

Evidence for $b \rightarrow d\gamma$ Transitions Using a Sum of Exclusive Final States

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London



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BABARTM

Outline

- Theoretical Motivation
- The BaBar Experiment
- Analysis Overview
- Backgrounds
- Fit Strategy
- Results
- Summary and Future Work

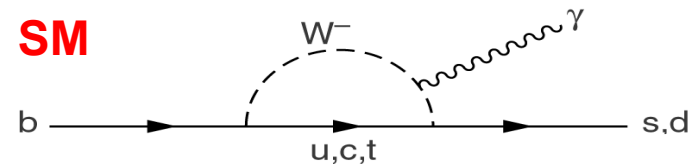


Motivation

- $b \rightarrow d\gamma$ and $b \rightarrow s\gamma$ are FCNC forbidden at tree level in SM
- Leading order processes are **one-loop electroweak penguin** diagrams

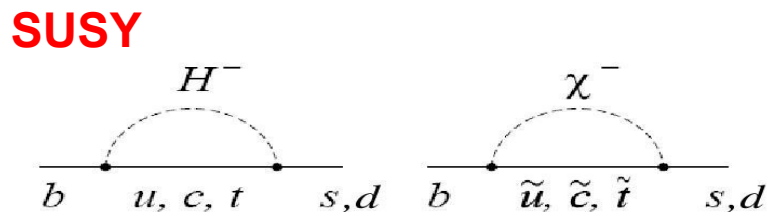
- **SM motivation**

- Ratio of $Br(b \rightarrow d\gamma)/Br(b \rightarrow s\gamma)$ can lead to constraint on CKM elements $|V_{td}/V_{ts}|$



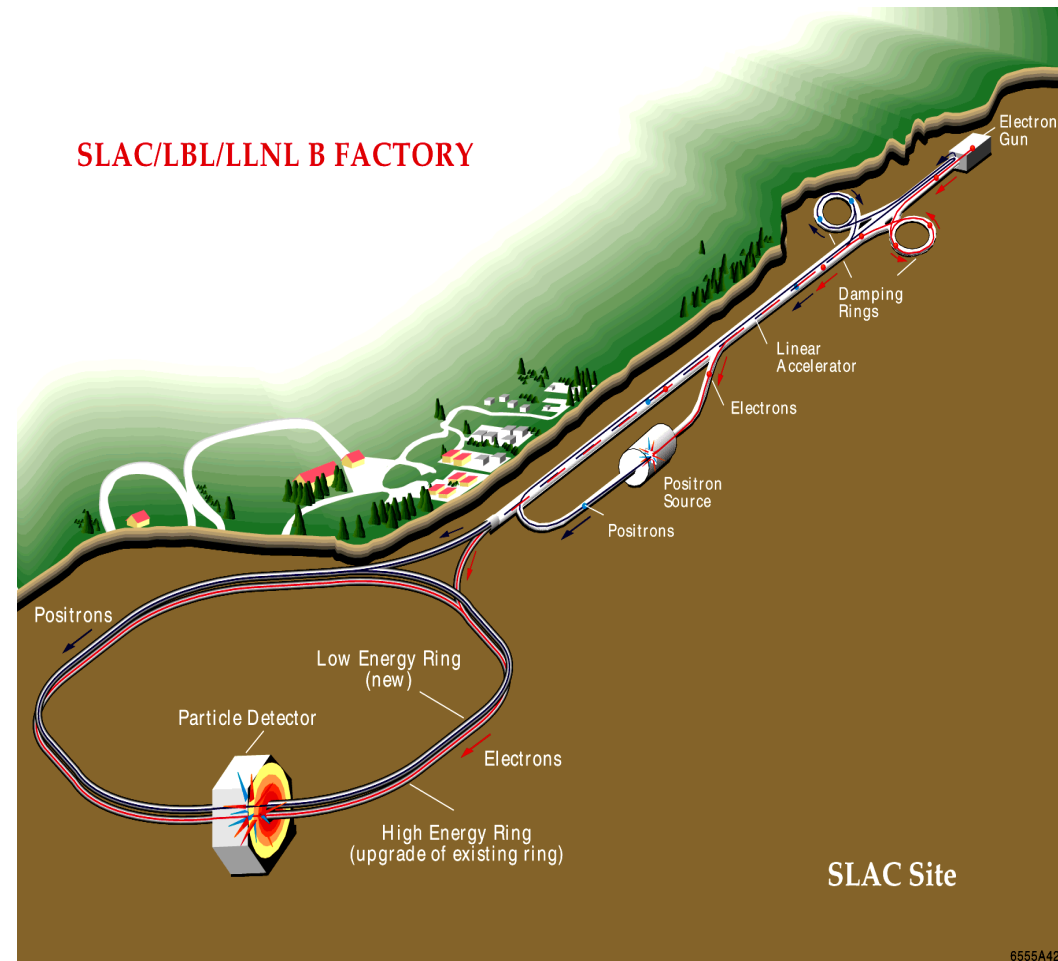
- **NP motivation**

- New virtual particles may contribute to the loop (eg. charged Higgs or chargino and squarks in SUSY)
- SM $Br(b \rightarrow d\gamma)$ is smaller than $Br(b \rightarrow s\gamma)$ due to CKM suppression; could evidence for NP be seen here?



