## EDS Blois 2013 September 9-13



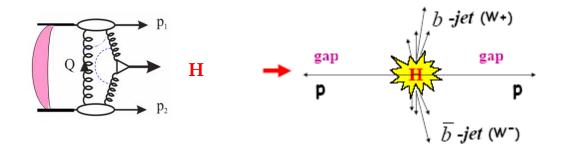
## **Update on Exclusive Higgs Production**



### V.A. Khoze (IPPP, Durham)

#### (in collaboration with Lucian HArland-Lang and Misha RYSkin)





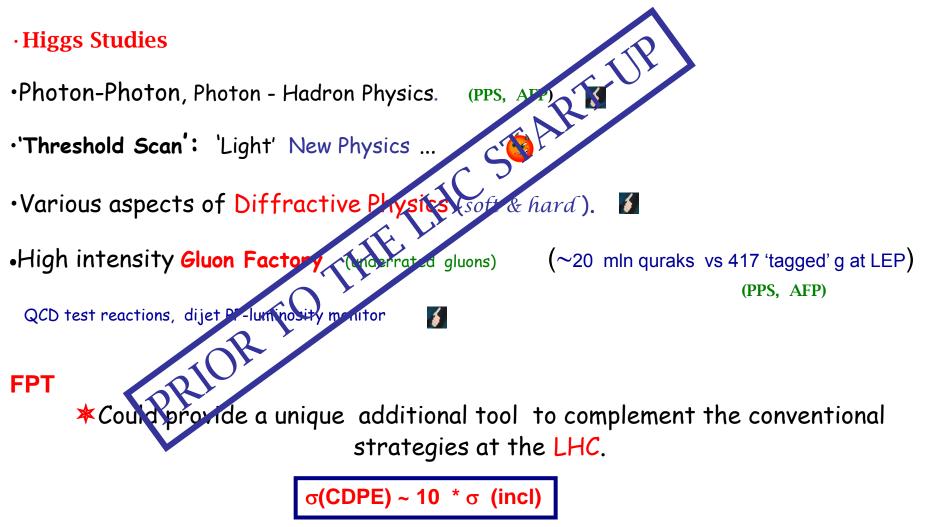
## Main Goal: KEEP THE Ball ROLLING



**Current Status of CEP Theory** 

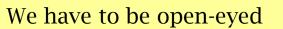






\* Higgs is only a part of the broad EW, BSM and diffractive program@LHC wealth of QCD studies, glue-glue collider, photon-hadron, photon-photon interactions...







+ strong evidence from the Tevatron

Elusive particle found, looks like Higgs boson





Rolf Heuer, Director-General of CERN, answers a journalist's question about the scientific seminar to deliver the latest update in the search for the Higgs boson in Meyrin near Geneva on Wednesday.

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AP

## The main advantages of CEP Higgs production Prospects for high accuracy (~1%) mass measurement currently ATLAS FP-420 (irrespectively of the decay mode). (STFC cutting rule) CMS-PPS, Totem Quantum number filter/analyser. ATLAS-AFP (0++ dominance; C, P-even) H -> bb opens up (Hbb Yukawa coupl OO (gg)CED $\bigcirc$ bb in 10, NIN, b- mass effects - controllable. (very important feature) • For some **BSW** scenarios CEP may become a discovery channel 😁 • A handle on the overlap backgrounds- Fast Timing Detectors (10 ps timing or better).

\* New leverage -proton momentum correlations (probes of QCD dynamics , CP- violation effects...) Triple product correlation:  $\vec{n}_0 \cdot (\vec{p}_{1\perp} \times \vec{p}_{2\perp}) \sim \sin \varphi$ ,

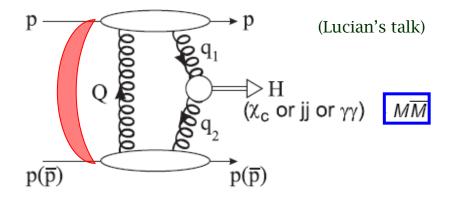
Integrated counting asymmetry (~10%)

$$A = \frac{\sigma(\varphi < \pi) - \sigma(\varphi > \pi)}{\sigma(\varphi < \pi) + \sigma(\varphi > \pi)} \;,$$

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## **CEP** through the eyes of the KRYSTHAL (2008-2013)

- Colliding protons interact via a colour singlet exchange and remain intact: can be measured by adding detectors far down the beam-pipe. (or LRGs)
- A system X of mass M<sub>X</sub> is produced at the collision point, and only its decay products are present in the central detector.



