



low loss wire design for the DISCORAP dipole

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v. 4



The DISCORAP project



The SIS-300 synchrotron of the new FAIR facility at GSI (Germany) will use fast-cycled superconducting magnets. Its dipoles will be pulsed at 1 T/s; for comparison, LHC is ramped at 0.007 T/s and RHIC at 0.042 T/s.

Within the frame of a collaboration between INFN and GSI, **INFN** has funded the project **DISCORAP** (*DI*poli *SuperCO*nduttori *RA*pidamente *P*ulsati, or Fast Pulsed Superconducting Dipoles) whose goal is to design, construct and test a half length (4 m), curved, model of one lattice dipole.

This presentation will focus on the low loss superconducting wire design

Thursday 22 **P. Fabricatore** will give an overview of DISCORAP project



Rutherford cable development rationale



Main design choices:

Jc 2,600 A/mm² @ 5 T, 4.2 K (achieved 2,700 A/mm² on the prototype wire)

alpha 1.5 (Cu+CuMn)/NbTi

filament diameter 2.5 – 3.5 μm

CuMn interfilamentary matrix

stainless steel Rutherford cable core

redundancy

- more cable than required,
in case difficulties are met in cable development,
or during the magnet construction
- to test different solutions in the wire design.

We awarded a contract to Luvata Fornaci di Barga Italy, to manufacture

720 m (two unit lengths) of type-1 Cable (1st generation)

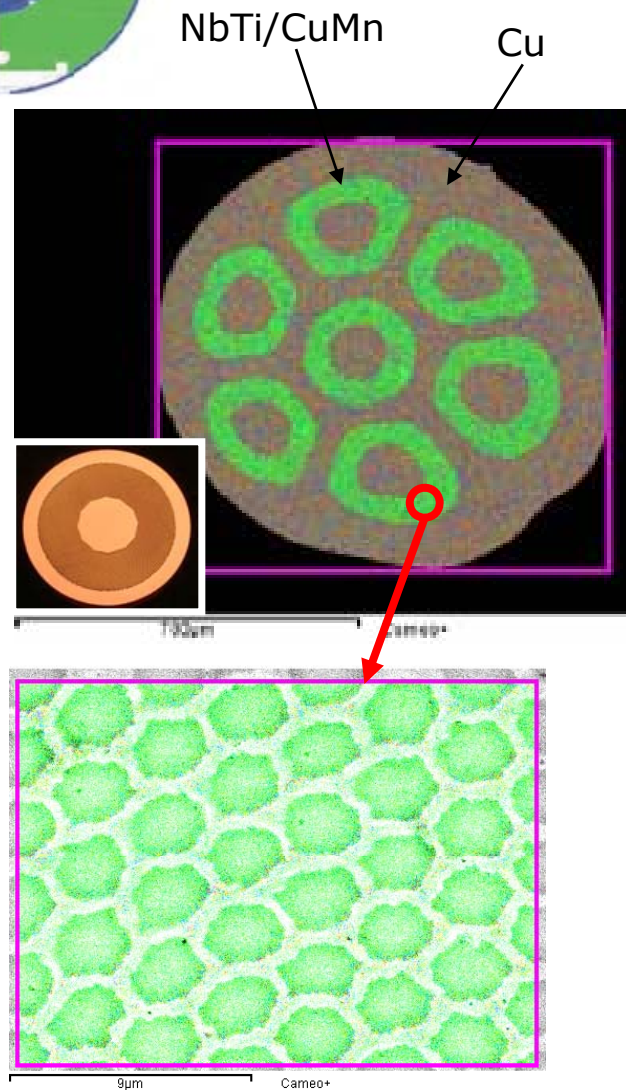
1080 m (three unit lengths) of type-2 Cable (2nd generation)

1st generation 40K filaments, 2.6 μm geometrical (~3.5 μm effective)

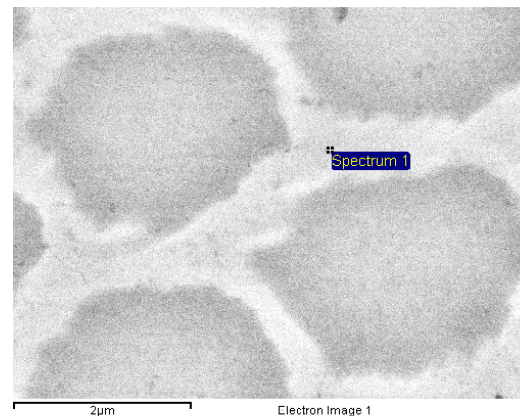
2nd generation 58K filaments, 2.2 μm geometrical (~2.8 μm effective) + added CuMn
barriers



Prototype wire



The "prototype wire" is based on cold drawing of seven elements of Luvata OK3900 wire already in stock. Although significantly different from the final wire, it has allowed to assess which J_c and twist pitch can be realistically achieved on wires with NbTi fine filaments embedded in a CuMn matrix, with a diameter around 2.3 μm .



Geometrical filament diameter 2.52 μm
Small apparent deformation



Wire specifications



Table I. Wire Main Characteristics.

