

Topical Workshop on
Instabilities, Impedances and Collective Effects
TWIICE

Longitudinal Impedance characterisation of the CLIC-stripline
in view of its test in the ALBA storage ring

CLIC-stripline = CLIC Damping Ring Extraction Kicker Prototype

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Introduction: ALBA Facility



- ✓ Synchrotron Light Source in Barcelona
- ✓ Up to 30 beamlines (7 on Day-1)
- ✓ Full energy Booster for Top-up injection
- ✓ 3 GeV Storage Ring, 268m circumference
- ✓ Emittance: $4.6\text{nm}^*\text{rad}$ (4.3 design value)
- ✓ Maximum design current: 400mA

- ✓ SR Commissioning started 8 March 2011
- ✓ BeamLine Commissioning Autumn 2011

ALBA joined the CLIC collaboration 2 years ago.

One of its contributions will be the test of the DR Extraction Kicker prototype in the ALBA ring

The design was made by Carolina Aguilar (her talk today)

my work is the evaluation of the heatload distribution for ALBA of a given design.

Heatload is an important issue of low emittance rings in particular the heatload distribution is crucial.

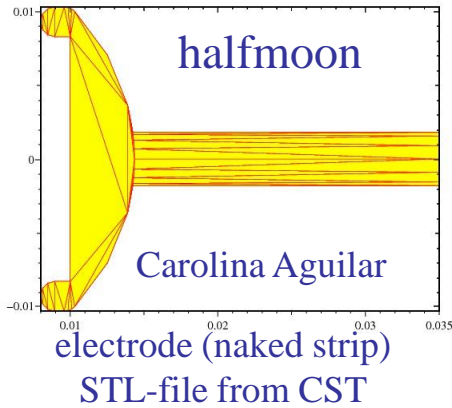
Pick-up like devices have a higher degree of difficulty due to external losses (Q-values necessary and Q_{ext} is not easy to compute).

But it is very interesting: The results of the CLIC-stripline are very clean and systematical. It is appropriate for a pedagogical study.

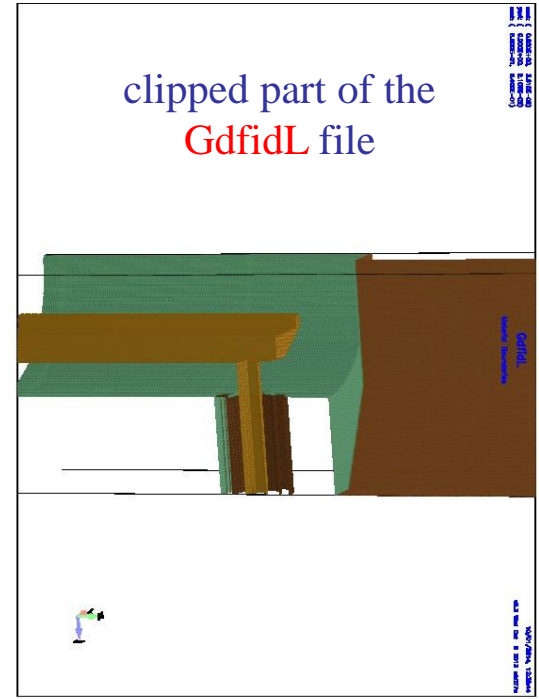
Outline:

- Introduction
- Motivation
- the CLIC stripline geometry in the ALBA ring
- Stripline impedance: formula and GdfidL-computation
- Approach in frequency domain
- Heatload computation
- Heatload computation (How to get the Q-values)
- Output signals
- Estimation of Q_{ext} and power distribution (incoherent)
- Discussion of the possible coherent power
- Transverse impedance
- Conclusions and Acknowledgements

