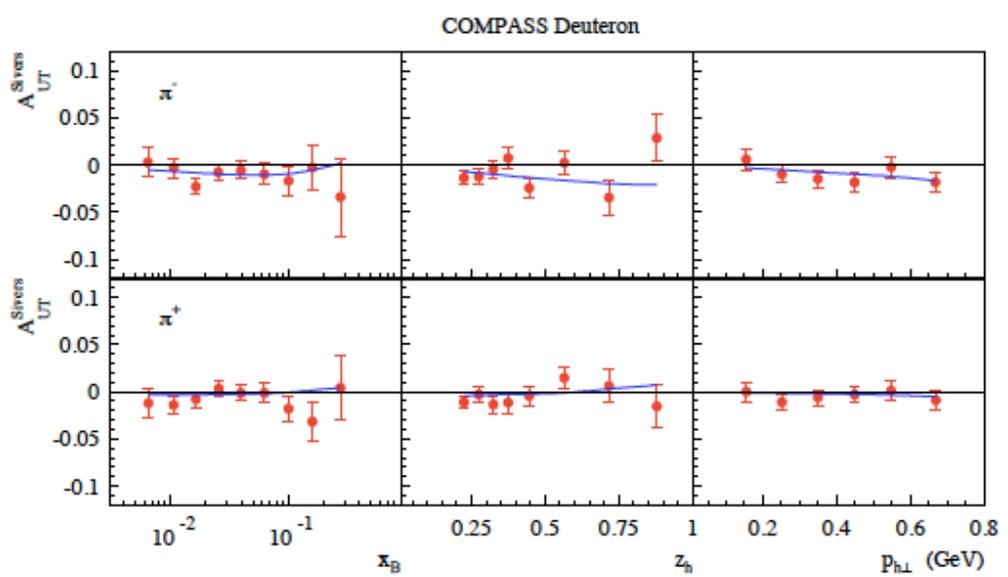
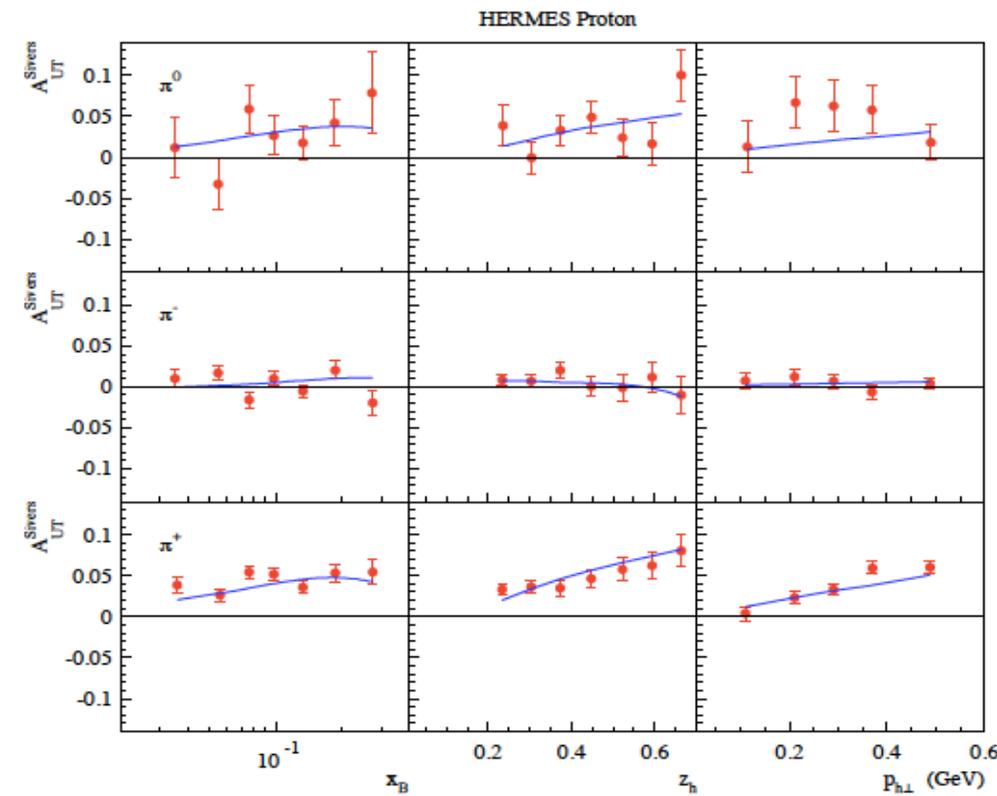
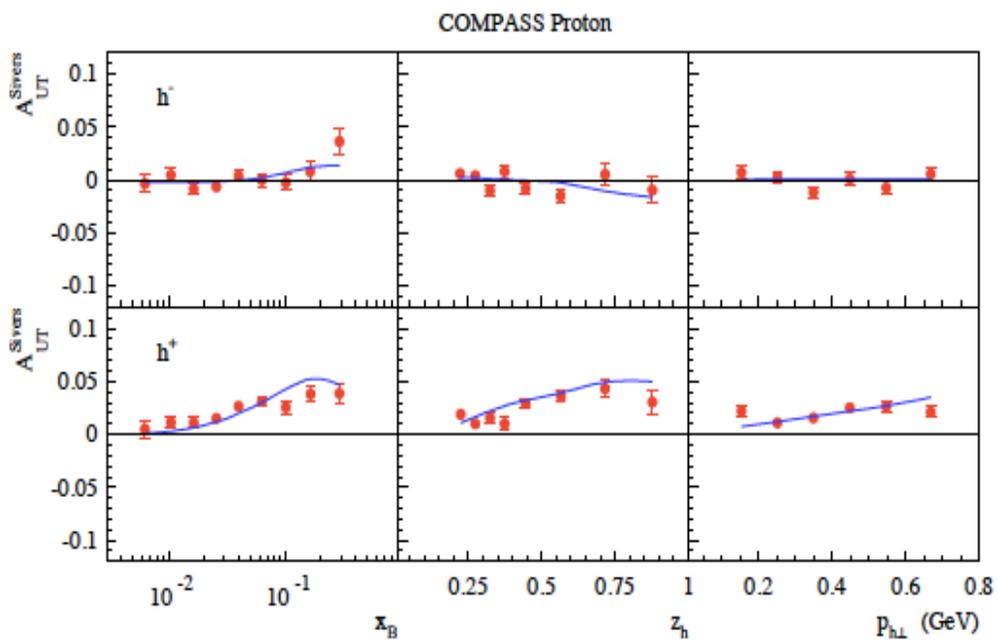
$$F(x, b; Q) = F(x, c/b_*) \exp \left\{ - \int_{c/b_*}^Q \frac{d\mu}{\mu} \left( A \ln \frac{Q^2}{\mu^2} + B \right) \right\} \exp \left\{ -b^2 \left[ g_1^{pdf} + \frac{g_2}{2} \ln(Q/Q_0) \right] \right\}$$



