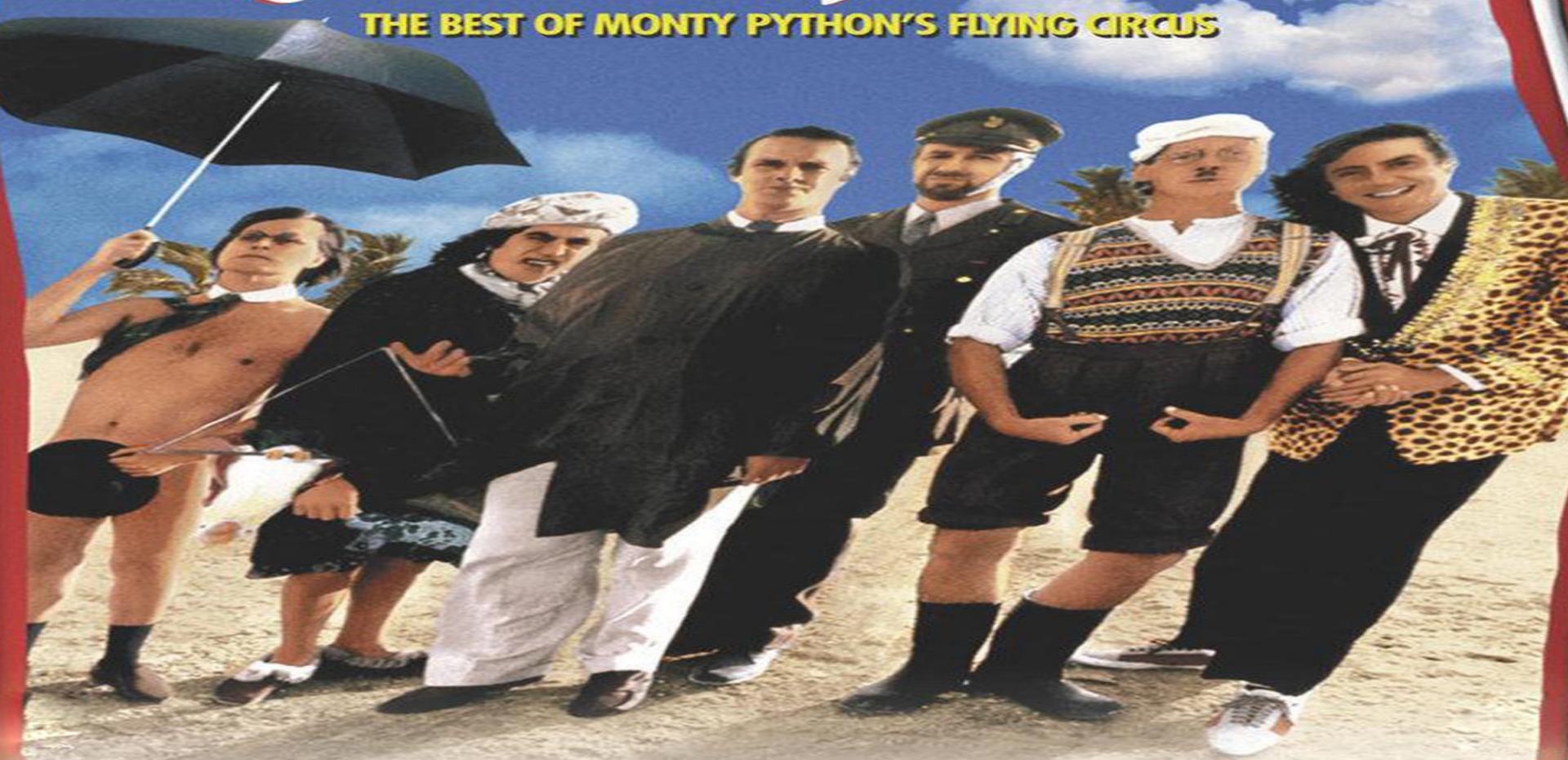


GRAHAM CHAPMAN JOHN CLEESE TERRY GILLIAM
ERIC IDLE TERRY JONES MICHAEL PALIN

MONTY PYTHON'S

AND NOW FOR SOMETHING COMPLETELY DIFFERENT

THE BEST OF MONTY PYTHON'S FLYING CIRCUS

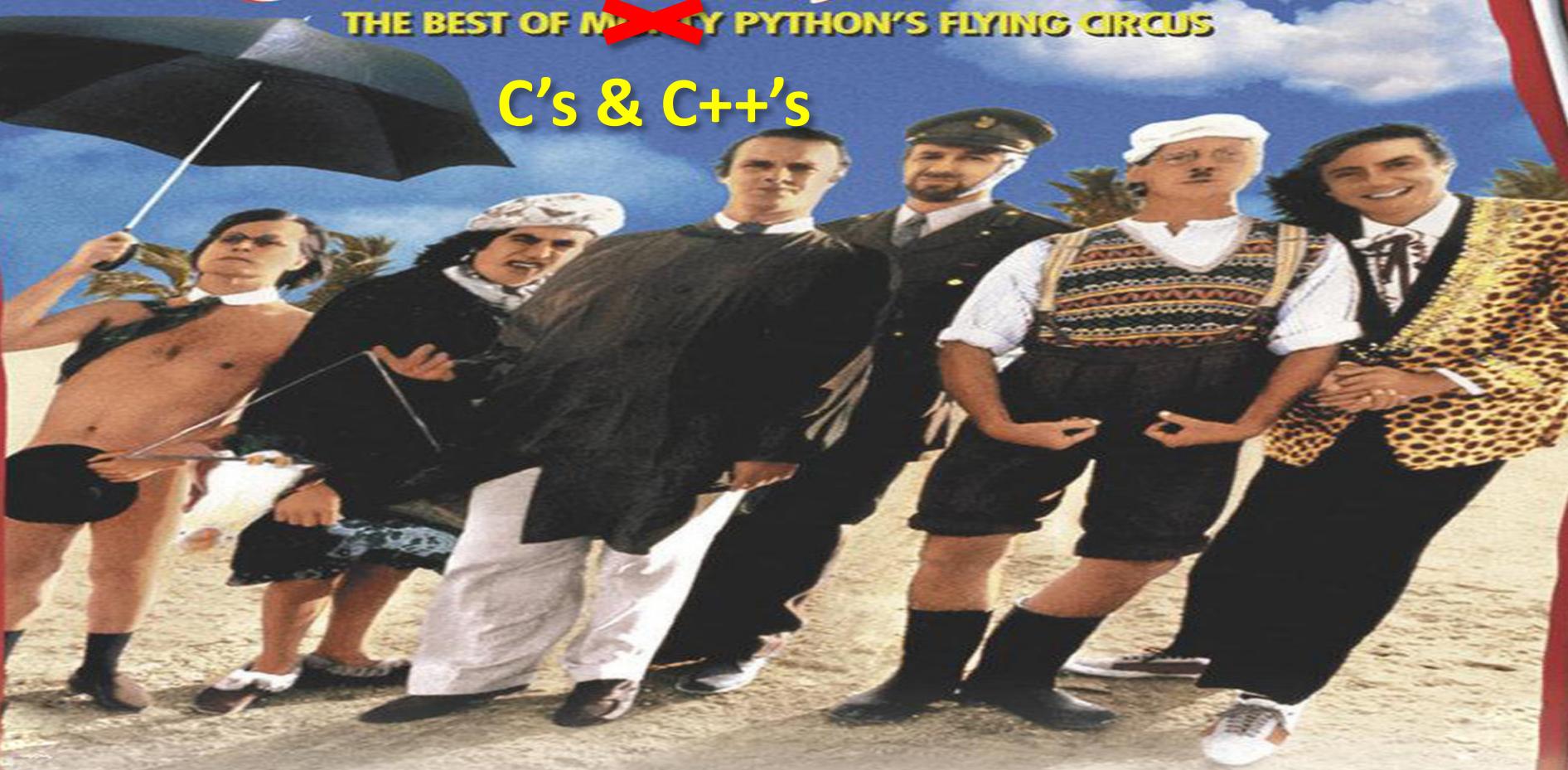


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~~MONTY~~ PYTHON'S
**AND NOW FOR SOMETHING
COMPLETELY DIFFERENT**

THE BEST OF ~~MONTY~~ PYTHON'S FLYING CIRCUS

C's & C++'s



Intro to automated HEP calculations

Martin White, Csaba Balázs



THE UNIVERSITY OF
MELBOURNE



THE UNIVERSITY
*of*ADELAIDE



Australian Government
Australian Research Council



MONASH
University



COEPP
ARC Centre of Excellence for
Particle Physics at the Terascale

outline

- the physics of the toy model example
- FeynRules (time/interest allowing)
- Madgraph: matrix element calculation
 - event generation at parton level
- PYTHIA: parton shower and hadronization
 - event generation at hadron level
- what goes on inside a Monte Carlo
- Delphes
- ROOT

from model to plots

(over)simplified view

Lagrangian

...

