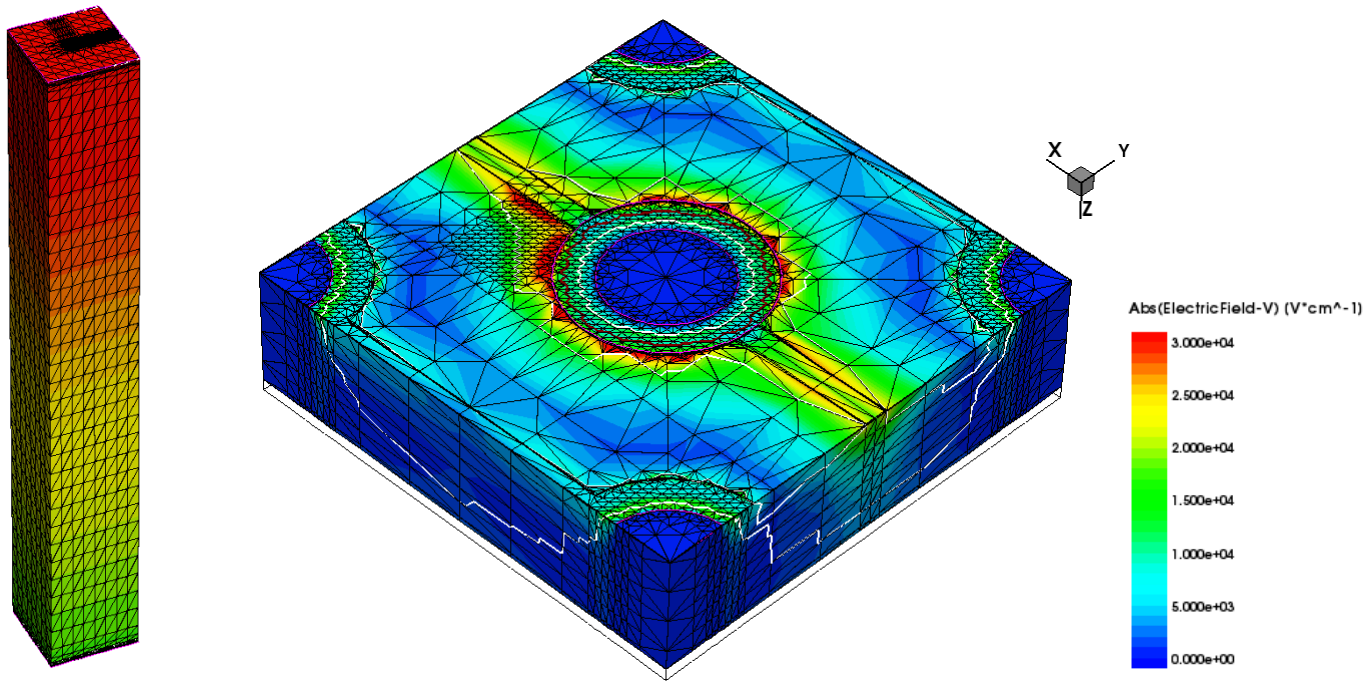


Non-uniform 3-level defect model & status of edge-TCT simulations

23rd RD50 Workshop
November 13th - 15th 2013

T. Peltola¹⁾, J. Härkönen¹⁾, T. Mäenpää¹⁾, P. Luukka¹⁾

¹⁾*Helsinki Institute of Physics, CMS Tracker Project.*



Outline

□ 3-level non-uniform defect model for Synopsys TCAD

- Motivation: proton model surface damage problems
- 3-level implementation: bulk vs surface region
- Comparison with SiBT measured CCE loss

□ Edge-TCT simulations of MSSD

- Non-irradiated:
 - Two approaches to observed $\Delta Q(z)_{\max}$ @ $V < V_{fd}$
 - Comparison with measurement @ $V > V_{fd}$
- Irradiated:
 - Neutrons: Simulation vs measured
 - Protons: 3-level model vs proton model

Non-uniform 3-level proton model

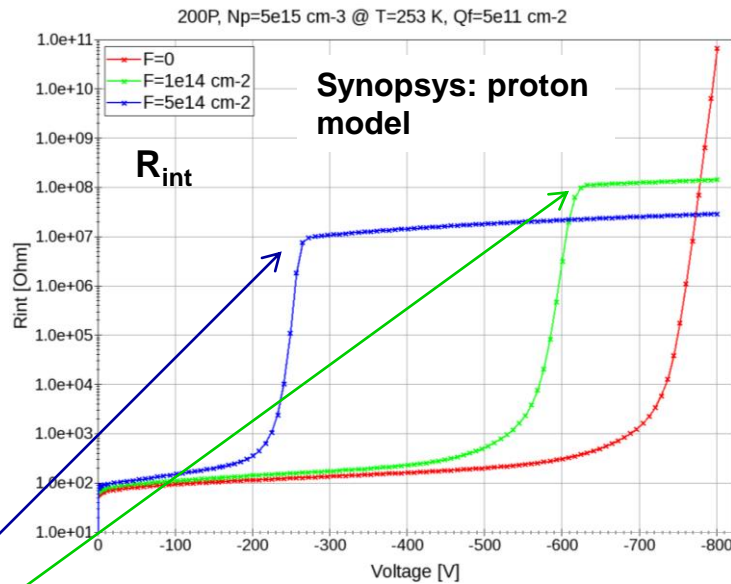
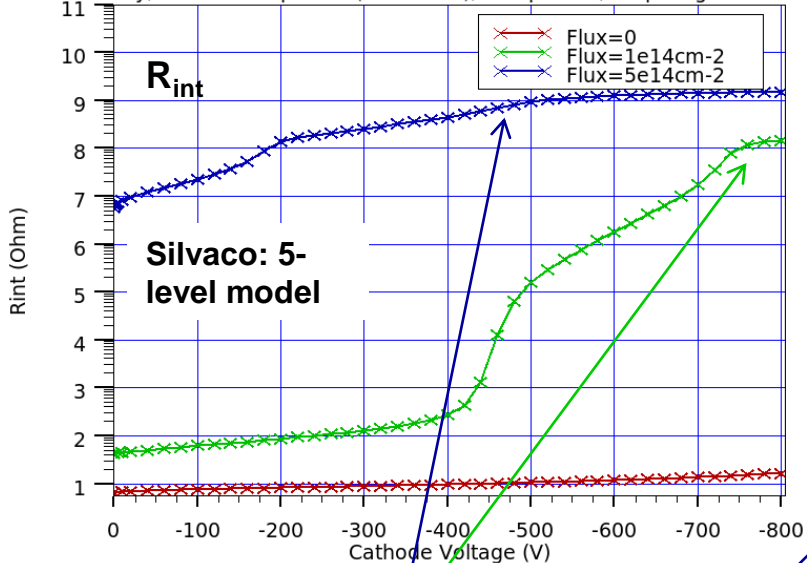


R_{int} : Synopsys proton model vs Silvaco 5-level model

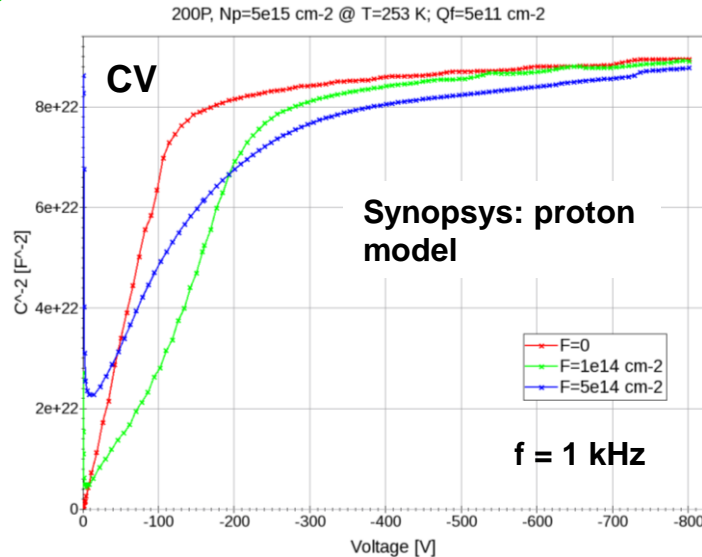


R_{int} for P-type strip sensor for $Q_f=5e11cm^{-2}$

Flux=vary, Double-Pstops HPK ($5e15cm^{-3}$), Temp-253K, Strip length=1cm



- 5-level model:
 - Value of R_{int} increases with fluence
 - Isolation at $V=0$ for high fluence
- Proton model:
 - Value of R_{int} decreases with fluence
 - Some compensation for inversion layer electrons → isolation at lower V with higher fluence, but no isolation at $V_{abs} < 200$ V → **No match with measurements**
- Significant differences to measurements also in C_{int} and CCE loss between the strips for high oxide charges



➡ Proton model requires further tuning to model surface damage of a real detector

Proton model tuned by a shallow acceptor level

□ 3-level model uniform concentration in Si bulk

Levels from Petasecca defect model for p-type [1]

Level [eV]	σ_n [cm ⁻²]	σ_p [cm ⁻²]	Intro. rate [cm ⁻¹]
$E_C - 0.42$	$2e-15$	$2e-14$	1.613

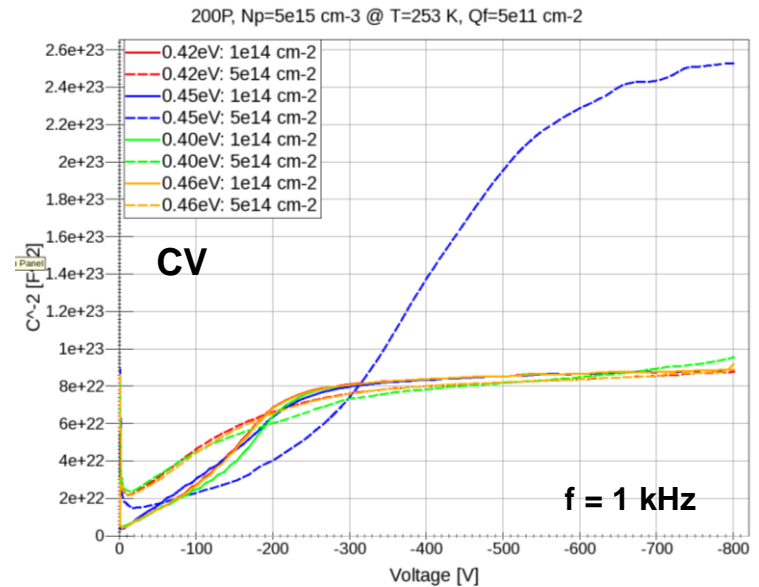
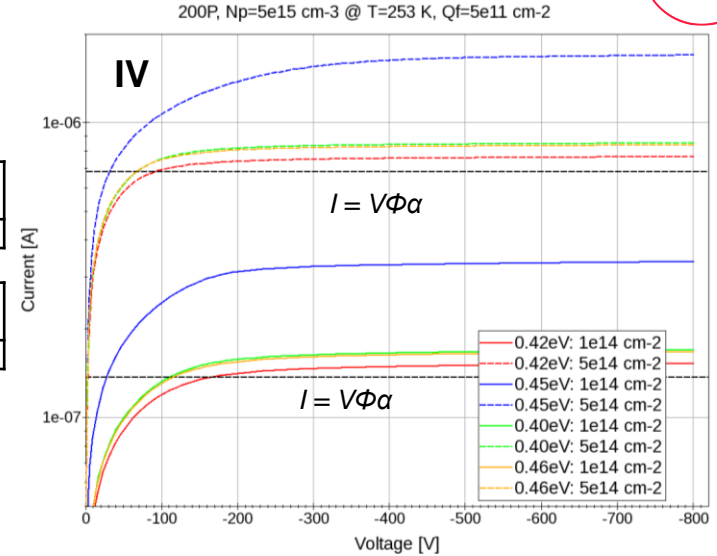
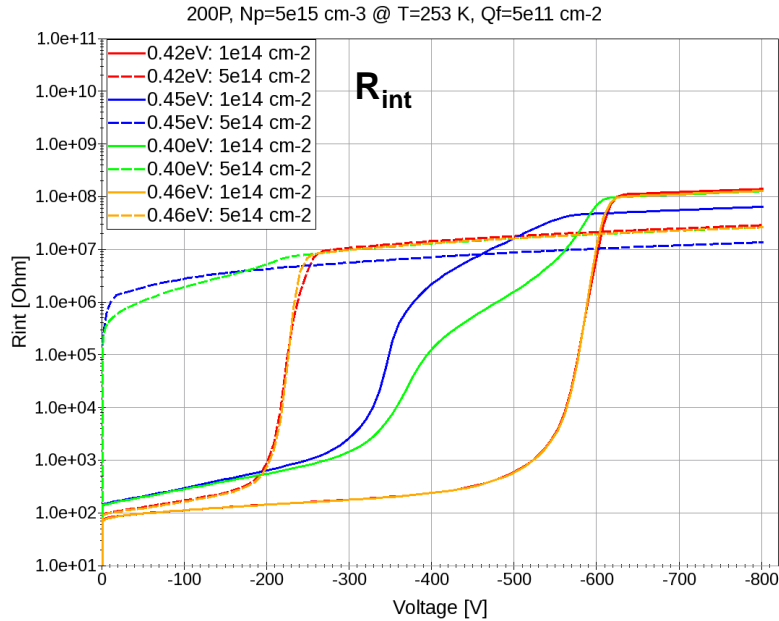
Level [eV]	σ_n [cm ⁻²]	σ_p [cm ⁻²]	Intro. rate [cm ⁻¹]
$E_C - 0.46$	$5e-15$	$5e-14$	0.9

