

Simulation of high bandwidth feedback systems

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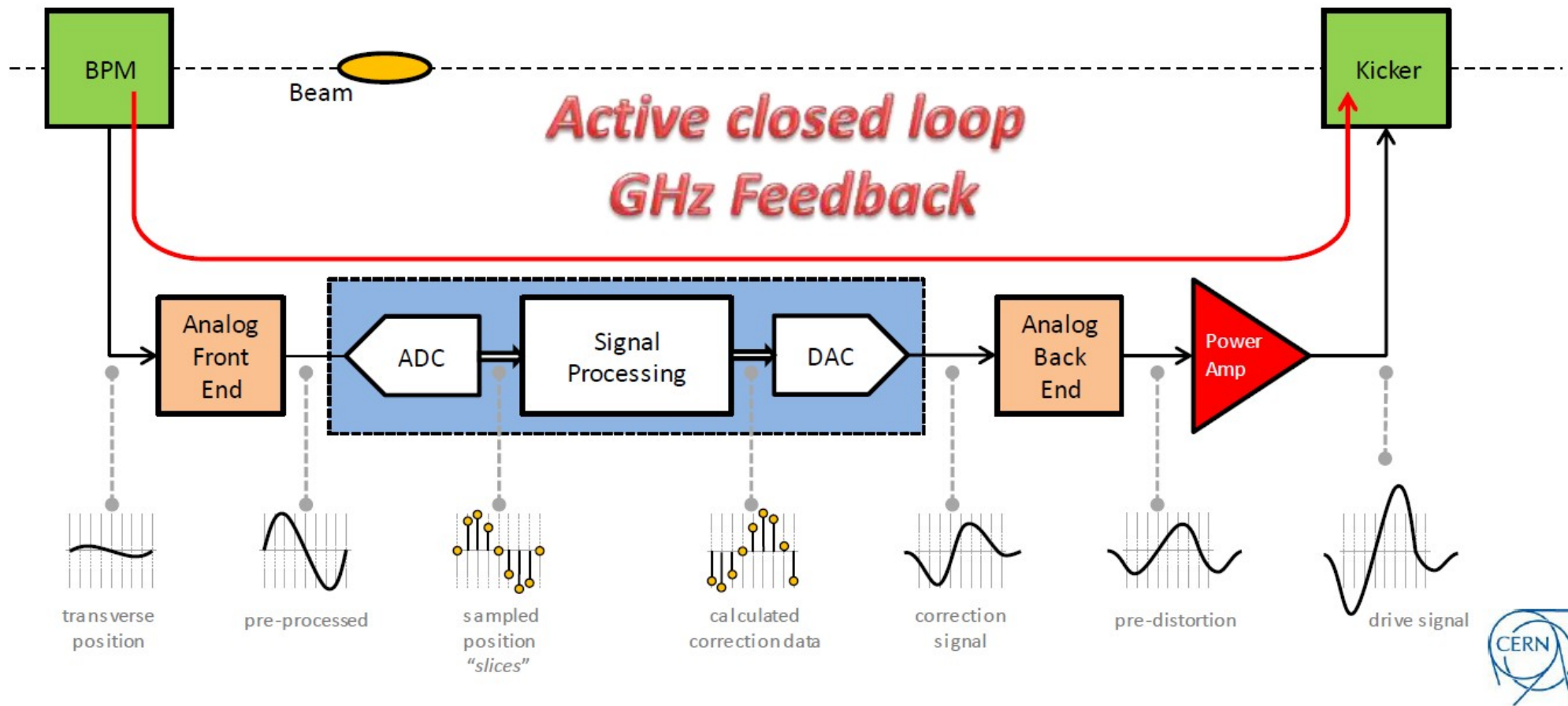
¹ European Organization for Nuclear Research

² SLAC National Accelerator Laboratory

- Feedback system
 - Basic concept – drawing – bandwidth
- Feedback parameters
 - Bandwidth – consequences
 - Other parameters – filters – consequences
- Numerical feedback model
- Feedback examples

Sketched feedback systems

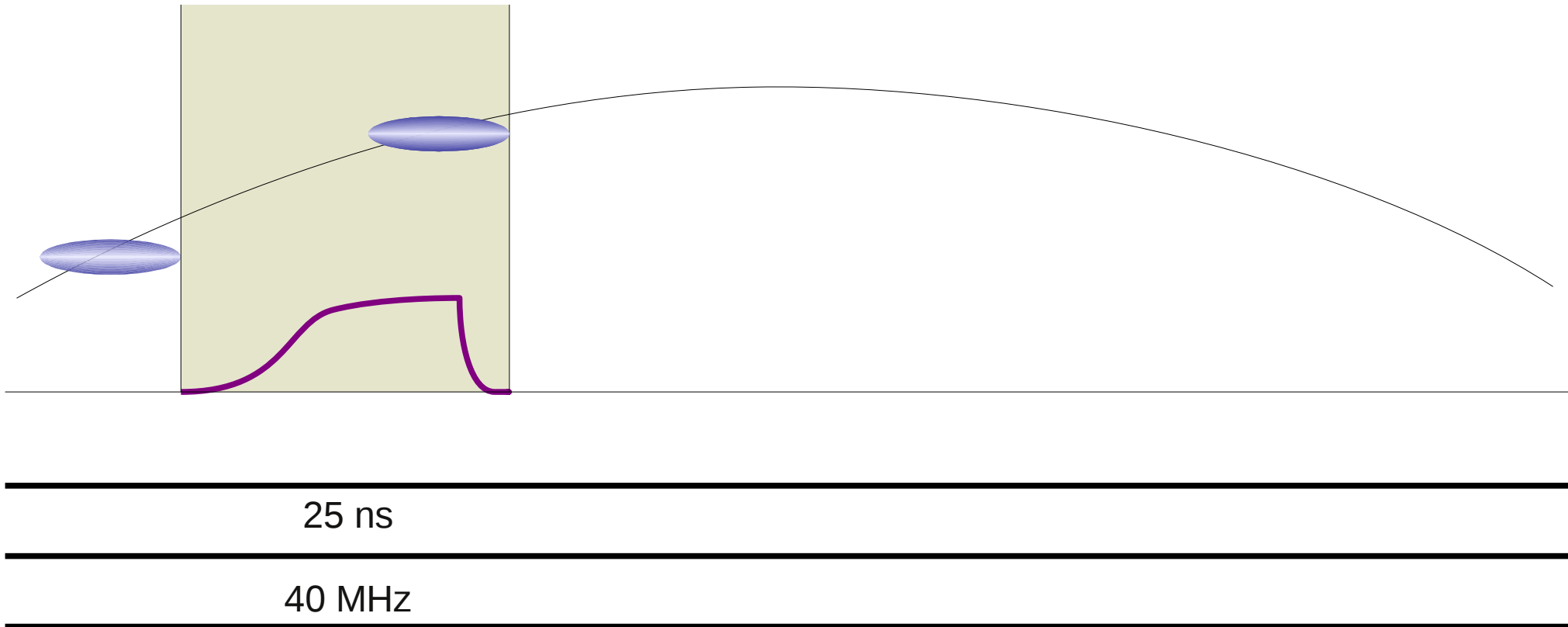
Principle of a feedback system



W. Höfle

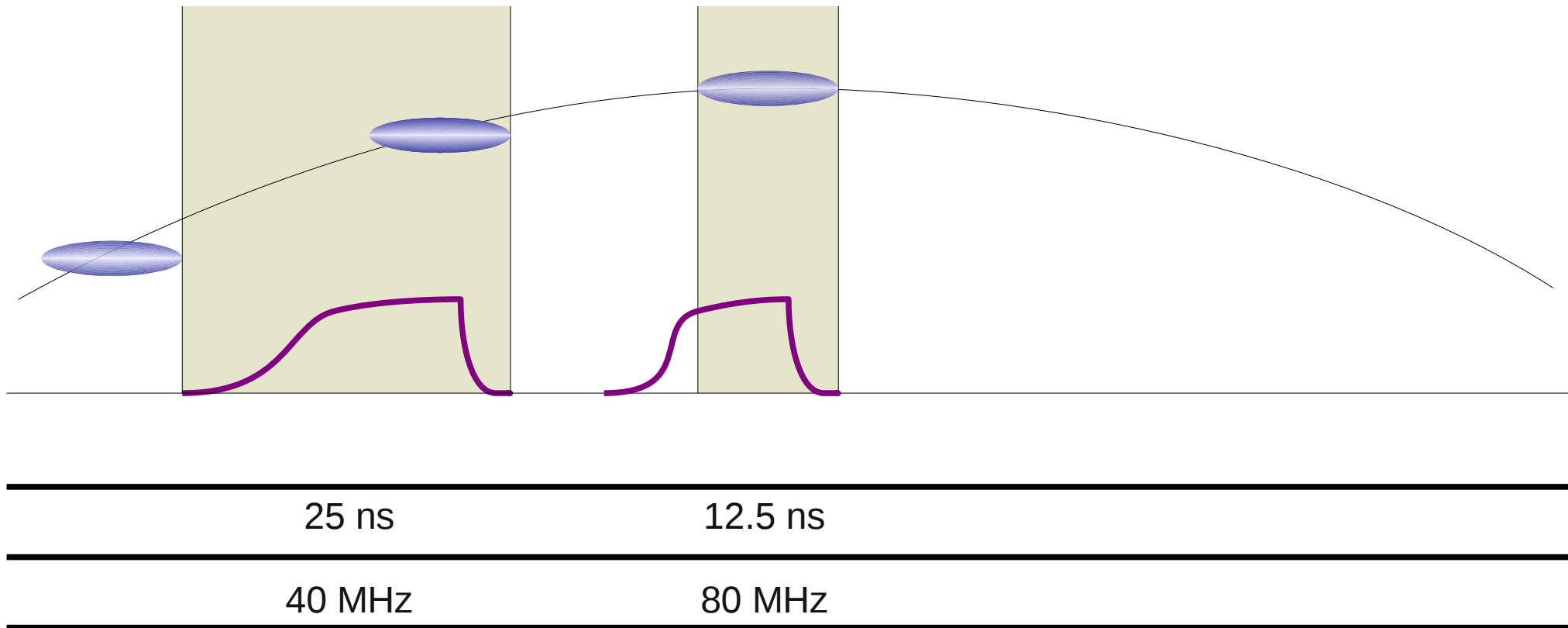
How does bandwidth play a role?

Bunch-by-bunch damper



How does bandwidth play a role?

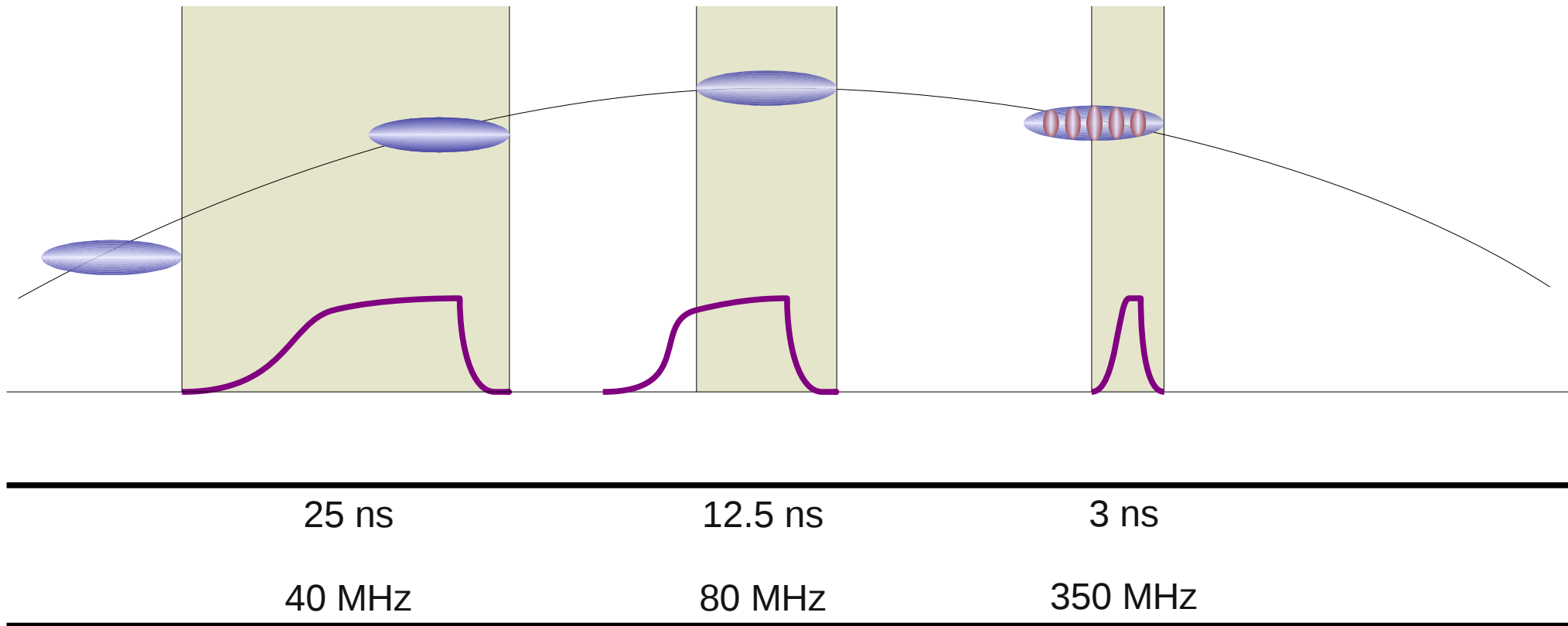
Bunch-by-bunch damper



How does bandwidth play a role?

