

ZH- \rightarrow llbb higgs search with MEM

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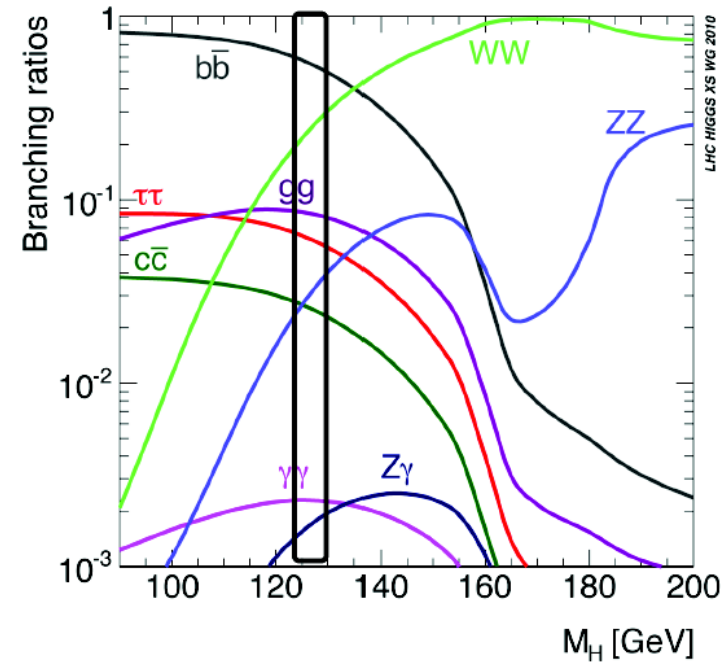
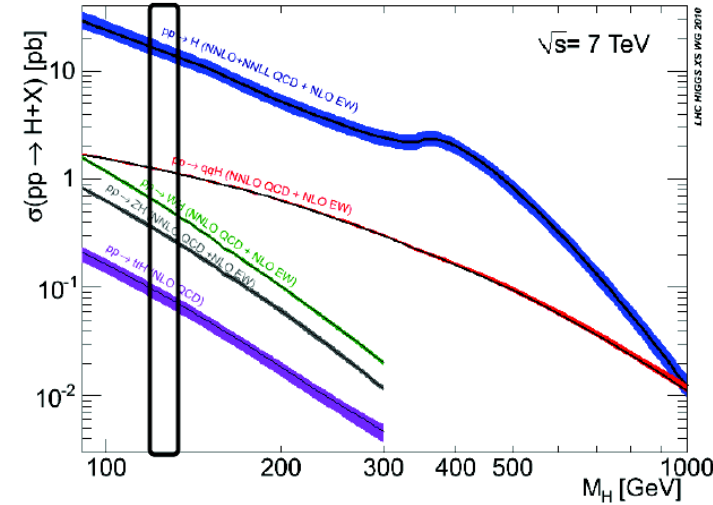


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2nd Miniworkshop on Advances in the Matrix Element Methods
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Zurich

Motivation

- ⊙ Higgs-boson-like particle discovered first in bosonic final states
 - ◇ Interest to test couplings to fermions. In particular to quarks
- ⊙ CMS best expected sensitivity worldwide to $H \rightarrow bb$. Using all 7 (5fb^{-1}) and 8 (20fb^{-1}) TeV data available. Mainly from associate production:
 - ◇ **VH: Using $WH \rightarrow l\nu bb$, $ZH \rightarrow \nu\nu bb$, $ZH \rightarrow llbb$**
 - $m_H = 125\text{ GeV} \rightarrow 1.89$ (0.95) observed (expected) exclusion limit, $\mu = 1 \pm 0.5$
 - ◇ **Implements Tevatron and new advanced analysis techniques:**
 - Relatively boosted selection: typically $p_T(V) > 100\text{ GeV}$
 - training multivariate BDT: inputs such as M_{bb} , $p_T(V)$, ...
 - regression techniques to improve mass resolution



Motivation

- This presentation
 - ♦ **Alternative approach relying on a Matrix Element Technique for ZH**
→ **llbb channel**
 - Attempt to maximize usage of kinematic information
 - Cross check with the more classic BDT analysis can “validate” the MEM
 - ♦ **Search uses full 7 and 8 TeV datasets (CMS-AN-12-476)**
 - **Result is final**: full treatment of systematics, cross checks, unblinding of the results ongoing
 - CMS internal document for the moment
 - Today's results **only 7 TeV part** → Arnaud Pin Thesis¹

The Matrix Element Method at the LHC: A Search for the Associated Production of Higgs and Z Bosons.

Doctoral dissertation presented by

Arnaud PIN

in fulfillment of the requirement for the degree of Doctor in Sciences

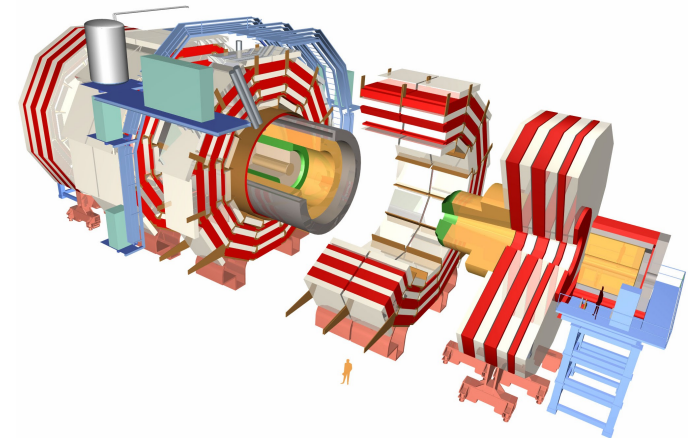
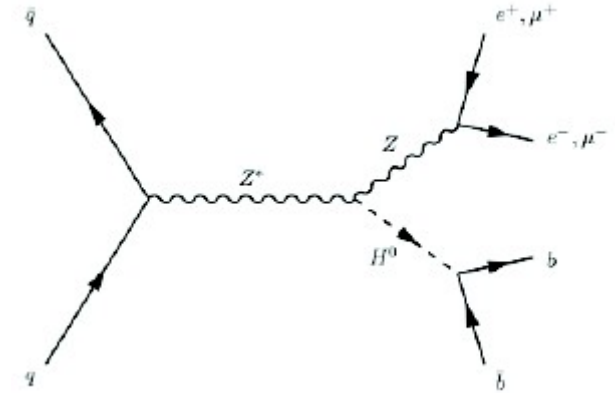
Jury de thèse:

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October 7th, 2013

Outline/Analysis Overview

- Event Selection
- Estimation of **MadWeight** Matrix-Element Weights (main subject of this talk)
 - Basic aspects of MEM weight calculation
 - Special **Treatment of ISR**
 - **Treatment of FSR** using the MEM
 - Related to **categorization** of events: **2-jet** and **≥ 3 jet** categories
 - Treatment of ME for **overconstrained systems (ZZ, ZH)**
 - **E/P conservation**
 - **η/ϕ smearing TF**
 - **Data/MC Validation**
- Data-driven fit to normalize main background
 - Usage of MEM to improve accuracy
- Final multivariate discriminator using as inputs ME Weights
 - **Basic Idea: Combine ME weights with MLP to produce discriminators**
- Treatment and effects of experimental uncertainties



Event Selection

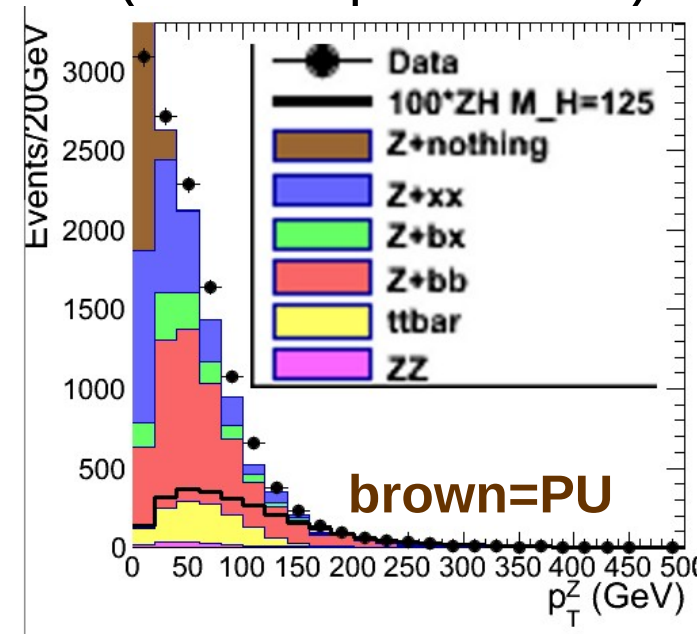
- Basic event selection (**as inclusive as possible**)

- 2 leptons $p_T > 20$ GeV
- At least 2 jets
 - Categorization: $n_{jet}=2$ and $n_{jet} \geq 3$
- Anti PU cuts: $P_{T,jet1} > 40$, $P_{T,jet2} > 25$, $P_{T,Z} > 20$ GeV
- 2 b-tagged jets (1 “Medium” + 1 “Loose” tags)
- small MET: MET significance < 10

- Main backgrounds after event selection

- tt (sizeable), ZZ (irreducible but small)
- Main Z+jets: Zbb, Zbx, Zxx. Notation: b (x) \rightarrow if gen level b-parton is (not) found within $\Delta R < 0.3$ of reco jet

Plot for 8 TeV data
(more important PU)



Number of expected signal and bkg events after selection (7 TeV analysis 5 fb^{-1})

Process	Zbb	Zbx	Zxx	tt	ZZ	ZH 125
# exp. events	1060	767	886	231	49	8

Event Selection: Additional consideration

- In this search sensitivity to ZH is based on training MLP using as inputs ME-weights
 - ◊ Available statistics for training are quite limited
 - ◊ Only few thousands of Zbb (main background)

Number of MC events available for training after event Selection

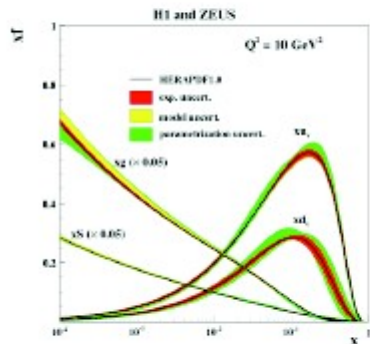
Sample	2jets events	> 2 jets events
Drell-Yan inclusive	1663	5530
DY $P_{tZ} > 100$ GeV	511	2386
$Zb\bar{b}$ (4F)	5561	16800
$t\bar{t}$	3834	9969
$Z(\ell\ell)Z(b\bar{b})$	3098	4927
$Z(\ell\ell)H(b\bar{b})$ ($m_H = 125$ GeV)	12914	11481

- Important to reduce the number of input observables in this context

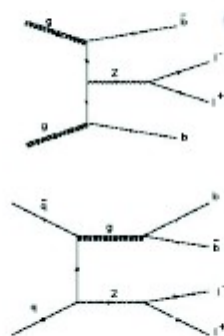
Evaluation of ME Weights: Intro

- Matrix Element evaluation based on **MadWeight**¹

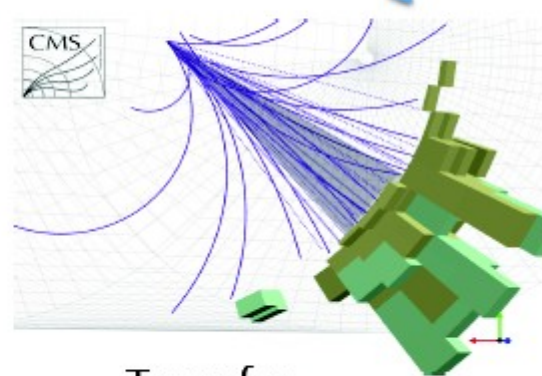
$$P(x^{vis}|\alpha) = \frac{1}{\sigma_\alpha} \int dx_1 dx_2 f(x_1) f(x_2) \int d\phi |M(p)_\alpha|^2 W(p^{vis}, p)$$