Levels from DU 5-level defect model

Level [eV]	σ_n [cm ⁻²]	σ_p [cm ⁻²]	Intro. rate [cm ⁻¹]
$E_C - 0.45$	$8e-15$	$2e-14$	40

Level [eV]	σ_n [cm ⁻²]	σ_p [cm ⁻²]	Intro. rate [cm ⁻¹]
$E_C - 0.40$	$8e-15$	$2e-14$	40

Provides isolation, correct V_{fd} and ~correct I_{leak} @ $F = 5e14$ cm⁻²

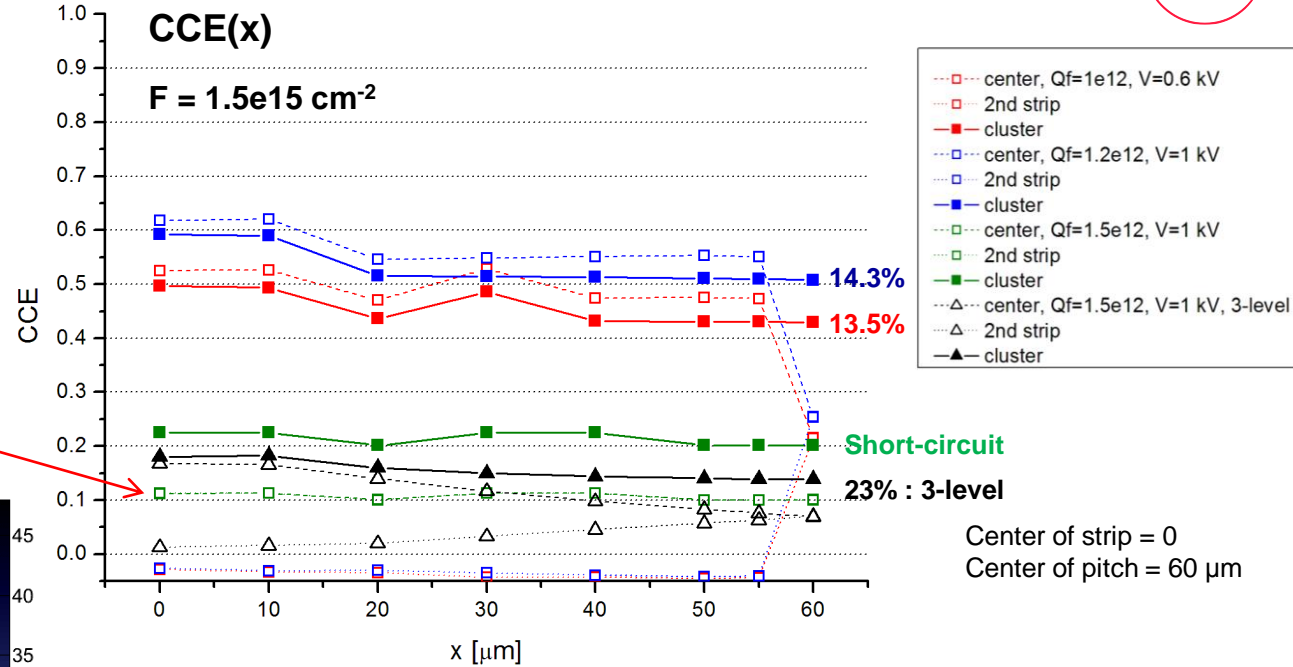


[1] M. Petasecca et al. NIM A 563 (2006) 192-195.

CCE-scans for proton model & 3-level model ($E_c - 0.4$ eV)

Constant dose, varied Q_f :
 □ 200P device, region 5
 □ Double p-stop $N_p = 1e16$ cm⁻³, width = 4 μm, depth = 1.5 μm, spacing = 6 μm

Proton model:
 □ CCE loss @ $Q_f = 1.2e12$ cm⁻² ~15%
 → half of measured loss
 □ At $Q_f = 1.5e12$ cm⁻² charge sharing between strips is equal
 → no isolation



Center of strip = 0
 Center of pitch = 60 μm

3-level model uniform concentration in the Si bulk:
 □ Isolation at $Q_f = 1.5e12$ cm⁻²: Improved CCE loss, significantly deteriorated absolute CCE values

□ SiBT measured CCE loss between the strips (center of the pitch) @ $\Phi = 1.5e15$ cm⁻²: ~30%

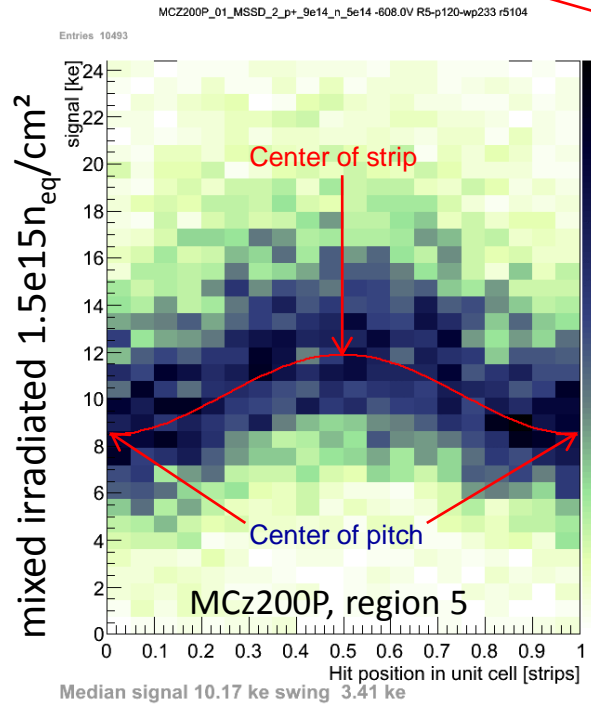
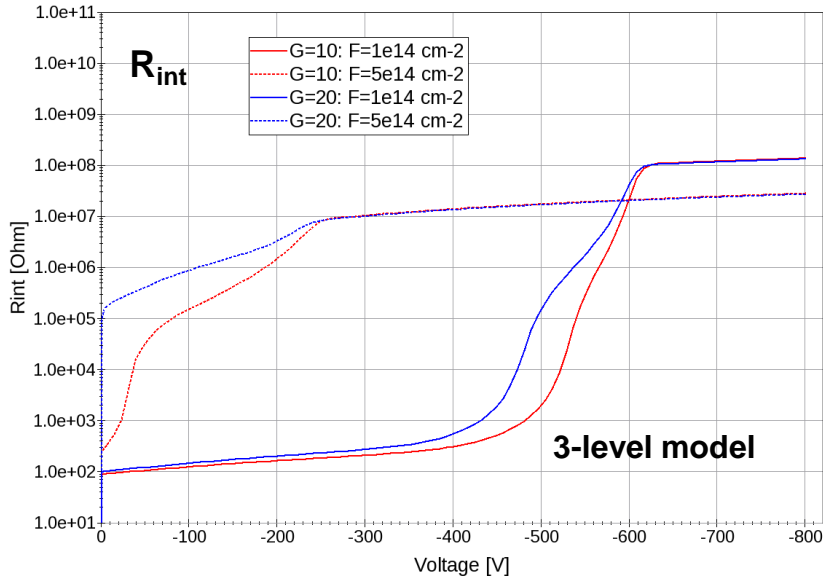


Figure: T. Mäenpää (2013)

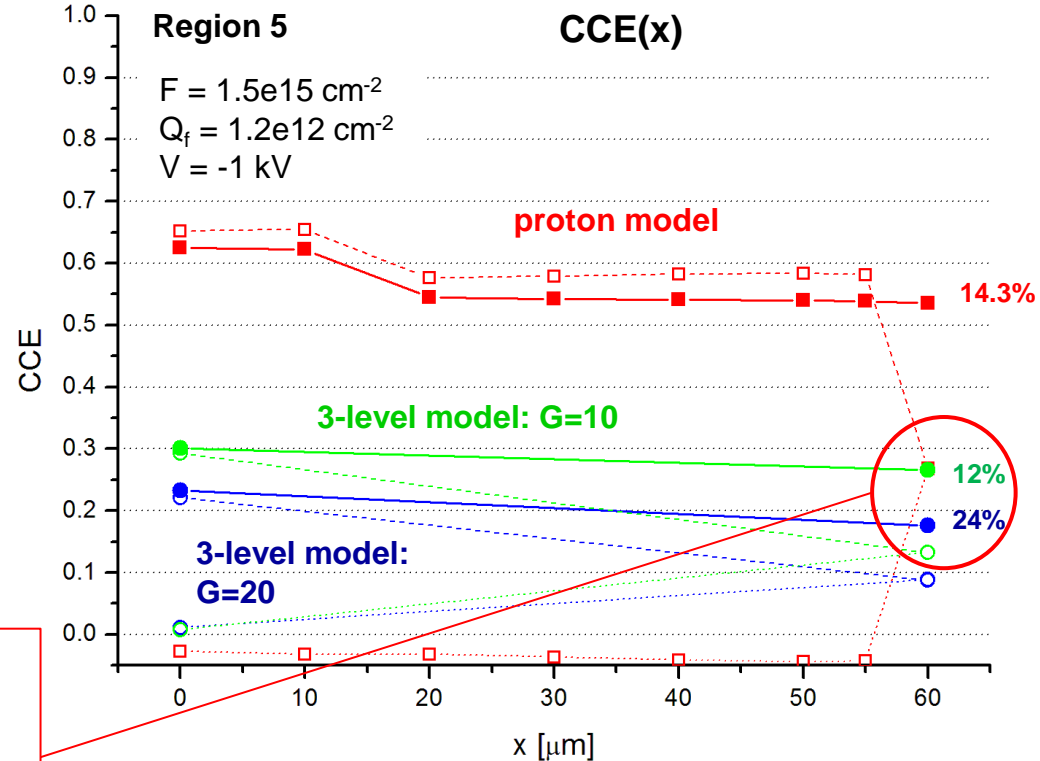
3-level model: E_c - 0.4 eV level tuning

- Current intro rate G varied to find matching CCE with original model
- $G = 20$: R_{int} has high values at $V=0$

200P, $N_p=5e15$ cm-3, $E_c=0.4$ eV @ $T=253$ K, $Q_f=5e11$ cm-2



- 3-level model uniform concentration in the Si bulk



- CCE loss has negative space charge dependence: better radiation damage induced strip isolation \rightarrow larger CCE loss between the strips
- In addition to inversion layer electrons, also signal electrons experience compensation by the radiation induced negative space charge

- Shallow level concentration decreases: higher CCE, lower CCE loss between strips, lower isolation

\Rightarrow 3-level model implementation throughout the Si bulk not succesful \rightarrow new approach needed

3-level model exclusively close to detector surface

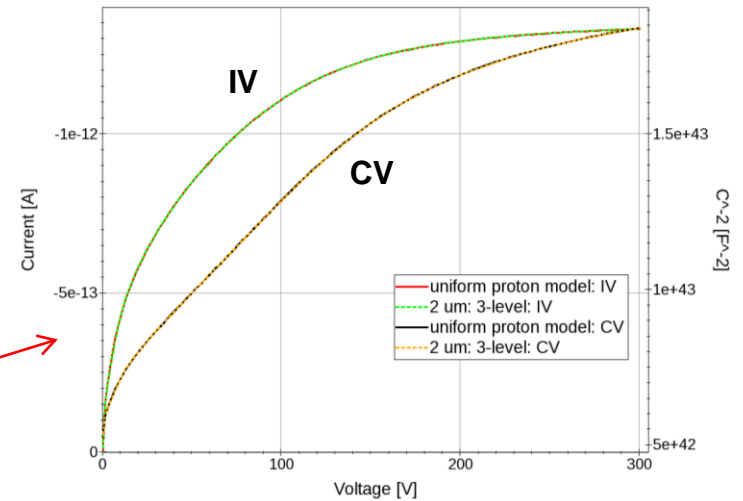
Proton model tuned w/shallow acceptor level = 3-level model

