

Dilaton domination in the MSSM and its singlet extensions

J.Louis,K.Schmidt-Hoberg and LZ [arXiv:1402.2977, t.a in Physics Letters B]

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Outline

- 1 Motivation
- 2 Dilaton domination in MSSM
- 3 Results MSSM
- 4 Dilaton domination in GNMSSM
- 5 Results GNMSSM
- 6 Conclusion

Motivation

Minimal Supersymmetric Standard Model (MSSM)

- Signature of a UV completed theory: String Theory
- Gauge coupling unification
- Stabilizes the Higgs mass from radiative corrections (*hierarchy problem*)
- Dark matter candidate (neutralino)

Motivation

Minimal Supersymmetric Standard Model+ Singlet extensions

- Now a *little hierarchy problem*

MSSM models need large radiative corrections to achieve the 126GeV, this implies some fine tuning at the EW scale. At tree level:

$$m_h^{\text{tree}} \leq M_z$$

additional tree level mass term that could reduce the fine tuning

- Concerning DM

Large susy scale can yield too large relic abundance

additional DM candidate, the *singlino*, that could relieve this tension

[U.Ellwanger,C.Hugonie,A.M.Teixeira]

[M.Maniatis]

Motivation

String Theory

Embed the model in ST where our framework is a low energy limit.

String model building has two main steps

- Construct string background with additional singlet and its coupling.
- Define the susy breaking mechanism and vacua determine soft terms at high scale.

We start from $N = 1$ Supergravity effective theory (f, K, W) with the spectrum of **observable** fields, and **hidden** fields.

Motivation

String Theory

Gravity mediated SUSY breaking

Observable sector
(MSSM, NMSSM..)

Hidden sector, breaks SUSY
(ex. dilaton , moduli..)

When the hidden field gets a vev and take the rigid limit \rightarrow soft terms appear $\sim O(m_{\frac{3}{2}})$ [V.S.Klapunovsky,J.Louis '93]

SUSY is broken by the Dilaton (*dilaton domination*)

- Model independent (in heterotic strings)
- Universal soft terms (no flavor mixing terms)

We will study the pheno. implications of the Dilaton domination in MSSM and singlet extensions

Pheno constraints

Pheno constraints:

- Higgs mass $m_h = (125.6 \pm 3)\text{GeV}$ [CMS,ATLAS '13]
- Dark Matter $0.1064 < \Omega h^2 < 0.01334$ [PLANCK '13]
and SUSY searches

Numerical analysis:

- SPheno created by Sarah [W.Porod, F.Staub]
(2 loop scalar Higgs masses)
- MicrOmegas [G.Belanger, F.Boujema,A.Pukhov,A.Semenov]
(Dark Matter relic density)

Dilaton domination in the MSSM

$$\mathcal{W}_{\text{MSSM}} = \mu_h H_u H_d + \text{yukawa terms}$$

Dilaton domination fixes the soft parameters at GUT scale:

$$\mathbf{m}_0, \quad \mathbf{m}_{1/2} = \sqrt{3}\mathbf{m}_0, \quad \mathbf{A}_0 = -\sqrt{3}\mathbf{m}_0$$

$$\mathbf{B}_h \text{ free}, \quad \mathbf{B}_h = 2\mu_h m_0 \text{ [G.Giudice, A.Masiero]}$$

ruled out [R.Barbieri, J.Louis, R.Moretti]

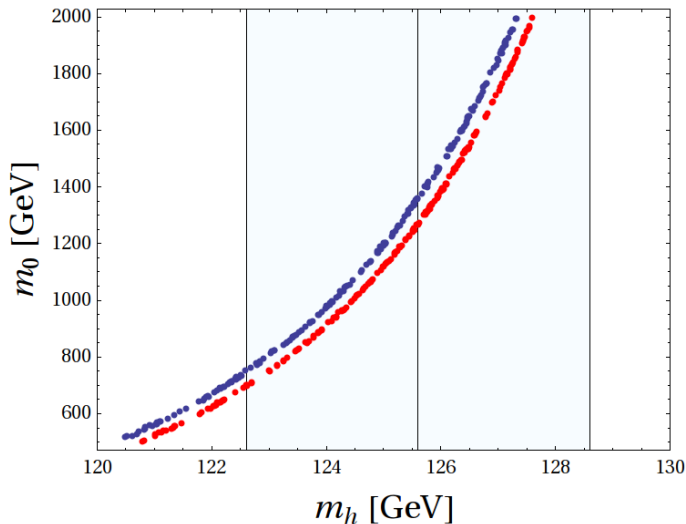
EWSB fixes one parameter ($v \sim 246\text{GeV}$)

