

Study of $B^\pm \rightarrow D^0(K_s \pi^+ \pi^-)K^\pm$ Dalitz decay and Sensitivity to γ in LHCb

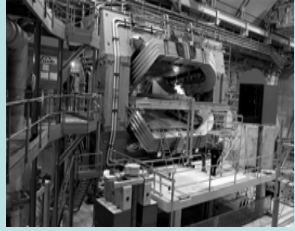
IOP HEPP Particle Physics 2008
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Details found in LHCb public note: LHCb-48-2007



Introduction

Introduction

$B \rightarrow D^0 K$

Annual yield

Backgrounds

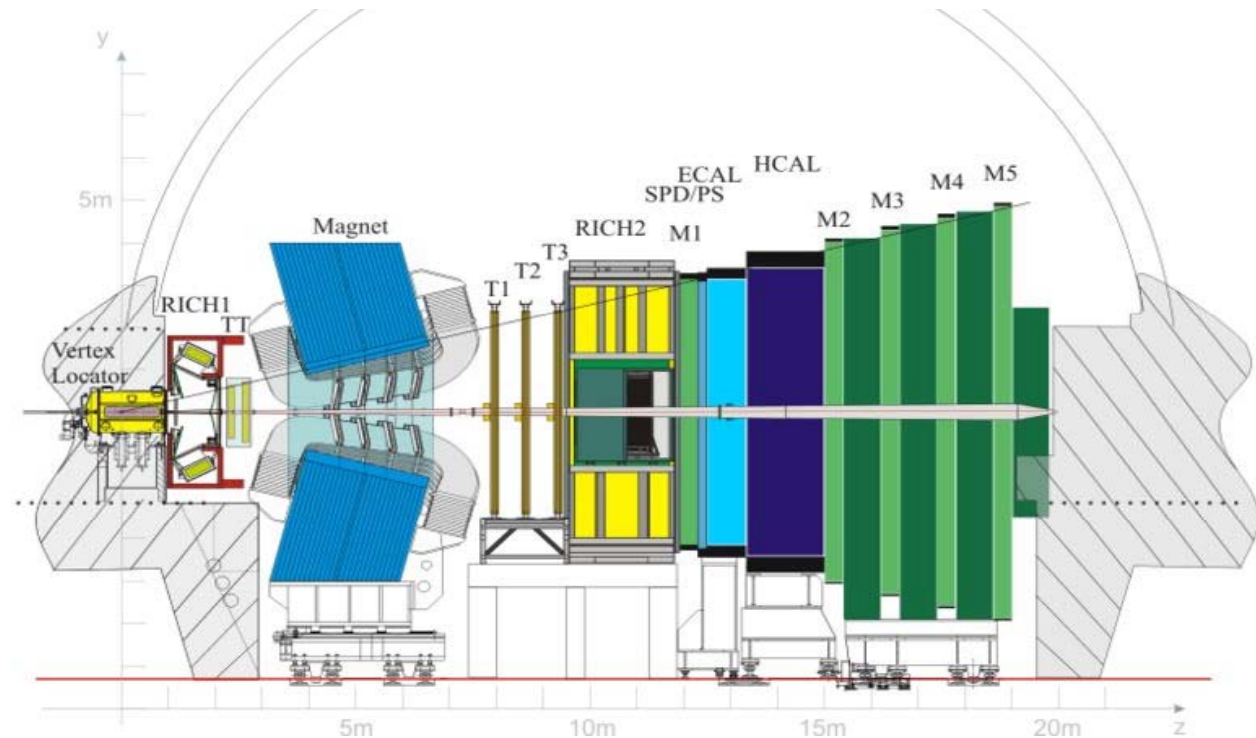
B/S ratios

Dalitz plane

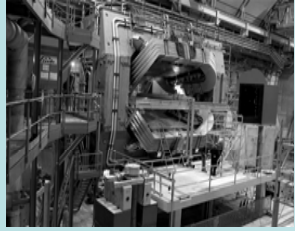
Sensitivity

Cartesian coordinates

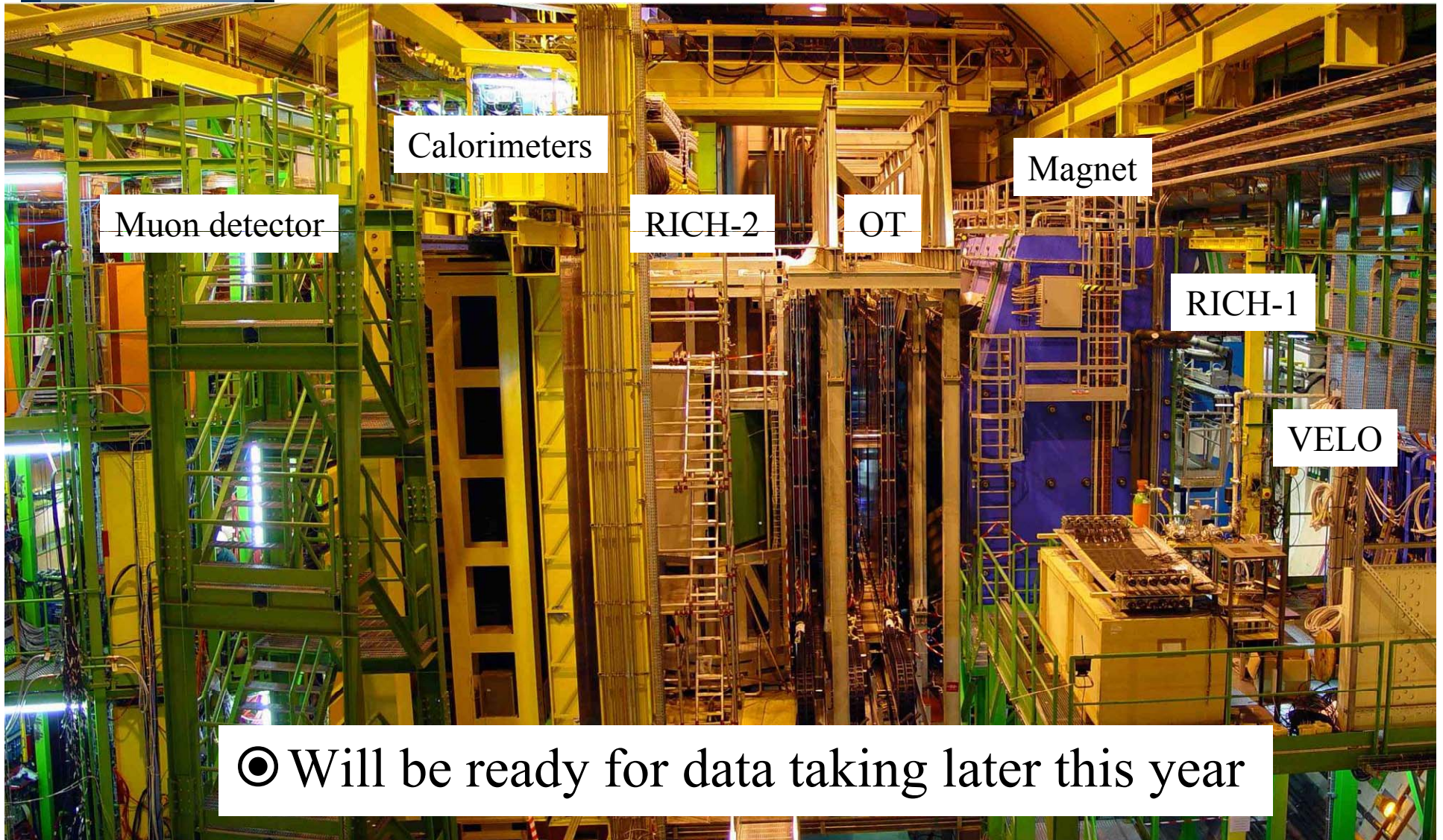
Summary

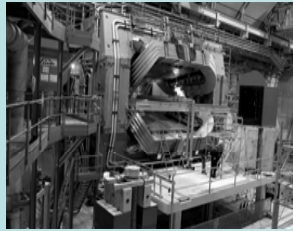


- ◎ LHCb is the dedicated **B physics** detector at the LHC
 - integrated **luminosity of 2fb^{-1} per year**, $\sigma_{b\bar{b}} = 500\mu\text{b}$
 - **10^{12} $b\bar{b}$ pairs per year.**
- ◎ One of its main goals is to study CP violation