Wire			Notes
Diameter after surface coating	0.825 ± 0.003	mm	
Filament twist pitch	$5 +0.5 -0$	mm	
Effective Filament Diameter for 1st Generation wire	3.5	μm	a)
Effective Filament Diameter for 2nd Generation wire	2.5	μm	a)
Interfilament matrix material	Cu-0.5 wt% Mn		
Filament twist direction	right handed screw (clockwise)		
I_c @ 5 T, 4.22 K	> 541	A	b)
n-index @ 5 T, 4.22 K	> 30		
Stabilization matrix	Pure Cu		
Strand transverse resistivity at 4.22 K	$0.4 + 0.09 B$ [T]	$\text{n}\Omega\cdot\text{m}$	
Cu+CuMn:NbTi ratio (α ratio)	> 1.5		c)
α ratio tolerance	± 0.1		
Surface coating material	Staybrite (Sn-5 wt% Ag)		d)
Surface coating thickness d	0.5	μm	e)

Notes:

- As measured from magnetization.
- This is the primary value for virgin wire. It is 5% higher than the cabled values, to take into account degradation during cabling. It amounts, e.g., to 2.529 A/mm² for $\alpha=1.5$ or 2.832 A/mm² for $\alpha=1.8$, @ 5 T, 4.22 K.
- The supplier may propose an alpha value, provided it is larger than 1.5. Tolerance during the production must remain between ± 0.1 from the nominal value.
- Same coating material used for LHC dipoles.
- This is a preliminary value, to be better defined later.



Rutherford cable specifications



Table II. Cable Main Characteristics.

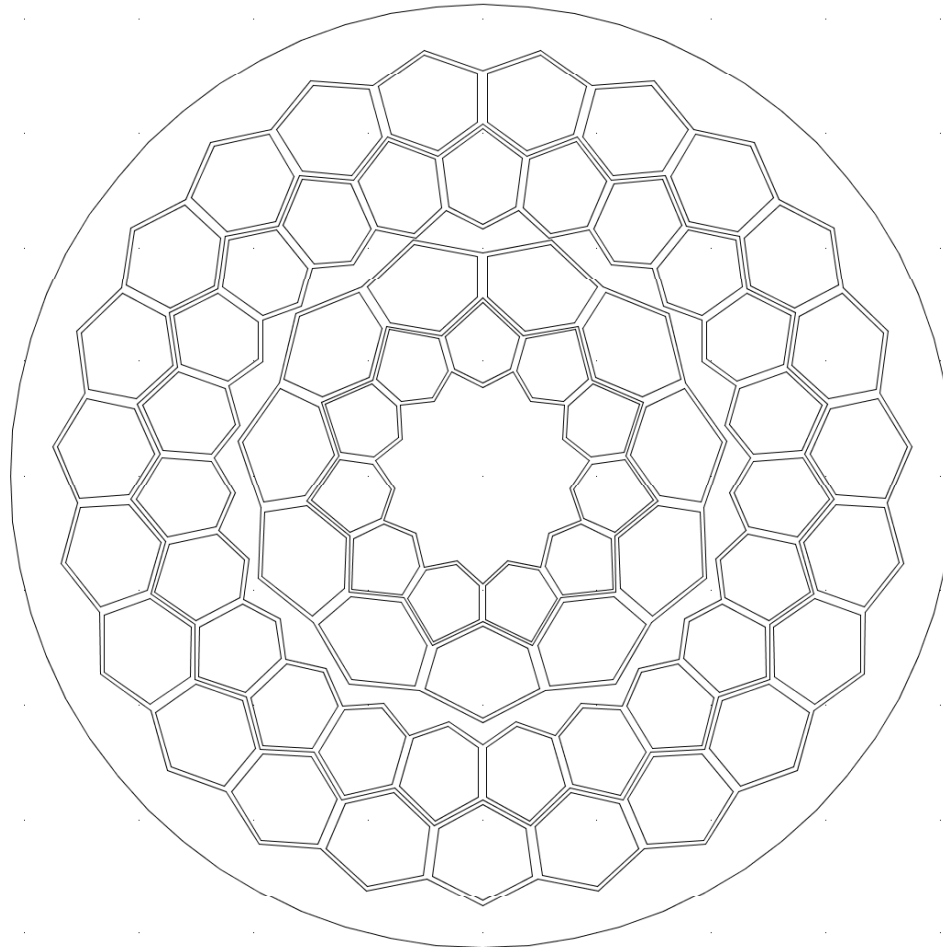
Geometrical			Not
Strand Number	36		a)
Width	15.10 +0 -0.020	mm	
Thickness, thin edge	1.362 ± 0.006	mm	
Thickness, thick edge	1.598 ± 0.006	mm	
Mid-thickness at 50 MPa	1.480 ± 0.006	mm	
Edge radius	≥ 0.30	mm	
Core material	AISI 316 L stainless steel, annealed		
Core width	13	mm	
Core thickness	25	μm	
Transposition pitch	100 ± 5	mm	
Cable transposition direction	left-handed screw thread		
Electrical			
Ic @ 5 T, 4.22 K	>18,540	A	b)
Stabilization matrix RRR	>70		

Notes:

- a) The geometrical layout is the same as that of the LHC dipole outer cable design. Dimensions are specified at 20 °C.
- b) Ic @ 5 T, 4.22 K for the extracted strand must be equal to or above 515 A.



