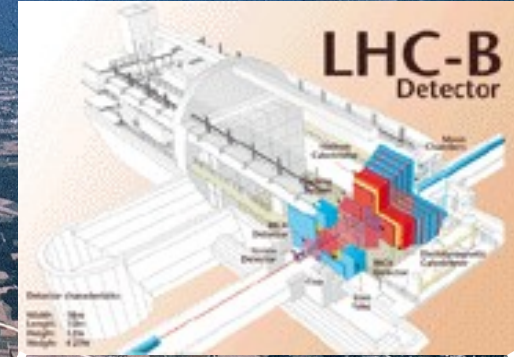
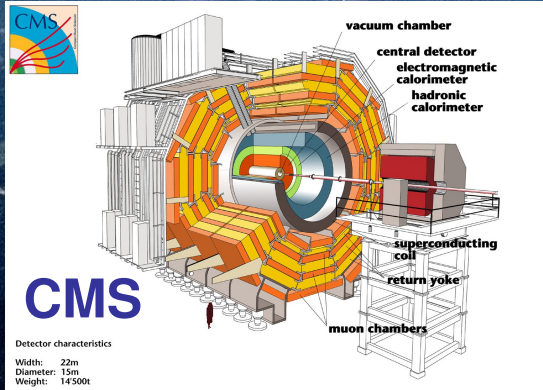


Electronic Calibration of Hadronic EndCap Calorimeter on the ATLAS experiment

- **HEC calorimeter within ATLAS**
- **Our contribution to**
- **HEC electronic calibration**

Filip Tomasz, Institute of Experimental Physics, SAS, Košice
Prague, 31-January-2008

LHC

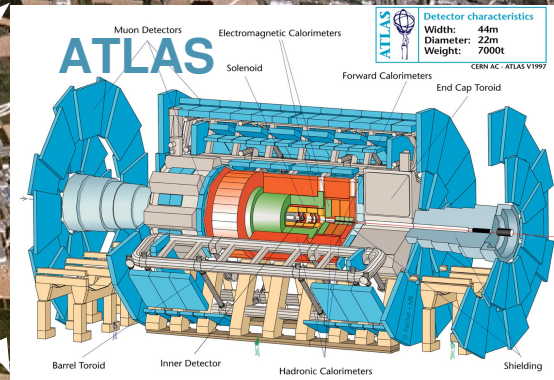


LHC: Proton-Proton Collisions at $E_{CM} = 14\,000\text{ GeV}$

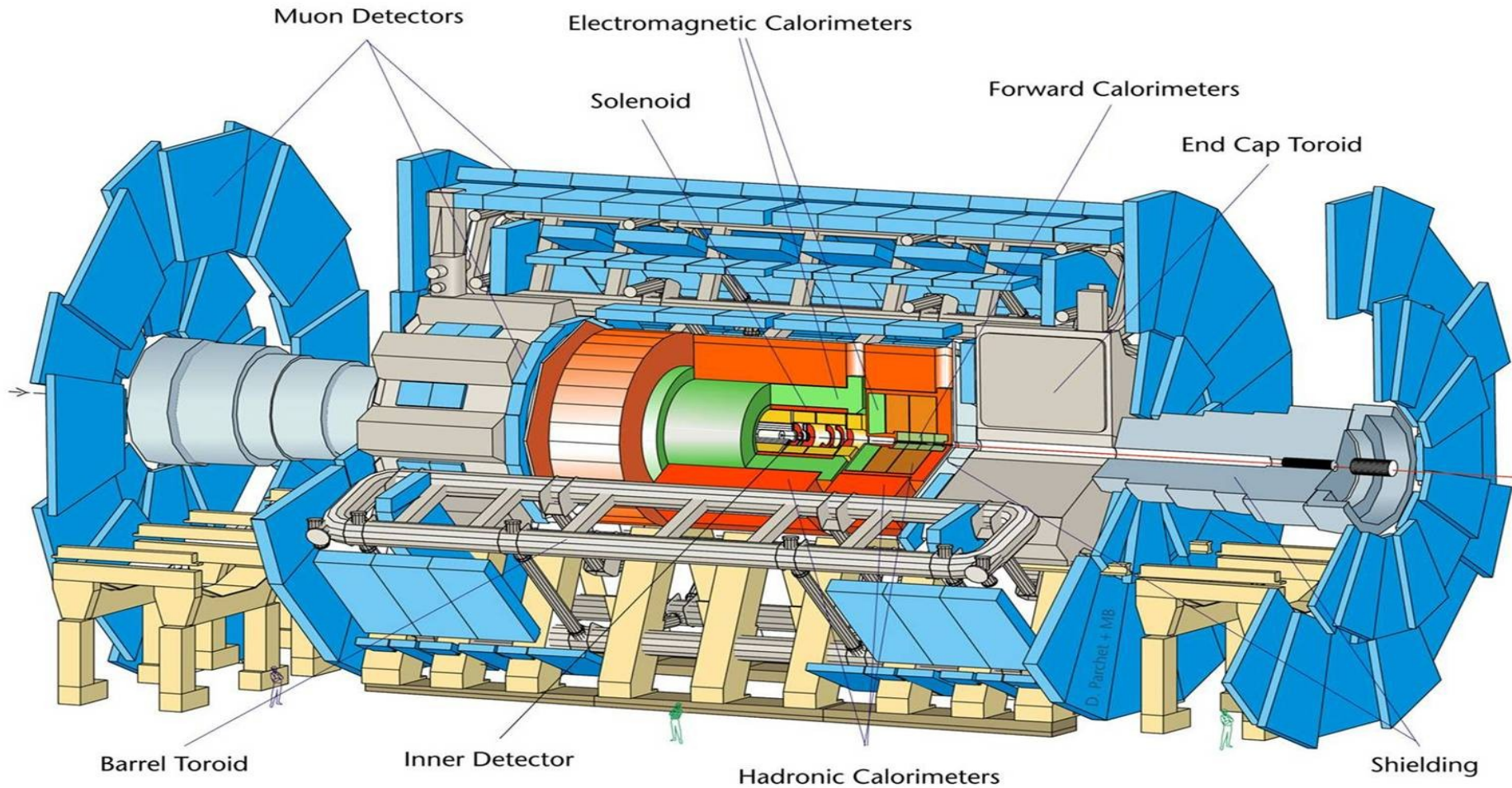
Pb-Pb: $E_{CM} = 1312\text{ TeV}$



ALICE



ATLAS detector



Diameter	25 m
Barrel toroid length	26 m
End-cap end-wall chamber span	46 m
Overall weight	7000 Tons

