

# *Genetic multiplexing, or how to read up to 1831 strips with 61 channels*

*Sébastien Procureur*  
*CEA-Saclay*

CEA-SACLAY  
MULTIGEN  
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# Content

- *Potential of strip multiplexing for particle detection & first idea (double sided)*
- *Genetic multiplexing*
- *Results with a 50x50 cm<sup>2</sup> Micromegas prototype*
- *Some applications*
- *Conclusion and perspectives*

# Multiplexing and particle detectors

Obvious interest: lower the number of electronic channels

→ easier integration, cabling, cooling

→ cheaper ( $\sim 1\text{€}/\text{channel}$ )

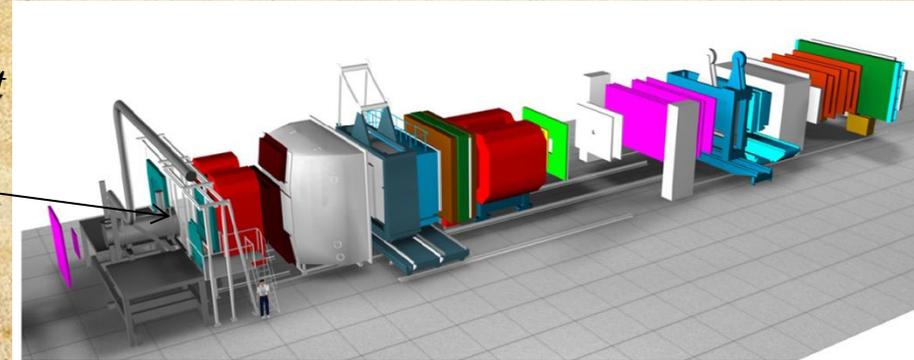
→ lower consumption

A classical example: the Compass experiment

→ 12 layers of Micromegas in the hottest region

→ 1,000 strips per layer, total rate  $\sim 30\text{ MHz}$

⇒ only  $\sim 20$  channels (2%) with signal for a given event



Risks of multiplexing:

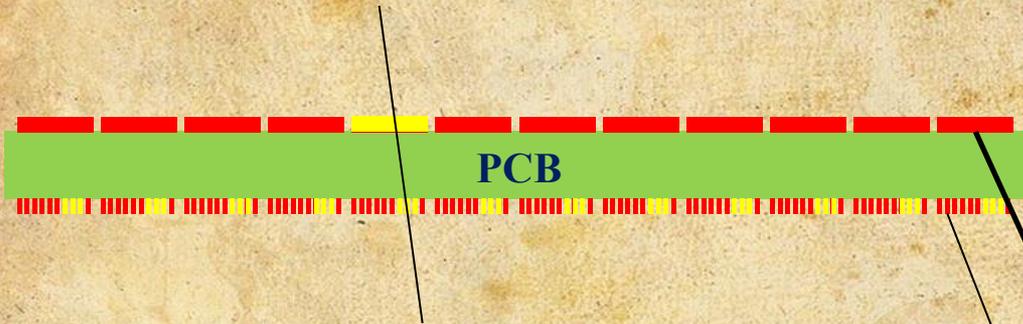
→ degradation of  $S/N$  ⇒ can lower the detection efficiency

→ ambiguities to solve (demultiplexing)

# Multiplexing: first idea

→ Initiated by the need to equip the CLAS12 cosmic bench with large reference detectors (tracking)

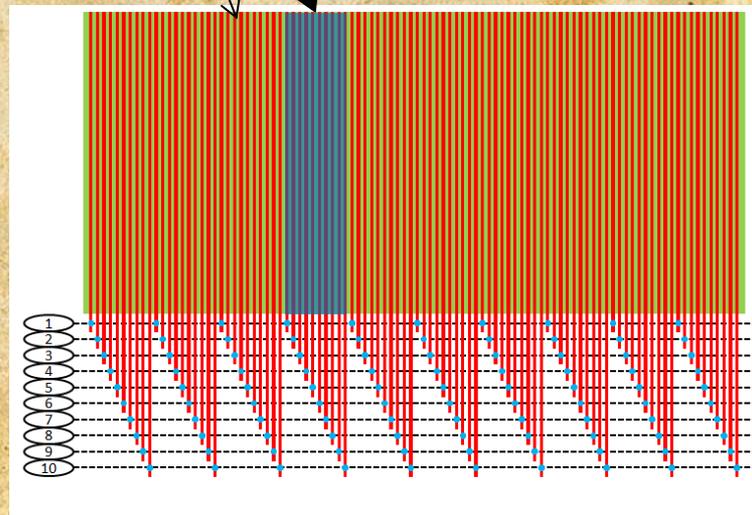
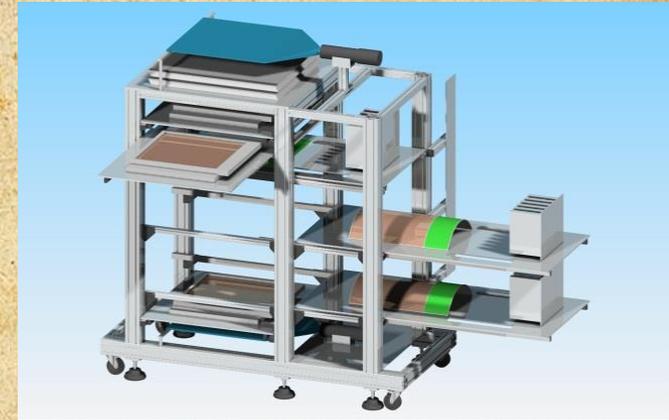
→ Stéphan Aune: 2 bulk MM on a single PCB (“double sided”)



- Top side with  $n_1$  large strips ( $\sim 1.5$  cm)
- Bottom side with  $n_2$  thin strips ( $\sim 500$  microns), repeated  $n_1$  times

→ Detector with  $n_1 \times n_2$  strips, and read by  $n_1 + n_2$  channels

→ Optimum is  $n_1 = n_2 = n/2 \implies p = n^2/4$



# Double sided multiplexing

6 such detectors were built at the Saclay workshop, with an active area of  $50 \times 50 \text{ cm}^2$ , but:

→ thin strip sides don't reach the efficiency plateau

Thin strip capacitance:  $2 \text{ nF} \Rightarrow 10\%$  of the real charge is collected  
Partially compensated by the  $1 \text{ cm}$  drift gap

→ large strip sides reach the plateau...

