

Polarization Preservation and Control in a Figure-8 Ring

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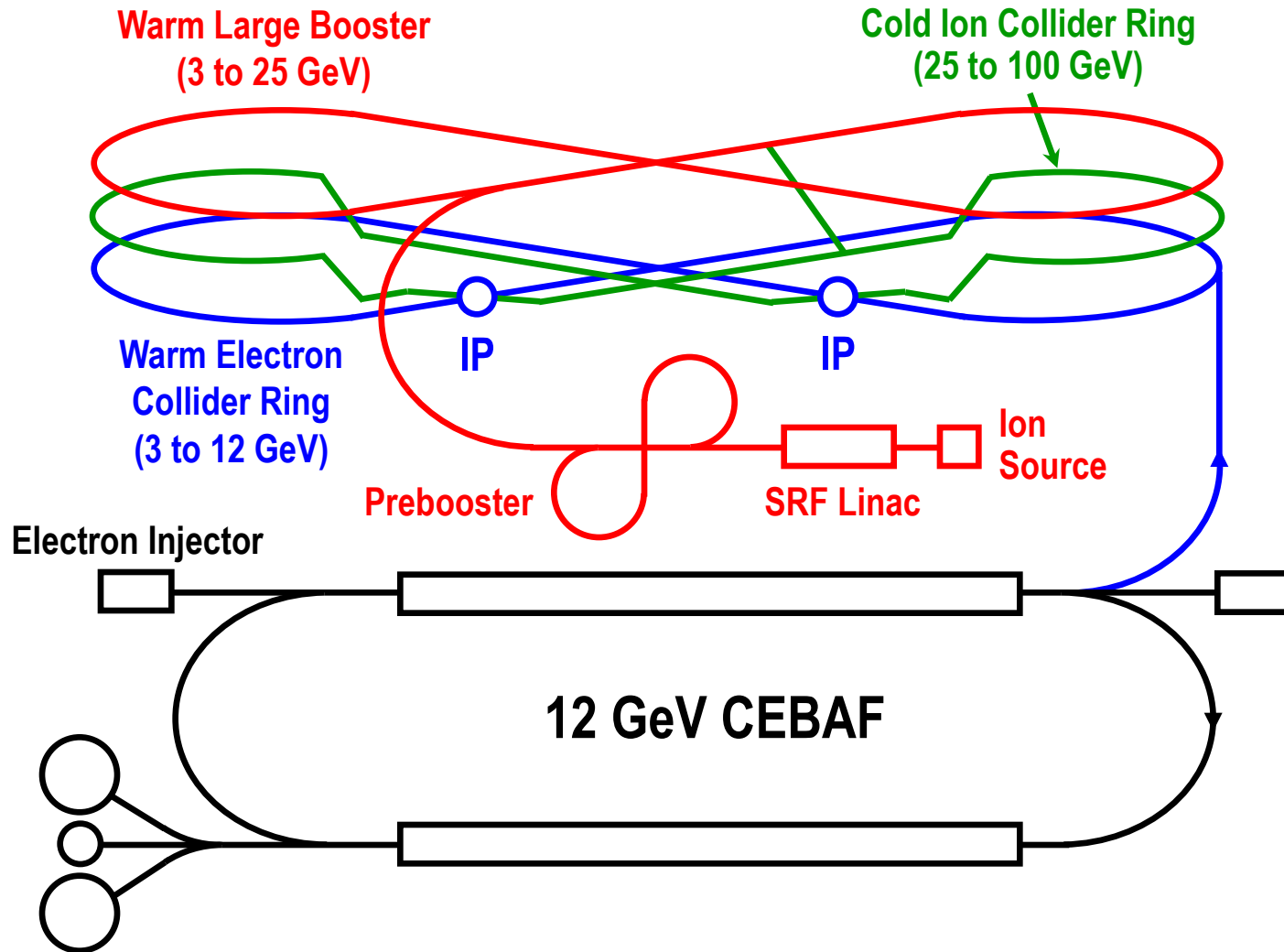
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Outline

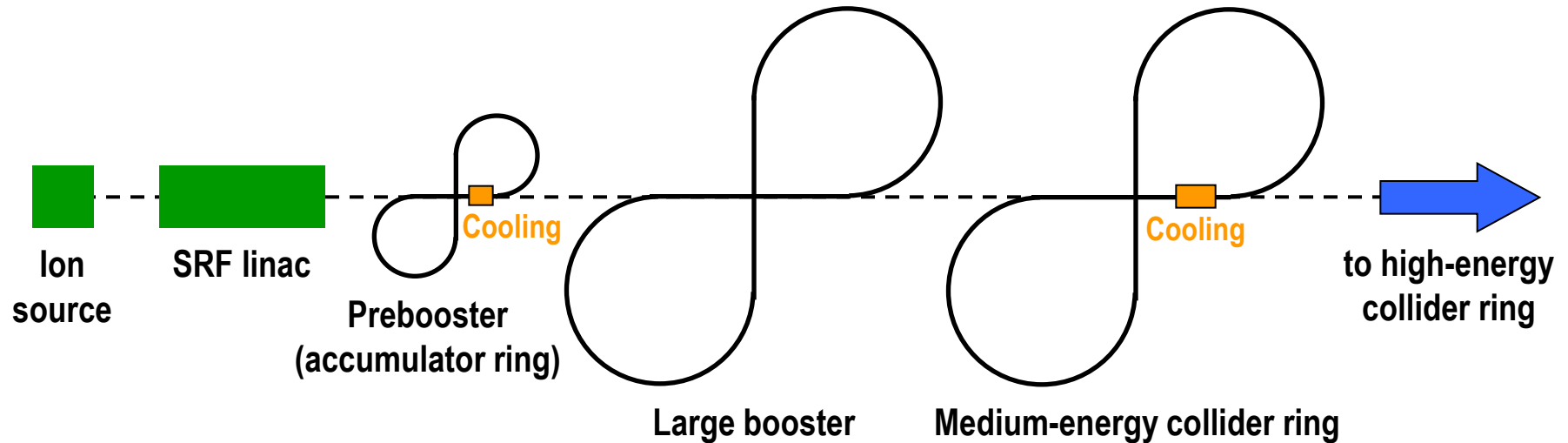
- Introduction
- Figure-8 versus circular accelerators with Siberian Snakes
- Polarization preservation during acceleration
- Polarization control in a storage or collider ring
- Compensation of zero-integer spin resonance strength
- Initial spin tracking results
- Conclusions

Medium-energy Electron Ion Collider (MEIC)