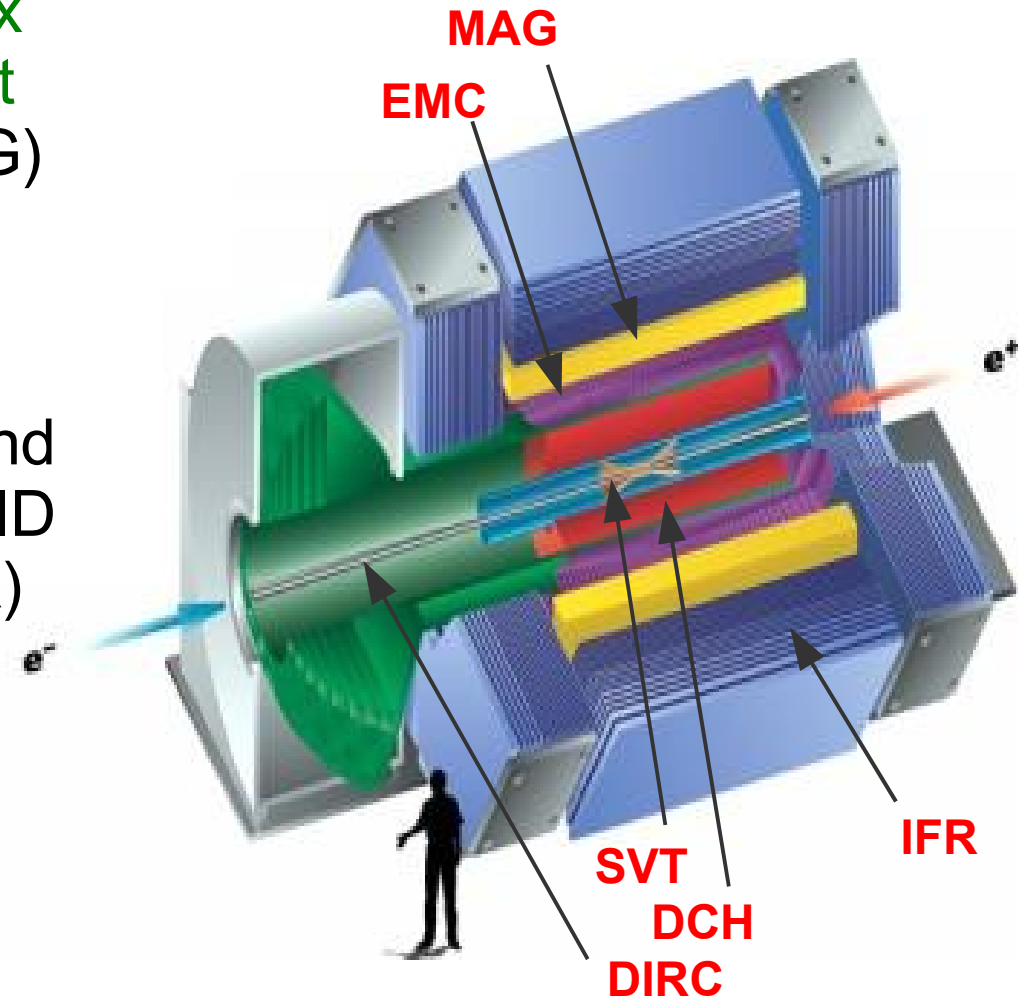
PEP II B Factory

- Asymmetric e^+e^- collider
- Tuned to $Y(4S)$ resonance
 - $\sqrt{s} = 10.58\text{GeV}$
 - $3.1\text{GeV } e^+; 9.0\text{GeV } e^-$
- Nearly continuous bunch crossing at $\sim 5\text{ns}$ spacing
- $\sim 0.5\text{ab}^{-1}$ delivered data
 - **460M BB pairs recorded**
- Instantaneous luminosity record $\sim 1.2 \times 10^{34} \text{cm}^{-2}\text{s}^{-1}$



