Challenges with Highly Boosted Tops at the LHC

Contraction of the second s

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with L. Almeida, G. Perez, G. Sterman, I. Sung, J. Virzi with G. Perez, J. Virzi based on Works in Progress

Monday, March 10, 2008

Outline

- Highly Boosted Tops
- Highly Boosted QCD Jets
- Highly Boosted Top Pair
 Production
- Top Quark Polarization
- Summary



Highly Boosted Tops

- Interested in highly boosted tops from s-channel decay (for New Physics): $pp \rightarrow X \rightarrow t \overline{t}$ $pp \rightarrow X \rightarrow t Y$
- Focus mostly on the hadronic top (BR = 2/3) $t \rightarrow bW \rightarrow bjj$
- Challenges: decay products of highly boosted top will be highly collimated (high $P_T = small \Delta R$): $\Delta R \sim 2 m_t/P_T$
 - For $\Delta R < R_{min} \sim 0.4$, cannot distinguish individual jets

(hadronic calorimeter cell size : $\Delta \eta \times \Delta \phi \sim 0.1 \times 0.1$)

Highly Boosted Tops

- ▲R decreases as p_T increases
- For Small ΔR :
 - Usual criteria for top-tagging no longer work! (reconstructing W, then obtaining top)
 - Can we us a single
 Jet Mass to identify
 top?

K. Agashe, A. Belyaev, T. Krupovnickas, G. Perez, J. Virz

L. Fitzpatrick, J. Kaplan, L. Randall, L. Wang





Highly Boosted Top Quarks

• b-tagging efficiency for highly boosted tops is wired (small ~20%) L. March, E. Ros, B. Salvachúa

L. March, E. Ros, S. G. d.I. Hoz

- top quark radiation is another problem for top-jet mass distribution
 - not implemented in LO MC tools
 - order one effect ~ $\alpha_s \log^2(\frac{P_T}{m_T})$
- Jet-broadening at the detector level is also important
- Choosing an optimal cone size can be biased for parityviolating top production: (see later)

- Typical background for the highly boosted top (or other partons)
- Factorization Theorem:



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$$\frac{d\sigma}{dm_{J_1}^2 dm_{J_2}^2 \cdots} = \int_{p_T^{min}} f_a \otimes f_b \otimes d\hat{\sigma}(p_T, \cdots) \otimes J_1^{(c)}(m_{J_1}^2, p_T, \cdots) \otimes J_2^{(d)}(m_{J_2}^2, p_T, \cdots) \otimes S(\cdots)$$

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$$\frac{1}{\sigma} \frac{d\sigma}{dm_{J_1}^2} = J_1^{Theory}$$



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 - J is a normalized probability (jet mass) distribution
 - J absorbs collinear enhancements to the outgoing particles in the underlying perturbative process





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$$J_{1}^{(c)}(m_{J_{1}}^{2}, p_{T}, R^{2}) = -\alpha_{\rm S}(p_{T}) \frac{1}{m_{J_{1}}^{2}} \frac{C_{(c)}}{\pi} \log\left(\frac{m_{J}^{2}}{R^{2} p_{T}^{2}}\right) \exp\left\{-\alpha_{\rm S} \frac{C_{(c)}}{2 \pi} \log^{2}\left(\frac{m_{J}^{2}}{R^{2} p_{T}^{2}}\right)\right\}$$

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> Squark jets: $C_{(q)} = C_F = \frac{4}{3}$ gluon jets: $C_{(g)} = C_A = 3$



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 Note that at low order, jet function has no dependency on pseudo-rapidity









MadGraph => pythia => pgs (MLM)

 For Jet mass distribution, pseudo-rapidity dependence is negligible

• For new physics or any non-QCD physics, expect a









Highly Boosted Top Pair Production

W. Skiba and David Tucker-Smith

U. Baur and L.H. Orr

R. Frederix and F. Maltoni

• Important discovery channel for new physics: $pp \rightarrow X \rightarrow t\bar{t}$

•Focus on all-hadronic mode (~40%):

 $t\bar{t} \to WWb\bar{b} \to j_1j_2j_3j_4b\bar{b}$

Decay products are highly collimated

Examine top-tagging by single jet mass

Dominant background is the QCD dijet



 Signal(SM top) to background(QCD jet) ratio, before btagging: S/B~1/65

•One b-tagging is not enough: Need two to get S/B~6 (with b-tagging efficiency ~20% and fake-b-tagging rate ~1%)

L. March, E. Ros, B. Salvachúa ATL-Phys-PUB-2006-002

Highly Boosted top quark pair against QCD dijet

Highly Boosted Top Pair Production

- •Uncertainties for the highly boosted tops:
 - -for highly boosted top jet: b-tagging efficiency is wired (~20%) ^{L. March, E. Ros, B. Salvachúa} ATL-Phys-PUB-2006-002
 - -fake-b-tagging (~1%) for the QCD jet
 - -top quark radiation effect
 - -jet broadening (detector level)
 - -PDF uncertainties
- •Study of substructure of top and QCD jet can help distinguish top from QCD jet J.M. Butterworth, B.E. Cox, J.R. Forshaw

- Daughter particles remember top polarization
- For ultra-relativistic top: helicity=chirality
 - Can do polarization analysis like it was done for the tau
 - A powerful method already mentioned in Gilad's talk
- \bullet We want to use P_T to probe top polarization: P_T is a directly measured quantity (c.f. For polarization method, need to

use derived quantities with biases, like center of mass boost etc.)

- Different from spin-spin correlation where you expand in s wave (for non-relativistic top)



Left-Handed W

Longitudinal W



Left-Handed W



Left-Handed W



Left-Handed W



Left-Handed W

Longitudinal W

- •b quark:
 - back-warded (soft PT) for tR
 - forwarded (hard P_T)
 for t_L
- For SM, parity even (PT distribution will be flat) → look for new Physics where parity is violated





• lepton:forwarded for t_R back-warded for t_L



Left–Handed W

lepton:forwarded for t_R
 back-warded for t_L



Left-Handed W

Longitudinal W

For Boosted Longitudinal W: letpon is forwarded





•for example with the KK gluon, you'll see suddenly only leptons/bs that follows the RH curves

Leptonic Top

charged lepton as a spin analyzer









$p_T(top) > 1 \text{TeV}$

MadGraph

- ΔR difference (charged lepton from top decay)
- Average ΔR:
 0.46 (t_L)/ 0.29(t_R)

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 (b quark from top decay)
- Average ΔR:
 0.27 (t_L)/ 0.34 (t_R)



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Summary

- Challenges with highly boosted tops; decay products are highly collimated
- Identifying top with single jet mass might be a solution; need to distinguish top from the QCD Jet
- Have a simple (pseudo-rapidity independent) analytical handle from Factorization approach for QCD jet
- P_T of b quark (lepton) can be used to analyze hadronic (leptonic) top quark polarization
- Our analysis is equally relevant for highly boosted W, Z (because of unitarity bound) and the boosted Higgs