Large strip capacitance:  $1 \text{ nF} \Rightarrow 17\%$  of the real charge is collected  
Partially compensated by the  $1 \text{ cm}$  drift gap  
Partially compensated by the cluster size of 1

→ ... but several noisy/dead strips (3% loss per strip!)

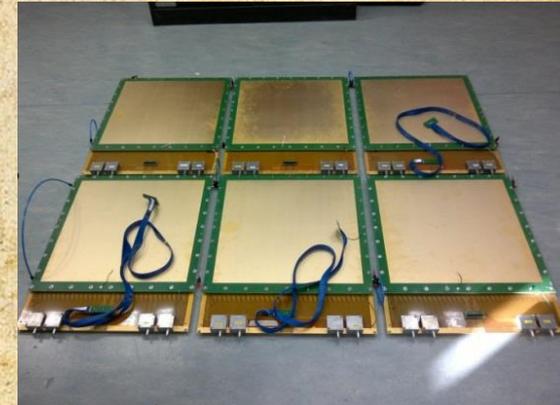
→ Ambiguity of localization on the edge of the large strips



→ Unsolvable ambiguity if more than 1 particle



→ Requires 2 working bulks



# Multiplexing & information

*Multiplexing inherently leads to a certain loss of information*

- in the previous pattern, the information on which group of thin strips sees the particle is lost*
- this lost has to be compensated by an additional information, provided by another detector (large strip side)*

*The best way to multiplex would be to look for **redundant** information, and design a multiplexing pattern for which the lost information exactly coincides with the redundant one...*

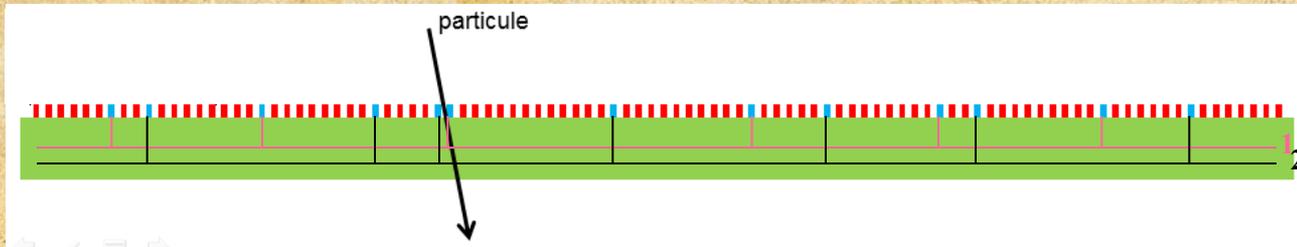
- Is there any redundancy in the detector's signal?*

# Genetic multiplexing

*Starting point:*

→ *in most cases, a signal is recorded on at least 2 neighbouring strips*

*We can make use of this redundancy, and combine channels with strips in such a way that 2 given channels are connected to neighbouring strips only once in the detector*

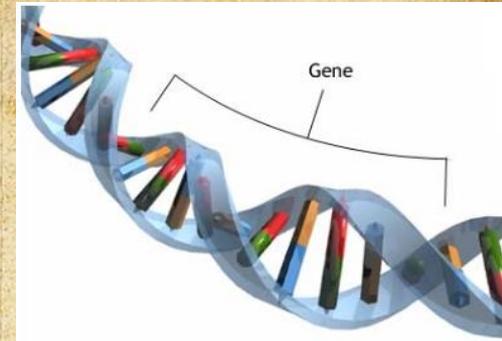


→ *blocks of thin strips are no longer identical*

→ *the localization of the particle doesn't require large strips anymore*

→ *the connection  $\{\text{channels}\}_n \leftrightarrow \{\text{strips}\}_p$  can be represented by a  $p$  list of channel numbers*

*For  $n$  channels, there are  $a priori$   $n(n-1)/2$  unordered doublets combinations, and thus one can equip a detector with at most  $p = n(n-1)/2 + 1$  strips*



*The sequence of channels uniquely codes the position on the detector...*

# Genetic multiplexing

Several possibilities to build the pattern, i.e. the sequence of  $p$  numbers:

→ generate the sequence randomly:

cannot build all the doublets

|                |                           |                 |                            |                 |                   |                |
|----------------|---------------------------|-----------------|----------------------------|-----------------|-------------------|----------------|
| 1 <sub>1</sub> | 3 <sub>2</sub>            | 2 <sub>3</sub>  | 7 <sub>4</sub>             | 5 <sub>5</sub>  | 6 <sub>6</sub>    | 4 <sub>7</sub> |
| 7 <sub>8</sub> | <del>2</del> <sub>9</sub> | 5 <sub>10</sub> | <del>6</del> <sub>11</sub> | 4 <sub>12</sub> | ... <sub>13</sub> |                |
|                |                           |                 |                            |                 |                   |                |

channel #      strip #

→ build the  $t^{\text{th}}$  block from  $1+k.i [n]$  (idea from Raphaël Dupré)

build all the doublets if  $n$  prime

|                 |                 |                 |                 |                 |                 |                 |
|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|
| 1 <sub>1</sub>  | 2 <sub>2</sub>  | 3 <sub>3</sub>  | 4 <sub>4</sub>  | 5 <sub>5</sub>  | 6 <sub>6</sub>  | 7 <sub>7</sub>  |
| 1 <sub>8</sub>  | 3 <sub>9</sub>  | 5 <sub>10</sub> | 7 <sub>11</sub> | 2 <sub>12</sub> | 4 <sub>13</sub> | 6 <sub>14</sub> |
| 1 <sub>15</sub> | 4 <sub>16</sub> | 7 <sub>17</sub> | 3 <sub>18</sub> | 6 <sub>19</sub> | 2 <sub>20</sub> | 5 <sub>21</sub> |

