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On behalf of the CMS Collaboration

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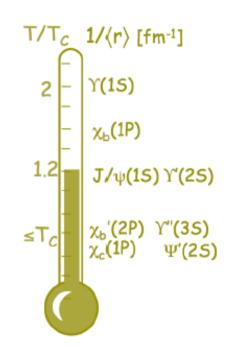
#### Introduction

- Quarkonia as a probe of deconfinement via colour screening
  - → screening
  - → melting of the bound state
  - → yields suppressed
- Sequential suppression of the quarkonium states
  - Screening at different T for different states → sequential melting
- Enhancement via (re)generation of quarkonia, due to the large heavy-quark multiplicity
- Cold Nuclear Matter effects (CNM effects), such as nuclear absorption and gluon shadowing

#### Advantages of bottomonium

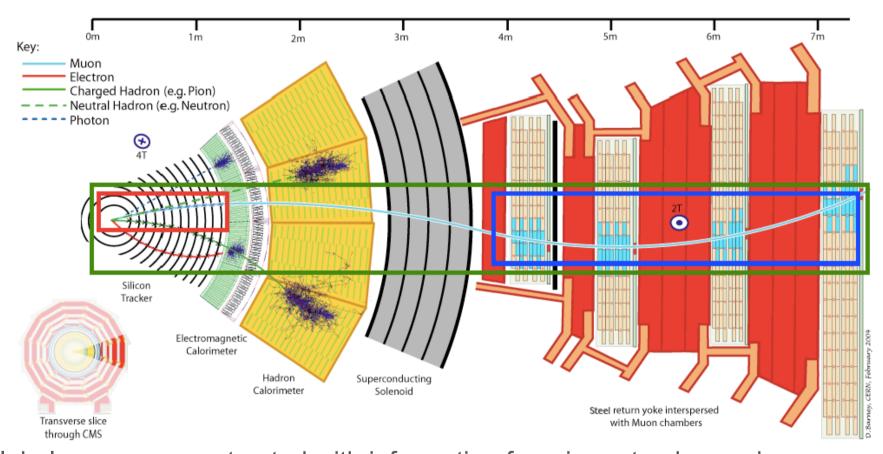
- No B-hadron feed down
- Larger feed down fraction from excited states to Y(1S)
- Sensitive to larger temperature range above T<sub>c</sub>
- Expect much less regeneration: cleaner interpretation of suppression

State	J/ψ(1S)	χ <sub>c</sub> (1P)	ψ(2S)
m (GeV/c²)	3.10	3.53	3.68
r <sub>0</sub> (fm)	0.50	0.72	0.90



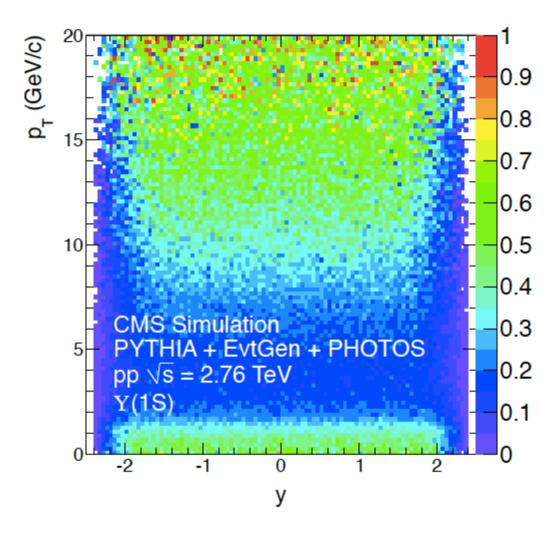
State	Υ(1S)	χ <sub>b</sub> (1P)	Y(2S)	χ <sub>b</sub> (2P)	Y(3S)
m (GeV/c²)	9.46	9.99	10.02	10.26	10.36
r <sub>0</sub> (fm)	0.28	0.44	0.56	0.68	0.78

