

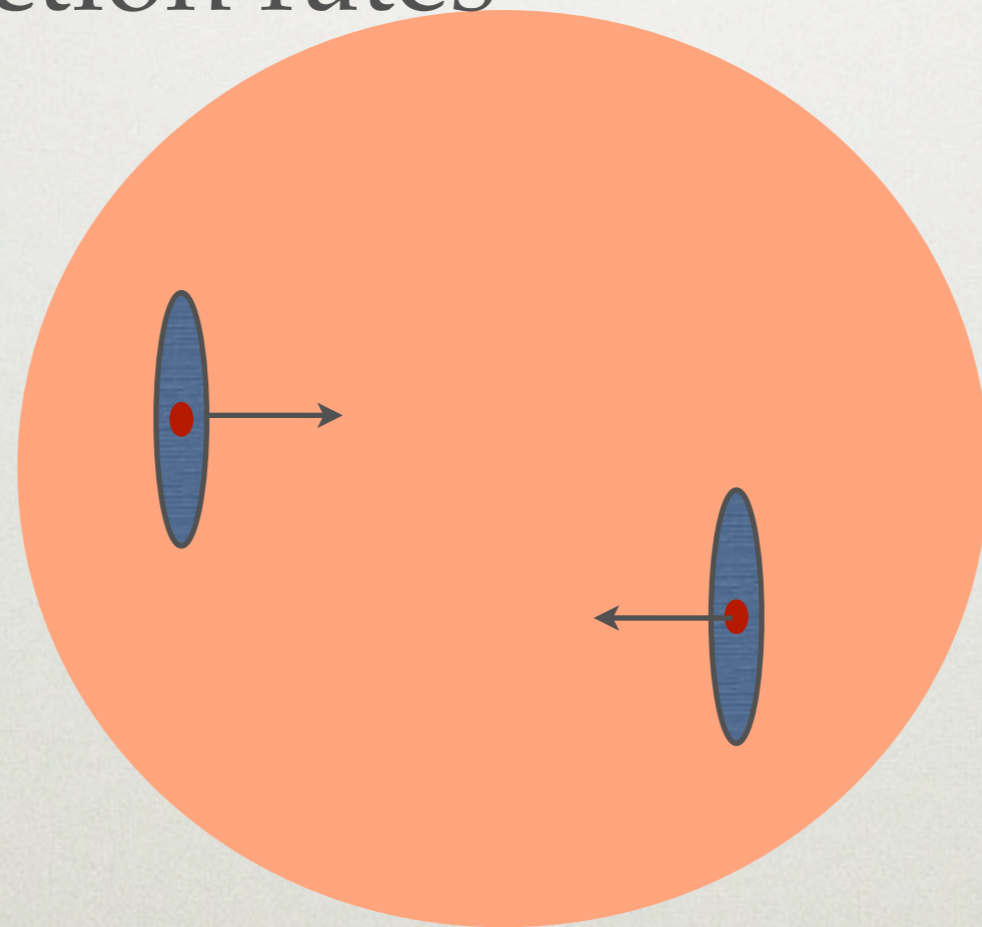
HUNT FOR DARK  
MATTER:  
DIRECT DETECTION  
UPDATE

KATHRYN M. ZUREK  
UNIVERSITY OF MICHIGAN

# WHY THE (SUB-)WEAK SCALE IS COMPELLING

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- Abundance of new stable states set by interaction rates



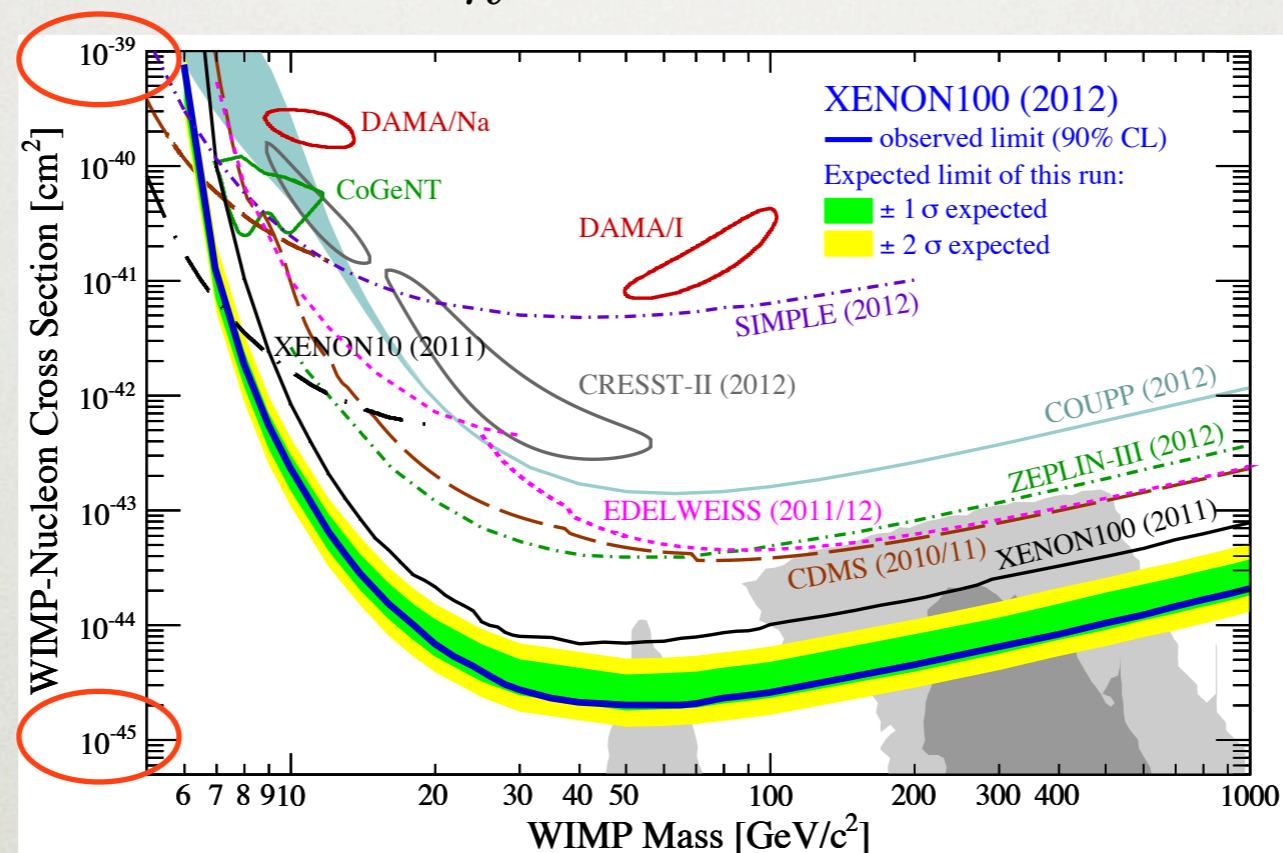
Freeze-out

$$\Gamma = \overset{\substack{\text{Measured by WMAP + LSS} \\ \swarrow}}{n} \sigma v = H \quad \rightarrow \quad \sigma \sim \frac{1}{\text{few TeV}^2}$$

# SUB-WEAKLY INTERACTING MASSIVE PARTICLES

Scattering through the Z boson: ruled out

$$\sigma_n \sim 10^{-39} \text{ cm}^2$$

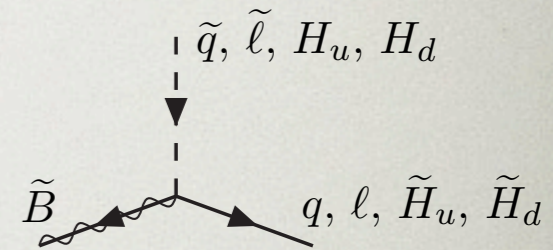
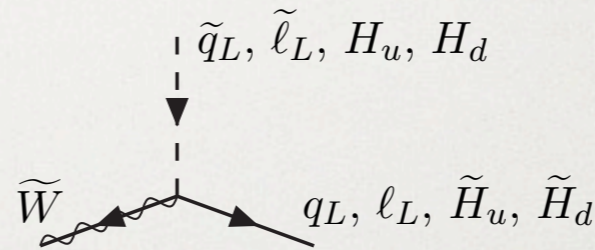


Next important benchmark:  
Scattering through the Higgs

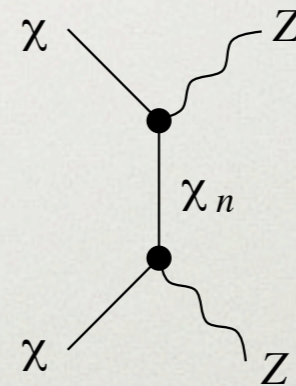
$$\sigma_n \sim 10^{-45-46} \text{ cm}^2$$