Hadronic EndCap Calorimeter *(HEC)*



➤ Sampling calorimeter:

absorber: Copper plates

active material: **LiquidArgon**

➤ consist of two pairs of wheel each
with:

depth of 4 m (~10 inter. lengths)

diameter of 7m

➤ pseudorapidity range covered:

$$1.5 < |\eta| < 3.2$$

➤ cca $2 \times 3000 = 6000$ channels

HFC requirements

Physics motivation:

‣ The golden channel for Heavy Higgs ($m_H > 600 \text{ GeV}$):

H \rightarrow WW, W \rightarrow jet jet

H \rightarrow b \bar{b}

‣ 1% error on the top quark mass

=> jet jet mass reconstruction, capability on jet identification
(jet spectroscopy)

‣ A0/H0 MSSM particles \rightarrow tau tau : good pt_miss resolution

=> energy resolution:

$$\frac{\Delta E}{E} = \frac{50\%}{\sqrt{E}} + 3\%$$

=> fast response of electronics for minimizing electronic and pile-up
noise

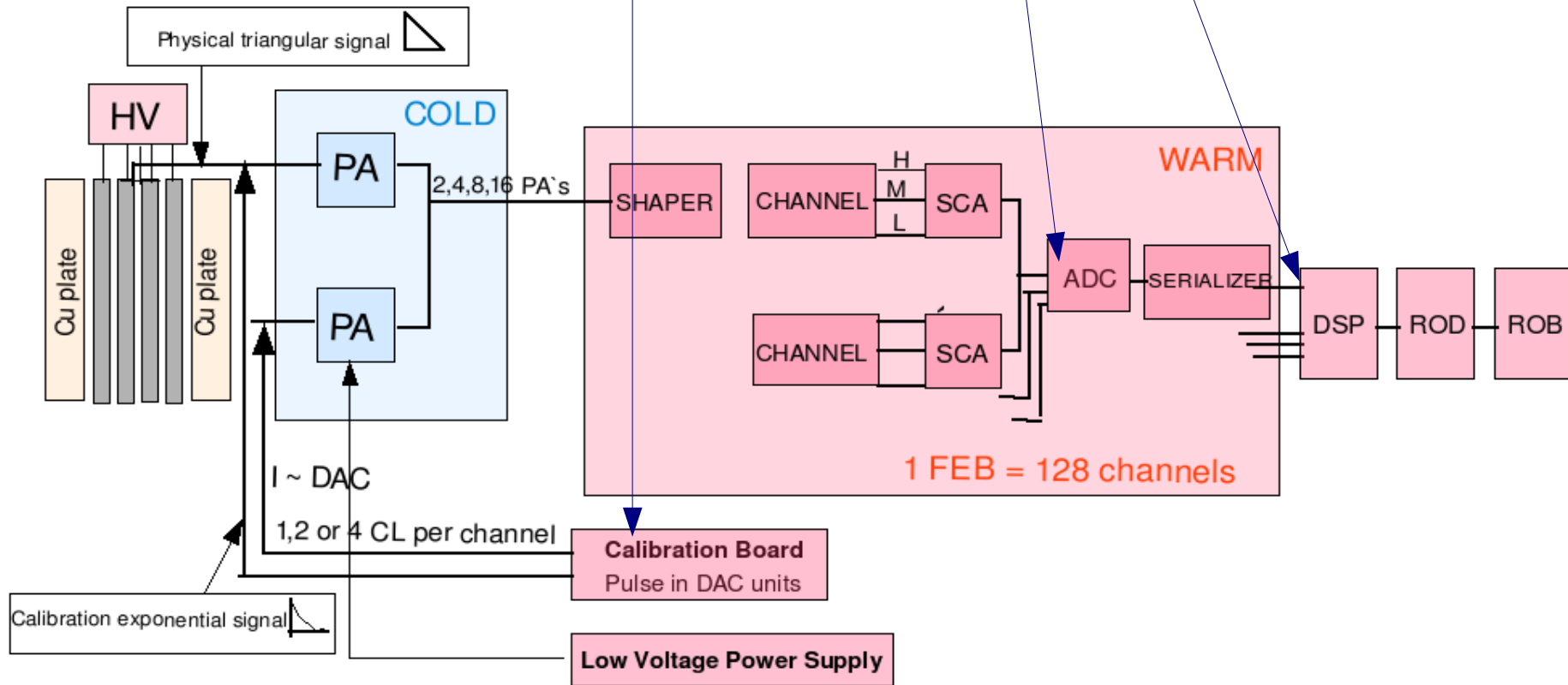
HFC electronics

purpose of the electronics:

- readout of the physical or calibration signal
- monitoring (see talk on topQuark Meeting 14.june 2007, Kosice) &
- **calibration of the electronic system**

