

Round table on Z_c and Z_b states (and related issues)...

Eric Swanson [arXiv:1409.6651, arXiv:1409.3291]

Antonello Polosa [arXiv:1405.1551]

Timofey Uglov [arXiv:1408.5295]

Christoph Hanhart

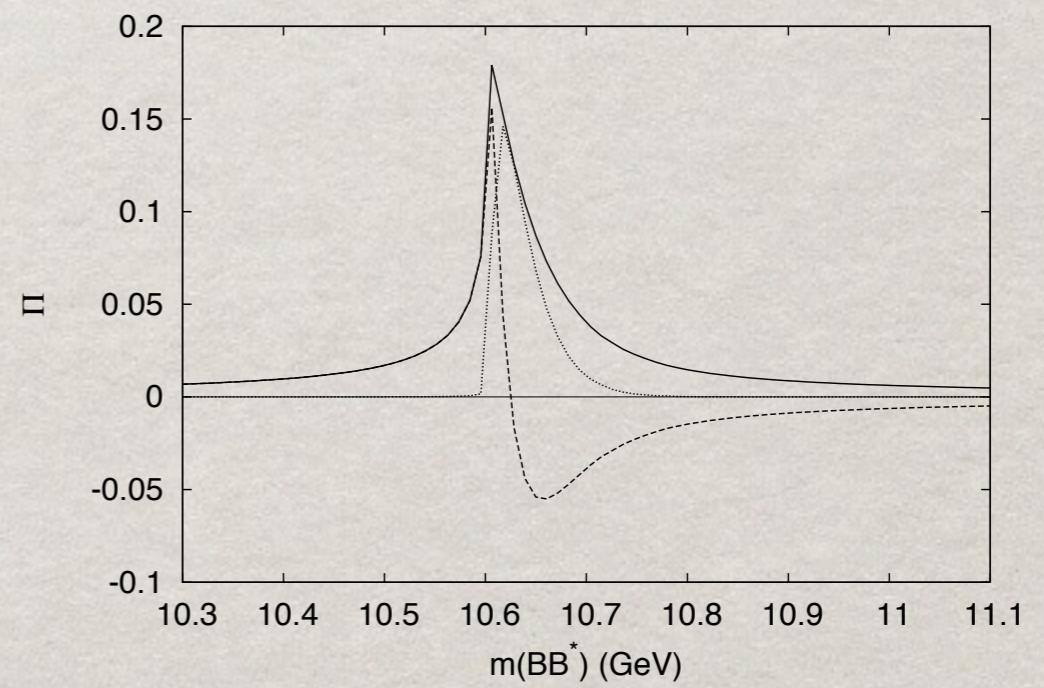
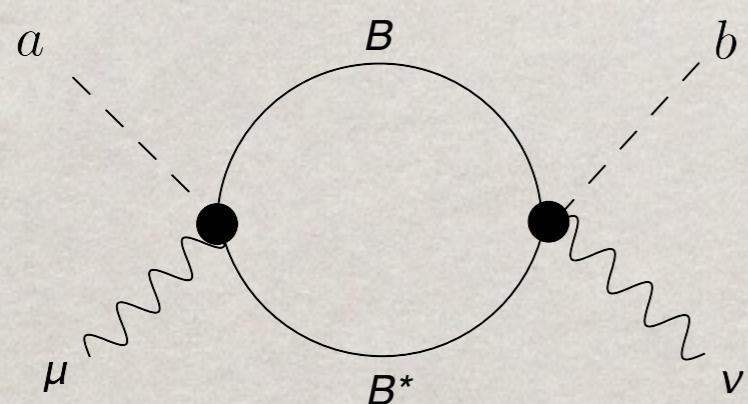
Rudolf Faustov [arXiv:1111.0454]

Roman Mizuk [Belle-II, above 4S running]

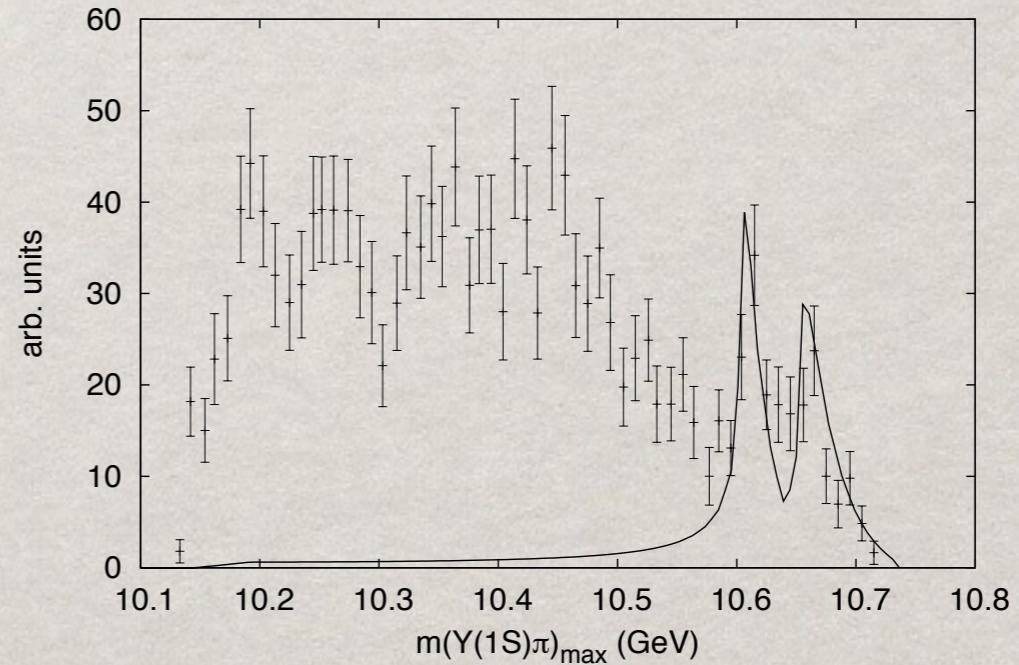
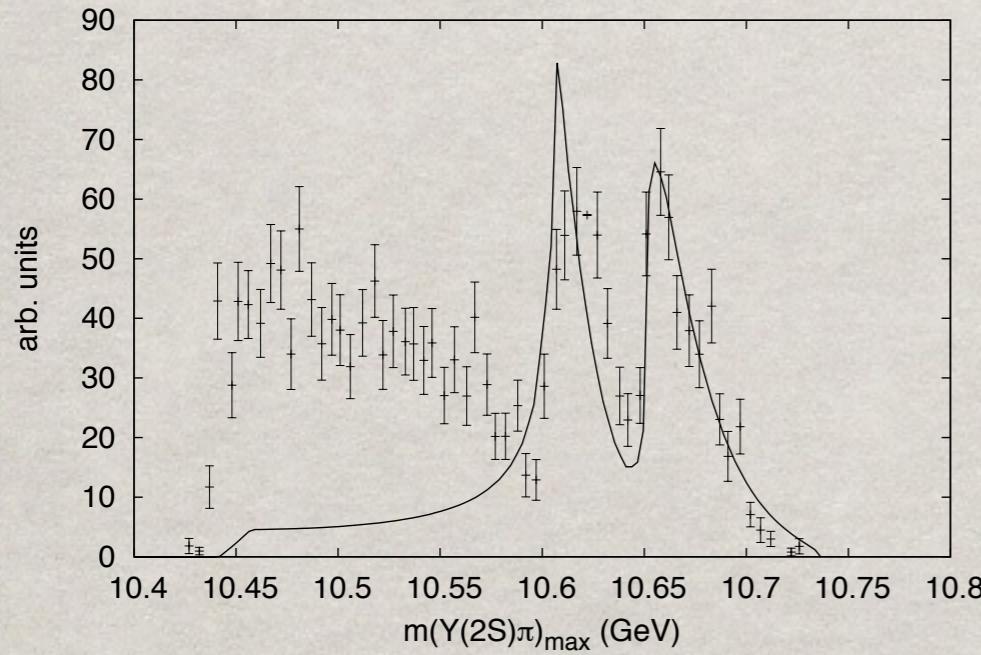
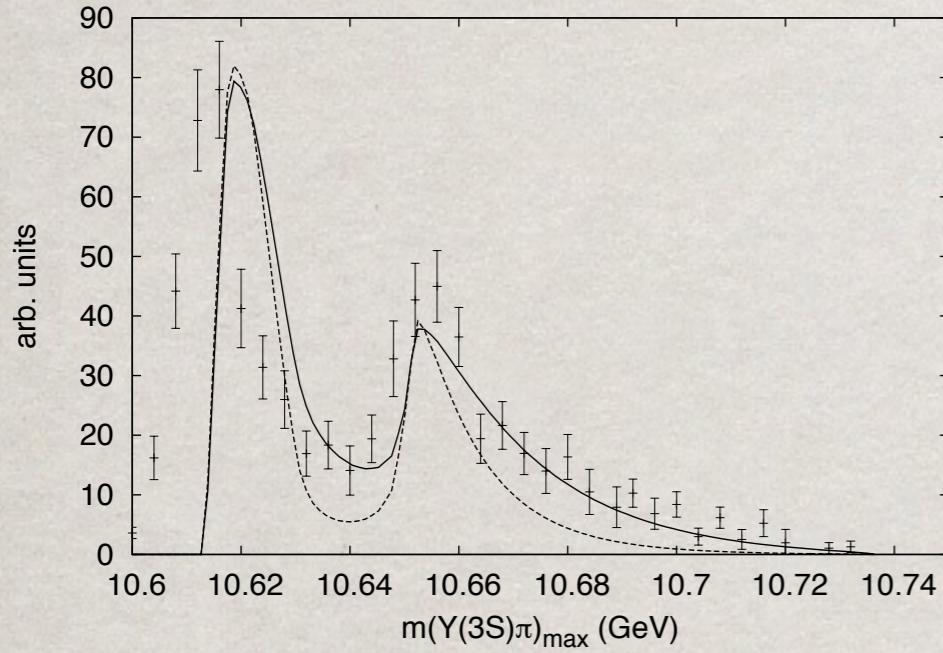
Marco Pappogallo [LHCb, $Z(4430)$ + future plans]

Z_b and Z_c as Threshold Cusps

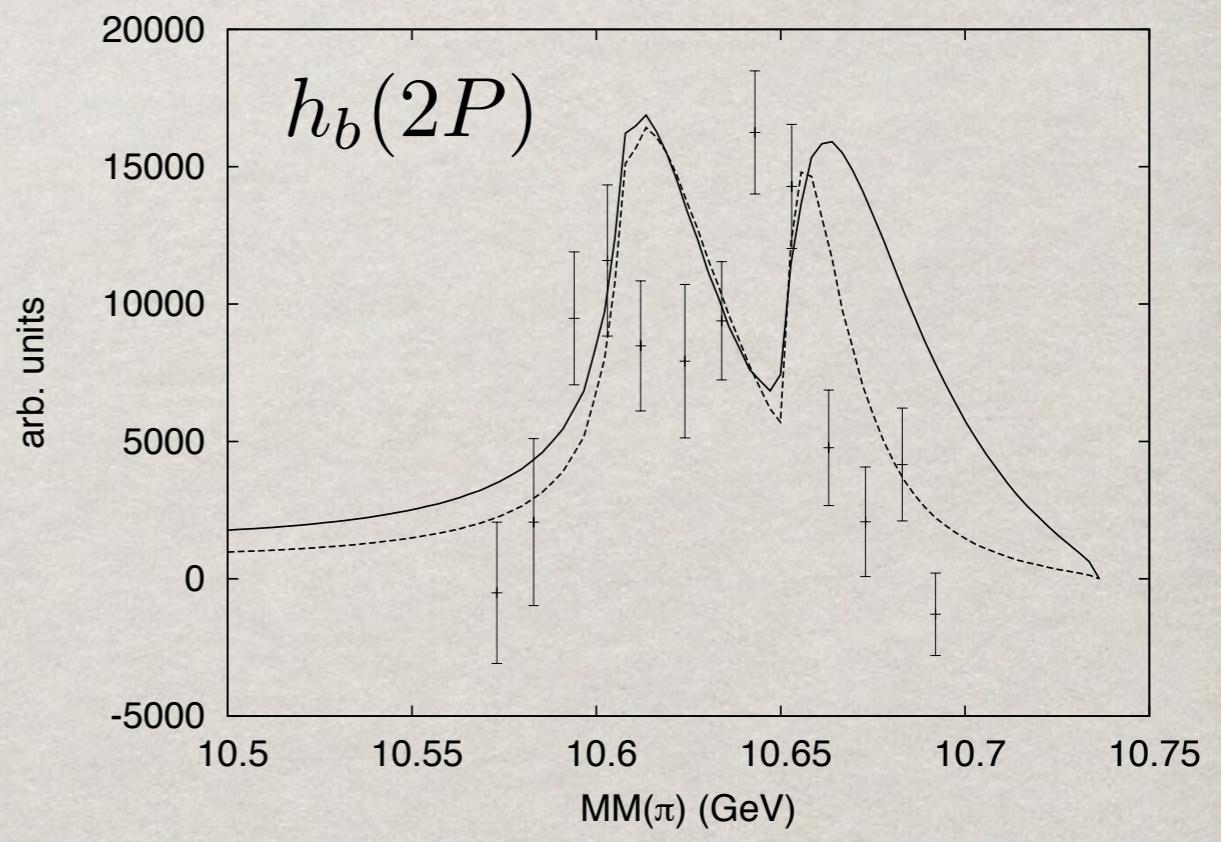
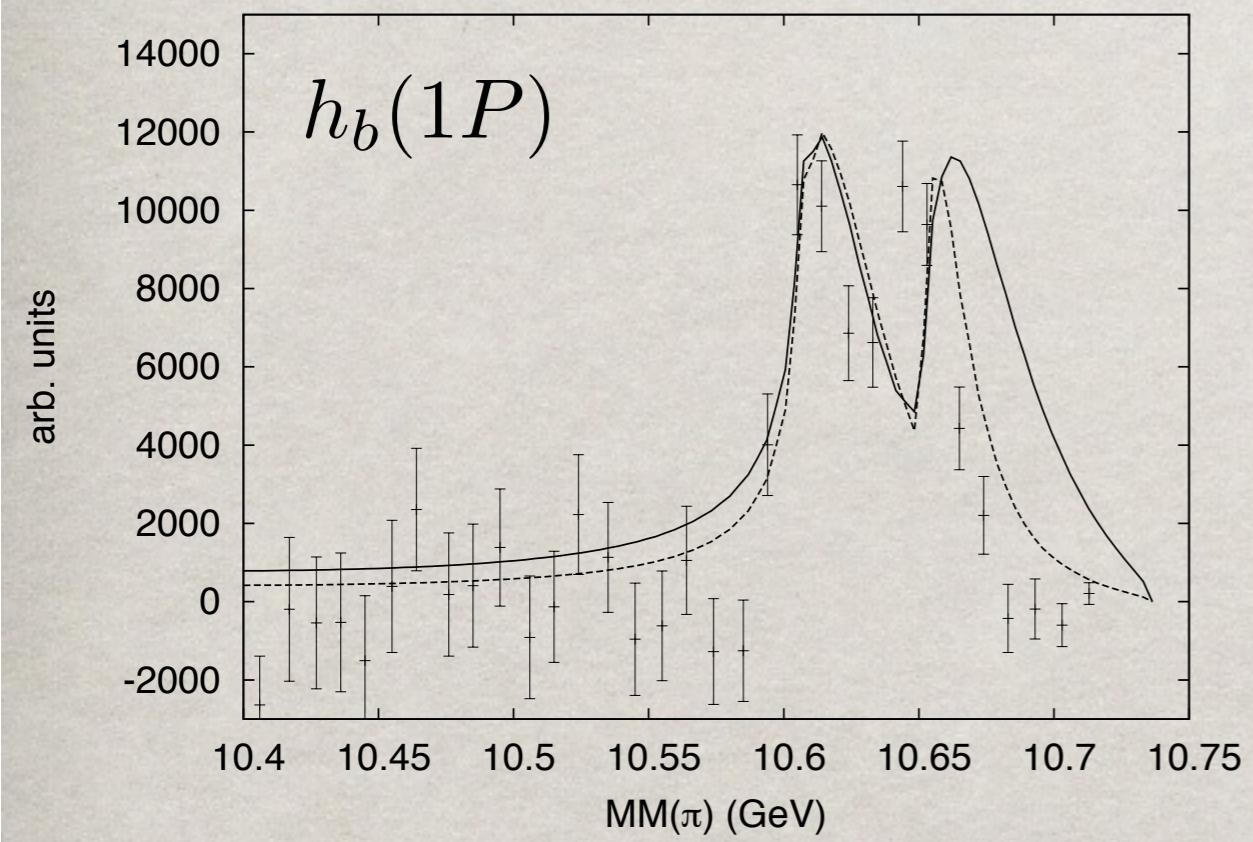
Eric Swanson