Ion Polarization Requirements

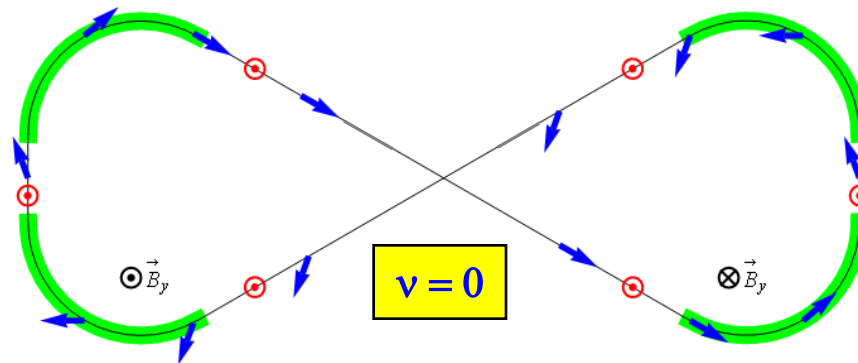
- Major MEIC ion complex components



- Polarization design requirements
 - High polarization ($\sim 80\%$) of protons and light ions (d, $^3\text{He}^{++}$, and possibly $^6\text{Li}^{+++}$)
 - Both longitudinal and transverse polarization orientations available at all IPs
 - Sufficiently long polarization lifetime
 - Spin flipping

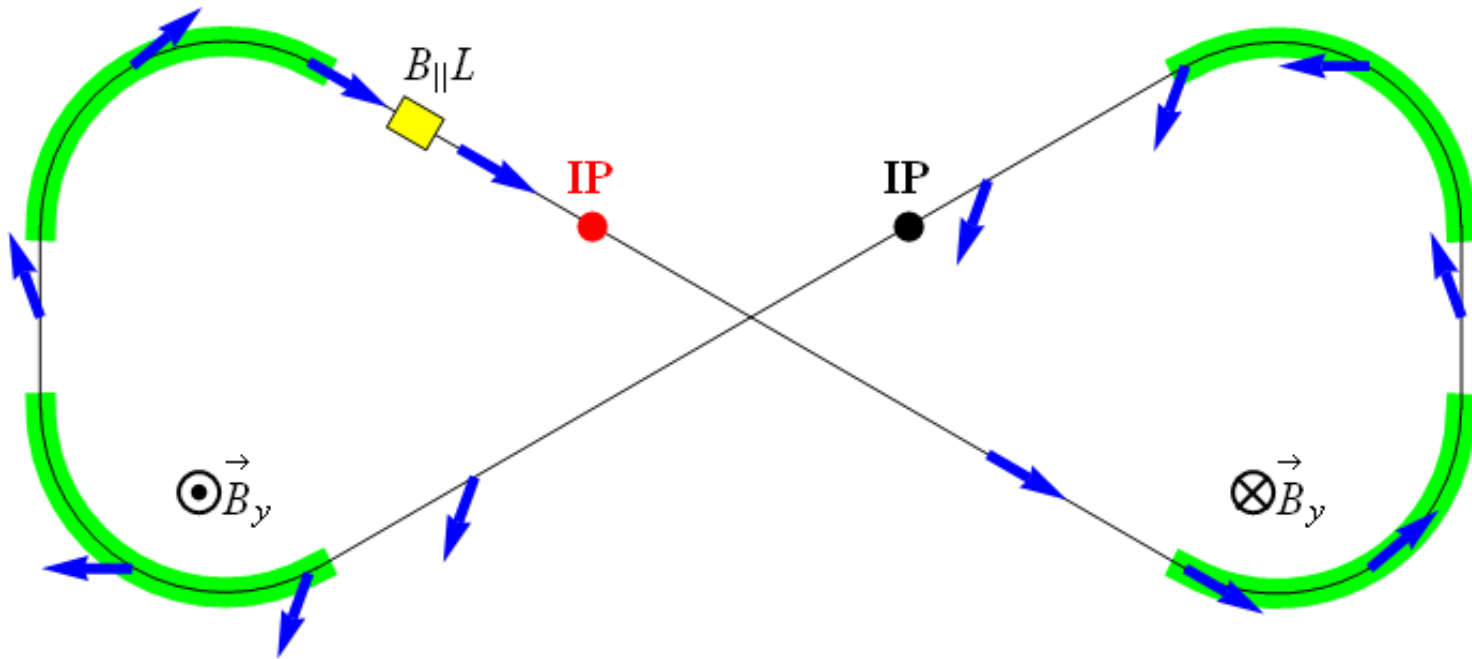
Spin Motion in a Figure-8 Ring

- Properties of a figure-8 structure
 - Spin precessions in the two arcs are exactly cancelled
 - In an ideal structure (without perturbations) all solutions are periodic
 - The spin tune is zero independent of energy
- A figure-8 ring provides unique capabilities for polarization control
 - It allows for stabilization and control of the polarization by small field integrals
 - Spin rotators are compact, easily rampable and have little or no orbit distortion
 - It eliminates depolarization problem during acceleration
 - Spin tune remains constant for all ion species avoiding spin resonance crossing
 - It provides efficient polarization control of any particles including deuterons
 - It is currently the only practical way to accommodate polarized deuterons
 - Electron quantum depolarization is reduced due to energy independent spin tune
 - It makes possible ultra-high precision experiments with polarized beams



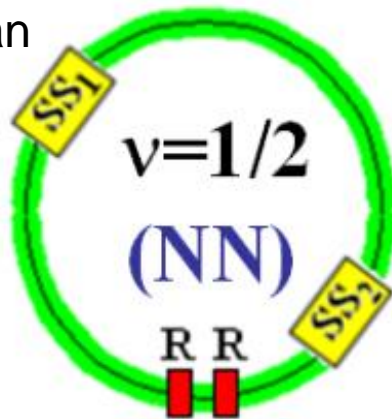
Polarization Control Concept

- Local spin rotator determines spin tune and local spin direction
- Polarization is stable if $\nu \gg w_0$
 - w_0 is the zero-integer spin resonance strength
 - $B_{\parallel}L$ of only **3 Tm** provides deuteron polarization stability up to **100 GeV**
 - A conventional ring at **100 GeV** would require $B_{\parallel}L$ of **1200 Tm** or $B_{\perp}L$ of **400 Tm**



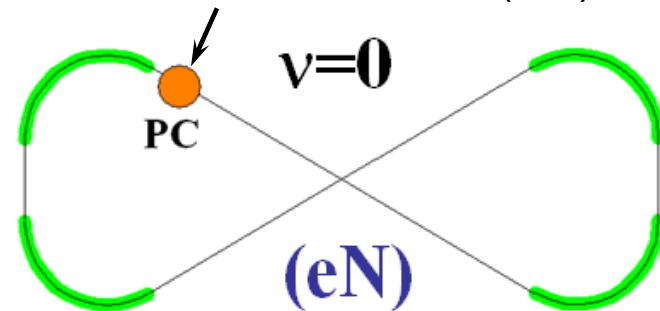
Circular Ring versus Figure-8

Siberian Snake (SS)



Spin Rotators (R)

