

Role of the frequency map analysis in the choice of the working point of SOLEIL

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PhD position (10/2001 - 10/2004)

Contents

1. Effects of coupling

⇒ Frequency maps for optics 1
(18.3, 10.27)

⇒ Frequency maps for optics 2
(18.2, 10.3)

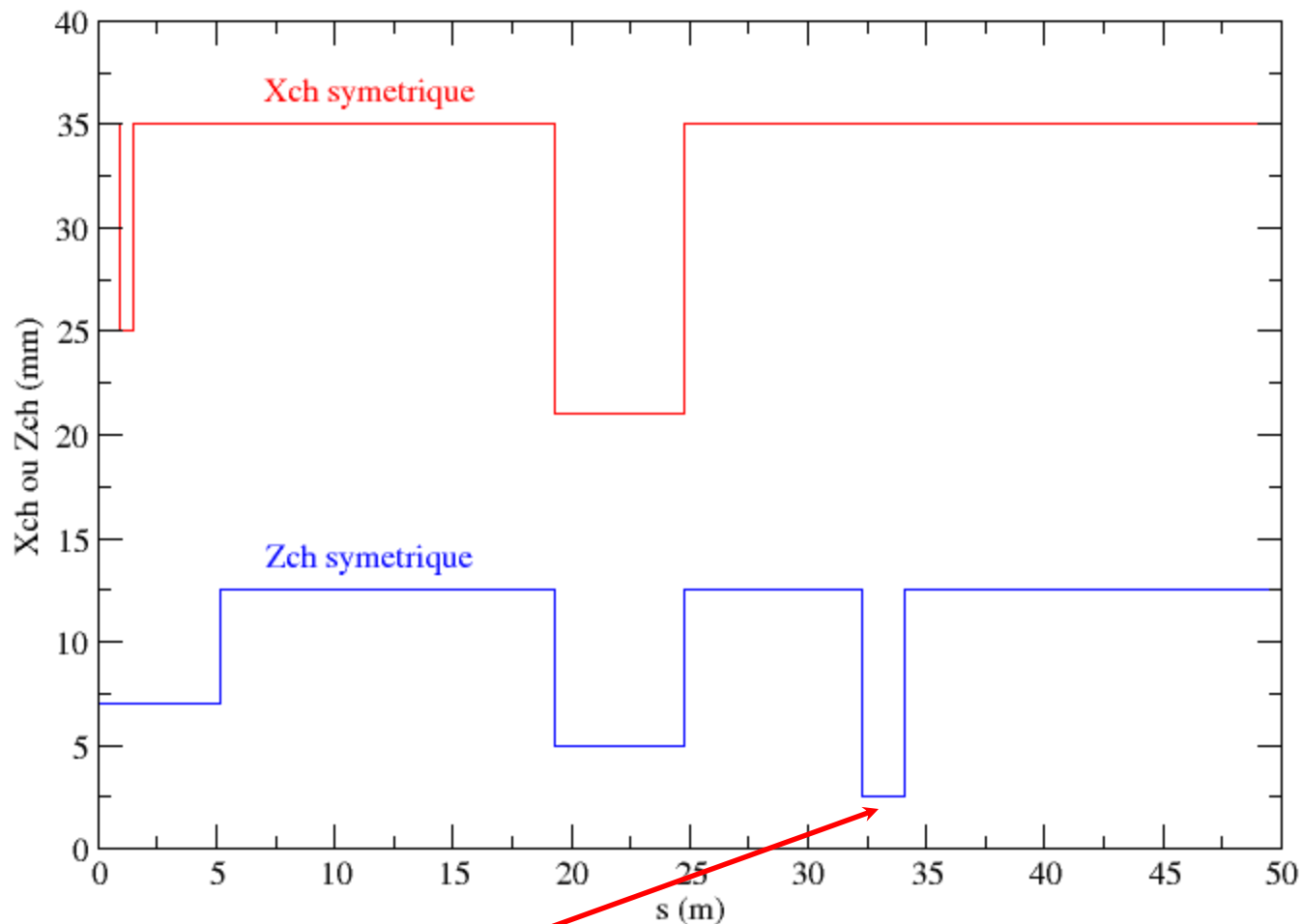
* Recommendations for the
working point (18.2, 10.3)

2. Conclusion

Working conditions

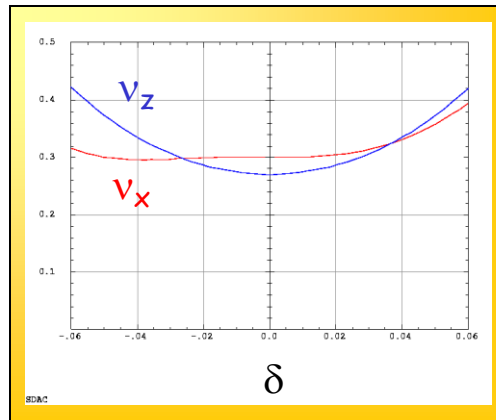
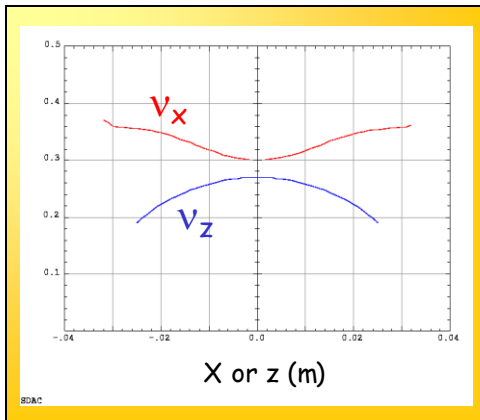
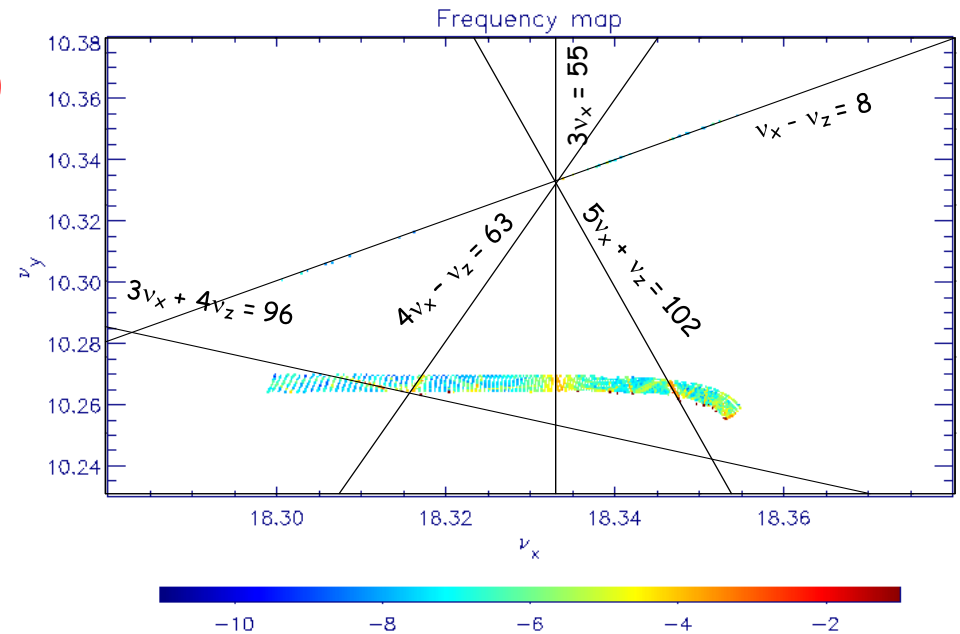
- ➔ Tracking over 1026 turns (damping time \sim 5600 turns)
using DESPOT (or TRACY II) + NAFF routine
- ➔ ➤ vacuum chamber in DESPOT = stability test at the entrance
of the machine: 25mm : half horizontal aperture (septum)
7mm : half vertical aperture (insertion device vessel)
- ➔ ➤ vacuum chamber in TRACY = stability test along $\frac{1}{2}$ a super-
period with a symmetrical chamber in horizontal and in vertical
- ➔ Coupling = rotating randomly the 160 quadrupoles of the
machine (1% in DESPOT read from BETA and 1.88% in TRACY).
- ➔ Lattices with zero chromaticities
- ➔ Entrance of the machine ($\beta_x=10.64\text{m}$, $\beta_z=8\text{m}$, $\eta_x = 20\text{cm}$)

The vacuum chamber introduced when using TRACY for frequency maps and lifetime calculations (symetric in both planes)

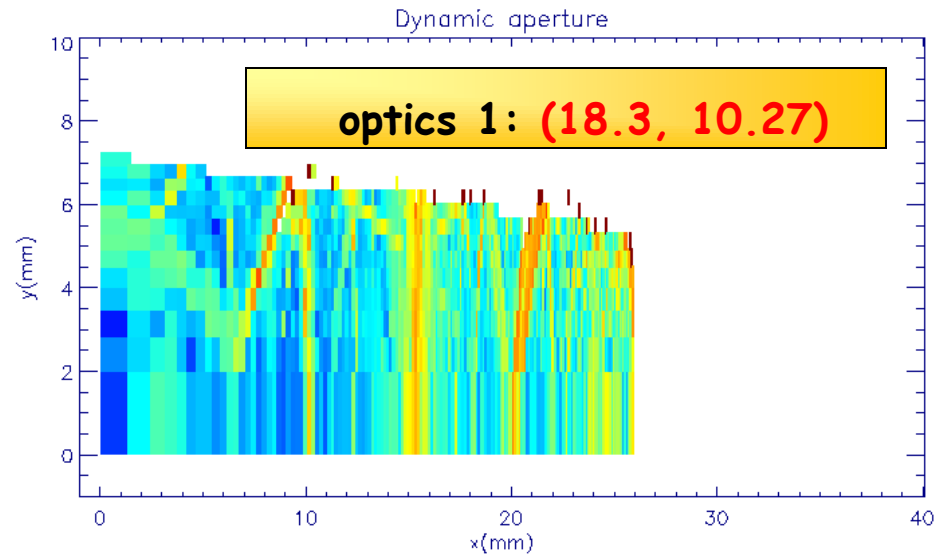


minigap

- * Can reach $3\nu_x = 55$ at large amplitude
- * Close to $\nu_x - \nu_z = 8$ ($\Delta\nu = 0.03$)
- * Crossing between the tunes at certain energy deviations.