#### CMS Muon reconstruction



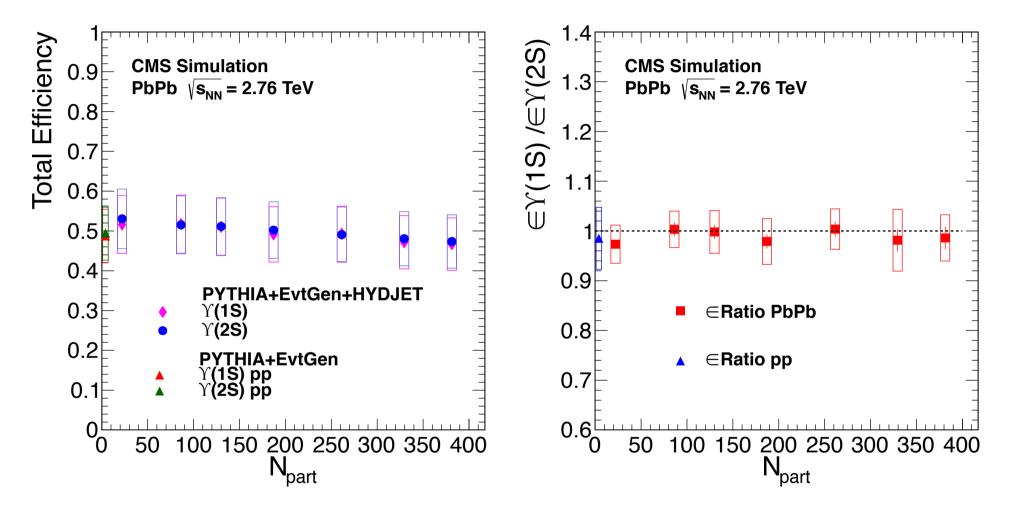
- Global muons reconstructed with information from inner tracker and muon stations
- Further muon ID based on track quality
- Global muons need p ≥ 3 GeV/c to reach the muon station, but lose 2–3 GeV energy in the absorber → a minimum of ~ 5 GeV/c total momentum required

### Y(1S) acceptance



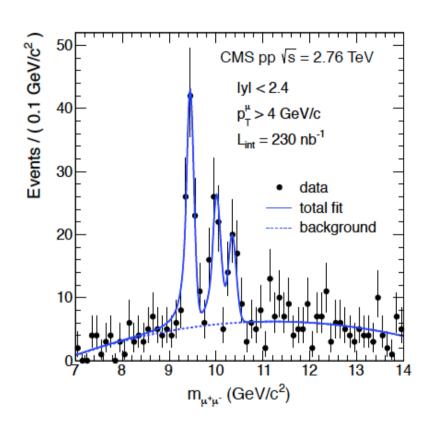
■ For the  $\Upsilon(1S)$  we can go down to  $p_T = 0$  GeV/c

### $\Upsilon(1S)$ , $\Upsilon(2S)$ efficiencies

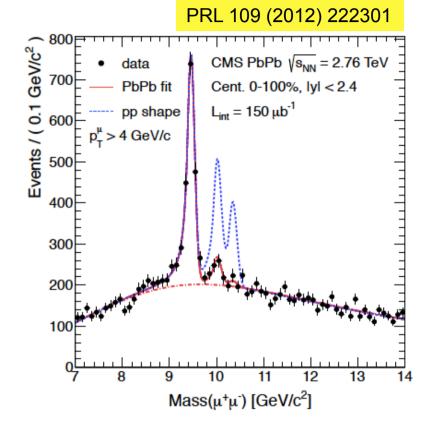


■ Efficiencies from Monte Carlo validated with a data driven method (Tag&Probe)

