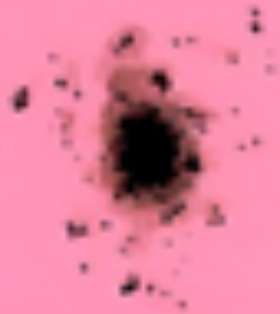


**Measurements of $A_{LL}^{\pi^0}$ in p+p
Collisions at $\sqrt{s} = 200$ GeV
and
Their Impact on Determination of
the Gluon Spin in the Proton**

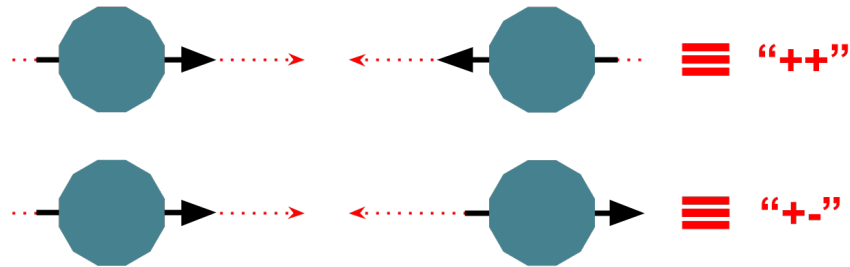


Andrew Manion
for the PHENIX Collaboration
21st International Symposium on Spin Physics
Beijing, China



Double Longitudinal Spin Asymmetries

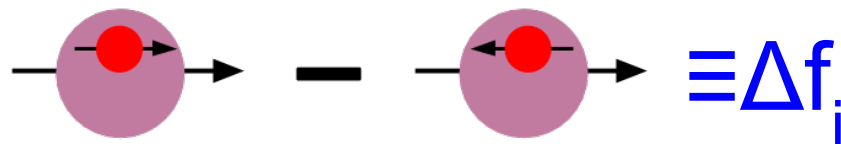
- In p+p scattering:
 - proton spin parallel (positive helicity) or antiparallel with its momentum vector:



- “Double Longitudinal Spin Asymmetry” then defined in terms of cross-sections:

$$A_{LL} = \frac{(\sigma^{++} + \sigma^{--}) - (\sigma^{+-} + \sigma^{-+})}{(\sigma^{++} + \sigma^{--}) + (\sigma^{+-} + \sigma^{-+})}$$

- Ultimately want to connect to spin of proton constituents, e.g.:



Sum Rules

- **Charge** sum rule
 - assumes zero strangeness

$$Q_{proton} = 1 = \int_0^1 dx x \left(\frac{2}{3}[u(x) - \bar{u}(x)] - \frac{1}{3}[d(x) - \bar{d}(x)] \right)$$

- **Momentum** sum rule
 - quark term <50% of momentum
 - gluon contributes >50%

$$P_{proton} = P_{quark} + P_{gluon}$$
$$= \int_0^1 dx x ([u(x) + \bar{u}(x)] + [d(x) + \bar{d}(x)] + [s(x) + \bar{s}(x)]) + \int_0^1 dx x g(x)$$

- **Spin** sum rule
 - quark spin, gluon spin, OAM
 - DIS experiments find quark spin contribution only 25-35%

$$S_{proton} = \frac{1}{2}\Delta\Sigma + \Delta G + L_q + L_g$$
$$\Delta G = \int_0^1 dx \Delta g(x), \quad \Delta\Sigma = \int_0^1 dx ([\Delta u(x) + \Delta\bar{u}(x)] + [\Delta d(x) + \Delta\bar{d}(x)] + [\Delta s(x) + \Delta\bar{s}(x)])$$

quark

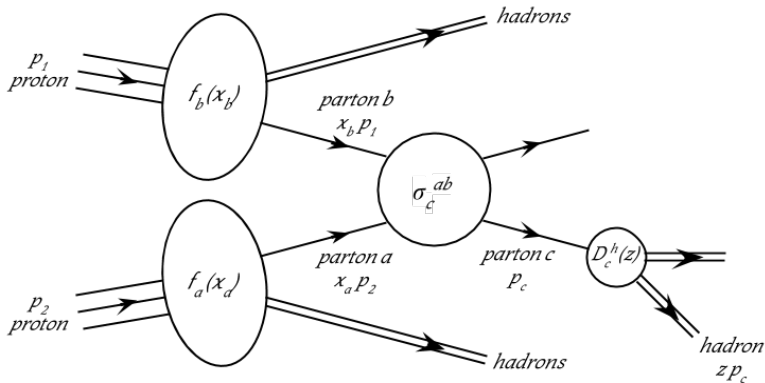


quark,
gluon



quark,
gluon,
OAM

Factorization in p+p



- How to interpret A_{LL} ?
- Known a priori:
 - parton-parton cross sections (calculable in pQCD)
 - including gluon scattering!
- Ingredients from other experiments:
 - Fragmentation functions (from e+e- scattering)
 - quark (p)PDFs
- Assume “factorization:”

polarized PDF

$$A_{LL} = \frac{\sum_{abc} \Delta f_a(x_1, \mu_F^2) \otimes \Delta f_b(x_2, \mu_F^2) \otimes \Delta \sigma^{a+b \rightarrow c+X}(x_1, x_2, p_c, \mu_F^2, \mu_R^2, \mu_{FF}^2) \otimes D_c^h(z, \mu_{FF}^2)}{\sum_{abc} f_a(x_1, \mu_F^2) \otimes f_b(x_2, \mu_F^2) \otimes \sigma^{a+b \rightarrow c+X}(x_1, x_2, p_c, \mu_F^2, \mu_R^2, \mu_{FF}^2) \otimes D_c^h(z, \mu_{FF}^2)}$$

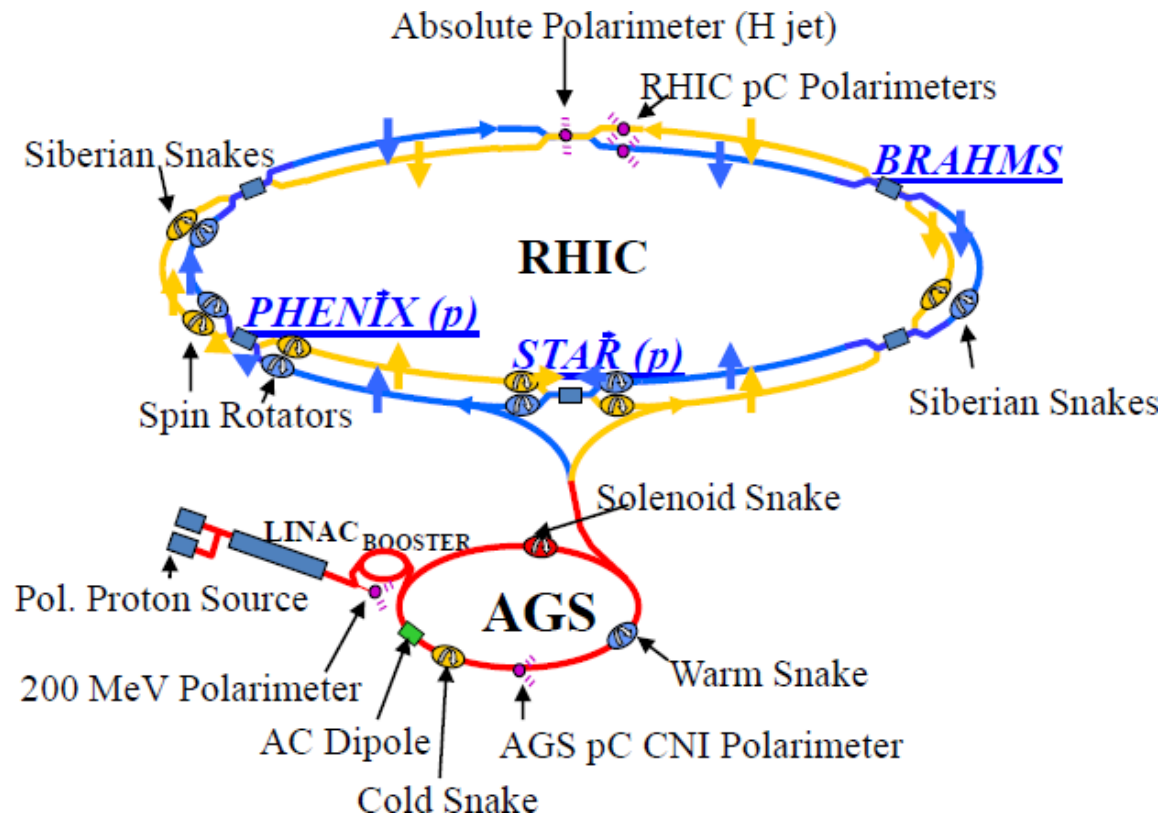
partonic reaction
a+b -> c

partonic x-sect

fragmentation function

- Factorization verified in each case by checking denominator against absolute x-section