BaBar Detector

- **Charged tracks** from 5 layer **vertex tracker** (SVT) and 40 layer **He drift chamber** (DCH) in **1.5T field** (MAG)
- **Photons** from **CsI(Tl) crystal EM calorimeter** (EMC)
- **Pion/kaon PID** from DCH dE/dx and **Cerenkov detector** (DIRC), muon ID from **instrumented flux return** (IFR)
- **Trigger** on DCH hits and EMC clusters
 - L1 (hardware) $\sim 2500\text{Hz}$
 - L3 (software) $\sim 300\text{Hz}$



Analysis Overview

- Reconstruct 7 exclusive $B \rightarrow X_d \gamma$ final states
- Use 2 hadronic mass bins
 - Low mass region dominated by ρ, ω resonances
 - $0.6 \leq M(X_d) < 1.0$ GeV
 - High mass bin
 - $1.0 \leq M(X_d) \leq 1.8$ GeV
- Reconstruct corresponding $B \rightarrow X_s \gamma$ final states
 - Reverse PID requirements from pion to kaon on one track
 - Same selection criteria for X_d and X_s
 \Rightarrow many uncertainties cancel in ratio

- $B^0 \rightarrow \pi^+ \pi^- \gamma$
 - $B^+ \rightarrow \pi^+ \pi^0 \gamma$
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 - $B^0 \rightarrow \pi^+ \pi^- \pi^+ \pi^- \gamma$
 - $B^+ \rightarrow \pi^+ \pi^- \pi^+ \pi^0 \gamma$
 - $B^+ \rightarrow \pi^+ \eta \gamma$
- all $\pi^0 \rightarrow \gamma\gamma, \eta \rightarrow \gamma\gamma$

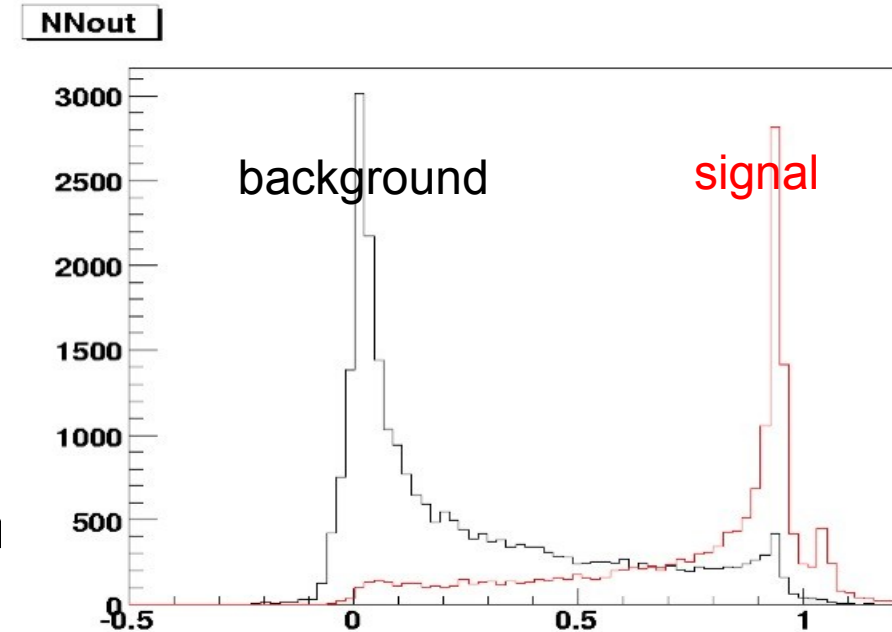
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- $B^0 \rightarrow K^+ \pi^- \gamma$
 - $B^+ \rightarrow K^+ \pi^0 \gamma$
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 - $B^+ \rightarrow K^+ \pi^- \pi^+ \pi^0 \gamma$
 - $B^+ \rightarrow K^+ \eta \gamma$
- all $\pi^0 \rightarrow \gamma\gamma$, $\eta \rightarrow \gamma\gamma$

Backgrounds

- Contributions from **generic B** and **continuum (udsc)** backgrounds
- **Generic B** events with **high energy (HE) photon** from **asymmetric π^0/η decay**
 - **Veto events** where the **HE photon** used in B reco can **make a π^0/η** with **any other photon** in the event
- **Continuum** backgrounds (dominant)
 - Arise from any **HE photon**, eg. **ISR** or **π^0/η decay**
 - Combine **event shape** and '**tag B**' **information** variables (eg. Lepton content of rest of the event) in **Neural Net** to discriminate between BB and udsc events



