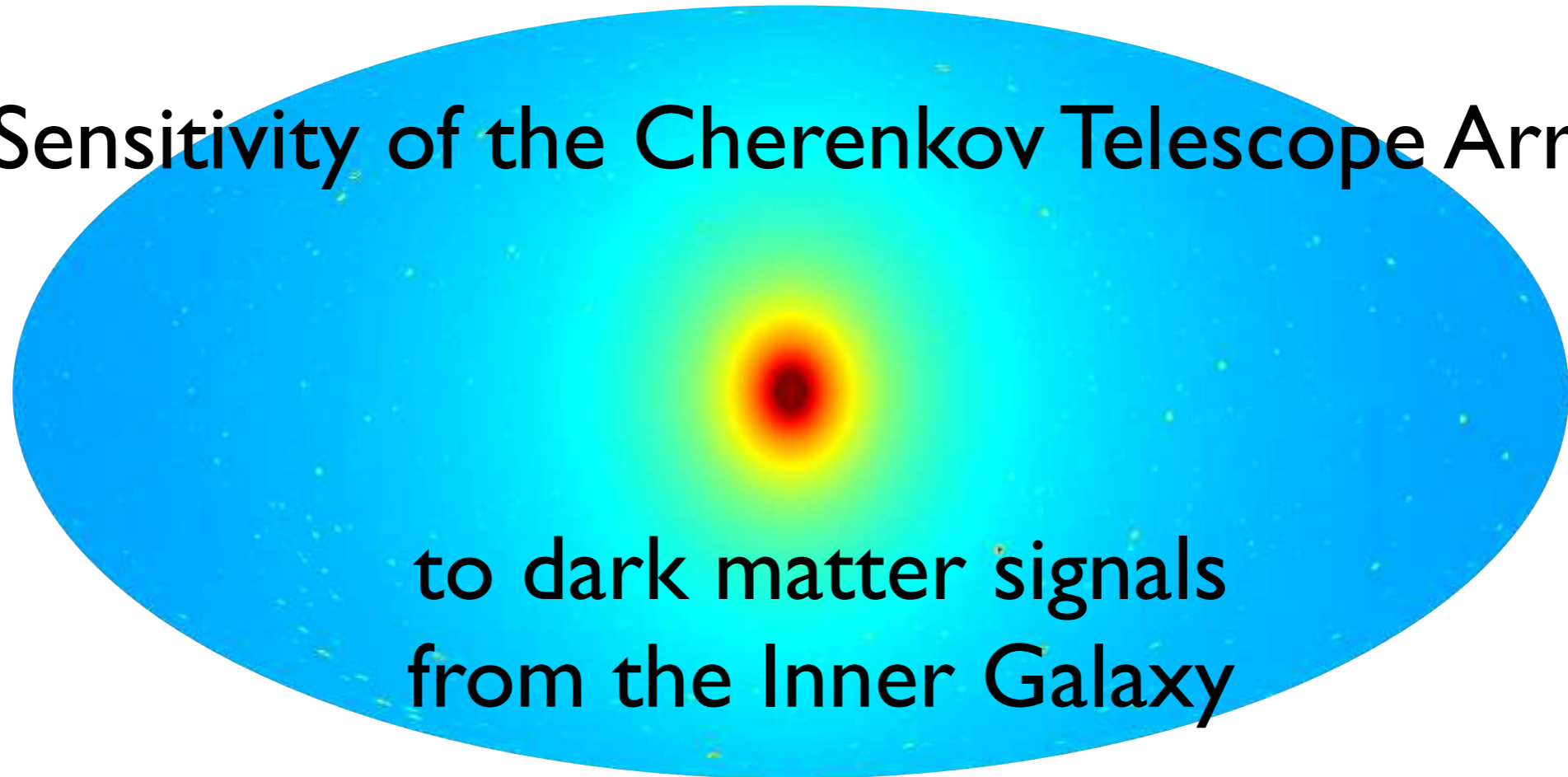


# Sensitivity of the Cherenkov Telescope Array



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Caltech

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Pat Scott (McGill)

# Imaging Atmospheric Cherenkov Telescopes (IACTs)

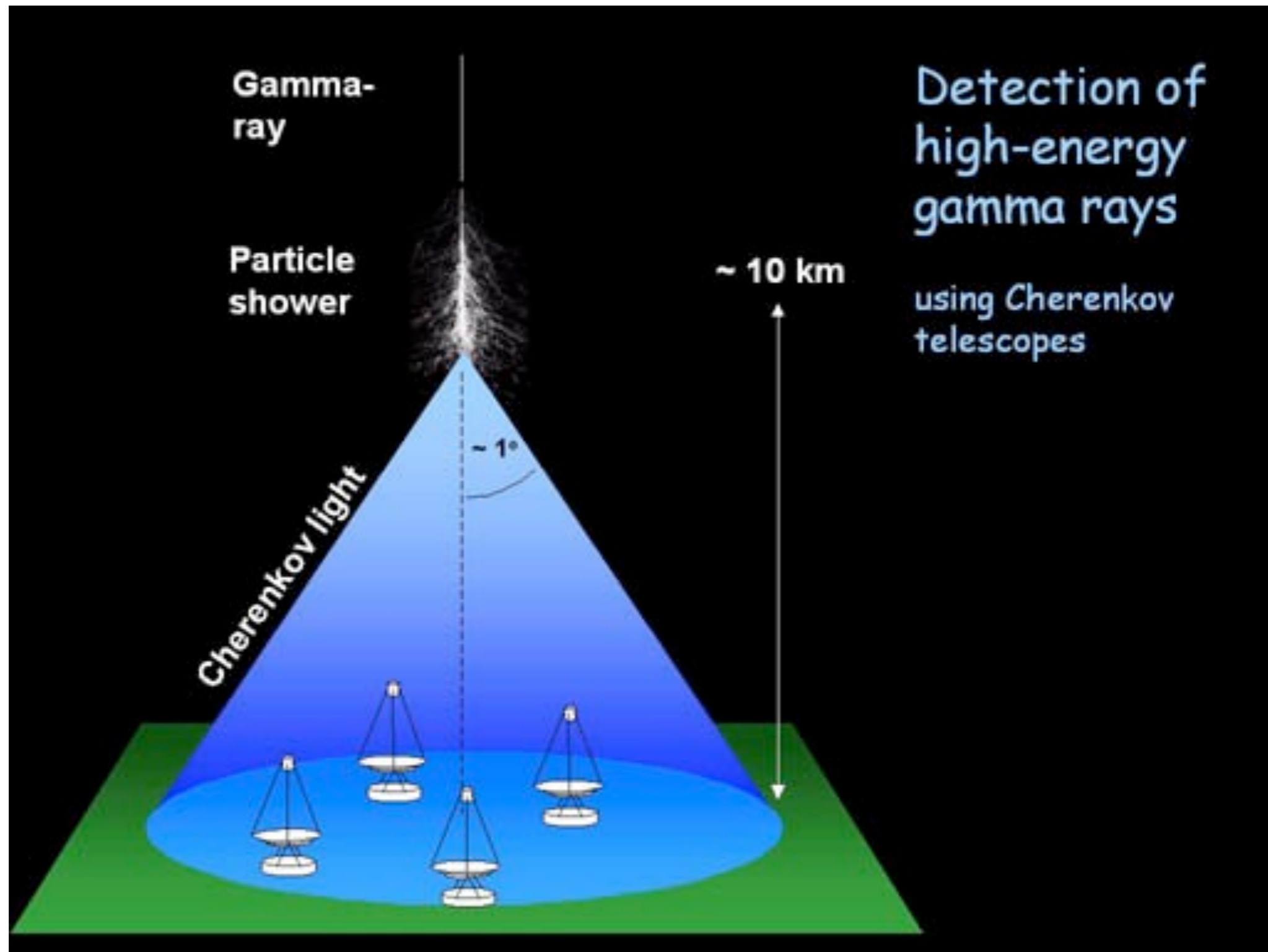


Image credit: H.E.S.S. Collaboration

# The Cherenkov Telescope Array (CTA)

- array of many telescopes of various sizes to balance need for effective area while reducing energy threshold
- relatively large FOV  $\sim 10$  deg (current ACTs  $\sim 5$  deg)
- will trigger as low as  $\sim$  few tens of GeV (compared to  $\sim 100$  GeV for current ACTs)

