

# Wilson, Naturalness, and the Higgs

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Tohoku Forum on Creativity

# The Higgs

$$M \simeq 125 \text{ GeV}$$

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$$M \simeq 125 \text{ GeV}$$

A surprise to many

A shock to some

# EW Superconductivity

Ideas colored by

*naturalness*

for decades.

# EW Superconductivity

Ideas colored by  
**naturalness**  
for decades,

But the LHC has  
changed things

# BNW

We should re-examine  
and refine our arguments

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We should re-examine  
and refine our arguments

to better speculate  
about their inadequacy

# WILSON



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Theory specified by

Lagrangian  $\mathcal{L}$   
scale  $\Lambda$

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Lagrangian  $\mathcal{L}$   
 scale  $\Lambda$

For all observables  $p < \Lambda$

$$\mathcal{L} = \sum_j c_j(\Lambda) \Lambda^{\delta_j} \mathcal{O}_j$$

# LONG DISTANCE

For physics at  $p$

choose  $\Lambda = p$

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For physics at  $p$

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so that

$$\text{Observables} = p^k F[g(p)]$$

# EXAMPLES

Gauge Theory

$$\mathcal{L} = -\frac{1}{2} C_G \text{Tr} G^2$$

# EXAMPLES

Gauge Theory

$$\mathcal{L} = -\frac{\Lambda}{2} c_G \text{Tr} G^2 + \dots$$

$$\Lambda \frac{\partial}{\partial \Lambda} c_G = \frac{b}{16\pi^2}$$

# EXAMPLES

Gauge Theory

$$C_{G^2} = \frac{b}{16\pi^2} \ln \frac{\Lambda}{f} + c(f)$$

# EXAMPLES

## Gauge Theory

$$\begin{aligned}
 C_{G^2} &= \frac{b}{16\pi^2} \ln \frac{\Lambda}{f} + c(f) \\
 &\simeq c(f) \left\{ 1 + \frac{b}{16\pi^2 c(f)} \ln \right\} \\
 &\simeq c(f) \left( \frac{\Lambda}{f} \right)^{\frac{b}{16\pi^2 c(f)}}
 \end{aligned}$$



# EXAMPLE


Yukawa

$$\mathcal{L} = \dots + c_y \phi \bar{\psi} \psi + \dots$$

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$$\mathcal{L} = \dots + c_y \phi \bar{\psi} \psi + \dots$$

$$\Lambda \frac{\partial}{\partial \Lambda} c_y = \frac{b}{16\pi^2} c_y^3$$


# EXAMPLE

Yukawa

$$\frac{1}{c_y^2} = \frac{1}{c(f)^2} - \frac{b}{16\pi^2} \ln \frac{\Lambda}{f}$$

$$c_y^2 = c(f)^2 \left( \frac{\Lambda}{f} \right)^{\delta}$$

# EXAMPLE

Scalar mass

$$\mathcal{L} = \dots c \Lambda^2 \phi^\dagger \phi + \text{Yukawa}$$

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Scalar mass

$$\mathcal{L} = \dots c \Lambda^2 \phi^\dagger \phi + \text{Yukawa}$$

$$\left( \Lambda \frac{\partial}{\partial \Lambda} + 2 \right) c = \frac{bc^2}{8\pi^2}$$

# EXAMPLE

## Scalar mass

$$c = \left(\frac{a}{\Lambda}\right)^2 + \frac{b}{16\pi^2} c_y^2$$
$$\equiv \left(\frac{a}{\Lambda}\right)^2 + \mathcal{R}$$

# SCALAR MASS

$$c(\mu) = -1$$

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$$c(\mu) = -1$$

or

$$c(\Lambda) = -\left(\frac{\mu}{\Lambda}\right)^2 [1 + R] + R$$



# SCALAR MASS

$c(\Lambda)$  must be finely tuned to cancel the running

$$\frac{\delta c}{c} \sim \left(\frac{\mu}{\Lambda}\right)^2 \frac{1}{R}$$

# FINE TUNING

The higher the scale  $\Lambda$  at which we trust the theory, the more closely the UV BC must match the running.