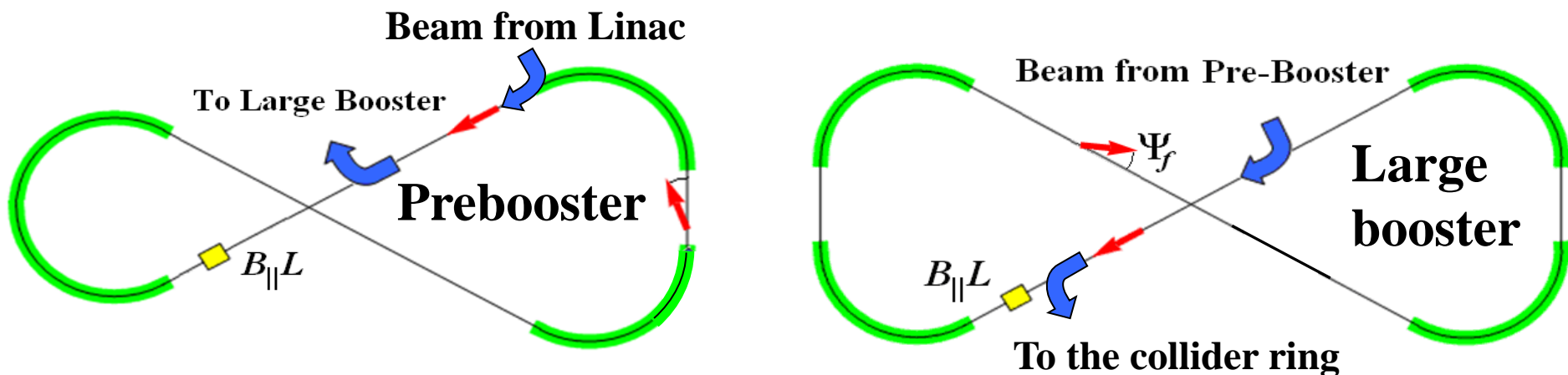
Weak-field Polarization Control (PC)



- Circular ring with Siberian Snakes
 - Adequate at high energies
 - Single stable polarization direction
 - Polarization control by strong-field spin rotators (R)
 - Orbital dynamics may be affected by polarization control

- Figure-8 ring
 - Adequate at low to medium energies
 - Any polarization direction is allowed
 - Polarization control by weak-field solenoids (PC)
 - Orbital dynamics is not affected

Acceleration and Spin Matching

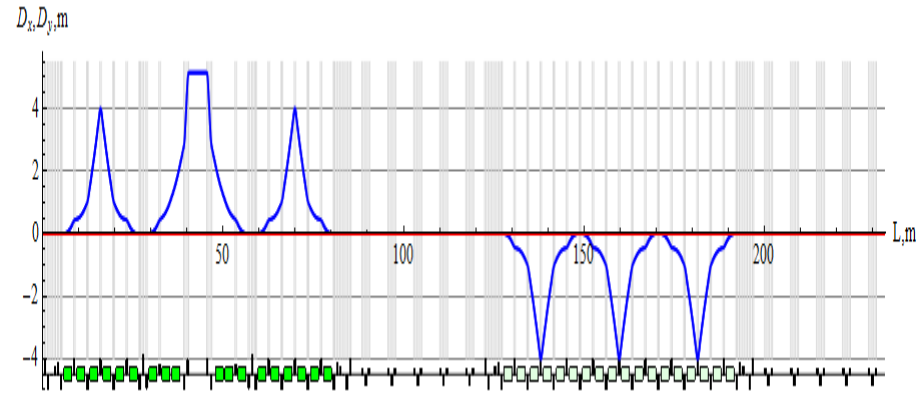
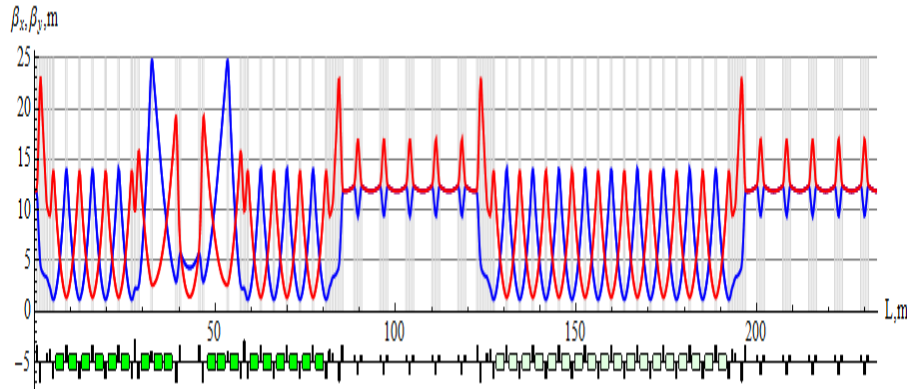


	p_{inj} / p_{ext} (GeV/c)	$(B_{sol} L_{sol})_{inj} / (B_{sol} L_{sol})_{ext}$ (T · m)	L_{sol} (cm)	v_{deut} / v_{prot}
Pre-booster (1 solenoid)	0.785 / 3.83	0.06 / 0.28	60	0.003 / 0.01
Large booster (1 solenoid)	3.83 / 25	0.28 / 1.9	120	0.003 / 0.01

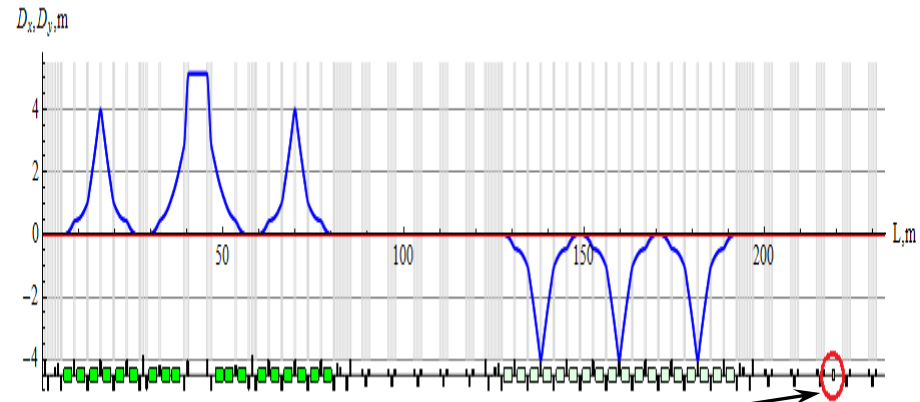
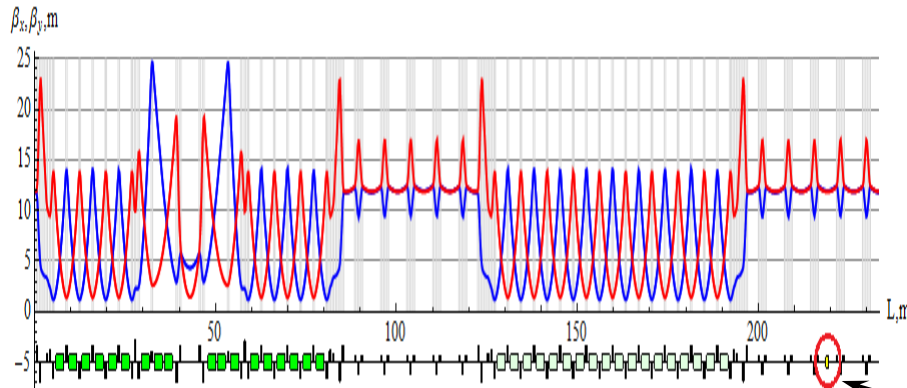
Conventional 20 GeV accelerators require $B_{\parallel}L$ of ~ 70 Tm for protons and ~ 250 Tm for deuterons

