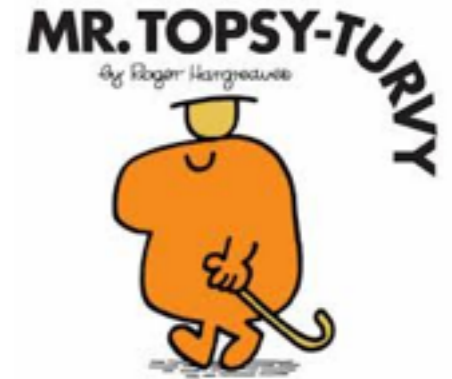


Resonances gone topsy turvy in $b \rightarrow sll$ – the charm of QCD or new physics?

Lyon and RZ 1406.0566



CP³ Origins
Cosmology & Particle Physics

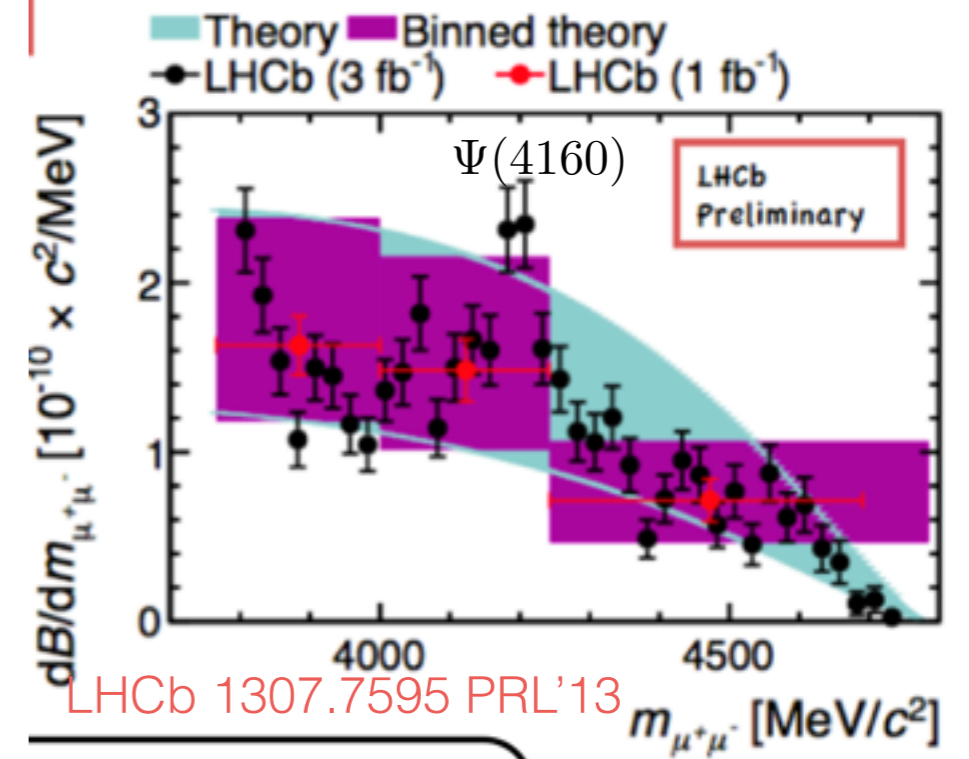


Roman Zwicky
Edinburgh University

20 June 2014 – FLASY'14

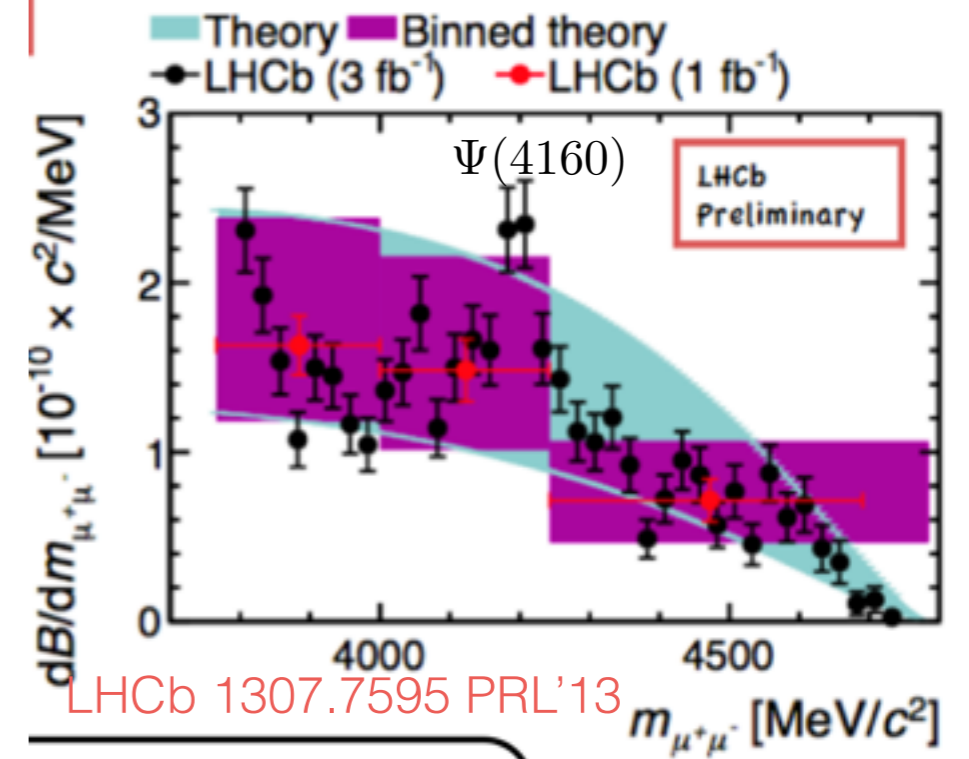
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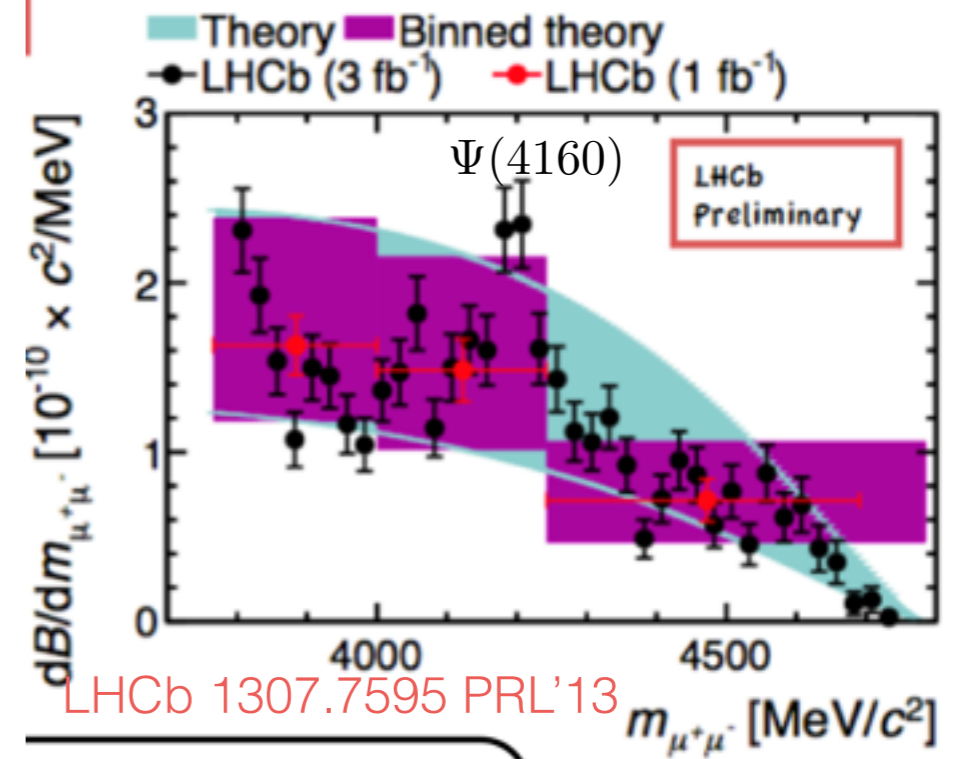
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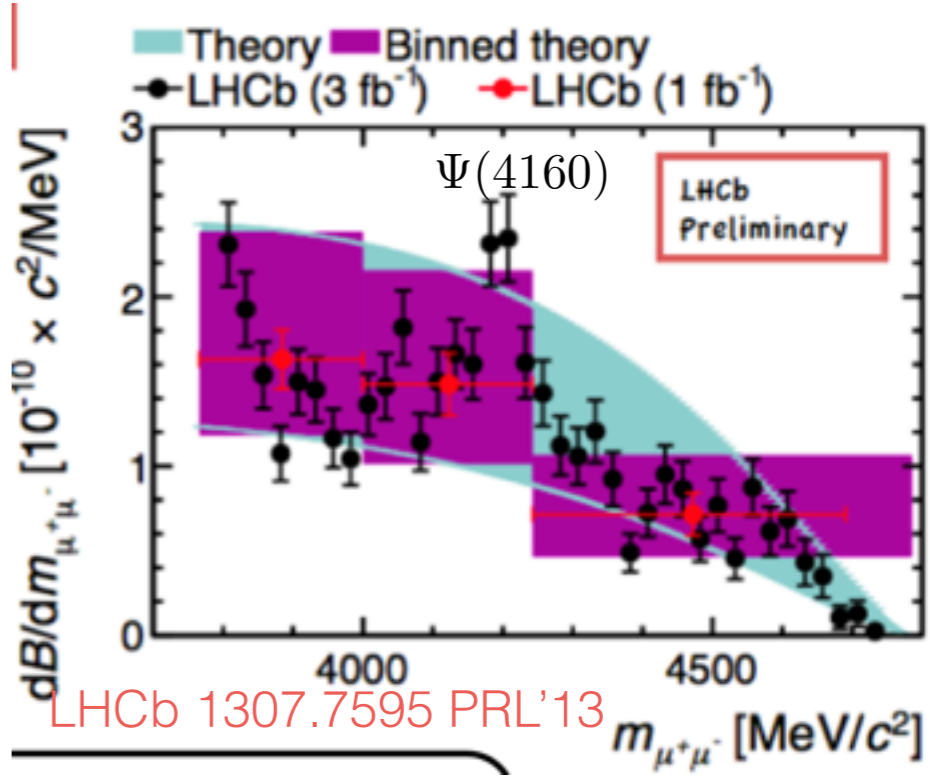


— **Headlines** —

No(t yet)

Prologue

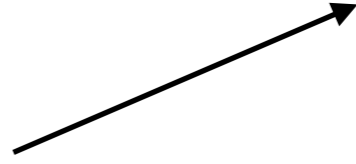
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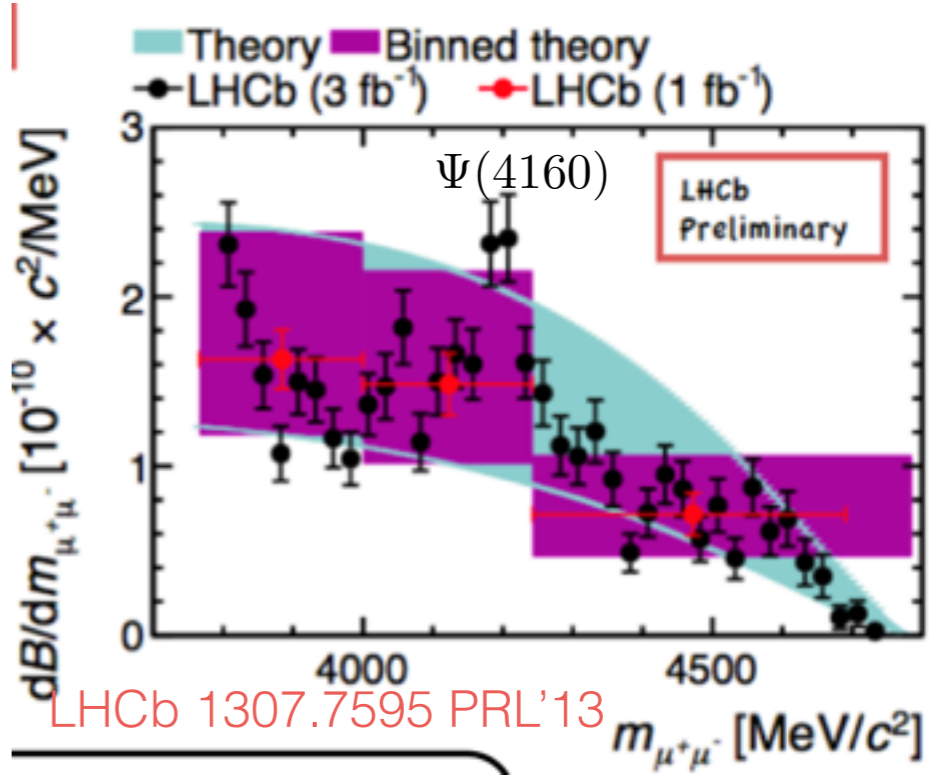
Is it QCD (pulling our leg)?