$Q^2$  dependence – effectiveness of the probe?

# Global fit to Sivers function

12/20/2014

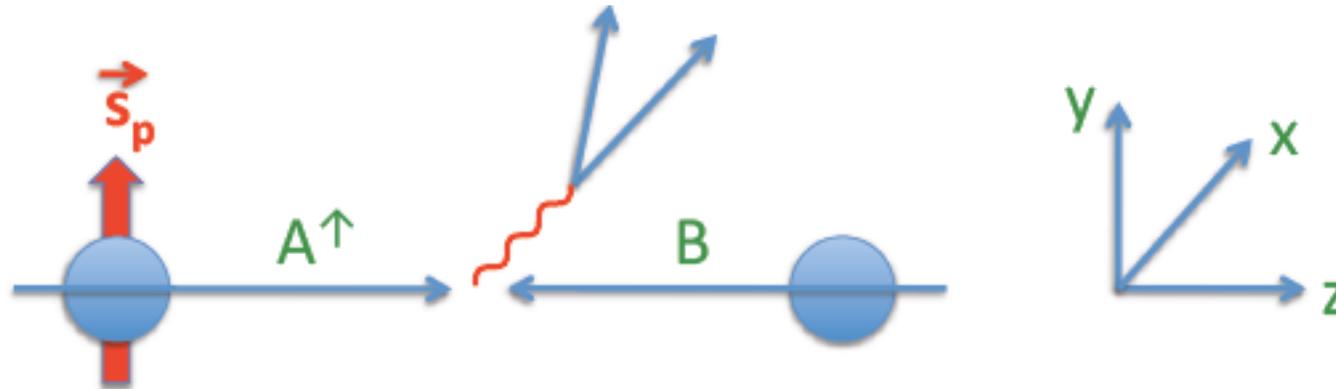


# Future: opportunities with Drell-Yan $A_N$

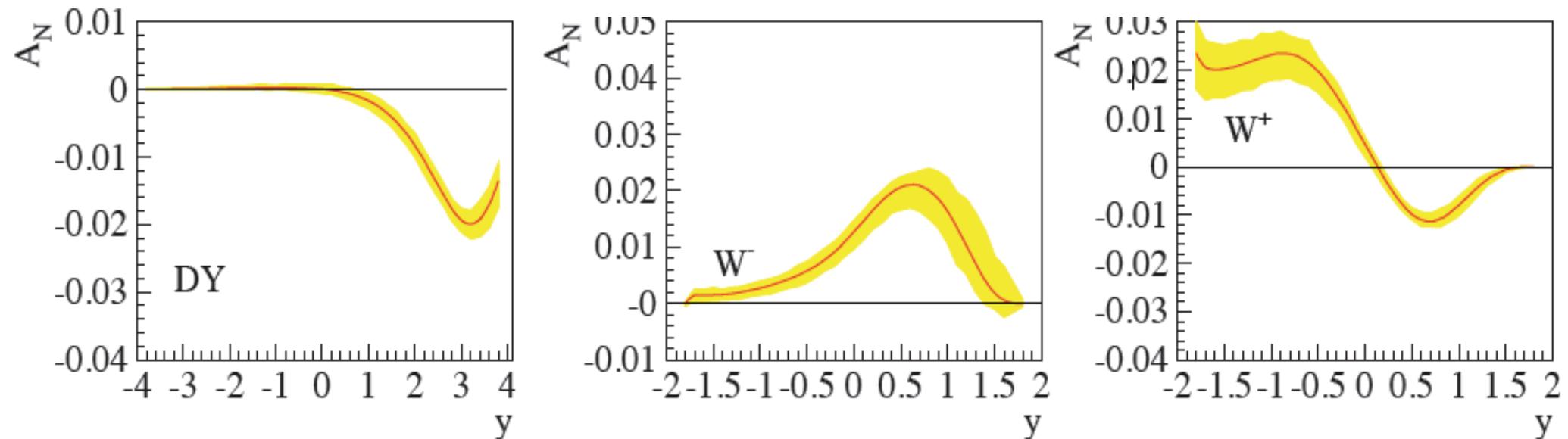
## □ Drell-Yan, $W$ @ RHIC :