- The generic process pp → p + X + p is modeled perturbatively by the exchange of two t-channel gluons, with the use of pQCD justified by the presence of a hard scale ~ M<sub>X</sub>.
- 'J<sub>z</sub> = 0 selection rule': production of states with non-J<sup>P</sup><sub>Z</sub> = 0<sup>+</sup> quantum numbers is strongly suppressed by ~ 2 orders of magnitude.

?

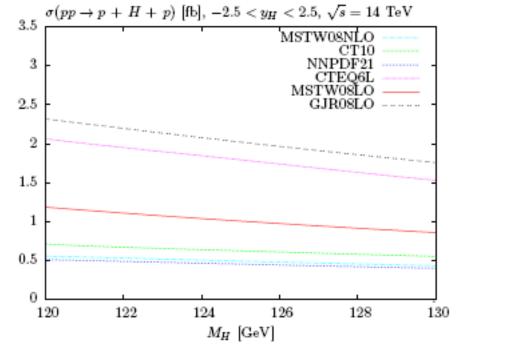
- $\mathbf{y} = \chi_c, \gamma \gamma \text{ CEP}$  already observed by CDF and *jj* CEP observed by CDF & D0.
- **9**  $\chi_{cJ}$  CEP is reported by LHCb (DIS-11)
- new CDF  $\gamma\gamma$ CEP results (PRL-2012)
- All measurements in agreement with Durham group (pre)dictions.

(LHCb-first inclusive  $\chi_{c0}$  mid-July 2013)

CMS--first CEP results, more to come

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# Higgs Boson: cross section predictions



- Cross section ~ fbs, i.e. roughly 4 orders of mag. lower than inclusive case (price paid for exclusivity).
- Uncertainties (Survival factors, higher–order corrections, PDFs) exist in theoretical calculation. But γγ CEP cross section tends to lie a little above theory estimates → favours the higher predictions shown.

SuperCHI

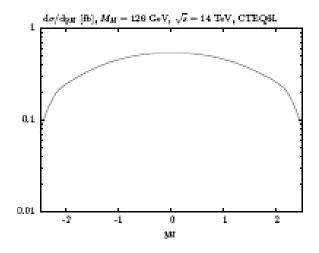


Figure 5: Rapidity distribution  $d\sigma/dy_H$  for a  $M_H = 126$  GeV SM Higgs boson, using CTEQ6L PDFs.

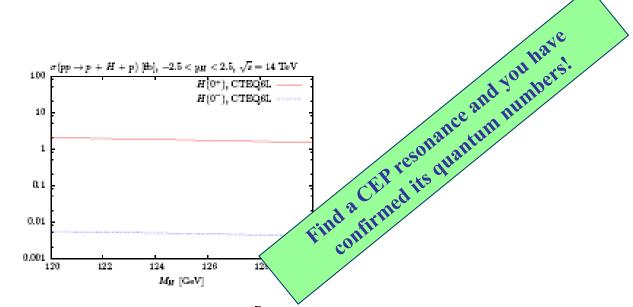


Figure 6: Cross sections for the CEP of scalar  $J^P = 0^+$  and pseudoscalar  $J^P = 0^-$  particles of the Higgs sector as a function of the Higgs mass,  $M_H$ , integrated over the rapidity interval  $-2.5 < y_H < 2.5$ .