RHIC: Relativistic Heavy Ion Collider

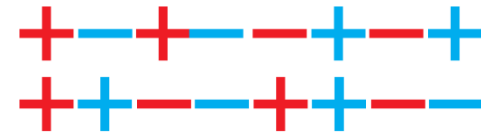


- Variable \sqrt{s} : 62.4, 200, 500 GeV

most of this talk

Next talk

- Up to 120 proton bunches rotating in each ring
- Polarization can be chosen on a bunch-by-bunch basis, e.g.



- Spin Rotators allow polarization axis to be made transverse, longitudinal, or radial at different experiments
- Overall polarization P_B , P_Y , measured precisely by pCarbon polarimeters, and normalized to accurate Hydrogen-jet polarimeter meas.
- Polarization axis must be measured individually at each experiment

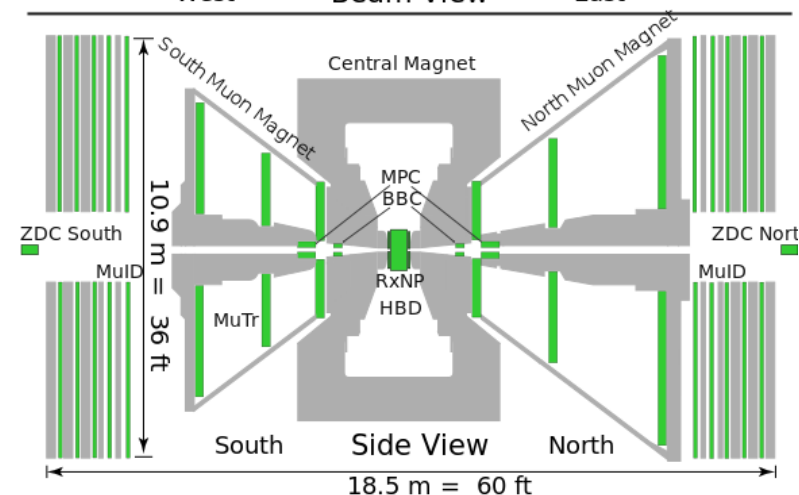
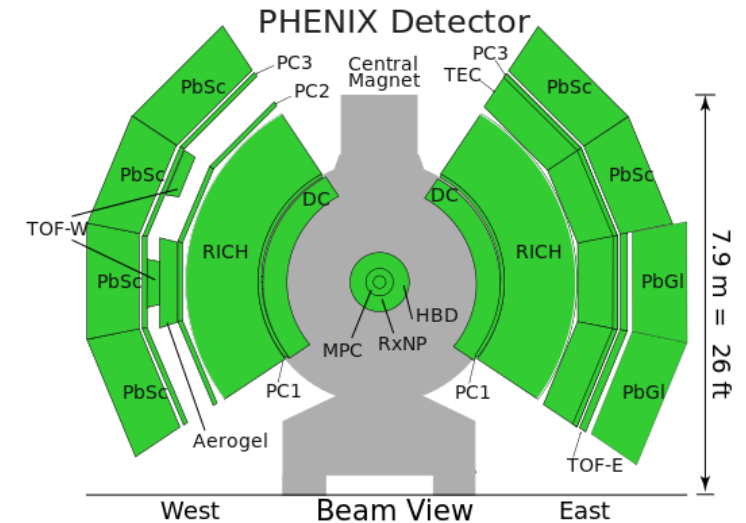
The PHENIX Experiment at RHIC

● Central arms

- $|\eta| < 0.375$, $\Delta\phi = (\pi/2) \times 2$
- Tracking
 - Drift Chamber (Multi-Wire Proportional)
 - Pad Chambers
- Particle ID
 - Ring Imaging Cherenkov detector
 - Hadron Blind Detector (Gas Electron Multiplier) in '09 and '10
- EM Calorimetry
 - Two separate technologies for cross-check
 - Lead-Scintillator (**PbSc**)
 - sampling calorimeter
 - Lead-Glass (**PbG**)
 - Cherenkov radiation calorimeter

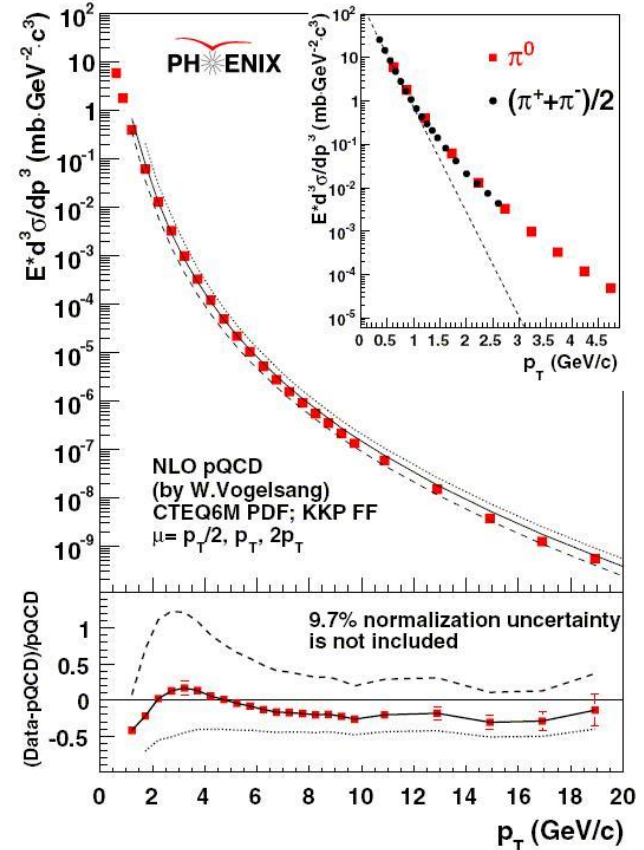
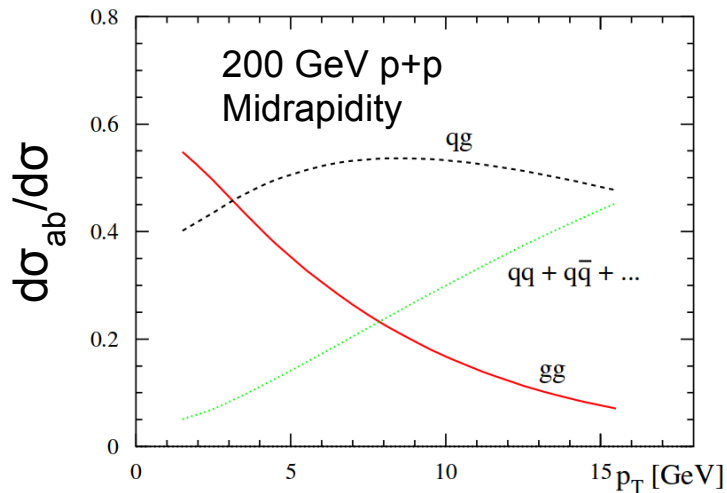
● Forward arms

- Tracking, Calorimetry, Muon Identification
- Minbias detectors
 - Zero Degree Calorimeter:
 - $\Delta\eta = \pm(3.1 \text{ to } 3.9)$, $|z| = 18\text{m}$
 - outside of bending field, sees neutrals
 - Beam-Beam Counter: $|\Delta\eta| = > 6$, $|z| = 1.4\text{m}$
 - reconstruct collision z-vertex online with $\sim 5\text{cm}$ resolution