No(t yet)



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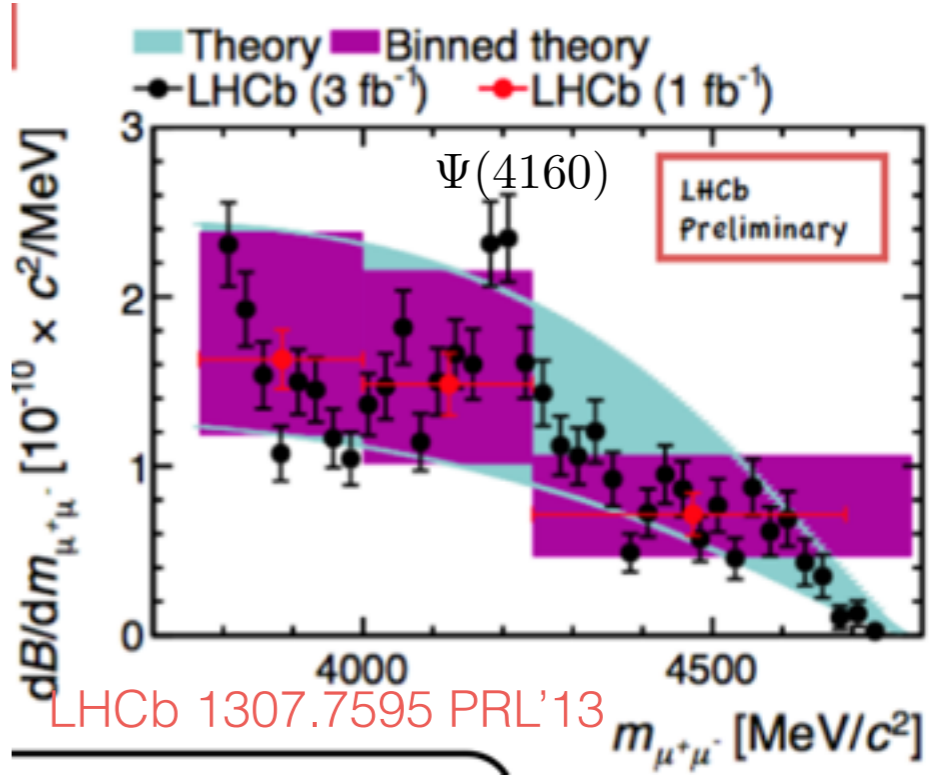
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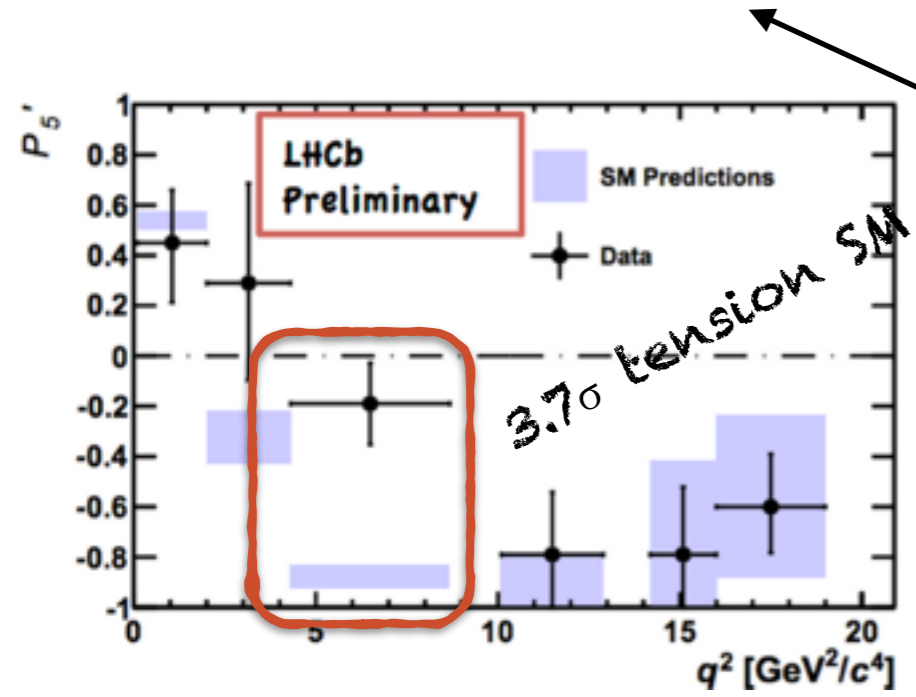
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Effect right sign and size to explain 2013-anomalies

— Headlines —



No(t yet)

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Overview

- A. Introduction $B \rightarrow K^{(*)} \ell \ell$ and resonances in factorisation
- B. (charm) vacuum polarisation from BESII-data
- C. combined fits LHCb- and BESII-data
- D. assessment non-factorisable corrections be? (**duality**)
- E. relation to 2013-anomalies
- F. discussion & conclusion

A. Basics of $B \rightarrow K^{(*)}$ II for this talk

- framework effective Hamiltonian:

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Amplitude

$$\mathcal{A} = \langle V \ell \ell | H_{\text{eff}} | B \rangle = \sum_i C_i(m_b) \langle V \ell \ell | O_i(m_b) | B \rangle$$

Wilson coefficient
(UV-physics SM & **BSM?**)

operator
(IR-physics)

non-perturbative

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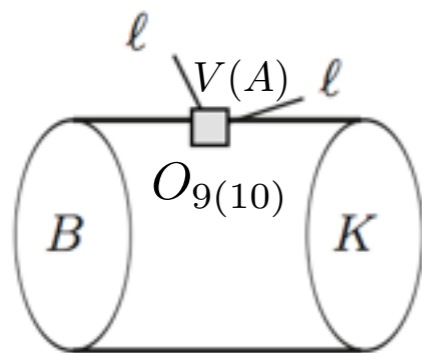
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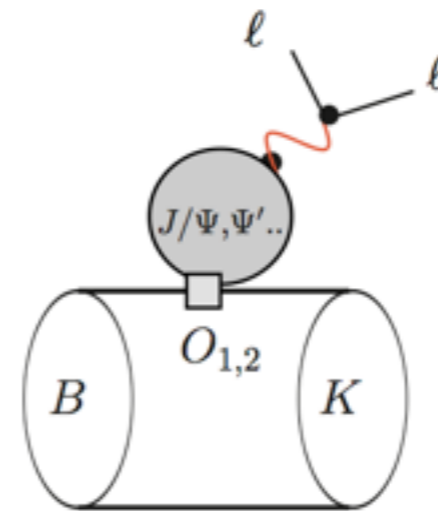
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- main actors of this talk:



short distance

electroweak penguin (also $O_{7..}$)



factorisation
fully described
vacuum polarisation

long distance

4-quark operators (also $O_{3..6}$)

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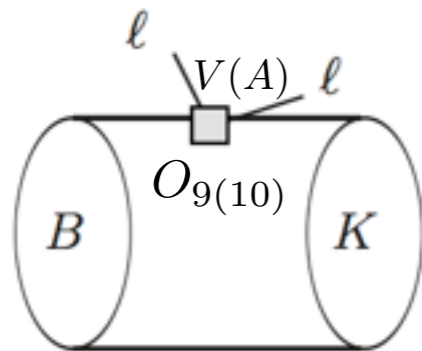
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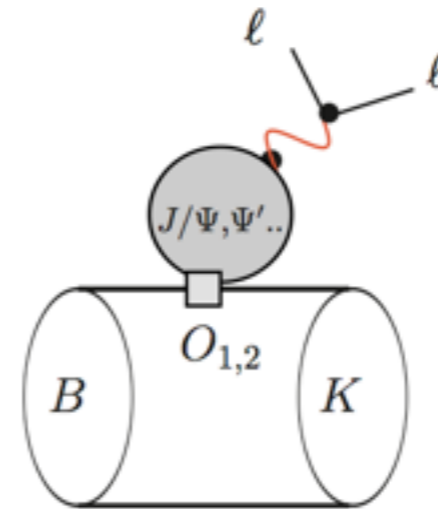
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4-quark operators (also $O_{3..6}$)

- chirality flipped operators (right-handed currents):

$$O' = O|_{s_L \rightarrow s_R} \Leftrightarrow V-A \rightarrow V+A$$

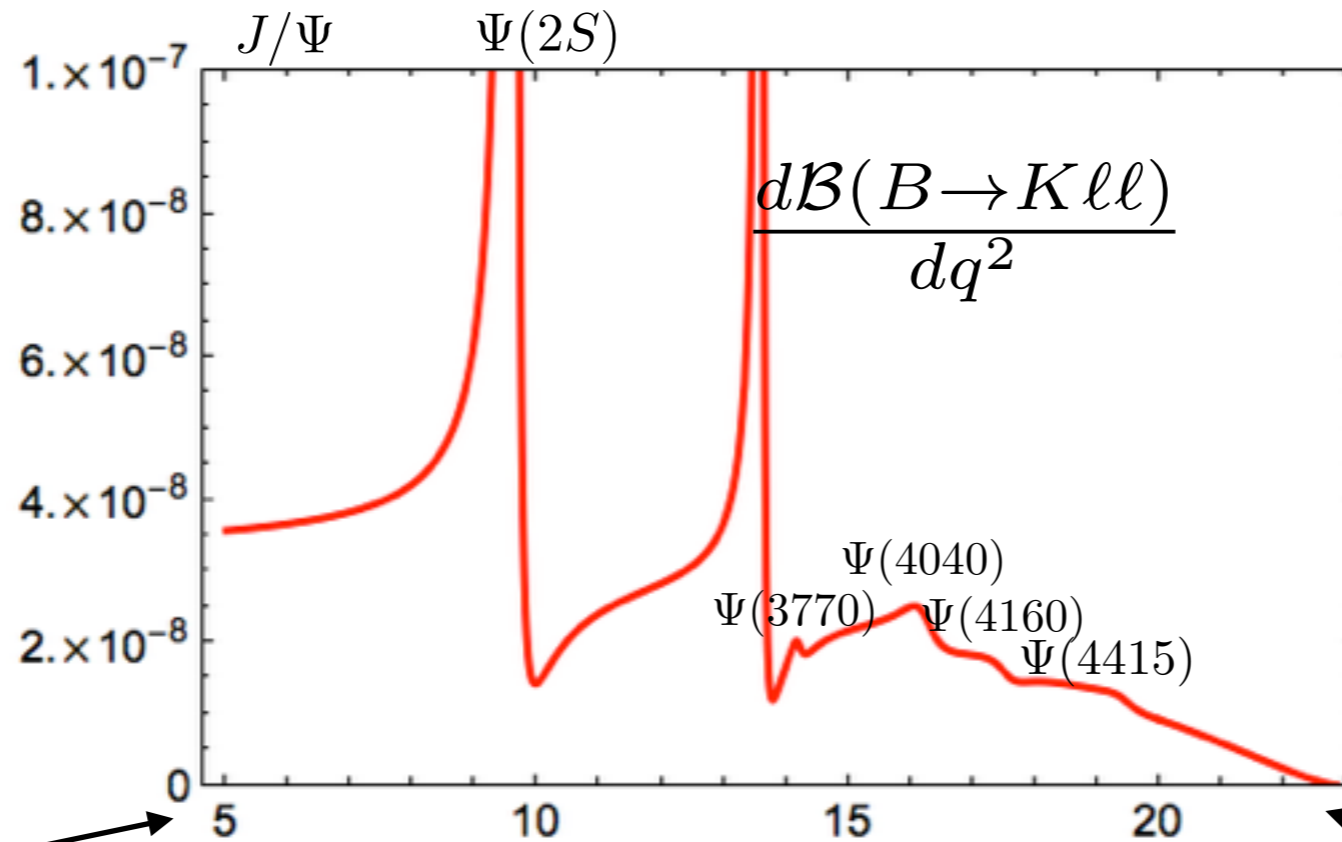
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- partly reveal themselves in the q^2 -spectrum (*lepton-pair mom. squared*)