LHCb current status





B \rightarrow D⁰/ \bar{D}^0 (K_sπ⁺π⁻)K

Introduction

B \rightarrow D⁰K

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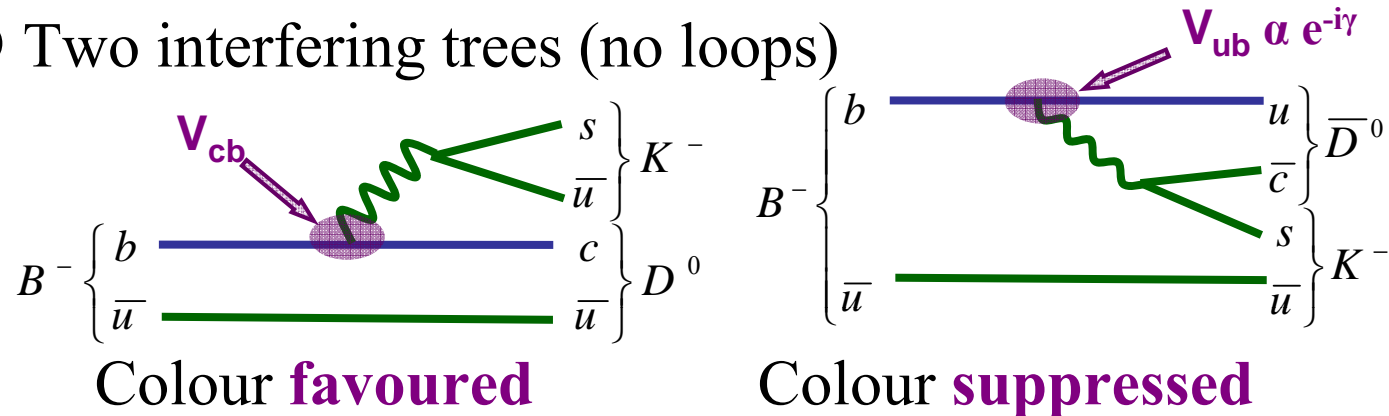
Dalitz plane

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Summary

- Two interfering trees (no loops)



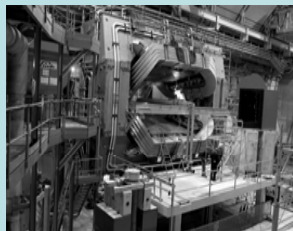
- Same final decay mode of D⁰/ \bar{D}^0 \rightarrow K_sπ⁺π⁻ produce interference effects

$$\frac{A(B^- \rightarrow \bar{D}^0 K^-)}{A(B^- \rightarrow D^0 K^-)} = r_B e^{i\delta} e^{-i\gamma}$$

$r_B = (V_{ub} V_{cs}^* / V_{cb} V_{us}^*) f_c$

γ the unitary triangle CP angle, from b \rightarrow c, b \rightarrow u interference
 δ the CP conserving strong phase

- All three parameters can be extracted by fitting the amplitudes in the Dalitz plane of the D⁰ decay



Signal annual yield

Introduction

$B \rightarrow D^0 K$

Annual yield

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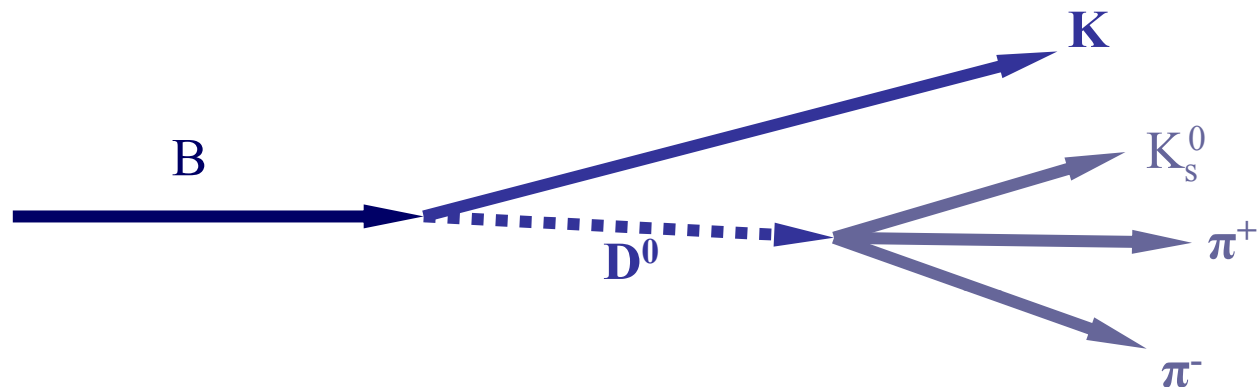
B/S ratios

Dalitz plane

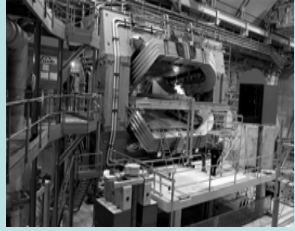
Sensitivity

Cartesian
coordinates

Summary



- ◎ Selection cuts (p_T , vertex χ^2 , Δmass etc...) applied to
 - MC data at 2fb^{-1} , sample size of **0.4M events**
 - Few min of data taking
- ◎ Maximises the $S/\sqrt{(B+S)}$ ratio
- ◎ No triggers applied, but expected $\epsilon_{\text{trigger}} \sim 40\%$
- ◎ Selection efficiency: **(0.86 0.03) %**
- ◎ Purity: **95.1%**
- ◎ Estimated annual yield: **~10K events/yr**