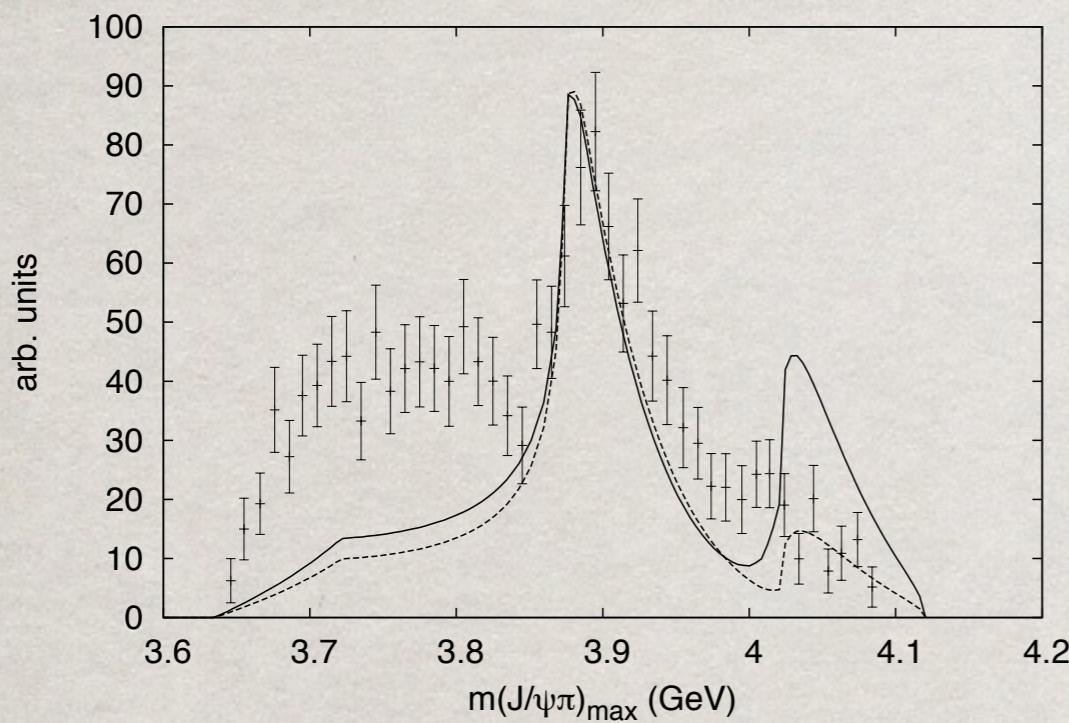
$$\Upsilon(5S) \rightarrow \Upsilon(nS)\pi\pi$$



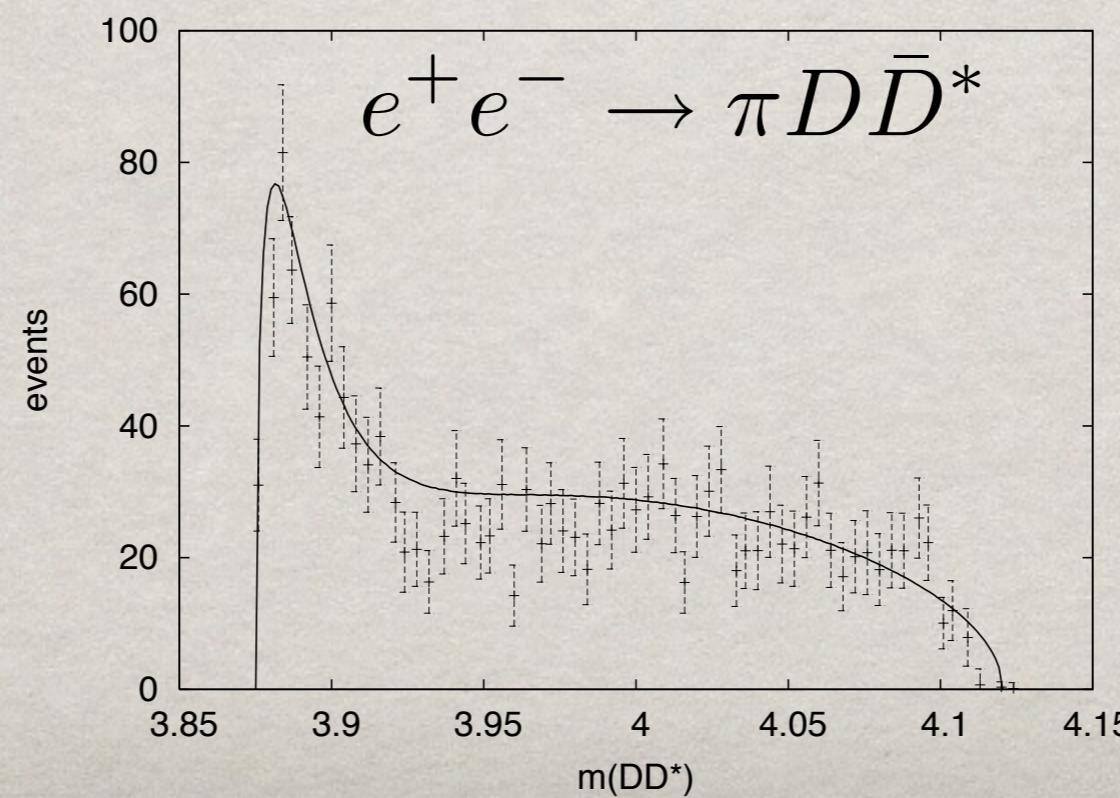
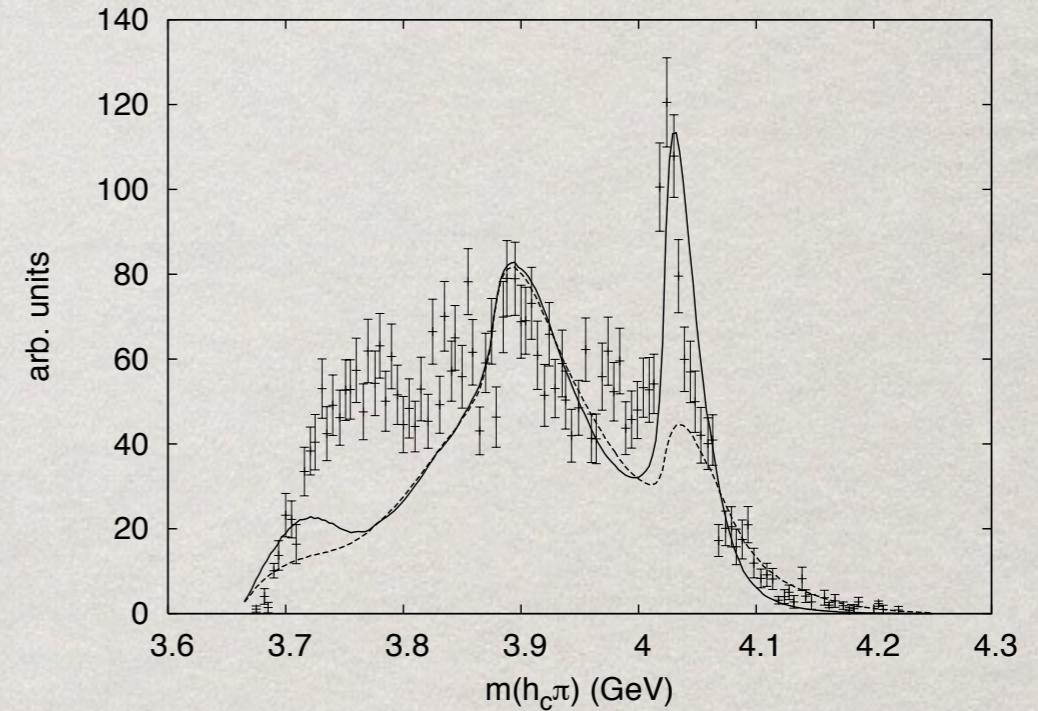
$\Upsilon(5S) \rightarrow h_b(nP)\pi\pi$



$Y(4260) \rightarrow J/\psi\pi\pi$



$e^+e^- \rightarrow h_c\pi\pi$



Cusp Diagnostics

- lie just above thresholds
- S-wave quantum numbers
- partner states of similar width – widths will depend on channel
- the reaction $\Upsilon(5S) \rightarrow K\bar{K}\Upsilon(nS)$ should reveal “states” at 10695 ($B\bar{B}_s^* + B^*\bar{B}_s$) and 10745 ($B^*\bar{B}_s^*$)

Tetraquarks

AD Polosa
Sapienza Università di Roma

$$[cq]_i [\bar{c}\bar{q}]^i$$

See Maiani's Talk

Spin

	$cq \bar{c}\bar{q}$	$c\bar{c} q\bar{q}$	Resonance Assig.	Decays
0^{++}	$ 0,0\rangle$	$1/2 0,0\rangle + \sqrt{3}/2 1,1\rangle_0$	$X_0(\sim 3770 \text{ MeV})$	$\eta_c, J/\psi + \text{light mesons}$
0^{++}	$ 1,1\rangle_0$	$\sqrt{3}/2 0,0\rangle - 1/2 1,1\rangle_0$	$X'_0(\sim 4000 \text{ MeV})$	$\eta_c, J/\psi + \text{light mesons}$
1^{++}	$1/\sqrt{2}(1,0\rangle + 0,1\rangle)$	$ 1,1\rangle_1$	$X_1 = X(3872)$	$J/\psi + \rho/\omega, DD^*$
1^{+-}	$1/\sqrt{2}(1,0\rangle - 0,1\rangle)$	$1/\sqrt{2}(1,0\rangle - 0,1\rangle)$	$Z = Z(3900)$	$J/\psi + \pi, h_c/\eta_c + \pi/\rho$
1^{+-}	$ 1,1\rangle_1$	$1/\sqrt{2}(1,0\rangle + 0,1\rangle)$	$Z' = Z(4020)$	$J/\psi + \pi, h_c/\eta_c + \pi/\rho$
2^{++}	$ 1,1\rangle_2$	$ 1,1\rangle_2$	$X_2(\sim 4000 \text{ MeV})$	$J/\psi + \text{light mesons}$

Mass

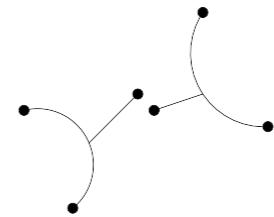
$$H \approx 2\kappa(S_q \cdot S_c + S_{\bar{q}} \cdot S_{\bar{c}})$$

$$(H)_{1^{+-}} = \begin{pmatrix} -\kappa & 0 \\ 0 & \kappa \end{pmatrix}$$

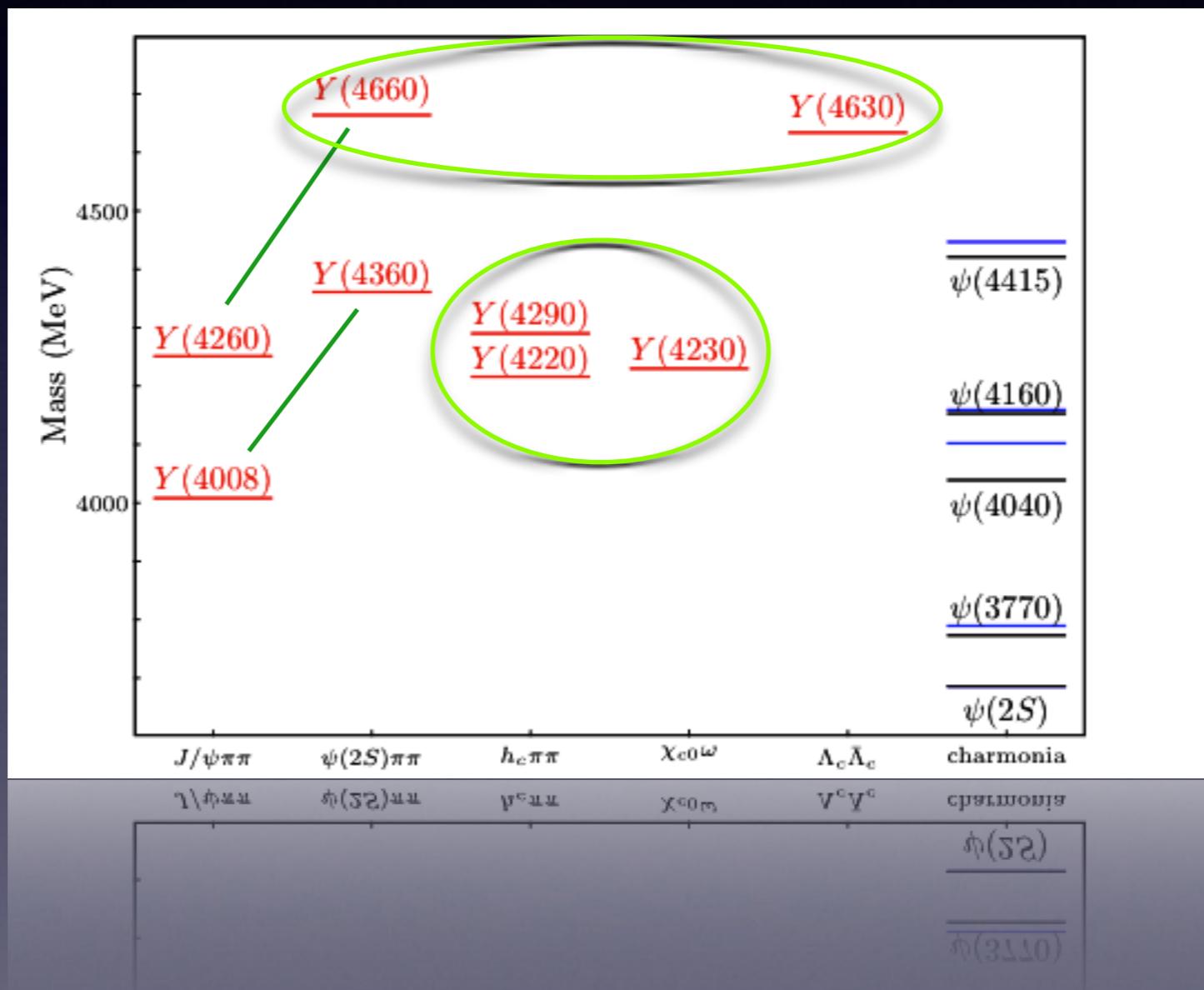
$$\begin{aligned} (H)_{1^{++}} &= -\kappa \\ (H)_{2^{++}} &= \kappa \end{aligned}$$

$$\begin{aligned} (H)_{0^{++}} &= -3\kappa \\ (H)_{0^{++'}} &= \kappa \end{aligned}$$

$$\frac{\mathcal{B}(Y_B \rightarrow \Lambda_c \bar{\Lambda}_c)}{\mathcal{B}(Y_B \rightarrow \psi(2S) \pi^+ \pi^-)} = 24.6 \pm 6.6$$



G. Cotugno, R. Faccini, ADP, C. Sabelli *Phys. Rev. Lett.* **104**, 132005 (2010)



Negative parity ($L=1$)