Building the geometry of the CLIC-stripline

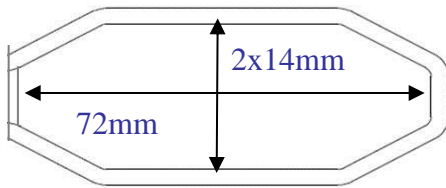


put the electrode in a round pipe
flanged to the ALBA pipe

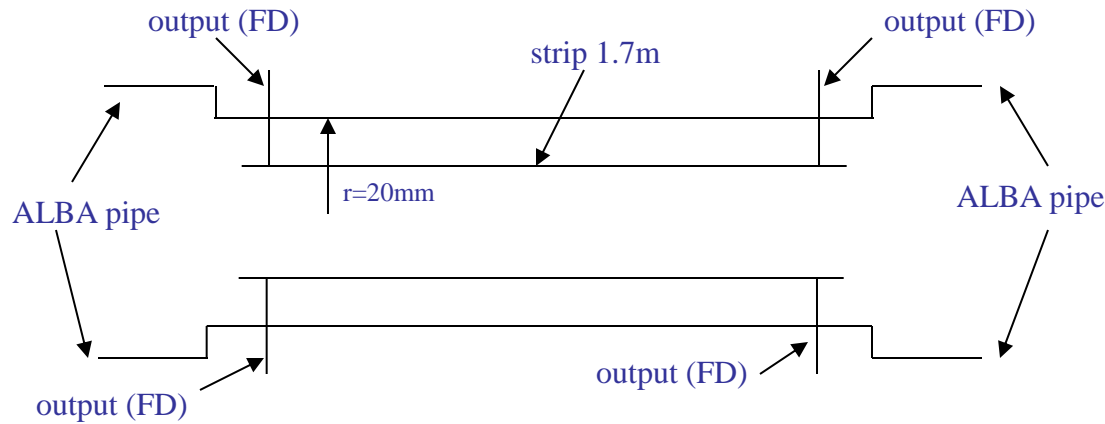


Make the feedthroughs long enough that they touch the border of the computational volume

ALBA beam pipe



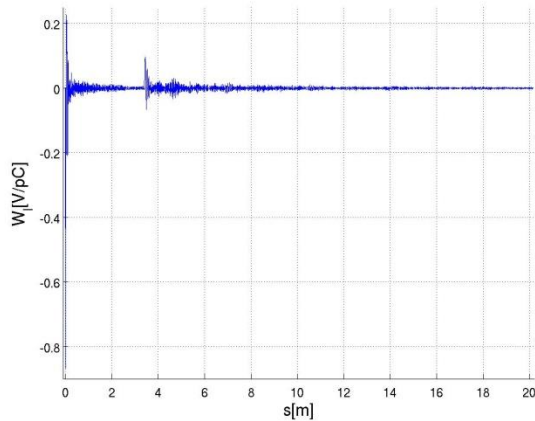
top view of the CLIC stripline



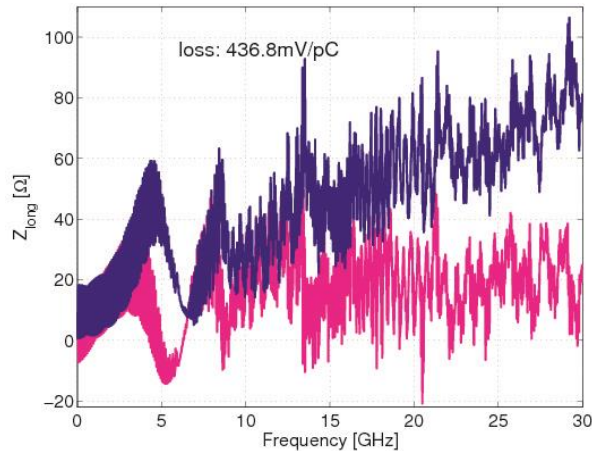
It is a **horizontal** stripline

$$Z_{\parallel}(k) = Z_L g^2 [\sin(kL) + i \sin(kL) \cos(kL)] \quad \text{with} \quad k = \omega / c \quad (\text{R.E. Shafer, IEEE TNS '85})$$