Parton Distribution Functions



Leading Order process



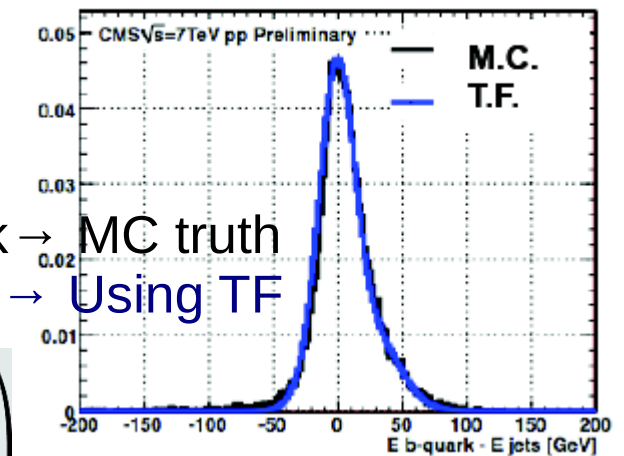
Transfer functions

- This search uses non-normalize event probabilities (weights)
 - Normalization factor $1/\sigma_\alpha$ not taken into account
 - Zbb (gg, or qq production), tt, ZZ, ZH hypothesis considered
 - Usage of LR approach using probabilities will be explored in the future
 - $|M(p)|$, pdf's provided by MadGraph/MadWeight
 - User defined Transfer Functions are inputs of MadWeight \longrightarrow

Evaluation of ME Weights: Transfer Function

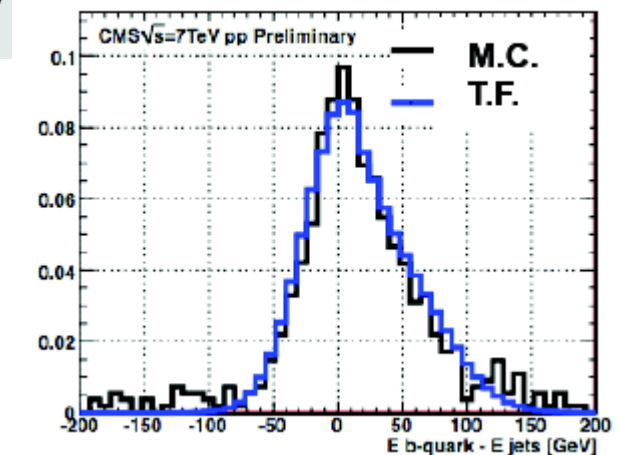
- **Conditional Probability:** $W(p_{vis}; p) = P(p_{vis} | p)$
- **Factorization** assumed on the different particles (jets, leptons) and kinematical variables (Energy, η , φ)
- **Angular variables** assumed to be **well measured**
- Use TF only on Jets and Lepton energies (or pT)
 - ◇ TF parametrized by double gaussian
 - ◇ Parameters extracted from likelihood fit using MC events

100 < E b-quark < 200 Jet TF validation



black → MC truth
blue → Using TF

300 < E b-quark < 1000



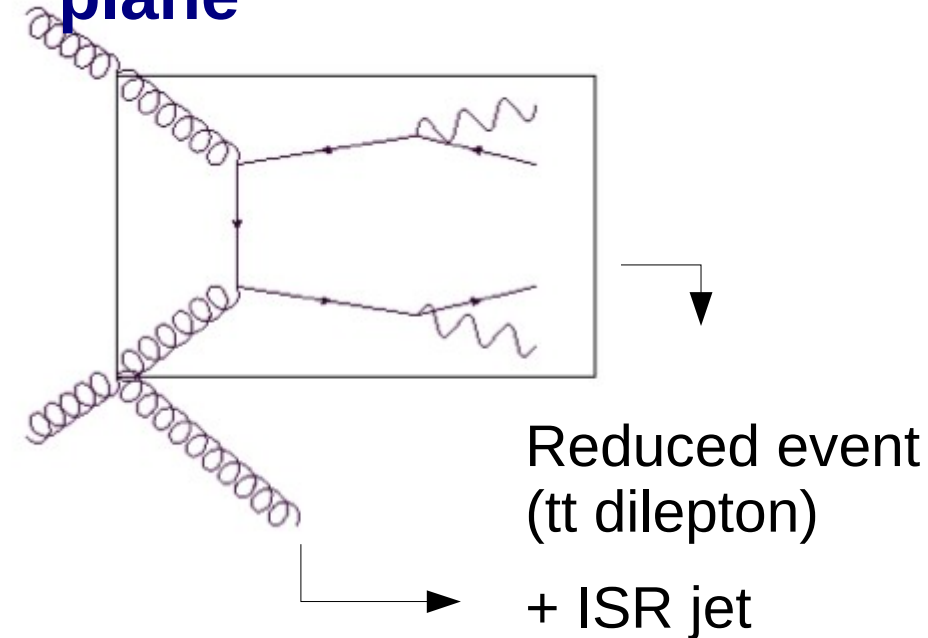
$$W(E^{vis}; E) = \frac{1}{\sqrt{2}(P_2 + P_3 \cdot P_5)} \cdot \left(e^{-\frac{(E - E^{vis} - P_1)^2}{2P_2^2}} + P_3 e^{-\frac{(E - E^{vis} - P_4)^2}{2P_5^2}} \right)$$

$$P_i = a_{i1} + a_{i2} E_{gen} (+ a_{i3} \sqrt{E_{gen}})$$

- For the future: Consider usage of “tabulated” TF

Evaluation of ME Weights: ISR treatment

- Matrix-Element Weights evaluated in MadWeight **at leading order**
- Effect of ISR introduced by applying **boost in the transverse plane**



- p_T boost driven to evaluate ME in a framework where “reduced event” is at rest
 - choice driven by event hypothesis (process)

- If fully observable final state

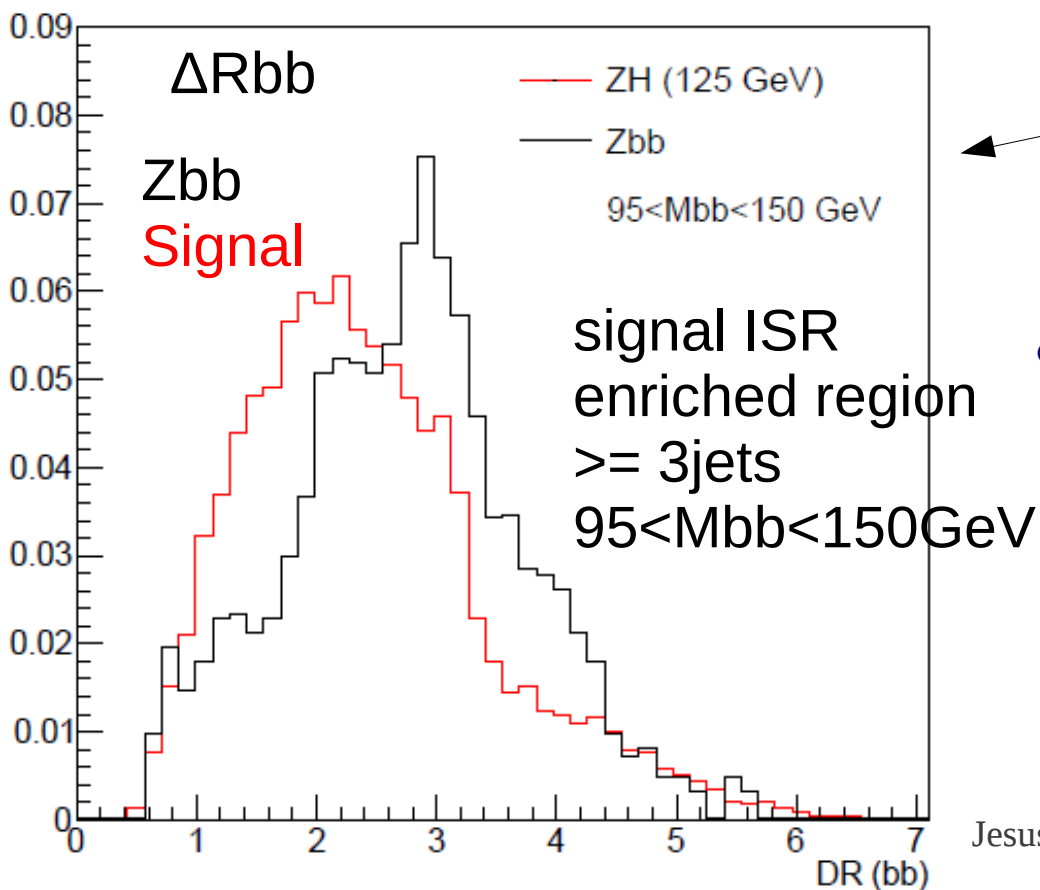
$$\vec{P}t_{boost} = \sum_{L.O. finalstate} \vec{P}t = - \sum_{radiation} \vec{P}t$$

- If not (tt dileptons)

$$\vec{P}t_{boost} = \sum_{L.O. finalstate} \vec{P}t + \vec{M}eT = - \sum_{radiation} \vec{P}t$$

Evaluation of ME Weights: ISR treatment Improvements?

- **Simple Approach:** Adding extra variables sensitive to ISR helps?
 - ◇ **Benchmark:** ZH and Zbb separation power
 - ◇ **Comparison:** Using MLP discriminator using as inputs
 - ME weights (for Zbb and ZH processes) including ISR corr.
 - Adding or not extra variable sensitive to ISR: $\Delta R(\text{bb})$

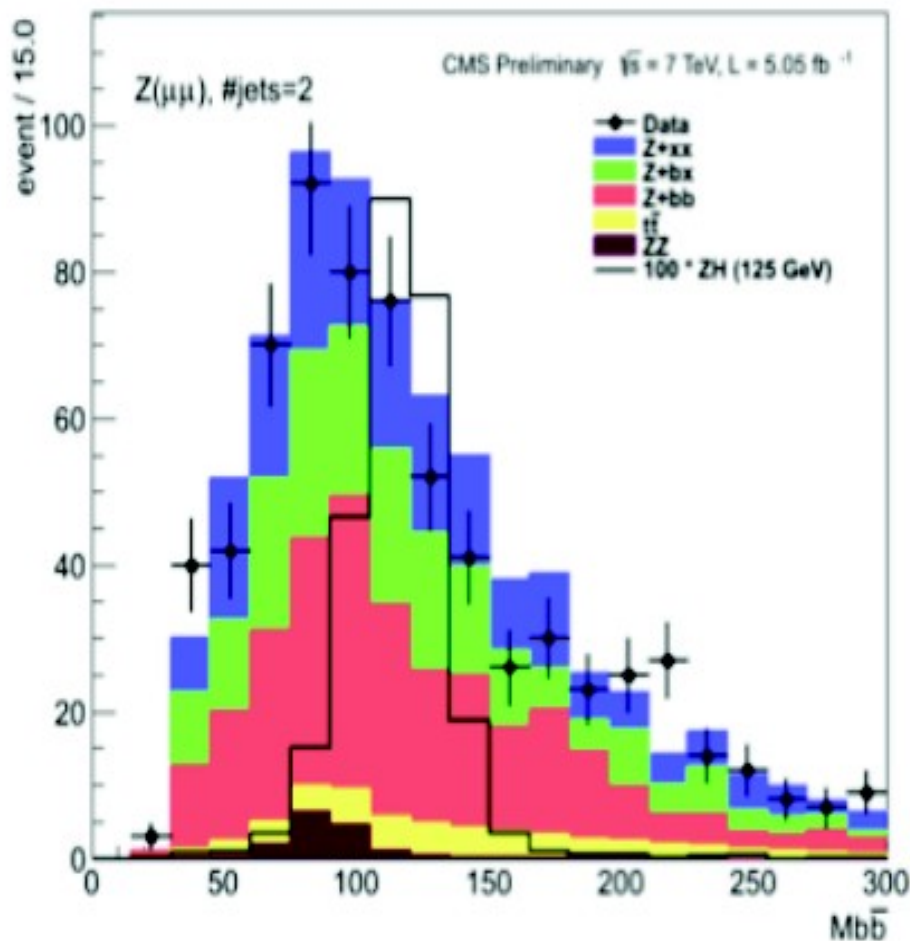


- **Result:** Despite good separation power of $\Delta R(\text{bb})$ no visible improvement in ZH vs Zbb discrimination is seen
 - ◇ **Treatment of ISR based on p_T boost seems sufficient**