Proton model

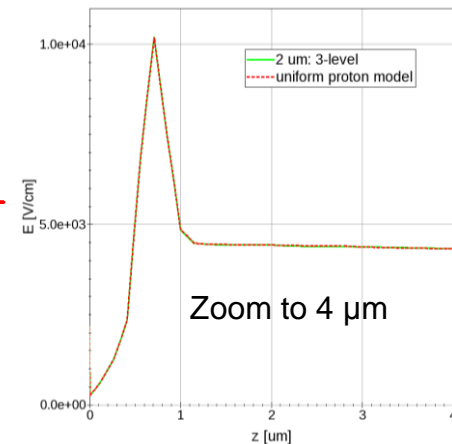
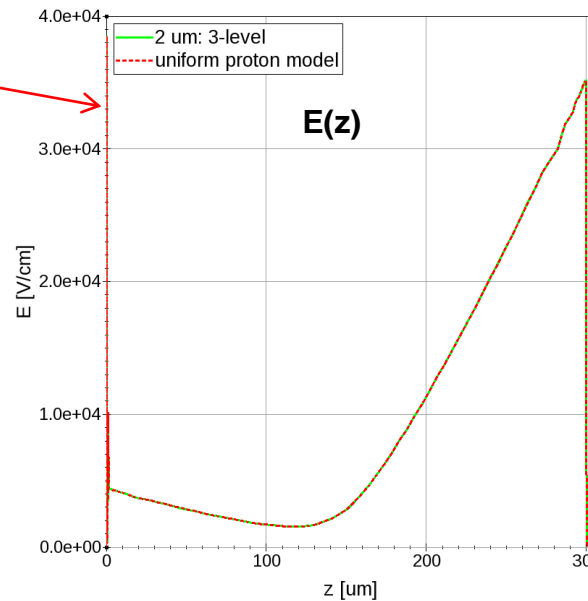
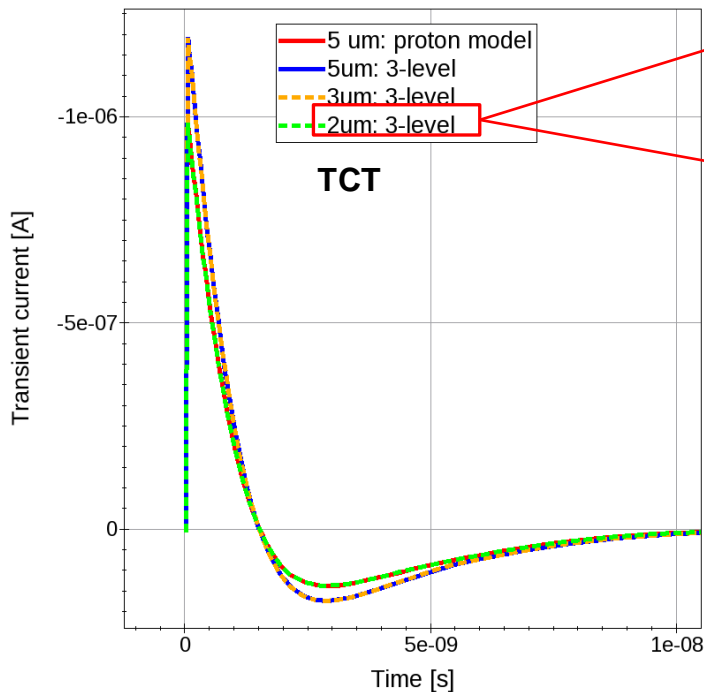
Type of defect	Level [eV]	σ_e [cm ²]	σ_h [cm ²]	Concentration [cm ⁻³]
Deep acceptor	$E_C - 0.525$	1e-14	1e-14	$1.189 * F + 6.454e13$
Deep donor	$E_V + 0.48$	1e-14	1e-14	$5.598 * F - 3.959e14$
Shallow acceptor	$E_C - 0.40$	8e-15	2e-14	$40 * F$

- Observed non-uniformity of c_{ox} is modeled by non-uniform defect distribution
- Region 1 (next to surface): 3-level model, region 2 (Si bulk): proton model
- 3-level model in region 1 with $d = 2 \mu\text{m}$: perfect match to proton model for CV, IV, TCT and $E(z)$

n-type pad @ $F=5e14 \text{ cm}^{-2}$, $T=253 \text{ K}$

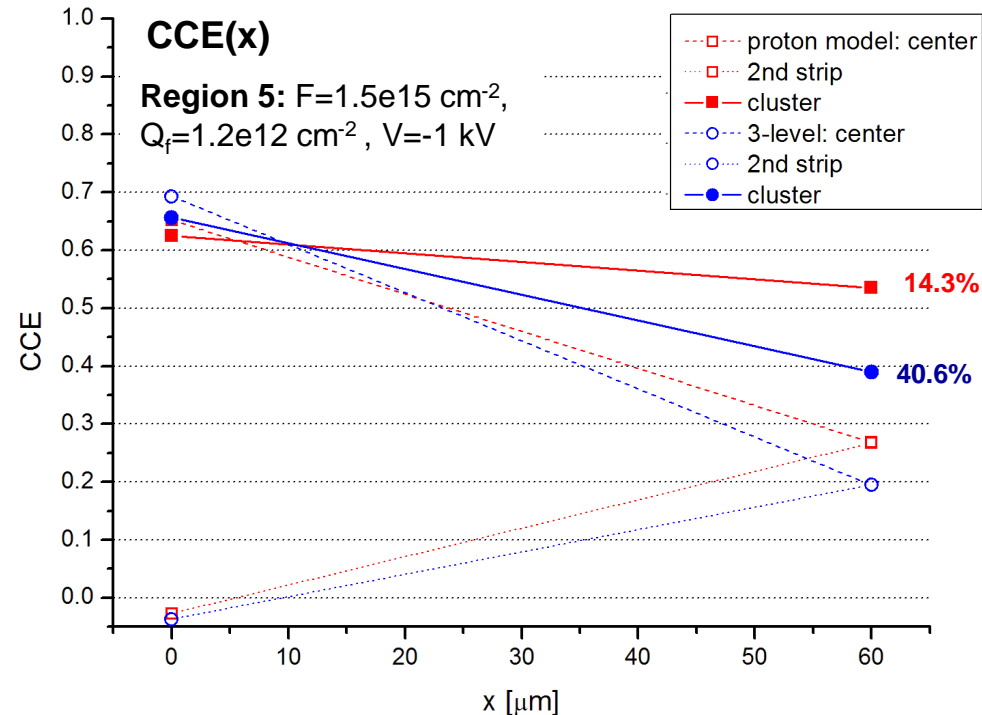
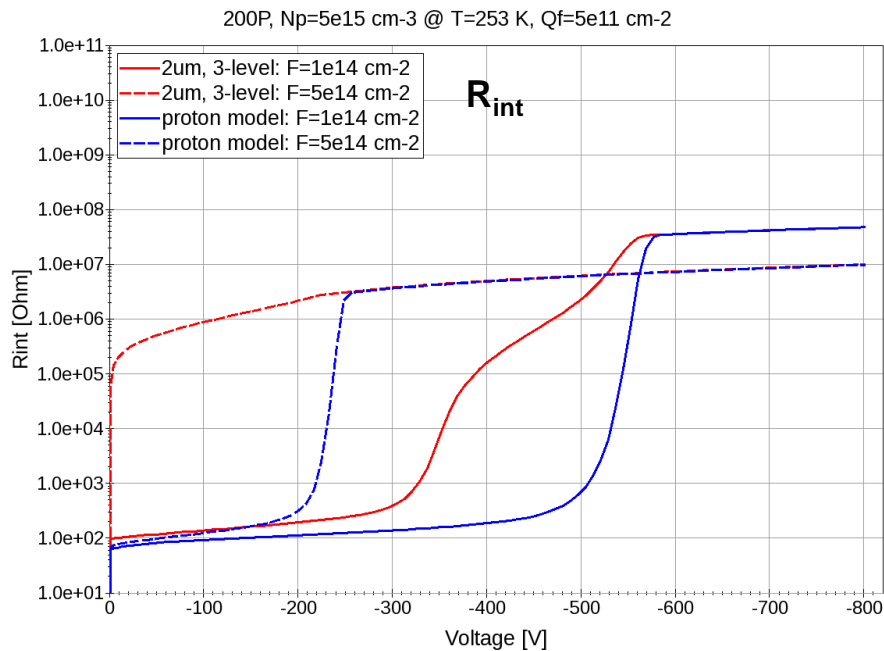


n-type pad @ $F=5e14 \text{ cm}^{-2}$, $T=253 \text{ K}$



3-level model in region 1 ($d=2 \mu\text{m}$): R_{int} & CCE-scan

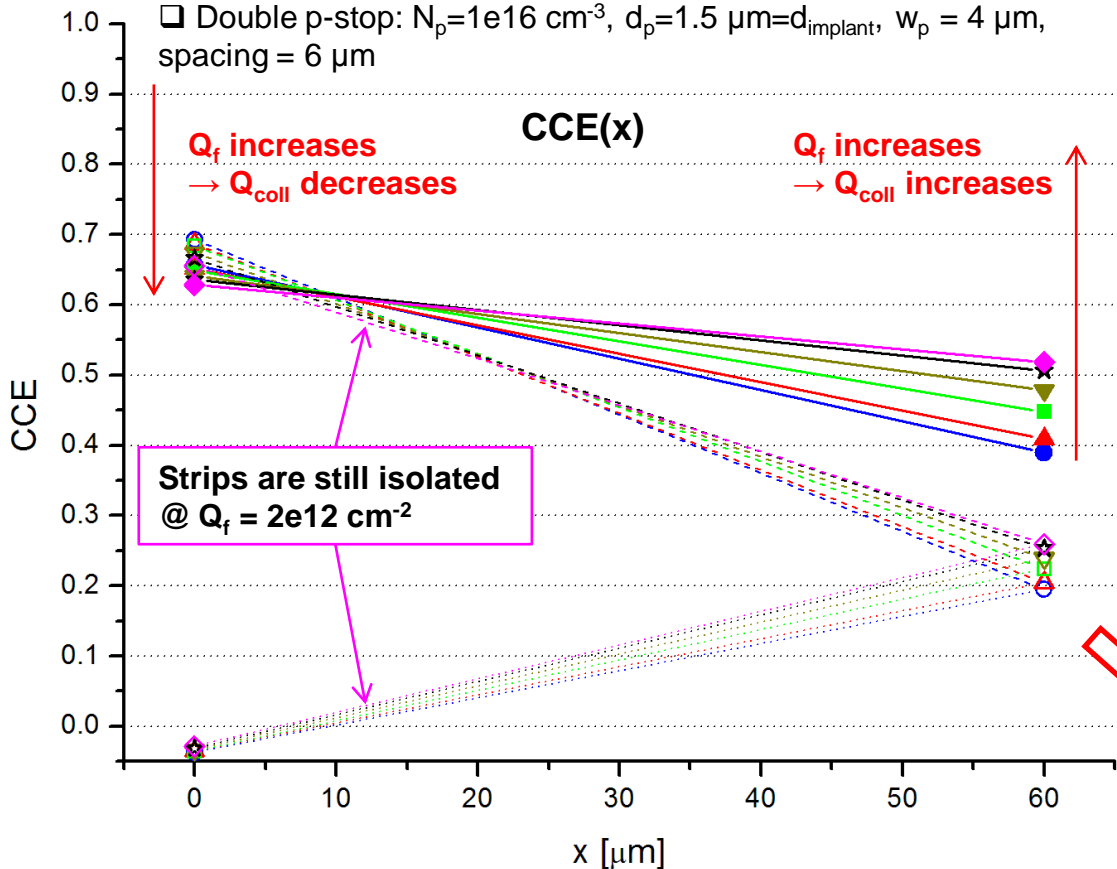
- ❑ Strips are isolated at $V=0$ for $F=5e14 \text{ cm}^{-2}$ as in DU 5-level model
- ❑ Difference to 5-level model: R_{int} decreases with increased fluence



