

Fibre Inflation

*High-Fibre models
from regular potentials*

String Pheno Workshop: CERN 2008

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with M. Cicoli and F. Quevedo



Outline

- String inflation
 - Why build models only a mother could love?
 - Gravity waves and stringy signals?
- Fibre Inflation and the LVS
 - Inflating with moduli
- Inflationary Observables
 - Correlations between r and n_s ; gravity waves;...

String Inflation

- What might one hope to learn?
 - about strings
 - about inflation

String Inflation

- *What*
hope
 - *ab*
 - *ab*

String Theory: a theory in search of observational tests

Inflation: successful phenomenology seeking an underlying theory

String Inflation

- What
hope
- ab
- ab

Happy Valentine's Day !

From *Physical Review D* Personal ads:

Mature paradigm with firm observational support seeks a fundamental theory in which to be embedded. No loop quantum gravity theories, please. Contact alan@mit.edu.

Elegant theory of everything desires to explore the landscape with a phenomenon in the hope that it will lead to a prediction. Let's get physical! Contact ed@ias.edu.



... Rocky Kolb

String Inflation

- *What*
hope
 - *ab*
 - *ab*



Difficult to identify where we live within the string landscape. Seek ‘modules’ encoding low-energy features: standard model; dark energy; inflation; ...

String Inflation

- *What hope*

- *ab*
- *ab*

Inflation provides a good description of primordial fluctuations as seen in the CMB: a rare observational window on physics at high energies?

Wish to know from string theory:

How hard is it to get flat enough potentials?

Does embedding into string theory carry observational implications?

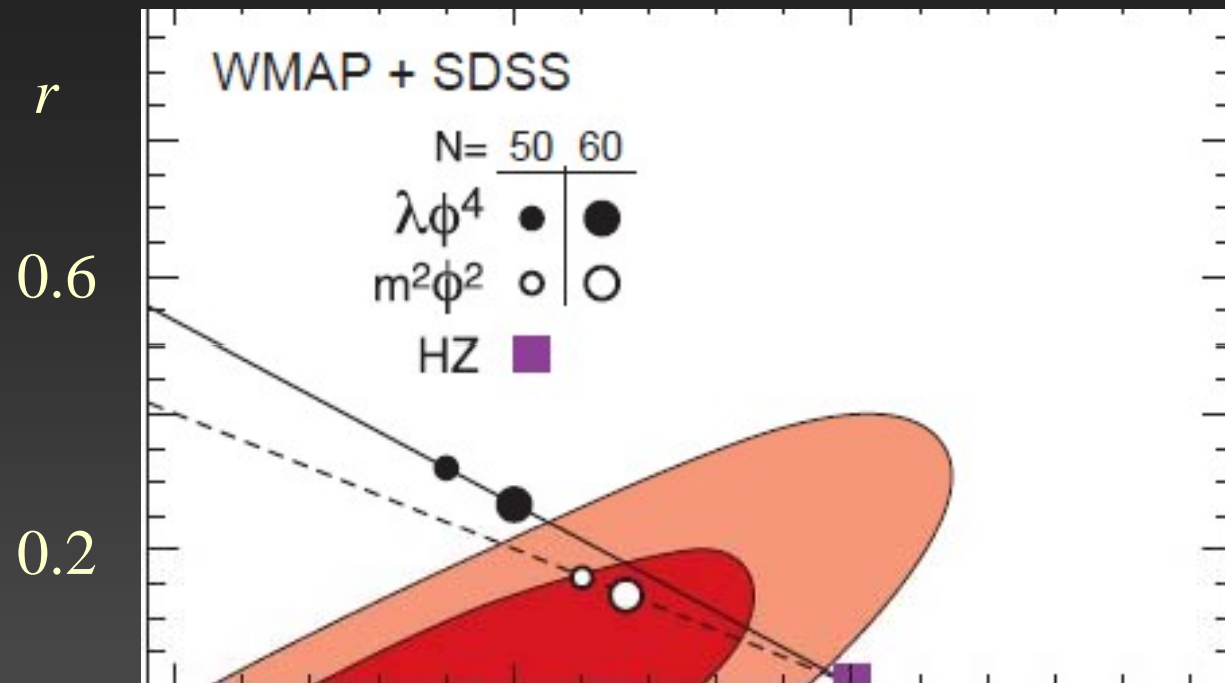
How does reheating work?

etc...