Four background types

Introduction

$B \rightarrow D^0 K$

Annual yield

Backgrounds

B/S ratios

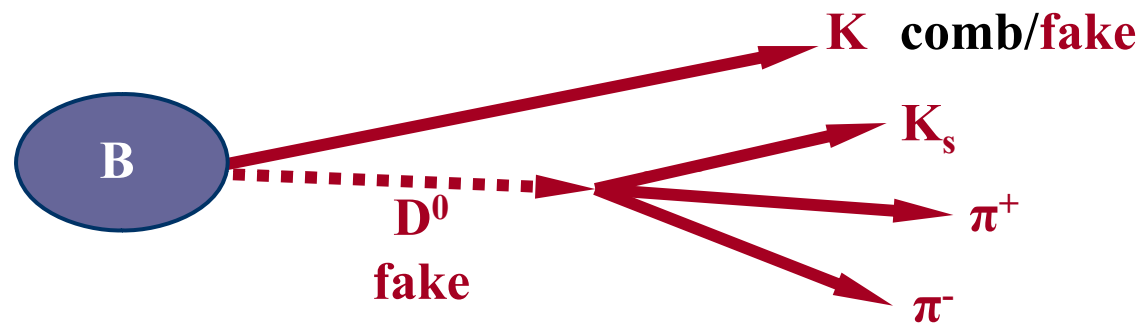
Dalitz plane

Sensitivity

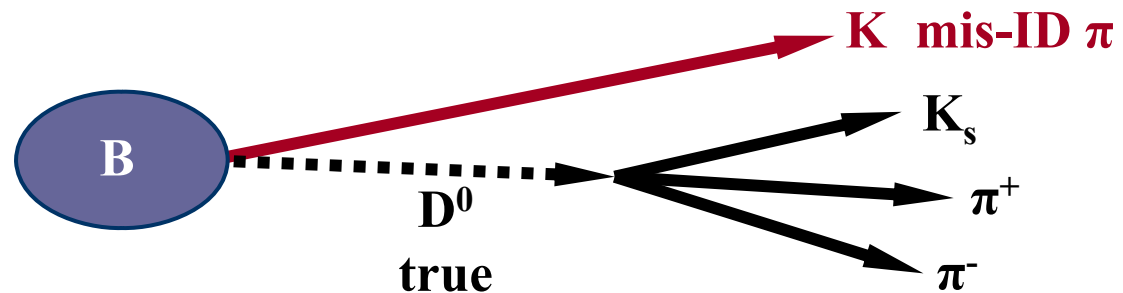
Cartesian
coordinates

Summary

1. Pure combinatoric



2. $D\pi$ background





Four background types

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B/S ratios

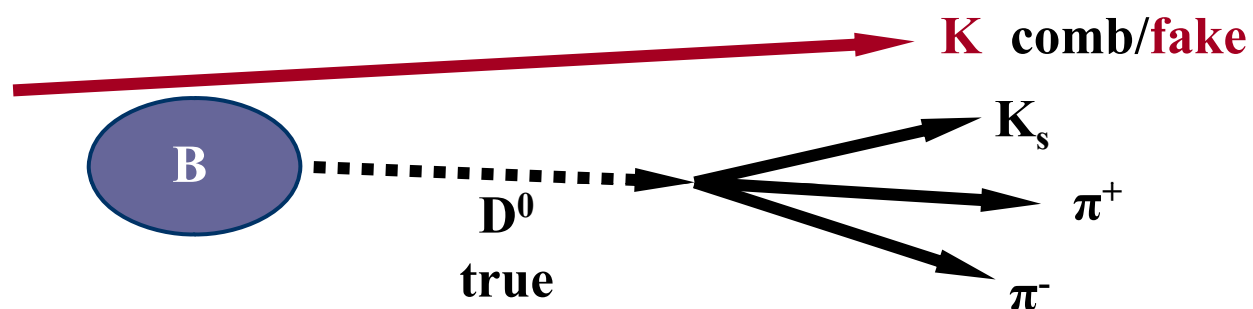
Dalitz plane

Sensitivity

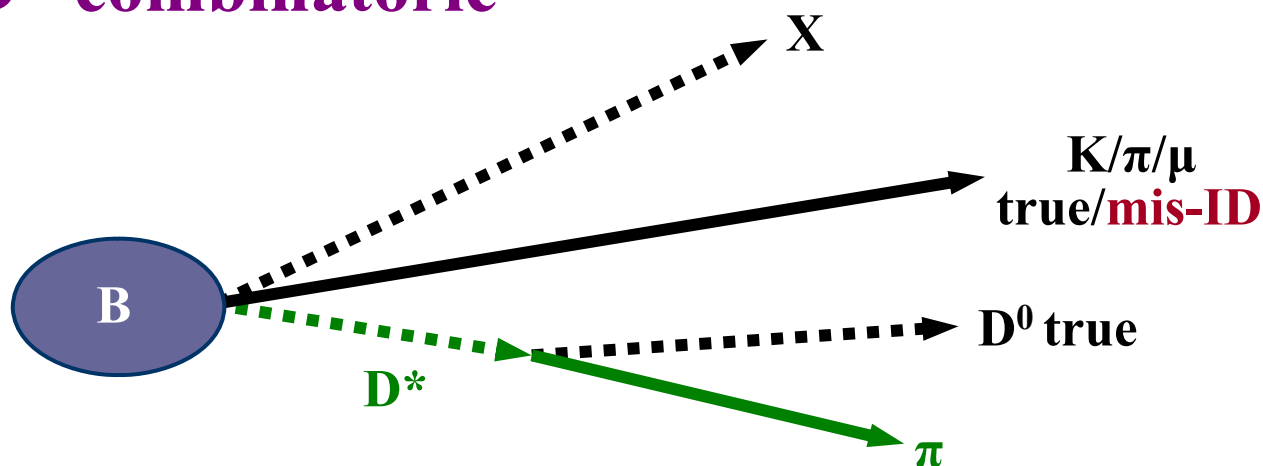
Cartesian coordinates

Summary

3. DK combinatoric



4. D^* combinatoric





B/S ratios

- Introduction
- B \rightarrow D 0 K
- Annual yield
- Backgrounds
- B/S ratios**
- Dalitz plane
- Sensitivity
- Cartesian coordinates
- Summary

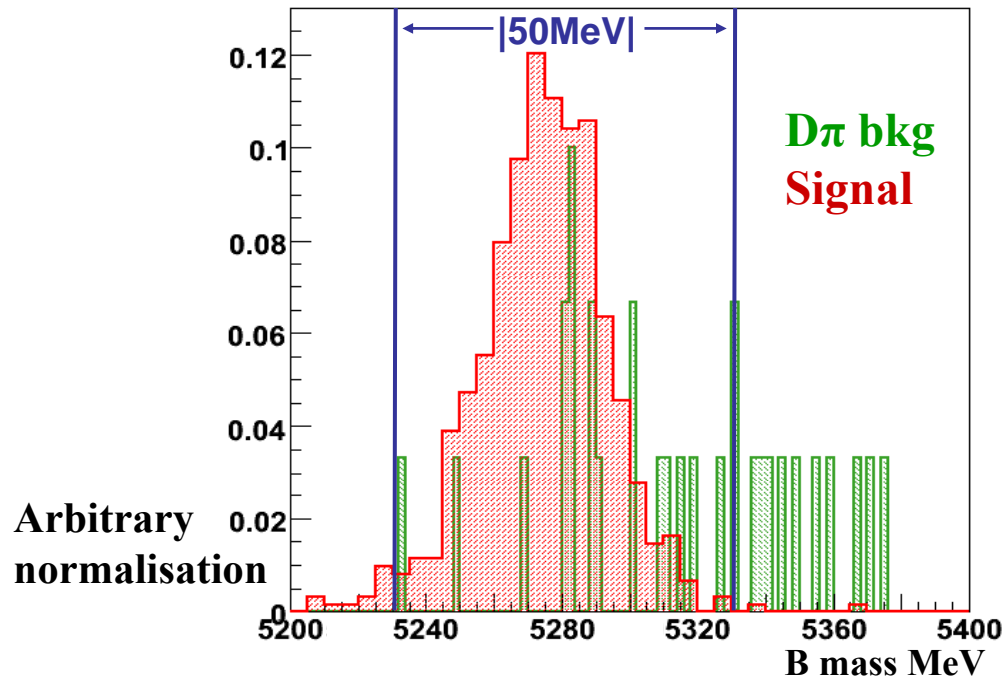
1. Pure combinatoric

- $b\bar{b}$ gives us the most generic background type

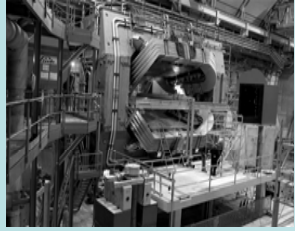
$$B_{b\bar{b}}/S < 0.7 @ 90\%C.L$$

2. D π background

- Dedicated MC sample of **5K events**



$$B_{D\pi}/S = 0.24 \quad 0.06$$



B/S ratios

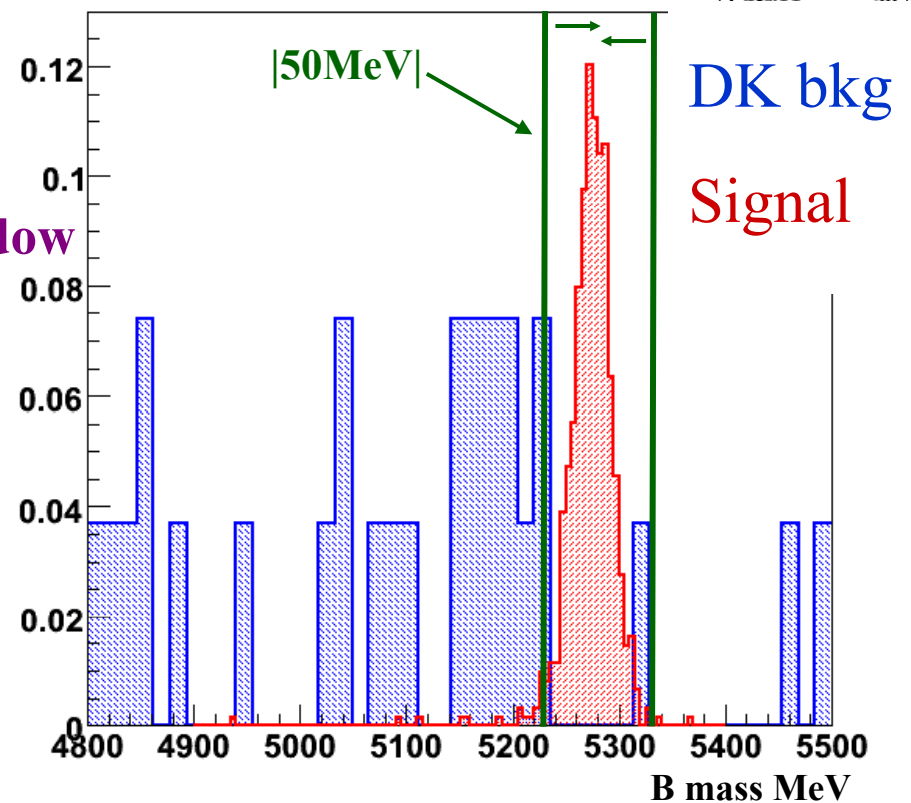
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- Annual yield
- Backgrounds
- B/S ratios**
- Dalitz plane
- Sensitivity
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- Summary