Wire cross section overall



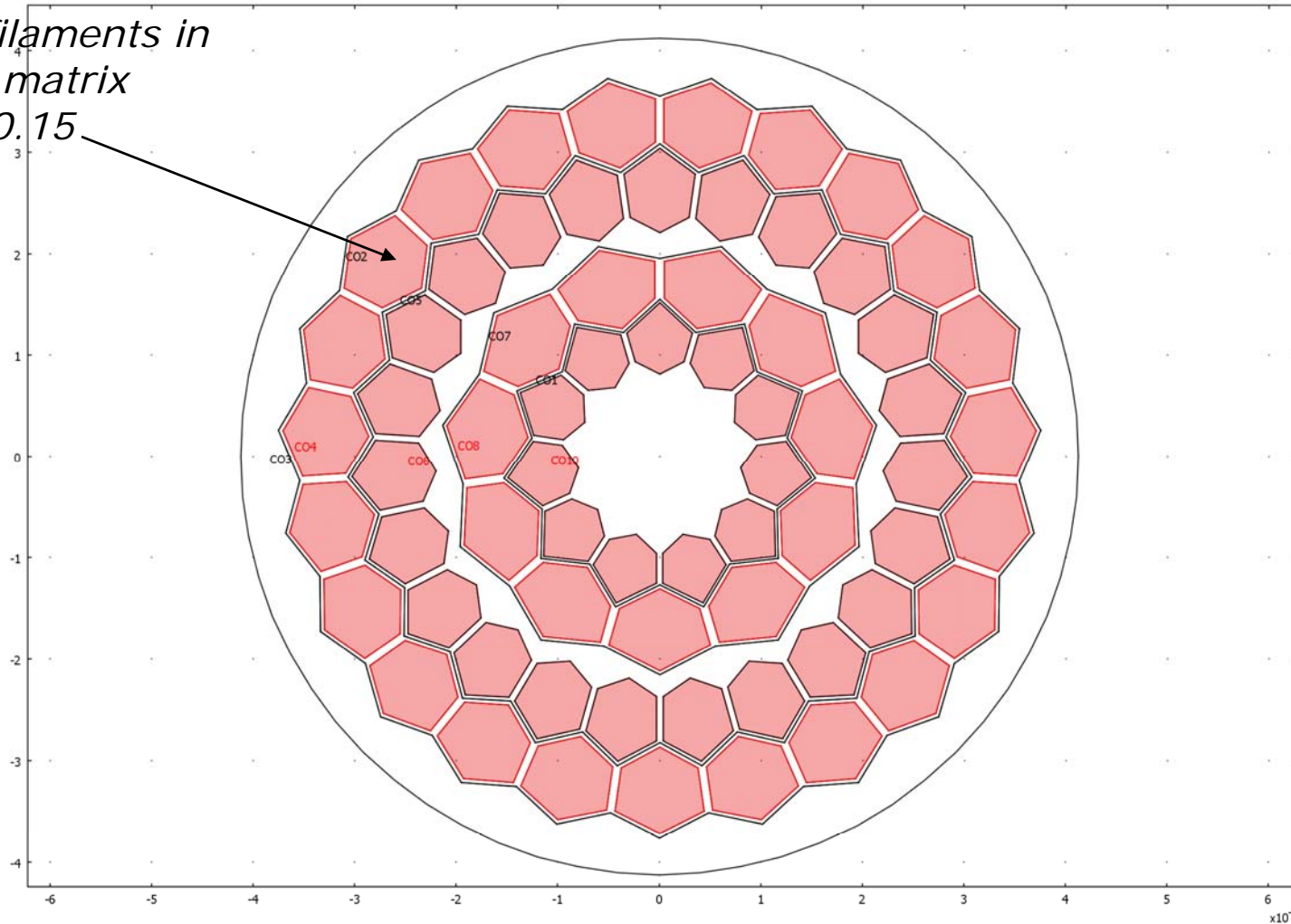
*The same geometry
will be used for both
the first and the
second generation,
using sub-elements
with a different
number of filaments*