String Inflation

WMAP

- *What hope*
- *ab*
- *ab*



Seek: stringy inflationary signatures

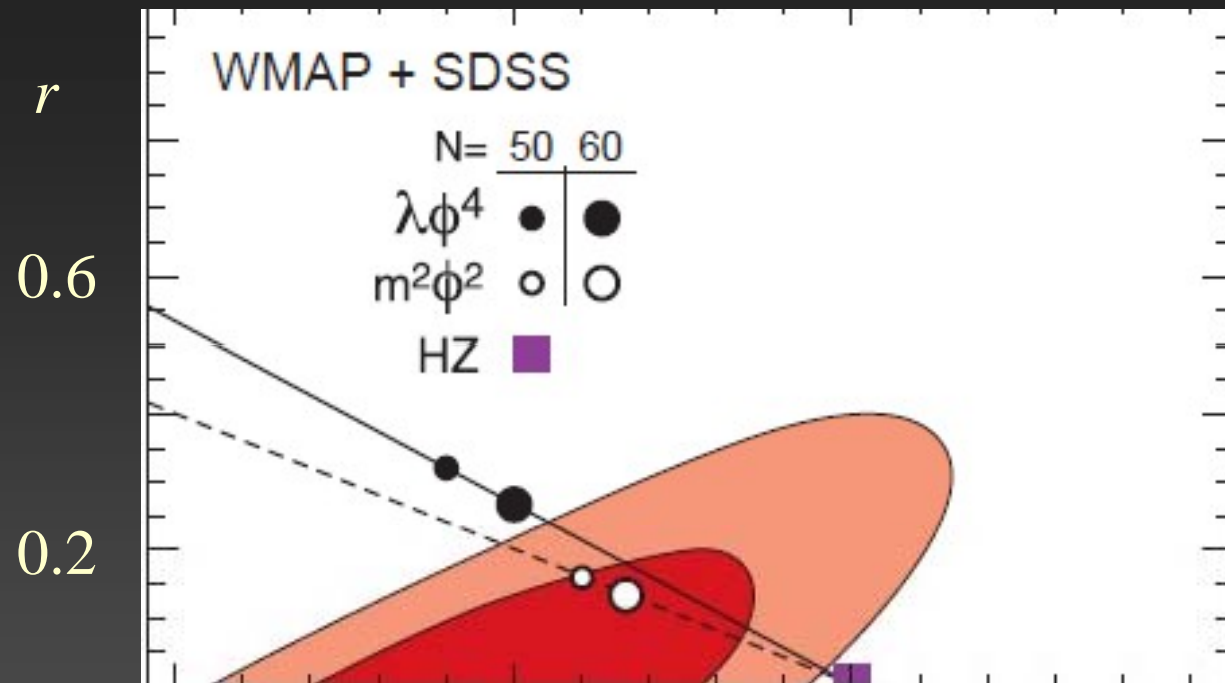
n_s

Because inflation is found in 4D effective theory,
predictions tend to follow 4D mechanisms

String Inflation

WMAP

- *What hope*
- *ab*
- *ab*



Seek: stringy inflationary signatures

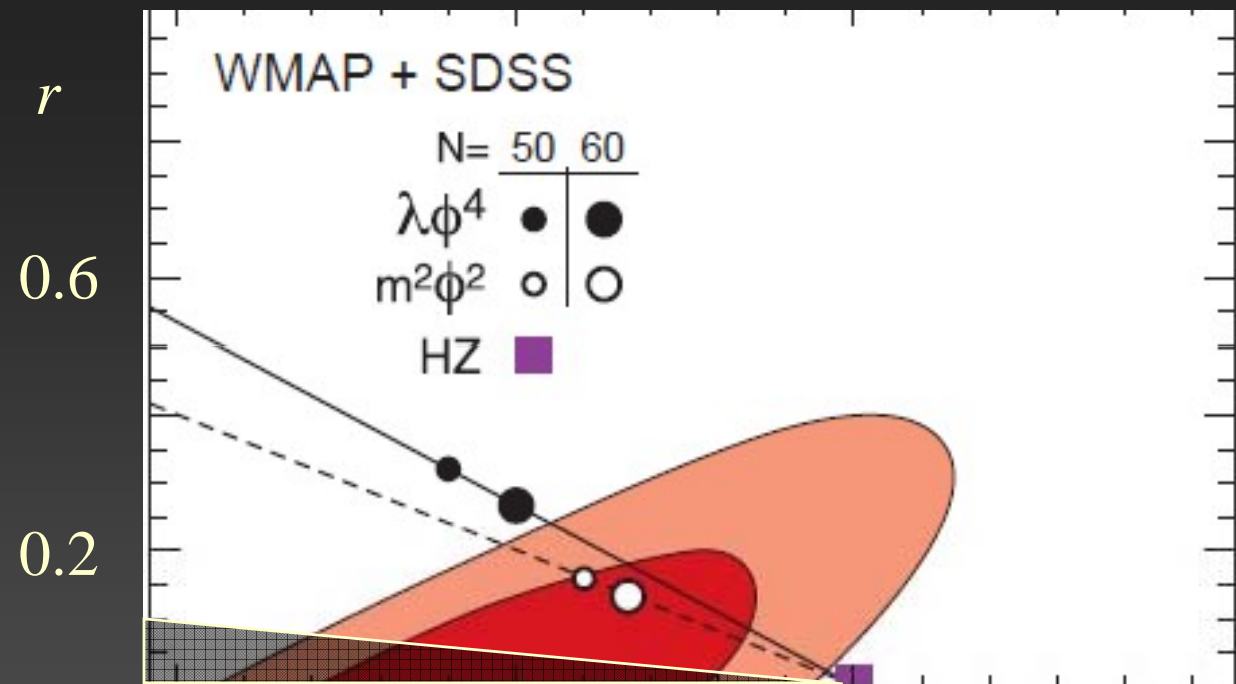
n_s

Could hope that string inflation provides only a subset of the possible 4D inflationary possibilities.