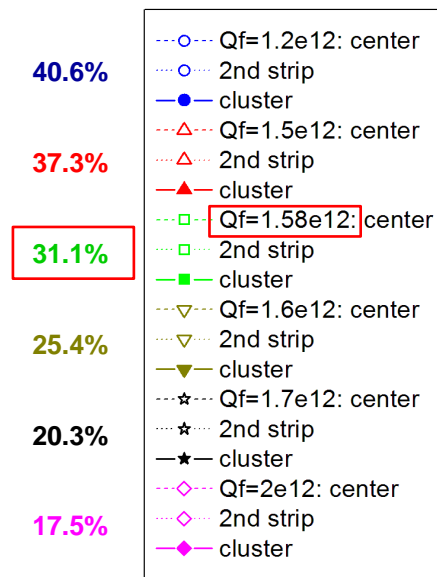
- ❑ CCE value matching proton model at center of the strip
- ❑ CCE loss in the middle of the pitch now higher than measured CCE loss ($\sim 30\%$) $\rightarrow Q_f$ lower than in real device for the given dose of protons \rightarrow larger fraction of signal electrons are recombined in the negative space charge region

3-level model in region 1 ($d=2 \mu\text{m}$) vs measured: CCE loss

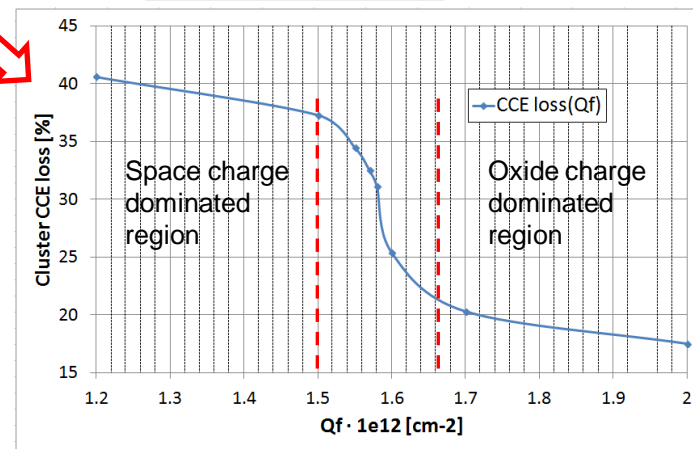
Region 5: $F=1.5e15 \text{ cm}^{-2}$, $V=-1 \text{ kV}$, $T=253 \text{ K}$
 Double p-stop: $N_p=1e16 \text{ cm}^{-3}$, $d_p=1.5 \mu\text{m}=d_{\text{implant}}$, $w_p = 4 \mu\text{m}$,
 spacing = $6 \mu\text{m}$



CCE loss:

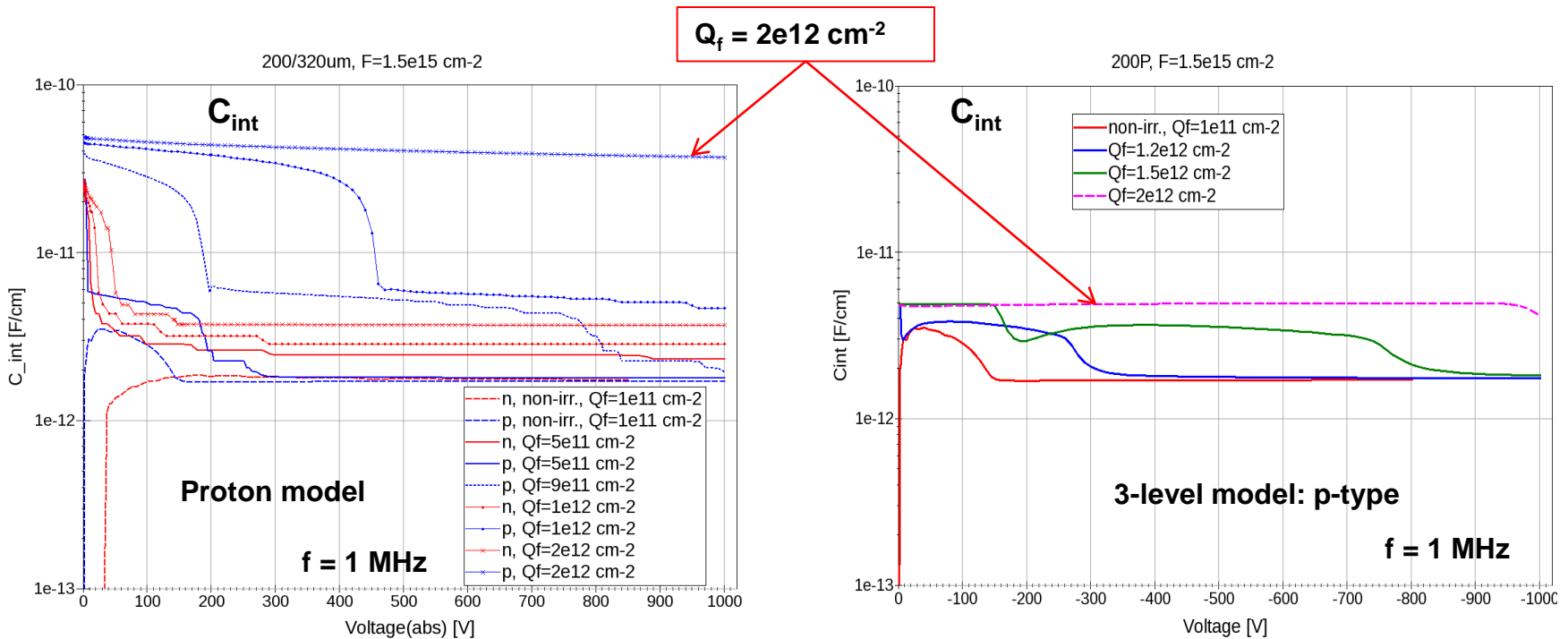


- Oxide charge is varied to find SiBT observed CCE loss ~30% between the strips
- Cluster CCE loss has a narrow dynamical region where the traps are filled by the inversion layer electrons



3-level model in region 1 ($d=2 \mu\text{m}$) vs proton model: C_{int}

- Region 5 @ $T = 253 \text{ K}$, $\Phi = 1.5 \times 10^{15} \text{ cm}^{-2}$
- Double p-stop: $N_p = 1 \times 10^{16} \text{ cm}^{-3}$, depth = $1.5 \mu\text{m}$, width = $4 \mu\text{m}$, spacing = $6 \mu\text{m}$
- 3-level model produces geometrical $C_{\text{int}}(V)$ within $V=-1 \text{ kV}$ up to $Q_f = 1.5 \times 10^{12} \text{ cm}^{-2}$ (proton model: $Q_f = 5 \times 10^{11} \text{ cm}^{-2}$)



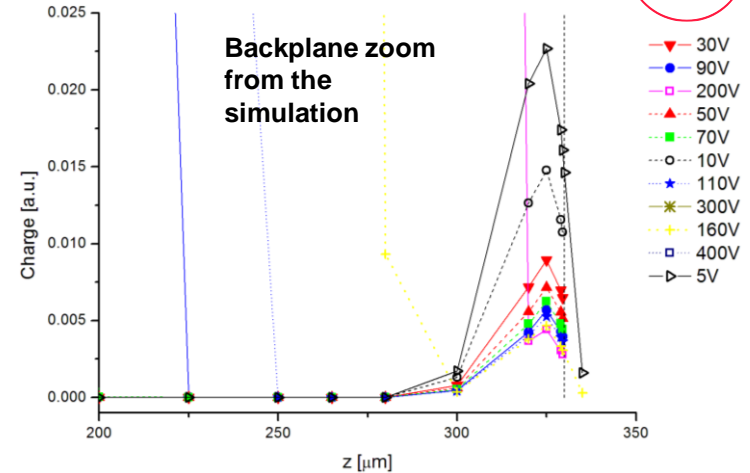
➔ 3-level model within $2 \mu\text{m}$ of device surface + proton model in the bulk: correct R_{int} , C_{int} , CCE and CCE loss between the strips

Edge-TCT simulations

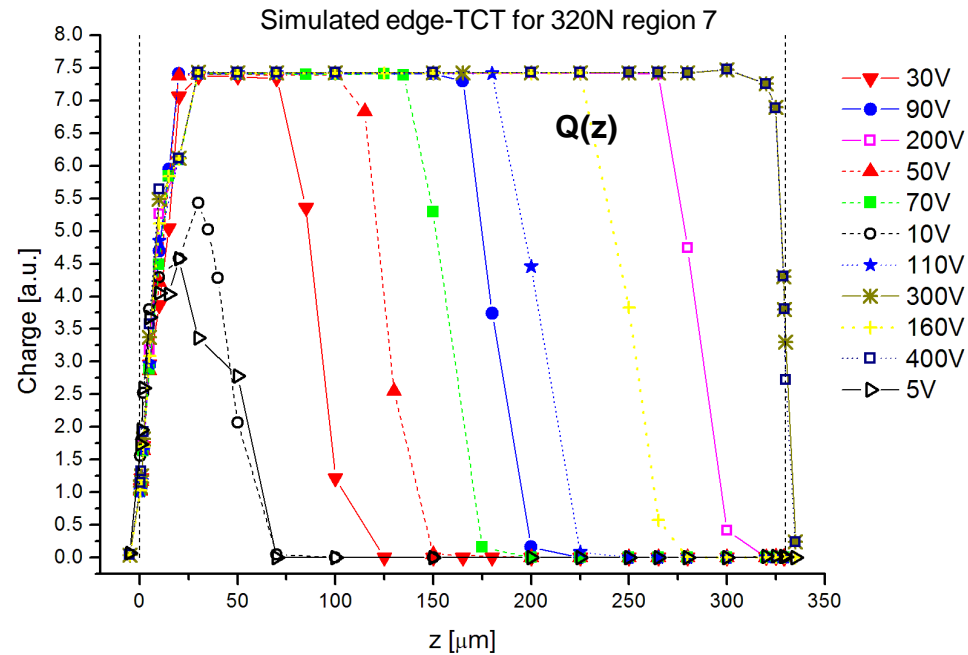
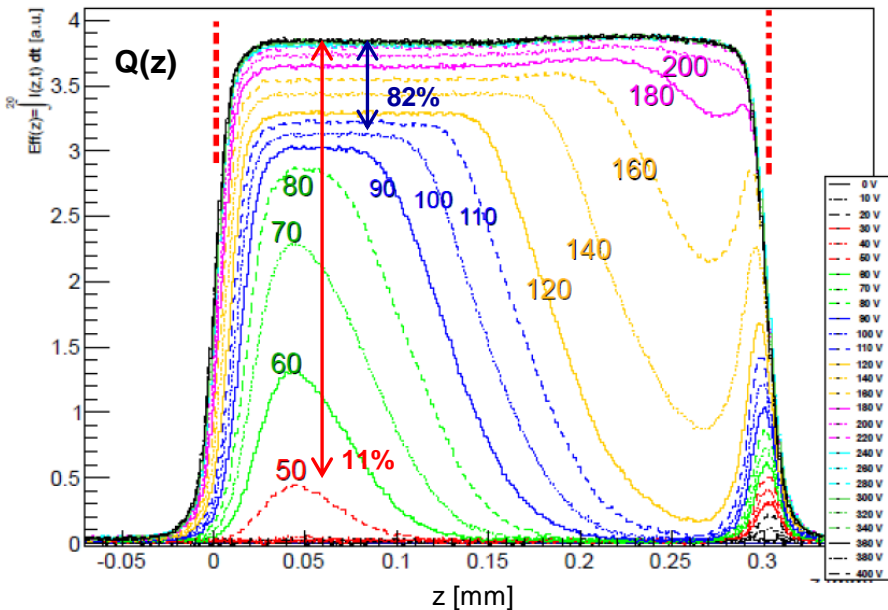
edge-TCT: non-irradiated MSSDs

□ Simulated structure and parameters correspond to the measured HPK detector (320N, $V_{fd} \sim 210$ V, region 7-80)

□ **Problem:** At $V < V_{fd}$ simulation does not reproduce measured differences in maximum $Q(z)$ for different voltages, e.g. 50 V: measured $\sim 11\%$, simulated $\sim 96\%$



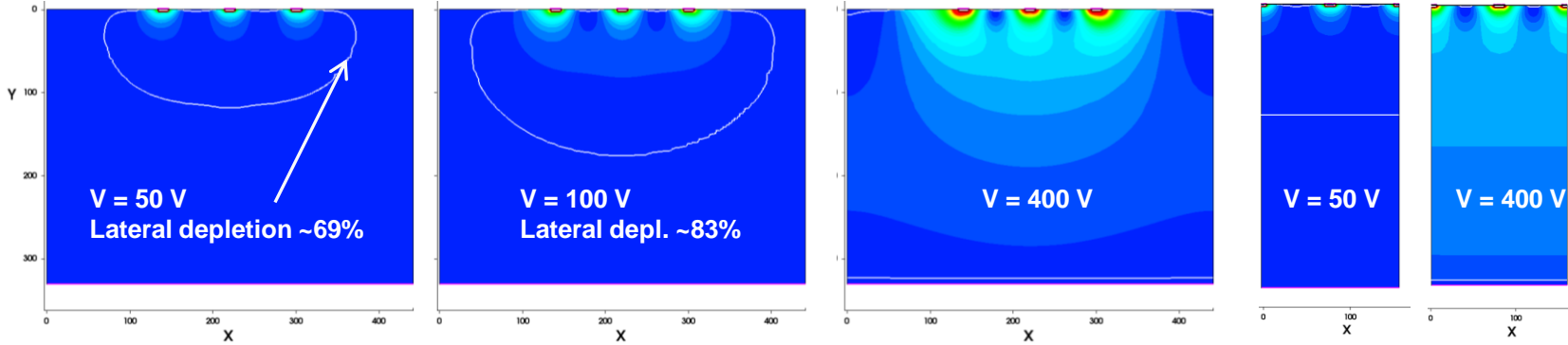
FZ320N region 7 eTCT-measurement (M. Fernandez 2013). $V_{fd} \sim 210$ V