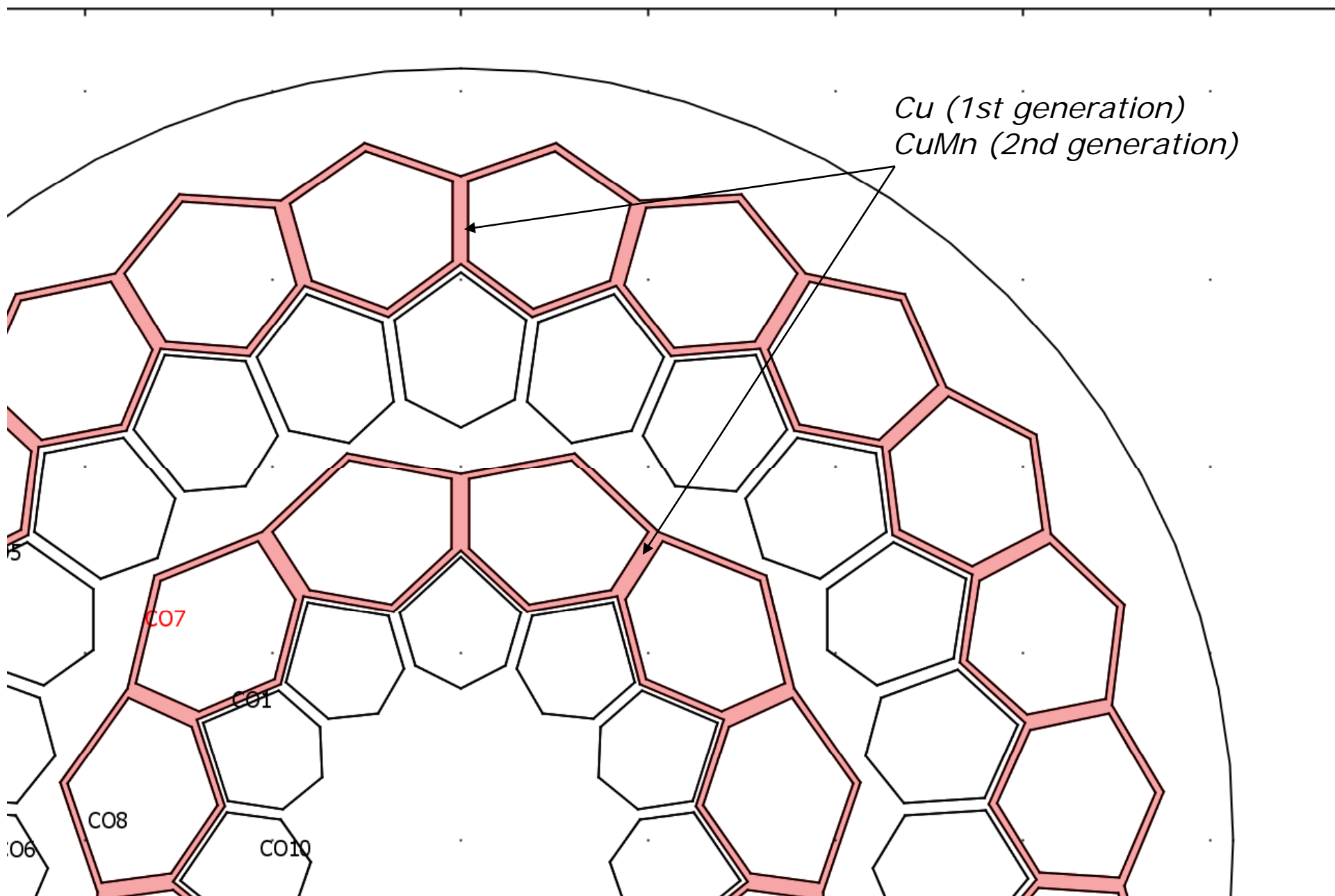
Wire cross section: Filamentary areas



*NbTi filaments in
CuMn matrix
 $s/d \sim 0.15$*

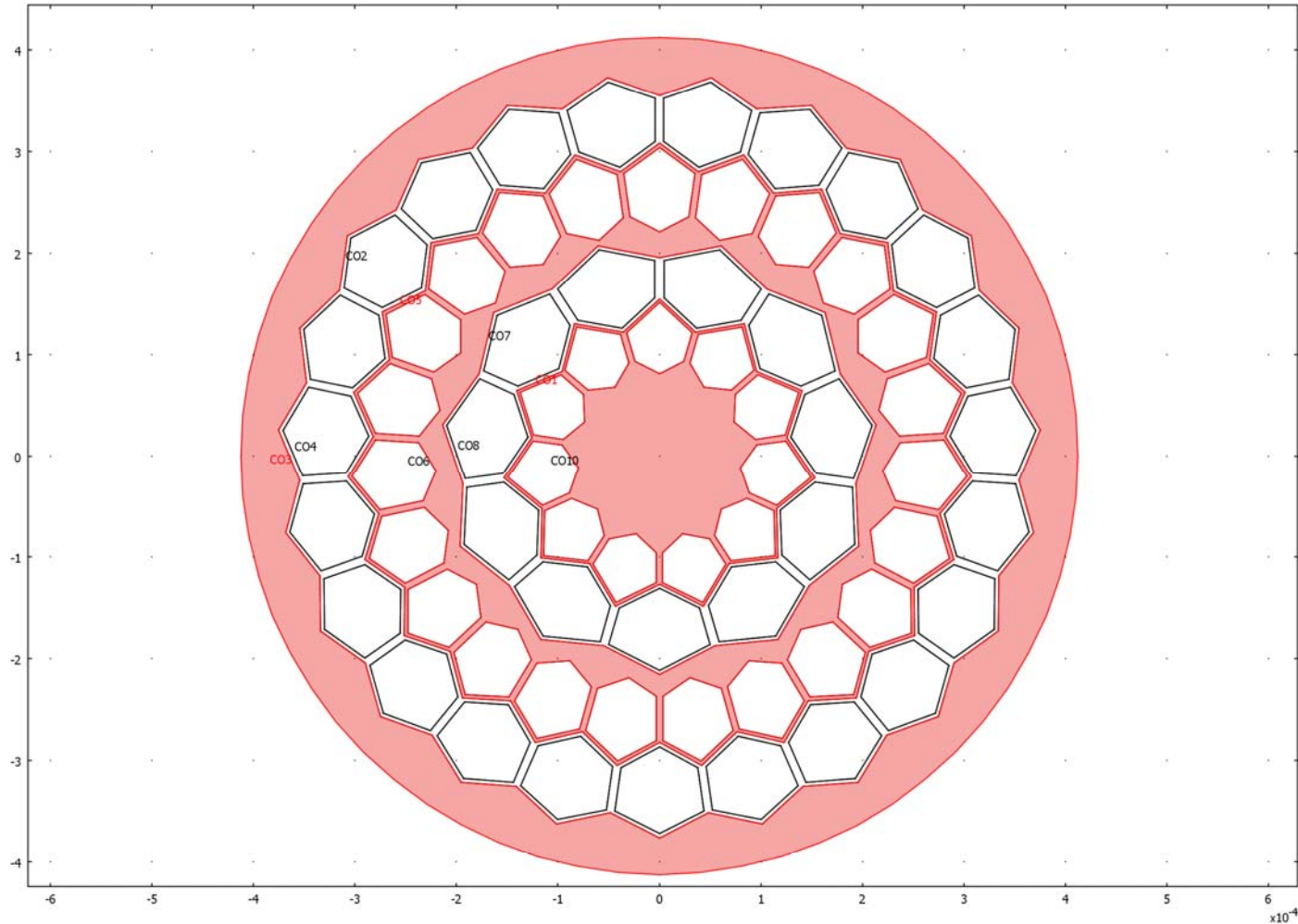


Wire cross section: Barriers





Wire cross section: Cu areas





Eddy & Transverse Currents Problem statement



Eddy currents (z)

Interfilamentary coupling

$\frac{dB}{dt}$

Laplace Equation

$$\nabla^2 \varphi(x, y) = 0$$

Boundary condition around the filamentary areas