Tune shift with amplitude Tune shift with energy



on momentum particles

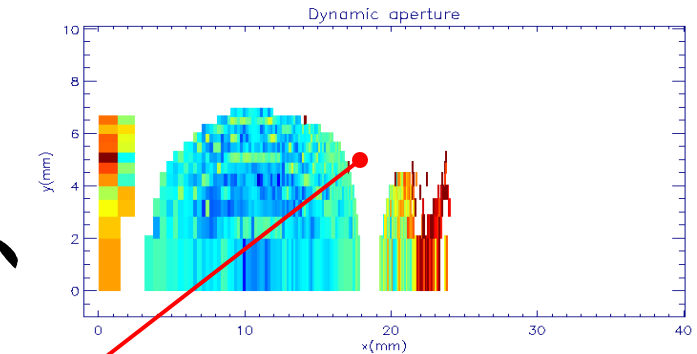
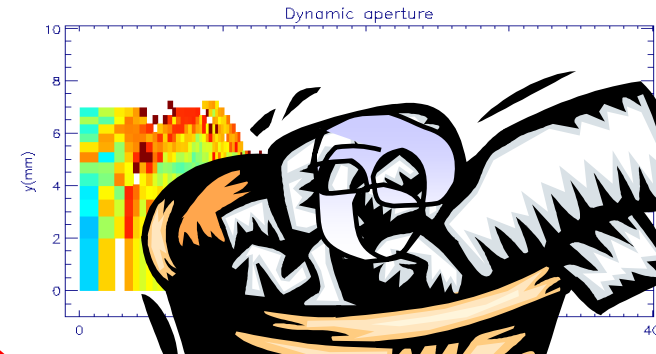
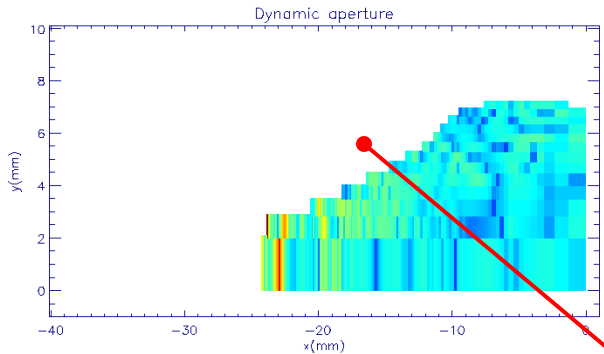
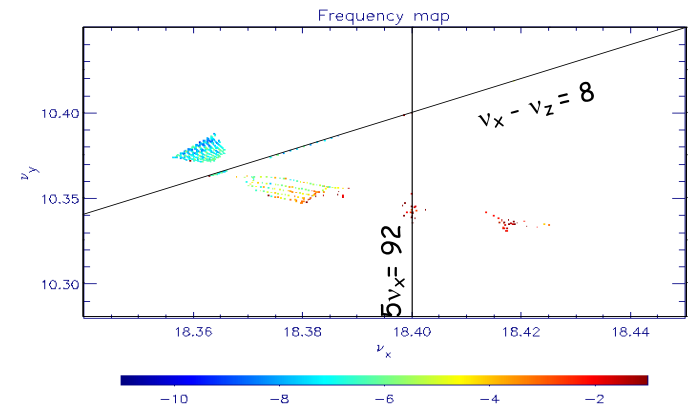
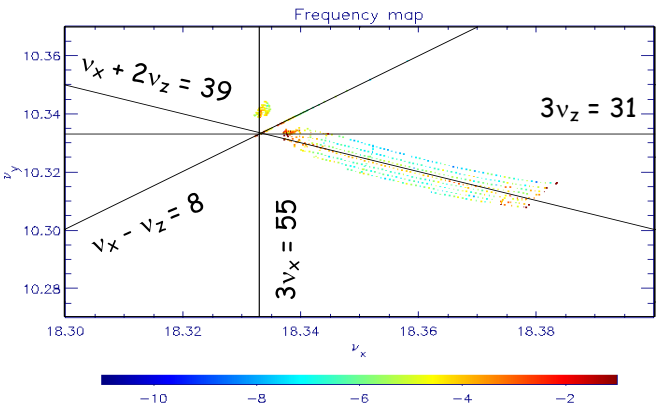
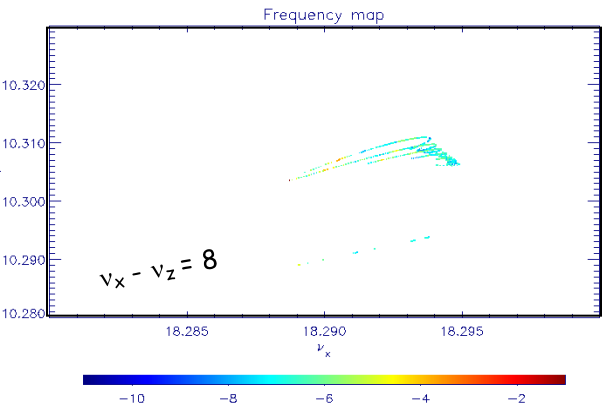
$\delta = -3\%$

off momentum particles

$\delta = 4\%$

optics 1: (18.3, 10.27)

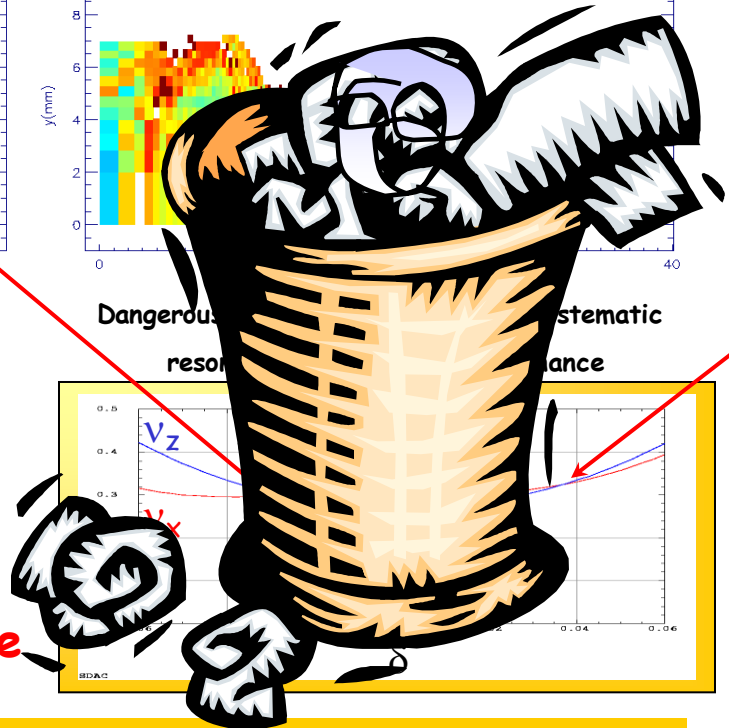
$\delta = 5\%$



The dynamics is dominated by the coupling resonance

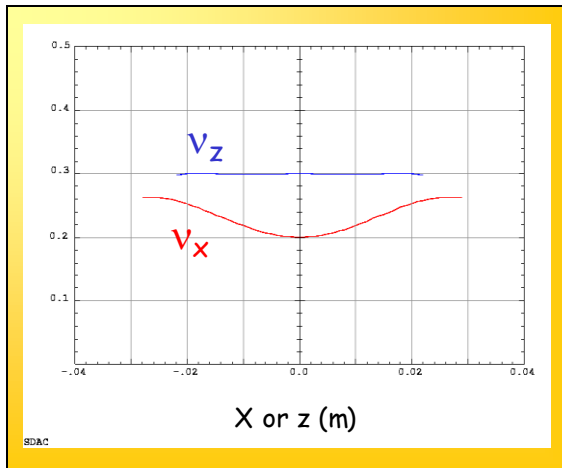
The coupling resonance splits the stability domain. The dynamics is quasi non-existent

Optics strongly affected by the coupling resonance

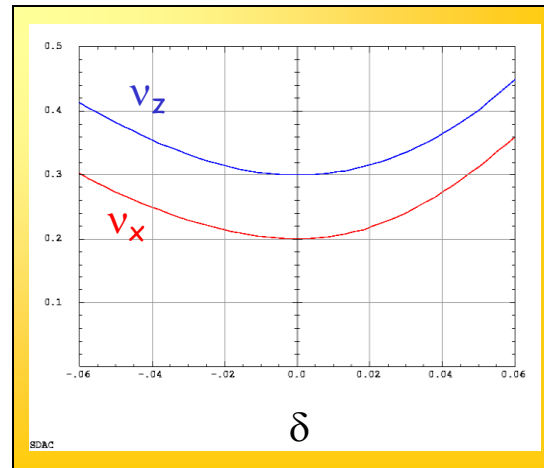


* The 0 for the amplitudes = the center of the machine

- * far from 3rd order resonances.
- * far (enough) from coupling resonance $\nu_x - \nu_z = 8$ ($\Delta\nu = 0.1$).
- * no Crossing between the tunes



Tune shift with amplitude



Tune shift with energy

THE STRATEGY TO BE ADOPTED IS TO MAKE THE DYNAMICS OF TOUSCHEK PARTICLES FREE OF THE COUPLING RESONANCE EFFECTS

Good On-momentum dynamics

↔ Good Injection rate

Good Off-momentum dynamics

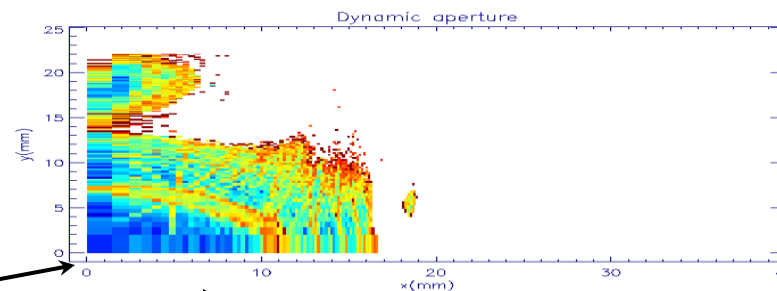
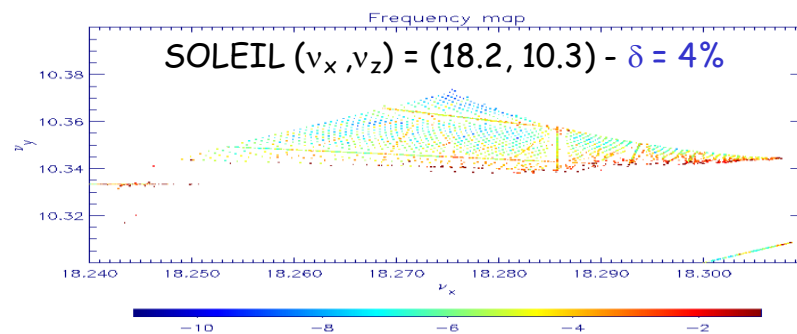
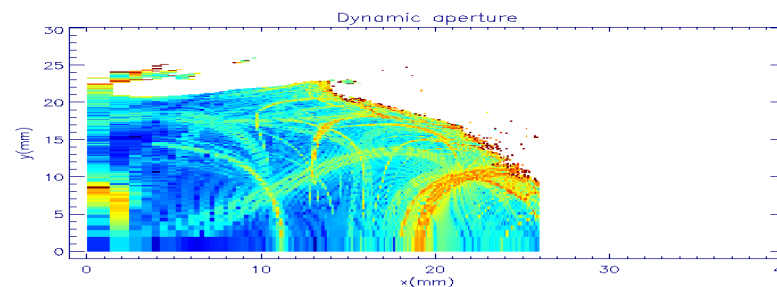
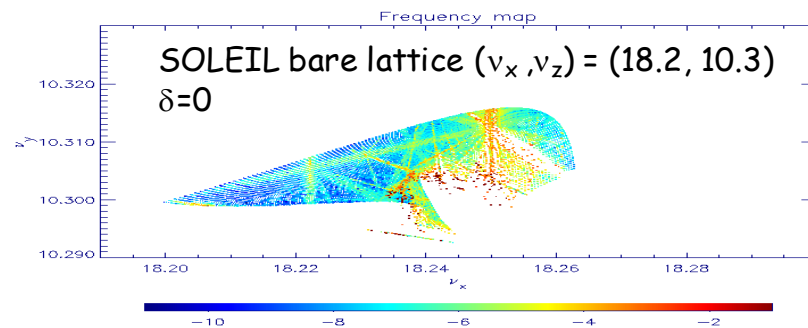
↔ Good Lifetime

(Touschek dominant in

3rd generation light sources + dispersion distributed everywhere)

Touschek particles = change of energy + horizontal betatron oscillation (induced amplitude)