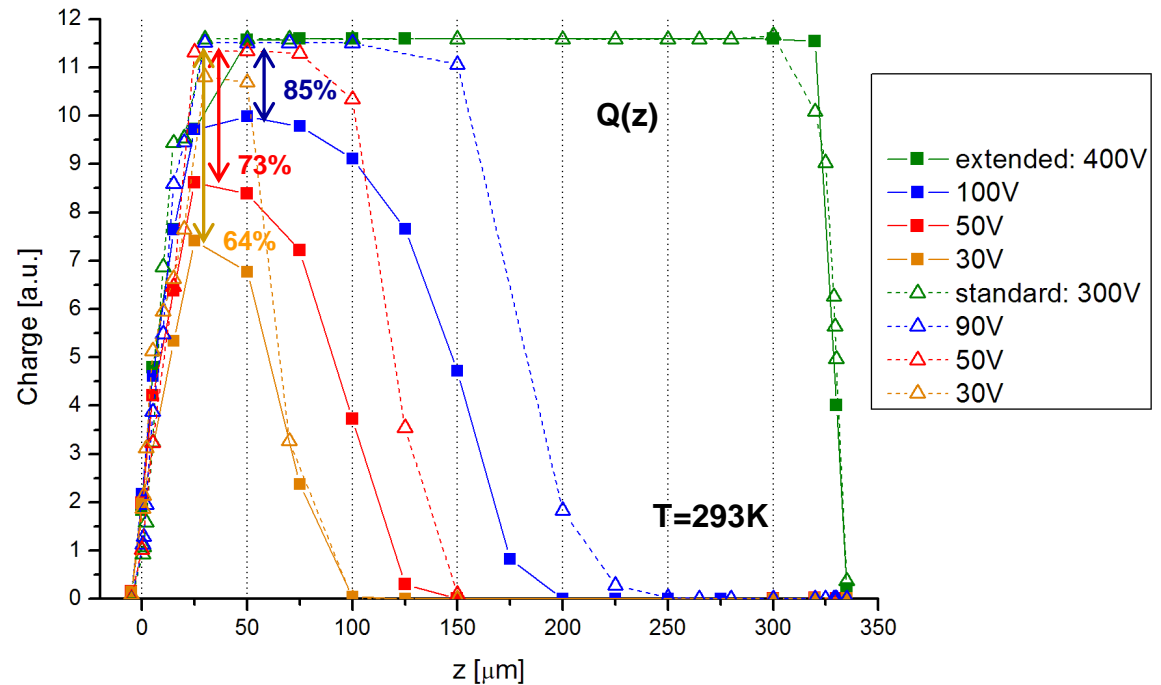
non-irr. edge-TCT: extended vs standard structure

320N extended structure

320N standard structure

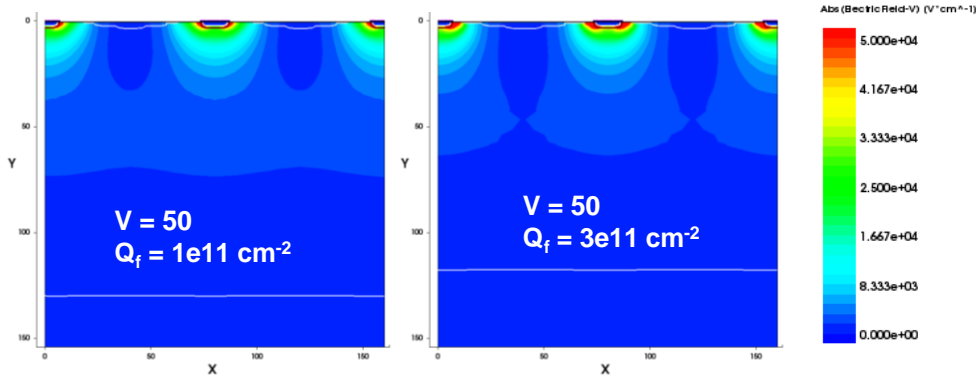


- ❑ Measured differences in Q_{\max} @ $V < V_{fd}$ are reproduced by the extended structure
- ❑ ΔQ_{\max} @ $0.3 * V_{fd}$: measured ~61%, simulated ~85%
- ❑ ΔQ_{\max} correlates with difference in lateral extension of electric field
- ❑ Extension moves V_{fd} : 280V \rightarrow 325V
- ❑ **Problem:** Consistent $Q(z)$ curves only by averaging over the 3 strips



non-irr. edge-TCT: oxide charge variation

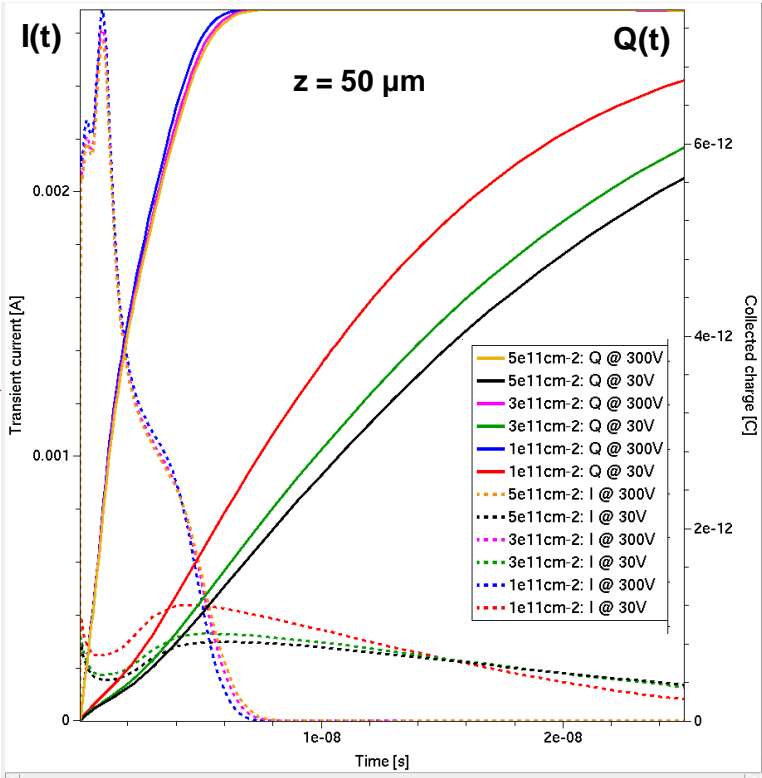
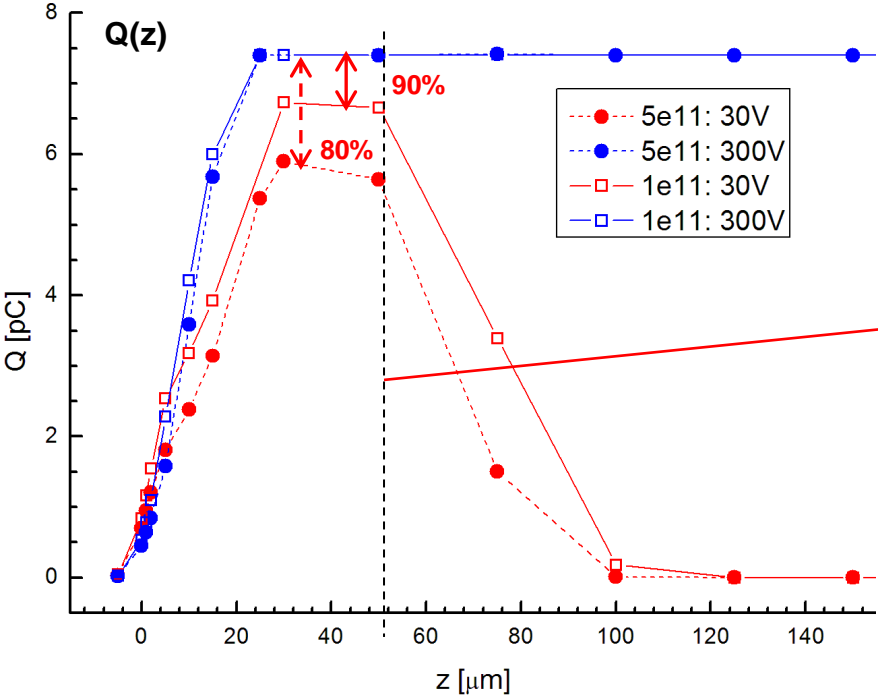
Standard structure: Electric field distributions



- Increased Q_f decreases Q_{coll} @ $V < V_{fd}$
- ΔQ_{max} @ $0.1 * V_{fd}$: measured few %'s, simulated ($Q_f = 5e11 \text{ cm}^{-2}$) ~80%

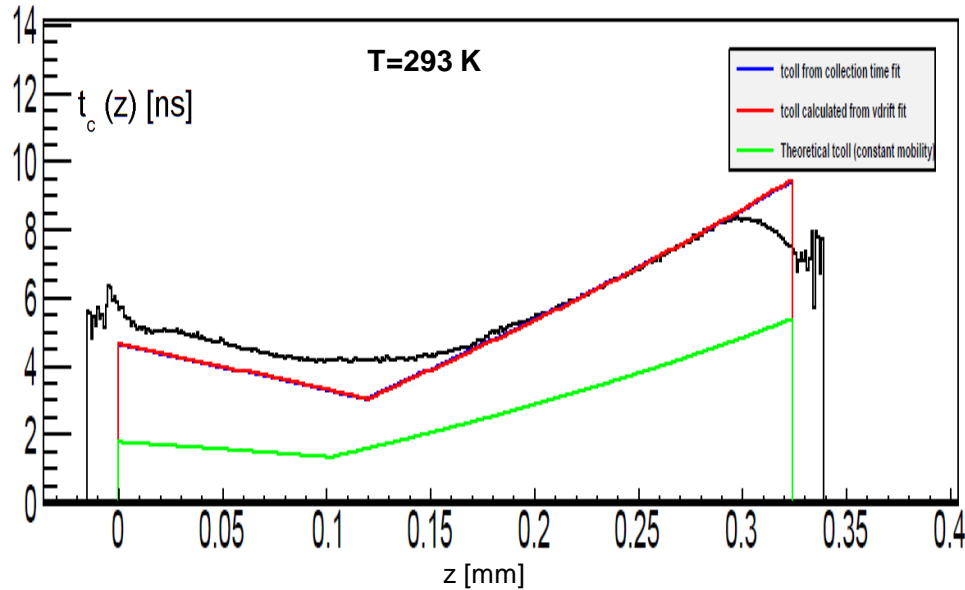
□ **Problem:** Effect of higher Q_f with ~realistic values is not sufficient to reproduce observed ΔQ_{max}

□ Next step: extended structure + high oxide charge?