Solenoid Matching in Prebooster

- Prebooster lattice without solenoid



- Prebooster lattice with solenoid

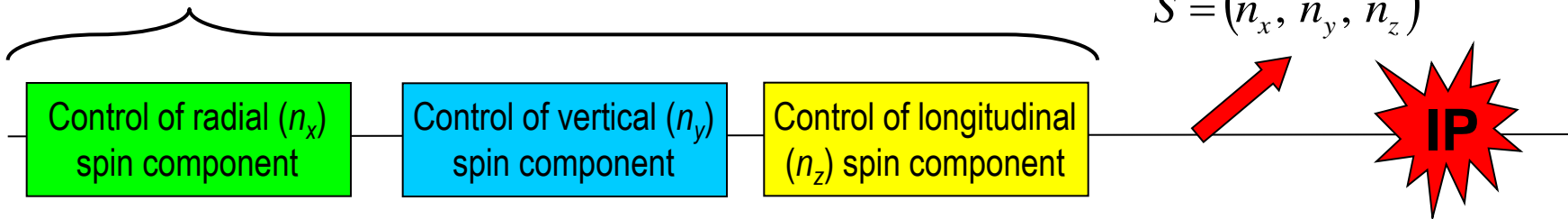


- No correction needed

solenoid

Polarization Control with 3D Spin Rotator

- 3D spin rotator



- n_x control module (constant radial orbit bump)

$$\varphi_{z1} = \pi v \frac{n_x}{\sin \varphi_y}$$

$$\alpha_y = 0.58^\circ \quad L \approx 5\text{m} \quad \Delta x \approx 1.8 \text{ cm}$$

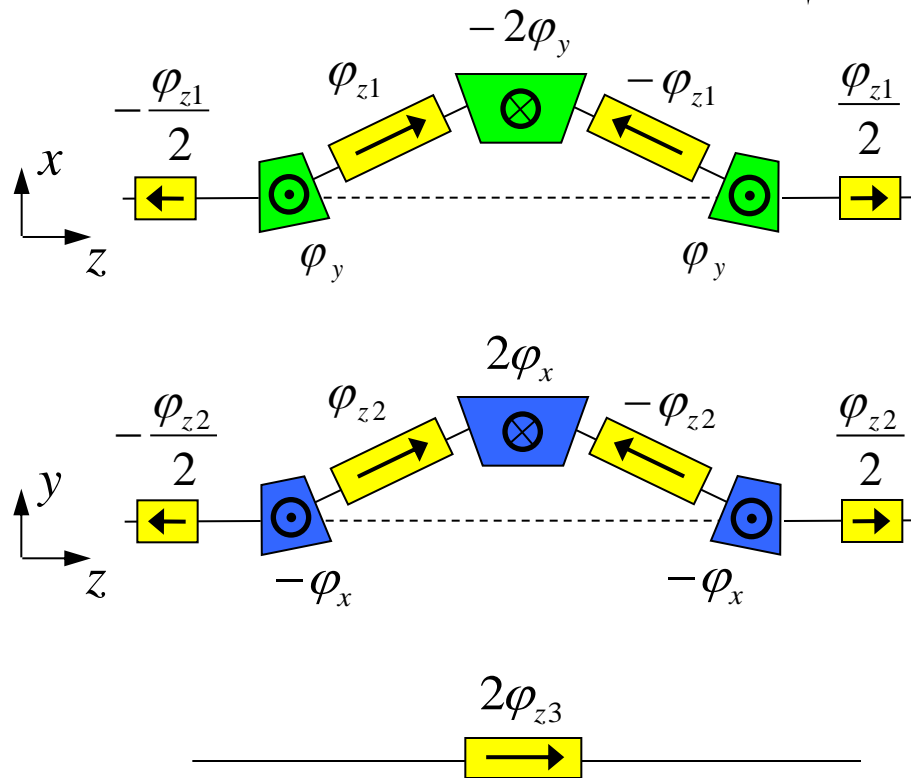
- n_y control module (constant vertical orbit bump)

$$\varphi_{z2} = \pi v \frac{n_y}{\sin \varphi_x}$$

$$\alpha_x = 0.58^\circ \quad L \approx 5\text{m} \quad \Delta y \approx 1.8 \text{ cm}$$

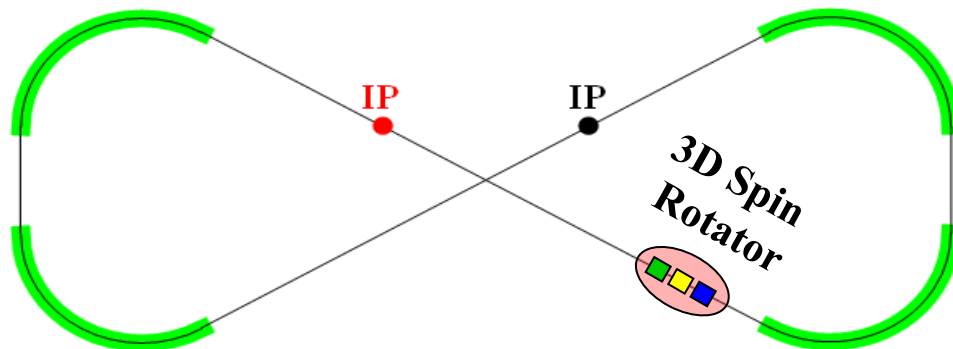
- n_z control module

$$\varphi_{z3} = \pi v n_z$$



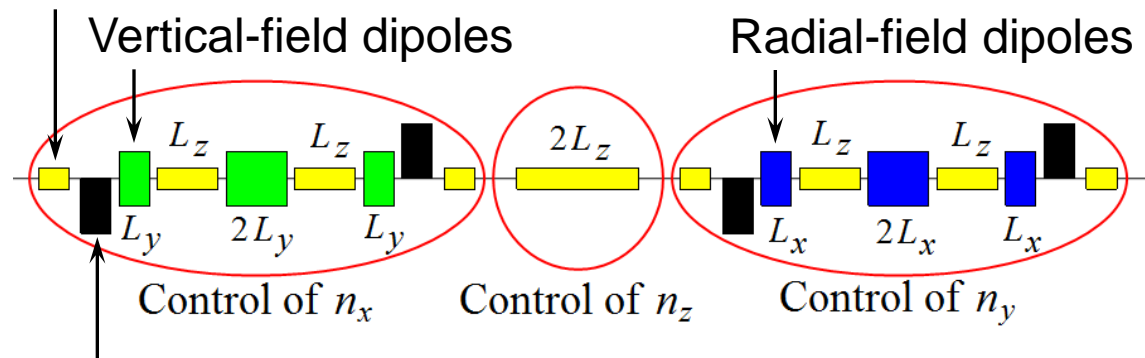
Polarization Control in the Collider Ring