# ARE THERE WAYS AROUND FOR THE NEUTRALINO?

- Make the Neutralino a pure state -- coupling to Higgs vanishes



- However, Wino and Higgsino pure states can be probed by indirect detection

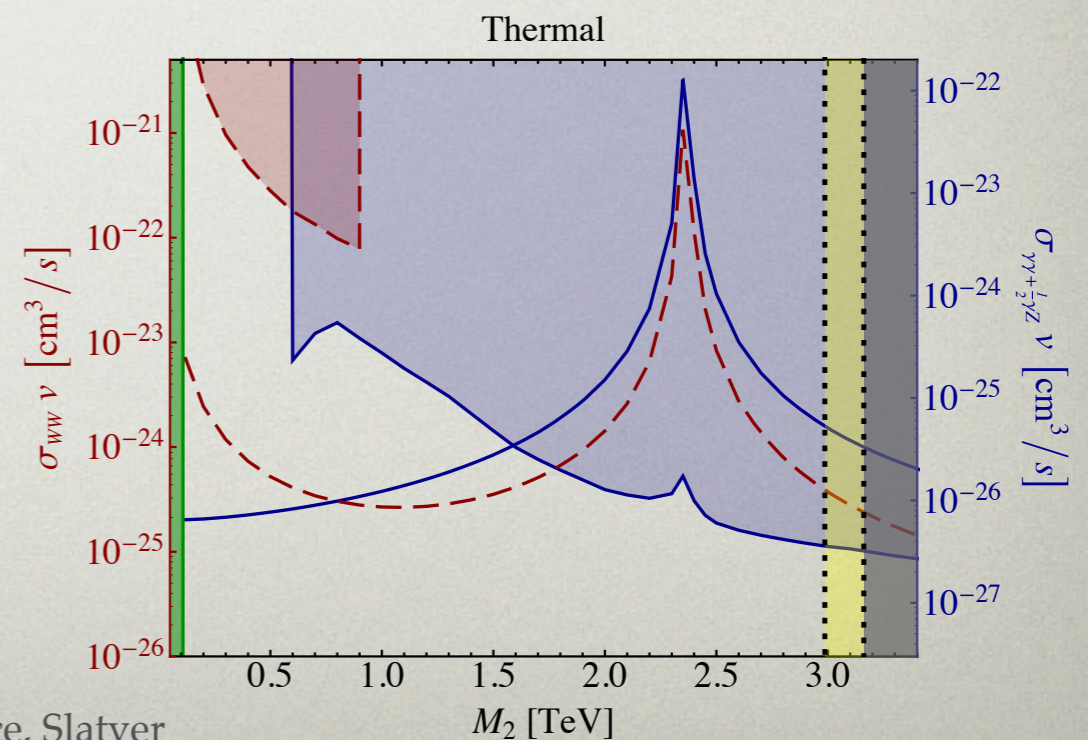
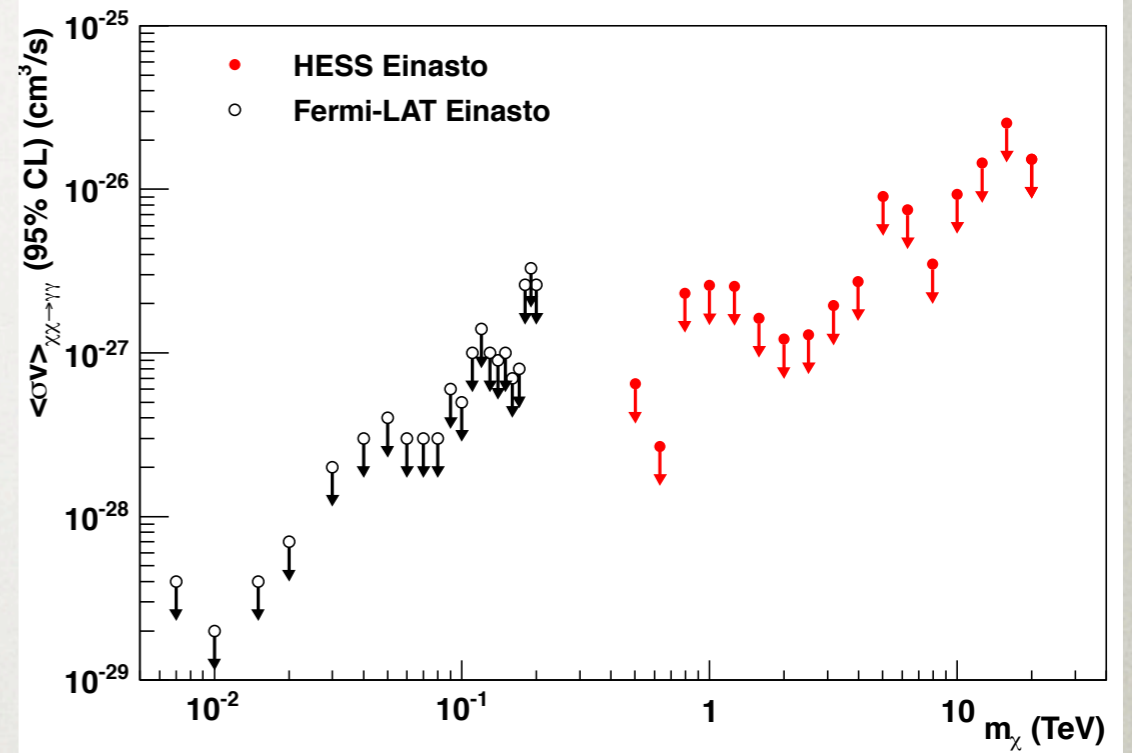


Large!

$$\langle \sigma v \rangle \sim \left( \frac{2 \text{ TeV}}{m_\chi} \right)^2 10^{-26} \text{ cm}^3 / \text{ s}$$

# ARE THERE WAYS AROUND FOR THE NEUTRALINO?

- Make the Neutralino a pure state -- coupling to Higgs vanishes
- However, Wino and Higgsino pure states can be probed by indirect detection



# ARE THERE WAYS AROUND FOR THE NEUTRALINO?

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- Bino escapes
- Pay a fine-tuning price

$$\mu \gg M_1 \sim m_{wk}$$

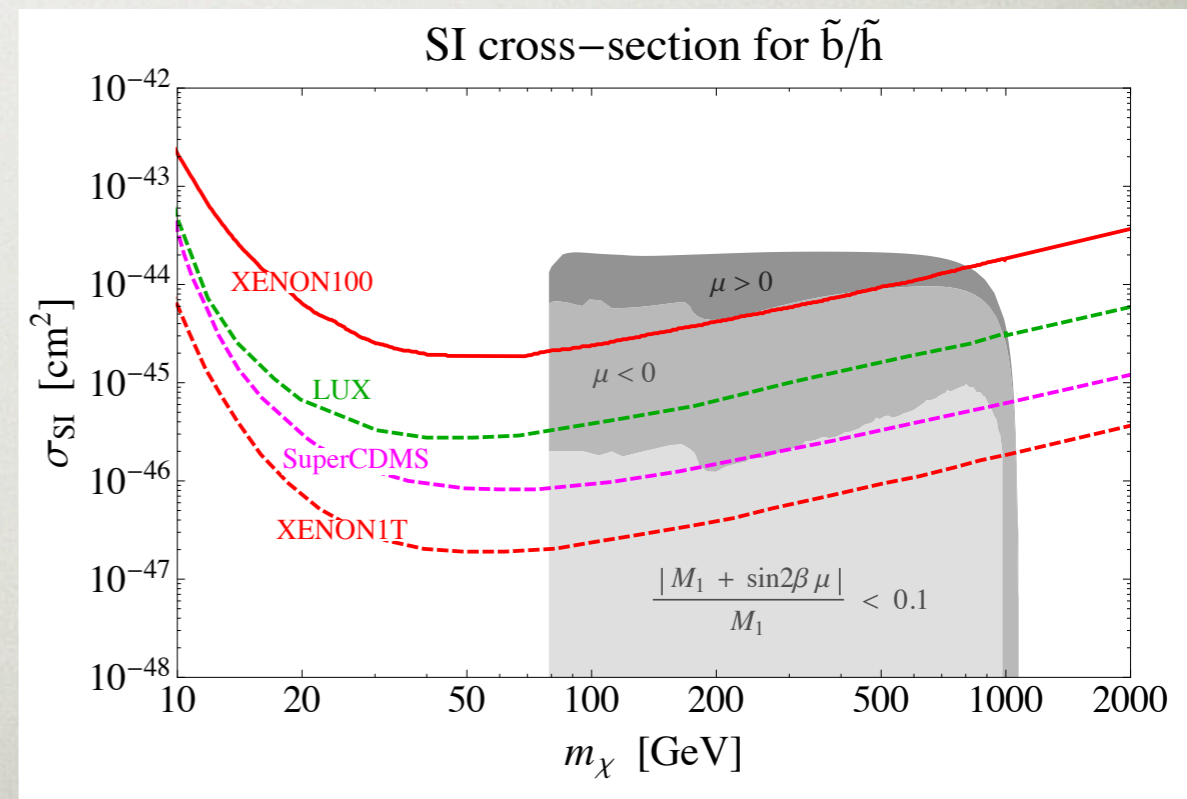
$$m_Z^2 = \frac{|m_{H_d}^2 - m_{H_u}^2|}{\sqrt{1 - \sin^2(2\beta)}} - m_{H_u}^2 - m_{H_d}^2 - 2|\mu|^2$$

# ARE THERE WAYS AROUND FOR THE NEUTRALINO?

- Tune away the coupling to the Higgs
- Smaller cross-sections correspond to more tuning in the neutralino components

$m_\chi$	condition
$M_1$	$M_1 + \mu \sin 2\beta = 0$
$M_2$	$M_2 + \mu \sin 2\beta = 0$
$-\mu$	$\tan \beta = 1$
$M_2$	$M_1 = M_2$