Kang, INT-14

Kang-Xiao-Yuan, PRL. 2011



Test the sign change



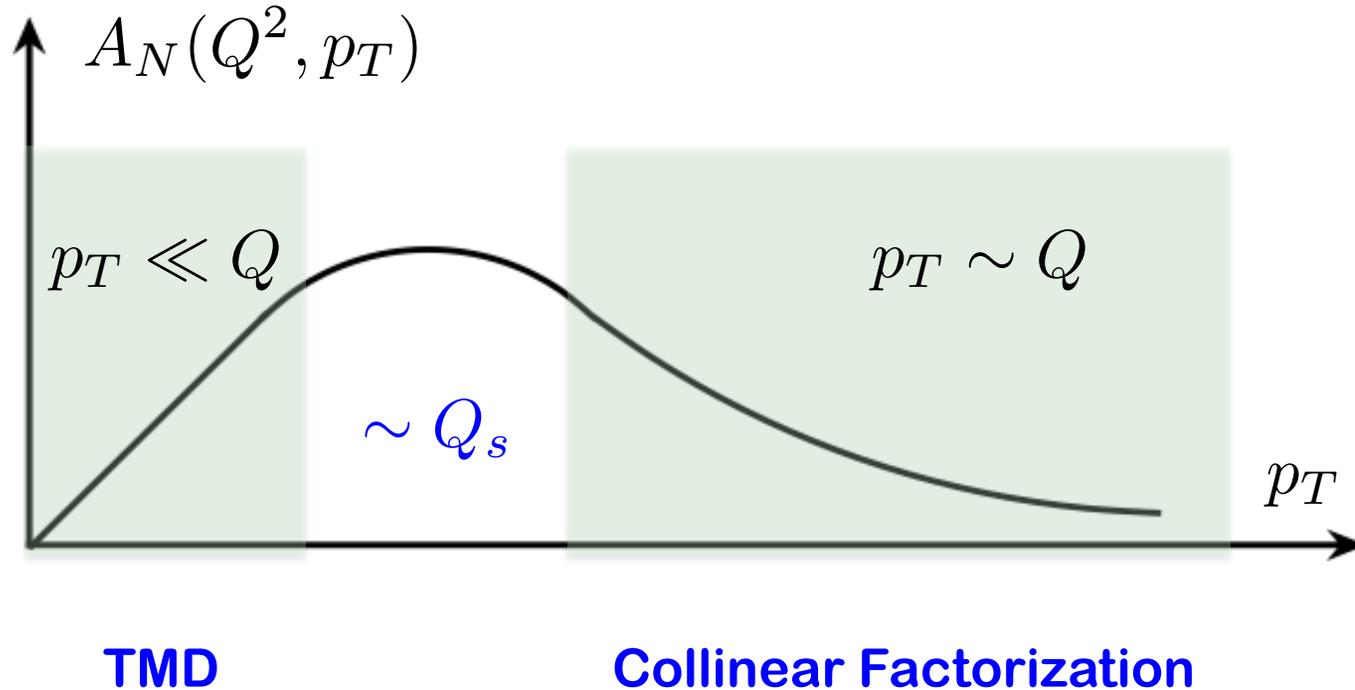
Caution:

- ✧ Uncertainty in non-perturbative input at high  $b$
- ✧ Different treatment to extrapolate to large  $b$

## □ Also opportunities at COMPASS-II

# Transition from low $p_T$ to high $p_T$

□ Two-scale becomes one-scale:



□ TMD factorization to collinear factorization:

Ji, Qiu, Vogelsang, Yuan,  
Koike, Vogelsang, Yuan

Two factorization are consistent in the overlap region:  $\Lambda_{\text{QCD}} \ll p_T \ll Q$

$A_N$  finite – requires correlation of multiple collinear partons

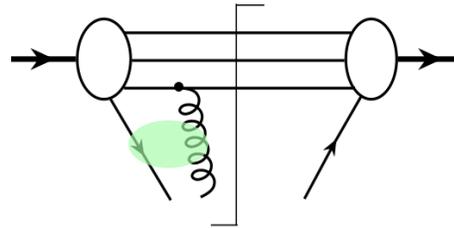
New opportunities!

# Twist-3 correlation functions

## □ Twist-3 polarized correlation functions:

Efremov, Teryaev, 1982, ...  
Qiu, Sterman, 1991, ...

$$T^{(3)}(x, x, S_{\perp}) \propto$$

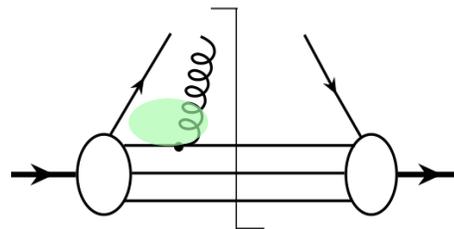


Moment of Sivers function

## □ Twist-3 unpolarized correlation functions:

Kanazawa, Koike 2000, ...

$$T^{(3\sigma)}(x', x') \propto$$

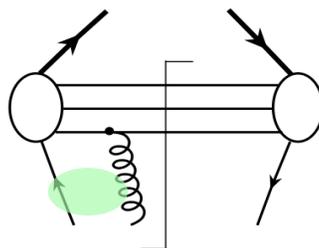


Moment of Boer-Mulders function

## □ Twist-3 fragmentation functions:

Kang, Yuan, Zhou, 2010

$$D^{(3)}(z, z) \propto$$



Moment of Collins function?

