

Review on Higgs exotic decays

Stefania Gori

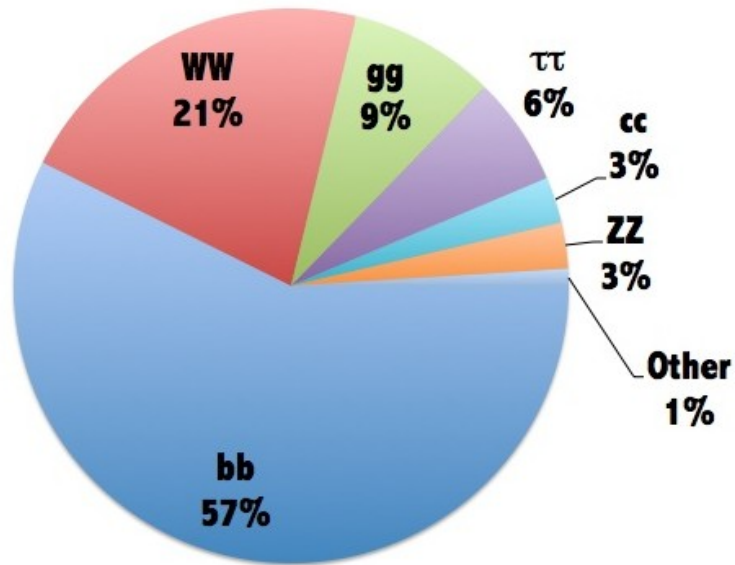
Perimeter Institute for Theoretical Physics

LHCP conference

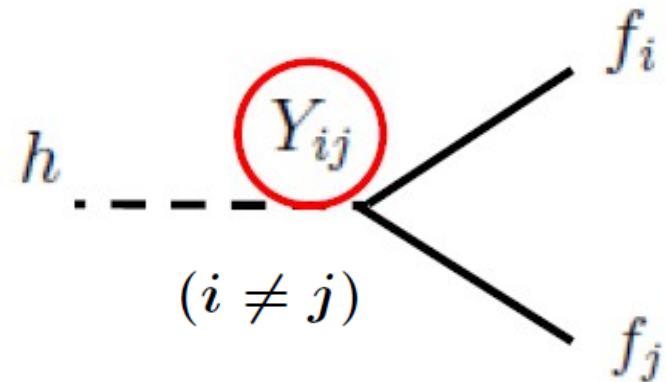
Columbia University, New York

June 2th 2014

What's exotic?



Standard model decay channels

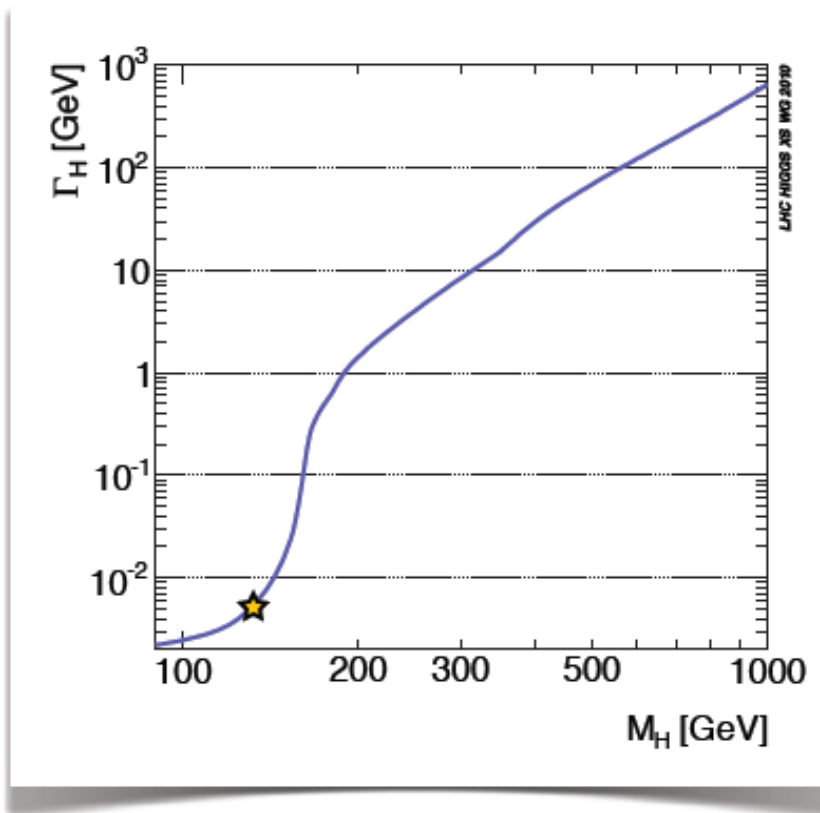


Flavor violating channels

What about $h \rightarrow \text{NP}$?

Why is it interesting?

We discovered a quite light Higgs boson



$$\Gamma_h^{\text{SM}}(125 \text{ GeV}) \sim 4.1 \text{ MeV}$$

Even a small coupling to a light NP particle can lead to a sizable Higgs branching ratio for $h \rightarrow \text{NP NP}$

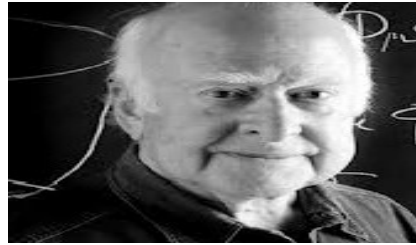
Example: $V(H, s) \supset \zeta s^2 |H|^2$

$$\zeta = \mathcal{O}(0.01) \Rightarrow \text{Br}(h \rightarrow ss) = \mathcal{O}(10\%)$$

How to see it?

We have to determine if the Higgs has a

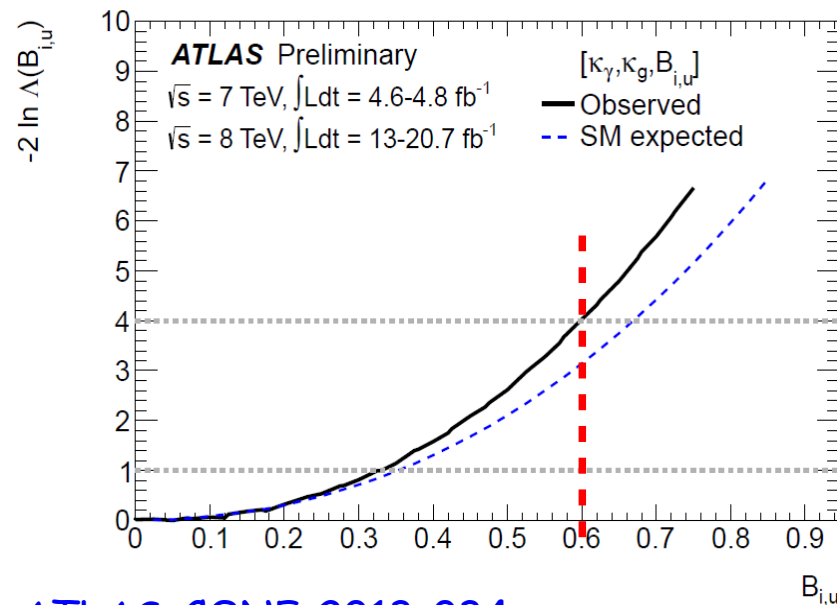
large width



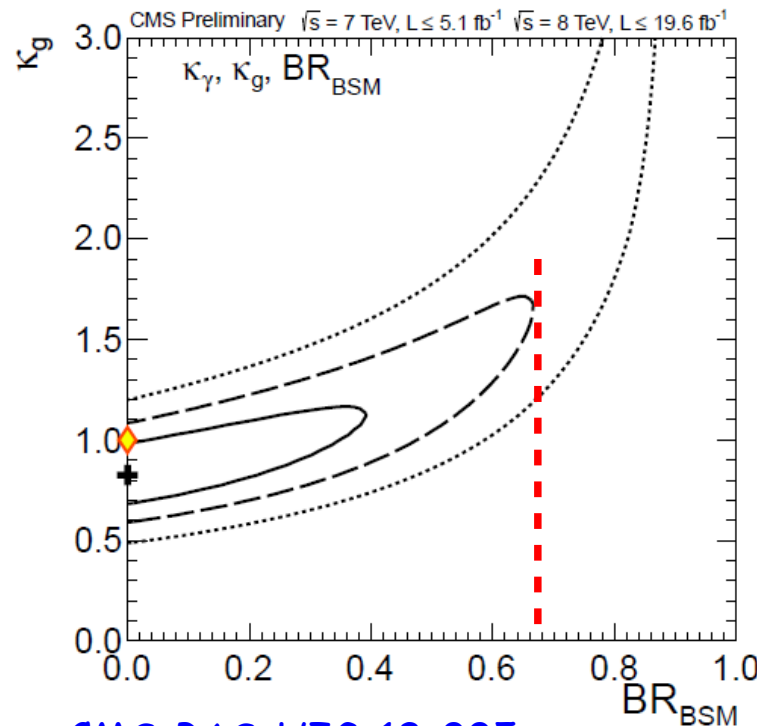
or small width



$$\text{rate} = \sigma(pp \rightarrow h) \frac{\Gamma(h \rightarrow X_{\text{SM}})}{\Gamma_{\text{tot}}}$$



ATLAS-CONF-2013-034



CMS-PAS-HIG-13-005

More direct
measurement
of the Higgs
width

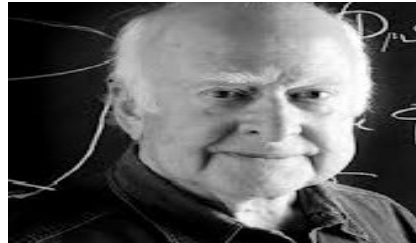
$$\Gamma_H < 4.2(8.5) \Gamma_{H,\text{SM}}$$

CMS PAS HIG-14-002

How to see it?