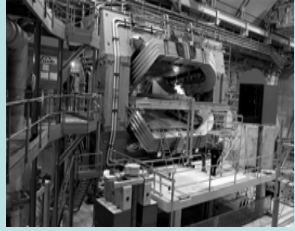
3. DK background

- Estimated from large sample of **B \rightarrow D*(D⁰(HH) π)X**
- We use the D* sample as a source of true D⁰
- Look at frequency of this being **paired with a random or fake K**
- Mother mass lands in the **B mass window**

$$B_{DK}/S = 0.22 \quad 0.01$$

Arbitrary
normalisation

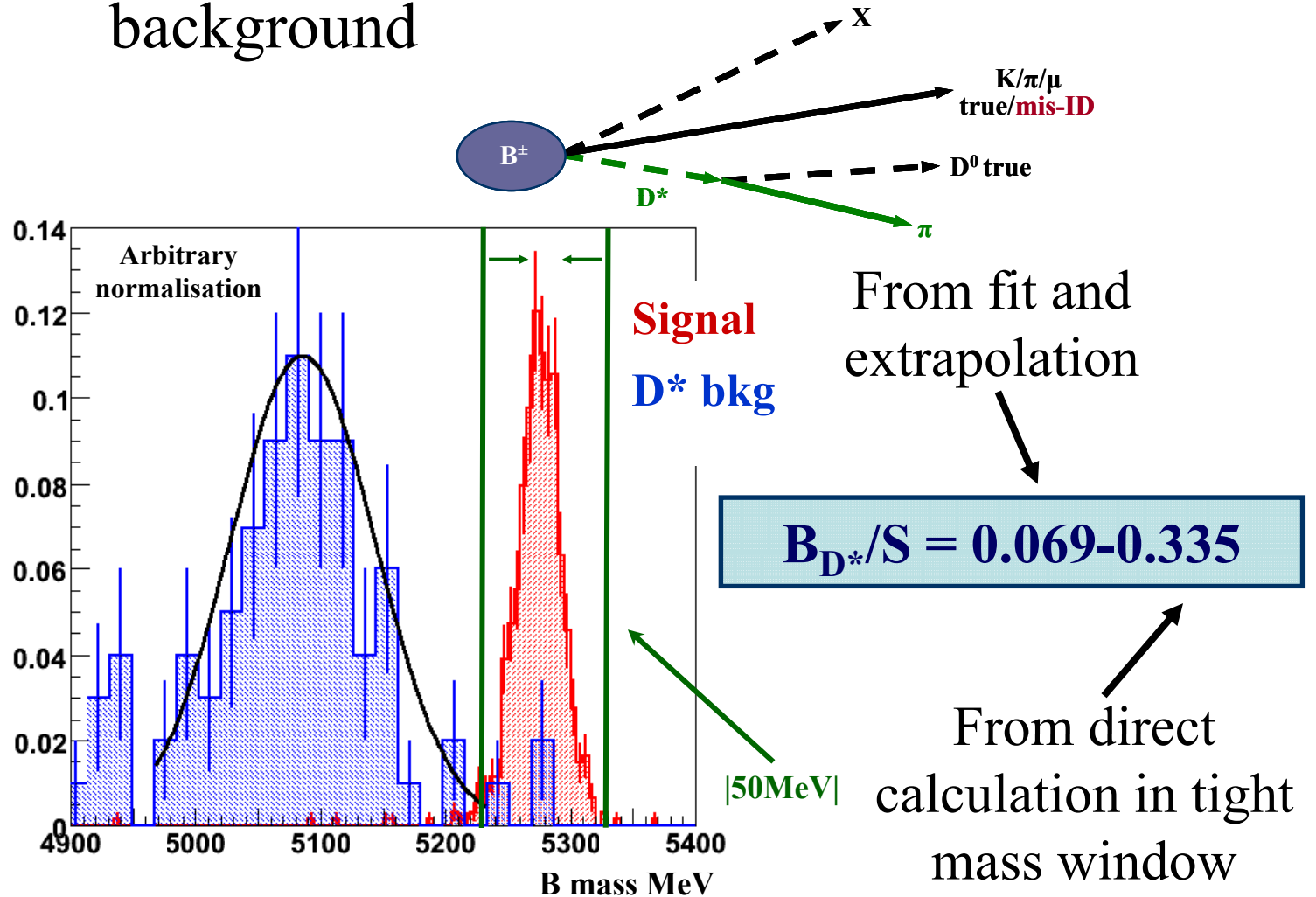


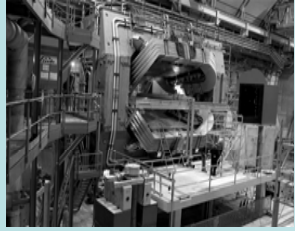


B/S ratios

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4. From same D^* sample also extract the D^* background