All these correlation functions have No probability interpretation!

Quantum interference between a single and a composite state

# Additional talks in parallel sessions

## □ Tuesday – WG6:

Phenomenological aspects of evolution in transverse momentum dependent PDF's and fragmentation

*Prof. Ignazio SCIMEMI*

COMPASS results on the transverse spin asymmetry in identified dihadron production in SIDIS

*Christopher BRAUN*

HERMES results on transverse target single-spin asymmetries in inclusive electroproduction of charged pions and kaons

*Klaus RITH*

Transverse-spin gluon distribution function

*Kazuhiro TANAKA*

## □ Wednesday – WG6:

$A_N$  in inclusive lepton-proton collisions

*Dr. Umberto D'ALESIO*

Measurement of the Transverse Single-Spin Asymmetries for  $\pi^0$  and Jet-like Events at Forward Rapidities at STAR in p+p Collisions at  $\sqrt{s} = 500$  GeV

*Dr. Mriganka Mouli MONDAL*

Results on Transverse Spin Asymmetries in Polarized Proton - Proton Elastic Scattering at  $\sqrt{s} = 200$  GeV

*Wlodek GURYN*

Gluon TMDs and Higgs boson production

*Marc SCHLEGEL*

+ talks on unpolarized TMDs

*Mr. Andrea SIGNORI, J. Osvaldo GONZALEZ H.*

# Summary

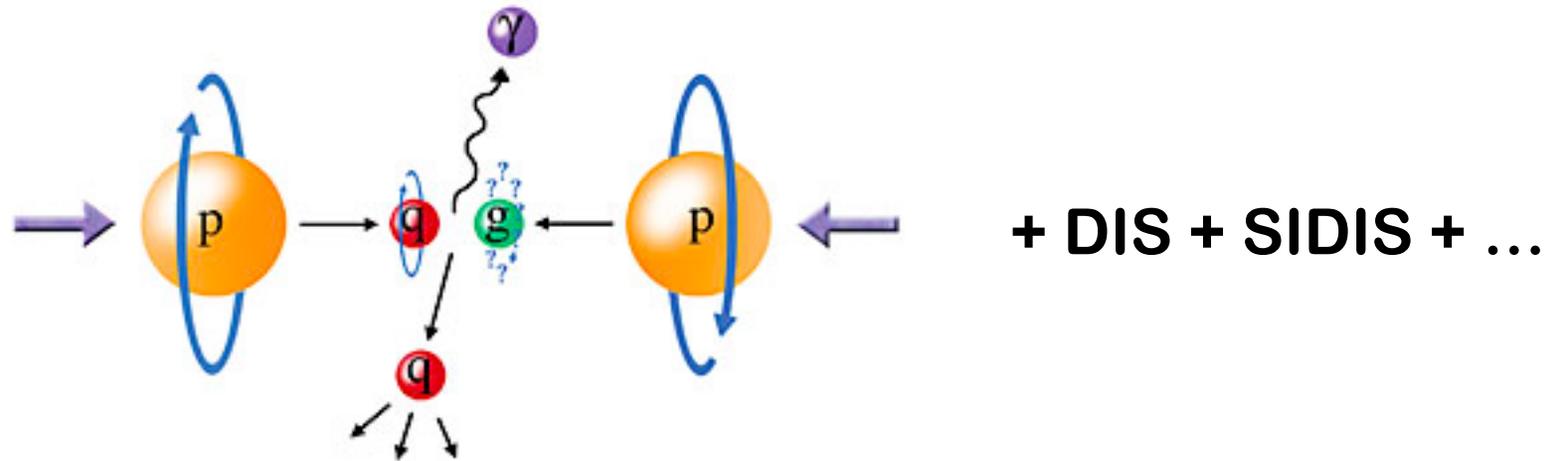
- ❑ After 40 years, we have learned a lot of QCD dynamics, but, only at very short-distance - less than 0.1 fm, and limited information on non-perturbative parton structure
- ❑ Understanding proton spin could provide **the first complete example** to describe the fundamental properties of hadrons at various distance scale
- ❑ Transverse spin opens a new domain to test QCD dynamics and new observables for extracting partonic structure beyond PDFs
- ❑ From GPDs and TMDs, we could derive a comprehensive 3D ``view'' of hadron's quark and gluon structure  
– new frontier of QCD

**Thank you!**

**Backup slices**

# QCD global analysis

## □ QCD factorization + DGALP evolution:



$$\frac{d\Delta\sigma_{hh}}{dydp_T^2} = \sum_{ij} \Delta f_{i/h}(x) \otimes \Delta f_{j/h}(x') \otimes \frac{d\Delta\hat{\sigma}_{ij}}{dydp_T^2} + \mathcal{O}\left(\frac{1}{p_T^2}\right)$$

Better experimental  
Measurements

Improved theoretical  
calculations, resummations

Extract helicity distributions  
with DGLAP evolution

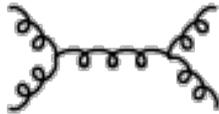
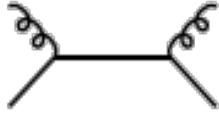
$$\frac{\partial \Delta f_{i/h}(x, \mu^2)}{\partial \ln \mu^2} = \frac{\alpha_s}{2\pi} \sum_{ij} \mathcal{P}_{i/j}(x/x', \alpha_s) \otimes \Delta f_{j/h}(x, \mu^2)$$