2 free parameters: (m_0, μ_h or)

$$\mathbf{m}_0, \tan \beta, \text{sign}(\mu)$$

Higgs mass

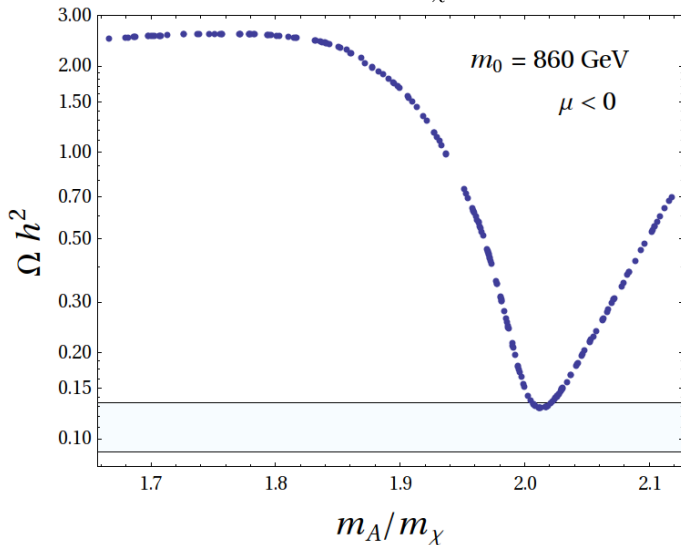
- Large $\tan \beta$
- Bound on m_0 : $m_0 > 695\text{GeV}$ ($\mu_h > 0$) , $m_0 > 760\text{GeV}$ ($\mu_h < 0$)



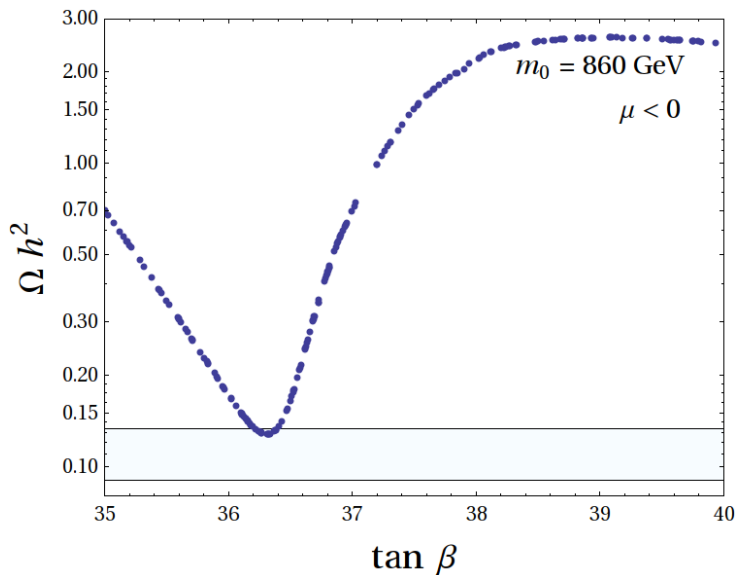
Dark Matter

Bino neutralino has very large RD, one can go to

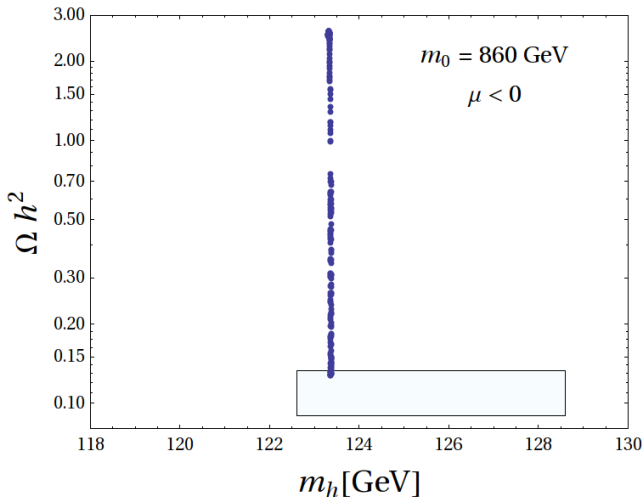
resonance in A channel: $m_A \sim 2m_\chi$



Dark Matter



Dark Matter



Relic density increases rapidly with m_0

$$m_0 < 875 \text{ GeV} \quad (\mu_h < 0)$$

which shows the tension with the Higgs mass!.

Prediction for LHC-14

To have a Higgs mass and DM relic density in the allowed range, we obtained

$$760\text{GeV} < m_0 < 875\text{GeV} , \tan\beta \sim 36, \mu_h < 0$$

and found no available region for $\mu_h > 0$.

These yields

- 1 higgs mass \sim lower bound
- 2 $2750\text{GeV} < m_{\tilde{g}} < 3150\text{GeV}$
- 3 $2450\text{GeV} < m_{\tilde{q}} < 2800\text{GeV}$

[J.Louis,K.Schmit.Hobert,LZ]

Dilaton domination in GNMSSM

$$\mathcal{W}_{\text{GNMSSM}} = \mathcal{W}_{\text{MSSM}} + \lambda S H_u H_d + \frac{1}{3} \kappa S^3 + \mu_s S^2 + \xi S$$