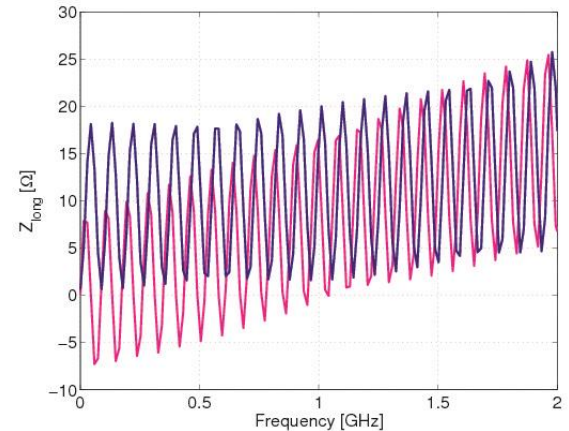
For $L=1.7\text{m}$ one gets: $f_1=44\text{MHz}$, $f_2=132\text{MHz}$... many modes $<$ cut-off(5.9GHz)



wake potential (20m)
with GdfidL



Beam coupling impedance
 κ_1 is rather large ($f < 30\text{GHz}$)
 $P_{\text{loss}} = 35\text{W} @ 0.2\text{A}$



agreement is very good

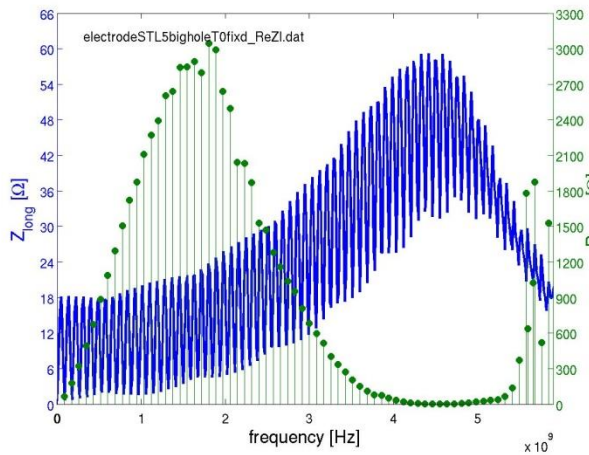
In case of a round beam pipe of 10mm the cut-off is at 11.5GHz, $\kappa_1=0.83\text{V/pC}$, $P_{\text{loss}}=66.4\text{W}$

Wake potential does not provide us with information on the power dissipation distribution

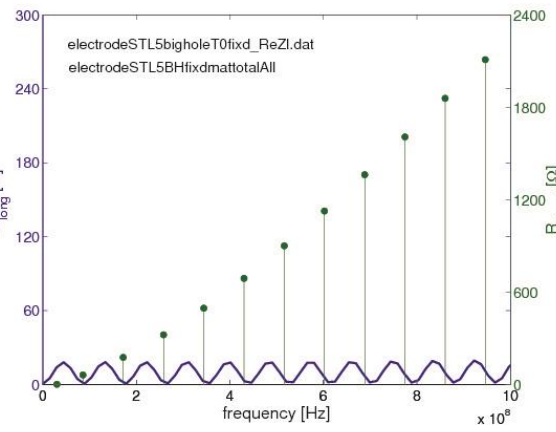
Pro: All the tools introduced for the treatment of modes (e.g. in a cavity) can be used.

Contra: in eigen-mode computations the open ports are closed (or simply don't exist).

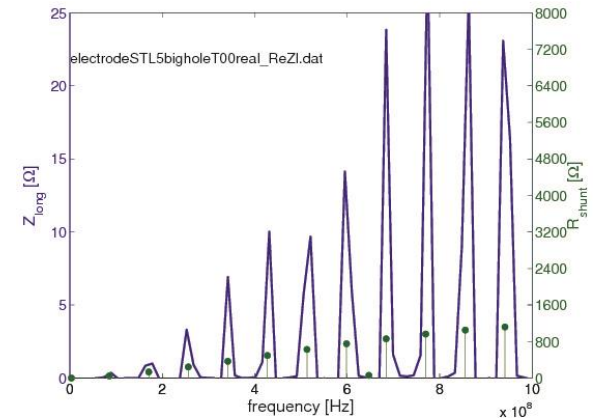
The stripline impedance formula (precedent page) already includes the open output ports.



global view



wake with open closed ports



wake with closed ports

$\kappa_{\parallel}(\text{T-domain}) = 249 \text{ mV/pC}$ against $\kappa_{\parallel}(\text{F-domain}) = 252 \text{ mV/pC}$ ($f < 5.9 \text{ GHz}$) good agreement

Now we will assume each eigen-mode as a resonator with R_s (R/Q) and Q although their computation is very time-consuming.

