

(Weakly) Strong EWSB dynamics

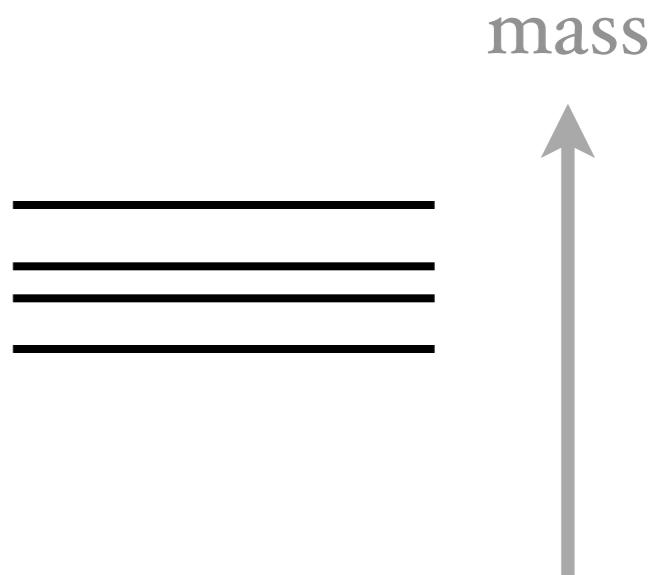
precision tests versus direct searches

chatting with
R. Contino & A. Thamm

EWSB is *broadly* described by

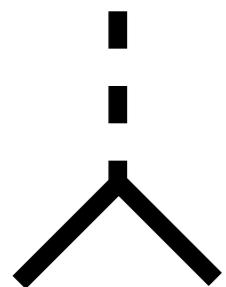
♦ one mass scale m_*

$\sim m_*$ {



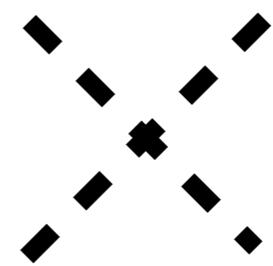
♦ one coupling g_*

$$\text{Ex.: } g_* \sim \frac{4\pi}{\sqrt{N}}$$



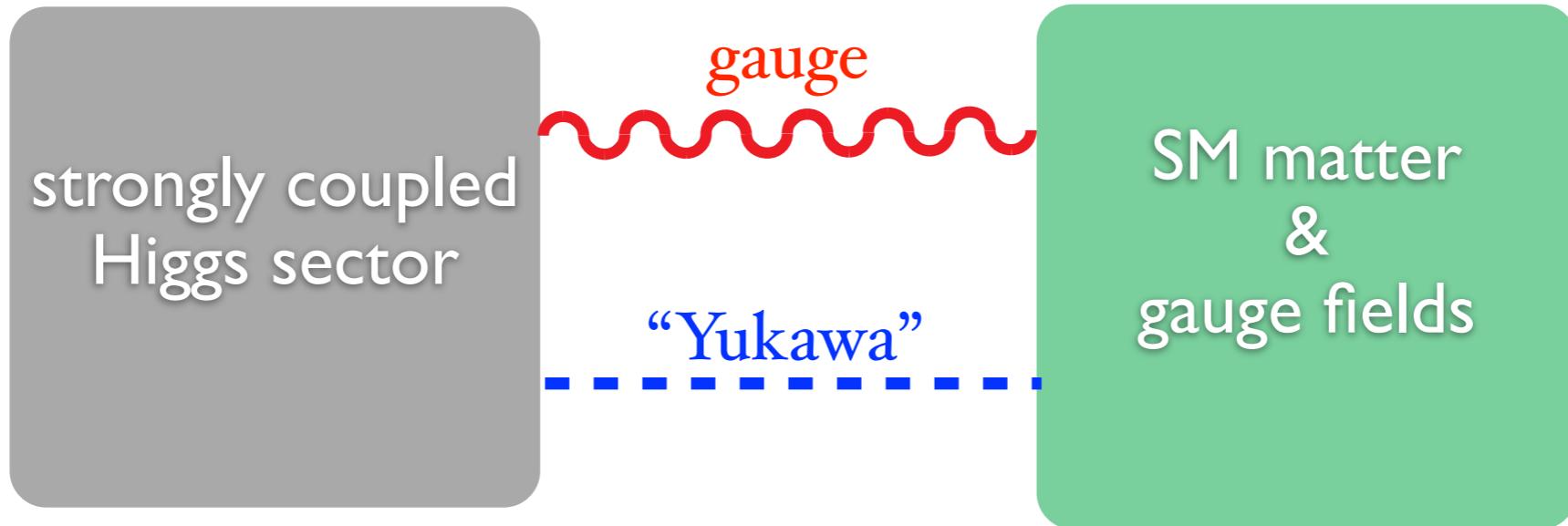
$$g_* \bar{\Psi} \Psi \Phi$$

$h \in \pi =$ pseudo-NG

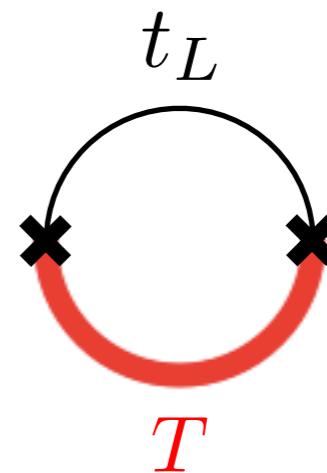
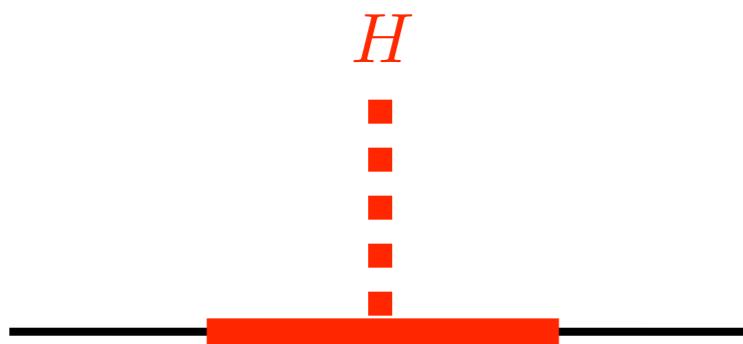


$$\frac{g_*^2}{m_*^2} (\pi \partial \pi)^2$$

$$\frac{g_*}{m_*} \equiv \frac{1}{f}$$



$$\mathcal{L}_{int} = g_W W^\mu J_\mu^{comp} + \lambda_i q_i \Psi_i^{comp}$$



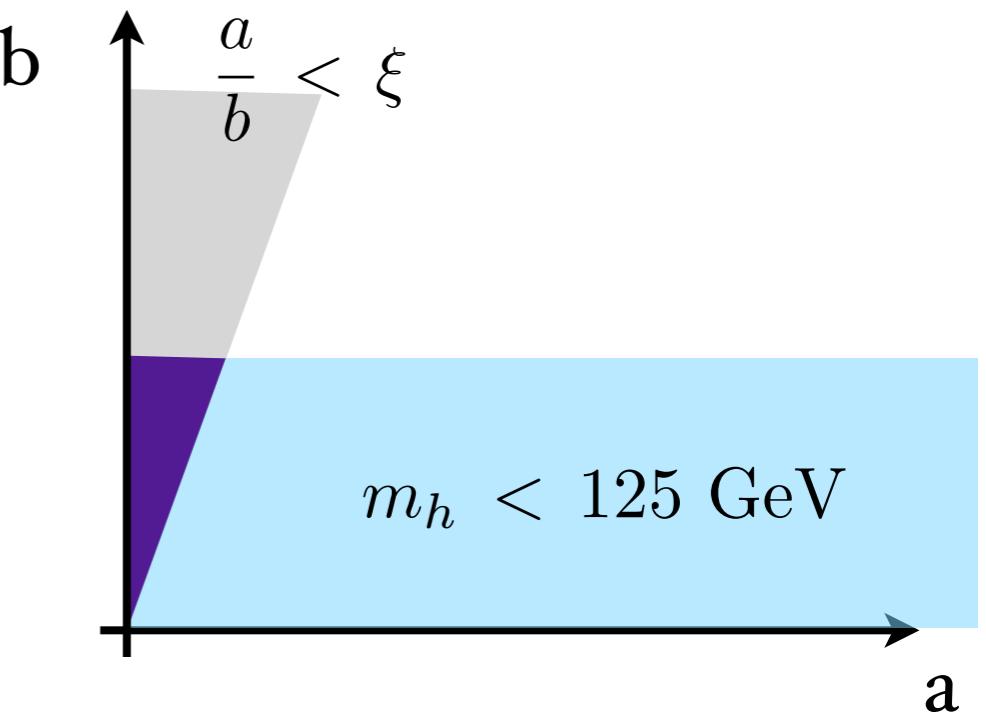
$$Y_{ij} \sim \frac{\lambda_i^L \lambda_j^R}{g_*}$$

Higgs potential

The connection between g_* , m_* , m_t and m_h

$$V = \frac{3\lambda_t^2 m_*^2}{16\pi^2} (ah^2 + bh^4/f^2 + \dots)$$

$$\left\{ \begin{array}{l} \xi \equiv \frac{v^2}{f^2} = \frac{a}{b} \\ m_h^2 = b \frac{3g_*^2}{2\pi^2} m_t^2 \sim (125 \text{ GeV})^2 \frac{g_*^2 b}{4} \end{array} \right.$$



$$\text{Total tuning} \sim \text{area} = a b = \left(\frac{430 \text{ GeV}}{m_*} \right)^2 \times \frac{4}{g_*^2}$$

Notice impact of 125 GeV Higgs

$$m_h = 125 \text{ GeV}$$



$$a b = \left(\frac{430 \text{ GeV}}{m_*} \right)^2 \times \frac{4}{g_*^2}$$

weakly strong EWSB sector and light resonances preferred

$$m_h = 250 \text{ GeV}$$

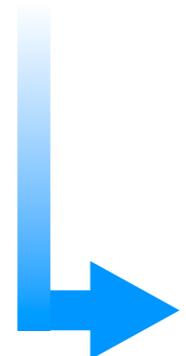


$$a b = \left(\frac{860 \text{ GeV}}{m_*} \right)^2 \times \frac{16}{g_*^2}$$

moderately strong and heavy EWSB sector

EWPT

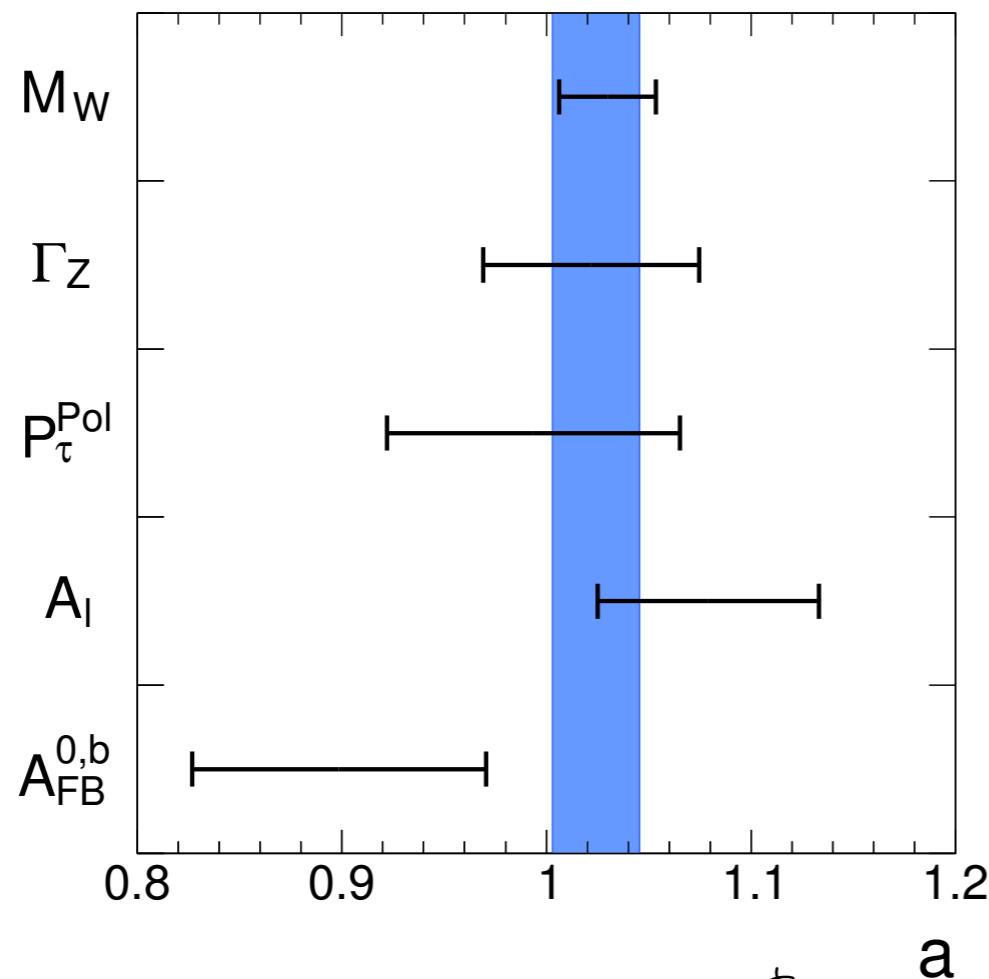
$$\Delta\epsilon_3 = O(1) \times \frac{m_W^2}{m_*^2} + \frac{g^2}{96\pi^2} \frac{v^2}{f^2} \ln(m_*/m_h)$$


$$m_* \gtrsim 2 \text{ TeV}$$

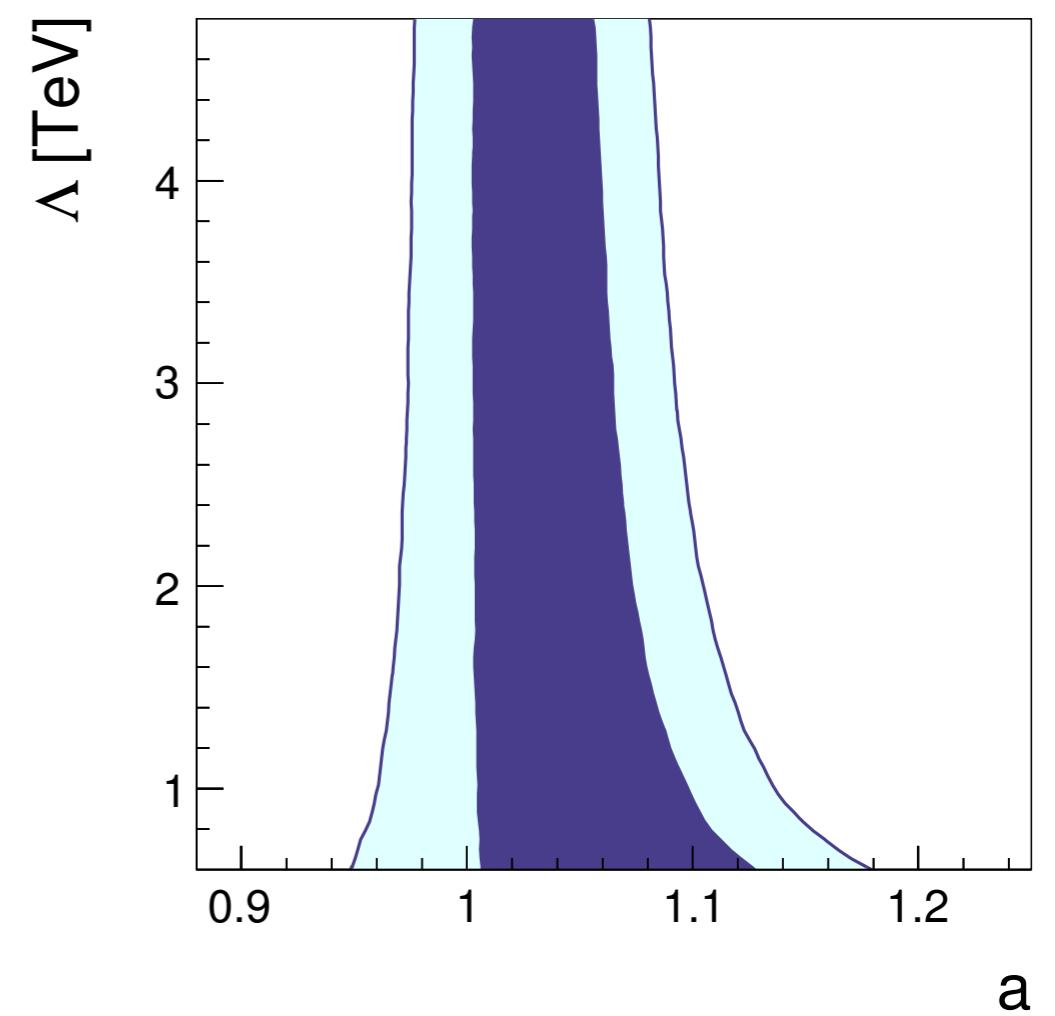
$$\Delta\epsilon_1 = \delta\rho_{SM} \times \frac{m_t^2}{m_*^2} - \frac{3g^2 \tan\theta_W^2}{32\pi^2} \frac{v^2}{f^2} \ln(m_*/m_h)$$

in principle very strong bound : $\xi \equiv \frac{v^2}{f^2} \lesssim 0.05$

in practice it could be relaxed by short distance contribution



$$a = 1 - \frac{\xi}{2}$$

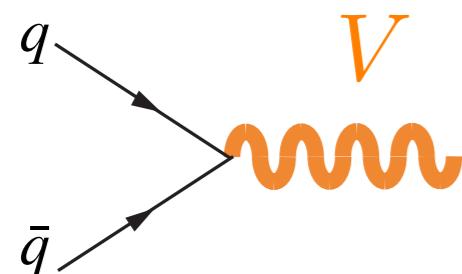


Franco, Mishima, Silvestrini 2013

Direct searches (LHC 8TeV)