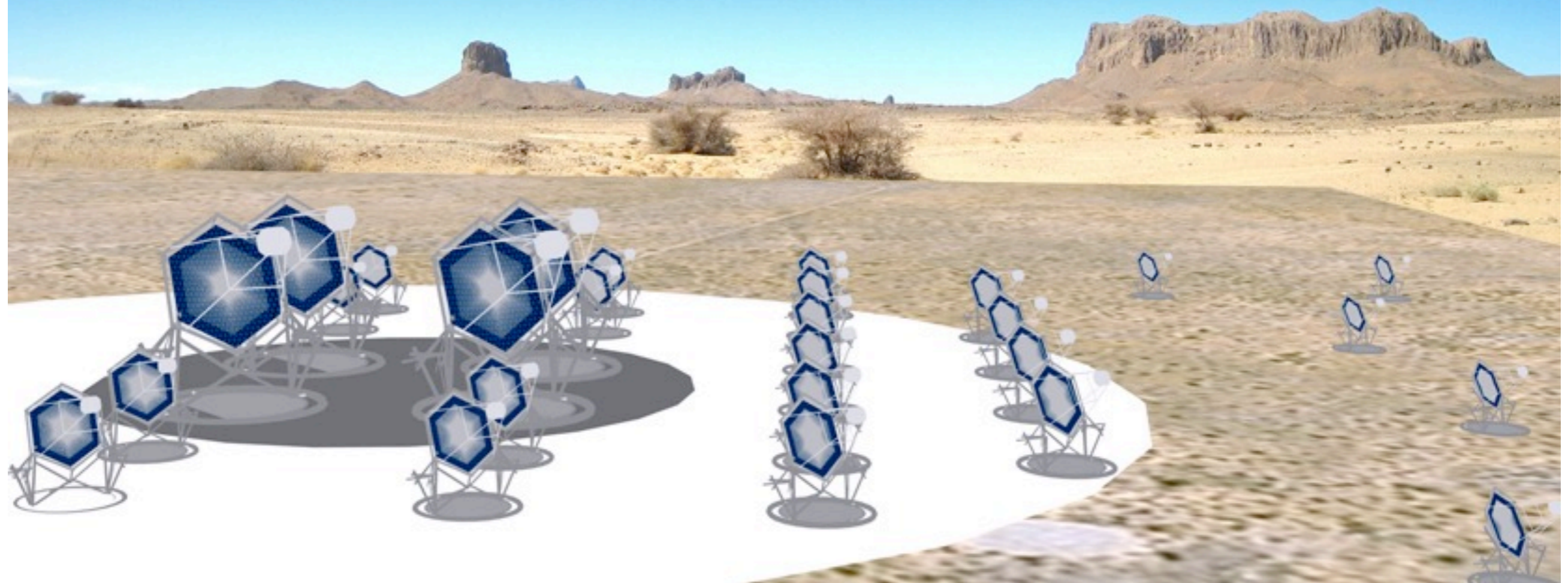
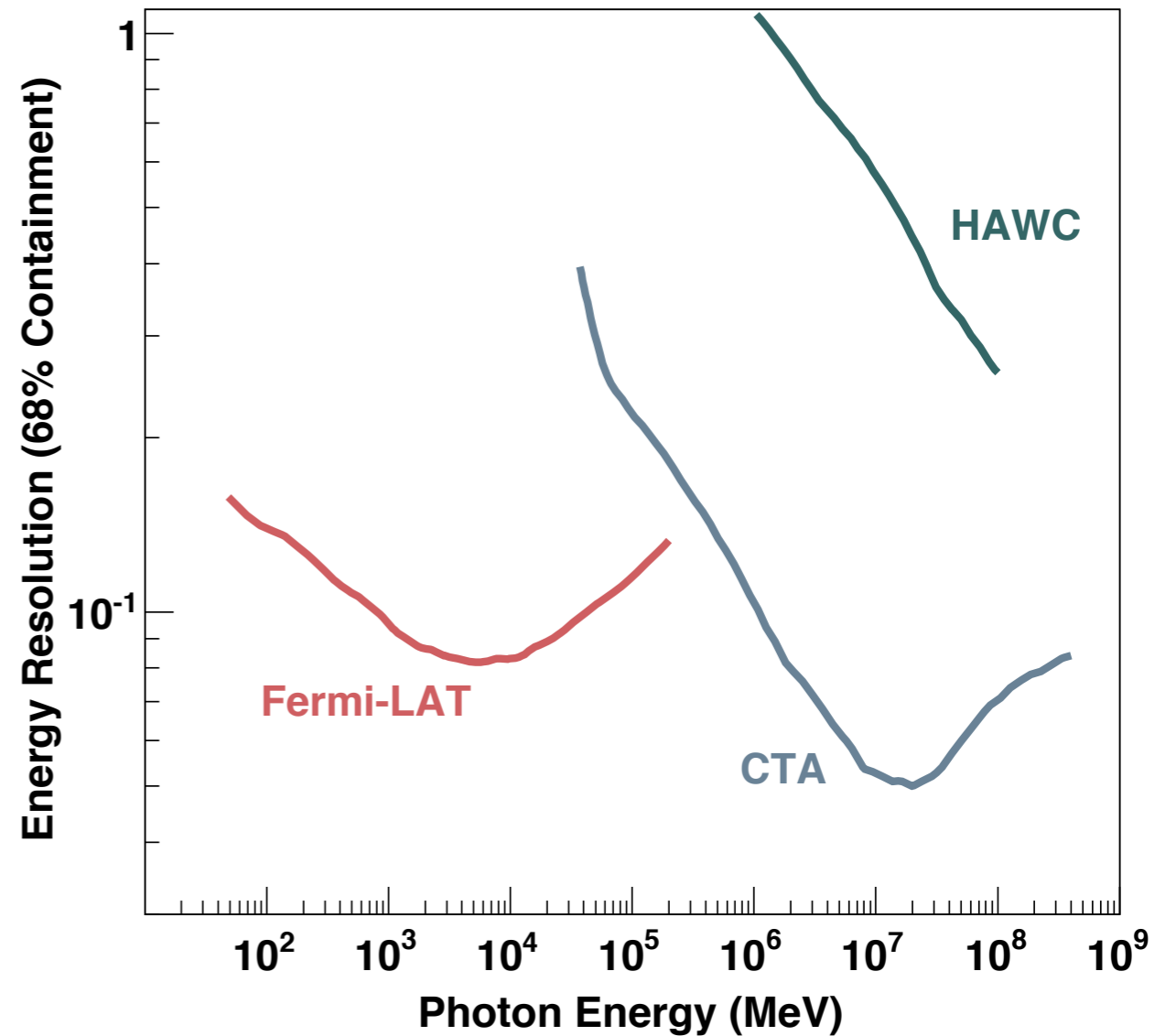
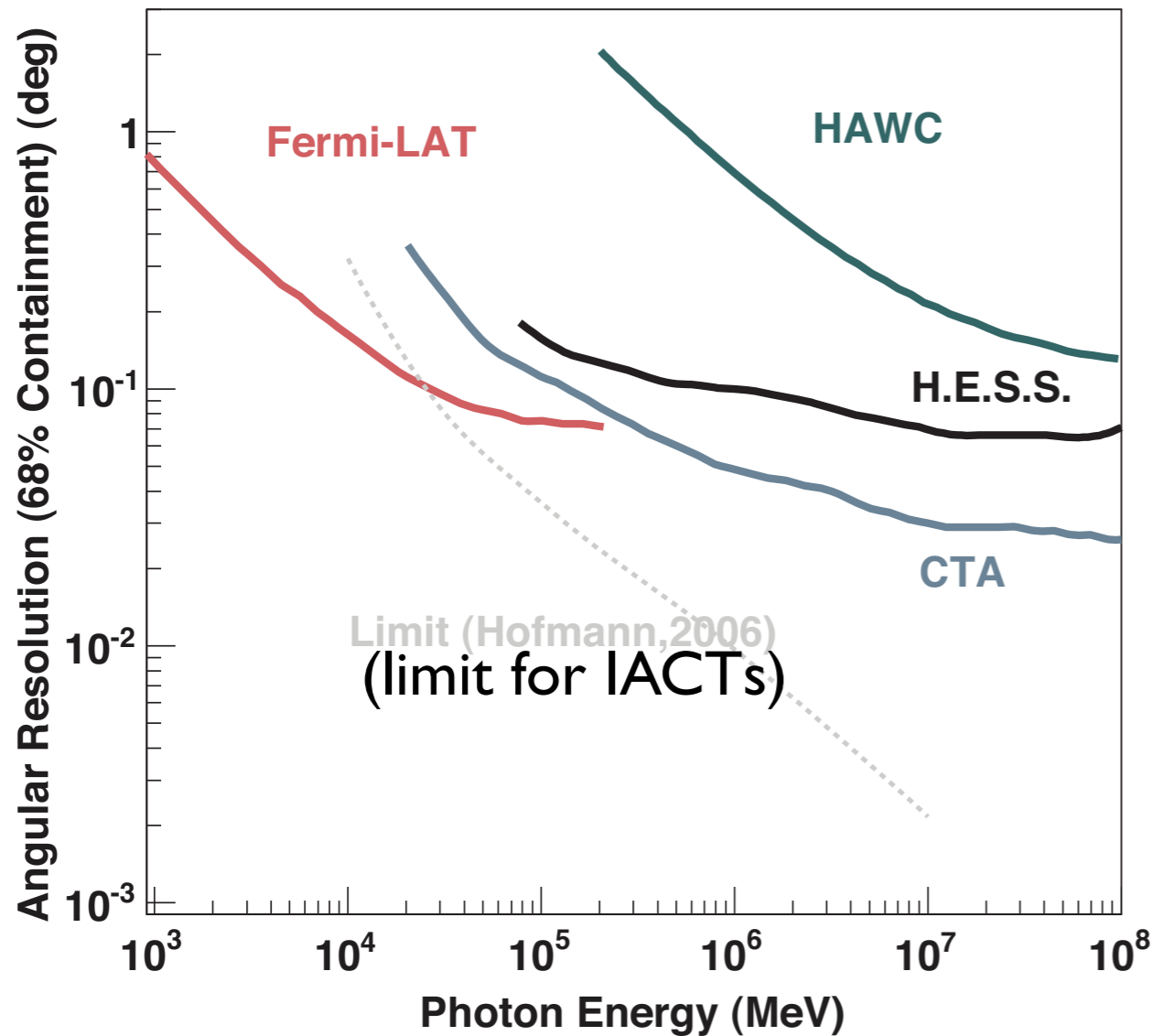


Image credit: CTA Collaboration

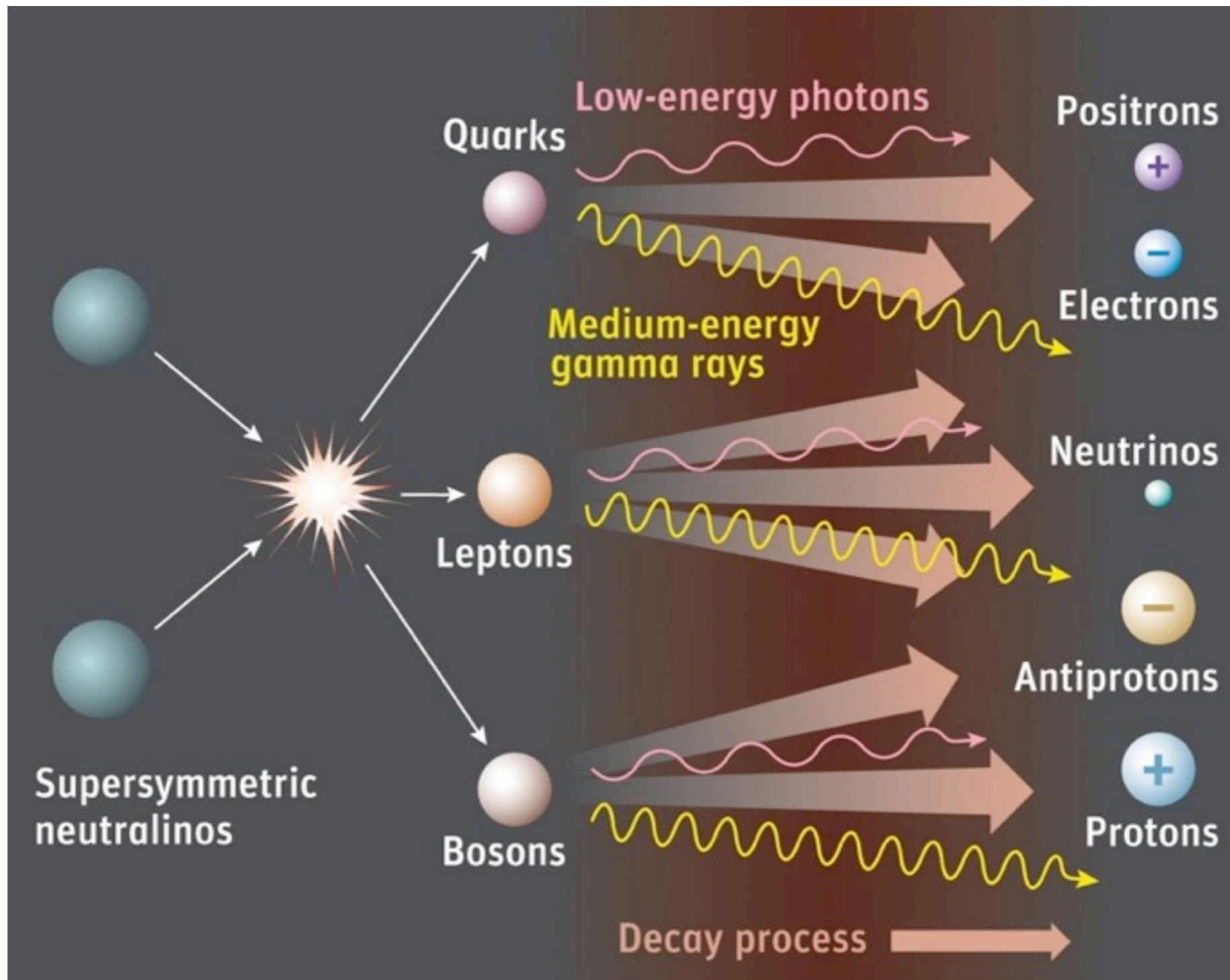
# Current and future capabilities



Funk et al. 2012

NB: Fermi LAT effective area  $\sim 0.8 \text{ m}^2$  vs  $\sim 10^6 \text{ m}^2$  for CTA