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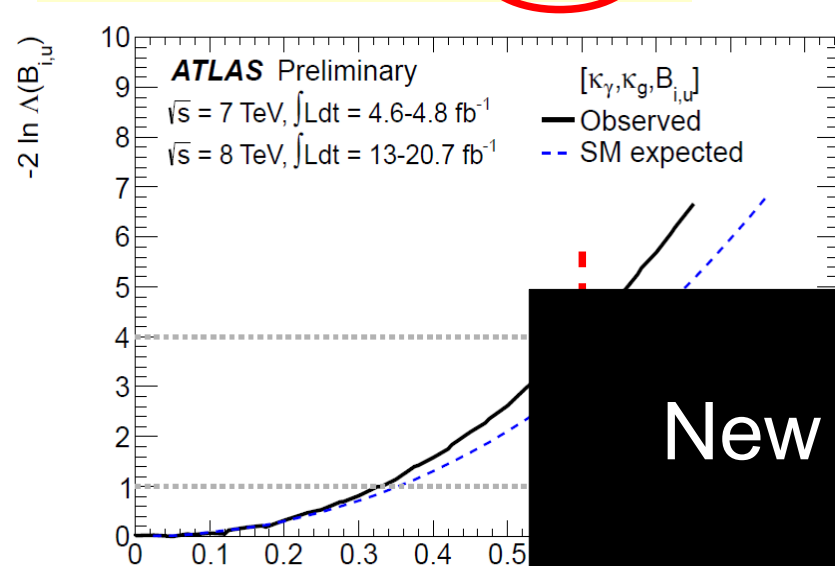
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or small width



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More direct
measurement
of the Higgs
width

$$\Gamma_H < 4.2(8.5) \Gamma_{H,\text{SM}}$$

CMS PAS HIG-14-002

New dedicated searches
are needed!

CMS-PAS-HIG-13-005

Also in the future (300fb^{-1} 14TeV), we do not expect a
(indirect) measurement better than $\sim 10\%$

Shouldn't it be already discovered?

Higgs \rightarrow NP

Light NP
Particles
($m_{\text{NP}} < m_h$)

- ♦ EW precision measurements
- ♦ Direct searches
- ♦ Flavor measurements

Not necessarily!

Shouldn't it be already discovered?

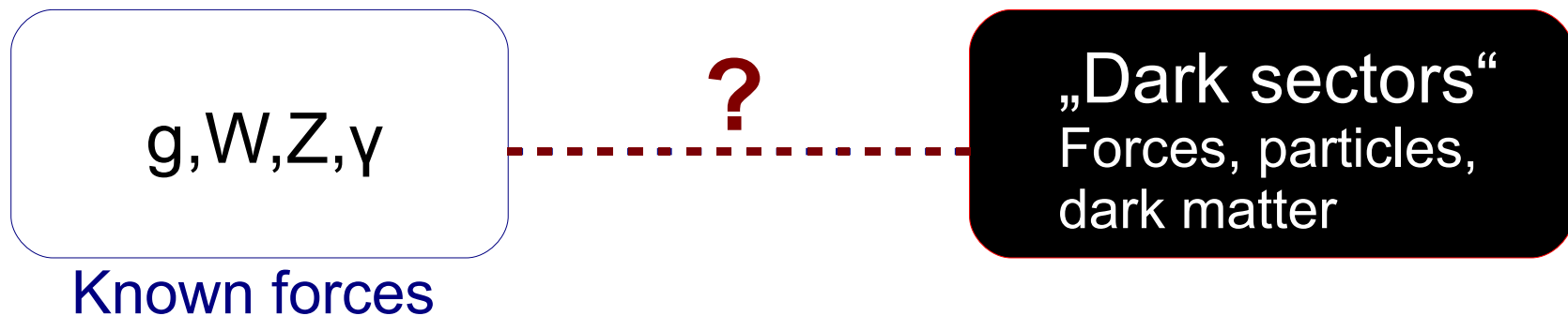
Higgs \rightarrow NP

Light NP
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- ♦ Flavor measurements

Not necessarily!

The Higgs can give us access to „dark sectors“ that communicate with the SM only very weakly

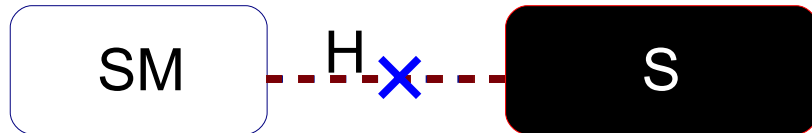


only a **few important possibilities** exist that are allowed by Standard Model symmetries

Scalar & vector portals

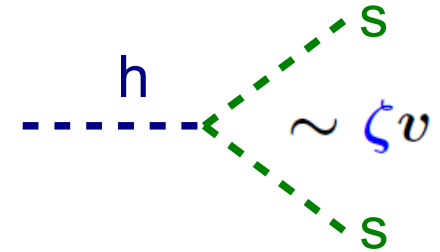
♦ Scalar portal

$$V(H, S) \supset \zeta |S|^2 |H|^2$$

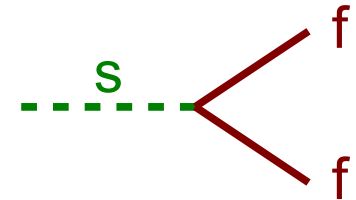


Arising in extended
Higgs sector models:
NMSSM, ...

After EWSB:



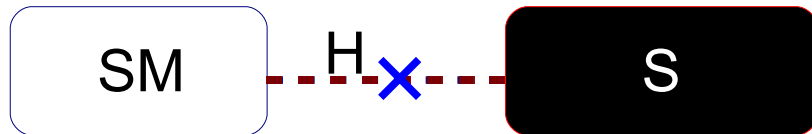
If also S acquires a VEV,
 S and H mix and S is unstable
($\Theta \gtrsim 10^{-6}$ to have a
prompt decay):



Scalar & vector portals

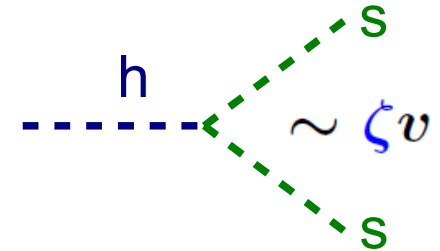
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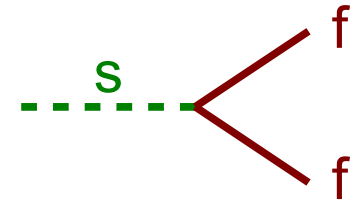


Arising in extended Higgs sector models: NMSSM, ...

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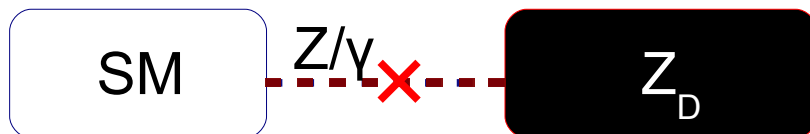


If also S acquires a VEV, S and H mix and S is unstable ($\Theta \gtrsim 10^{-6}$ to have a prompt decay):

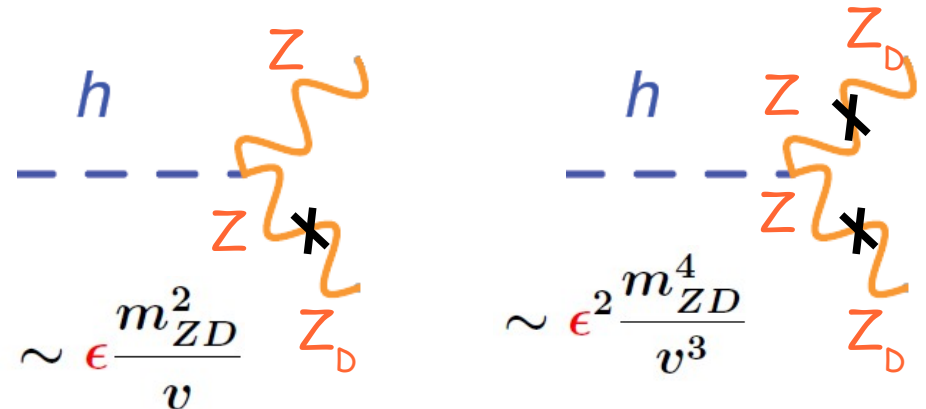


♦ Vector portal

$$\mathcal{L} \supset \frac{\epsilon}{2 \cos \theta} \hat{B}_{\mu\nu} \hat{Z}_D^{\mu\nu}$$



Realized e.g. in Hidden valley models, ...

