

Exclusive Jet Production at the LHC

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Based on work by V.A. [Khoze](#), L.A. [Harland-Lang](#) and M.G. [Ryskin](#)
([KHARYS](#) collaboration)

Exclusive Jet production at the Tevatron

- Exclusive dijet production measured by CDF in 2008, by D0 in 2011.

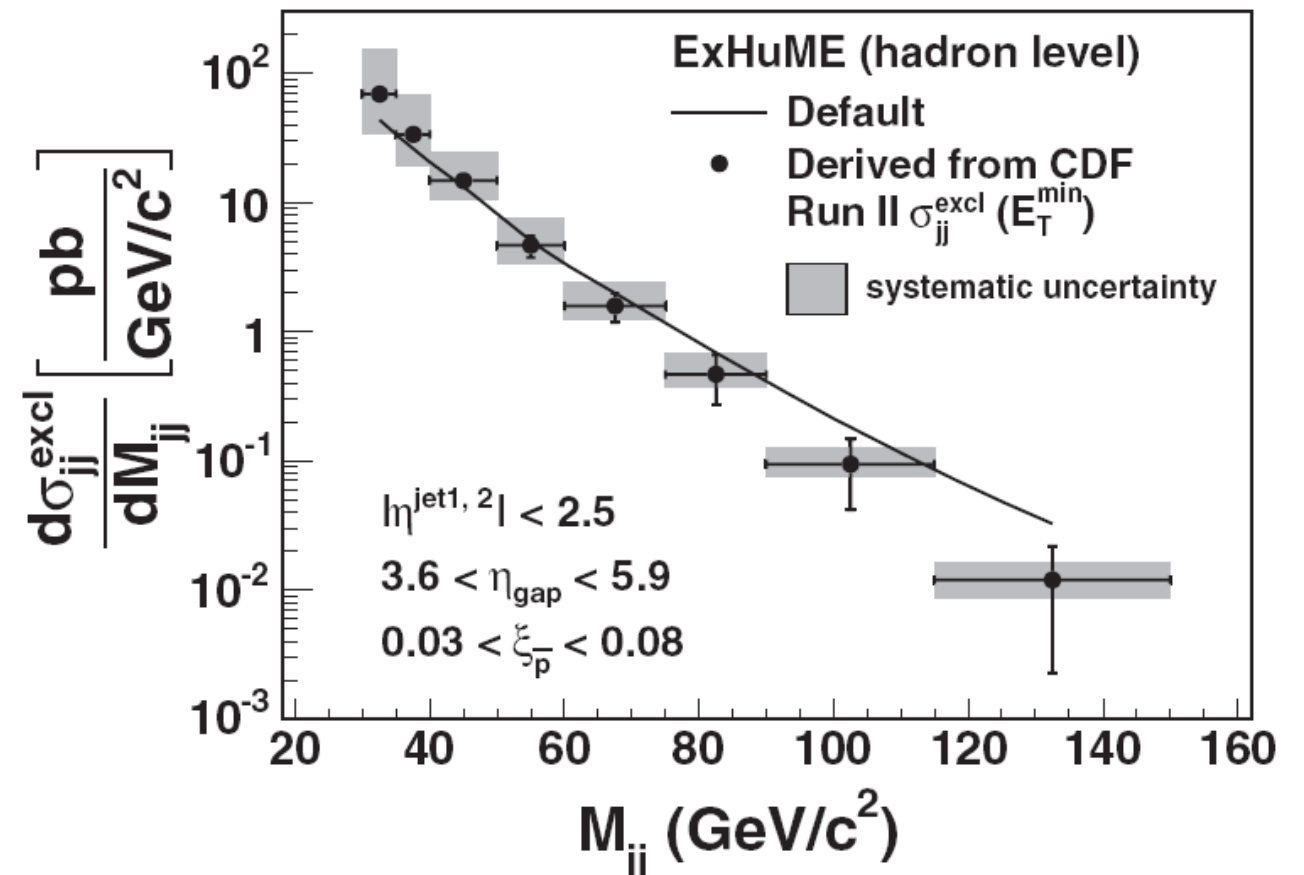
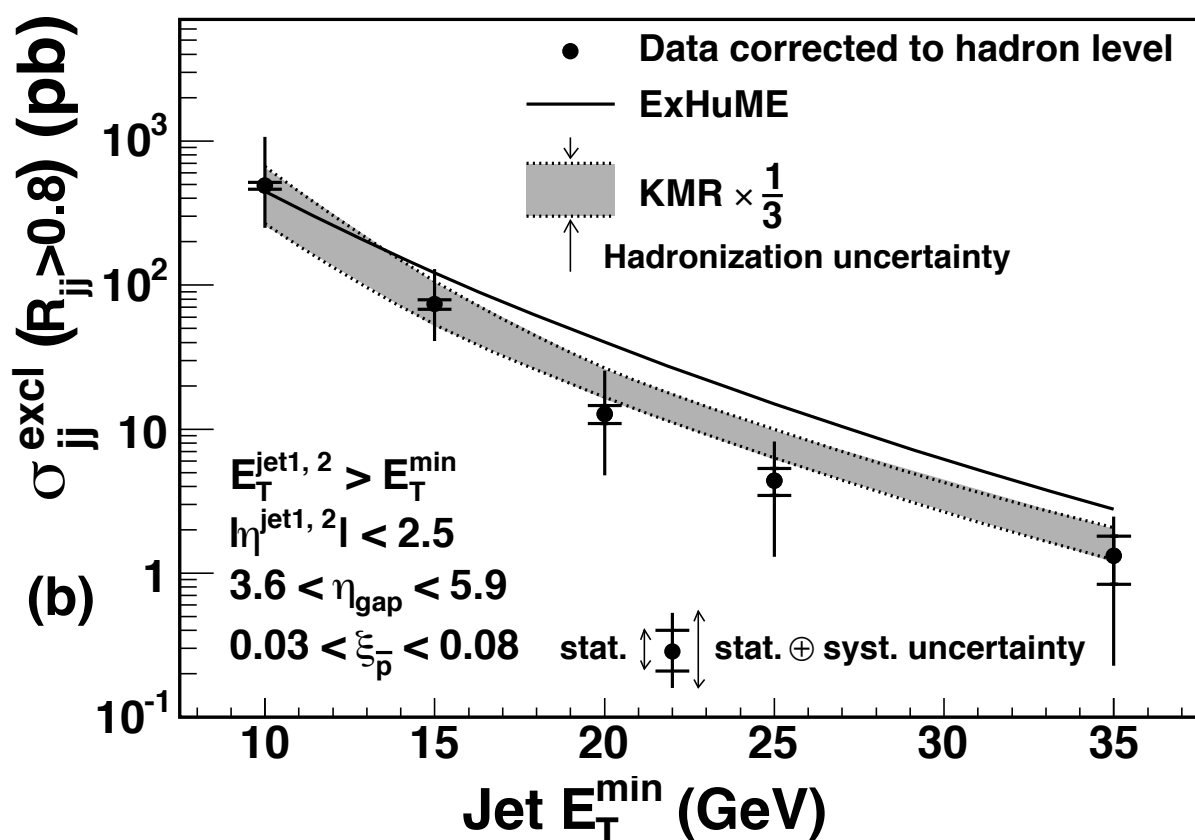
CDF Collab., Phys.Rev.D77:052004,2008

D0 collab. Phys.Lett. B705 (2011) 193

- Data compared quite well with Exhume MC implementation of the Durham model, giving support to this (perturbative) approach.

- However the MC (and theory) used is not up to date or complete (in particular with tagged protons).