String Inflation

WMAP

- *What hope*
- *ab*
- *ab*



Small-field models

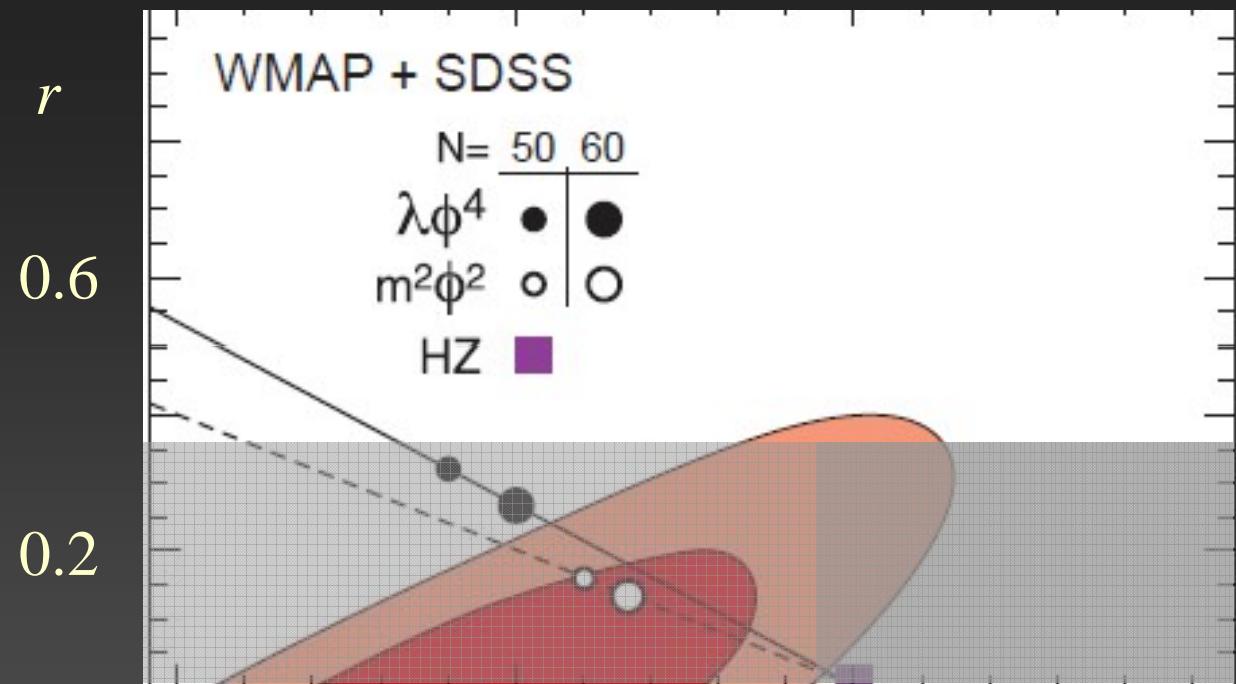
Hybrid models

Large-field models

String Inflation

WMAP

- What hope
- ab
- ab



Small-field models

Hybrid models

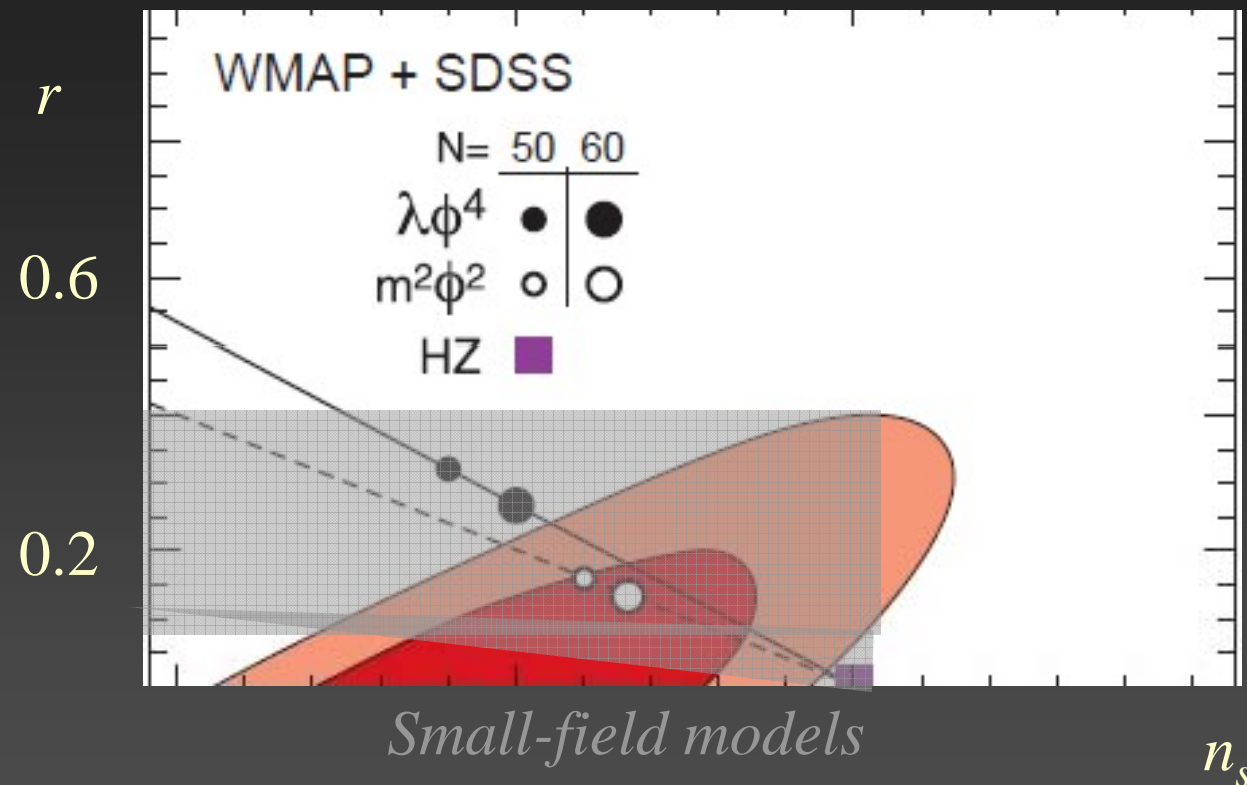
Large-field models

n_s

String Inflation

WMAP

- What hope
- ab
- ab



Small-field models

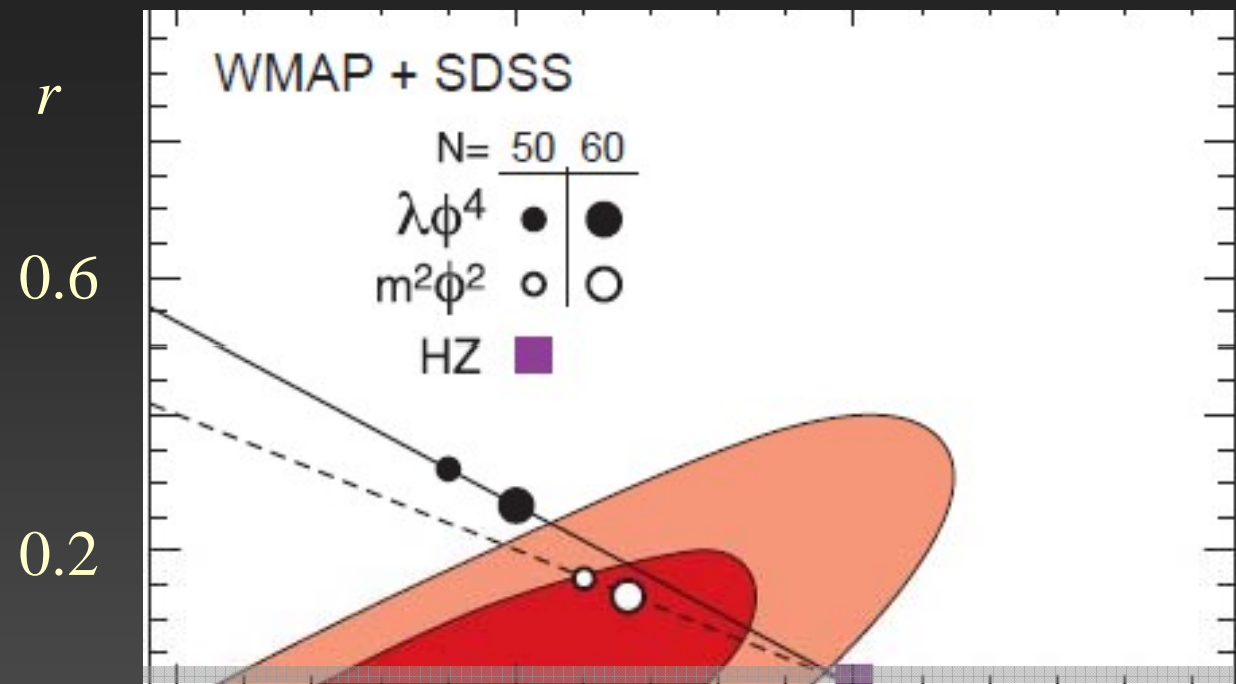
Hybrid models

Large-field models

String Inflation

Linde & Kallosh
Baumann & McAllister

- *What hope*
- *ab*
- *ab*



n_s

Strings: small tensor amplitude?

String Inflation

Lyth

- W
- h

$$r = 16\epsilon = \frac{8}{N_{eff}^2} \left(\frac{\Delta\phi}{M_p} \right)^2$$

$$N_{eff}^2 = \frac{8}{r} \int \left(\frac{\dot{\phi}}{HM_p} \right)^2 H dt \approx N_e^2$$

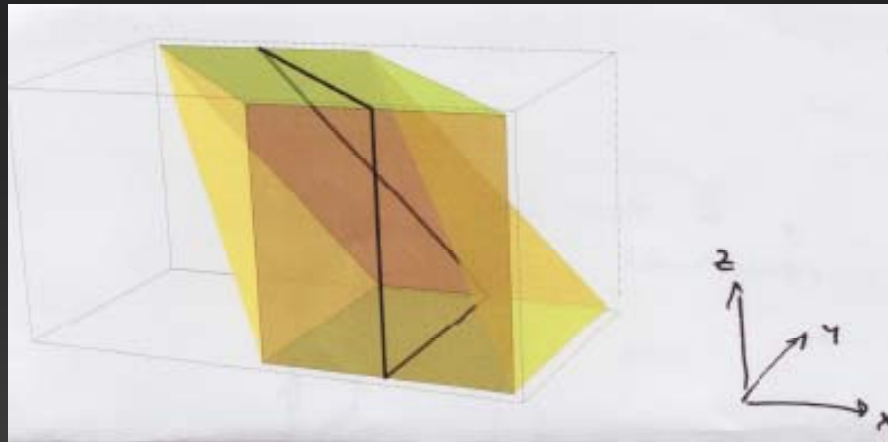
Appears difficult to obtain large $\Delta\phi / M_p$

Strings: small tensor amplitude?

Emerging Picture

*Silverstein & Westphal
McAllister, Silverstein & Westphal*

- Mech
- *Robu*
- Minc



First attempts to get large field range:

Type IIA: brane motion wrapped on a twisted torus.

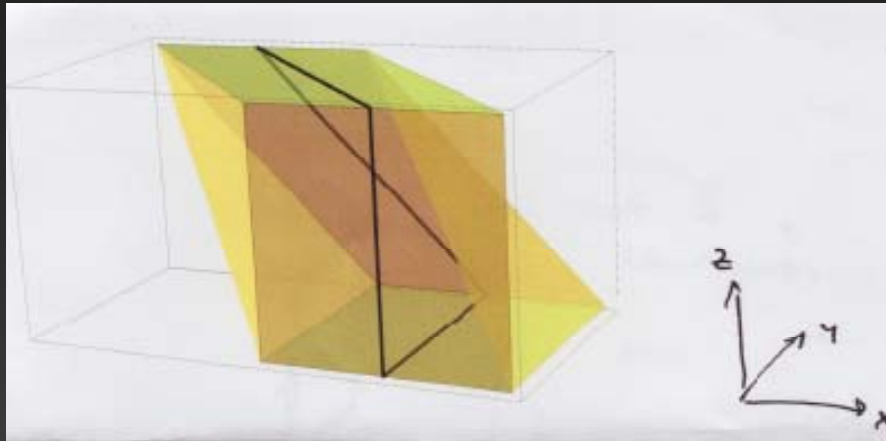
Type IIB: aperiodic B_{mn} fields

Emerging Picture

*Silverstein & Westphal
McAllister, Silverstein & Westphal*

- Mech

- Robu



- M

Within the domain of low-energy effective theory?

$$\dot{\phi} \approx \sqrt{\epsilon} M_s^2$$

Fibre Inflation

- The Large Volume Scenario
- Inflation in the LVS

Fibre Inflation

Covi, Gomez-Reino, Gross, Louis, Palma & Scrucça

- The
Scen

Searches over the years for accelerating cosmologies in 4D and extraD supergravities lead instead to strong no-go results.

Leading order in g_s and α' often give no-scale models for moduli (eg Kahler moduli in Type IIB).

- Infla

The flat potentials of no-scale models tend lie on the boundary of the no-go results; eg:

$$R(f^i) = \frac{2}{n} < \frac{2/3}{1 + H^2 / m_{3/2}^2} \quad (n=3 \text{ for no-scale models})$$

Fibre Inflation

- The
Scen

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Suggests looking for inflation starting with no-scale moduli but including subleading g_s and α' terms.