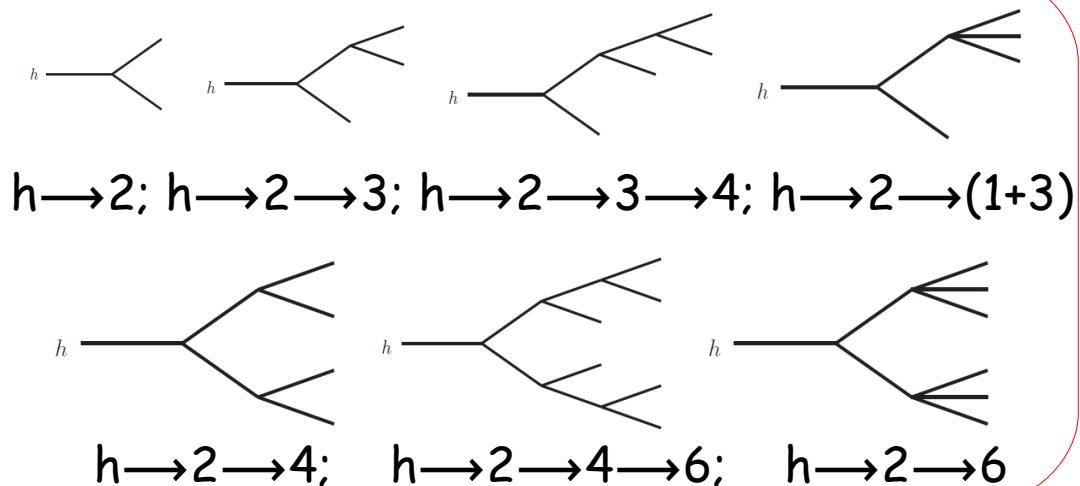


Z_D decays promptly as long as $\epsilon \gtrsim O(10^{-4})$

Huge landscape of possibilities

Signatures depend on how
NP states decay back to the SM

NMSSM-like, semi-invisible,
high multiplicity, displaced, ...



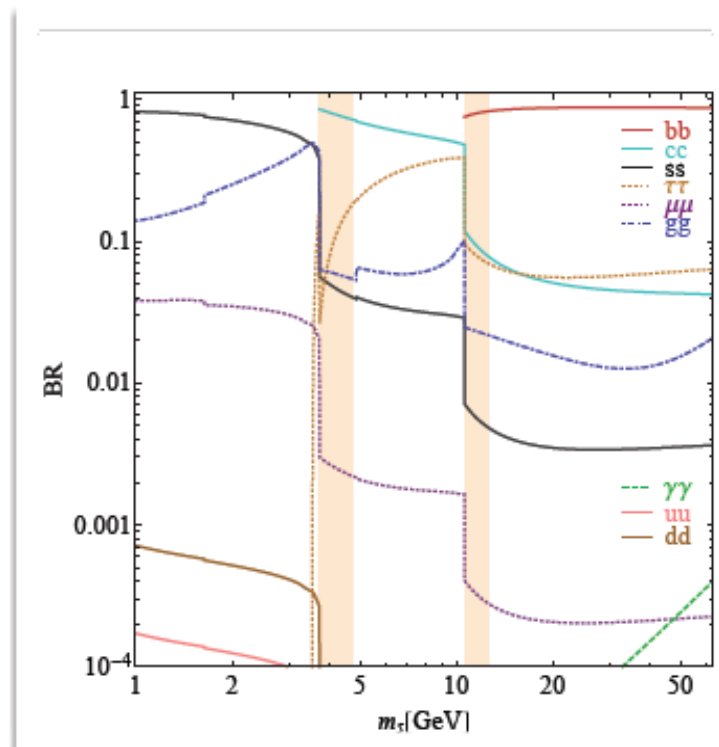
Example:
the „minimal scalar portal“ model

$$h \rightarrow ss$$

Exotic scorecard

	jj	bb	$\tau\tau$	ll	$\gamma\gamma$
jj					
bb					
$\tau\tau$					
ll					
$\gamma\gamma$					

Prospects?

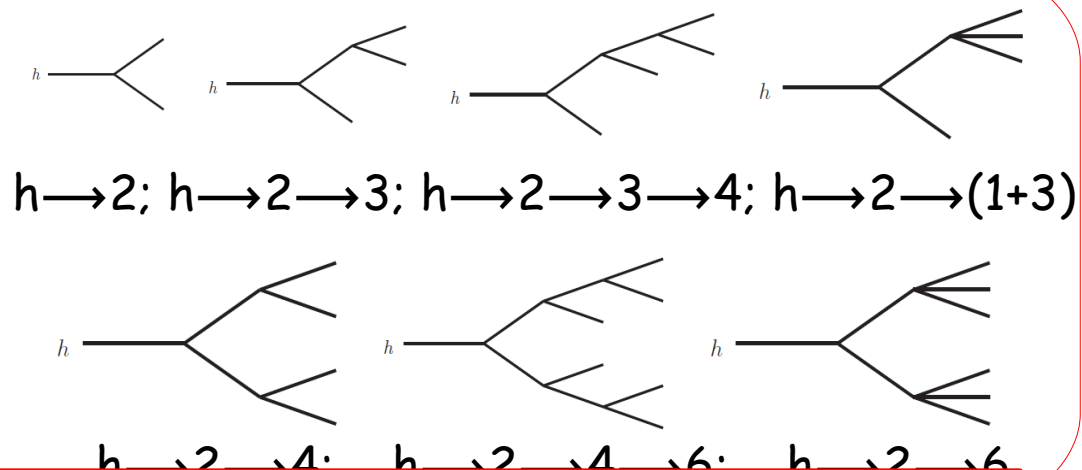


S branching ratios

Huge landscape of possibilities

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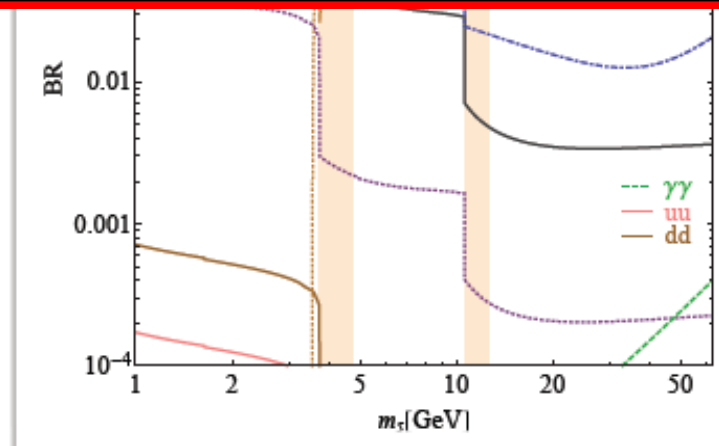
Exotic Decays of the 125 GeV Higgs Boson, 1312.4992

D. Curtin, R. Essig, SG, P. Jaiswal, A. Katz, T. Liu, Z. Liu, D. McKeen,
J. Shelton, M. Strassler, Z. Surujon, B. Tweedie, Y-M. Zhong

Exotic scorecard

	jj	bb	$\tau\tau$	ll	$\gamma\gamma$
jj					
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ll					
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Prospects?



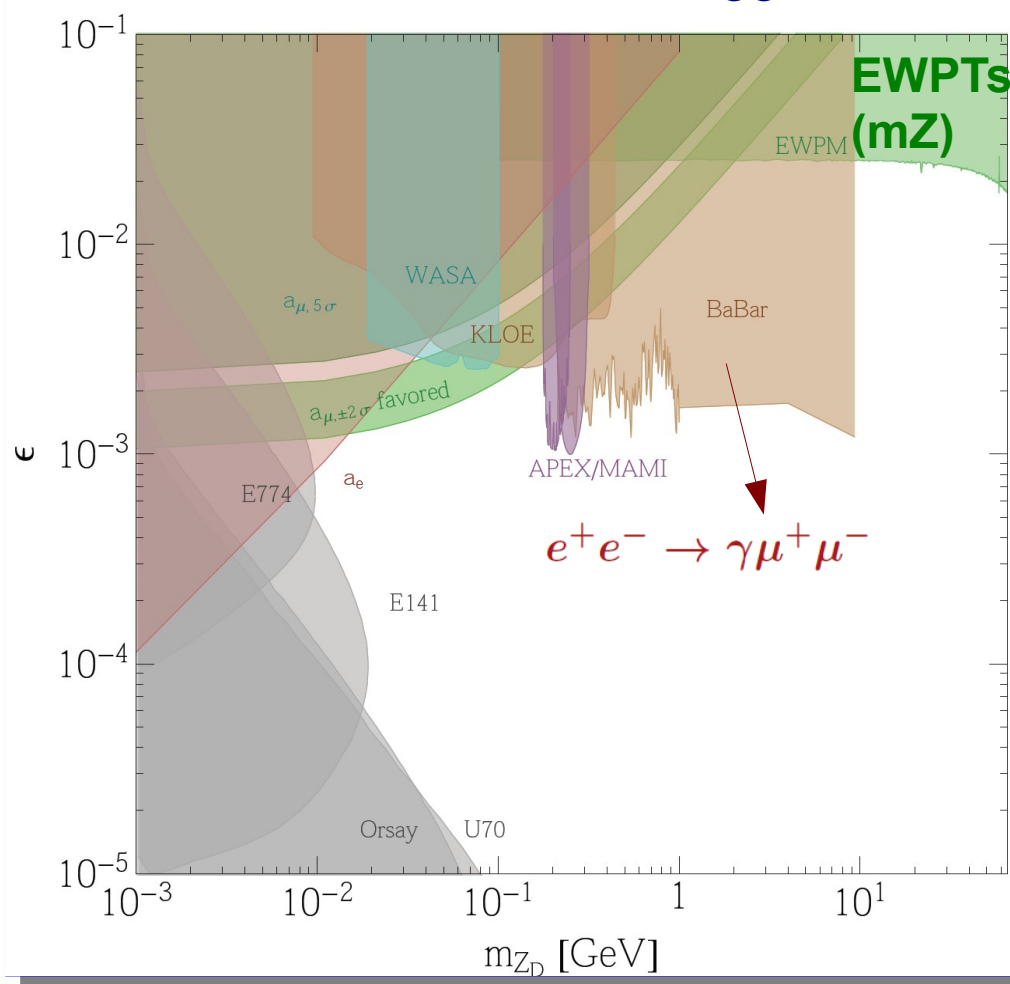
S branching ratios

Multileptons from a dark boson

Let's work out a very interesting possibility:

new kinetically mixed gauge bosons

Present bounds from „non-Higgs searches“



$$\mathcal{L} \supset \frac{\epsilon}{2 \cos \theta} \hat{B}_{\mu\nu} \hat{Z}_D^{\mu\nu}$$

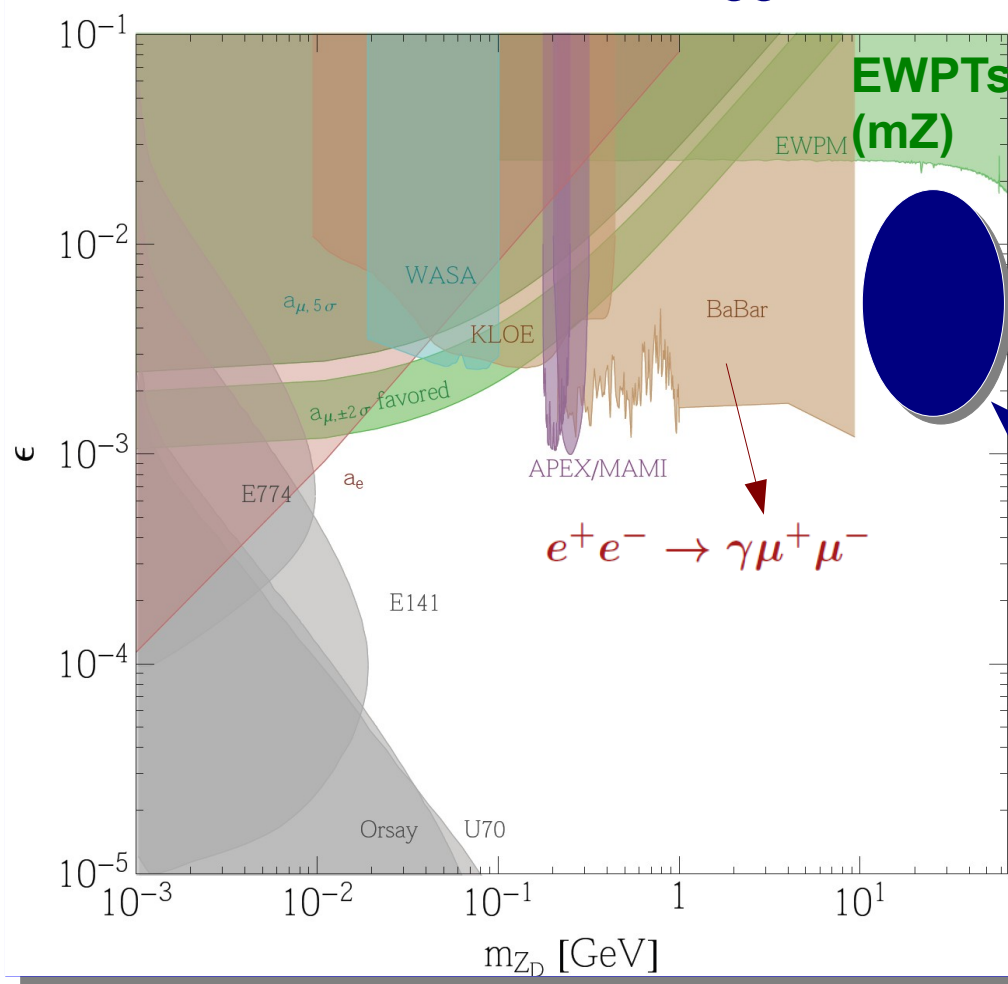
+ mass term for Z_D
coming from
Stueckelberg
mechanism /
dark Higgs
that breaks the
 $U(1)'$ symmetry

Multileptons from a dark boson

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$$\mathcal{L} \supset \frac{\epsilon}{2 \cos \theta} \hat{B}_{\mu\nu} \hat{Z}_D^{\mu\nu}$$

$$h \rightarrow ZZ_D, h \rightarrow Z_D Z_D$$

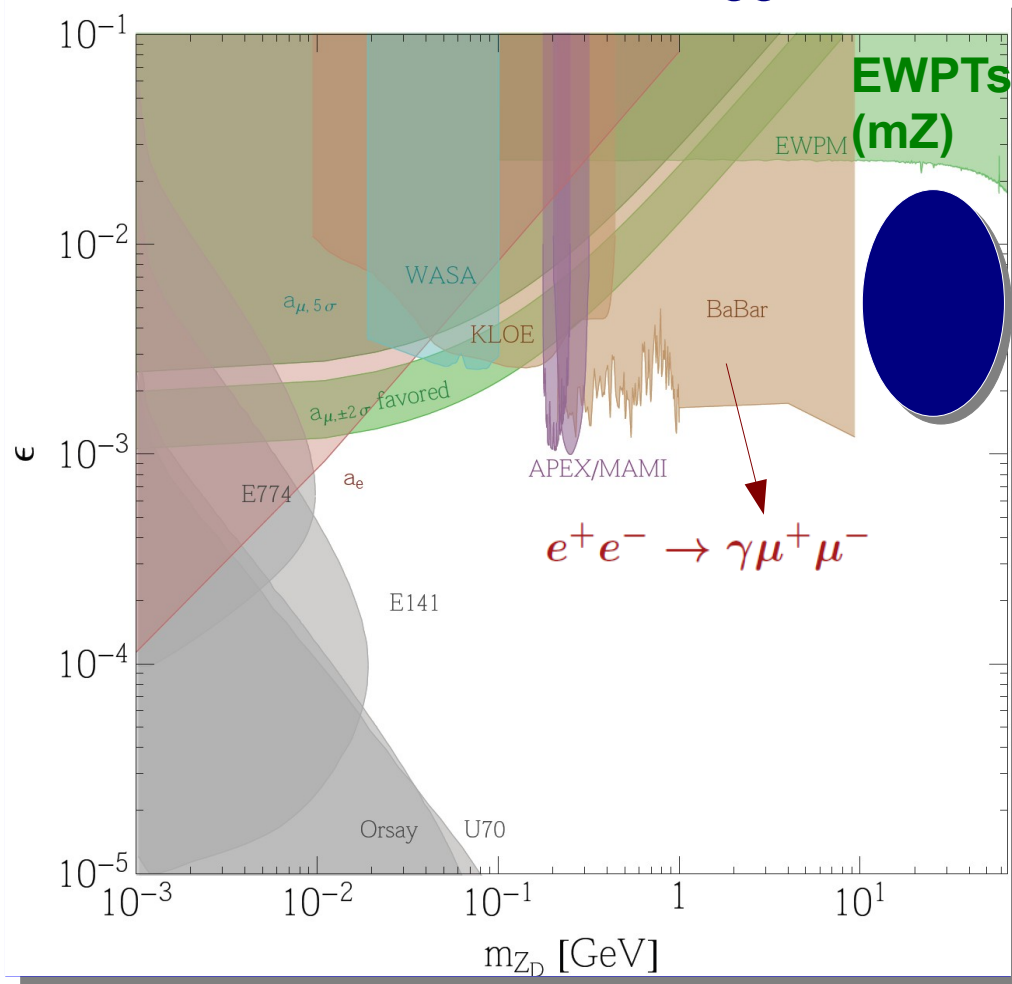
Natural value for ϵ
if generated
at the loop level

Multileptons from a dark boson

Let's work out a very interesting possibility:

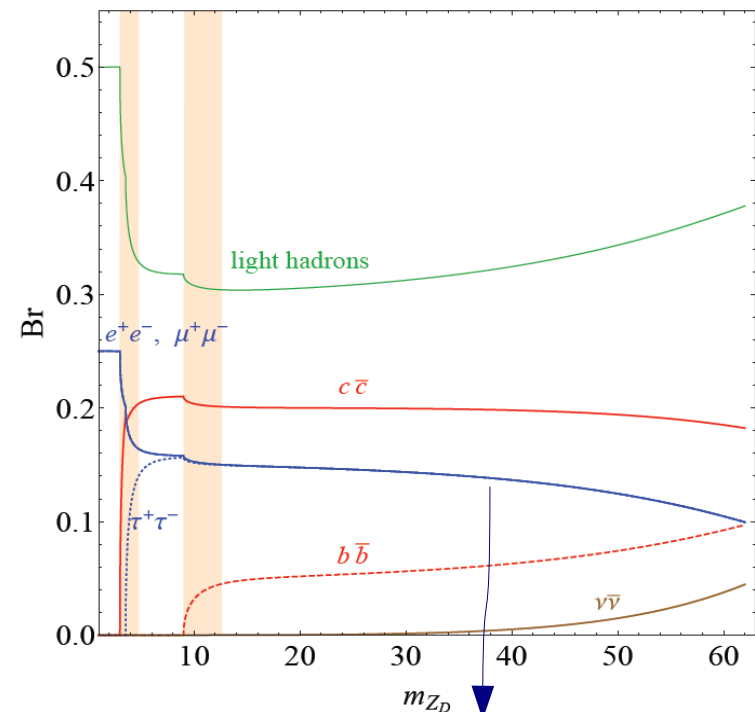
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Present bounds from „non-Higgs searches“



$$\mathcal{L} \supset \frac{\epsilon}{2 \cos \theta} \hat{B}_{\mu\nu} \hat{Z}_D^{\mu\nu}$$

$$h \rightarrow ZZ_D, h \rightarrow Z_D Z_D$$



➡ Higgs four lepton signature!