Bunch-by-bunch damper

Intra-bunch-feedback

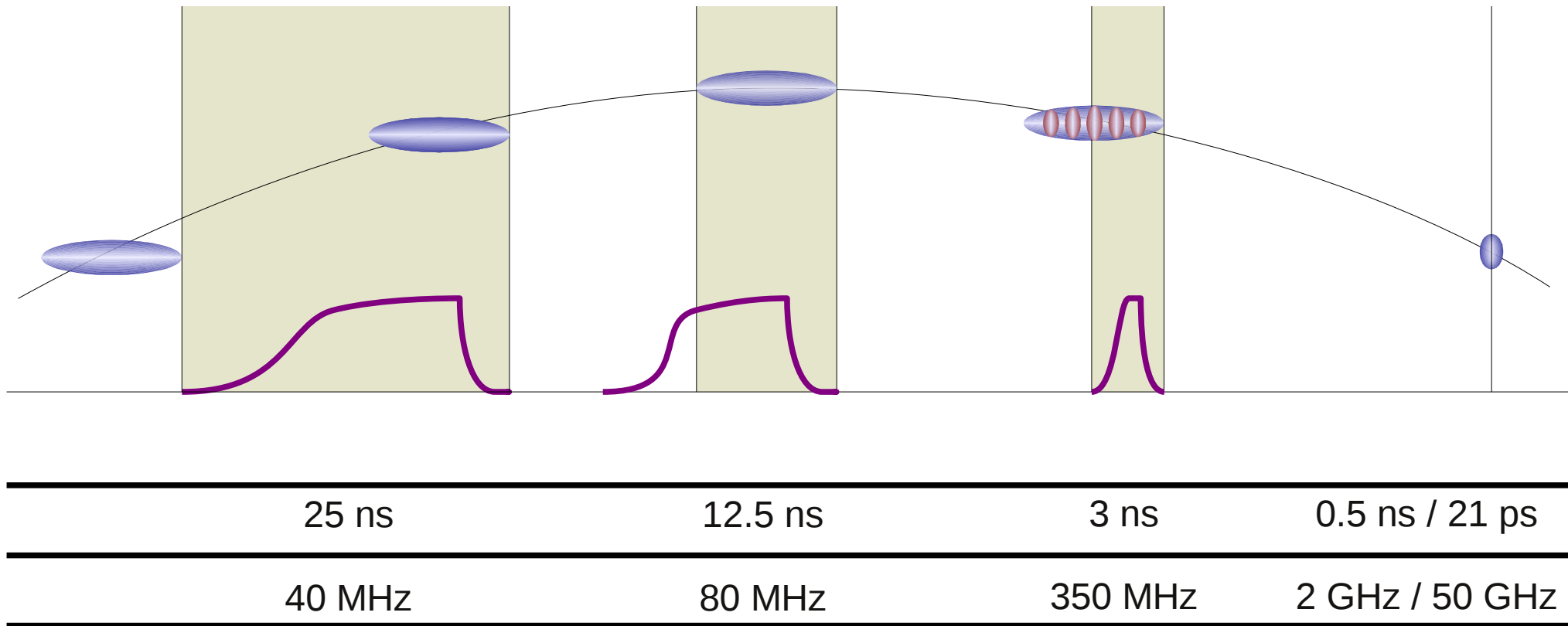


How does bandwidth play a role?

Bunch-by-bunch damper

Intra-bunch-feedback

Lepton machines



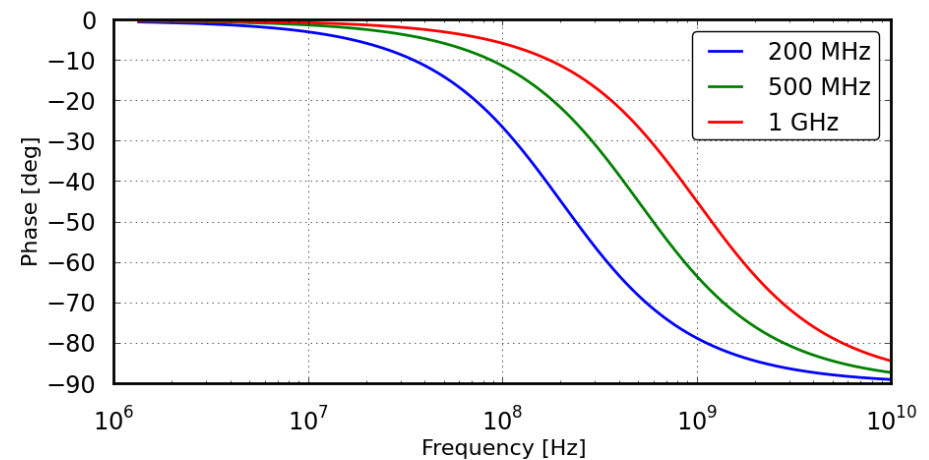
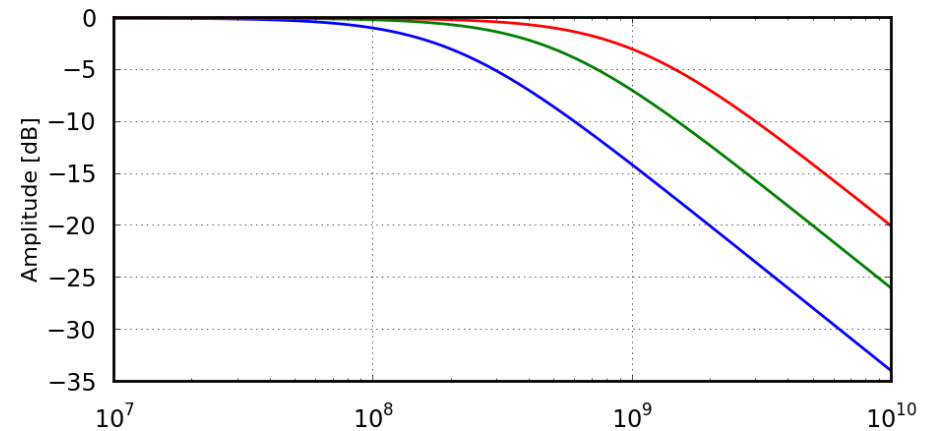
Realistic feedback systems

Bandwidth limitations

- A realistic feedback system is bandwidth limited
- As a result, the amplitude and phase responses are not flat
- Take for example a first-order low-pass filter with a one-pole roll-off:

$$H(f) = \frac{1}{1 + i \frac{f}{f_c}}$$

resulting in the following amplitude and phase response



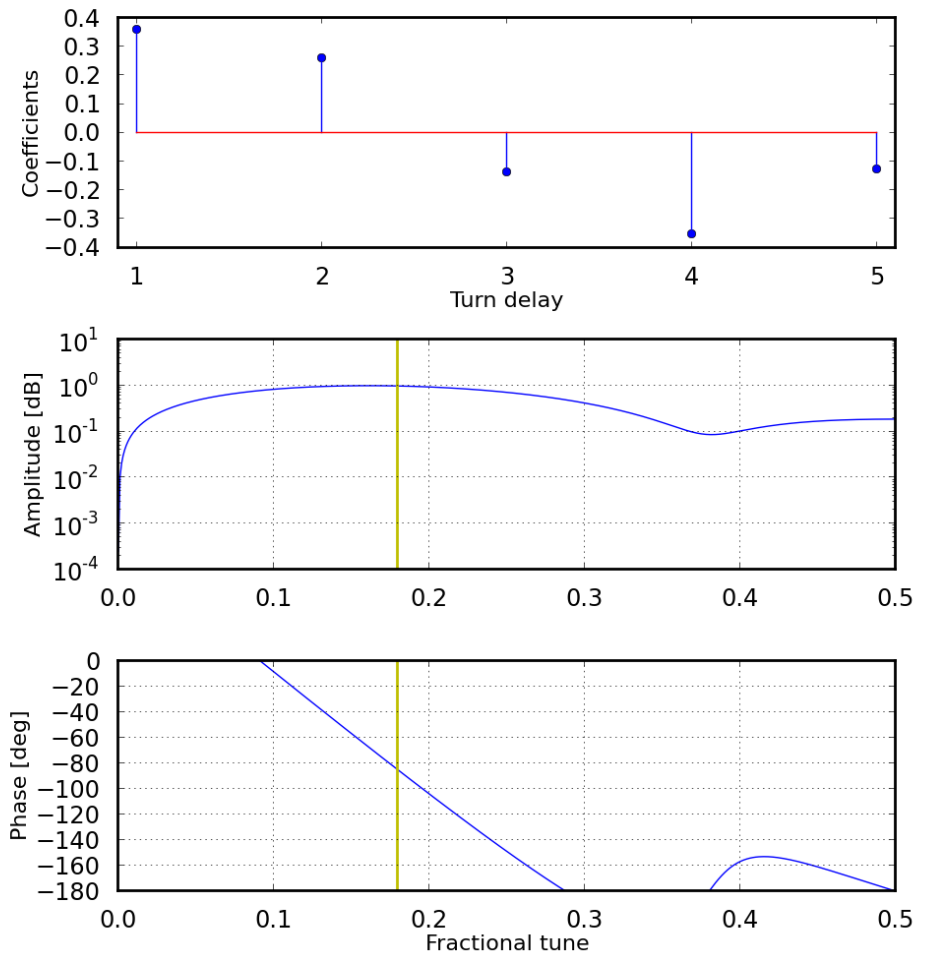
Filter design

- Realistic feedback systems often incorporate DSP filters
 - Correct for phase errors
 - Provide some means of noise filtering
- Take for example an N-taps FIR filter

$$H(z) = \sum_{n=0}^{N\text{-taps}} b_n z^{-n}$$

maximum amplitude response and 90 deg neg. phase shift at the fract. tune

5-tap FIR filter assuming a fractional tune at 0.18



Filter design

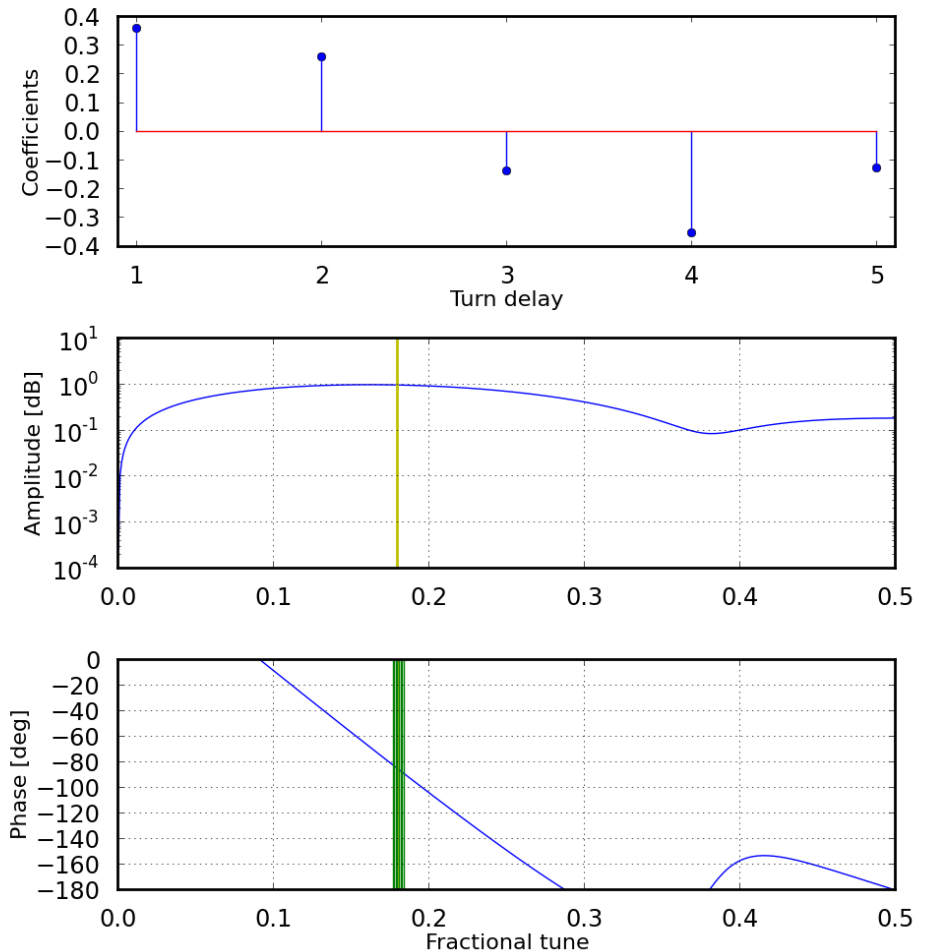
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maximum amplitude response and 90 deg neg. phase shift at the fract. tune