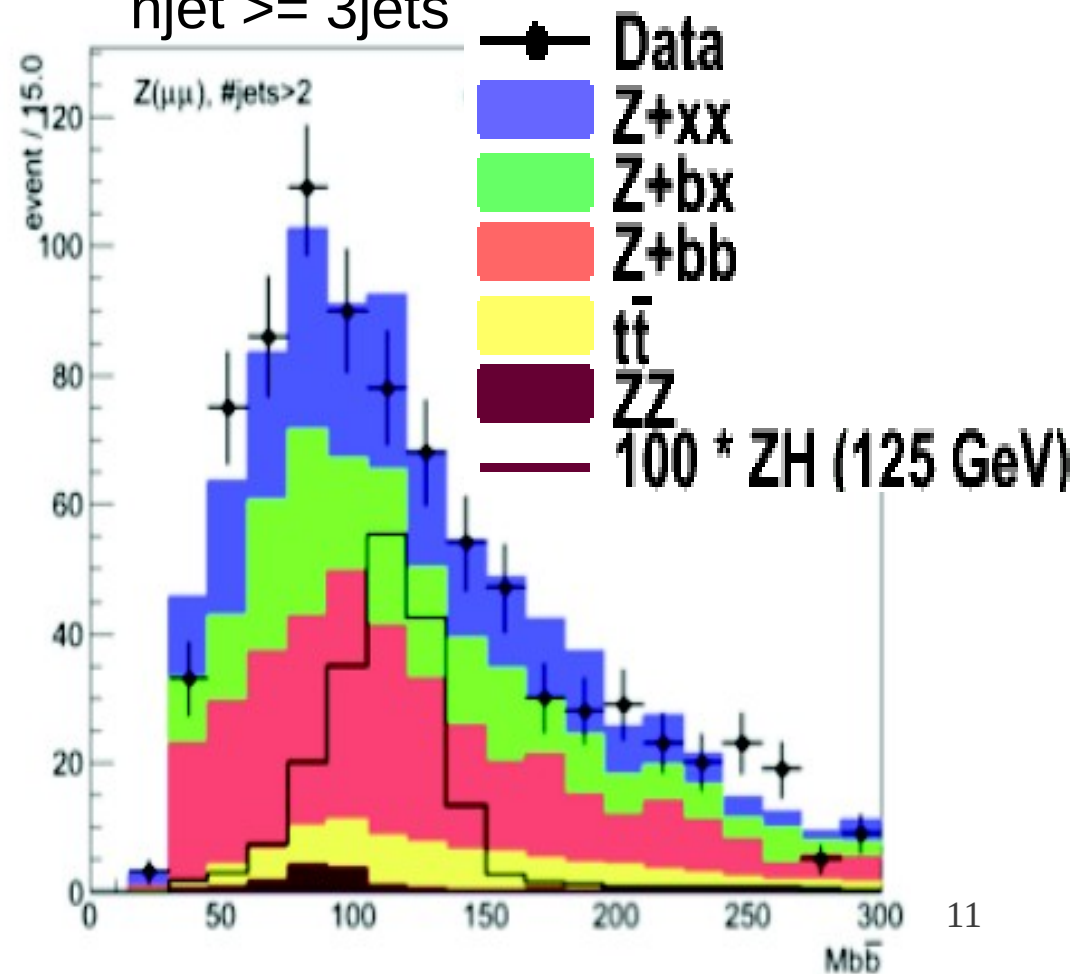
Evaluation of ME Weights: FSR treatment

- ◉ Drives categorization of events: **njet=2**, or **>= 3**
 - ◊ ISR taken into account by transverse boost corrections
 - ◊ FSR not considered in set of estimated ME weights
 - ◊ In addition, better mass resolution and S/B in njet=2

njet = 2

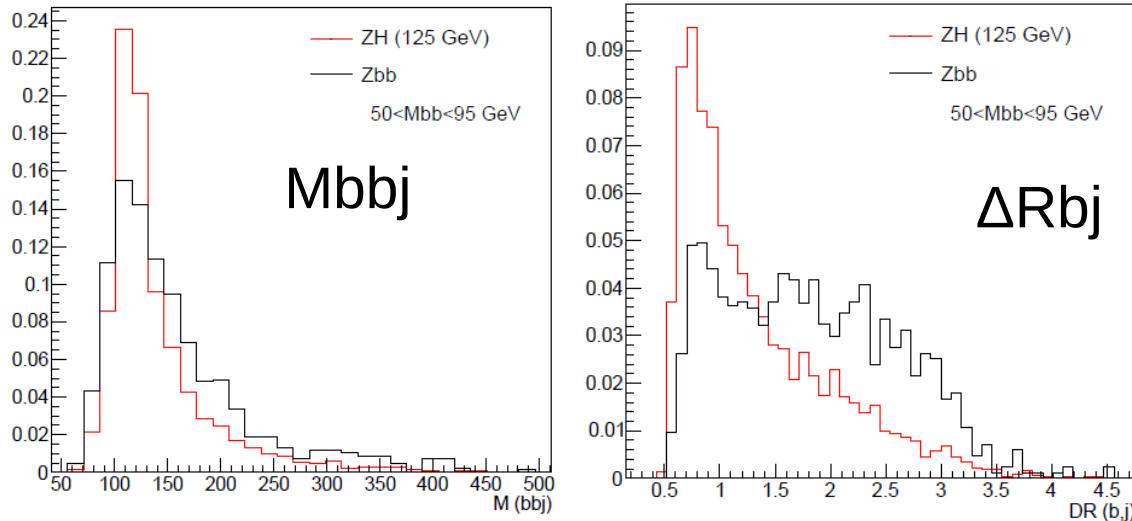


njet >= 3jets

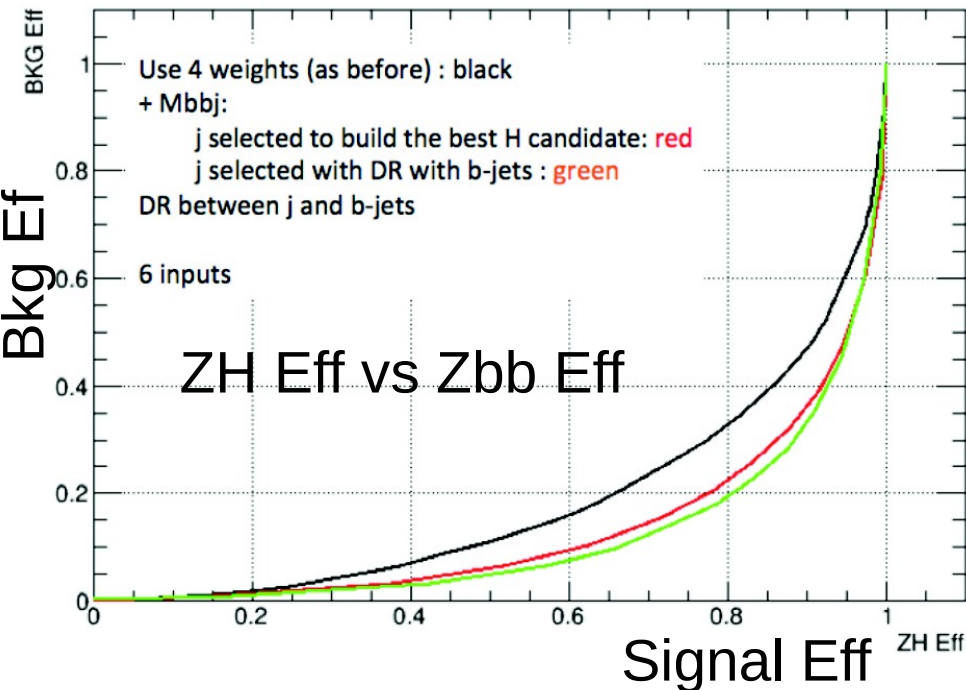


Evaluation of ME Weights: FSR treatment

- Simple Approach: Adding extra variables sensitive to FSR
 - In this case M_{bbj} , $\Delta R(b,j)$



Signal FSR enriched region
 $n_{jet} \geq 3$
 $50 < M_{bb} < 95 \text{ GeV}$



- Result:** Important improvement
 - Green: With Extra Variables**
 - Black: W/O Extra Variables**
- Extra variables included in final MLP discriminator (in addition to ME weights)

Evaluation of ME Weights: FSR treatment

improvement

- For the future: Evaluation of ME Weights with 1 extra FSR jet

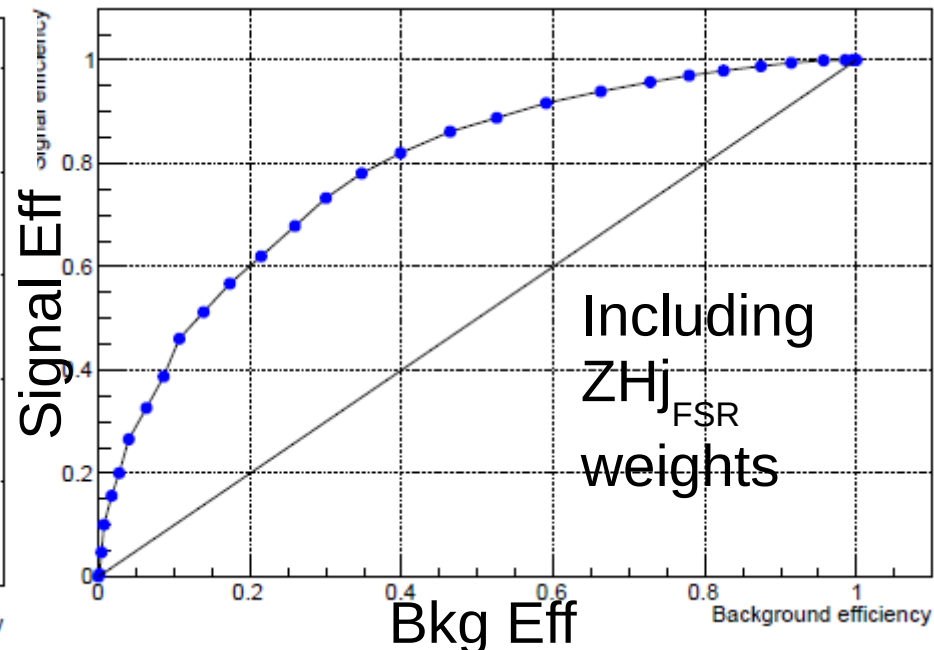
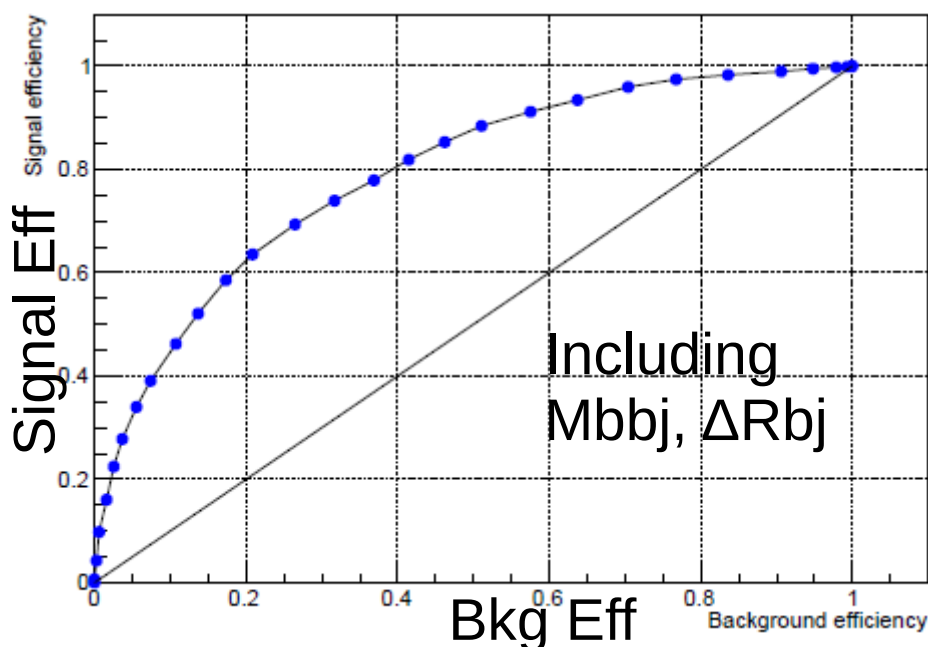
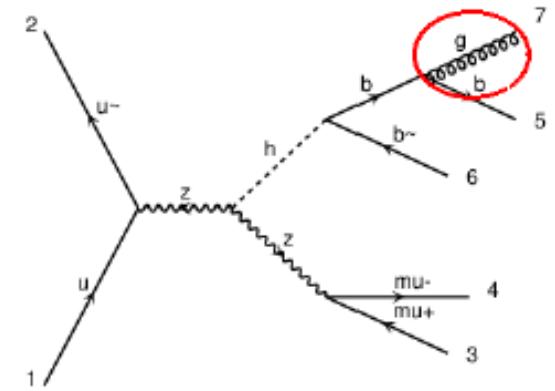
◇ As expected: **Similar performance that introducing extra variables** → Briec Francois Master Thesis