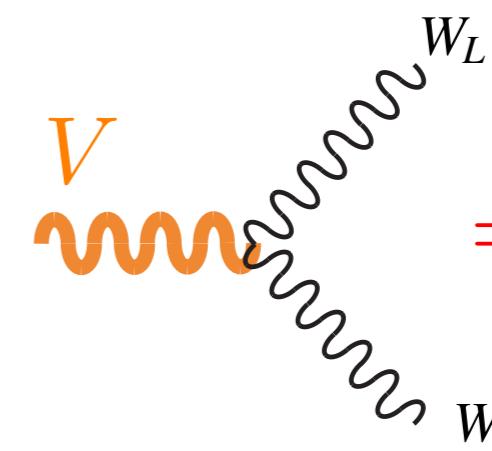
- Top partners ($Q = -1/3, 2/3, 5/3$) $m_* \gtrsim 1 \text{ TeV}$

- Vector resonances



$$q \quad \quad \quad \text{---} \quad \quad \quad V = \frac{g_W^2}{g_*} < g_W$$

$$\bar{q}$$



$$V = g_*$$

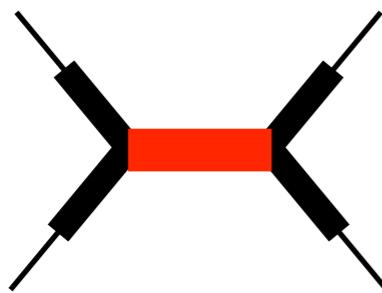
$$W_L \quad \quad \quad W_L$$

CMS data
Pappadopulo, Thamm,
Torre, Wulzer 2014

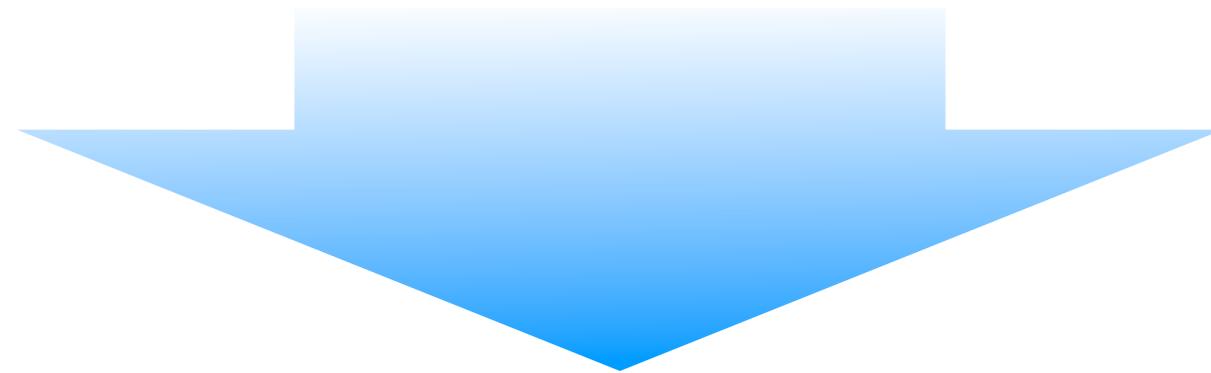
$$\begin{cases} g_* = 1 & m_* > 3 \text{ TeV} \\ g_* = 3 & m_* > 2 \text{ TeV} \end{cases}$$

Flavor

$\Delta F=2$

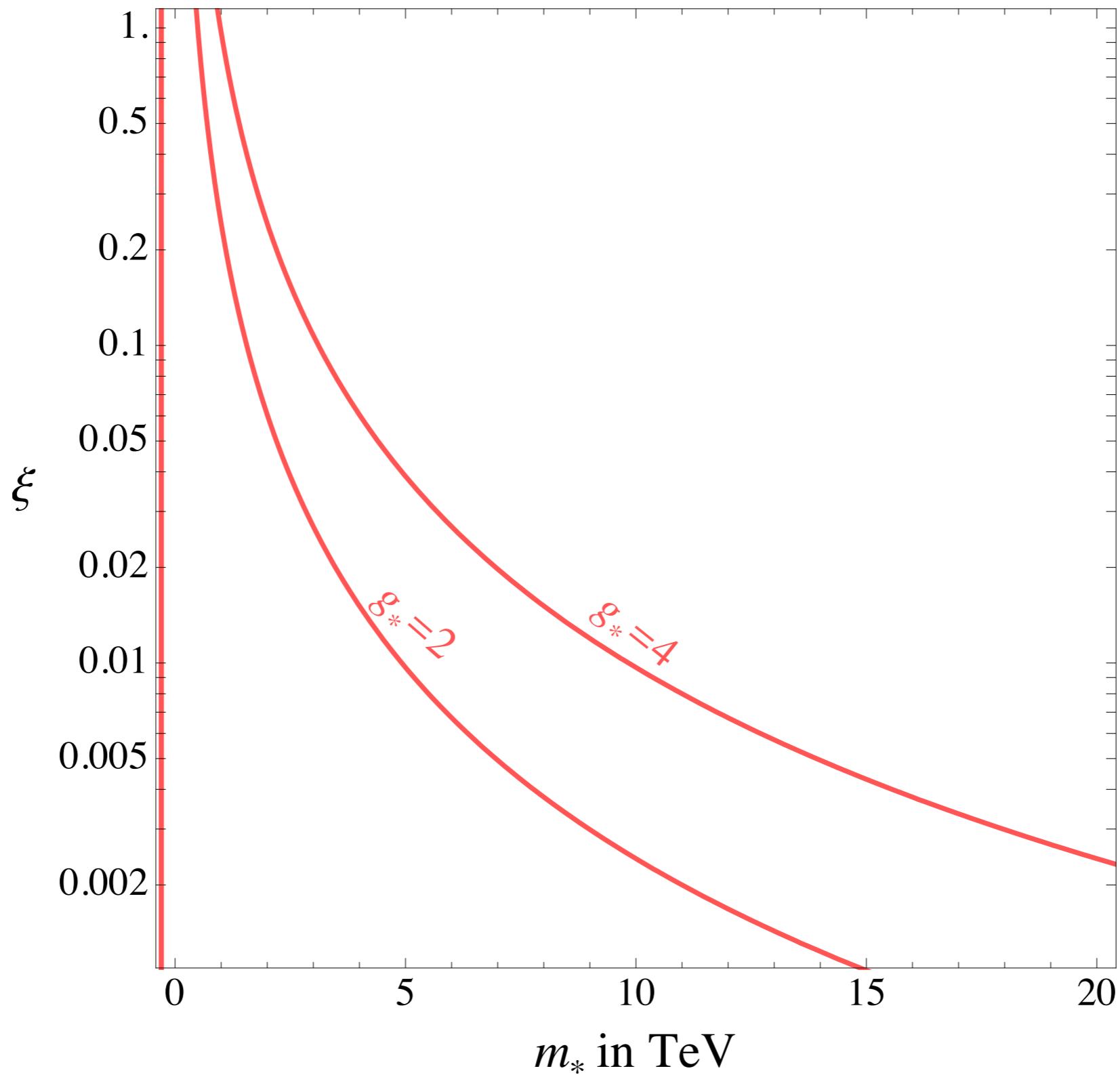


$\Delta F=1$

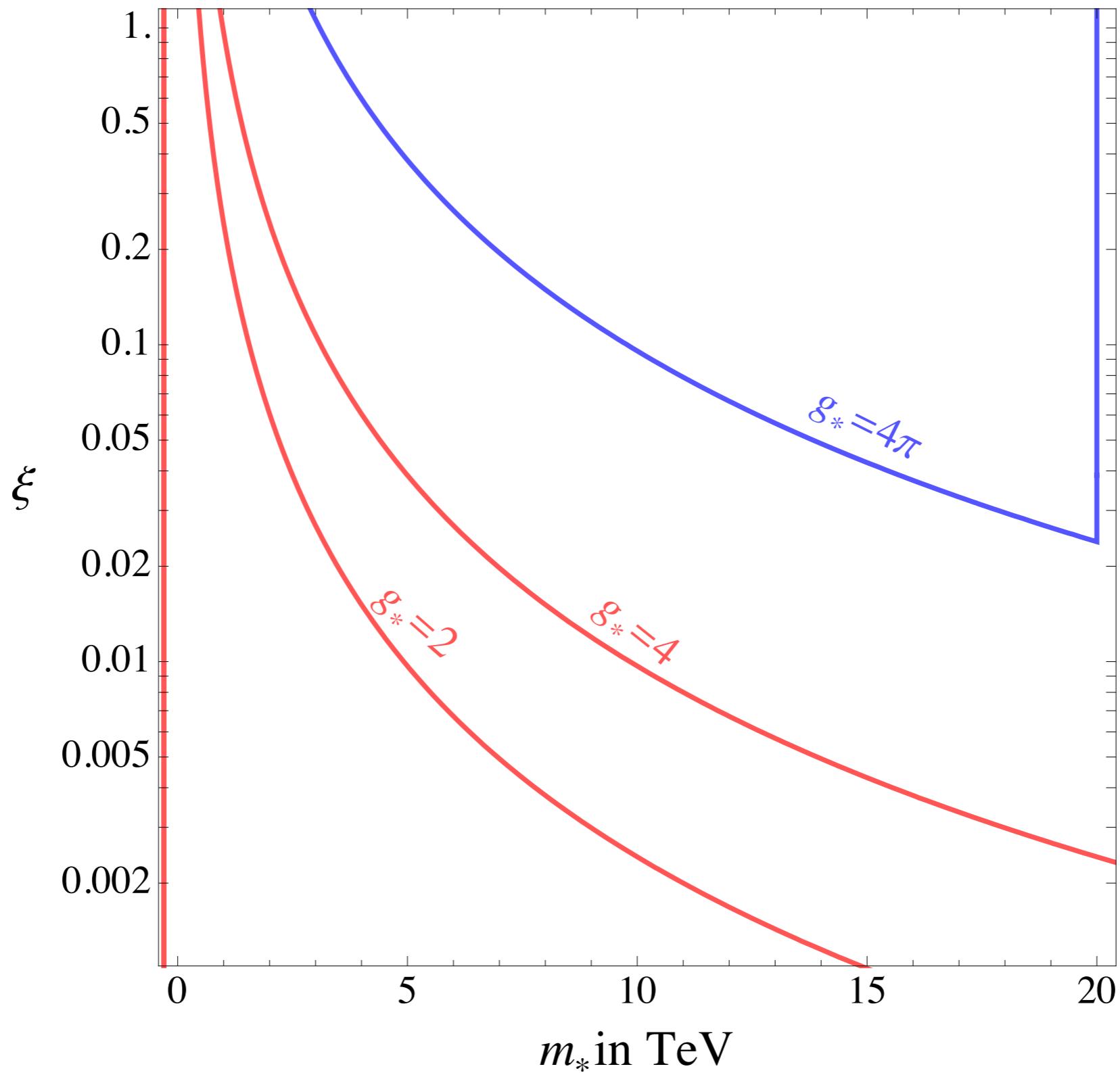


$$m_* > 10 - 40 \text{ TeV}$$

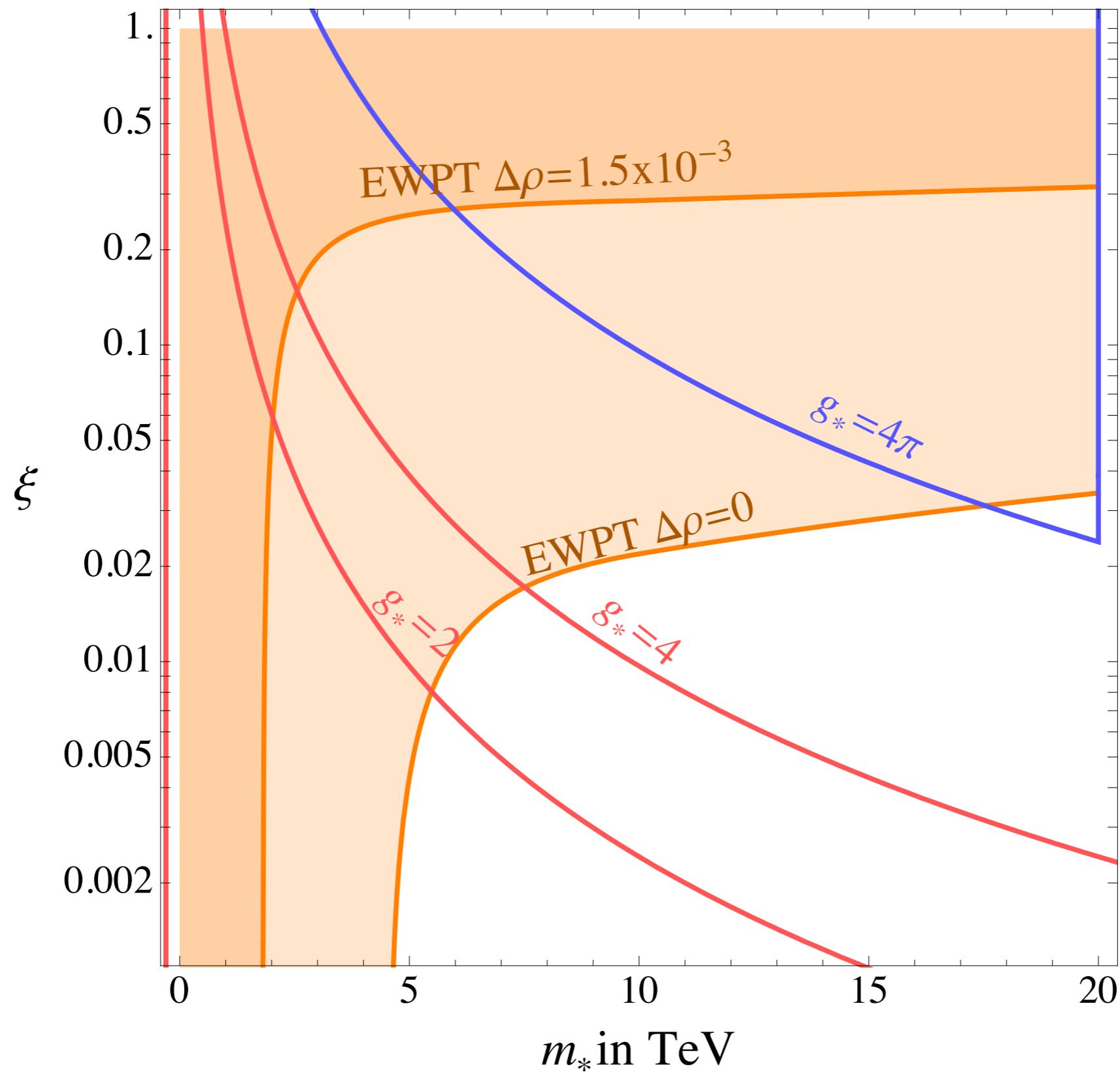
unless additional flavor symmetries in place



