



Genetic multiplexing, or how to read up to 1831 strips with 61 channels



Content

- → Potential of strip multiplexing for particle detection & first idea (double sided)
- → Genetic multiplexing
- \rightarrow Results with a 50x50 cm² Micromegas prototype
- → Some applications
- → Conclusion and perspectives

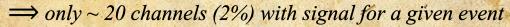
Multiplexing and particle detectors

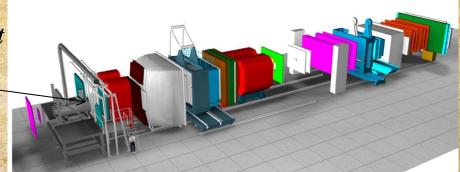
Obvious interest: lower the number of electronic channels

- → easier integration, cabling, cooling
- → cheaper (~1€/channel)
- → lower consumption

A classical example: the Compass experiment

- → 12 layers of Micromegas in the hottest region
- → 1,000 strips per layer, total rate ~ 30 MHz





Risks of multiplexing:

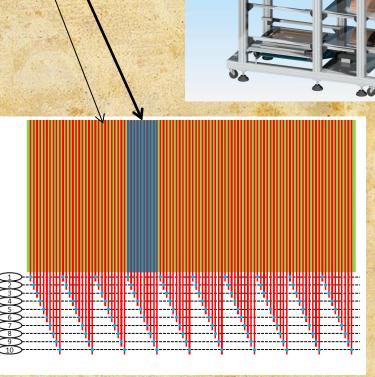
- \rightarrow degradation of S/N \Longrightarrow can lower the detection efficiency
- → ambiguities to solve (demultiplexing)

Multiplexing: first idea

- → Initiated by the need to equip the CLAS12 cosmic bench with large reference detectors (tracking)
- → Stéphan Aune: 2 bulk MM on a single PCB ("double sided")



- Top side with n_1 large strips (~1.5 cm)
- Bottom side with n_2 thin strips (~500 microns), repeated n_1 times
 - \rightarrow Detector with $n_1 x n_2$ strips, and read by $n_1 + n_2$ channels
 - \rightarrow Optimum is $n_1 = n_2 = n/2 \Longrightarrow p = n^2/4$



Double sided multiplexing

6 such detectors were built at the Saclay workshop, with an active area of 50x50 cm², but:

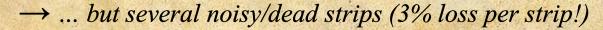
→ thin strip sides don't reach the efficiency plateau

Thin strip capacitance: $2 \text{ nF} \Longrightarrow 10\%$ of the real charge is collected Partially compensated by the 1 cm drift gap

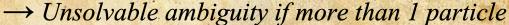
→ large strip sides reach the plateau...

Large strip capacitance: $1 \text{ nF} \Longrightarrow 17\%$ of the real charge is collected Partially compensated by the 1 cm drift gap

Partially compensated by the cluster size of 1



→ Ambiguity of localization on the edge of the large strips



→ Requires 2 working bulks





PCB

Multiplexing & information

Multiplexing inherently leads to a certain loss of information

- → in the previous pattern, the information on which group of thin strips sees the particle is lost
- → this lost has to be compensated by an additional information, provided by another detector (large strip side)

The best way to multiplex would be to look for redundant information, and design a multiplexing pattern for which the lost information exactly coincides with the redundant one...

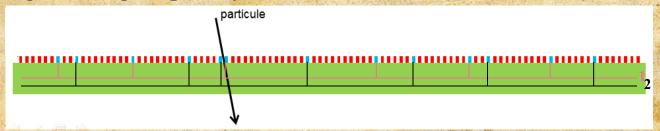
→ Is there any redundancy in the detector's signal?

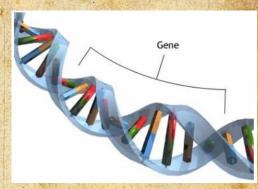
Genetic multiplexing

Starting point:

→ in most cases, a signal is recorded on at least 2 neighbouring strips

We can make use of this redundancy, and combine channels with strips in such a way that 2 given channels are connected to neighbouring strips only once in the detector





The sequence of channels uniquely codes the position on the detector...