Cheung, Hall, Pinner, Ruderman

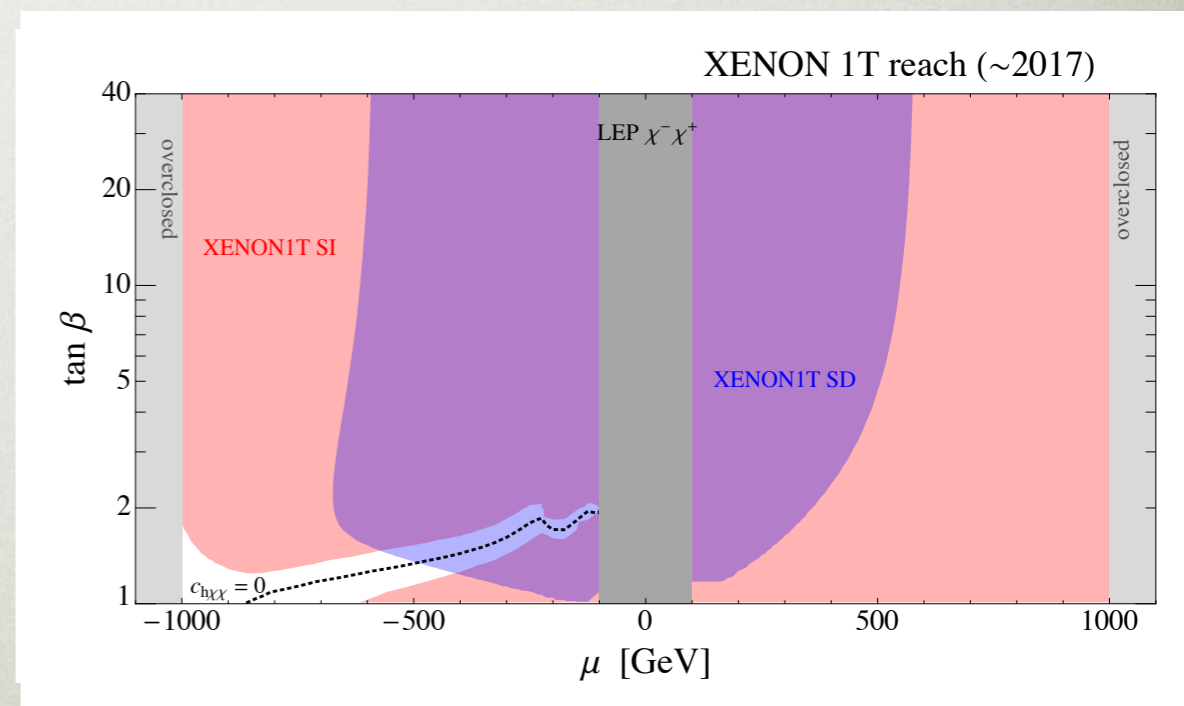


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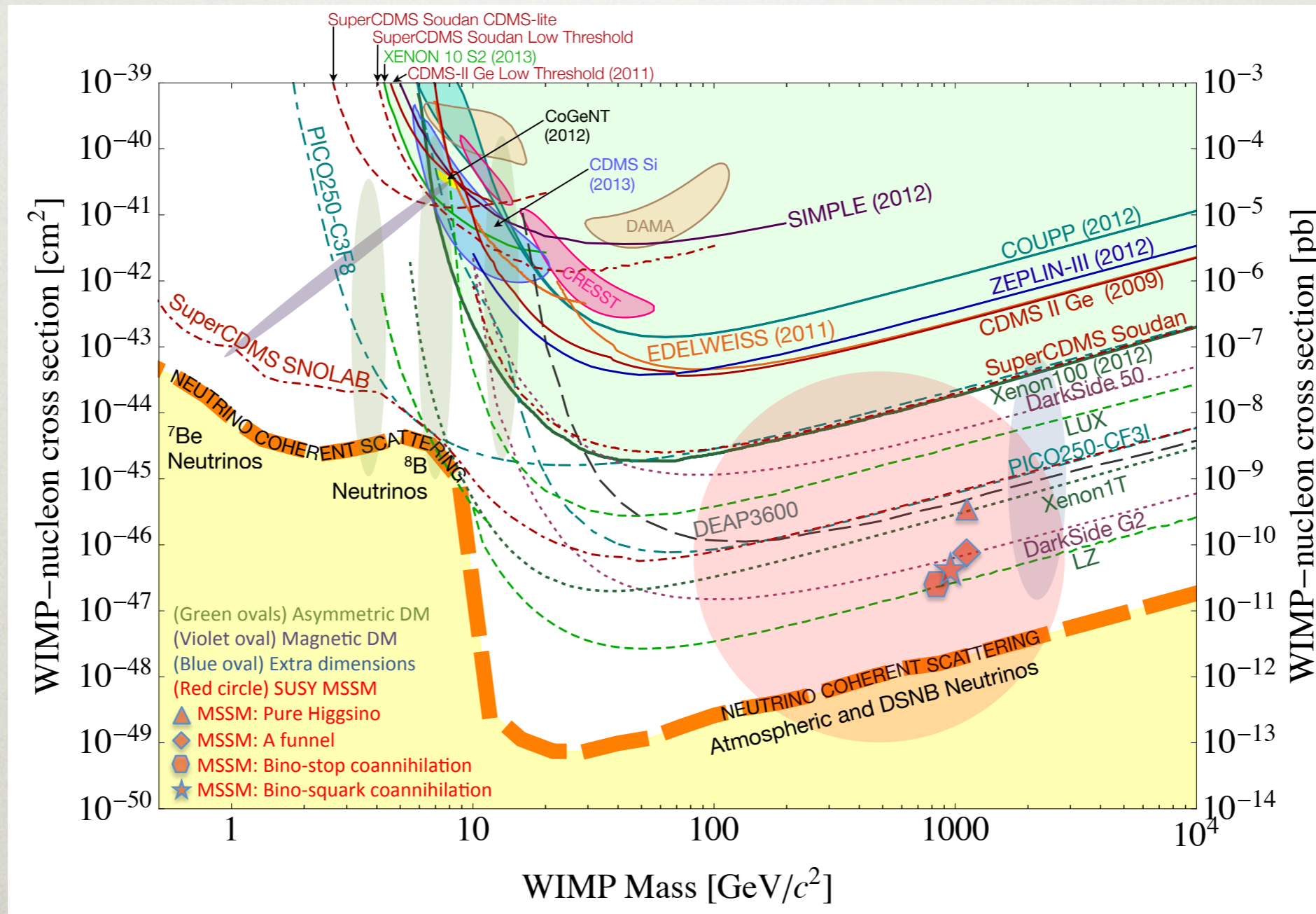
# WHEN SHOULD WE START LOOKING ELSEWHERE?

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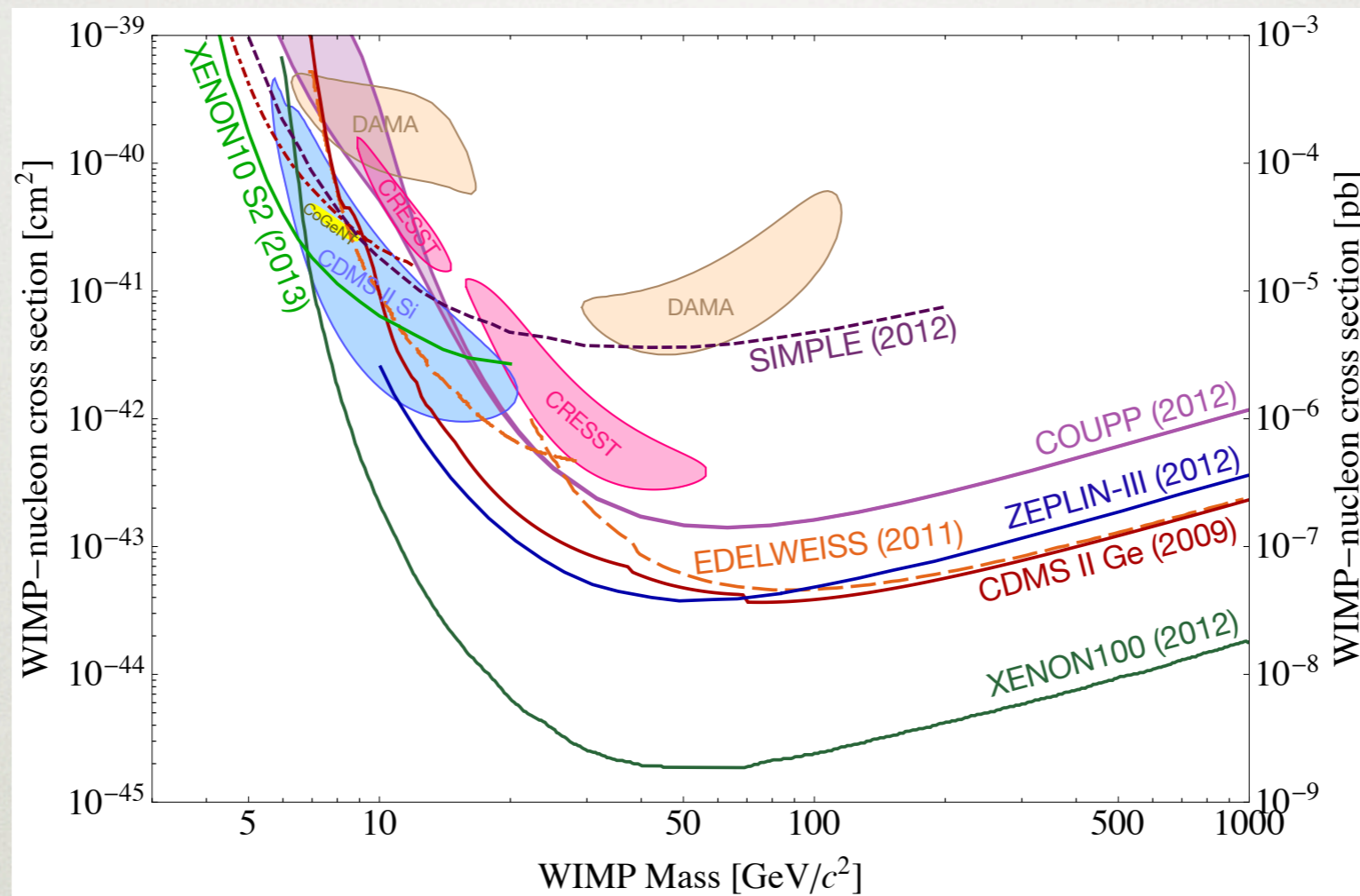
- Cannot kill neutralino DM via direct detection, but paradigm does become increasingly tuned
- Somewhat below Higgs pole --  
Neutrino background?
- Well-motivated candidates that are much less costly to probe
- Light WIMPs