- Placement of the 3D spin rotator in the collider ring



- Integration of the 3D spin rotator into the collider ring's lattice
 - Seamless integration into virtually any lattice

Spin-control solenoids



$$\alpha_x = \alpha_y = 0.58^\circ$$

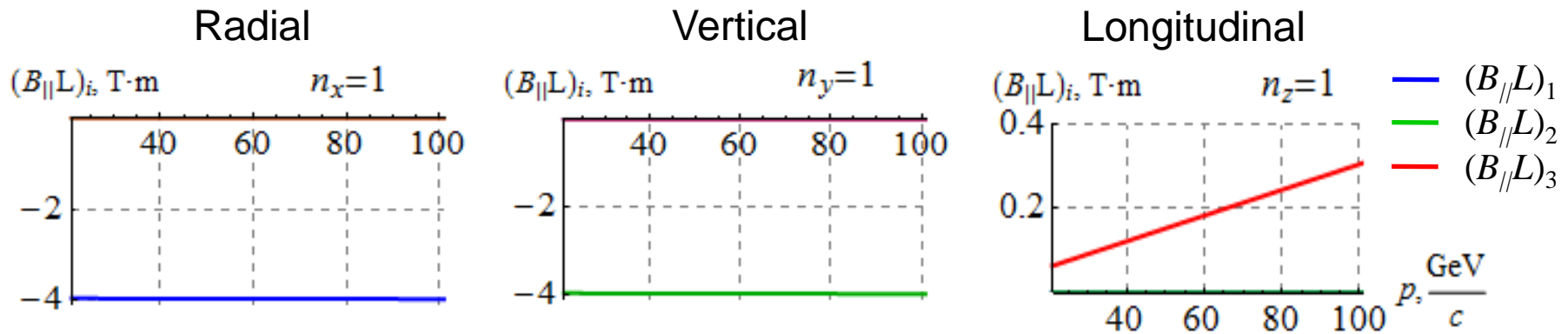
$$L_x = L_y = 0.5 \text{ m}$$

$$L_z = 1 \text{ m}$$

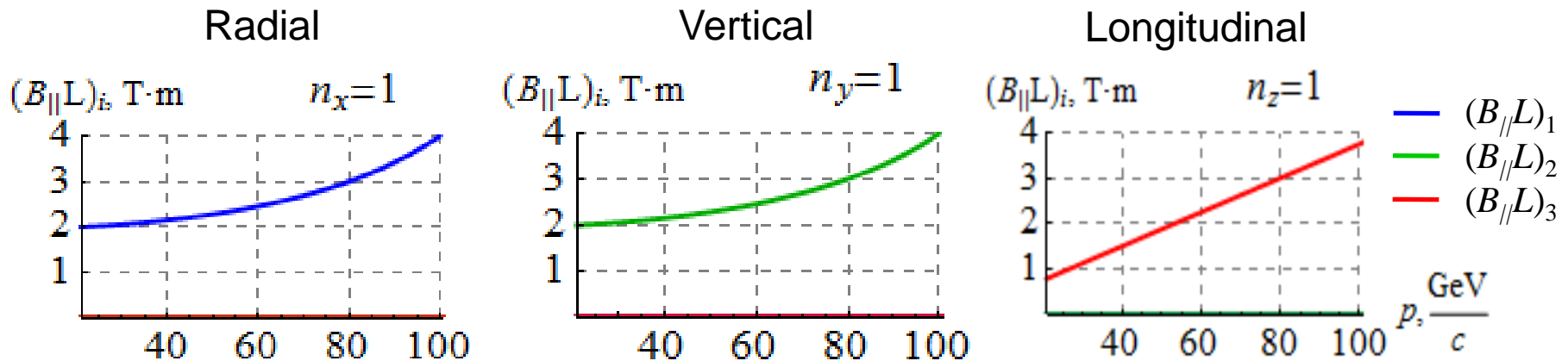
Lattice quadrupoles

Solenoid Strengths

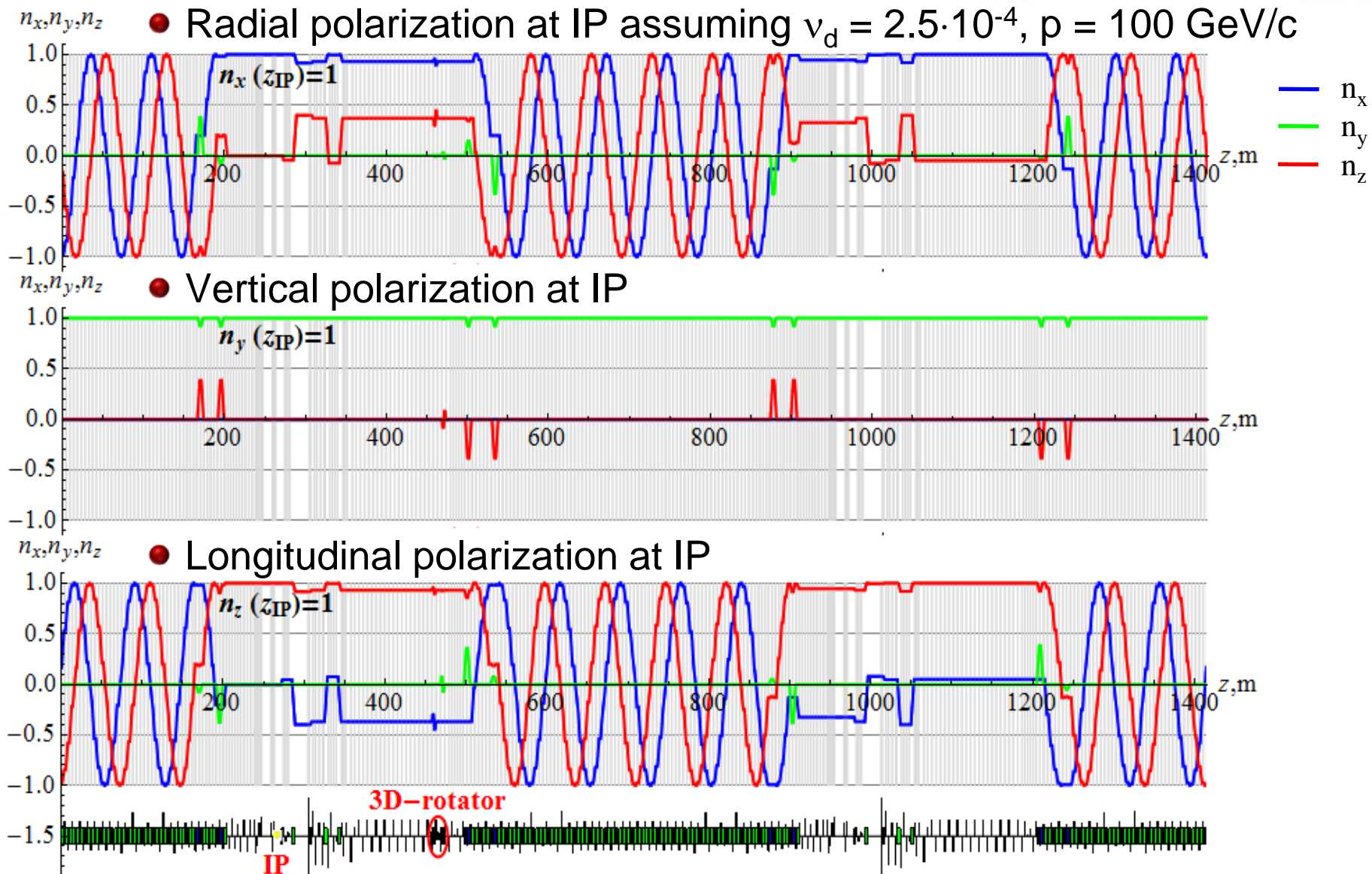
- Momentum dependence of $(B_{\parallel}L)_i = \varphi_{zi} B\rho/(1+G)$ for deuterons, $v = 2.5 \cdot 10^{-4}$



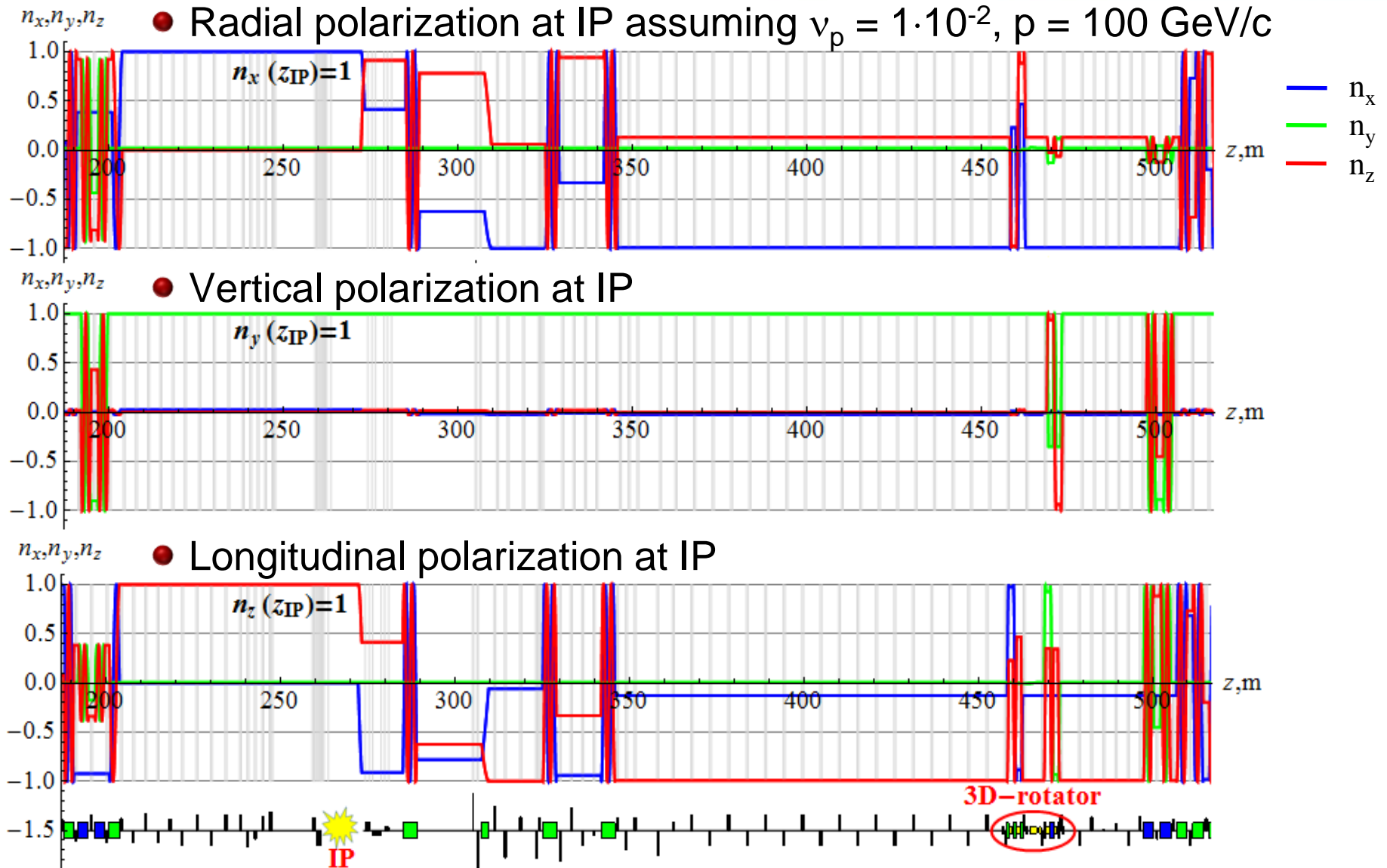
- Momentum dependence of the solenoid strengths for protons, $v = 0.01$



Deuteron Polarization Behavior



Proton Polarization Behavior



Zero-Integer Spin Resonance Strength

- The total zero-integer spin resonance strength

$$W_0 = W_{\text{coherent}} + W_{\text{emittance}}, \quad W_{\text{emittance}} \ll W_{\text{coherent}}$$

is composed of

- coherent part W_{coherent} due to closed orbit excursions
- $W_{\text{emittance}}$ due to transverse and longitudinal emittances

- The coherent part

$$|w_0^{(k)}| = \alpha_k |\gamma G F(\theta_k)|$$

where $F(\theta)$ is the spin response function, arises due to radial fields from

- dipole roll $\alpha_k = \alpha_{\text{orb}} \Delta\alpha$
- vertical quadrupole misalignments $\alpha_k = \frac{\partial B_y}{\partial x} \frac{L}{B\rho} \Delta y$