→ idem, but simply use the first available channel

build almost all the doublets  $\forall n$

|                 |                 |                 |                 |                 |                 |                 |                 |                 |
|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|
| 1 <sub>1</sub>  | 2 <sub>2</sub>  | 3 <sub>3</sub>  | 4 <sub>4</sub>  | 5 <sub>5</sub>  | 6 <sub>6</sub>  | 7 <sub>7</sub>  | 8 <sub>8</sub>  | 9 <sub>9</sub>  |
| 1 <sub>10</sub> | 3 <sub>11</sub> | 5 <sub>12</sub> | 7 <sub>13</sub> | 9 <sub>14</sub> | 2 <sub>15</sub> | 4 <sub>16</sub> | 6 <sub>17</sub> | 8 <sub>18</sub> |
| 1 <sub>19</sub> | 4 <sub>20</sub> | 7 <sub>21</sub> | 2 <sub>22</sub> | 5 <sub>23</sub> | 8 <sub>24</sub> | 3 <sub>25</sub> | 6 <sub>26</sub> | 9 <sub>27</sub> |
| 2 <sub>28</sub> | 6 <sub>29</sub> | 1 <sub>30</sub> | 5 <sub>31</sub> | 9 <sub>32</sub> | 3 <sub>33</sub> | 7 <sub>34</sub> |                 |                 |

# Double sided vs genetic multiplexing

|                                     | Double sided                   | Genetic                 |
|-------------------------------------|--------------------------------|-------------------------|
| Max number of strips for n channels | $n^2/4$                        | $n(n-1)/2+1 \sim n^2/2$ |
| Process                             | 2 bulk detectors               | single bulk             |
| Thickness/material                  | PCB $\geq 1.6$ mm              | PCB $\geq 0.1$ mm       |
| Detection efficiency                | $\epsilon_1 \times \epsilon_2$ | $\epsilon_1$            |
| Adaptable to higher flux            | ?                              | yes                     |
| X ray detection                     | no                             | yes                     |
| Edge effect                         | yes                            | no                      |
| Cluster size                        | $\geq 1$                       | $\geq 2$                |

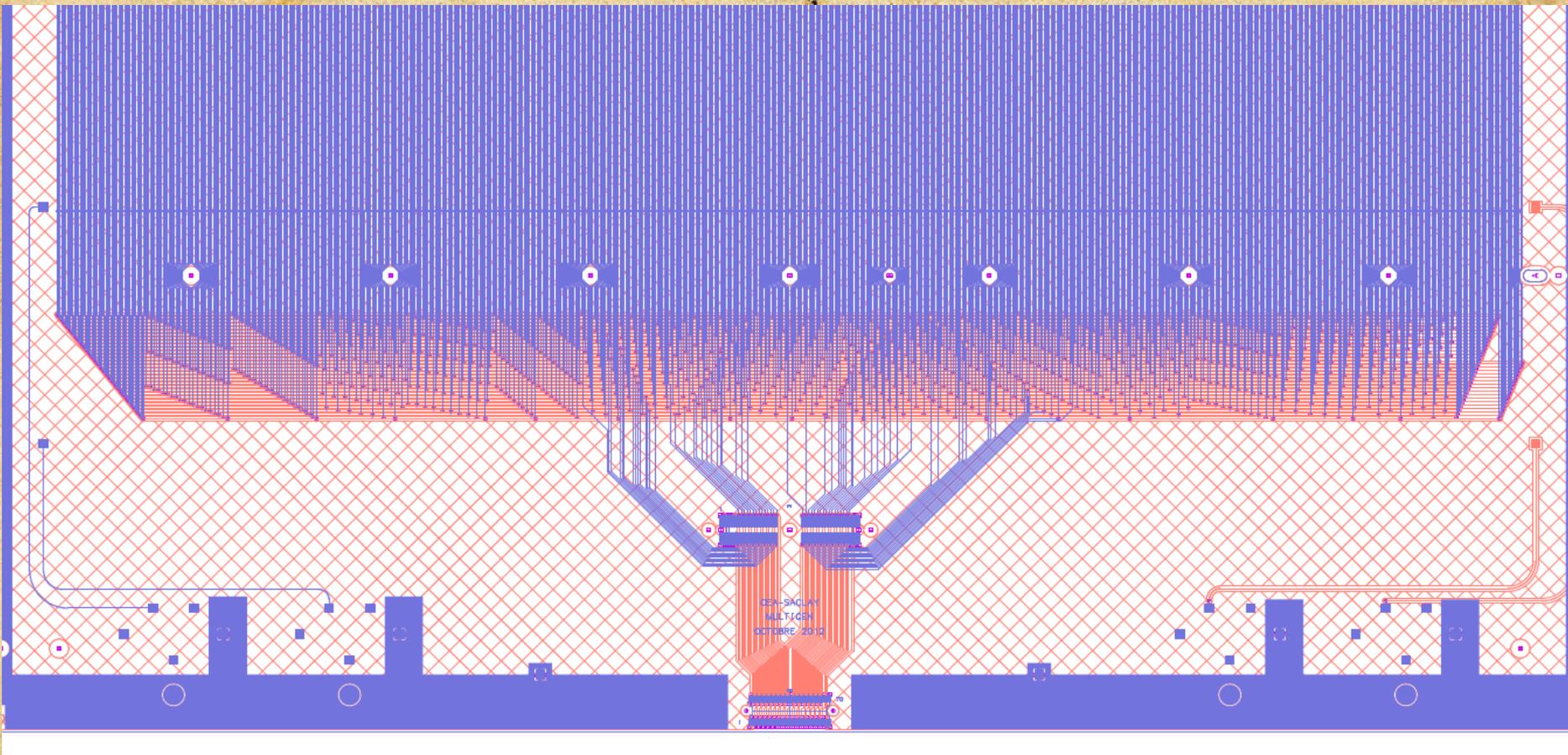
→ Patent n° 12 62815 (S. Procureur, R. Dupré, S. Aune):

« Circuit de connexion multiplexé et dispositif de connexion permettant notamment de réaliser un multiplexage »

# Prototype

*50x50 cm<sup>2</sup> active area, read with  $n = 61$  channels (highest prime number below 64...)*

*- 488 micron pitch -  $p = 1024$  strips - could have equiped up to  $61 \times 60 / 2 + 1 = 1831$  strips (~90 cm)*