K **fast**:

light-cone methods
 LCSR, QCDF/SCET

$O_{7,9}^2$ -dominates
 O_2 - $O_{7,9}$ -interference

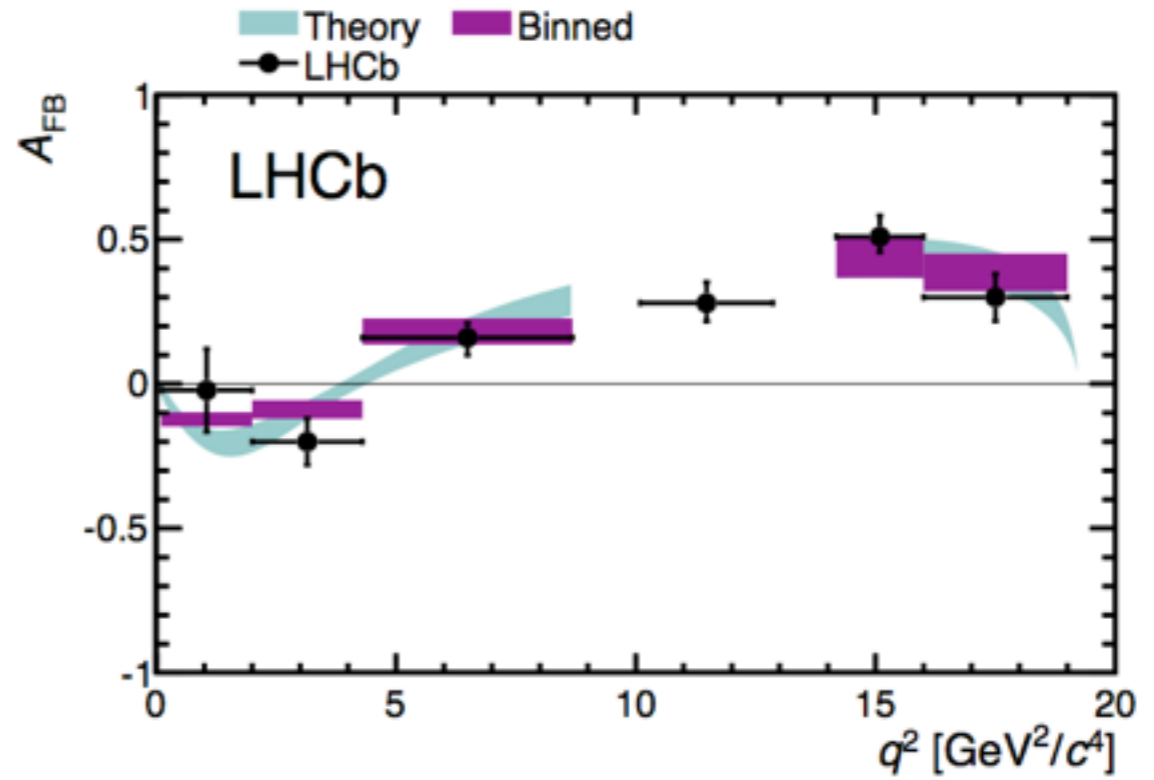
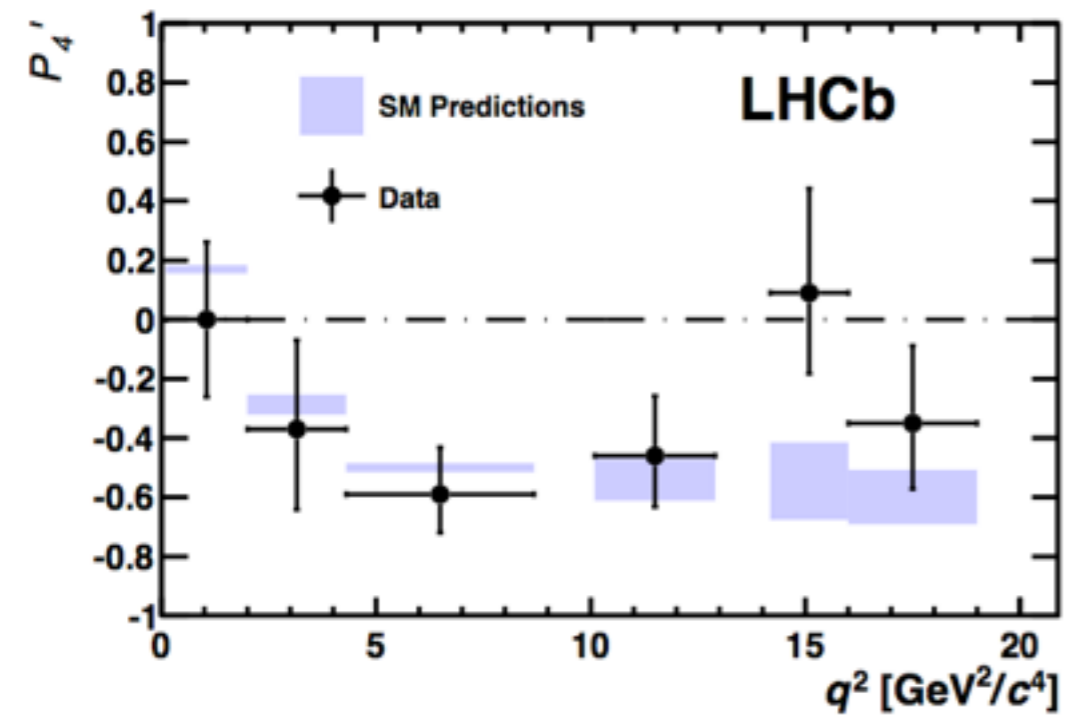
narrow resonances
 $(O_2)^2$ -effect

O_9^2 -dominates
 O_2 - O_9 -interference

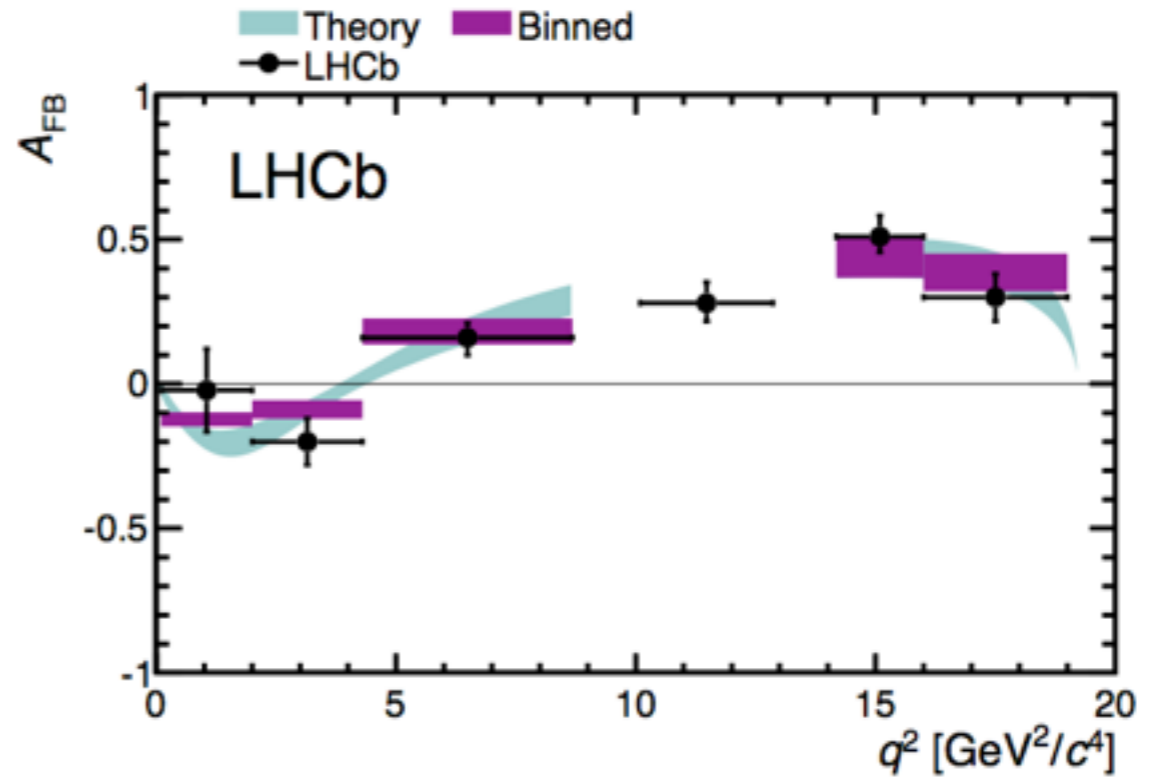
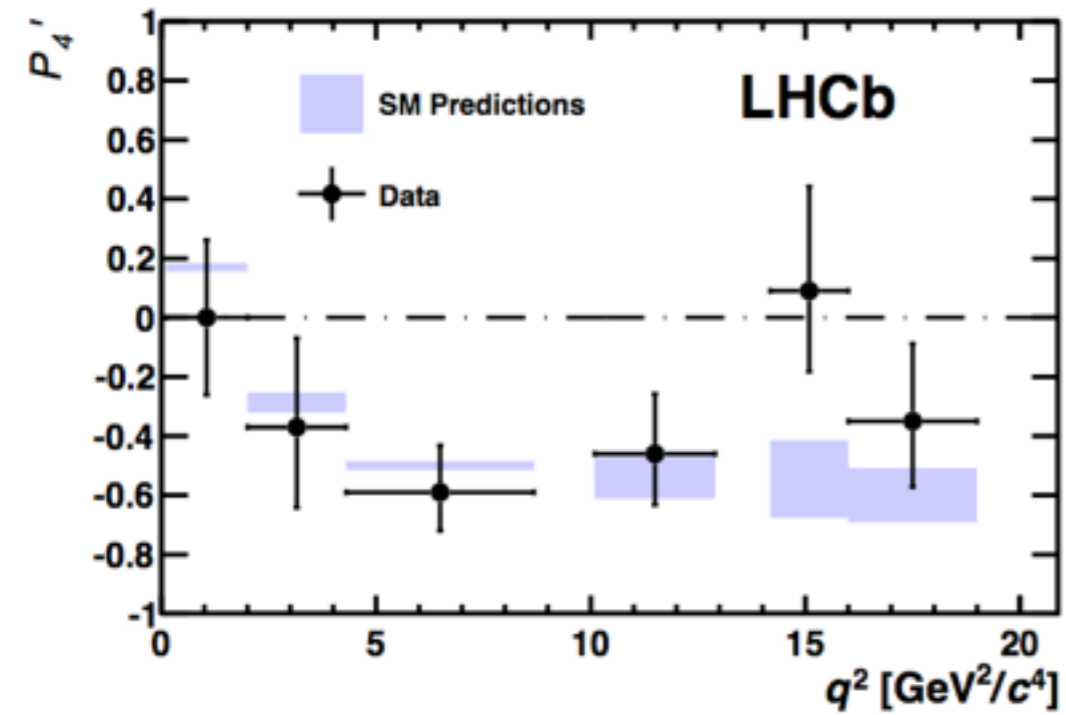
K **slow**:

- high- q^2 "OPE"
 - endpoint relations

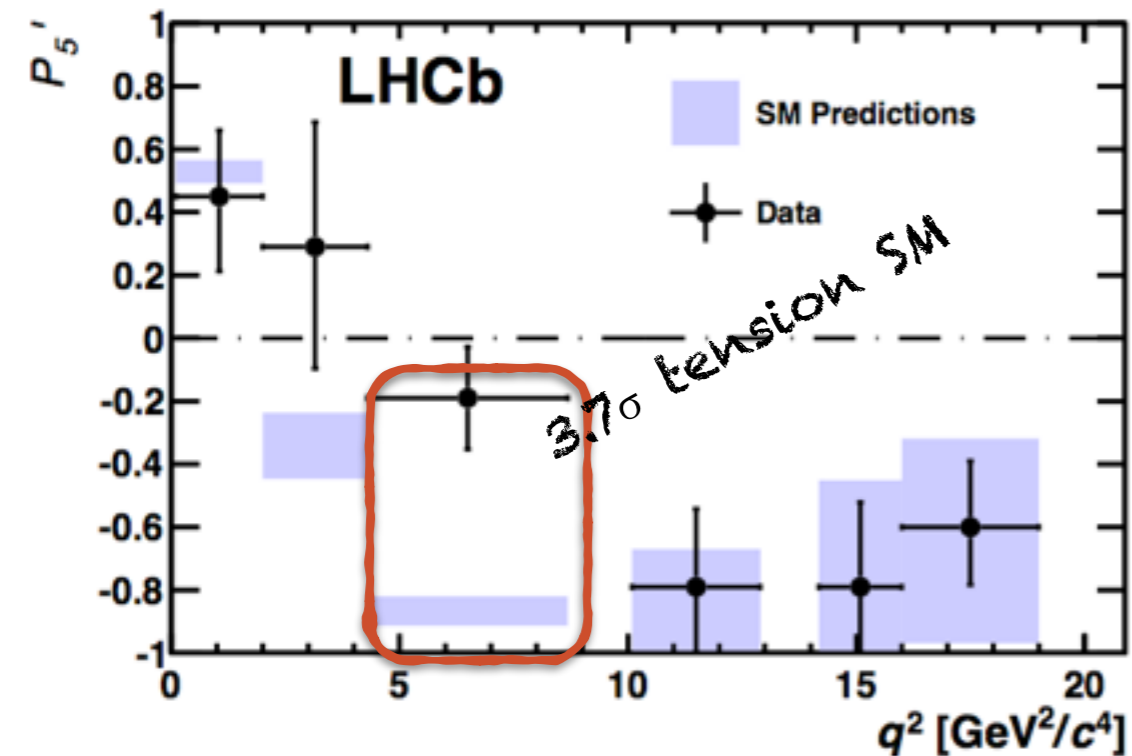
after all it really works (angular observables)....