# Determination of $\Delta G$

## □ Double longitudinal spin asymmetries:

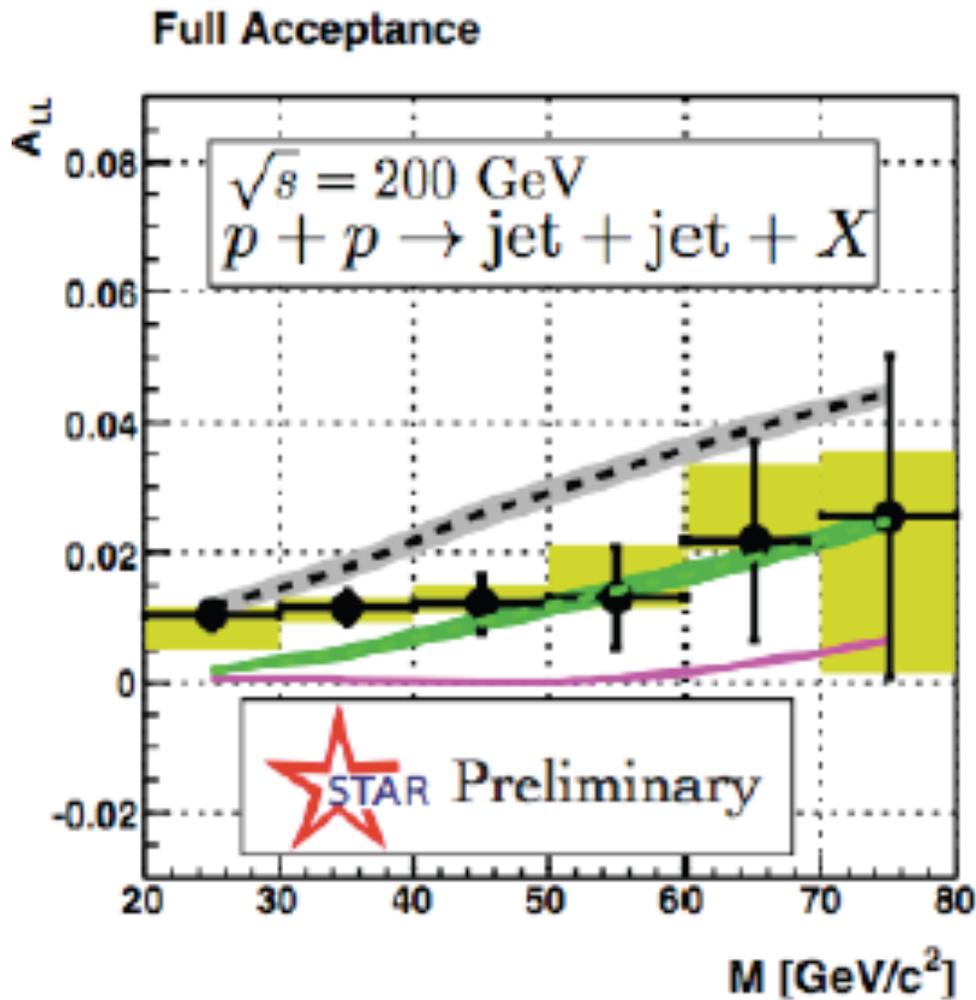
$$A_{LL} = \frac{[\sigma(+, +) - \sigma(+, -)] - [\sigma(-, +) - \sigma(-, -)]}{[\sigma(+, +) + \sigma(+, -)] + [\sigma(-, +) + \sigma(-, -)]} \quad \text{for } \sigma(s_1, s_2)$$