→ In this talk I will describe new MC, **under development**, for exclusive jets, which can be compared to future LHC measurements. **CMS + TOTEM...**

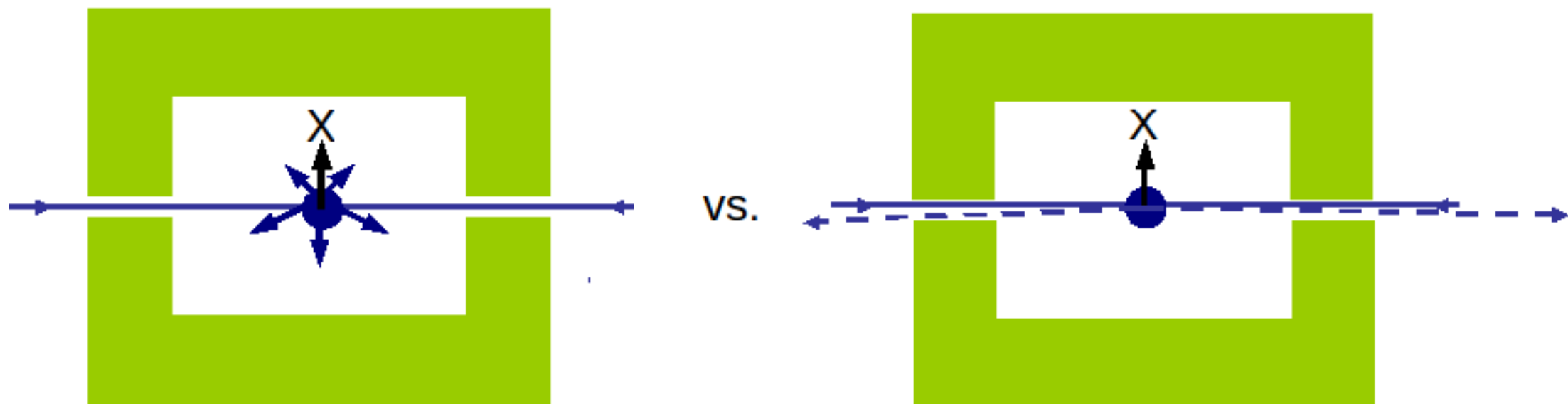


Central Exclusive Diffraction

Central exclusive diffraction, or central exclusive production (CEP) is the process

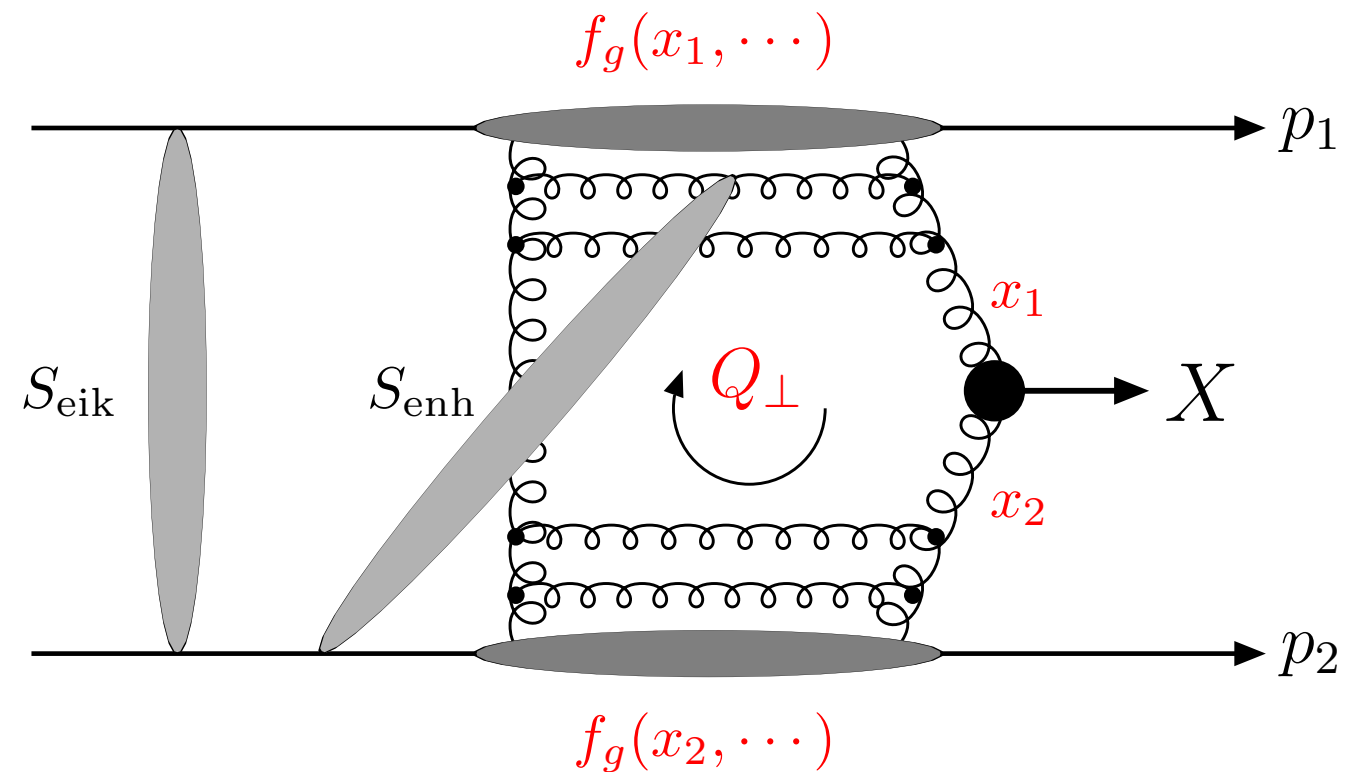
$$h(p_1)h(p_2) \rightarrow h(p'_1) + X + h(p'_2)$$

- **Diffraction**: colour singlet exchange between colliding hadrons, with large rapidity gaps ('+') in the final state.
- **Exclusive**: hadrons lose energy, but remain intact after collision and can in principal be measured by detectors positioned down the beam line.
- **Central**: a system of mass M_X is produced at the collision point, and *only* its decay products are present in the central detector region.



‘Durham Model’ of Central Exclusive Production

- The generic process $pp \rightarrow p + X + p$ is modeled perturbatively by the exchange of two t-channel gluons.
- The use of pQCD is justified by the presence of a hard scale $\sim M_X/2$. This ensures an infrared stable result via the Sudakov factor: the probability of no additional perturbative emission from the hard process.
- The possibility of additional soft rescatterings filling the rapidity gaps is encoded in the ‘eikonal’ and ‘enhanced’ survival factors, S_{eik}^2 and S_{enh}^2 .
- In the limit that the outgoing protons scatter at zero angle, the centrally produced state X must have $J_z^P = 0^+$ quantum numbers.



$$J_z = gg \text{ axis} \approx \text{beam axis}$$

- Protons can have some small p_\perp (scatter at non-zero angle), but if this is too big, they break up \rightarrow strong suppression in non $J_z^P = 0^+$ configuration.

Exclusive jet production

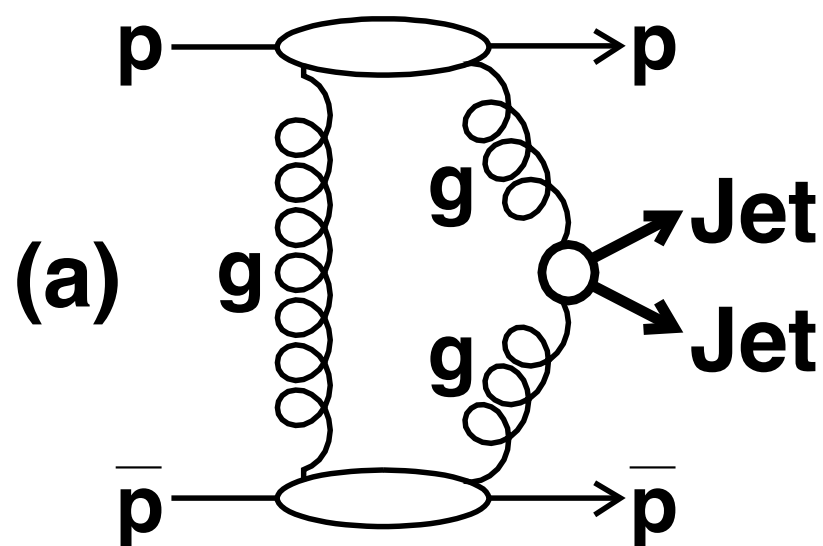
- Can consider case that central object is a number of jets, e.g. dijet CEP