# TERRA INCOGNITA

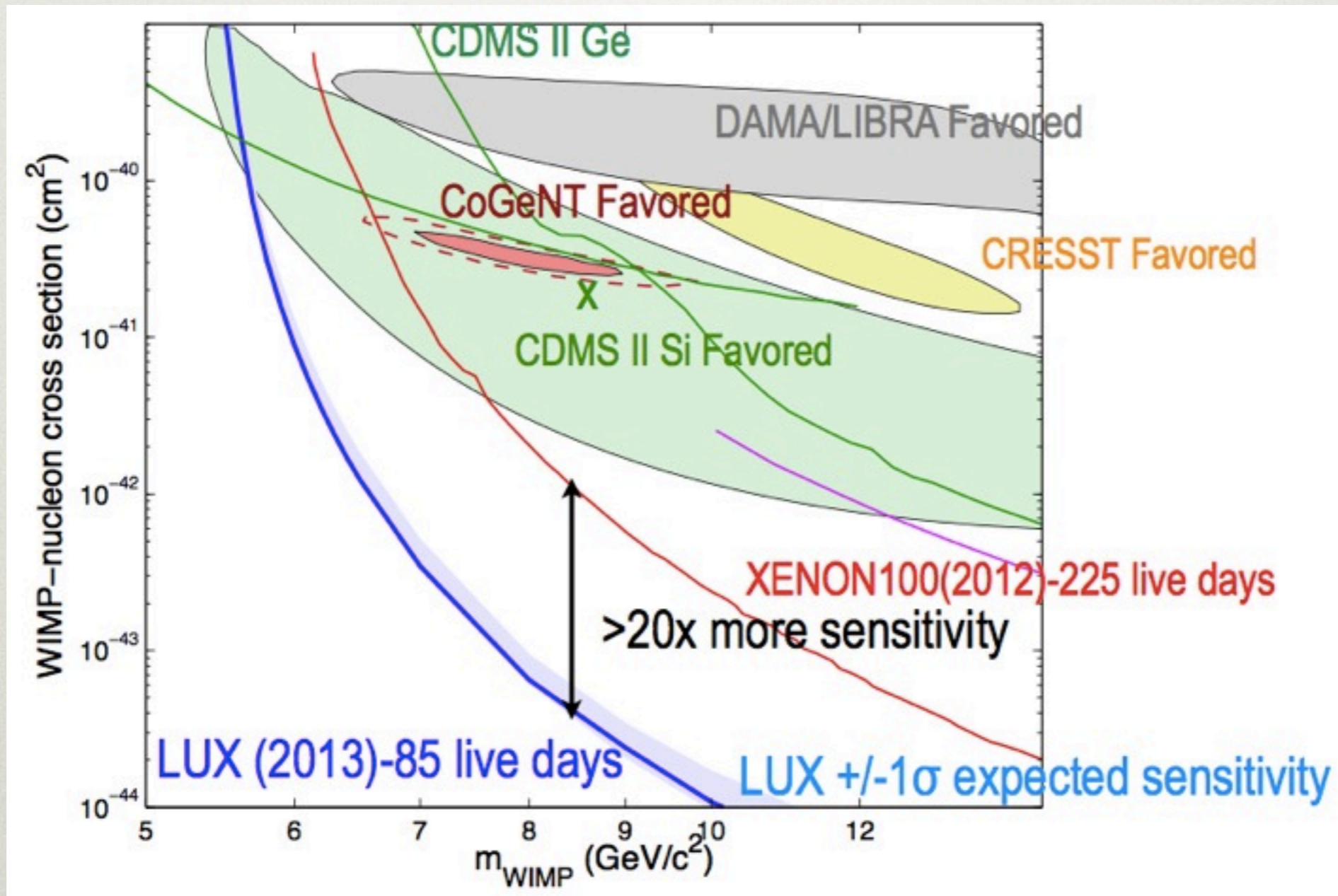
CF1 Snowmass report, 1310.8327



# CURRENT SENSITIVITY LIMITED



# ANOMALIES AND LUX



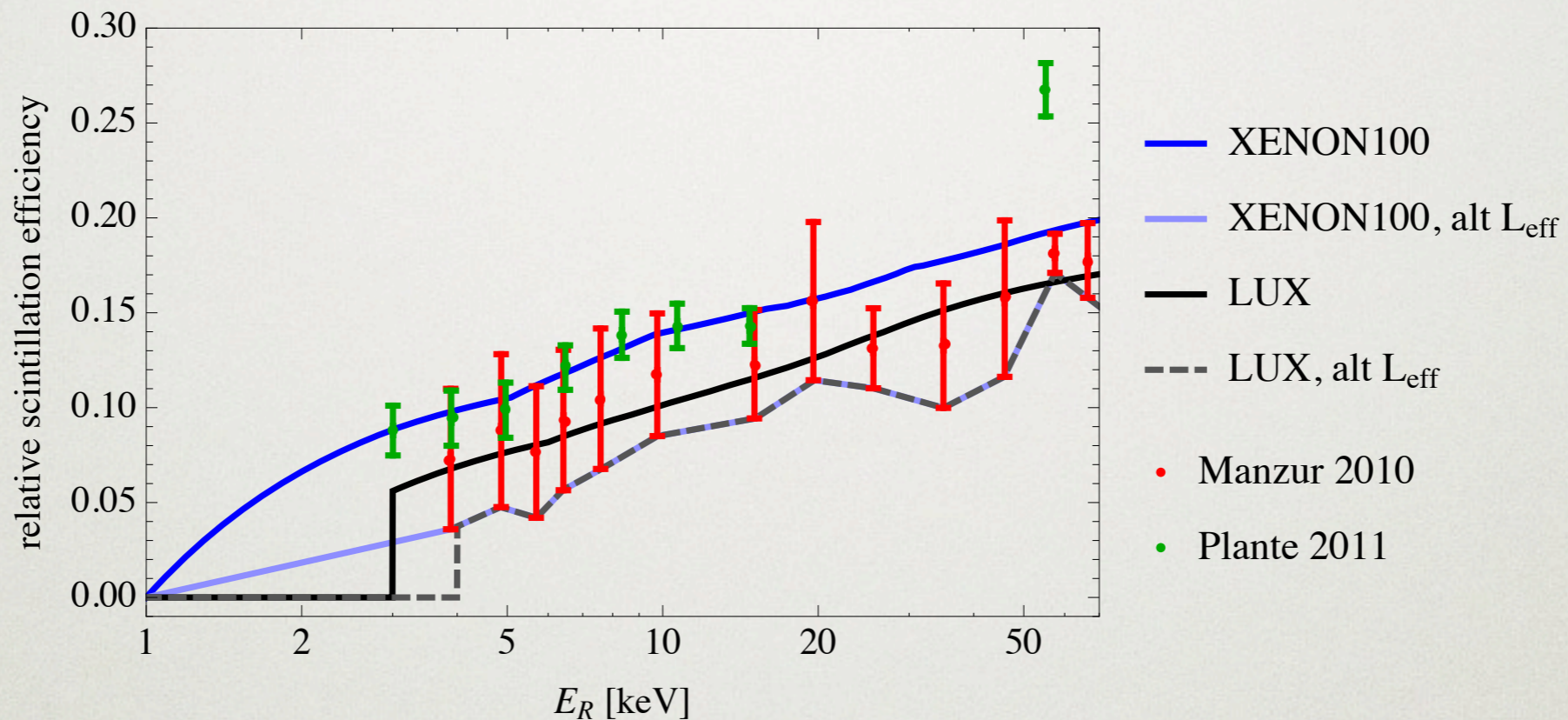
# UNCERTAINTIES

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- Experiment: Result assumes a particular choice of the energy calibration
- Theory: Also assumes spin-independent, momentum-independent scattering
- How do the results fare under more general assumptions?

# ENERGY CALIBRATION UNCERTAINTIES

Gresham, KZ 1311.2082

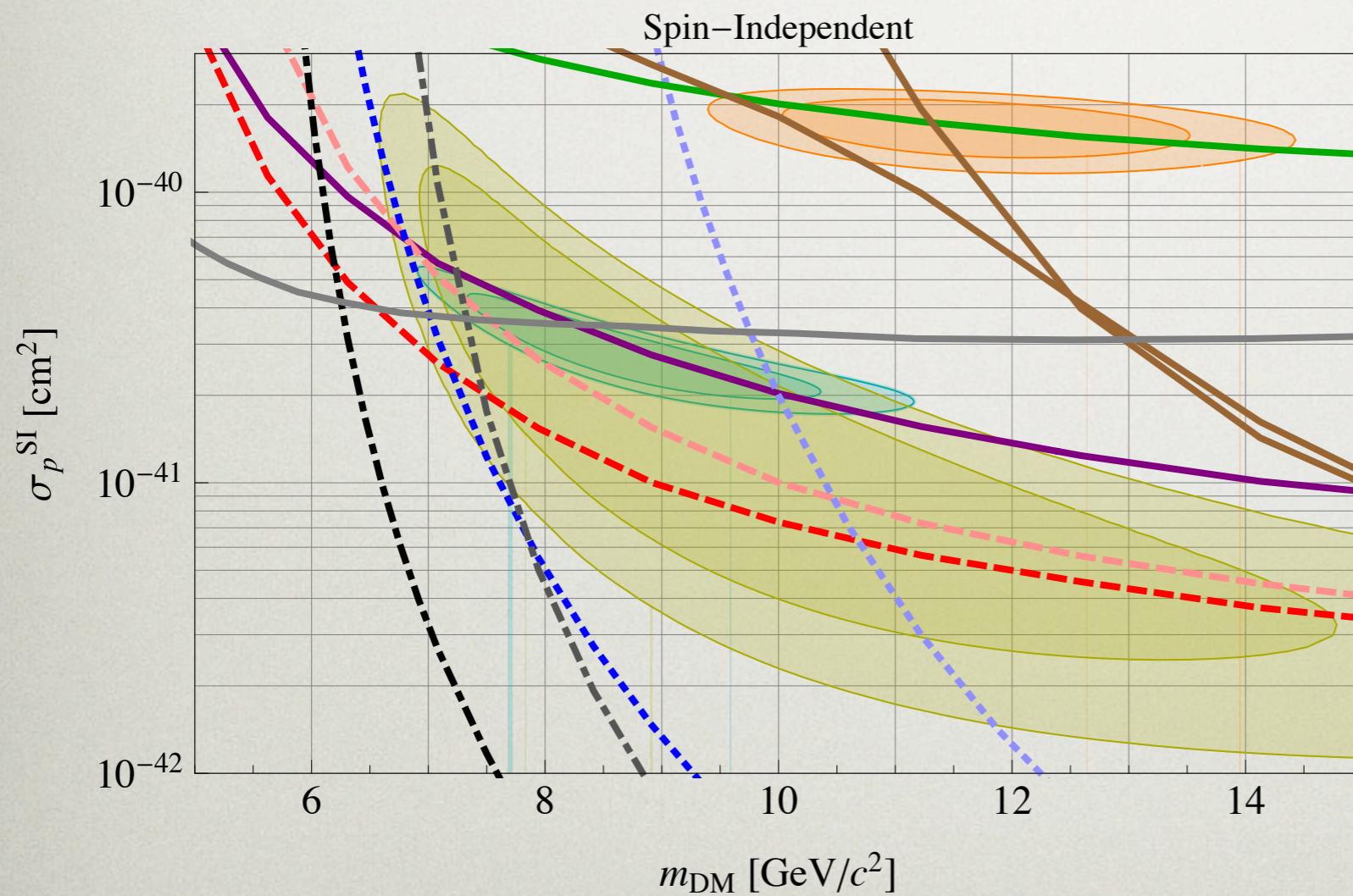


$$\nu(E_R) = \frac{S_{\text{nr}}}{S_{\text{ee}}} L_y E_R \mathcal{L}_{\text{eff}}(E_R)$$

Amount of signal

# ENERGY CALIBRATION UNCERTAINTIES

Gresham, KZ 1311.2082

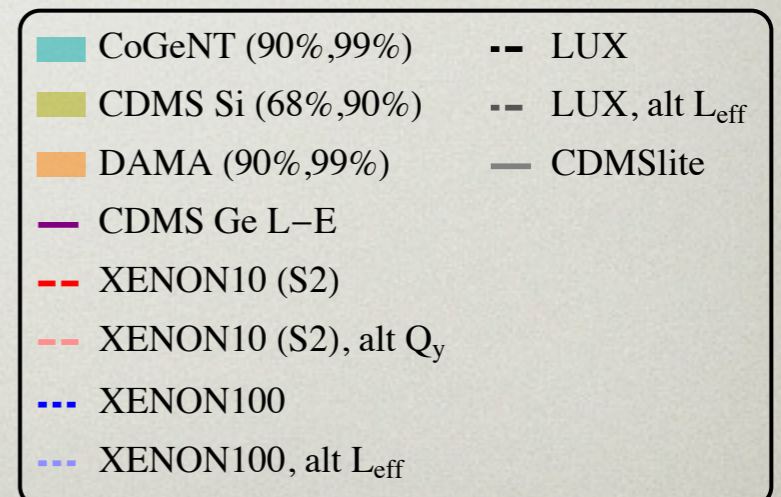
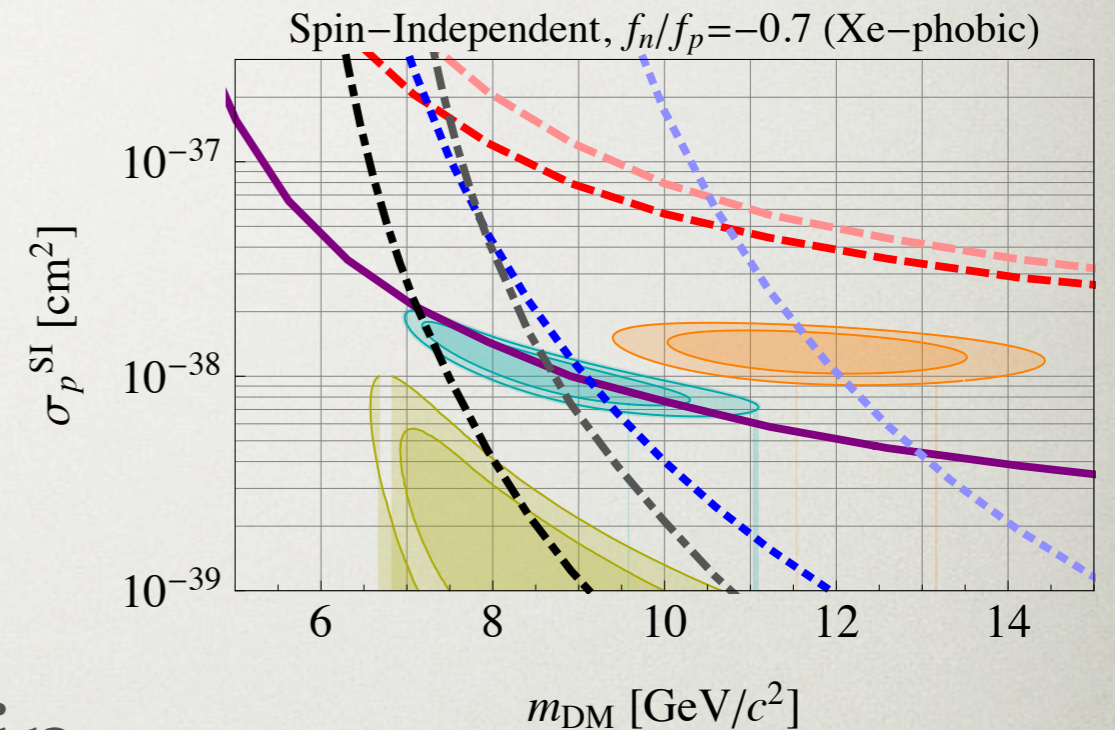