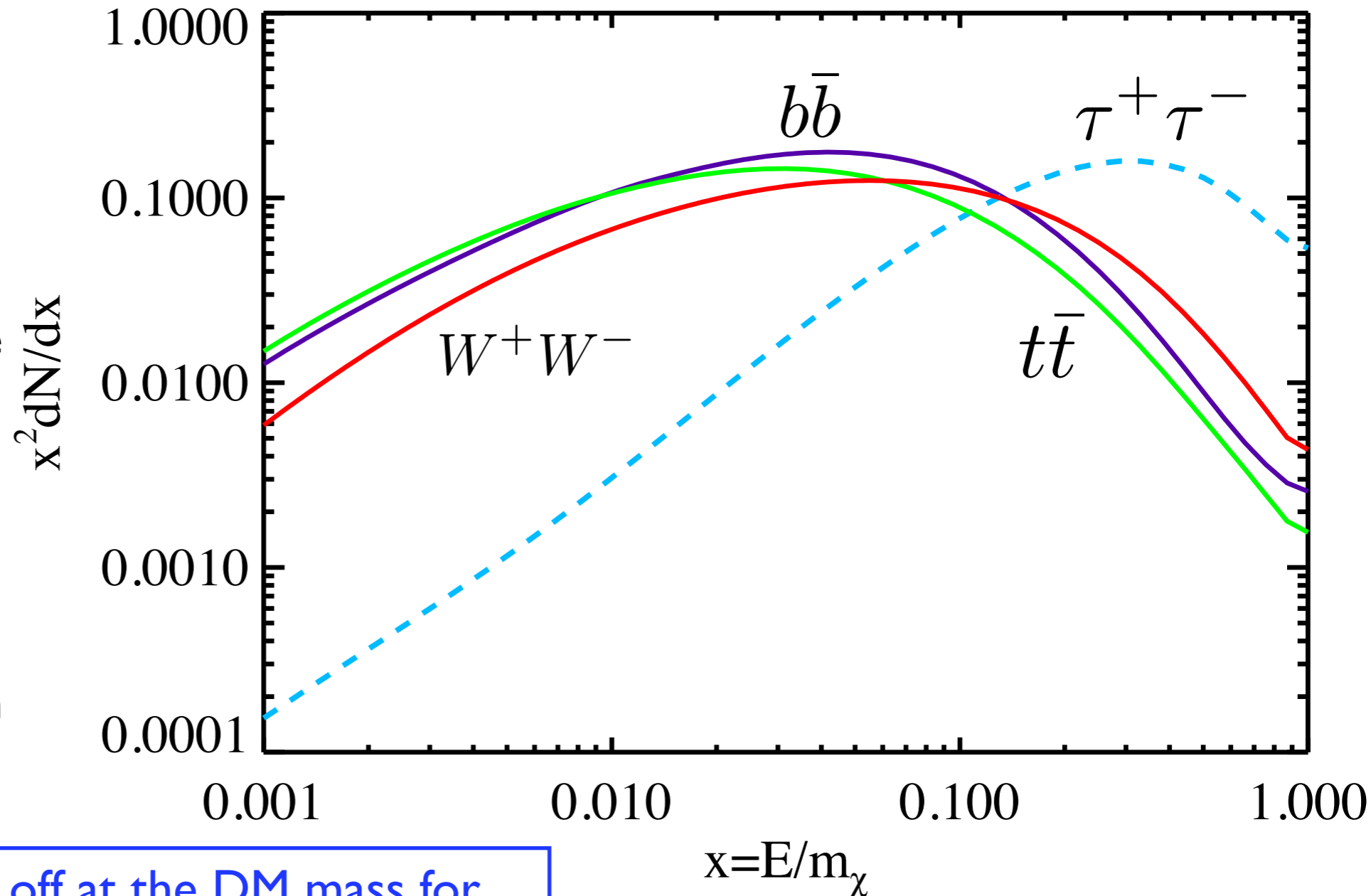
# Indirect dark matter signals



Credit: Sky & Telescope / Gregg Dinderman

# Dark matter photon spectra

- “soft” channels: produce a continuum gamma-ray spectrum primarily from decay of neutral pions
- “hard channels”: include final state radiation (FSR) associated with charged leptons in the final states
- direct annihilation to photons = line emission ( $\gamma\gamma, Z\gamma$ )



Spectra calculated with PPC 4 DM ID [Cirelli et al. 2010]

energy spectrum cuts off at the DM mass for annihilation, half the DM mass for decay

# Gamma-ray and neutrino indirect signals

(particles that propagate directly to the observer without deflection, attenuation, or secondary production)

differential intensity = particle physics term “K” • astrophysics term “J”

## ANNIHILATION:

$$K_{\text{ann}} = \frac{dN}{dE} \frac{\langle \sigma v \rangle}{2m_{\chi}^2}$$

$$J_{\text{ann}}(\psi) = \frac{1}{4\pi} \int_{l_{os}} ds \rho^2(s, \psi)$$

## DECAY:

$$K_{\text{decay}} = \frac{dN}{dE} \frac{1}{m_{\chi} \tau_{\chi}}$$

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spectrum of particles produced

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dark matter particle mass

## DECAY:

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pair annihilation cross section times average relative velocity

## DECAY:

$$K_{\text{decay}} = \frac{dN}{dE} \frac{1}{m_{\chi} \tau_{\chi}} \quad J_{\text{decay}}(\psi) = \frac{1}{4\pi} \int_{l_{os}} ds \rho(s, \psi)$$

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dark matter particle lifetime

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$$J_{\text{ann}}(\psi) = \frac{1}{4\pi} \int_{l_{os}} ds \rho^2(s, \psi)$$

dark matter density

## DECAY:

$$K_{\text{decay}} = \frac{dN}{dE} \frac{1}{m_{\chi} \tau_{\chi}}$$

$$J_{\text{decay}}(\psi) = \frac{1}{4\pi} \int_{l_{os}} ds \rho(s, \psi)$$

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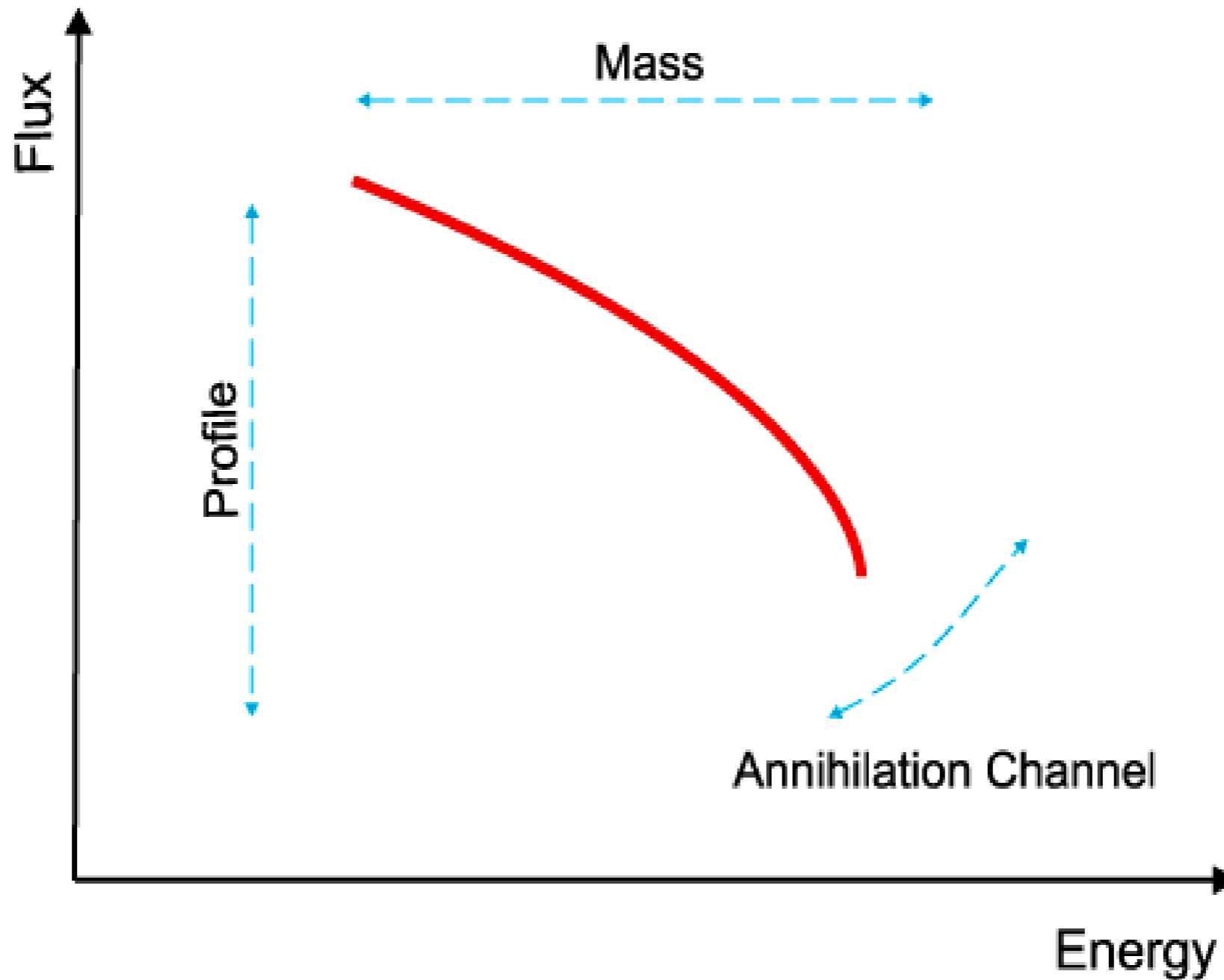
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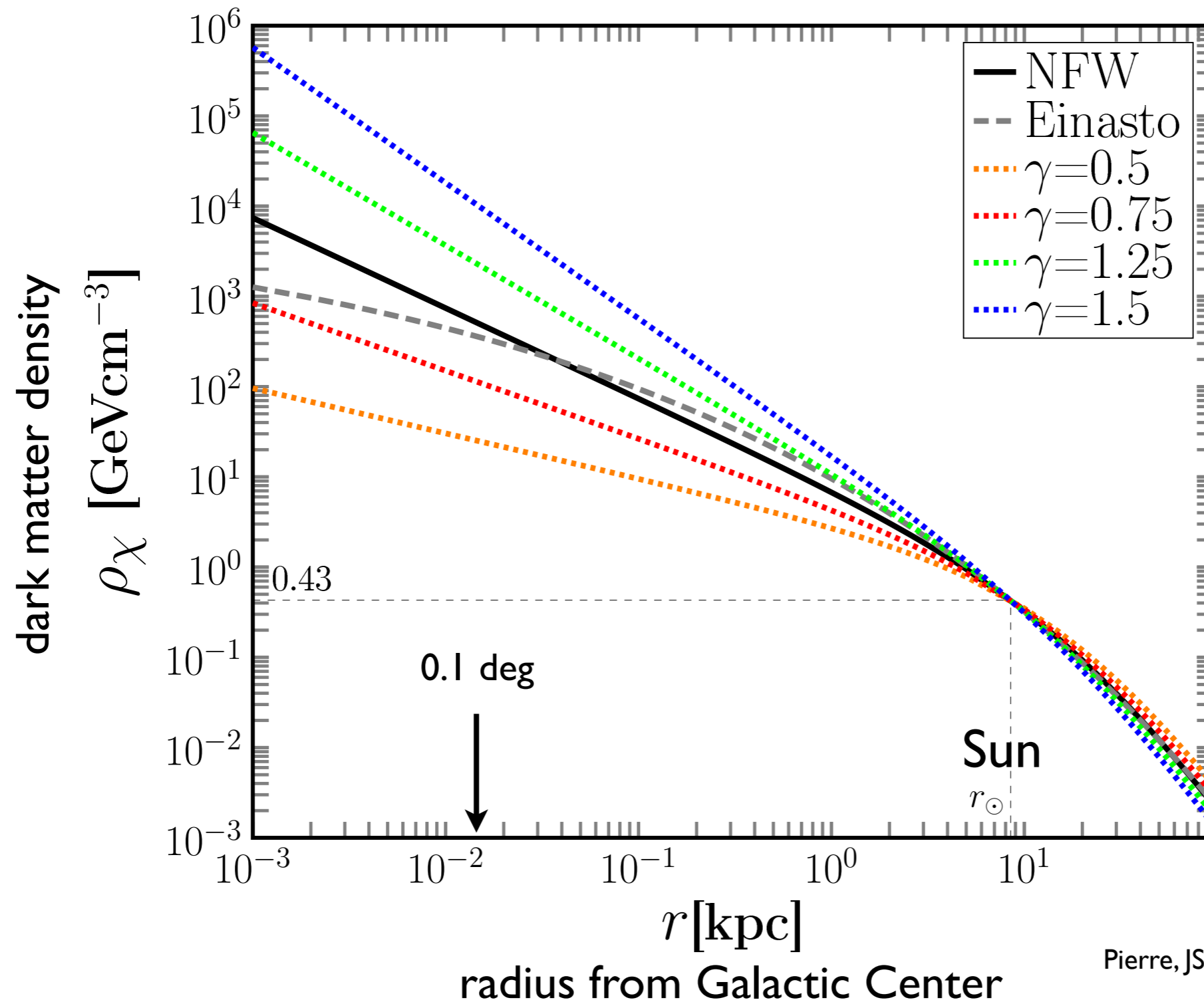
# Indirect dark matter signals