- $\Delta\alpha_{\text{rms}} = 0.1 \text{ mrad}$, $\Delta y_{\text{rms}} = 0.02 \text{ mm} \Rightarrow |w_0|_p \sim 10^{-2}$, $|w_0|_d \sim 10^{-3}$

Compensation of Zero-Integer Resonance

- In linear approximation, the zero-integer spin resonance strength is determined by two components of spin perturbation lying in the ring's plane

$$w_0 \approx w_{\text{coherent}} = w_x + i w_z$$

and can be compensated by correcting devices whose spin rotation axis lies in the same plane

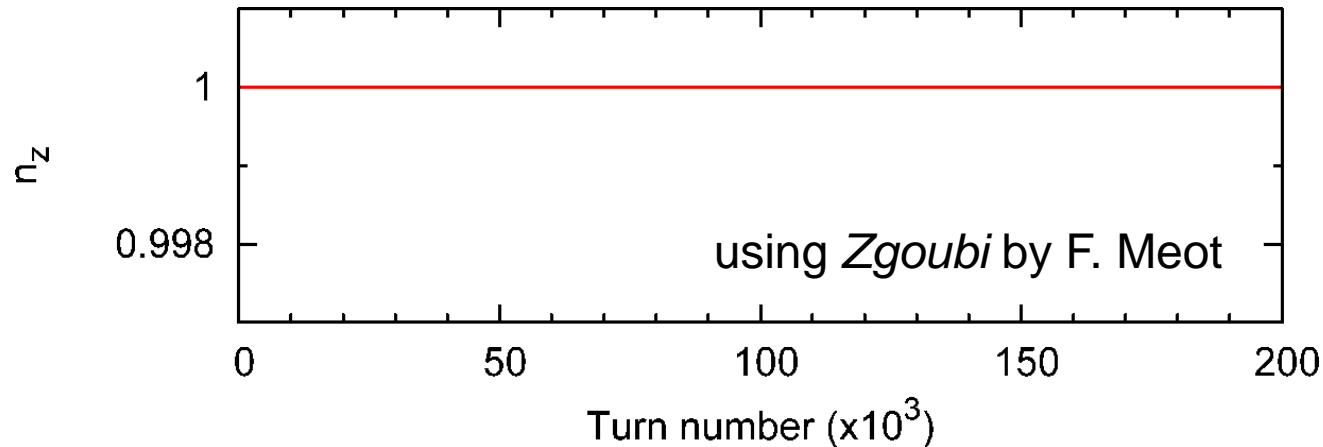
- Additional 3D spin rotators can be used to compensate the coherent part of the zero-integer spin resonance strength

- Spin resonance strength after compensation

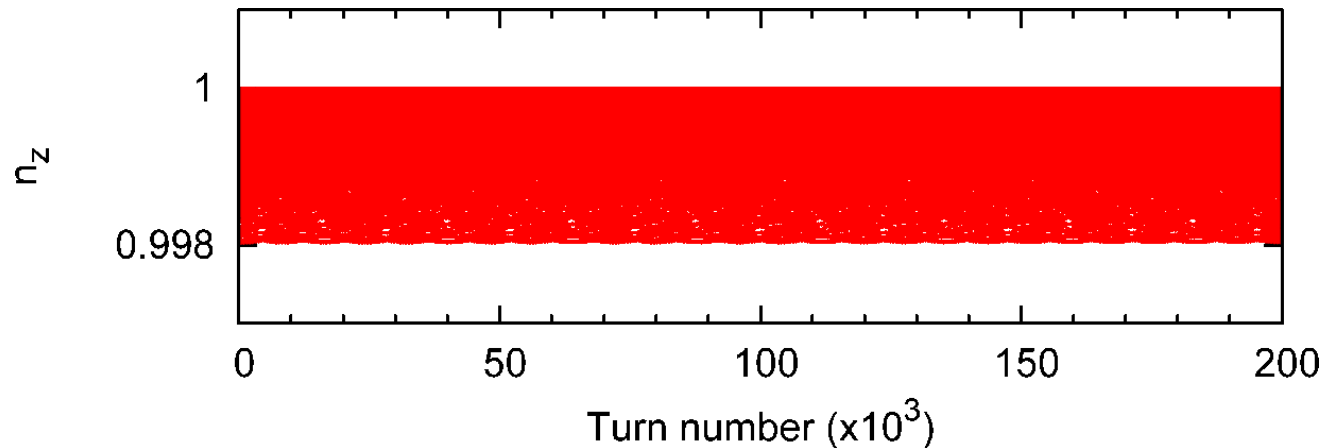
$$w_0 \sim w_{\text{emittance}} \Rightarrow |w_0|_p < 10^{-3}, \quad |w_0|_d < 10^{-5}$$

Spin-Tracking Perfect Figure-8 Ring

- MEIC lattice, no errors, 60 GeV/c proton, initial spin $n_z = 1$, reference orbit