### **New Durham Studies**

 $S_{\text{enh}}^2, S_{\text{eik}}^2$ 

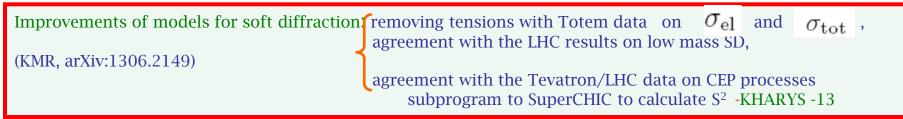
(known unknowns)

(Uri's talk)

(KMR,GLM-new results)

- Account for the b-dependence of the survival factors
- NLO effects in the unintegrated parton densities (N)NLO-effects in hard ME.
- A systematic account of self–energy insertions in the propagator of the screening gluon
- The dependence on the gluon PDF is amplified by the fact that the CEP cross section is essentially proportional to  $(xg(x))^4$ .

CDF  $\gamma\gamma$  data *may* suggest more 'LO-type' PDFs ( $\rightarrow$  more optimistic Higgs cross sections) are appropriate.



## SM Higgs, 125 GeV

## Signal-to-Background Ratio (a brief reminder)

 $H \rightarrow bb$ 

 $_{st}$  The largest signal, but large background and (most) difficult trigger

(other channels -too low rate).

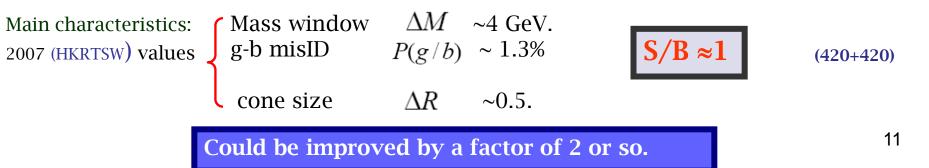
- $\star$  Major theor. uncertainties cancel in the ratio, in particular survival factors, PDFs,..
- \star 🔹 Experimental efficiencies (trigger, b-tagging..) cancel.

**Dominant non-PU backgrounds**:

[DeRoeck, Orava+KMR, EPJC 25 (2002) 392, EPJC 53 (2008) 231]

- 1) Admixture of |Jz|=2 production
- 2) NLO gg→bbg, large-angle hard gluon emission
- 3) LO gg→gg, g can be misidentified as b

4) b-quark mass effects in dijet processes, HO radiative corrections



Dijet-monitor for the Higgs yield

## $b\overline{b}$ non-PU backgrounds

$$\begin{split} &\sigma_B \simeq 2 \, fb * (\Delta M / 4 GeV) [A * (120 GeV / M)^6 + 1/2 C_{NLO} * (120 GeV / M)^8], \\ &A \simeq 1/4 + 1/4 + 1/4 (P(g / b)^2, \\ &C_{NLO} \simeq 0.48 - 0.12 * \ln(M / 120 GeV). \end{split}$$

$$P(g/b) = 1.3\% \rightarrow 1\%$$
 (CMS)

 $\Delta M$  new detailed (post-2007) studies needed

$$\sigma_{bbg} / S \sim 20^* (\alpha_s C_F / 2\pi)^* (\Delta R)^2 (\Delta M / 4 GeV)$$

(requires detailed MC studies)

The problem with pile-up How to trigger on low-p<sub>T</sub> jets?

#### Experimental road-map:

#### Andy Pilkington (CERN, Febr. 2013)

- (4) New cuts to reject the pile-up backgrounds will be necessary in order to extract a SM Higgs boson in the H->bb channel
- (5) Extensive work is needed to define the most appropriate trigger strategy for H->bb

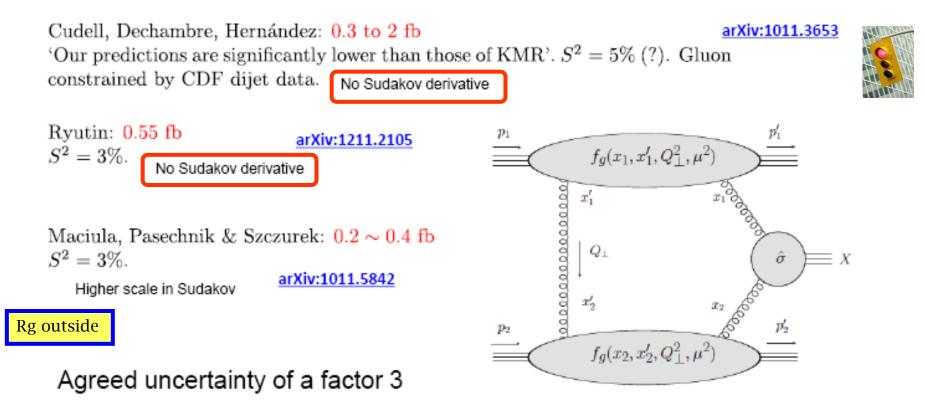
 $S/B \sim \Delta M/M^3$ 

(ccg-similar)