# Suppression of excited Y states in PbPb collisions



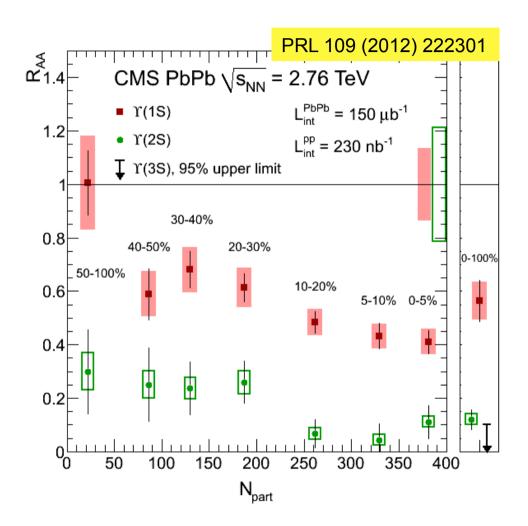
$$N_{\Upsilon(2S)}/N_{\Upsilon(1S)}|pp = 0.56 \pm 0.13 \pm 0.02$$
  
 $N_{\Upsilon(2S)}/N_{\Upsilon(1S)}|PbPb = 0.12 \pm 0.03 \pm 0.02$ 



$$N_{\Upsilon(3S)}/N_{\Upsilon(1S)}|pp = 0.41 \pm 0.11 \pm 0.04$$
  
 $N_{\Upsilon(3S)}/N_{\Upsilon(1S)}|PbPb < 0.07$ 

$$\frac{\left[ N_{\Upsilon(2S)} + N_{\Upsilon(3S)} / N_{\Upsilon(1S)} \right]_{PbPb}}{\left[ N_{\Upsilon(2S)} + N_{\Upsilon(3S)} / N_{\Upsilon(1S)} \right]_{pp}} = 0.31 \frac{\bar{+0.19}}{-0.15} \text{ (stat.)} \pm 0.03 \text{ (syst.)}$$

### Y(nS) R<sub>AA</sub> vs. Centrality



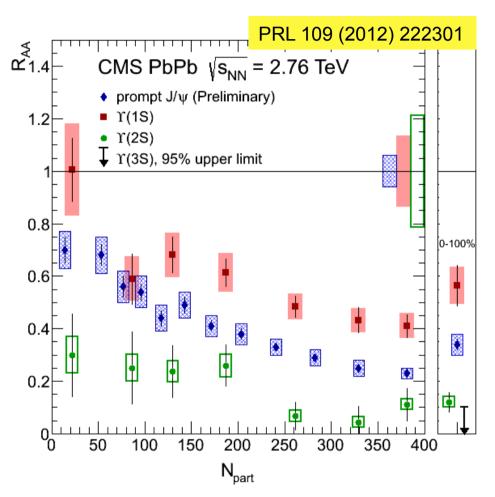
- $\blacksquare$  Y(1S) R<sub>AA</sub> in 7 centrality bins
- Clear suppression of Y(2S)
- Y(1S) suppression consistent with excited state suppression (~50% feed down)
- Sequential suppression of the three Y(nS) states in order of their binding energy

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R_{AA}(\Upsilon(1S)) = 0.56 \pm 0.08 \text{ (stat.)} \pm 0.07 \text{ (syst.)}

R_{AA}(\Upsilon(2S)) = 0.12 \pm 0.04 \text{ (stat.)} \pm 0.02 \text{ (syst.)}

R_{AA}(\Upsilon(3S)) < 0.1 \text{ (at 95\% C.L.)}
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### $\Upsilon(nS)$ and prompt-J/ $\psi$ R<sub>AA</sub>



- When comparing the  $\Upsilon(nS) R_{AA}$  to the prompt  $J/\psi R_{AA}$ 
  - Sequential suppression of the quarkonium states in order of their binding energy is confirmed

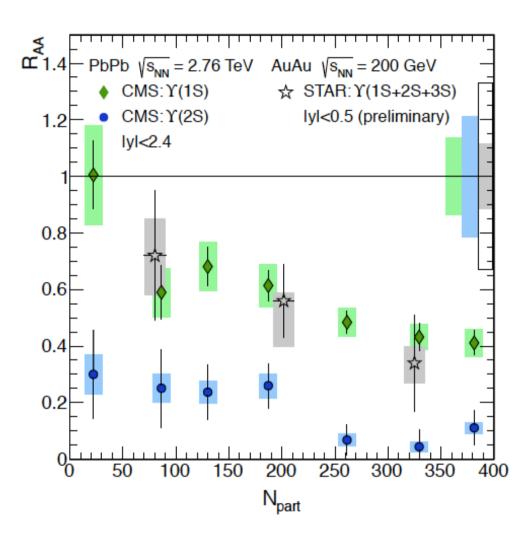
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R_{AA}(\Upsilon(1S)) = 0.56 \pm 0.08 \text{ (stat.)} \pm 0.07 \text{ (syst.)}