$$\varphi(R, \vartheta) = \frac{\dot{B} L R}{2 \pi} \cos(\vartheta)$$

E.C. term

Interfil. term

$$Q = j^2 / \sigma = \sigma [\dot{B}^2 x^2 + (\partial_x \varphi)^2 + (\partial_y \varphi)^2]$$

"effective" transverse resistivity

$$\rho_t = \frac{\dot{B}^2}{Q} \left(\frac{L}{2\pi} \right)^2$$

Therefore we use the term **transverse resistivity** in a wider meaning; it describes both the transverse current and the EC losses.

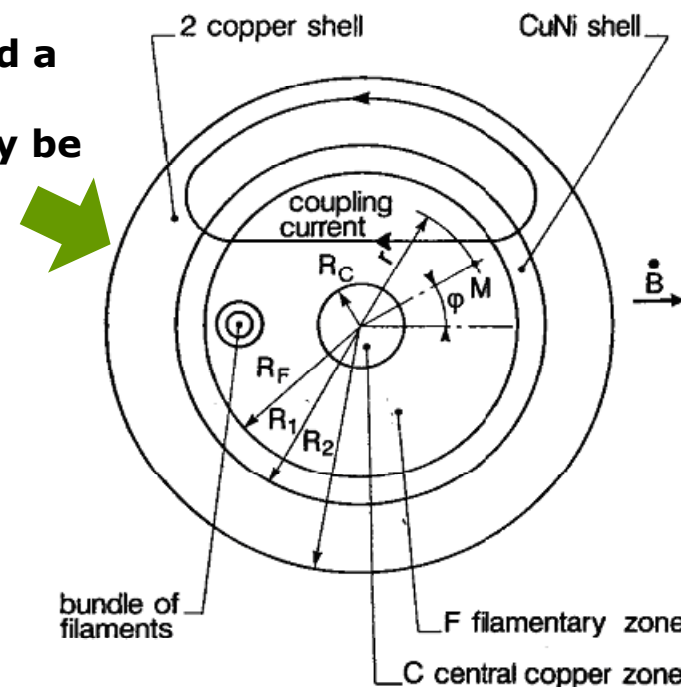
The EC's contribute to 10-15% of the total losses