$$\xi = \frac{g_*^2}{m_*^2} v^2$$

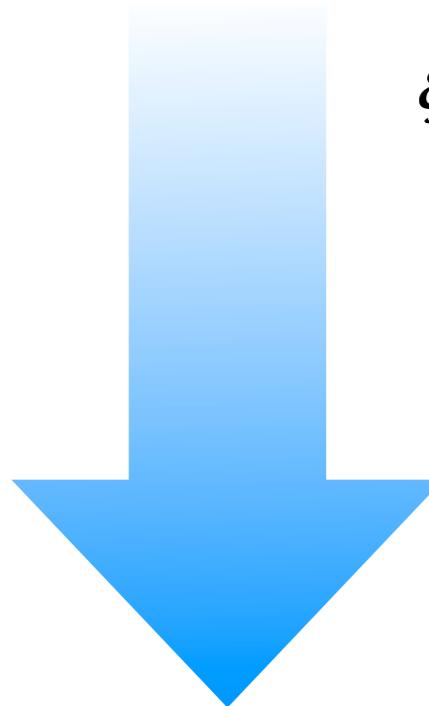


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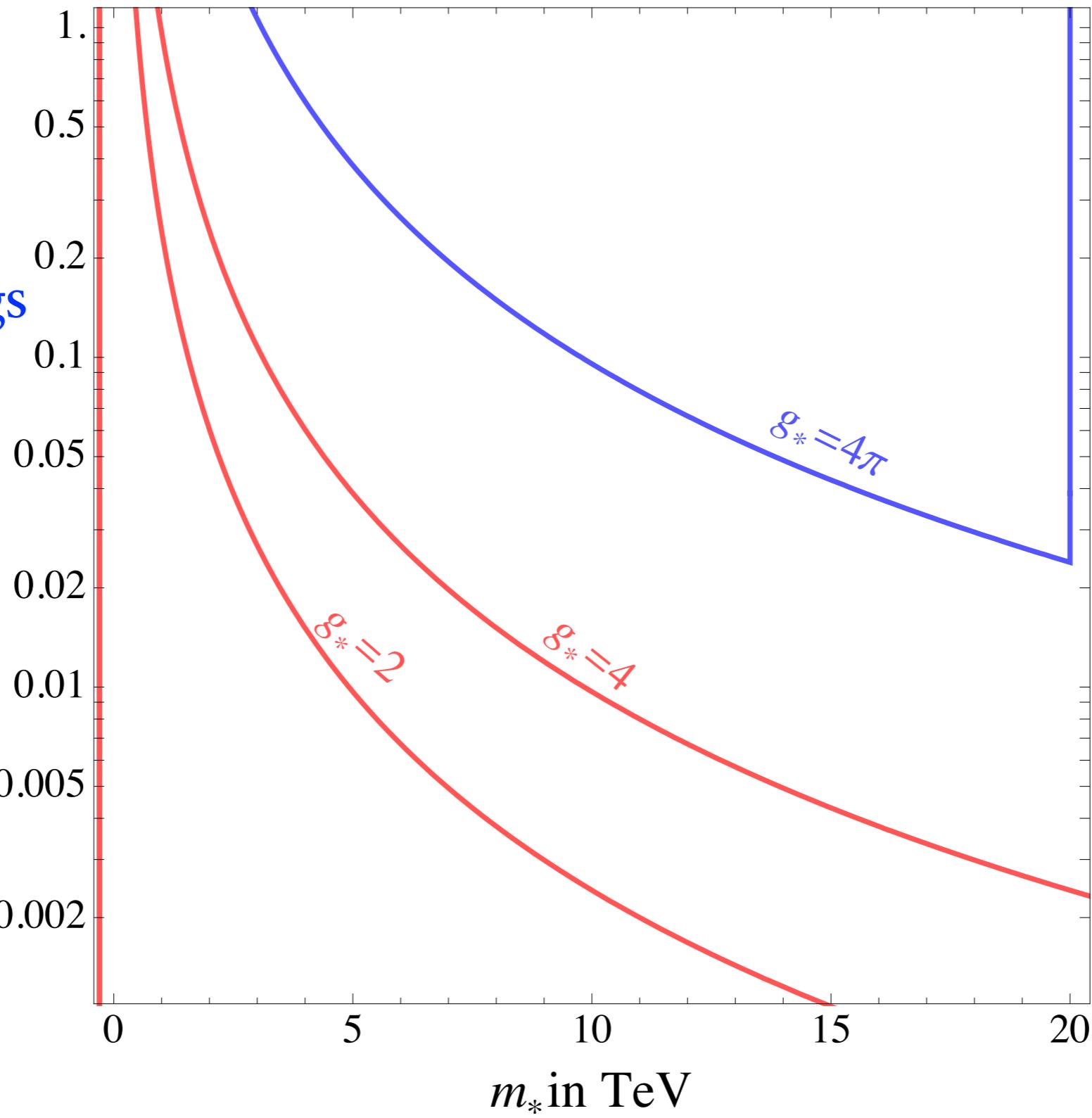


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Higgs couplings



ξ

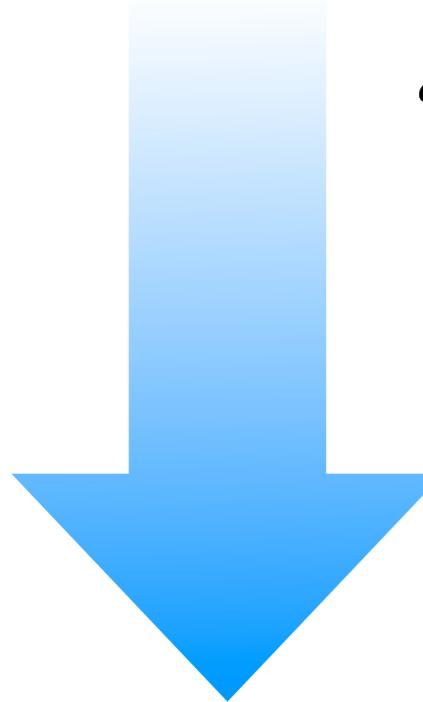


direct searches

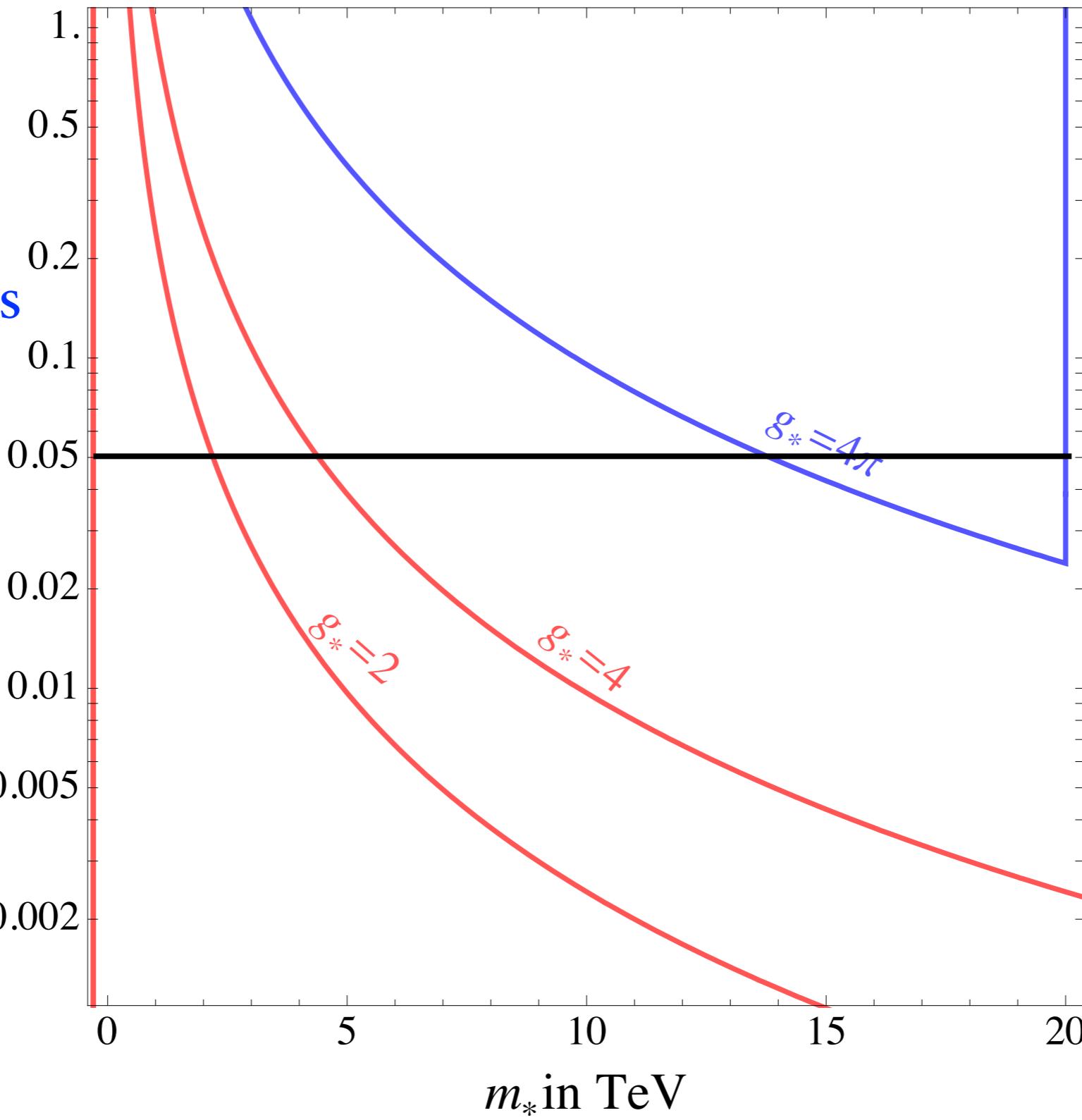


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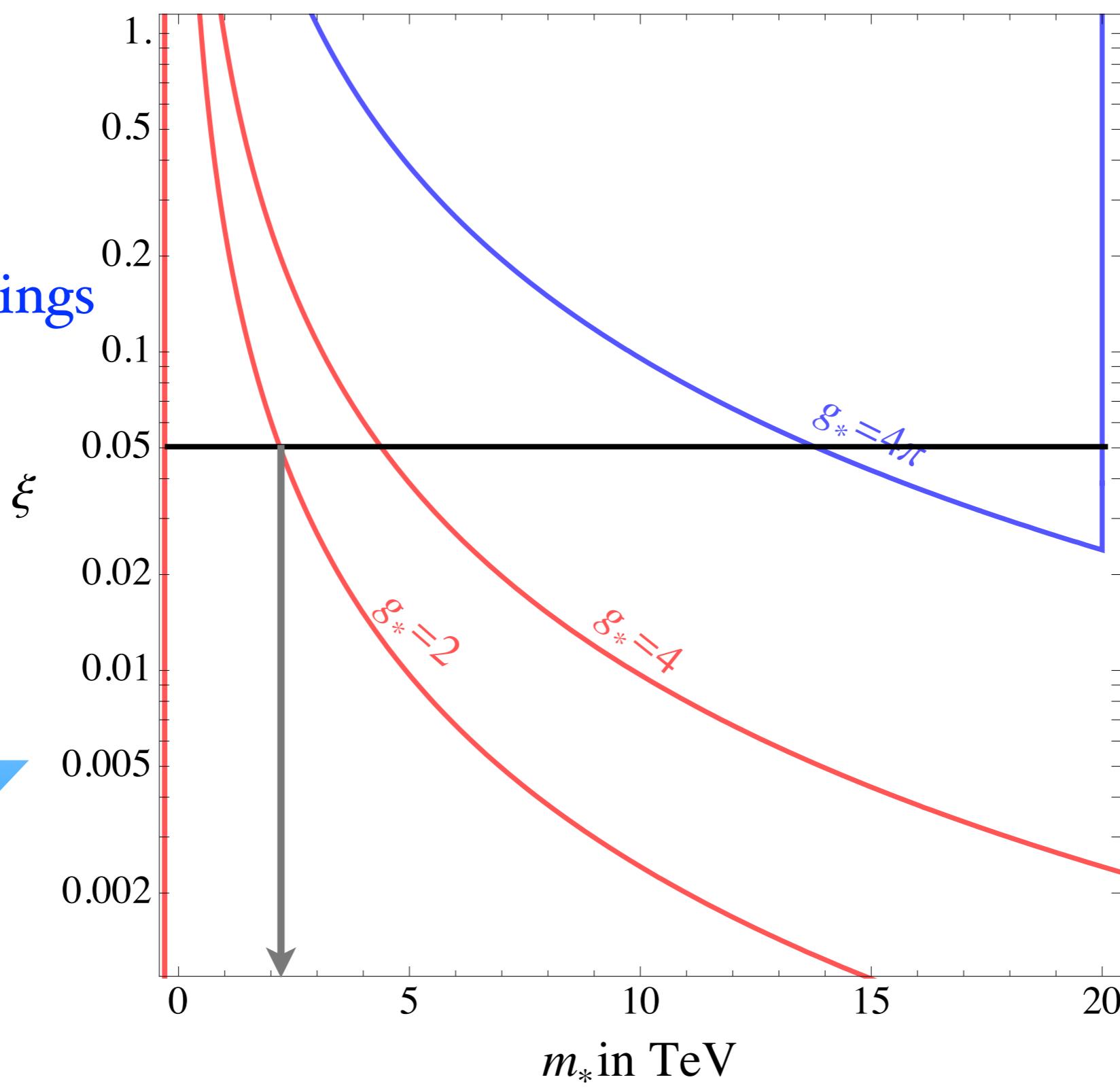
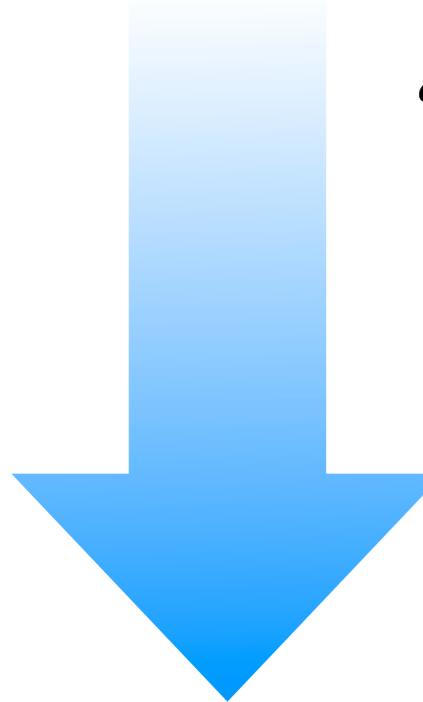