HEC electronic chain

Important devices for calibration : **Calibration Board, ADC & DSP**



PA - preamplifier

SCA - switching capacitor array

Serializer – optimizes signal for optical transition into DSP

H - High gain

M - Medium gain

L - Low gain

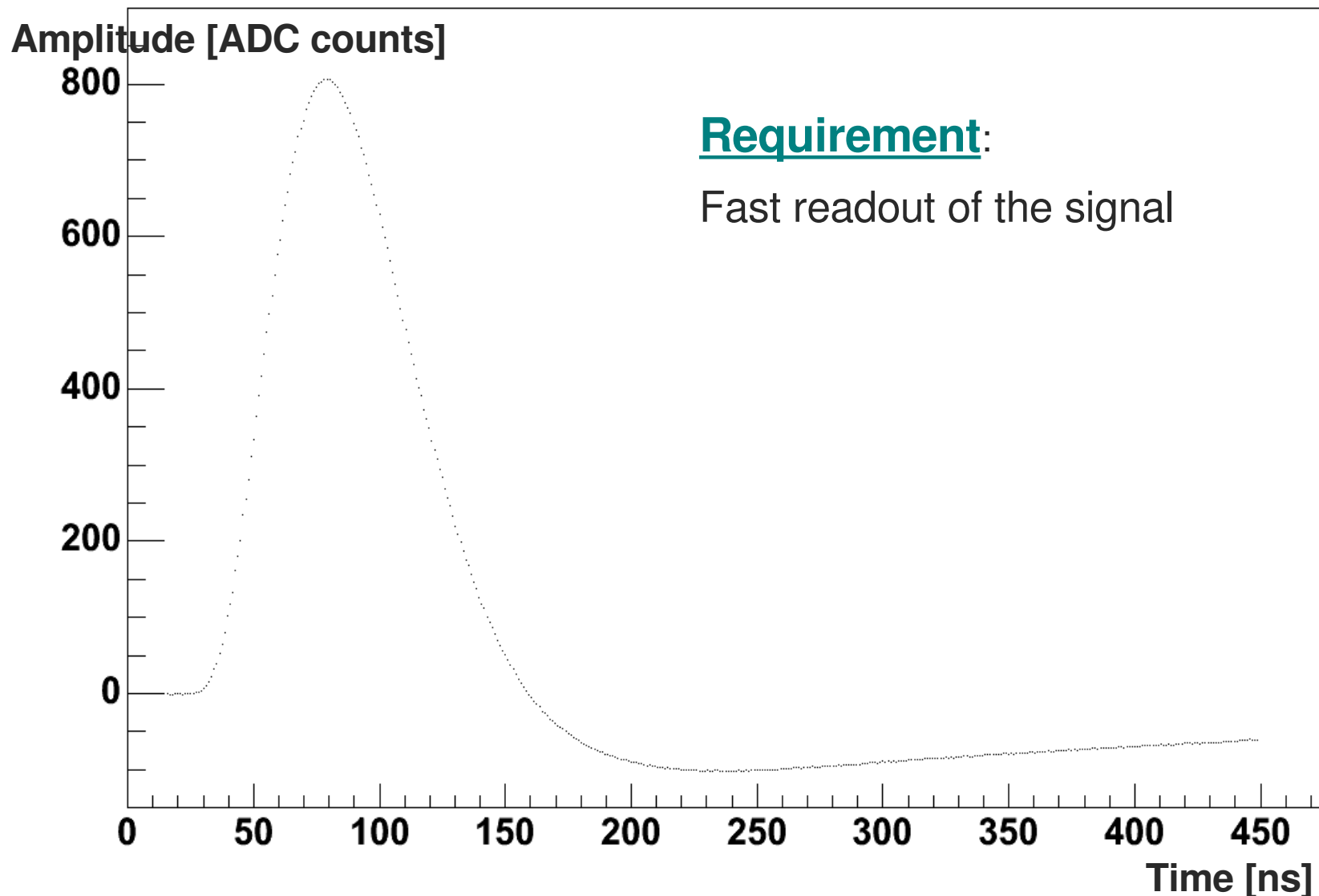
1 spec crate: 6 HEC FEBs + 17 EMEC FEBs

2 LV Power Supplies

1 HEC Calib Board + 2 EMEC CB's

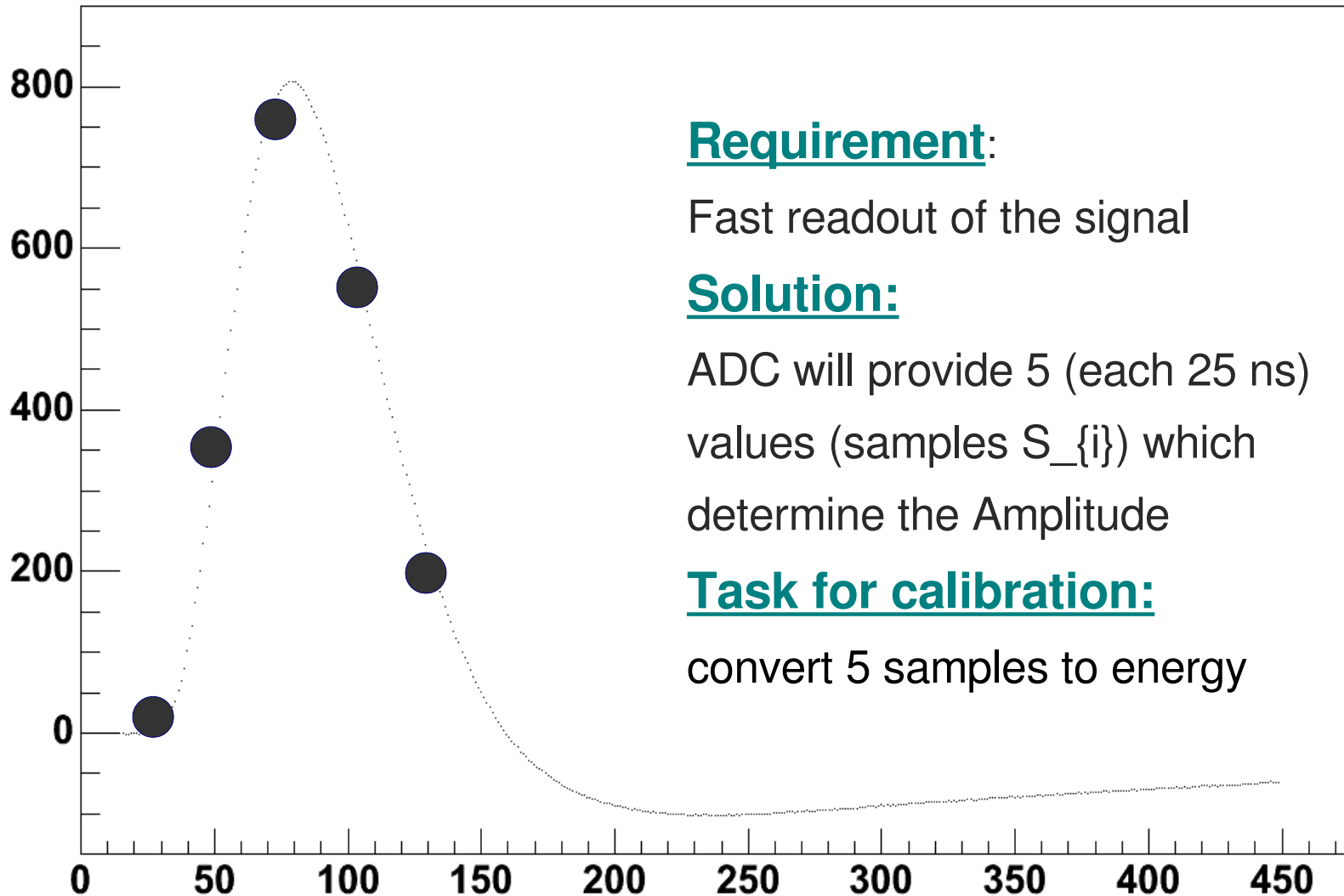
ADC: Sampling of signal

Amplitude:Time {FT==16 && Slot==5 && Channel==8 && Gain==1}



ADC: Sampling of signal

Amplitude:Time {FT==16 && Slot==5 && Channel==8 && Gain==1}



Requirement:

Fast readout of the signal

Solution:

ADC will provide 5 (each 25 ns) values (samples $S_{\{i\}}$) which determine the Amplitude

Task for calibration:

convert 5 samples to energy

Electronic calibration

- **purpose:** transformation of the charge/current on the energy in MeV
- **procedure:**
 - calibration pulses produced by Calibration Board