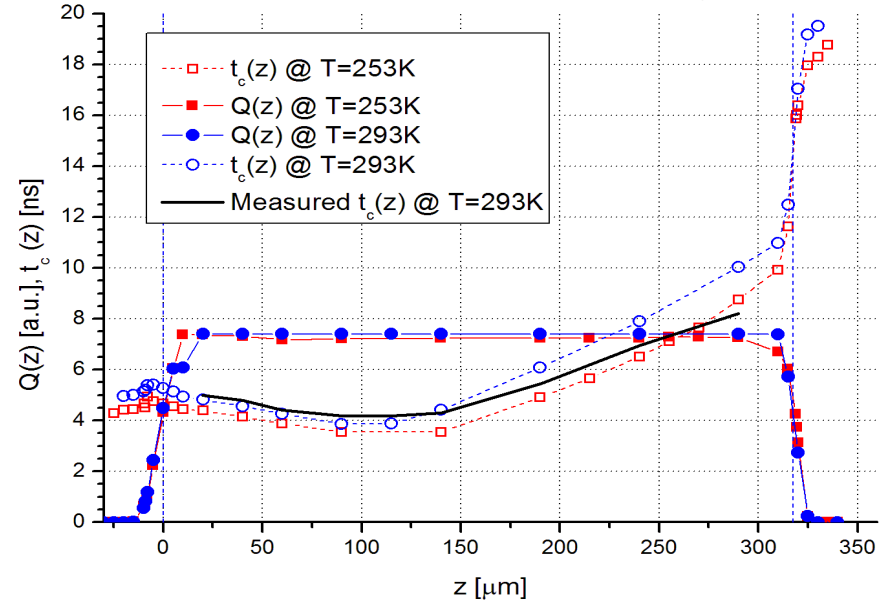


☐ Slides 16-18: Update to results presented at 22nd RD50

Measured & fitted collection time @ $V=400$ V (M. Fernandez 2013)



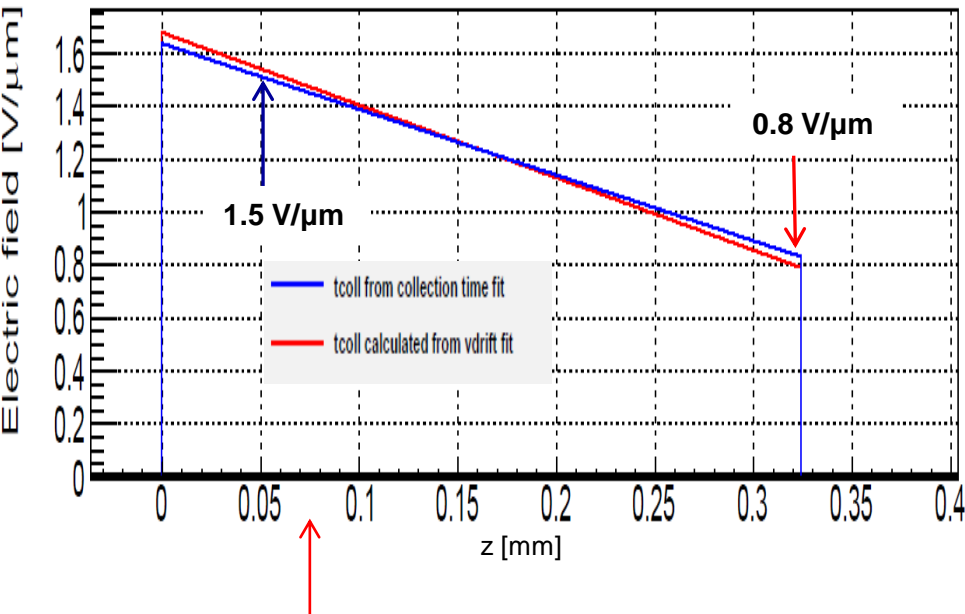
Simulated collection time & collected charge @ $V=400$ V



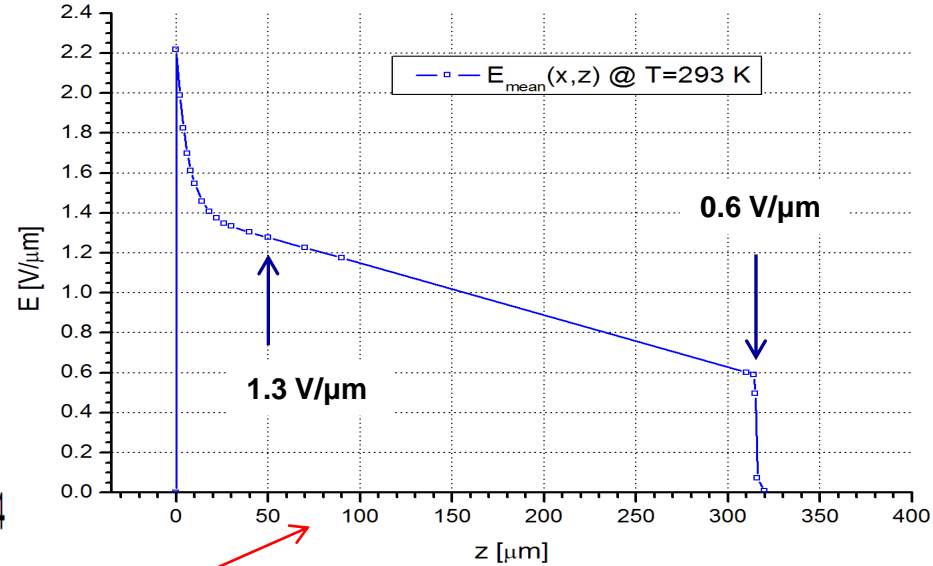
- ☐ $V > V_{fd}$
- ☐ VTT detector: strip $w=14$ μm , implant $w=10$ μm , pitch= 80 μm
- ☐ Signal collection time t_c : time that takes to collect $0.98 \cdot Q_{max}$
- ☐ Measurement: t_c was set to zero when thickness $<$ laser z -position $<$ 0
- ☐ $z = 0$: middle of the rising slope of $Q(z)$
- ☐ Simulated t_c values @ $T=293$ K very close to measurement at $25 \leq z \leq 150$
- ☐ Difference to measured values increases towards backplane

non-irr. edge-TCT: VTT detector E(z)

Calculated E(z) from $v_{\text{drift}}(z)$, $t_c(z)$ fits @ $V=400$ V (M. Fernandez 2013)

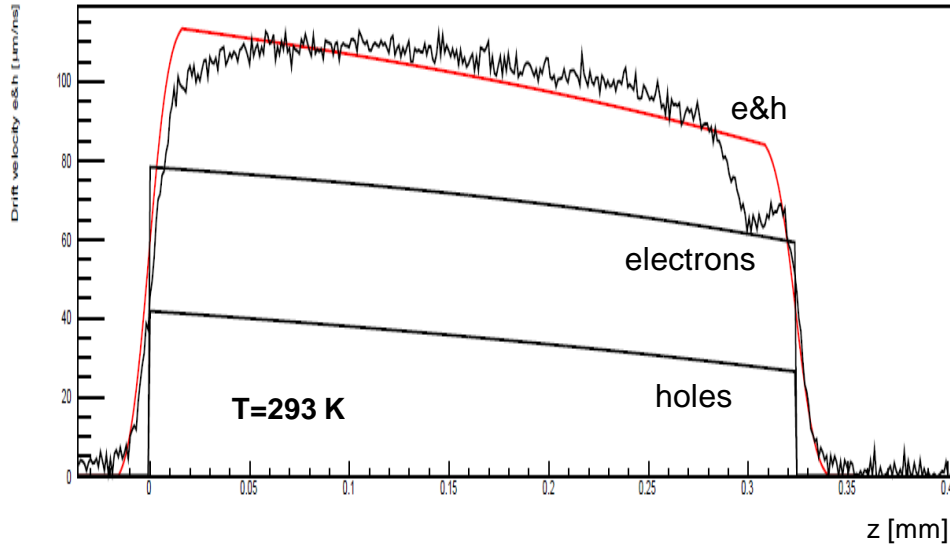


Simulated 320N E(z) @ $V=400$ V

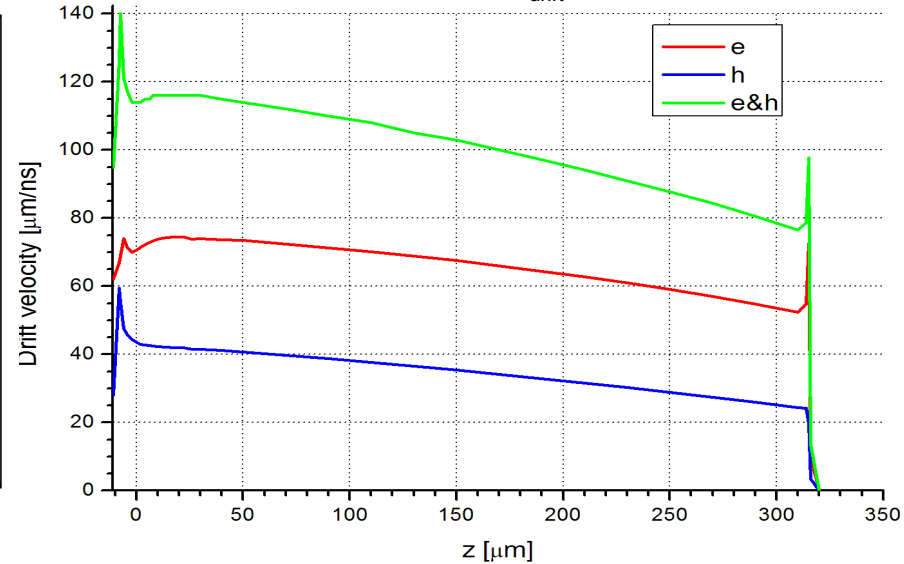


- E(z) is calculated from fits with linear approx.
- Simulated average E(x,z) determined from E(z) cuts from x=center of pitch to x=center of strip with 5 μm steps
- Simulated slope @ $T=293$ K is within 7% of the calculated slope between $z = 30 - 320$ μm

Measured & fitted $v(z)_{\text{drift}}$ @ $V=400$ V (M. Fernandez 2013)

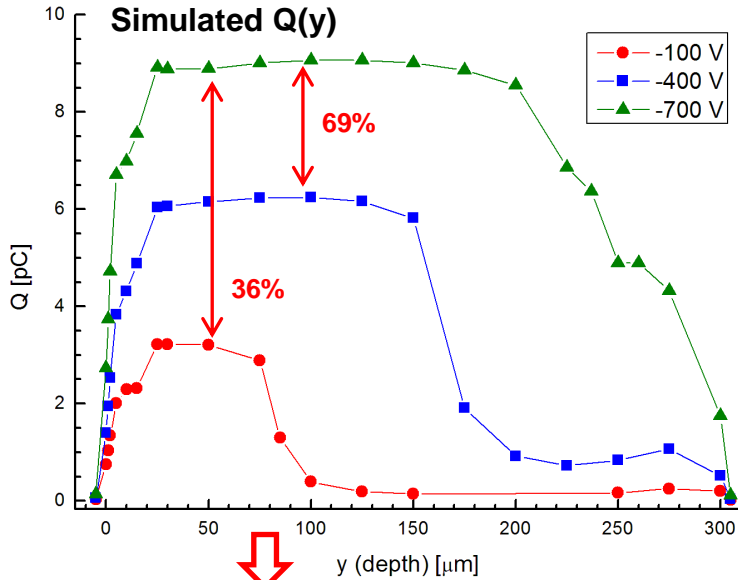


Simulated average $v(z)_{\text{drift}}$ @ $V=400$ V

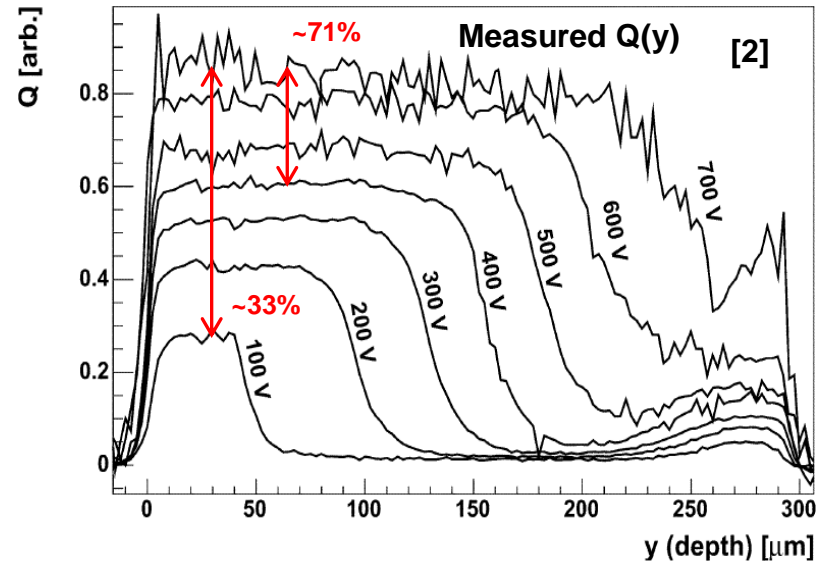
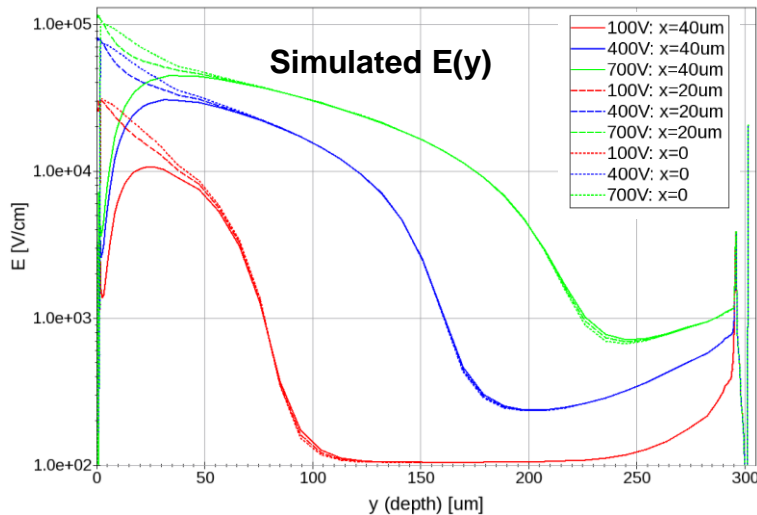