→ well matched for low Q_s synchrotron sidebands

5-tap FIR filter assuming a fractional tune at 0.18
 $Q_s = 0.001$



Filter design

- Realistic feedback systems often incorporate DSP filters
 - Correct for phase errors
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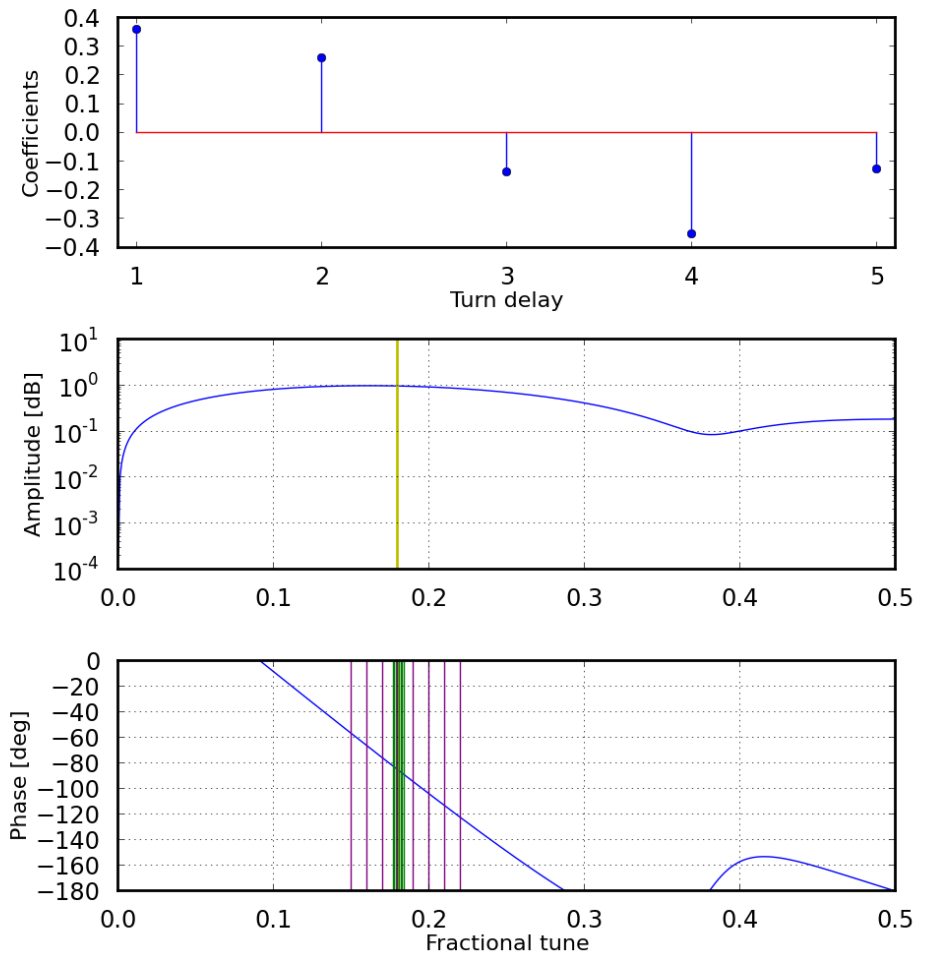
$$H(z) = \sum_{n=0}^{N-taps} b_n z^{-n}$$

maximum amplitude response and 90 deg neg. phase shift at the fract. tune

→ well matched for low Q_s synchrotron sidebands

→ a problem for high Q_s synchrotron sidebands

5-tap FIR filter assuming a fractional tune at 0.18
 $Q_s = 0.001$, $Q_s = 0.01$



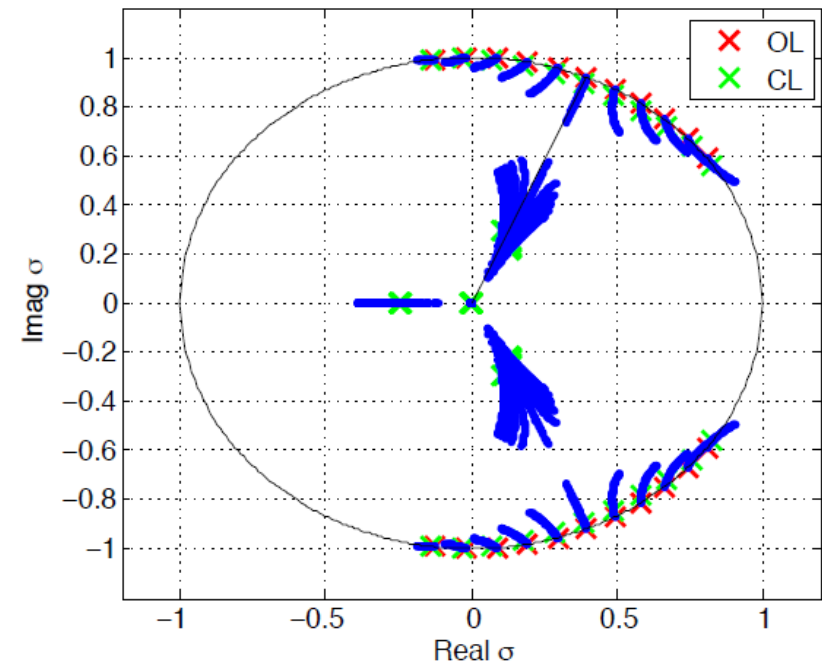
Gain and stability

C. Rivetta

3rd Joint HiLumi LHC – LARP Annual Meeting

Q20 Lattice

- For Q20 Lattice, without including the impedance / e-cloud effects, the reduced model predicts instabilities for side-bands 5-7
 - Using simple 5 TAP FIR filters, no receiver-power stage transfer functions.
 - Close to K. Li results for Q20 lattice using HT to analyze TMCI.
 - Cross check with HT / CMAD without impedances - Validate reduced model



Root Locus - 5 tap FIR - SPS Q20 Lattice

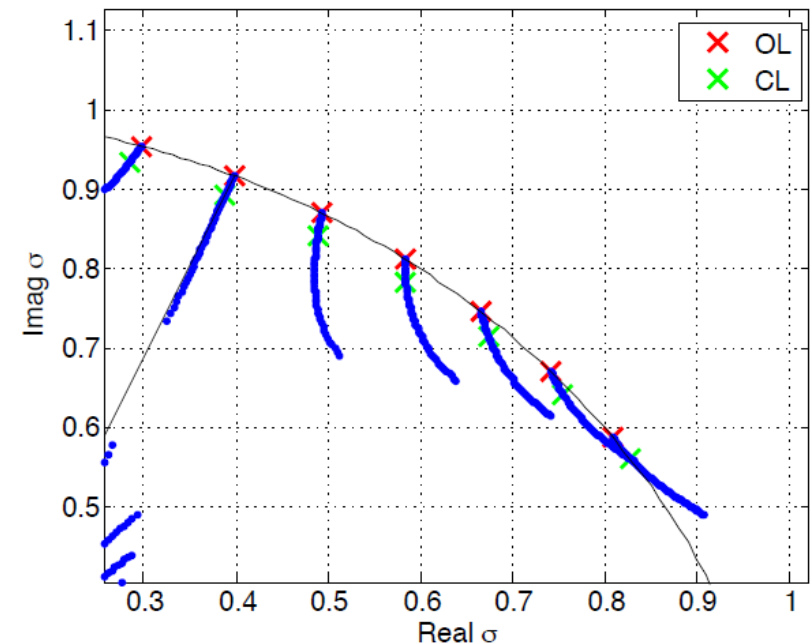
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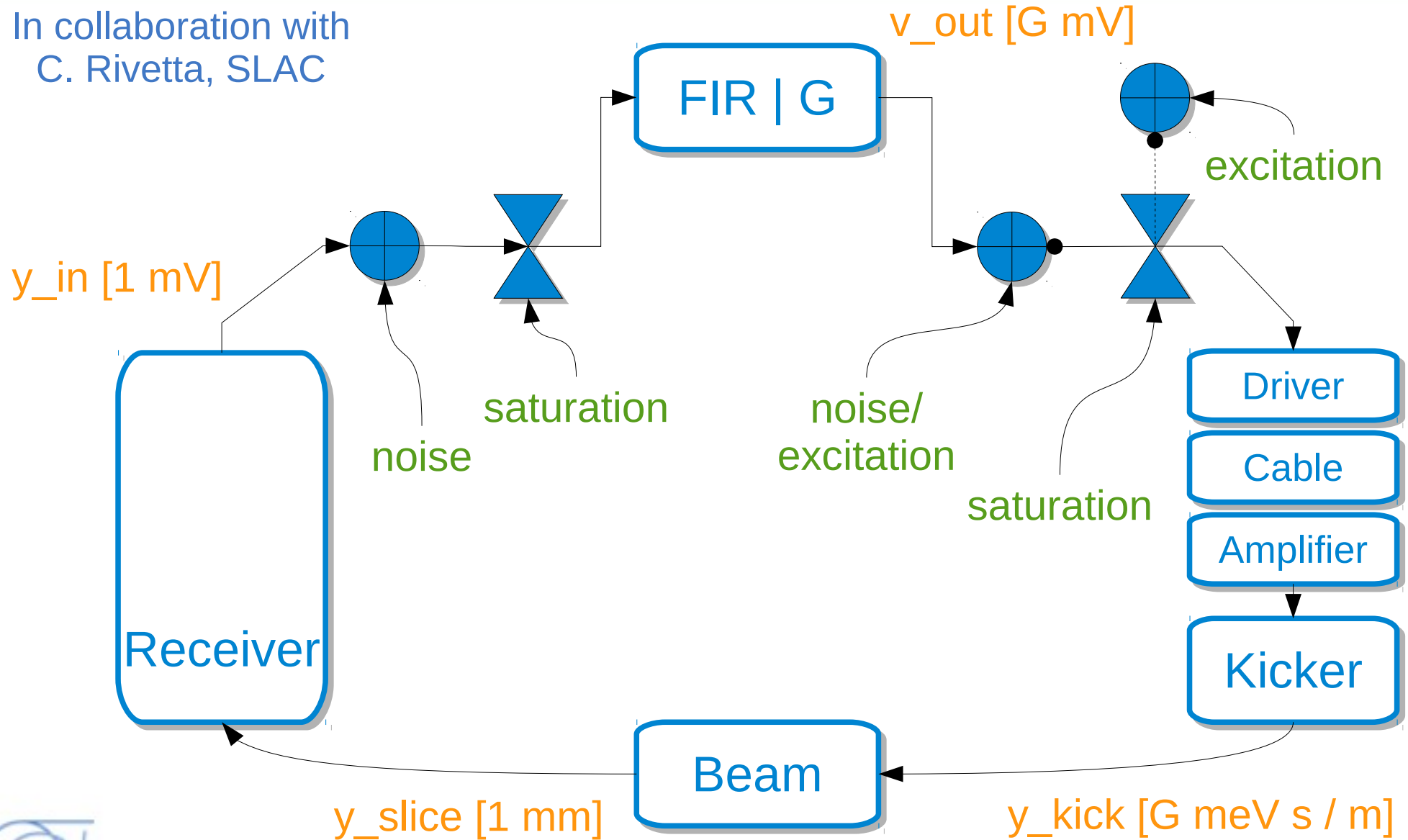