- → blocks of thin strips are no longer identical
- → the localization of the particle doesn't require large strips anymore
- \rightarrow the connection $\{channels\}_n \longleftrightarrow \{strips\}_p$ can be represented by a p list of channel numbers

For n channels, there are a priori n(n-1)/2 unordered doublets combinations, and thus one can equip a detector with at most p = n(n-1)/2+1 strips

Genetic multiplexing

Several possibilities to build the pattern, i.e. the sequence of p numbers:

→ generate the sequence randomly:

cannot build all the doublets

11	32	2 ₃	7 ₄	5 ₅	66	4 ₇
7 ₈	21 ₉	510	6 3 ₁₁	4 ₁₂	13	

channel # strip #

 \rightarrow build the f^h block from 1+k.i [n] (idea from Raphaël Dupré)

build all the doublets if
n prime

1,	22	3 ₃	4 _{4.}	5 ₅	66	7,
1 ₈	39	5 ₁₀	7 ₁₁	THE COURSE OF THE PERSON	(1000年間の日本の日本の日本の日本の日本の日本の日本の日本の日本の日本の日本の日本の日本の	6 ₁₄
经是是外别是特别的	CONTRACTOR OF		3 ₁₈	The second second		A STATE OF THE STA

→ idem, but simply use the first available channel

build almost all the doublets ∀ n

	11	22	3 ₃	4 ₄	5 ₅	66	7,	88	99
	1 ₁₀	3 ₁₁	5 ₁₂	7 ₁₃	9 ₁₄	2 ₁₅	4 ₁₆	6 ₁₇	8 ₁₈
1	1 ₁₉	4 ₂₀	7 ₂₁	2 ₂₂	5 ₂₃	8 ₂₄	3 ₂₅	6 ₂₆	9 ₂₇
	2 ₂₈	6 ₂₉	1 ₃₀	5 ₃₁	9 ₃₂	3 ₃₃	7 ₃₄		

Double sided vs genetic multiplexing

	Double sided	Genetic
Max number of strips for n channels	n²/4	n(n-1)/2+1 ~ n ² /2
Process	2 bulk detectors	single bulk
Thickness/material	PCB ≥ 1.6 mm	PCB ≥ 0.1 mm
Detection efficiency	$\varepsilon_1 x \varepsilon_2$	ε ₁
Adaptable to higher flux	?	yes
X ray detection	no	yes
Edge effect	yes	no
Cluster size	≥ 1	≥ 2

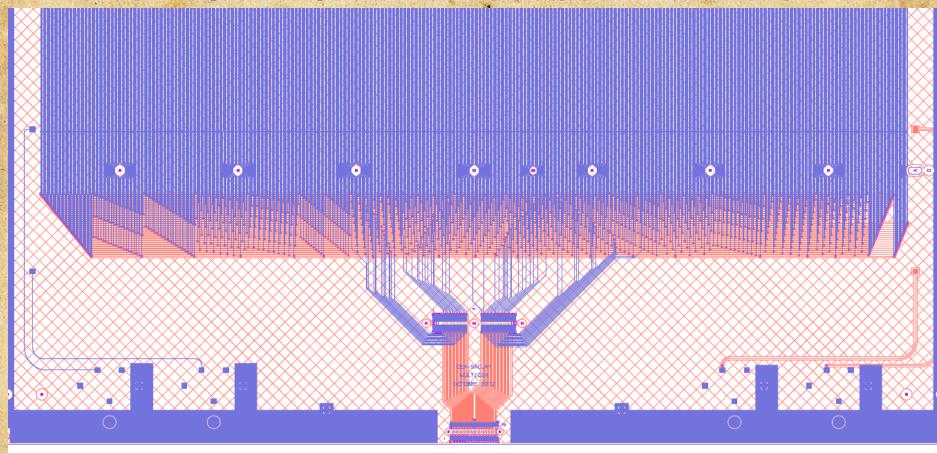
[→] Patent n° 12 62815 (S. Procureur, R. Dupré, S. Aune):

[«] Circuit de connexion multiplexé et dispositif de connexion permettant notamment de réaliser un multiplexage »

Prototype

50x50 cm² active area, read with n = 61 channels (highest prime number below 64...)