# COMMENTS

The running is physical  
can't be avoided by  
particular regularization  
or renormalization  
scheme

# WHAT TO DO

Two classes of solutions

i) Eliminate the operator

$$\phi^\dagger \phi$$

ii) Eliminate the bad  
scaling

# NO HIGGS

Theories which have no  
light scalar have no  
dangerous operator

## TECHNICOLOR

# NO BAD SCALING

Need a symmetry that  
can forbid running of  
a scalar mass

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i) SUPERSYMMETRY

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i) SUPERSYMMETRY

ii) Nambu-Goldstone  
Boson



# OTHER IDEAS

iii) Composite Higgs

iv) Conformal Symmetry

# THE HIGGS

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Large couplings to  
W, Z

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$M \simeq 126 \text{ GeV}$

Large couplings to  
 $W, Z$

Small couplings to  
 $gg, \gamma\gamma$

# HIGGS PROPS

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$W, Z$  consistent with  
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Yukawa of top



# HIGGS PROPS

$W, Z$  consistent with  
mass coupling

It's a Higgs!

$gg, \gamma\gamma$  consistent with  
Yukawa of top  
top couples to  $\Sigma W$   
breaking!

# HIGGS ANTI PROPS

No other new physics!

# HIGGS ANTI PROPS

No other new physics!

$\Lambda \sim \text{many TeV}$

DATA TELLS US

It's a light Higgs

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It's a light Higgs

Not technicolor

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It's a light Higgs

Not technicolor

Yukawa couples to top

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It's a light Higgs

Not technicolor

Yukawa couples to top

The running is what  
we calculated

# DATA TELLS US

It's a light Higgs

Not technicolor

Yukawa couples to top

The running is what  
we calculated

No new physics



# NATURALNESS

We have fine-tuning  
at the level of  $\sim$

%

# SUPERSYMMTRY

# SUPERSYMMTRY

Absence of stops

# SUPERSYMMTRY

Absence of stops  
generically

$$m_{\tilde{t}} \gtrsim 600 \text{ GeV}$$

# SUPERSYMMETRY

Absence of stops  
generically

$m_{\tilde{t}} \gtrsim 600 \text{ GeV}$   
light squarks

$m_{\tilde{q}} \gtrsim \text{TeV}$

# LOOPTHOLE

# LOOPHOLE

Light stops and all  
other superpartners  
heavy

# LOOPHOLE

Light stops and all  
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Natural SUSY



南部

- GOLDSTONE

# 南部 - GOLDSTONE

i) Composite Higgs

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- i) Composite Higgs  
strongly coupled  
 $p \sim \text{TeV}$

# 南部 - GOLDSTONE

i) Composite Higgs  
strongly coupled

$p \sim \text{TeV}$

Only works by  
ACCIDENT

南部

- GOLDSTONE

南部 - GOLDSTONE

ü) Little Higgs

南部 - GOLDSTONE

ii) Little Higgs

weakly coupled

$P \lesssim 10 \text{ TeV}$

# 南部 - GOLDSTONE

ii) Little Higgs

weakly coupled

$P \lesssim 10 \text{ TeV}$

top-prime to cancel  
running



# 南部 - GOLDSTONE

ii) Little Higgs

General limits on

$t'$

$$m_{t'} \gtrsim \text{TeV}$$

# LOOPHOLE

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lighter  $t'$  possible  
for special cases

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lighter  $t'$  possible  
for special cases

About the same as  
SUSY

# LITMUS TEST

Absence of top partner  
indicates fine tuning

# IMPLICATIONS

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Naturalness has been the guiding principle behind our attempts to understand the physics of the TeV scale and beyond

# IMPLICATIONS

We can establish the status of naturalness by experiment



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We can establish the status of naturalness by experiment

- i) search for top partners
- ii) establish running

# WHAT IF

fine tuning established  
at the 1% level?

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i) Its an accident

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 $10^{-3}$  or  $10^{-4}$  level

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100 TeV collider

# WHAT IF

fine tuning established  
at the 1% level?

ü) Naturalness is wrong

IMPLICATIONS ARE  
HUGE!

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Without naturalness as  
a guide we are at sea  
no expectation for BSM  
physics



IMPLICATIONS ARE  
HUGE!

Wilsonian Ideas are  
called into question

IMPLICATIONS ARE  
HUGE!

Wilsonian Ideas are  
called into question

No clear separation  
between UV and IR

# EXCITING

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Experiments are calling into question one of our most used guides to TeV scale physics.

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Ignorance is an Opportunity!