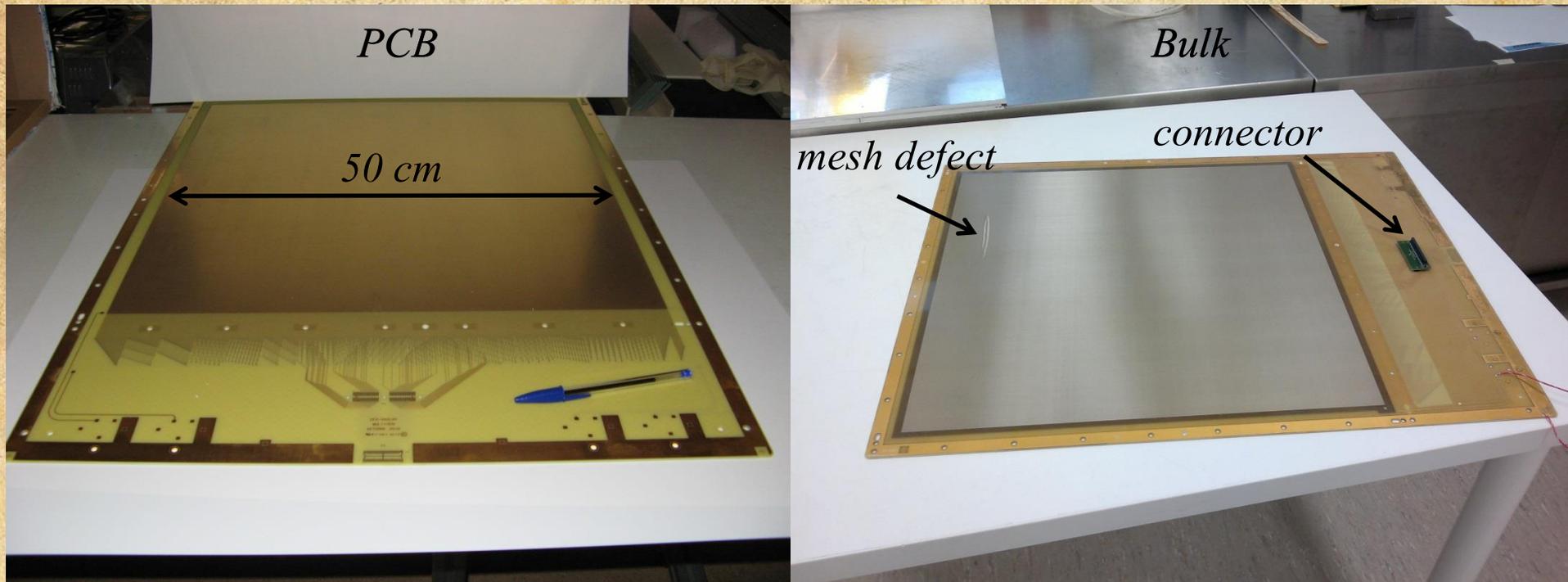


→ *Smallest  $k$ -uplet repeated:  $k=15$*

# Prototype

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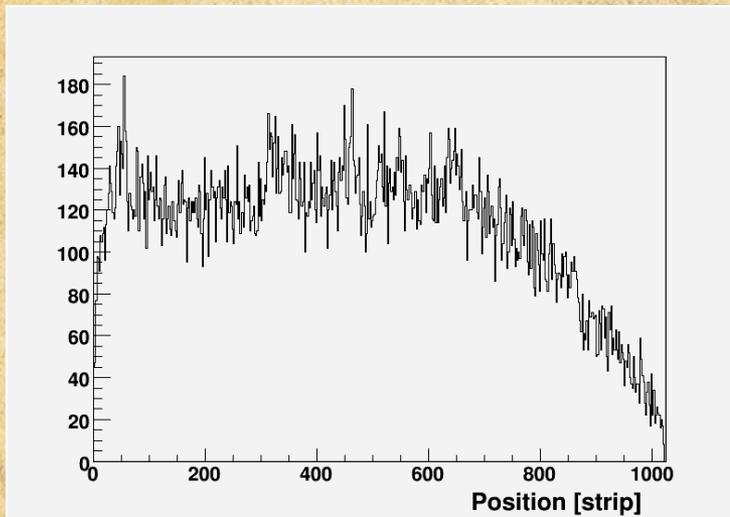
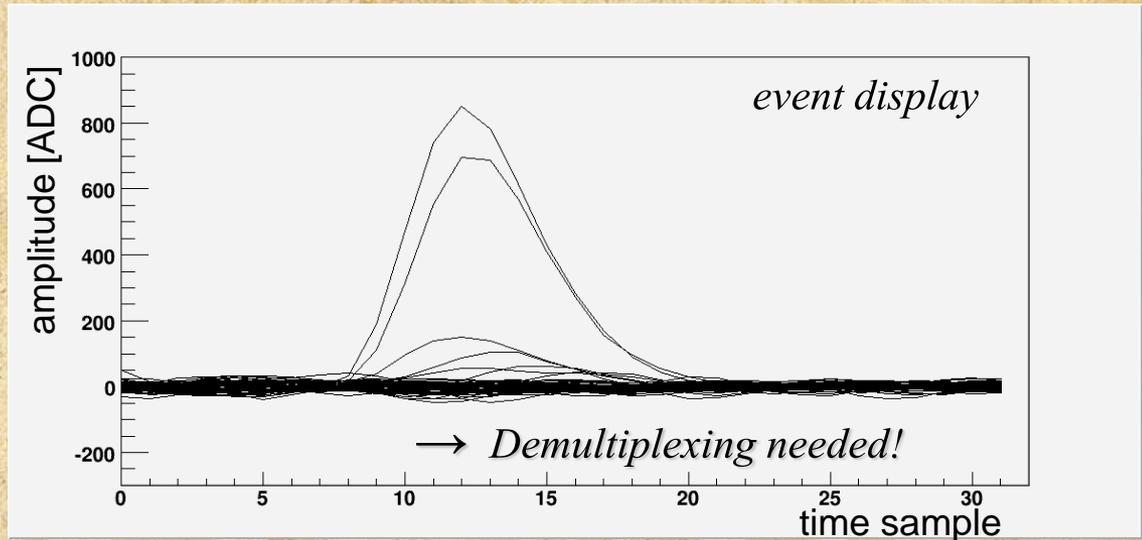