◇ Advantages

- More consistent approach
- It can result in a reduction of number of input variables

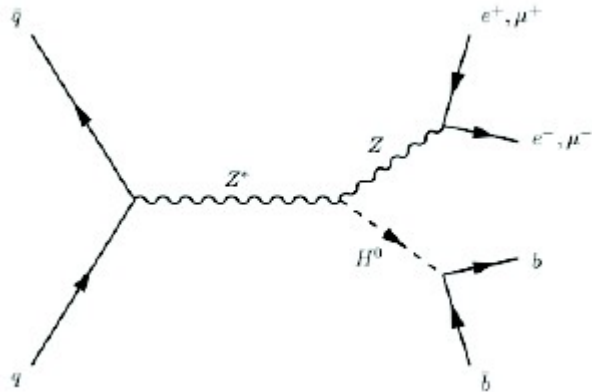
◇ Disadvantage: longer CPU time to compute ME weights → Around factor 6

Final State Radiation : Zh_j _{FSR}



Evaluation of ME Weights: Overconstrained Processes → E-P conservation

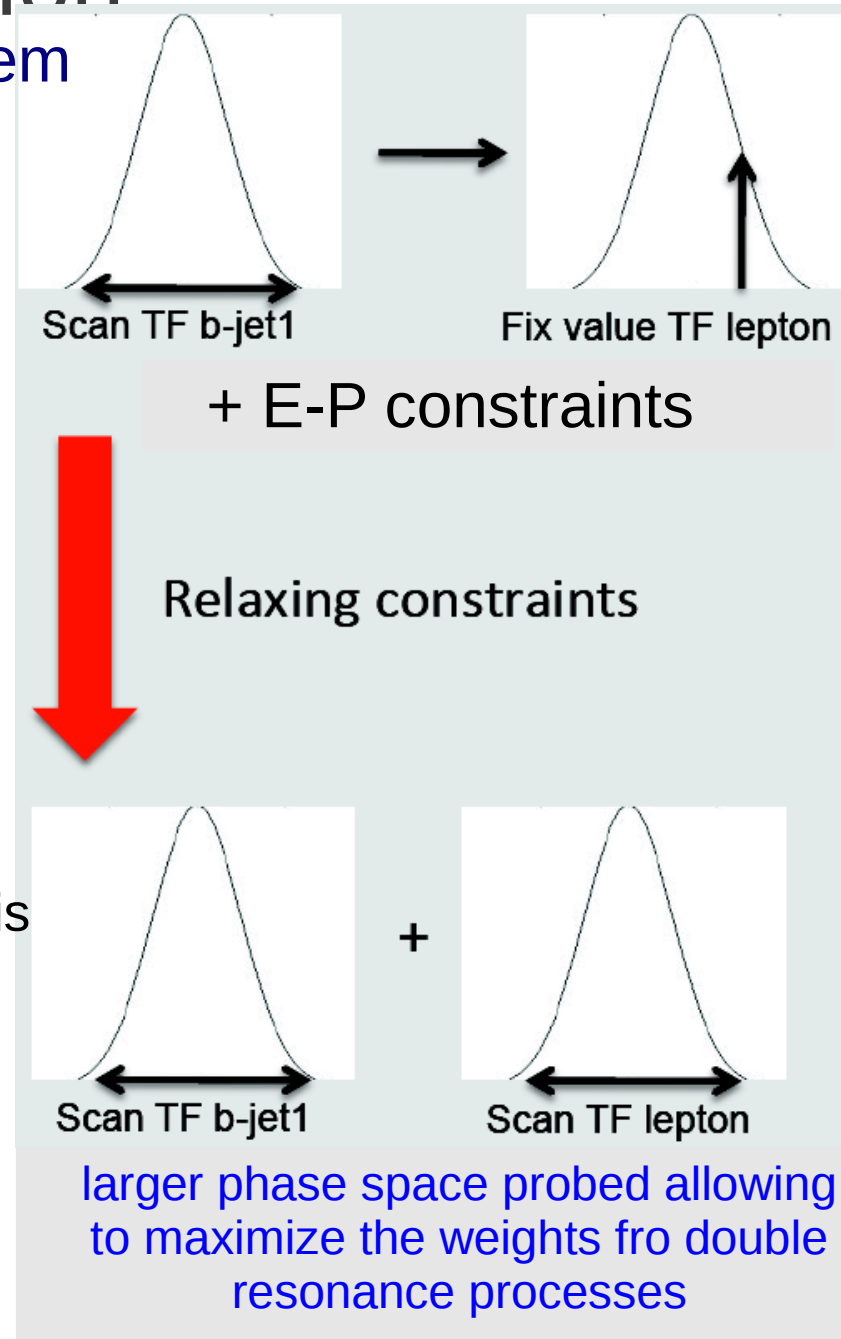
- ZH, ZZ Production: Overconstrained system due to 2 intermediate resonances



- Phase space covered by the 2 lepton + 2 jet TF is not probed
 - Kinematic of one particle is probed (integration over 1 TF)
 - E-P conservation fixes the kinematics of the other particles (TF evaluated but no integration is performed)

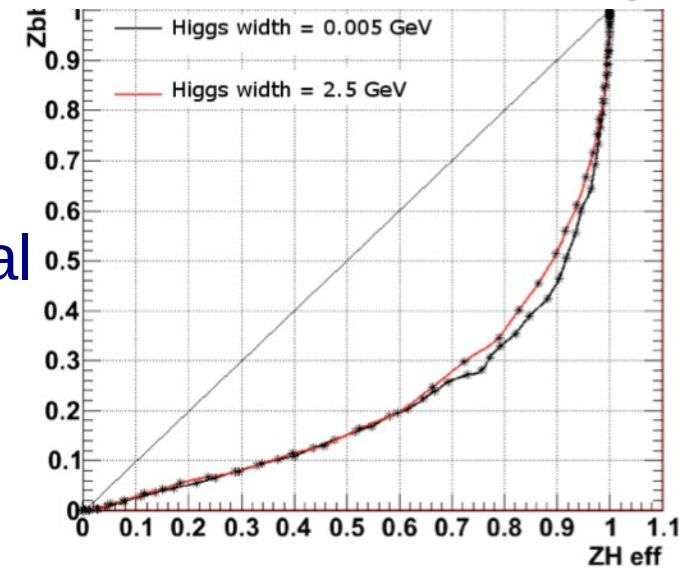
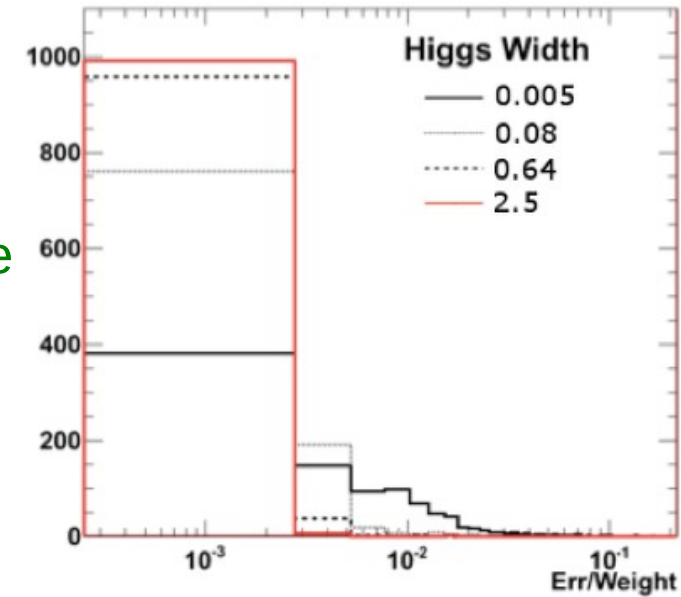
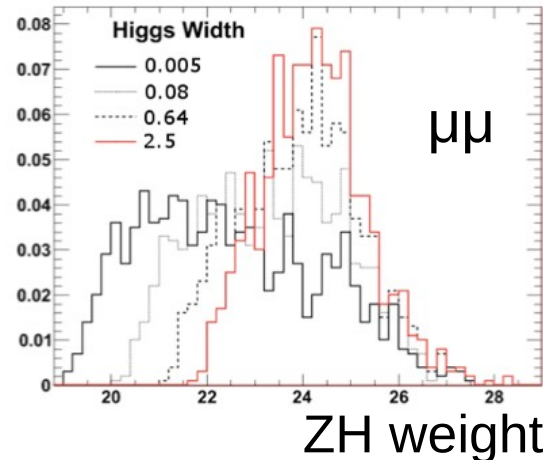
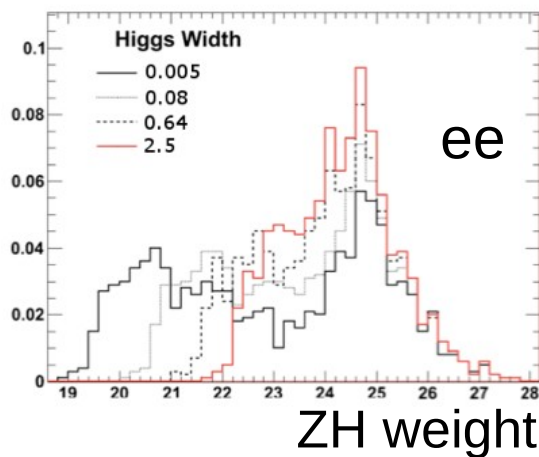
- Solution: **Relax E-P conservation** in the transverse plane

- **Both weights** (relaxing or not E-P) conservation for ZH and ZZ **considered in the analysis**



Evaluation of ME Weights: Overconstrained System ZH \rightarrow Narrow width approximation

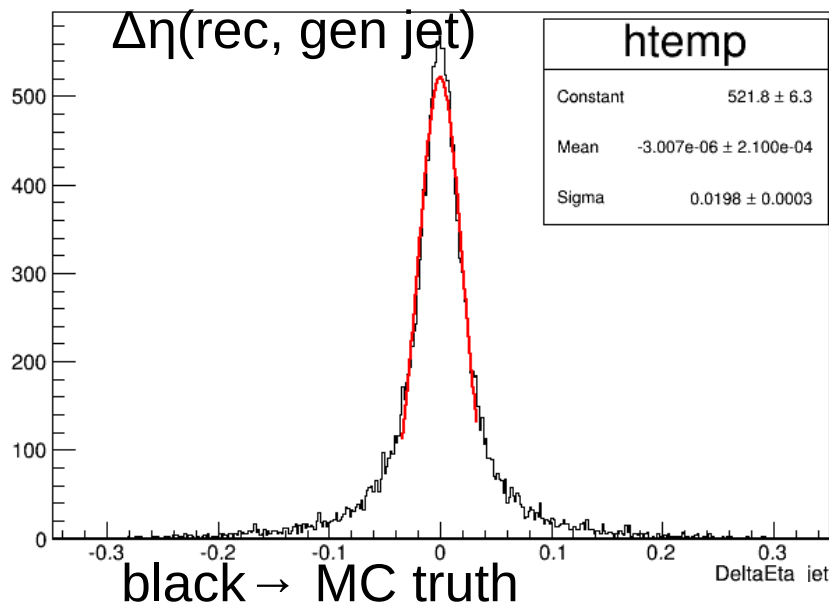
- Feature in ZH weight enforcing E-P conservation
 - ◊ Double peak structure in ee (but not in $\mu\mu$ channel)
 - ◊ Reason \rightarrow Tail of electron TF drops faster than muon one
- Solution: Enlarge $\Gamma_H = 5 \cdot 10^{-3} \rightarrow 2.5$ GeV
 - ◊ Double peak structure disappears
 - ◊ e and mu weights become similar
 - ◊ Numerical relative uncertainty on the weights decrease
 - ◊ Discriminative power not dramatically affected



- Shows interplay between TF and ME theoretical constrains

Evaluation of ME Weights: Overconstrained Systems → Further improvements

- For the future: Further explore interplay between theoretical constraints and TF
 - ◇ Goal: Usage of a **single ME weight** containing all theoretical constraints (E-P conservation, nominal Γ_H) improving TF description
 - ◇ For the moment: add angular TF on jet directions while imposing E-P conservation (and nominal Γ_H): Simple gaussian parametrization



- Preliminary results:

- ◇ Double peak structure in ee channel disappear but worse discrimination power of ZH weights
- ◇ Further investigation ongoing
 - Use proper parametrization of angular TF
 - ...

