

# Boosted Boson Tagging

*The ATLAS perspective*

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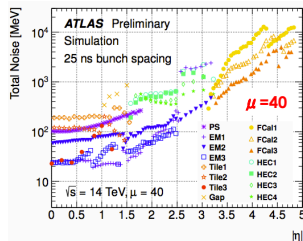


The purpose of this session is to have a lively discussion! We have prepared these slides to help guide the conversation, but by no means are we bound to this outline.

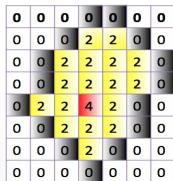
- Jet inputs
  - Topological Clusters
- Jet reconstruction and grooming
  - $R = 0.4$  anti- $k_t$  is the standard. Many variants with anti- $k_t$  and C/A
- Correcting jets - calibration and PU removal
  - Areas Subtraction; Jet Vertex Fraction/Tagger
- Calorimeter-based tagging
  - The standard in ATLAS;  $n$ -subjettiness, splitting scales, etc.
- Track-based substructure
  - Ghost-match tracks to jets. Some unique to tracking, e.g. jet charge.
- Systematic Uncertainties
  - Calo/track double ratio as the standard.

# Jet Inputs: Topological clusters

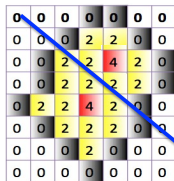
- **Topoclusters**  $\sim$  follow shower development
- Building: 3D Nearest neighbor algorithm.
  - Seed with cells with  $E > 4\sigma_{\text{noise}}$
  - Expand with cells with  $E > 2\sigma_{\text{noise}}$
  - Finish with cells with  $E > 0\sigma_{\text{noise}}$
- Splitting (right)
  - High multiplicity  $\rightarrow$  large cells
  - Split into clusters around local maxima



Building



Splitting

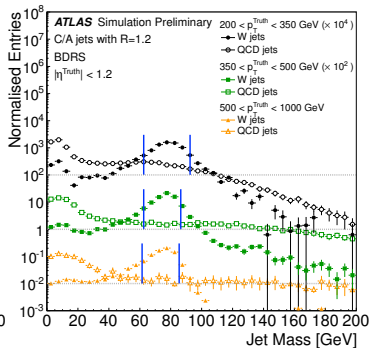
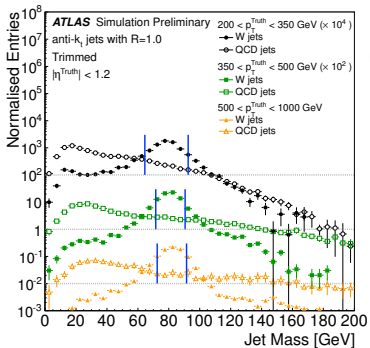


$\sigma$  is the sum of electronic and pileup noise, which is adjusted with  $\mu$ .

2010:  $\sigma(\mu=0)$   
 2011:  $\sigma(\mu=8)$   
 2012:  $\sigma(\mu=30)$

ATLAS Standards for large- $R$  jets:

- $R = 1.0$  anti- $k_t$  trimmed ( $R_{\text{sub}} = 0.3, f_{\text{cut}} = 5\%$ )
- $R = 1.2$  C/A BDRS ( $\mu_{12} < 2/3, \sqrt{y_f} > 0.3$ )

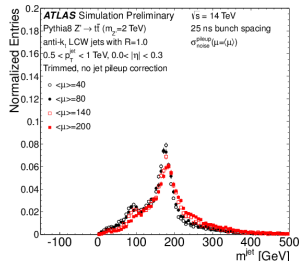
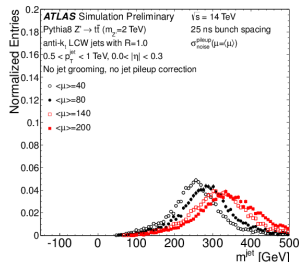