A_{LL} in π^0 Production

- π^0 is the highest statistics PHENIX central arm probe
 - decay photon separation out to p_T of 10 GeV/c
 - q-g and g-g sub-processes at low p_T
- excellent constraint of ΔG



- Agreement with pQCD means we can use (unpolarized) factorization in interpreting our A_{LL}

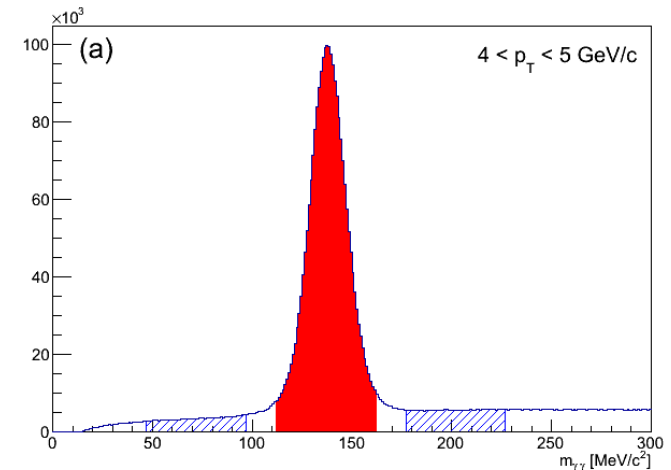
Analysis Technique

- Analyze through the $\gamma\gamma$ decay channel
 - B.R. 99% for π^0
 - Can also analyze η meson, 39% B.R.
- Count signal region (red) and sideband region (blue) counts in ++ and +- helicity crossings:

$$A_{LL} = \frac{1}{P_B P_Y} \left(\frac{N^{++} - RN^{+-}}{N^{++} + RN^{+-}} \right), \quad R \approx \frac{N_{BBC}^{++}}{N_{BBC}^{+-}}$$

- Relative Luminosity R is measured using minbias BBC scalars
 - largest systematic uncertainty from confidence that BBC sees zero asymmetry
- Interpolate combinatorial B.G. shape under peak to get background fraction “r”

$$A_{LL}^{\pi^0} = \frac{A_{LL}^{signal} - r A_{LL}^{sides}}{(1 - r)}$$



Advantage:

- mass peak
-> directly count π^0 s
- choose cuts to minimize total uncertainty

Systematic Uncertainties

- Polarization measurement
 - Scale uncertainty, mostly from molecular hydrogen contamination of H-jet target
- Event overlap in the EMCal
 - creates non-zero BG asymmetry that can depend on $m_{\gamma\gamma}$
 - controlled by cuts/careful binning of analysis

- Relative Luminosity

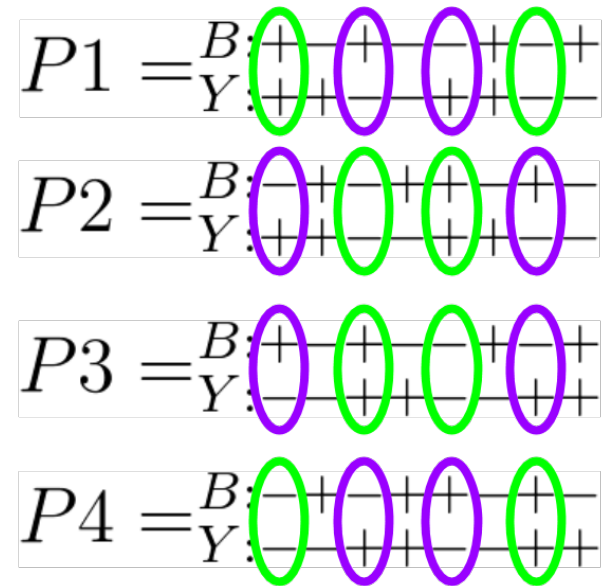
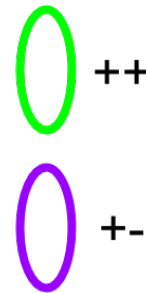
$$A_{LL} = \frac{1}{P_B P_Y} \left(\frac{N^{++} - RN^{+-}}{N^{++} + RN^{+-}} \right) \quad R \approx \frac{N_{BBC}^{++}}{N_{BBC}^{+-}}$$

But is the BBC also sensitive to a physics A_{LL} ?

- Cross-check Asymmetries
 - Measurements of parity violating, 180 rotational asymmetries should be zero

Event Overlap in EMCAL Readout

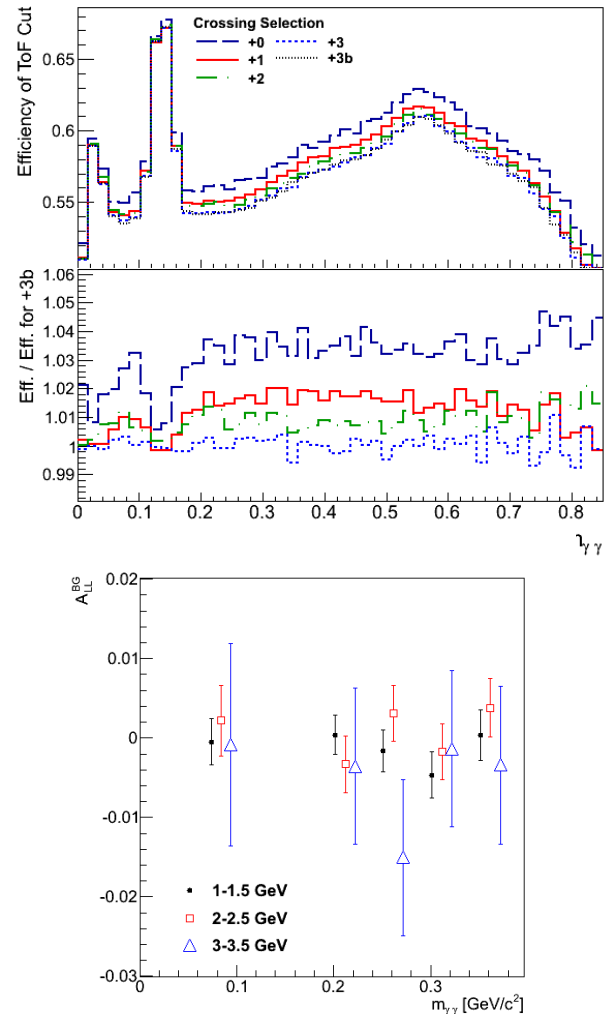
- Events from previous crossings contribute background to current crossing
- Certain spin patterns follow empty bunches
 - see less of this BG than other spin patterns
 - leads to false BG asymmetry
 - can have m_{yy} dependence
- Strategy:
 - cuts to eliminate m_{yy} dependence
 - analyze spin patterns separately



Event Overlap in EMCAL Readout

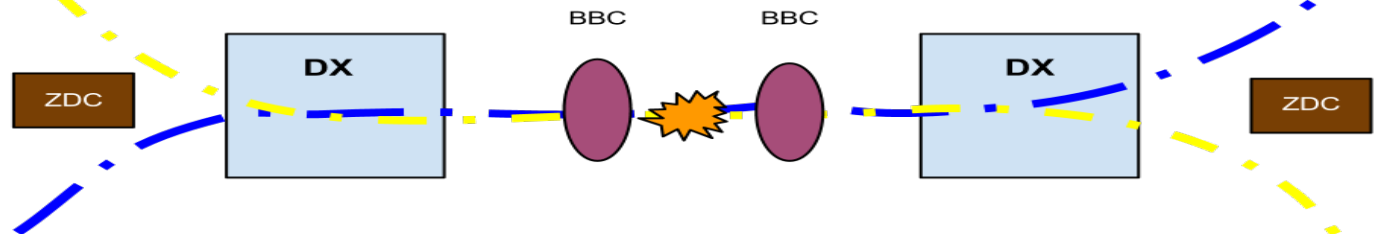
- Time of Flight cut
 - present crossing: σ_z
 - previous mixed crossing: $\sigma_z + \sigma_{t0}$

→ ToF cut more effective at removing this type of BG
- Trigger requirement also helps (guarantees one photon of pair is in the current crossing)
- Check for remaining background A_{LL}^{BG} dependence vs. mass to justify interpolation into peak region



Determination of Syst. Uncert. on RL

- i.e., what if our relative luminosity detector DOES see some spin asymmetry?