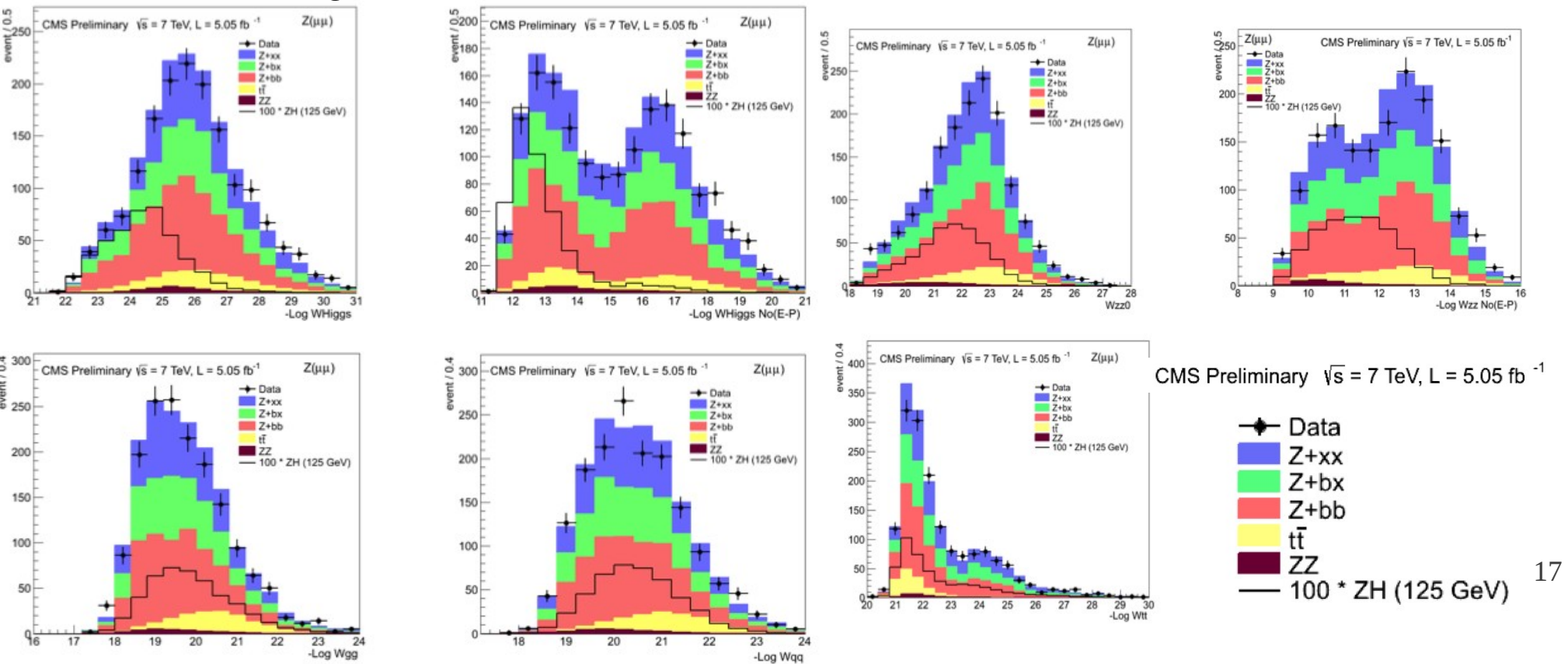
Evaluation of ME Weights: Data/MC Validation

◉ Set of 7 ME weights evaluated as described in previous slides well modeled

- ◇ Using Data-Driven bkg normalization (next slide)
- ◇ Important signal discrimination power

- Mainly from ZH weights
- Additional separation from other weights

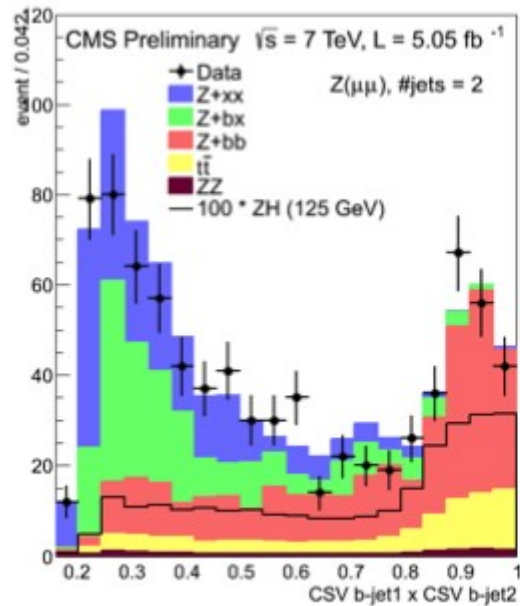
Process	Hypothesis	ISR correction	E-P conservation
Higgs	$qq \rightarrow ZH \rightarrow l^-l^+ b\bar{b}$	without MeT	conserved
Higgs	$qq \rightarrow ZH \rightarrow l^-l^+ b\bar{b}$	without MeT	Not conserved
$t\bar{t}$	$pp \rightarrow t\bar{t} \rightarrow l^-l^+ \nu\bar{\nu} b\bar{b}$	with MeT	conserved
$Zb\bar{b}$	$gg \rightarrow l^-l^+ b\bar{b}$	without MeT	conserved
$Zb\bar{b}$	$qq \rightarrow l^-l^+ b\bar{b}$	without MeT	conserved
ZZ	$qq \rightarrow ZZ \rightarrow l^-l^+ b\bar{b}$	without MeT	conserved
ZZ	$qq \rightarrow ZZ \rightarrow l^-l^+ b\bar{b}$	without MeT	Not conserved



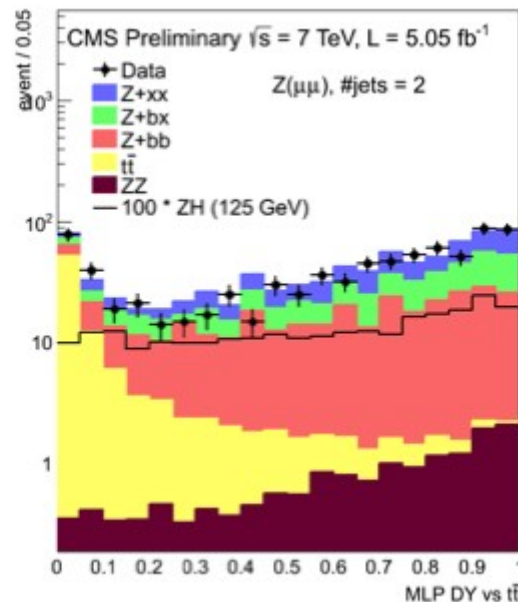
Data-Driven Background Normalization

- Normalization of main backgrounds $t\bar{t}$, Zbb ($n_{jet}=2$), Zb +extra jet, Zxx based on 2-D fit to data in Control Region (inversion of M_{bb} cut)
 - Variable to separate mistags from backgrounds with real bjets: **b-tag discriminator**
 - Variable to separate Zbb from $t\bar{t}$: MLP using Zbb (gg, qq) and $t\bar{t}$ weights
 - Simultaneous fit 2 lepton x 2 jet categories

pos-fit variables for $\mu\mu$ 2-jet channel



b-tag discr.

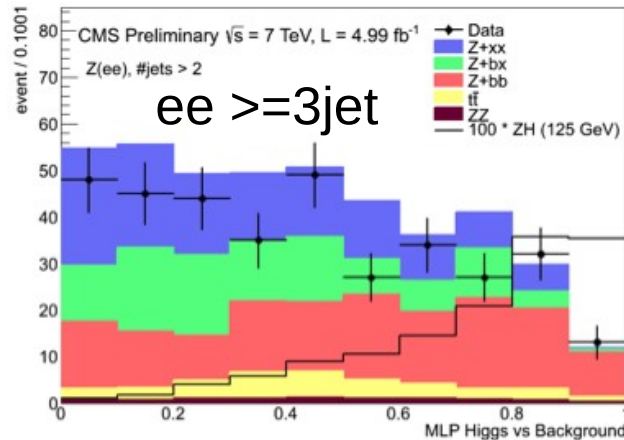
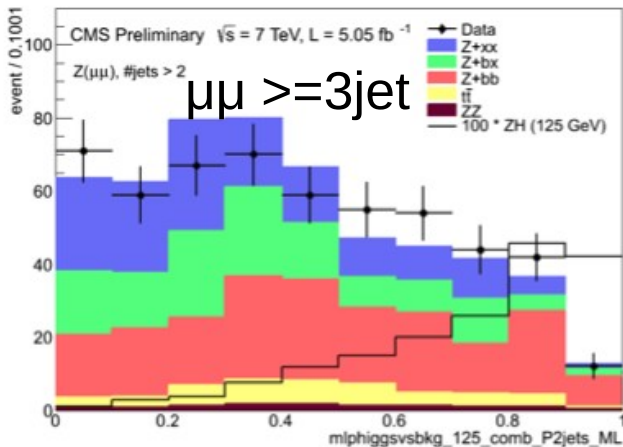
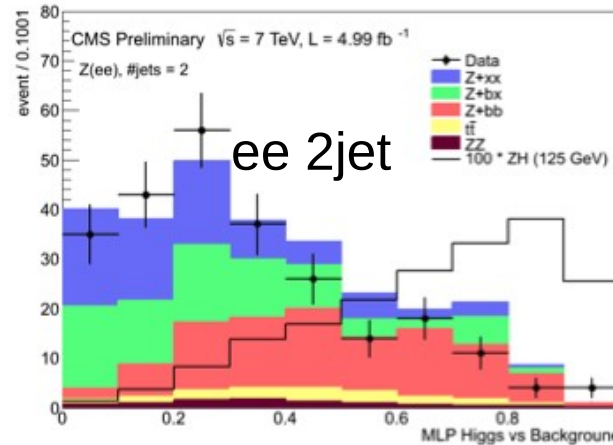
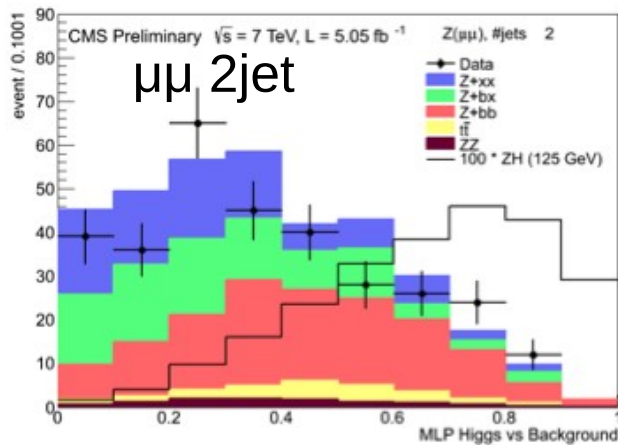


Zbb vs $t\bar{t}$ discr

- Usage of Zbb VS $t\bar{t}$ discriminator instead of simpler discriminator such as M_{ll} results in 25% improvement in accuracy in normalization factor
 - Tested on similar context