Root Locus - 5 tap FIR - SPS Q20 Lattice

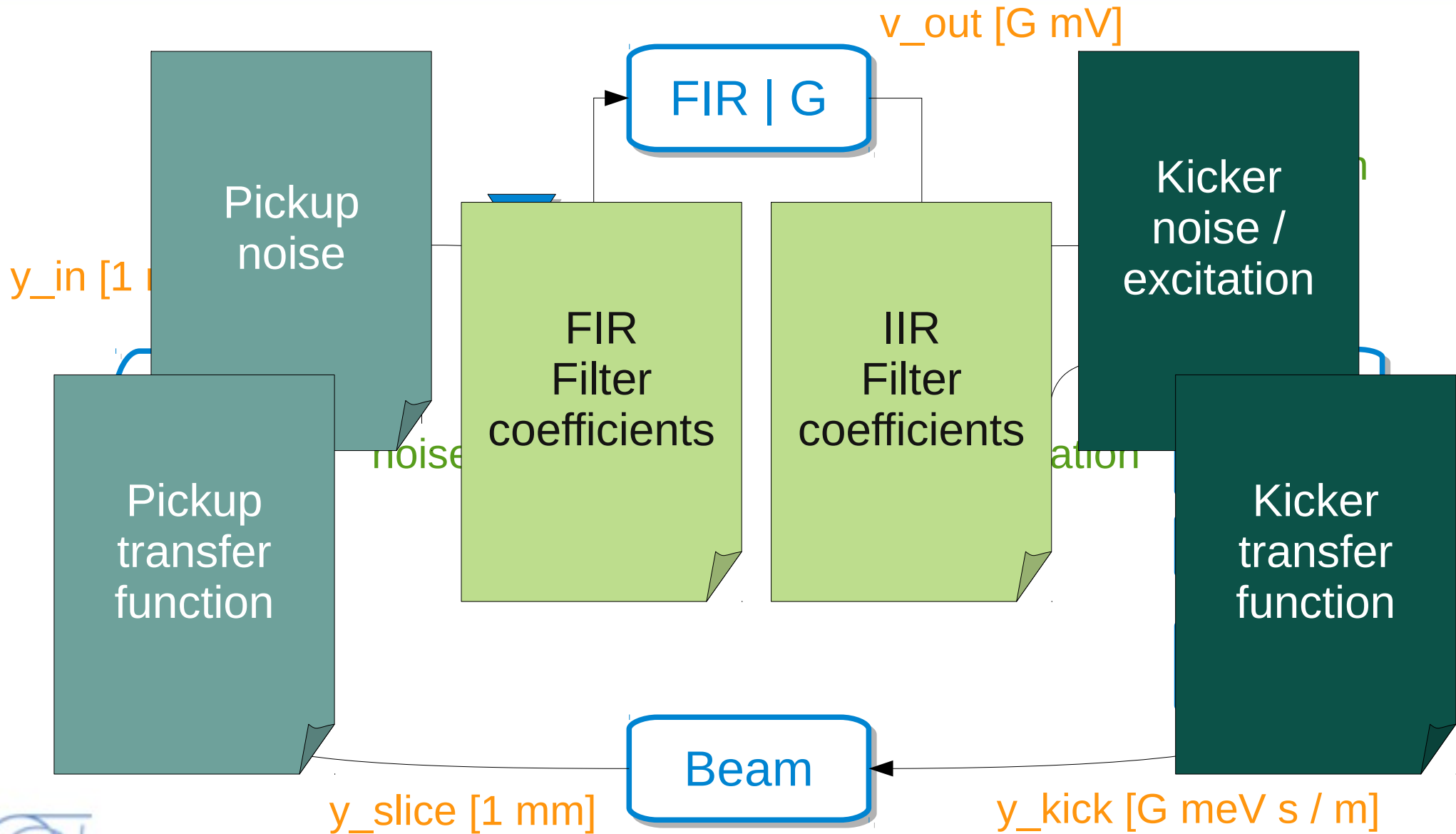
Numerical feedback model

The HeadTail feedback model

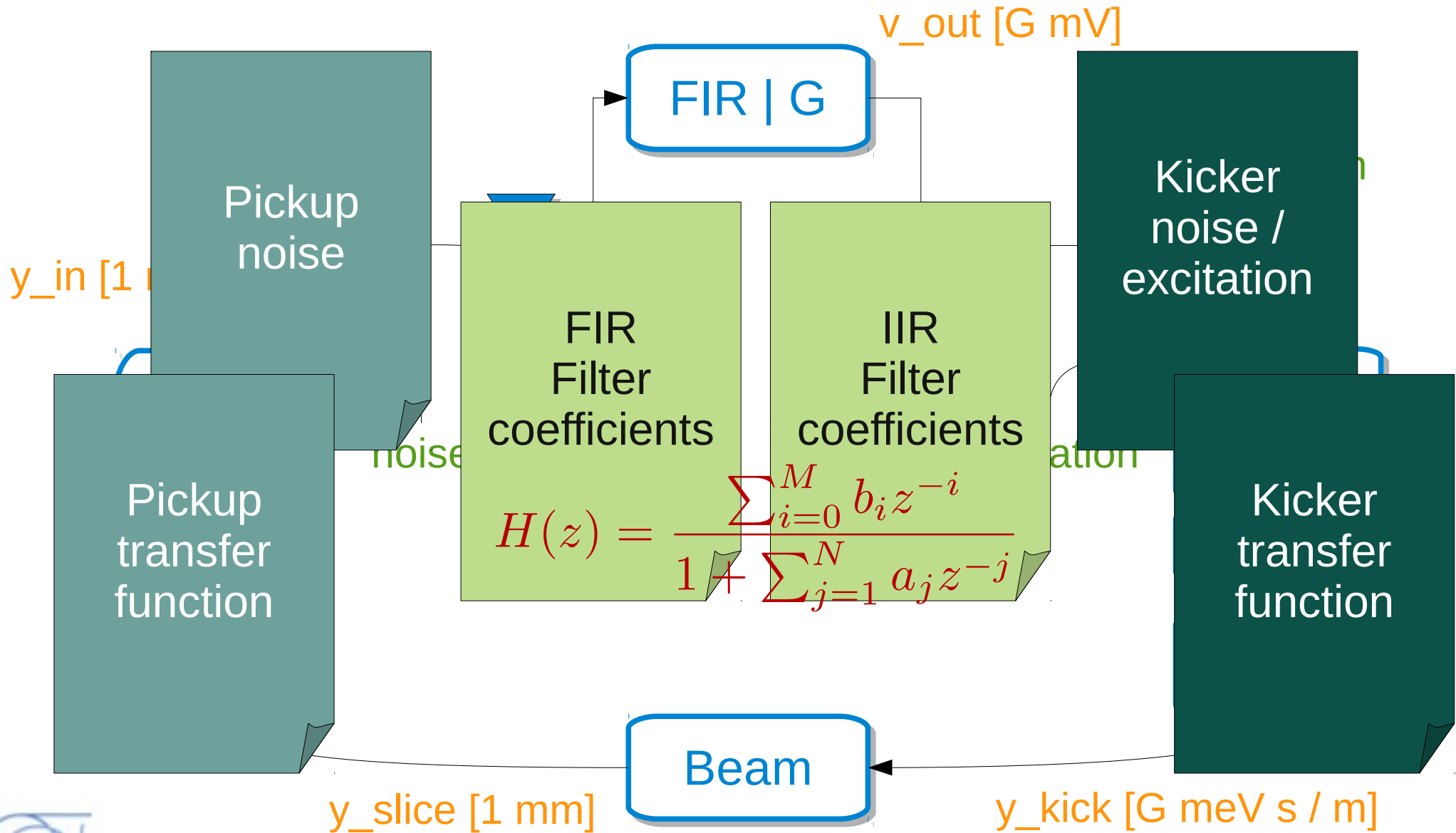
In collaboration with
C. Rivetta, SLAC



The HeadTail feedback model

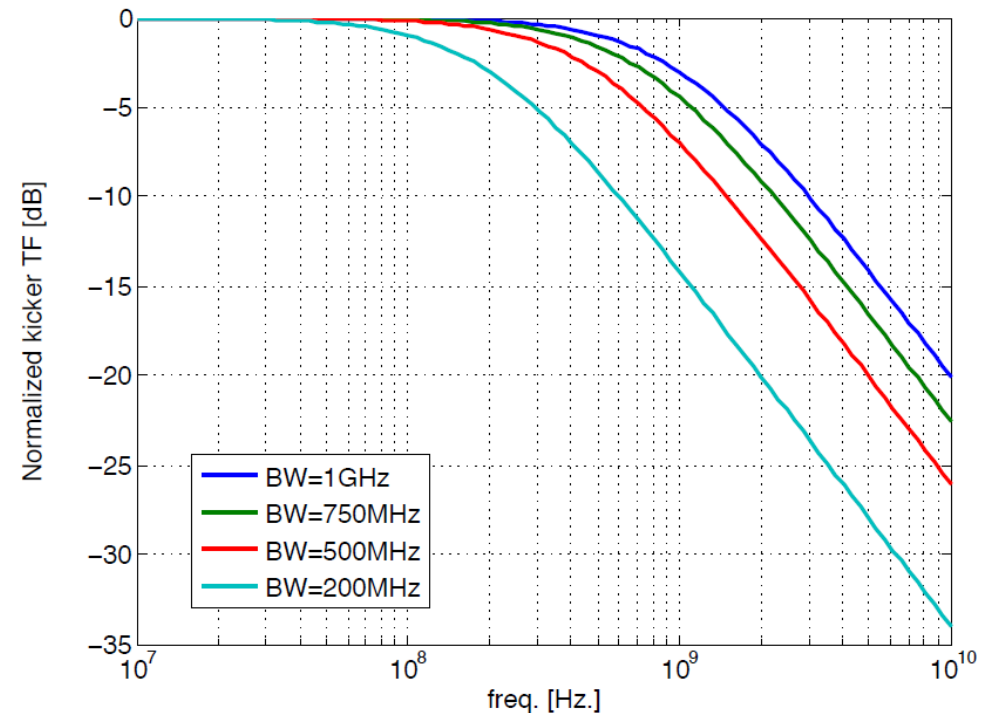
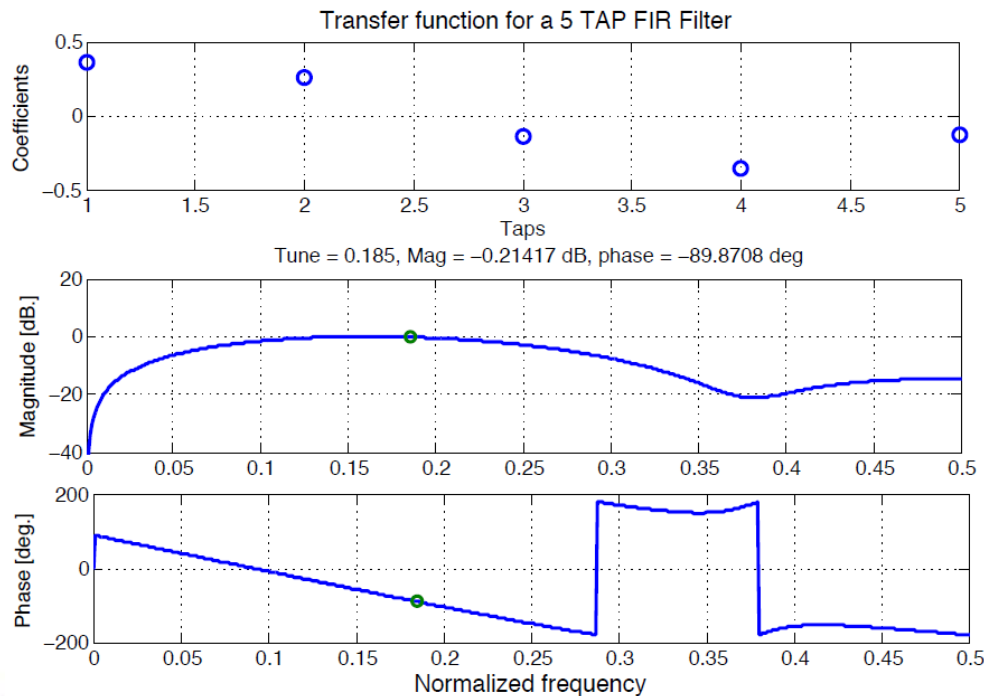
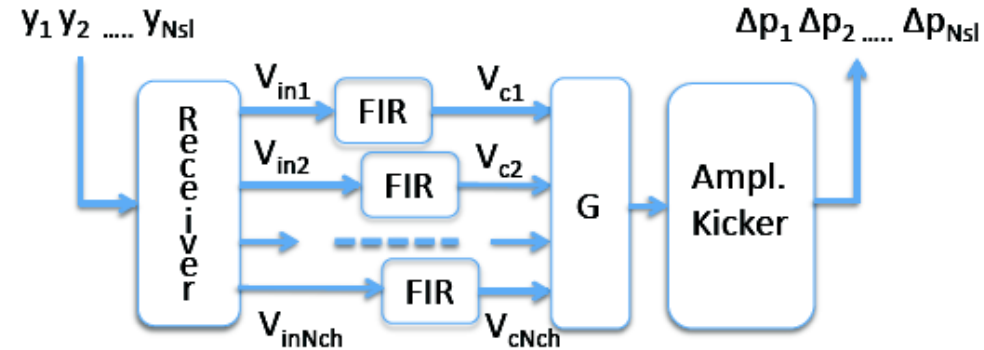


The HeadTail feedback model



Feedback system - specifications

- 5 tap filter for adjusting the feedback phase (phase shift of power amplifiers not compensated, but could be compensated)
- FIR transfer functions (left)
- Kicker transfer functions (right)