- Simulated average $v(z)_{\text{drift}} = \mu_{e,h}(z,x=40\dots 80 \text{ } \mu\text{m})E(z,x=40\dots 80 \text{ } \mu\text{m})$ @ $T=293$ K
- Average $v(z)_{\text{drift}}$ curves close to measured and fitted curves also at $z \geq 0 \text{ } \mu\text{m}$
- Main difference of average $v(z)_{\text{drift}}$ to measured/fitted curves: peaks in hole and e&h curves at $z < 0 \text{ } \mu\text{m}$

edge-TCT: Neutron irradiated 300P detector



300P @ $F=5e14 \text{ cm}^{-2}$, $Q_f=1e11 \text{ cm}^{-2}$, $T=253 \text{ K}$



Parameters [2] (Black font from the paper):

- 300P, $T=253 \text{ K}$, $\Phi_{\text{eq}}(n) = 5e14 \text{ cm}^{-2}$, $Q_f = 1e11 \text{ cm}^{-2}$
- $N_{\text{bulk}} = 2.07e11 \text{ cm}^{-3} \rightarrow V_{\text{fd}} (\text{non-irr.}) \approx 16 \text{ V}$
- $d_p = 1.5 \mu\text{m}$, $w_p = 20 \mu\text{m}$
- $d_{\text{implant}} = 1.5 \mu\text{m}$, $w_{\text{implant}} = 20 \mu\text{m}$, $w_{\text{strip}} = 34 \mu\text{m}$
- pitch = $80 \mu\text{m}$, $d_{\text{back}} = 7 \mu\text{m}$, $R_{\text{bias}} = 0.6 \text{ M}\Omega$, strip length = 1 cm

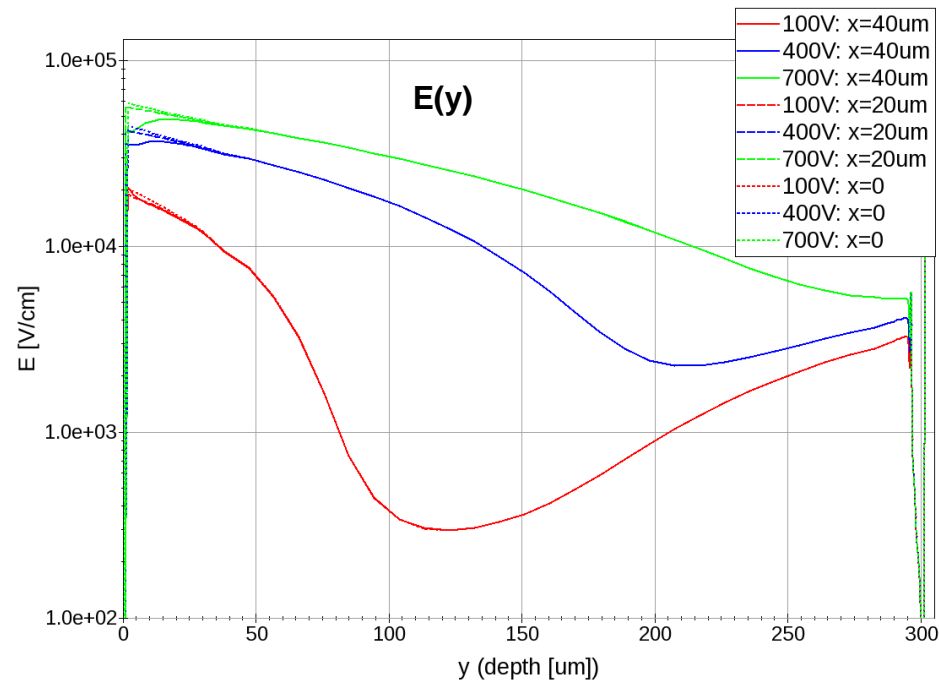
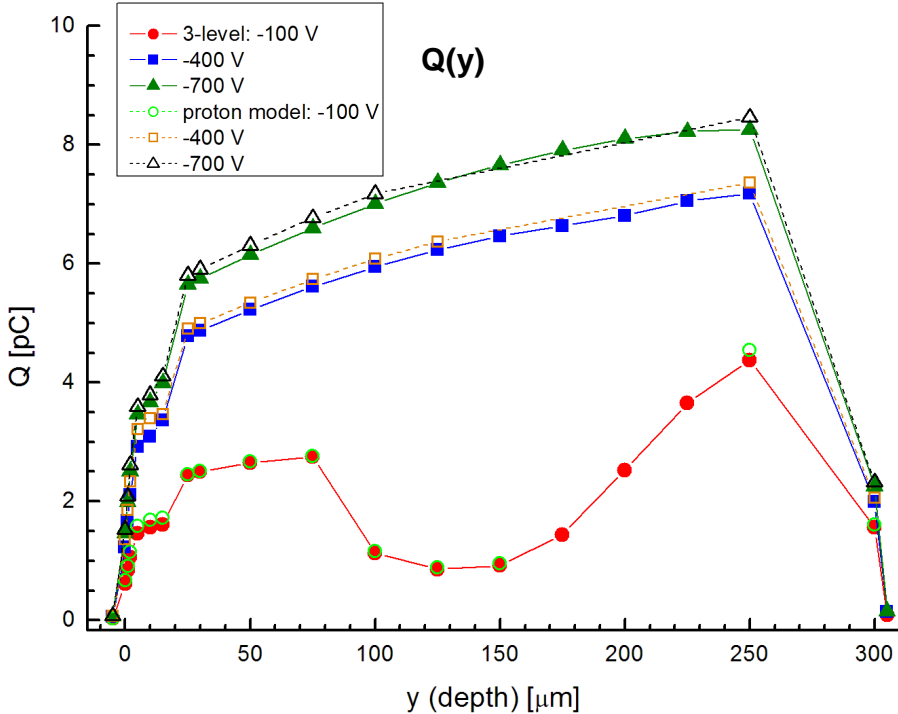
$x=0$:
center
of strip

- Neutrons: low Q_f increase \rightarrow no need for 3-level implementation
- Measured $\Delta Q(y)_{\text{max}}$ reproduced by simulation
- Double peak effect visible in both $Q(y)$ plots
- Simulated depletion region $\sim 10\text{-}30\mu\text{m}$ deeper at lower voltages
- Simulation gives reliable information of $E(y)$
- Neutron defect model: see backup

[2] G. Kramerberger et al. IEEE Trans. Nucl. Sci. 57 (2010) 2294-2302.

- ❑ Similar structure & parameters to previous slide, except $Q_f = 5.23e11 \text{ cm}^{-2}$
- ❑ Both 3-level model and proton model applied

- ❑ Similar behavior for both models, proton model has slightly higher Q_{coll} at high voltages, as expected
- ❑ Matching $E(y)$ for both models



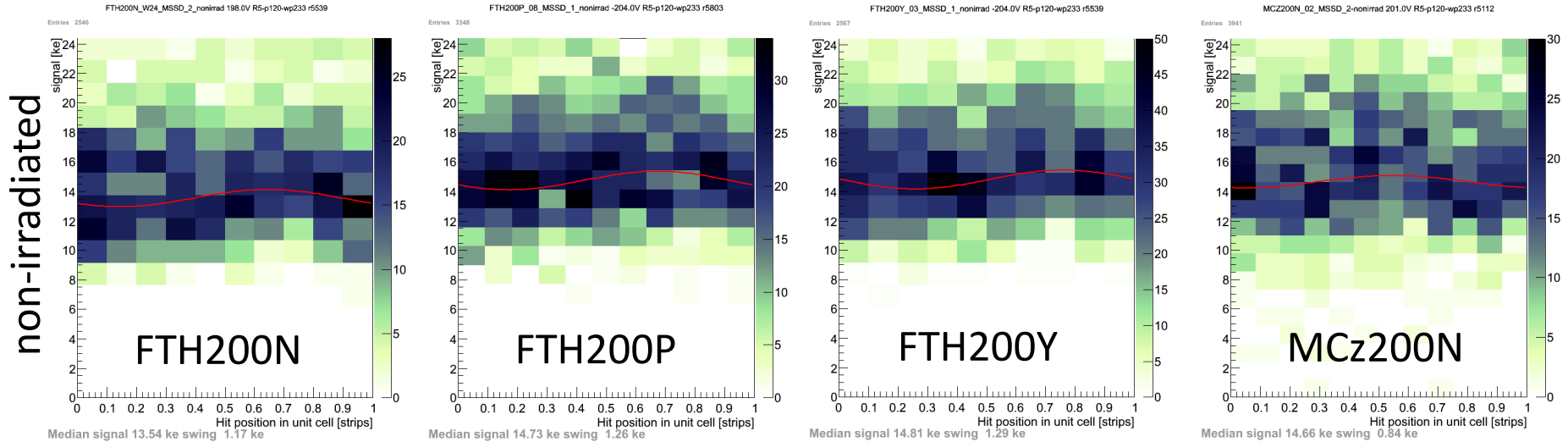
- ❑ 3-level model close to detector surface solves the surface damage problems observed in Synopsys proton model
 - R_{int} , C_{int} and CCE loss between strips agree with measurements
 - No effect on previous experimentally matching proton model results

- ❑ Simulated edge-TCT of **non-irradiated** detector:
 - $V < V_{\text{fd}}$: Measured $\Delta Q(z)_{\text{max}}$ for varying voltages difficult to reproduce → further investigation needed
 - $V > V_{\text{fd}}$: Close agreement with measurement

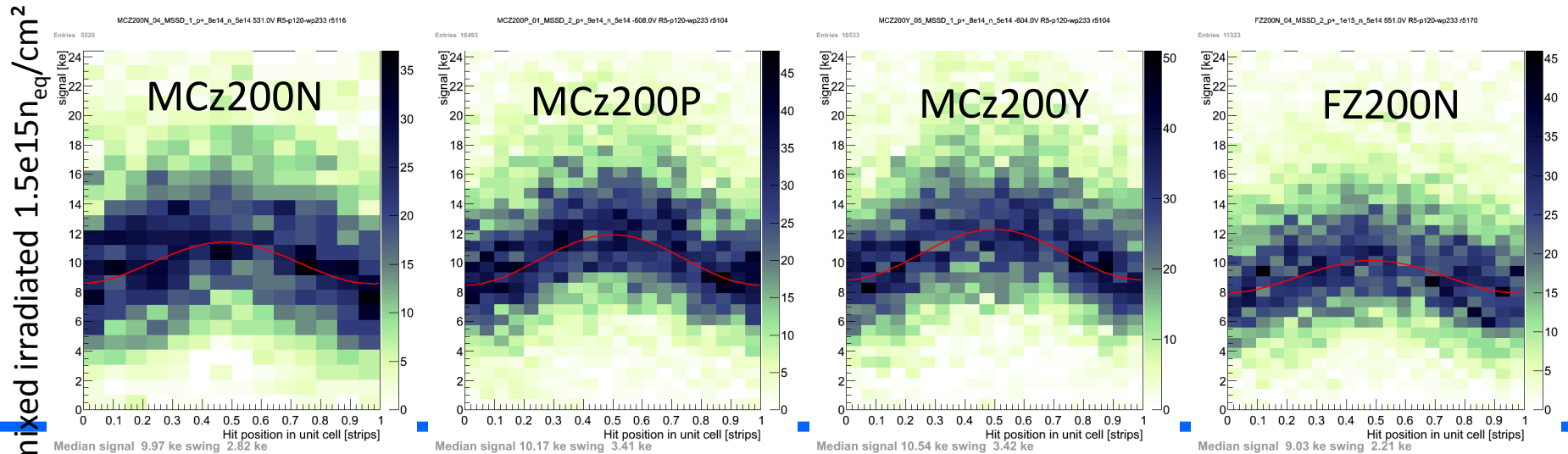
- ❑ Simulated edge-TCT of **irradiated** detector:
 - **Neutrons**: close agreement with measurement → simulation produces reliable $E(z)$ information
 - **Protons**: 3-level and proton model produce similar results

Backup: SiBT measured CCE loss between strips

Signal loss in-between strips ($p=120\mu\text{m}$, $w/p\sim 0.23$)