$$pp \rightarrow p + jj + p$$

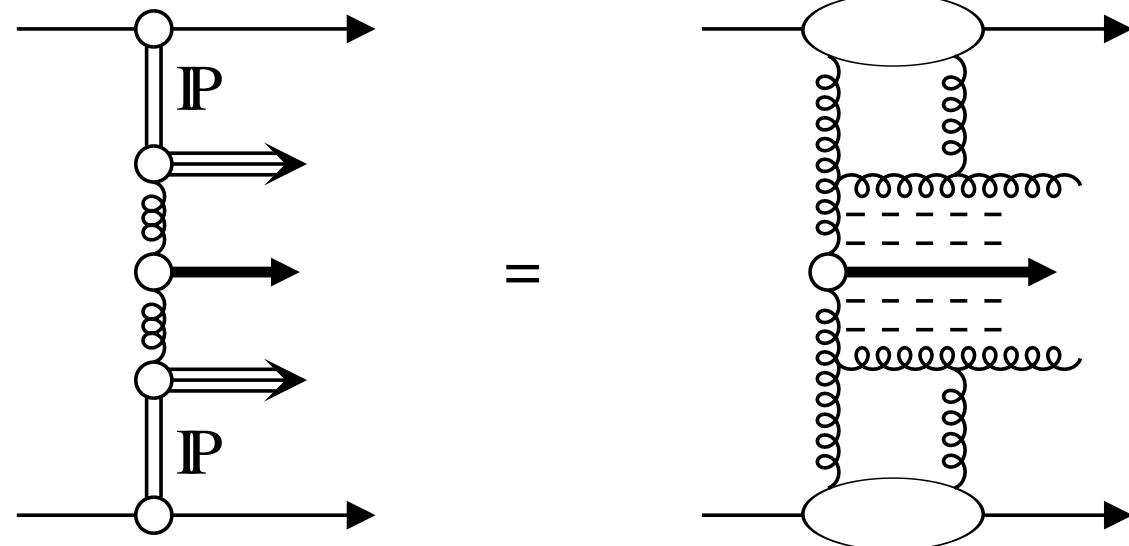
- More complicated than case where a simple object ($\chi_c, \gamma\gamma\dots$) is produced, as a jet consists of many particles, with no unique assignment of all final state particles to a given jet.

→ **Experimentally**: not as simple as demanding two jets and no additional particles.

Theoretically: two different processes will in general contribute to signal.



'Exclusive'



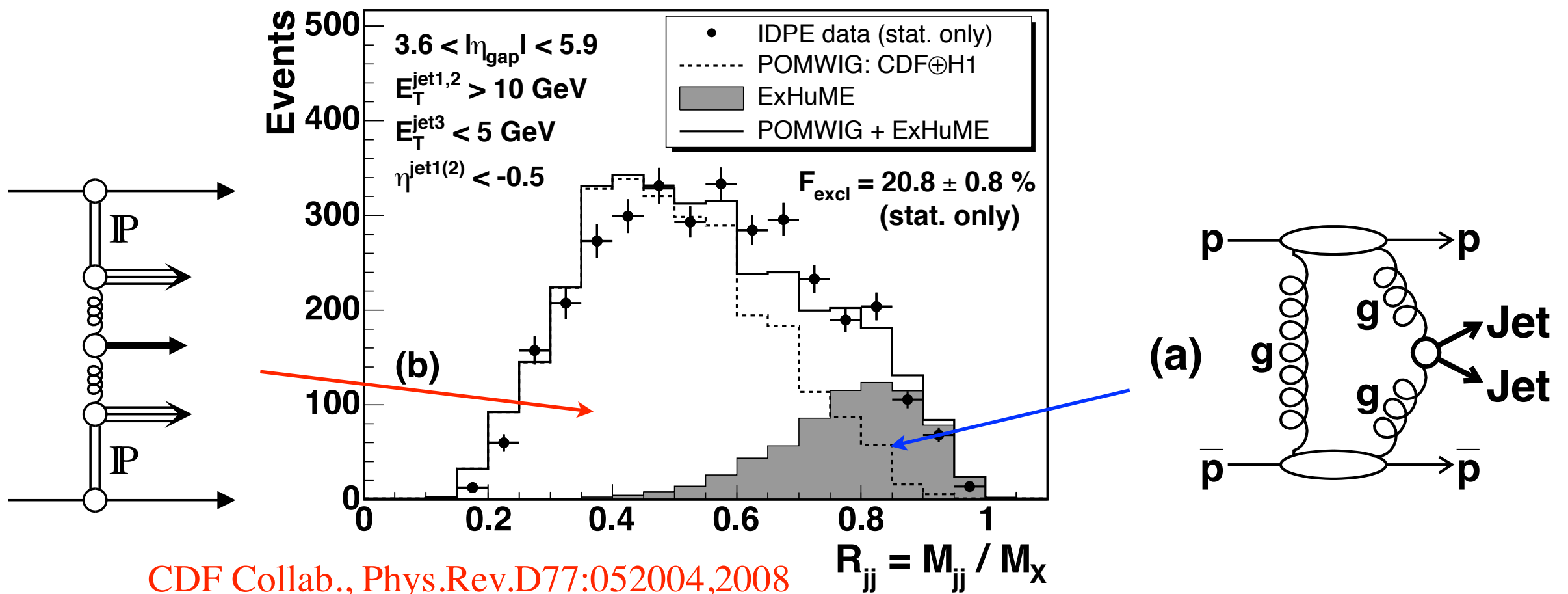
'Inelastic DPE'

- However can consider e.g.

$$R_{jj} \equiv M_{jj} / M_X$$

- For a idealized exclusive signal $R_{jj} = 1$. However smearing effects and radiation outside of the jets will broaden this, and signal will be a peak towards $R_{jj} \sim 1$

- For inelastic DPE, will get a distribution over all R_{jj}

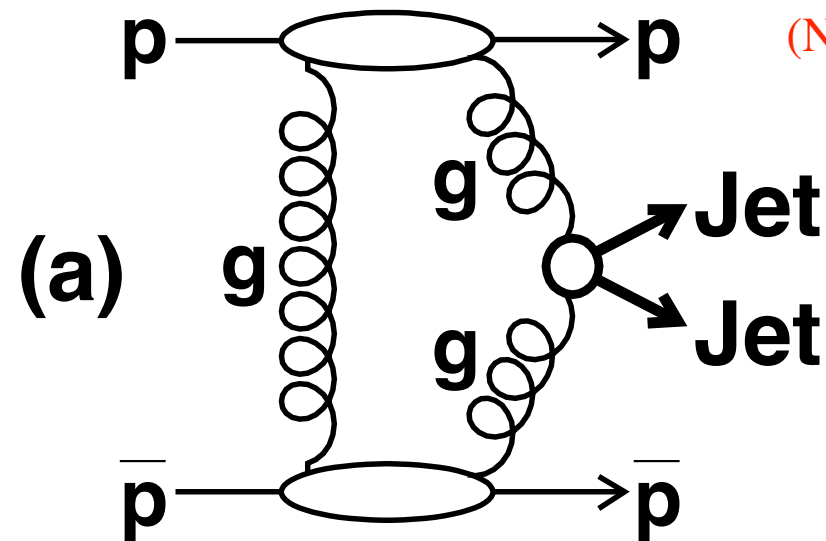


Exclusive jet production: theory

- We are interested in the exclusive signal, in which case we have

For inelastic DPE: e.g. POMWIG, B.E. Cox and J.R. Forshaw, *Comput.Phys.Commun.* 144 (2002) 104-110

(Note does not include survival factor)