## □ Physical channels sensitive to $\Delta G$ :

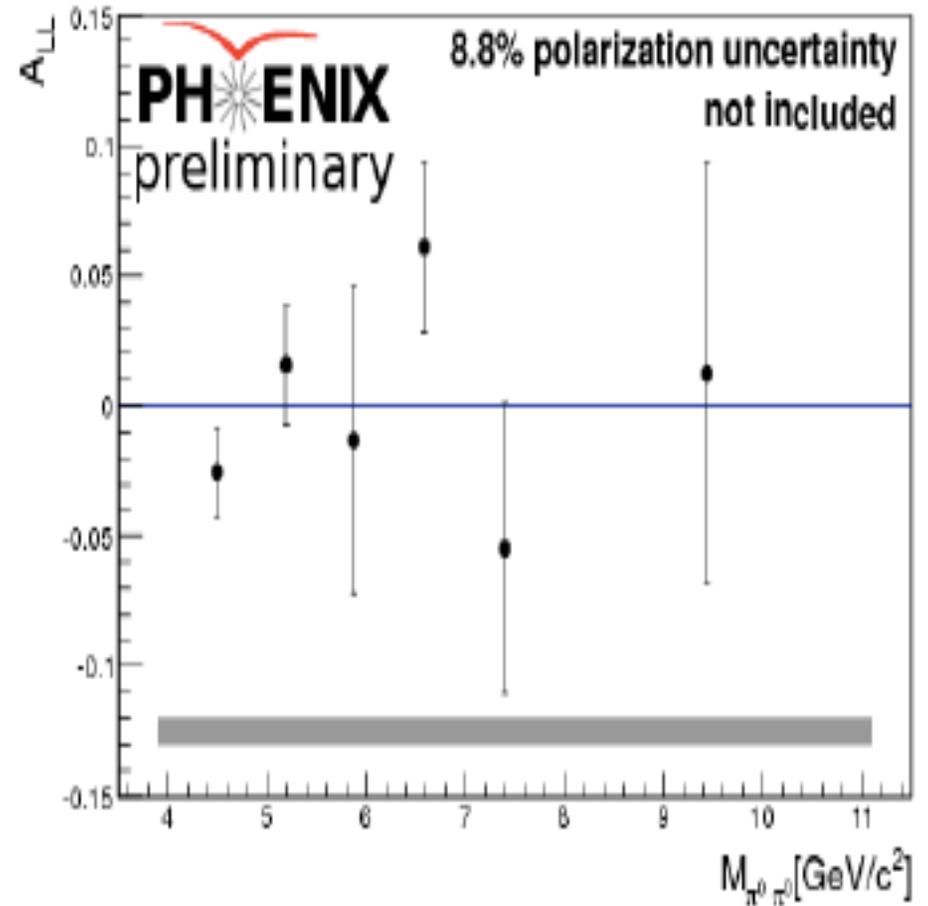
|   |                                       |  |  |
|---|---------------------------------------|--|--|
| $\vec{p} + \vec{p} \rightarrow \pi + X$                 | $\vec{g}\vec{g} \rightarrow gg$       |    | <b>Pion or jet production</b>              |
| $\vec{p} + \vec{p} \rightarrow \text{jet} + X$          | $\vec{q}\vec{g} \rightarrow qg$       |    | <b>high rates</b>                          |
| $\vec{p} + \vec{p} \rightarrow \gamma + X$              | $\vec{q}\vec{g} \rightarrow \gamma q$ |   | <b>Direct photon production</b>            |
| $\vec{p} + \vec{p} \rightarrow \gamma + \text{jet} + X$ |                                       |  | <b>low rates</b>                           |
| $\vec{p} + \vec{p} \rightarrow D + X$                   | $\vec{g}\vec{g} \rightarrow c\bar{c}$ |  | <b>Heavy-flavour production</b>            |
| $\vec{p} + \vec{p} \rightarrow B + X$                   | $\vec{g}\vec{g} \rightarrow b\bar{b}$ |  | <b>separated vertex detection required</b> |

**Future data can further help!**

## □ Proof of principle from 2009 data:



Sichtermann, E.



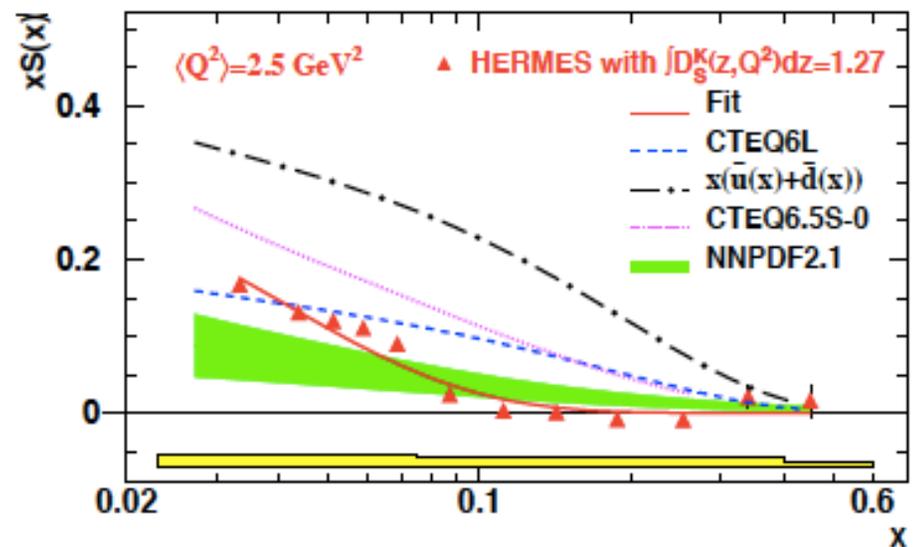
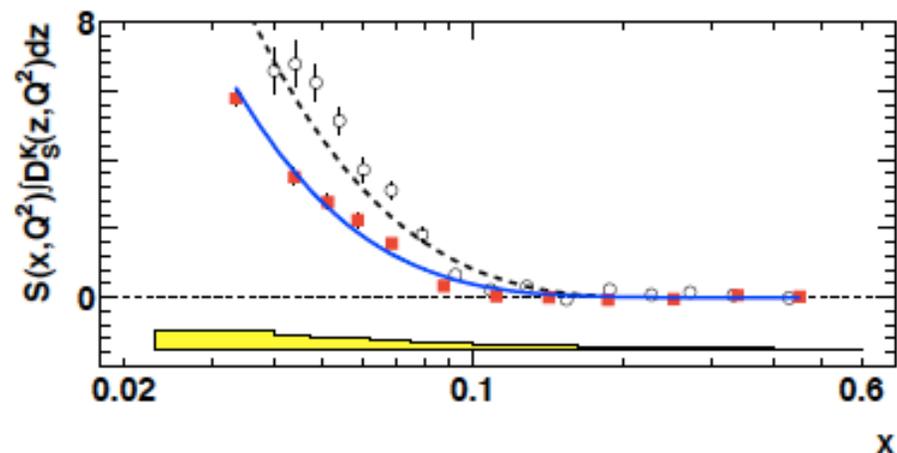
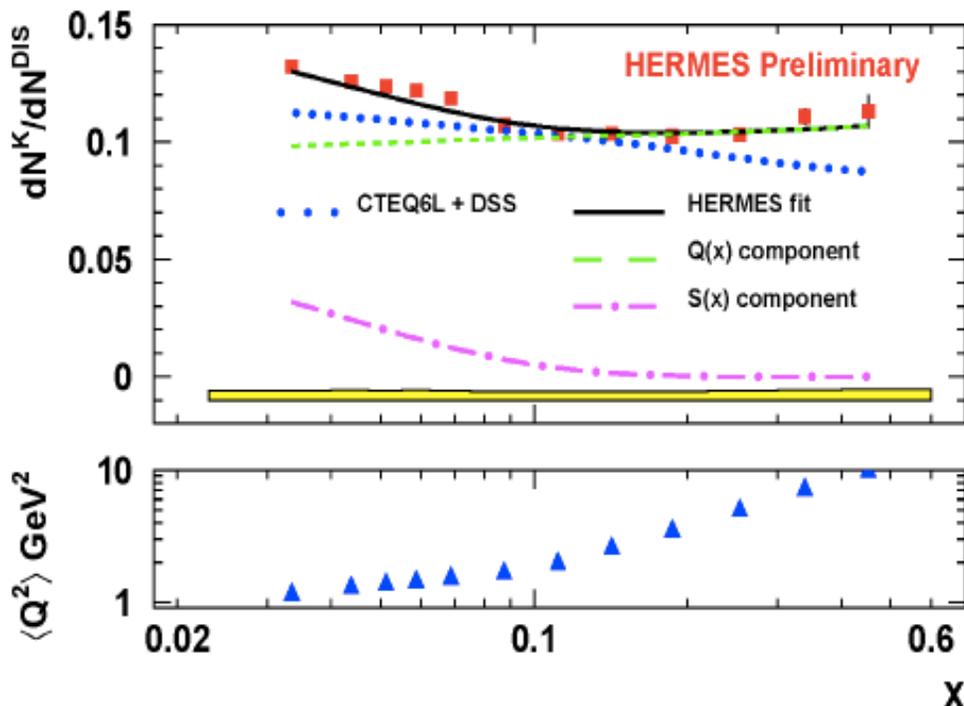
Manion, A.