Transverse mode coupling instabilities

Parameters

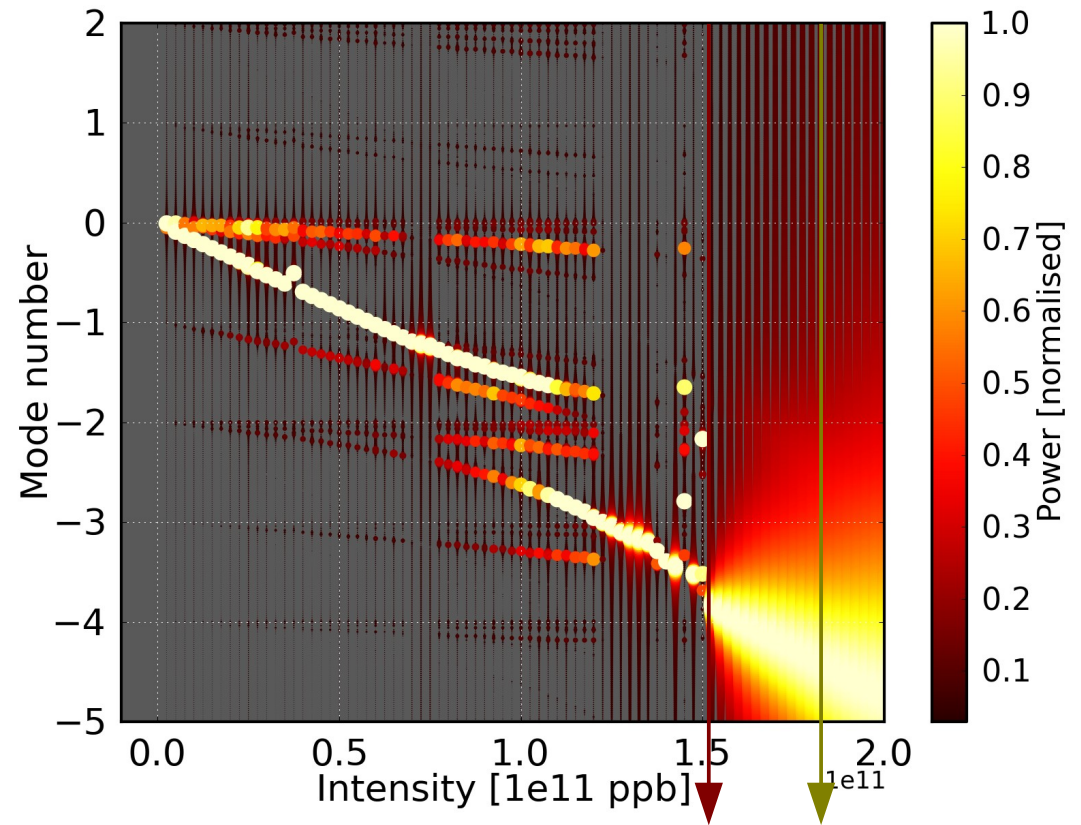
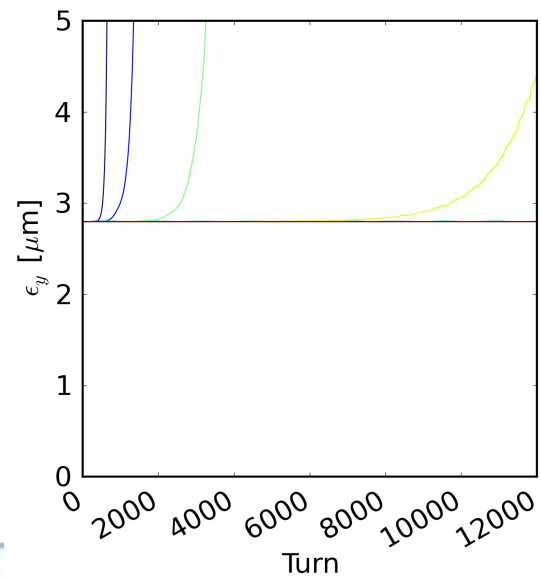
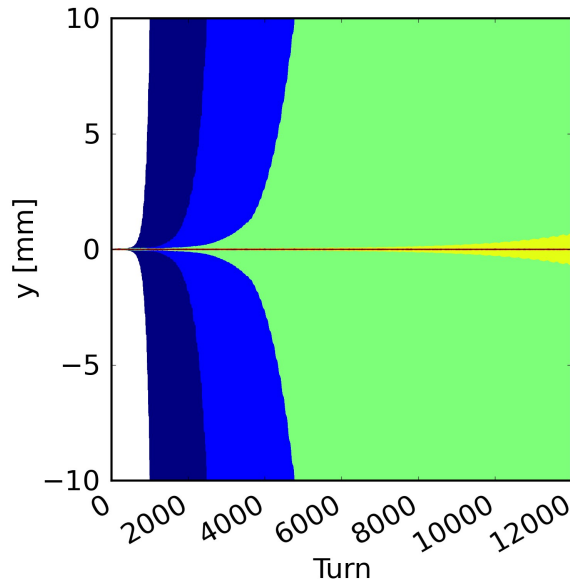
Q26 Optics

Q20 Optics

Momentum	26 GeV/c
Emittances [ϵ_x , ϵ_y , ϵ_z]	2.8, 2.8 μm , 0.5 eV s
Bunch length	3.2 ns
Beta functions [β_x , β_y]	42, 42 m
Tunes [Q_x , Q_y , Q_s]	26.13, 26.185, 0.0059
RF voltage	2 MV

Momentum	26 GeV/c
Emittances [ϵ_x , ϵ_y , ϵ_z]	2.5, 2.5 μm , 0.5 eV s
Bunch length	3 ns
Beta functions [β_x , β_y]	56.4, 56.4 m
Tunes [Q_x , Q_y , Q_s]	20.13, 20.185, 0.0170
RF voltage	5.75 MV

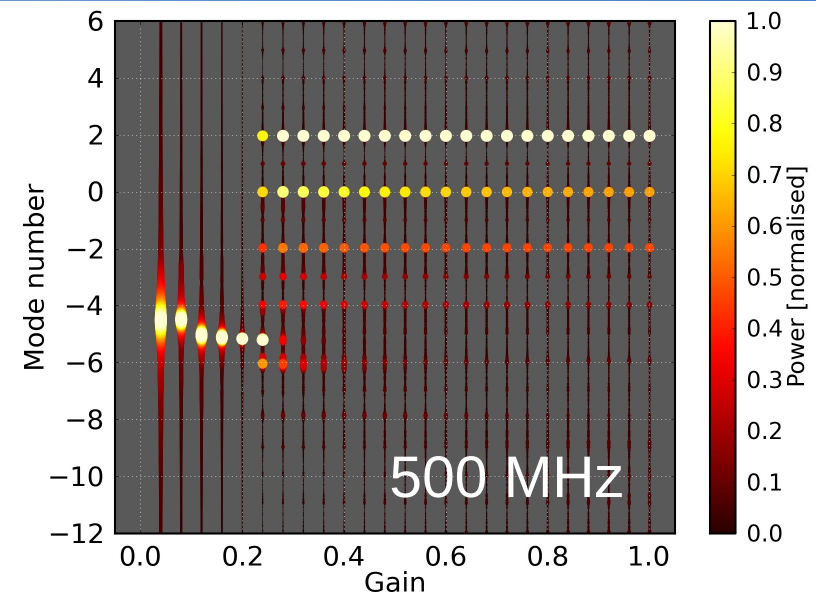
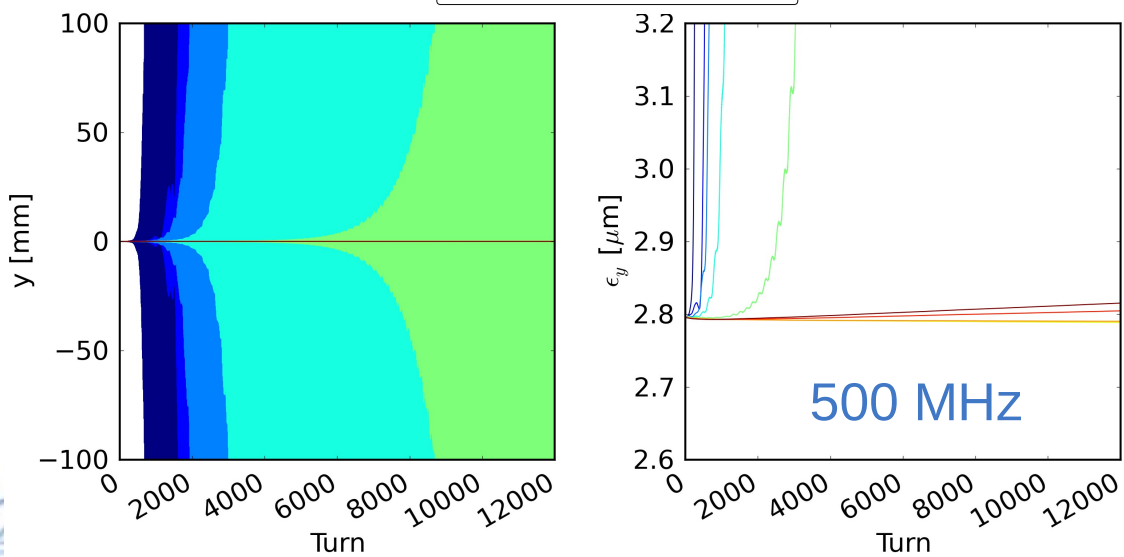
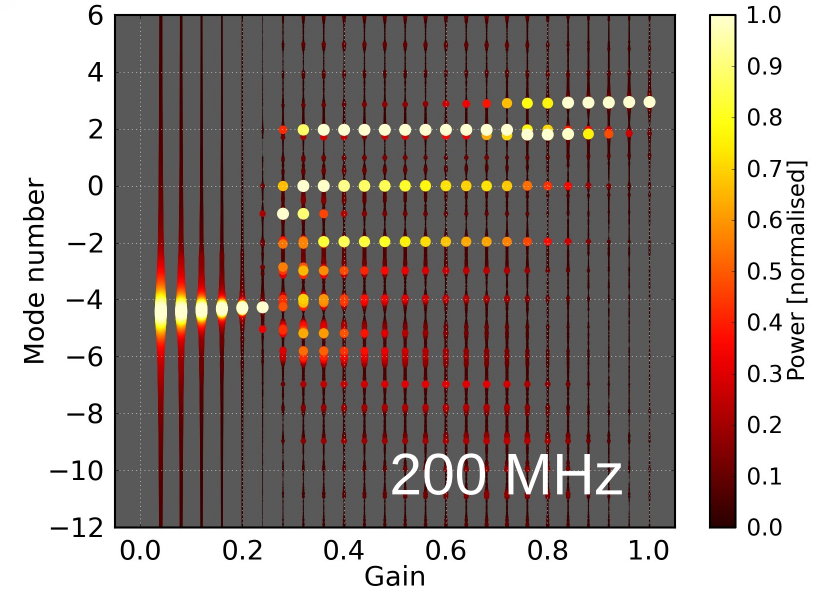
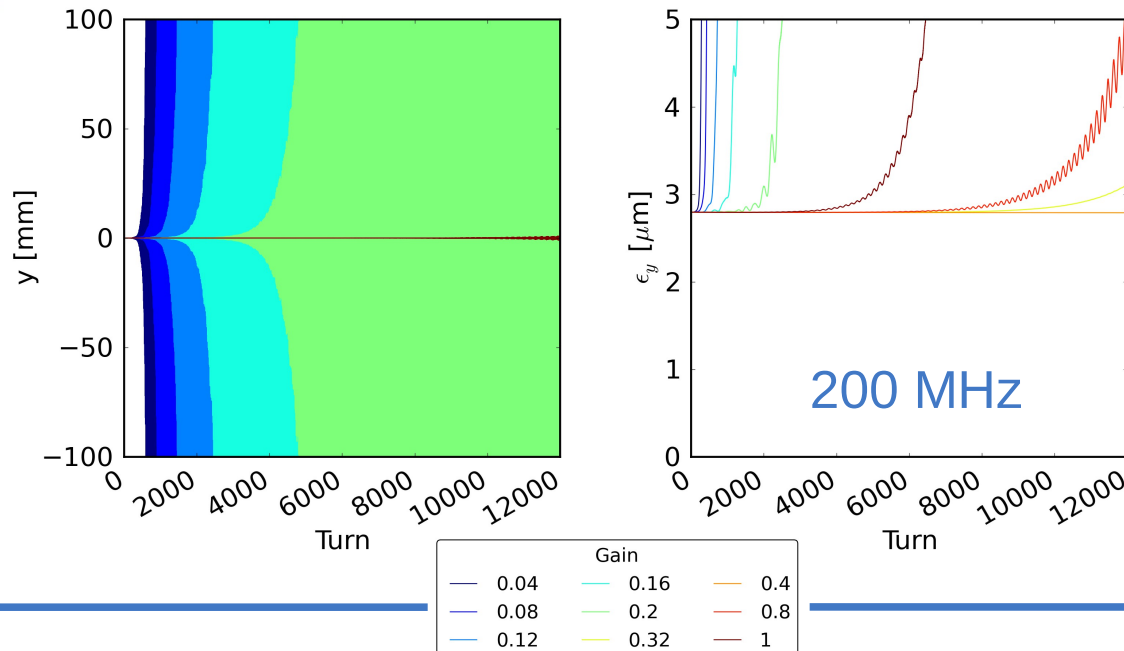
TMCI threshold – Q26