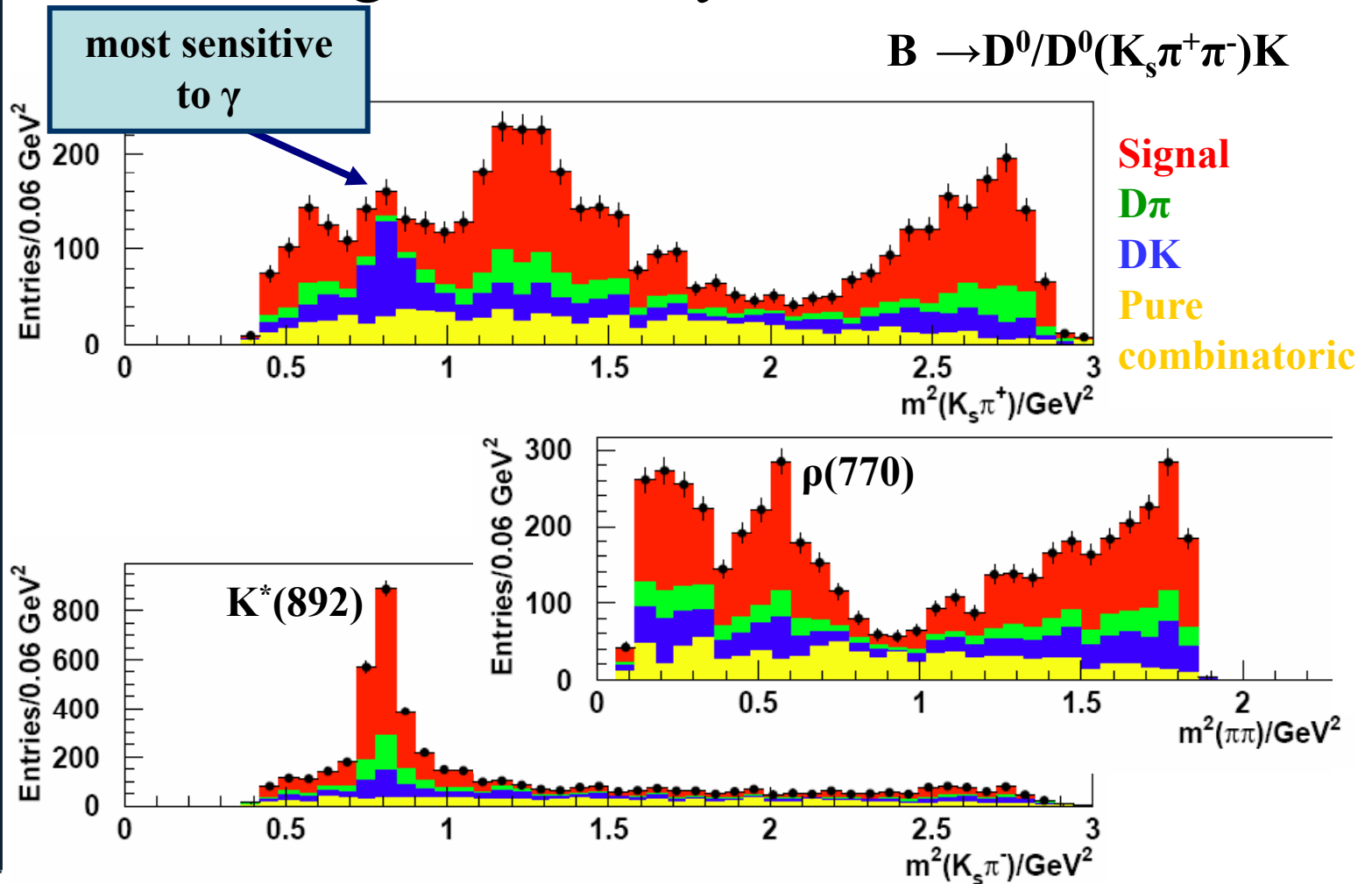




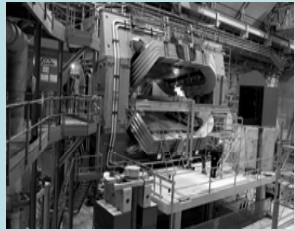
Background on Dalitz plane

- Introduction
- $B \rightarrow D^0 K$
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⊙ D^* background not yet included



Sensitivity



Introduction

$B \rightarrow D^0 K$

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Summary

- ◎ γ most sensitive to DK background
 - set $B_{DK}/S = 0.7$, $B_{D\pi}/S = 0.24$
 - D^* background yet to be added
- ◎ Two models (Belle + BaBar) used to fit the Dalitz plot
 - Both model dependent methods of extracting γ
 - S. Brisbane will show model independent method
 - Unbinned maximum likelihood fit
 - 500 toy MC

Fit scenario	$\sigma(\gamma)$	$\sigma(r_B)$	$\sigma(\delta)$
No background	6	0.01	6
$2\text{fb}^{-1} + \text{bkg}$	12	0.02	11
$10\text{fb}^{-1} + \text{bkg}$	5	0.009	5

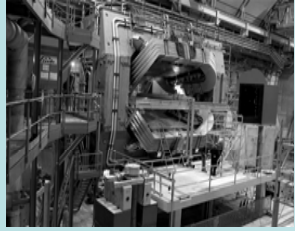
Input:

$\gamma=60$, $r_B=0.1$, $\delta=130^\circ$

Belle: $\gamma = (76_{-13}^{+12} \text{ (stat)} \ 4 \text{ (syst)} \ 9 \text{ (model)})$

BaBar: $\gamma = (76_{-24}^{+23} \text{ (syst+stat)})$

Moriond



Cartesian coordinates

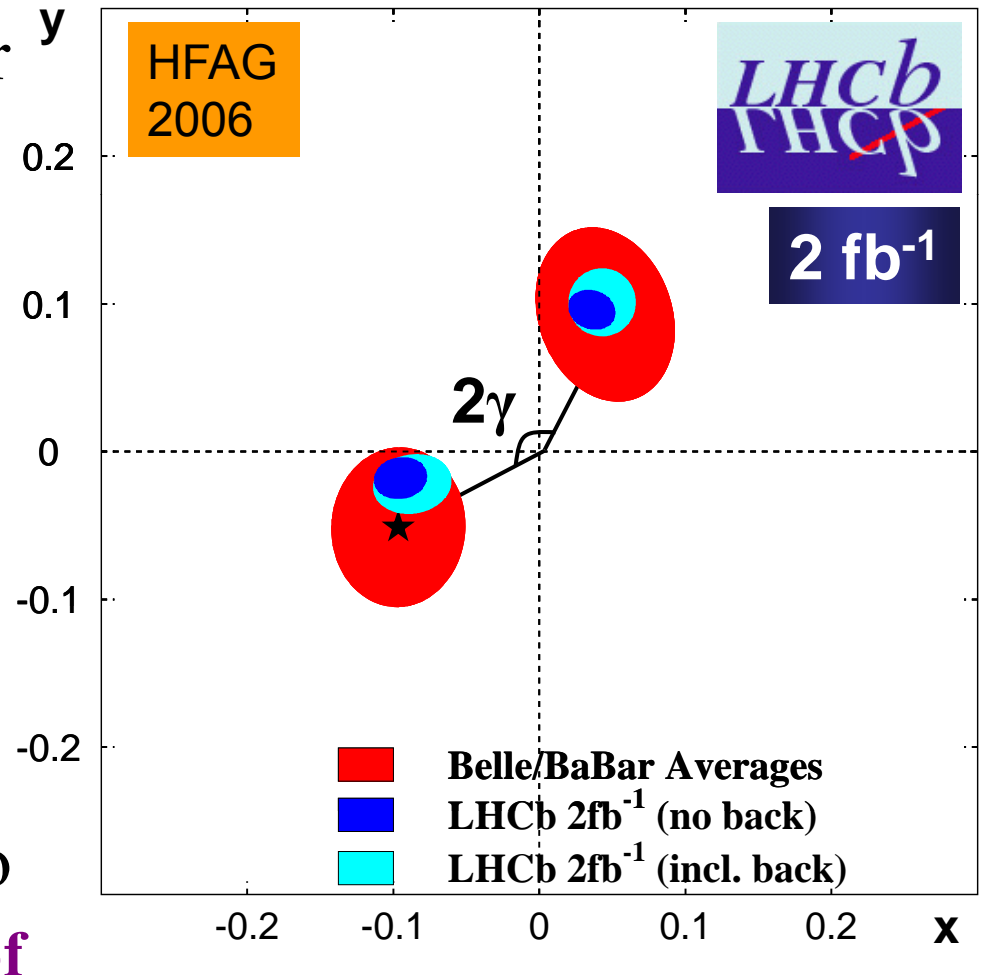
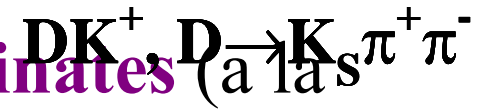
- Introduction
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- Cartesian coordinates**
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- ◎ Fit using **cartesian coordinates** (a la Belle/BaBar) for comparison

- ◎ **4 parameters**

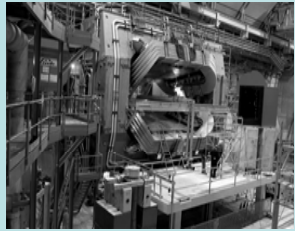
$$\begin{aligned}
 x_{\pm} &= r_{B\pm} \cos(\pm\gamma + \delta) \\
 y_{\pm} &= r_{B\pm} \sin(\pm\gamma + \delta)
 \end{aligned}$$

- ◎ Contours give:
 - 2Δ(ln L) = Δχ² = 1
- ◎ corresponding to **60.7% CL for 2 dof**



Contours give $-2\Delta(\ln L) = \Delta\chi^2 = 1$, corresponding to 60.7% CL for 2 dof