*Strip capacitance: 1.3 nF (compared to 2 nF for thin strip from double sided)*

# Results with cosmics

*Prototype tested in the CLAS12 cosmic bench (60x60 cm<sup>2</sup> couple of scintillators)*

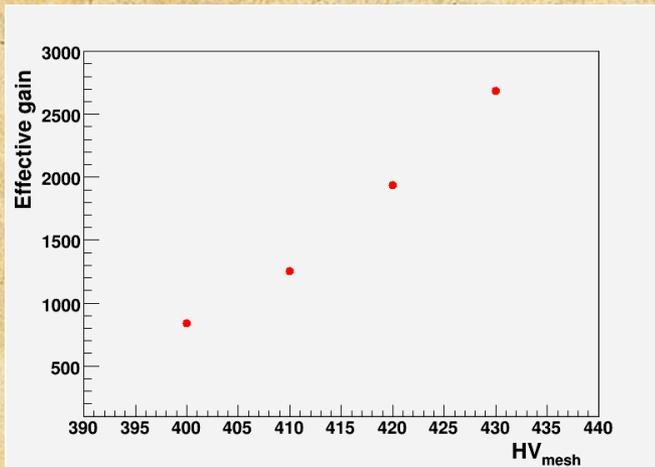
- *1 cm drift gap*
- *128 micron amplification gap*
- *Gas: Ar+5%isobutane*
- *$E_{drift} = 300$  V/cm*
- *1.5 m cable (70 pF/m)*
- *T2K electronics (AFTER)*
- *Shaping time: 200 ns*
- *Sampling frequency 60 ns*
- *Offline common mode subtraction*



- *Almost all strips OK (1020/1024)*
- *position distribution as expected*
- *mean noise on strips: 3,950 electrons*

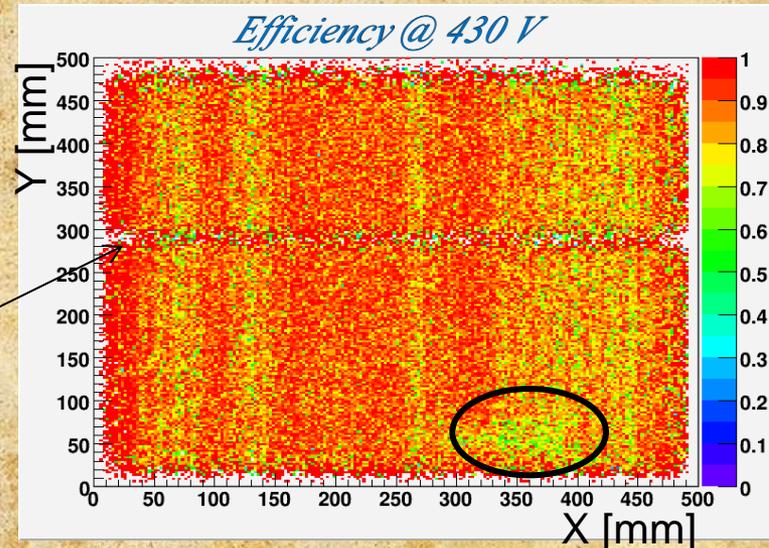
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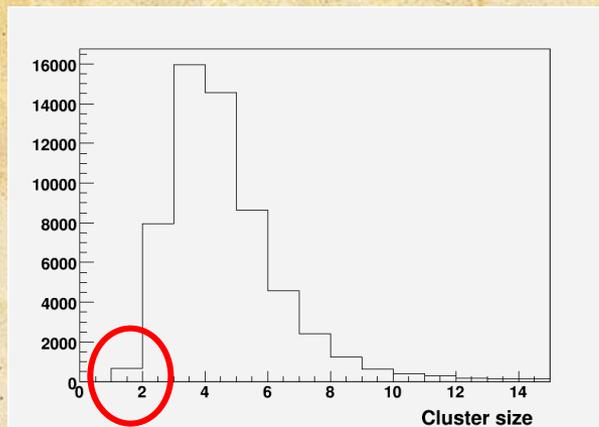