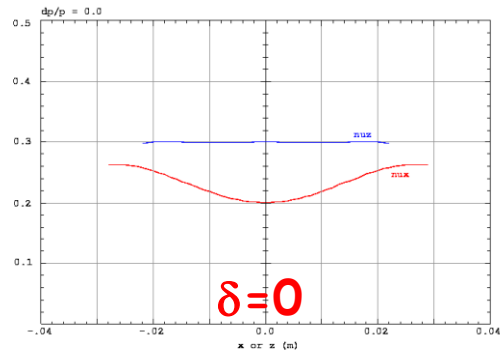
* The 0 here = the closed orbit



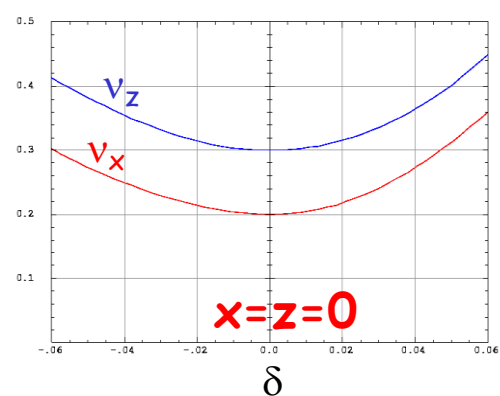
X_β

Tune shift
with amplitude

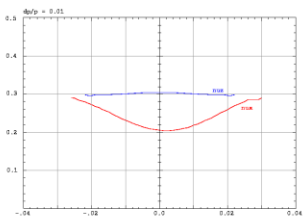
SOLEIL



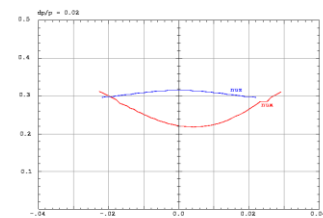
Tune shift
with energy



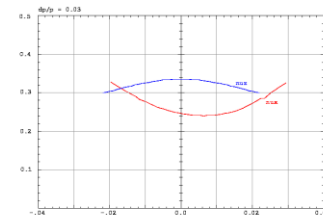
Off momentum with positive energy deviations



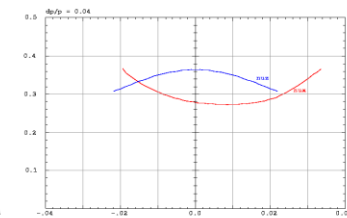
delta = 1%



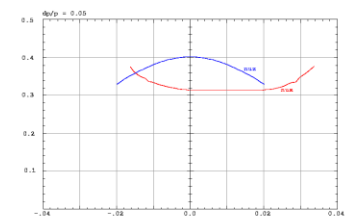
delta = 2%



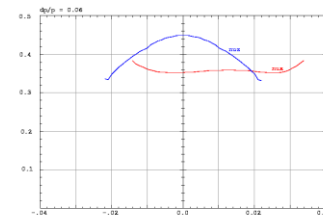
delta = 3%



delta = 4%

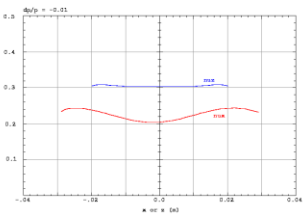


delta = 5%

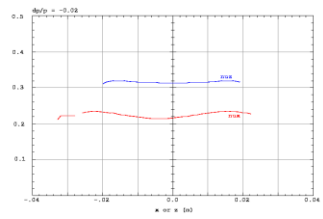


delta = 6%

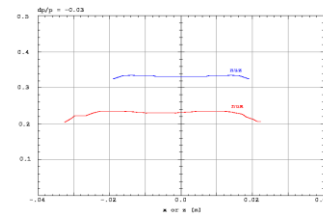
Off momentum with negative energy deviations



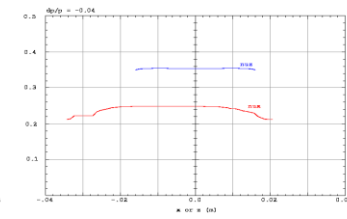
delta = -1%



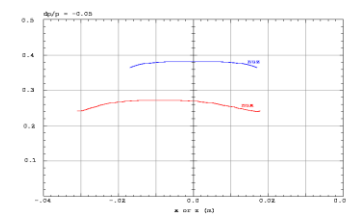
delta = -2%



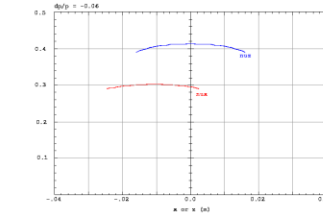
delta = -3%



delta = -4%



delta = -5%



delta = -6%

$(v_x, v_z) = (18.2, 10.3)$

$(\xi_x, \xi_z) = (0, 0)$

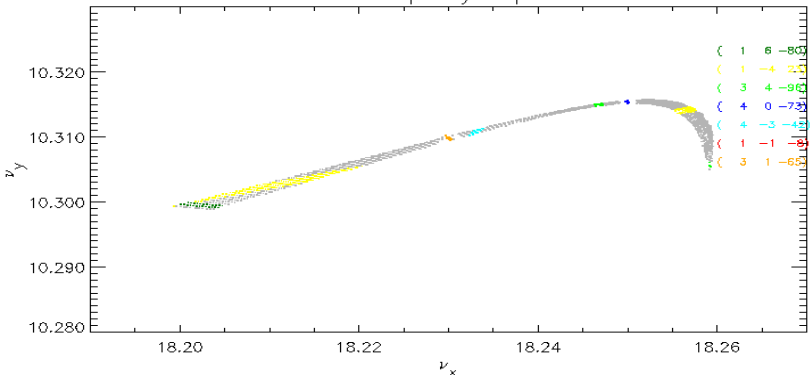
$(\beta_x, \beta_z) = (10.6\text{m}, 8.0\text{m})$

Stability on
1026 turns

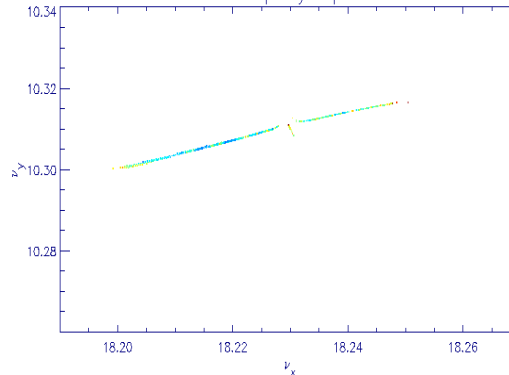
With 1% coupling + vacuum chamber at $s=0$

With 1.88% coupling + vacuum chamber on $\frac{1}{2}$ super-period

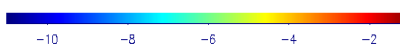
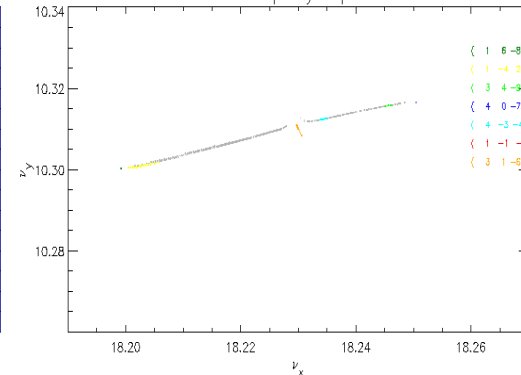
Frequency map