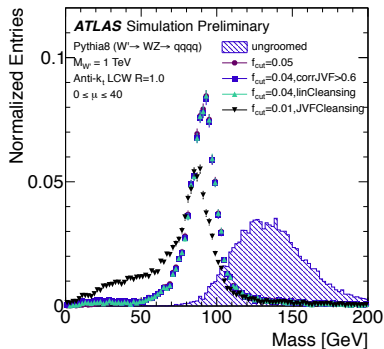
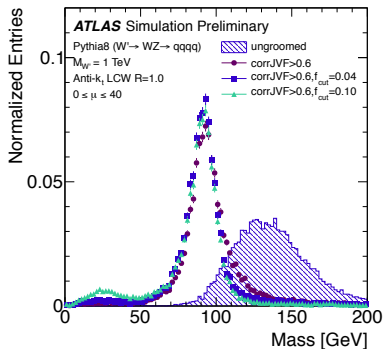
For the nominal  $R = 0.4$  jets, areas-correction is the standard

- Also documented for other  $R$  values: [ATLAS-CONF-2013-083](#)
- For substructure variables: [ATLAS-CONF-2013-085](#)

Standard in ATLAS for large  $R$  jets is to apply no further corrections beyond grooming.

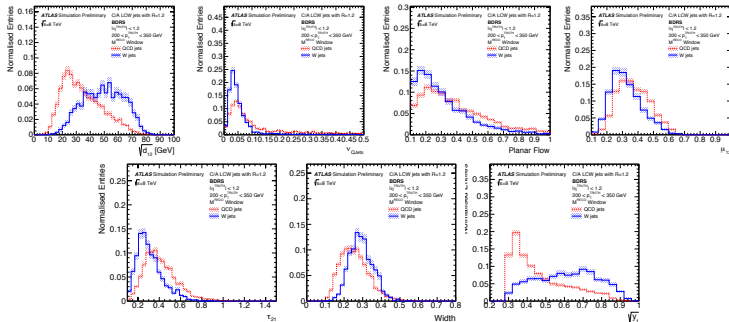
- When  $\langle \mu \rangle$  is not too large, this does well to remove pileup dependence ([Public Plots](#))



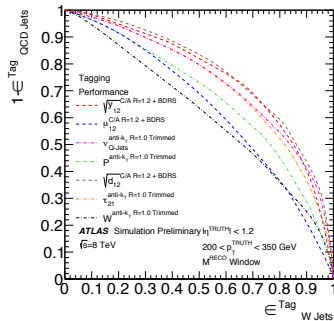
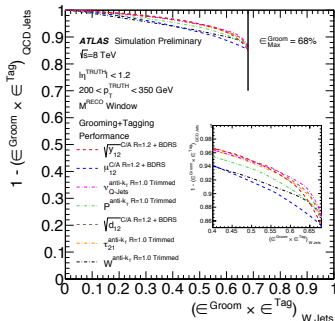


- In fact, for Run I pileup conditions, it does not matter all that much which pileup mitigation technique is used [ATL-PHYS-PUB-2014-001](#).

- Chose seven variables to pair with jet algorithms
  - $\tau_{21}$ ,  $\sqrt{d_{12}}$ ,  $\mu_{12}$ ,  $\sqrt{y_{12}}$ ,  $\nu_{Q\text{Jets}}$ , width, Planar Flow
- Optimal defined as maximal BG rejection at 50% Sig. eff.
- Two methods to optimize pairing of groomer+tagger
  - 1 Fix tagger  $\rightarrow$  scan jet algorithms for optimal performance
  - 2 Fix jet algorithm  $\rightarrow$  scan taggers for optimal performance



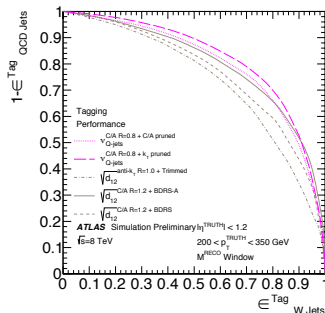
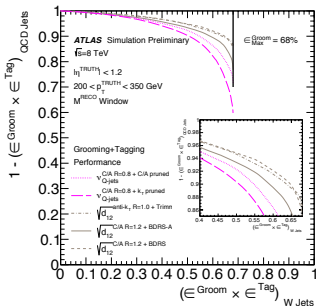
- Learn from looking at performance by considering tagger only and groomer+tagger mix
- Conclusion for method 1
  - We can say what a bad tagger is
  - It is difficult to say that any one groomer+tagger is truly optimal