Fit Strategy

- Common BaBar reco B kinematic variables

- Beam energy substituted mass (m_{ES}) of reco B; peaks at B mass for signal

$$m_{ES} = \sqrt{\frac{1}{4}s - |p_B^*|^2}$$

* Denotes CM frame

- Difference in beam energy and energy of reco B (ΔE); peaks at 0 for signal

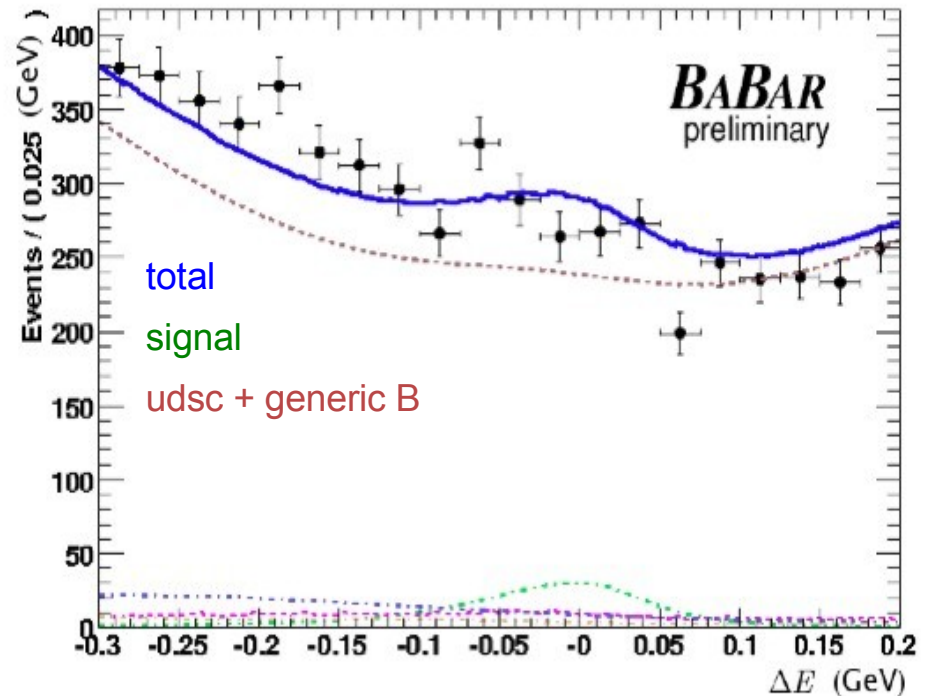
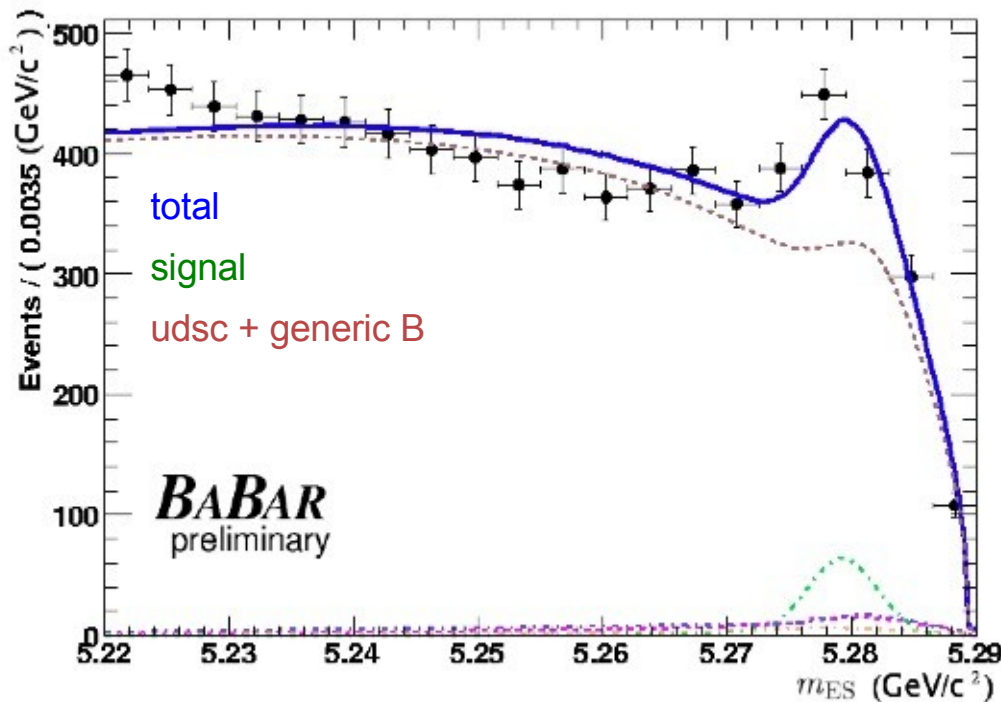
$$\Delta E = E_B^* - \frac{1}{2}\sqrt{s}$$

- Signal yield is extracted from a 2D Maximum Likelihood Fit to ΔE and m_{ES} distributions
- PDF shapes are optimised on signal and generic MC samples and then fit to data – blind analysis