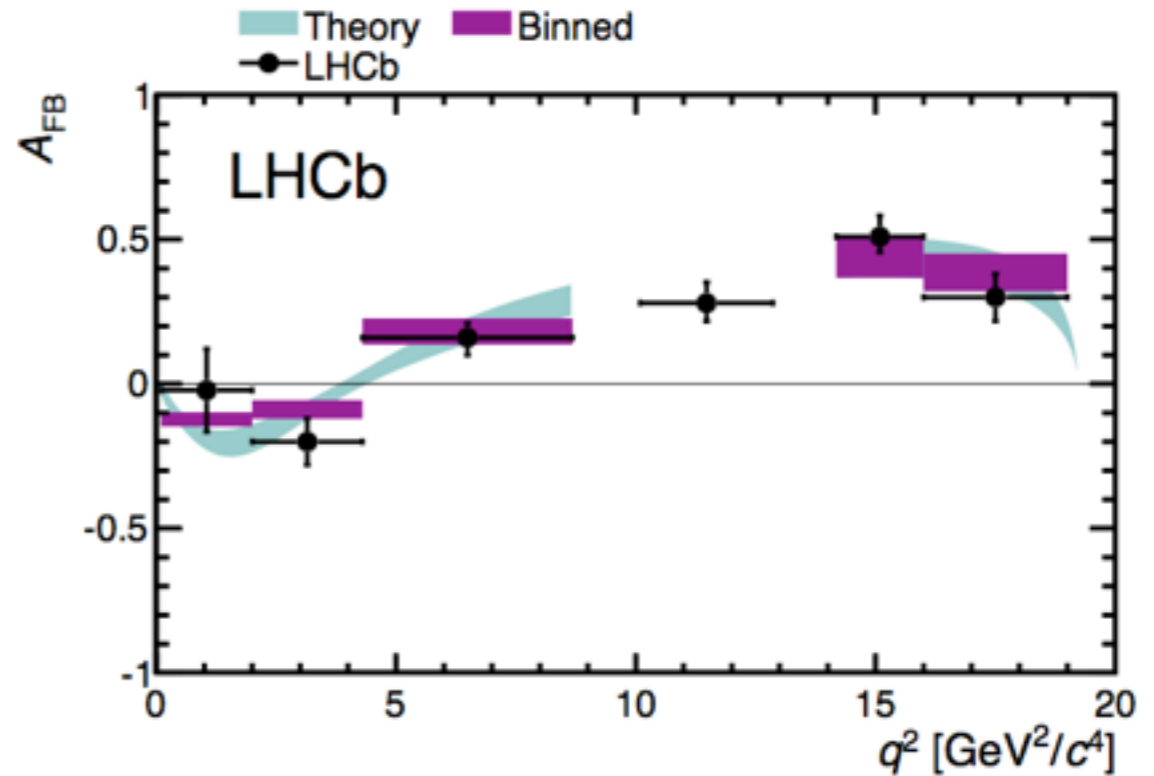
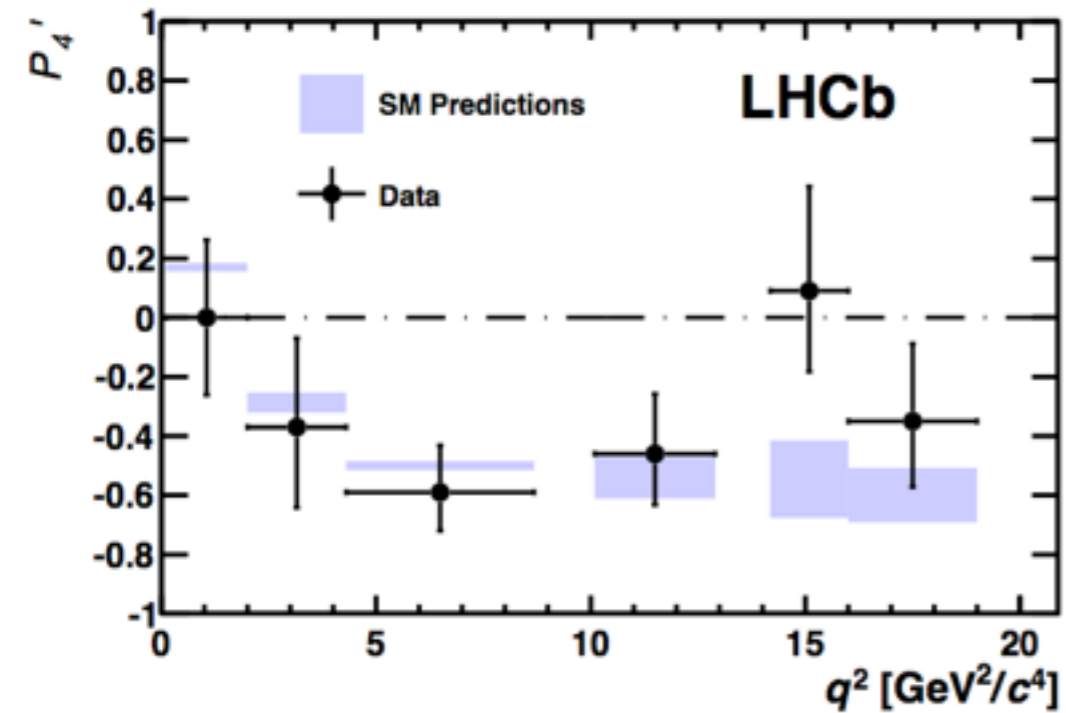
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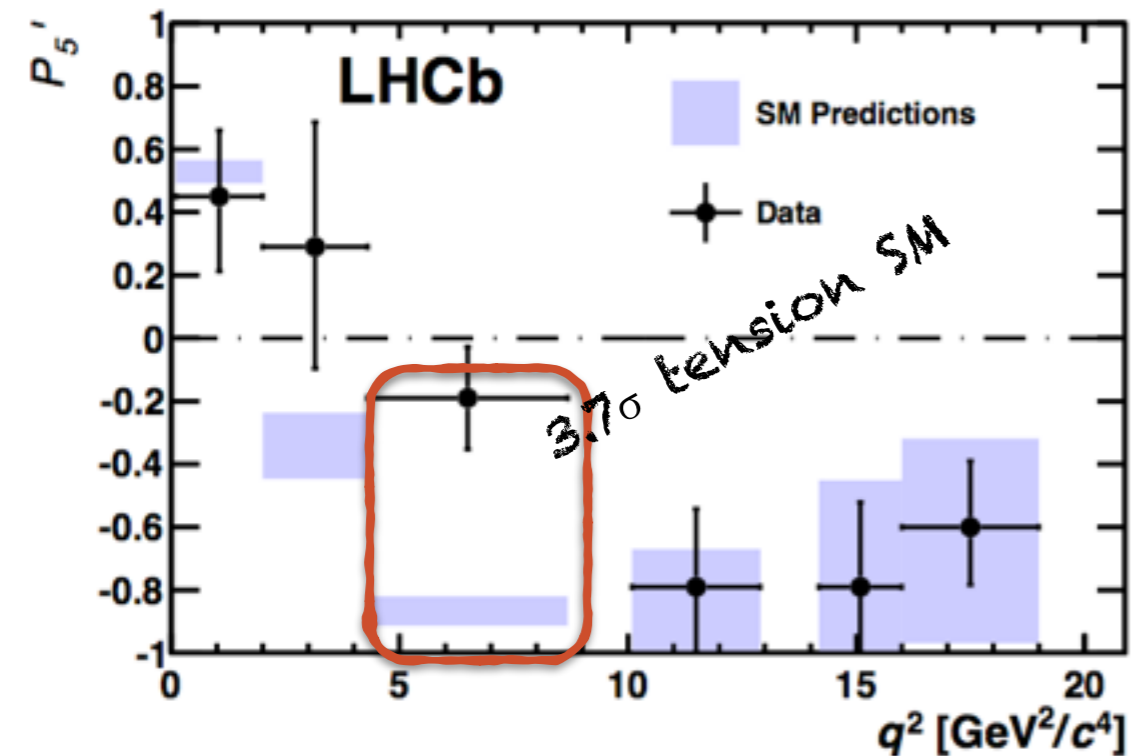
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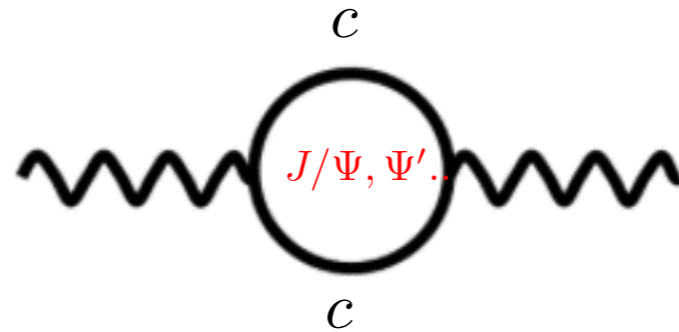


not quite everywhere (2013-anomalies) ..



- what's charm got to with it?
let's see

B. charm vacuum polarisation



- fully non-perturbative from BESII-data; as for (g-2)
- fully describes factorisation (later beyond)

Charm vacuum polarisation from BESII-data

- **Kallen-Lehmann-representation** follows (first principle dispersion relation)

$$\text{vac.pol.} \equiv h_c(q^2) = h_c(s_0) + \frac{q^2 - s_0}{2\pi i} P \int_{s_{J/\Psi}}^{\infty} \frac{dt}{t - s_0} \frac{\text{Disc}[h_c](t)}{t - q^2 - i0},$$

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$$\text{Disc}[h_c](s) = \frac{2\pi i}{3} \frac{\sigma(e^+e^- \rightarrow \text{c-hadrons})}{\sigma(e^+e^- \rightarrow \mu^+\mu^-)}, \quad \text{celebrated R-function}$$