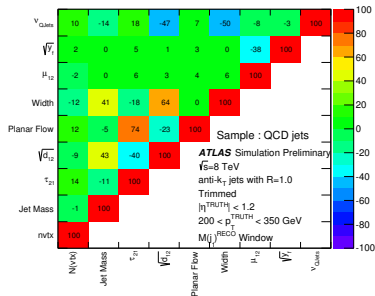
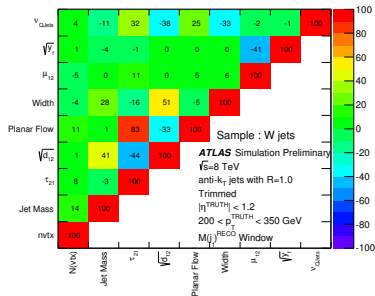
# Calorimeter-based taggers II

- Learn from looking at performance by considering tagger only and groomer+tagger mix
- Conclusion for method 2
  - We can say what a bad tagger is
  - It is difficult to say that any one groomer+tagger is truly optimal



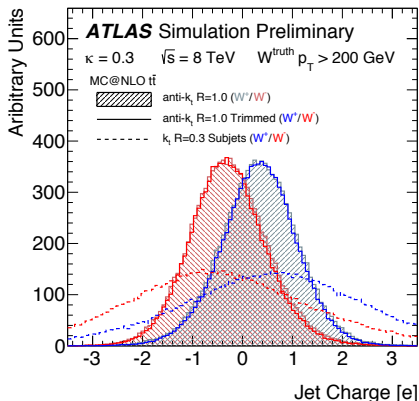
# Calorimeter-based taggers III

- Can further optimization be gained by leveraging correlations?
- Initial answer – no – correlations between signal and background are not drastically different
  - NOTE : More investigation required

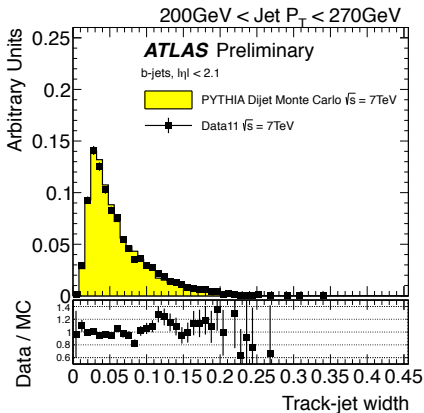


# Track-based substructure

Jets are build from the calorimeter and jets are ghost associated.



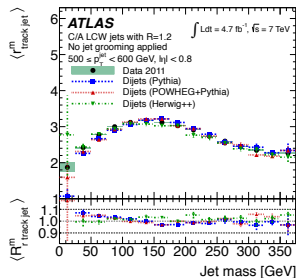
Jet Charge



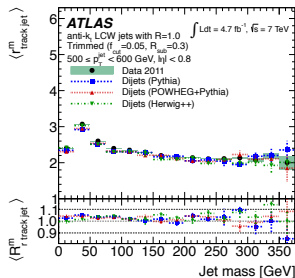
Double  $b$ -hadron tagger  
(tracks  $\Delta R$  matched)

# Systematic Uncertainties

The standard prescription in ATLAS is to compute the double ratio between track jets/MC track jets and calo jets/MC calo jets ( $r$  is the calo/track ratio).