lot of coding

happens

...

event distributions

from model to plots

(over)simplified view

Lagrangian

Feynman rules

partonic events

hadronic events

detector events

event distributions

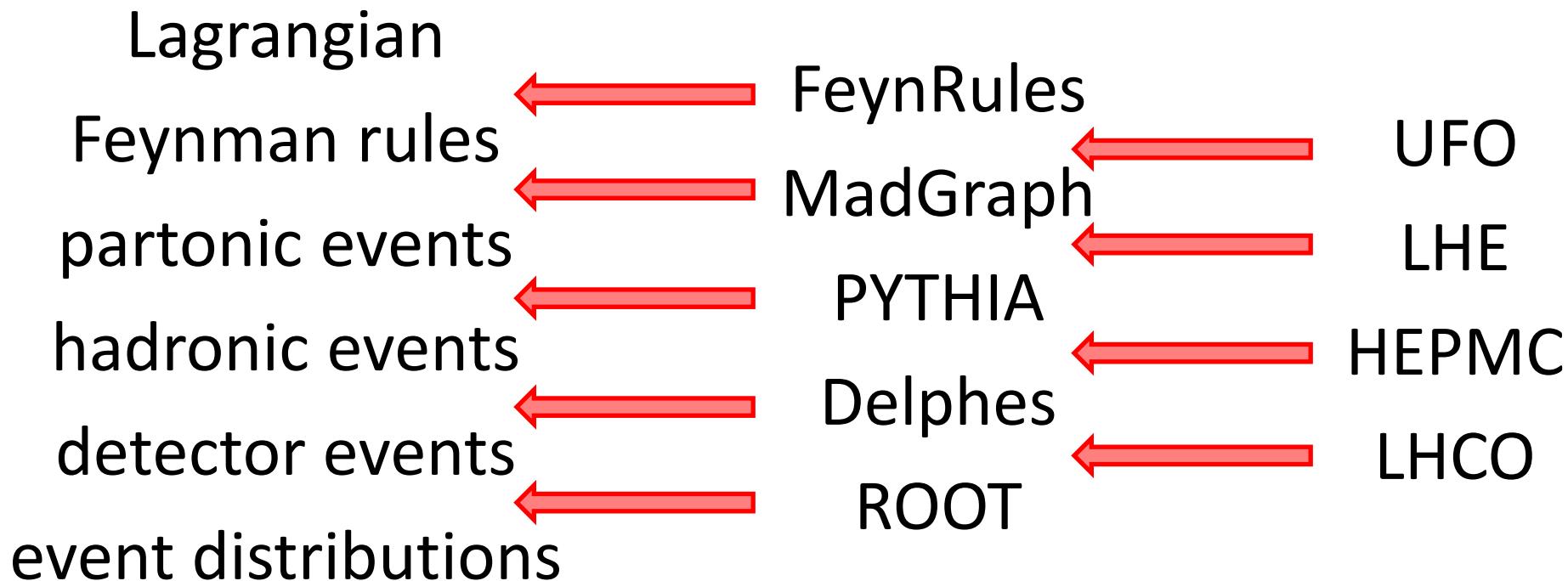
from model to plots

(over)simplified view



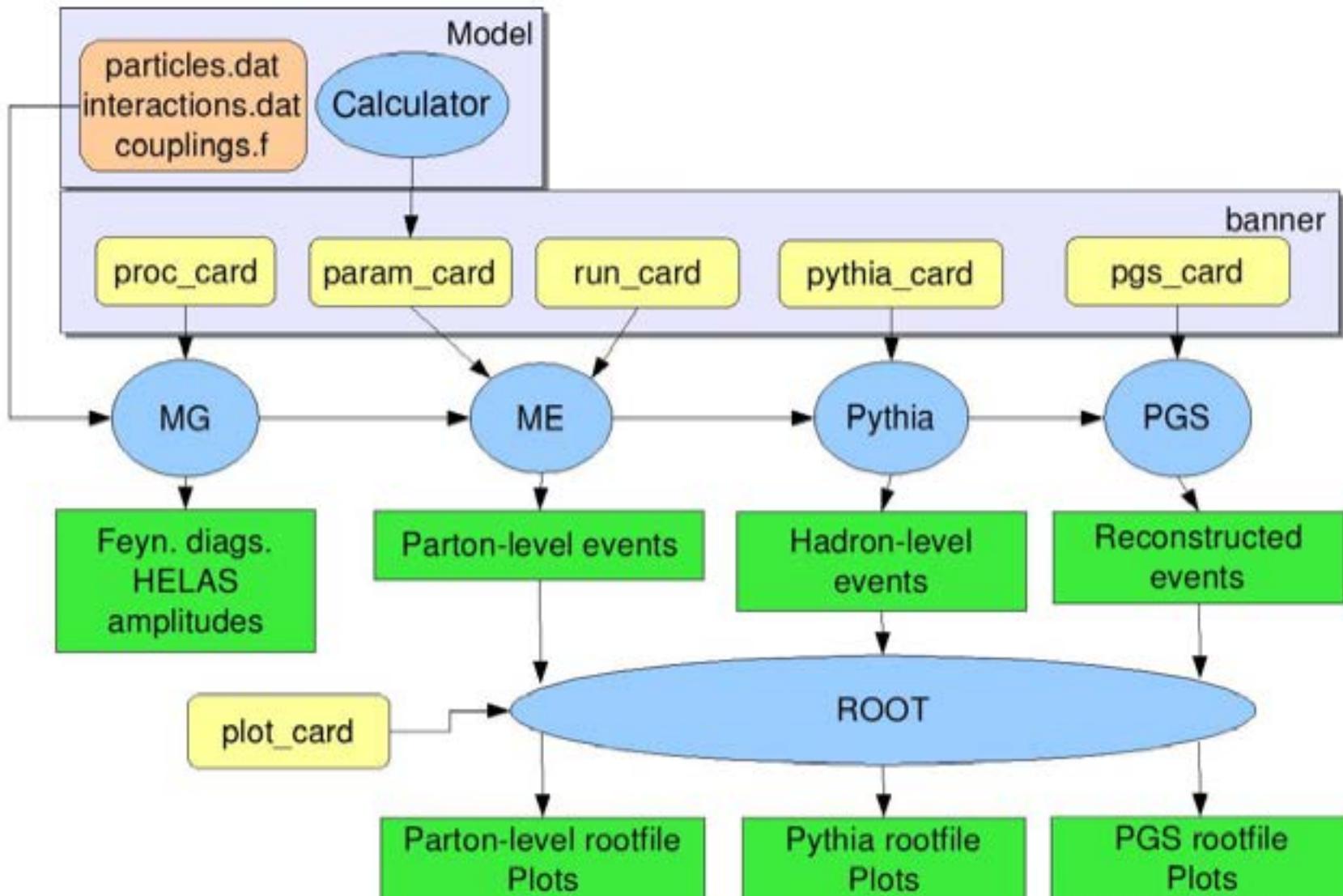
from model to plots

(over)simplified view



from model to plots

simplified view



“And then there's this column called `six'...
I have no idea what that is.”

Maxim Perelstein

model

field content

ϕ_1	ϕ_2	Φ_1	Φ_2	U	E
phi 1	phi 2	PH1	PH2	U	E.

- ϕ_1, ϕ_2 interaction eigenstates
- Φ_1, Φ_2, U, E mass eigenstates

$$\begin{pmatrix} \phi_1 \\ \phi_2 \end{pmatrix} = \begin{pmatrix} \cos\theta & \sin\theta \\ -\sin\theta & \cos\theta \end{pmatrix} \begin{pmatrix} \Phi_1 \\ \Phi_2 \end{pmatrix}$$

model

FeynRules input

model file: Cairns.fr

contains:

- field definitions
- Lagrangian
- parameter specifications

FeynRules source: <http://feynrules.irmp.ucl.ac.be/downloads/feynrules-current.tar.gz>

installation: http://feynrules.irmp.ucl.ac.be/attachment/wiki/WikiStart/Installation_FR.pdf

model

field definitions

```
M$Cl assesDescri ption = {  
    S[ 10] == {  
        Cl assName -> phi 1,  
        Sel fConj ugate -> True,  
        I ndi ces -> {},  
        Unphysi cal -> True,  
        Defi ni ti ons-> {phi 1 -> Cos[ th] PH1 -  
                            Si n[ th] PH2}  
    },  
    ...  
}
```

model

field definitions

```
M$Cl assesDescri ption = {  
    . . .  
    F[ 10] == {  
        Cl assName -> U,  
        Sel fConj ugate -> Fal se,  
        I ndi ces -> {I ndex[ Colour]},  
        QuantumNumbers -> {Y -> 2/3, Q -> 2/3},  
        Mass -> {mU, 500},  
        Wi dth -> {Wuv, 1}  
    },  
}
```

model

scalar sector

$$L_S = L_{S \text{ kinetic}} + L_{S \text{ mass}}$$

$$L_{S \text{ kinetic}} = \frac{1}{2} \partial_\mu \phi_1 \partial^\mu \phi_1 + \frac{1}{2} \partial_\mu \phi_2 \partial^\mu \phi_2$$

$$L_{S \text{ mass}} = -\frac{1}{2} m_1^2 \phi_1^2 - \frac{1}{2} m_2^2 \phi_2^2 - m_{12}^2 \phi_1 \phi_2$$

model

scalar sector

$$L_S = L_{S \text{ kinetic}} + L_{S \text{ mass}}$$
$$\mathbf{LS} = \mathbf{LkS} + \mathbf{LmS}$$

$$L_{S \text{ kinetic}} = \frac{1}{2} \partial_\mu \phi_1 \partial^\mu \phi_1 + \frac{1}{2} \partial_\mu \phi_2 \partial^\mu \phi_2$$

$$\mathbf{LkS} = 1/2 \text{ del [phi 1, mu]} \text{ del [phi 1, mu]} + \dots$$

$$L_{S \text{ mass}} = -\frac{1}{2} m_1^2 \phi_1^2 - \frac{1}{2} m_2^2 \phi_2^2 - m_{12}^2 \phi_1 \phi_2$$

$$\mathbf{LmS} = -1/2 \text{ m1}^2 \text{ phi 1}^2 \dots - \text{ m12}^2 \text{ phi 1} \text{ phi 2}$$

model

fermion sector

$$L_F = L_{F \text{ kinetic}} + L_{F \text{ mass}}$$

$$L_{F \text{ kinetic}} = i\bar{U}\gamma_\mu\partial^\mu U + i\bar{E}\gamma_\mu\partial^\mu E$$

$$L_{F \text{ mass}} = -m_U\bar{U}U - m_E\bar{E}E$$

model

fermion sector

$$L_F = L_F \text{ kinetic} + L_F \text{ mass}$$
$$\text{LF} = \text{LkF} + \text{LmF}$$

$$L_F \text{ kinetic} = i\bar{U}\gamma_\mu\partial^\mu U + i\bar{E}\gamma_\mu\partial^\mu E$$
$$\text{LkF} = \text{I } \text{Ubar. Ga[mu]. DC[U, mu]} + \dots$$

$$L_F \text{ mass} = -m_U\bar{U}U - m_E\bar{E}E$$
$$\text{LmF} = -\text{mU } \text{Ubar. U} + \dots$$

model interactions

$$L_Y = \lambda_1 \phi_1 \bar{U} P_R u + \lambda_2 \phi_2 \bar{U} P_R u + \lambda'_1 \phi_1 \bar{E} P_R e + \lambda'_2 \phi_2 \bar{E} P_R e$$

$$L = L_S + L_F + L_Y$$

more details:

http://feynrules.irmp.ucl.ac.be/attachment/wiki/WikiStart/Tutorial_FR.pdf

model interactions

$$L_Y = \lambda_1 \phi_1 \bar{U} P_R u + \lambda_2 \phi_2 \bar{U} P_R u + \lambda'_1 \phi_1 \bar{E} P_R e + \lambda'_2 \phi_2 \bar{E} P_R e$$

LY = lam1 phi1 Ubar. Proj P. U + ...