Dilaton domination fixes the soft parameters at GUT scale:

$$\mathbf{m}_0 = \mathbf{m}_s, \quad \mathbf{m}_{1/2} = \sqrt{3} \mathbf{m}_0, \quad \mathbf{A}_0 = \mathbf{A}_\lambda = \mathbf{A}_\kappa = -\sqrt{3} \mathbf{m}_0$$

general case $\mathbf{B}_s, \mathbf{B}_h$ free

constrained $\mathbf{B}_s = 2\mu_s \mathbf{m}_0, \mathbf{B}_h = 2\mu_h \mathbf{m}_0$

EWSB fixes one parameter ($v \sim 246 \text{ GeV}$)

7 free parameters: ($s \rightarrow v_s$)

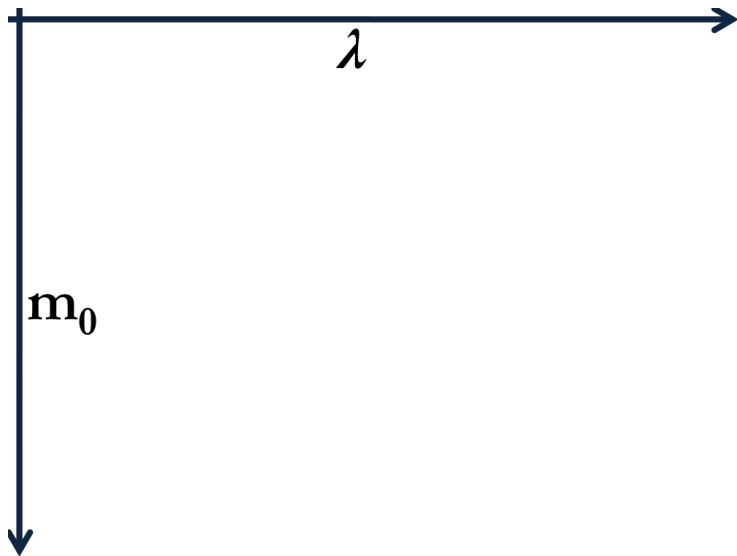
$$\mathbf{m}_0, \tan \beta, \lambda, \kappa, \mu_s, \mathbf{B}_s, v_s$$

Results GNMSSM

Singlet extensions could increase the tree level Higgs mass in large λ and small $\tan \beta$ regime

$$m_{h(\text{tree})}^2 < M_z^2 \cos^2 \theta + \lambda^2 v^2 \sin^2 \theta$$

For different singlet sectors of W_{GNMSSM} , depending on the regime of λ , we found examples of phenomenologically available regions in parameter space that relieve the tension found in the MSSM.



$$\mathcal{W}_{\text{GNMSSM}} = \mathcal{W}_{\text{MSSM}}(\mu_h = 0) + \lambda S H_u H_d + \frac{1}{3} \kappa S^3 + \mu_s S^2$$

**EFFECTIVE
MSSM**

λ

(large $\tan\beta$)

- Bino LSP
- Higgs mass in lower bound

m_0

$$\mathcal{W}_{\text{GNMSSM}} = \mathcal{W}_{\text{MSSM}} (\mu_h \neq 0) + \lambda S H_u H_d + \frac{1}{3} \kappa S^3 + \mu_s S^2$$

**EFFECTIVE
MSSM**

λ

**LARGE
COUPLING LIMIT**

(small $\tan\beta$)

- Bino LSP
- Higgs mass ok

m_0

$$\mathcal{W}_{\text{GNMSSM}} = \mathcal{W}_{\text{MSSM}} (\mu_h \neq 0) + \lambda S H_u H_d + \frac{1}{3} \kappa S^3 + \mu_s S^2 + \xi S$$

**EFFECTIVE
MSSM**

λ

**LARGE
COUPLING LIMIT**

m_0

GNMSSM

- Singlino LSP
- Higgs mass ok

$$\mathcal{W}_{\text{GNMSSM}} = \mathcal{W}_{\text{MSSM}}(\mu_h \neq 0) + \lambda S H_u H_d + \frac{1}{3} \kappa S^3 + \mu_s S^2 + \xi S$$

**EFFECTIVE
MSSM**

$(\mu_s \neq 0, \mu_h = 0, \zeta = 0)$

- Bino LSP
- Higgs mass in lower bound

m_0

GNMSSM

$(\mu_s \neq 0, \mu_h \neq 0, \zeta \neq 0)$

- Singlino LSP
- Higgs mass ok

λ

**LARGE
COUPLING LIMIT**

$(\mu_s \neq 0, \mu_h \neq 0, \zeta = 0)$

- Bino LSP
- Higgs mass ok

Too large mixing
Higgs mass too low

Conclusions

- The dilaton domination in both the MSSM and GNMSSM are phenomenologically viable scenarios.
- In the MSSM case we found a tension among the higgs mass and the DM relic density that yields predictions for the LHC-14:

$$2750\text{GeV} < m_{\tilde{g}} < 3150\text{GeV}$$

$$2450\text{GeV} < m_{\tilde{q}} < 2800\text{GeV}$$

with a higgs mass near the lower bound .

- In the GNMSSM we found regimes with the Higgs mass near its central value (large coupling limit) and the tension with DM relic abundance is relieved when DM candidate is a singlino (decoupling limit).

Thanks for your attention!