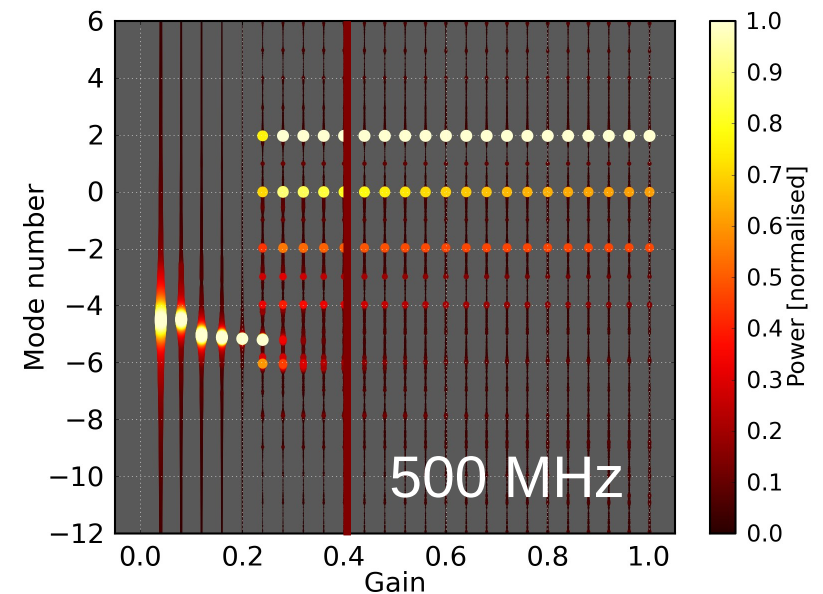
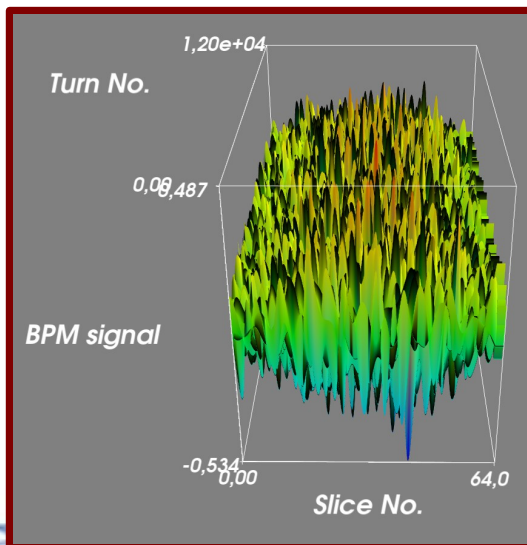
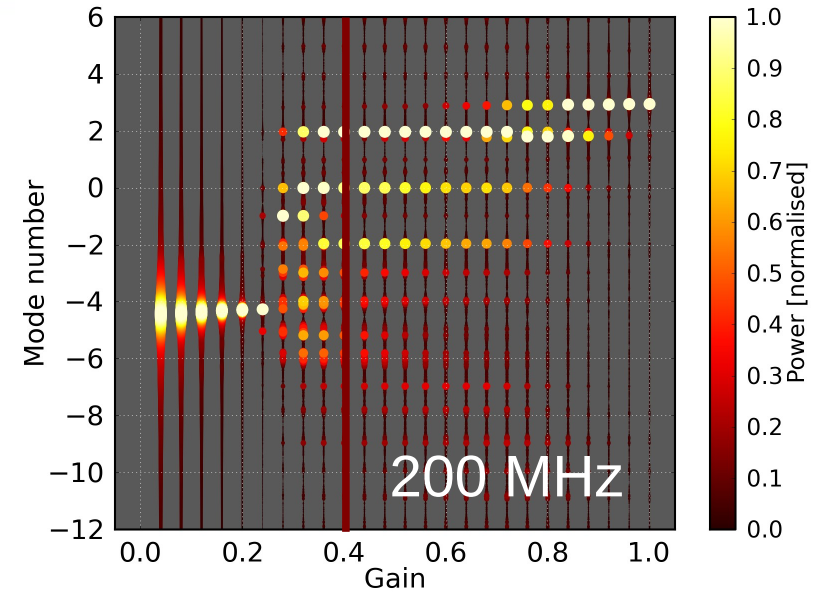
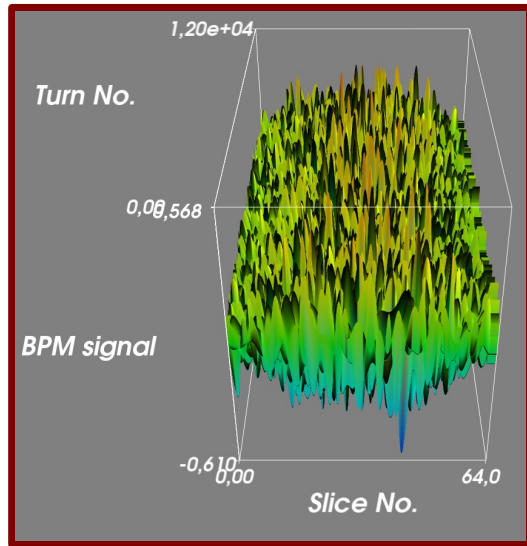
~ 1.5e11

— 1.6e+11	— 1.375e+11	— 1.15e+11
— 1.525e+11	— 1.3e+11	— 1.075e+11
— 1.45e+11	— 1.225e+11	— 1e+11

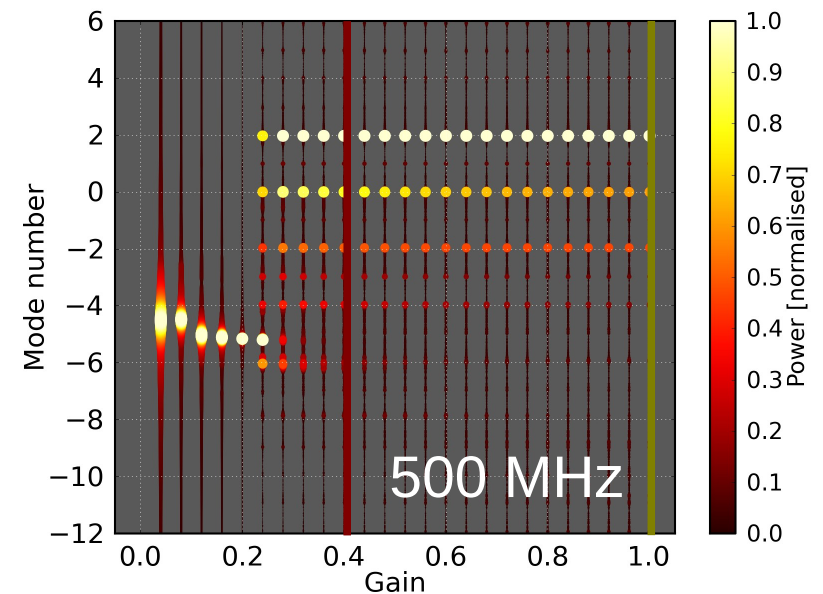
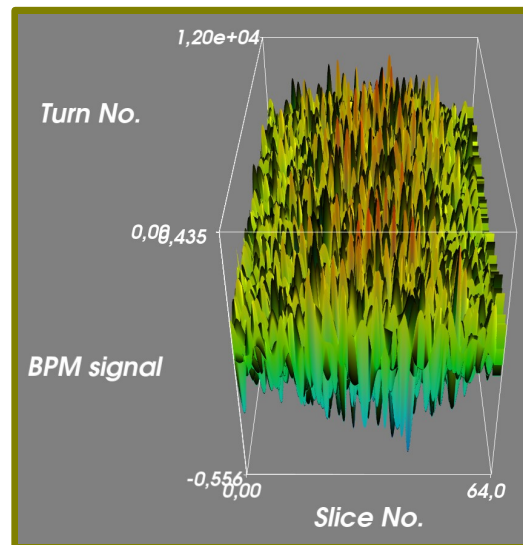
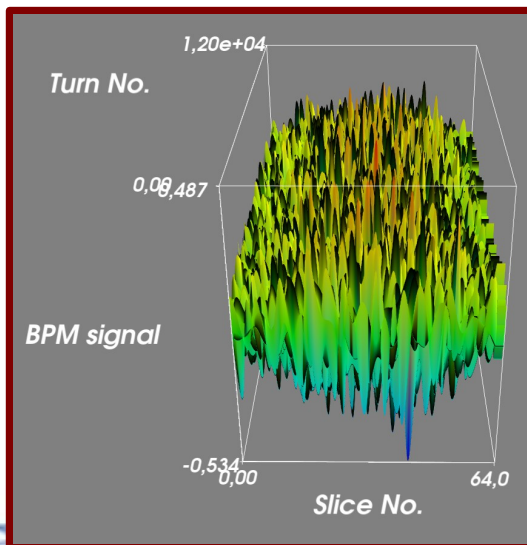
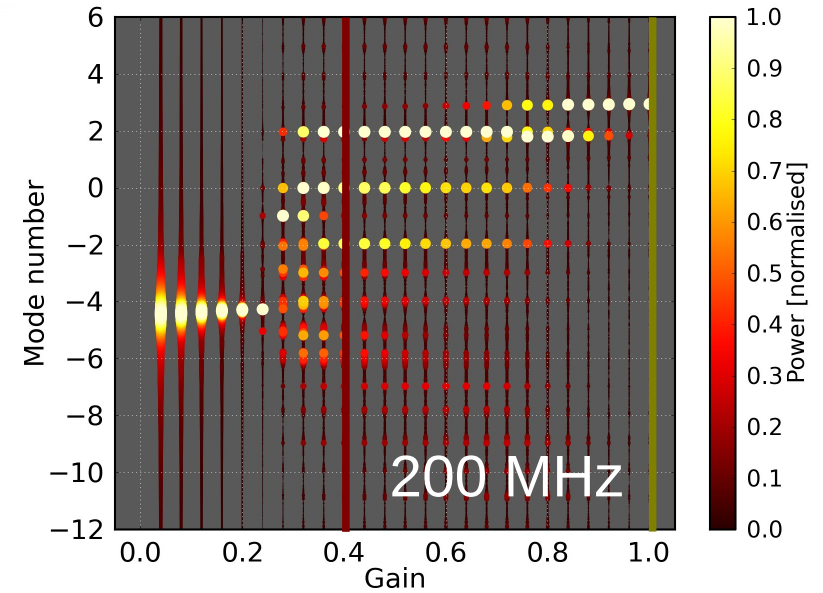
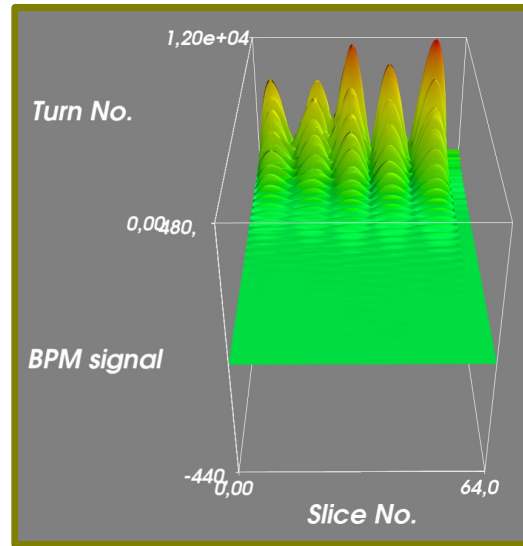
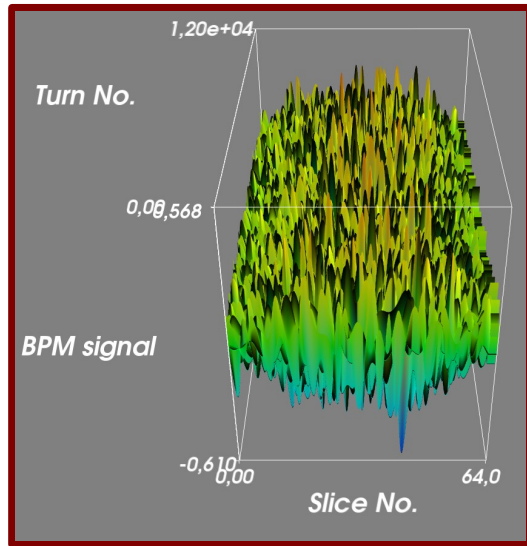
Q26 – I = 1.8e11 – gain scan