Fibre Inflation

Becker, Becker, Haack & Louis

- The
Scen

In 4D string loops and α' corrections are suppressed (in Einstein frame) by powers of 6D volume, $V^{-1/3}$.

$$\frac{1}{g_s^2} \sqrt{-g} g^{\mu\nu} R_{\mu\nu} \left[1 + \alpha'^3 (g^{mn} R_{mn})^3 \right] + \dots$$

- Infla

$$\sqrt{-g} g^{\mu\nu} R_{\mu\nu} \left[1 + \frac{\xi}{g_s^{3/2} V} \right] + \dots$$

$$K \approx -2 \ln \left(V + \frac{\xi}{2 g_s^{3/2}} \right) + \dots$$

Fibre Inflation

*Balasubramanian, Berglund,
Conlon & Quevedo*

- The
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Given several Kahler moduli, $\tau_b \gg \tau_s$, correction to K together with superpotential $W = W_0 + A e^a \tau_s$ can stabilize V at a very large volume minimum

$$\tau_s \approx \left(\frac{\xi}{g_s^{3/2}} \right)^{2/3} \propto \frac{1}{g_s}$$

- Infla

$$V \approx W_0 \sqrt{\tau_s} e^{a\tau_s} \propto W_0 e^{a\xi^{2/3} / g_s}$$

Essentially any large volume is possible for a small range of τ_s .

Fibre Inflation

Conlon & Quevedo

- The
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Potential has naturally weak dependence on any other large moduli $\tau_b \gg \tau_i \gg \tau_s$ with $V \sim V(\tau_b, \tau_i)$.

If
$$W \approx W_0 + A e^{-a\tau_s}$$

- Infla

then
$$U \approx \frac{\sqrt{\tau_s}}{V} e^{-2a\tau_s} - \frac{W_0 \tau_s}{V^2} e^{-a\tau_s} + \frac{\hat{\xi} W_0^2}{V^3}$$

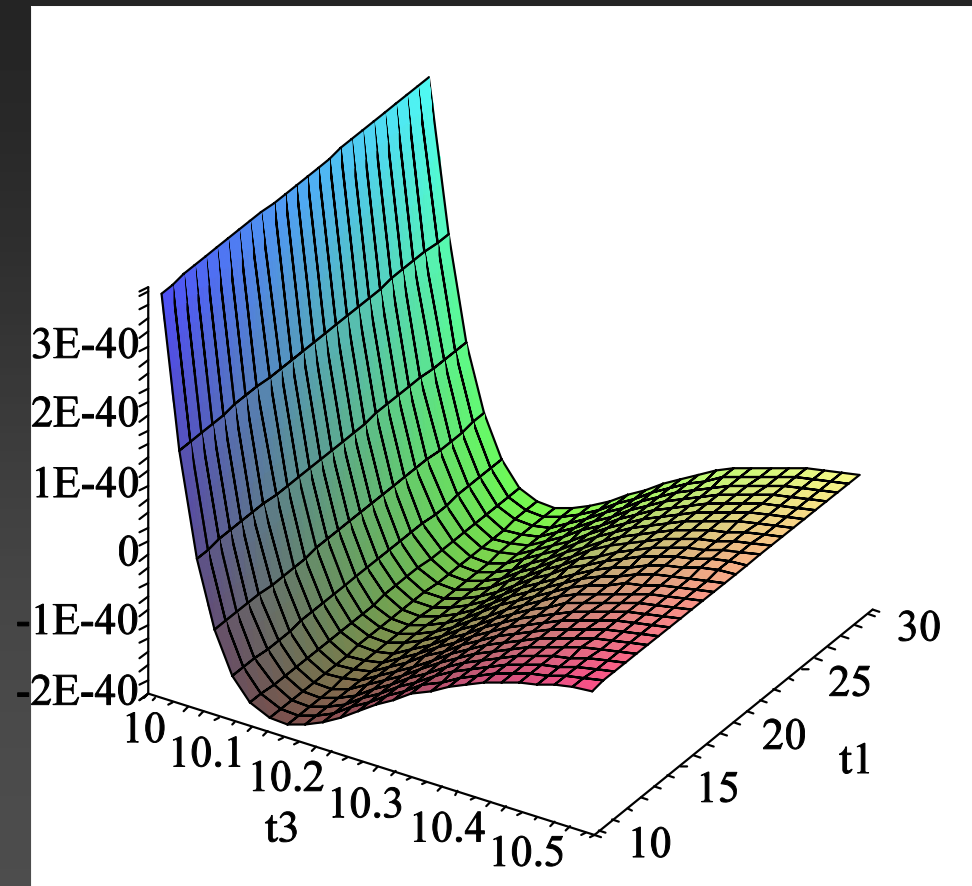
up to $1/V$ and $\exp[-a\tau_i]$ and $\exp[-a\tau_b]$ terms

Fibre Inflation

Conlon & Quevedo

- The
Sce
- Infl

her



up to $1/v$ and $\exp[-a \tau_i]$ and $\exp[-a \tau_b]$ terms

Fibre Inflation

Conlon & Quevedo

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Scen

Kahler modulus inflation: *inflaton potential obtained by keeping terms that are of order $\exp[-a\tau_i]$*

$$\delta U \approx \frac{\sqrt{\tau_i}}{V} e^{-2a\tau_i} - \frac{W_0 \tau_i}{V^2} e^{-a\tau_i} + \frac{\hat{\xi} W_0^2}{V^3}$$

- Infla

Slow roll naturally arises when τ_i is displaced to large values from its minimum.

$$\varphi \approx \tau_i^{3/4} V^{-1/2}$$

Fibre Inflation

Cicoli, Conlon & Quevedo
Cicoli, CB & Quevedo

- The
Scen

Fibre inflation: *inflaton potential dominated by subleading $1/V \sim \exp[-a \tau_s]$ corrections rather than by $\exp[-a \tau_i]$ corrections.*

Such corrections arise in the leading string loops, since $U_{tree} \sim V^3$ while $U_{loop} \sim V^{-10/3}$.

- Infla

It turns out that such loops can also compete with the $\exp[-a \tau_i]$ terms and so can ruin slow roll of Kahler Modulus Inflation.