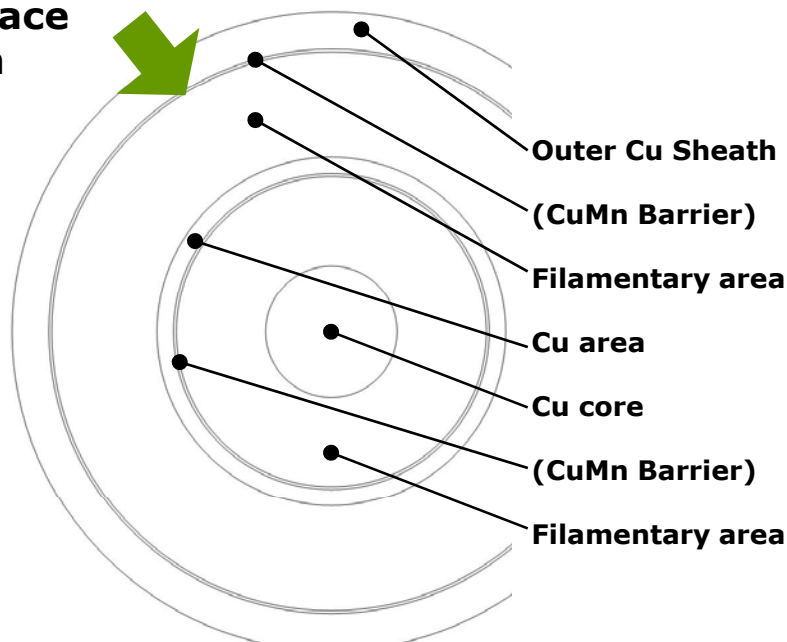
Solving the problem: analytical approach



Duchateau, J.L. Turck, B. & Ciazynski, D. have developed a model, based on a simplified geometry, with cylindrical symmetry. In this model, the above-seen equations may be solved analytically.



We have improved their approach, to better suit our geometry, increasing the number of annular regions from 4 to 7. The Laplace equation has then been solved.



Duchateau, J.L. Turck, B. Ciazynski, D. "Coupling current losses in composites and cables: analytical calculations" Ch. B4.3 in "Handbook of Applied Superconductivity", IoP 1998



Filamentary zone resistivity



Following an approach by M N Wilson, the resistivity of the filamentary is the averaged sum of the different zones: bulk Cu, bulk CuMn, and filamentary zone.

For the filamentary zone we have considered the Carr approach, with the two extreme hypotheses of poor and good coupling.

-good coupling

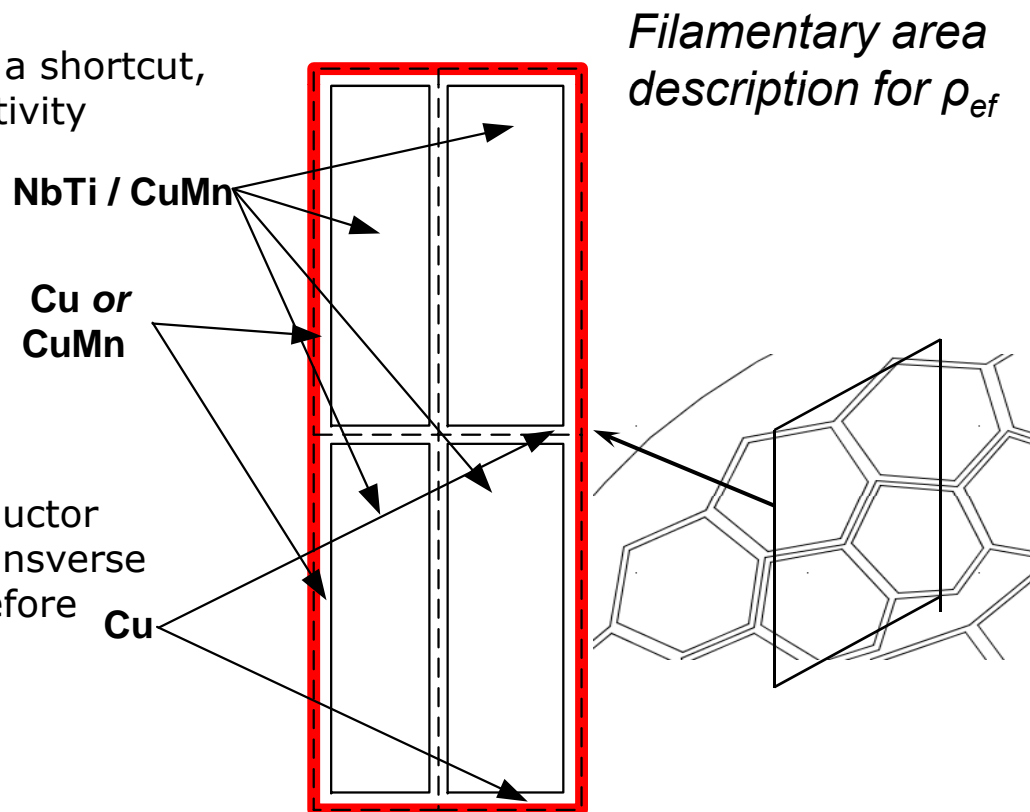
The superconductor effectively acts a shortcut, reducing therefore the matrix resistivity

$$\rho_t = \rho_m \frac{1 - \lambda}{1 + \lambda}$$

-poor coupling

The high contact resistance between the matrix and the NbTi, prevents the current from flowing through the superconductor which does not contribute to the transverse current flow. The resistance is therefore enhanced.