 - since no real physical signal => prediction of the signal performed via our software tool
 - all the calib constants need to be written to DB and loaded into DSP

Calibration constants

$$E_{(MeV)} = \underbrace{Ampl_{(ADC)} * M_{phys} / M_{cali} * F_{(ADC \rightarrow DAC)} * F_{(DAC \rightarrow \mu A)}}_{\text{properties of electronics}} * \underbrace{F_{(\mu A \rightarrow MeV)}}_{\text{detector}}$$

well determined :

$$F_{(DAC \rightarrow \mu A)} = \frac{76.295 \mu V}{R_{inj}}, \quad R_{inj} - \text{injector resistor}$$

$$F_{(\mu A \rightarrow MeV)} = \frac{1}{I/E \times f_{sample}}, \quad I/E - \text{energy to current conversion}$$

f_{sample} - sampling fraction

our task: to determine:

$$Ampl_{(ADC)}, M_{phys} / M_{cali}, F_{(ADC \rightarrow DAC)}$$

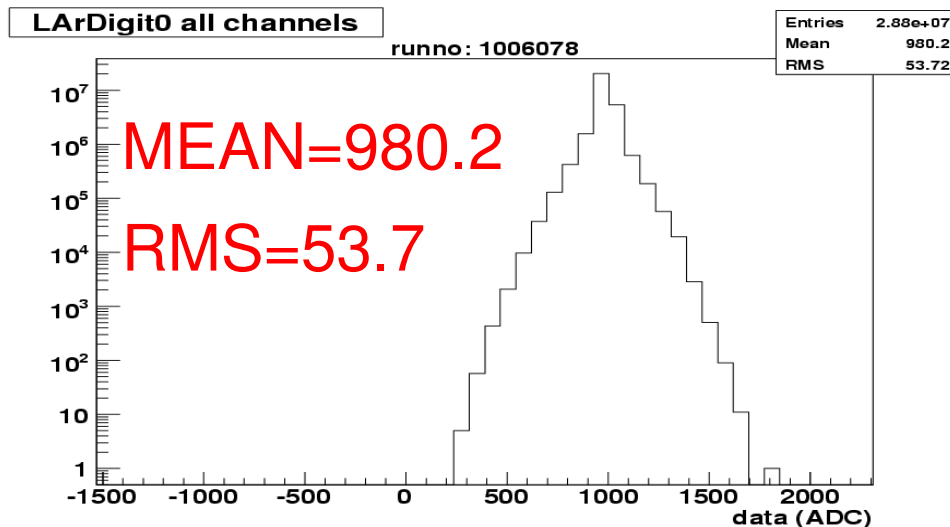
Pedestal determination

Procedure: special runs taken without beams or calib pulses for

- noise monitoring
- **pedestal determination** (for energy reconstr.)
- **autocorrelation matrix calculation** (for energy reconstr.)