Results

- Preliminary result for the 1.0-1.8 GeV mass bin for $B \rightarrow X_d \gamma$ final states were presented at LP '07 (arXiv:0708.1652v1)

$$\sum_{i=1}^7 Br(B \rightarrow X_d^i \gamma)_{1.0 < m_{X_d} < 1.8 \text{ GeV}} = 3.1 \pm 0.9 (\text{stat.})_{-0.5}^{+0.6} (\text{sys.}) \pm 0.5 (\text{model}) \times 10^{-6}$$



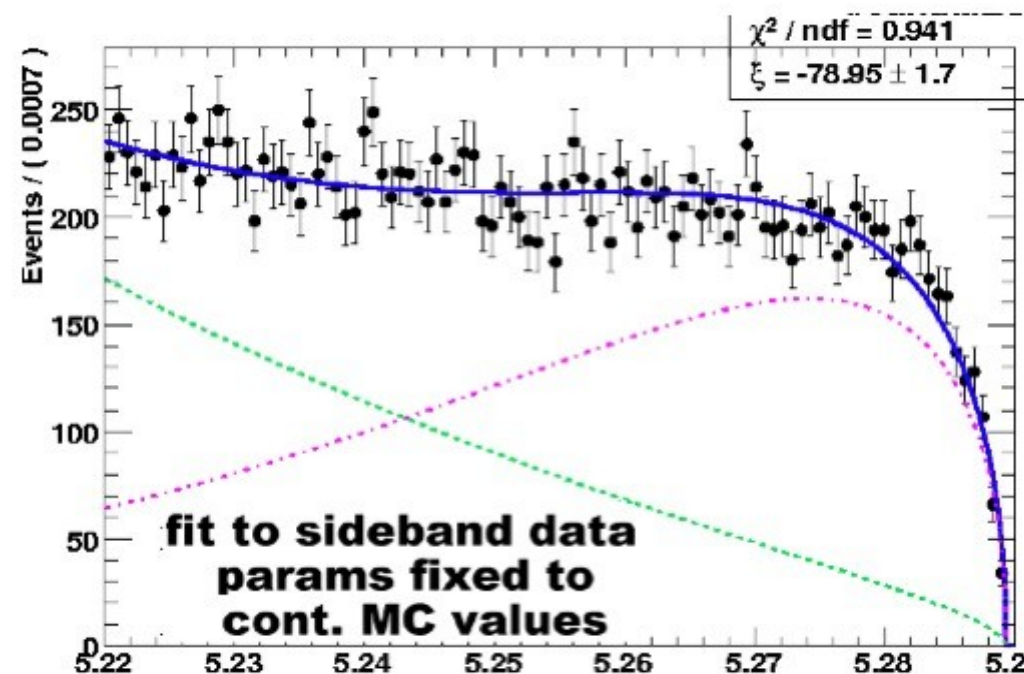
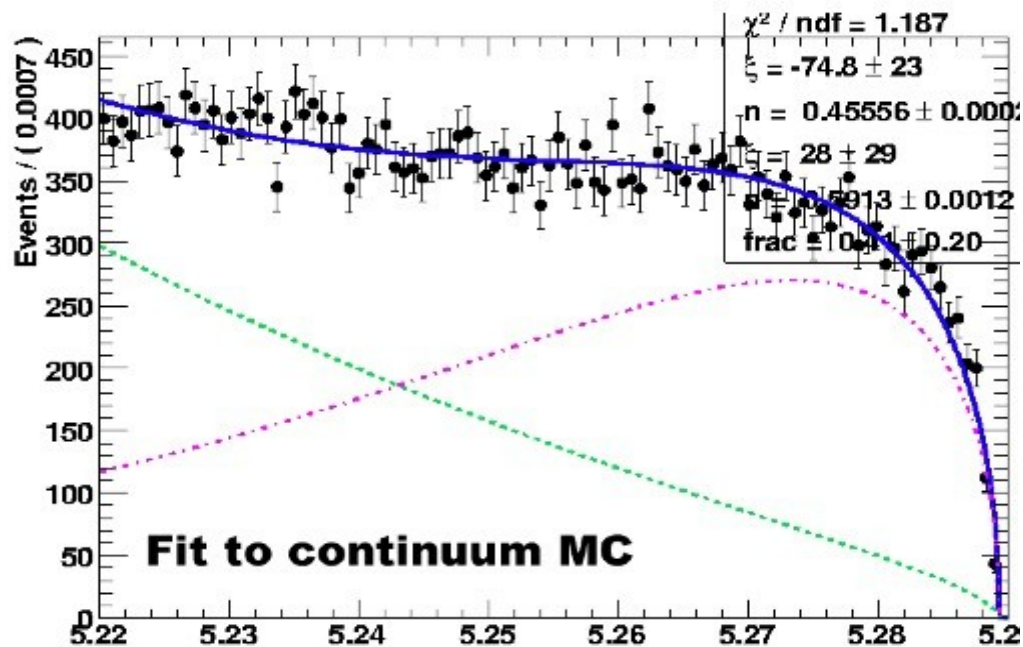
Summary and Future Work