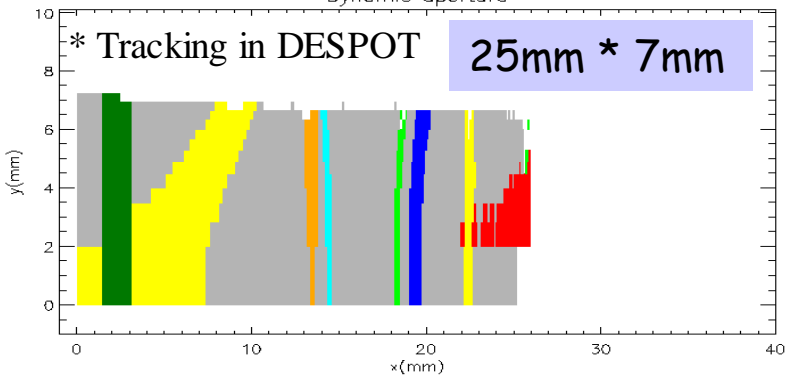
Frequency map



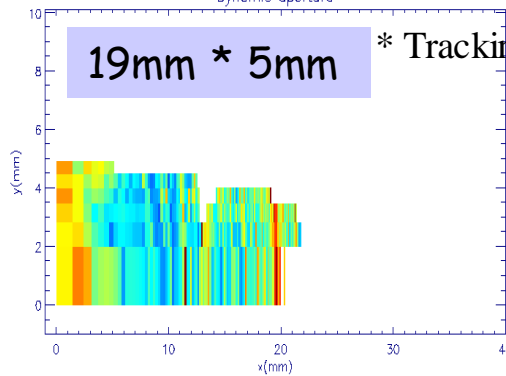
Frequency map



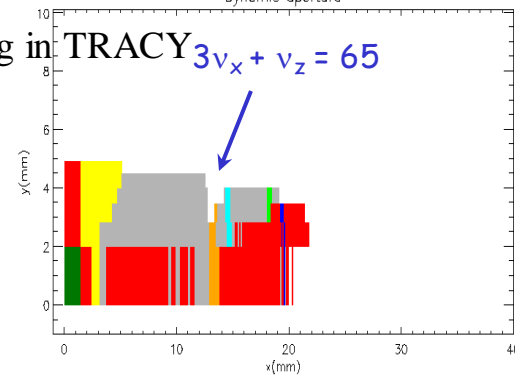
Dynamic aperture



Dynamic aperture



Dynamic aperture



$$\nu_x - 4\nu_z = -23$$

$$\nu_x + 6\nu_z = 80$$

$$9\nu_x = 164$$

$$2\nu_x + 5\nu_z = 88$$

$$4\nu_x = 73$$

$$\nu_x - 4\nu_z = -23$$

$$\nu_x + 6\nu_z = 80$$

$$3\nu_x + \nu_z = 65$$

$$\nu_x - \nu_z = 8$$

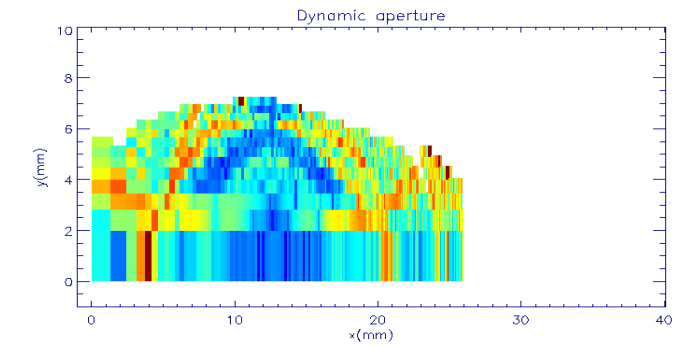
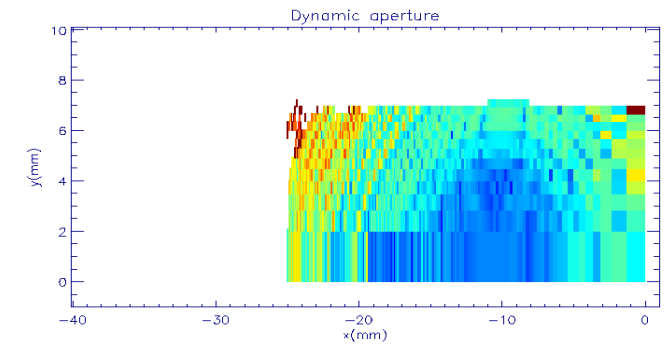
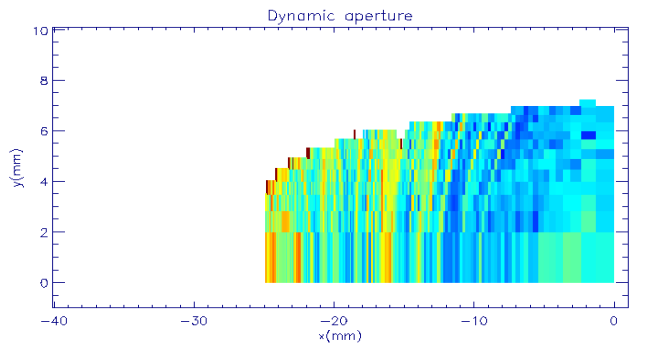
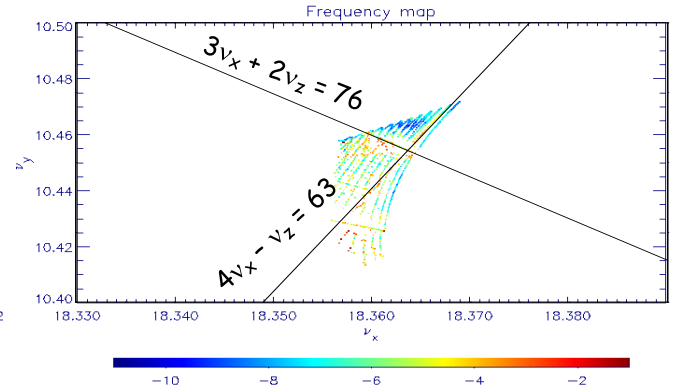
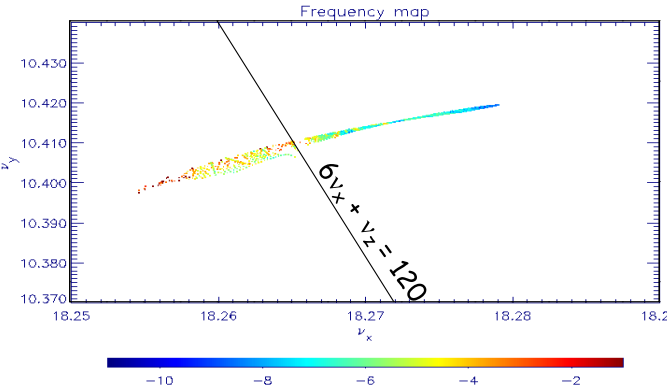
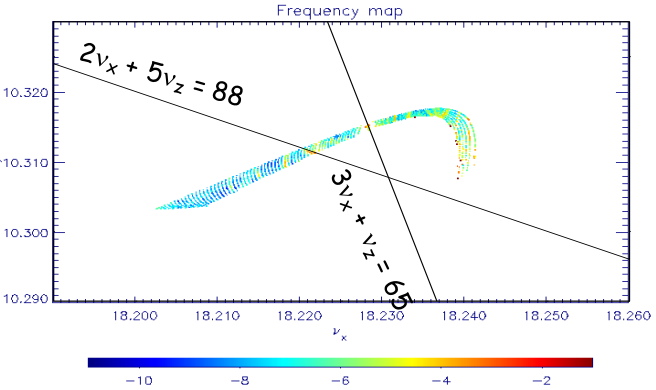
Confined high order or non-systematic resonances

Linear and non linear coupling resonances can be limitative

$\delta = -1\%$

$\delta = -6\%$

$\delta = 6\%$



Stable dynamics till -25mm in Horizontal

Stable dynamics except beyond

$6\nu_x + \nu_z = 120$ where it starts to be chaotic

The dynamic aperture can be reduced both in vertical and horizontal because of the diffusion on the 5th order node

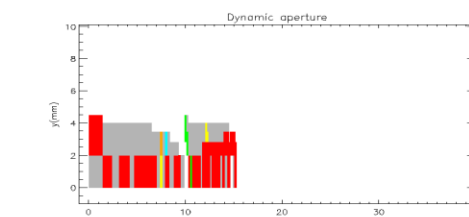
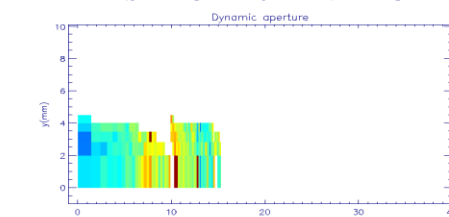
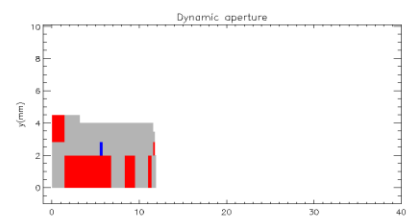
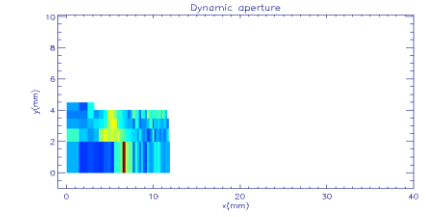
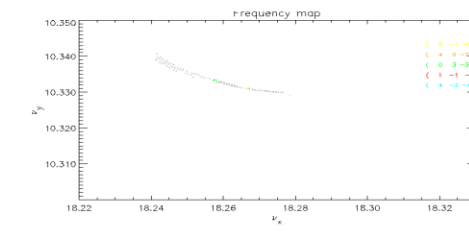
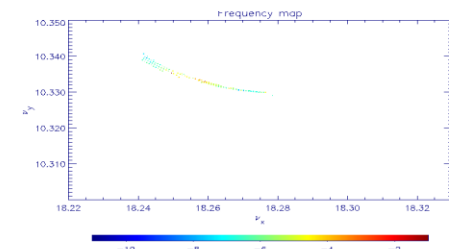
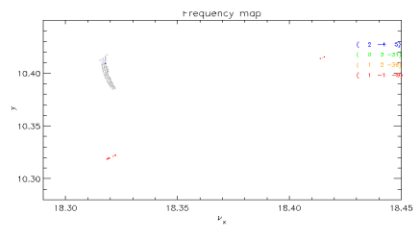
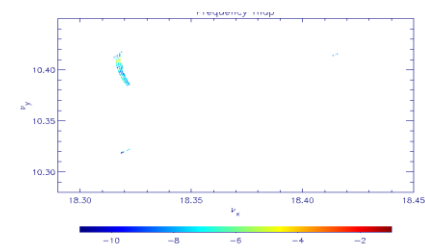
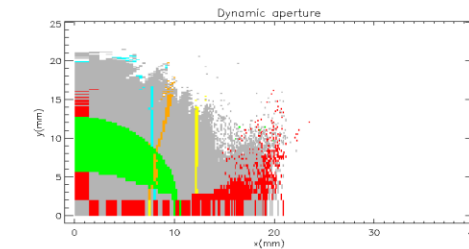
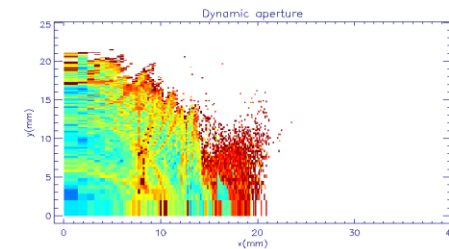
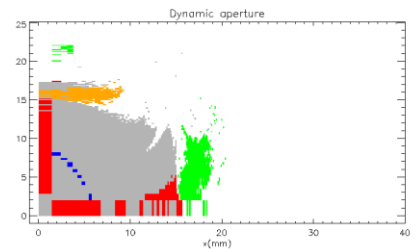
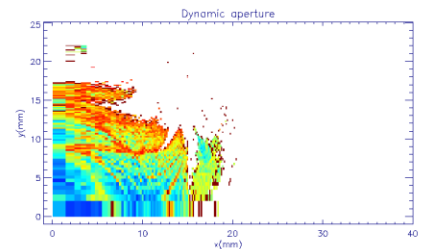
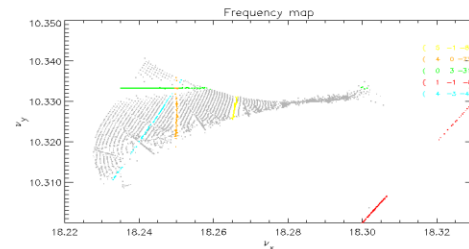
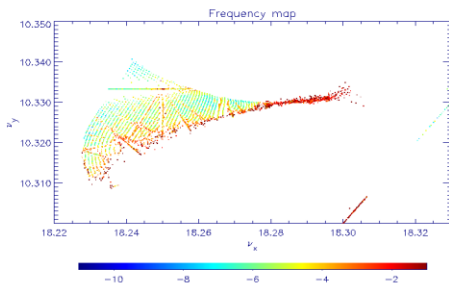
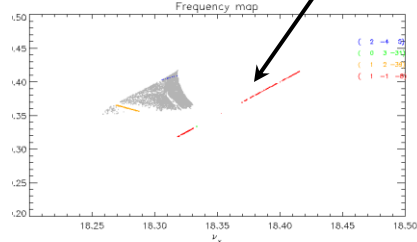
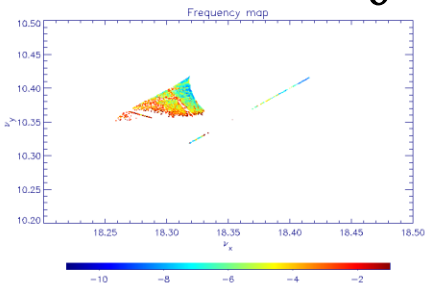
* Tracking in DESPOT

* The 0 for the amplitudes = the center of the machine

$v_x - v_z = 8$

$\delta = 5\%$

$\delta = 3\%$



* Tracking in TRACY

* The 0 for the amplitudes = the closed orbit

Nothing remains above the crazy $3v_z = 31$

JUST HAVE A LOOK WHEN ADDING A NEW KIND OF ERRORS

Multipolar components

A set of **56 H** Correctors, **56 V** correctors and **32 QT** is activated to correct the horizontal closed orbit (without taking into account the residual closed orbit)

The multipolar components (up to **22 pôles**) have been defined using the field map generated by TOSCA 3D code

The particles have been tracked when including the worsen set in terms of lifetime among a statistique of ~ 30 sets

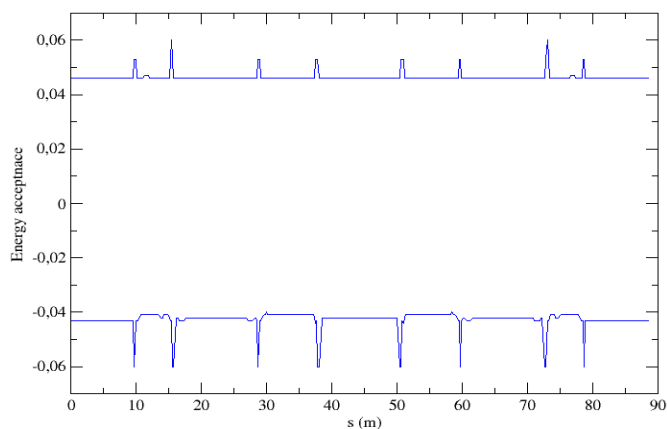
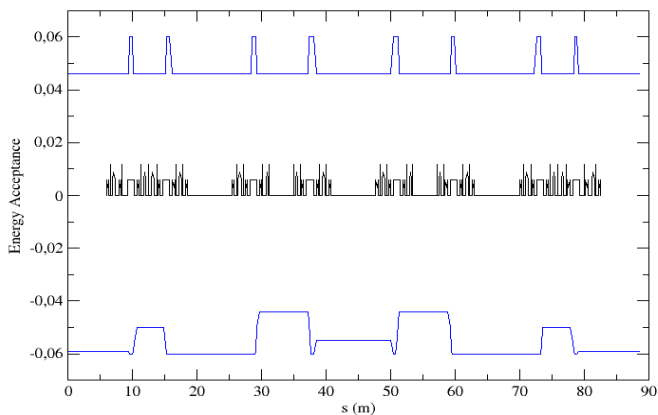
	----- Normal	-----skew	@35mm $\Delta B/B$
Decapôles	+		0.043
	-		
14-pôles	+		0.063
	+		
22 pôles	-		0.037
	+		