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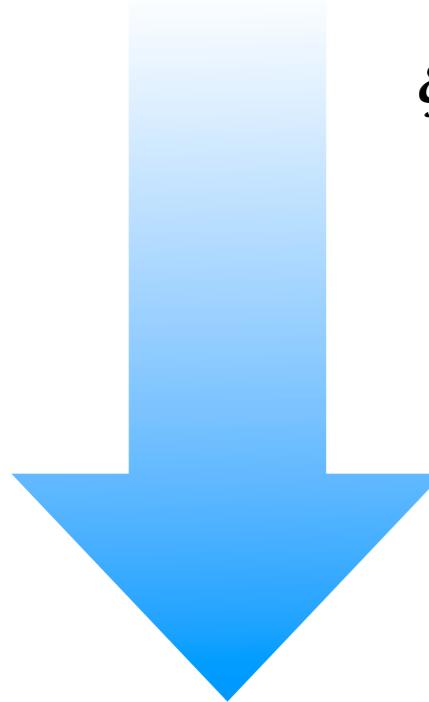


direct searches

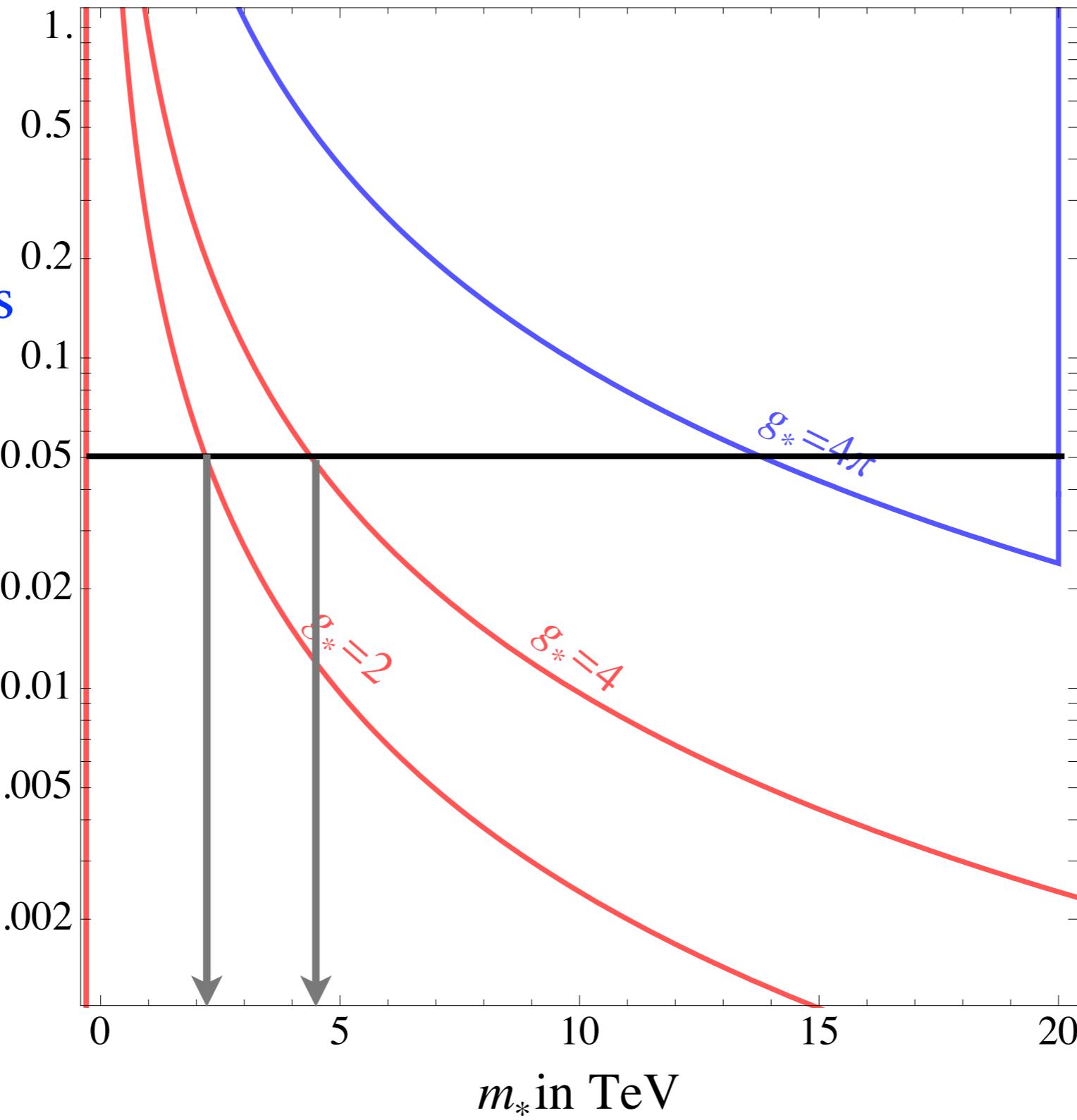


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Higgs couplings



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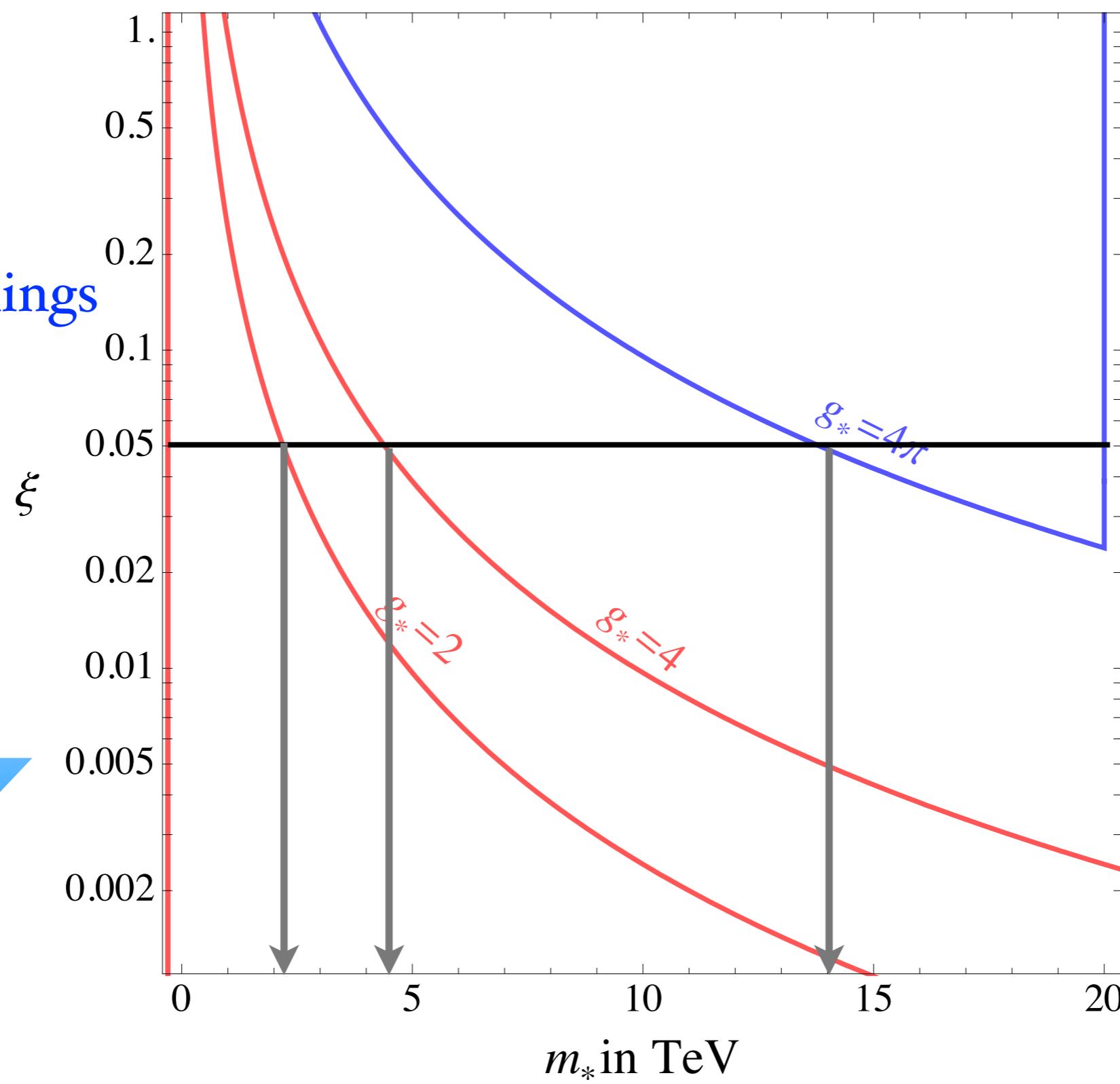
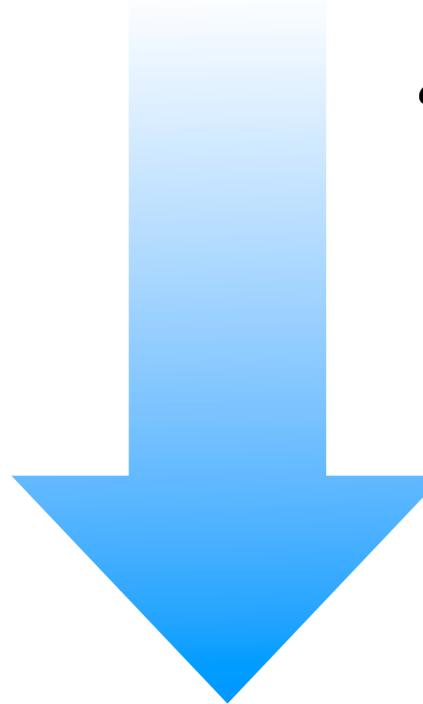


direct searches



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Higgs couplings

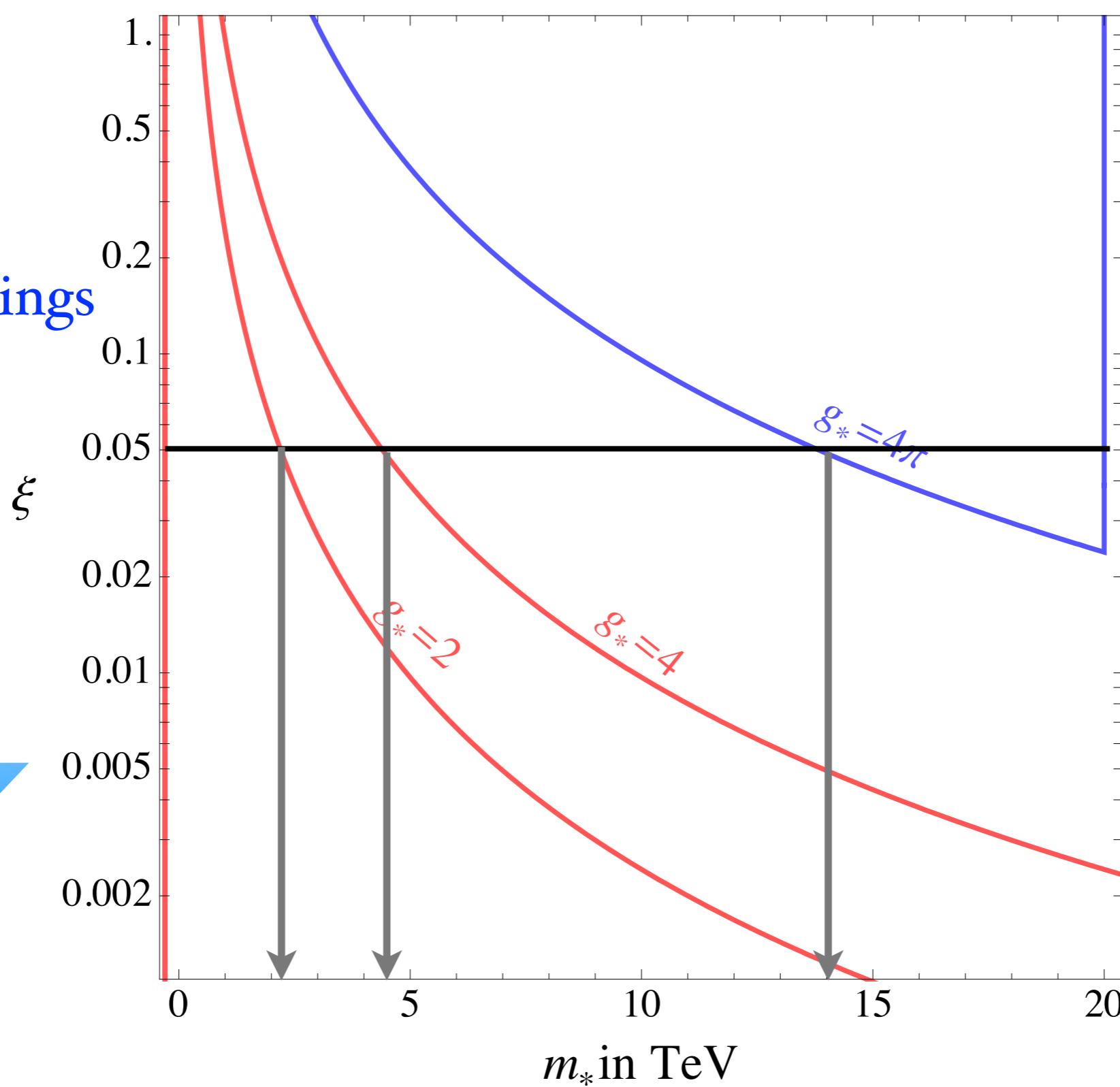
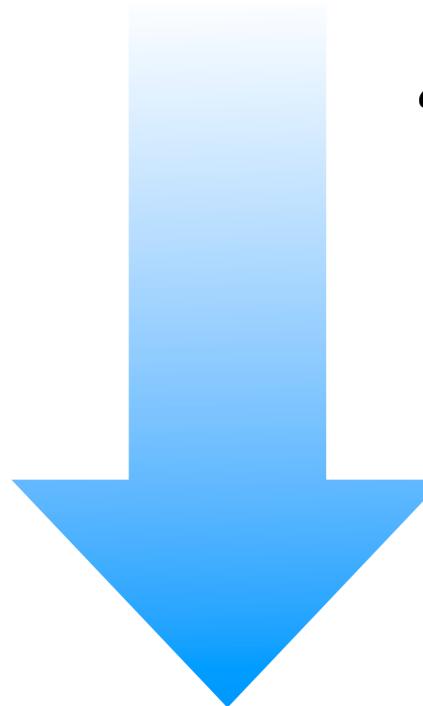


