Status of parton showers

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(DESY)



QCD Tools for LHC Physics: From 8 to 14 TeV - What's needed and why?

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Outline

- ◇ Parton shower event generators, parton shower types
- Improving the splitting kernels
- ◊ Status of different parton showers
- ◊ Open issues

Hadronic events



Event generators need to model

- Hard interactions,
- ◇ (inital or final state) radiation,
- multipe scatterings and beam remnants,
- hadronisation and hadron decays.

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Parton showers

- ◊ model the radiation cascade.
- facilitate a perturbative resummation of dominant logs.
- ◊ are interfaced to non(?)-perturbative generator components.
- ◊ need to "be okay" many different data sets.

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The end... thanks for your time.

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But parton showers contains many improvements that are necessary to

- (a) allow a matching to fixed-order
- (b) help to describe data

In what way are parton showers better than LL?

How do we derive a parton shower?

- (a) From collinear limit \rightarrow DGLAP showers (PYTHIA6-Q², Herwig++- Θ , KRKMC showers, WHIZARD showers)
- (b) From soft limit \rightarrow Dipole antenna showers (ARIADNE, VINCIA, ANTS)
- (c) From NLO calculations \rightarrow Partitioned dipole showers (SHERPA CS shower, Herwig++ dipole shower, PYTHIA8)

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Once we have a parton shower, we include improvements to match onto fixed-order results:

- ME centric view: Add PS to ME, amend PS where necessary (e.g. improved Sudakov for MC@NLO, truncated showers)
- PS centric view: Take PS, correct some configurations to ME (e.g. ME corrections, PS reweighting)

... a better shower is always a better starting point.

Use improved and "old" showers simultaneously, switch to "old" shower when improved shower no longer needed.



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A more recent example of PS improvements for ME matching are coloured showers for MC@NLO. For this, remember:

$$\widetilde{B}_{n} = B_{n} + V_{n} + I_{n} + \int (D^{A} - D^{S})$$

$$\sigma^{\text{MC@NLO}} = \widetilde{B}_{n} \left[\Delta^{A}(p_{\perp min}) + \int \frac{D^{A}}{B_{n}} \Delta^{A}(p_{\perp}) \right] + \int \left[R - D^{A} \right]$$

 \Rightarrow For finite $\int \left(D^A-D^S\right)$ without approximations, D^A needs to have all subleading divergences.

This also includes subleading colour terms!

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Subleading colour treatment have been introduced in SHERPA and $\mathsf{HERWIG}{++}/\mathsf{MATCHBOX}.$

Coloured MC@NLO dipole showers in SHERPA Do $1/N_c$ corrections make a difference?



- Effect of sub-leading color corrections typically $\mathcal{O}(10\%)$
- In most cases also well within parton shower uncertainty
- Can have larger impact on some observables, e.g. $A_{FB}(p_T)$

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Also includes full spin correlations for gluon splittings.



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Colours in HERWIG++/MATCHBOX

First steps towards higher orders in N_c .

Include virtual colour rearranging terms in shower evolution. Studied for gaps between jets. [A. Schofield, M. Seymour - JHEP 1201 (2012) 078]

Correct single emission pattern by full colour correlations. 'Colour matrix element corrections' first studied for LEP.

> average rapidity w.r.t. \vec{n}_3 average transverse momentum w.r.t. \vec{n}_{i} shower $3\mathrm{eV}~N^{-1}~\mathrm{d}N/\mathrm{d}\langle p_{\perp}\rangle$ strict large-N_c strict large-N0.1 0.010.1 0.001DipoleShower + ColorFull ipoleShower + ColorFull 1.2fluil/3 0.90.51.5 3 10

Relative orientation of soft particles to hard three-jet system very sensitive.



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[S. Plätzer, M. Sjödahl – JHEP 1207 (2012) 042]



HERWIG++

Multiscale Showering.

Improve shower algorithm for soft gluons in multi-scale problems. Particularly relevant in decays of heavy coloured particles (masses, widths, IR cutoff).

[P. Richardson, D.E. Winn - in preparation]



Double gluon emission pattern in $gg \rightarrow t\bar{t}$ and impact of correction on the top mass.

HERWIG++

Eigentunes.

[P. Richardson, D.E. Winn - Eur.Phys.J. C72 (2012) 2178]

Eigentunes for Herwig++ similar to PDF error sets.

Investigate impact on jet substructure analysis (including $H \rightarrow b\bar{b}$ POWHEG).



Antenna showers

... or: why was ARIADNE looking so good?

- Antennae quite naturally include coherence effects.
- Fewer antennea compared to partitioned dipoles (→ antenna showers should be very efficient).
- Antennae lend themselves to ME corrections (less partial fractioning of ME corrections is necessary, on-shell kinematics as for all dipole showers, the $q\bar{q}g$ antenna is the $Z \rightarrow q\bar{q}g$ ME).

Antenna showers: SHERPA

Antenna shower in SHERPA

Motivation

- coherent radiation off colour dipole
- local recoil compensation
- relation to antenna subtraction

Status

ANTenna Shower (ANTS) implemented (WK kernels)

Winter & Krauss, JHEP 0807 (2008) 040

two kinematics mappings: WK & antenna mapping

Gehrmann-De Ridder, Gehrmann, Glover & Heinrich, JHEP 0711 (2007) 058 Daleo, Gehrmann & Maitre, JHEP 0704 (2007) 016

needs validation & tuning

Future plans

- implement antenna kernels
- matching & merging

ANTS: preliminary results



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Antenna showers: VINCIA

Motivation:

- ◊ Coherence, PS is a very efficient phase space generator.
- PS-centric matching approach: Have PS that fills full phase space
 ... then correct with full matrix elements.