- LP result is **first evidence** for **non-resonant** hadronic $b \rightarrow d\gamma$ transitions
- Above results **only** uses **380M BB pairs**, final round of analysis will **move to the full dataset**
- Analysis is **re-blinded** and parameterisation being **re-optimised**
 - Improved continuum PDF for m_{ES}
- Plan to **increase** hadronic mass upper limit to **2.2GeV**
- Looking at possibility of **including** some **$2\pi^0$ modes**
 - $B^+ \rightarrow \pi^+ \pi^0 \pi^0 \gamma$; $B^0 \rightarrow \pi^+ \pi^- \pi^0 \pi^0 \gamma$
- Considering how to **extrapolate** measurement to **fully inclusive** value and obtain **limit** on $|V_{td}/V_{ts}|$

Backup Slides

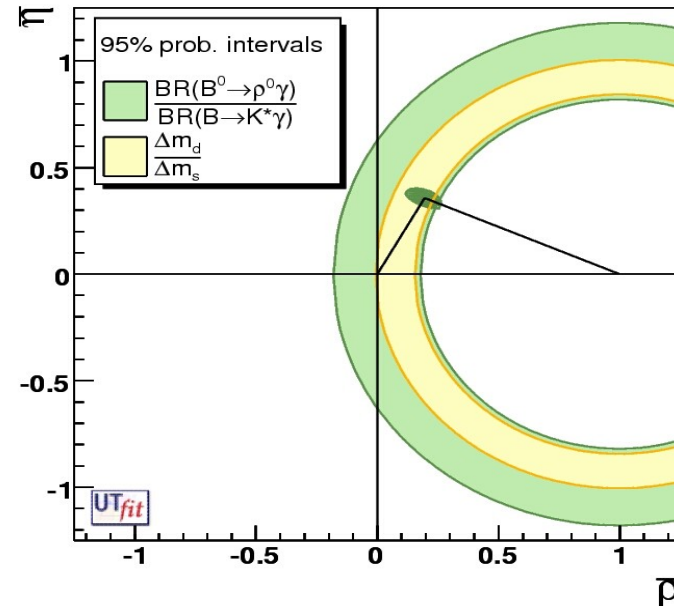
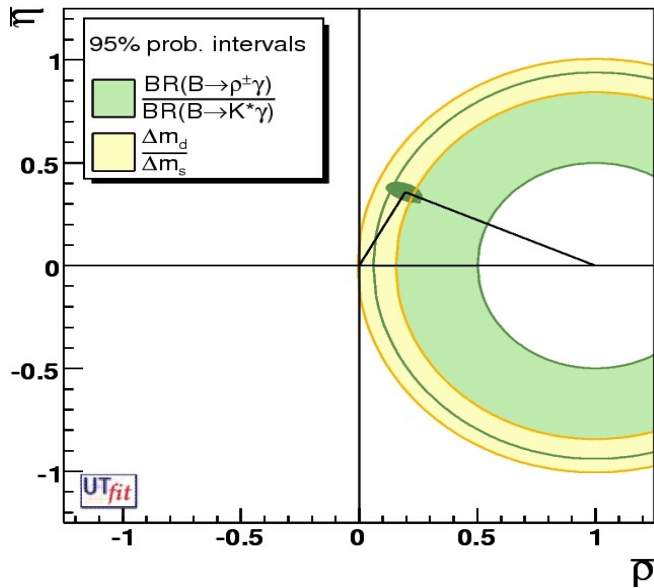
Continuum Fit

- LP result showed poor fit to the continuum background
- Now used a revised fit strategy – 2 argus for udsc instead of one
- udsc MC and data sidebands show how fit has improved



Motivation

- $|V_{td}/V_{ts}|$ can be extracted from the ratio of inclusive BFs
- Currently constrained by exclusive modes $B \rightarrow (\rho, \omega) \gamma$ $B \rightarrow K^* \gamma$ and neutral B mixing results



- In SM A_{cp} for $b \rightarrow d \gamma \sim 10\%$ compared to $\sim 1\%$ in $b \rightarrow s \gamma$; any deviations due to new physics may be more evident in $b \rightarrow d \gamma$
 A_{cp}