- 488 micron pitch - p= 1024 strips - could have equiped up to 61x60/2+1=1831 strips (~90 cm)

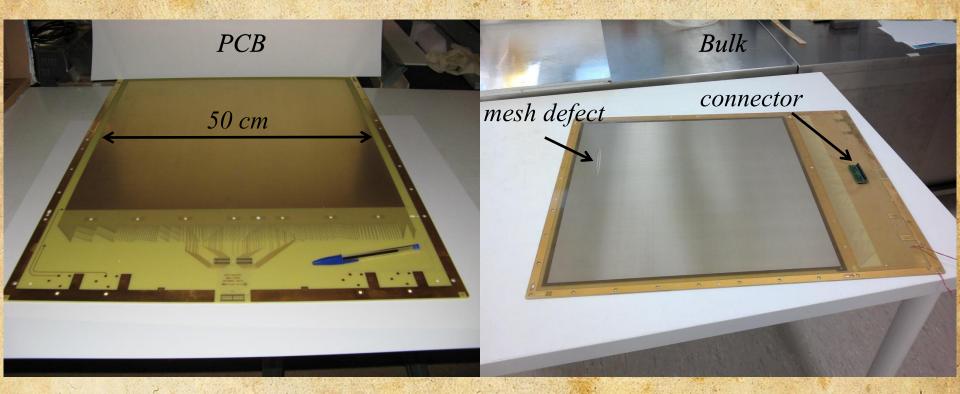


 \rightarrow Smallest k-uplet repeated: k=15

Prototype

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- 488 micron pitch - p= 1024 strips - could have equiped up to 61x60/2+1=1831 strips (~90 cm)

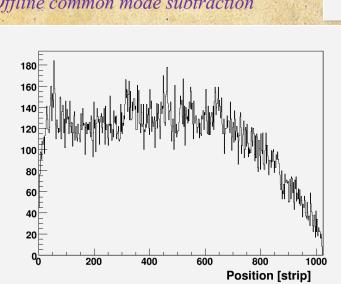


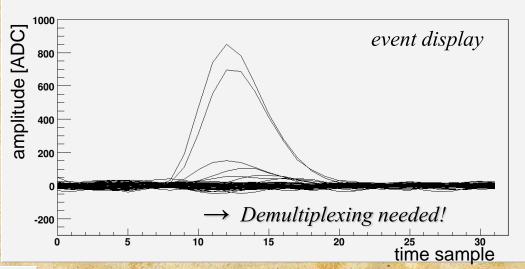
Strip capacitance: 1.3 nF (compared to 2 nF for thin strip from double sided)

Results with cosmics

Prototype tested in the CLAS12 cosmic bench (60x60 cm² couple of scintillators)

- 1 cm drift gap
- 128 micron amplification gap
- Gas: Ar+5%isobutane
- E_{drift} =300 V/cm
- 1.5 m cable (70 pF/m)
- T2K electronics (AFTER)
- Shaping time: 200 ns
- Sampling frequency 60 ns
- Offline common mode subtraction

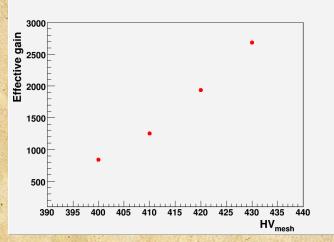




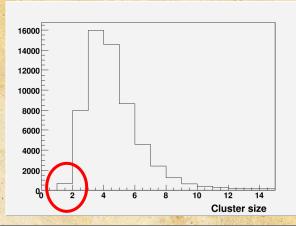
- \rightarrow Almost all strips OK (1020/1024)
- → position distribution as expected
- → mean noise on strips: 3,950 electrons