Bertone 2007

# Dark matter signals from the Inner Galaxy

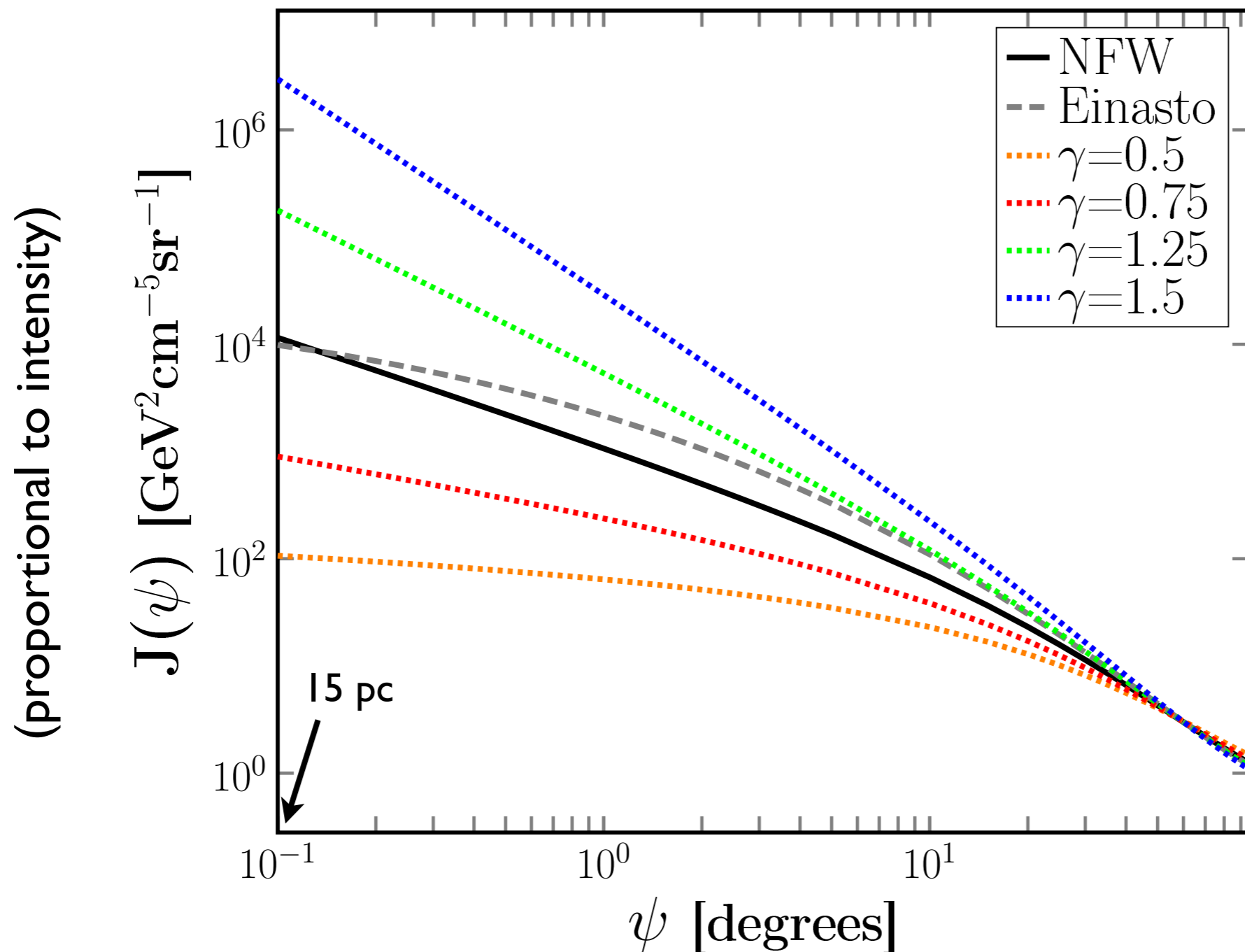
dark matter density profiles



Pierre, JSG, & Scott, in prep

# Dark matter signals from the Inner Galaxy

angular dependence of dark matter intensity

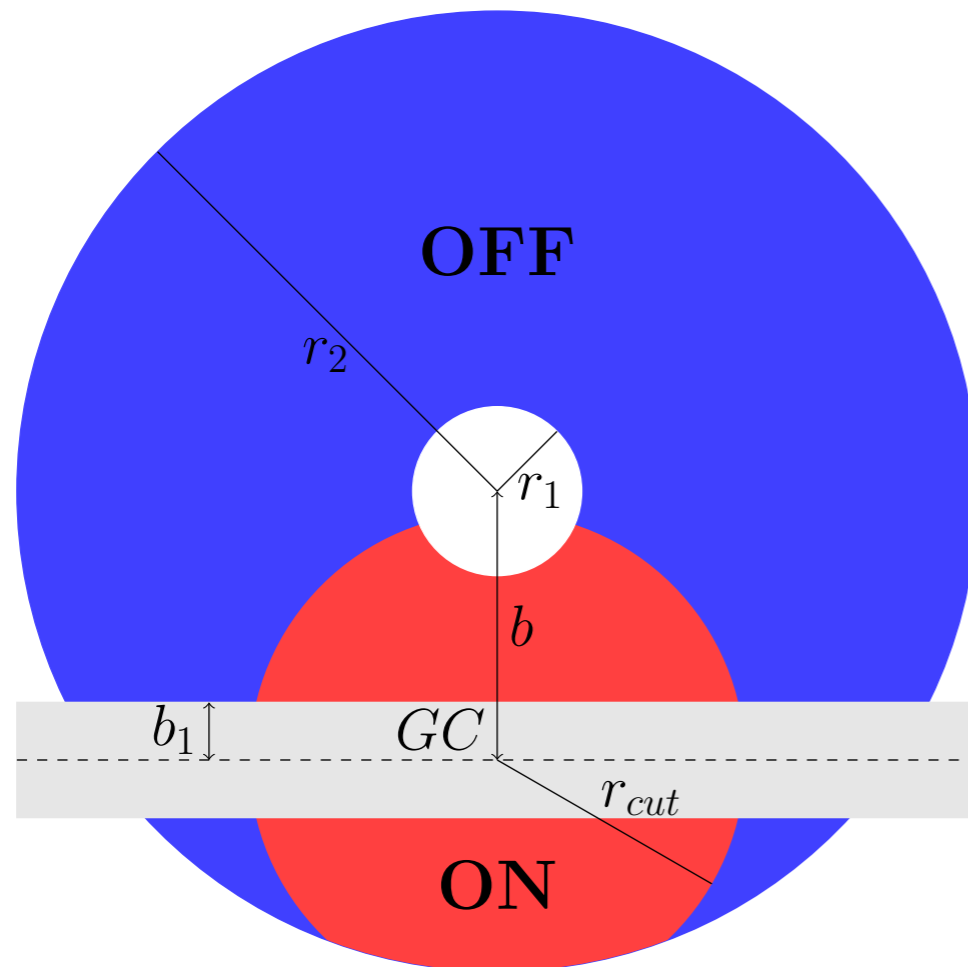


angle from Galactic Center

Pierre, JSG, & Scott, in prep



# CTA search for dark matter signals



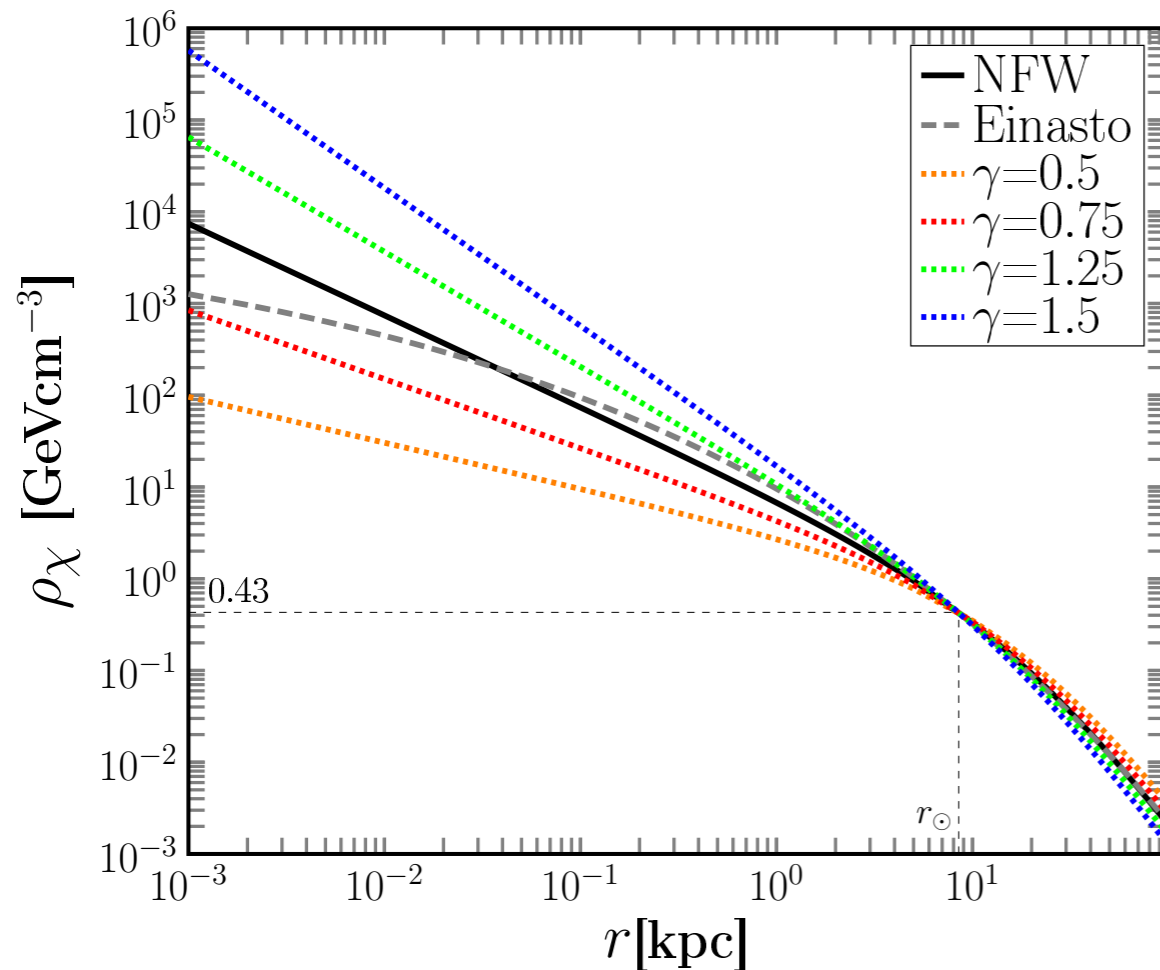
“Ring Method”

IACTs use “on-off” methods to search for signals due to large irreducible cosmic-ray electron background