- We use our minimum bias BBC (Beam Beam Counter) to measure R
- ...and compare it with a detector past the DX magnetic field
 - ZDC: Zero Degree Calorimeter, no charged particles
- We then assume the different physics they sample can't have the same asymmetry
 - so any non-zero asymm. in BBC should be apparent
- Compare the two results to get the best estimate of systematic:

$$A_{syst} = \frac{1}{P_B P_Y} \frac{\left(\frac{N_{ZDC}}{N_{BBC}}\right)^{++} - \left(\frac{N_{ZDC}}{N_{BBC}}\right)^{+-}}{\left(\frac{N_{ZDC}}{N_{BBC}}\right)^{++} - \left(\frac{N_{ZDC}}{N_{BBC}}\right)^{+-}}$$

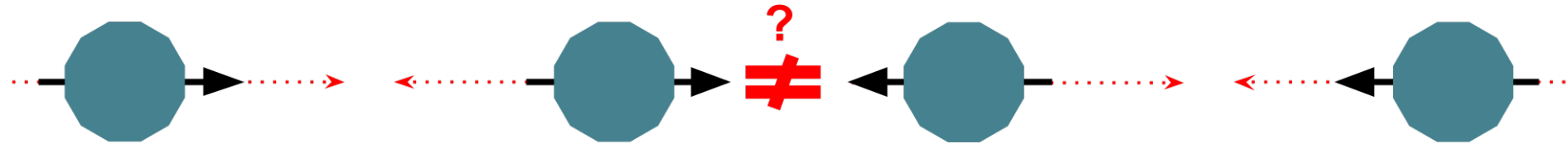
RL Syst. Throughout the Years

Run Year	A_{LL}^R (10^{-3})	ΔA_{LL}^R (stat+syst) (10^{-3})
2005	0.42	0.23
2006	0.49	0.25
2009	1.18	0.21

- Take maximum overlap in A_{LL}^R as correlated
- Take also uncertainty on A_{LL}^R as part of systematic
 - 2009 total RL systematic uncertainty: $1.4e^{-3}$

Non-physical Asymmetries

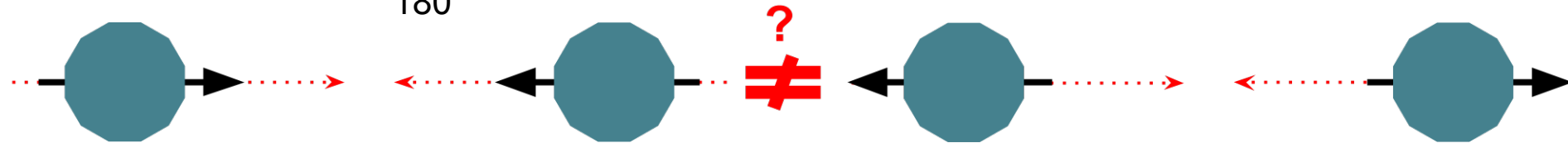
- Non-physical “double-spin” asymmetries seen in longitudinal running between the BBC and ZDC:
 - 180° rotation of the experiment:



- $A_{PV} = 1.4 \pm 0.1 \times 10^{-3}$ in 2009

- Parity violating asymmetry:

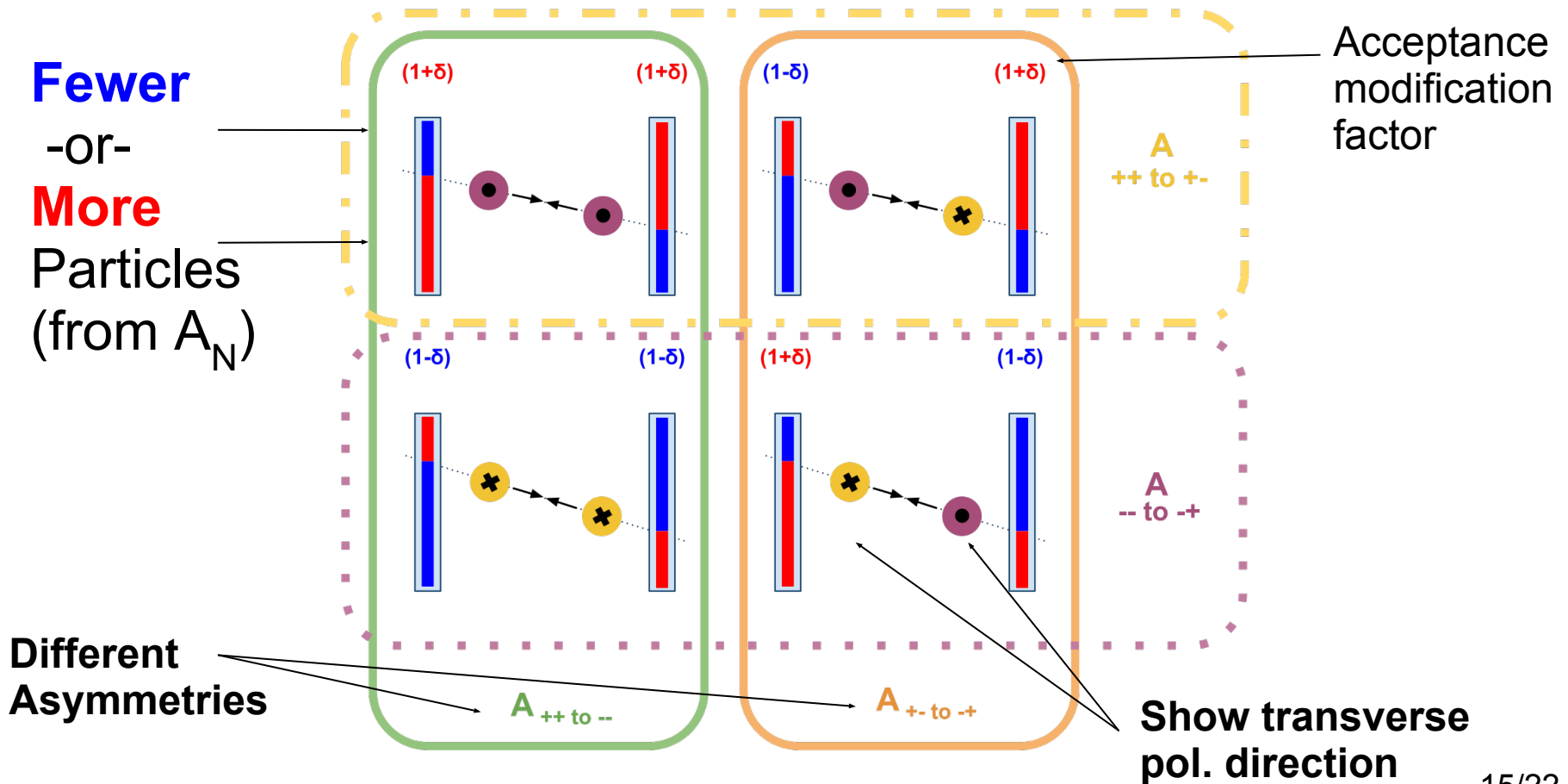
- $A_{180} = 82.3 \pm 0.1 \times 10^{-3}$ in 2009



Can these asymmetries be explained?