Event Selection

- Current analysis uses ~80% of total $Y(4S)$ dataset
- Initial skim rejects ~98% of total data by looking for events with
 - At least 1 neutral EMC deposit with $1.15 < E^* < 3.5$ GeV (* denotes $Y(4S)$ frame)
 - At least 2 reco tracks with $|p_T| > 0.1$ GeV, > 11 DCH hits, (x,y) DOCA to IR < 1.5 cm, $|DOCA(z)| < 10$ cm
 - Ratio of 2nd FW moment to 0th < 0.9 in $Y(4S)$ frame
- Remaining backgrounds
 - Continuum with HE photon (eg. ISR or π^0/η decay)
 - Generic B decays with HE photon from π^0/η decay

Candidate Reconstruction

- Quality cuts minimise combinatoric backgrounds
- High Energy Photon has energy $1.15 < E^* < 3.5 \text{ GeV}$ in CM frame and EMC deposit > 4 crystals
- π^0 (η) candidates constructed from photon pairs with invariant mass $117 < m_{\gamma\gamma} < 145 \text{ MeV}$ ($470 < m_{\gamma\gamma} < 620 \text{ MeV}$) required to have $|p_{\text{lab}}| > 0.3 \text{ GeV}$
- Tracks require $|p_{\text{lab}}| > 0.3 \text{ GeV}$
 - X_d candidates all tracks must pass pion PID
 - X_s candidates one track must pass kaon PID and all others pass pion PID

Candidate Reconstruction

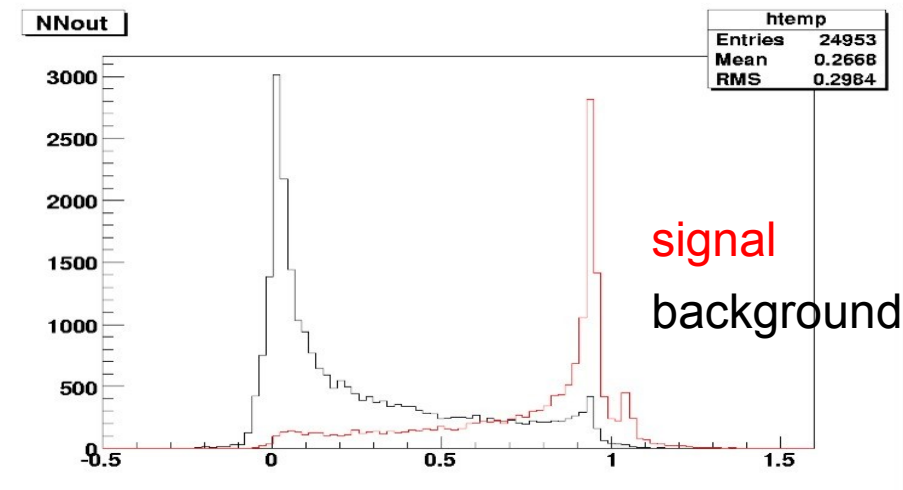
- X_d candidate required to have mass $0.6 < M(X_d) < 1.8 \text{ GeV}$
- B candidate cuts use common BaBar kinematic variables
 - $\Delta E = E_B^* - \frac{1}{2} \sqrt{s}$; peaks at 0 for signal
 - $m_{ES} = \sqrt{\frac{1}{4}s - |p_B^*|^2}$; peaks at B mass for signal
- Require $|\Delta E| < 0.3 \text{ GeV}$ and $m_{ES} > 5.22 \text{ GeV}$
- In events with multiple B candidates the candidate with the closest π^0/η mass to PDG is used
 - Candidates without neutral X_d daughter highest vertex χ^2 candidate chosen

Background Suppression

- Continuum background
 - Dominates for this analysis
 - Event shape variables can help reduce this
 - θ_B^* – B-meson production angle wrt beam axis (CM frame)
 - θ_T – Angle between photon and trust axis of ROE (ROE are all tracks and neutrals not used to reconstruct the B)
 - Legendre moments
 - Tag information from ROE
 - Lepton/Kaon content

Background Suppression

- Continuum background
 - To discriminate continuum from background MVA techniques widely used at BaBar
 - We use 12 event shape and tag variables and combine them in a NN with 2 hidden layers
 - NN is trained on MC to find optimum combination of variables which maximises $S/\sqrt{(S+B)}$
 - Cut >0.83 on NN output



Signal Efficiency

- Efficiency of cuts on signal X_d MC for 1.0-1.8GeV mass bin

Cut	Value	Efficiency	Cumulative
Mass Region	1.0-1.8GeV	100	100
γ 2 nd Moment	<0.002	98.9	98.9
γ No Crystals	>4	100	98.9
γ dist to nearest EMC deposit	>25cm	98.3	97.1
γ No dead/noisy EMC crystals	none	100	97.1
Vertex χ^2 prob	>0.02	89	86.5
π^0 mass	117-145MeV	82	85.4
Track momentum	>0.3GeV	92.4	77.3
π^0 momentum	>0.3GeV	98.3	73.9
$ \cos\theta_T $	<0.8	95	69.2
γ π^0 veto	105-155MeV	89.5	62.1
γ η veto	500-590MeV	94.7	58.9
pion PID	passes	81	43.7
NN output	>0.83	51.4	20.6
ΔE^*	-0.3-0.2GeV	89.2	16.3
mES	>5.22GeV	92.9	15.7