Jeff Forshaw's Conclusion on Higgs CEP Theory (CERN, 11. 04.2013, CERN), 1

## Most recent predictions

Harland-Lang, Khoze, Ryskin & Stirling: 0.5 to 2 fbarXiv:1301.2552Depending on parton distribution functions. CTEQ6L gives upper value and<br/>provides best agreement with CDF di-photon data.  $S^2 = 1\%$  and |y| < 2.5



#### One Step Forward, Two Steps Back (V.I.Lenin)

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#### **KMR-2000**

$$\mathcal{M}(pp \to p + H + p) = A\pi^3 \int \frac{dQ_T^2}{Q_T^4} f_g(x_1, x_1', Q_T^2, M_H^2/4) f_g(x_2, x_2', Q_T^2, M_H^2/4)$$
(7)

where  $f_g(x, x', Q_T^2, M_H^2/4)$  denotes the skewed or off-diagonal unintegrated gluon density in the initial proton. The diagonal density is defined such that the probability to find a gluon (with transverse momentum  $Q_T$  and momentum fraction x in the interval  $dQ_T^2 dx$ ) is  $f_g(dQ_T^2/Q_T^2)(dx/x)$ . These unintegrated distributions are the quantities which enter when we apply the  $Q_T$ -factorization theorem [13] to the evaluation of the Feynman diagram of Fig. 1a. The procedure of how to calculate  $f_g(x, x, Q_T^2, \mu^2)$  from the conventional integrated gluon  $g(x, Q_T^2)$  is described in Ref. [14]. Here we will use the form proposed by DDT [15]

$$f_g(x, x, Q_T^2, \mu^2) = \frac{\partial}{\partial \ln Q_T^2} \left[ T(Q_T, \mu) xg(x, Q_T^2) \right], \tag{8}$$

where  $T(Q_T, \mu)$  is the survival probability that the gluon with x, x' = x and transverse momentum  $Q_T$  remains untouched in the evolution up to the hard scale  $\mu (= M_H/2)$ . T is the result of resumming the virtual ( $\propto \delta(1-z)$ ) contributions in the DGLAP evolution equation and is given by [14]

$$T(Q_T, \mu) = \exp\left(-\int_{Q_T^2}^{\mu^2} \frac{\alpha_S(k_t^2)}{2\pi} \frac{dk_t^2}{k_t^2} \int \left[zP_{gg}(z) + \sum_{qg} P_{qg}\right] dz\right). \tag{9}$$

The derivative  $\partial T/\partial \ln Q_T^2$  in (8) cancels the virtual DGLAP term in  $\partial (xg)/\partial \ln Q_T^2$ . To be precise the equation for  $f_g$  is a little more complicated than (8) (see eq. (3) of [14]). However in the relevant small x and  $Q_T \ll M_H$  region, (8) is sufficiently accurate for our purposes. Note that after integrating (8) up to scale  $\mu$  we do indeed get back the integrated gluon distribution

$$\int^{\mu^2} f_g(x, x, Q_T^2, \mu^2) \, \frac{dQ_T^2}{Q_T^2} = T(\mu, \mu) \, xg(x, \mu^2) = xg(x, \mu^2). \tag{10}$$

- The pQCD part of the calculation is under "reasonable" control (off-diagonal gluon uncertainty dominates).
- Need a good model of factorization breaking exchanges (a.k.a. gap survival). Central production of other high-mass systems (di-photons & dijets) will really help us to understand it.