For H and V correctors

Octupole @35mm $\Delta B/B$
-0.68

For QT

4D Touschek lifetime calculations



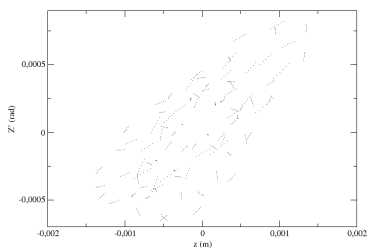
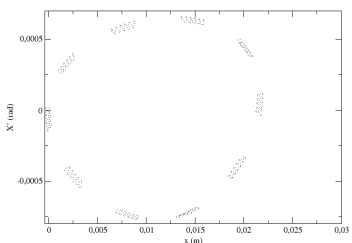
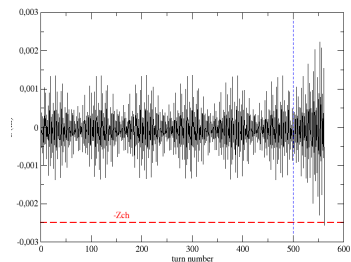
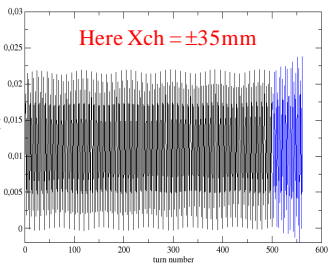
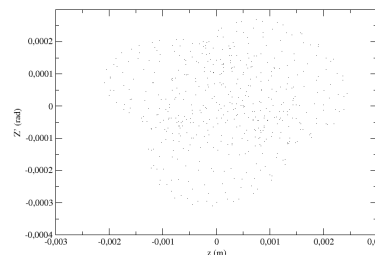
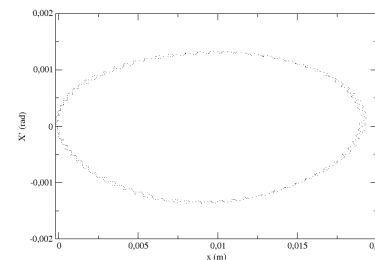
	τ_p (h)	τ_n (h)	τ_{Tot} (h)
without	72	45	55
with	33	43	37

Reference Lattice (without Correctors)

Lattice with the worsen set of correctors

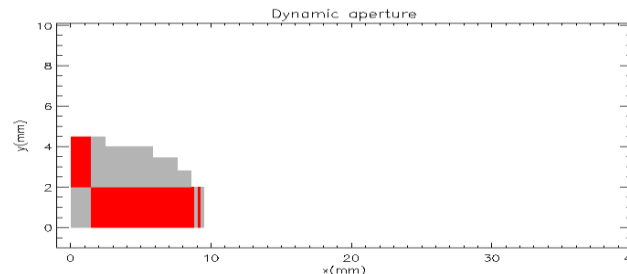
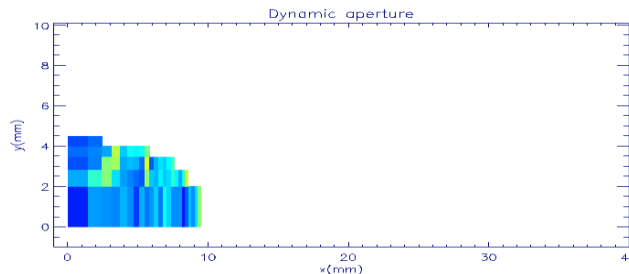
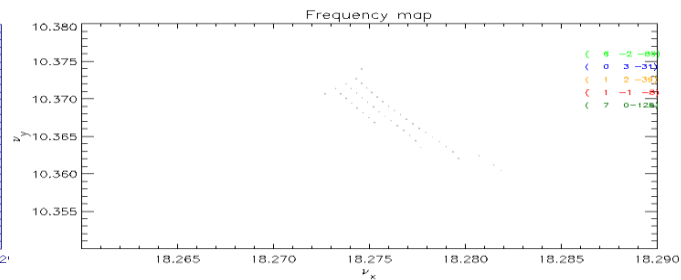
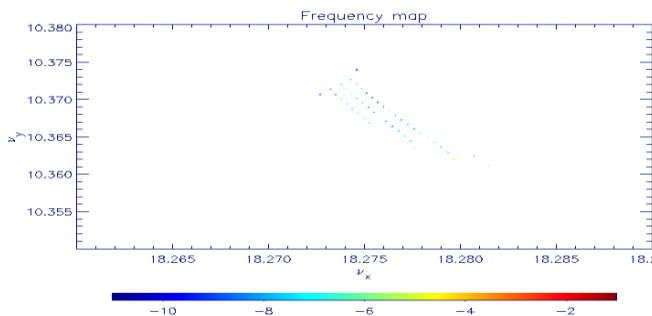
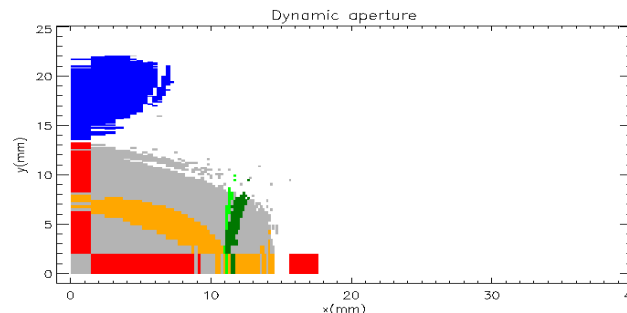
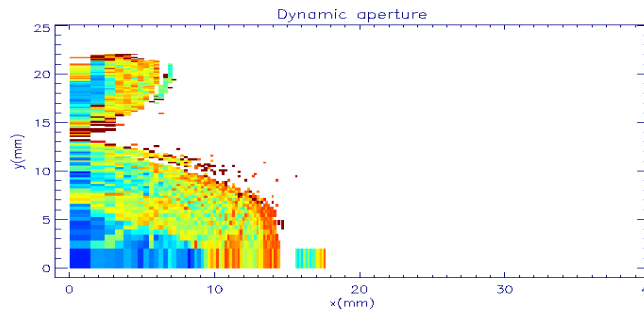
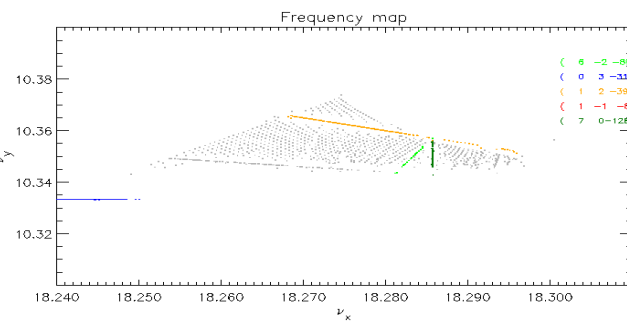
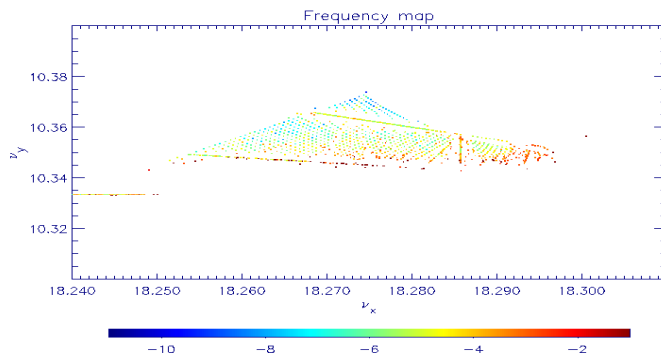
At the loss location (minigap)

At s=0



optics 2: (18.2, 10.3)
1.88% coupling +
the worsen set of correctors
among 30 sets

$$\delta = 4\%$$

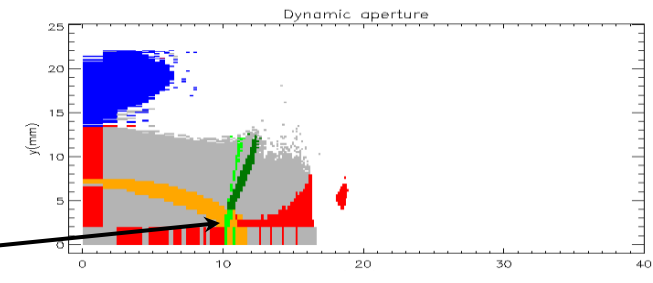
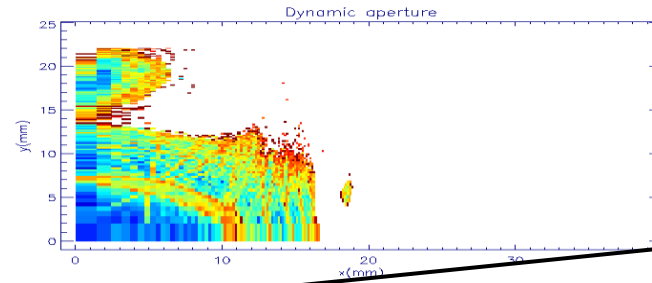
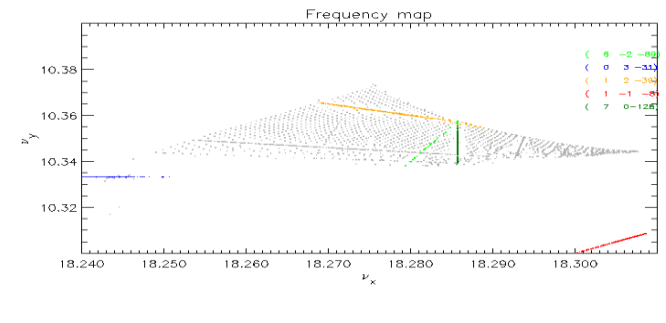
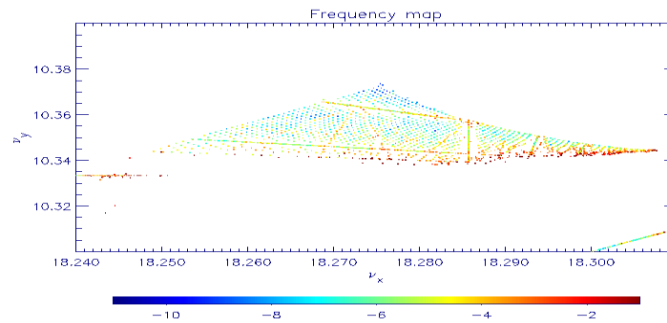