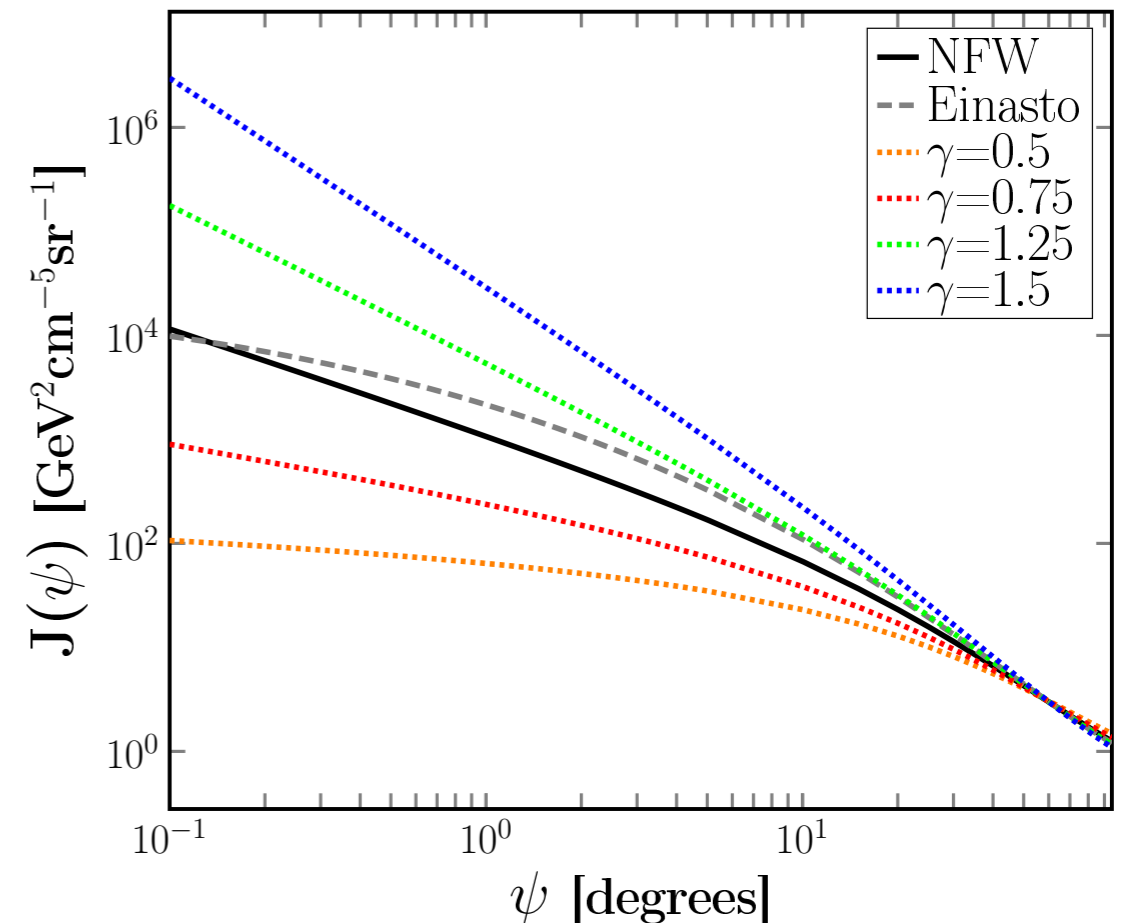
The “Ring Method” limits systematics due to uncertainties in the effective area variation across the FOV

# Detecting a Galactic Center DM signal with CTA

## Density profile



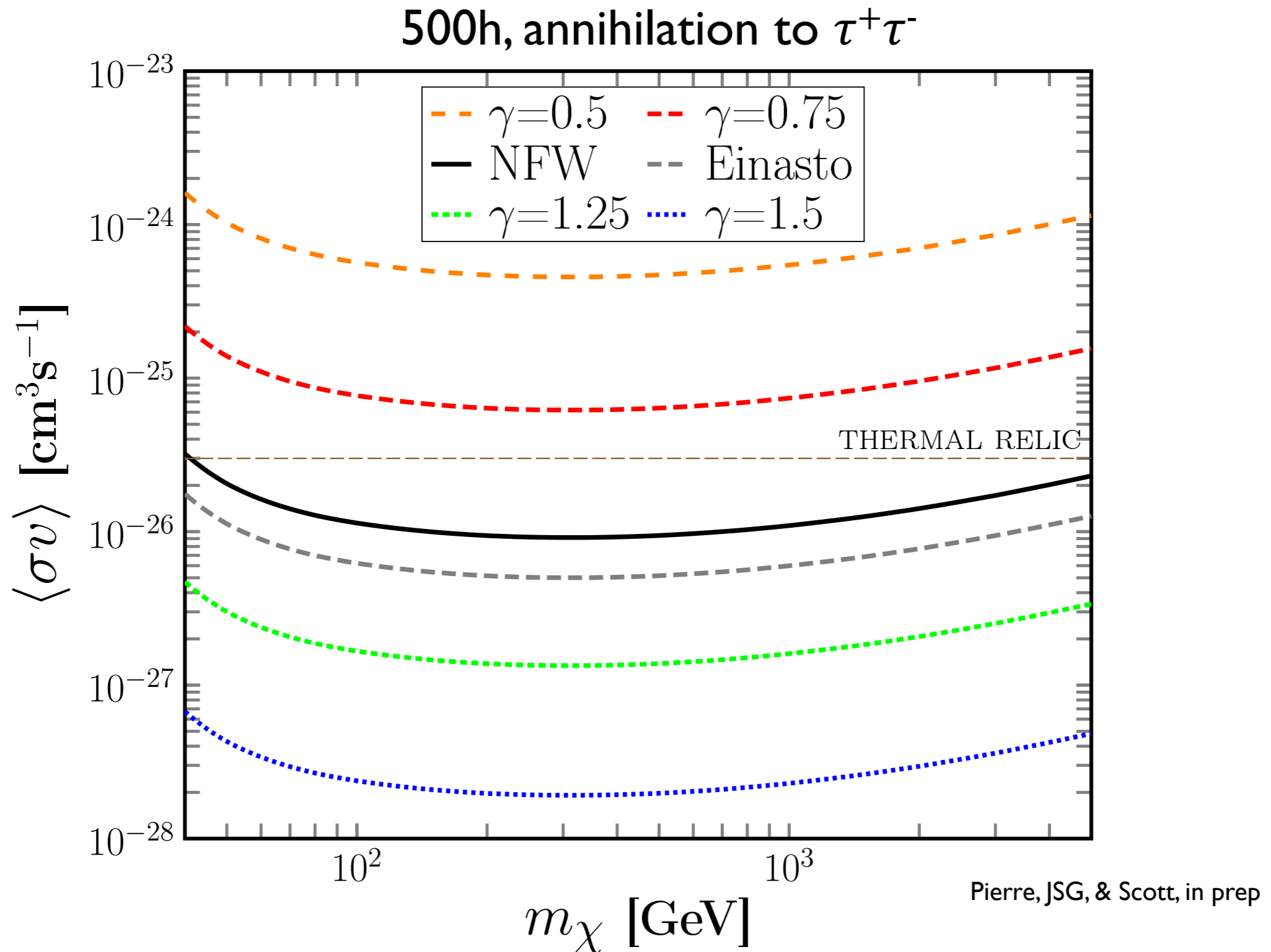
## Annihilation “J-factor”



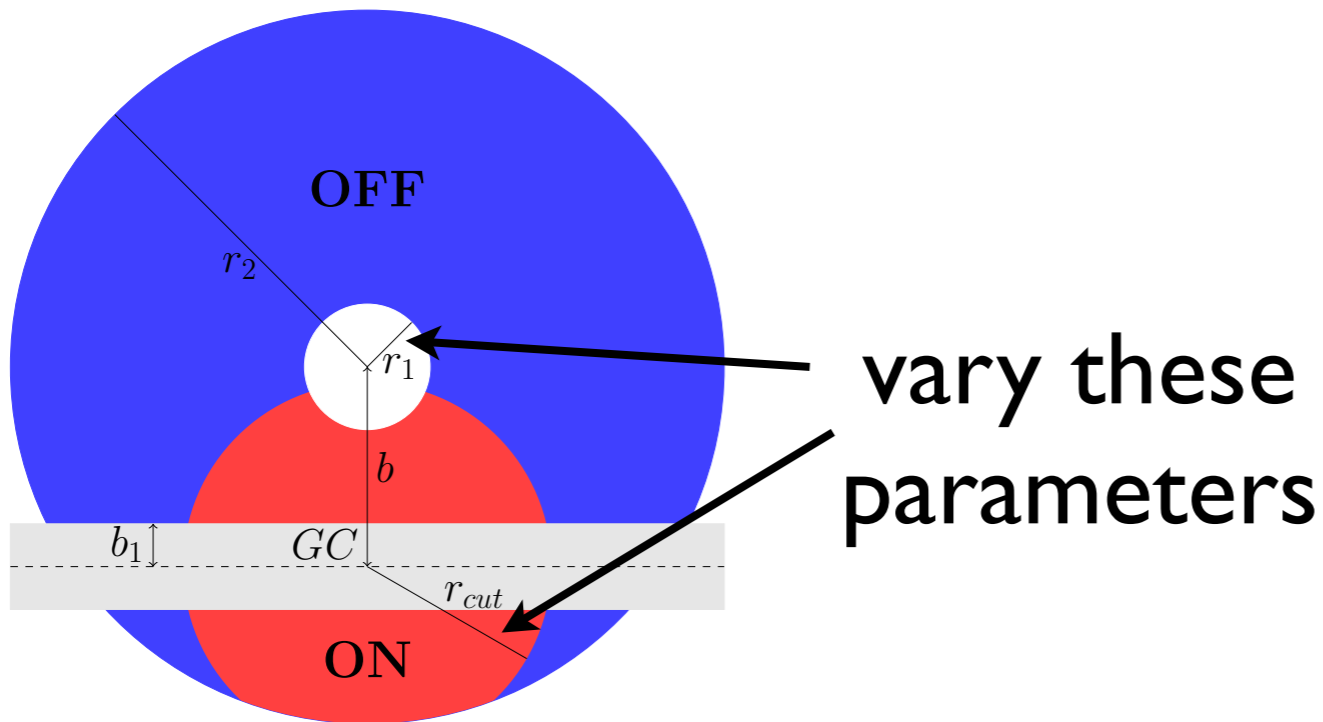
Pierre, JSG, & Scott, in prep

- flatter density profiles favored by some observational data and in some DM models (e.g., SIDM) could present a challenge for CTA
- Ring Method sensitive to the difference in the signal (per solid angle) in the ON vs OFF region -- flatter profiles harder to detect