Results:

Pedestals: ~1000 ADC counts



Autocorr matrix:

$$V_{ij} = \langle S_i * S_j \rangle$$

i, j – samples

Amplitude determination

Procedure: special runs taken with calibration pulses

$$Ampl_{(ADC)} = \sum_{i=1}^{N_{samples}} \underbrace{OFC_i}_{\text{computed}} * \underbrace{(S_i - Pedestal)}_{\text{measured}}$$

Ampl: amplitude of signal (in ADC count)

Pedestals: measured (see slide before)

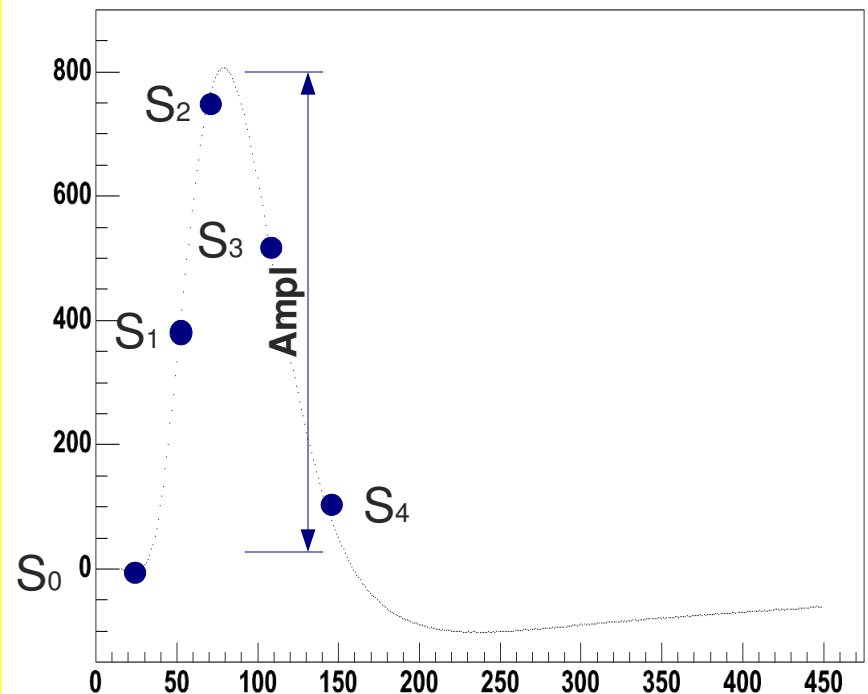
$S_{\{i\}}$: sample - measured

OFC - **O**ptimal **F**iltering **C**onstants

calculated via:

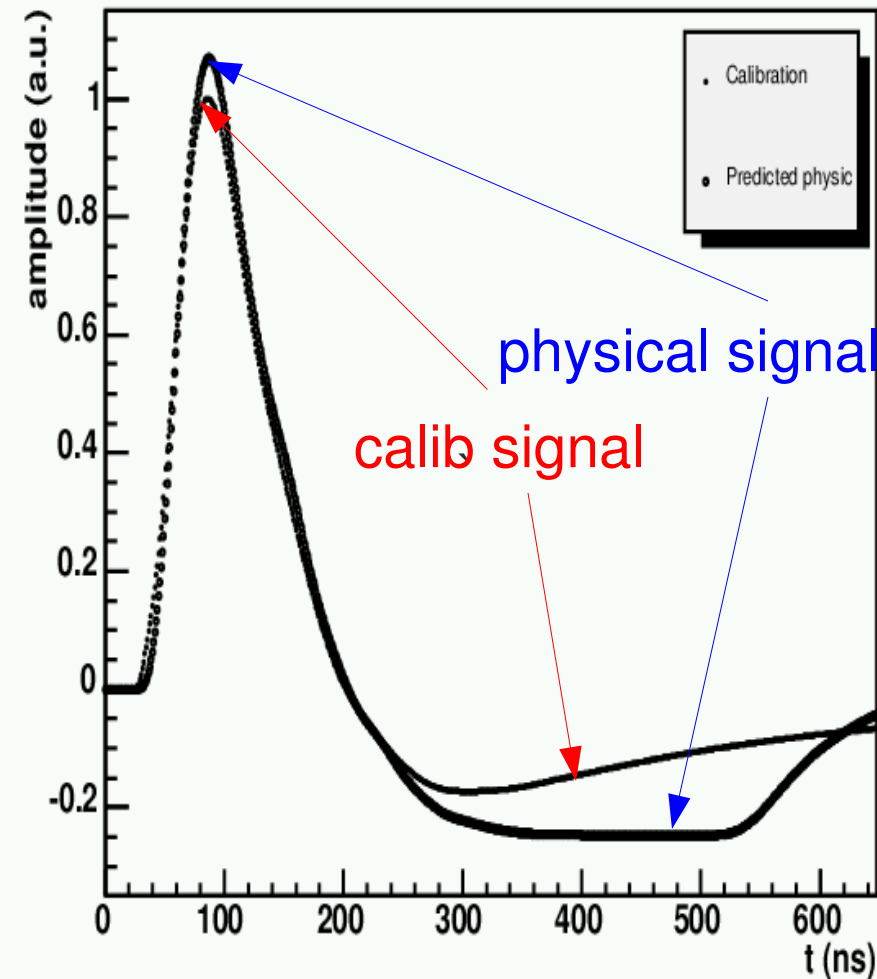
- normalized shape and its derivation
- noise autocorrelation matrix

Amplitude:Time {FT==16 && Slot==5 && Channel==8 && Gain==1}



Mphys/Mcal determination

Purpose: correction on the difference in amplitude between physical and calibration signal = $\text{Ampl}(\text{phys})/\text{Ampl}(\text{calib})$



➤ The **physical** and **calibration** shapes exhibit **non-negligible difference**

➤ **Consequences:** on the

- 1) Amplitude/Energy reconstr and
- 2) different OFC for phys and calib signal

➤ **Idea:** Since there are no real data at the moment the phys signal must be predicted by **new software tool**

Prediction of physical signal

Task: new tool for prediction of physical signal

Question: How to do it ?