direct searches

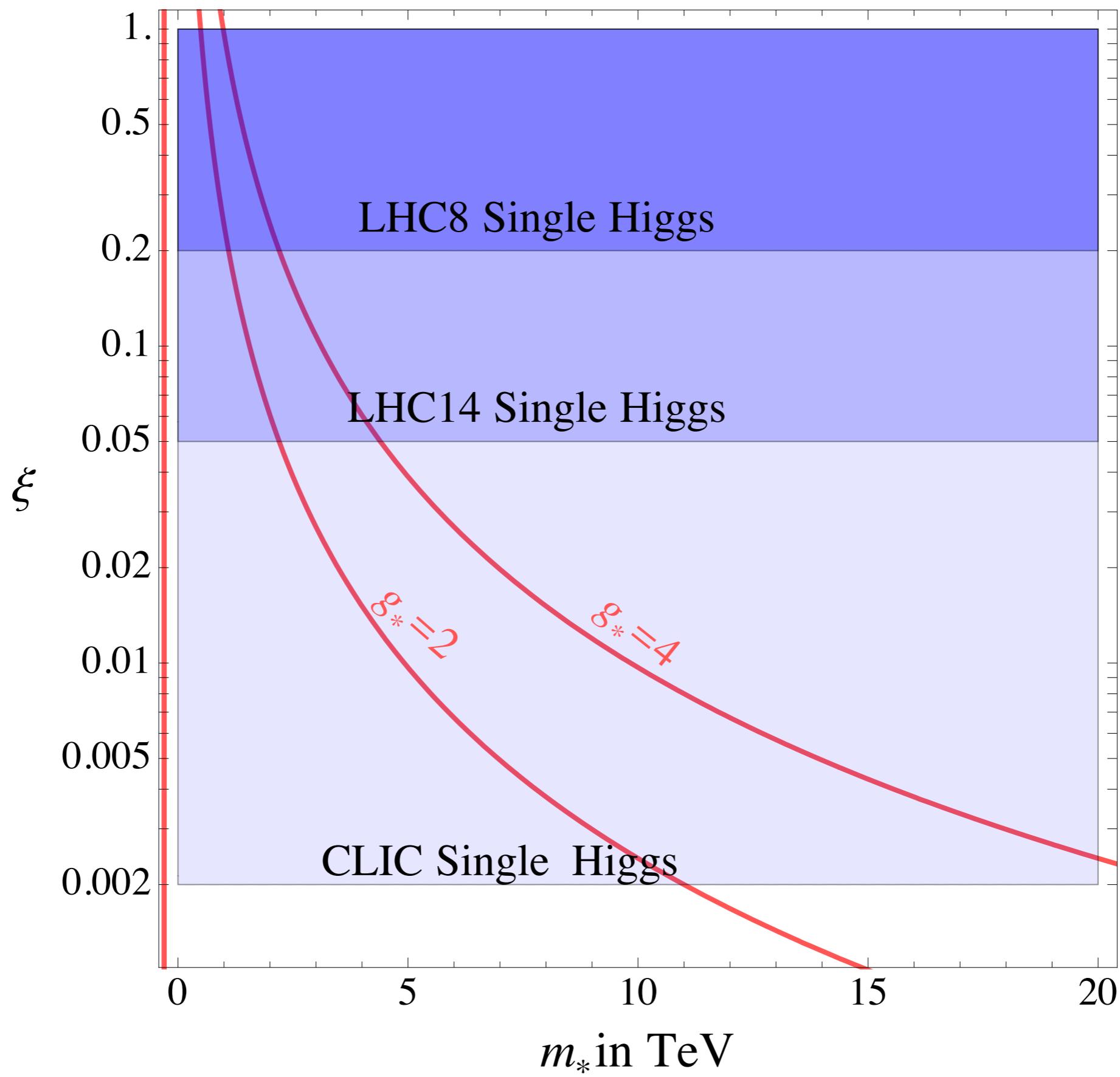


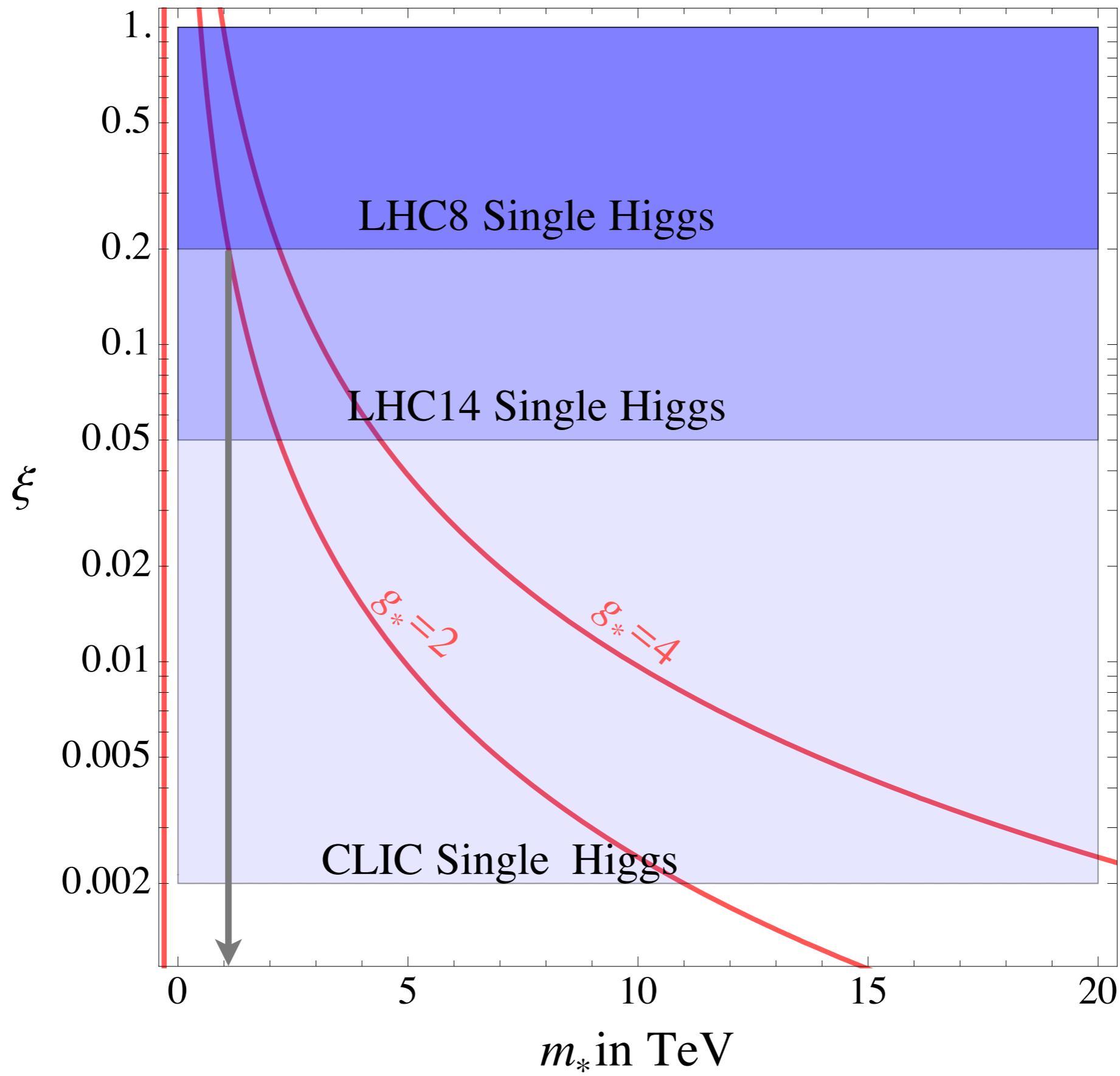
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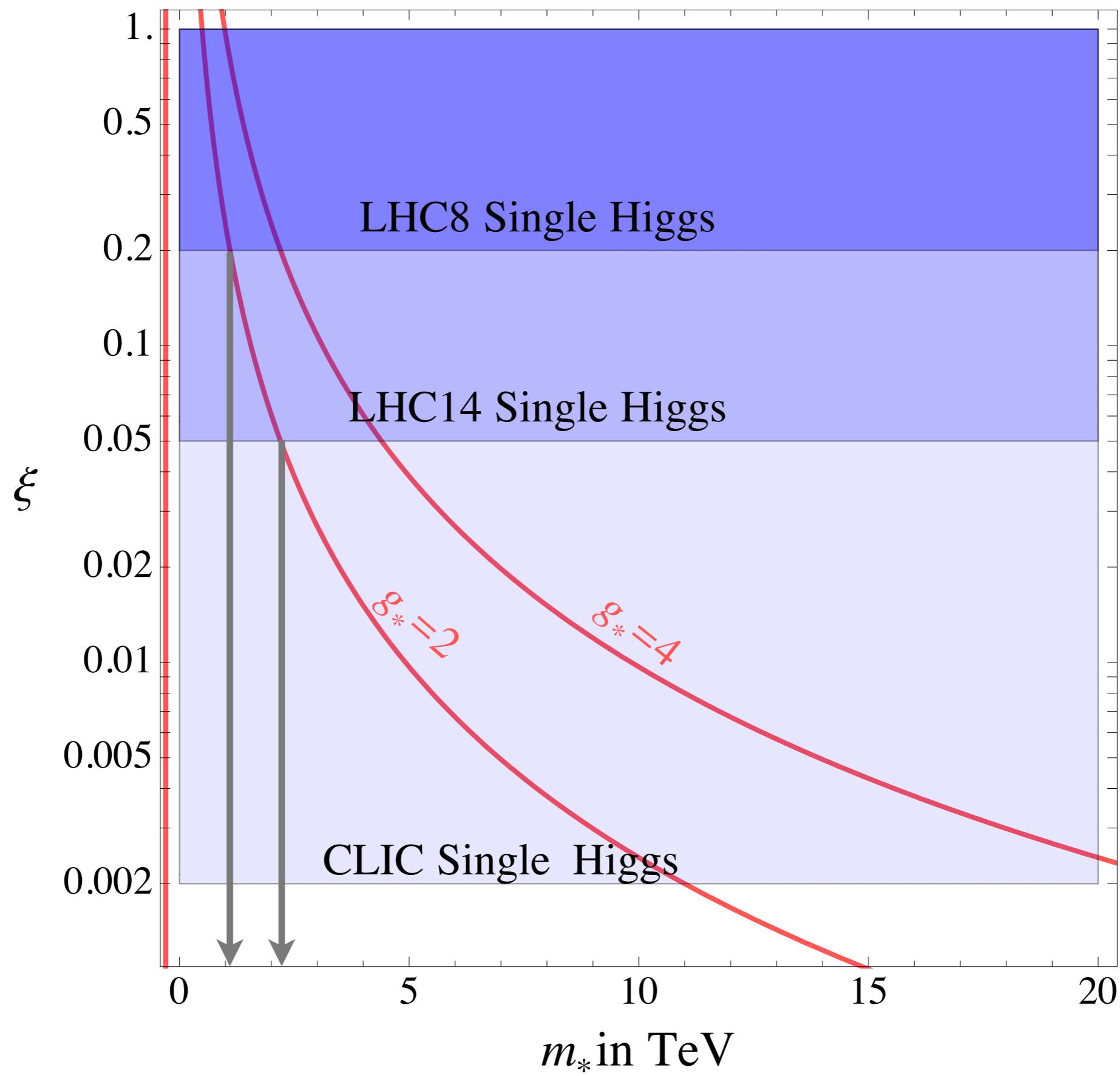
Higgs couplings

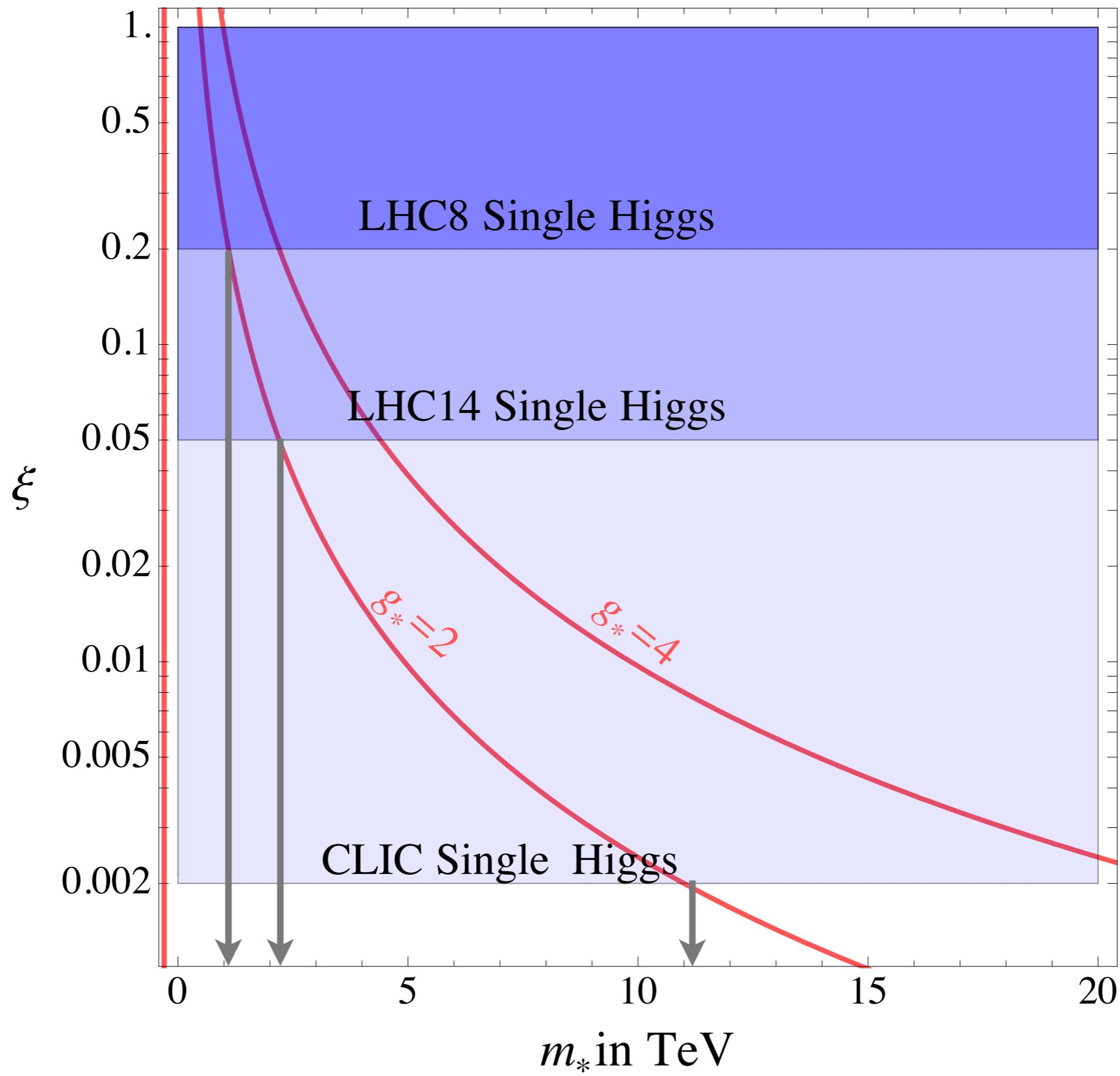


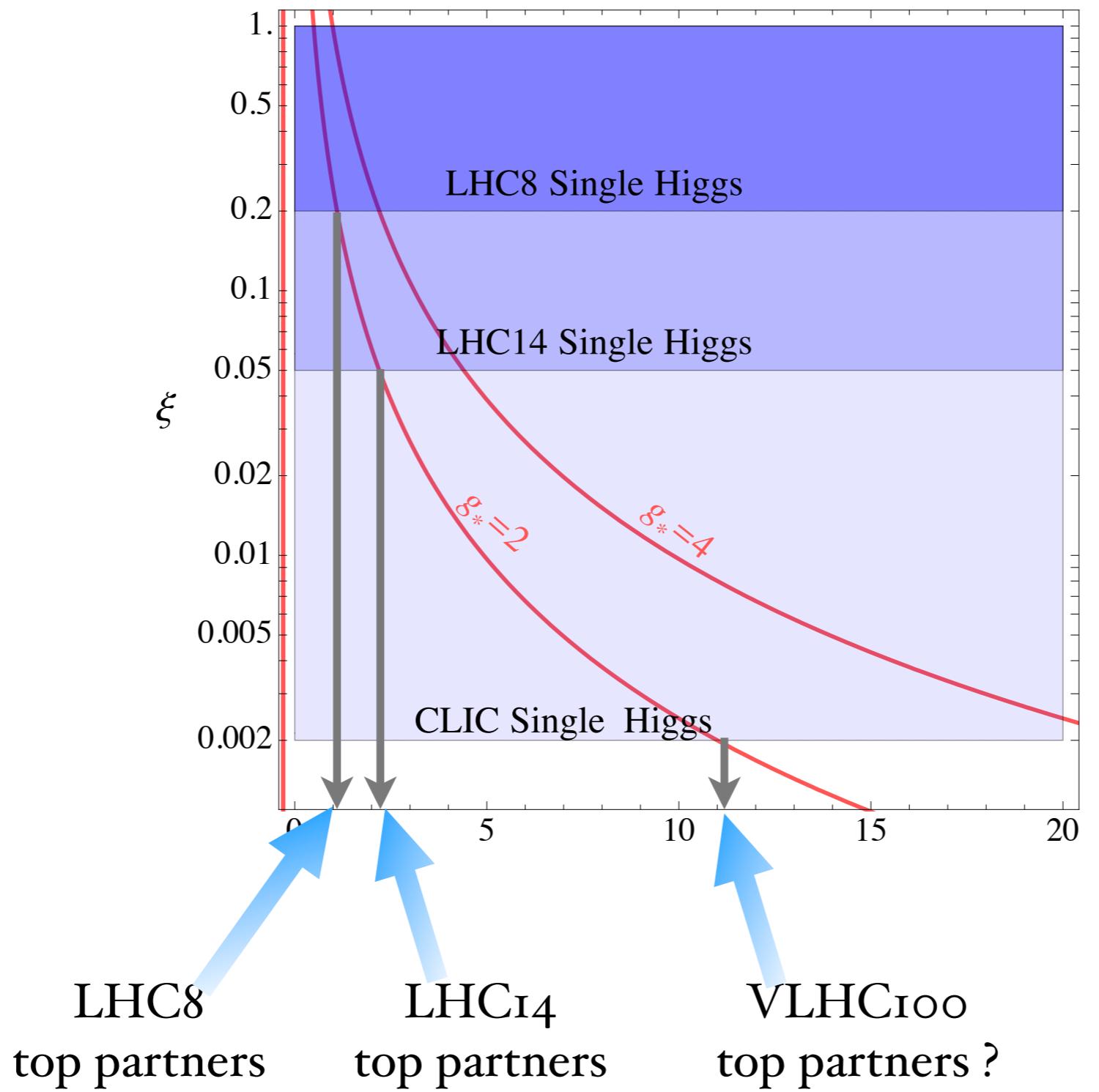
the stronger g_* the more relevant the precision measurements