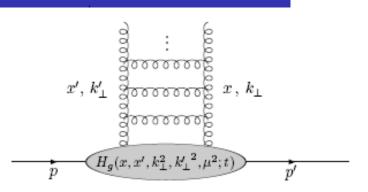
(nowadays GLM and KMR are in a broad agreement on survival)

- 3. Correct treatment of Sudakov and TOTEM data pull cross section down. (taken into account in SuperCHIC)
- 4. Higher order corrections and CDF data push cross section up. (in progress)
- 5. Nobody is claiming a cross section above 2 fb.



## Off-diagonal partons (1)

 The CEP cross section is given in terms of 'off–diagonal' PDF, unintegrated over the gluon k⊥: corresponds to extraction of 2–gluon state from proton. For CEP have



$$f_g(x, x', Q^2, \mu^2) = \frac{\partial}{\partial \ln(Q_{\perp}^2)} \left[ R_g \left( x g(x, Q^2) \right) \sqrt{T(Q_{\perp}, m_H)} \right]$$

KMR(2000)- an extension of the results by DDT(1980) (ignored by some authors of the recent papers)

- R<sub>g</sub> = H<sub>g</sub>(x, x'; μ<sup>2</sup>)/xg(x, μ<sup>2</sup>): ratio of off-diagonal to conventional integrated gluon PDF. Can be calculated from Shuavev transform, which relates conventional to off-diagonal PDFs at small x. Valid up to corrections of O(x<sup>2</sup>, x'<sup>2</sup>).
- In CEP kinematics momentum fraction of screening gluon x' ≪ x and x ~ M<sub>X</sub>/√s ≪ 1.
- → Off–diagonal gluon density can be calculated to very good ≤ 1 % accuracy from conventional gluon, and does not represent an important source of theoretical uncertainty.

## Off-diagonal partons (2)

Often the approximation is made

$$f_g(x, x', Q^2, \mu^2) \approx R_g \frac{\partial}{\partial \ln(Q_{\perp}^2)} \left[ xg(x, Q^2) \sqrt{T(Q_{\perp}, m_H)} \right],$$
 (1)

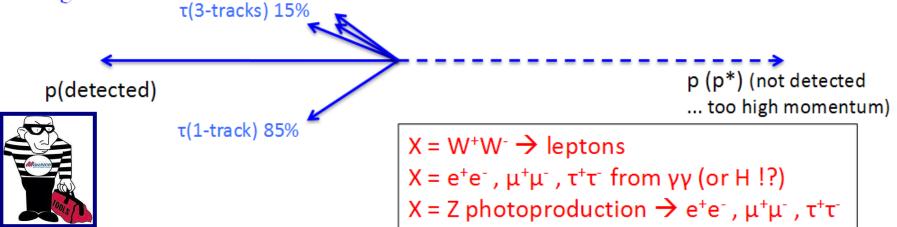
ignoring the scale dependence of  $R_g$ , i.e. assuming the off-diagonal and conventional PDFs have the same evolution with scale  $\mu$ .

- However only approximately true, and as σ<sub>CEP</sub> ~ (f<sub>g</sub>)<sup>4</sup>, care is needed.
- A more careful treatment, including R<sub>g</sub> inside the differential, shows that for Higgs CEP at the LHC (M<sub>h</sub> = 126 GeV, √s = 14 TeV), this can underestimate the cross section by up to a factor of ~ 2. Table: cross sections in fb, with R<sub>g</sub> inside and outside differential (1).
- Latest Durham predictions (arXiv:1301.2552) are consistent with this correct treatment.