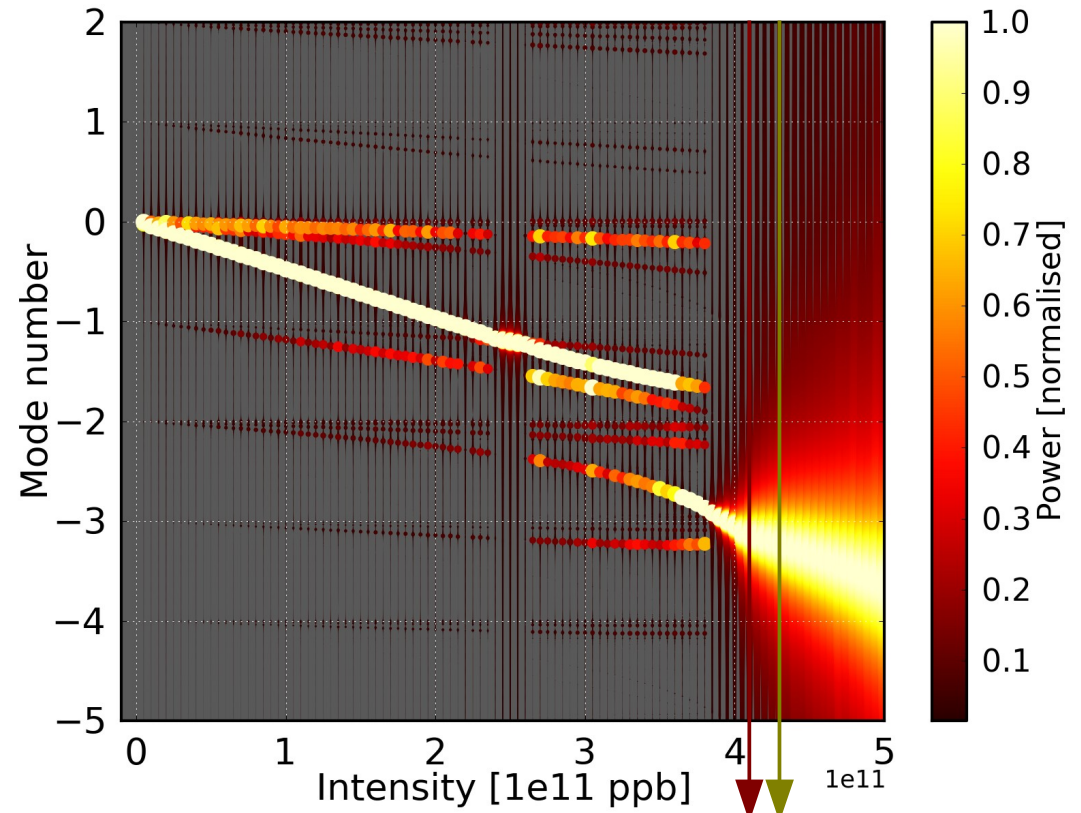
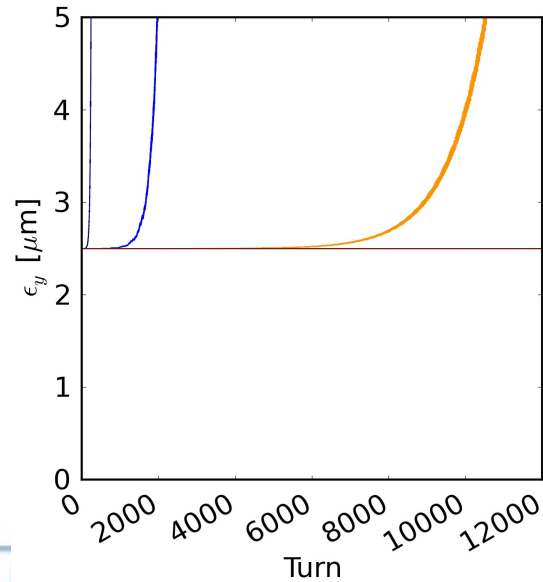
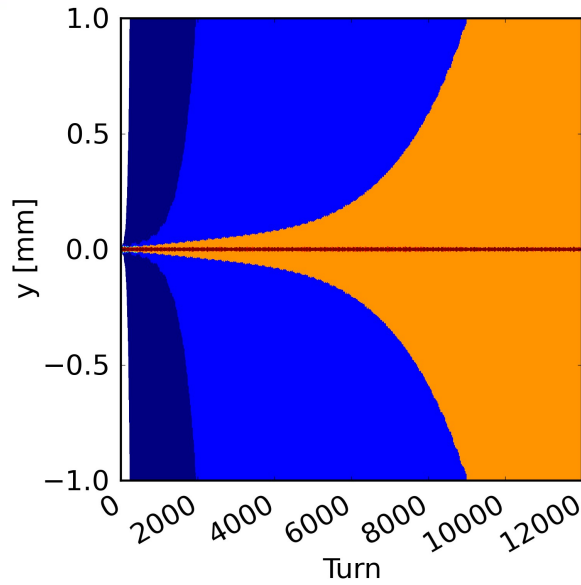
Q26 – I = 1.8e11 – gain scan



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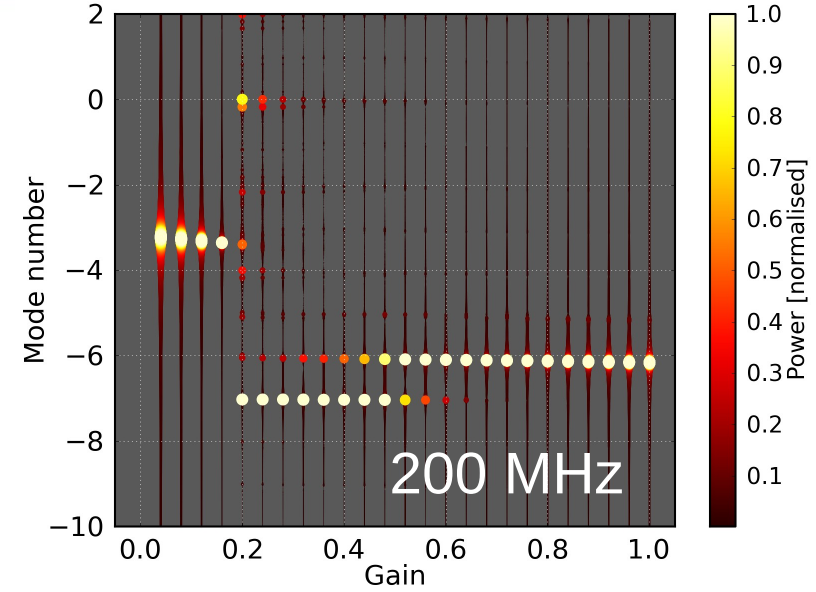
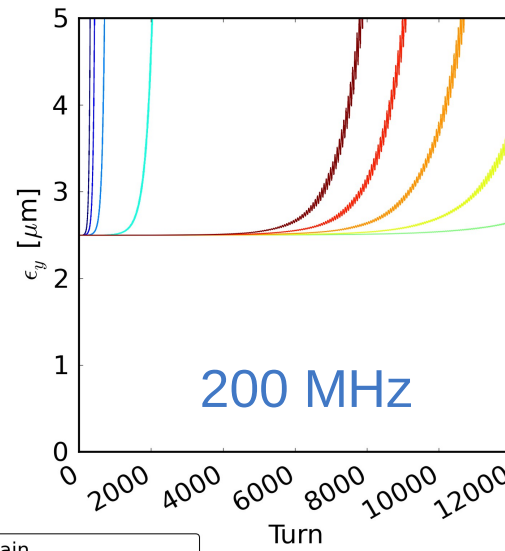
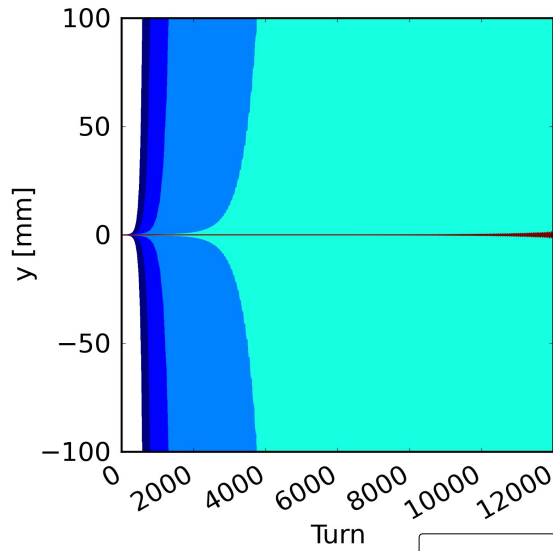
TMCI threshold – Q20



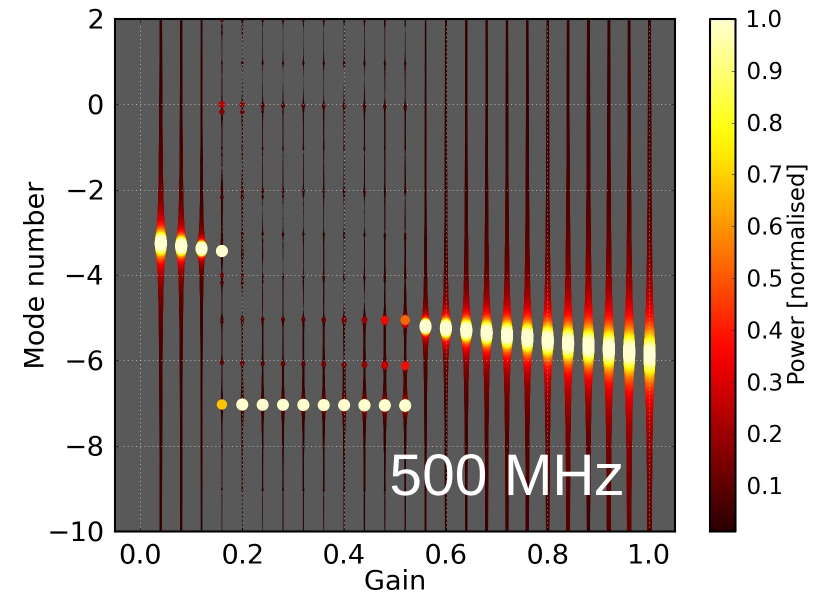
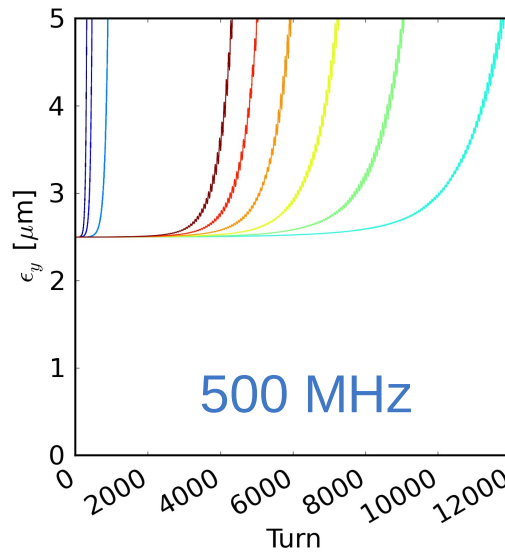
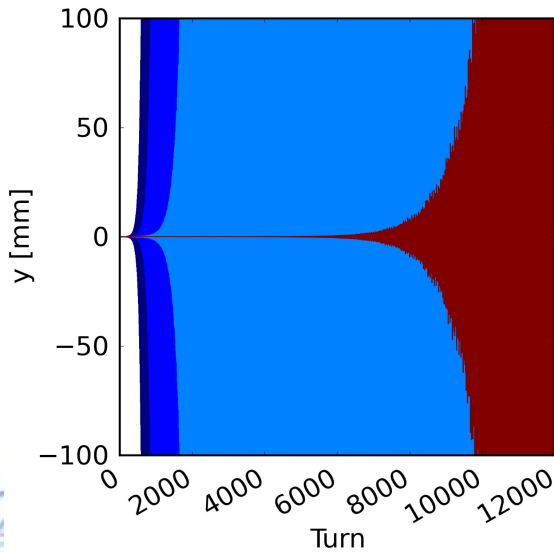
~ 4e11

— 4.2e+11	— 3.3e+11	— 2.4e+11
— 3.9e+11	— 3e+11	— 2.1e+11
— 3.6e+11	— 2.7e+11	— 1.8e+11