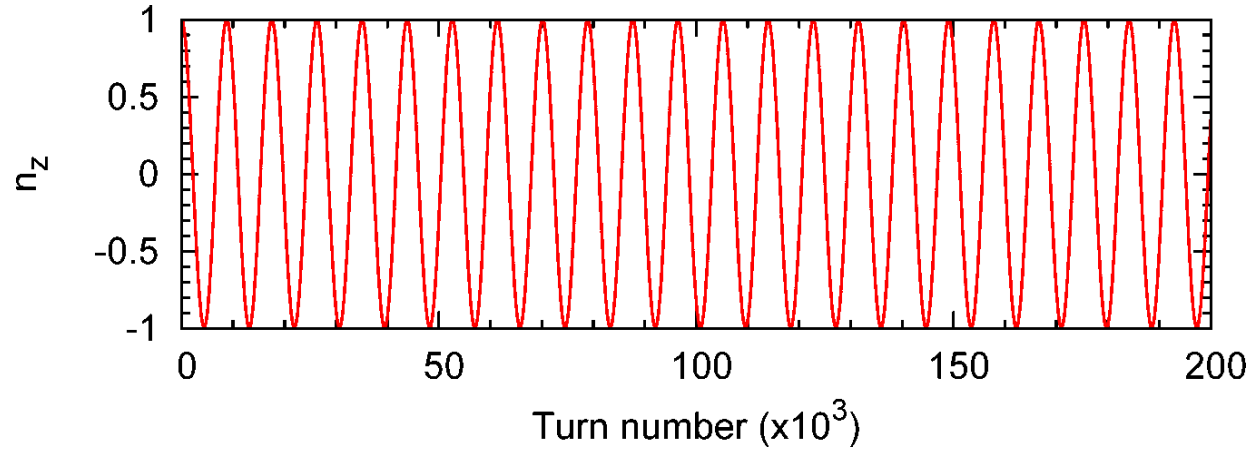


- Proton on one-sigma phase-space trajectories in both x and y

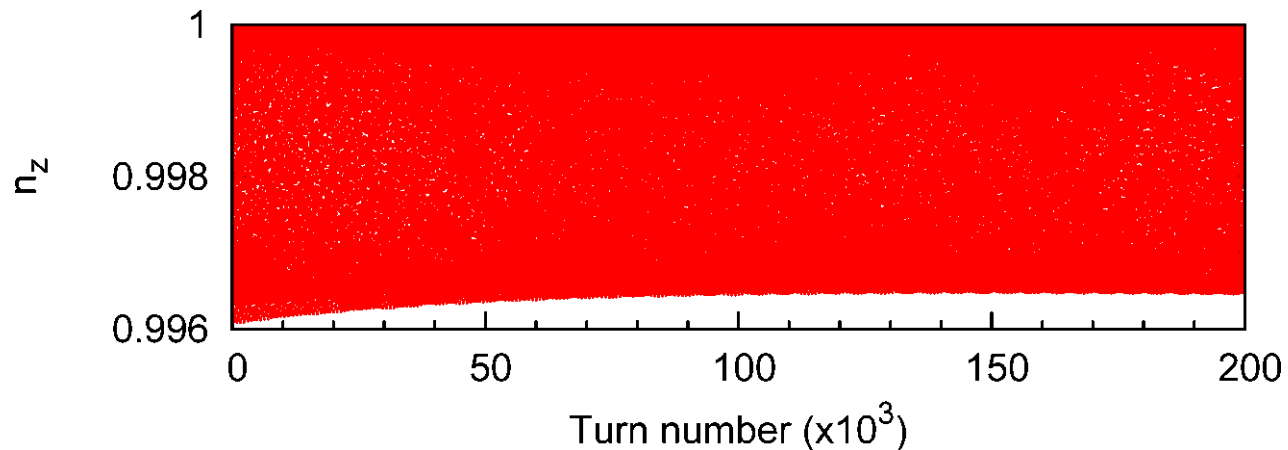


Error Effect and Correction

- One arc dipole rolled by 0.2 mrad, no closed orbit correction

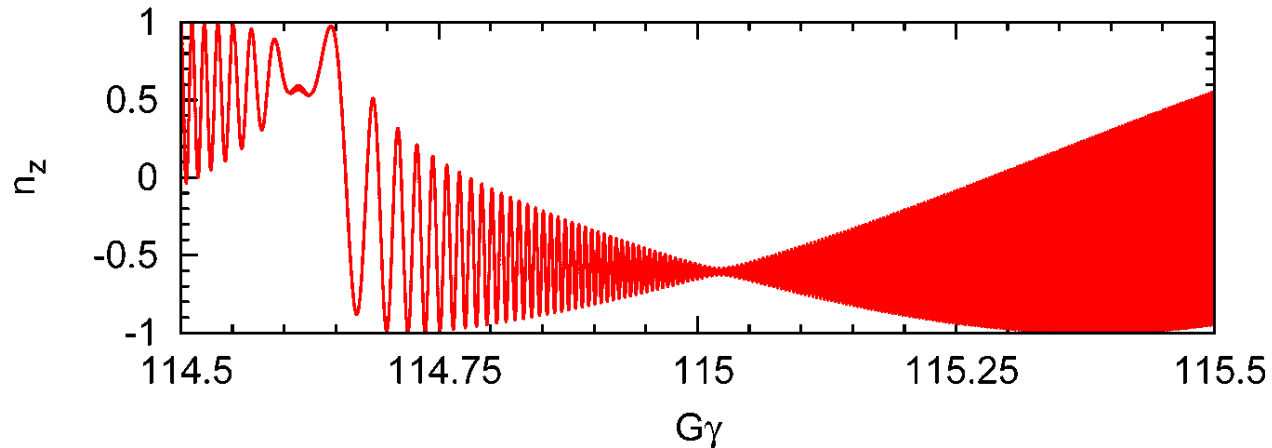


- After addition of a 1° spin rotator solenoid in the straight

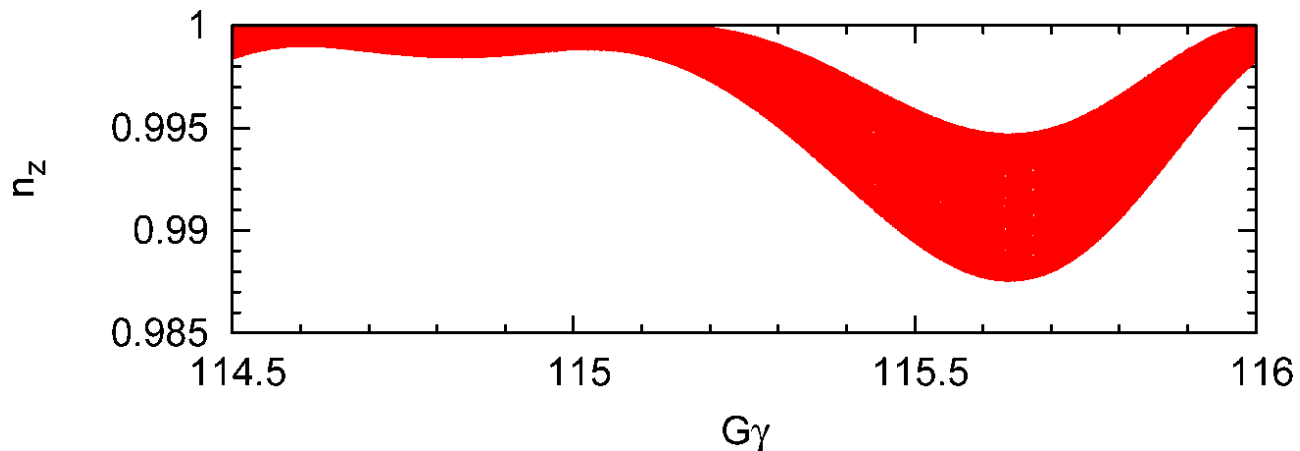


Acceleration

- With 0.2 mrad dipole roll, no orbit correction, no spin rotator, $200 \cdot 10^3$ turns



- After addition of a 5° spin rotator in the straight, $300 \cdot 10^3$ turns



Conclusions

- Schemes have been developed for MEIC based on the figure-8 design that
 - eliminate resonant depolarization problem during acceleration
 - allow polarization control by small fields without orbit perturbation
 - provide for seamless integration of the polarization control into the ring lattice
 - efficiently control the polarization of any particles including deuterons
 - allow adjustment of any polarization at any orbital location
 - allow spin manipulation during experiments
 - make possible ultra-high precision experiments with polarized beams
 - allow for straightforward adjustment of spin dynamics for any experimental needs
- Initial spin tracking results support the validity of the developed concepts