Spin (dq basis)

$$Y_1 = |0, 0\rangle$$

$$Y_2 = \frac{|1, 0\rangle + |0, 1\rangle}{\sqrt{2}}$$

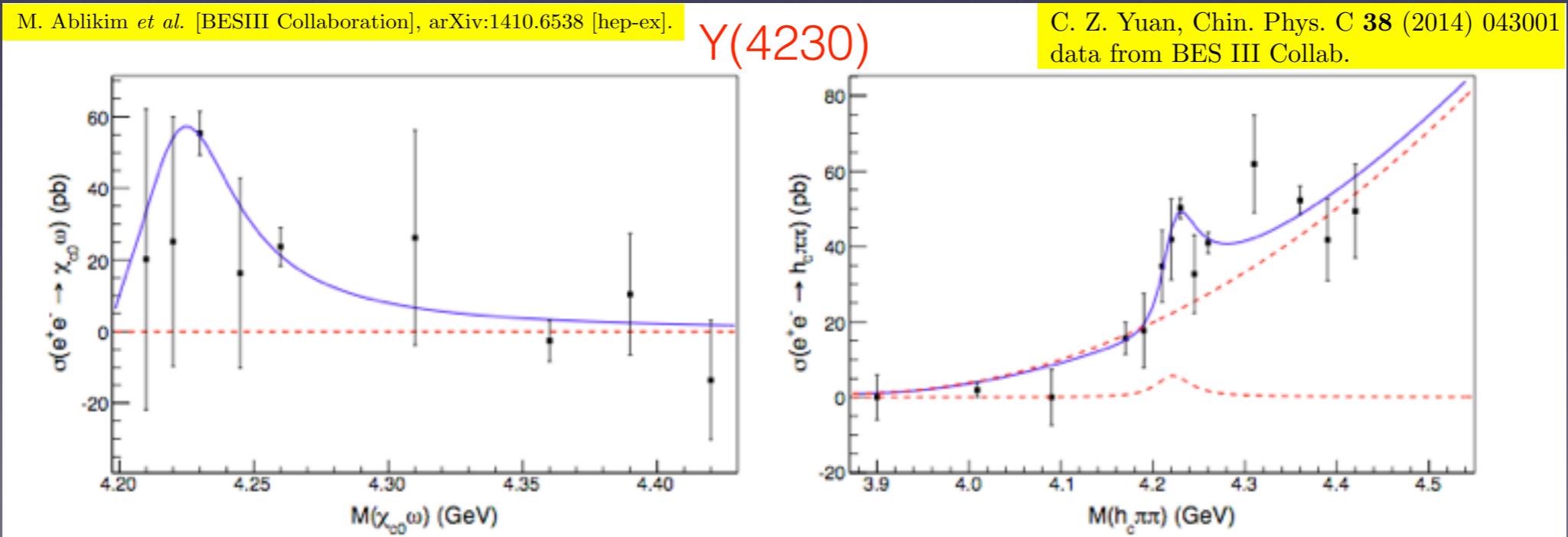
Like the X; Mass difference due to L

$$Y_3 = |1, 1\rangle_{S=0}$$

$$Y_4 = |1, 1\rangle_{S=2}$$

State	$P(S_{c\bar{c}} = 1) : P(S_{c\bar{c}} = 0)$	Assignment	Radiative Decay
Y_1	3:1	$Y(4008)$	$\gamma + X_0$
Y_2	1:0	$Y(4260)$	$\gamma + X$
Y_3	1:3	$Y(4290)/Y(4220)$	$\gamma + X'_0$
Y_4	1:0	$Y(4630)$	$\gamma + X_2$

We identify $Y(4360)$ and $Y(4660)$ decaying into $\psi(2S)\pi$ as radial excitations of $Y(4008)$ and $Y(4260)$.

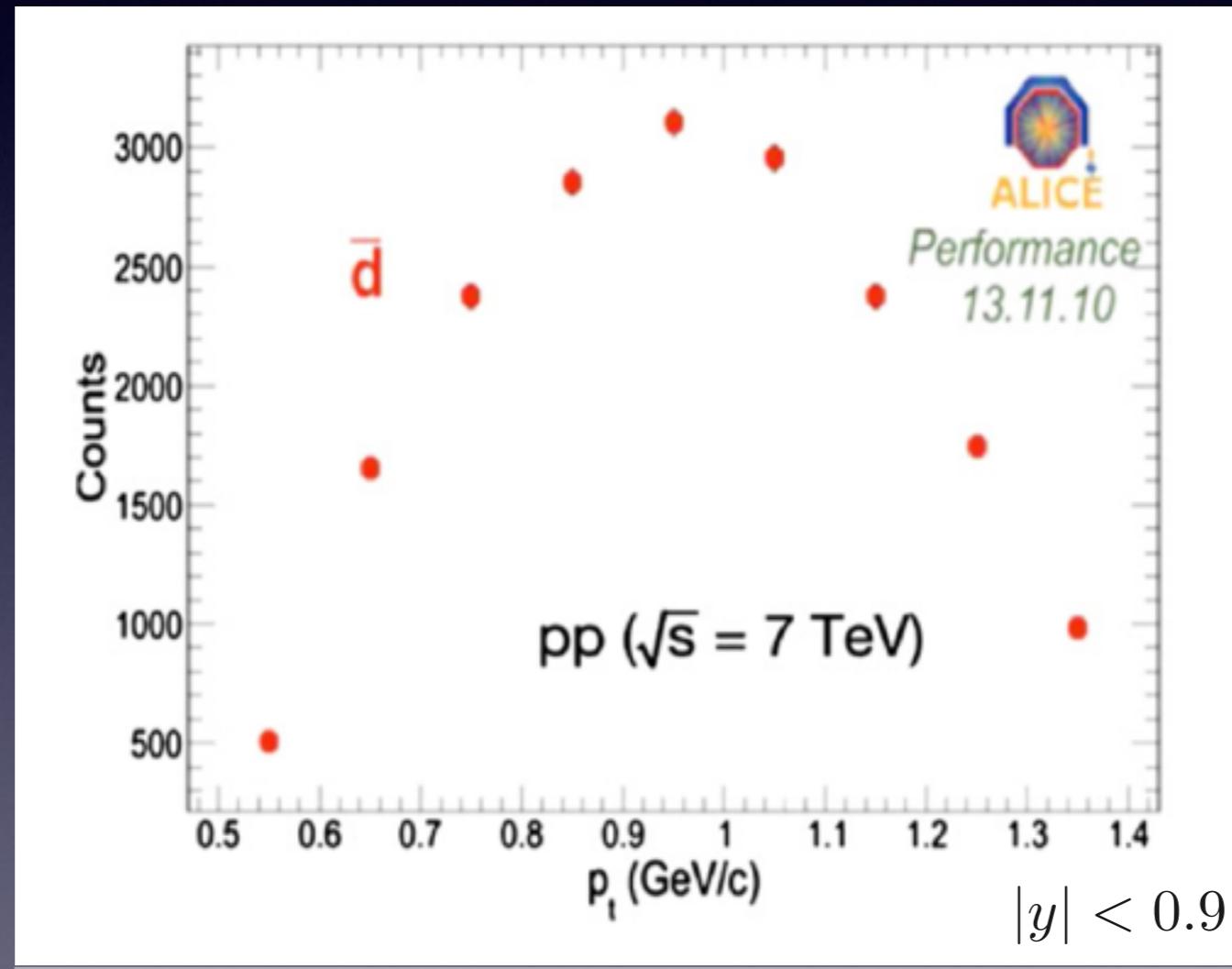


Anti-deuteron at LHC?

A lot!!...

Indeed Alice has 30K antideuterons.

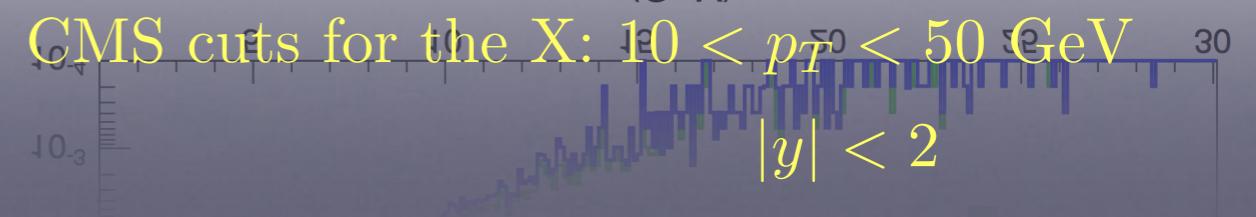
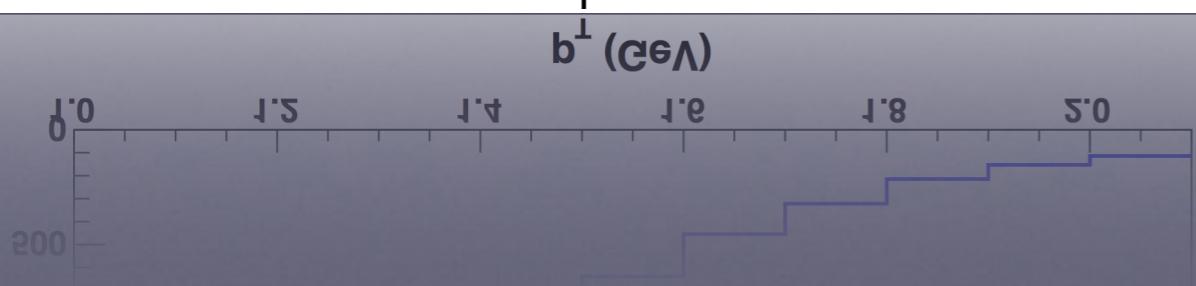
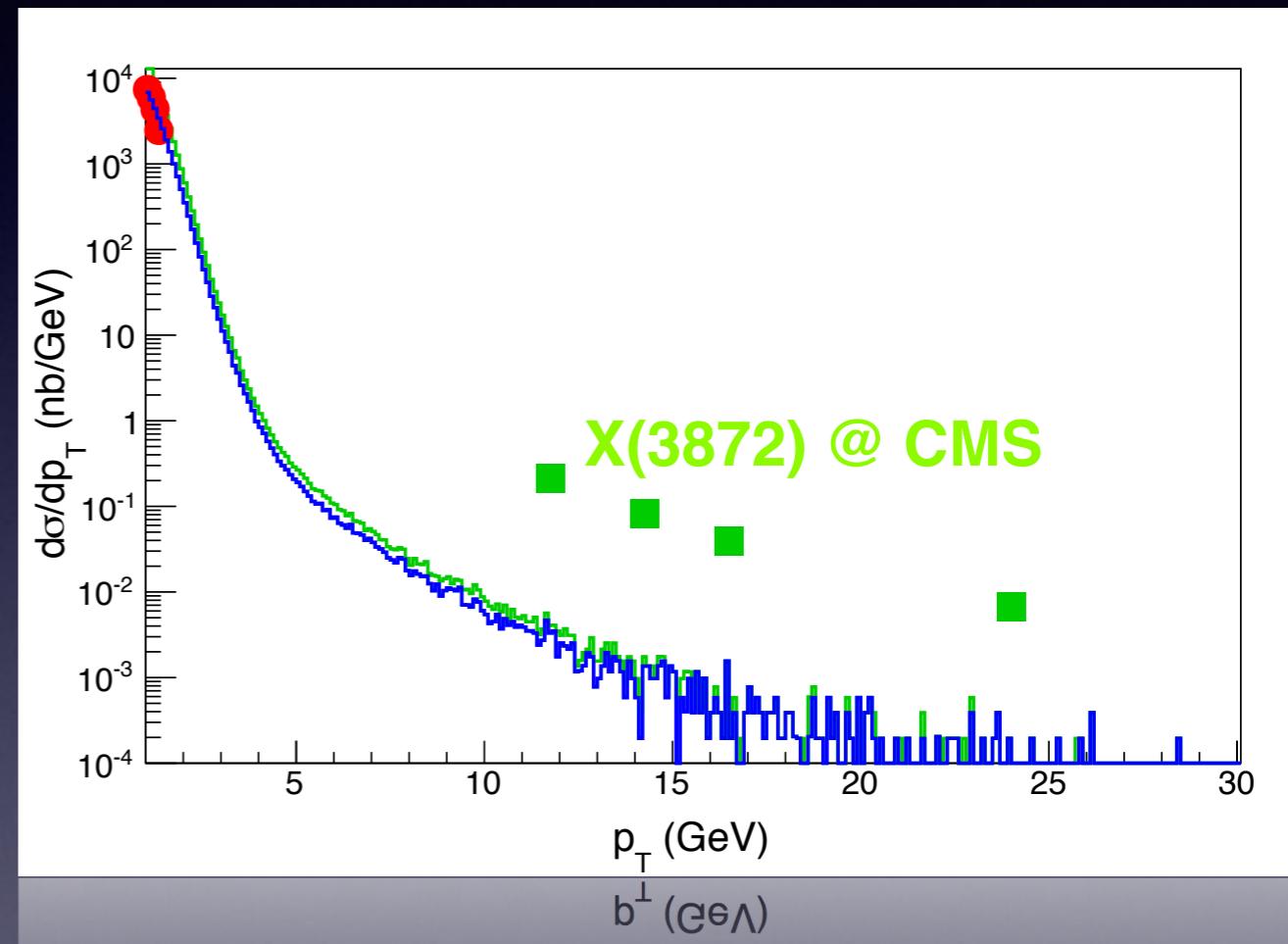
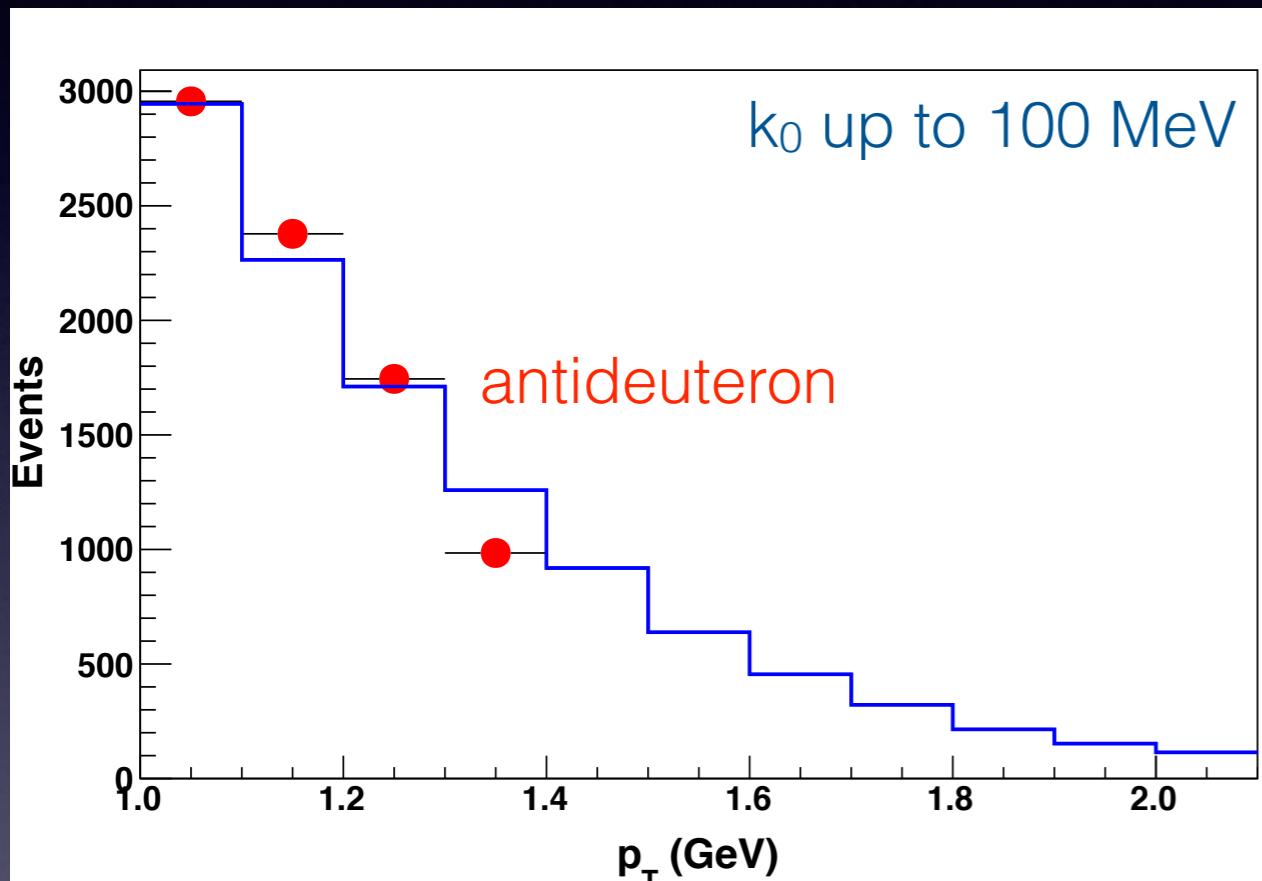
— In which p_T range though?