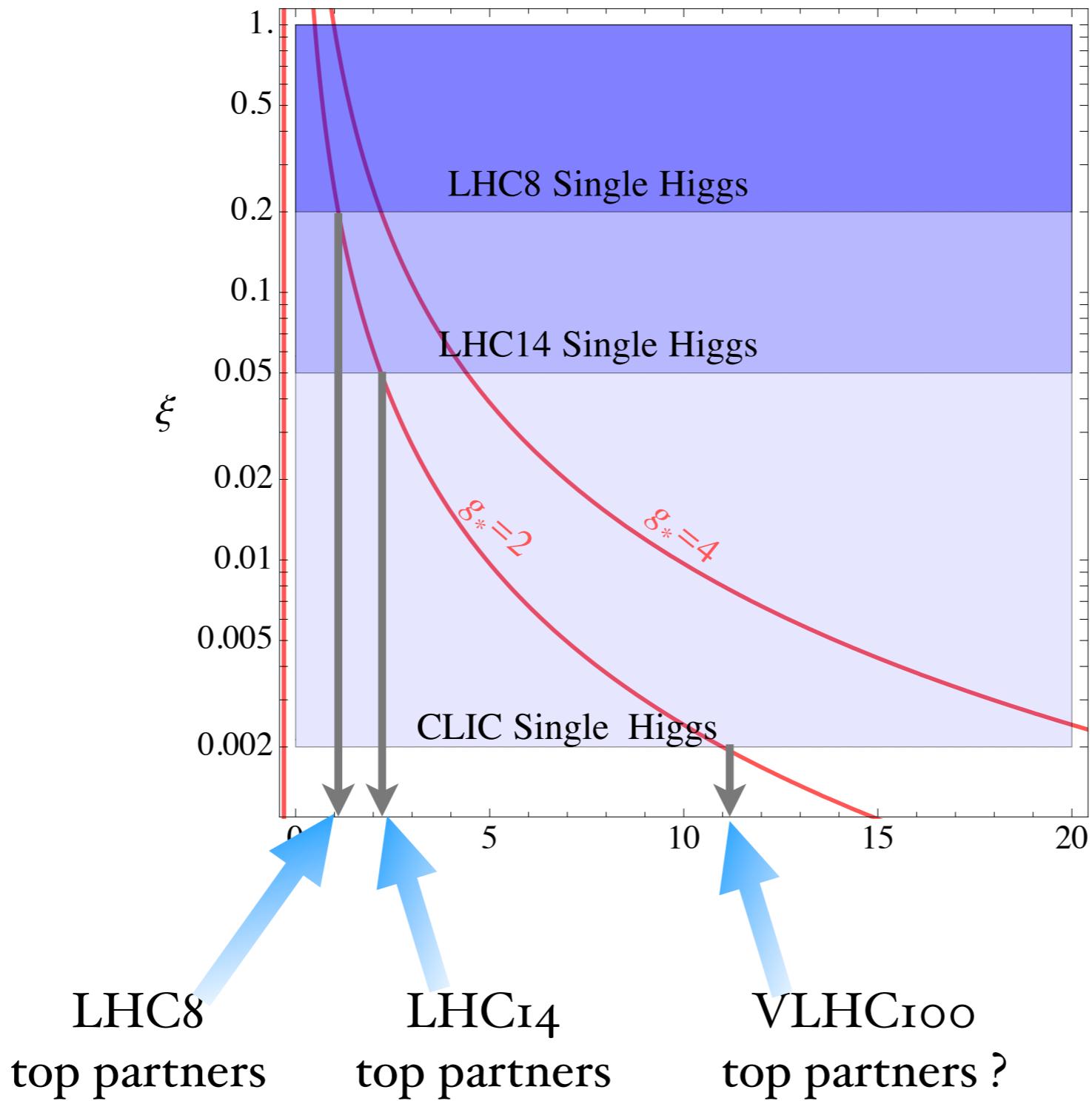




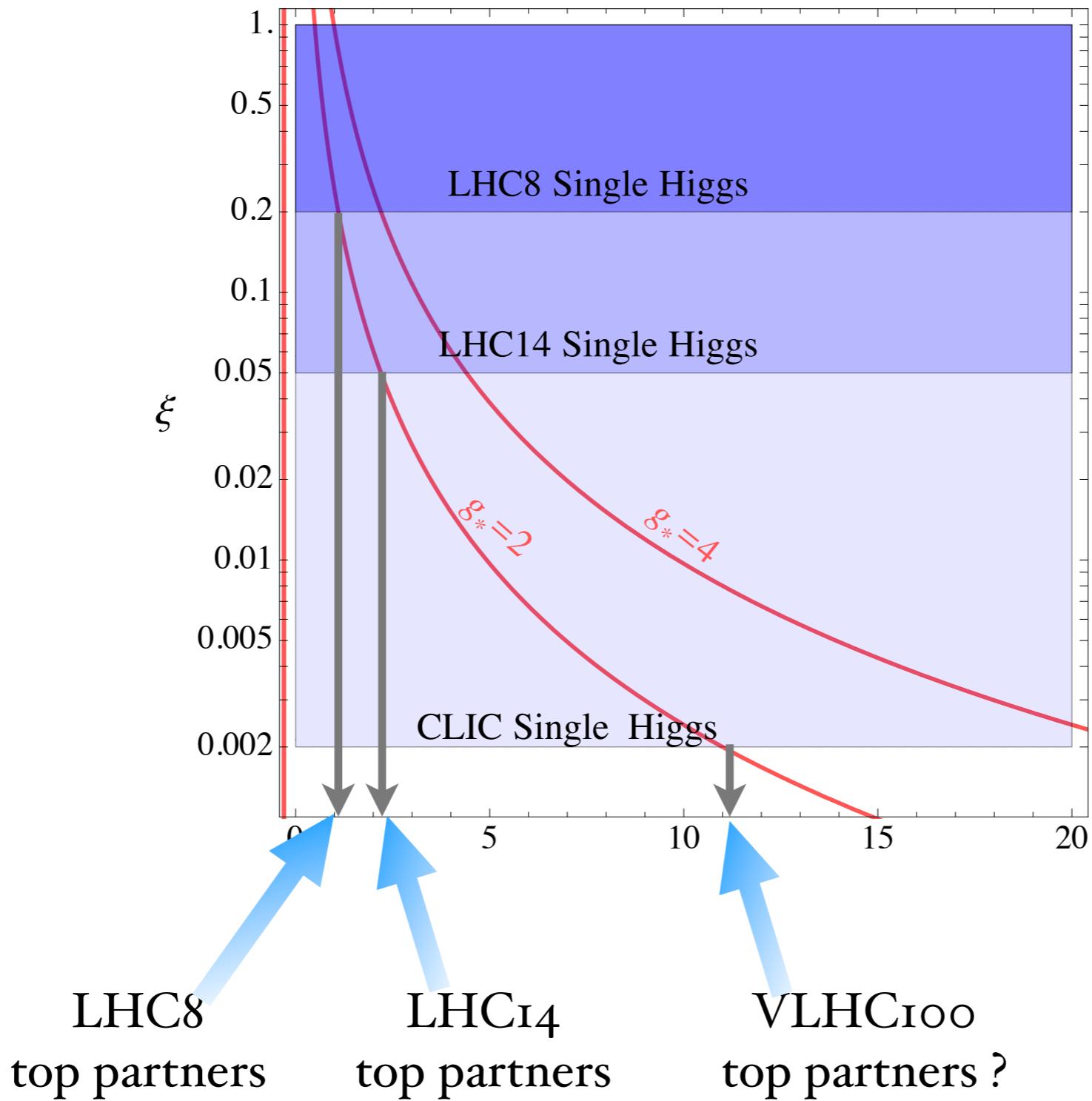








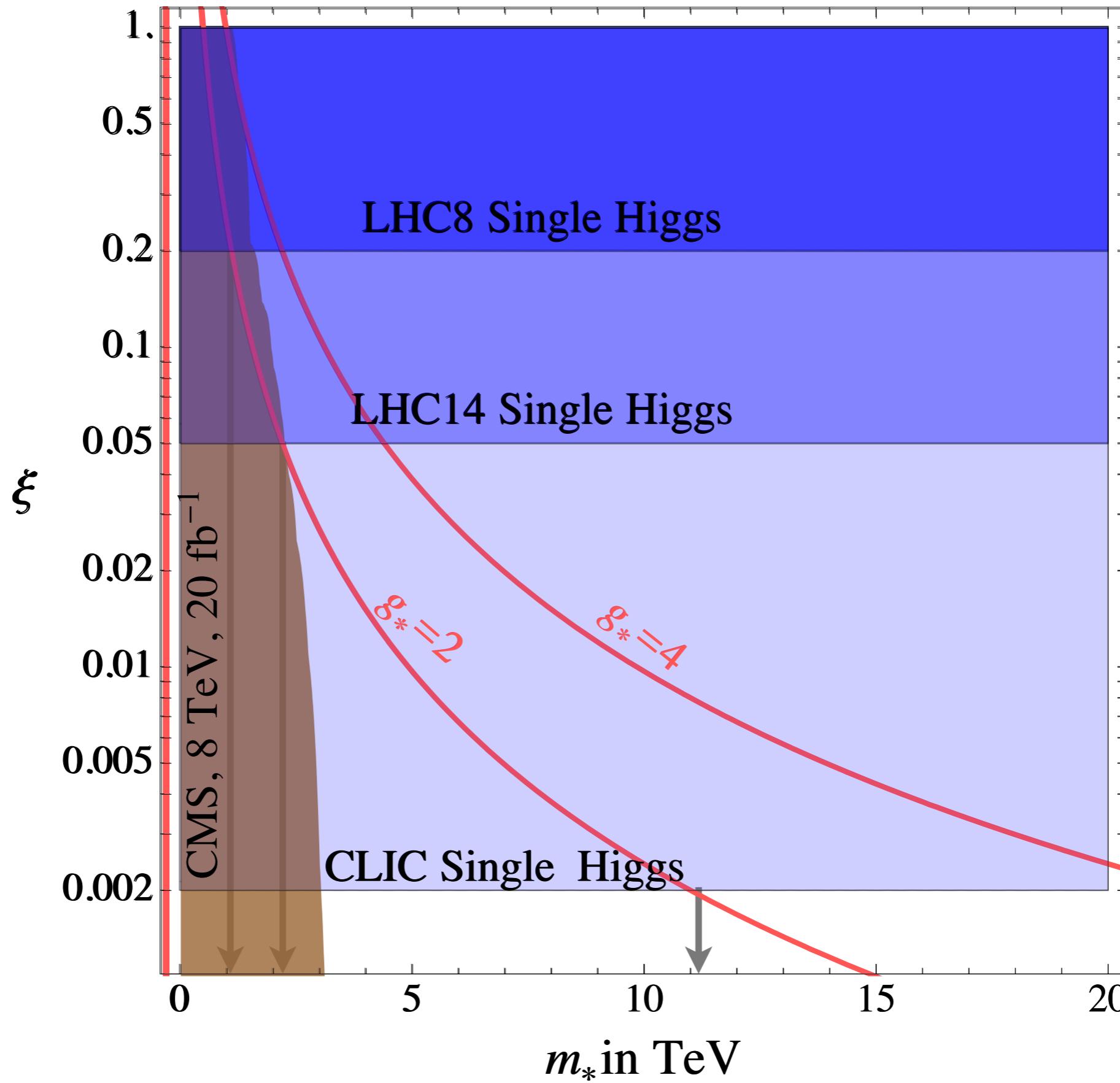
In the weakly strong scenario the reach of precision measurements matches the competing direct searches

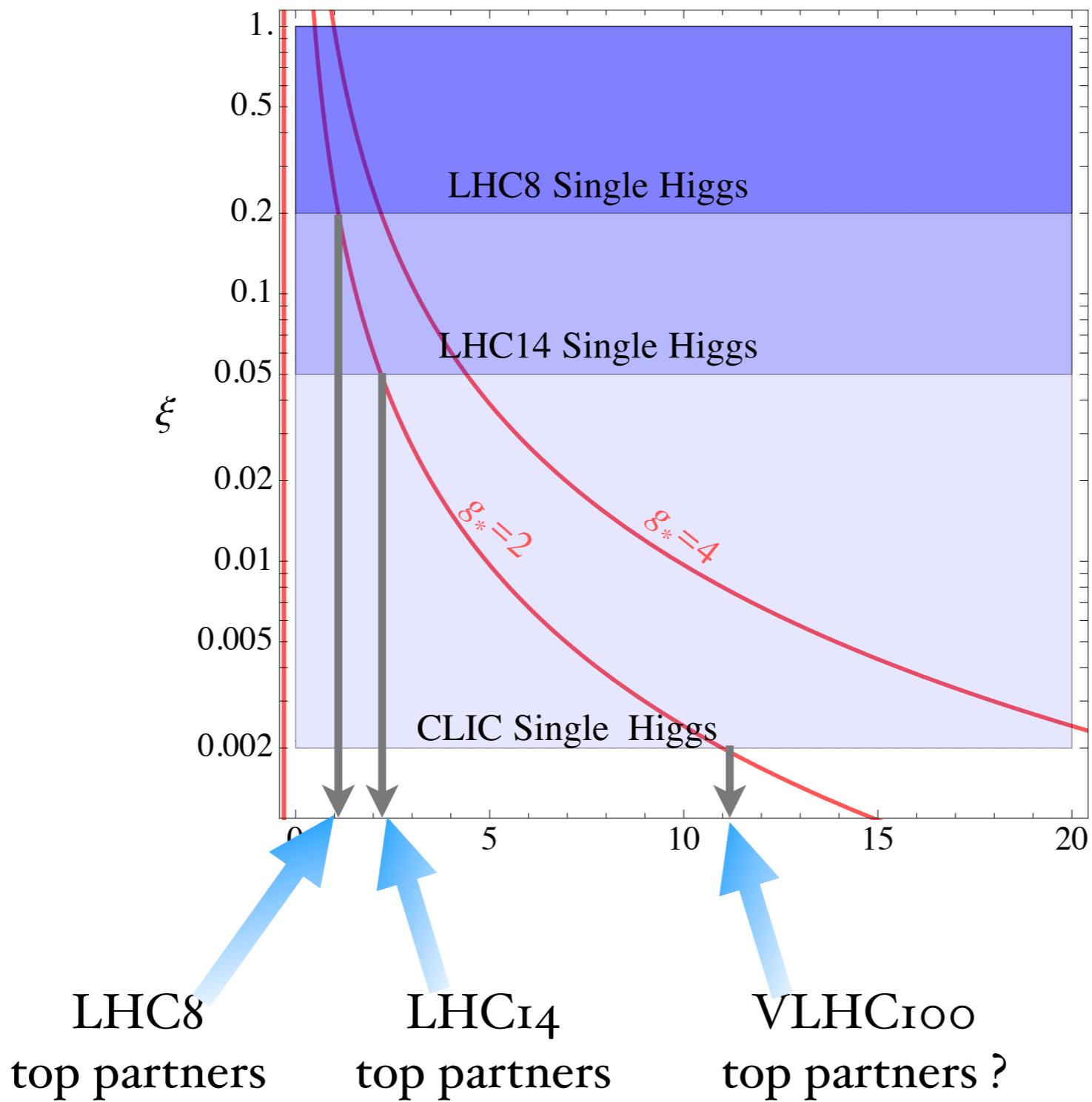


In the weakly strong scenario the reach of precision measurements matches the competing direct searches