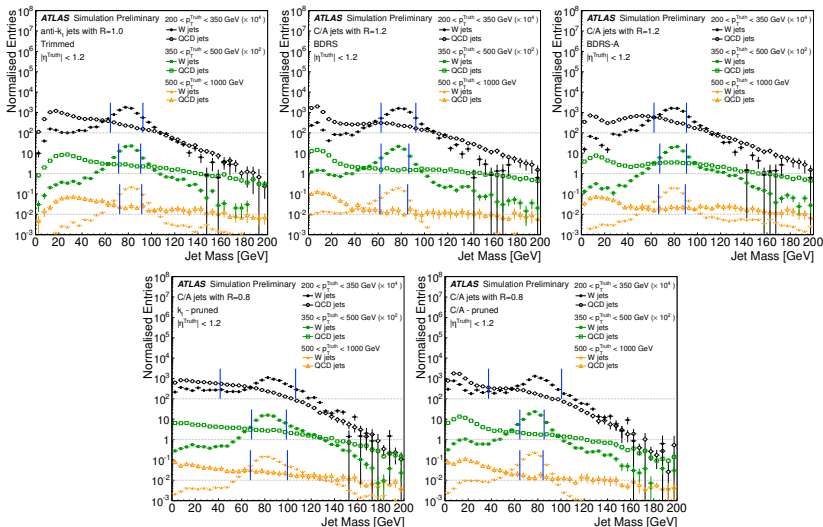
(a) C/A,  $R = 1.2$



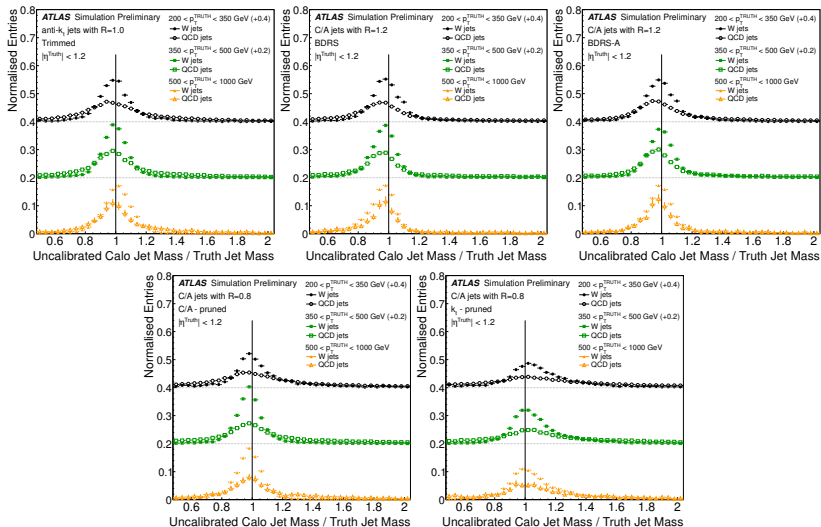
(b) anti- $k_L$ ,  $R = 1.0$  (trimmed)

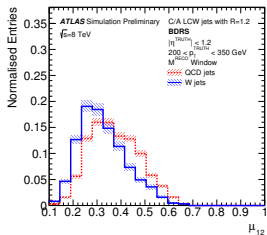
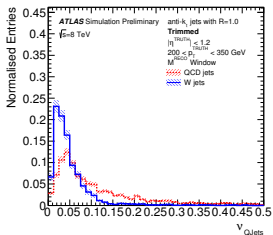
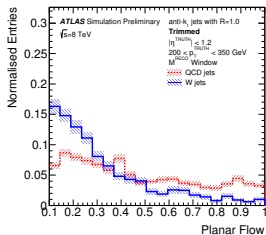
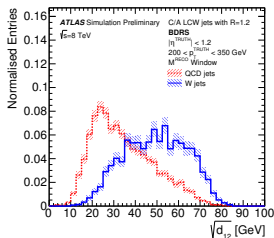
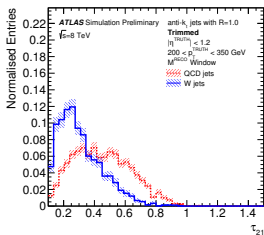
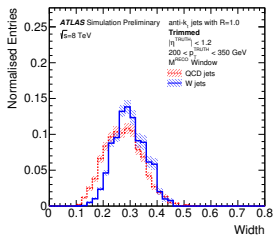
Calibrations exist in bins of  $m/p_T$  for anti- $k_T$  1.0 and C/A  $R = 1.2$ .