Measured quantity:

$$R_{\text{obs}} = \frac{\sum_{i=1}^7 Br(B \rightarrow X_d^i \gamma)}{\sum_{i=1}^7 Br(B \rightarrow X_s^i \gamma)}$$

Electroweak quantity

$$R_{\text{EW}} = \frac{\Gamma(b \rightarrow d \gamma)}{\Gamma(b \rightarrow s \gamma)} = \kappa \frac{\sum_{i=1}^7 Br(B \rightarrow X_d^i \gamma)}{\sum_{i=1}^7 Br(B \rightarrow X_s^i \gamma)}$$

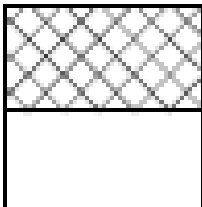
How well can we determine κ ?

Breakdown of Measured/Unmeasured Width Nominal Signal MC

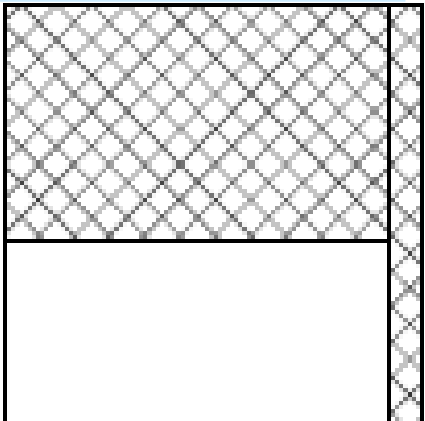
$X_s Y$



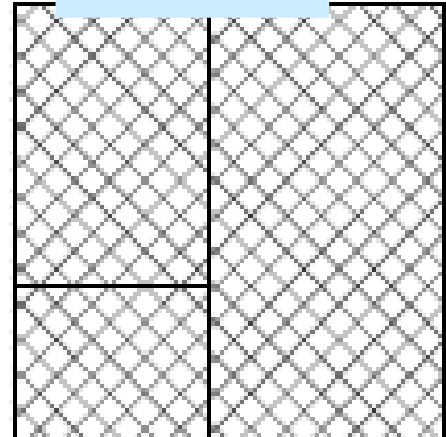
(ρ, ω, K^*)



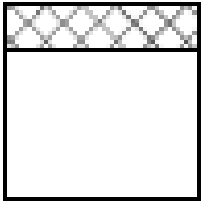
$1.0 < M_{had} < 1.8$



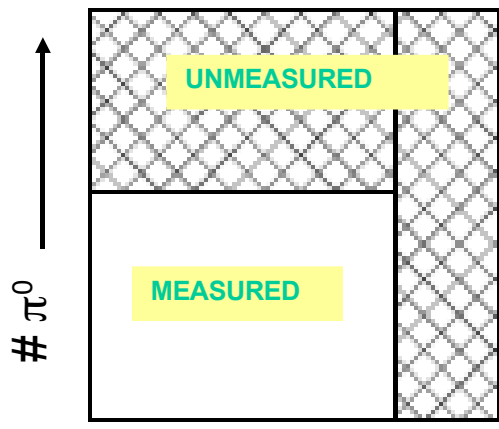
$1.8 < M_{had}$



$X_d Y$

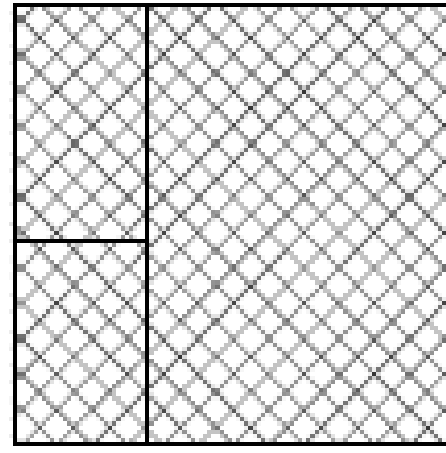


bodies →



↑ # π^0

M_{had} →



Initial plans:

- $X_{s\gamma}$ fragmentation has been measured well, and correction factors derived. We can apply those correction factors to $X_{d\gamma}$ and see how K changes.
- Alternative $X_{s\gamma}$ model based on $R_{s\gamma}$ for ~ 10 resonances developed; simulate corresponding $R_{d\gamma}$ and see how K changes.