In the moderately strong case CLIC may have some advantage

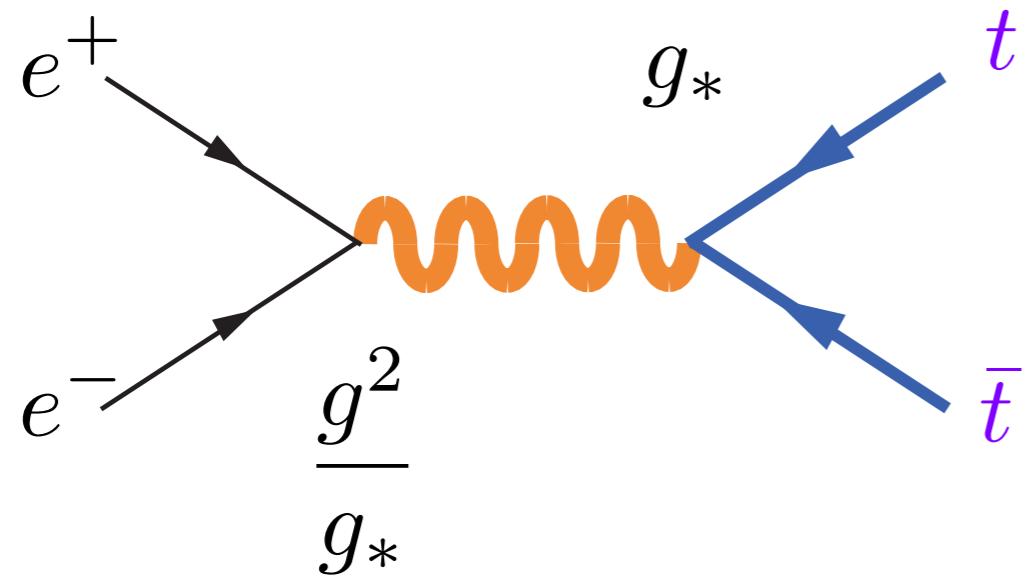
search for vectors in DY





In the weakly strong scenario the reach of precision measurements matches the competing direct searches

In the moderately strong case CLIC may have some advantage



$$\sim \frac{g^2}{g_*} \frac{1}{m_*^2} g_* \sim \frac{g^2}{m_*^2}$$

CLIC study estimates sensitivity

$m_* \sim 15 \text{ TeV}$

Battaglia et al., 2013

On the use of effective theory in WW-scattering

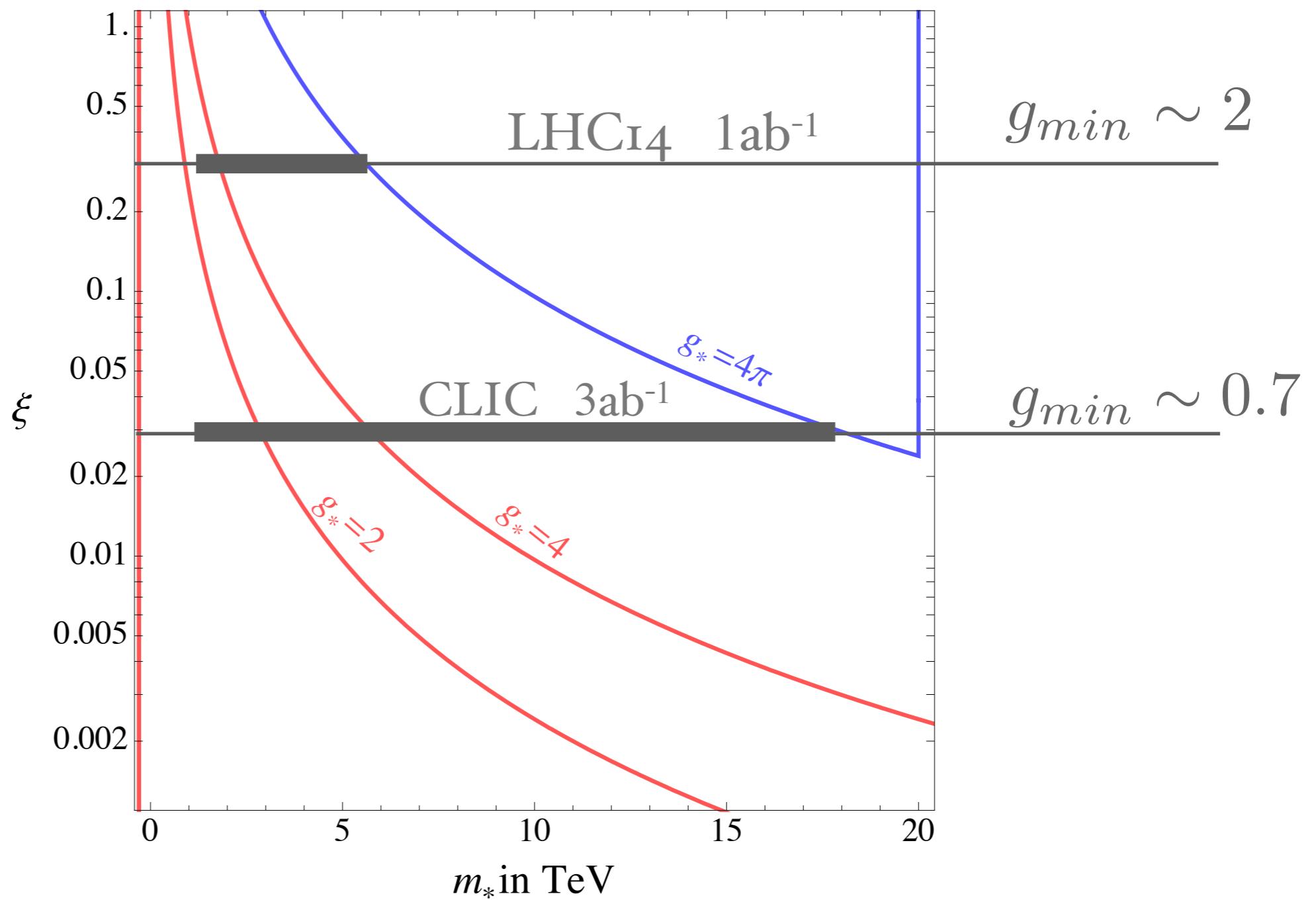
$$\mathcal{A}(2 \rightarrow 2) = \frac{s}{f^2} \left(1 + \frac{s}{m_*^2} + \dots \right) \leftarrow g_*^2 \frac{s}{-s + m_*^2}$$



$$\mathcal{A}(2 \rightarrow 2) = \frac{s}{f^2} \left(1 + \frac{1}{g_*^2} \frac{s}{f^2} + \dots \right)$$

a given collider is sensitive to $\frac{s}{f^2} > g_{min}^2$

when $g_{min}^2 > g_*^2$ resonances become essential

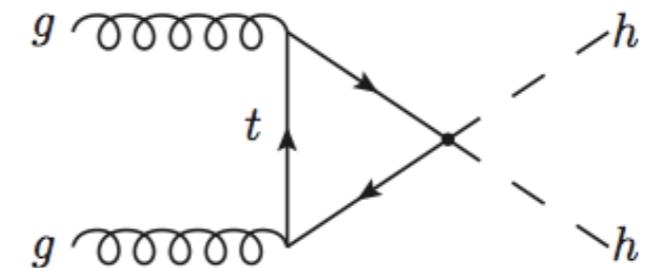
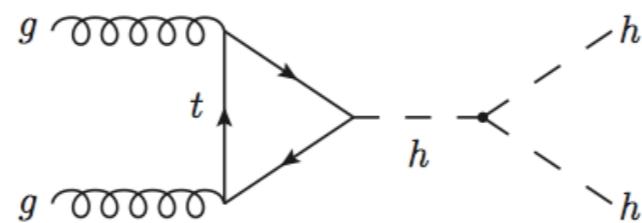
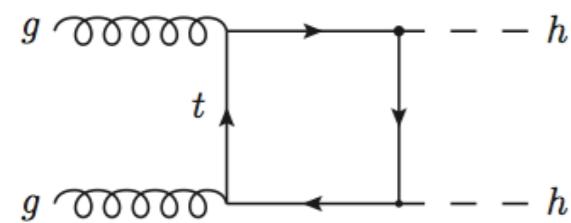
$WW \rightarrow WW$ $WW \rightarrow hh$ 

Roughly expect same g_{min} at LHC and 100 TeV pp

EFT approach: good rule of thumb, but disfavored by light Higgs

Would perhaps be worth considering reach of $gg \rightarrow hh$

LHC ab^{-1} : $\frac{v^2}{f^2} \sim 0.1$

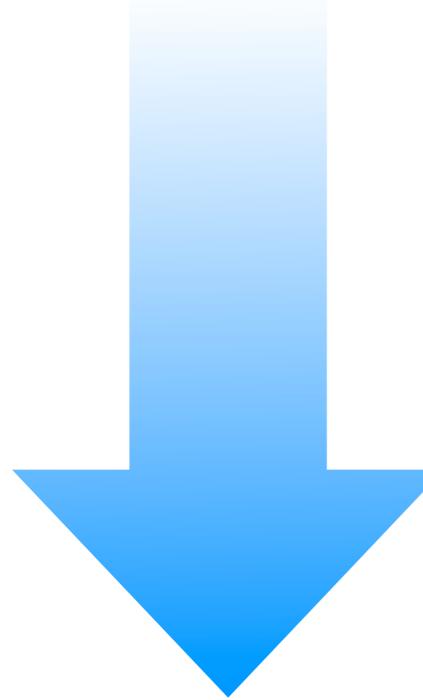


Grober, Muhlleitner 2010
Contino, Ghezzi, Moretti, Panico, Piccinini, Wulzer 2012

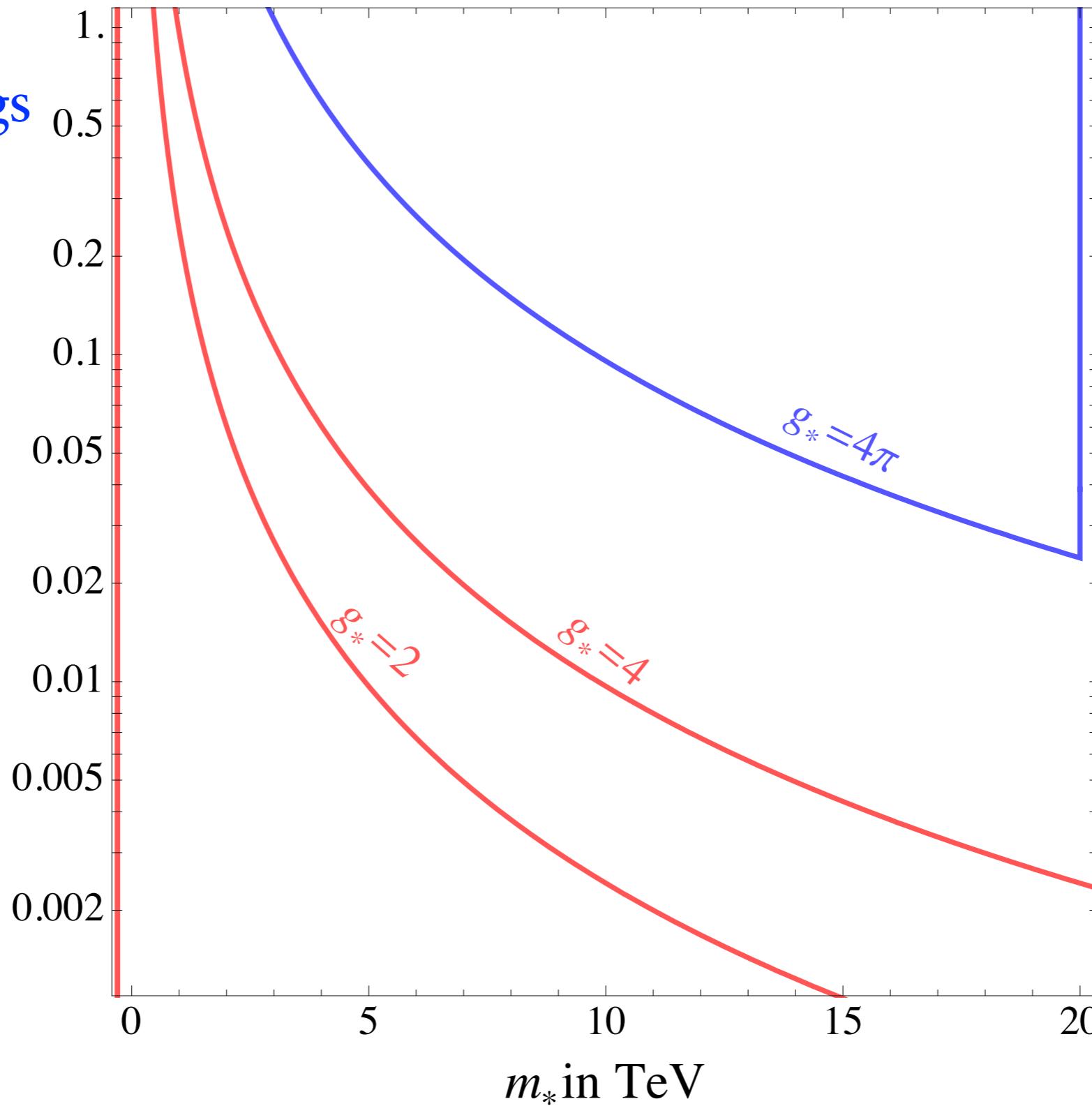
In conclusion...

- ◆ Strong -Weak duality : hadron colliders for weakly coupled theories and lepton colliders for strongly coupled ones
- ◆ 125 GeV Higgs speaks in favor of weaker than stronger dynamics (though fine tunings can always undo the favor)