- The parton-level dijet amplitude is given by the usual Durham expression:

$$T = \pi^2 \int \frac{d^2 \mathbf{Q}_\perp \mathcal{M}(gg \rightarrow X)}{\mathbf{Q}_\perp^2 (\mathbf{Q}_\perp - \mathbf{p}_{1\perp})^2 (\mathbf{Q}_\perp + \mathbf{p}_{2\perp})^2} f_g(x_1, x'_1, Q_1^2, \mu^2; t_1) f_g(x_2, x'_2, Q_2^2, \mu^2; t_2)$$

Where $X = gg, q\bar{q}$

Production subprocess

- We need the amplitudes for

$$gg \rightarrow gg \quad \text{and} \quad gg \rightarrow q\bar{q}$$

For colour singlet gluons. $J_z = 0$ selection rule \Rightarrow dominant contribution will come from amplitude for incoming gluons with $(++, --)$ helicities. These are given by

$$\mathcal{M}(g(\pm)g(\pm) \rightarrow g(\pm)g(\pm)) = \delta^{CD} \frac{N_c}{N_c^2 - 1} \frac{32\pi\alpha_s}{(1 - \cos^2 \theta)}$$

Other final state helicities give vanishing amplitudes

$$\mathcal{M}(g(\pm)g(\pm) \rightarrow q_h\bar{q}_{\bar{h}}) = \frac{\delta^{cd}}{2N_c} \frac{16\pi\alpha_s}{(1 - \beta^2 \cos^2 \theta)} \frac{m_q}{M_X} (\beta h \pm 1) \delta_{h,\bar{h}}$$

For massless quarks this vanishes!

Helicity non-conservation along quark line

\longrightarrow Quark jets dynamically suppressed by selection rule

Production subprocess

- If we consider the exclusive cross section ratio, we find

$$\frac{d\sigma(q\bar{q})/dt}{d\sigma(gg)/dt} \approx \frac{N_c^2 - 1}{4N_c^3} \frac{m_q^2}{M_X^2} = \frac{2}{27} \frac{m_q^2}{M_X^2}$$

↑
Additional suppression from colour and spin 1/2 quarks

- Taking e.g. $m_b = 4.5$ GeV and $M_X = 40$ GeV we then get

$$\frac{d\sigma(b\bar{b})/dt}{d\sigma(gg)/dt} \approx 10^{-3}$$

→ Huge suppression in b quark jets (increasing with M_X). Completely unlike inclusive case. See also: $H \rightarrow b\bar{b}$

What about light quark jets?

Light quark jets

- For light quark jets ($m_q \rightarrow 0$) the leading order $J_z = 0$ production amplitude (dominant for CEP) will vanish. \Rightarrow Must consider sub-leading $|J_z| = 2$ contribution. Find that:

$$\mathcal{M}(g(\pm)g(\mp) \rightarrow qh\bar{q}\bar{h}) = \frac{\delta^{cd}}{2N_c} 8\pi\alpha_s \left(\frac{1 \pm h \cos \theta}{1 \mp h \cos \theta} \right)^{1/2} \delta_{h,-\bar{h}}$$

- In general such a $|J_z| = 2$ contribution is suppressed in CEP by

$$\frac{\sigma(|J_z| = 2)}{\sigma(J_z = 0)} \sim \frac{\langle p_{\perp}^2 \rangle^2}{\langle Q_{\perp}^2 \rangle^2} \sim 10^{-2}$$

Average outgoing proton transverse momentum (sub-GeV²)

Average gluon transverse momentum in loop \sim several GeV²

- Combining these we have

$$\frac{d\sigma^{J_z=\pm 2}(q\bar{q})/dt}{d\sigma(gg)/dt} \approx \frac{N_c^2 - 1}{16N_c^3} \frac{\langle p_{\perp}^2 \rangle^2}{\langle Q_{\perp}^2 \rangle^2} \sim 10^{-4}$$

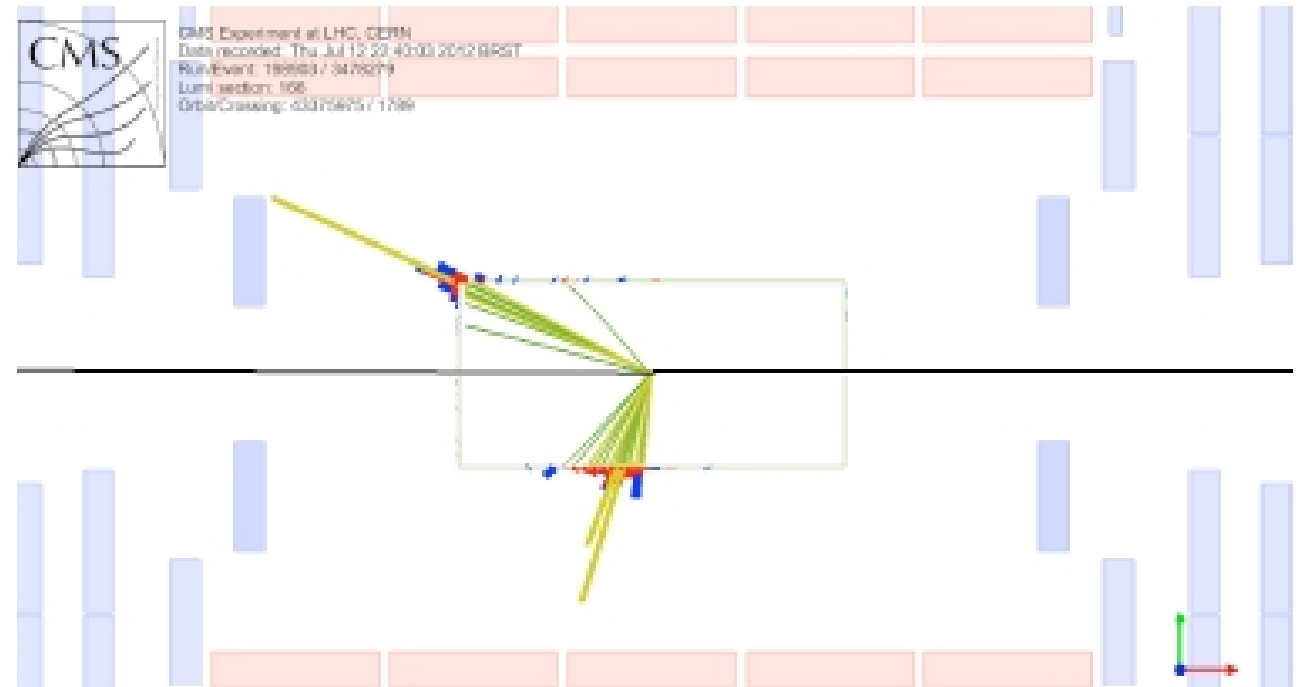
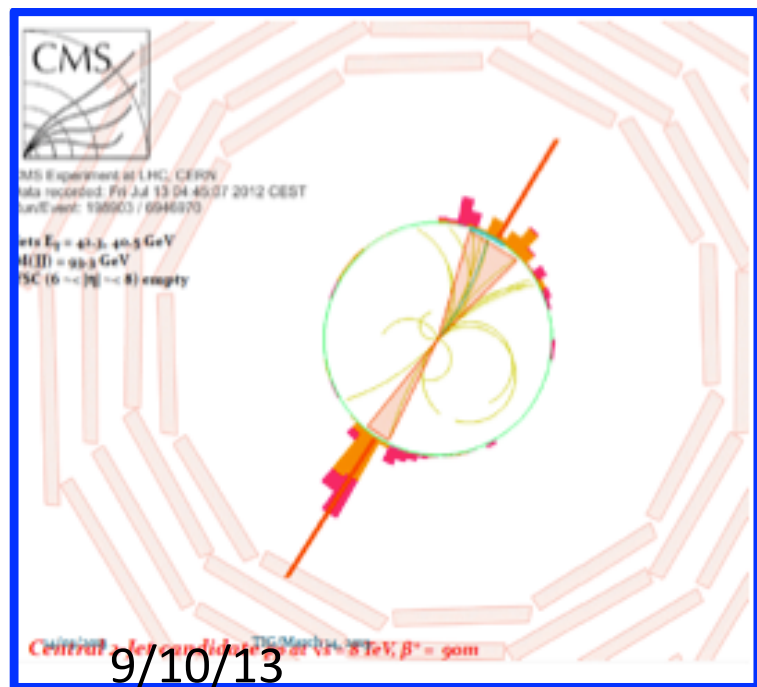
For one flavour
 \Rightarrow multiply by $n_f = 4$

\longrightarrow Huge suppression in light quark jets

Gluon jet dominance

From the above considerations, we expect dijet events to be almost entirely (colour singlet) gg

→ CEP of dijets offers the possibility of observing the isolated production of gluon jets at the LHC.