Setting bounds ZZ_D : present

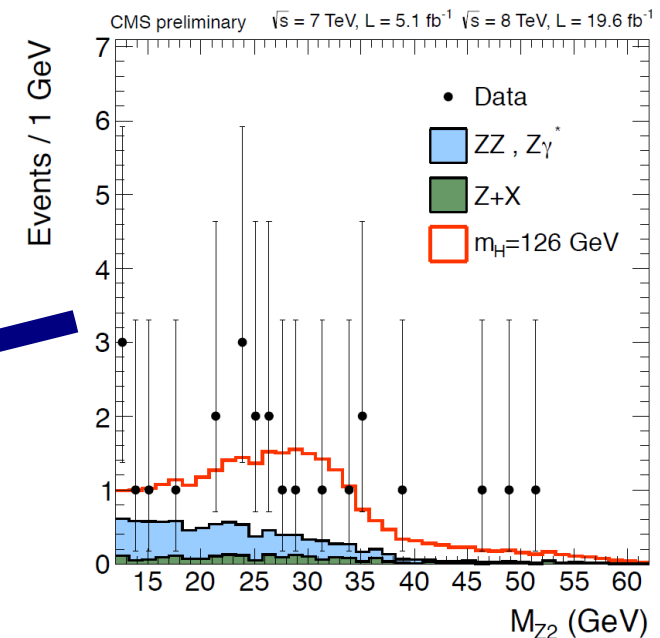
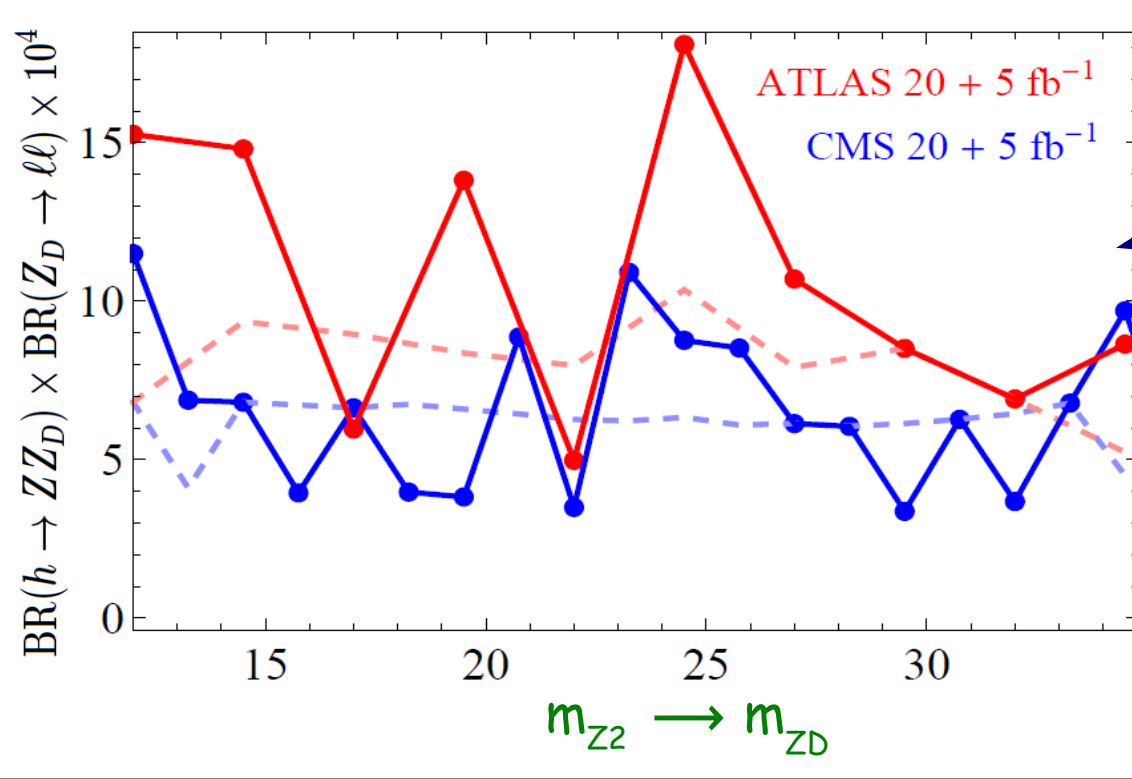
Bounds coming from SM $h \rightarrow ZZ^* \rightarrow 4\ell$ searches at the LHC

CMS PAS HIG-13-002, ATLAS-CONF-2013-013

The four leptons are divided in
two same flavor opposite sign (SFOS)
pairs: the pair closest to Z „Z1“ and the other pair „Z2“

$$hZZ_D \sim \epsilon \frac{m_{ZD}^2}{v}$$

Counting experiment:



$BR(h \rightarrow ZZ_D) \sim 10^{-3}$ are already
probed with the present
(un-dedicated) 7+8 TeV
LHC searches