R_{AA}(J/\psi) = 0.34 \pm 0.02 \text{ (stat.)} \pm 0.04 \text{ (syst.)}

R_{AA}(\Upsilon(2S)) = 0.12 \pm 0.04 \text{ (stat.)} \pm 0.02 \text{ (syst.)}

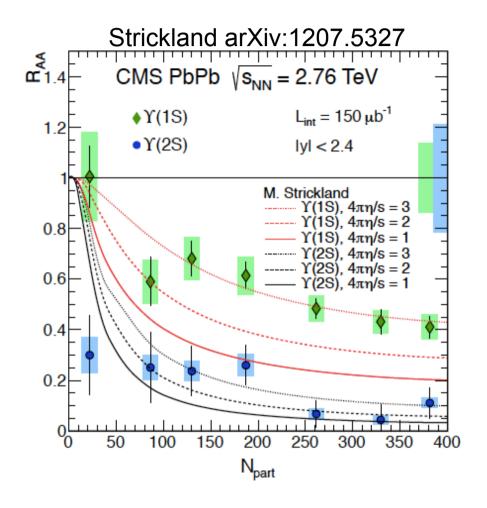
R_{AA}(\Upsilon(3S)) < 0.1 \text{ (at 95% C.L.)}
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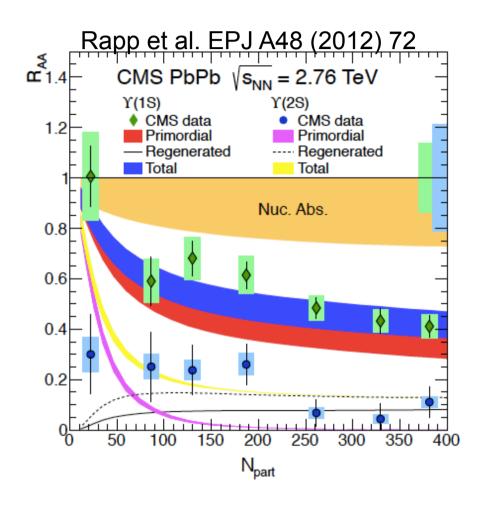
#### Compare to RHIC



■ Caveat: STAR measured R<sub>AA</sub> of Y(1S+2S+3S)

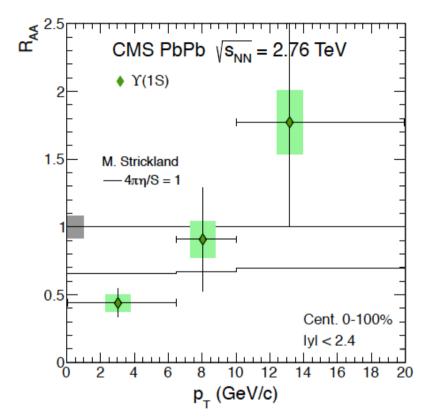
#### Comparison to theory

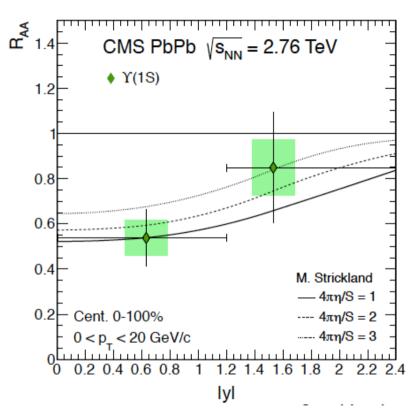




- Strickland: some tension to describe  $\Upsilon(1S)$  and  $\Upsilon(2S)$  simultaneously with the same  $\eta/S$  value
- Rapp: regeneration and nuclear absorption could be significant also for bottomonia