Recall that X has been observed with a $p_T > 5.5$ GeV!

MC Extrapolation

More data at higher pT would be needed for we can't rely on qcd at $pT \sim 1\text{ GeV}$



Binding Energy

For slow ($ka \ll 1$) spinless particles whose scattering can be described by an attractive shallow potential U with a discrete level $-\epsilon$ ($|\epsilon| \ll |U|$ within a)

$$\epsilon = \frac{g^4}{512\pi^2} \frac{M_D M_{D^*}}{(M_D + M_{D^*})^5}$$

If we consider a transition

$$\langle D^0 \bar{D}^{0*}(\epsilon, q) | X(\lambda, P) \rangle = g \lambda \cdot \epsilon^*$$

in the formula for ϵ one can substitute

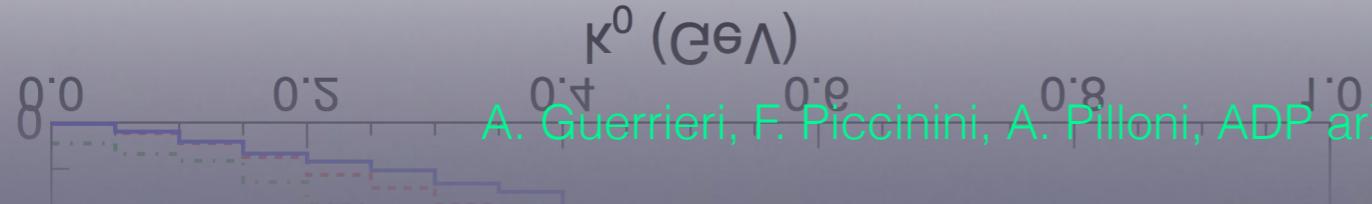
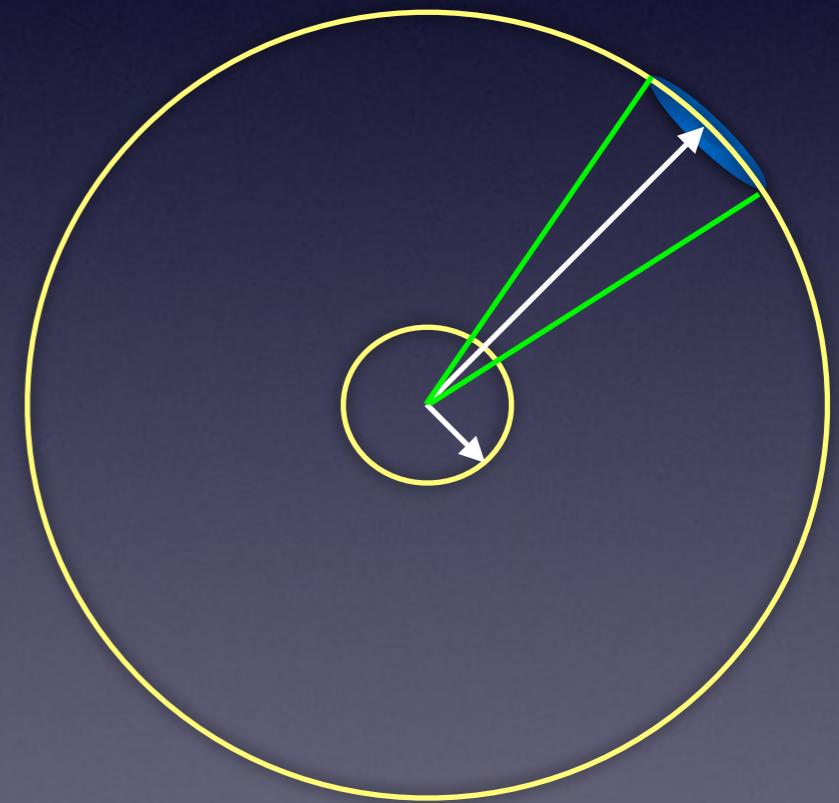
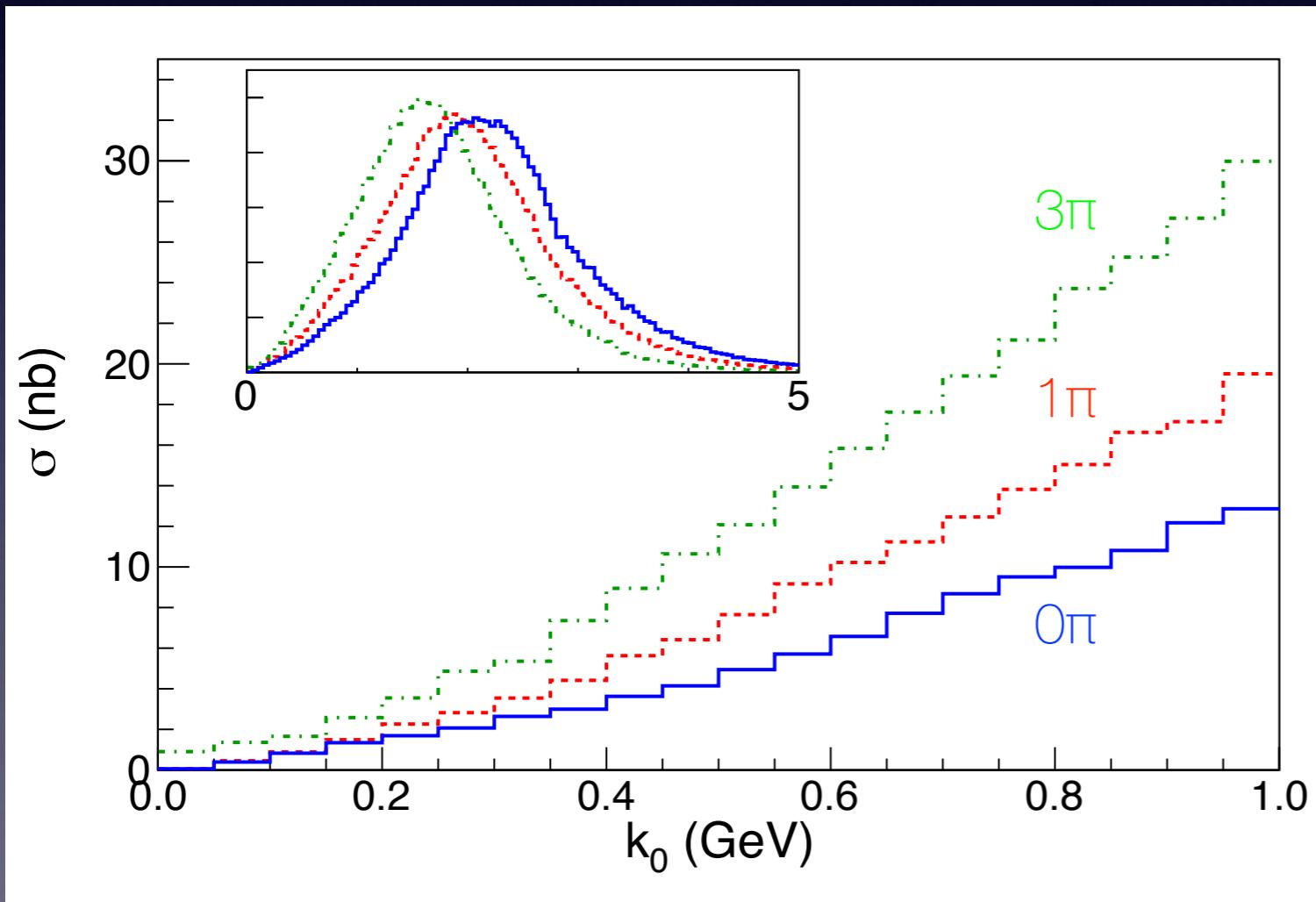
$$g^2 \rightarrow g^2 \frac{1}{3} \left(2 + \frac{(M_X^2 + M_{D^*}^2 - M_D^2)^2}{4M_X^2 M_{D^*}^2} \right)$$

$$|\epsilon|_{\text{exp}} \approx 0.1 \text{ MeV} \text{ vs. } |\epsilon| \approx 0.4 \text{ MeV}$$

with the basic assumption that the barycentric energy is as small as the binding one

Rescattering by Pions

The mechanism works: *feed down* from higher bins — but it does not help in the *bins of interest* (up to 100 MeV for the com relative momentum in the wold-be-molecule, k_0)



4q Hadronization

$$|\psi\rangle = \alpha|[Qq]_{\bar{\mathbf{3}}_c}[\bar{Q}\bar{q}]_{\mathbf{3}_c}\rangle_C + \beta|(Q\bar{Q})_{\mathbf{1}_c}(q\bar{q})_{\mathbf{1}_c}\rangle_O + \gamma|(Q\bar{q})_{\mathbf{1}_c}(\bar{Q}q)_{\mathbf{1}_c}\rangle_O$$

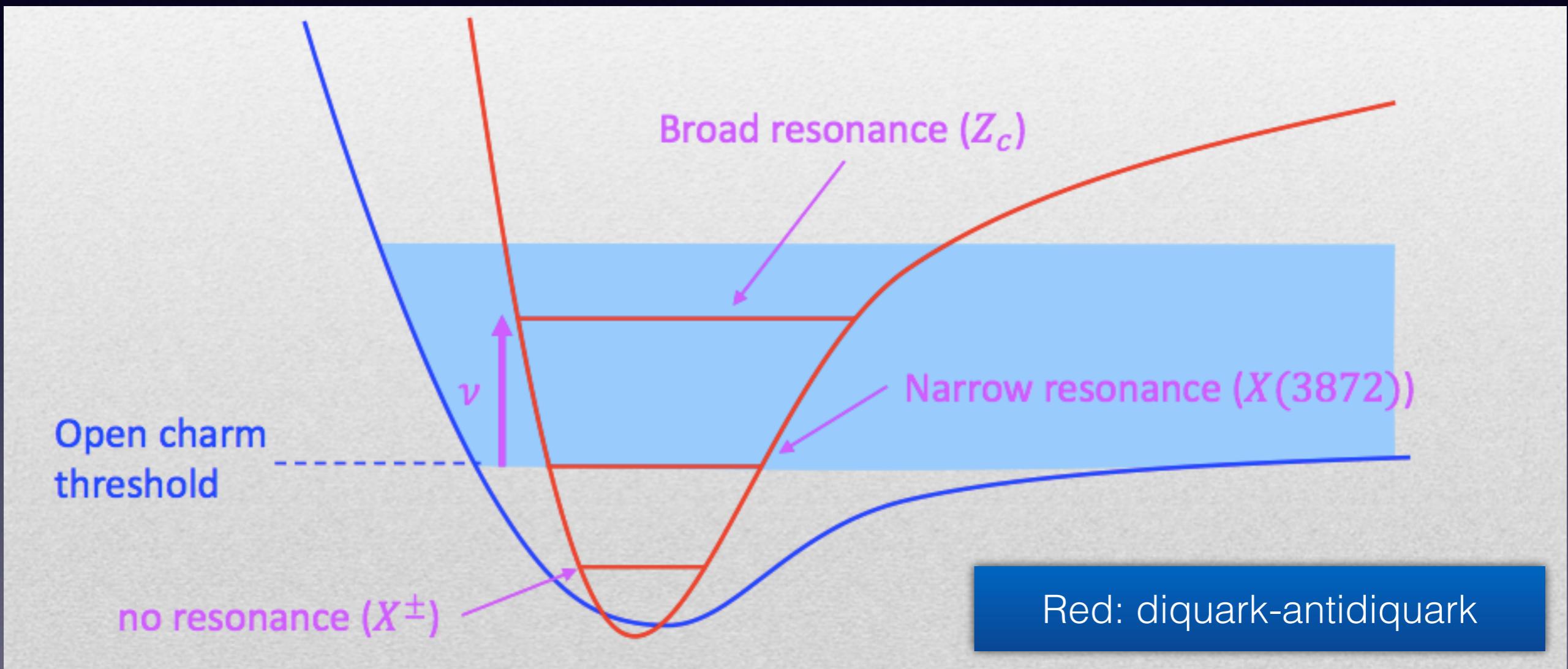
- All ‘would-be’ loosely bound molecules do not form any bound state.
- Sometimes a compact 4-quark state is formed, but it could be that $|\alpha| < |\beta|, |\gamma|$
- An amplification mechanism might be at work when the closed channel level matches the onset of the continuum spectrum of two mesons with the same quantum numbers.

Do we know ‘amplification’ mechanisms between open/closed channels?

The two hadrons in one open channel can undergo an elastic scattering, altered by the presence of the near closed channel level.

Feshbach Mechanism?

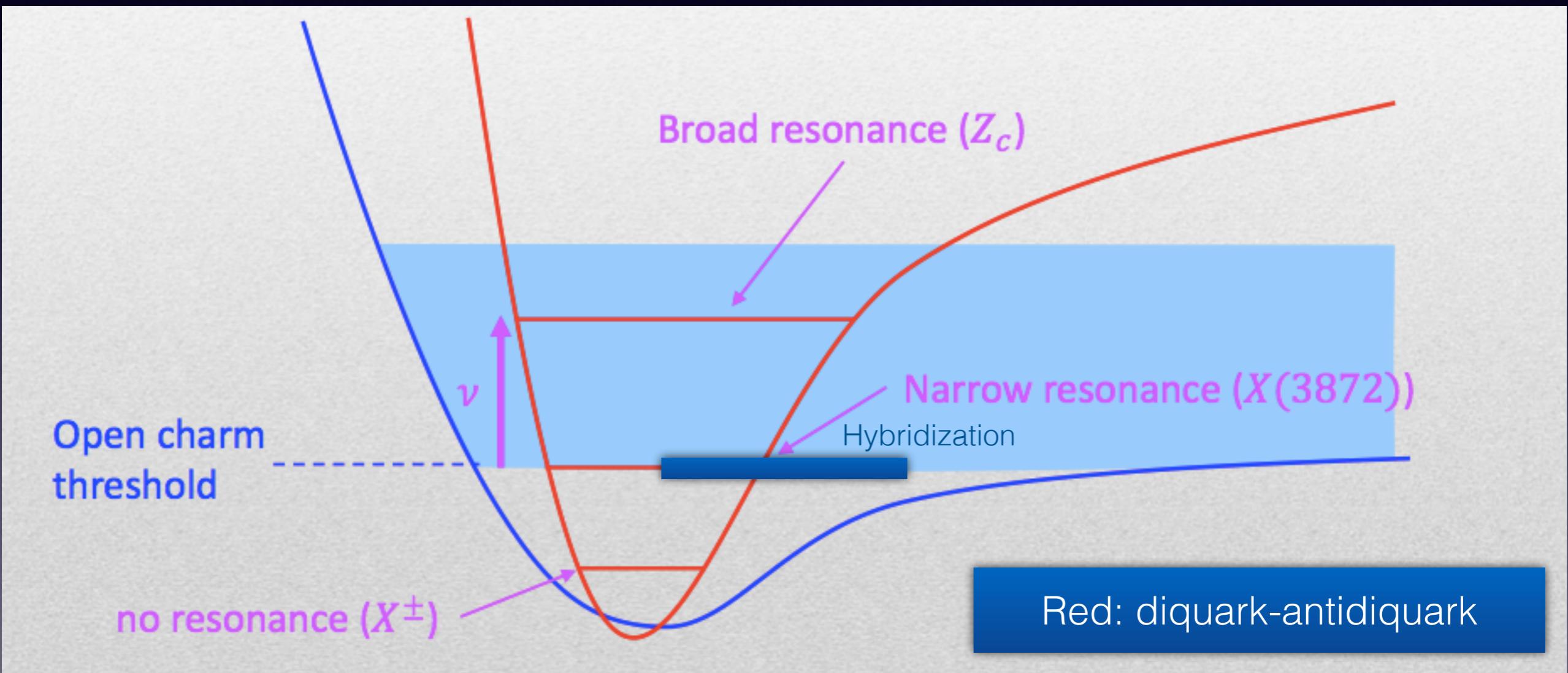
Borrow some ideas from cold atom physics. The Feshbach mechanism.



$$a \sim |C| \sum_n \frac{c \langle [Qq]_{\bar{\mathbf{3}}_c} [\bar{Q}\bar{q}]_{\mathbf{3}_c}, n | H_{CO} | (Q\bar{q})_{\mathbf{1}_c} (\bar{Q}q)_{\mathbf{1}_c} \rangle_O}{E_O - E_n}$$

Feshbach Mechanism?