Nothing remains above
the non linear coupling
resonance
 $\nu_x + 2\nu_z = 39$

* Tracking in TRACY

* The 0 here = the closed orbit

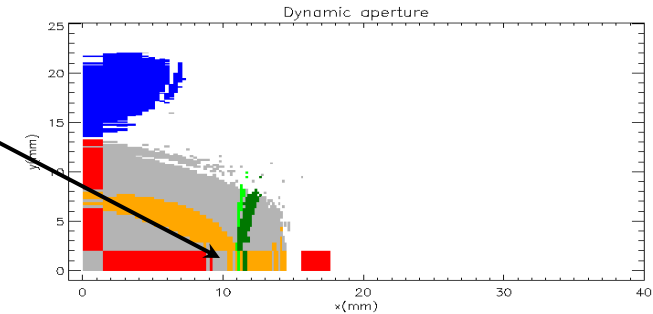
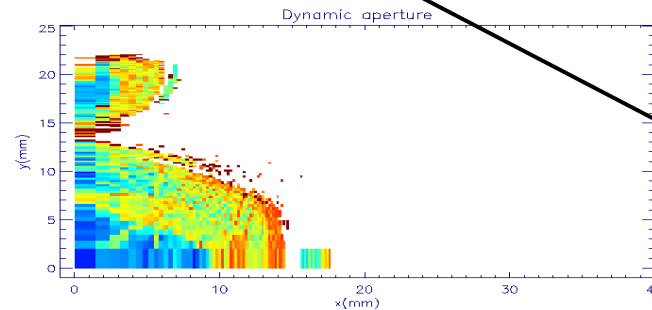
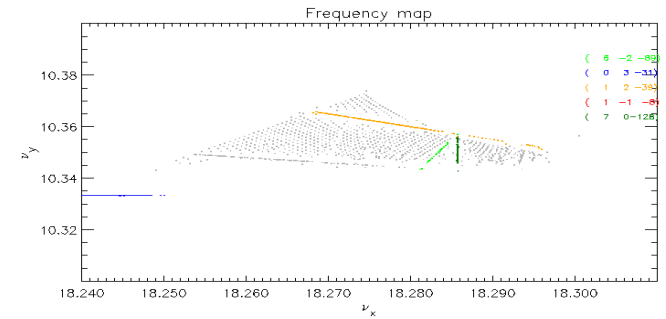
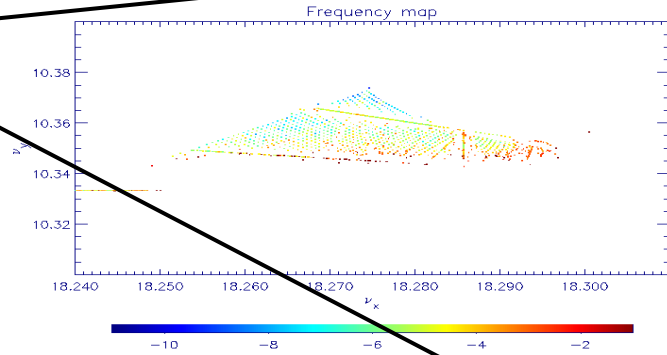
Without correctors



The node

$6\nu_x - 2\nu_z = 89$ $\nu_x + 2\nu_z = 39$

$7\nu_x = 128$ is very dangerous



With correctors

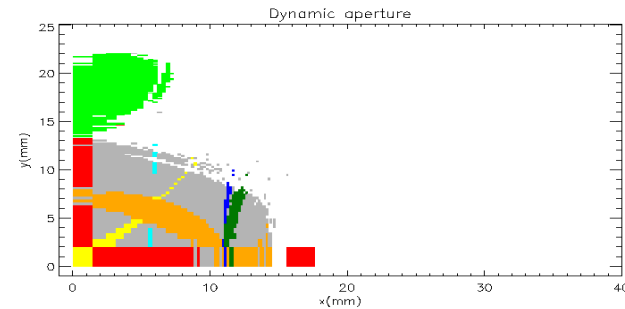
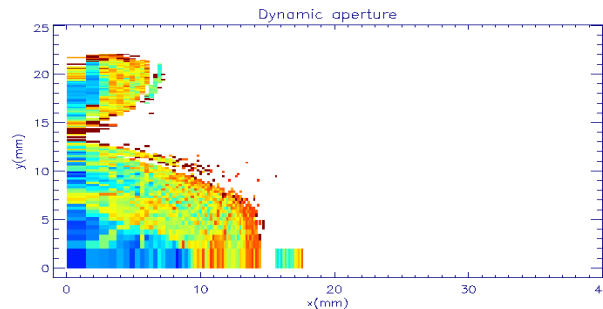
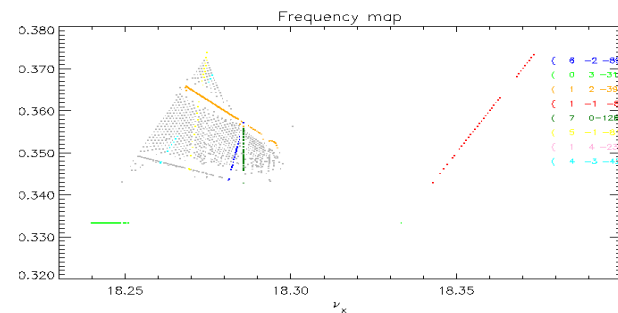
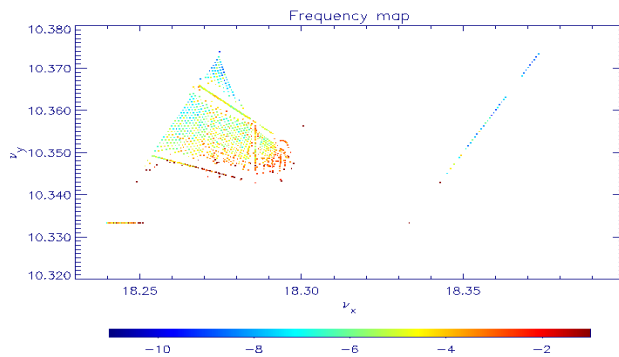
* Tracking in TRACY

* The 0 here = the closed orbit

$\delta = 4.5\%$

With correctors

Without vacuum chamber



With vacuum chamber

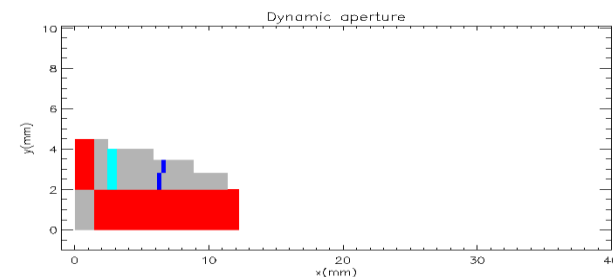
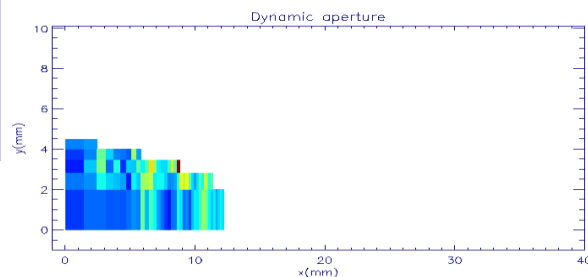
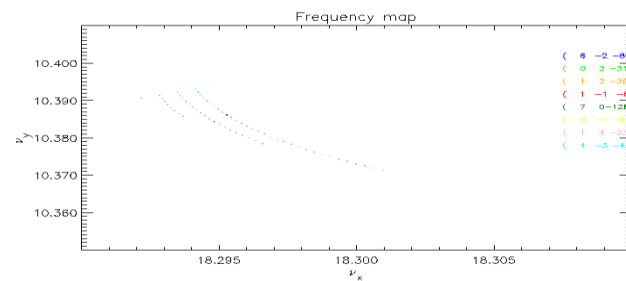
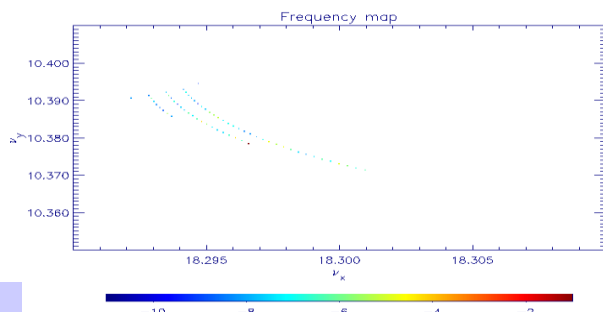
The node

$$6\nu_x - 2\nu_z = 89 \quad \nu_x + 2\nu_z = 39$$

$7\nu_x = 128$ is very dangerous

Nothing remains above the non linear coupling resonance

$$\nu_x + 2\nu_z = 39$$



* Tracking in TRACY

* The 0 here = the closed orbit

Recomandations for the working point (18.2, 10.3)

Considering only 4D calculations in terms of frequency maps and Touschek lifetime (in the conditions described before), one has to:

- * Move slightly the working point in order to avoid the node ($v_x - 4v_z = -23$ & $v_x + 6v_z = 80$)
- * Try to avoid the $3v_x + v_z = 65$ for on momentum particles.
- * Not consider far enough from third order vertical resonance
- * **Not neglect the effects of non linear coupling resonances (especially $v_x + 2v_z = 39$)**

And by the way:

- * Look more carefully at the coupling generated randomly by rotating the quadrupoles in TRACY correct it after verification and repeat the calculations

But one has to note that in 6D calculations where synchrotron oscillations and radiation are taken into account, some resonances which were dangerous in 4D can be avoided and others which were not become dangerous, so this has to be considered when defining a good working point.

Conclusion

In 3rd generation light sources with dispersion distributed everywhere and low gap insertion devices where Touschek scatterings are dominant

One has to optimise jointly the tune shift with amplitude and with energy such as $v_x=f(x)$ and $v_z=f(z)$ for a fix energy deviation δ never cross each other (never encounter the coupling resonance**).**

The crossing does not occur before the possible induced amplitude at this value of δ .

This has to be verified for all energy deviations δ in the range of the desirable energy acceptance ($\pm 6\%$ for example).

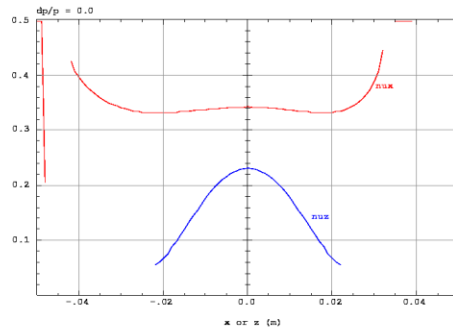
This, of course, does not prevent **adverse effects of non linear coupling resonances**

Frequency Map Analysis is a powerful tool in the design phase of a machine

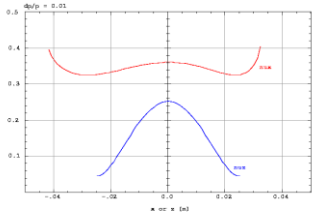
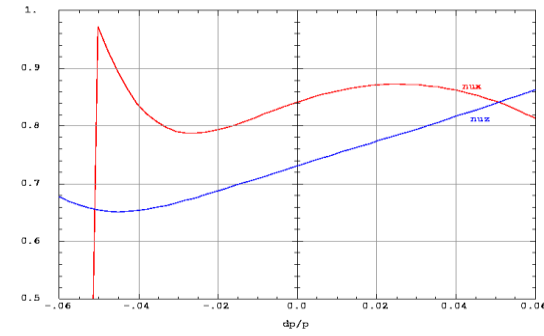
Annexes