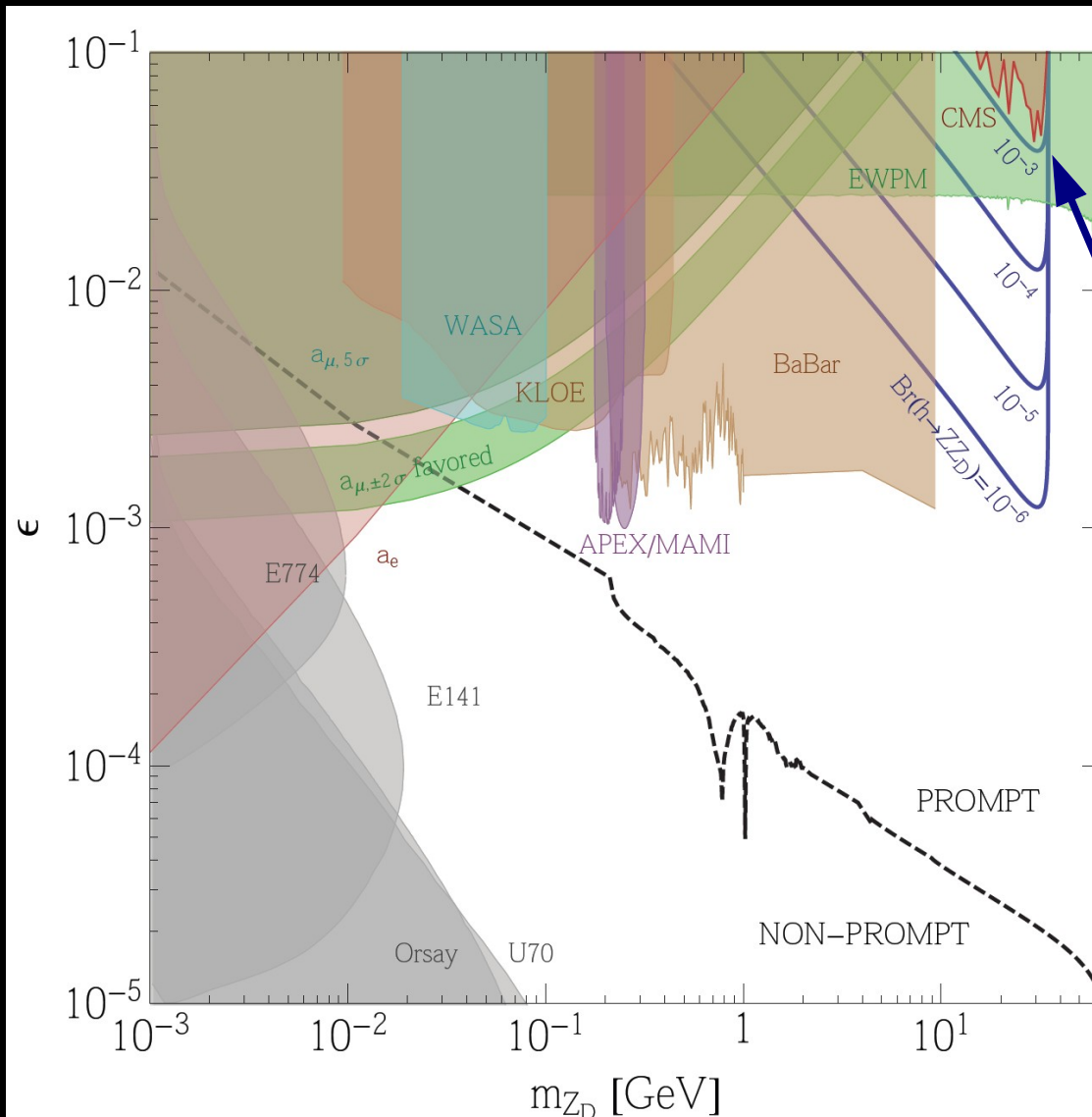
Setting bounds ZZ_D : present

Bounds coming from SM $h \rightarrow ZZ^* \rightarrow 4l$ searches at the LHC

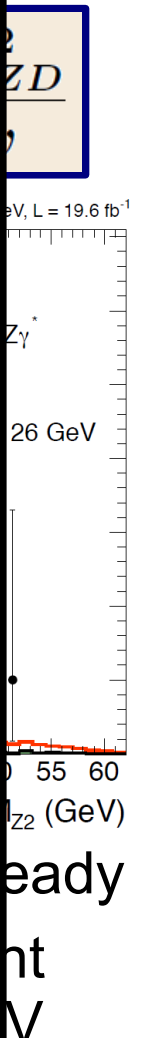
The first two searches

Count

$$BR(h \rightarrow ZZ_D) \times BR(Z_D \rightarrow \ell\ell) \times 10^4$$



The Higgs bound is already approaching the bound coming from ~20 years of EWPTs!



LHC searches

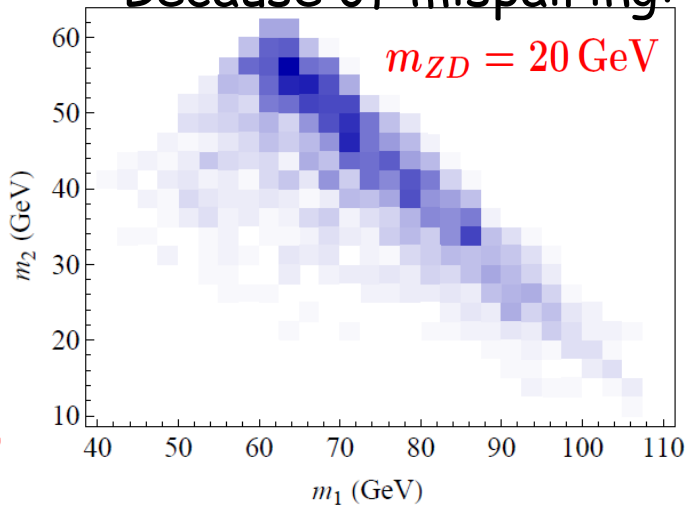
Setting bounds $Z_D Z_D$: present

Bounds coming from SM $h \rightarrow ZZ^* \rightarrow 4l$ searches at the LHC

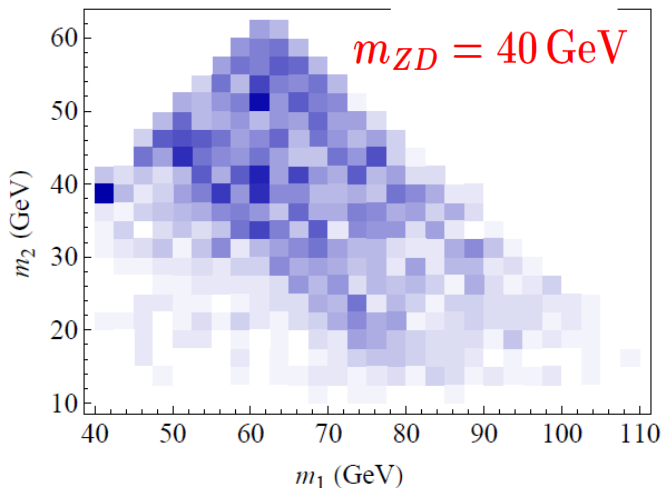
CMS PAS HIG-13-002, ATLAS-CONF-2013-013

Because of mispairing:

$m_{ZD} = 20 \text{ GeV}$



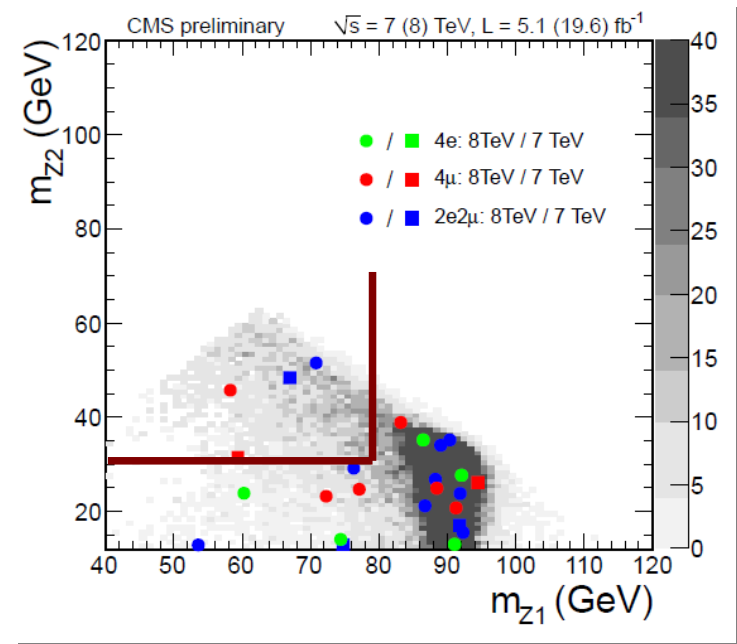
$m_{ZD} = 40 \text{ GeV}$



Our signal

$$hZ_D Z_D \sim \epsilon^2 \frac{m_{ZD}^4}{v^3}$$

To compare to the experimental data:



CMS PAS HIG-13-002

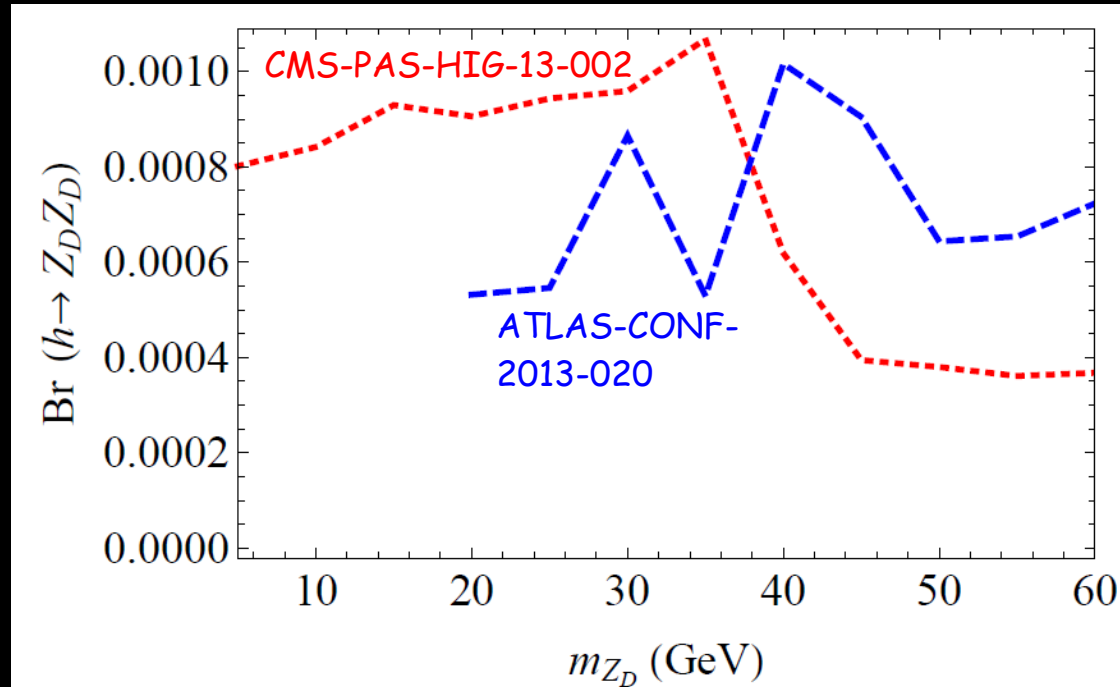
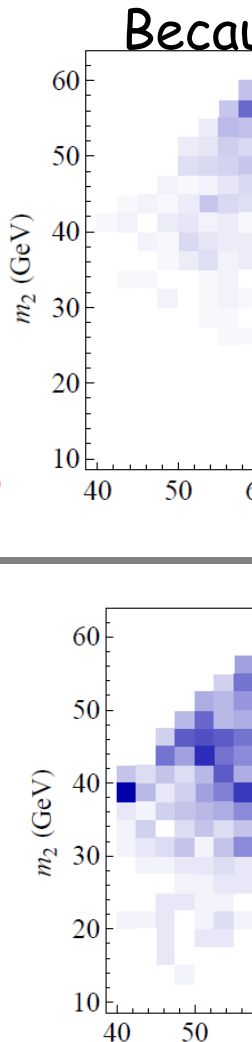
Setting bounds $Z_D Z_D$: present