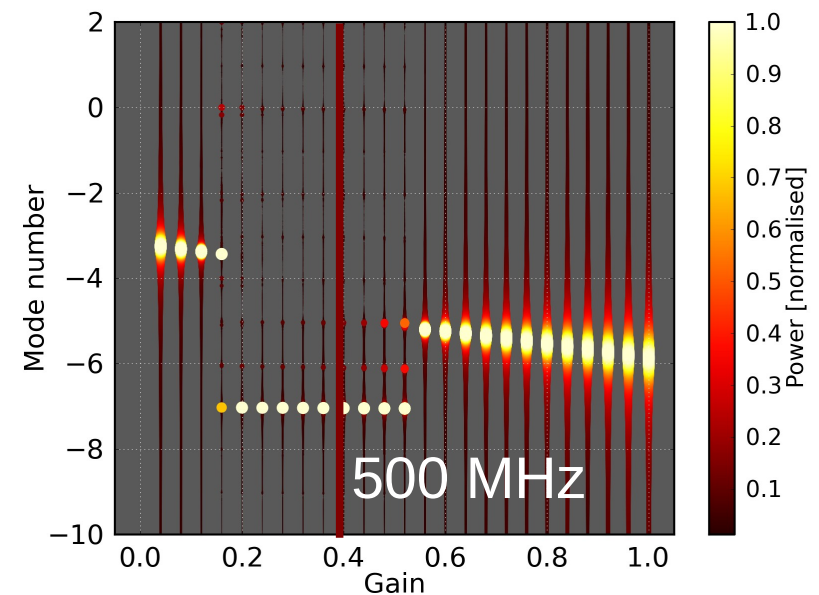
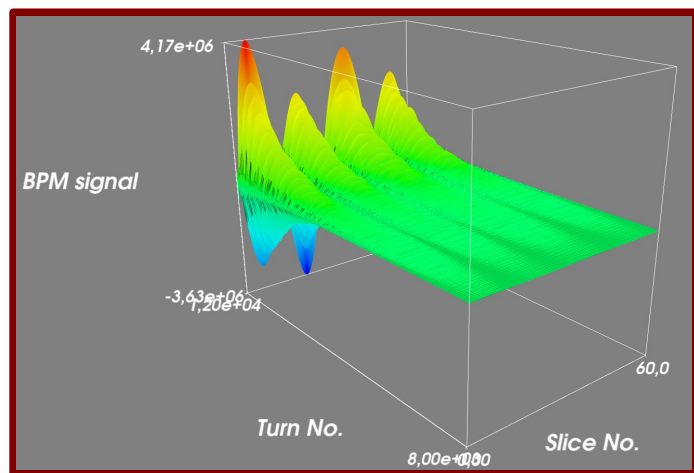
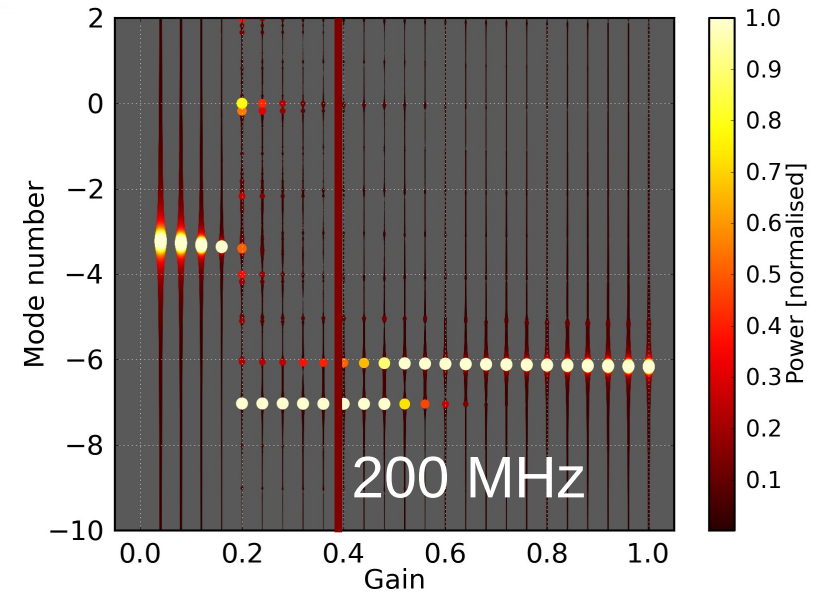
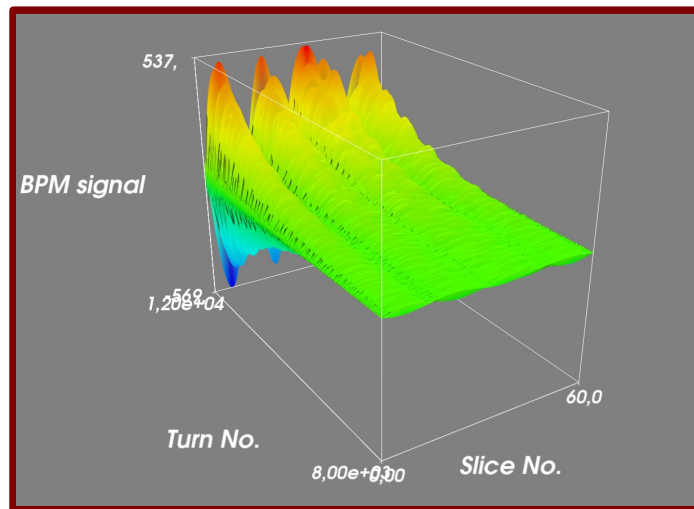
Q20 – I = 4.2e11 – gain scan



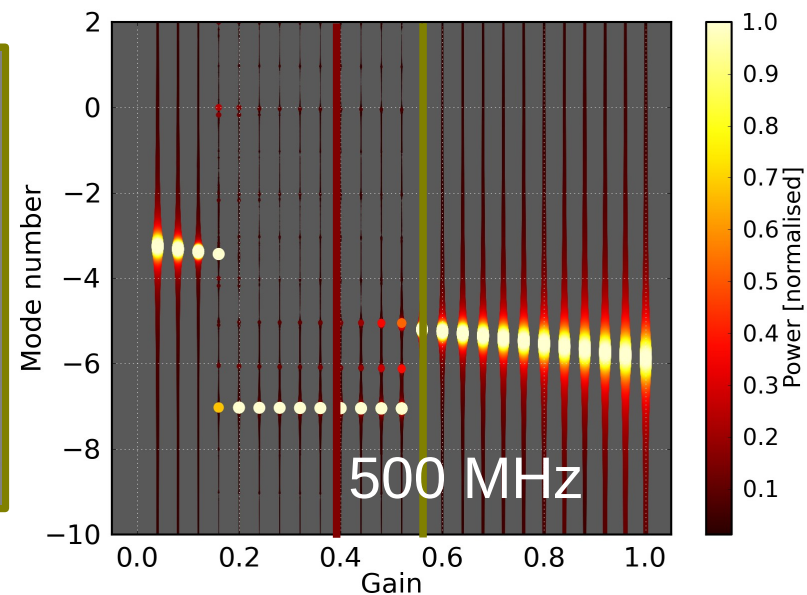
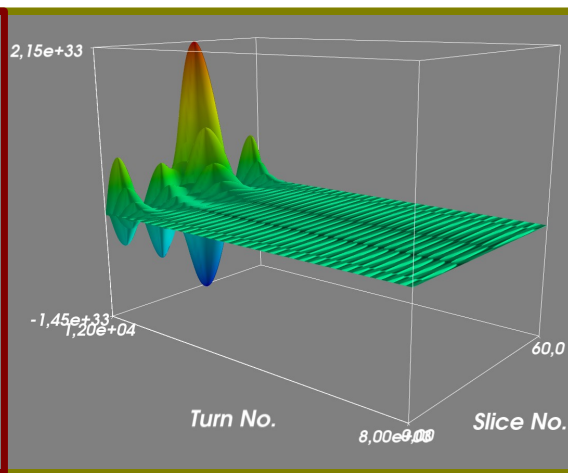
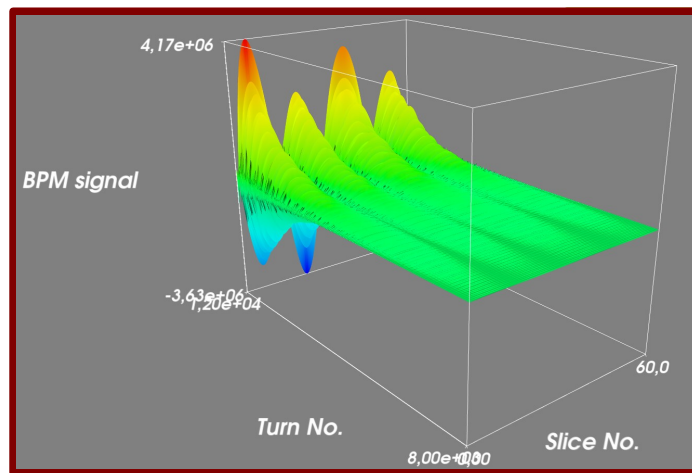
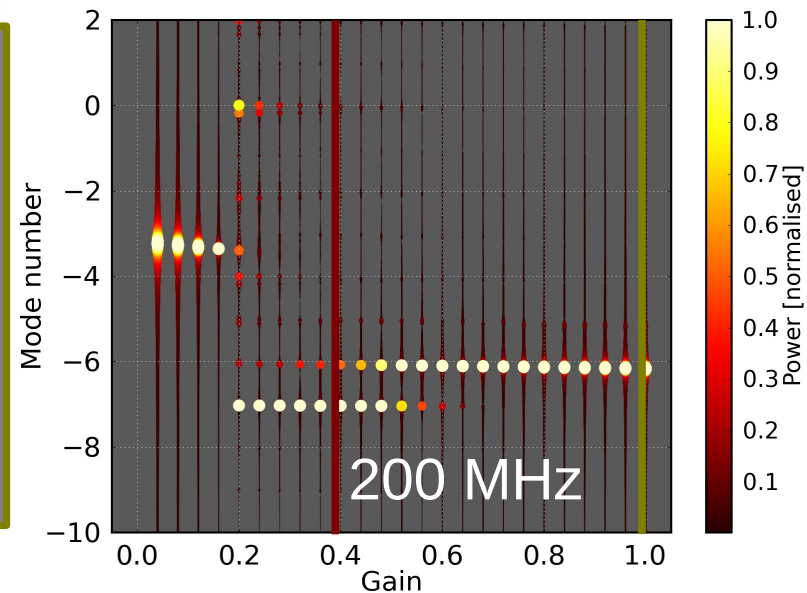
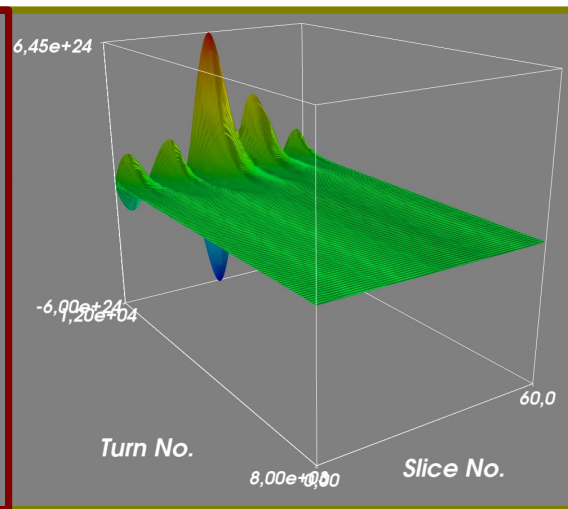
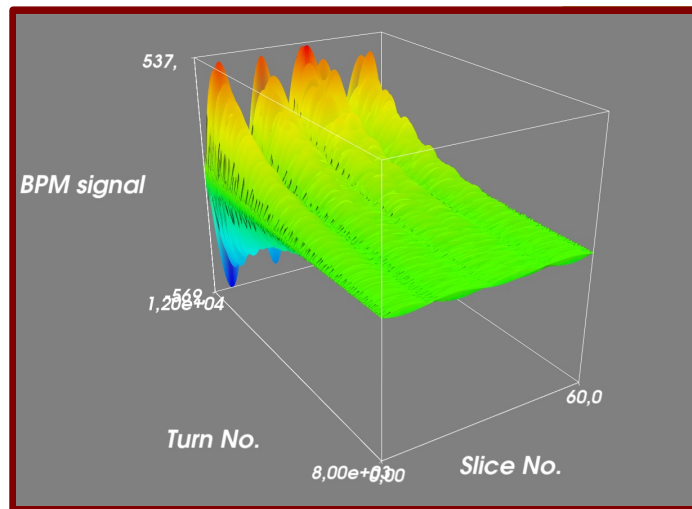
Gain		
0.04	0.16	0.28
0.08	0.2	0.32
0.12	0.24	0.36



Q20 – I = 4.2e11 – gain scan



Q20 – I = 4.2e11 – gain scan



Conclusions

- Realistic feedback systems contain peculiarities and limitations
- Realistic simulations should include these features
- We have demonstrated
 - Examples of the effect of bandwidth limitations
 - Examples of digital filter design and implementation
 - Reduced model analysis
 - Multi-particle simulations of TMCI with wideband feedback
- Further studies include
 - Impact of noise
 - Impact of amplifier saturation