Final discriminator for ZH search

- ⊙ In order to deal with limited statistics better, 3 intermediate MLP's are trained
 - ◇ ZH vs Zbb, ZH vs tt, ZH vs ZZ
 - ◇ Using involved ME weights (+ extra FSR variables)
- ⊙ Final MLP trained
 - ◇ Using as inputs previous 3 MLP's and a combined sample of all backgrounds

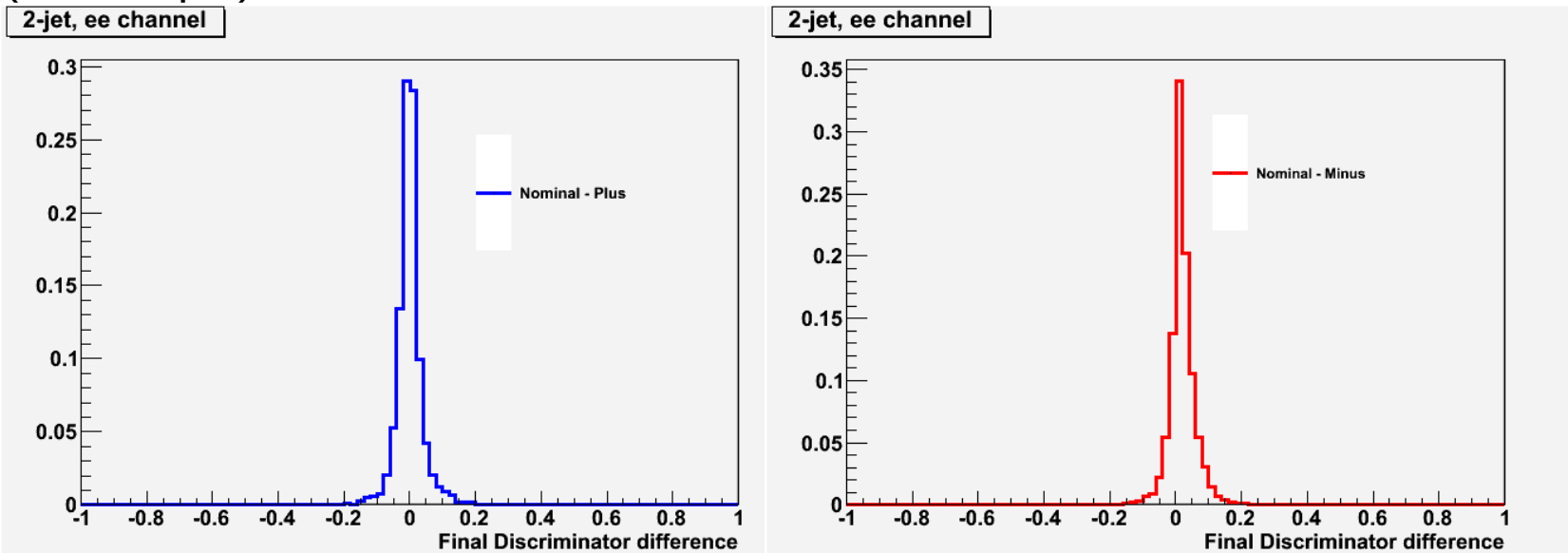


- ⊙ Final discriminator very sensitive to ZH and well modeled in low score bins

Systematics

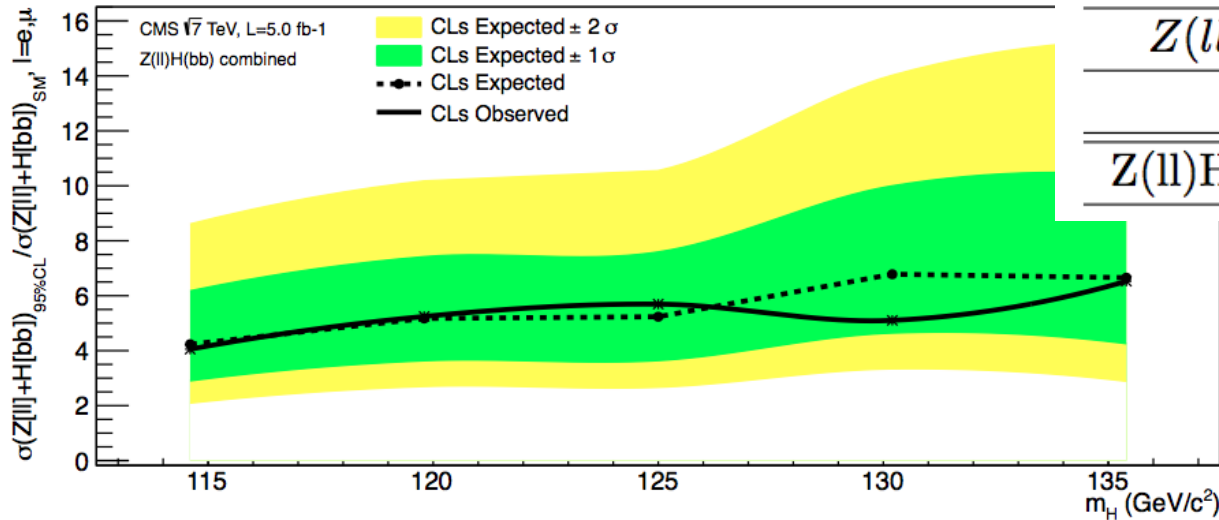
- Extensive list of sources of systematic errors considered
 - Main systematics due to statistical uncertainty in background normalization fit → limiting factor available data
 - Statistical fluctuation on background shapes due to limited MC samples
- Systematics affecting shape of ME-based final discriminator such as JES or b-tagging uncertainties
 - JES → estimated evaluating ME-weights for $\pm 1\sigma$ variation
 - small impact in result ~1%**

Difference between nominal discriminator and discriminator for Plus and Minus JES shifts (ZH sample)



Results

- Limits set on ZH production x BR (H → bb)



$Z(l)Hb\bar{b} \quad \sqrt{s} = 7 \text{ TeV} - m_H = 125 \text{ GeV}$			
	Blind	Expected	Observed
$Z(l)H(b\bar{b})$	$4.8^{+2.3}_{-1.5}$	$5.2^{+2.4}_{-1.6}$	5.7

Exclusion at 95% C.L. of 5.7 times the Z(l)H(bb) process using only 7 TeV data

- Sensitivity comparable to the one of BDT analysis
 - More improvements will be pursued in order to assess whether the MEM is the most optimal analysis technique for this kind of searches

Summary

- ◉ Presented ZH \rightarrow llbb search based on MadWeight ME method
- ◉ Treatment of ISR by using transverse boost correction
- ◉ Treatment of FSR can be improved by events with extra jet evaluating weights at higher QCD
- ◉ Interplay between angular TF, E-P requirement (and Γ_H) for overconstrained hypothesis
- ◉ Validated different Matrix-Element weights using data
- ◉ Full treatment of systematics
 - ◊ ME-based discriminator not too affected by **JES**, b-tag
- ◉ Results competitive wrt advance BDT based analysis

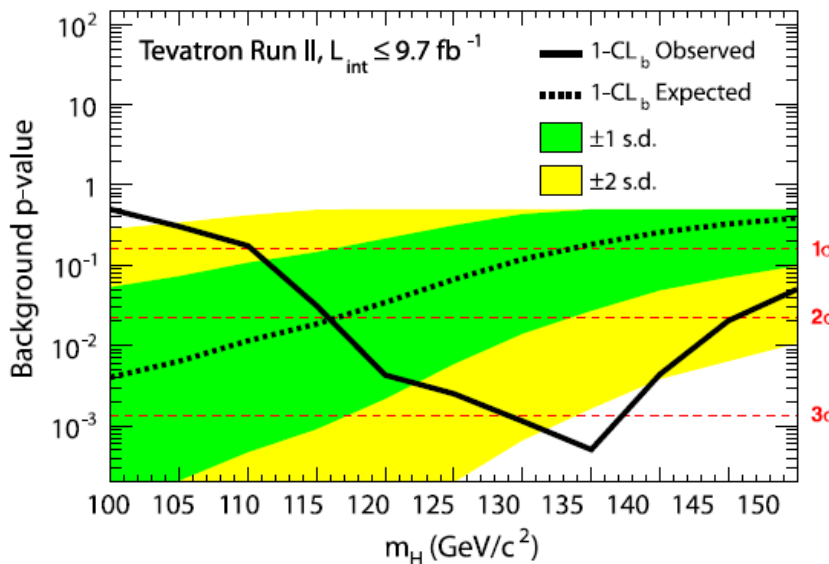
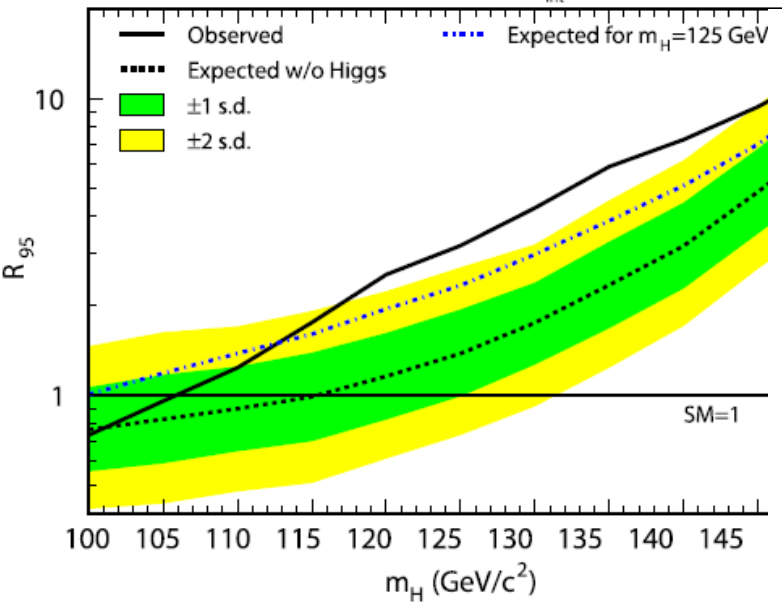
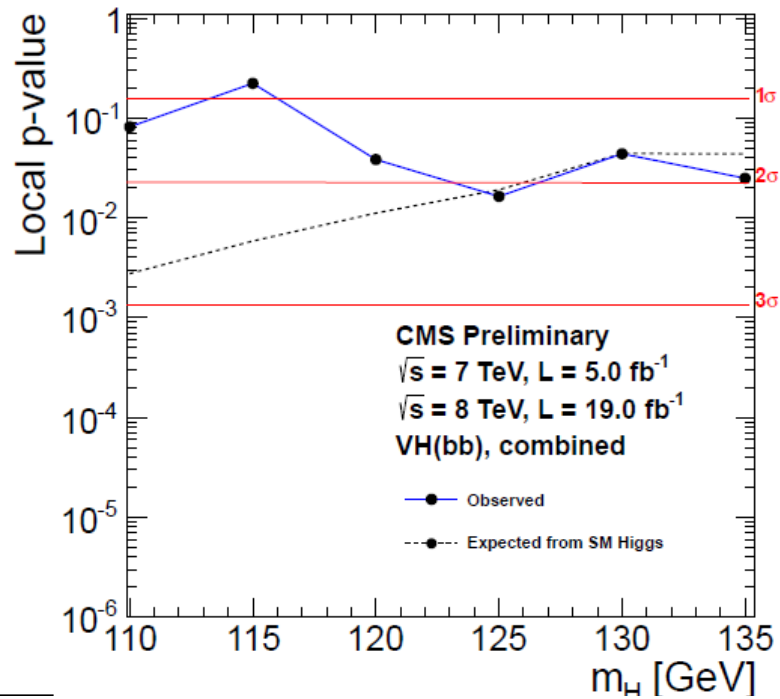
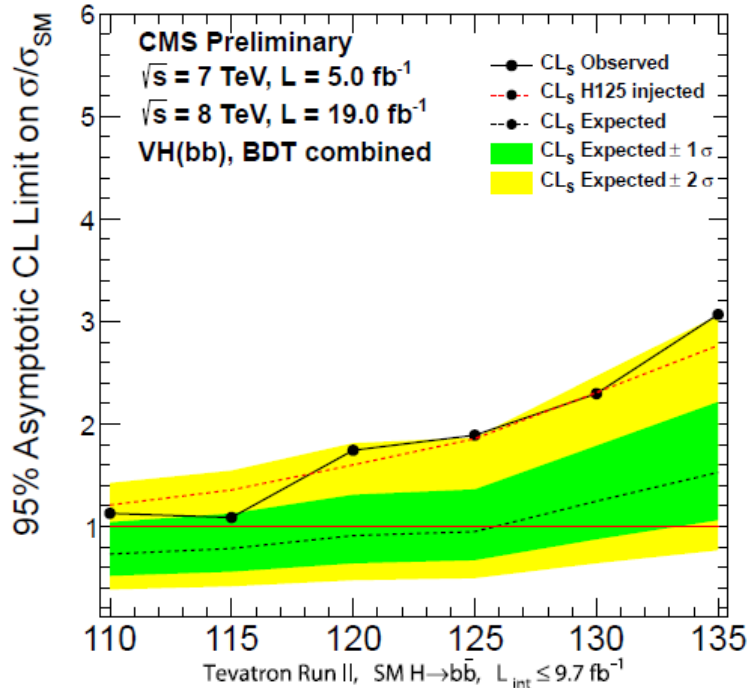
Plans