- CoGeNT (90%,99%)
- CDMS Si (68%,90%)
- DAMA (90%,99%)
- CDMS Ge L-E
- XENON10 (S2)
- XENON10 (S2), alt  $Q_y$
- XENON100
- XENON100, alt  $L_{\text{eff}}$
- LUX
- LUX, alt  $L_{\text{eff}}$
- PICASSO
- COUPP ( $\eta, \alpha$ )
- CDMSlite

# OPERATOR UNCERTAINTIES

Gresham, KZ 1311.2082

- Xenophobic -- tune away coupling to xenon
- However, none of the signal regions match in that case
- LUX constraints still strong

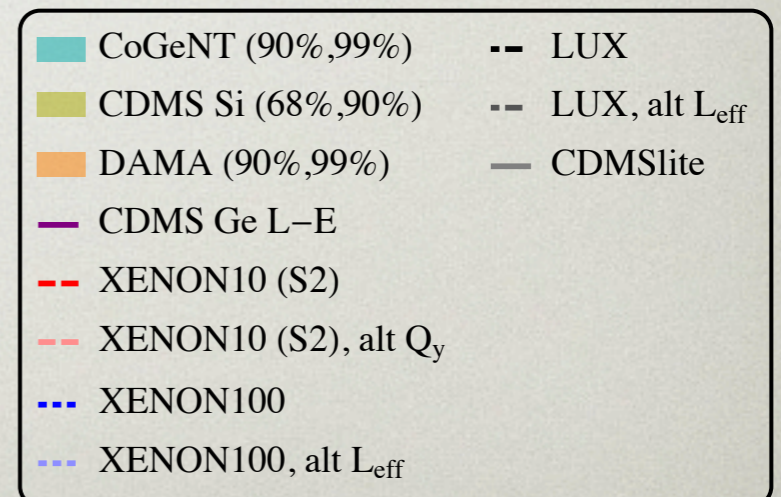
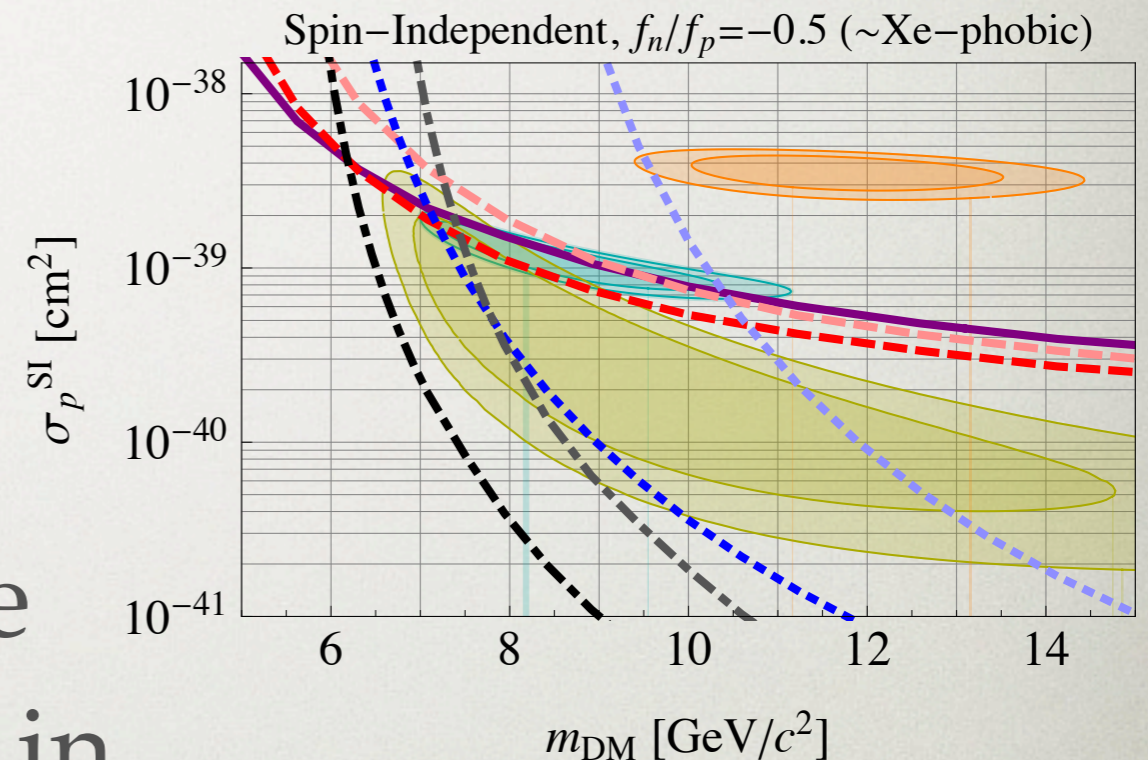




# OPERATOR UNCERTAINTIES

Gresham, KZ 1311.2082

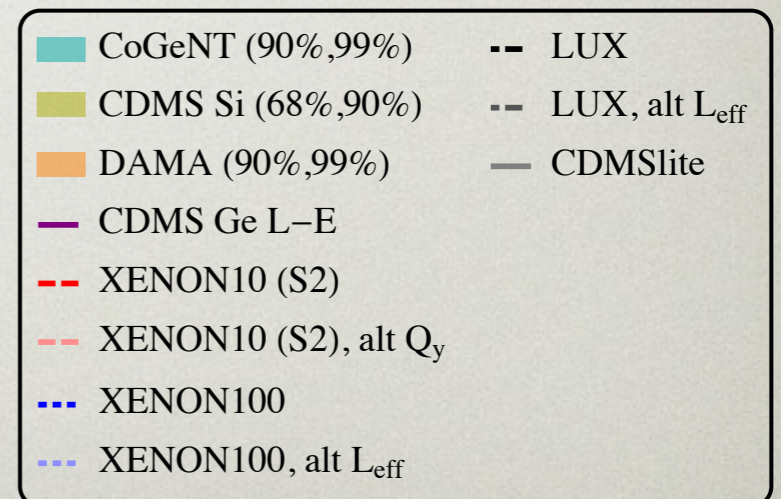
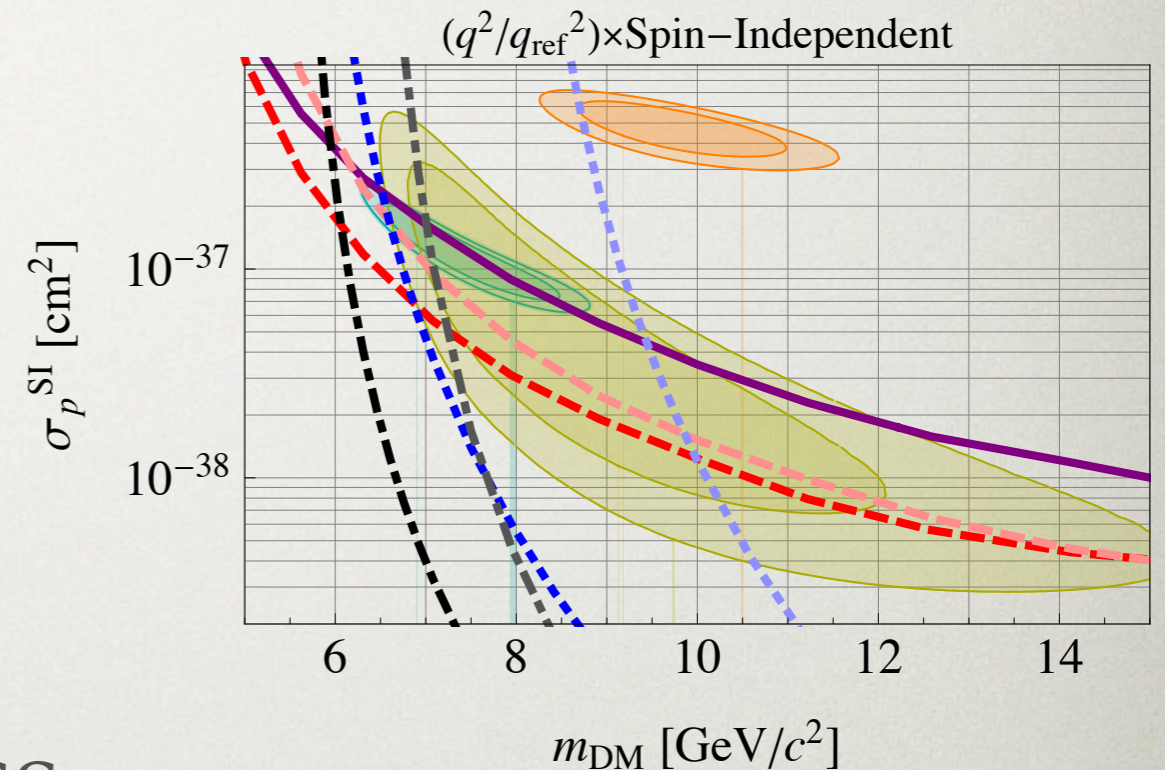
- Xenophobic -- tune away coupling to xenon
- However, none of the signal regions match in that case
- LUX constraints still strong