$$\rho_h = \rho_m \frac{1 + \lambda}{1 - \lambda}$$





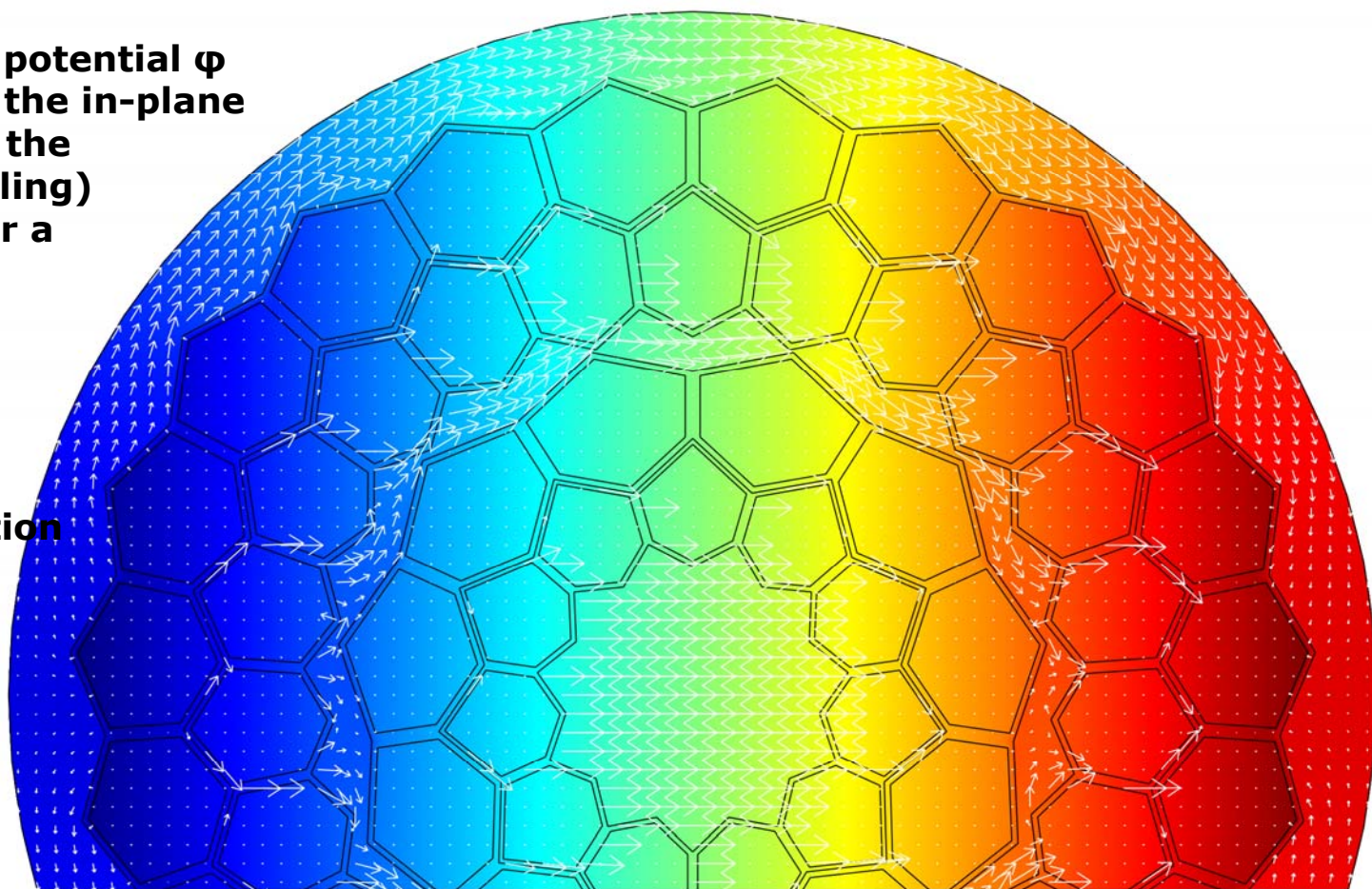
Solving the problem: FEM solution



Given the geometry and the BC's, the Laplace solution can be solved with FEM as well.