Answer: conversion of calib signal in 2 steps

1) **extraction of parameters** for calib signal: Tdrift, Tcal – define exponential signal before shaping -standard method implemented in the ATLAS software Athena

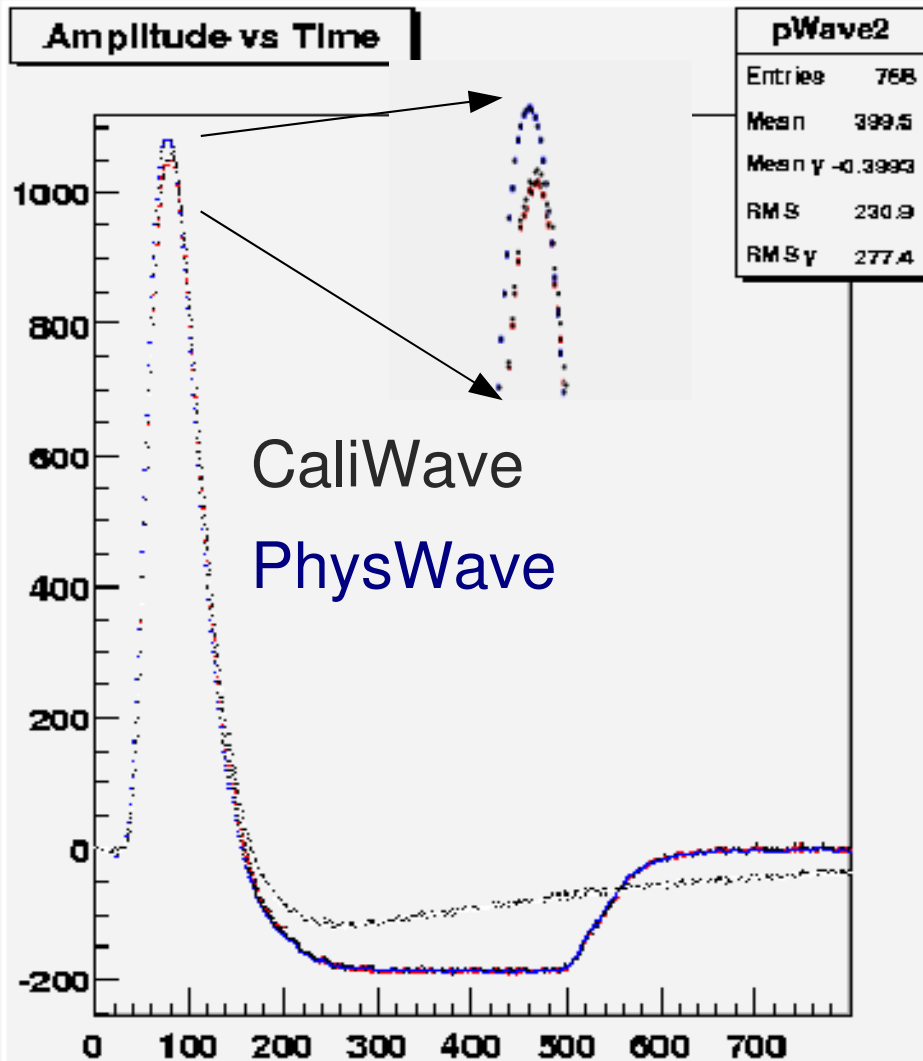
2) **conversion of CaliWave to PhysWave** using parameters from 1) & drift time Tdrift= 449.7 ns – det. property

performed via integrating rather oscillation integrands

$$T_1(t) = \int_{t-d\tau}^t T_c(x) R_d(t-x) dx \quad \text{and} \quad T_1(t) = \int_0^{t-\tau} T_c(x) R_o(t-x) dx$$