Consider also that the $J/\psi \rho^+$ is sensibly lower than the related open charm charged molecule. This could be why there is no charged X and I -violat.

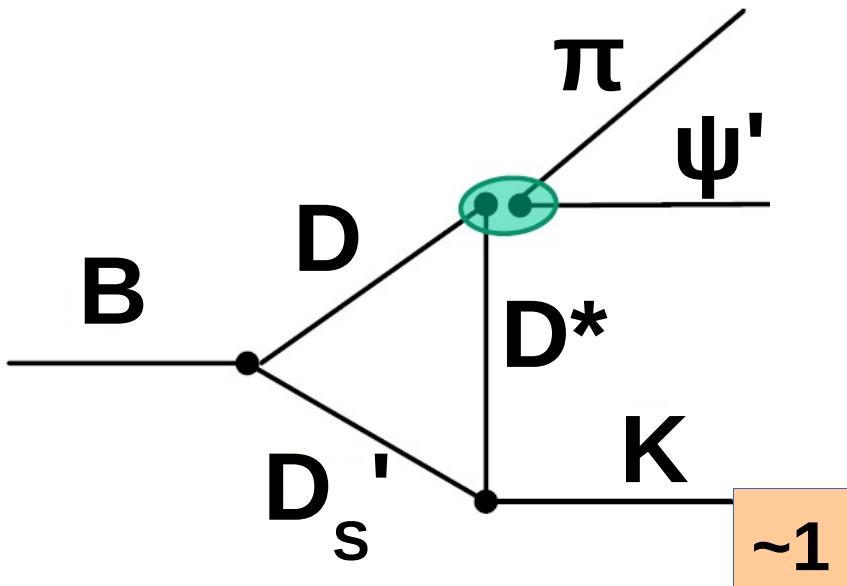


$$a \sim |C| \sum_n \frac{c \langle [Qq]_{\bar{\mathbf{3}}_c} [\bar{Q}\bar{q}]_{\mathbf{3}_c}, n | H_{CO} | (Q\bar{q})_{\mathbf{1}_c} (\bar{Q}q)_{\mathbf{1}_c} \rangle_O}{E_O - E_n}$$

Z(4430) as a rescattering effect

T.Uglov (ITEP)

P.Pakhlov, T.Uglov arXiv: 1408.5295



$$A \sim BW(D_s' \rightarrow D^* K) \times A(D_s' \text{ decay}) \times \\ \times A(D^* \text{ spin rotation}) \times A(Z \text{ formation})$$

$$\sim d_{00}^1(\theta')$$

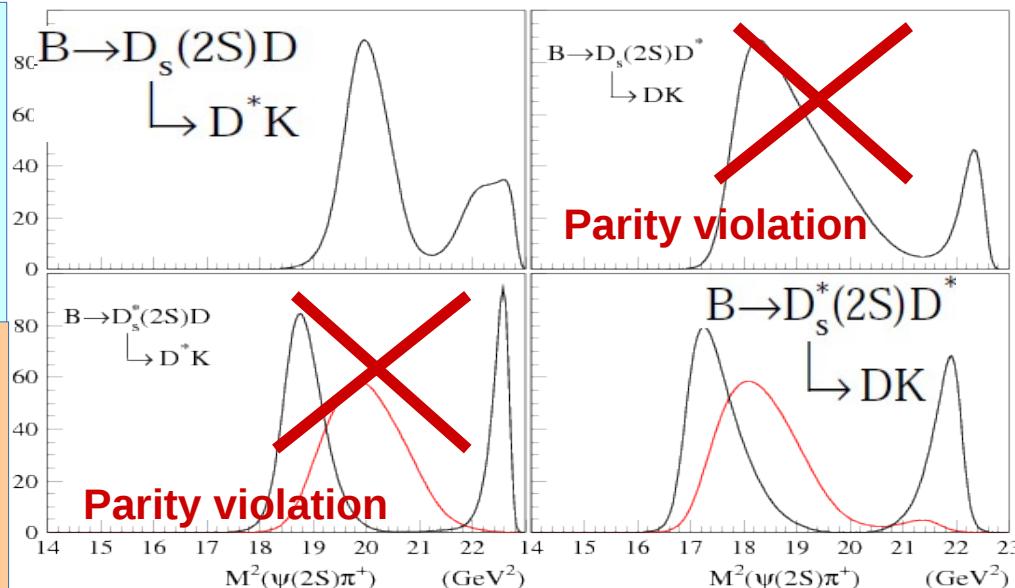
θ' is angle btw. D_s' and Z in D^* frame

$$\sim d_{00}^1(\theta'')$$

θ'' is D^* helicity in Z frame

Assumptions:

- S-wave domination in $DD^* \rightarrow \Psi' \pi$
- On-shell approximation works

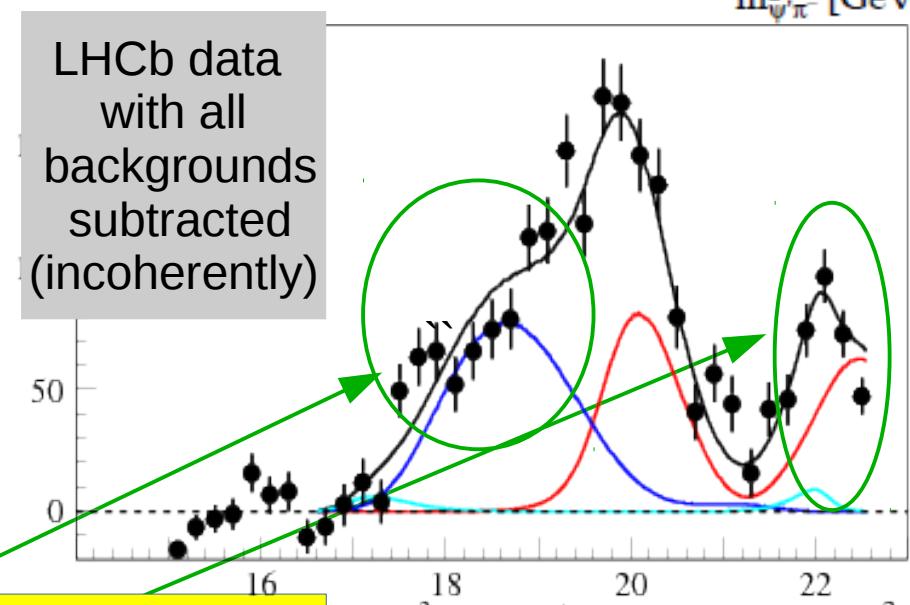
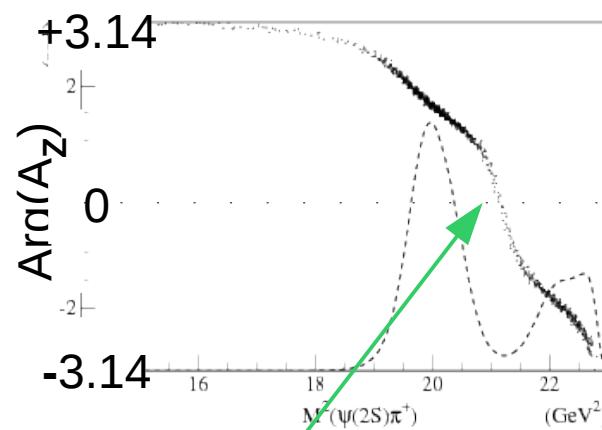
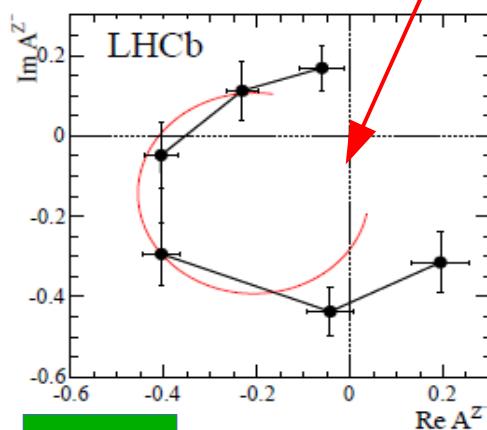
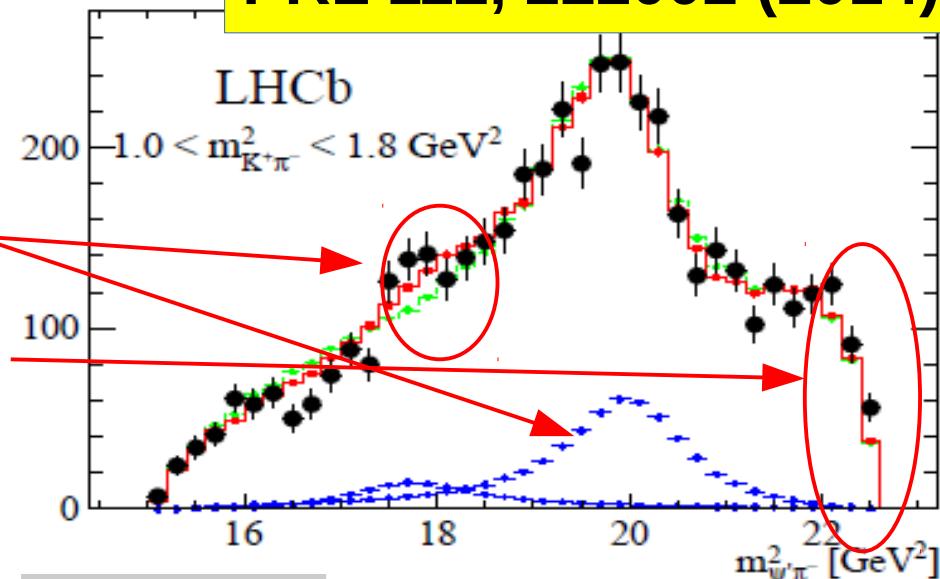


Check with LHCb data

Key features of the LHCb fit:

- Z(4430) quantum numbers: 1^+
- $\sim 5\sigma$ peak at ~ 4200 MeV
- Underestimated event number at the end of the spectrum (some point are excluded “*to improve modeling of the detector efficiency*”)
- Resonance-like Z(4430) phase behavior

PRL 112, 222002 (2014)



Z(4430) from rescattering

- ✓ BW-like phase change (*in opposite direction, though*)
- ✓ Z(4430) quantum numbers: 1^+
- ✓ Broad peak around 4200 MeV
- ✓ Excess at the end of the spectrum

PLB 702, 139 (2011)

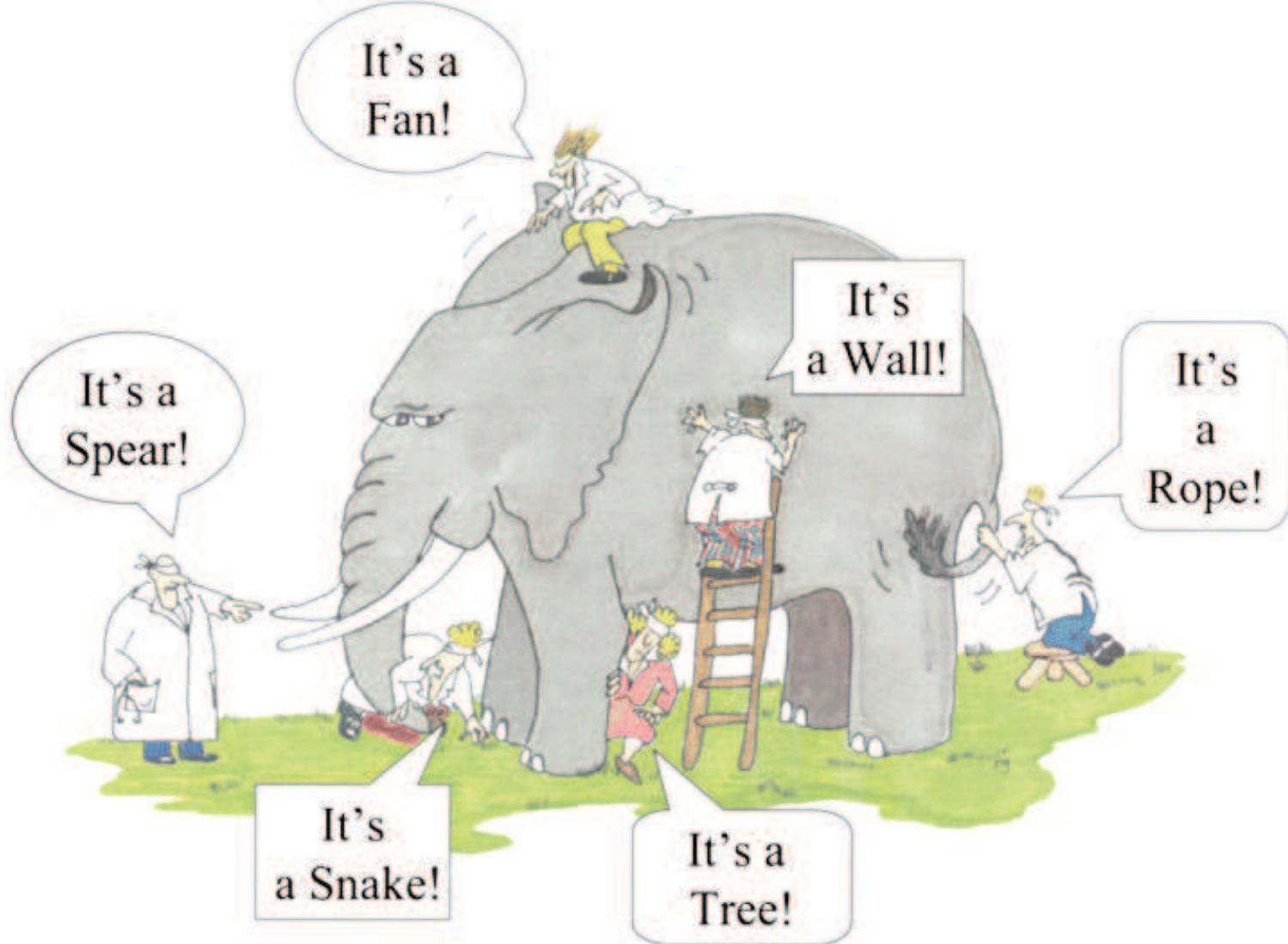
} predictions, made well before Z (4430) quantum number measurements by Belle and LHCb

Are there hadronic molecules amongst the XYZ states?

Christoph Hanhart

Forschungszentrum Jülich

Eric's elephant



artwork by G. R. Guzas

Better: if it is a tree, there must be branches ...

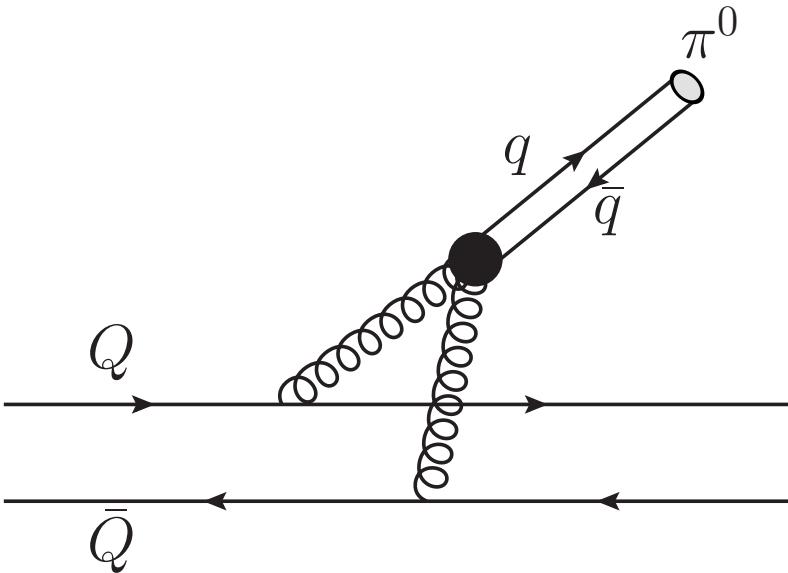
What is a molecule?