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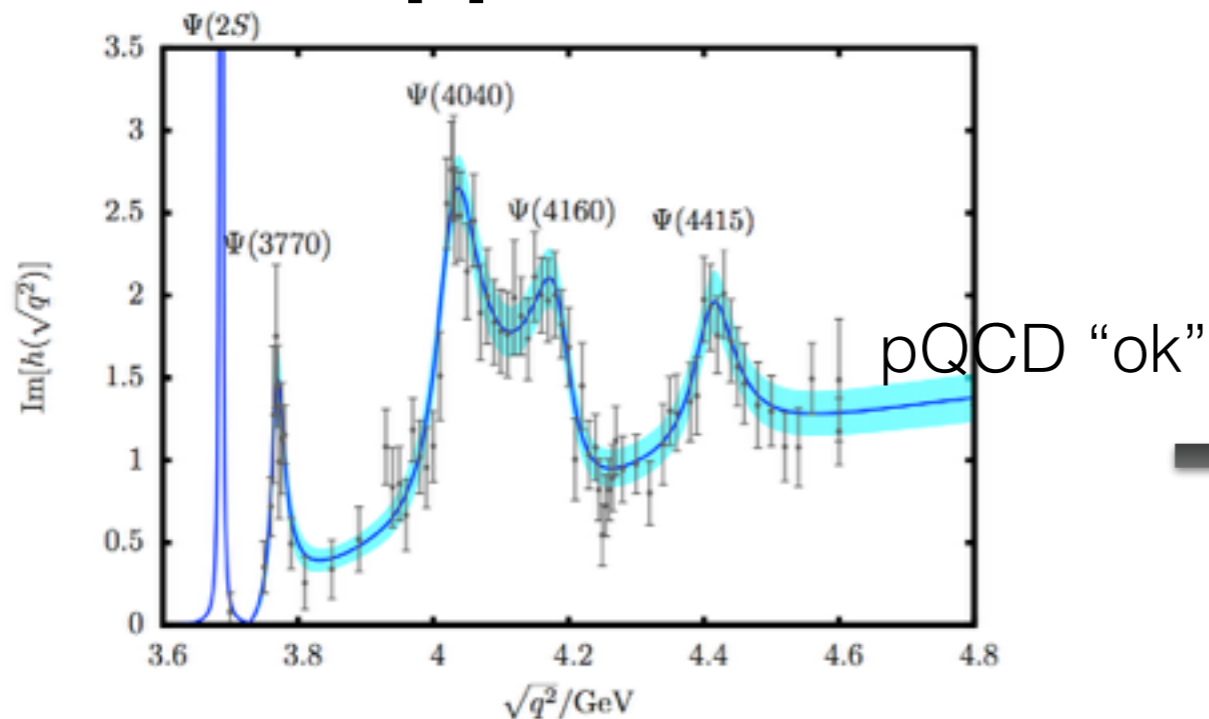
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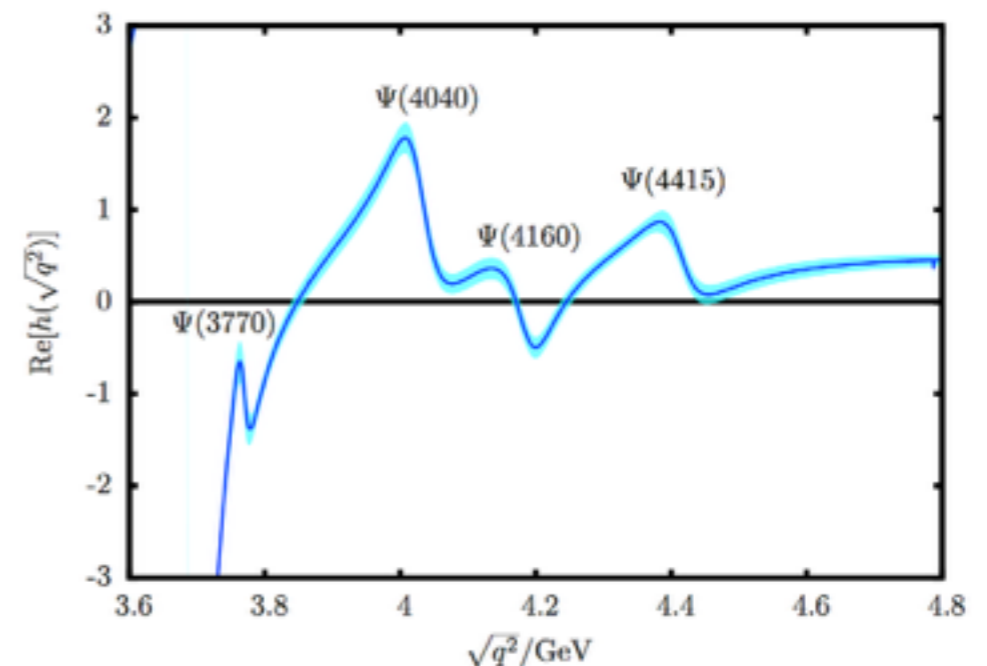
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Disc \sim Im[h]; BESII-data'PLB08

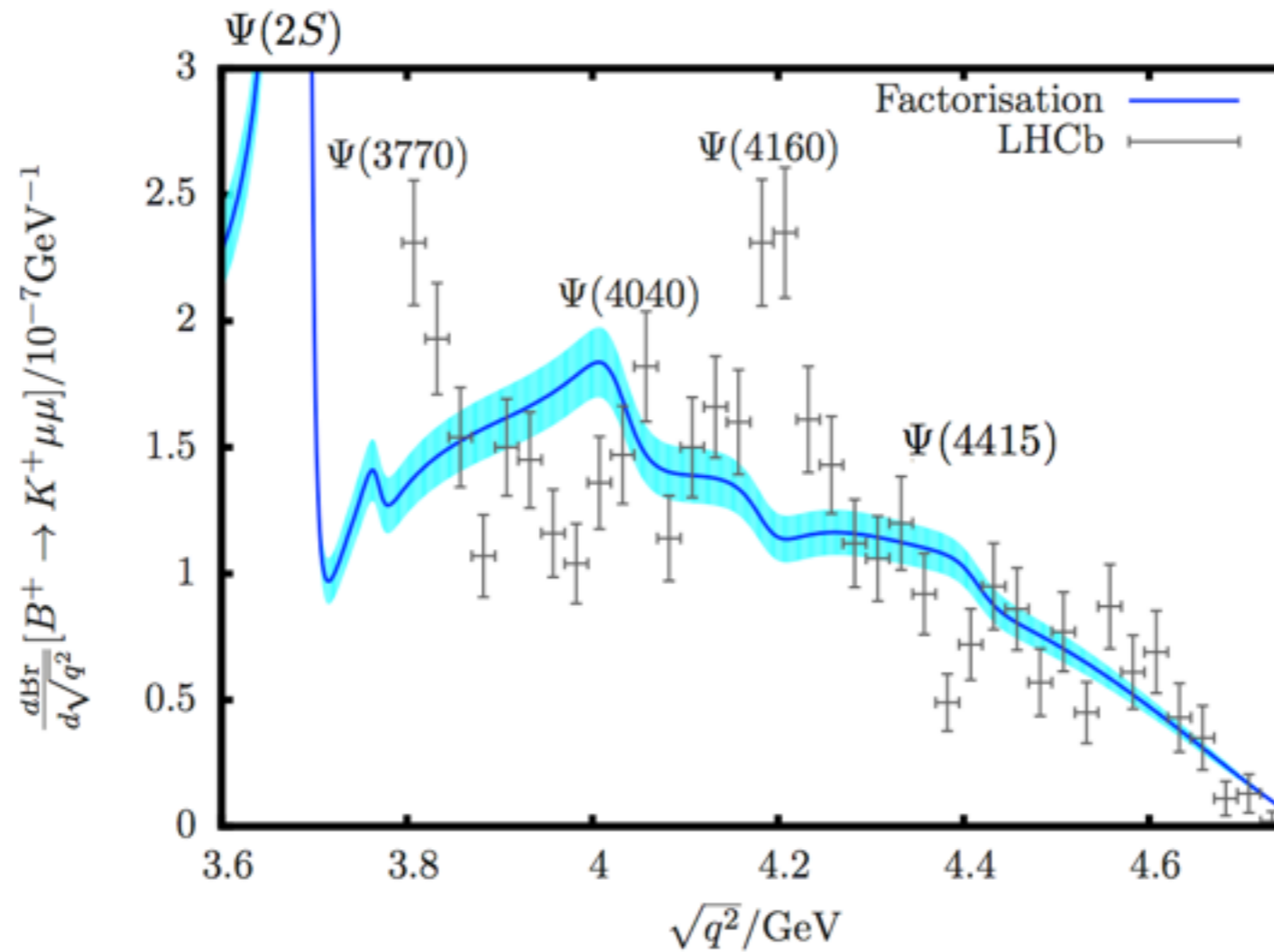


our $\chi^2/\text{dof} = 1.015$

Re[h] dispersion relation above



Factorisation (BESII-data) applied to $B \rightarrow K\ell\ell$ at high q^2



“oh dear!” does not work at all (topsy turvy)!
much worse than “expected” (later)

phase 1:

- phenomenological assessment through combined fits to LHCb- and BESII-data

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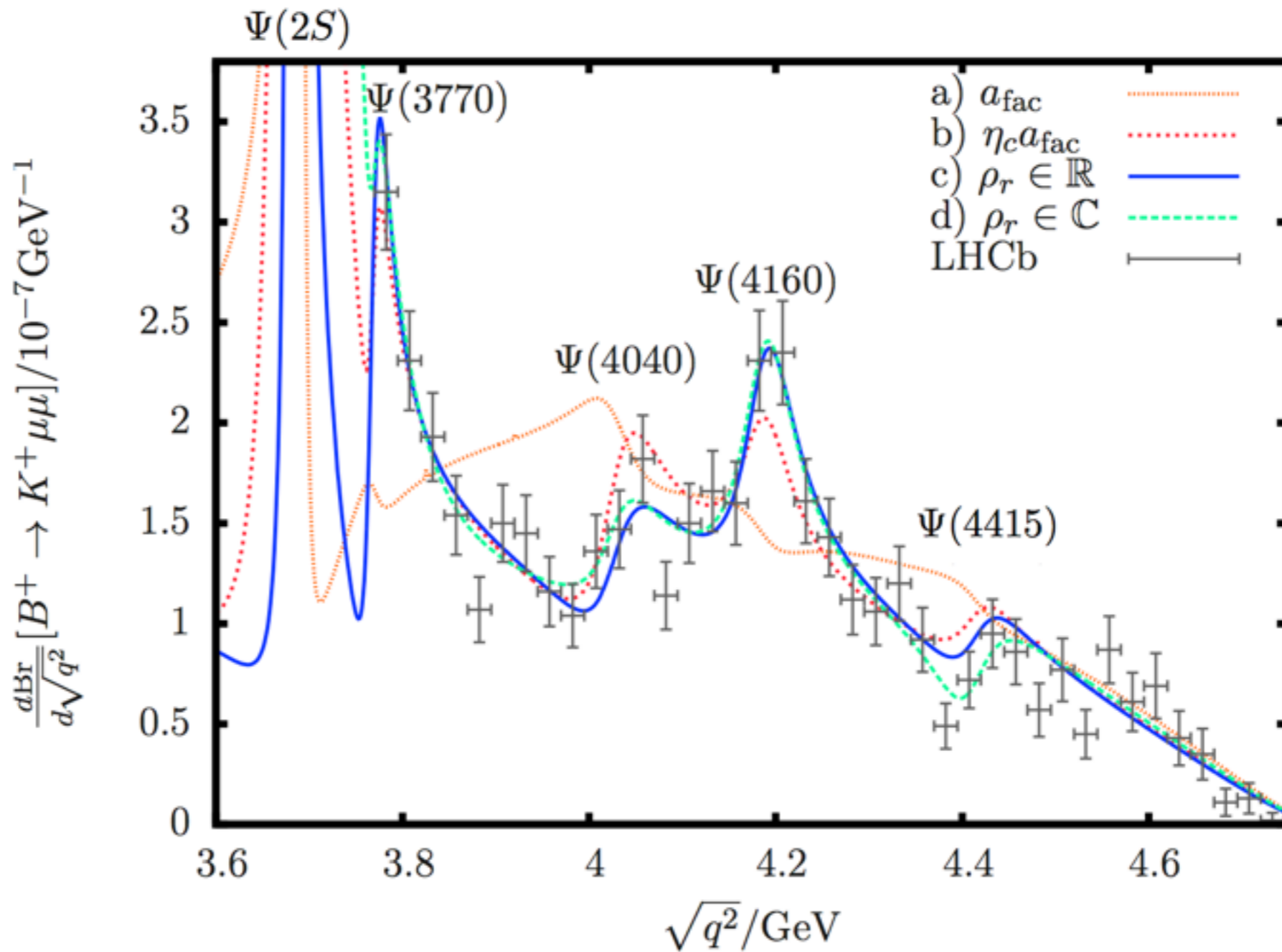
phase 2:

- assessment of non-factorisable corrections — discussion of duality

C. Combined fits to LHCb- and BESII-data

- Masses and width of resonances are same in both data 4 fits:
 - a) fit normalisation $\eta_{\mathcal{B}}$
 - b) fit BESII-prefactor η_c and $\eta_{\mathcal{B}}$
 - c) fit residues $\rho_r \in \mathbb{R}$ of LHCb-resonances (allow for non-factorisable effects)
 - d) fit residues $\rho_r \in \mathbb{C}$ of LHCb-resonances

results ...