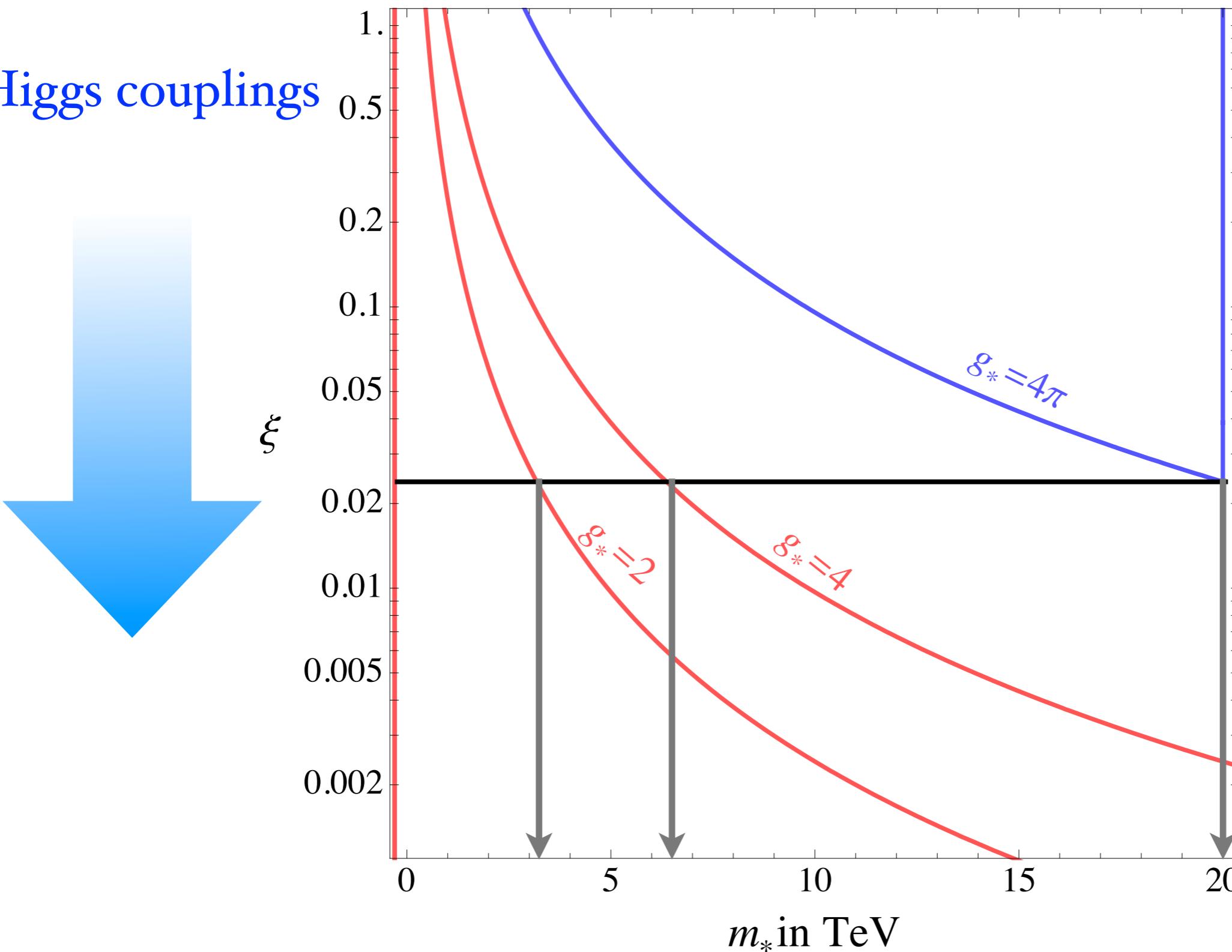
Higgs couplings



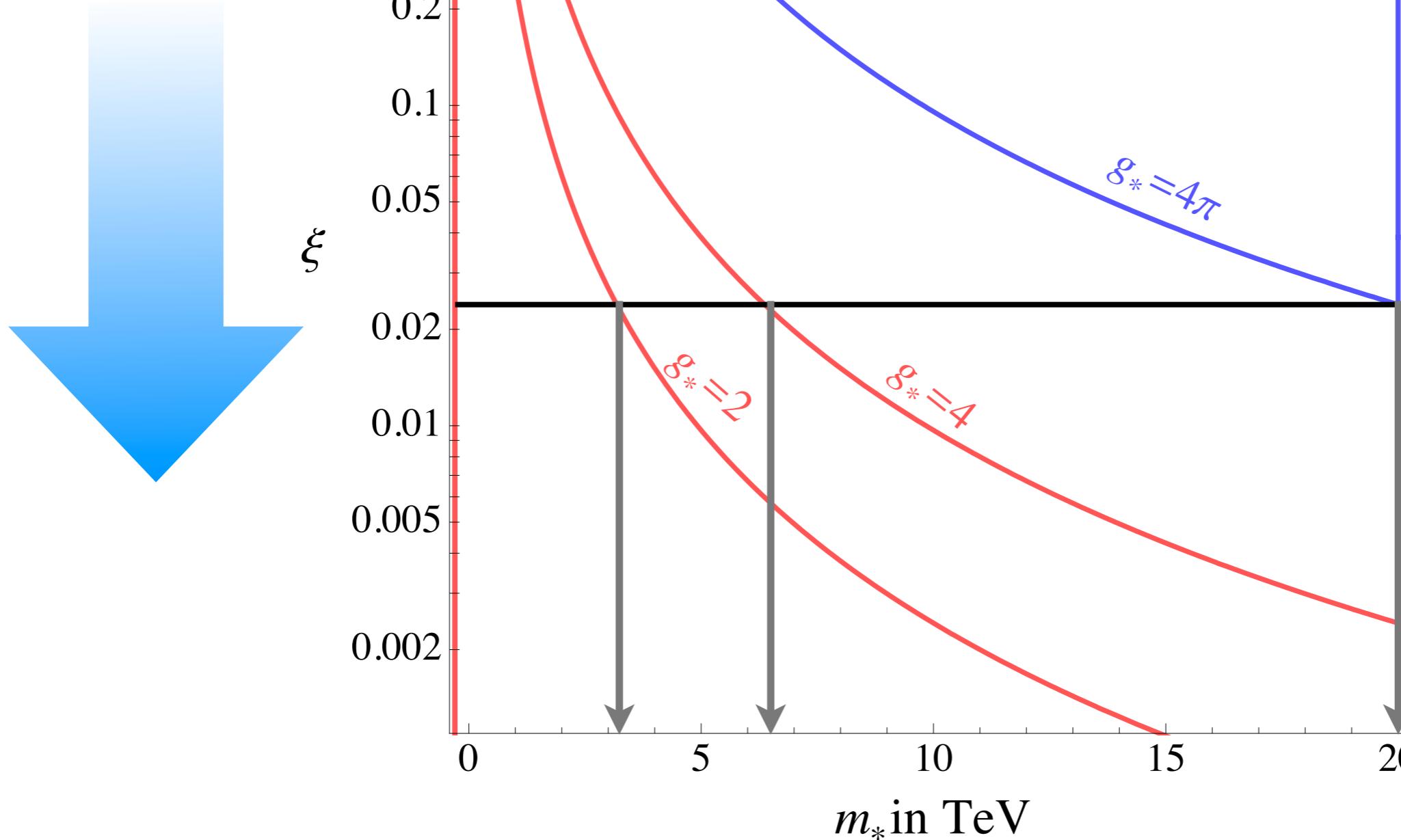
ξ



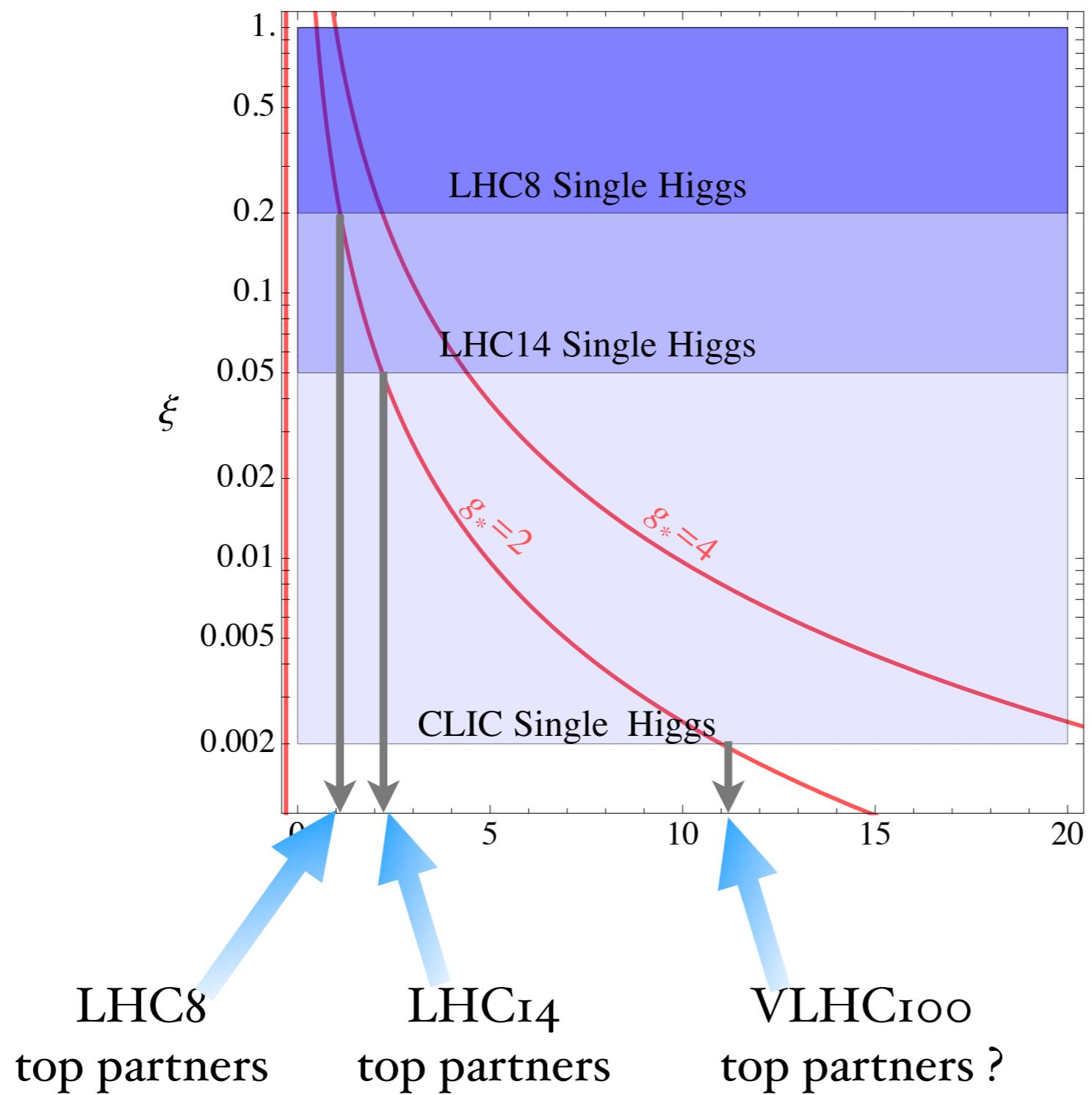
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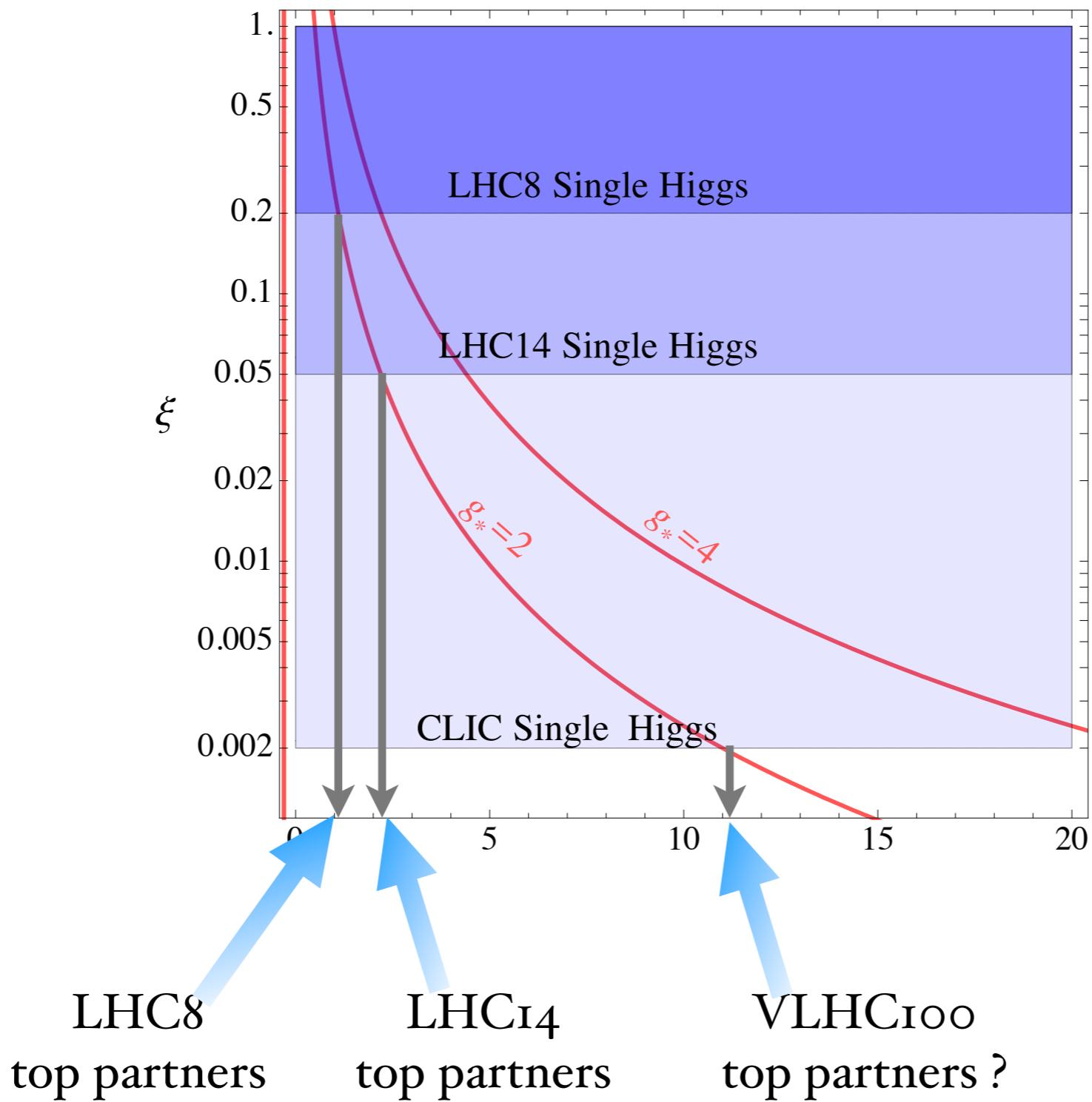


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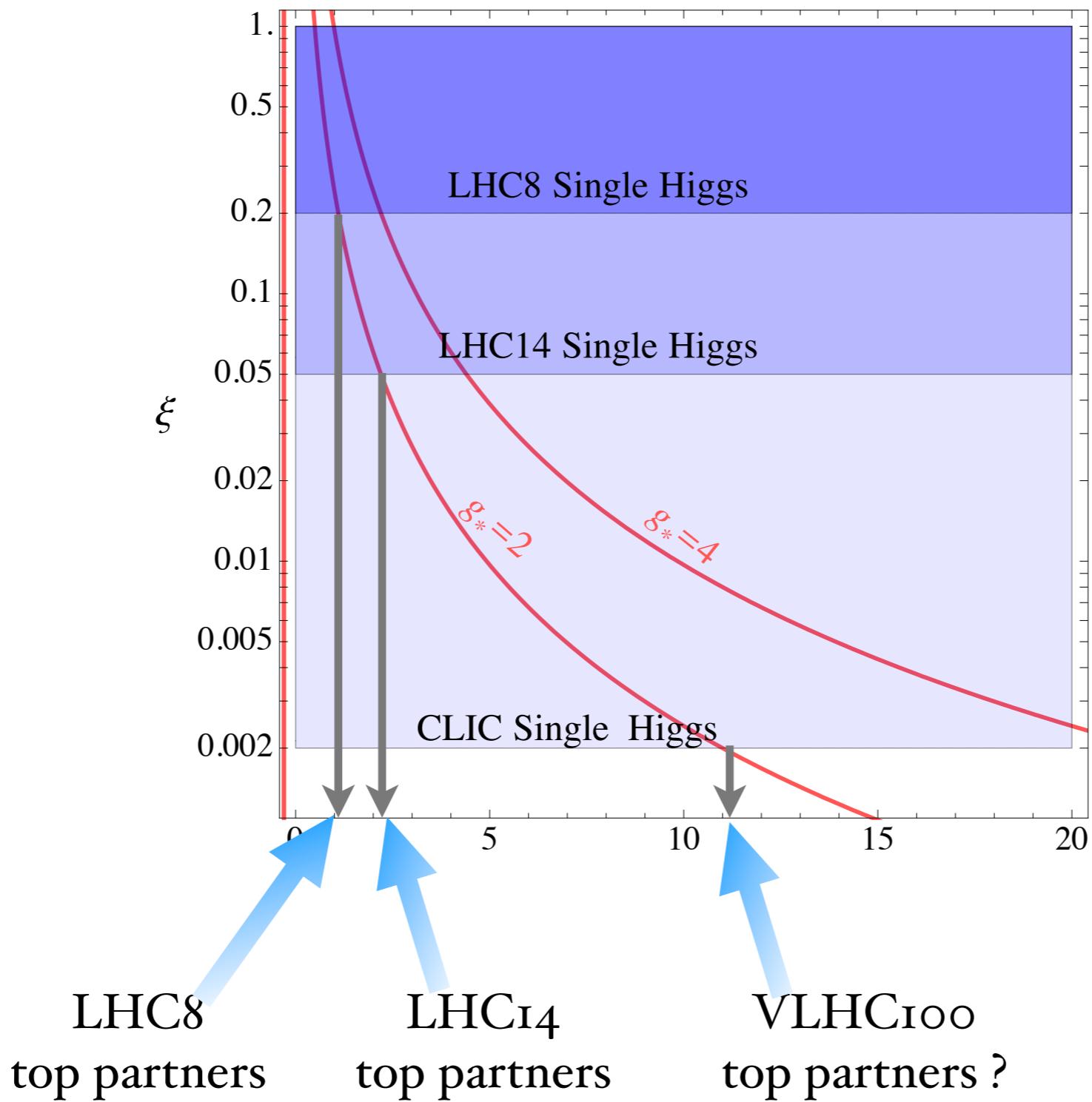


the weaker g_* the more relevant the direct searches at pp machine





In the weakly strong scenario the reach of precision measurements matches the competing direct searches



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In the moderately strong case CLIC may have some advantage