Fibre Inflation

*Berg, Haack & Pajer
Cicoli, Conlon & Quevedo*

- The
Scen

String loop potential: *explicit 1-loop contributions have only been computed on orbifolded tori. Most of the potential's complication lies in its dependence on the complex structure moduli.*

- Infla

Dependence on Kahler moduli can be inferred using educated guesses based on kinds of loops that enter (KK tree exchange, loops of winding states, etc).

$$\delta K \approx V^{-1} \left(\tau^{1/2} + \tau^{-1/2} + \dots \right)$$

Fibre Inflation

*Berg, Haack & Pajer
Cicoli, Conlon & Quevedo*

- The
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Potentially dangerous terms *drop from the potential!*

Fibre Inflation

*Berg, Haack & Pajer
Cicoli, Conlon & Quevedo*

- The
Scen

Kahler Modulus dependence of string loops:

KK tree exchange

$$\delta K \approx V^{-1} \sum_i \frac{C_i}{m_{KK}^2} \approx V^{-1} \sum_i C_i a_{ij} t^j$$

- Infla

Loop of winding states

$$\delta K \approx V^{-1} \sum_i \frac{\tilde{C}_i}{m_W^2} \approx V^{-1} \sum_i \frac{\tilde{C}_i}{\tilde{a}_{ij} t^j}$$

Fibre Inflation

*Berg, Haack & Pajer
Cicoli, Conlon & Quevedo*

2-cycle transverse to D7

2-cycle of intersecting D7s

dependence of string loops:

$$\sum_i \frac{C_i}{m_{KK}^2} \approx V^{-1} \sum_i C_i a_{ij} t^j$$

tates

$$\delta K \approx V^{-1} \sum_i \frac{\tilde{C}_i}{m_W^2} \approx V^{-1} \sum_i \tilde{C}_i \tilde{a}_{ij} t^j$$

Fibre Inflation

Cicoli, CB & Quevedo

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Scen

A Specific Model: *Choose a Calabi-Yau that is a K3 fibration plus a blow-up modulus, with $\tau_2 \gg \tau_1 \gg \tau_3$*

$$V = (at_1 + bt_2)t_2^2 + ct_3^2 = \sqrt{\tau_1}(\tau_2 - \tau_1) + \tau_3^{3/2}$$

take leading corrections to W:

$$W \approx W_0 + Ae^{-a\tau_3}$$

- Infla

add leading α' and string loop corrections to K:

$$K \approx -2 \ln V - \frac{\hat{\xi}}{V} + \frac{C_1}{\tau_3^{1/2}} + \frac{C_1}{\tau_1^{1/2}} + \frac{C_1 \tau_1^{1/2}}{\tau_2} + \tilde{C}_{12} \tau_1^{1/2}$$

Fibre Inflation

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Scen

Potential at leading order:

stabilizes $\tau_3 \sim g_s^{-1}$ and $V \sim \exp[a\tau_3]$

Potential at next-to-leading order:

acquire potential in $\tau_1 \sim \exp[2\varphi/\sqrt{3}]$

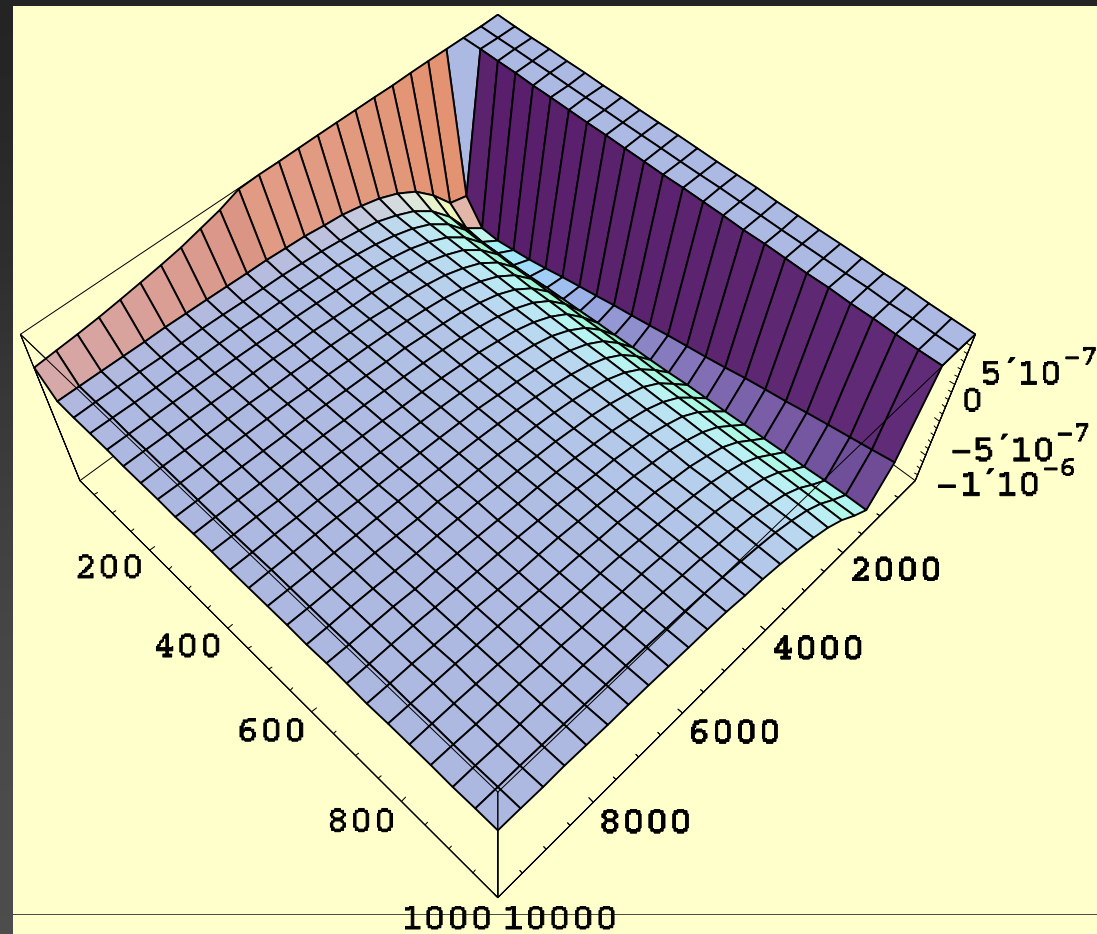
- Infla

$$U \approx \frac{C}{V^{10/3}} \left(3 - 4e^{-\varphi/\sqrt{3}} + e^{-4\varphi/\sqrt{3}} \right)$$

Natural slow roll once $\varphi \gg 1$, but boundary at $\varphi \ll 6$.