Alternative: GdfidL with absorbing boundary conditions, but the identification of modes gets lost.

For the power repartition the quality factors of the different parts of the device are needed

n: number of mode

$$\frac{1}{Q_L^n} = \left(\frac{1}{Q_{strip}^n} + \frac{1}{Q_{Tank}^n} + \frac{1}{Q_{feed}^n} + \frac{1}{Q_{pipe}^n} \right) + \frac{1}{Q_{pipe_rad}^n} + \frac{1}{Q_{ext}^n}$$

Once the Q's known, the modal and partial loss factors can be computed:

$$K_{partial} = \sum_{f_n < 5.9GHz} \frac{\omega_n}{2} \exp(-(\omega_n \sigma_\tau)^2) \left(\frac{R}{Q} \right)_n \frac{Q_{Loaded_n}}{Q_{partial_n}} \quad \text{sum over all modes } n < \text{cut-off}$$

$$K_{tot} = \sum_{partial} K_{partial} = K_{strip} + K_{Tank} + K_{feed} + K_{pipe} + K_{pipe_rad} + K_{ext}$$

2 large sums (Σ modes a. Σ partial) : manage all the data in a Excel sheet

$$P_n = N \kappa_n I_b^2 T_0$$

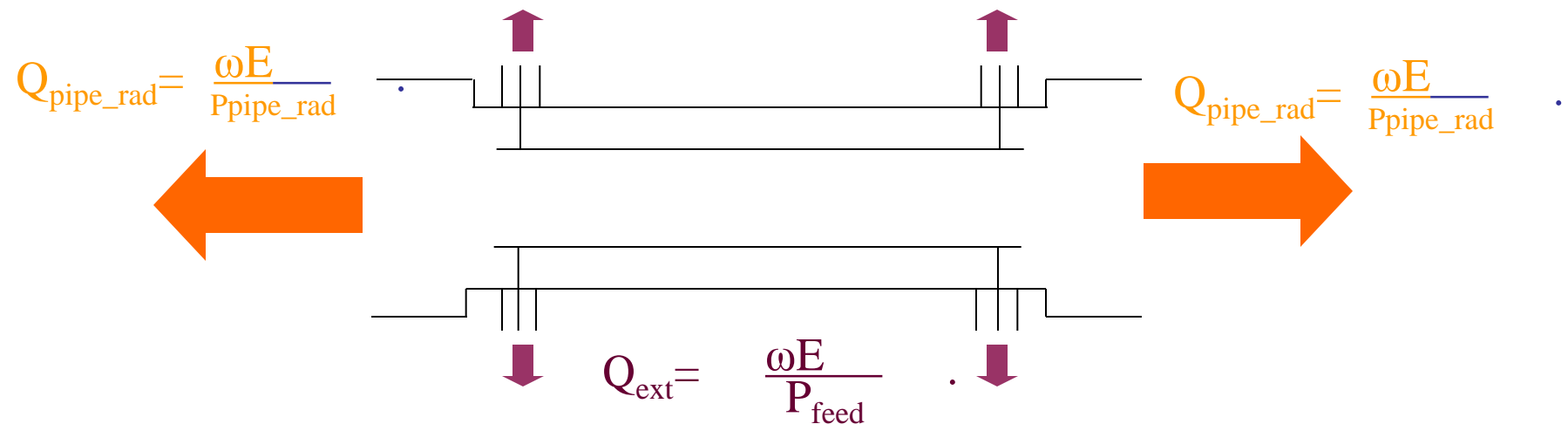
N: # bunches, I_b bunch current, T_0 revolution time

The geometry is segmented in parts (tank, strip, feed-through, pipe) of different material. The quality factor of a particular material segment is determined by switching on its resistivity whereas the other material segments are kept as PEC.