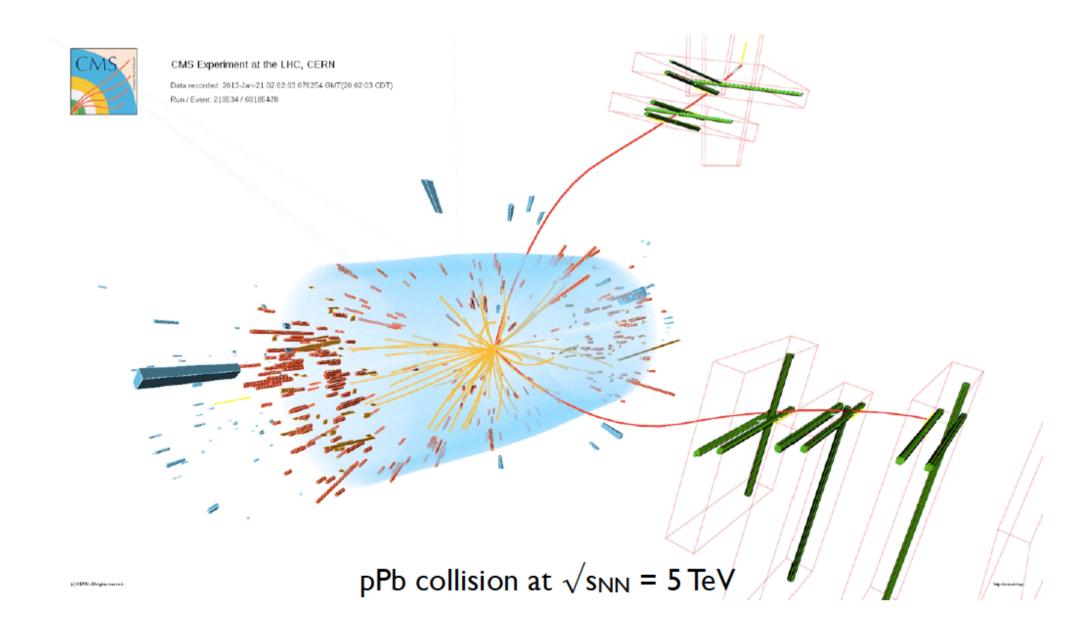
### $\Upsilon(1S)$ R<sub>AA</sub>: rapidity and p<sub>T</sub> dependence

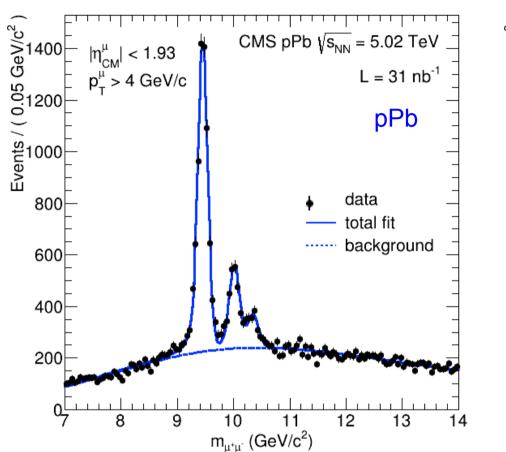


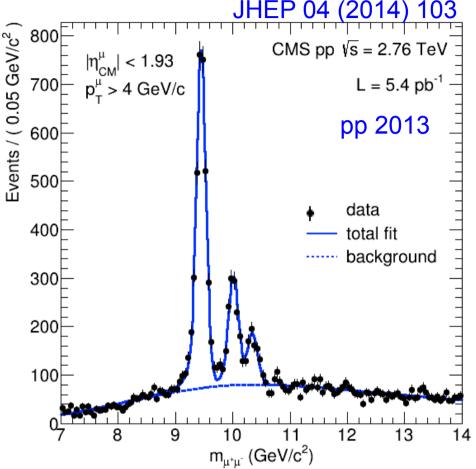


- $\Upsilon$ (1S) suppressed at low  $p_T$ , no clear rapidity dependence
  - Based on 2010 PbPb data (7.28 µb−1) and 2011 pp data (230 nb−1)
- With 2011 PbPb sample (~150 µb<sup>-1</sup>) and 2013 pp sample (~5.4 pb<sup>-1</sup>)
  - The measurement of R<sub>AA</sub> vs. p<sub>T</sub> and y can be improved