A mostly **molecule state** is a physical state with a **two hadron state prominent** in the wave function

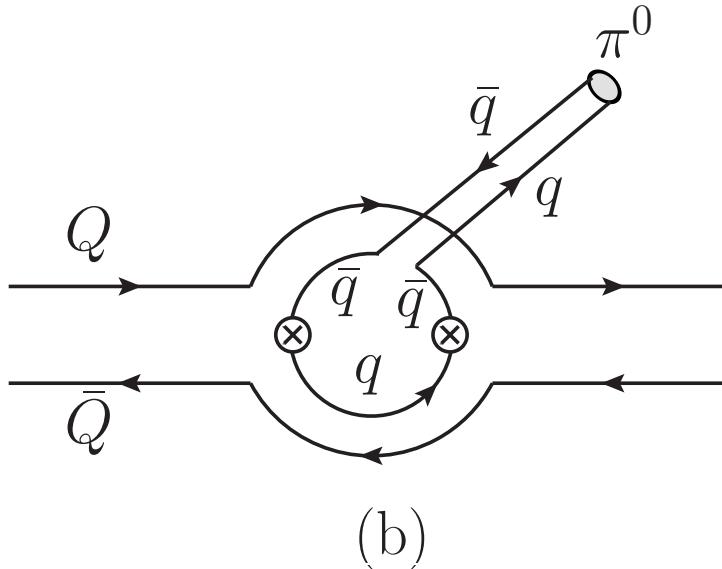
- large coupling to the continuum states
- for near threshold bound states **coupling calculable from binding energy**
- goes **beyond QCDME**

Weinberg 1963

Moxhay (1989); Zhou and Kuang (1991)



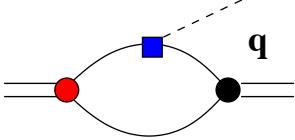
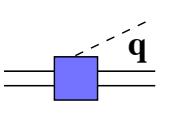
(a)



(b)

Formal considerations

Transition from a pos. parity state to a light neg. parity state and

	a pos. parity $\bar{Q}Q$		a neg. parity $\bar{Q}Q$	
transition		convergent		divergent
compact state	N ² LO	LO	N ² LO	LO
molecule	LO	NLO	LO	LO

Only those transitions are sensitive to the molecular nature that are dominated by the loops!

Mehen/Springer, PRD83 (2011), Guo/Meißner, PRL109 (2012), Cleven et al., PRD87 (2013)

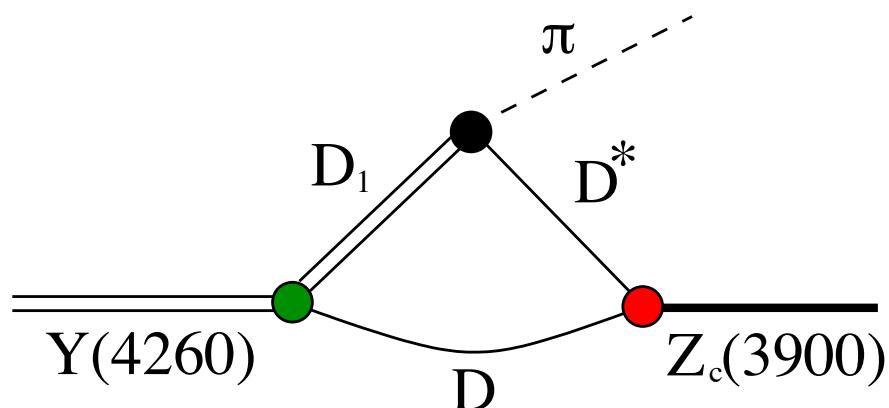
A X, Y, Z story

We proposed:

- $Y(4260)$ is a $D_1(2420)\bar{D}$ –molecule
- $Z_c(3900)$ is a $D^*\bar{D}$ molecule

A molecule decays via its constituents

Within this picture Z_c was found in $Y(4260)$ decays
 since the decay $D_1 \rightarrow D\pi$ provides many slow D^*D pairs



Q. Wang, CH and Q. Zhao, Phys. Rev. Lett. 111 (2013) 132003

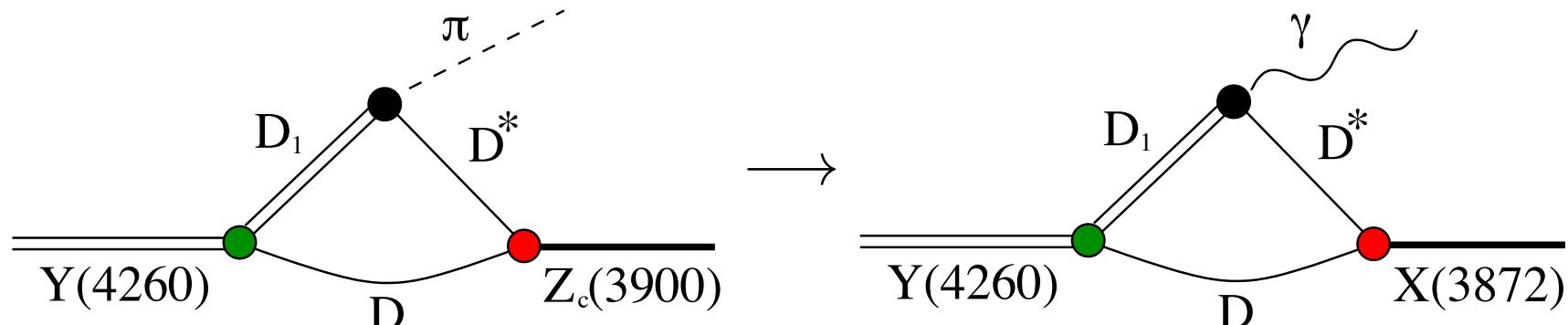
We claim that Z_c ($I(J^{PC} = 1(1^{+-}))$) is a $(\bar{D}^* D + D^* \bar{D})$ state with

$$Z_c^+ \sim D^{*+} \bar{D}^0, \quad Z_c^0 \sim \frac{1}{\sqrt{2}}(D^{*+} D^- - D^{*0} \bar{D}^0), \quad Z_c^- \sim D^{*0} D^-$$

If now $X(3872)$ ($I(J^{PC} = 0(1^{++}))$) is a $(\bar{D}^* D - D^* \bar{D})$ state with

$$X \sim \frac{1}{\sqrt{2}}(D^{*+} D^- + D^{*0} \bar{D}^0)$$

there must be $Y(4260) \rightarrow \gamma X(3872)$ F.-K. Guo et al., PLB 725 (2013) 127-133



For more: see talk by Qian Wang - this afternoon

SPECTROSCOPY AND REGGE TRAJECTORIES OF HEAVY QUARKONIA

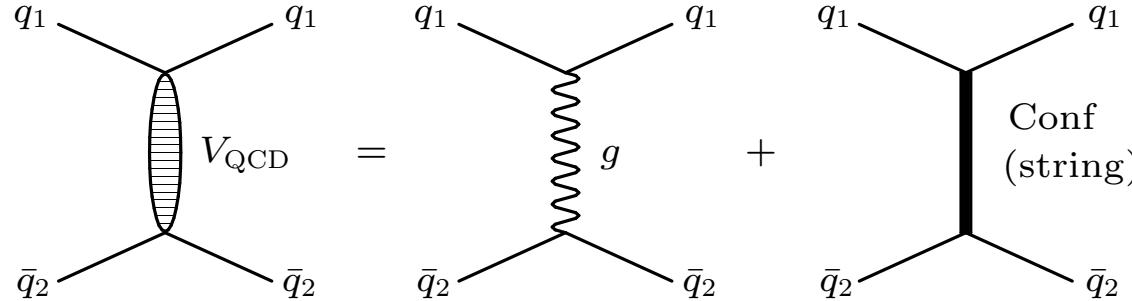
Rudolf Faustov

Dorodnicyn Computing Centre, RAS, Moscow

(in collaboration with Dietmar Ebert and Vladimir Galkin)

10th International Workshop on Heavy Quarkonium
10-14 November 2014, CERN

- Relativistic Schrödinger-like equation with $Q\bar{Q}$ quasipotential



$$V(\mathbf{p}, \mathbf{q}; M) = \bar{u}_1(p)\bar{u}_2(-p) \left\{ \frac{4}{3}\alpha_s D_{\mu\nu}(\mathbf{k})\gamma_1^\mu\gamma_2^\nu + V_{\text{conf}}^V(\mathbf{k})\Gamma_1^\mu\Gamma_{2;\mu} + V_{\text{conf}}^S(\mathbf{k}) \right\} u_1(q)u_2(-q)$$

$\mathbf{k} = \mathbf{p} - \mathbf{q}$; $D_{\mu\nu}(\mathbf{k})$ - (perturbative) gluon propagator

$\Gamma_\mu(\mathbf{k})$ - effective long-range vertex with Pauli term:

$$\Gamma_\mu(\mathbf{k}) = \gamma_\mu + \frac{i\kappa}{2m}\sigma_{\mu\nu}k^\nu,$$

κ - anomalous chromomagnetic moment of quark,

- Lorentz structure of $V_{\text{conf}} = V_{\text{conf}}^V + V_{\text{conf}}^S$

In nonrelativistic limit

$$\left. \begin{aligned} V_{\text{conf}}^V(r) &= (1 - \varepsilon)(Ar + B) \\ V_{\text{conf}}^S(r) &= \varepsilon(Ar + B) \end{aligned} \right\} \quad \text{Sum : } V_{\text{conf}}(r) = Ar + B$$

ε - mixing parameter

$$V_{\text{NR}}(r) = V_{\text{Coul}}(r) + V_{\text{conf}}(r)$$

$$V_{\text{Coul}}(r) = -\frac{4\alpha_s}{3r}$$

Parameters A , B , κ , ε and quark masses fixed from analysis of meson masses and radiative decays:

$\varepsilon = -1$ from heavy quarkonium radiative decays ($J/\psi \rightarrow \eta_c + \gamma$) and HQET

$\kappa = -1$ from fine splitting of heavy quarkonium 3P_J states and HQET

$(1 + \kappa) = 0 \implies$ vanishing long-range chromomagnetic interaction ! (flux tube model)

$$\alpha_s(\mu) = \frac{4\pi}{\beta_0 \ln \frac{\mu^2}{\Lambda^2}}, \quad \beta_0 = 11 - \frac{2}{3}n_f, \quad \mu = \frac{2m_1 m_2}{m_1 + m_2},$$

Quasipotential parameters:

$A = 0.18 \text{ GeV}^2$, $B = -0.30 \text{ GeV}$,

$\Lambda = 0.169 \text{ GeV}$

Quark masses:

$m_b = 4.88 \text{ GeV}$ $m_s = 0.50 \text{ GeV}$

$m_c = 1.55 \text{ GeV}$ $m_{u,d} = 0.33 \text{ GeV}$

Table 1: Charmonium mass spectrum (in MeV).

$n^{2S+1}L_J J^P$	State	Theory	Experiment		$n^{2S+1}L_J J^P$	State	Theory	Experiment	
			meson	mass				meson	mass
1^1S_0	0^{-+}	2981	$\eta_c(1S)$	2980.3(1.2)	2^3D_1	1^{--}	4150	$\psi(4160)$	4191(5)
1^3S_1	1^{--}	3096	$J/\psi(1S)$	3096.916(11)	2^3D_2	2^{--}	4190		
2^1S_0	0^{-+}	3635	$\eta_c(2S)$	3637(4)	2^3D_3	3^{--}	4220		
2^3S_1	1^{--}	3685	$\psi(2S)$	3686.09(4)	2^1D_2	2^{-+}	4196	$X(4160)?$	$4156(^{29}_{25})$
3^1S_0	0^{-+}	3989			3^3D_1	1^{--}	4507		
3^3S_1	1^{--}	4039	$\psi(4040)$	4039(1)	3^3D_2	2^{--}	4544		
4^1S_0	0^{-+}	4401			3^3D_3	3^{--}	4574		
4^3S_1	1^{--}	4427	$\psi(4415)$	4421(4)	3^1D_2	2^{-+}	4549		
5^1S_0	0^{-+}	4811			4^3D_1	1^{--}	4857		
5^3S_1	1^{--}	4837			4^3D_2	2^{--}	4896		
6^1S_0	0^{-+}	5155			4^3D_3	3^{--}	4920		
6^3S_1	1^{--}	5167			4^1D_2	2^{-+}	4898		
1^3P_0	0^{++}	3413	$\chi_{c0}(1P)$	3414.75(31)	1^3F_2	2^{++}	4041		
1^3P_1	1^{++}	3511	$\chi_{c1}(1P)$	3510.66(7)	1^3F_3	3^{++}	4068		
1^3P_2	2^{++}	3555	$\chi_{c2}(1P)$	3556.20(9)	1^3F_4	4^{++}	4093		
1^1P_1	1^{+-}	3525	$h_c(1P)$	3525.41(16)	1^1F_3	3^{+-}	4071		
2^3P_0	0^{++}	3870	$\chi_{c0}(2P)$	3918.4(1.9)	2^3F_2	2^{++}	4361		
2^3P_1	1^{++}	3906			2^3F_3	3^{++}	4400		
2^3P_2	2^{++}	3949	$\chi_{c2}(2P)$	3927.2(2.6)	2^3F_4	4^{++}	4434		
2^1P_1	1^{+-}	3926			2^1F_3	3^{+-}	4406		
3^3P_0	0^{++}	4301			1^3G_3	3^{--}	4321		
3^3P_1	1^{++}	4319			1^3G_4	4^{--}	4343		
3^3P_2	2^{++}	4354	$X(4350)?$	4351(5)	1^3G_5	5^{--}	4357		

Table 1: (continued)

State $n^{2S+1}L_J J^{PC}$			Theory	Experiment		State $n^{2S+1}L_J J^{PC}$			Theory	Experiment	
	meson	mass		meson	mass		meson	mass		meson	mass
3^1P_1	1^{+-}	4337				1^1G_4	4^{-+}	4345			
4^3P_0	0^{++}	4698				1^3H_4	4^{++}	4572			
4^3P_1	1^{++}	4728				1^3H_5	5^{++}	4592			
4^3P_2	2^{++}	4763				1^3H_6	6^{++}	4608			
4^1P_1	1^{+-}	4744				1^3H_5	5^{+-}	4594			
1^3D_1	1^{--}	3783	$\psi(3770)$	3773.15(33)							
1^3D_2	2^{--}	3795	$X(3823)$	3823.1(1.9)							
1^3D_3	3^{--}	3813									
1^1D_2	2^{-+}	3807									

Table 2: Bottomonium mass spectrum (in MeV).