→ *good effective gains in spite of large capacitances*

artefact of the cosmic bench



→ *~ 90%, but not maximal gain*



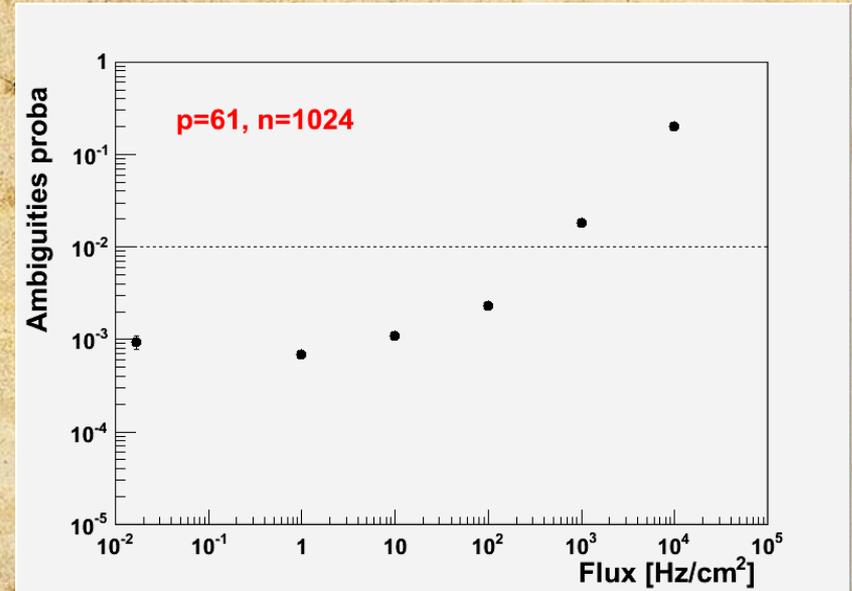
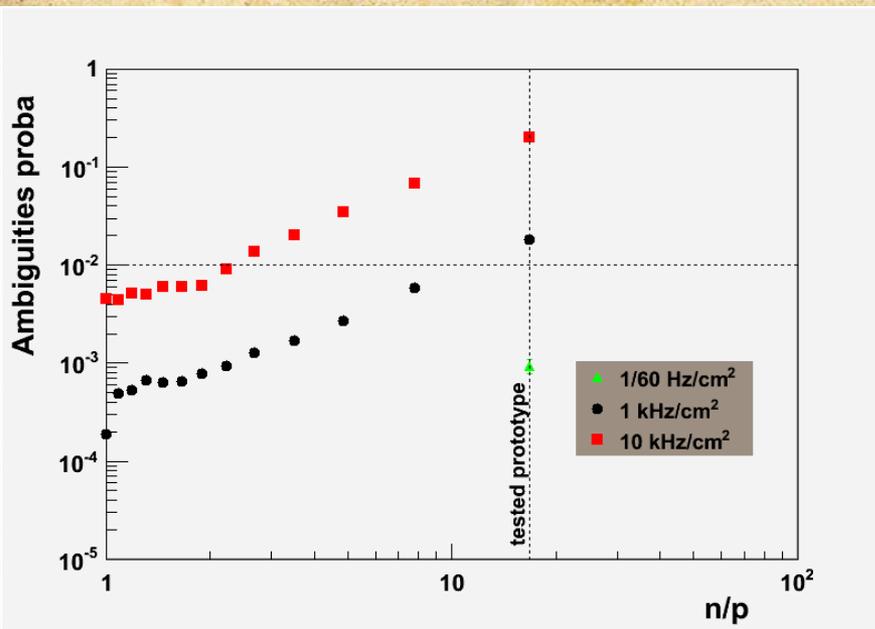
→ *< 2% of events with a cluster size of 1 (cannot be localized), as expected*

→ *not an issue with (shifted) resistive strips*

# Genetic multiplexing and flux

1<sup>st</sup> simulation of the ambiguity probability at  $\neq$  flux and for  $\neq$  degrees of multiplexing

- Same geometry (gaps, size, pitch)
- Primary electrons on Poisson distribution
- Transverse diffusion
- Time window: 100 ns
- Assume independent particles

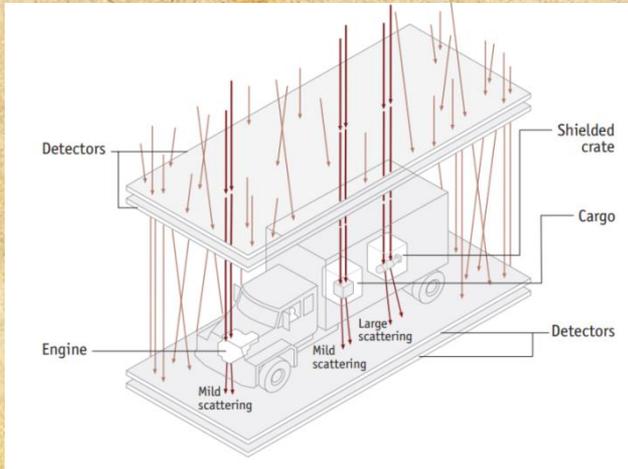


→ can stand up to 0.5 kHz/cm<sup>2</sup> in this configuration (1 MHz in total)

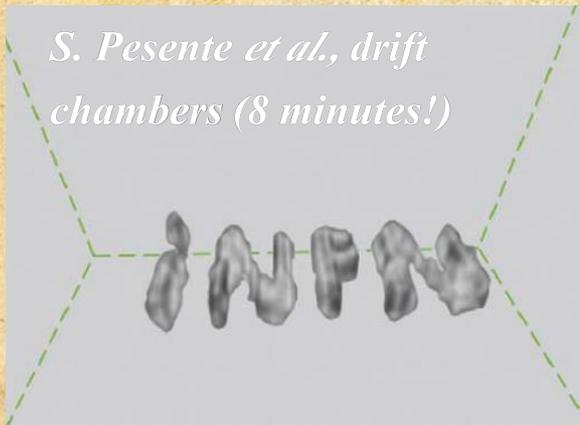
→ at 10 kHz/cm<sup>2</sup>, the electronics can be reduced by a factor of 2 (1% ambiguities)

# Some applications

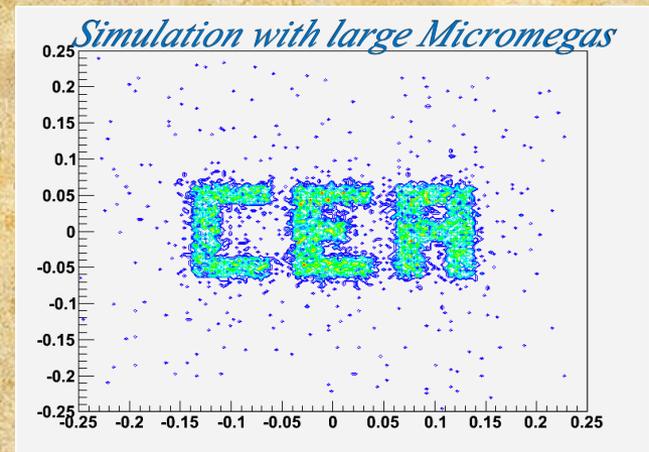
→ **Homeland security:** scan large volumes requires large detectors with high resolution  
*recent studies on scans with cosmic muons*



→ *high resolution*  
*small size*

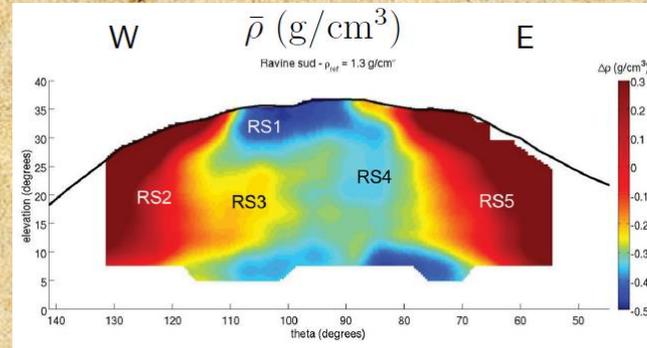


→ *large area,*  
*poor resolution*



# Some applications

- *Muon tomography for volcanology: requires large detectors with low consumption*  
*first results with 80x80 cm<sup>2</sup> scintillators (~1 cm resolution)*