Tune shift with amplitude

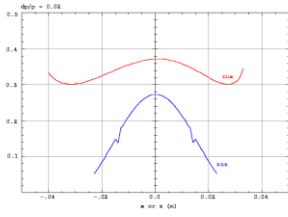
BESSY II



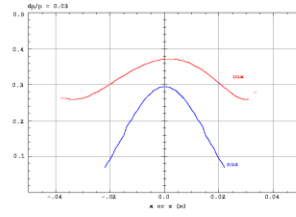
Tune shift with energy



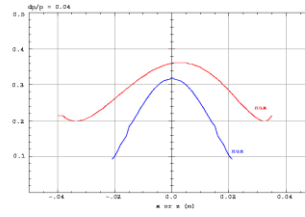
$\delta = 1\%$



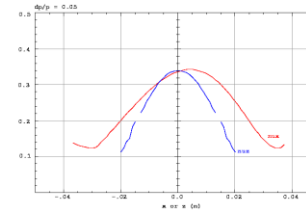
$\delta = 2\%$



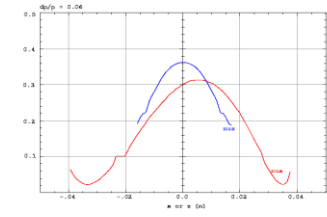
$\delta = 3\%$



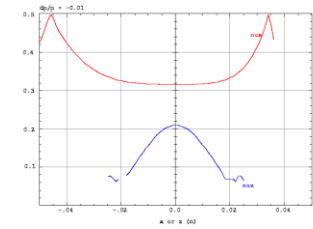
$\delta = 4\%$



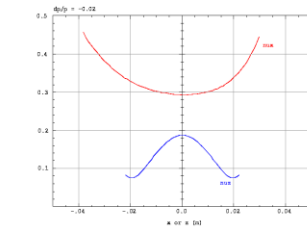
$\delta = 5\%$



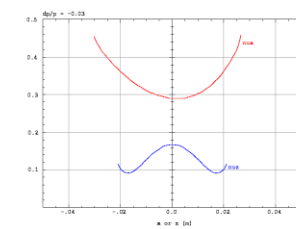
$\delta = 6\%$



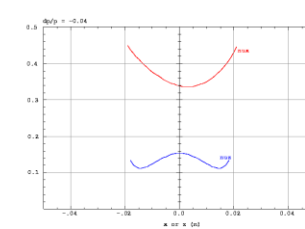
$\delta = -1\%$



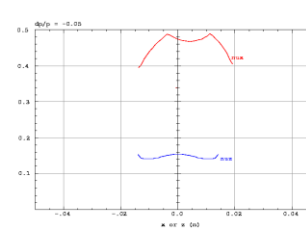
$\delta = -2\%$



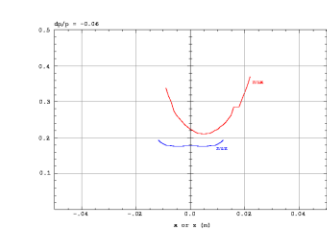
$\delta = -3\%$



$\delta = -4\%$



$\delta = -5\%$



$\delta = -6\%$

$(\nu_x, \nu_z) = (17.84, 6.73)$

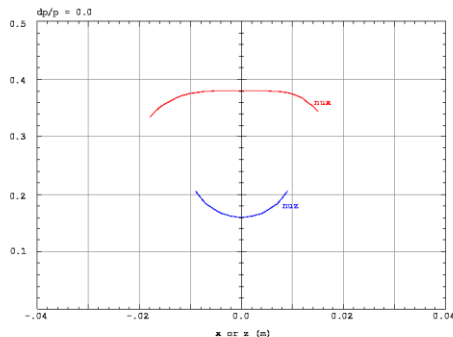
$(\xi_x, \xi_z) = (2, 2)$

$(\beta_x, \beta_z) = (14\text{m}, 3.4\text{m})$

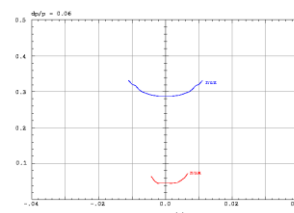
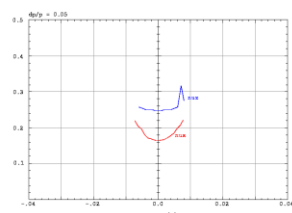
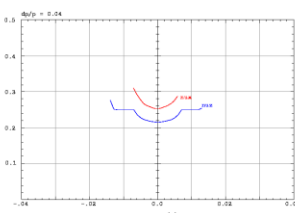
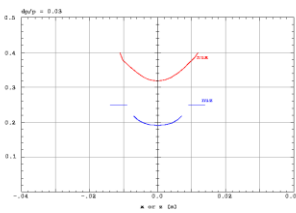
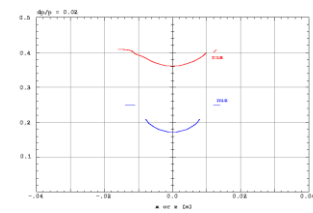
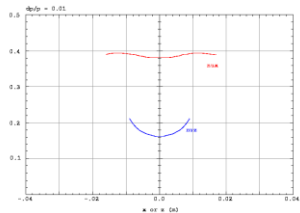
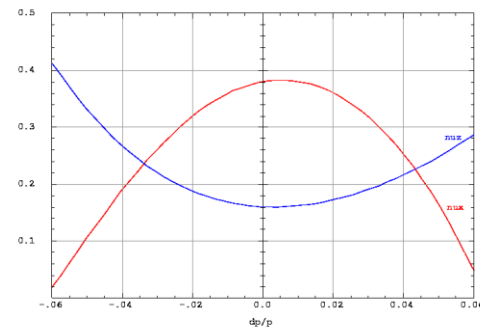
Stability on
1026 turns

Tune shift with amplitude

SLS



Tune shift with energy



δ = 1%

δ = 2%

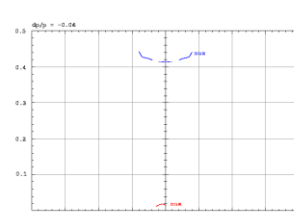
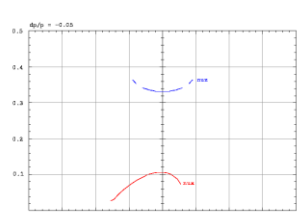
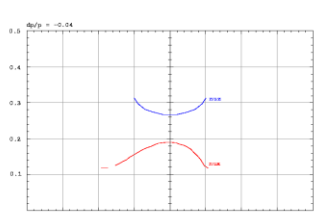
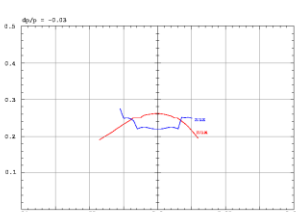
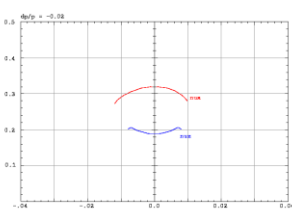
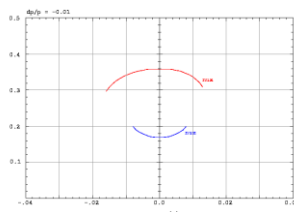
δ = 3%

δ = 4%

δ = 5%

δ = 6%

SLS Standard Operating Mode 003



δ = -1%

δ = -2%

δ = -3%

δ = -4%

δ = -5%

δ = -6%

$(\nu_x, \nu_z) = (20.38, 8.16)$

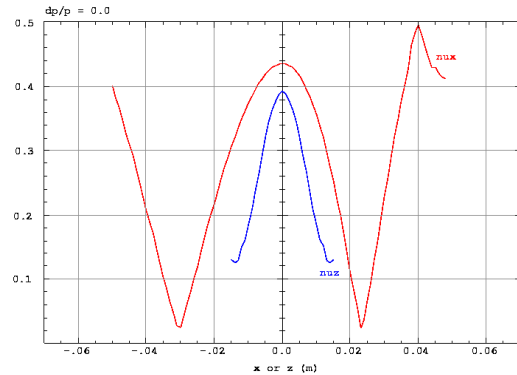
$(\xi_x, \xi_z) = (1.06, -0.3)$

$(\beta_x, \beta_z) = (4.56\text{m}, 3.73\text{m})$

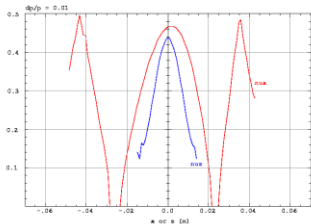
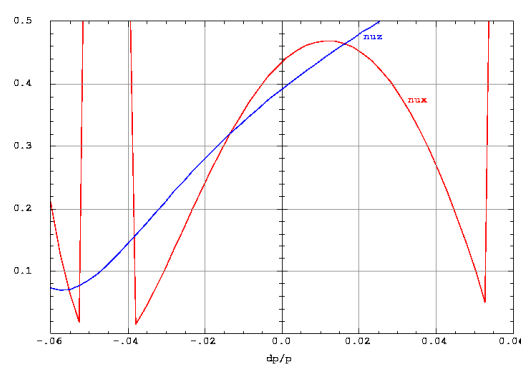
Stability on 1026 turns