# Density profile dependence of sensitivity



# Optimizing the search regions

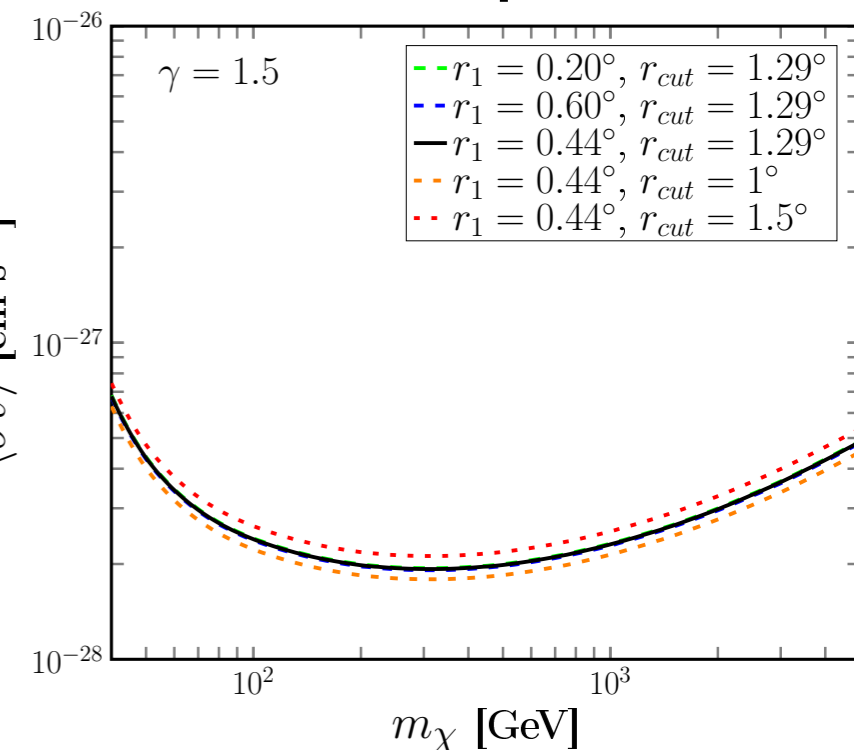
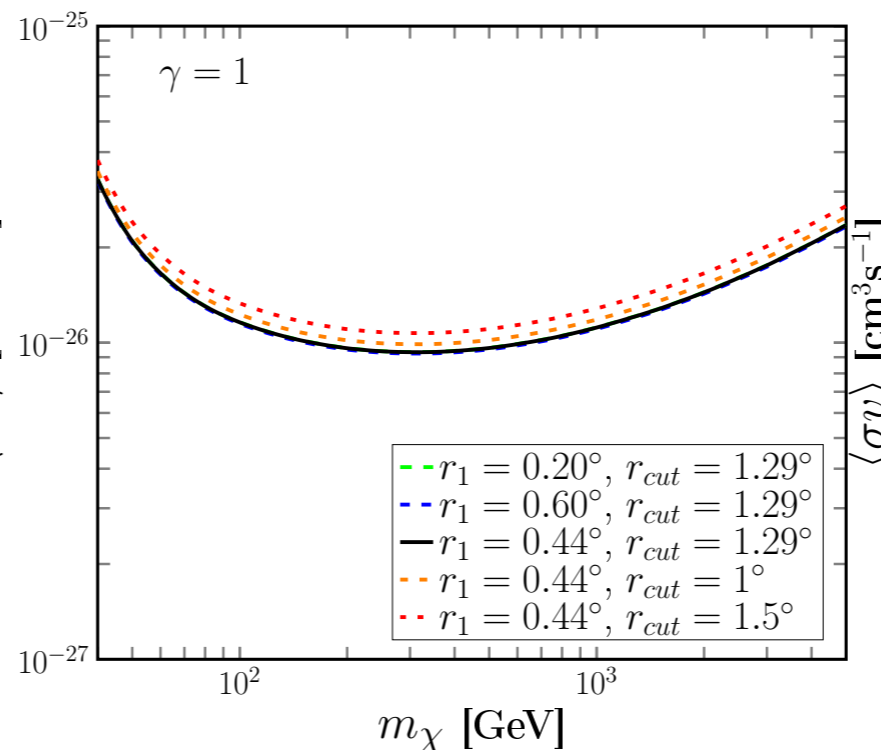
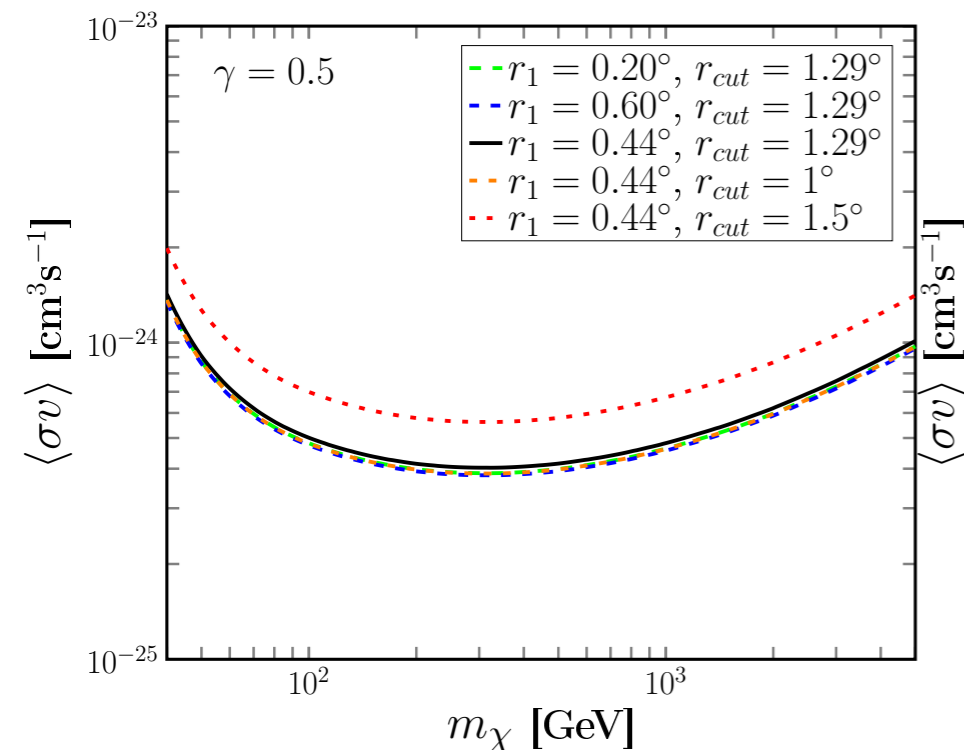


sensitivity is not strongly dependent on search regions except for a very shallow profile

shallower

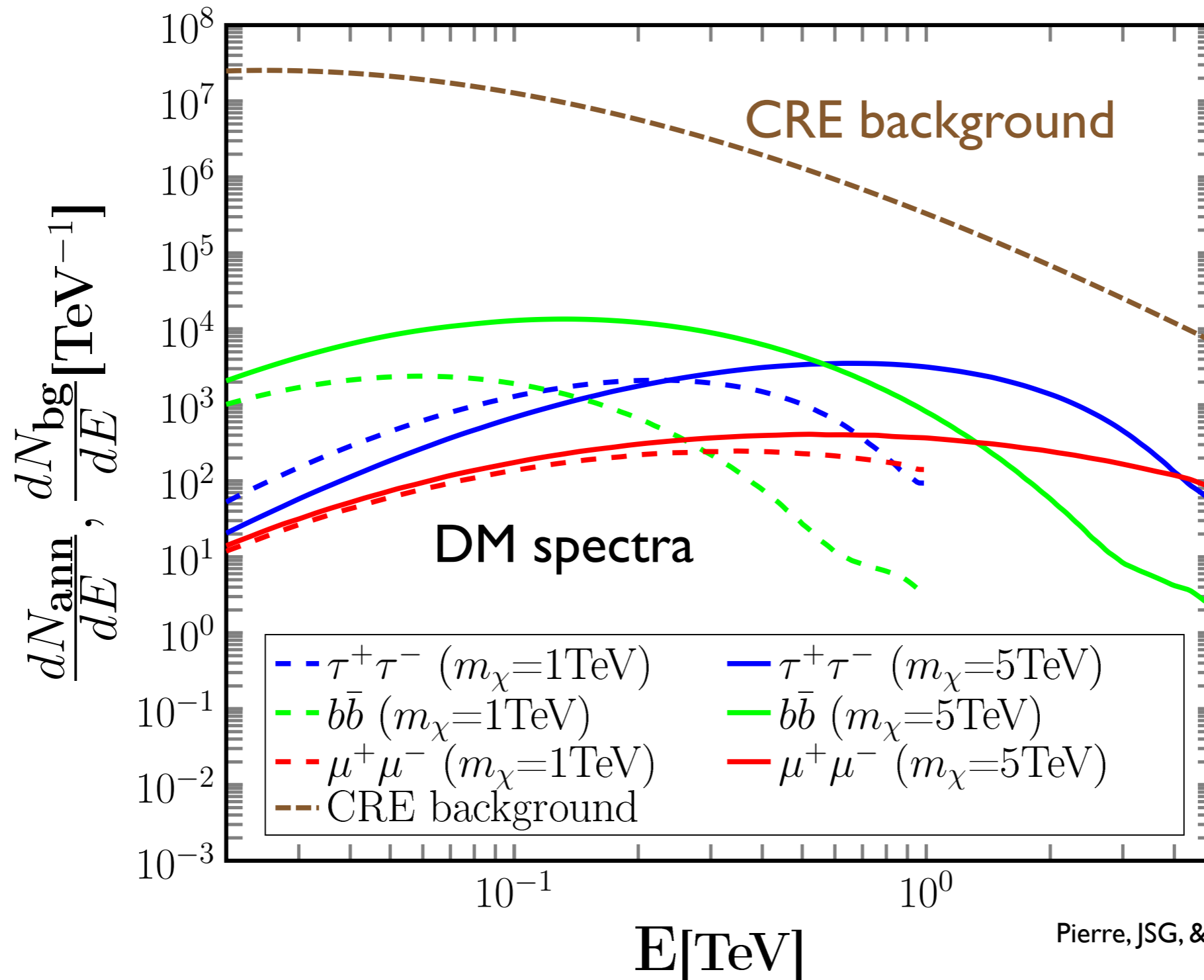
NFW

steeper



# Taking advantage of spectral information

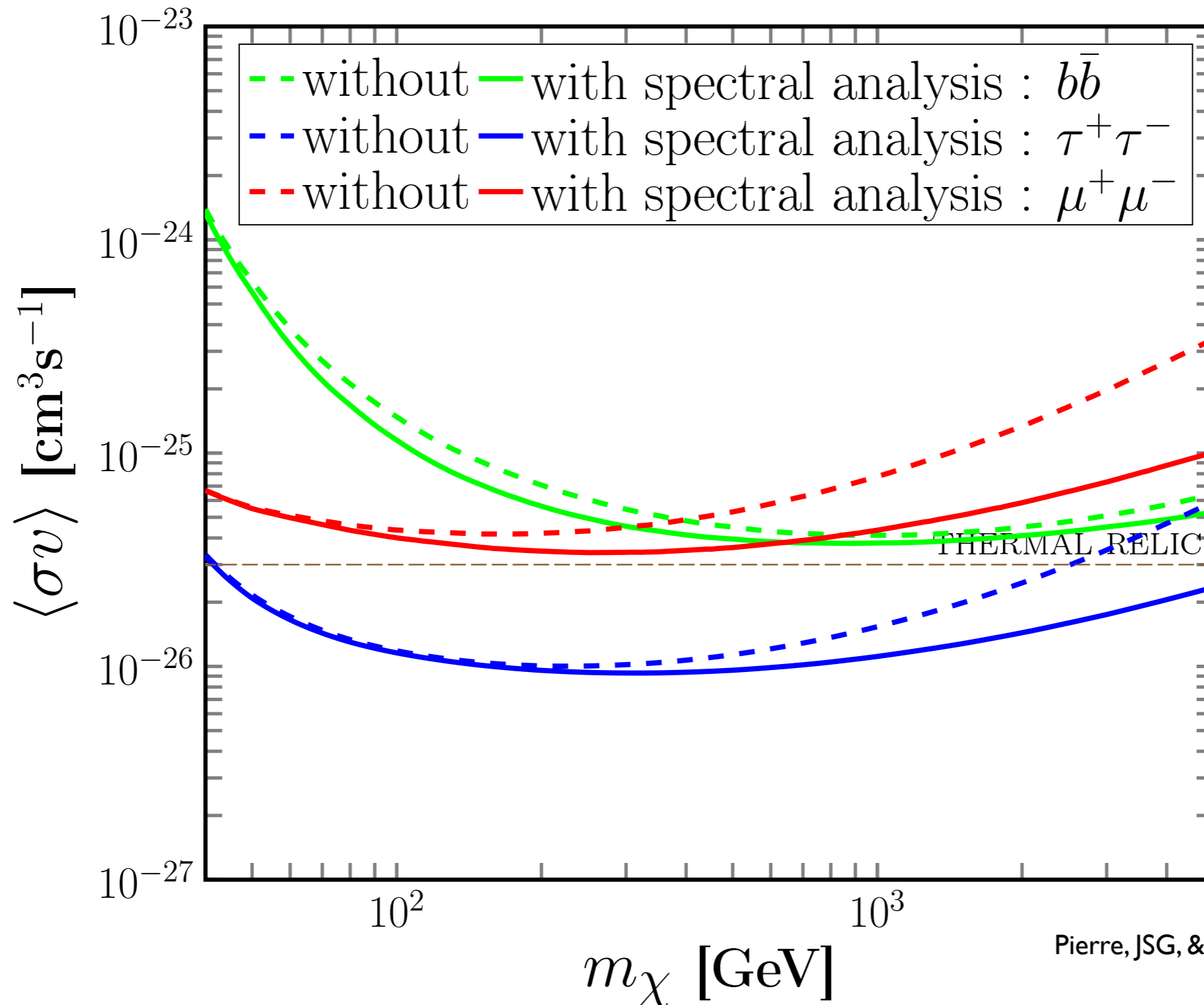
## Differential observed counts spectrum