# BACKUP

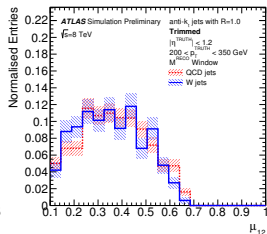
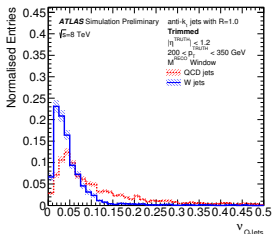
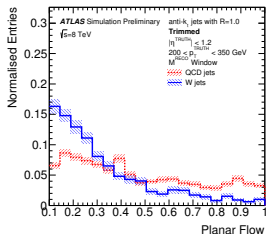
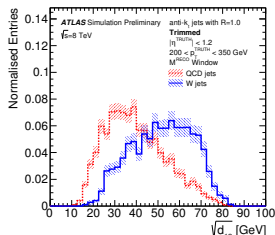
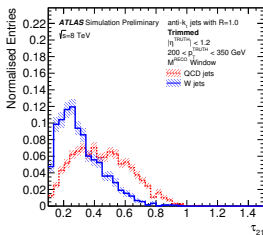
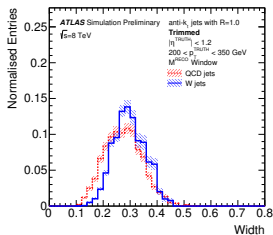


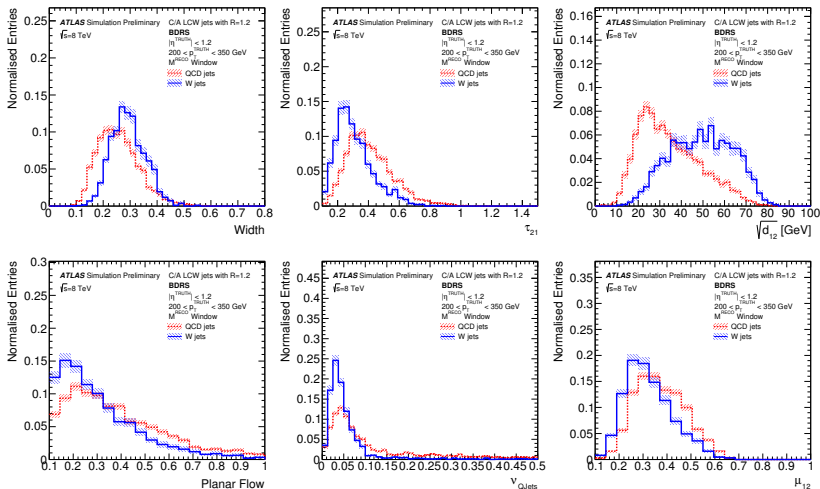
# Jet Mass Ratio



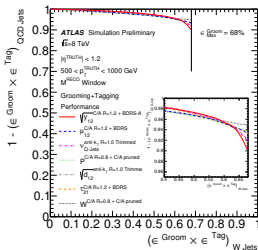
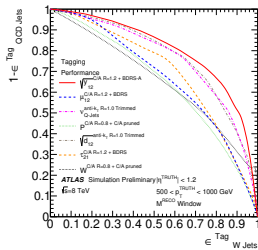
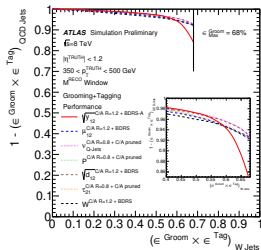
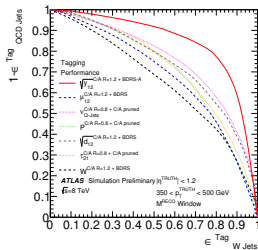
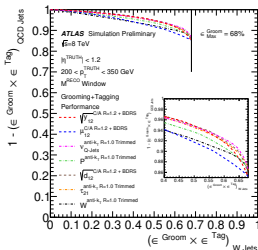
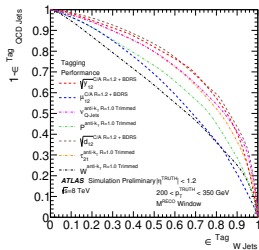








# Fix Variable, Find Optimal Algorithm



# Fix Algorithm, Find Optimal Variable