→ *~ 50 W for the whole installation, hostile environment*

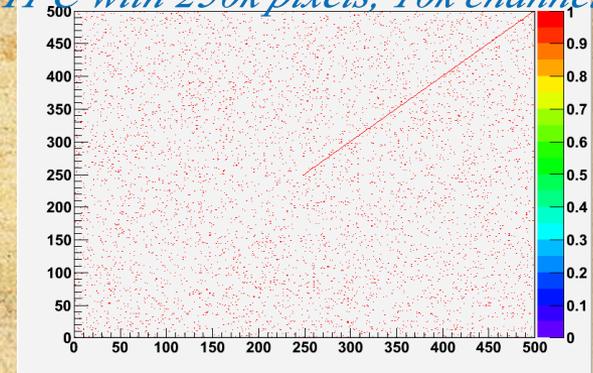
## - Dosimetry

*need light, portative setup → low consumption*

## - Applications in particle physics

- *sLHC project: > 1,000 m<sup>2</sup> of MPGDs, millions of electronic channels (~1€/channel)*
- *ILC TPC (~ 1 million pads): random multiplexing?*

*TPC with 250k pixels, 10k channels*



# Conclusion & perspectives

*Modern particle physics and many more applications require:*

*→ large area setups*

*→ high spatial resolution*

*→ integration, low consumption*

*→ tight budget!*

*Multiplexing becomes more and more feasible thanks to advances in instrumentation & electronics*

*→ concept of genetic multiplexing validated with a Micromegas*

*→ almost no multiplexing at a spectrometer level  $\Rightarrow$  a lot to be done*

*Optimization needed for a given flux/configuration*

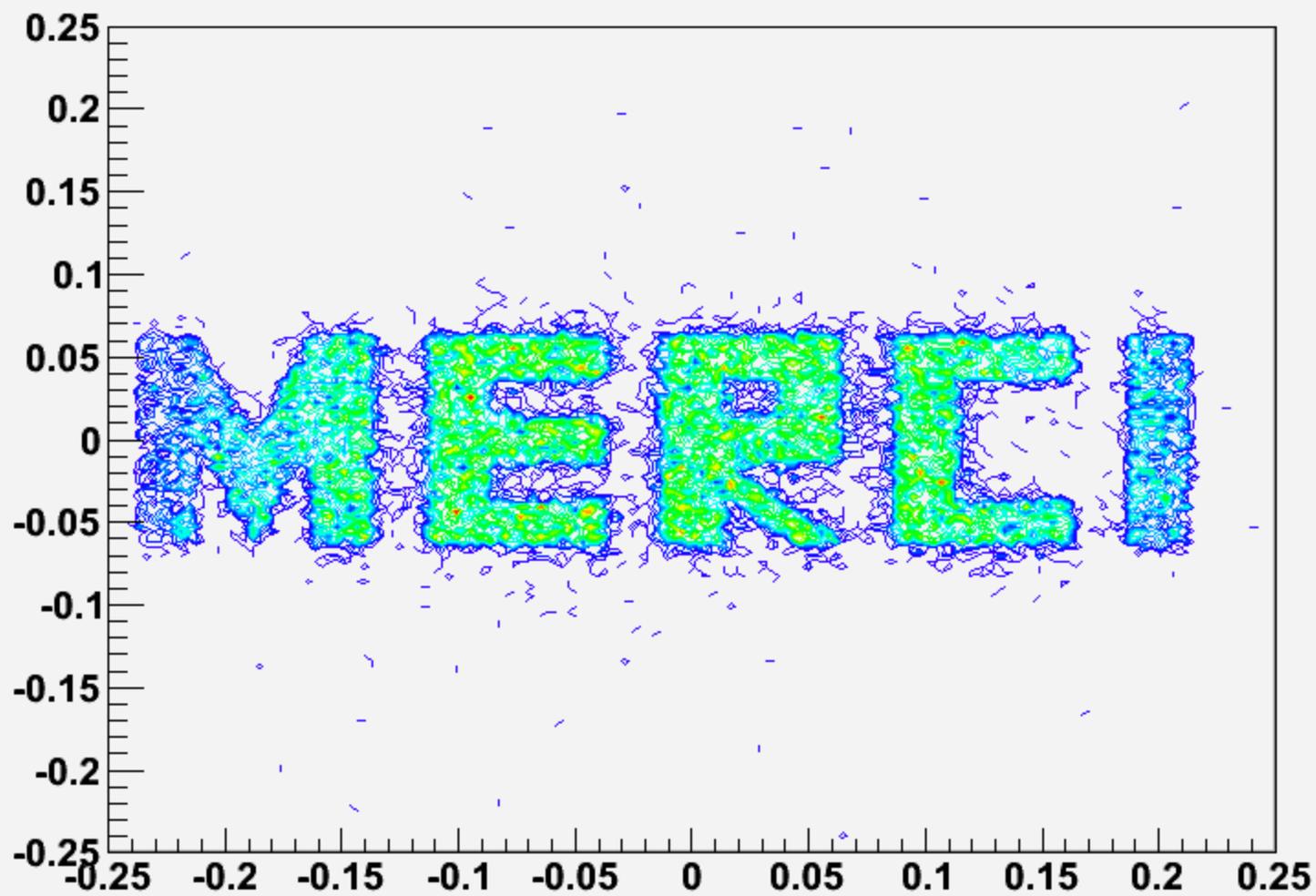
*→ if  $n$  channels suffice for 99% of the interesting events, is it relevant to have  $2n$ ,  $3n$  channels more for the remaining 1%?*

**Next steps for genetic multiplexing:**

*- Flux studies to validate the preliminary simulations*

*- Resistive, multiplexed Micromegas to further increase S/N (ELVIA, this year)*

*→ Goal:  $1\text{m}^2$  detector with 100 micron 2D-resolution and  $< 200$  channels*