CMS + TOTEM event displays

Mike Albrow's EDS 2013 summary talk, [arXiv:1310.7047](https://arxiv.org/abs/1310.7047) :

These dijet and trijet events are the cleanest ever seen at a hadron collider, and remind one of LEP events. But these dijets are nearly all gg , while at LEP there were all $q\bar{q}$.

→ Clean probe of properties of gluons jets (multiplicity, particle correlations...)

Trijet production

- What about three jets: ggg or $q\bar{q}g$?
- $q\bar{q}g$: configuration with g becoming soft/collinear to q/\bar{q} driven by two-jet $q\bar{q}$ amplitude, which vanishes for $J_z = 0$ gluons and $m_q = 0$.

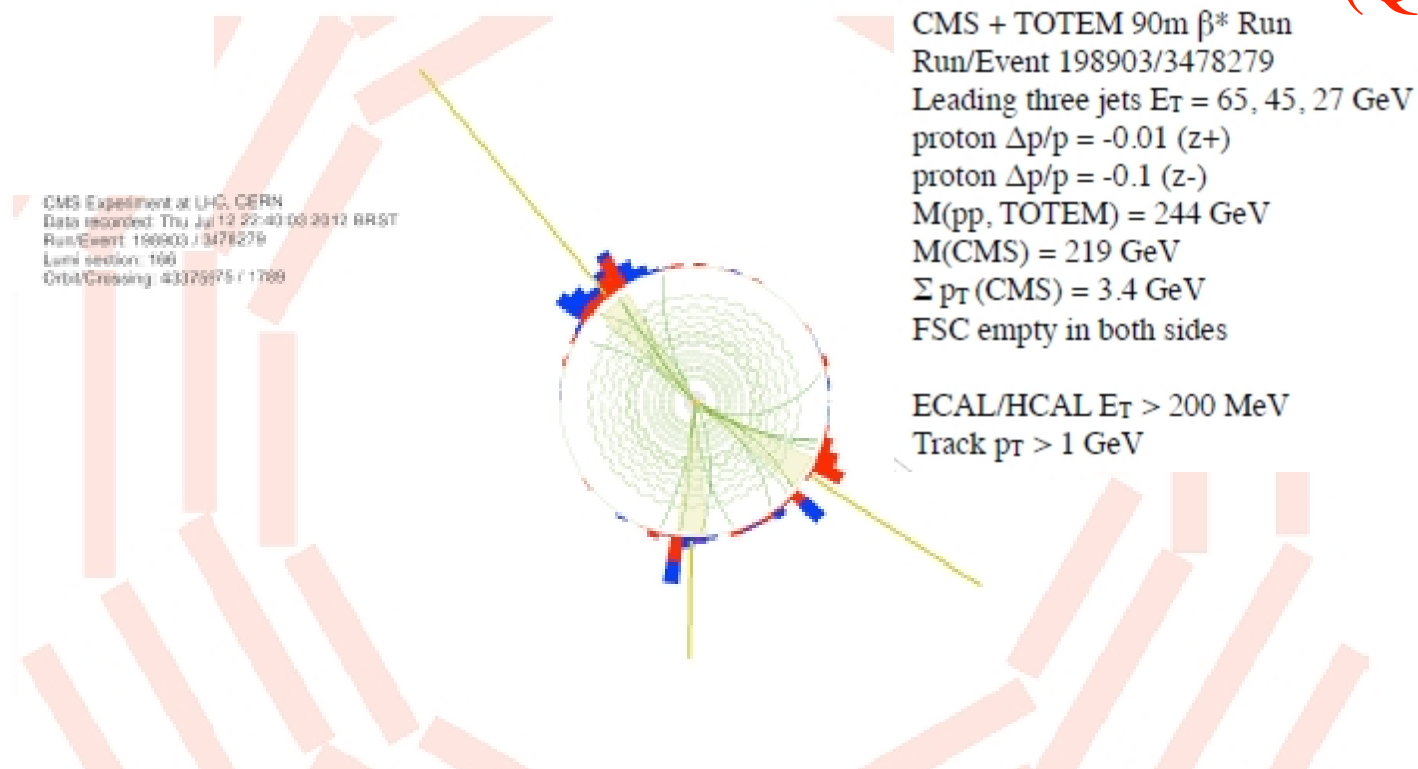
Find e.g. that $\frac{d\sigma(q\bar{q}g)}{dE_g} \sim E_g^3$ in contrast to standard IR behaviour

($\sim 1/E_g$), where soft/collinear radiation preferred.

V.A. Khoze, M.G. Ryskin, W.J. Stirling,
Eur.Phys.J. C48 (2006) 477-488

→ Expect relative enhancement of ‘Mercedes-like’ configuration for $q\bar{q}g$ events.
Can perform detailed comparison of $q\bar{q}g$ vs. ggg topologies

(Quantitative Studies underway)



CMS + TOTEM event display

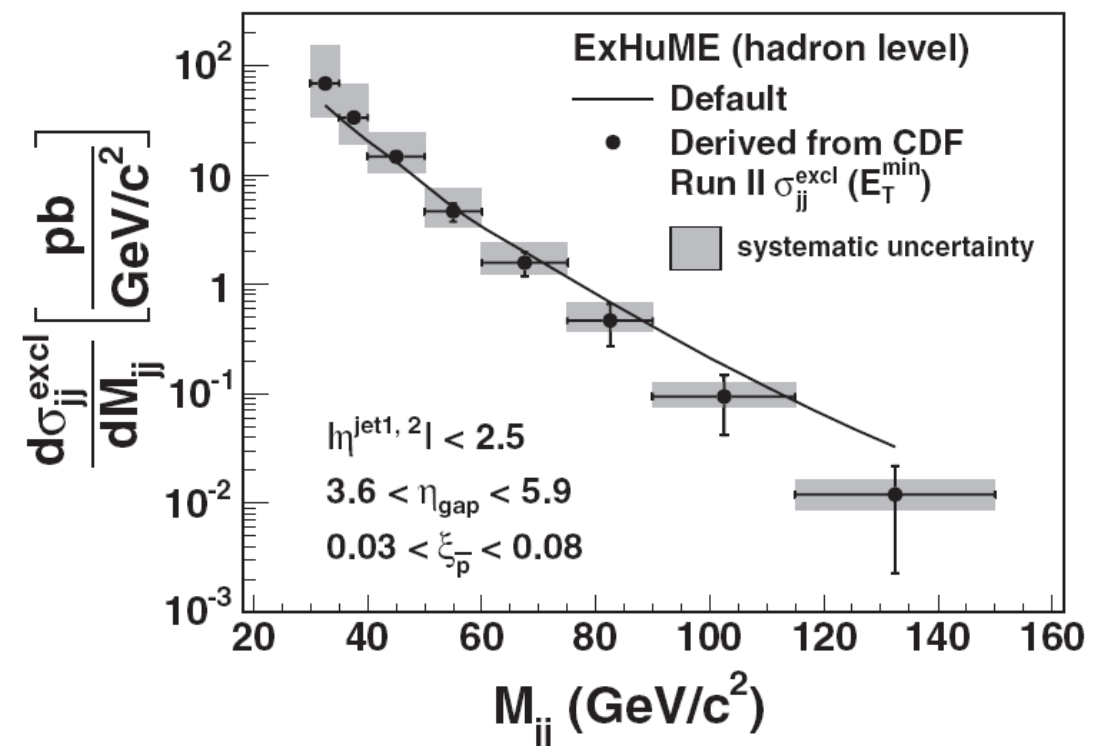
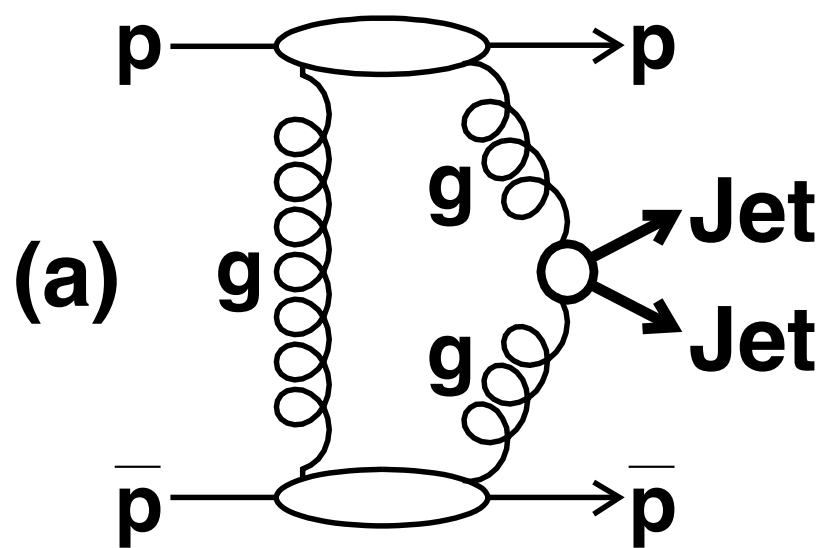
New Monte Carlo implementation