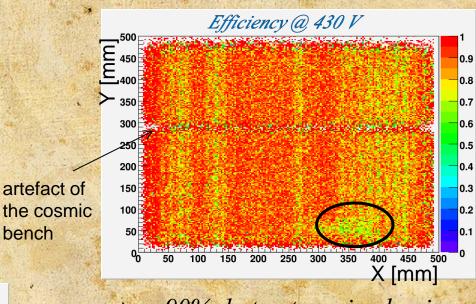
Results with cosmics

Prototype tested in the CLAS12 cosmic bench (60x60 cm² couple of scintillators)



→ good <u>effective</u> gains in spite of large capacitances



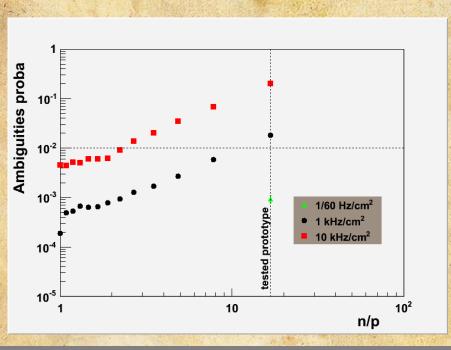


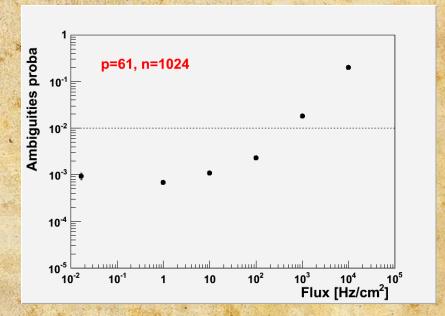
- → ~ 90%, but not maximal gain
- → < 2% of events with a cluster size of 1 (cannot be localized), as expected
- → not an issue with (shifted) resistive strips

Genetic multiplexing and flux

 1^{st} simulation of the ambiguity probability at \neq flux and for \neq degrees of multiplexing

- Same geometry (gaps, size, pitch)
- Primary electrons on Poisson distribution
- Transverse diffusion
- Time window: 100 ns.
- Assume independent particles



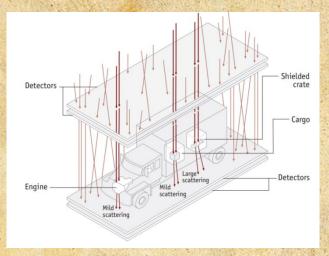


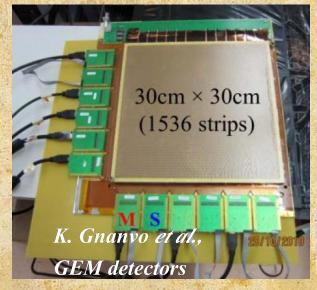
- \rightarrow can stand up to 0.5 kHz/cm² in this configuration (1 MHz in total)
- \rightarrow at 10 kHz/cm², the electronics can be reduced by a factor of 2 (1% ambiguities)

Some applications

→ Homeland security: scan large volumes requires large detectors with high resolution

recent studies on scans with cosmic muons



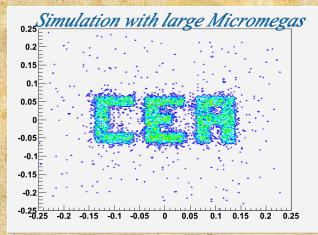


→ high resolution small size

S. Pesente et al., drift chambers (8 minutes!)



→ large area, poor resolution

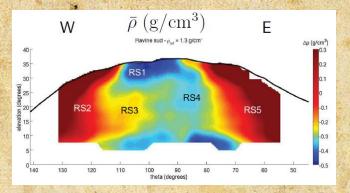


Some applications

- Muon tomography for volcanology: requires large detectors with low consumption

first results with 80x80 cm² scintillators (~1 cm resolution)