Fit	η_B	η_c	$\rho_{\Psi(2S)}$	$\rho_{\Psi(3770)}$	$\rho_{\Psi(4040)}$	$\rho_{\Psi(4160)}$	$\rho_{\Psi(4415)}$	$\chi^2/\text{d.o.f.}$	d.o.f.	pts
<i>a)</i>	0.98	$\equiv 1$	$\equiv 1$	$\equiv 1$	$\equiv 1$	$\equiv 1$	$\equiv 1$	3.59	99	117
<i>b)</i>	1.08	-2.55	$\equiv 1$	$\equiv 1$	$\equiv 1$	$\equiv 1$	$\equiv 1$	1.334	98	117
<i>c)</i>	0.81	$\equiv 1$	-1.3	-7.2	-1.9	-4.6	-3.0	1.169	94	117
<i>d)</i>	1.06	$\equiv 1$	$3.8-5.1i$ $6.4e^{-i53.3^\circ}$	$-0.1-2.3i$ $2.0e^{-i92^\circ}$	$-0.5-1.2i$ $1.3e^{-i111^\circ}$	$-3.0-3.1i$ $4.3e^{-i135^\circ}$	$-4.5+2.3i$ $5.1e^{i153^\circ}$	1.124	89	117

conclusions of phase 1:

- factorisation scaled by a factor -2.5 (fit b) works surprisingly well
- this corresponds to a correction of -3.5 with regard to 1.0
⇒ factorisation fails by 350% !
- keep it simple — fits c,d) refinements for later (duality)

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question:

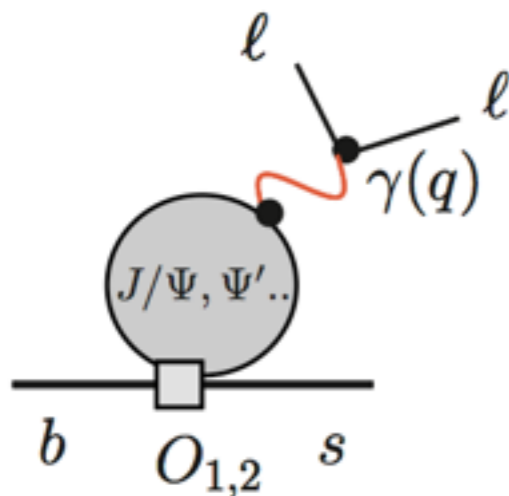
- can QCD explain this? ⇒ phase 2:

D. how large are non-fac. corrections

- from QCD alone not chance to resolve locally in q^2
- at high q^2 : q^2 is a large scale can integrate out charm quarks
so-called high- q^2 “OPE” Grinstein, Pirjol'04 Beylich, Buchalla, Feldmann'11

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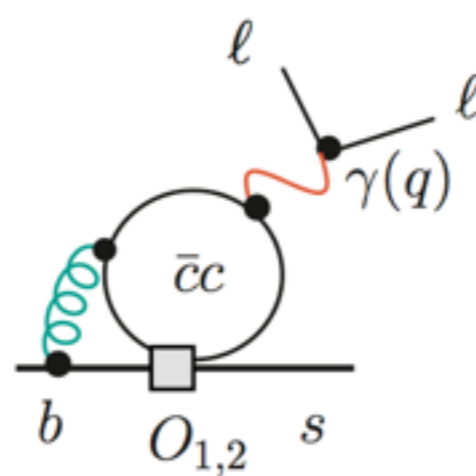
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factorisation (BESII)

Lyon RZ'14

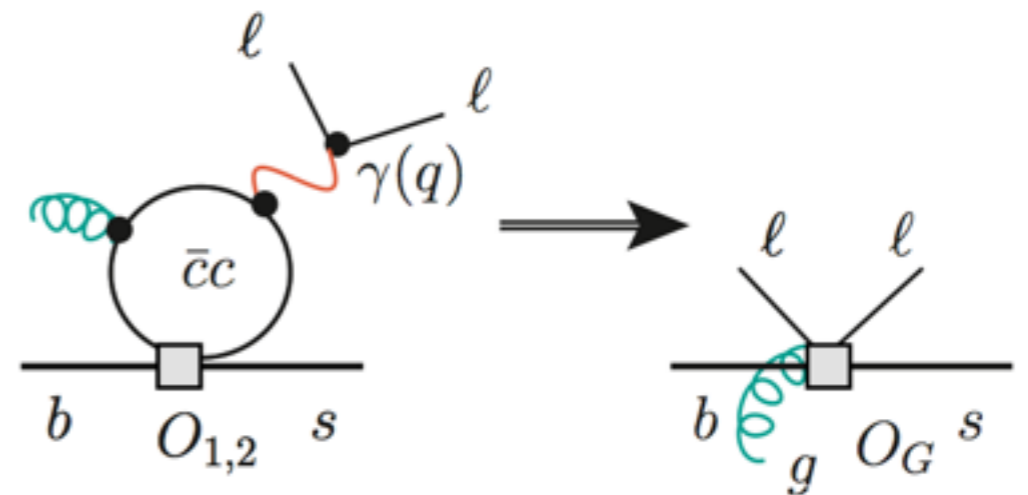
100% in our units



dim-3 vertex-corrections

Hurth, Isidori, Ghinculov, Yao'03
Greub, Pilipp, Schupach'08

roughly -50% throughout q^2 -
domain
N.B. large due to color-
enhancement
(not repeated higher orders)



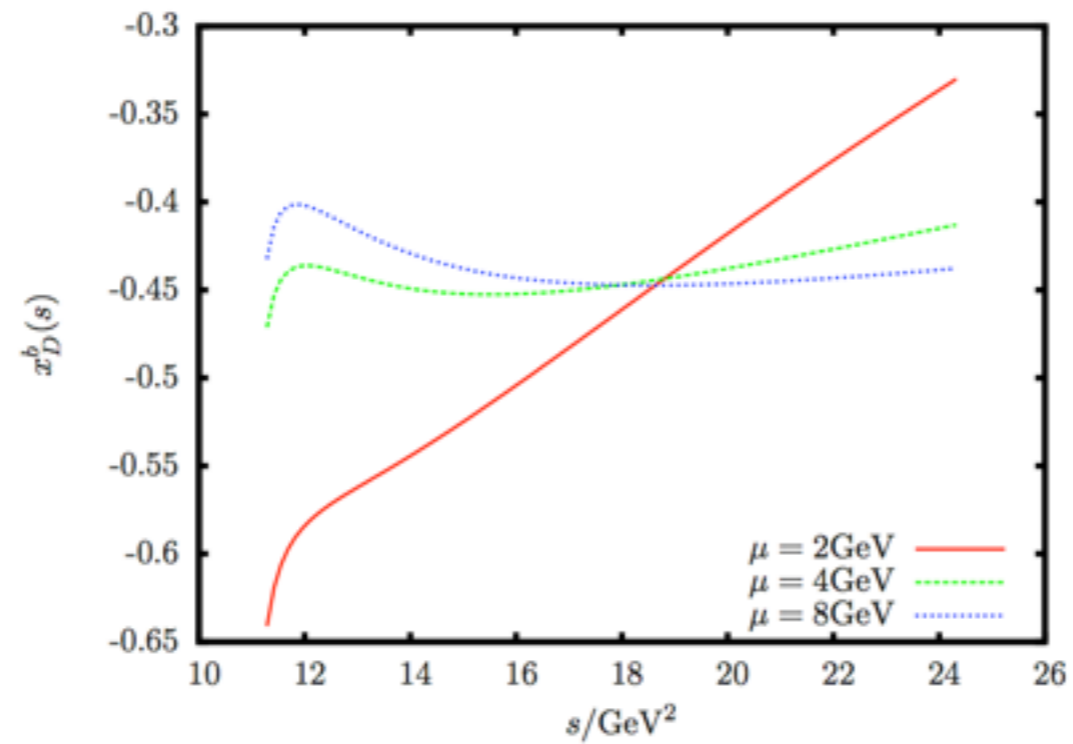
dim-5 spectator & soft gluon

Beylich, Buchalla, Feldmann'11

small $O(2\%)$ QCDF
consistent dim. suppression

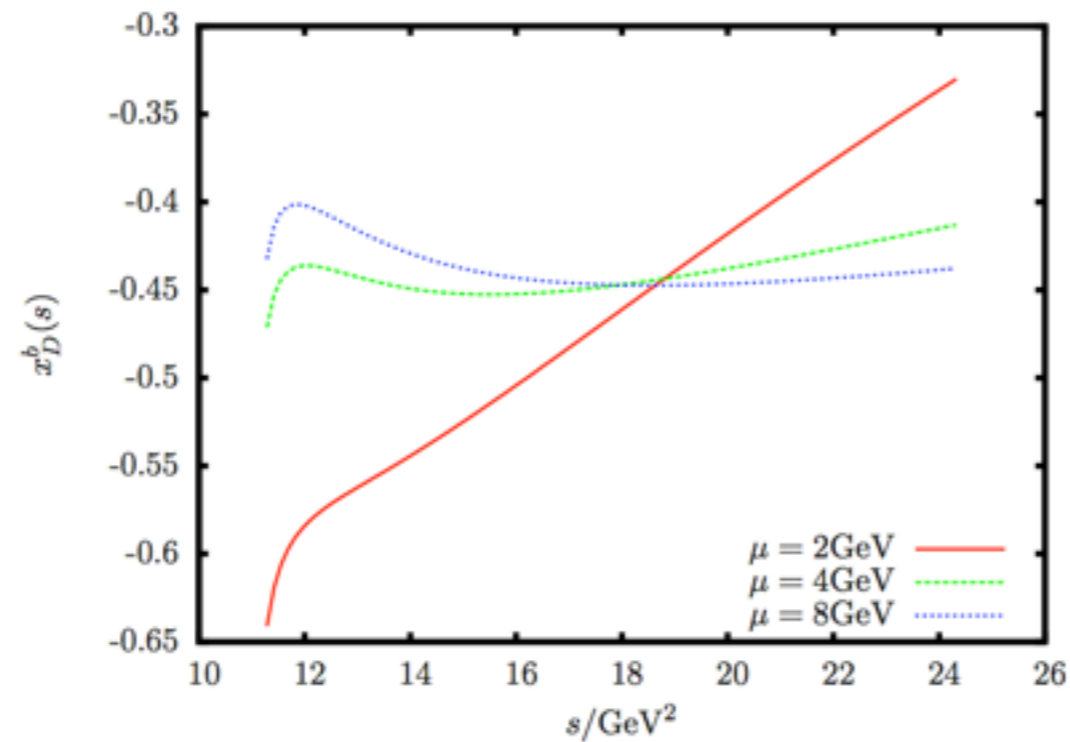
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- can we trust partonic QCD?
no not locally \Rightarrow quark-hadron duality ...