J. Monk and A. Pilkington, *Comput.Phys.Commun.* 175 (2006) 232

Boonekamp et al. arXiv:1102.2531

- Dijet production previously implemented in Exhume and FPMC
- However, there have been a number of theoretical developments:

- ▶ Correct inclusion of Sudakov factor → Correct limit ‘ Δ ’ on z integration:
T.D. Coughlin and J.R. Forshaw, *JHEP* 1001 (2010) 121
- ▶ Consistent treatment of ‘skewed’ gluon PDFs → R_g factor dependent on gluon Q_\perp
LHL, *Phys. Rev. D* 88 (2013) 034029
- ▶ Latest model of soft survival effects → As in V.A. Khoze, A.D. Martin, M.G. Ryskin,
Eur.Phys.J. C 73 (2013) 2503



- Most importantly, neither of these include survival effects in a complete way:

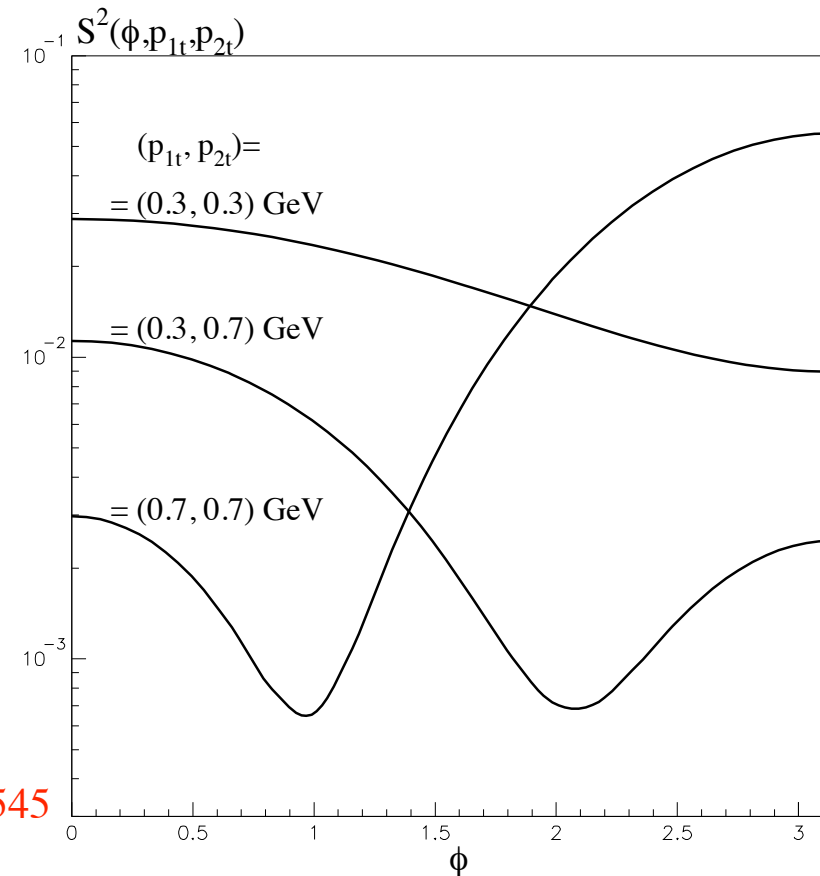
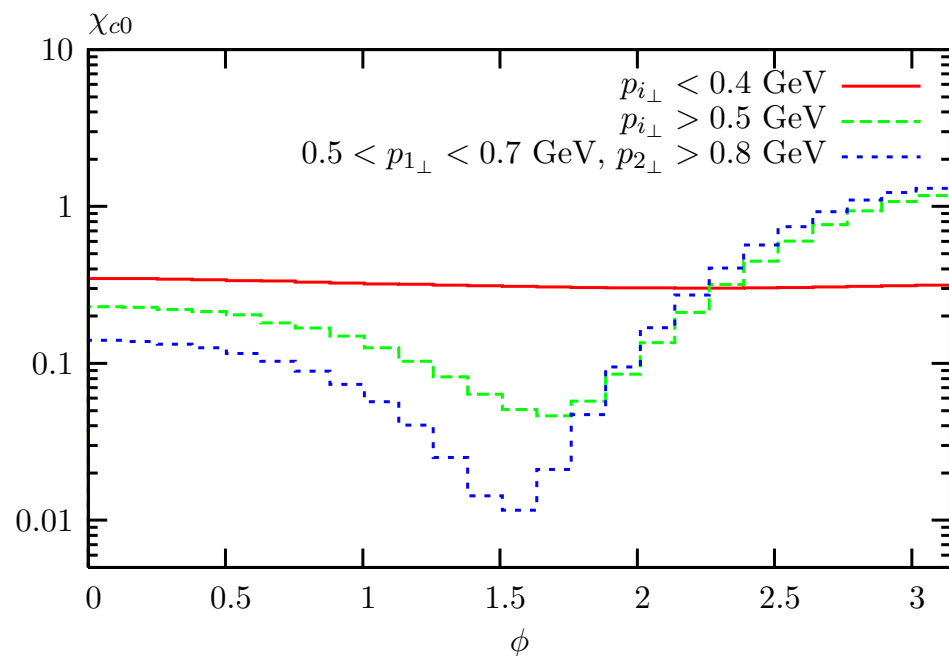
$$\frac{d\sigma}{dy_X} \propto \int d^2\mathbf{p}_{1\perp} d^2\mathbf{p}_{2\perp} |\mathcal{T}(\mathbf{p}_{1\perp}, \mathbf{p}_{2\perp})|^2 S_{\text{eik}}^2(\mathbf{p}_{1\perp}, \mathbf{p}_{2\perp})$$

- Survival factor is not constant, but depends on (and effects) the distribution of the outgoing proton p_{\perp} vectors.