State $n^{2S+1}L_J J^{PC}$			Theory	Experiment		State $n^{2S+1}L_J J^{PC}$			Theory
	meson	mass		meson	mass		meson	mass	
1^1S_0	0^{-+}	9398	$\eta_b(1S)$		9398.0(3.2)		2^3D_1	1^{--}	10435
1^3S_1	1^{--}	9460	$\Upsilon(1S)$		9460.30(26)		2^3D_2	2^{--}	10443
2^1S_0	0^{-+}	9990	$\eta_b(2S)$		9999.0(4.5)		2^3D_3	3^{--}	10449
2^3S_1	1^{--}	10023	$\Upsilon(2S)$		10023.26(31)		2^1D_2	2^{-+}	10445
3^1S_0	0^{-+}	10329					3^3D_1	1^{--}	10704
3^3S_1	1^{--}	10355	$\Upsilon(3S)$		10355.2(5)		3^3D_2	2^{--}	10711
4^1S_0	0^{-+}	10573					3^3D_3	3^{--}	10717
4^3S_1	1^{--}	10586	$\Upsilon(4S)$		10579.4(1.2)		3^1D_2	2^{-+}	10713
5^1S_0	0^{-+}	10851					4^3D_1	1^{--}	10949

State			Theory	Experiment		State			Theory
$n^{2S+1}L_J$	J^P	C		meson	mass	$n^{2S+1}L_J$	J^P	C	
5^3S_1	1^{--}	10869	$\Upsilon(10860)$		10876(1)	4^3D_2	2^{--}		10957
6^1S_0	0^{-+}	11061				4^3D_3	3^{--}		10963
6^3S_1	1^{--}	11088	$\Upsilon(11020)$		11019(8)	4^1D_2	2^{-+}		10959
1^3P_0	0^{++}	9859	$\chi_{b0}(1P)$		9859.44(52)	1^3F_2	2^{++}		10343
1^3P_1	1^{++}	9892	$\chi_{b1}(1P)$		9892.78(40)	1^3F_3	3^{++}		10346
1^3P_2	2^{++}	9912	$\chi_{b2}(1P)$		9912.21(40)	1^3F_4	4^{++}		10349
1^1P_1	1^{+-}	9900	$h_b(1P)$		9899.3(1.0)	1^1F_3	3^{+-}		10347
2^3P_0	0^{++}	10233	$\chi_{b0}(2P)$		10232.5(6)	2^3F_2	2^{++}		10610
2^3P_1	1^{++}	10255	$\chi_{b1}(2P)$		10255.46(55)	2^3F_3	3^{++}		10614
2^3P_2	2^{++}	10268	$\chi_{b2}(2P)$		10268.65(55)	2^3F_4	4^{++}		10617
2^1P_1	1^{+-}	10260	$h_b(2P)$		10259.8(1.2)	2^1F_3	3^{+-}		10615
3^3P_0	0^{++}	10521				1^3G_3	3^{--}		10511
3^3P_1	1^{++}	10541	$\chi_b(3P)$	$\begin{cases} 10534(9)\text{PDG} \\ 10516(4)\text{LHCb} \end{cases}$		1^3G_4	4^{--}		10512
3^3P_2	2^{++}	10550				1^3G_5	5^{--}		10514
3^1P_1	1^{+-}	10544				1^1G_4	4^{-+}		10513
4^3P_0	0^{++}	10781				1^3H_4	4^{++}		10670
4^3P_1	1^{++}	10802				1^3H_5	5^{++}		10671
4^3P_2	2^{++}	10812				1^3H_6	6^{++}		10672
4^1P_1	1^{+-}	10804				1^3H_5	5^{+-}		10671
1^3D_1	1^{--}	10154							
1^3D_2	2^{--}	10161	$\Upsilon(1D)$		10163.7(1.4)				
1^3D_3	3^{--}	10166							

Bottomonium hyperfine splittings:

- $1S$ and $2S$ states

$$\Delta M_{\text{hfs}}(nS) \equiv M_{\Upsilon(nS)} - M_{\eta_b(nS)}$$

- ★ $1S$ states

$$\Delta M_{\text{hfs}}^{\text{exp}}(1S) = 62.3 \pm 3.2 \text{ MeV} \quad \Delta M_{\text{hfs}}^{\text{theor}}(1S) = 62 \text{ MeV}$$

- ★ $2S$ states

$$\Delta M_{\text{hfs}}^{\text{exp}}(2S) = 24 \pm 4 \text{ MeV} \quad \Delta M_{\text{hfs}}^{\text{theor}}(2S) = 33 \text{ MeV}$$

- $1P$ and $2P$ states

$$\Delta M_{\text{hfs}}(nP) \equiv \langle M(n^3P_J) \rangle - M(n^1P_1),$$

where spin-averaged centroid of the triplet states

$$\langle M(^3P_J) \rangle = [M(\chi_{b0}) + 3M(\chi_{b1}) + 5M(\chi_{b2})]/9 \quad M(^1P_1) = M(h_b)$$

- ★ $1P$ states

$$\Delta M_{\text{hfs}}^{\text{exp}}(1P) = (0.8 \pm 1.1) \text{ MeV} \quad \Delta M_{\text{hfs}}^{\text{theor}}(1P) = 0$$

- ★ $2P$ states

$$\Delta M_{\text{hfs}}^{\text{exp}}(2P) = (0.5 \pm 1.2) \text{ MeV} \quad \Delta M_{\text{hfs}}^{\text{theor}}(1P) = 0$$

➡ vanishing of the long-range chromomagnetic interaction in heavy quarkonia (e.g. flux tube model)

REGGE TRAJECTORIES

(a) The (J, M^2) Regge trajectory:

$$J = \alpha M^2 + \alpha_0$$

(b) The (n_r, M^2) Regge trajectory:

$$n_r = \beta M^2 + \beta_0,$$

α, β – slopes

α_0, β_0 – intercepts.

$P = (-1)^J$ – natural parity

$P = (-1)^{J-1}$ – unnatural parity

Nonlinear Regge trajectories:

(a) for the parent trajectory in the (J, M^2) plane

$$M^2 = \left(J - \frac{\gamma_1}{(J+2)^2} + \gamma_0 \right) / \gamma,$$

(b) for the $J = 1$ trajectory in the (n_r, M^2) plane

$$M^2 = \left(n_r - \frac{\tau_1}{(n_r+2)^2} + \tau_0 \right) / \tau,$$

γ, τ – slopes, γ_0, τ_0 – intercepts, γ_1, τ_1 – nonlinearity.

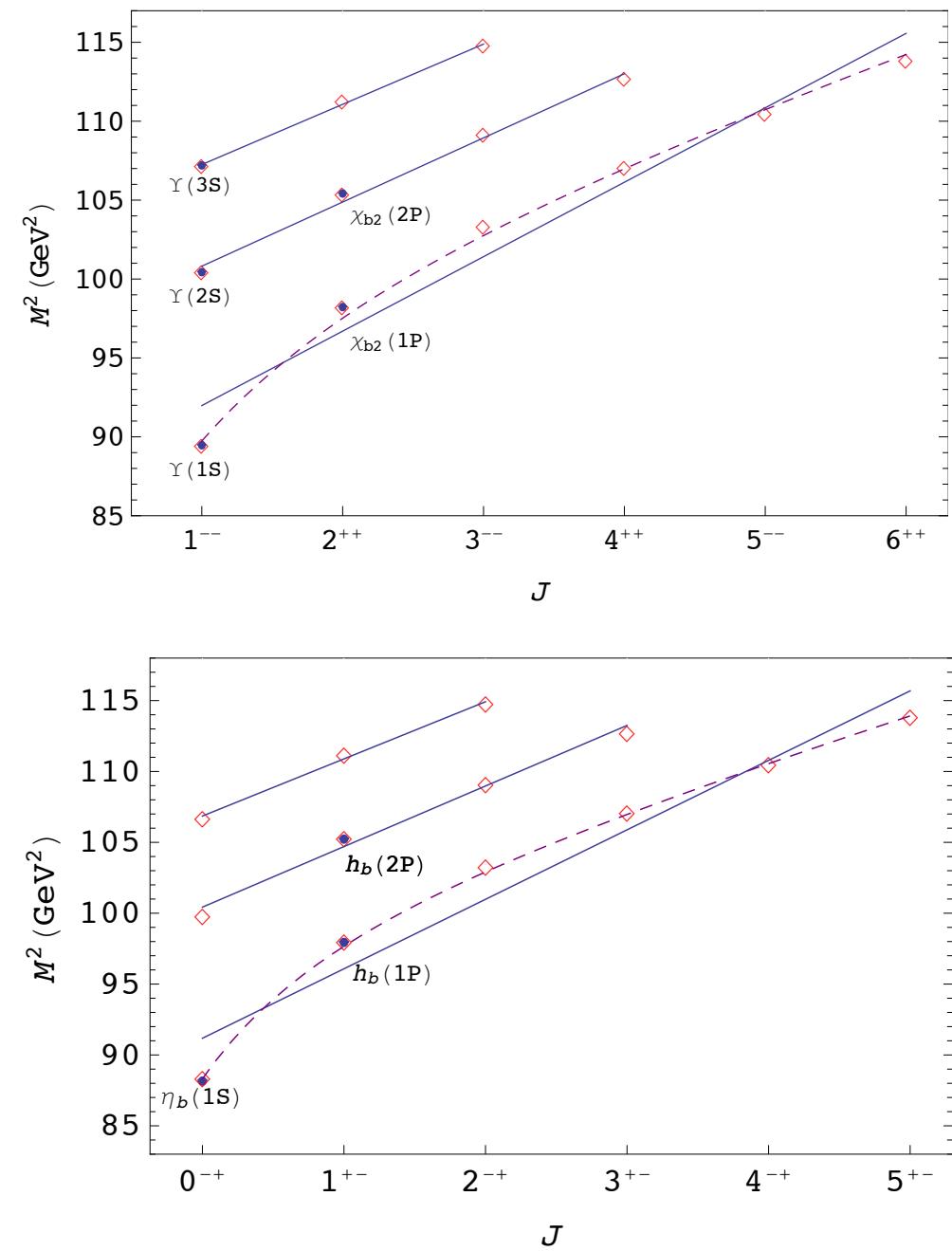
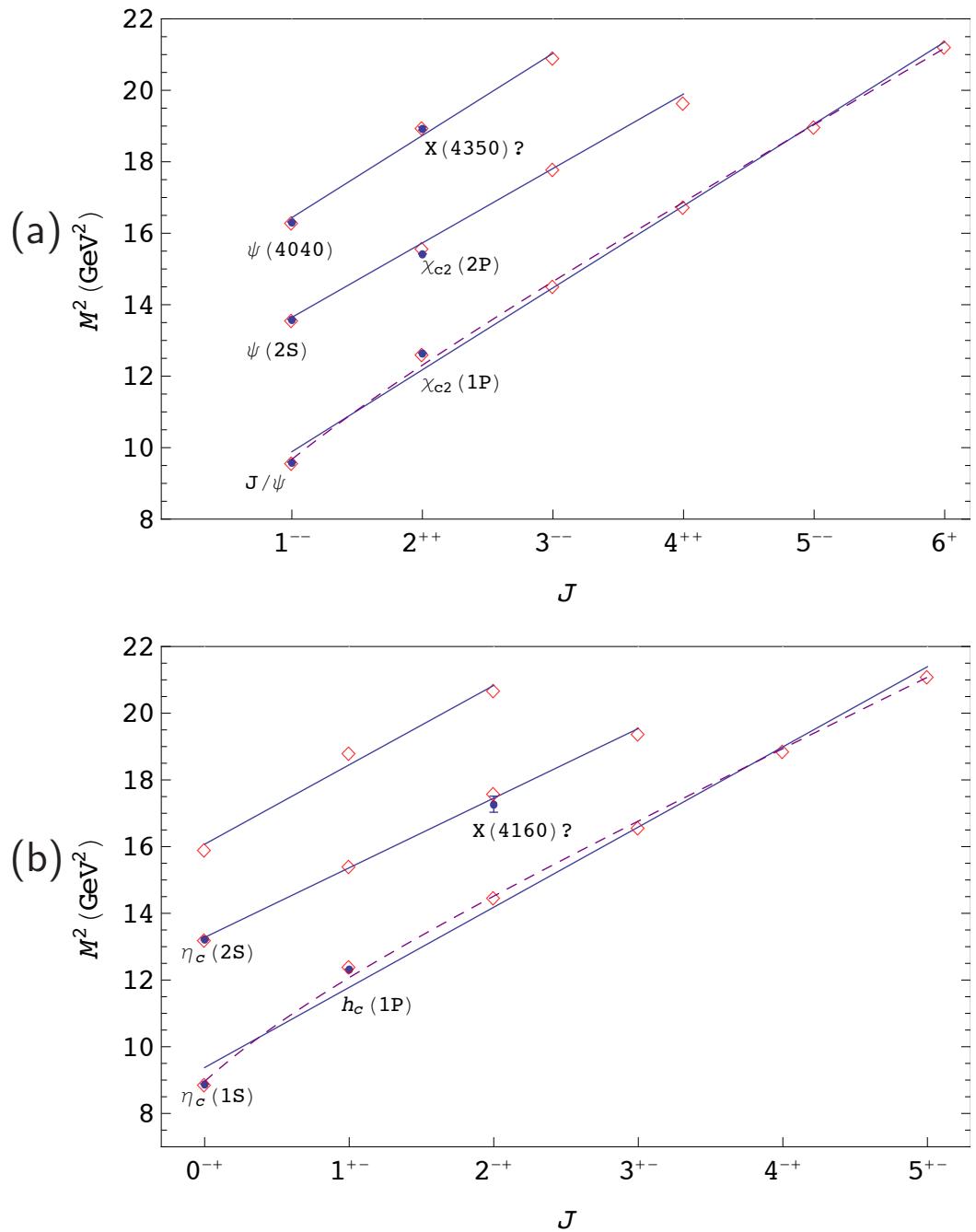
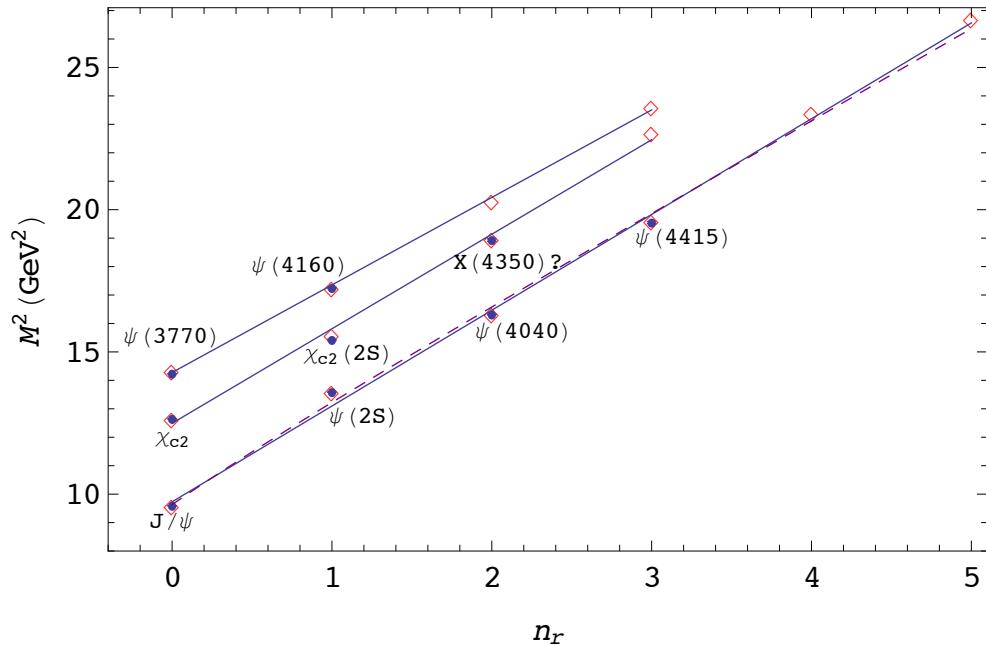
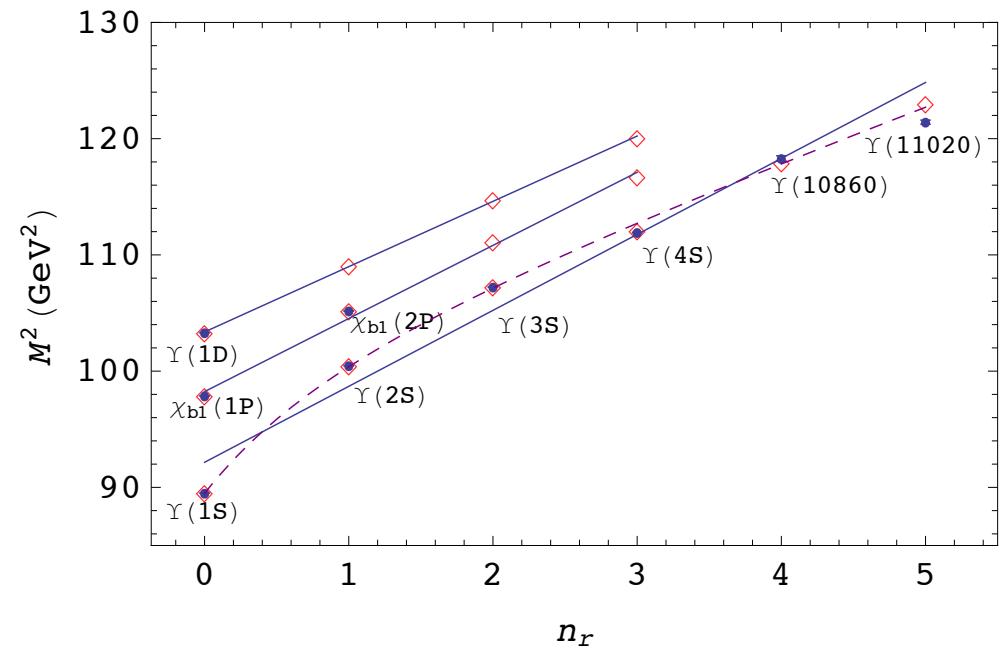


Figure 1: Parent and daughter (J, M^2) Regge trajectories for charmonium and bottomonium state with natural (a) and unnatural (b) parity. Diamonds are predicted masses. Available experimental data are given by dots with error bars and particle names. The dashed line corresponds to a nonlinear fit.