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Smooth Ordering

Giele, Kosower, Skands, PRD 84 (2011) 054003



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New aspects of VINCIA

Larkoski, Lopez-Villarejo, Skands, PRD87(2013)054033 Helicity-dependence for relativistic partons

Can use a single helicity ME as radiation function

Dominant = MHV (easiest to evaluate) + NMHV + ... Note: Helicity ≠ Polarization (azimuthal corrs only via ME corrections)

Full 2nd order corrections ln(y₁₃) Evolution in Ariadne pT One-loop $Z \rightarrow 3$ matrix element: = singularities + logs + finite pieces $\mathcal{P}oles\left(A_{3}^{1}(1_{q}, 3_{g}, 2_{\bar{q}})\right) = 2\left(\mathbf{I}_{qq}^{(1)}(\epsilon, s_{13}) + \mathbf{I}_{qq}^{(1)}(\epsilon, s_{23}) - \mathbf{I}_{q\bar{q}}^{(1)}(\epsilon, s_{123})\right)A_{3}^{0}(1, 3, 2),$ $\mathcal{F}inite\left(A_{3}^{1}(1_{q},3_{g},2_{\bar{q}})\right) = -\left(R(y_{13},y_{23}) + \frac{5}{3}\log y_{13} + \frac{5}{3}\log y_{23}\right)A_{3}^{0}(1,3,2)$ $+\frac{1}{s_{122}}+\frac{s_{12}+s_{23}}{2s_{122}s_{12}}+\frac{s_{12}+s_{13}}{2s_{122}s_{22}}-\frac{s_{13}}{2s_{122}(s_{12}+s_{12})}$ "Antenna Subtraction at NLO correction factor $-\frac{s_{23}}{2s_{123}(s_{12}+s_{23})}+\frac{\log y_{13}}{s_{123}}\left(2-\frac{1}{2}\frac{s_{13}s_{23}}{(s_{12}+s_{23})^2}+2\frac{s_{13}-s_{23}}{s_{12}+s_{23}}\right)$ Gehrmann-de Ridder, to LO antenna function Gehrmann, $+\frac{\log y_{23}}{s_{102}}\left(2-\frac{1}{2}\frac{s_{13}s_{23}}{(s_{12}+s_{13})^2}+2\frac{s_{23}-s_{13}}{s_{12}+s_{13}}\right),$ No leftover logs! 1HEP09(2005)056 $R(y,z) = \log y \log z - \log y \log(1-y) - \log z \log(1-z) + \frac{\pi^2}{\kappa} - \operatorname{Li}_2(y) - \operatorname{Li}_2(z)$ -8 $a_{s}(M_{z}) = 0.12, \mu_{R} = p_{T_{q}} \ln(y_{23})$ Note: any coherent LL shower should get the singularities right. The rest goes beyond LL Hartgring, Laenen, Skands, JHEP10(2013)127

L3
 NLO pT
 NLO pT kμ=0.5

-∻-- NLO pT kµ=2.0 -∲- NLO mD

----NI C

04

1-T (udsc)

+ Uncertainties

Automated uncertainties 10° Evaluated on the fly 1-Thrust (udsc) by explicit variations branching by branching 10-1 10-2 \rightarrow Vector of weights Data from Phys.Rept. 399 (2) Central weight is unity (unw) 10-3 Vincia 1.101 + MadGraph 4.4.26 + 11 alternative weights **µ**R variations ORDP: -ORDM Theory/Data Subleading antenna terms 1.2 pT vs mD evolution Subleading colour 0.8 0.3 Disclaimer: formalism for pp still underway

see Ritzmann, Kosower, Skands, PLB718(2013)1345

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> conventional parton showers:

- > trial splittings
- > if not allowed reject or manually altered
- > probabilities incalculable
- > analytic parton showers
 - > ensure that either
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WHIZARD approach: Remove veto of disallowed kinematics after momentum reshuffling by performing $1 \rightarrow 3$ and $2 \rightarrow 4$ splittings. \Rightarrow "PS cross section" is known. Reweighting possible.





LEP @ 91 GeV



Results: Reweighting



LEP @ 91 GeV



Electroweak corrections to showers?



- ♦ Weak correction is $\sim \alpha_w \ln^2 (\hat{s}/M_w)$.
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- ♦ Weak correction is $\sim \alpha_w \ln^2 (\hat{s}/M_w)$.
- Is W/Z-boson radiation a necessary ingredient for TeV-jets?
- \diamond Idea: Implement W/Z-shower off QCD processes, and check!

Electroweak showers in PYTHIA: Preliminary results

- Effect of weak emissions in high p_{\perp} -jets.
- Possible to give a better description of the W/Z+jets production than the normal PS?
- Needed step to be able to recluster all PS histories in the merging/matching approach.



Electroweak showers in PYTHIA: Preliminary results

Uses *s*- or u + t-channel ME's as splitting probabilities. Multiple boson emissions very rare.

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... and many more non-perturbative (?) issues!

Is $\sigma_{\it eff}$ universal? What about "The ridge"? What's wrong with identified flavours @ LHC? Strings vs. clusters?