# OPERATOR UNCERTAINTIES

Gresham, KZ 1311.2082

- Momentum dependent
- Shift allowed signal regions to lower mass relative to constraints
- Does not escape LUX



# OPERATOR UNCERTAINTIES

- Anapole and Dipole operators do best job, but neither escapes constraints

$$\mathcal{O}_a = \bar{\chi} \gamma^\mu \gamma_5 \chi A_\mu$$

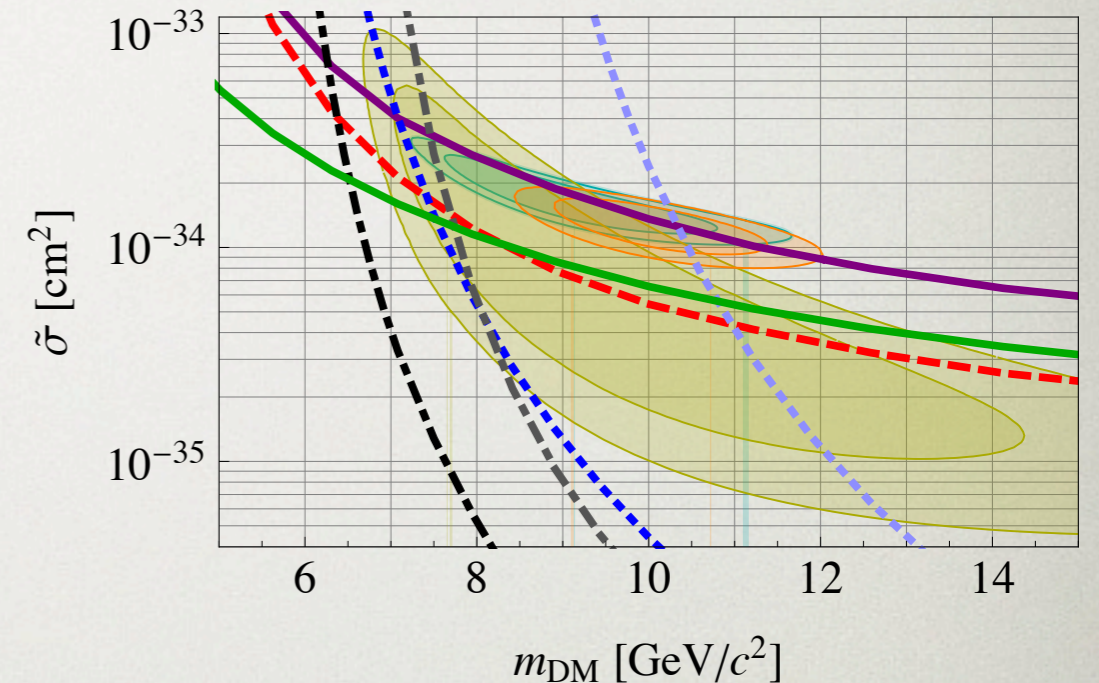
$$\mathcal{O}_d = \bar{\chi} \sigma^{\mu\nu} \chi F_{\mu\nu} / \Lambda$$

$$\sigma_N^a = f_a^2 \frac{\mu_N^2}{\pi M^4} \left( Z^2 F^2(A; \vec{q}^2) \left( \vec{v}^2 - \frac{\vec{q}^2}{4\mu_N^2} \right) + \frac{J+1}{3J} g_N^2 A^2 \frac{\vec{q}^2}{2m_N^2} \right)$$

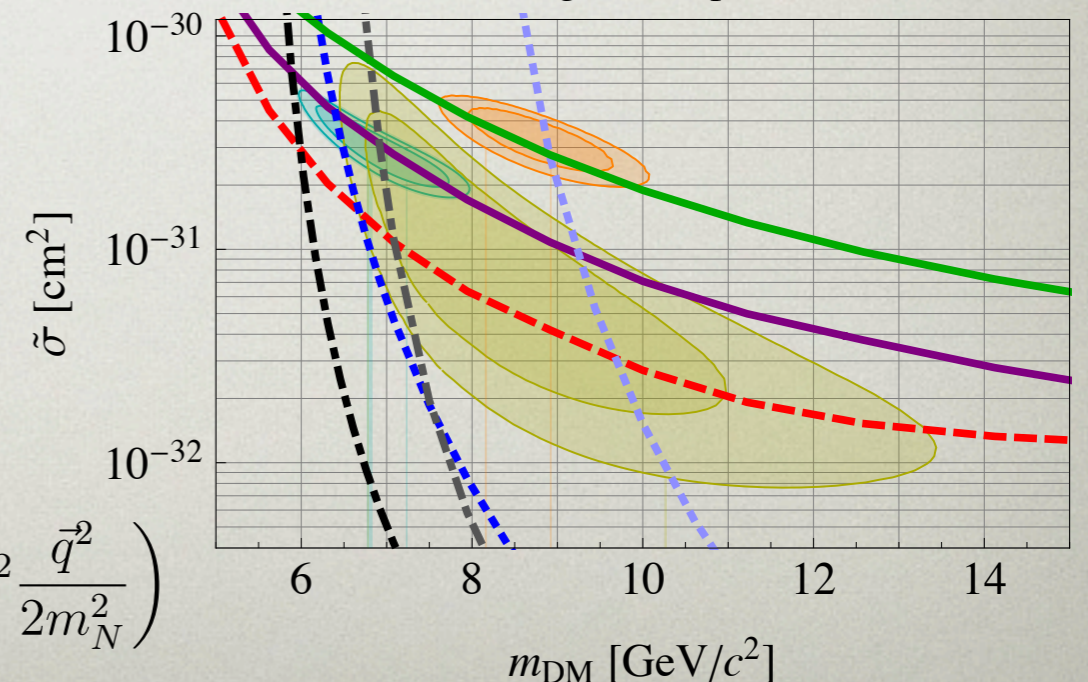
$$\sigma_N^d = f_d^2 \frac{\mu_N^2}{\pi M^4} \frac{\vec{q}^2}{\Lambda^2} \left( Z^2 F^2(A; \vec{q}^2) \left( \vec{v}^2 - \frac{\vec{q}^2}{4\mu_N^2} + \frac{\vec{q}^2}{4m_{\text{DM}}^2} \right) + \frac{J+1}{3J} g_N^2 A^2 \frac{\vec{q}^2}{2m_N^2} \right)$$

Gresham, KZ 1311.2082

Anapole



Magnetic Dipole



# CONTACT WITH NUCLEAR PHYSICS

---

- Signals have cause DM theorists to look beyond the simplest types of DM-nucleus interactions
- From spin-dependent and spin-independent to
  - anapole DM
  - electric and magnetic dipole DM
  - momentum dependent DM

# CONTACT WITH NUCLEAR PHYSICS

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- These interactions are theoretically well-motivated

$$\mathcal{L}_{\text{int}}^{\text{anapole}} = \frac{f_a}{M^2} \bar{\chi} \gamma^\mu \gamma^5 \chi \mathcal{J}_\mu^{\text{EM}}$$

$$\mathcal{L}_{\text{int}}^{\text{magnetic dipole}} = \frac{f_{\text{md}}}{M^2} \bar{\chi} \frac{i\sigma^{\mu\nu} q_\nu}{\Lambda} \chi \mathcal{J}_\mu^{\text{EM}}$$

$$\mathcal{L}_{\text{int}}^{\text{electric dipole}} = \frac{f_{\text{ed}}}{M^2} \bar{\chi} \frac{\sigma^{\mu\nu} q_\nu \gamma^5}{\Lambda} \chi \mathcal{J}_\mu^{\text{EM}}$$

$$\mathcal{L}_{\text{int}}^{\text{pseudoscalar}} = \frac{1}{M^2} \sum_{N=n,p} (f_1^N i\bar{\chi} \gamma^5 \chi \bar{N} N + f_2^N i\bar{\chi} \chi \bar{N} \gamma^5 N + f_3^N \bar{\chi} \gamma^5 \chi \bar{N} \gamma^5 N)$$

- But the proper modeling of the nuclear response has not been taken into account until recently

$X$		$\frac{4\pi}{2J+1} W_X^{(p,p)}(0)$
$M$	spin-independent	$Z^2$
$\Sigma''$	spin-dependent (longitudinal)	$4 \frac{J+1}{3J} \langle S_p \rangle^2$
$\Sigma'$	spin-dependent (transverse)	$8 \frac{J+1}{3J} \langle S_p \rangle^2$
$\Delta$	angular-momentum-dependent	$\frac{1}{2} \frac{J+1}{3J} \langle L_p \rangle^2$
$\Phi''$	angular-momentum-and-spin-dependent	$\sim \langle \vec{S}_p \cdot \vec{L}_p \rangle^{2a}$