### Y(1S) candidate in pPb

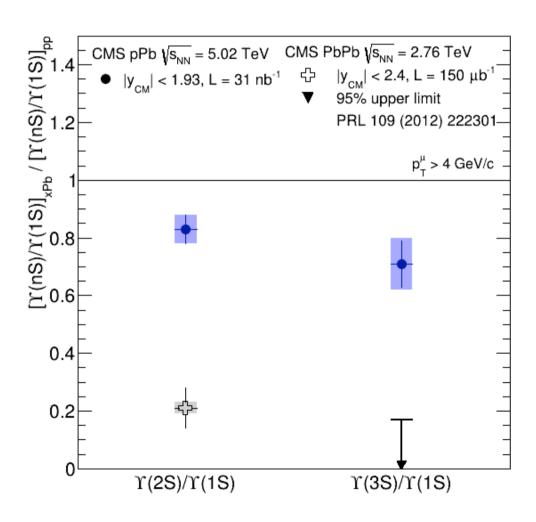






- Signal extraction same procedure in pp, pPb and PbPb:
- Unbinned maximum log likelihood with 1S, 2S/1S, 3S/1S variables in the fit.
  - signal: 3 Crystal-Ball functions
  - background: error function x exponential (all background parameters free)

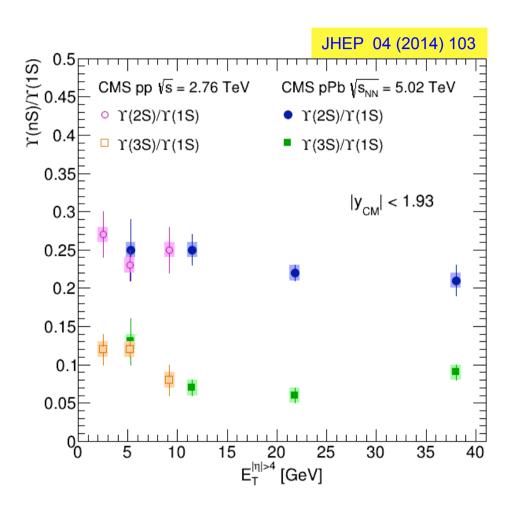
#### Integrated measurement: Double ratio



$$[\Upsilon(nS)/\Upsilon(1S)]_{xPb}/[\Upsilon(nS)/\Upsilon(1S)]_{pp}$$

- PPb vs PbPb: larger double ratios in pPb suggest additional (and/or stronger) final effects in PbPb that affect more the excited states than the ground state
- pPb vs pp: excited states suppressed more than the ground state in pPb compared to pp collisions (significance <3σ)</li>

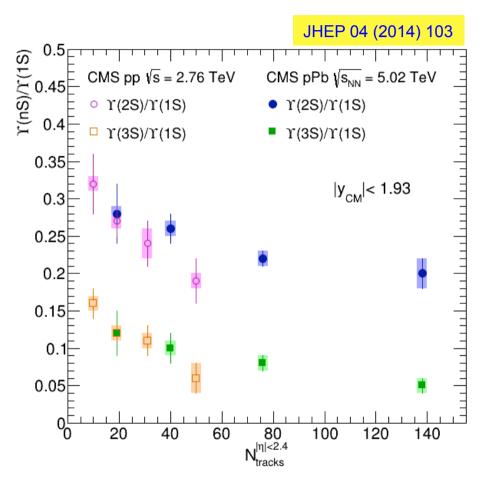
## $\Upsilon(nS)/\Upsilon(1S)$ vs. $E_T^{|\eta|>4}$