Quark-hadron duality

- colloquially: “when smeared (integrated) over large enough interval quark and hadrons lead to quantitatively similar results”

Quark-hadron duality

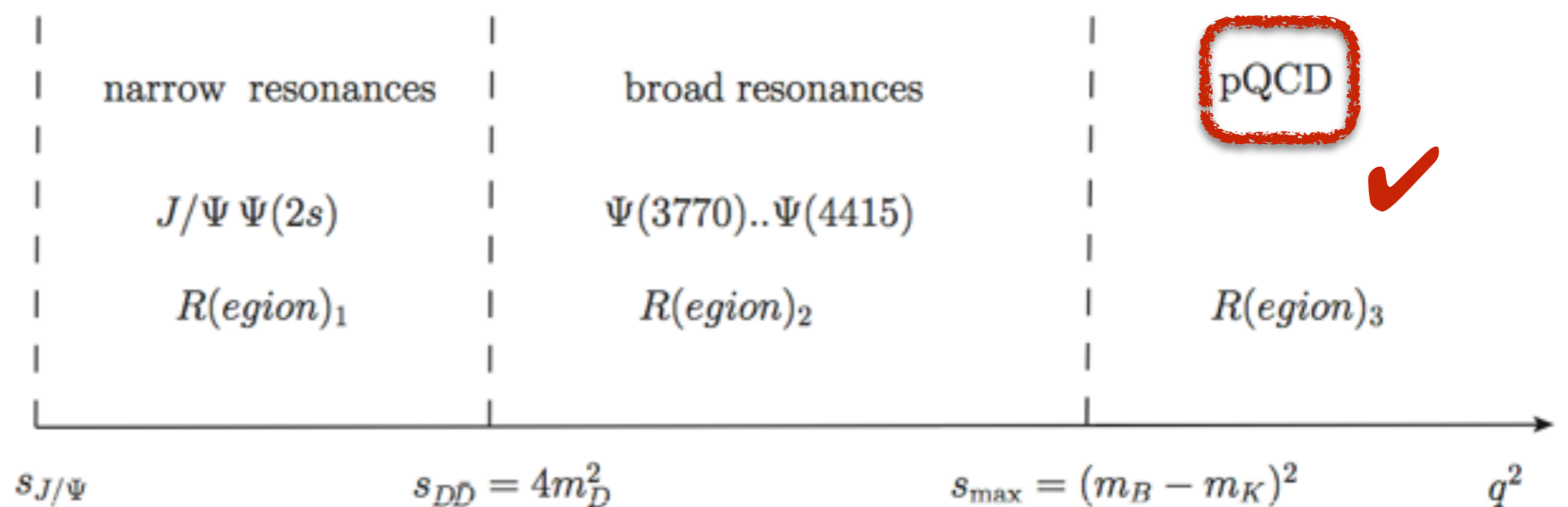
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non-fac. correction obey same (verified) DR as factorisable part

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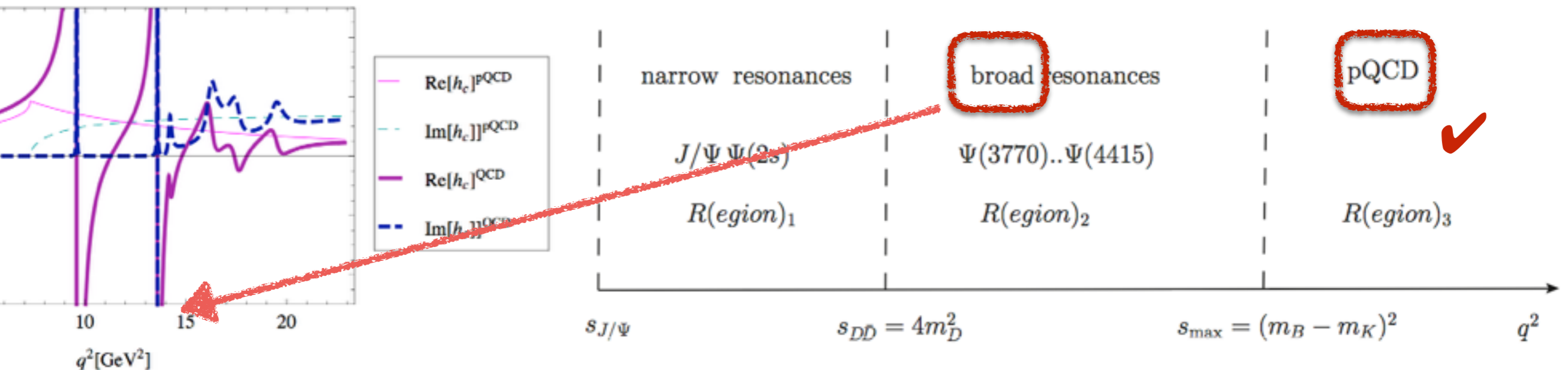


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factorisable charmloop $h_c(q^2)$



second conclusions of phase 2:

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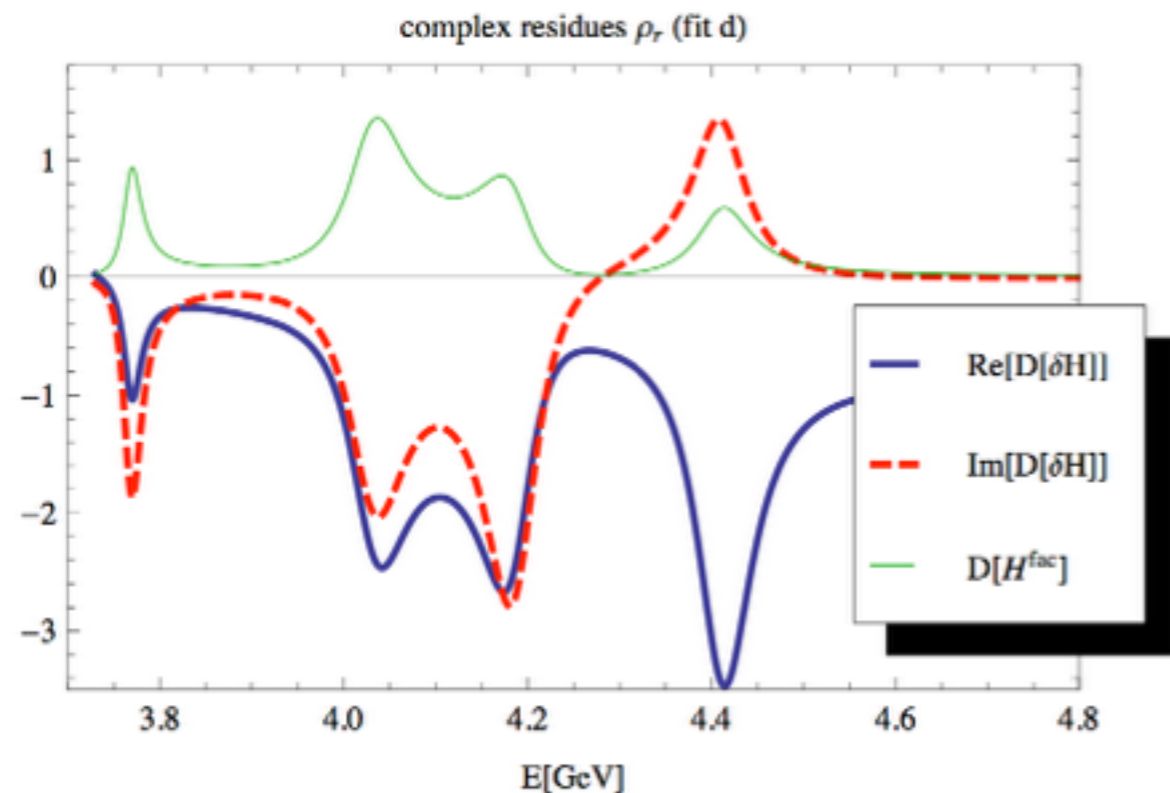
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non-factorisable part isn't (that's what we tested for in fit d)



- fit d) effect of cancellations 20% instead of 350% its 280%
 \Rightarrow that's not it!

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- in our analysis we have not come across any signs that QCD can explain this effect. Yet charm-physics has a reputation of being notoriously difficult.

- how to **improve**:

- 1) measure residues (phases) of all resonances in $B \rightarrow (\Psi \rightarrow \Pi) K^{(*)}$
- 2) perform fits to various fine binned observables (more robust results)
- 3) if 1) is successful \Rightarrow spectral information to reconstruct

charm amplitude fully non-perturbative from DR (fit subtraction constant)

*remains to be seen
whether 3) is realistic*

E. possible impact on low q^2

- if charm resonances have surprised us at high q^2 , likely they will at low q^2

E. possible impact on low q^2

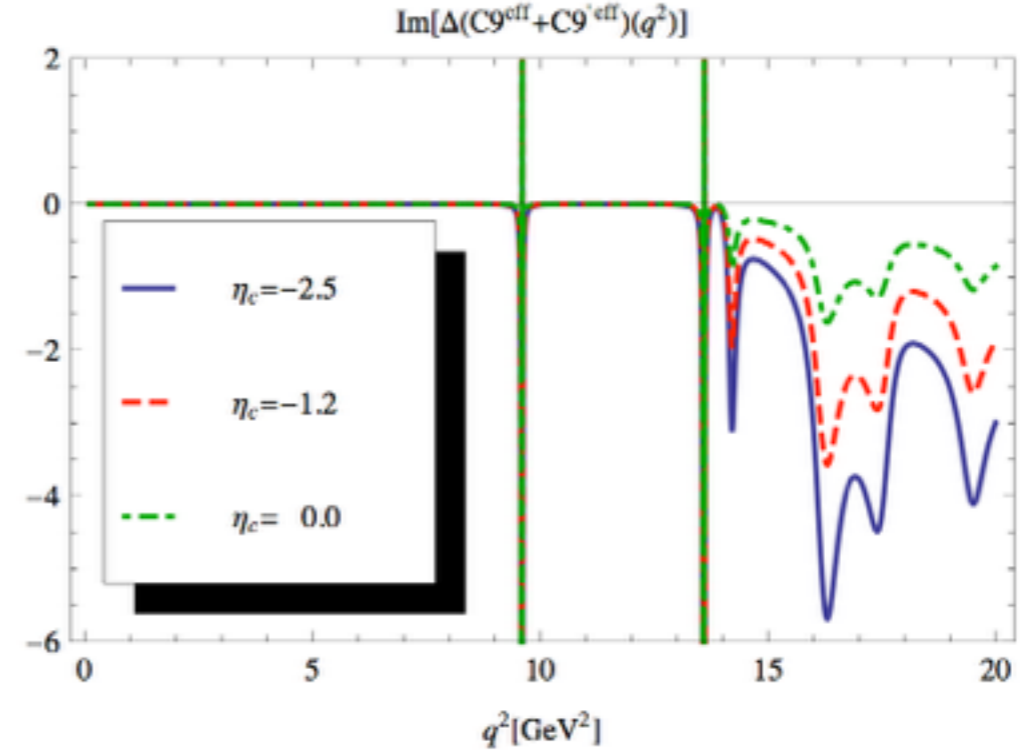
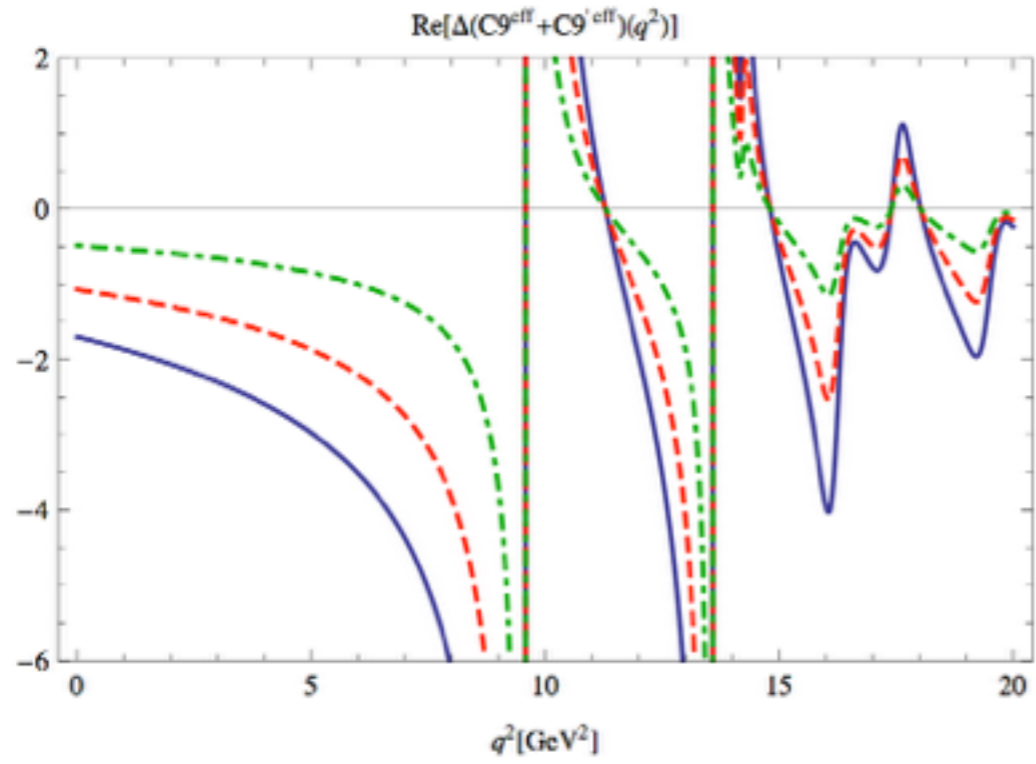
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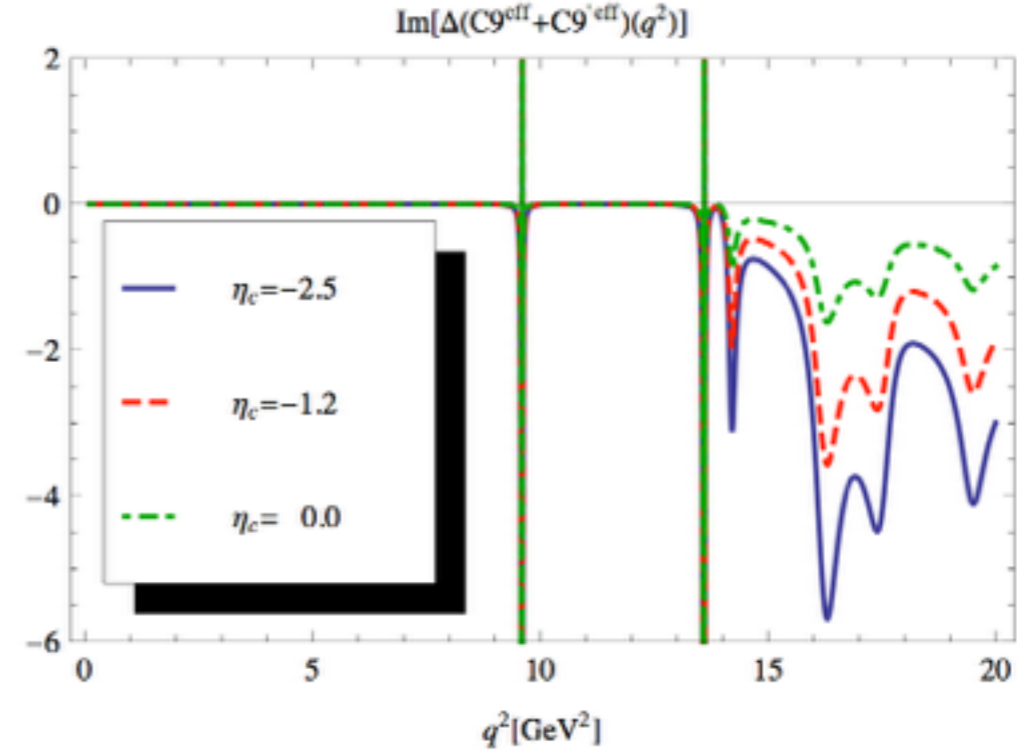
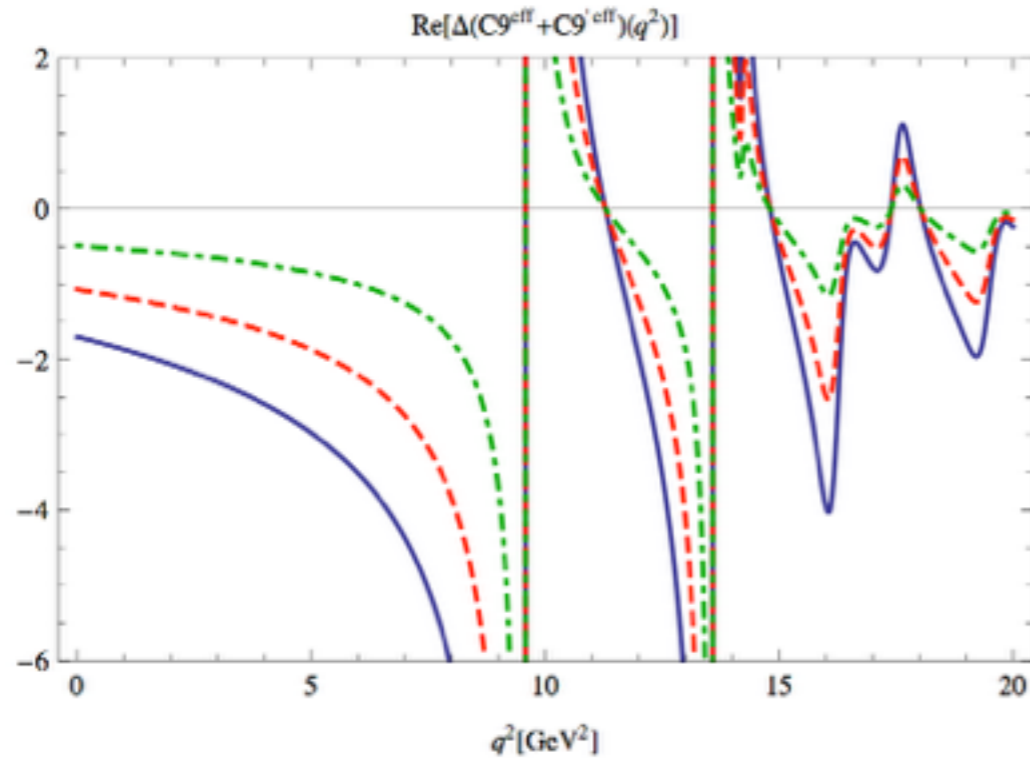
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 - > currently ambiguity how to do it
- fit b) scaling of factorisable part (at least close) 4D field theory and describes data astonishingly well.
 - > shall take this as a model to assess the size of the effect