$$L = L_S + L_F + L_Y$$

L = LS + LF + LY

more details:

http://feynrules.irmp.ucl.ac.be/attachment/wiki/WikiStart/Tutorial_FR.pdf

... what goes on inside a Monte Carlo generator

what goes on inside Monte Carlo generator

10480	15011	01536	02011	81547	91646	69179	14194	62590	10480	15011	01536	02011	81547	91646	69179	14194	62590
22368	46573	25595	85393	30995	89198	27982	53402	93965	22368	46573	25595	85393	30995	89198	27982	53402	93965
24130	48360	22527	97265	76393	64809	15179	24830	49340	24130	48360	22527	97265	76393	64809	15179	24830	49340
42167	92093	05242	61680	27356	16376	94440	23523	71341	16168	30029	05243	61680	27356	16376	39440	53402	71241
37570	0015	21331	14616	06153	9712	00168	21105	19681	07170	30178	1837	1616	06111	21105	19681	0015	49684
77921	06907	11008	12751	27755	53498	18602	70859	90655	77921	06907	11008	42751	27755	53498	18602	70859	90655
99562	72905	56420	69994	98372	31016	71194	18738	44013	99562	72905	56420	69994	98372	31016	71194	18738	44013
96301	91977	05463	07972	18376	20922	94595	56369	69014	96301	91977	05463	07972	18376	20922	94595	56369	69014
89579	14342	63661	10281	17453	18103	57740	34378	25331	89579	14342	63661	10281	17453	18103	57740	34378	25331
85475	36857	53342	53988	53060	59533	38867	62300	08158	85475	36857	53342	53988	53060	59533	38867	62300	08158
28918	69678	88231	33276	70997	79936	56885	05859	90106	28918	69678	88231	33276	70997	79936	56885	05859	90106
63553	40961	48235	03427	49626	69445	18663	72695	52180	63553	40961	48235	03427	49626	69445	18663	72695	52180
09429	93969	52636	92737	88974	33488	36320	17617	30015	09429	93969	52636	92737	88974	33488	36320	17617	30015
10365	61129	87529	85689	48237	52267	67689	93394	01511	10365	61129	87529	85689	48237	52267	67689	93394	01511
07119	97336	71048	08178	77233	13916	47564	31056	97735	07119	97336	71048	08178	77233	13916	47564	31056	97735
51085	12765	51821	51259	77452	16308	60756	92144	49442	51085	12765	51821	51259	77452	16308	60756	92144	49442
02368	21382	52404	60268	89368	19885	55322	44819	01188	02368	21382	52404	60268	89368	19885	55322	44819	01188
01011	54092	63362	94904	31273	04146	18594	29852	71585	01011	54092	63362	94904	31273	04146	18594	29852	71585
52162	53916	46369	58586	23216	14513	83149	98736	23495	52162	53916	46369	58586	23216	14513	83149	98736	23495
0/056	97628	33787	09998	42698	06591	76988	13602	51851	0/056	97628	33787	09998	42698	06591	76988	13602	51851
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81525	72295	04839	96423	24878	82651	66566	14778	76797	81525	72295	04839	96423	24878	82651	66566	14778	76797
29676	20591	66066	26432	46901	20849	89768	81536	86645	29676	20591	66066	26432	46901	20849	89768	81536	86645
00742	57392	39064	66432	84673	40027	32832	61362	98947	00742	57392	39064	66432	84673	40027	32832	61362	98947
05366	04213	25669	26422	44407	44048	37937	63904	45766	05366	04213	25669	26422	44407	44048	37937	63904	45766
91921	26418	64117	94305	26766	26940	39972	22209	71500	91921	26418	64117	94305	26766	26940	39972	22209	71500
00582	04711	87917	77341	42206	35126	74087	99547	81817	00582	04711	87917	77341	42206	35126	74087	99547	81817
00725	69884	62797	56170	86324	88072	76222	36086	84637	00725	69884	62797	56170	86324	88072	76222	36086	84637
69011	65795	95876	55293	18988	27354	26575	08625	40801	69011	65795	95876	55293	18988	27354	26575	08625	40801
25976	57948	29888	88604	67917	48708	18912	32271	65424	25976	57948	29888	88604	67917	48708	18912	32271	65424
09763	83473	73577	12908	30883	18317	28290	35797	06998	09763	83473	73577	12908	30883	18317	28290	35797	06998
91587	42595	27958	30134	04024	86385	29880	99730	55536	91587	42595	27958	30134	04024	86385	29880	99730	55536
17955	56349	90999	49127	20044	59931	06115	20542	18059	17955	56349	90999	49127	20044	59931	06115	20542	18059
46503	18584	18845	49618	02304	51038	20655	58727	28168	46503	18584	18845	49618	02304	51038	20655	58727	28168
92157	89634	94824	78171	84610	82834	09922	25417	44137	92157	89634	94824	78171	84610	82834	09922	25417	44137
14577	62765	35605	81263	39867	47358	56873	56307	61607	14577	62765	35605	81263	39867	47358	56873	61607	
98427	07523	33632	64270	01638	92477	66969	98420	04880	98427	07523	33632	64270	01638	92477	66969	98420	04880
34914	63976	86720	82765	34476	17032	87589	40836	32427	34914	63976	86720	82765	34476	17032	87589	40836	32427
70060	28277	39475	46473	23219	53416	94970	25832	69975	70060	28277	39475	46473	23219	53416	94970	25832	69975
53976	54914	06990	67245	68350	82948	11398	42878	80287	53976	54914	06990	67245	68350	82948	11398	42878	80287
76072	29515	40980	07391	58745	25774	22987	80059	39911	76072	29515	40980	07391	58745	25774	22987	80059	39911
90725	52210	83974	29992	65831	38857	50490	83765	55657	90725	52210	83974	29992	65831	38857	50490	83765	55657
64364	67412	36339	31926	14083	24413	59744	92351	97473	64364	67412	36339	31926	14083	24413	59744	92351	97473
08962	00358	31662	25388	61642	34072	81249	35648	56891	08962	00358	31662	25388	61642	34072	81249	35648	56891
95012	68379	93526	70765	10592	04542	76463	54328	02349	95012	68379	93526	70765	10592	04542	76463	54328	02349
15564	10493	20492	38391	91132	21999	59518	61652	27195	15564	10493	20492	38391	91132	21999	59518	61652	27195