Tune shift with amplitude

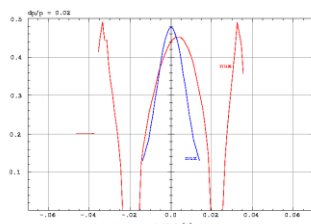
ESRF



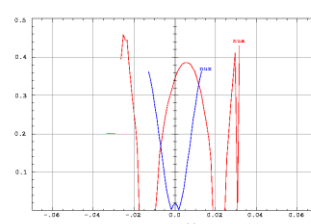
Tune shift with energy



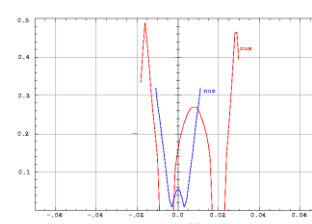
$\delta = 1\%$



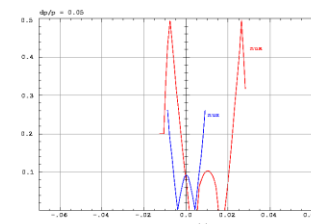
$\delta = 2\%$



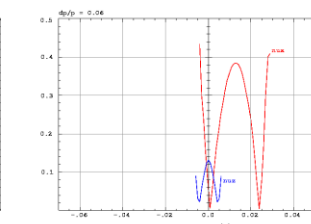
$\delta = 3\%$



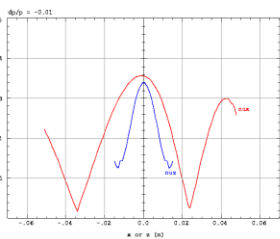
$\delta = 4\%$



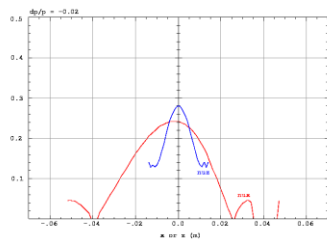
$\delta = 5\%$



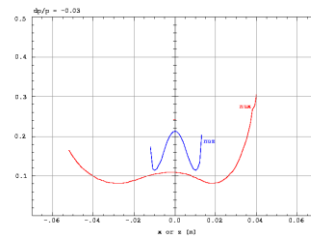
$\delta = 6\%$



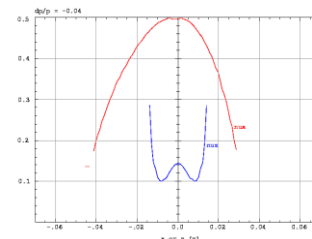
$\delta = -1\%$



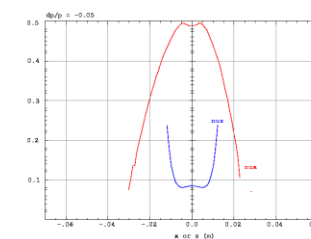
$\delta = -2\%$



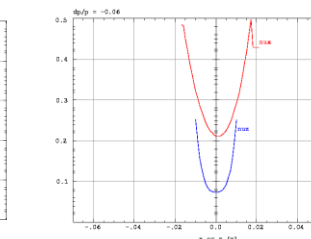
$\delta = -3\%$



$\delta = -4\%$



$\delta = -5\%$



$\delta = -6\%$

$(\nu_x, \nu_z) = (36.435, 14.39)$

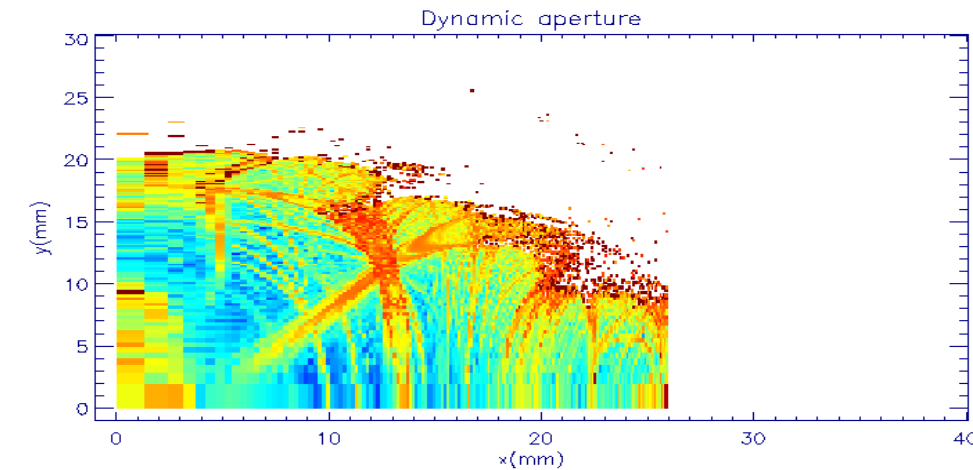
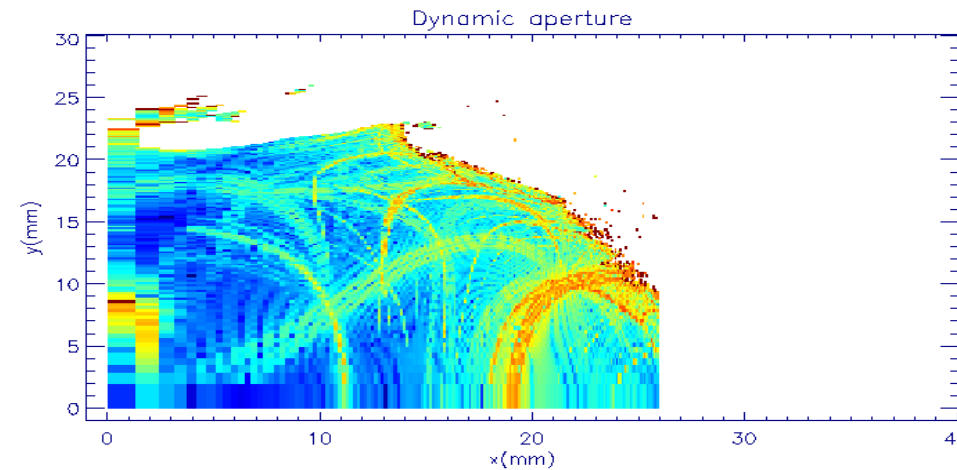
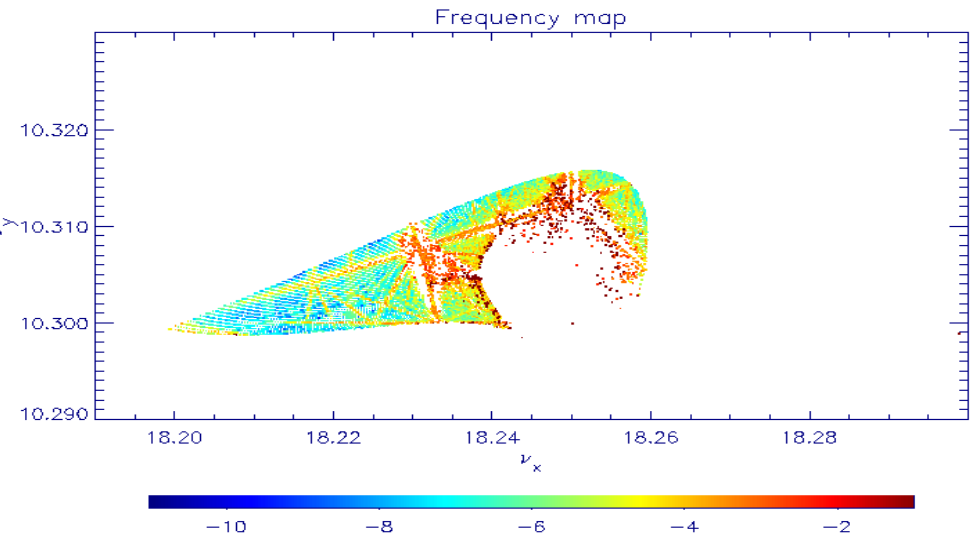
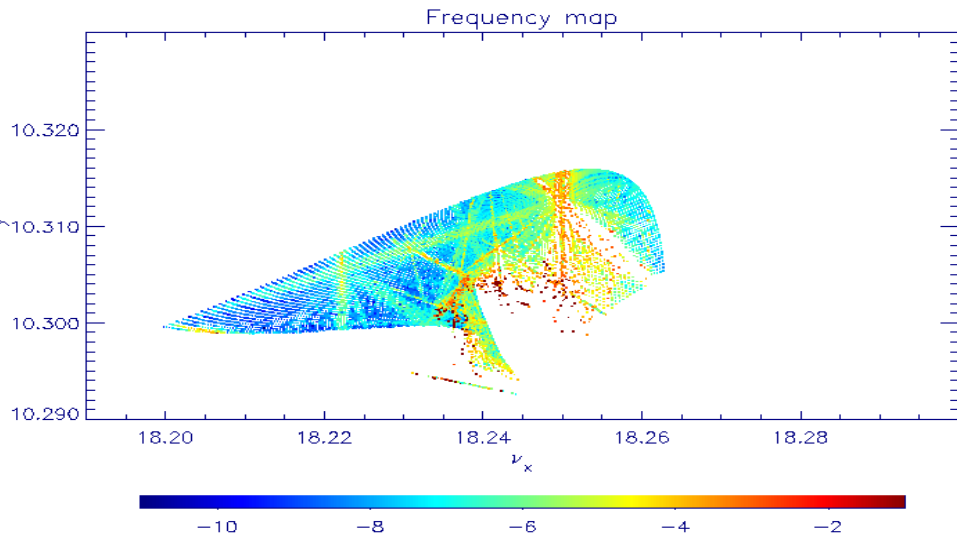
$(\xi_x, \xi_z) = (5.6, 4.8)$

$(\beta_x, \beta_z) = (35\text{m}, 2.5\text{m})$

**Stability on
1026 turns**

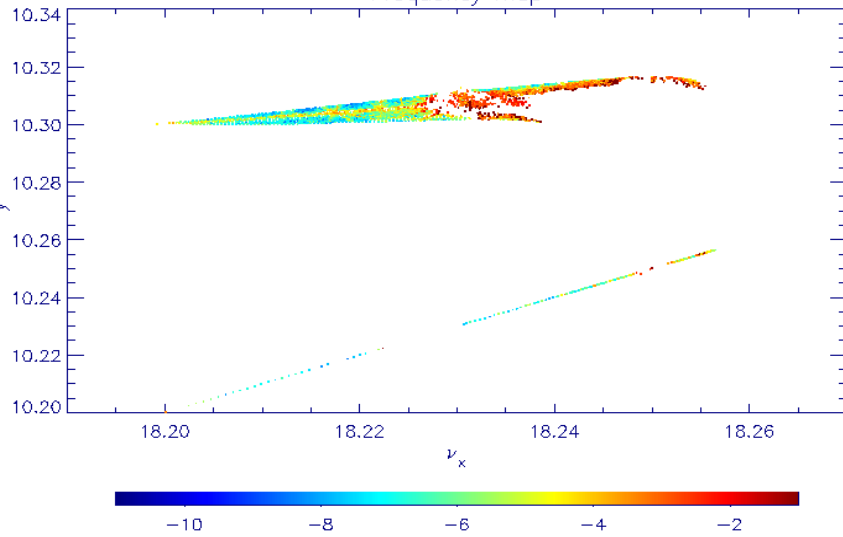
Ideal lattice

With 1% coupling

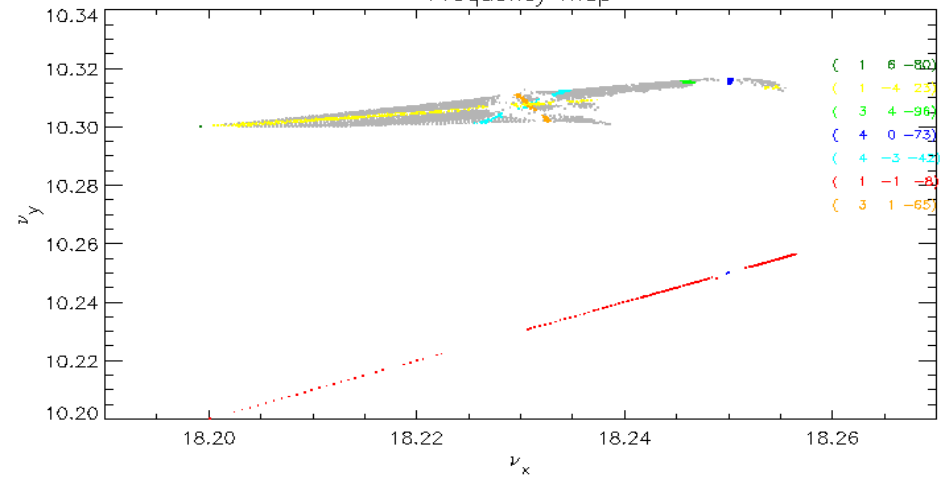


Reduction of the regular regions by enlarging certain existing resonances and by exciting new ones.

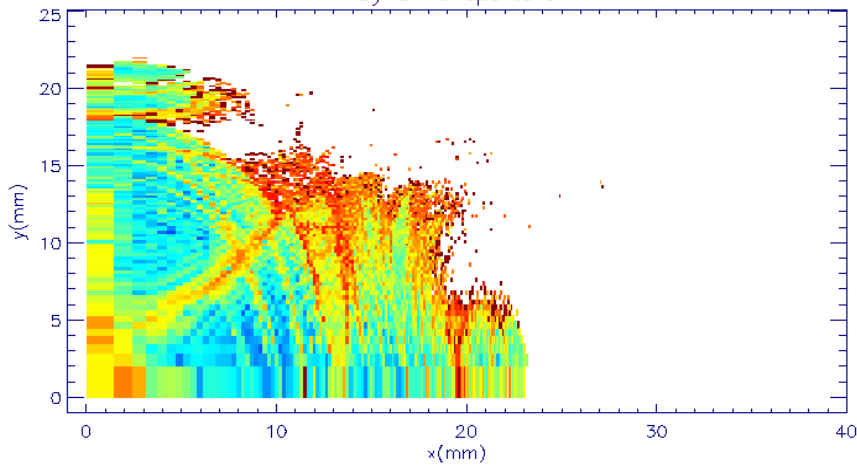
Frequency map



Frequency map



Dynamic aperture



Dynamic aperture