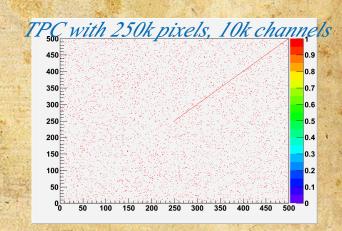


 $\rightarrow \sim$ 50 W for the whole installation, hostile environment

- Dosimetry

need light, portative setup -> low consumption

- Applications in particle physics
 - → sLHC project: > 1,000 m² of MPGDs,
 millions of electronic channels (~1€/channel)
 - → ILC TPC (~ 1 million pads): random multiplexing?



Conclusion & perspectives

Modern particle physics and many more applications require:

→ large area setups

- → high spatial resolution
- → integration, low consumption
- → tight budget!

Multiplexing becomes more and more feasible thanks to advances in instrumentation & electronics

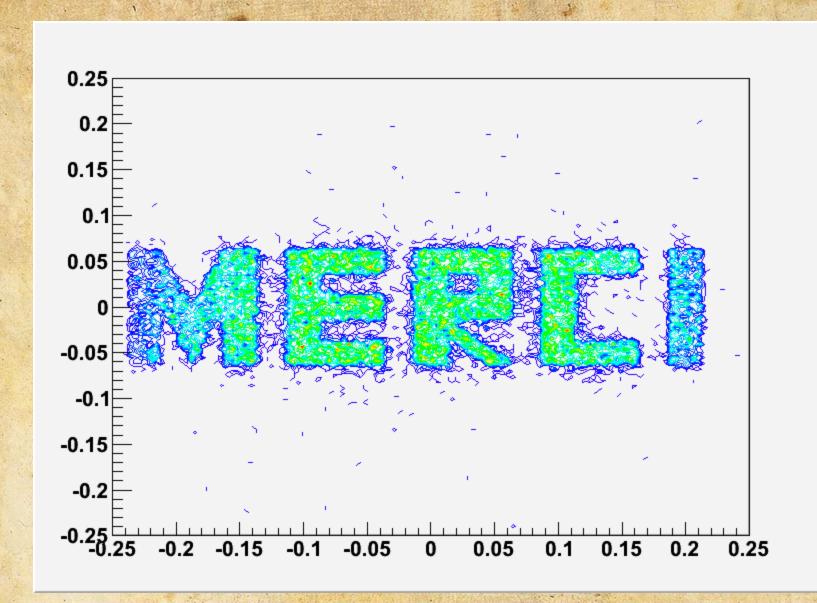
- → concept of genetic multiplexing validated with a Micromegas
- → almost no multiplexing at a spectrometer level ⇒ a lot to be done

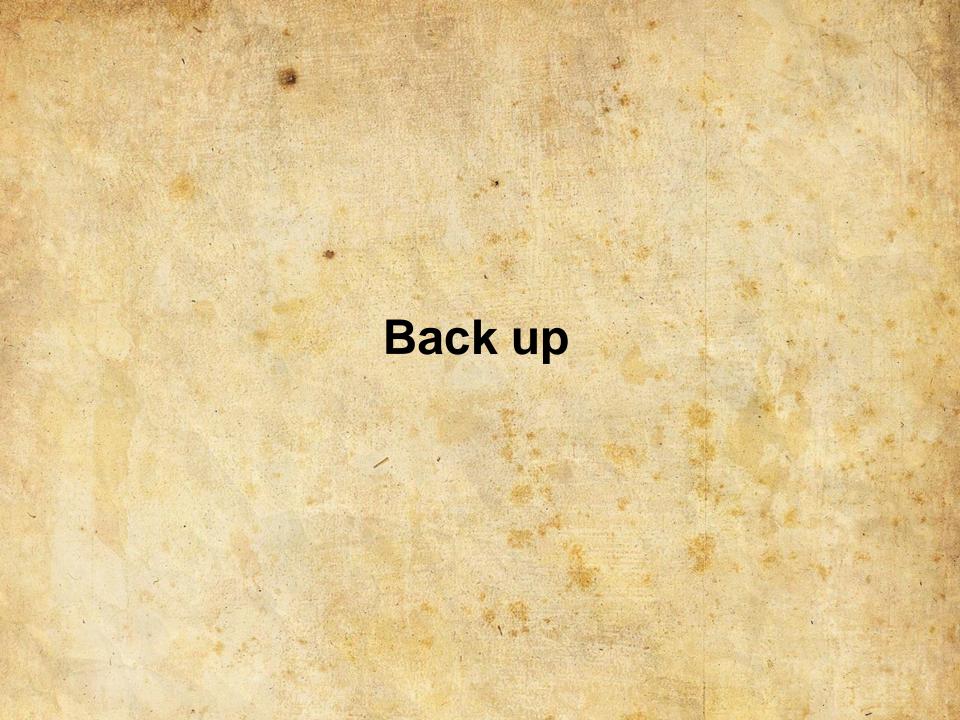
Optimization needed for a given flux/configuration