This is carried out for all material segments and for all modes. } $\rightarrow Q_{strip} \quad Q_{Tank} \quad Q_{feed} \quad Q_{pipe}$
 Loss factors are computed for each mode and each segment.

Determination of Q_{ext} based on exponential decay of the mode energy: $E = E_0 \exp(-\frac{\omega_n t}{Q_{ext}^n})$

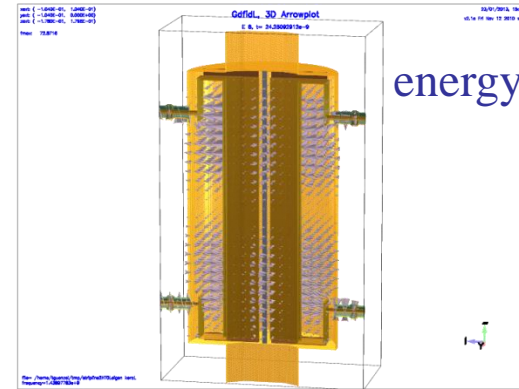
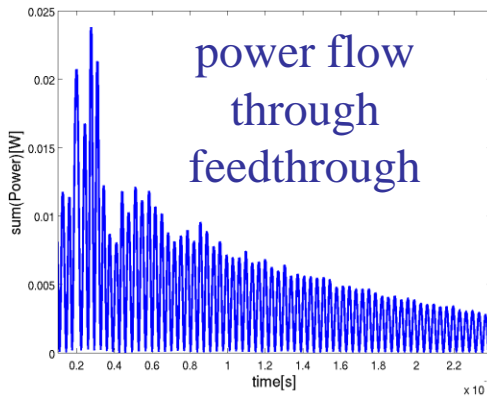
For each mode the power flowing through the feedthroughs is observed. The average power is normalized on the product of angular frequency and energy residing in the strip-line in order to get $1/Q_{ext}$. This method is not very precise though.



Example:

mode in hor.
stripline

$f=1.439\text{GHz}$



$$Q_L=140$$

But in both cases it is actually not like this.

1. Pipe radiation (Qpipe_rad) :

Noise for modes of low-frequency, but increases significantly for modes close to cut-off.

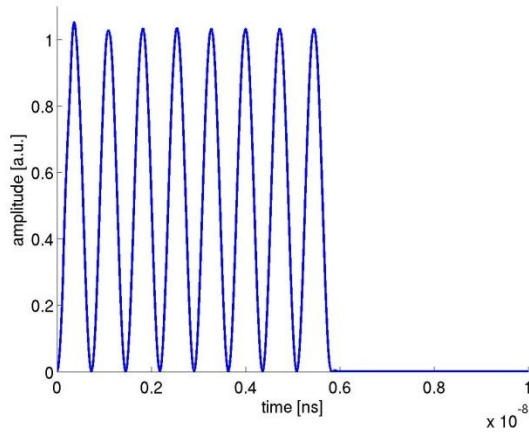
power flow via feed-throughs not considered here
all metallic parts considered out of Aluminium

| loss factor (<5.9GHz) | total | external | tank | strip | feedthrough | exit pipes | exit radiation |
|--|-------|----------|------|-------|-------------|------------|----------------|
| $\kappa_{ }[\text{mV/pC}](0 < f < 5.9\text{GHz})$ | 252.2 | 0 | 42.9 | 77.0 | 4.5 | 0.39 | 127.6 |
| $\kappa_{ }[\text{mV/pC}](f < 3\text{GHz})$ | 136.3 | 0 | 35.2 | 63.0 | 3.0 | 0.004 | 35.3 |
| $\kappa_{ }[\text{mV/pC}](3 < f < 5.9\text{GHz})$ | 115.9 | 0 | 7.7 | 14.0 | 1.5 | 0.39 | 92.4 |