→ Expected suppression will depend on specific process, and soft survival factors can have a dramatic effect on the predicted distributions

(\Rightarrow tagged protons)

V.A. Khoze, M.G. Ryskin, A.D. Martin, Eur.Phys.J C24 (2002) 58



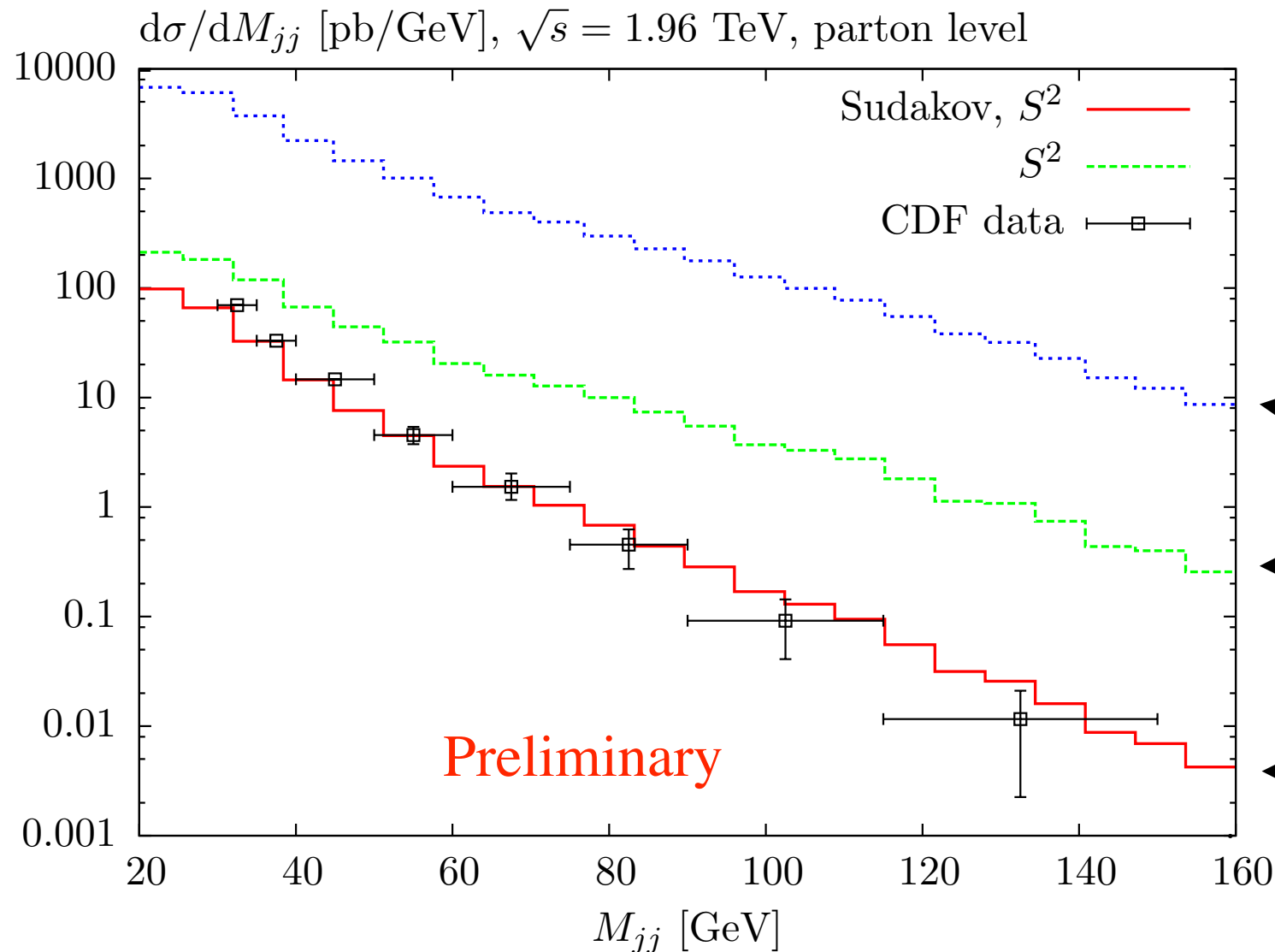
LHL, V.A. Khoze, M.G. Ryskin, W.J. Stirling, Eur.Phys.J. C71 (2011) 1545

New MC (under development) includes all of these updates and a full treatment of soft survival effects.

Tevatron cross sections

CDF Collab., Phys.Rev.D77:052004,2008

- Can compare results of the MC with the CDF measurement.
- See clearly how both soft survival effects and Sudakov factor (non-pert. and pert. physics) are crucial to describe data.



Probability to produce colour singlet dijet state drops strongly with M_{jj}

Soft survival not included, scale of Sudakov factor frozen

Soft survival included, scale of Sudakov factor frozen

Soft survival included, scale of Sudakov factor $\sim M_{jj}$

All predictions made with MSTW08LO PDFs, parton level

LHC cross sections

- Consider two scenarios for observing exclusive jets at the LHC :
 - ▶ Low luminosity (CMS + TOTEM), special runs, lower M_X
 - ▶ High luminosity (ALFA, PPS), no need for special runs, but M_X must be larger (ξ acceptance of proton taggers)

Predictions for both scenarios: $|\eta_j| < 2.5 \quad |p_{\perp,j}| > 20 \text{ GeV} \quad \sqrt{s} = 13 \text{ TeV}$

$M_X(\text{min})$ [GeV]	gg	$q = b$	$q = c, s, u, d$
50	1200	0.66	0.76
75	230	0.070	0.10
100	60	0.013	0.021
250	0.37	3.0×10^{-5}	8.3×10^{-5}
500	4.3×10^{-3}	2.1×10^{-7}	8.2×10^{-7}

Low Lumi

High Lumi

Only two jet final states considered here

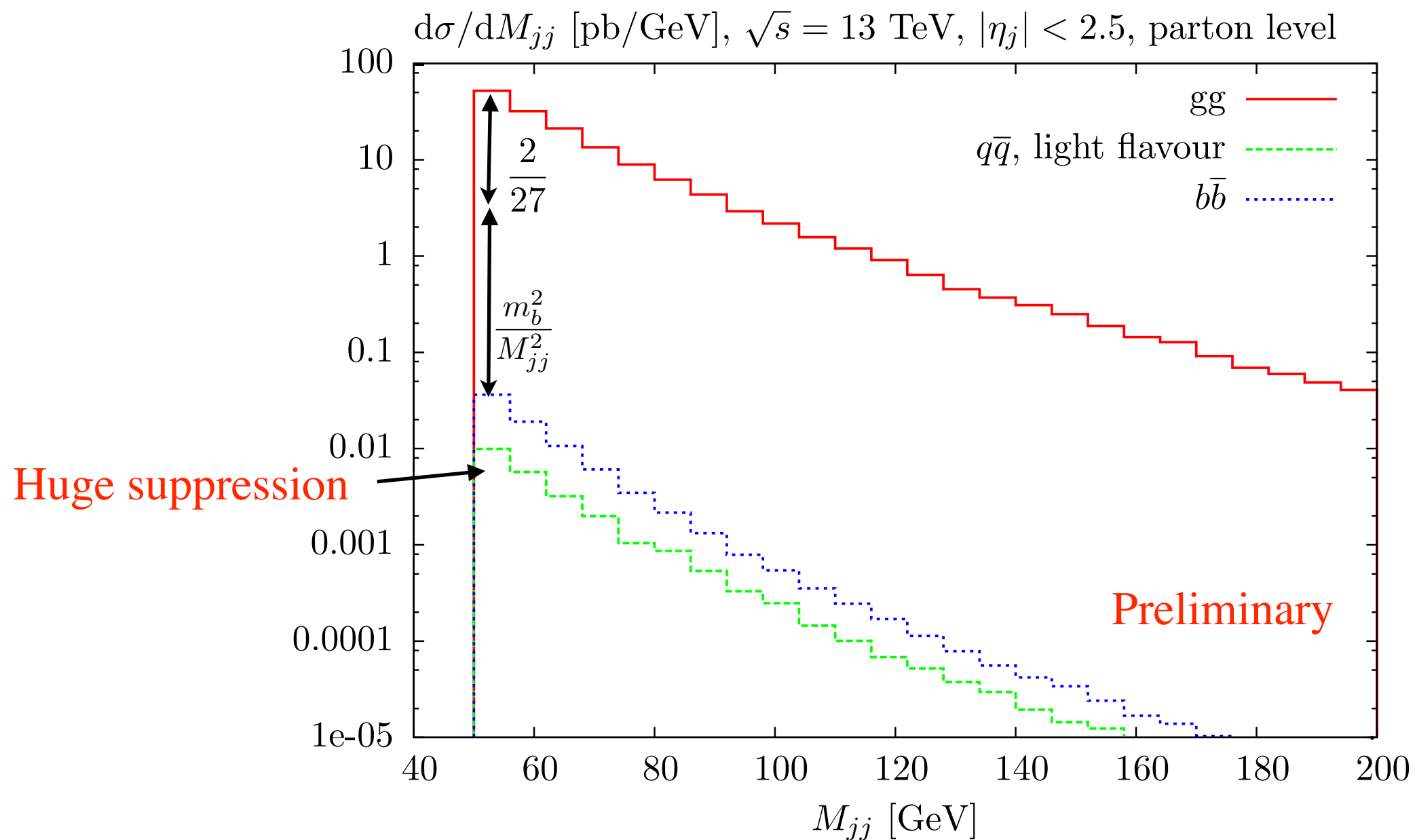
σ [pb]