→ if n channels suffice for 99% of the interesting events, is it relevant to have 2n, 3n channels more for the remaining 1%?

Next steps for genetic multiplexing:

- Flux studies to validate the preliminary simulations
- Resistive, multiplexed Micromegas to further increase S/N (ELVIA, this year)
 - → Goal: 1m² detector with 100 micron 2D-resolution and < 200 channels

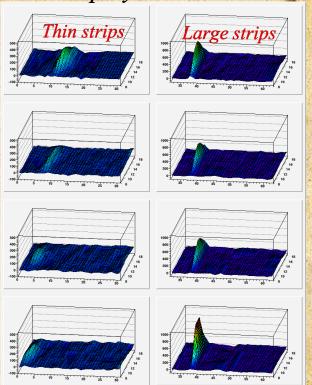




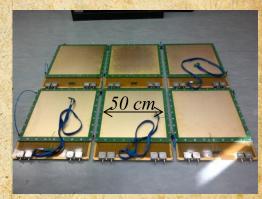
Double sided multiplexing

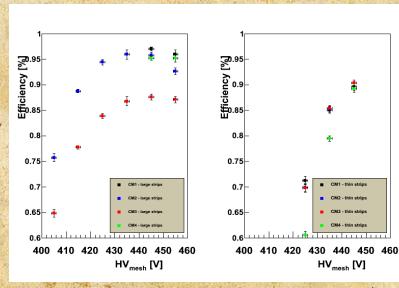
- \rightarrow 6 such detectors were built at the Saclay workshop, with an active area of 50x50 cm²
- Top side with 32 large strips (~1.5 cm)
- Bottom side with 32 thin strips (488 microns), x32

Event display with 4 detectors









→ Efficiency plateau reached for large strips only

Genetic multiplexing

A signal can be deposited on more than 2 strips... so the repetition of k-uplets (k>2)

should be checked

 \rightarrow A priori no problem, as there are much more k-uplets than doublets... $C_n^k = \frac{n!}{k!(n-k)!}$

$$C_n^{\ k} = \frac{n!}{k! \left(n-k\right)!}$$

\longrightarrow	But the	repetition	of small	k-uplets	does app	ear in this	construction:
	经				表示的 然后 除		

i=1	1	2	3	4	5	6	7	8	9	10	11
i=2	1	3	5	7	9	11	2	4	6	8	10
i=3	1	4	7	10	2	5	8	11	3	6	9
i=4	1	5	9	2	6	10	3	7	11	4	8
i=5	1	6	11	5	10	4	9	3	8	2	7

Repetition of the triplet 9-1-5

Can be improved by reordering the blocks:

i=1	1,	2	3	4	5	6	7	8	9	10	11
i=3	1	4	7	10	2	5	8	11	3	6	9
i=2	1 2	3	5	7	9	11	2	4	6	8	10
i=4	1	5	9	2	6	10	3	7	11	4	8
i=5	1	6	11	5	10	4	9	3	8	2	7

Repetition of the quadruplet 3-6-9-1