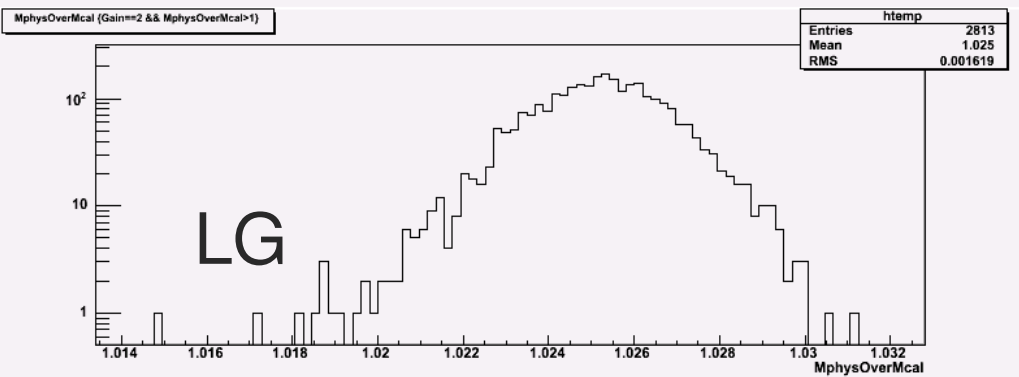
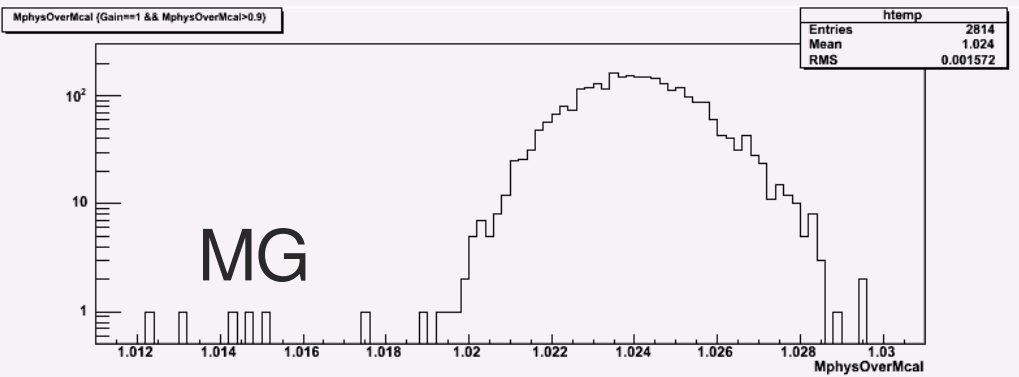
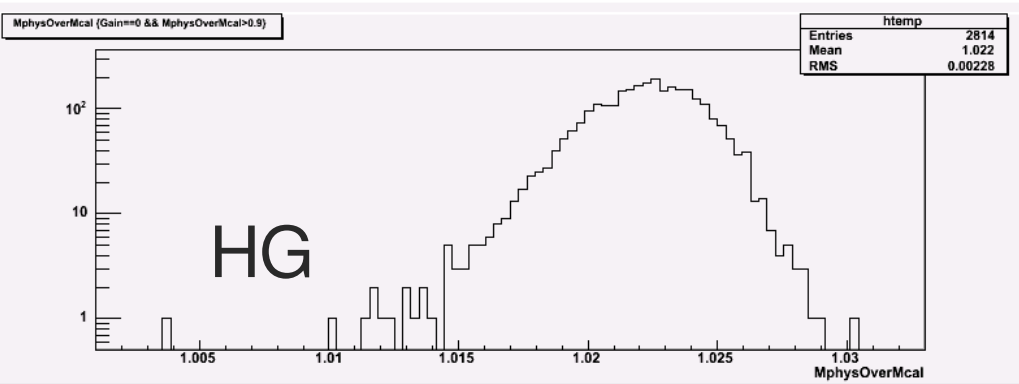
not trivial solution for integration: standard methods did not work => we had to use GSL library, namely **qawo** function devoted for numerical integration of oscillating functions

Results from new HEC PhysWave Tool



- **New Tool:** Amplitude is $\sim 2.4\%$ bigger than for CaliWave – as expected!
- Tail: as expected from phys signal!
- **Conclusion:** our tool works fine

Results for M_{phys}/M_{cal}



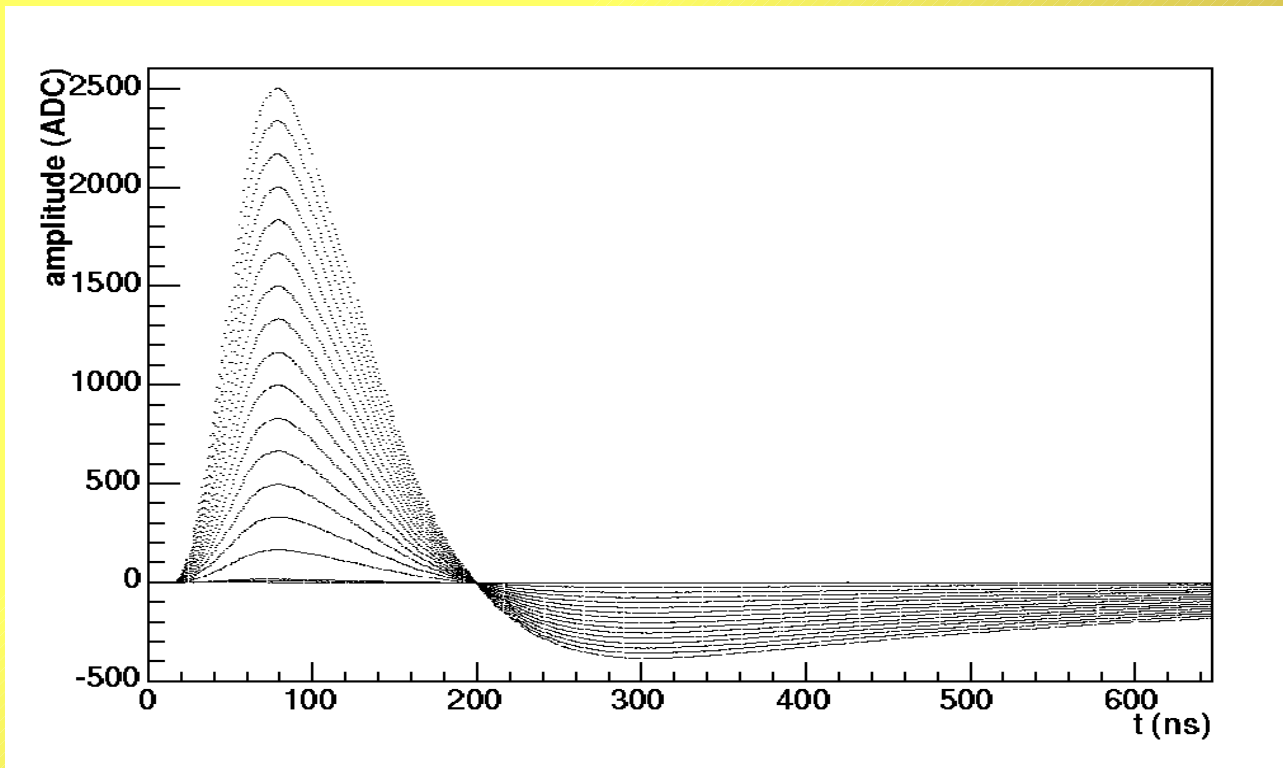
- $T_{drift}=449.7\text{ns}$
- $\langle M_{phys}/M_{cal} \rangle$ gives
 - 1.022 (High Gain)
 - 1.024 (Medium Gain)
 - 1.025 (Low Gain)