Summary



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Summary

◎ Majority of LHCb detector is in place, and **will be ready for data taking.**

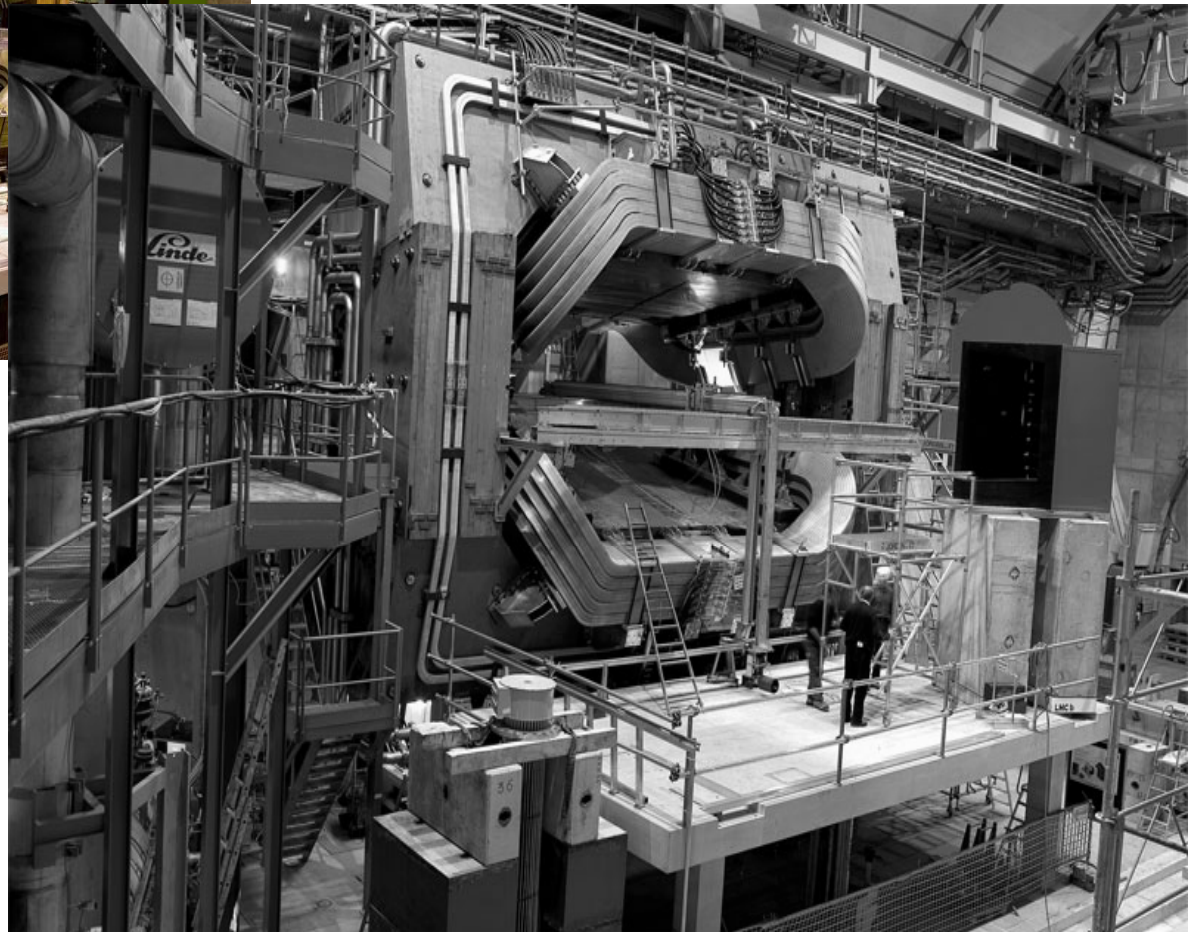
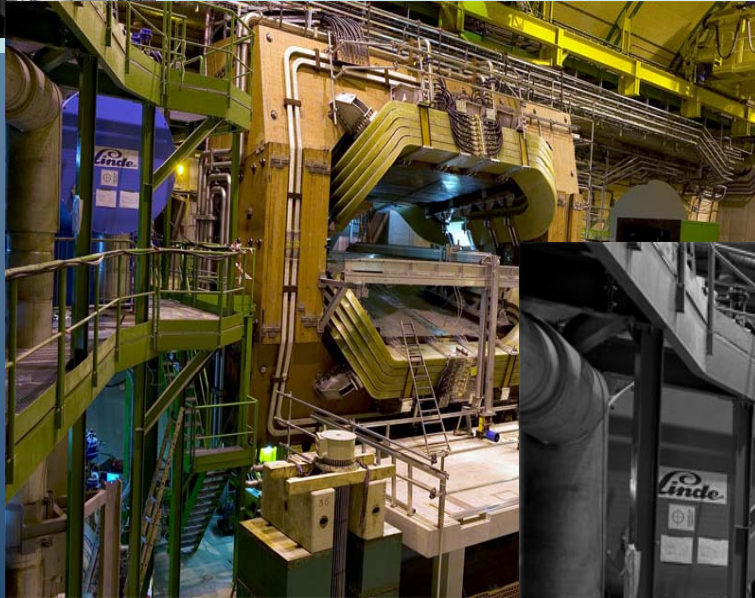
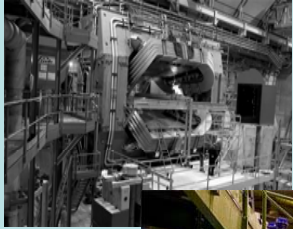
◎ Preparation to measure CKM angle γ from the decay:



at LHCb is well in advanced.

◎ LHCb is set to make **precise measurements of γ with the first data.**

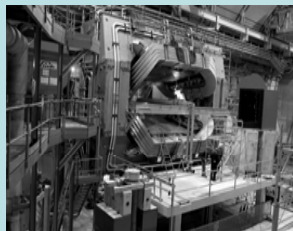
Spare Slides





Signal tight selection cuts

Particle	DD Cut	LL Cut
D⁰ daughters: K_s	Pt > 1.2 GeV	> 1.0 GeV
D⁰ daughters: π	Pt > 0.4 GeV	
D⁰ candidates	mass-1864 < 40MeV	< 30 MeV
	Vertex χ^2 < 25	< 15
	Pt > 2.0 GeV	
	PV SIPS > 1.5	
	D ⁰ - K _s distance > 10mm	
	D ⁰ -B SIPS < 2	
	cosθ _D > 0.9998	
Bachelor K	Pt > 0.7 GeV	
	PV SIPS > 4	
	ΔLLKπ > 2, ΔLLKp > -2	
B candidates	mass-5279 < 50 MeV	< 35 MeV
	cosθ _B > 0.9999	
	Vertex χ^2 < 6	
	Vertex < 5 additional tracks within 2σIP	
	Pt > 4.0 GeV	> 3.5 GeV
	PV SIPS < 4	



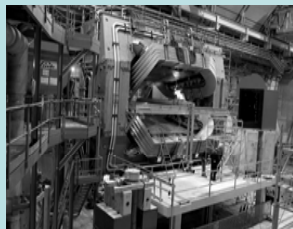
Selection cuts for D^* sample

Particle	DD Cut	LL Cut
D^0 daughters: Ks	$Pt > 1.2 \text{ GeV}$	$> 1.0 \text{ GeV}$
D^0 daughters: π	$Pt > 0.4 \text{ GeV}$	
D^0 candidates	$ mass-1864 < 40 \text{ MeV}$	$< 30 \text{ MeV}$
	Vertex $\chi^2 < 25$	< 15
	$Pt > 2.0 \text{ GeV}$	
	PV SIPS > 1.5	
	$D0 - Ks \text{ distance} > 10 \text{ mm}$	
	$D0 - B \text{ SIPS} < 2$	
	$\cos\theta_D > 0.9998$	
Bachelor K	$Pt > 0.7 \text{ GeV}$	
	PV SIPS > 4	
	$\Delta LL_{K\pi} > 2, \Delta LL_{Kp} > -2$	
B candidates	$ mass-5279 < 50 \text{ MeV}$	$< 35 \text{ MeV}$
	$\cos\theta_B > 0.9999$	
	Vertex $\chi^2 < 6$	
	Vertex < 5 additional tracks within $2\sigma_{IP}$	
	$Pt > 4.0 \text{ GeV}$	$> 3.5 \text{ GeV}$
	$PV \text{ SIPS} < 4$	