- ◉ Analysis improvements
 - ◇ Exploit better S/B for higher $p_T(Z)$
 - ◇ Usage of regression techniques to improve Mbb
 - Inclusion of regressed Mbb in MLP doesn't improve result
 - TF will be derived on regressed jet energies
 - ◇ ...
- ◉ Improvements in ME method
 - ◇ Use Tabulated TF's
 - ◇ Estimation of ME weights for higher order QCD (treatment of FSR)
 - ◇ Optimize evaluation of ME weights for overconstrained hypotheses by optimizing angular TF. Also related to E-P conservation (and Γ_H)
 - ◇ Usage of LR using event probabilities instead of ME weights
 - ◇ Calculate ME weights for Z+xx hypothesis
 - ◇ ...

Backup

CMS and Tevatron VH->bb

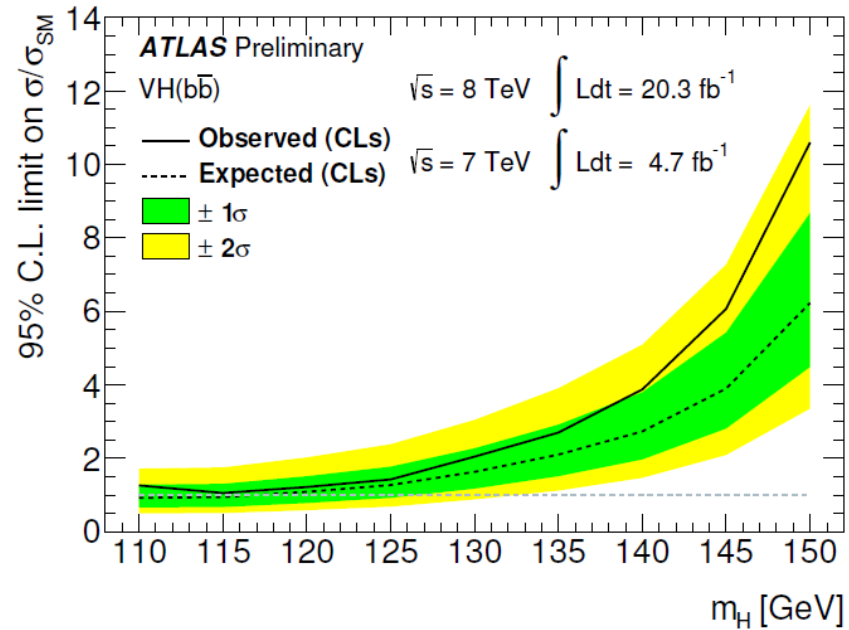
CMS: local significance of 2.1 standard deviations (for 125 GeV)



Tevatron: maximum local significance of 3.3 standard deviations

ATLAS VH \rightarrow bb

CMS: local significance of 2.1 standard deviations (for 125 GeV)



ATLAS: expected upper limit for m_H
= 125 GeV: 1.3

$$\mu = 0.2 \pm 0.5(\text{stat.}) \pm 0.4(\text{syst.}).$$

CMS standard BDT analysis

8TeV	WH		ZH		H → bb	
	$\sigma(\text{pb})$	$\pm(\%)$	$\sigma(\text{pb})$	$\pm(\%)$	$\mathcal{B}(\text{H} \rightarrow \text{bb})$	$\pm(\%)$
110	1.0600	+3.9, -4.4	0.5869	+5.4, -5.4	0.745	+2.1, -2.2
115	0.9165	+4.0, -4.5	0.5117	+5.6, -5.5	0.704	+2.4, -2.5
120	0.7966	+3.5, -4.0	0.4483	+5.0, -4.9	0.648	+2.8, -2.8
125	0.6966	+3.7, -4.1	0.3943	+5.1, -5.0	0.577	+3.2, -3.2
130	0.6095	+3.7, -4.1	0.3473	+5.4, -5.3	0.493	+3.7, -3.8
135	0.5351	+3.5, -4.1	0.3074	+5.4, -5.2	0.403	+4.2, -4.3
140	0.4713	+3.6, -4.2	0.2728	+5.6, -5.4	0.315	+3.4, -3.4
145	0.4164	+3.9, -4.5	0.2424	+6.0, -5.8	0.232	+3.7, -3.7
150	0.3681	+3.4, -4.0	0.2159	+5.7, -5.4	0.157	+4.0, -4.0

Variable

$p_T(j)$: transverse momentum of each Higgs daughter

$m(jj)$: dijet invariant mass

$p_T(jj)$: dijet transverse momentum

$p_T(V)$: vector boson transverse momentum (or E_T^{miss})

CSV_{max} : value of CSV for the Higgs daughter with largest CSV value

CSV_{min} : value of CSV for the Higgs daughter with second largest CSV value

$\Delta\phi(V, H)$: azimuthal angle between V (or E_T^{miss}) and dijet

$|\Delta\eta(jj)|$: difference in η between Higgs daughters

$\Delta R(jj)$: distance in η - ϕ between Higgs daughters

N_{aj} : number of additional jets

$\Delta\theta_{\text{pull}}$: color pull angle [34]

$\Delta\phi(E_T^{\text{miss}}, \text{jet})$: azimuthal angle between E_T^{miss} and the closest jet (only for $Z(\nu\nu)H$)

$\text{maxCSV}_{\text{aj}}$: maximum CSV of the additional jets in an event (only for $Z(\nu\nu)H$ and $W(\ell\nu)H$)

$\text{min}\Delta R(H, \text{aj})$: minimum distance between an additional jet and the Higgs candidate (only for $Z(\nu\nu)H$ and $W(\ell\nu)H$)

Angular variables: HV system mass, Angle Z-Z*, Angle Z-l, Angle H-jet (only for $Z(\ell\ell)H$)

Detailed Event Selection

- Basic event selection (as inclusive as possible)

- 2 leptons $p_T > 20$ GeV, $|\eta| < 2.4$, $76 < M_{ll} < 106$ GeV
- At least 2 jets with $p_T > 20$ GeV, $|\eta| < 2.4$
 - Categorization: $n_{jet}=2$ and $n_{jet} \geq 3$
- 2 b-tagged jets (1 “Medium” + 1 “Loose” tags)
- small MET: MET significance < 10

- Extra kinematical cuts

- $P_{T,jet1} > 40$, $P_{T,jet2} > 25$, $P_{T,Z} > 20$ GeV

- PU suppression

- ◇ m_{bb}

$80 < m_{bb} < 150$ GeV (if $n_{jet}=2$)

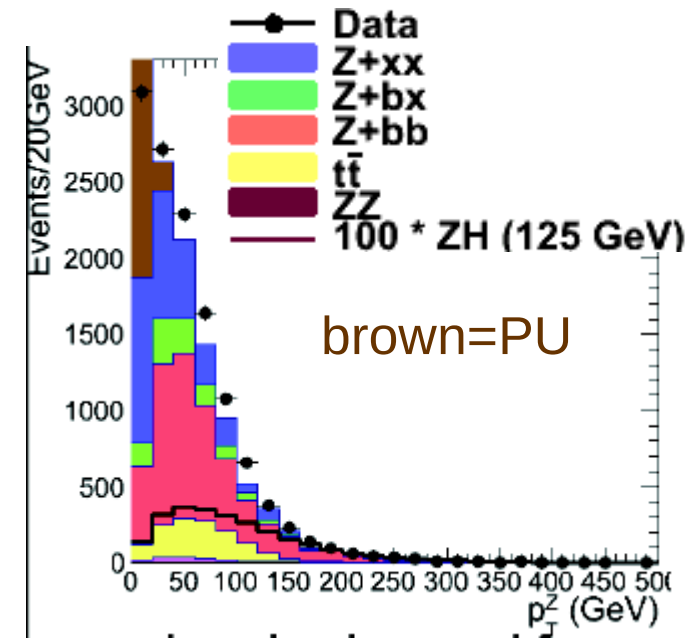
$50 < m_{bb} < 150$ GeV (if $n_{jet} > 2$)

- Inversion of this cut to define “Control Region”

- Main backgrounds after event selection

- ◇ $t\bar{t}$ (sizeable), ZZ (irreducible but small)
- ◇ Main Z+jets: Zbb , Zbx , Zxx . Notation: b (x) → if gen level b-parton is (not) found within $\Delta R < 0.3$ of reco jet

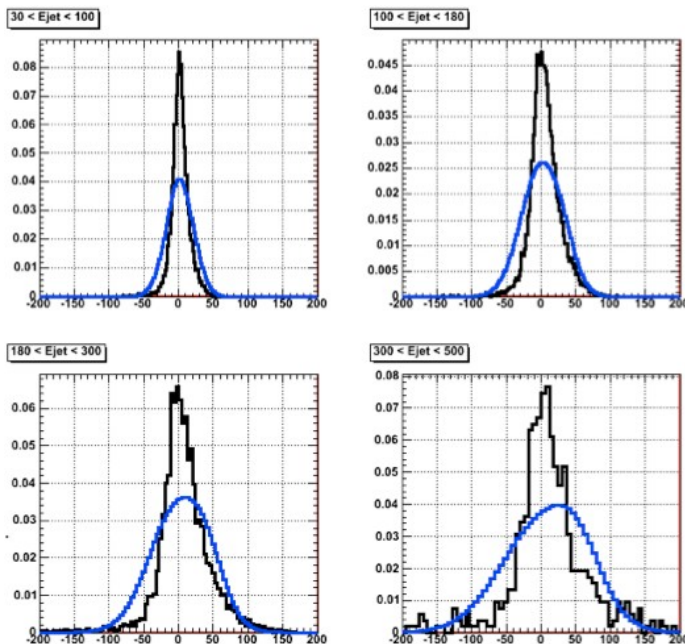
Plot for 8 TeV data
(more important PU)





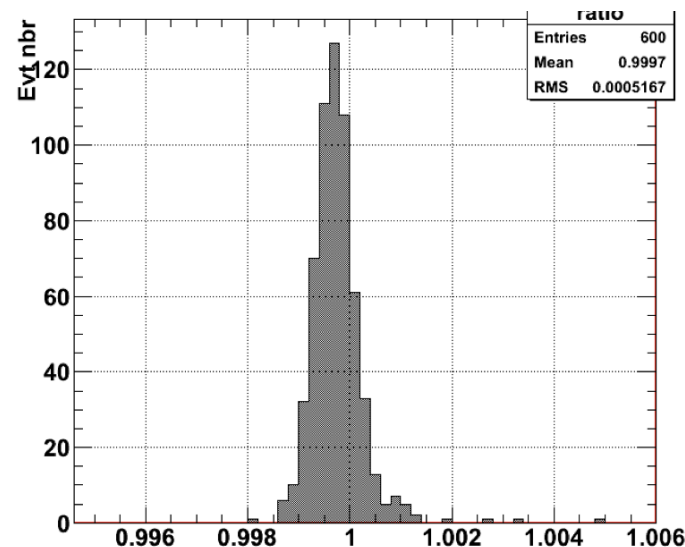
Effect of transfer function on the M.E. Weight

Variation of the jet (electron) energy transfer function of



Same events.
 Weights estimated with:
 nominal TF: W
 modified TF: W^*

Ratio:
$$\frac{-\text{Log}_{10}(W)}{-\text{Log}_{10}(W^*)}$$



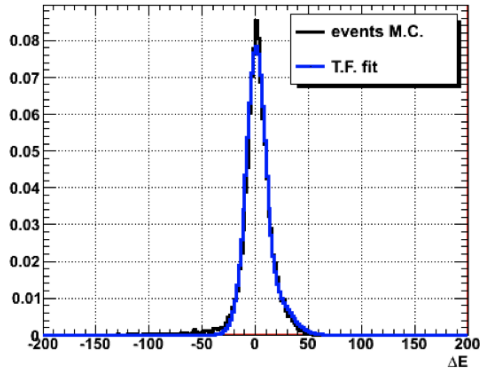
The $-\text{Log}_{10}$ of the weight is stable with transfer function variations (that correspond to energy resolution fluctuation).