- Yields corrected for acceptance and efficiency
- Ratios Y(nS)/Y(1S) are calculated in pp and in pPb

■ Y(nS)/Y(1S) decrease with increase of the forward transverse energy E<sub>T</sub>|n|>4 in both pp and pPb

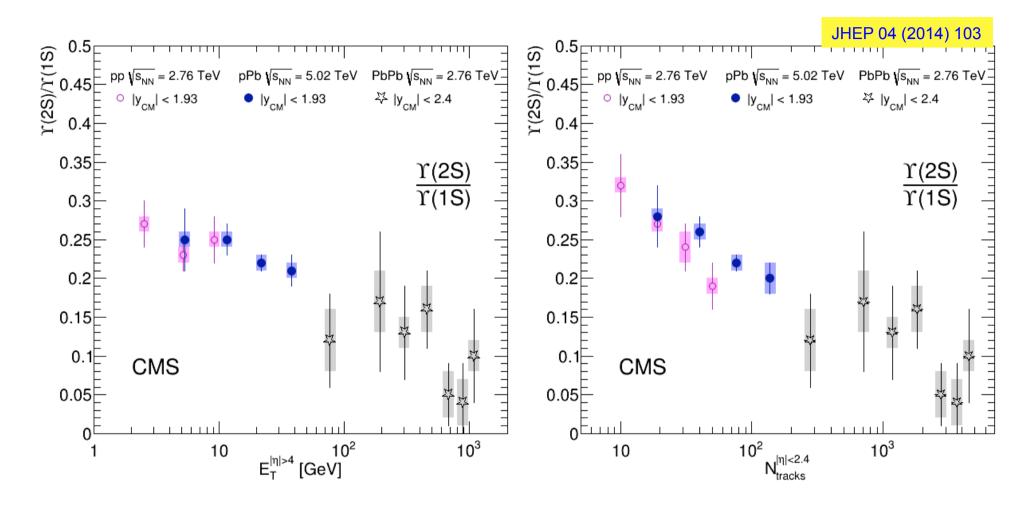
# $\Upsilon(nS)/\Upsilon(1S)$ vs. $N_{track}|\eta|>2.4$



- Yields corrected for acceptance and efficiency
- Ratios Y(nS)/Y(1S) are calculated in pp and in pPb

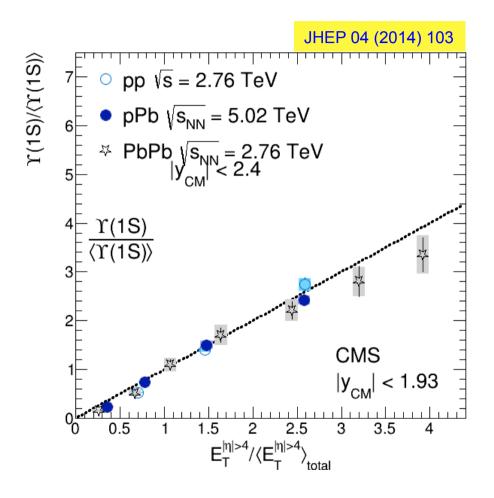
■ Y(nS)/Y(1S) decrease significantly with increase of charged-particle multiplicity N<sub>track</sub> |η|>2.4 in both pp and pPb

- Possible explanations:
  - Y effects the multiplicity in both pp and pPb ~2 extra tracks in a Y(1S) event compared to Y(2S) and Y(3S) events
  - $\blacksquare$  The multiplicity affects the Y , the activity around the Y breaks the states