Bounds coming from SM $h \rightarrow \gamma\gamma$, 77^* , $4l$ searches at the LHC

-2013-013

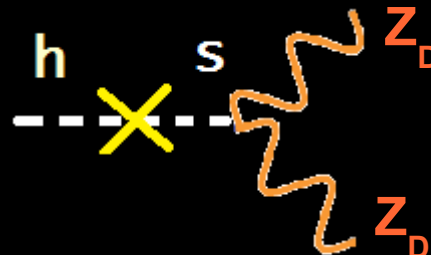
$$Z_D \sim \epsilon^2 \frac{m_{Z_D}^4}{v^3}$$

Our signal

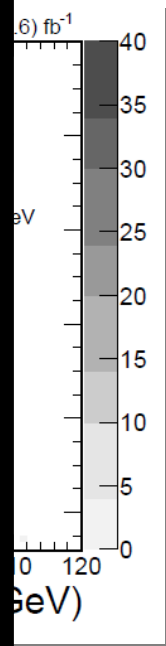


No relevant bounds in the ϵ - m_{Z_D} plane

Still important bounds for different theories



Experimental data:



CMS-PAS-HIG-13-002

Setting bounds: future

D.Curtin, R.Essig, S.G., J.Shelton, *in preparation*

- ♦ What about the **projection for the 14 TeV LHC?**
- ♦ What about **heavier ($>35\text{GeV}$) Z_D bosons?**

And in particular what about the **shape** of the two invariant mass distributions in the case of **off-shell Z_D** ? (some interference effects with $h \rightarrow ZZ^*$?)

Good prospects using the
matrix element method
Falkowski, Vega Morales, 1405.1095

Dedicated searches at LHC14 can give
a bound **$\text{BR}(ZZ_D) \sim 10^{-4}$** for $m_{Z_D} \leq 10 \text{ GeV}$
Davoudiasl et al.1304.4935

- ♦ Interplay with EW precision measurements:

LHC will give us a much more precise measurement of the W mass:

	Present	Tevatron full dataset	LHC14, 300 fb^{-1}	LHC14, 3000 fb^{-1}
$\Delta M_W \text{ (MeV)}$	15	9	8	5

 NP effects in the T parameter

The Z_D scorecard

$$h \rightarrow ZZ_D$$

Decay Mode \mathcal{F}_i	Projected/Current 2σ Limit on $\text{Br}(\mathcal{F}_i)$ 7+8 [14] TeV	Production Mode	$\frac{\text{Br}(\mathcal{F}_i)}{\text{Br}(\text{non-SM})}$	Limit on $\frac{\sigma}{\sigma_{\text{SM}}} \cdot \text{BR}(\text{non-SM})$ 7+8 [14] TeV
$ZZ_D \rightarrow llll$	$2 \cdot 10^{-5}{}^R$ [U]	G	0.02	0.001 [U]

(experiment)
 $h \rightarrow 4l$

(theory)
 $ZZ_D \rightarrow 4l$

$h \rightarrow ZZ_D$

$$h \rightarrow Z_D Z_D$$

Decay Mode \mathcal{F}_i	Projected/Current 2σ Limit on $\text{Br}(\mathcal{F}_i)$ 7+8 [14] TeV	Production Mode	$\frac{\text{Br}(\mathcal{F}_i)}{\text{BR}(\text{non-SM})}$	Limit on $\frac{\sigma}{\sigma_{\text{SM}}} \cdot \text{BR}(\text{non-SM})$ 7+8 [14] TeV
$jjjj$	> 1 [0.1 ^{L*}]	W	0.25	> 1 [0.4*]
$llll$	$4 \cdot 10^{-5}{}^R$ [U]	G	0.09	$4 \cdot 10^{-4}$ [U]
$jj\mu\mu$	$0.002 - 0.008{}^T$ [(5 - 20) $\times 10^{-4}{}^T$]	G	0.15	$0.01 - 0.06$ [0.003 - 0.01]
$b\bar{b}\mu\mu$	$(2 - 7) \cdot 10^{-4}{}^T$ [(6 - 20) $\cdot 10^{-5}{}^T$]	G	0.015	$0.01 - 0.05$ [0.003 - 0.01]

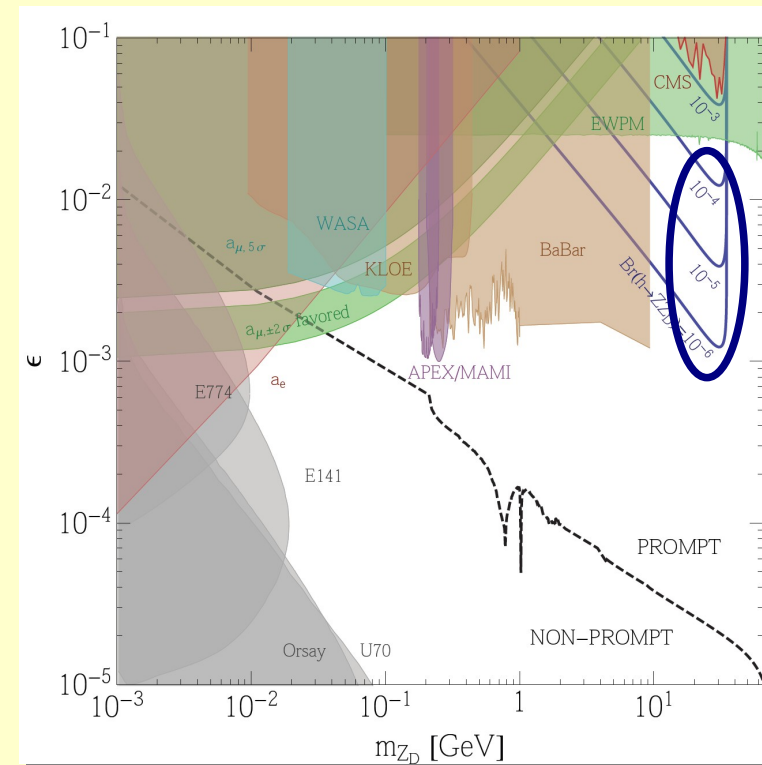
Chen, Nojiri,
Sreethawong {
1006.1151

Our
theory
study {

Conclusions

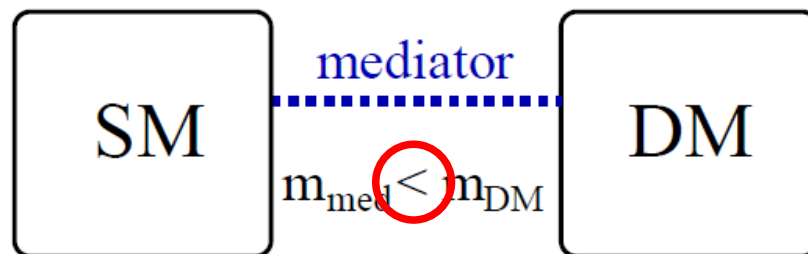
- ♦ The observed 125 GeV Higgs boson is **highly sensitive** to the potential existence of **new light degrees of freedom**
- ♦ **Exotic Higgs decays** are a robustly-motivated class of signatures that must be searched for explicitly

- ♦ Exciting prospects to probe dark Z models in a „natural“ region of the parameter space
 $\epsilon \sim 10^{-2}$, $10 \text{ GeV} \lesssim m_{Z_D} \lesssim m_Z$
through the golden channel: $h \rightarrow Z Z_D \rightarrow 4l$



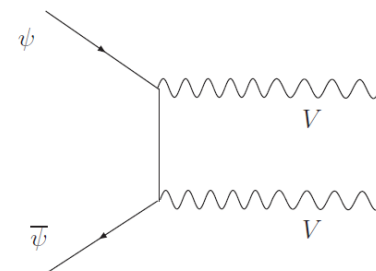
Secluded models for dark matter

Mechanism:



Arkani-Hamed et al 0810.0713
Pospelov et.al. 0711.4866

Suppression of DM direct detection signals,
but still possible to have a **thermal DM candidate**



The only link between
the SM and the dark sector:

$$\mathcal{L} \supset \frac{\epsilon}{2 \cos \theta} \hat{B}_{\mu\nu} \hat{Z}_D^{\mu\nu}$$