Pierre, JSG, & Scott, in prep

# Improvement from spectral analysis

500h, NFW profile

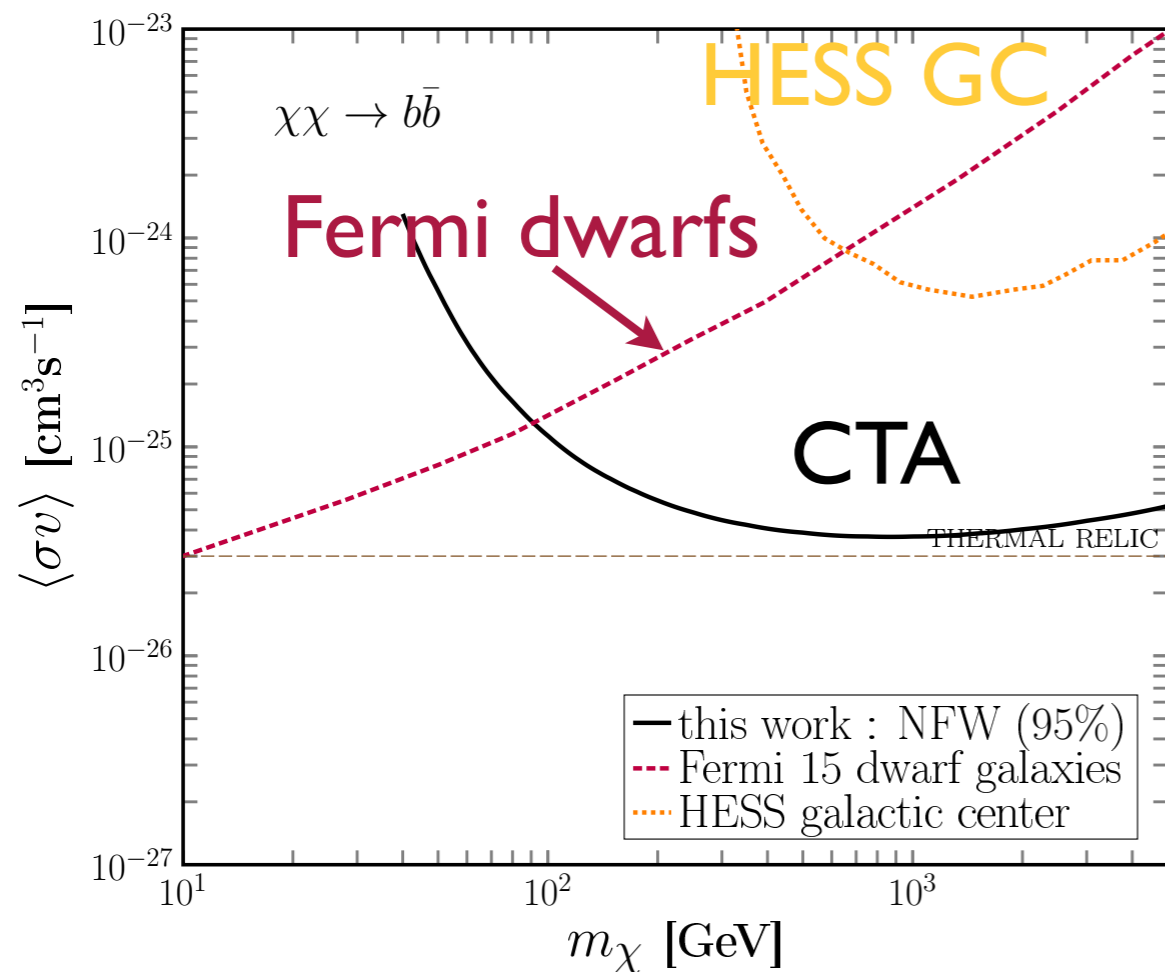


Pierre, JSG, & Scott, in prep

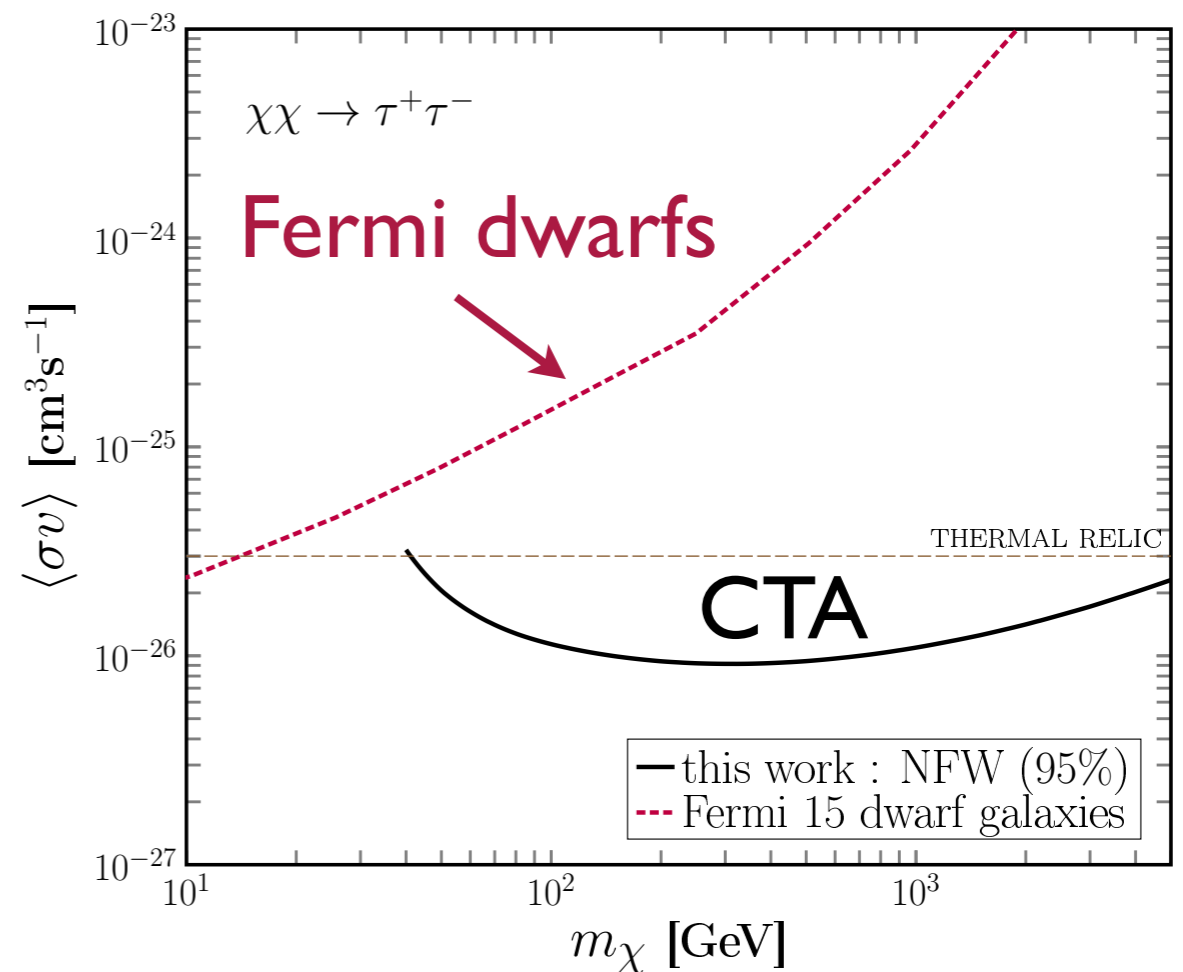
# CTA sensitivity to dark matter annihilation

500h, NFW profile

annihilation to  $b\bar{b}$



annihilation to  $\tau^+\tau^-$

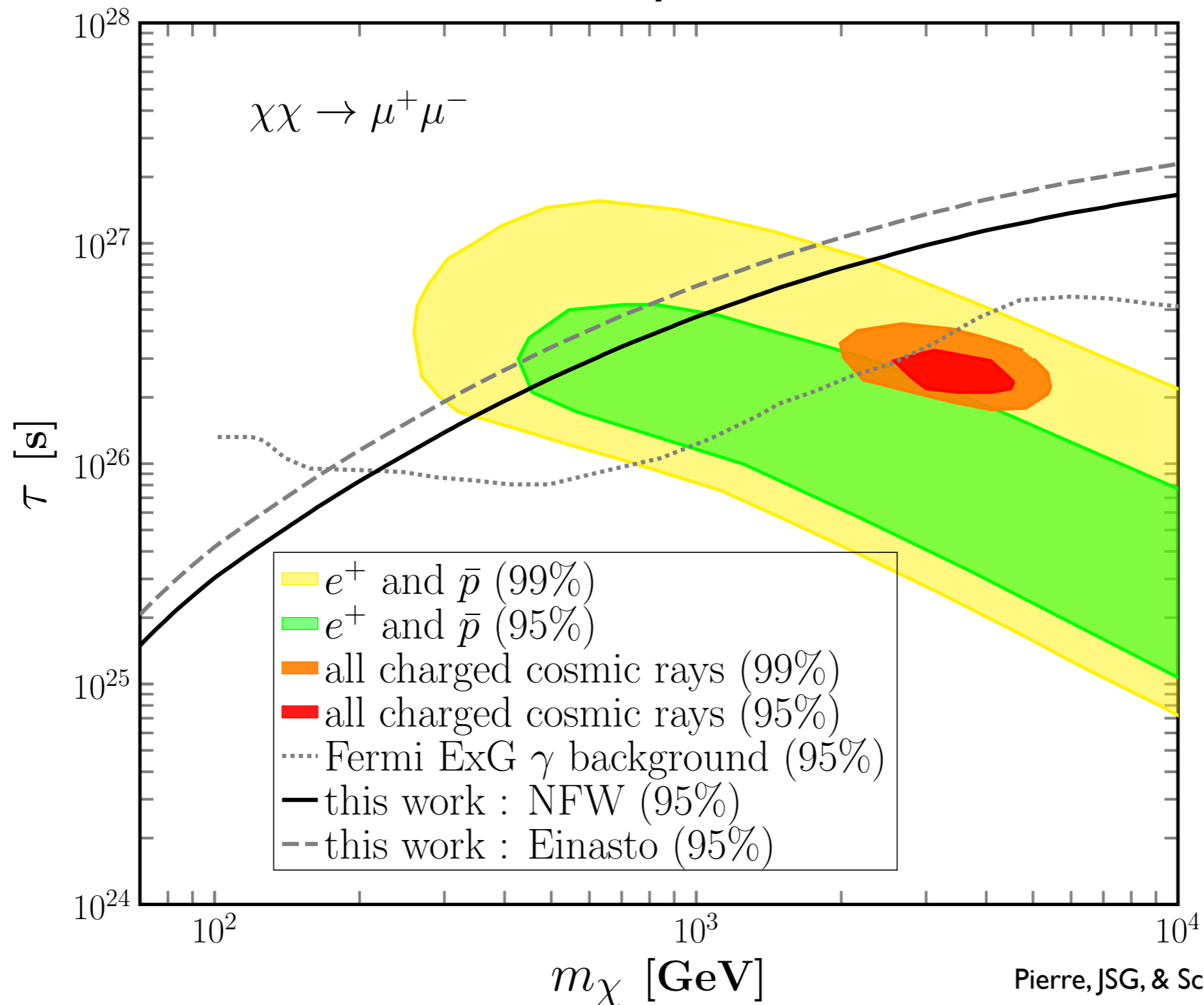


Pierre, JSG, & Scott, in prep

# CTA sensitivity to dark matter decay

(parameter space BELOW the curves detectable)