Sample		$t\bar{t}$	qqToZ(ee)bb	ggToZ(ee)bb
Jet energy TF variations				
$t\bar{t}$	RMS	$8.8 \cdot 10^{-3} \pm 2 \cdot 10^{-4}$	$5.2 \cdot 10^{-4} \pm 1.2 \cdot 10^{-5}$	$5.8 \cdot 10^{-4} \pm 1.3 \cdot 10^{-5}$
	peak	1.00	0.99	1.00
Z(ee)bb	RMS	$1.153 \cdot 10^{-4} \pm 3 \cdot 10^{-4}$	$5.1 \cdot 10^{-4} \pm 1.5 \cdot 10^{-5}$	$6.4 \cdot 10^{-4} \pm 1.8 \cdot 10^{-5}$
	peak	1.004	0.99	0.99
Electron energy TF variations				
$t\bar{t}$	RMS	$7.6 \cdot 10^{-4} \pm 2 \cdot 10^{-5}$	$6.8 \cdot 10^{-3} \pm 1 \cdot 10^{-4}$	$7.3 \cdot 10^{-3} \pm 2 \cdot 10^{-4}$
	peak	1.001	1.003	1.004
Z(ee)bb	RMS	$1.310^{-3} \pm 1 \cdot 10^{-4}$	$6.4 \cdot 10^{-3} \pm 510^{-5}$	$6.7 \cdot 10^{-3} \pm 2 \cdot 10^{-4}$
	peak	1.00	0.99	0.99

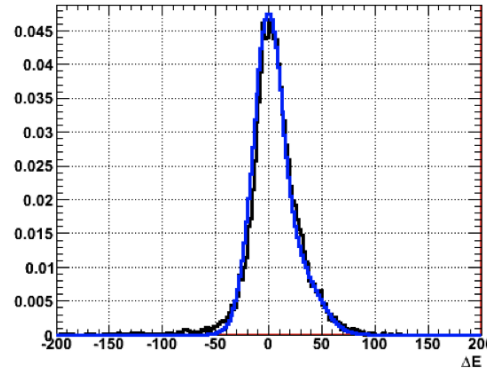
Effect of transfer function fluctuation on weights

Varying the jet transfer function.

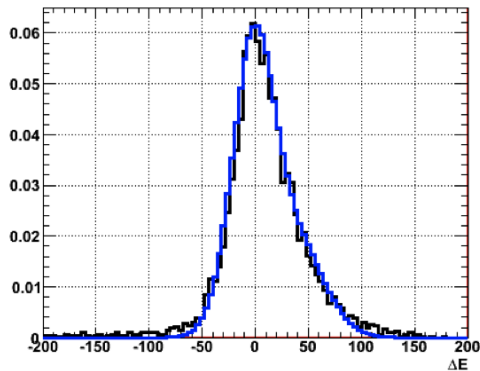
$0 < E_{jet} < 100$



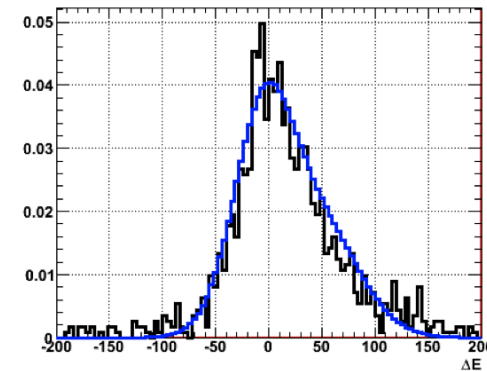
$100 < E_{jet} < 180$



$80 < E_{jet} < 300$

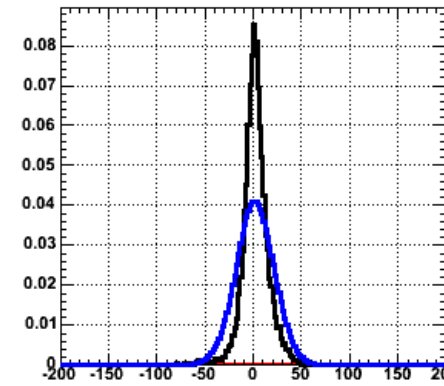


$300 < E_{jet} < 500$

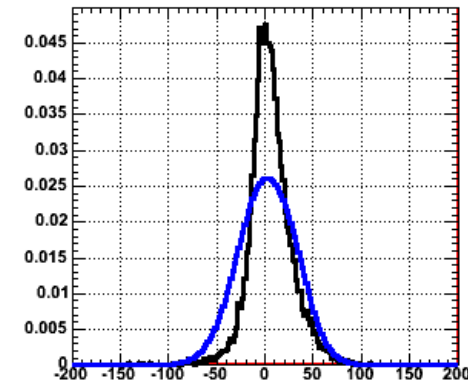


But :
 $2 * \text{width of the first gaussian}$
 $P2 \rightarrow 2 \times P2$

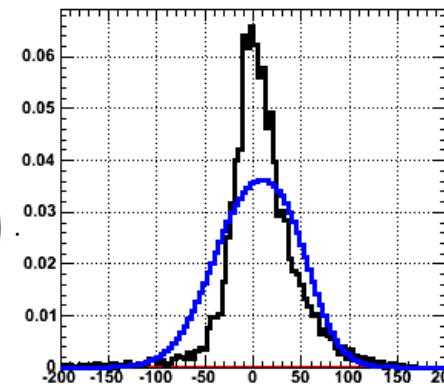
$30 < E_{jet} < 100$



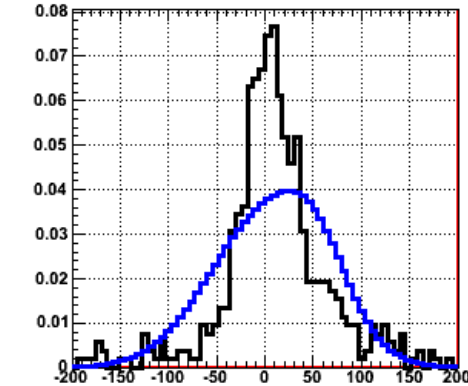
$100 < E_{jet} < 180$



$180 < E_{jet} < 300$



$300 < E_{jet} < 500$

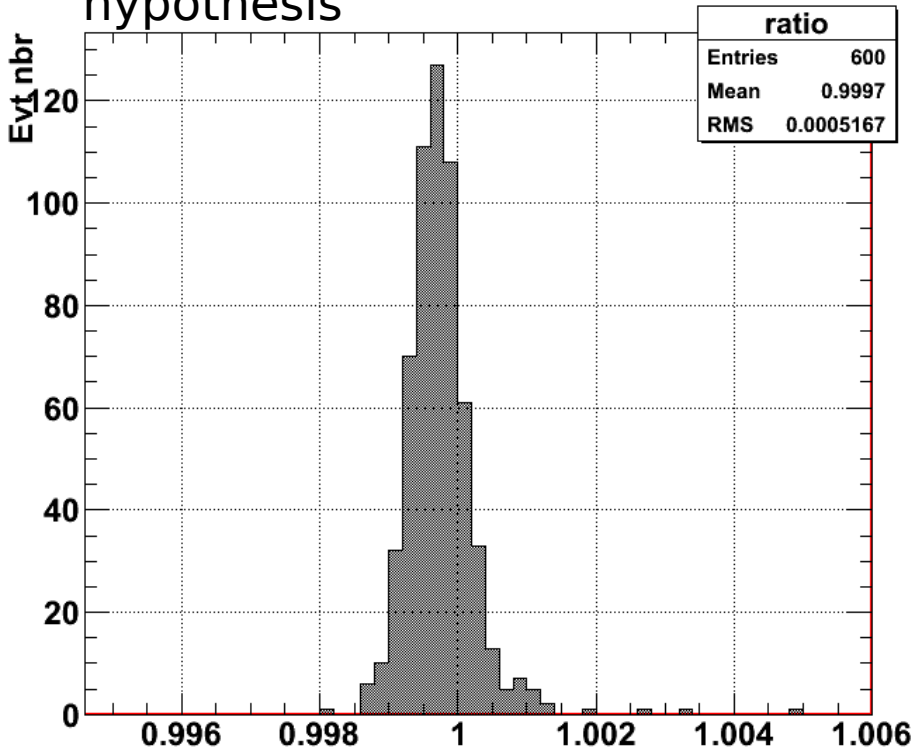


Still using :

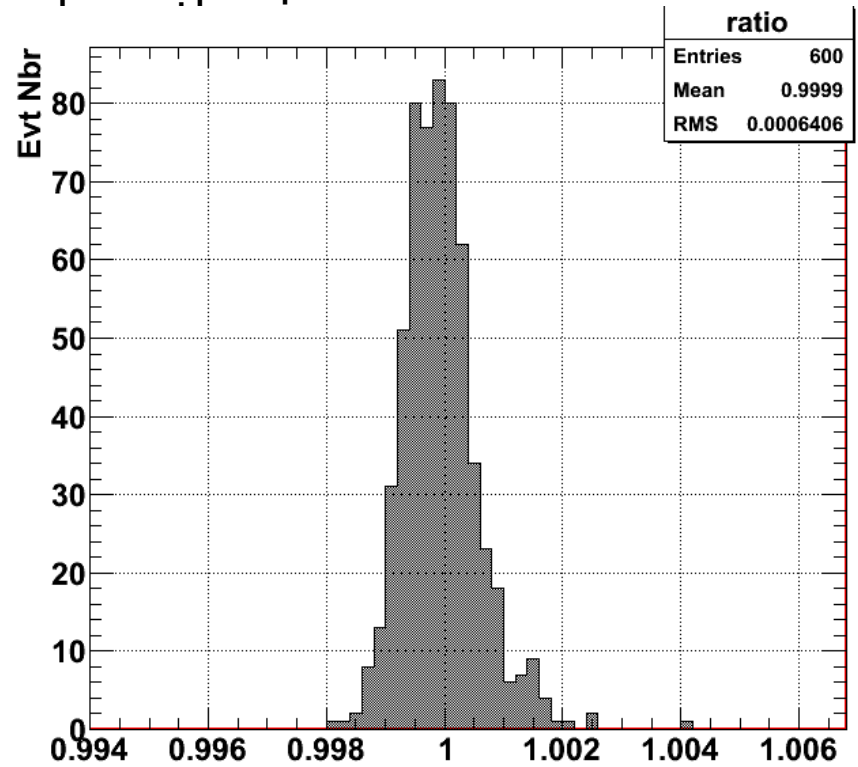
$$W(E_j, E_{part}) = \frac{1}{\sqrt{2}(P_2 + P_3 \cdot P_5)} \cdot \left(e^{-\frac{[(E_{part} - E_j) - P_1]^2}{2 \cdot P_2^2}} + P_3 \cdot e^{-\frac{[(E_{part} - E_j) - P_4]^2}{2 \cdot P_5^2}} \right)$$

Effect of transfer function fluctuation on weights

DY events with **qqToZbb** hypothesis



DY events with **ggToZbb** hypothesis



TF jets robust against Pile-Up

- It appears that the jets energy transfer function are not depending of the Pile-Up
- The use of the FastJet correction provide an non dependency to the Pile-Up condition.