# DOES IT MATTER?

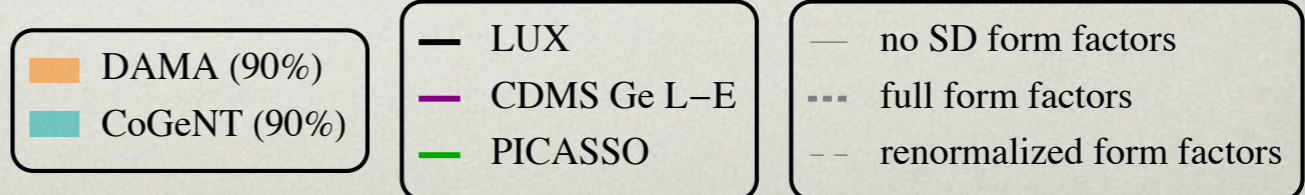
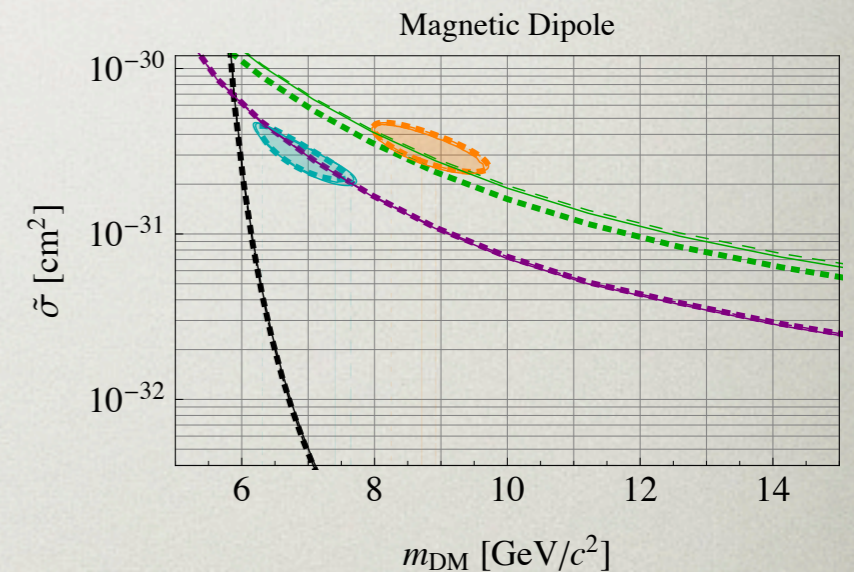
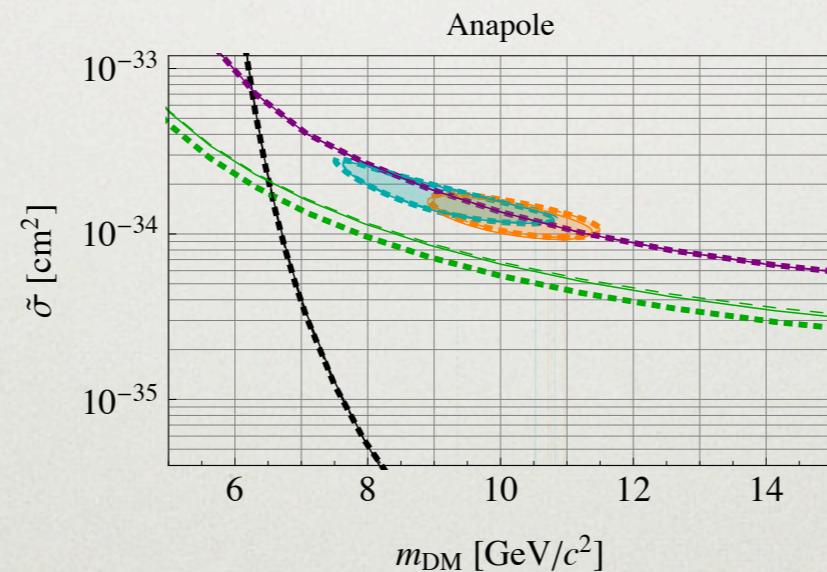
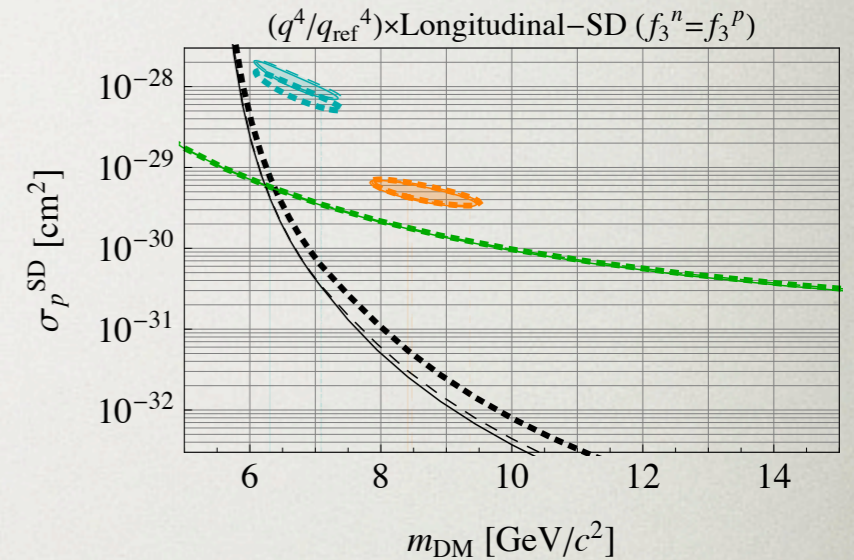
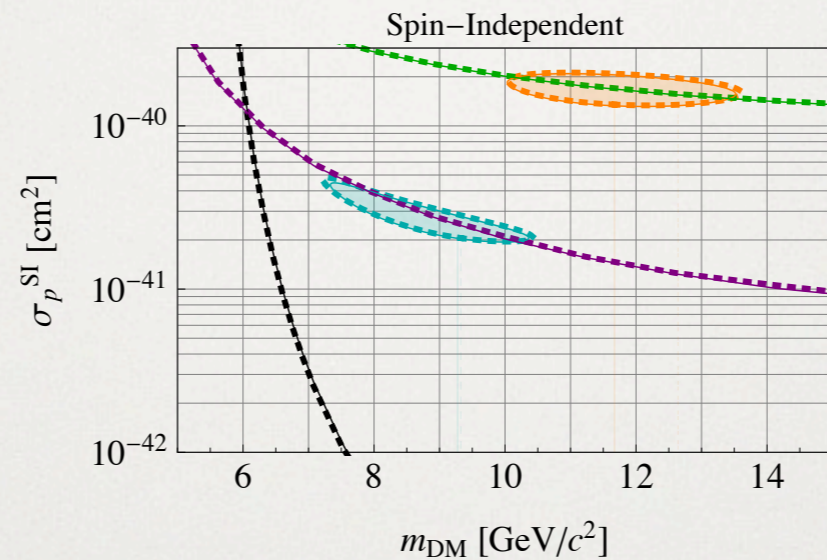
- Put into the context of sensible UV completions

Model	Relativistic Ops.	Nonrel. Ops.	Resp.
pseudo-mediated	$\mathcal{O}_2^{\text{rel}} = i\bar{\chi}\chi\bar{N}\gamma^5 N$	$\mathcal{O}_{10} = i\vec{S}_N \cdot \frac{\vec{q}}{m_N}$	$\Sigma''$
	$\mathcal{O}_3^{\text{rel}} = i\bar{\chi}\gamma^5\chi\bar{N}N$	$\mathcal{O}_{11} = i\vec{S}_\chi \cdot \frac{\vec{q}}{m_N}$	$M$
	$\mathcal{O}_4^{\text{rel}} = \bar{\chi}\gamma^5\chi\bar{N}\gamma^5 N$	$\mathcal{O}_6 = (\vec{S}_\chi \cdot \frac{\vec{q}}{m_N})(\vec{S}_N \cdot \frac{\vec{q}}{m_N})$	$\Sigma''$
magnetic	$\mathcal{O}_9^{\text{rel}} = \bar{\chi}i\sigma^{\mu\nu}\frac{q_\nu}{m_M}\chi\frac{K_\mu}{m_M}\bar{N}N$	$\mathcal{O}_1 = \mathbf{1}_\chi\mathbf{1}_N, \mathcal{O}_5 = i\vec{S}_\chi \cdot (\frac{\vec{q}}{m_N} \times \vec{v}^\perp)$	$M, \Delta$
dipole	$\mathcal{O}_{10}^{\text{rel}} = \bar{\chi}i\sigma^{\mu\nu}\frac{q_\nu}{m_M}\chi\bar{N}i\sigma_{\mu\alpha}\frac{q^\alpha}{m_M}N$	$\mathcal{O}_4 = \vec{S}_\chi \cdot \vec{S}_N, \mathcal{O}_6$	$\Sigma'', \Sigma'$
anapole	$\mathcal{O}_{13}^{\text{rel}} = \bar{\chi}\gamma^\mu\gamma^5\chi\frac{K_\mu}{m_M}\bar{N}N$	$\mathcal{O}_8 = \vec{S}_\chi \cdot \vec{v}^\perp$	$M, \Delta$
	$\mathcal{O}_{14}^{\text{rel}} = \bar{\chi}\gamma^\mu\gamma^5\chi\bar{N}\frac{i\sigma_{\mu\nu}q^\nu}{m_M}N$	$\mathcal{O}_9 = i\vec{S}_\chi \cdot (\vec{S}_N \times \frac{\vec{q}}{m_N})$	$\Sigma'$
electric	$\mathcal{O}_{17}^{\text{rel}} = i\frac{P^\mu}{m_M}\bar{\chi}\gamma^\mu\gamma^5\chi\frac{K_\mu}{m_M}\bar{N}N$	$\mathcal{O}_{11} = i\vec{S}_\chi \cdot \frac{\vec{q}}{m_N}$	$M$
dipole	$\mathcal{O}_{18}^{\text{rel}} = i\frac{P^\mu}{m_M}\bar{\chi}\gamma^\mu\gamma^5\chi\bar{N}\frac{i\sigma_{\mu\nu}q^\nu}{m_M}N$	$\mathcal{O}_{11}, \mathcal{O}_{15} = -\left(\vec{S}_\chi \cdot \frac{\vec{q}}{m_N}\right)\left((\vec{S}_N \times \vec{v}^\perp) \cdot \frac{\vec{q}}{m_N}\right)$	$M, \Phi'', \Sigma'$
$\vec{L} \cdot \vec{S}$ generating	$\mathcal{O}_5^{\text{rel}} = \frac{P^\mu}{m_M}\bar{\chi}\chi\frac{K_\mu}{m_M}\bar{N}N$	$\mathcal{O}_1$	$M$
	$\mathcal{O}_6^{\text{rel}} = \frac{P^\mu}{m_M}\bar{\chi}\chi\bar{N}\frac{i\sigma_{\mu\nu}q^\nu}{m_M}N$ and $\mathcal{O}_{10}^{\text{rel}}$ (see above)	$\mathcal{O}_1, \mathcal{O}_3 = i\vec{S}_N \cdot \left(\frac{\vec{q}}{m_N} \times \vec{v}^\perp\right)$	$M, \Phi'', \Sigma'$

- Under what circumstances should one be concerned?