500h, decay to  $\mu^+\mu^-$



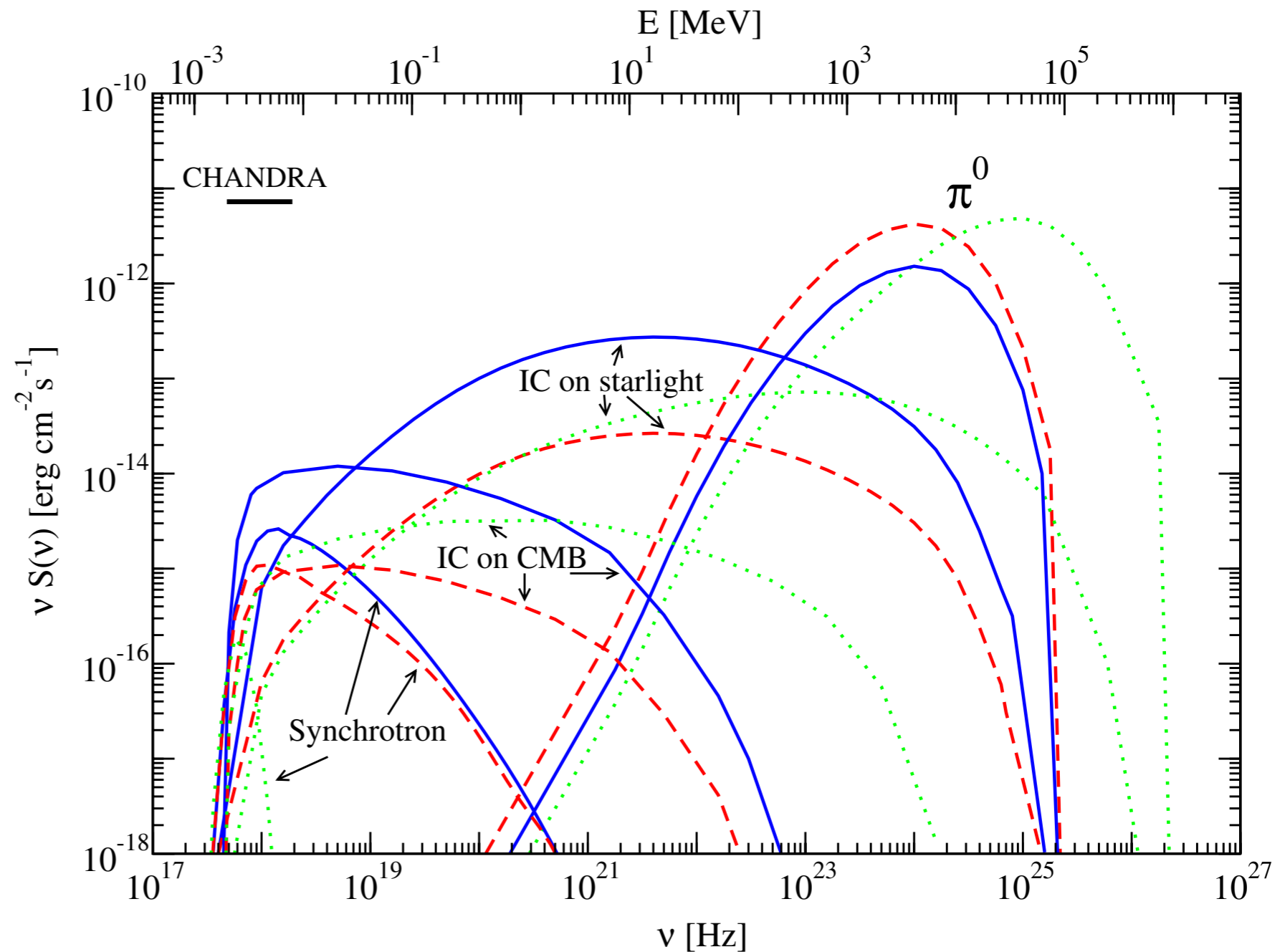
Pierre, JSG, & Scott, in prep



# Multi-wavelength dark matter photon spectra

## DM spectrum from the Galactic Center

- secondary photon emission associated with charged particle final states:
- inverse Compton scattering of starlight, CMB
- synchrotron due to propagation in magnetic fields

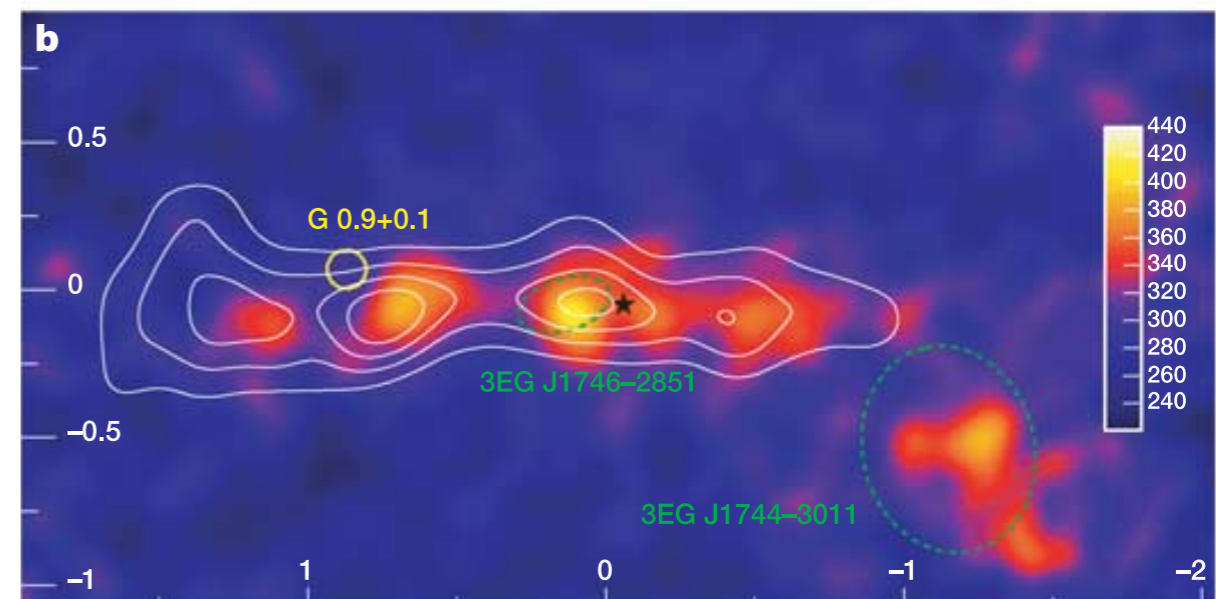
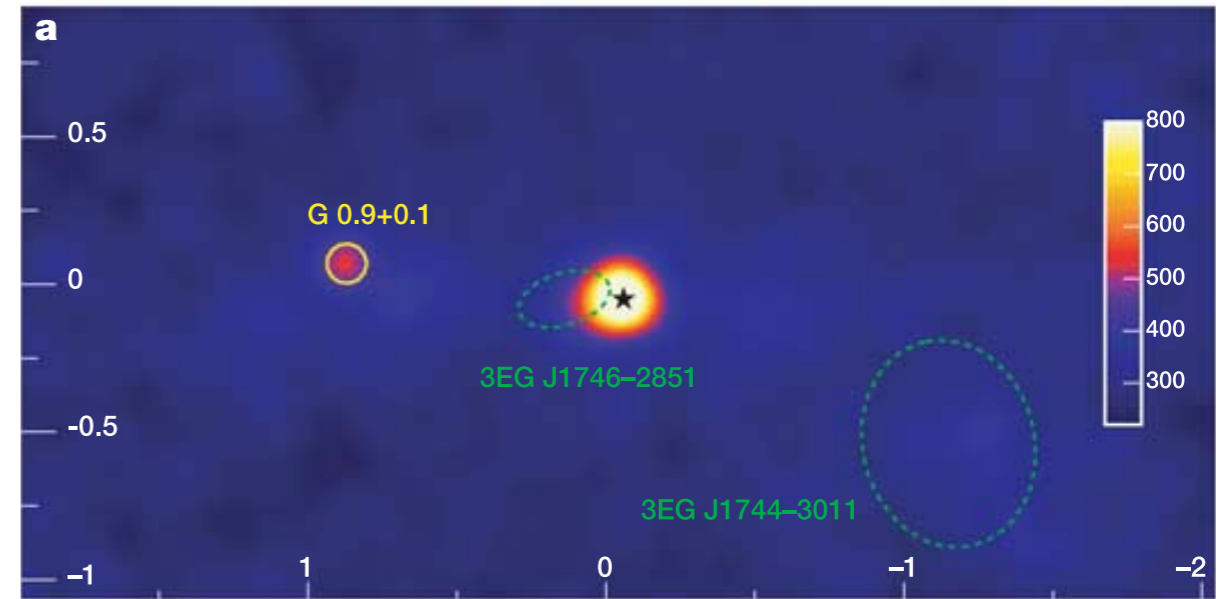
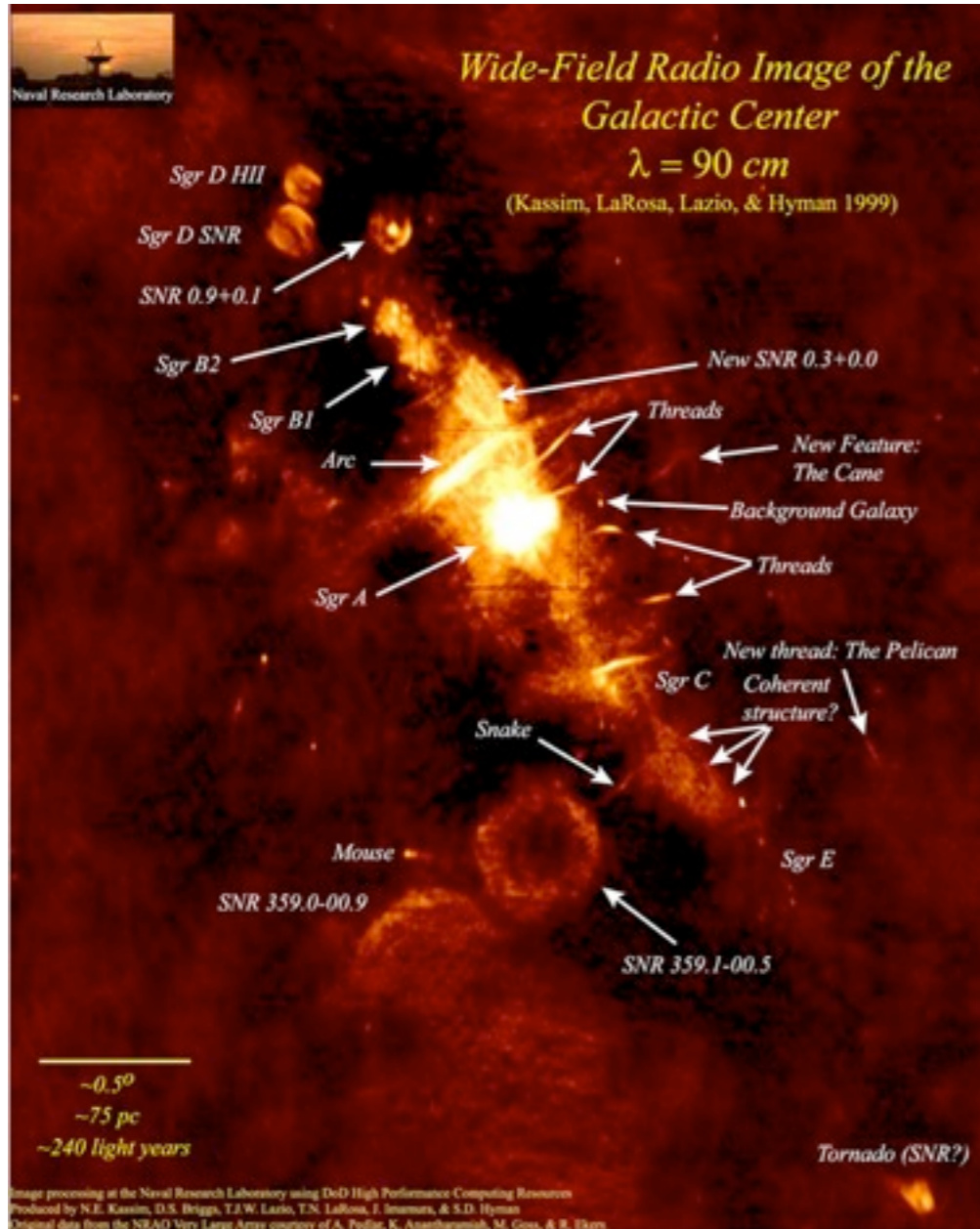


Regis & Ullio 2008

# The multi-wavelength Inner Galaxy

VLA @ 330 MHz

HESS > 380 GeV



Aharonian et al. 2006

# Looking forward

- CTA will provide new, strong sensitivity to dark matter signals, especially at high WIMP masses, for canonical DM density profiles
  - spectral analysis is important for improved sensitivity to channels with hard spectra
  - CTA will be able to test the DM interpretation of the cosmic-ray excesses
  - NB: for interpreting non-detections, need to better understand DM density profiles (e.g., using simulations, lensing, and kinematics)
- Multi-wavelength studies of DM, astrophysical populations, and diffuse emission from the Inner Galaxy will yield complementary information about possible DM signals