Model for Generation of Various False Asymmetries

- A left-right production asymmetry
- Coupled with a beam angle (or offset)
 - moves the high or low production side off the detector
 - generates a false asymmetry



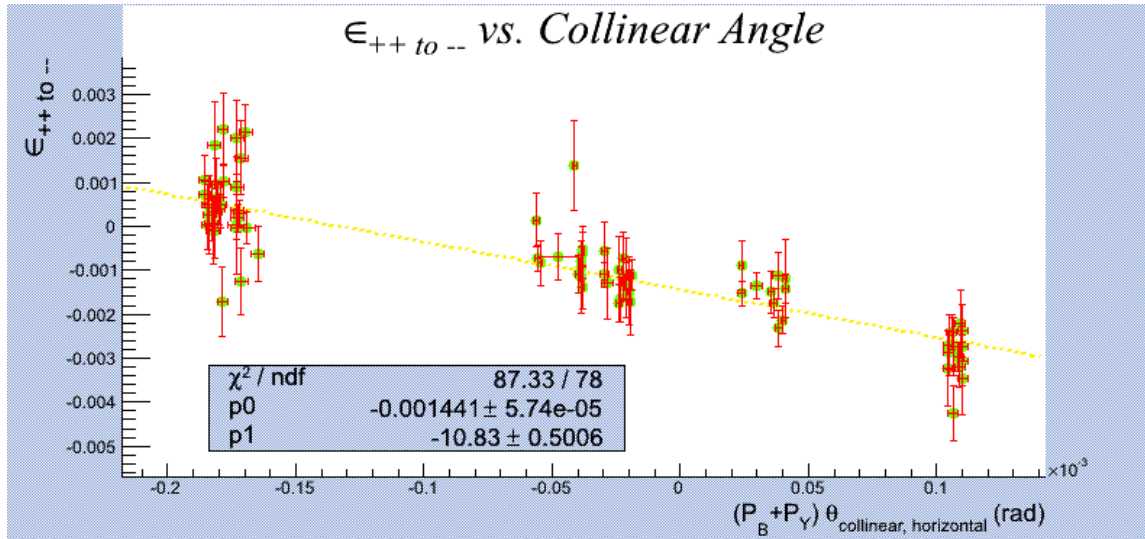
Predictions of Model



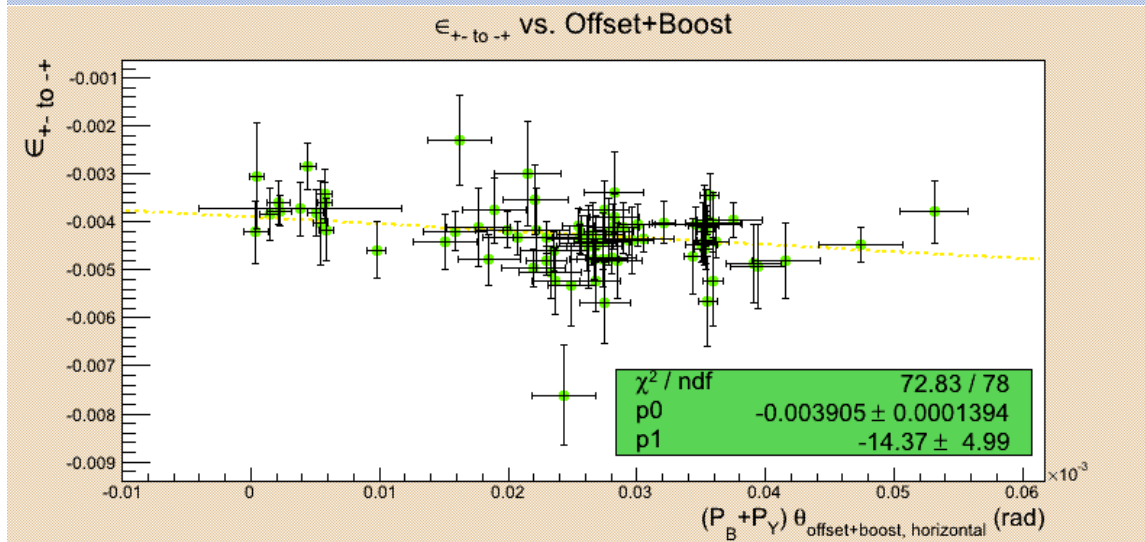
	$\epsilon_{++ \text{ to } --}$	$\epsilon_{+- \text{ to } -+}$	$\epsilon_{++ \text{ to } +-}$	$\epsilon_{-- \text{ to } -+}$
Collinear Angle	$= (P_B + P_Y) \delta$	$= 0$	$= P_Y \delta$	$= -P_Y \delta$
Offsets	$= 0$	$= (P_B + P_Y) \epsilon$	$= -P_Y \epsilon$	$= P_Y \epsilon$
Boosts	$= 0$	$= (P_B + P_Y) \epsilon$	$= -P_Y \epsilon$	$= P_Y \epsilon$

- Key Feature: linear dependence on polarization
- δ , ϵ : acceptance modification factors, functions of angle, offset, or boost
- Important point: cross-check asymmetries which should be zero can be large under this effect!
 - failure to understand them would lead to additional systematic uncertainties

Run 2012 Collinear Beam Angle Scan

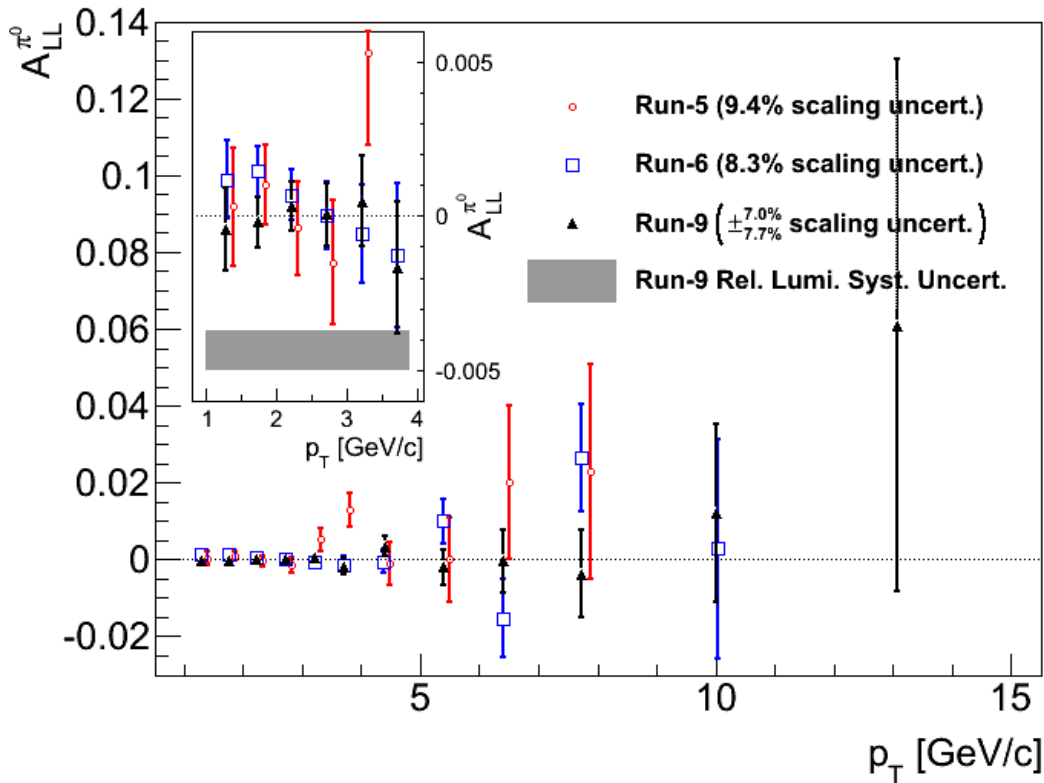


- Predicted to have largest variation in the Run12 scan of collinear beam angles
- Slope about $\frac{1}{2}$ of simulation prediction

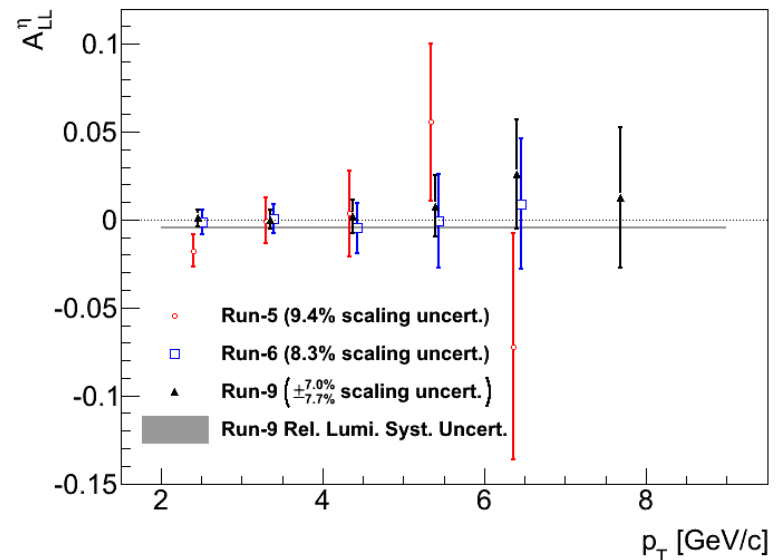


- Should not have changed much during scan
 - its dependence is on boosts and offsets