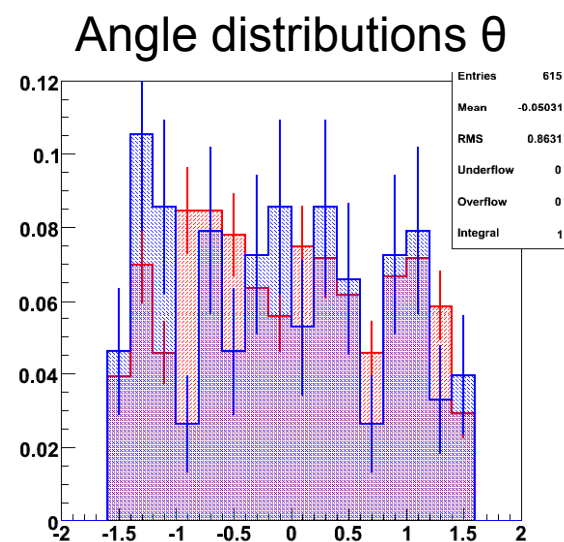
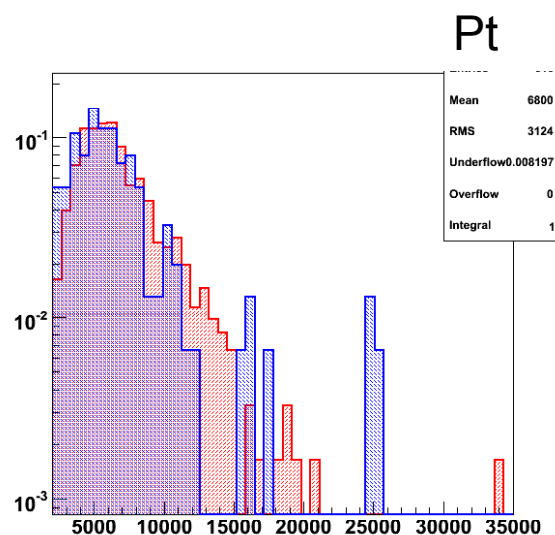
D^* Channel	Cut	
$D^0 \rightarrow K\pi$	K:	π:
$D^0 \rightarrow KK$	$Pt > 0.6 \text{ GeV}$	$Pt > 0.6 \text{ GeV}$
$D^0 \rightarrow \pi\pi$	PV SIPS > 3.0	PV SIPS > 3.0
	$\Delta LL_{K\pi} > -5$	$\Delta LL_{K\pi} > -2, \Delta LL_{Kp} > -5$

Signal	D^*
$ mass-1864 < 15 \text{ MeV}$ at 2σ	$ mass-1864 < 20 \text{ MeV}$ at 2σ

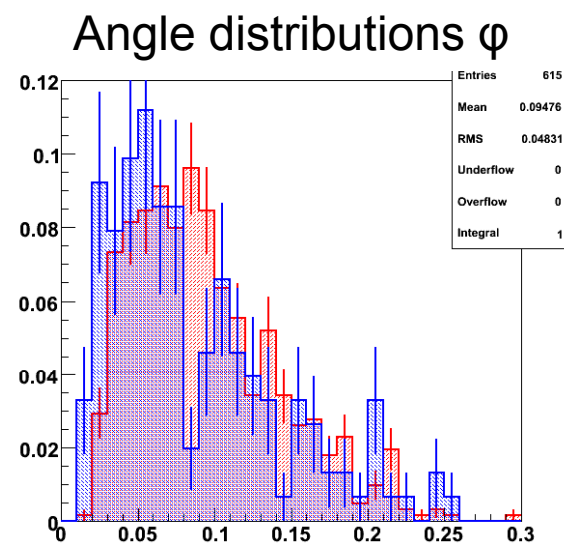
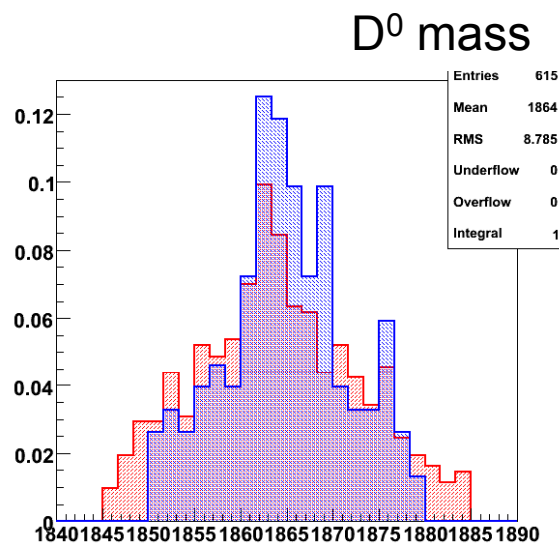
- Change D^0 daughter cuts to ones from (LHCb/2006-066) on D^* sample
- Keep the rest of cuts on D^0 , K and B
 - Taking the **looser cut** between the DD and the LL
 - Take a **2σ cut on D^0 mass**
- Apply same cuts (apart from D^0 daughter cuts) to both Signal and D^* samples
- Look at the tight B mass window and also, a **$10x$ wider B mass window**
 - $B_{|mass-5279|} < 500 \text{ MeV}$

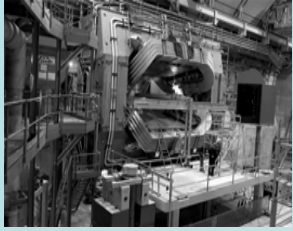


D^0 distribution from D^*



D* sample
Signal sample





Belle/BaBar models

◎ Both isobar models with:

of
resonances

$$f(m_+^2, m_-^2) = \sum_{j=1}^N a_j e^{i\alpha_j} A_j(m_+^2, m_-^2) + b e^{i\beta}$$

amplitude+phase
extracted from
 $D^{*+} \rightarrow D^0 \pi^+$ sample

Breit-Wigner + non-resonant

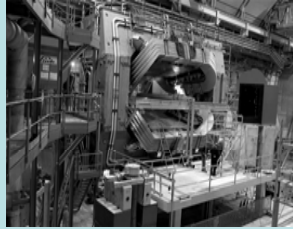
◎ Decay amplitudes:

$$A^- = f(m_-^2, m_+^2) + r_B e^{i(-\gamma+\delta)} f(m_+^2, m_-^2)$$

$$A^+ = f(m_+^2, m_-^2) + r_B e^{i(\gamma+\delta)} f(m_-^2, m_+^2)$$

- $m = K_s \pi$ invariant mass
- $f(m^2, m_m^2)$ Dalitz amplitudes

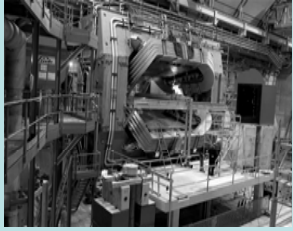
$$|A^-|^2 = |f(m_-^2, m_+^2)|^2 + r_B^2 |f(m_+^2, m_-^2)|^2 + 2r_B \Re(f(m_+^2, m_-^2) f^*(m_-^2, m_+^2) e^{i(-\gamma+\delta)})$$