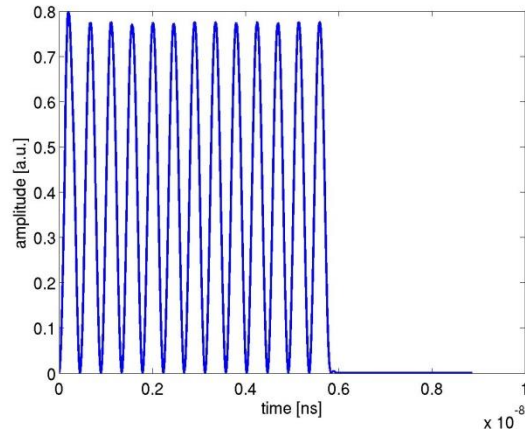
bunch length 5mm

Modes just below the cut-off are not trapped anymore, they make up largest part of power loss.

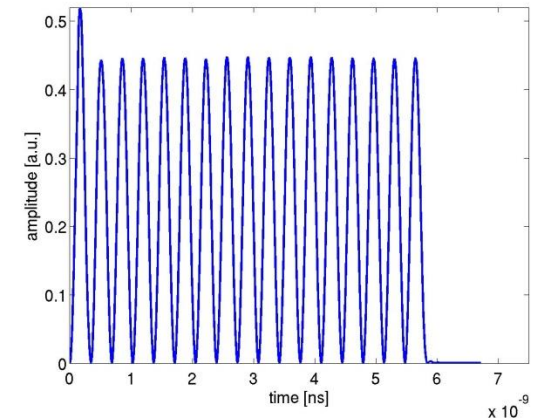
the power flow does not decay exponentially for the CLIC-stripline



All have the same length



Their frequency corresponds to the frequency of the excited mode



Almost the total energy leaves the stripline within less than $t_D := 5.9\text{ns} = (L=1.7\text{m})/c$

This is much faster than any other dissipation process

It also shows the good quality of the stripline: There are no reflections at all.

For the ALBA kicker: There are apparently reflections visible in the power flow and the Z_{long} -spectrum is more irregular.

The decay is not exponential, a decay time will attributed to it though the reduction factor of the signal strength after $t_D=5.9\text{ns}$ is roughly $10^{-2.5}$

$$\frac{E}{E_0} = 10^{-2.5} = \exp\left(-\frac{\omega_n t_D}{Q_{ext}^n}\right) \quad Q_{ext}^n = \frac{5.9 \omega_{res} [GHz]}{2.5 \ln(10)}$$

| $P < 5.9\text{GHz}(\text{cut-off})$ | total | external | tank | strip | feedthrough | exit pipes | exit radiation |
|--|-------|----------|------|-------|-------------|------------|----------------|
| $\kappa_{ } [\text{mV/pC}]$ | 252 | 244 | 0.4 | 0.8 | 0.1 | ~0 | 6.8 |
| $P_{\text{loss}} @0.4\text{A} [\text{W}]$ | 80.6 | 78.1 | 0,13 | 0,26 | 0,03 | ~0 | 2,2 |
| $P_{\text{loss}} @10 \times 32(0.2\text{A})$ | 28.2 | 27.3 | 0,04 | 0,09 | 0,01 | ~0 | 0,8 |

Conclusion: In a good working stripline all excited power is only little dissipated but leaves the stripline through the feed-throughs

Homogeneous filling: $P_{loss} = \sum \text{Re}(Z(p\omega_0)) |\tilde{I}(p\omega_0)|^2$

$$\kappa_l \rightarrow \kappa_l \cdot \frac{D}{D^2 \sin^2\left(\pi \frac{f_r}{f_{RF}}\right) + 1} \quad \text{with} \quad D = Q_L \frac{2f_{RF}}{\pi f_r} \quad \text{assuming } D \geq M = 448$$

Consequence: The κ_L of a resonance (almost) coinciding with a harmonic of f_{RF} is enhanced by D