The End Result(s)



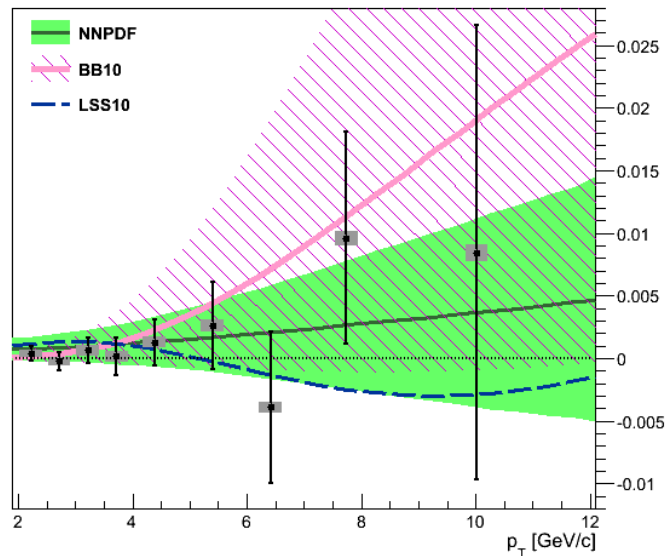
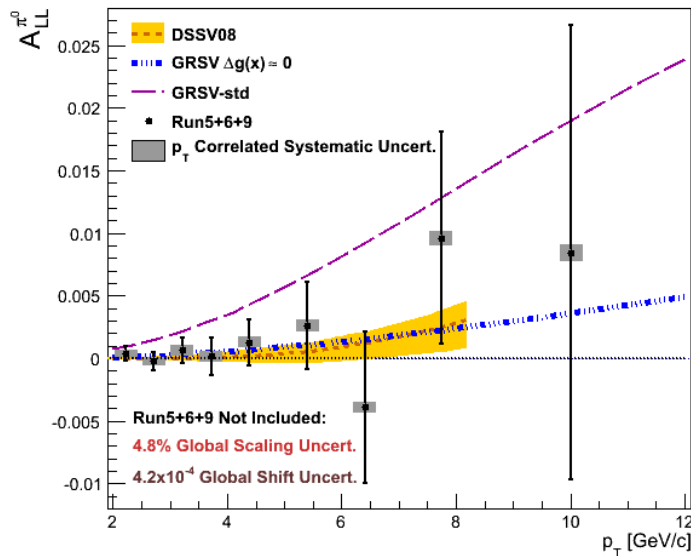
- 2009 measurement doubles existing statistics for η and π^0 asymmetries
- RL syst. larger than in previous runs
- η not included in global analysis



- PRD90 (2014) 012007
- arXiv:1402.6296

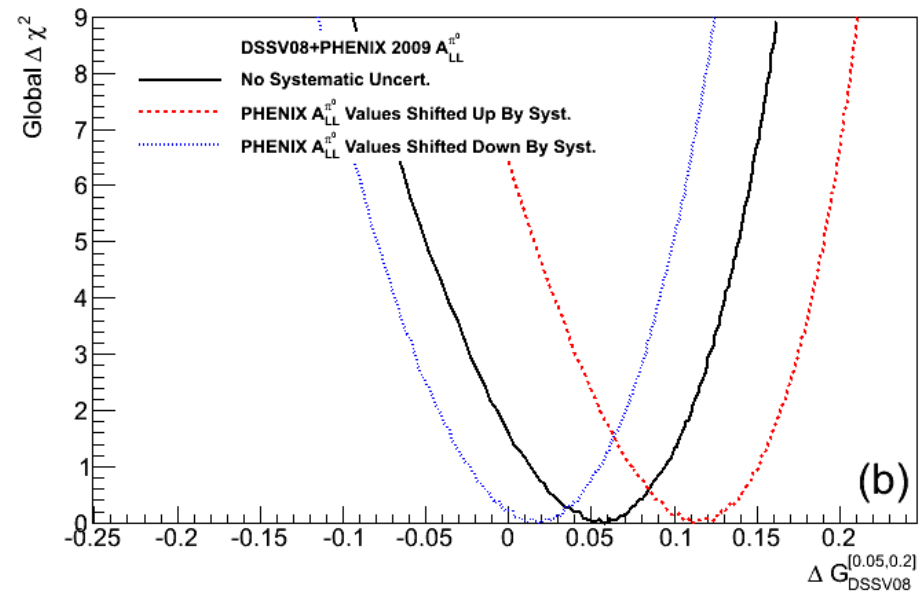
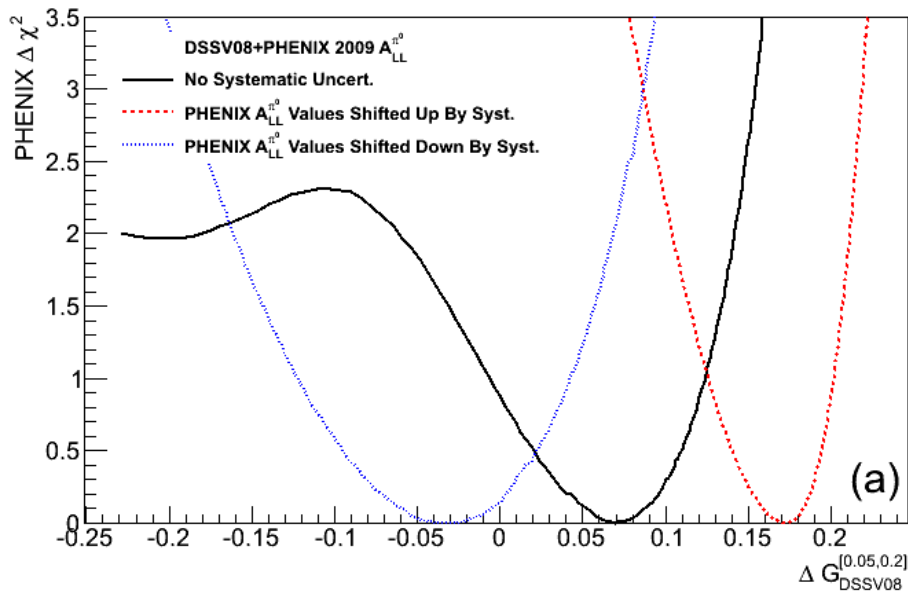
Comparison to Global Analyses

- Combined PHENIX results alongside various global analyses
 - DSSV08: DIS + SIDIS + PHENIX + STAR (up to 2006)
 - constrains $\Delta G_{DSSV08}^{[0.05,0.2]} = 0.005_{-0.164}^{+0.129}$
 - GRSV: older DIS-only analysis
 - BB10: DIS-only analysis
 - NNPDF: DIS + prelim. STAR W A_L
 - uses neural networks instead of PDF functional form
 - LSS10: DIS+SIDIS analysis