$F(ADC \rightarrow DAC)$ determination

Purpose: converts Amplitude to DAC units and monitor gain instabilities

Procedure: special calib runs (ramp) runs with different values for DAC values – pulse strengt

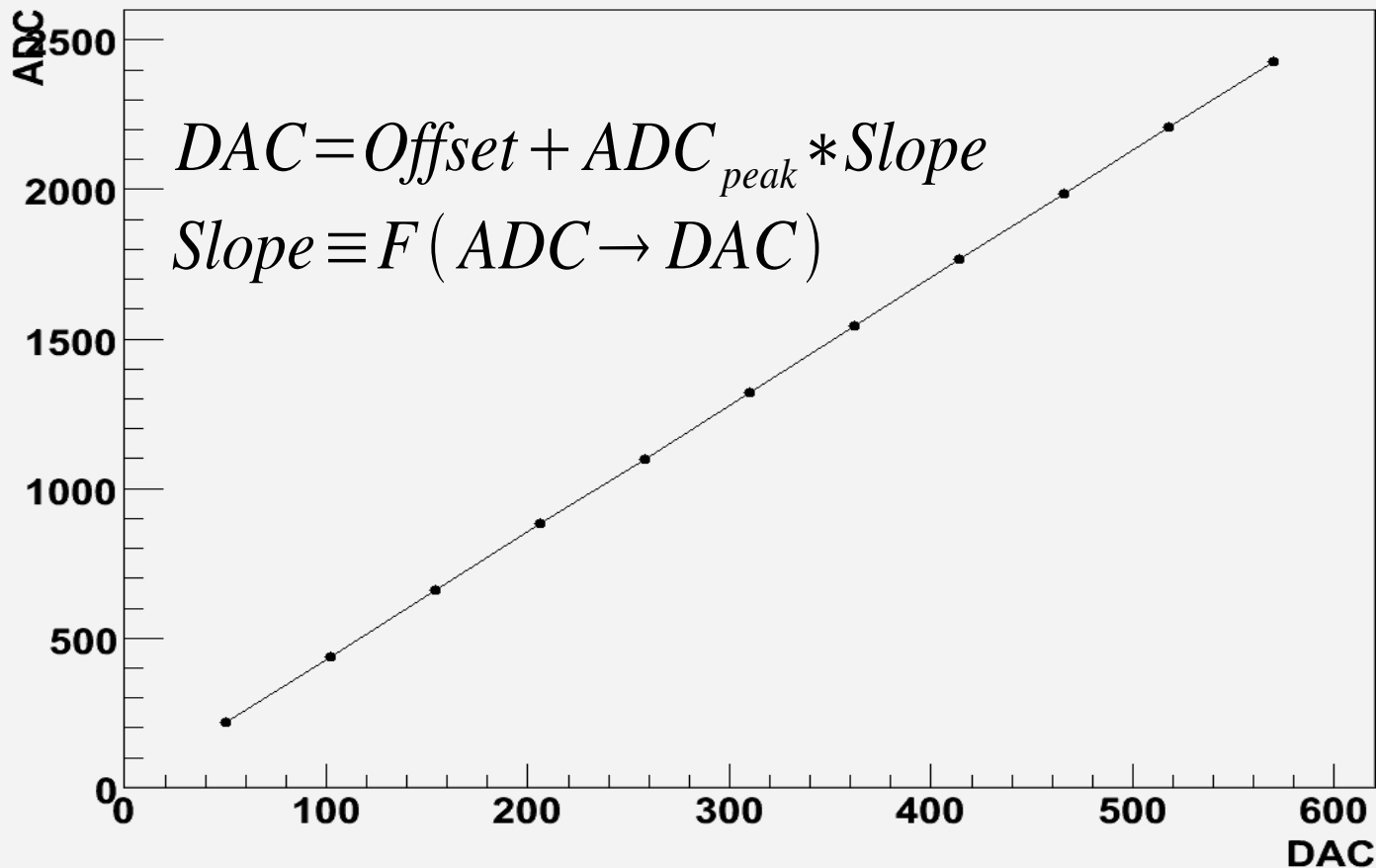
Taks: find relation between Amplitude in ADC and DAC



$F(ADC \rightarrow DAC)$ determination

- Amplitude is calculated by OFC method
- $F(ADC \rightarrow DAC)$ is obtained from the fit:

ADC:DAC {FT==3 && Slot==6 && Channel==0}



Summary on the constants

➤ two set of constants were obtained:

1) calibration constants: (accessory constanst used for computation of physical constants)

CaliWave, OFC cali, PhysWave, PhysShape

2) physical constants:

Pedestal & Autocorr, Ramps, MphysOverMcal, OFCPhys

➤ both set of constants were written into DB and are used for reconstruction of first cosmic data

Summary and Outlook

Our contribution to HEC calibration:

- **tool for prediction of physical signal** was developed
 - is not yet in public/official (in group area)
- **all calibration/physical constants were calculated and written to DB** and are used in the reconstruction in the first cosmics data

Outlook:

- to make our tool for PhysWave prediction public
- to make monitoring tool tools public (I mentioned them in the last topMeeting)

Tool for Prediction of PhysWave for

HEC: Changes in the code

- **new TOOL: LarPhysWaveHECTool.cxx**

- **Method developed** for Phys Wave Prediction:

makeLArPhysWaveHEC(..input...) - performs integration of rather oscillating function -> standard methods do not work=>

Integration is performed by using GSL library, namely function :

`gsl_integration_qawo (&gsl_func,a, epsabs, epsrel, limit, w, wf, &result, &abserr)`