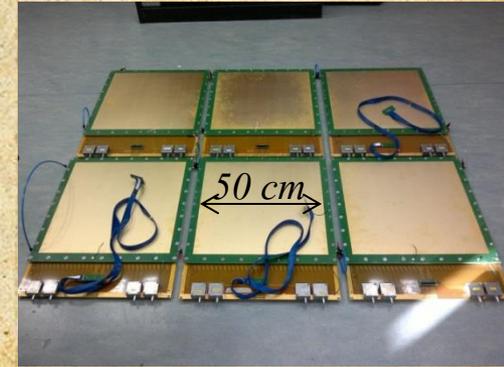


**Back up**

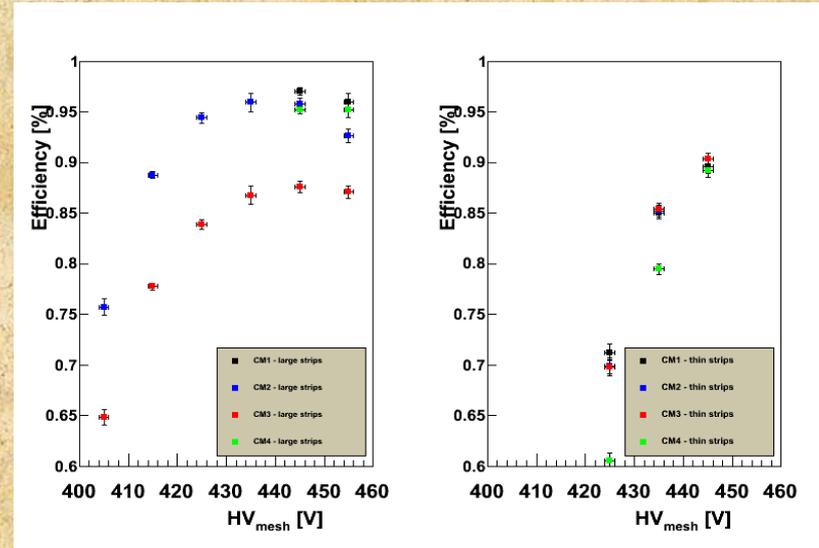
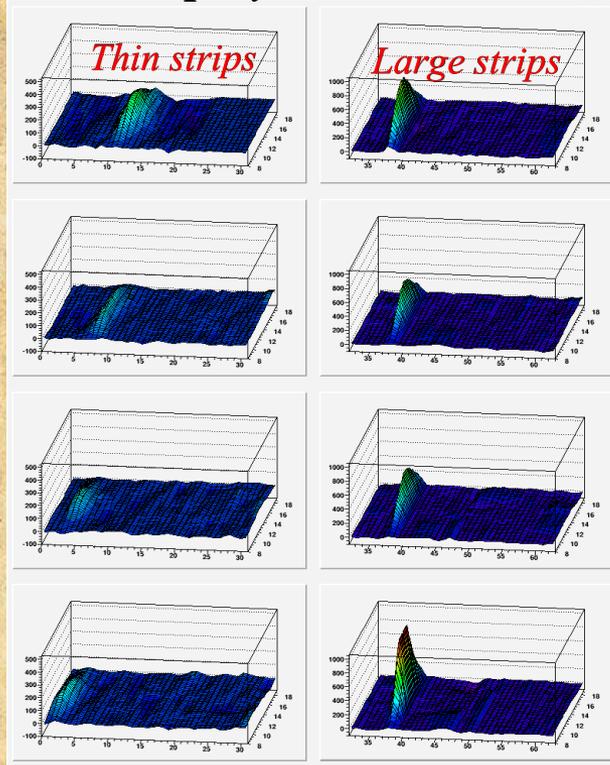
# Double sided multiplexing

→ 6 such detectors were built at the Saclay workshop, with an active area of  $50 \times 50 \text{ cm}^2$

- Top side with 32 large strips ( $\sim 1.5 \text{ cm}$ )
- Bottom side with 32 thin strips (488 microns), x32



Event display with 4 detectors



→ Efficiency plateau reached for large strips only

# Genetic multiplexing

A signal can be deposited on more than 2 strips... so the repetition of  $k$ -uplets ( $k > 2$ ) should be checked

→ A priori no problem, as there are much more  $k$ -uplets than doublets...

→ But the repetition of small  $k$ -uplets does appear in this construction:

$$C_n^k = \frac{n!}{k!(n-k)!}$$

|       |   |   |    |    |    |    |   |    |    |    |    |
|-------|---|---|----|----|----|----|---|----|----|----|----|
| $i=1$ | 1 | 2 | 3  | 4  | 5  | 6  | 7 | 8  | 9  | 10 | 11 |
| $i=2$ | 1 | 3 | 5  | 7  | 9  | 11 | 2 | 4  | 6  | 8  | 10 |
| $i=3$ | 1 | 4 | 7  | 10 | 2  | 5  | 8 | 11 | 3  | 6  | 9  |
| $i=4$ | 1 | 5 | 9  | 2  | 6  | 10 | 3 | 7  | 11 | 4  | 8  |
| $i=5$ | 1 | 6 | 11 | 5  | 10 | 4  | 9 | 3  | 8  | 2  | 7  |

Repetition of the triplet  
9-1-5

→ Can be improved by reordering the blocks:

|       |   |   |    |    |    |    |   |    |    |    |    |
|-------|---|---|----|----|----|----|---|----|----|----|----|
| $i=1$ | 1 | 2 | 3  | 4  | 5  | 6  | 7 | 8  | 9  | 10 | 11 |
| $i=3$ | 1 | 4 | 7  | 10 | 2  | 5  | 8 | 11 | 3  | 6  | 9  |
| $i=2$ | 1 | 3 | 5  | 7  | 9  | 11 | 2 | 4  | 6  | 8  | 10 |
| $i=4$ | 1 | 5 | 9  | 2  | 6  | 10 | 3 | 7  | 11 | 4  | 8  |
| $i=5$ | 1 | 6 | 11 | 5  | 10 | 4  | 9 | 3  | 8  | 2  | 7  |

Repetition of the  
quadruplet 3-6-9-1