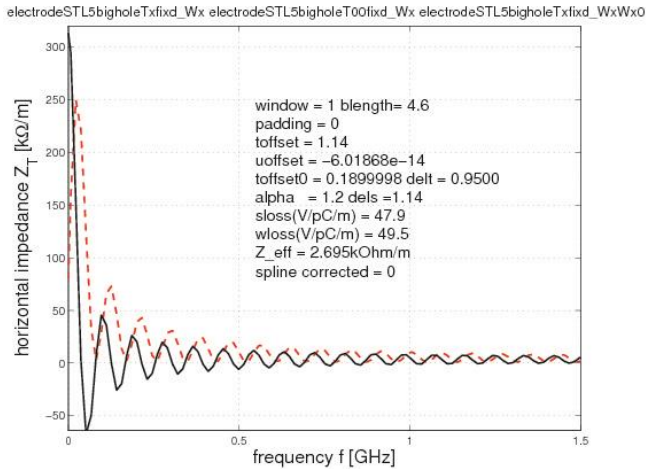
$$\kappa_l \rightarrow \kappa_l \cdot D \quad \text{resonance like a narrow-band resonator}$$

On the contrary the κ_L of a resonance at $f_r \approx f_{RF}/2$ is suppressed by $1/D$ (assuming $D \geq M = 448$)

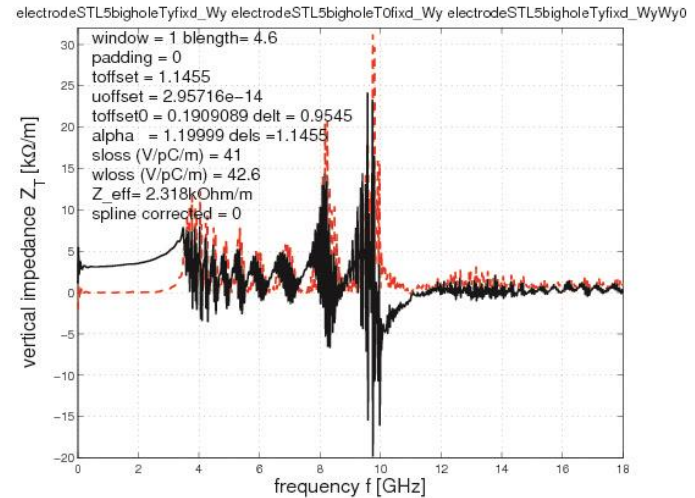
$$\kappa_l \rightarrow \kappa_l \cdot \frac{1}{D} \quad \text{resonance like a narrow-band resonator}$$

If the low external Q_{ext} is taken into account, $D \sim 2$
coherent power loss does not need to be considered.

Horizontal impedance



Vertical impedance



| kickfactors @200mA | x'/x [$\mu\text{rad}/\text{m}$] | total [$\text{V}/(\text{pC}/\text{m})$] | total [$\text{V}/(\text{pC}/\text{m})$] | K_{quad} [$\text{V}/(\text{pC}/\text{m})$] | K_{dip} [$\text{V}/\text{pC}/\text{m}$] |
|-----------------------|--|--|--|--|---|
| H | 28.0 | 74.4 | 75.6 | 26.1 | 49.5 |
| V | 6.4 | 17.2 | 16.9 | -25,70 | 42.6 |

The kicks are hardly measurable.

The stripline contributes

1.4% to the β -weighted geometrical V-budget and

3.2% to the β -weighted geometrical H-budget of ALBA

- Less than 1W stays in the CLIC stripline in 400mA beam operation since the excited modes can escape easily through feed throughs.
- No risk of coherent power loss.
- In terms of heat load the design of the CLIC stripline is perfect.
- Kicks generated by the transverse impedance are very small.
- A taper to the ALBA vacuum pipe is not necessary.
- The calculation of the external load mode by mode allowed us to study the output signals and to understand the low Q_{ext} .
Using GdfidL with absorbing boundary conditions we wouldn't have seen that.

It is worth while to do these studies: the learn effect is rather high and the results are far from being self-evident.

Carolina Aguilar for providing me the details of the
DR CLIC stripline

M.Dehler and G.Rehm for useful hints
and discussions I learnt a lot from.

W.Bruns, the developer of GdfidL, who helped me a lot in
understanding the output signals of the stripline.