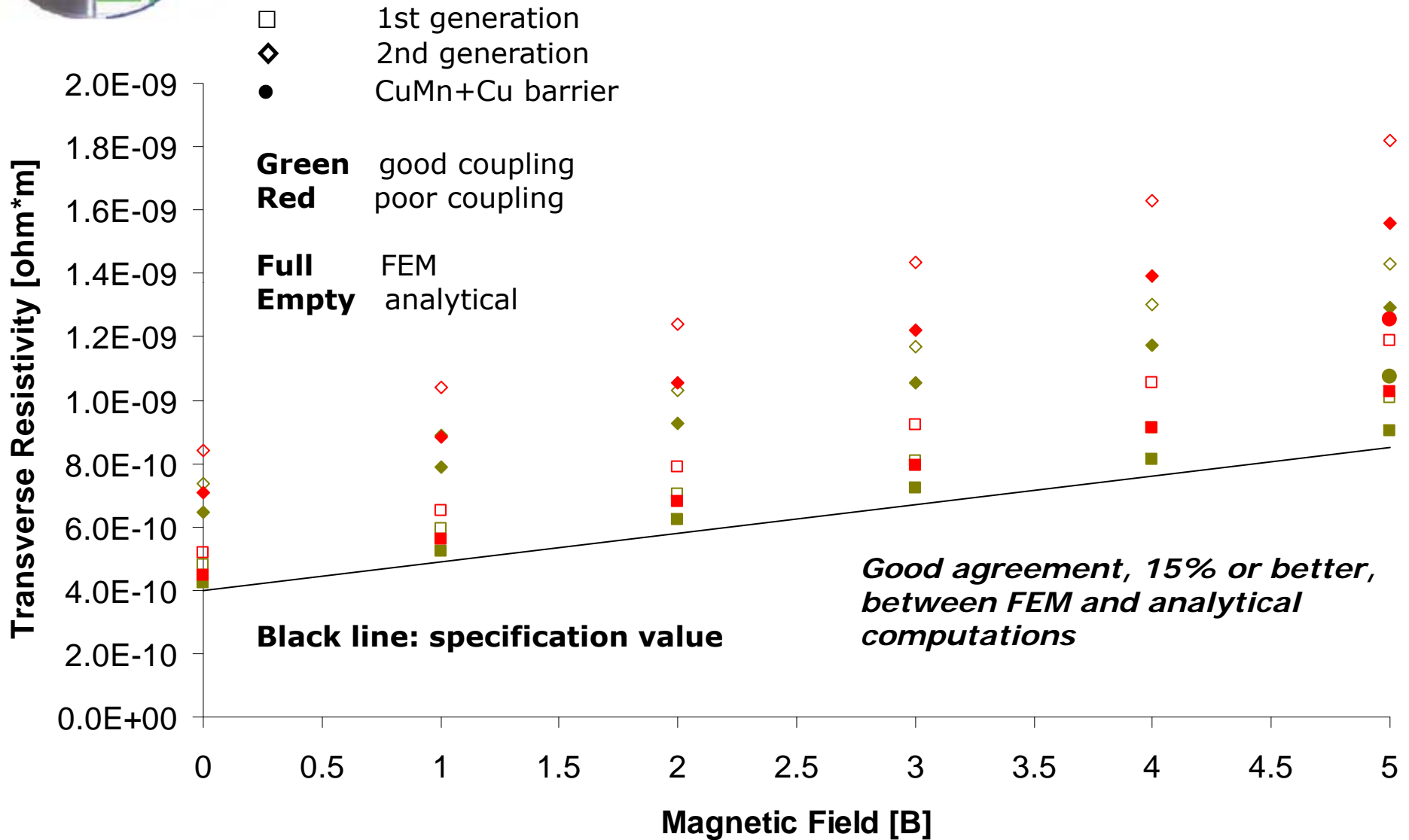
Here we show the potential ϕ (colour map), and the in-plane x-y (i.e. related to the interfilament coupling) current density, for a second generation wire.

The total power dissipation Q is again found by numerical integration of E^2 , and adding the EC term. From Q we compute the effective transverse resistivity.





Transverse resistivity from Analytical & FEM methods





Dynamic stability



The stability criterion seems satisfied

Thermal conductivity

Weighed average between NbTi and CuMn 1.87 W/mK
 Approach "à la Carr" 1.14 W/mK

0.1 W/mK

4.4 W/mK

λ (NbTi fill factor in the bundle)

0.588

J_c @ 4.2 K, 5 T

2700 A/mm²

ρ_{Cu} @ 4.2 K, 5 T

$3.5 \cdot 10^{-10}$ ohm·m

$$d_{st} = \sqrt{\frac{k \cdot (\theta_c - \theta_0) \cdot (1 - \lambda)}{\lambda \cdot J_c^2 \cdot \rho}}$$

Characteristic length 32 μ m

Round filament factor form $4\sqrt{2}$ " 137 μ m

equivalent diameter $\ll 4 \cdot \sqrt{2} \cdot d_{st}$

Equivalent macrofilament diameter

Inner, Outer 60, 70 μ m

So the margin for stability seems comparable to the layouts envisaged by MNW in Rep 29.



Conclusions



Low-loss, fine filaments NbTi Rutherford cable is now manufactured by Luvata Fornaci di Barga (Italy) for the pulsed dipole long model, under contract from INFN.

Two generations of wire are foreseen, the first with 3.5 μm filaments and the second with 2.5 μm filaments

Transverse resistivity has been computed by means of two different methods, one analytical and a FEM: they agree to 15% or less.

Larger uncertainties arise from unknown features, like the contact resistance between the matrix and the NbTi.

All the results comply with the transverse resistivity specified by DISCORAP



Credits



I wish to acknowledge

M N Wilson, whose approach has inspired the analytical solution
P Fabricatore, for cross-checking the FEM computations
Luvata FdB, for their open collaboration during the wire design