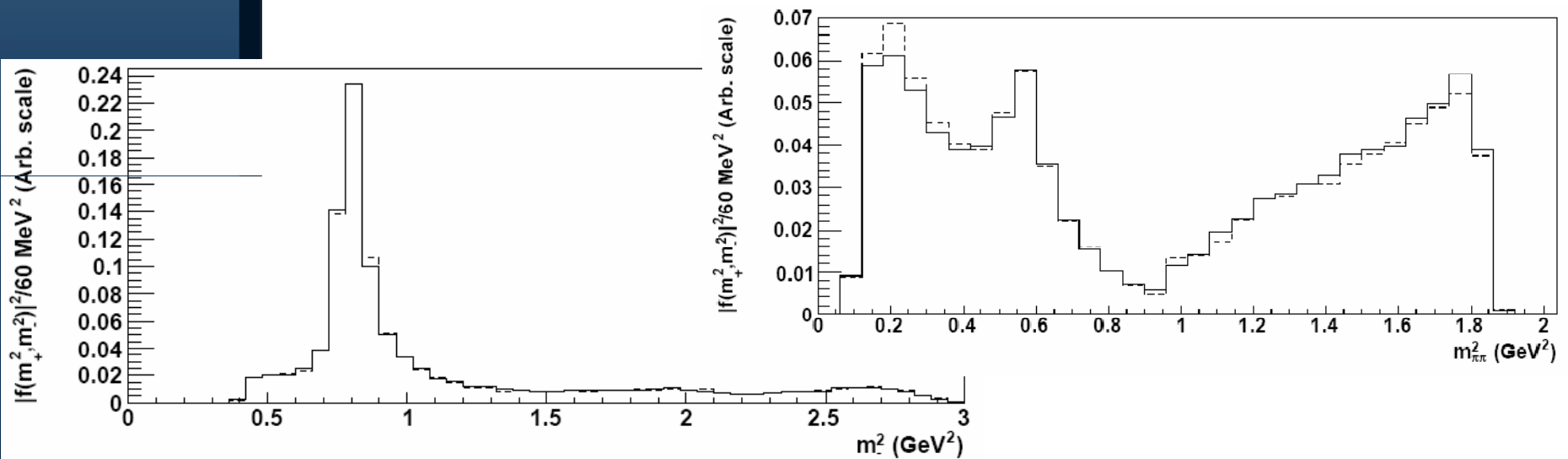
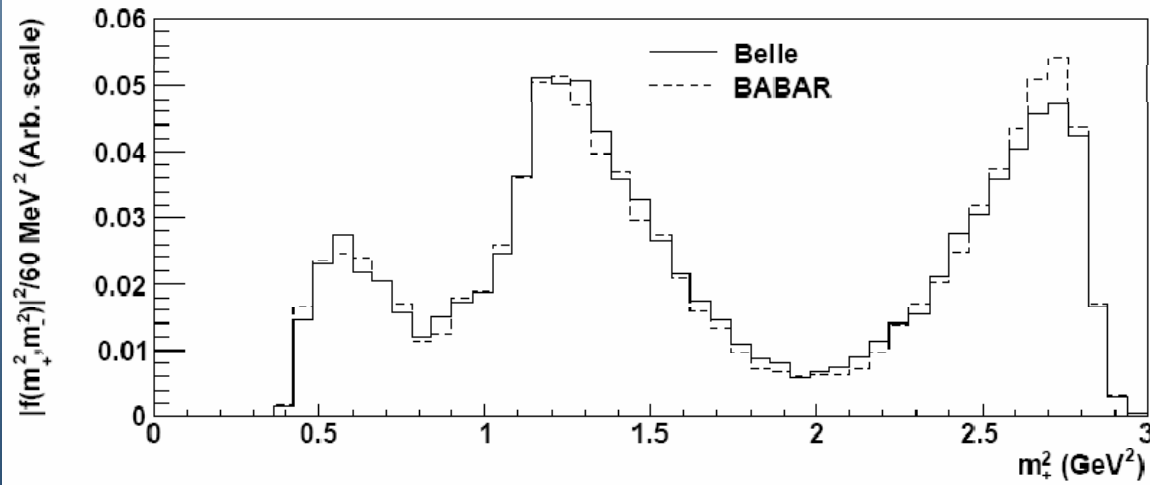
Belle/BaBar models

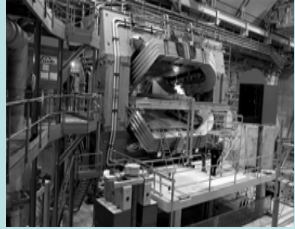
doubly-Cabbibo
suppressed

Resonance	BABAR			BELLE		
	a_r	ϕ_r ($^\circ$)	F_r	a_r	ϕ_r ($^\circ$)	F_r
$K^*(892)^-$	1.781	131.0	0.586	1.621	131.7	0.612
$K_0^*(1430)^-$	2.45	-8.3	0.083	2.15	-11.3	0.074
$K_2^*(1430)^-$	1.05	-54.3	0.027	1.11	-39.5	0.022
$K^*(1410)^-$	0.52	154	0.004	0.22	120	0.001
$K^*(1680)^-$	0.89	-139	0.003	2.34	110	0.004
$K^*(892)^+$	0.180	-44.1	0.006	0.154	-42.3	0.006
$K_0^*(1430)^+$	0.37	18	0.002	0.52	89	0.004
$K_0^*(1430)^+$	0.075	-104	0.000	0.23	-97	0.001
$K_2^*(1410)^+$	-	-	-	0.35	-107	0.001
$K_2^*(1680)^+$	-	-	-	1.3	87	0.001
$\rho(770)$	1 (fixed)	0 (fixed)	0.224	1 (fixed)	0 (fixed)	0.216
$\omega(782)$	0.0391	115.3	0.006	0.0310	113.4	0.004
$f_0(980)$	0.482	-141.8	0.061	0.394	-153	0.049
$f_0(1370)$	2.25	113.2	0.032	1.25	69	0.011
$f_2(1270)$	0.922	-21.3	0.030	1.32	-12	0.015
$\rho(1450)$	0.52	38	0.002	0.89	1	0.004
σ	1.36	-177.9	0.093	1.57	-146	0.098
σ'	0.340	153.0	0.013	0.23	-150	0.006
Non-res.	3.53	128.0	0.073	3.8	157	0.097

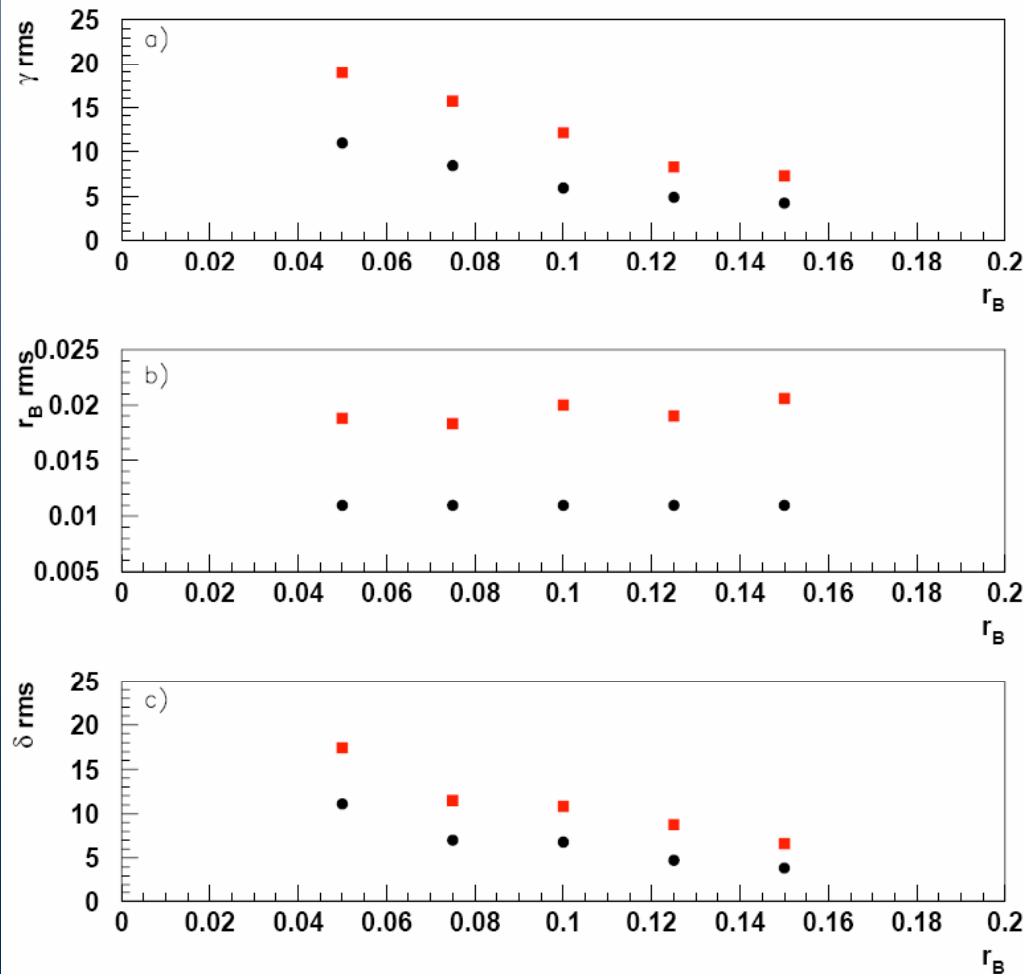


Belle/BaBar models





r.m.s fit error



⊙ Fit error on γ , r_B , δ as a function of r_B

⊙ “Worst case” scenario

Baseline fit ●

Fit with acceptance correction ■