Fibre Inflation

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Fibre Inflation

- The
Scen

Potential at leading order

only one free parameter!

stabilizes $\tau_3 \sim g_s^{-1}$ and $V \sim \exp[\alpha \tau_3]$

Potential at next-to-leading order:

acquire potential in $\tau_1 \sim \exp[2 \varphi / \sqrt{3}]$

- Infla

$$U \approx \frac{C}{V^{10/3}} \left(3 - 4e^{-\varphi/\sqrt{3}} + e^{-4\varphi/\sqrt{3}} \right)$$

Natural slow roll once $\varphi \gg 1$, but boundary at $\varphi \ll 6$.

Fibre Inflation

- The
Scen

Higher loops?

likely to introduce singularity at boundary $\varphi \sim 6$

guess:
$$\delta K_{2loop} \approx \frac{\delta K_{1loop}}{t_1^2}$$

- Infla

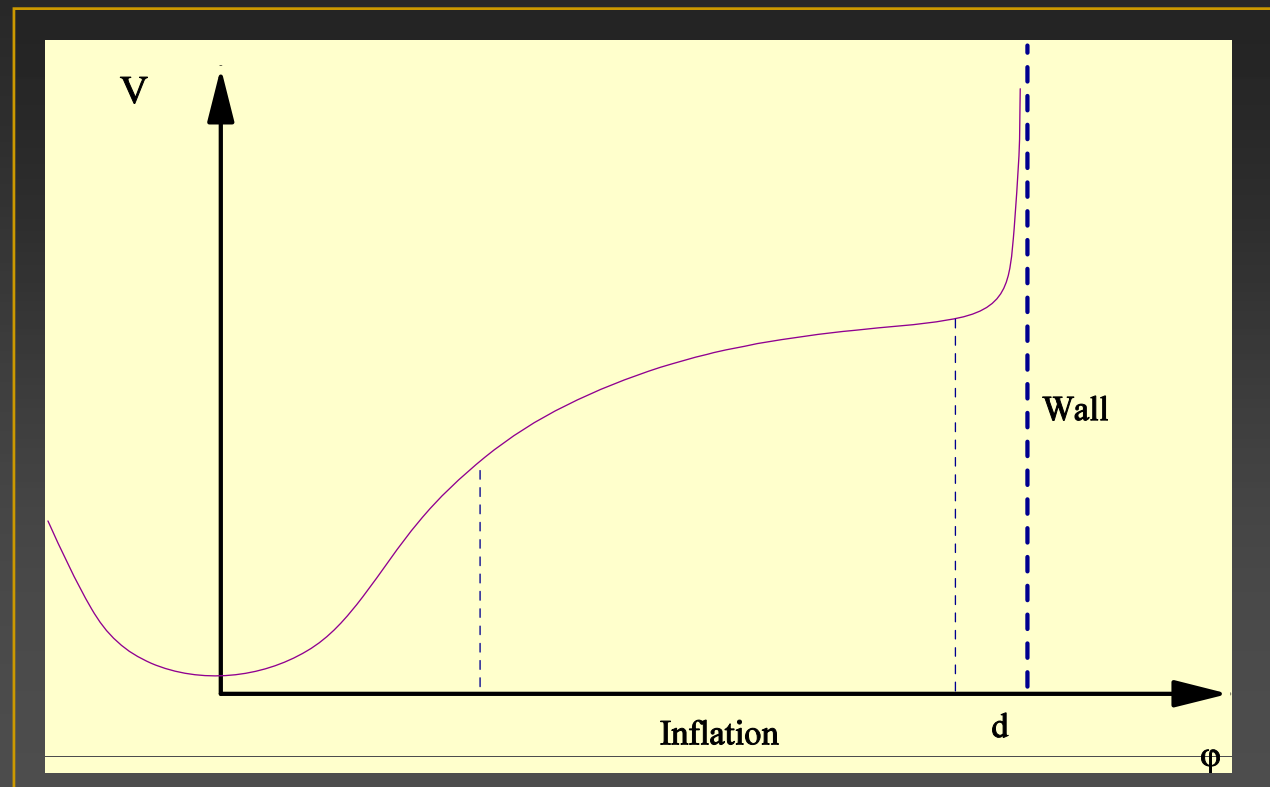
*for $O(1)$ coefficients, ratio of 2-loop to 1-loop terms
is negligible when $\varphi < 5.9$*

Fibre Inflation

Cicoli, CB & Quevedo

- The
Scen
- Infla

Higher loops?



ms

Inflationary Observables

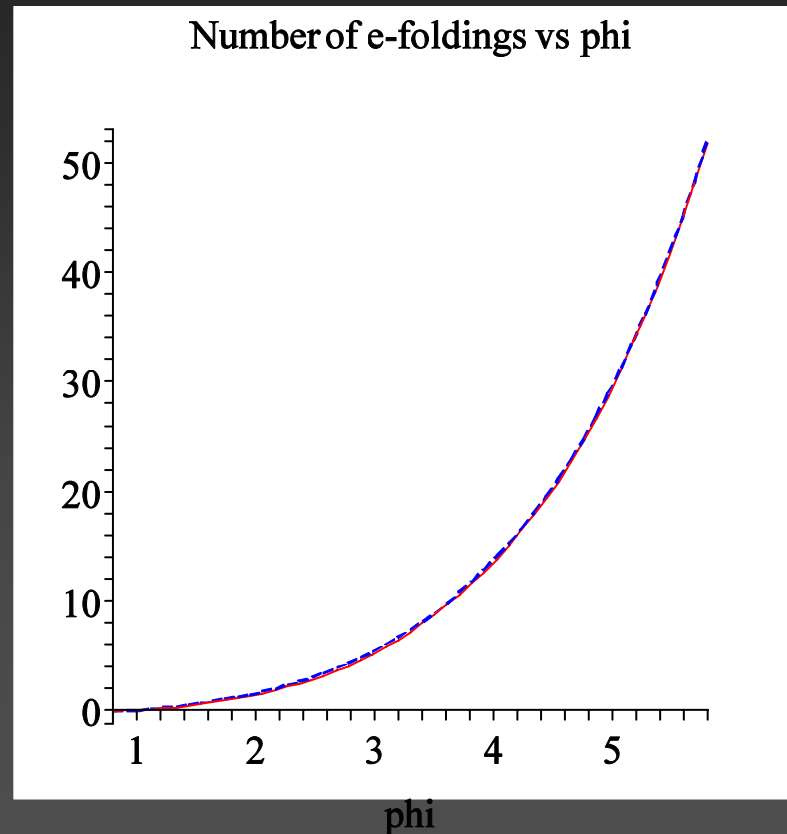
- Robust features
- More model dependent results