... what goes on inside a Monte Carlo generator

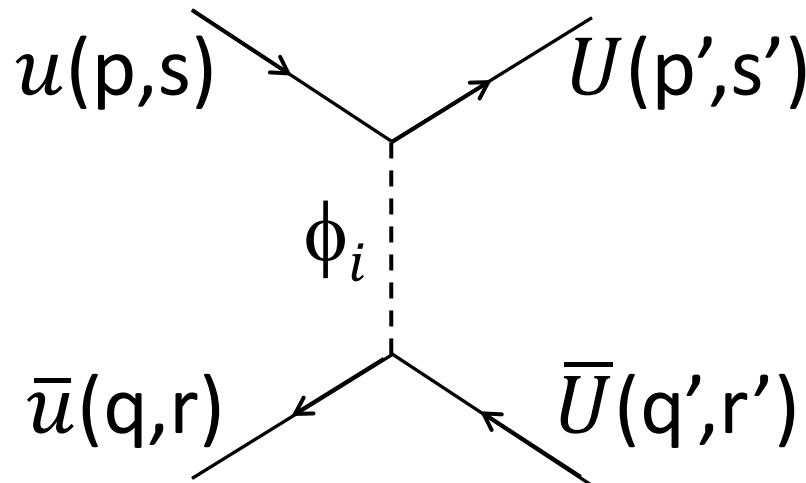


"ABOUT THIS EXPERIMENT FOR GENERATING RANDOM NUMBERS - EACH TIME YOU DO IT, IT COMES OUT DIFFERENT."

MadGraph

scattering amplitude

- scattering process: $pp \rightarrow U\bar{U}$
- parton level processes: $u\bar{u} \rightarrow U\bar{U}$



$$A_{u\bar{u} \rightarrow U\bar{U}} = -\frac{\lambda_i \bar{U}_{p'}^{s'} \cdot u_p^s \quad \lambda_i \bar{v}_q^r \cdot V_{q'}^{r'}}{(p - p')^2 - m_i^2} - \dots$$

MadGraph

partonic events

- parton level differential cross section

$$\frac{d\sigma_{u\bar{u} \rightarrow U\bar{U}}}{d\Omega} = \frac{1}{64\pi^2 s} \frac{|\vec{p}'|}{|\vec{p}|} \sum_{\phi_i, spin, color} \frac{1}{N} |A_{u\bar{u} \rightarrow U\bar{U}}|^2$$

helicity amplitudes don't interfere

- parton level total cross section

$$\sigma_{u\bar{u} \rightarrow U\bar{U}} = \int_{4\pi} \frac{d\sigma_{u\bar{u} \rightarrow U\bar{U}}}{d\Omega} d\Omega$$