No loss before irr.; after irr. $\sim 30\%$ loss; all technologies similar [Phase-2 Outer TK Sensors Review]



Backup: Radiation damage models



Silvaco: 5-trap model

Trap	Energy Level	Intro	σ_e (cm ⁻²)	σ_h (cm ⁻²)
Acceptor	0.525eV	3.0	1x10 ⁻¹⁴	1.4x10 ⁻¹⁴
Acceptor	0.45eV	40	8x10 ⁻¹⁵	2x10 ⁻¹⁴
Acceptor	0.40eV	40	8x10 ⁻¹⁵	2x10 ⁻¹⁴
Donor	0.50eV	0.6	4x10 ⁻¹⁴	4x10 ⁻¹⁴
Donor	0.45eV	20	4x10 ⁻¹⁴	4x10 ⁻¹⁴



Synopsys: 2-trap models

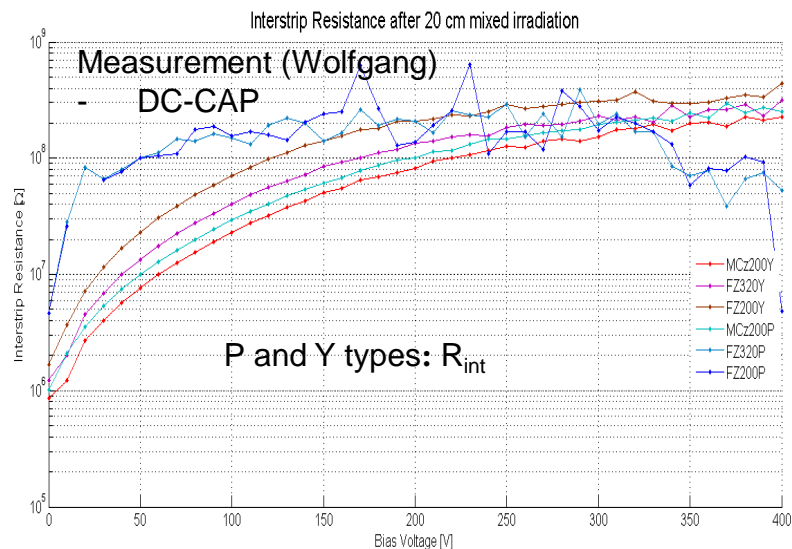
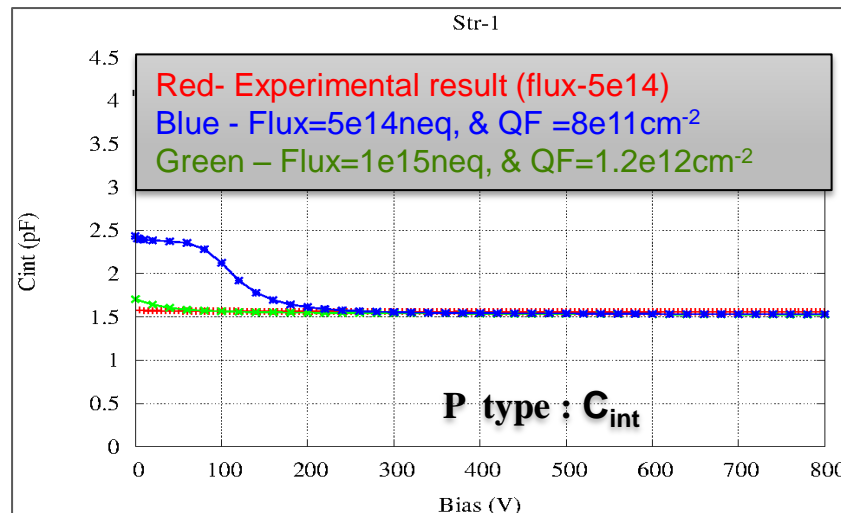
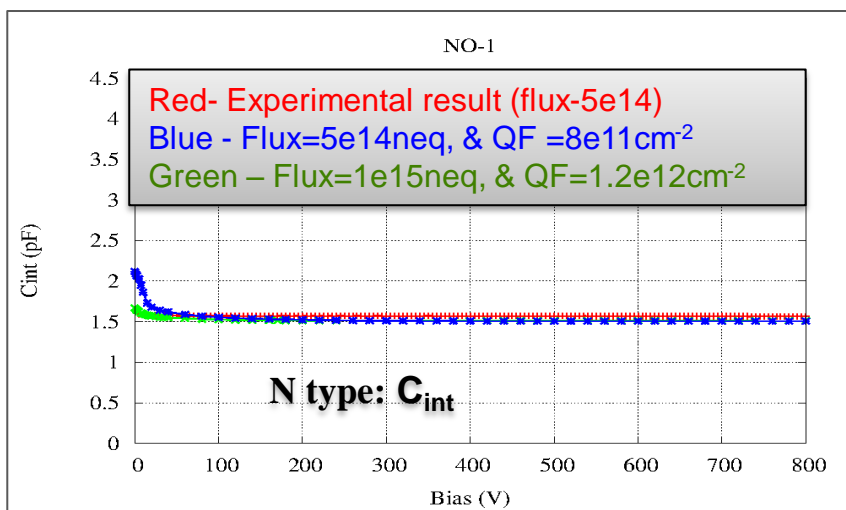
Proton model (tuned by R. Eber)

Type of defect	Level [eV]	σ_e [cm ²]	σ_h [cm ²]	Concentration [cm ⁻³]
Deep acceptor	$E_C - 0.525$	1e-14	1e-14	$1.189 * F + 6.454e13$
Deep donor	$E_V + 0.48$	1e-14	1e-14	$5.598 * F - 3.959e14$

Neutron model (tuned by R. Eber)

Type of defect	Level [eV]	σ_e [cm ²]	σ_h [cm ²]	Concentration [cm ⁻³]
Deep acceptor	$E_C - 0.525$	1.2e-14	1.2e-14	$1.55 * F$
Deep donor	$E_V + 0.48$	1.2e-14	1.2e-14	$1.395 * F$

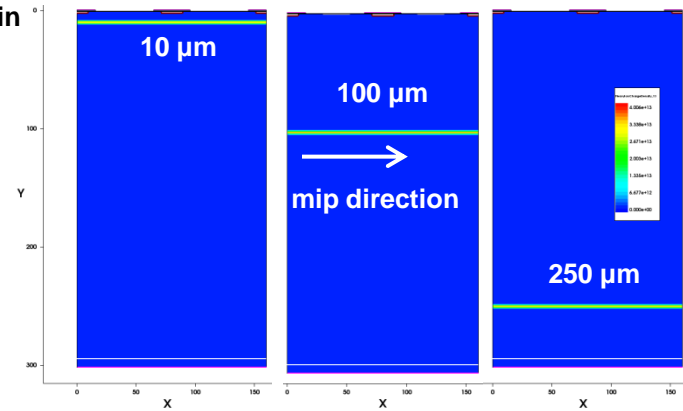
Simulation vs. Measurement



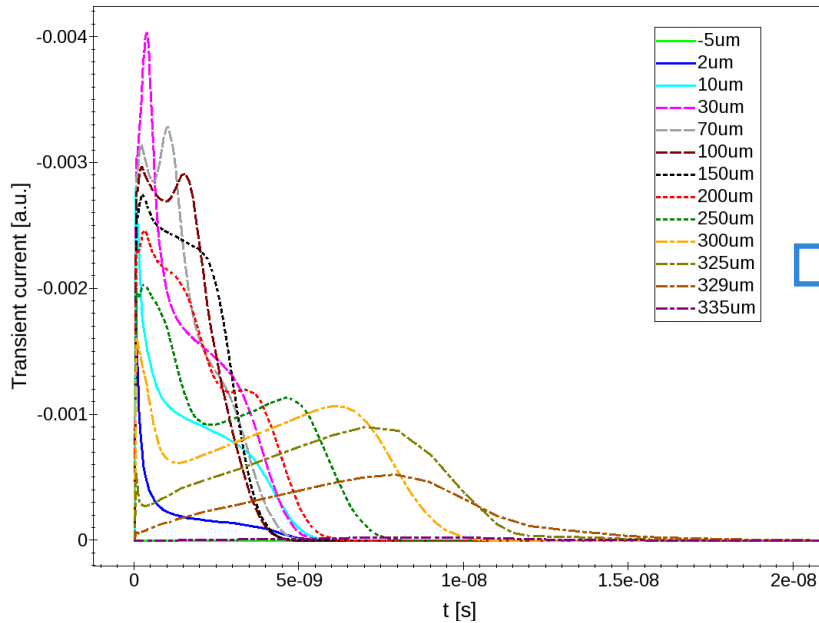
Backup: edge-TCT method

- ❑ **Goal:** extract electric field E from drift velocity v_{drift} using eTCT
- ❑ eTCT provides measurement of collection time t_c that is proportional to the v_{drift}
- ❑ v_{drift} is related to the $E \rightarrow$ possible to determine E out of drift velocity?
- ❑ Collected eTCT generated transient signals and charges as a function of injection distance:

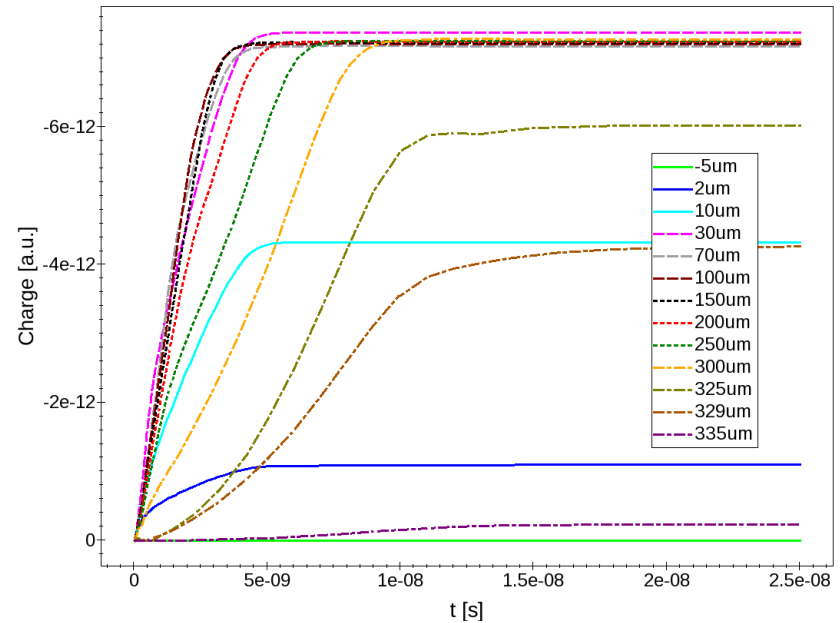
MIP trajectories in 300N device:



320N @ T=253K, V=400V



320N @ T=253K, V=400V



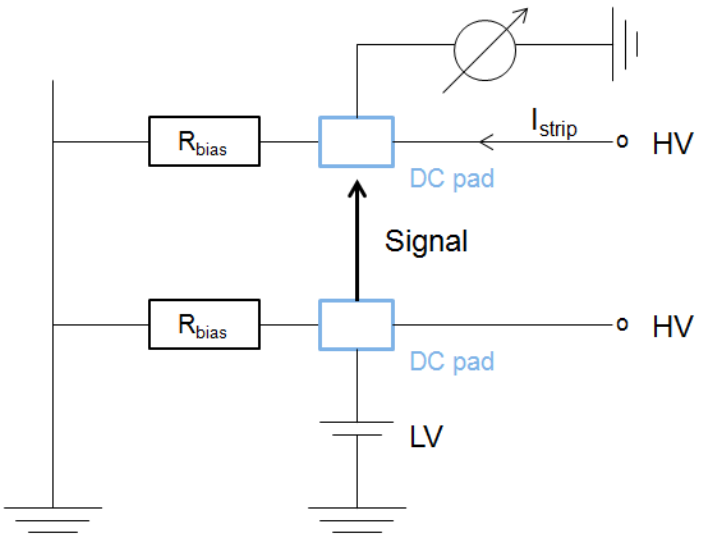
Backup: Interstrip resistance simulations

- ❑ 3 strip structure, $V_{\text{strip1}} = V_{\text{strip3}} = 0$, $V_{\text{strip2}} = \text{LV}$ and 0 V
- ❑ $V = -\text{HV}$ at the backplane

- ❑ Interstrip resistance (R_{int}) is defined as (Induced Current Method):

$$R_{\text{int}} = \frac{V_2(\text{LV})}{\frac{I_1(\text{LV}) + I_3(\text{LV})}{2} - \frac{I_1(0) + I_3(0)}{2}}$$

- ❑ R_{int} is plotted as a function of applied voltage V



Electrical circuit diagram of R_{int} measurement