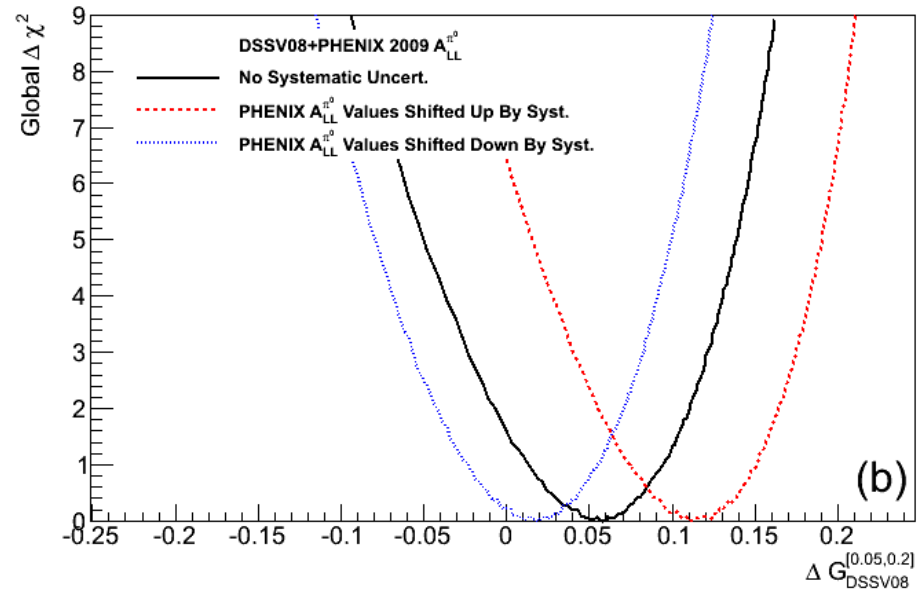
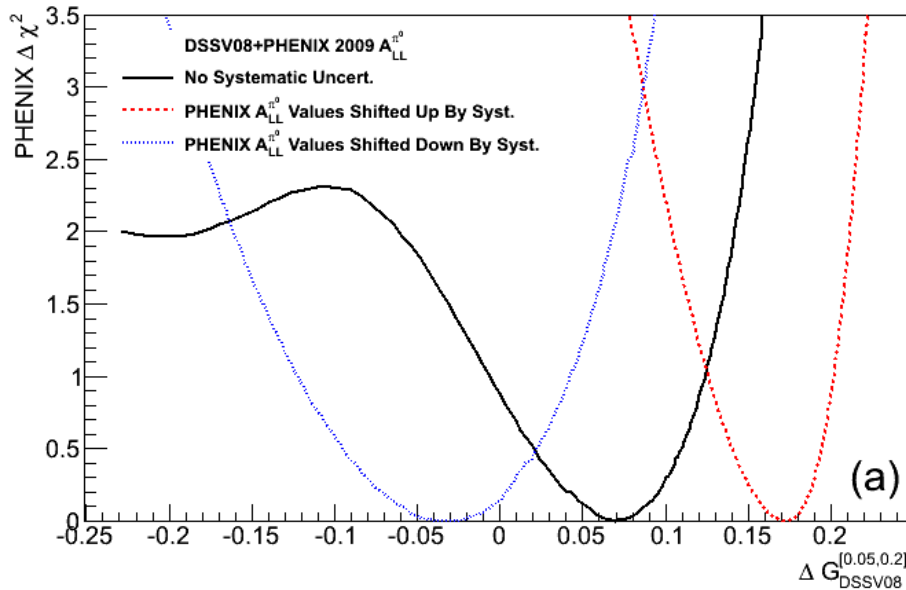


Adding 2009 PHENIX Data, Effect of RL Systematic Uncert.

- Added 2009 PHENIX $\pi^0 A_{11}$ to the DSSV08 analysis
 - along with updates of some prelim data to final
- DSSV08 global analysis did not include systematic uncertainties from the experiments
- Effect of shifting only PHENIX $\pi^0 A_{LL}$ up or down by its total systematic uncertainty
 - dominated by systematic uncertainty on relative luminosity



Adding 2009 PHENIX Data, Effect of RL Systematic Uncert.



- Results of adding 2009 PHENIX $\pi^0 A_{LL}$ to the DSSV08 analysis
 - along with updates of some prelim data to final:

$$\Delta G^{[0.05,0.2]} = 0.06^{+0.11}_{-0.15}$$

0.02 0.12

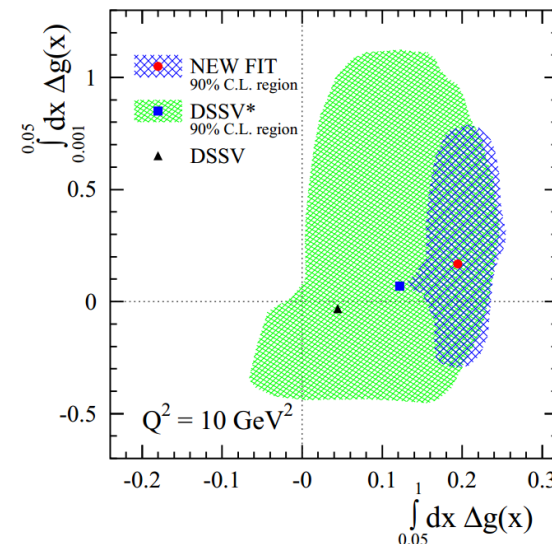
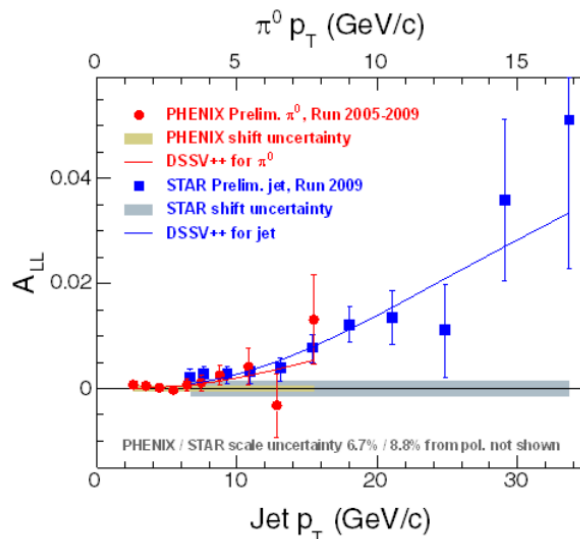
- vs. previously:

$$\Delta G_{DSSV08}^{[0.05,0.2]} = 0.005^{+0.129}_{-0.164}$$

Conclusions

- 2009 PHENIX and STAR final data already swiftly included in the DSSV global analysis
 - important to fully treat experimental systematic uncertainties to get the full picture (plus theoretical uncertainties)
 - Other final states + 500 GeV datasets (I. Yoon, next talk) also currently available or under analysis
 - Not only gives us more information on ΔG , but our best test of factorization

bnl.gov/npp/docs/RHIC-Spin-WriteUp-121105.pdf



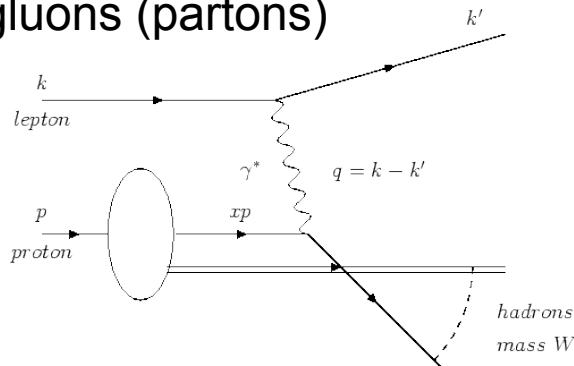
arXiv:1404.4293



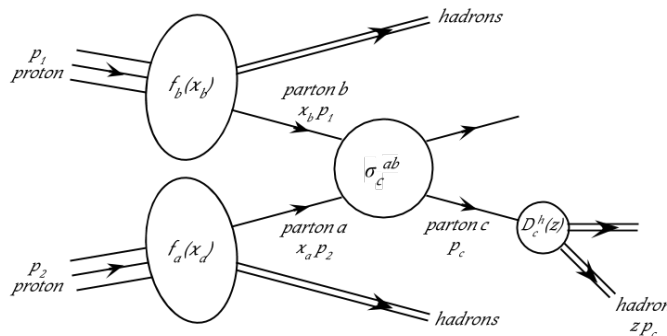
Proton Sub-Structure & Parton Scattering

- High energy scattering with a nucleon (proton) probes the sub-structure
 - scattering with individual quarks, antiquarks, and gluons (partons)

- DIS:

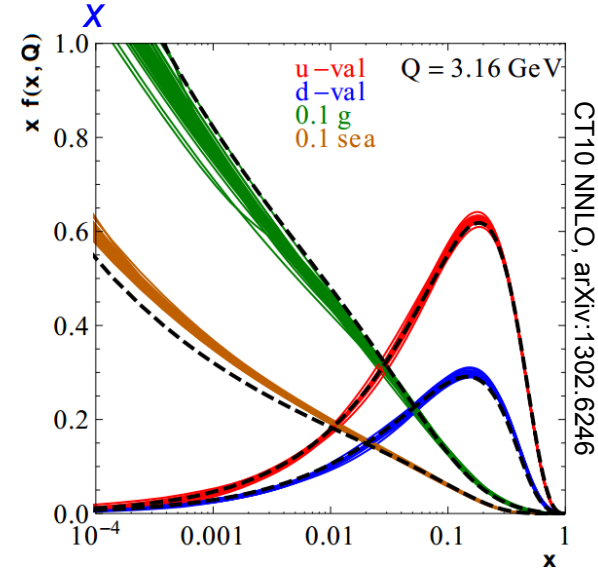


- p+p:



- Parton Distribution Functions (PDFs), $f_i(x)$

- describe statistical distribution of partons with momentum fraction

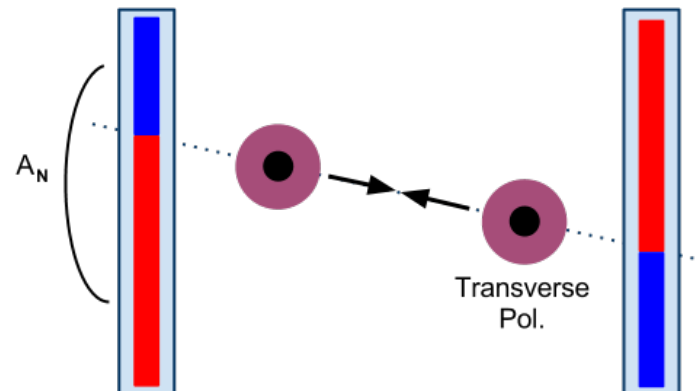
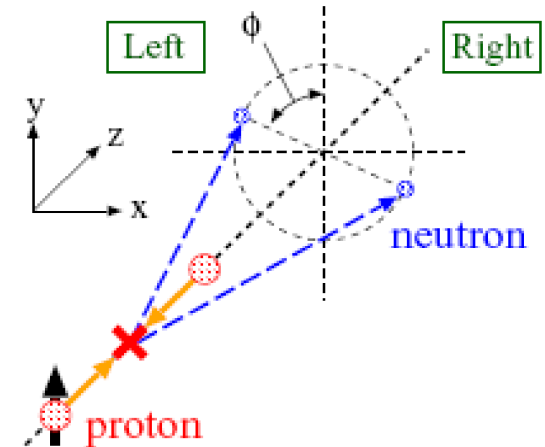


- polarized PDFs, $\Delta f_i(x)$

- take into account spin along proton's spin axis

Transverse Spin Asymmetry A_N

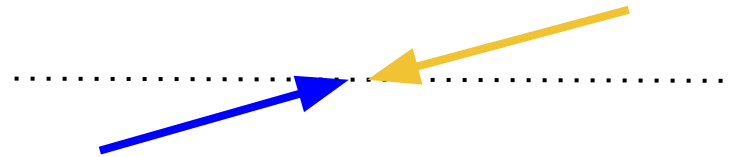
- No physics A_{LL} s we are familiar with in the ZDC or BBC
- But we do know of a transverse, phi-dependent, forward, single-spin asymmetry in **NEUTRON PRODUCTION**
 - transverse: Goes away for longitudinally polarized beams (local polarimetry)
 - phi-dependent: integrates out over all of phi
 - forward: backward asymmetry 0; polarization of other beam irrelevant
 - single-spin: scales as polarization P (compared to P^2 for double spin asymmetries like A_{LL})



+ Beam Geometry

- Beams traverse IRs in "zero" magnetic field region
 - straight paths
- Intersection geometry of beams can be decomposed into three components (x 2 planes)

- Collinear Angle:



- Offset:

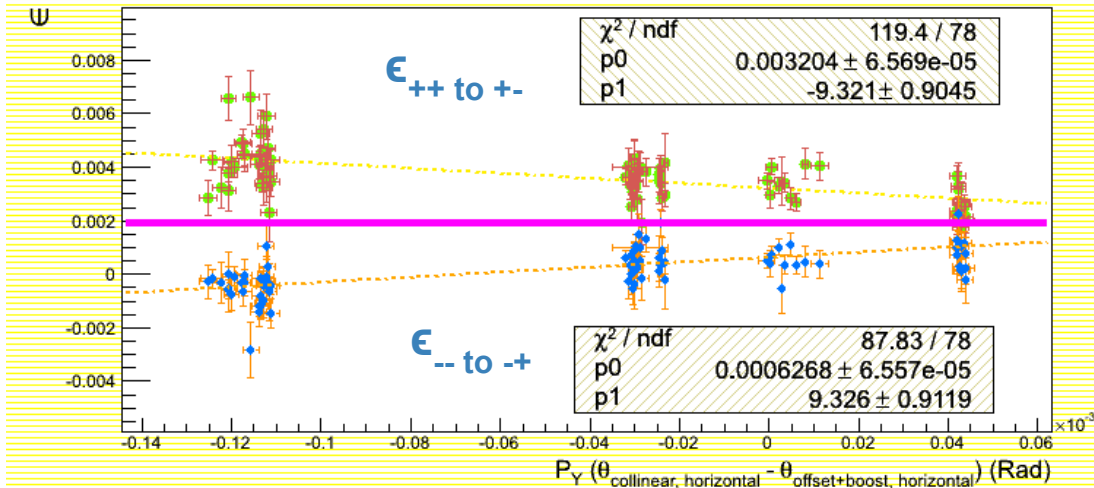


- Boost:

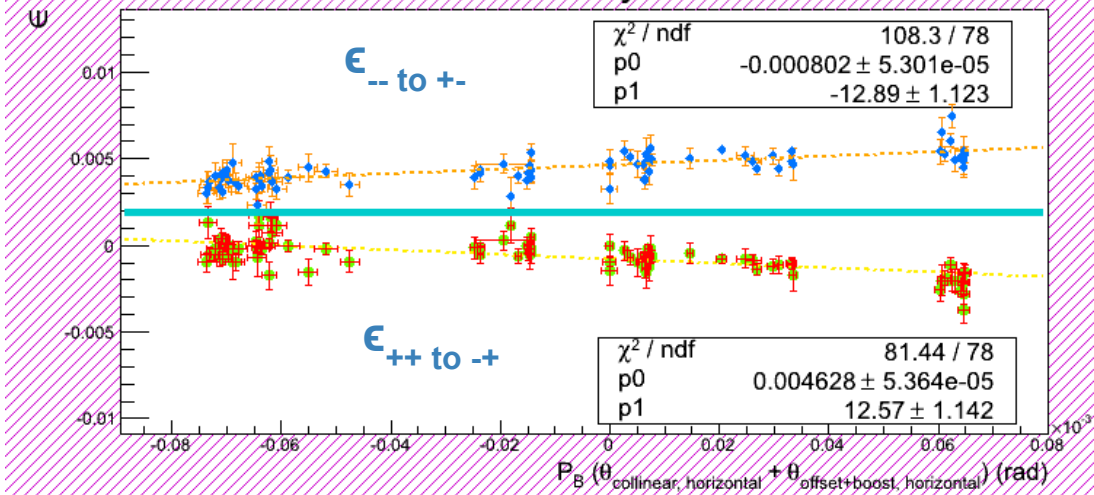


Run 12 Collinear Beam Angle Scan

Yellow Beam Asymmetries



Blue Beam Asymmetries



- Under model, these two yellow beam asymmetries should be equal and opposite
- Slopes equal and opposite, but not intercepts
- Same logic applies to blue beam asymmetries
- both yellow and blue asymmetries average to $\sim 2 \times 10^{-3}$