(a)



(b)

Figure 2: The (n_r, M^2) Regge trajectories for vector (S -wave), tensor and vector (D -wave) charmonium (a) and bottomonium (b) states (from bottom to top).

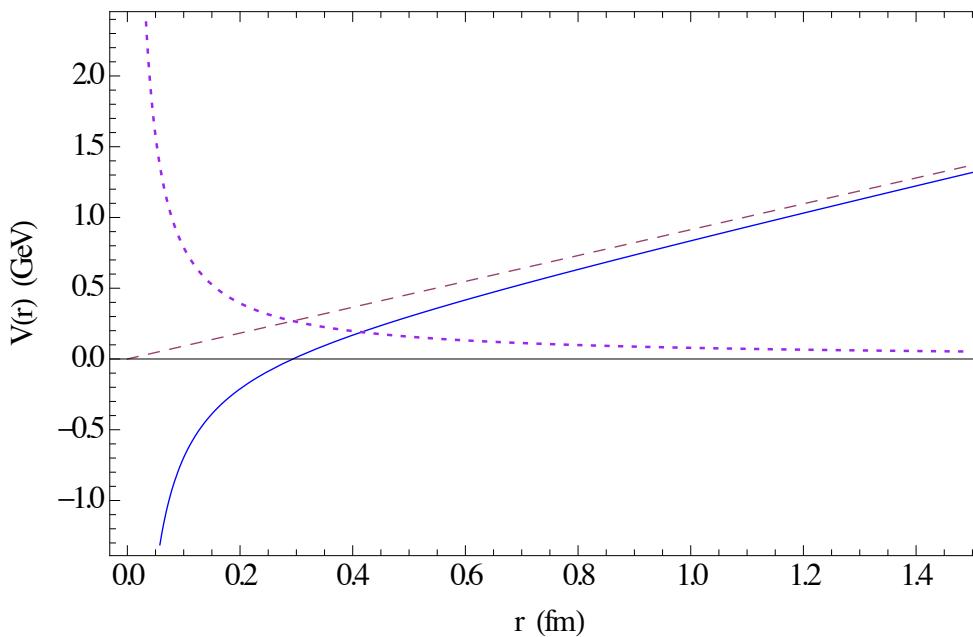
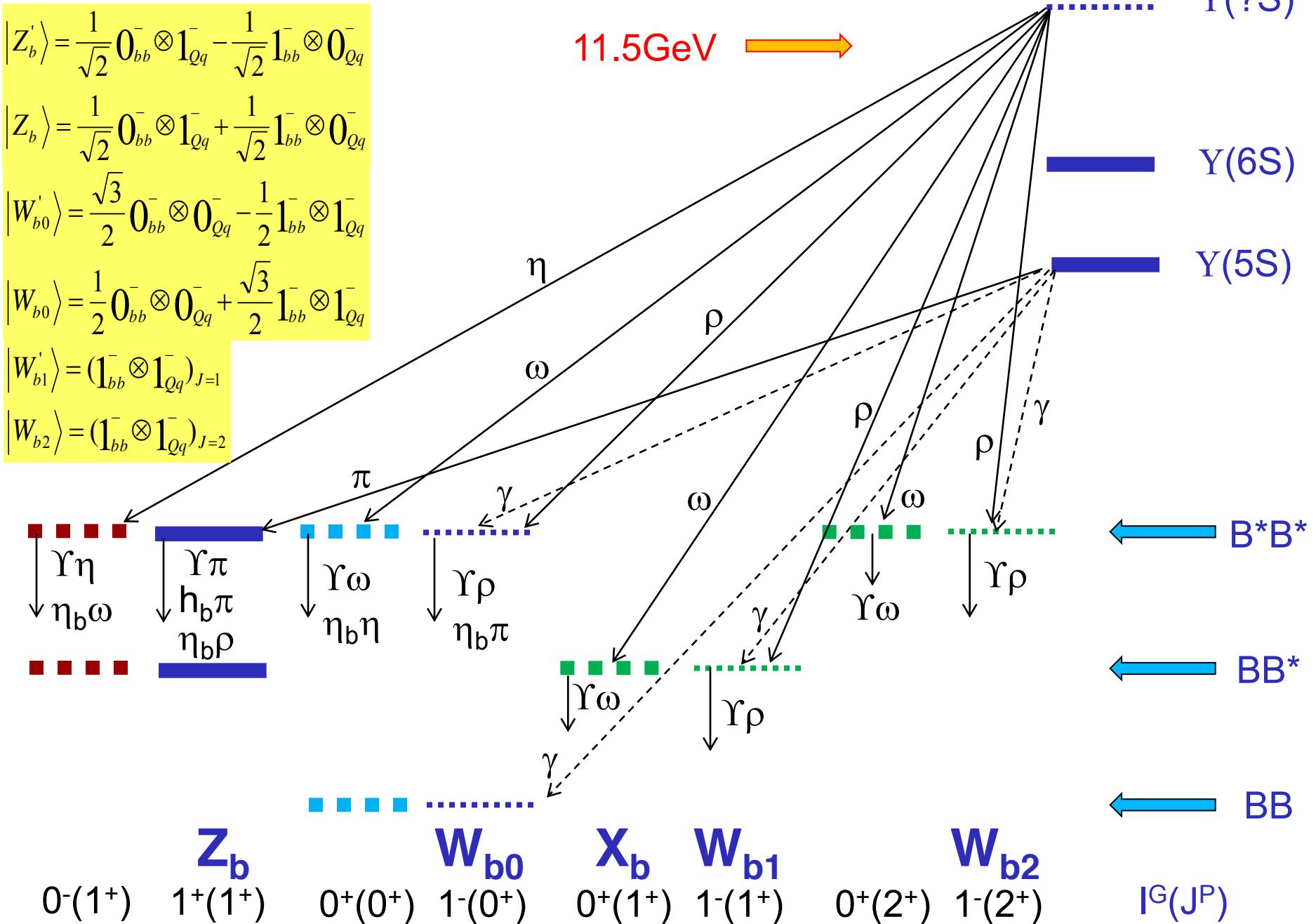


Figure 3: Static potential of the quark-antiquark interaction without the constant term (solid line). Dashed line shows the linear confining potential, dotted line corresponds to the modulus of the Coulomb potential.

Table 3: Mean square radii $\sqrt{\langle r^2 \rangle}$ for the spin-singlet ground and excited states of charmonia, B_c mesons and bottomonia (in fm).

State	$\sqrt{\langle r^2 \rangle_\psi}$	$\sqrt{\langle r^2 \rangle_{B_c}}$	$\sqrt{\langle r^2 \rangle_Y}$
$1S$	0.37	0.33	0.22
$1P$	0.59	0.53	0.41
$2S$	0.71	0.63	0.50
$1D$	0.74	0.67	0.54
$2P$	0.87	0.79	0.65
$1F$	0.87	0.79	0.65
$3S$	0.94	0.87	0.72
$1G$	0.98	0.89	0.75

$$\begin{aligned} |Z'_b\rangle &= \frac{1}{\sqrt{2}} \mathbf{0}_{bb}^- \otimes \mathbf{1}_{Qq}^- - \frac{1}{\sqrt{2}} \mathbf{1}_{bb}^- \otimes \mathbf{0}_{Qq}^- \\ |Z_b\rangle &= \frac{1}{\sqrt{2}} \mathbf{0}_{bb}^- \otimes \mathbf{1}_{Qq}^- + \frac{1}{\sqrt{2}} \mathbf{1}_{bb}^- \otimes \mathbf{0}_{Qq}^- \\ |W'_{b0}\rangle &= \frac{\sqrt{3}}{2} \mathbf{0}_{bb}^- \otimes \mathbf{0}_{Qq}^- - \frac{1}{2} \mathbf{1}_{bb}^- \otimes \mathbf{1}_{Qq}^- \\ |W_{b0}\rangle &= \frac{1}{2} \mathbf{0}_{bb}^- \otimes \mathbf{0}_{Qq}^- + \frac{\sqrt{3}}{2} \mathbf{1}_{bb}^- \otimes \mathbf{1}_{Qq}^- \\ |W'_{b1}\rangle &= (\mathbf{1}_{bb}^- \otimes \mathbf{1}_{Qq}^-)_{J=1} \\ |W_{b2}\rangle &= (\mathbf{1}_{bb}^- \otimes \mathbf{1}_{Qq}^-)_{J=2} \end{aligned}$$



High energy scans at Belle II

All transitions are kinematically allowed: $2m_{B^*} + m_\omega = 11.43 \text{ GeV}$

Are cross-sections resonating? Peaks in the BB^{**} thresholds region?

Thresholds (GeV)	B	Bs
$B^{**}B$	11.01	11.20
$B^{**}B^{**}$	11.46	11.68 GeV

Are there molecules at baryon thresholds ?

$$2m_{\Lambda b} = 11.24, m_{\Lambda b^{**}} + m_{\Lambda b} = 11.54, m_{\Lambda b^{**}} + m_{\Lambda b^{**}} = 11.84 \text{ GeV}$$

we need energy up to $\sim 12 \text{ GeV}$

Possible data taking scenario ($E_{\max} = 12 \text{ GeV}$):

Scan with 10MeV step 10 fb^{-1} per point ($\sim 1.3 \text{ ab}^{-1}$ total), take 500 fb^{-1} at $\Upsilon(5S)$, $\Upsilon(6S)$, ..

Present limitation $E_{\max} = 11.25 \text{ GeV}$ (injection system). Phase-I data taking (no VXD):

Scan 10.95-11.25GeV region with 10MeV step 1 fb^{-1} per point, take 100 fb^{-1} at $\Upsilon(6S)$.

Motivation for taking data at $\Upsilon(6S)$

Resonant structure of $\Upsilon(6S) \rightarrow \Upsilon(nS) \pi^+ \pi^-$

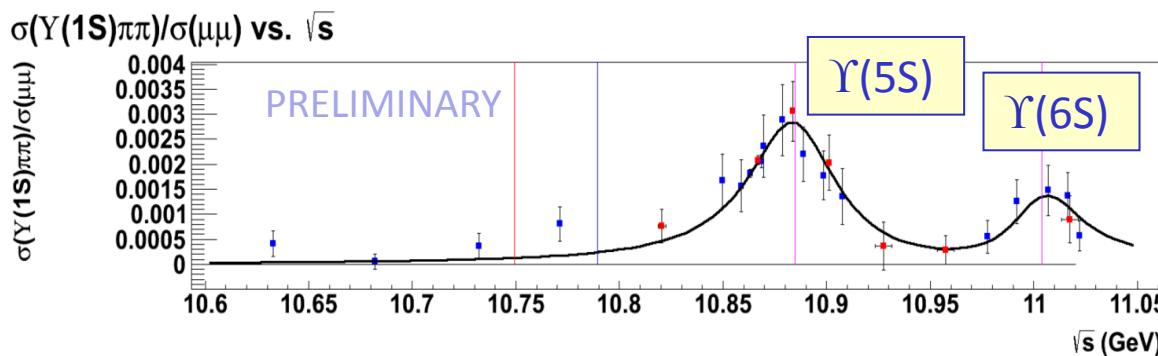
$h_b(nP) \pi^+ \pi^-$

Is $\Upsilon(6S)$ similar to $\Upsilon(5S)$ or to $\Upsilon(4260)$?

Search for $\Upsilon(6S) \rightarrow X_b \gamma$

$W_{b0} \rho$

Hadronic transitions to lower bottomonia, their spectroscopy.
Access to 2D and 1F multiplets?



Belle data at $\Upsilon(6S)$: 6fb^{-1} – inconclusive. Need similar to $\Upsilon(5S)$ sample of $\sim 100\text{fb}^{-1}$.

Z(4430)⁺ & FUTURE PLANS

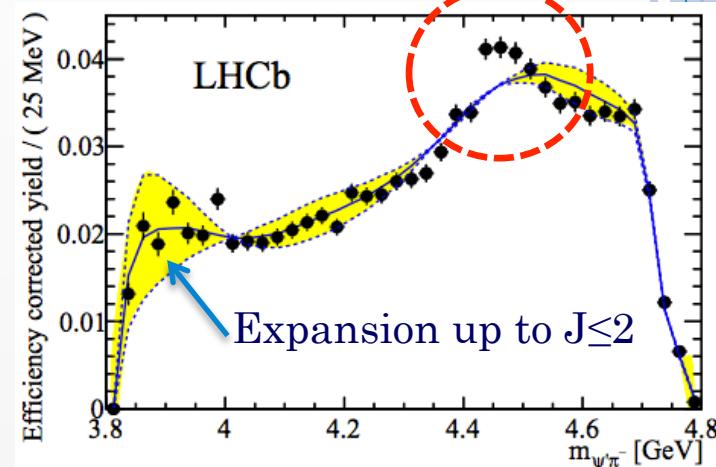
❖ Z(4430)⁺ “long paper”

- ✓ Model independent analysis
- ✓ Amplitude analysis details
- ✓ Test on the nature of Z(4430)?

❖ Search for Z's in $B \rightarrow J/\psi K \pi$

❖ Search for X(4140)/X(4274)

- ✓ Amplitude analysis of $B \rightarrow J/\psi \phi K$



Data taking run is upcoming (RUN I + RUN II $\sim 10 \text{ fb}^{-1}$)

- ✓ X(3872): Search for new decay modes/measurements of BR's
- ✓ Studies of charmonium(-like) states from b decays
- ✓ Search for bottomonium(-like) states

Do you think we are missing some important measurements?

Naming Scheme for Hadrons

November 10, 2014 | Christoph Hanhart | IKP and IAS

The PDG Meson Team: unstable mesons

Unstable wrt. strong decay (not π , η , K , D , B)

Person	Affiliation	Responsibilities
Claude Amsler	Bern	Notes
Michael Doser	CERN	Management, notes
Simon Eidelman	Novosibirsk	Literature, notes
Thomas Gutsche	Tübingen	Theory, notes
Christoph Hanhart	Jülich	Theory, notes
Brian Heltsley	Cornell	Notes
Juan-Jose Hernández-Rey	Valencia	Notes
Alberto Masoni	Cagliari	Notes
Sergio Navas	Granada	$c\bar{c}$ fit, notes
Claudia Patrignani	Genova	$c\bar{c}$ fit, notes
Stefan Spanier	Knoxville	Notes
Nils Törnqvist	Helsinki	Theory, notes
Graziano Venanzoni	Frascati	Notes

If you have comments on the listings: Just approach any us

The current Naming Scheme

PDG pages → Reviews Tables Plots

→ Constants, Units, Atomic and Nuclear Properties

→ Naming Scheme For Hadrons (Roos & Wohl, 2004)

Rules

- As long as quantum numbers unknown use $X(\text{mass})$
- When Quantum numbers known: use Quark Model Name and
 - put quark level, if spectroscopic identity known (e.g. $\Upsilon(2S)$)
 - put mass in brackets otherwise (e.g. $\Upsilon(11020)$)

(Potential) Problems

- Rules tell us to change various names, e.g.

$$X(3872) \rightarrow \chi_{c1}(3872)$$

$$Y(4260) \rightarrow \psi(4260)$$

Citation: K.A. Olive et al. (Particle Data Group), Chin. Phys. C **38**, 090001 (2014) (URL: <http://pdg.lbl.gov>)

$f_0(500)$ or σ
was $f_0(600)$

$J^G(J^{PC}) = 0^+(0^{++})$

A REVIEW GOES HERE – Check our WWW List of Reviews

- One has to decide when an identity is known, e.g.
 $\psi(2S)$ or $\psi(3686)$
- There is no suggestion for a name for the charged states
Name should tell quantum numbers