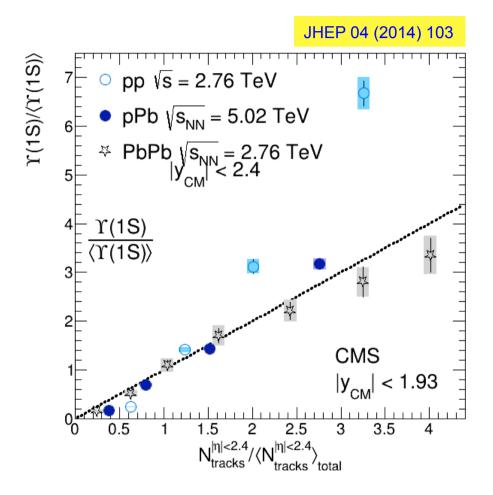
■ No significant dependence for PbPb results as function of  $N_{tracks}$  and  $E_T|\eta>4$ , but we have large uncertainties (more PbPb data needed)

#### Self-normalized ratios



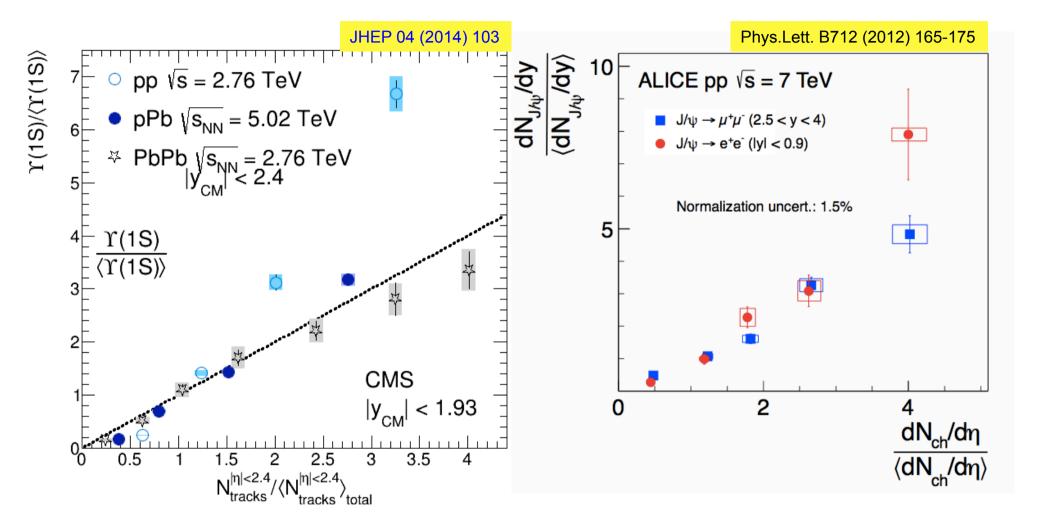
- Yields normalized to their average vs. event activity
  - Access to individual-state variations
- Different  $\langle E_T \rangle$ :
  - In pp: 3.5 GeV
  - In pPb: 14.7 GeV
  - In PbPb: 760 GeV
- More Y in events with higher transverse energy (E<sub>T</sub>)
- Slopes for the 3 systems are consistent with 1

#### Self-normalized ratios



- Yields normalized to their average vs. event activity
  - Access to individual-state variations
- More Y in events with higher multiplicity
- Less coherent behaviour when compared to the transverse energy multiplicity
  - pp : multi-parton interaction ?

#### Comparison to ALICE



- Similar trend measured by ALICE for J/ψ in pp at 7TeV
- Activity-dependent analysis of the copious pp data at 7TeV may give a better understanding of the Y states

#### Summary

#### ■ In PbPb:

- sequential suppression in order of binding energy of the bottomonium states
- measurement of R<sub>AA</sub> vs. p<sub>T</sub> and y can be improved with the latest pp run (ongoing)

#### ■ In pPb:

- double ratios [ Y(nS) / Y(1S)]<sub>xPb</sub> / [ Y(nS) / Y (1S)]<sub>pp</sub> hinting the presence of additional effects in PbPb compared to pPb and more effects in pPb compared to pp, for 1S and (2S, 3S)
- Y(nS) / Y(1S): decrease with increase of charged-particle multiplicity in both pp and pPb (less pronounced when measured versus energy deposited at large pseudorapidity)
- Y(nS)/<Y (nS)> increase with increasing event activity in pp, pPb and PbPb