- parton level events

$$N_{U\bar{U}} = \sigma_{u\bar{u} \rightarrow U\bar{U}} L$$

MadGraph

event generation

MC event generators evaluate the phase space integral numerically

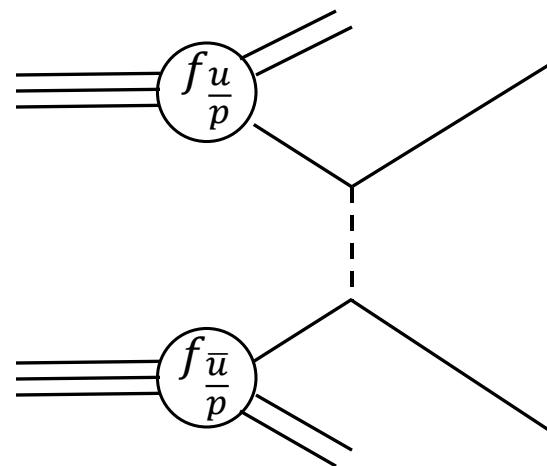
$$\sigma_{u\bar{u} \rightarrow U\bar{U}} = \int_{4\pi} \frac{d\sigma_{u\bar{u} \rightarrow U\bar{U}}}{d\Omega} d\Omega$$

They

- generate the event kinematics (4-momenta)
- calculate the differential cross section (weight)
- sample the phase-space using algorithm:
random, importance sampling, Metropolis, etc.

PYTHIA

hadronic cross section

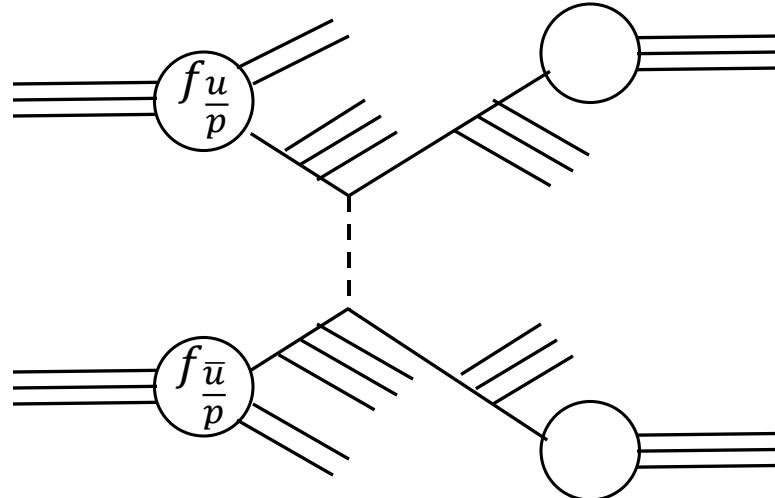


$$\frac{d\sigma_{pp \rightarrow U\bar{U}}}{d\Omega} = \int_0^1 dx_1 dx_2 f_{\frac{u}{p}}(x_1) f_{\frac{\bar{u}}{p}}(x_2) \frac{d\sigma_{u\bar{u} \rightarrow U\bar{U}}(x_1, x_2)}{d\Omega}$$

- $f_{\frac{u}{p}}(x_i)$ parton distribution function
- x_i longitudinal momentum fraction of u in p

PYTHIA

hadronic events



- initial and final state radiation
- decays
- hadronization: jet formation, fragmentation
- hadronic cross section calculation

Delphes

detector events

Delphes simulates an “LHC style” detector

- in: hadronic events, out: reconstructed events

$$N = \varepsilon \sigma L$$

- calculates efficiencies
for tracking of charged hadrons, e^- , ...
- parameterizes momentum resolution
- parametrizes (EM & hadronic) calorimeters
fraction of energy deposited by a particle
- isolation settings for e^- , μ^- ; jet algorithms



A FAKE MASTERPIECE.
THE PERFECT PLAN.

GAMBIT

CONNING SOON

GAMBIT

Global And Modular BSM Inference Tool

- Global: collider, dark matter, flavor, ...
- And: cosmology, astrophysics, ...
- Modular: easily switch any¹ modules
- BSM: calculate for any² models
- Inference: built-in credibility assessment
- Tool: observables, likelihoods, posteriors