	MSTW08LO	CTEQ6L	GJR08LO
$\sigma$ /fb, $R_g$ Outside	0.83	1.15	1.94
$\sigma$ /fb, $R_g$ Inside	1.39	1.91	2.66

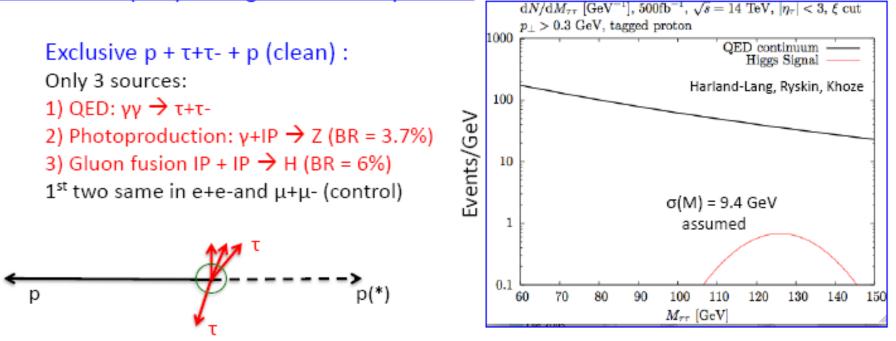
## One proton measured, still some physics at high PU?:

High mass diffraction well explored in ~ 1 week of  $\mu = \langle n/x \rangle \sim 1$  running ~100/pb. M(min) ~ 100 GeV. No M(X) from p's, no PH rejection by timing, but very clean central states may be accessible. E.g.



No additional tracks on X vertex (already very selective) In e<sup>+</sup>e<sup>-</sup>,  $\mu^{+}\mu^{-}$ ,  $\tau^{+}\tau^{-}$  cases  $\Delta \phi = \pi$  and  $p_{T}(X) \sim 0$ . Can we see p + [H125  $\rightarrow \tau^{+}\tau^{-}$ ] + p(\*)(undetected) in Stage 1 ?? (Study with Harland-Lang, Khoze, Ryskin) 3-momentum of X (~  $p_{z}$ ) determines <u>both</u> proton momenta e<sup>+</sup>e<sup>-</sup>,  $\mu^{+}\mu^{-}$  already calibrates HPS spectrometers (don't need both p's)

### Can we see H(125) in Stage 1 with one proton?



Two neutrinos missing, but 4-momentum constraints & two M(τ) constraints.

a) If fully optimised, how good can M(τ+τ-) be?

Factor x2 better  $\sigma(M) \rightarrow$  factor x2 peak height and in S:B. (possible??)

b) QED continuum,  $\gamma \gamma \rightarrow \tau + \tau -$ ,  $p_T(p) < p_T(p)$  in H  $\rightarrow \tau + \tau -$  (gluons, or IP)

pT > 0.3 GeV cut (as in plot) reduces QED by factor ~ 5, only 10% reduction in H.

c) Unseen low mass p-dissociation on other side increases σ, factor ~ 2(?) without spoiling kinematics. σ(H) also uncertain by a factor ~ 2-3 each way.

Still, SMH(125)  $\rightarrow$  p +  $\tau$ + $\tau$ - + p(\*) probably too small to see in Stage 1.

>> at Stage 2 with 420+240 have other p, better mass resolution, & timing for z(vtx) constraint. :-)

Mike Albrow HPS in CMS

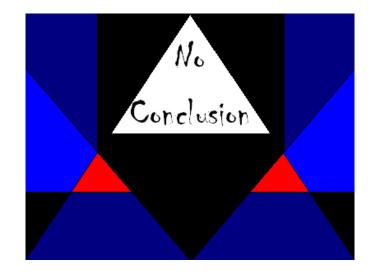
(see for instance arXiv: 1302.7033, also NMSSM)

- The LHC signal corresponds to the heavy CP-even Higgs boson.- SM like.
- Light CP-even Higgs heavily suppressed couplings to the gauge bosons.
  - The available parameter space is already affected by the current limits.
  - All 5 Higgs states have masses have masses of order 100 GeV
- Rich phenomenology- but might be excluded by the standard search channels at the LHC comparatively soon.
  - Recall also that the background is increasing with mass decreasing

$$S/B \sim \Delta M/M^3$$

(Marek's talk)





# Jury is still out



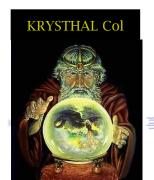


A MC event generator including<sup>8</sup>:

- Simulation of different CEP processes, including all spin correlations:
  - $\chi_{c(0,1,2)}$  CEP via the  $\chi_c \to J/\psi\gamma \to \mu^+\mu^-\gamma$  decay chain.
  - $\chi_{b(0,1,2)}$  CEP via the equivalent  $\chi_b \to \Upsilon \gamma \to \mu^+ \mu^- \gamma$  decay chain.
  - $\chi_{(b,c)J}$  and  $\eta_{(b,c)}$  CEP via general two body decay channels
  - Physical proton kinematics + survival effects for quarkonium CEP at RHIC.
  - Exclusive  $J/\psi$  and  $\Upsilon$  photoproduction.
  - γγ CEP.
  - Meson pair (ππ, KK, ηη...) CEP.
- More to come (dijets, open heavy quark, Higgs.
- → Via close collaboration with CDF, STAR and LHC collaborations, in both proposals for new measurements and applications of SuperCHIC, it is becoming an important tool for current and future CEP studies.

<sup>8</sup>The SuperCHIC code and documentation are available at http://projects.hepforge.org/superchic/



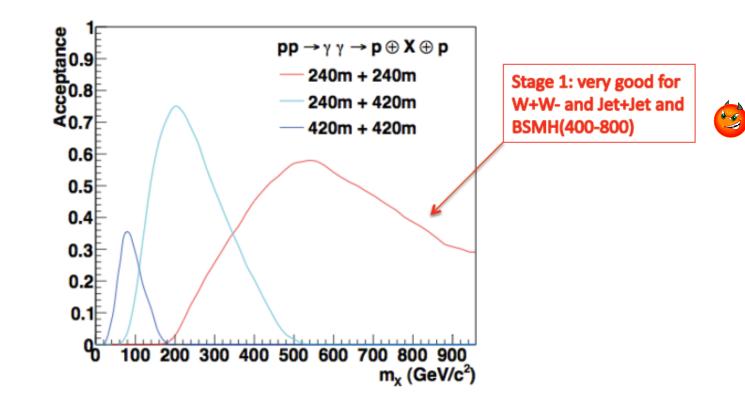


subprogram for S<sup>2</sup>

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## Mass acceptance for two arms for small |t| at Stations 1 & 2

(Assumes  $\Delta x(min)$  from beam = 3 mm at 240m)



Each arm at 240m by itself has ~ superimposed light blue and red. Stage 2 has ~ all 3 superimposed, and light blue x 2. For IP + IP |t| is larger and acceptance shifts. For H(125) best is [240 + 420] & [420 + 240]

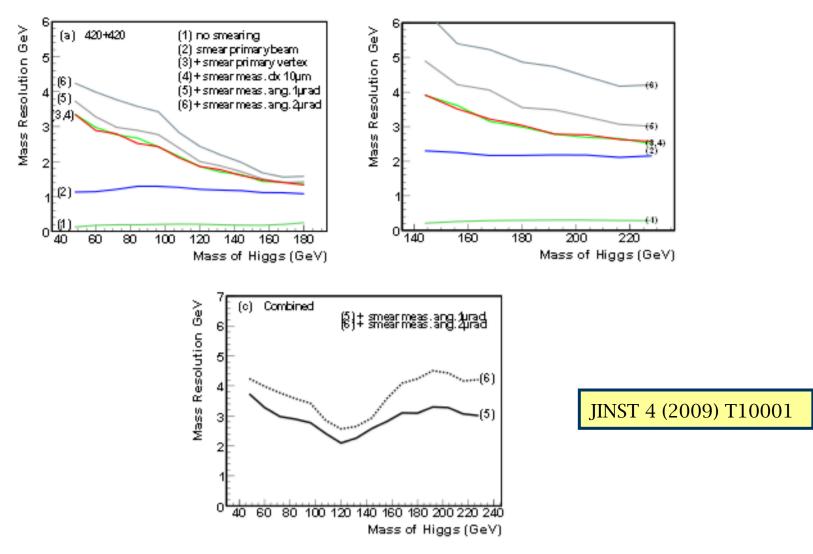


Fig. 32: Mass resolutions obtainable in ATLAS (a) for 420 + 420 m measurements, (b) for 420 + 220 m measurements, (c) combined. The curves have different amounts of smearing applied as explained in the text.