@ Pan Pacific Spin 2013

# Re-evaluation of strange quark distributions

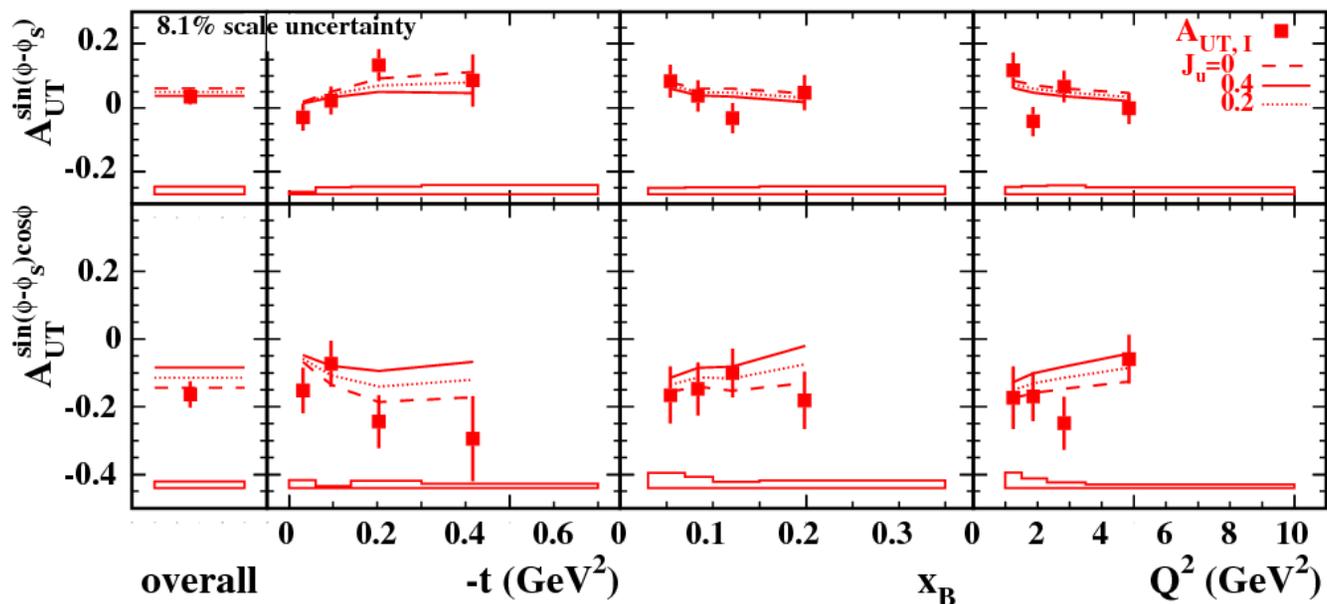
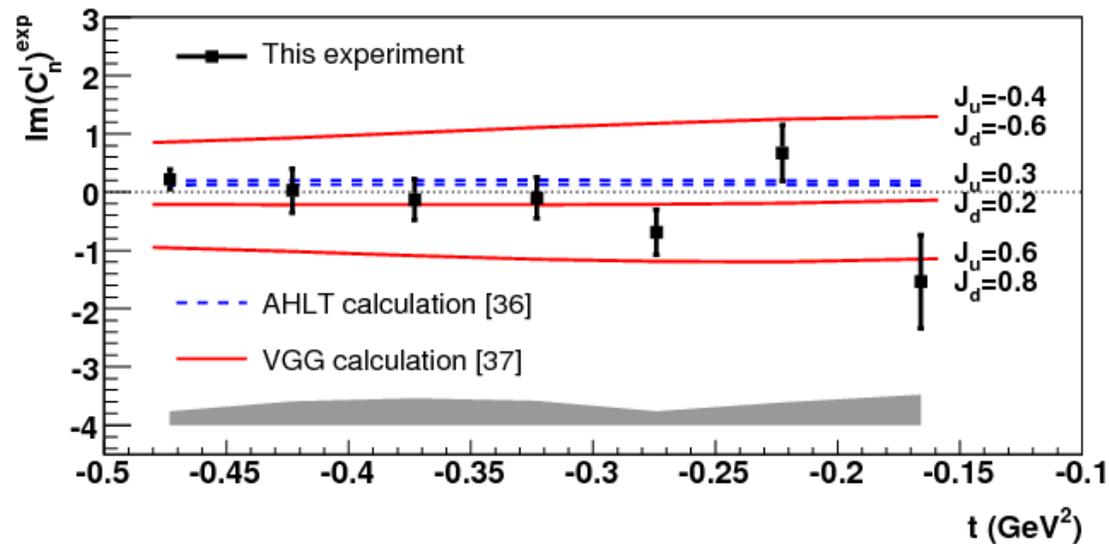
arXiv:1312.7028