Inflationary Observables

- Robust

Slow roll parameters depend only on N_e

- More
depe

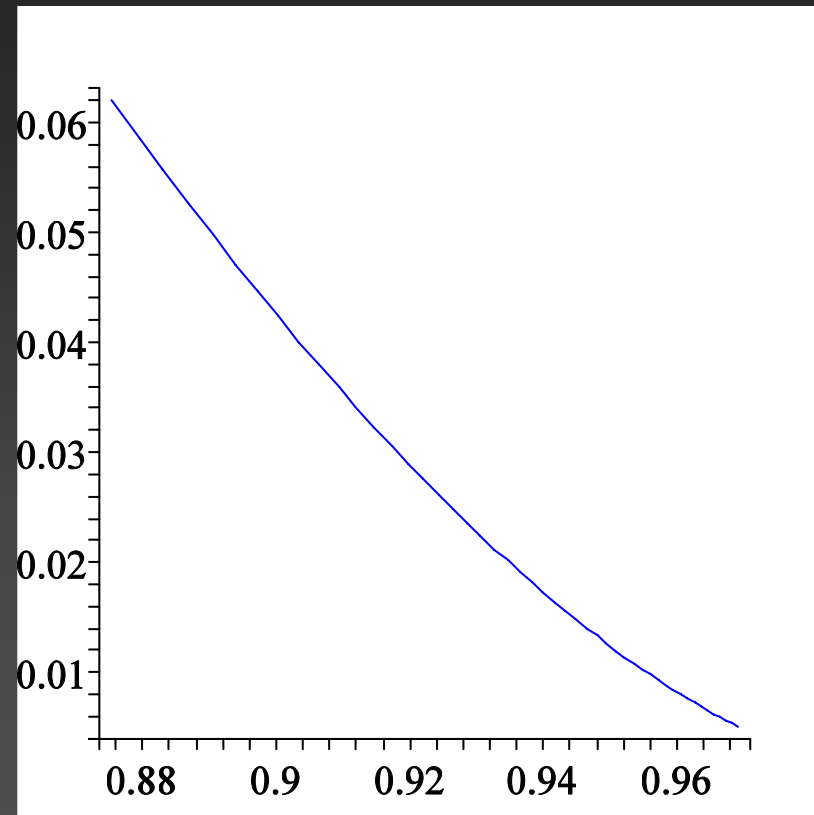


Inflationary Observables

- Robust

Correlates r and n_s like for large-field models.

- More
depe

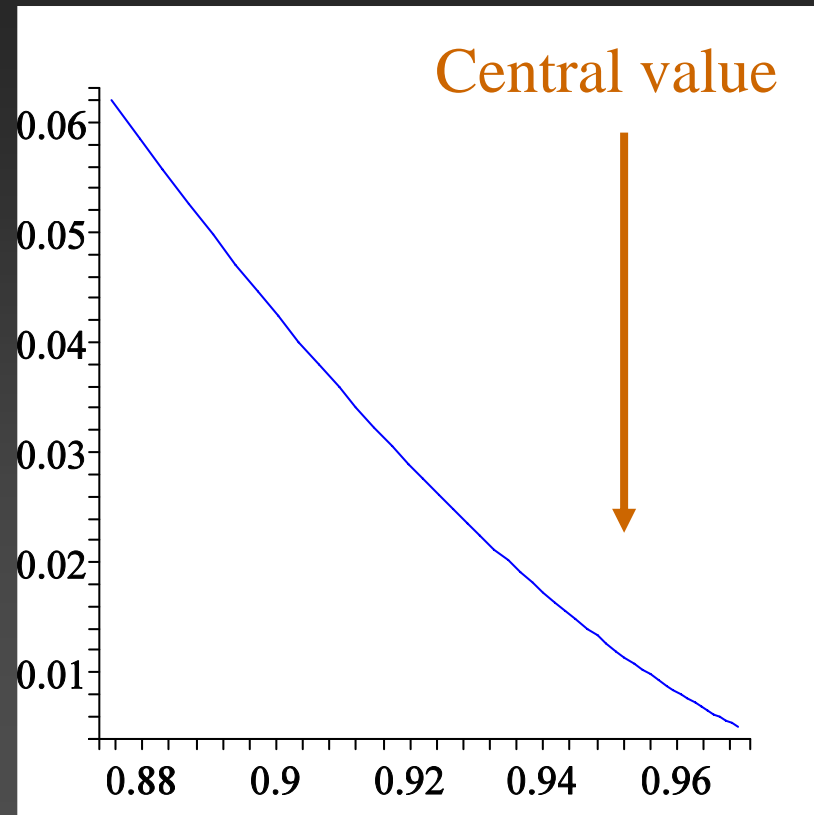


Inflationary Observables

- Robust

Correlates r and n_s like for large-field models.

- More
depe



Inflationary Observables

- Robust

Getting large enough scalar perturbations requires volumes of order $V \sim \text{few thousand}$

- More dependent

Never get much more than 50-60 e-foldings, so might expect to see imprints of onset of inflation at horizon exit.

Slowness of roll does not require tuning of parameters in the potential, but does require initial conditions relatively near to the edge of the Kahler cone

Summary

- Systematic large volume expansions seem able to provide slow roll regimes with less tuning than most inflationary scenarios.
- Fibre inflation models can allow trans-Planckian excursions of the inflaton, and so can accommodate observably large r

Many thanks to the Organizers!!

- *Angel Uranga*
 - *The TH administrative staff (Nanie, Nadjie & Jean)*
- Ignatio Antoniadis
- Elias Kiritsis
- Fernando Quevedo
- Herman Verlinde

fin