$q\bar{q}$

Preliminary

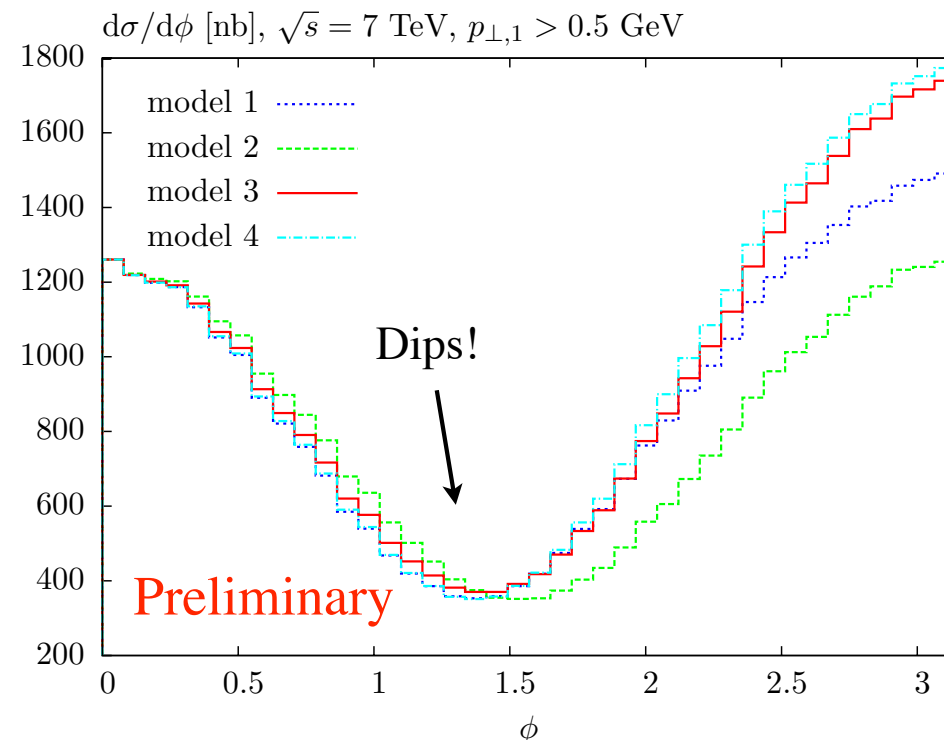
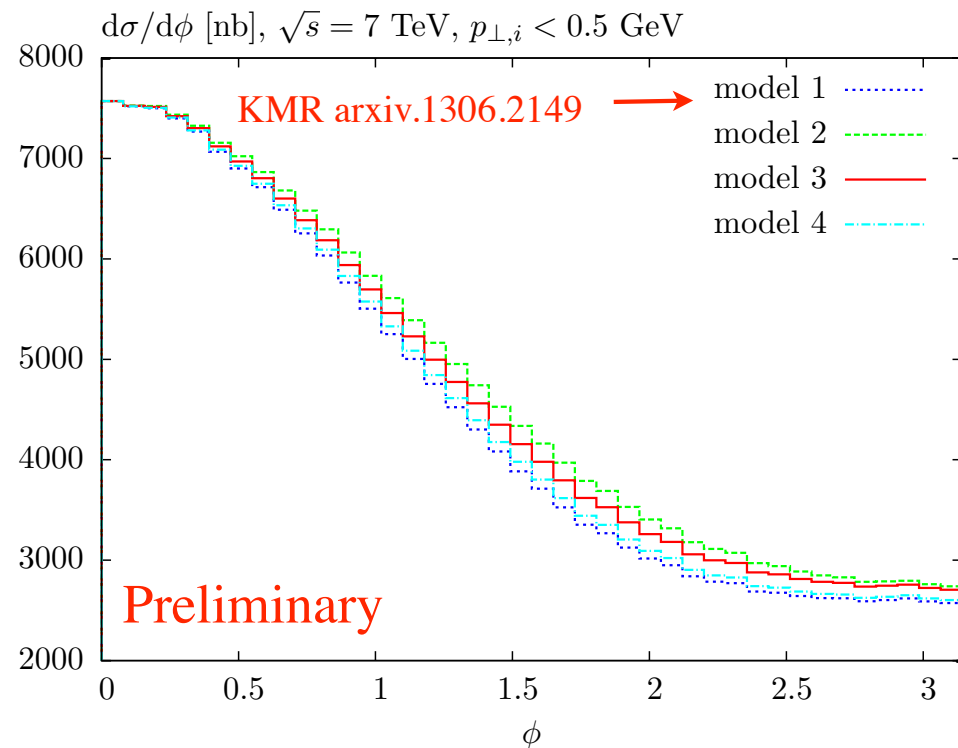
LHC cross sections

As expected from above discussion, expect strong gg dominance:



- The observation of exclusive jets (and other processes) with tagged protons also provides additional information....

- Consider, e.g. $\pi^+\pi^-$ production, with tagged protons. **TOTEM, ALFA**
R. Staszewski et al., arXiv:1104.3568



Proton ϕ distributions for low mass $\pi^+\pi^-$ CEP, using **Dime MC**

- Distributions in angle ϕ between outgoing protons strongly affected by soft survival effects, in model dependent way.
- This is in particular true when larger values of p_{\perp} are selected. Cancellation between screened and unscreened amplitudes results in characteristic ‘diffractive dip’ structure. **V. A. Khoze, A.D. Martin and M.G. Ryskin, hep-ph/0203122**
LHL, V.A. Khoze, M.G. Ryskin and W.J. Stirling, arXiv:1011.0680

Plots for $\pi^+\pi^-$ but similar effect seen in dijet production (**in progress**)

Conclusions and Outlook

- Exclusive jet production at the LHC presents an interesting and potentially unique probe of QCD.
- The Durham perturbative approach (already supported by Tevatron measurements) makes very clear predictions, which are quite different from ‘standard’ inclusive case:
 - ▶ Isolated gg dominance (LO $gg \rightarrow q\bar{q}$ vanishes for massless quarks and $J_z = 0$ gluons). *See also: $H \rightarrow b\bar{b}$*
 - ▶ ‘Mercedes’ configuration for $gq\bar{q}$ favoured. ggg vs $gq\bar{q}$ topologies
- Correlations between outgoing proton momenta sensitive to model of soft proton-proton interactions.
- In this talk I have described the results of a **new** MC for exclusive jet production at the LHC. Work in progress (to do: parton shower/hadronization, three jet final states...), but should be public in the not too distant future.