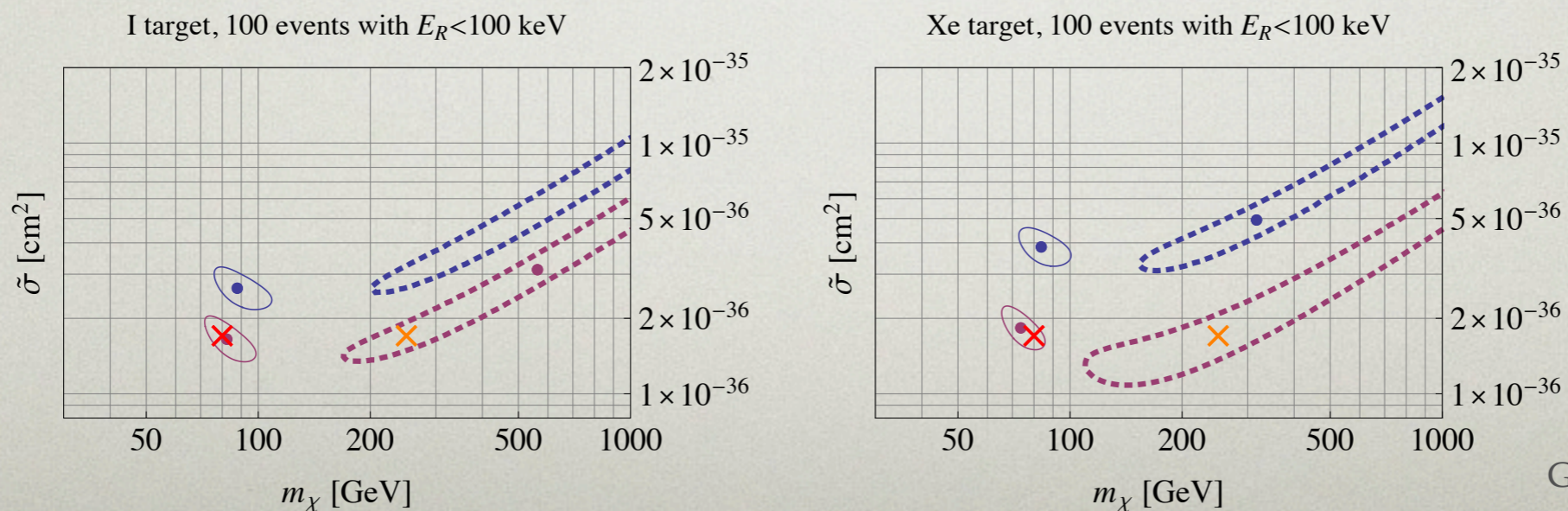
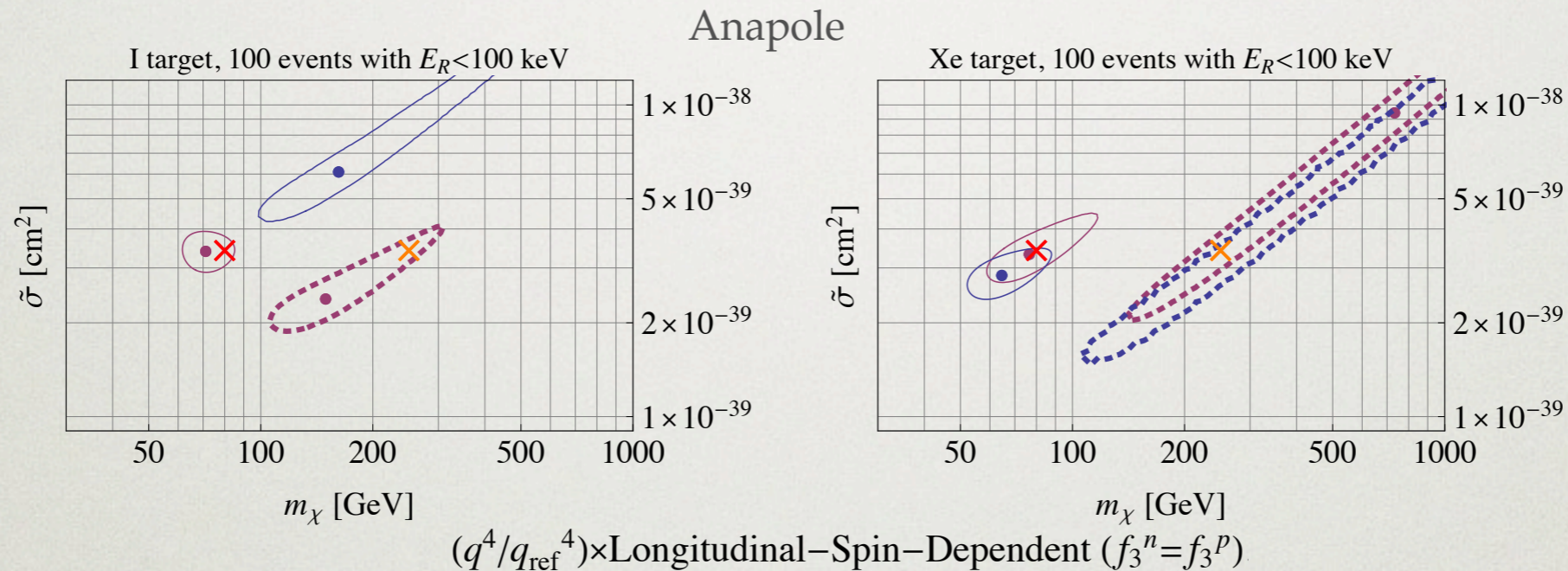
# LIGHT DARK MATTER

- Low momentum transfer; essentially irrelevant once properly normalized



# HEAVY DARK MATTER

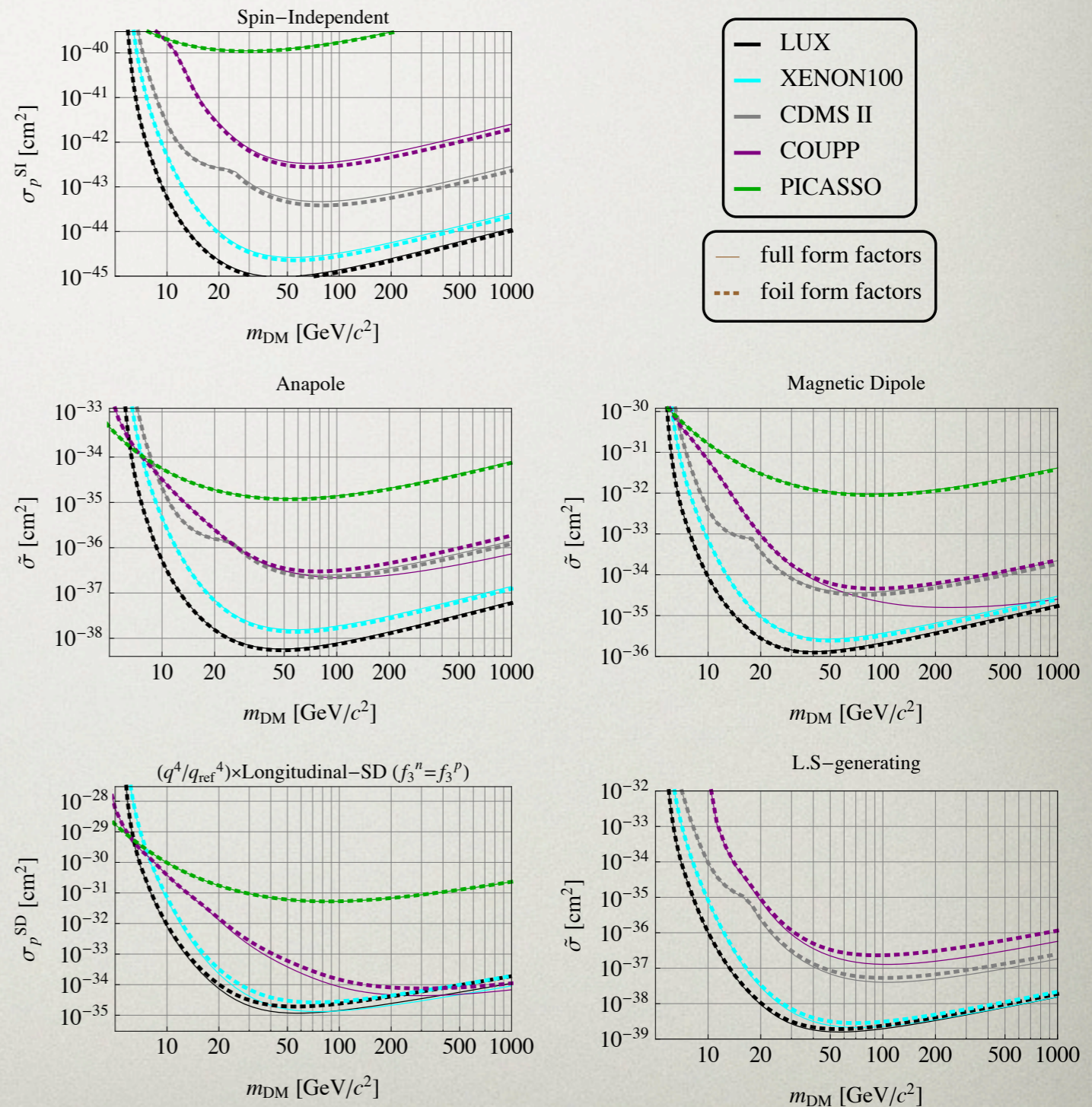
- Potentially important for certain elements; simulated signal





# HEAVY DARK MATTER

- Mostly not relevant for current constraints, except COUPP
- Would be relevant for Xenon, except for low recoil



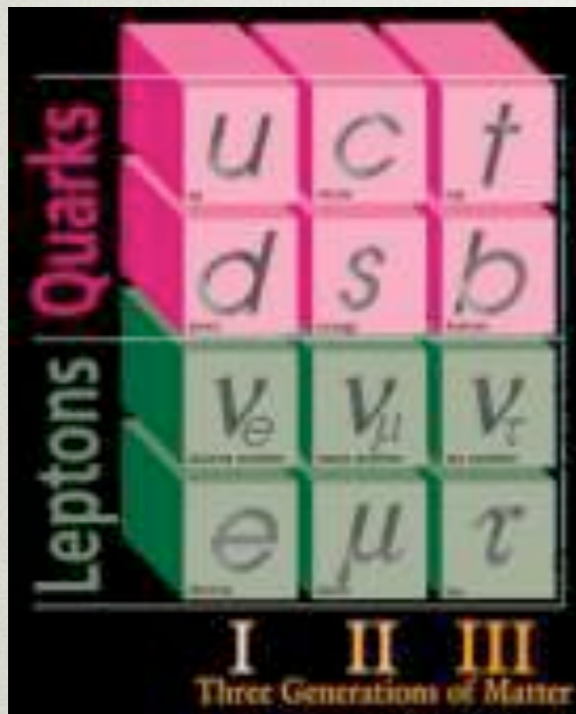
# SUMMARY

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- The window for the standard WIMP is closing, though it will be difficult to close completely
- Well-motivated lower mass candidates, though purported signals seem in substantial tension with constraints
- Signals have pushed us to look at non-standard types of interactions, but must be careful to appropriately attach nuclear physics

# HIDDEN DARK WORLDS

Our thinking has shifted

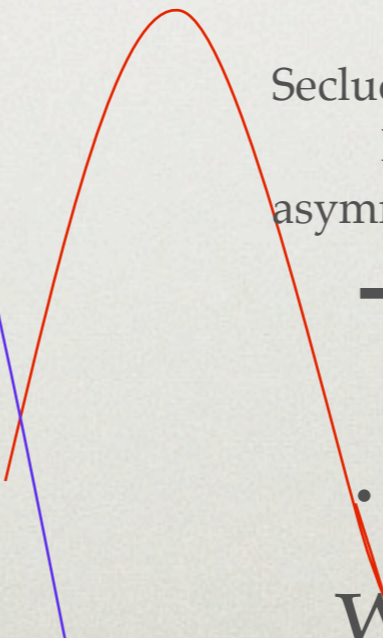


From a single, stable weakly interacting particle .....  
(WIMP, axion)

Models: Supersymmetric light DM sectors,  
Secluded WIMPs, WIMPless DM, Asymmetric DM .....  
Production: freeze-in, freeze-out and decay,  
asymmetric abundance, non-thermal mechanisms .....

$$M_p \sim 1 \text{ GeV}$$

Standard Model



...to a hidden world  
with multiple states,  
new interactions