## HERMES:



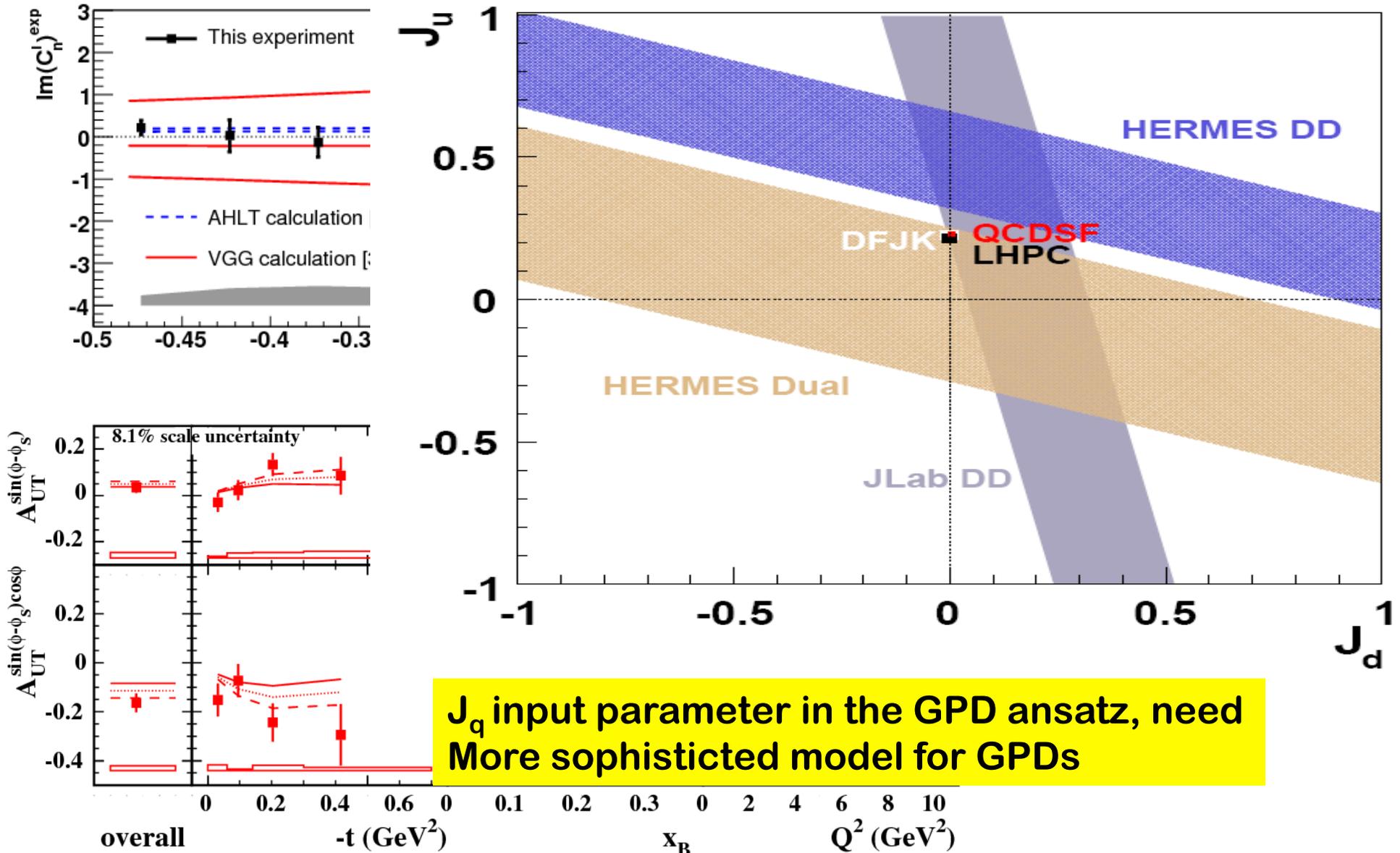
# DVCS with transversely polarized targets

## □ HERMES & JLab:



# DVCS with transversely polarized targets

## □ HERMES & JLab:



**$J_q$  input parameter in the GPD ansatz, need More sophisticated model for GPDs**