+ mass term for Z_D

coming from Stueckelberg
mechanism / dark Higgs
that breaks the $U(1)'$ symmetry

Minimal extension:

the sector that breaks $U(1)'$ does not talk to the SM Higgs

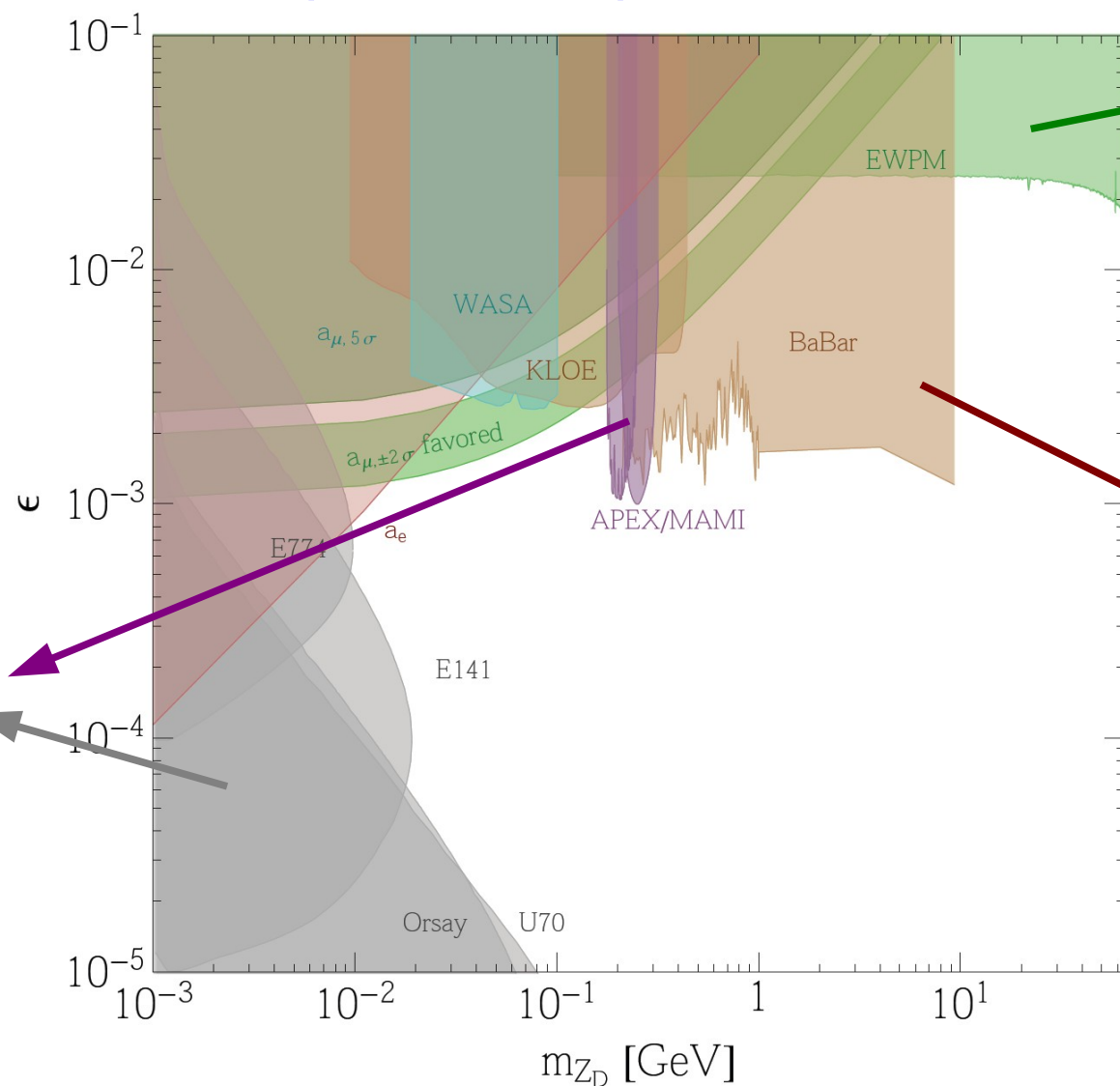
NP effects for the Z boson:

Tree level shift in the Z mass: $m_Z^2 \sim m_{Z0}^2 (1 + \epsilon^2 \tan^2 \theta)$

Modification of the Z couplings $\sim (Z f \bar{f})_{\text{SM}} \left(1 + \epsilon^2 \frac{\tan^2 \theta}{2} \cdot \frac{T_3 - Q(1 + \cos^2 \theta)}{T_3 - Q \sin^2 \theta} \right)$

How to probe the model

A plethora of probes of the model



Mainly driven by
the tree level
shift in the
Z boson mass

Hook, Izaguirre, Wacker,
1006.0973

$e^+e^- \rightarrow \gamma\mu^+\mu^-$
0902.2176

Fixed targed
experiments

Bjorken, Essig,
Schuster, Toro
0906.0580

Curtin, Essig, S.G., Jaiswal, Katz, Liu, Liu, McKeen,
Shelton, Strassler, Surujon, Tweedie, Zhong, 1312.4992

Our assumptions

1. The observed 125 GeV is SM-like

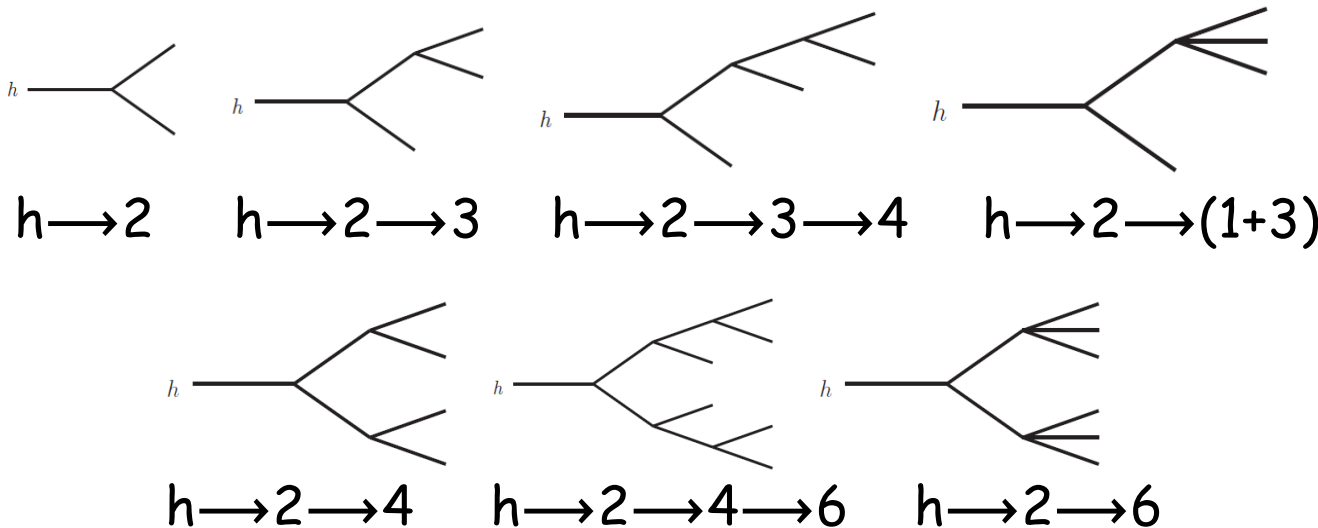
- In particular its production cross section in the several channels is the one of the SM Higgs

2. The Higgs decays promptly to new BSM particles that are either stable or promptly decaying

- we do not consider rare or nonstandard decays to SM particles

3. The Higgs decay is a 2-body decay

- 3-body decays are possible, but require new light states with substantial coupling to h to overcome phase space suppression



$h \rightarrow \text{MET}$
 $h \rightarrow 4b$
 $h \rightarrow 2b2\tau$
 $h \rightarrow 2b2\mu$
 $h \rightarrow 4\tau, 2\tau2\mu$
 $h \rightarrow 4j$
 $h \rightarrow 2\gamma2j$
 $h \rightarrow 4\gamma$
 $h \rightarrow ZZ_D \rightarrow 4l$

$h \rightarrow Z_D Z_D \rightarrow 4l$
 $h \rightarrow \gamma + \text{MET}$
 $h \rightarrow 2\gamma + \text{MET}$
 $h \rightarrow 4l + \text{MET}$
 $h \rightarrow 2l + \text{MET}$
 $h \rightarrow \text{one lepton jet}$
 $h \rightarrow \text{two lepton jets}$
 $h \rightarrow bb + \text{MET}$
 $h \rightarrow \tau\tau + \text{MET}$

Higgs width: direct measurement

CMS PAS HIG-14-002

F. Caola, K. Melnikov (1307.4935)
J. Campbell et al. (1311.3589)

Very interesting new CMS measurement

In a nutshell:

$$\left\{ \begin{aligned} \sigma_{gg \rightarrow H \rightarrow ZZ}^{\text{on-peak}} &= \frac{\kappa_g^2 \kappa_Z^2}{r} (\sigma \cdot \text{BR})_{\text{SM}} \equiv \mu (\sigma \cdot \text{BR})_{\text{SM}} \\ \frac{\sigma_{gg \rightarrow H \rightarrow ZZ}^{\text{off-peak}}}{dm_{ZZ}} &= \kappa_g^2 \kappa_Z^2 \frac{\sigma_{gg \rightarrow H \rightarrow ZZ}^{\text{off-peak, SM}}}{dm_{ZZ}} = \mu r \frac{\sigma_{gg \rightarrow H \rightarrow ZZ}^{\text{off-peak, SM}}}{dm_{ZZ}} \end{aligned} \right.$$

$$\begin{aligned} \kappa_g &= g_{ggH} / g_{ggH}^{\text{SM}} \\ \kappa_Z &= g_{HZZ} / g_{HZZ}^{\text{SM}} \\ r &= \Gamma_H / \Gamma_H^{\text{SM}} \end{aligned}$$

$$\Gamma_H < 4.2(8.5) \Gamma_{H,\text{SM}}$$

Combining the 4l
and the 2l2v channels