effect on $C_{9+} = C_9 + C_9' \dots$

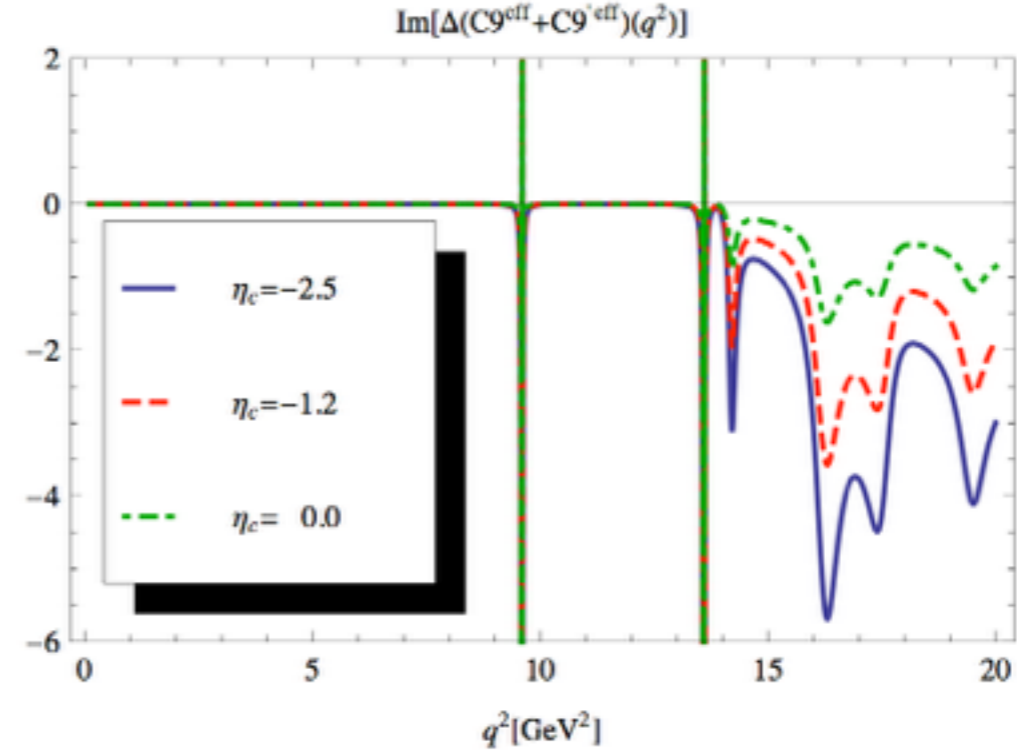
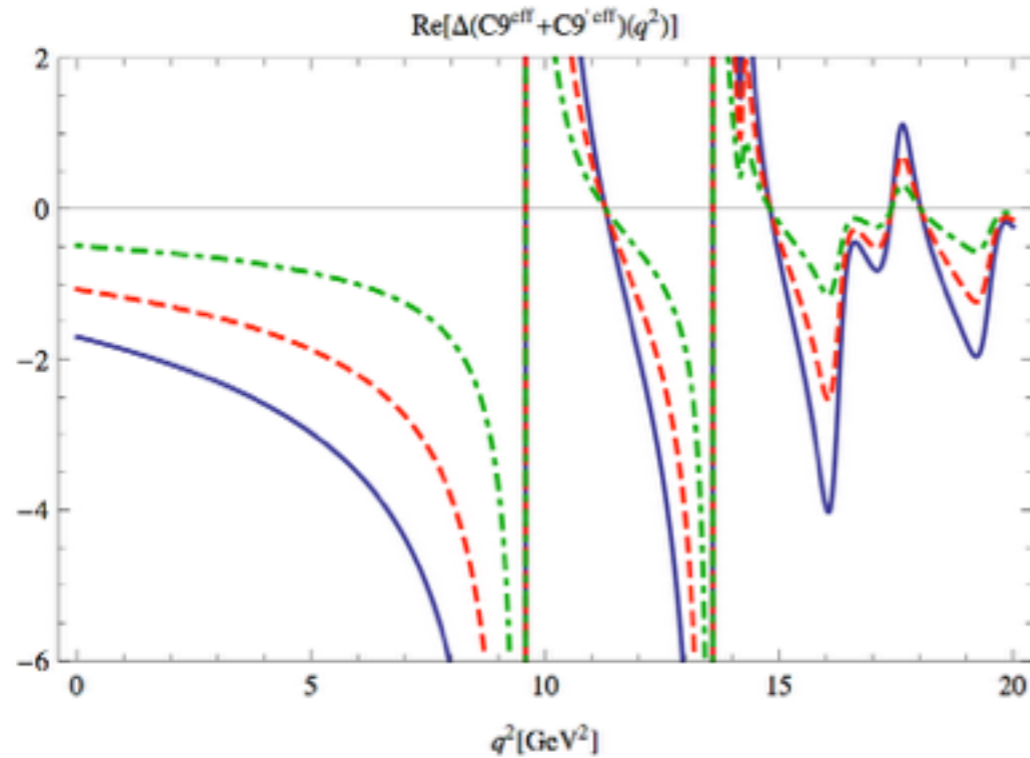


effect on $C_{9+} = C_9 + C_9'$



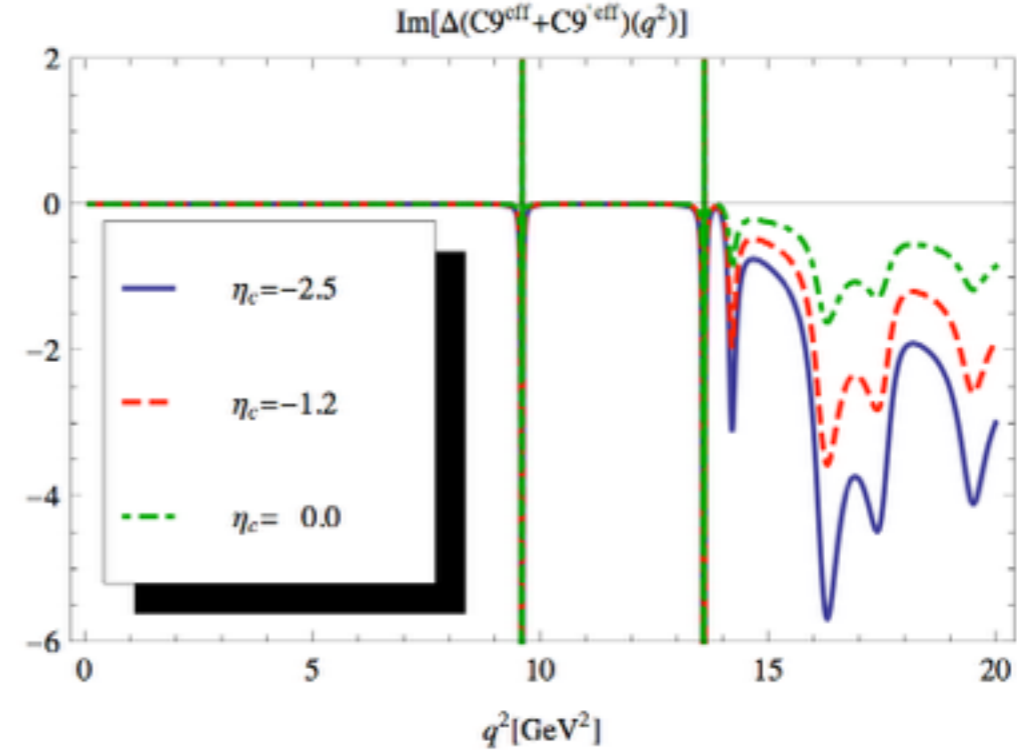
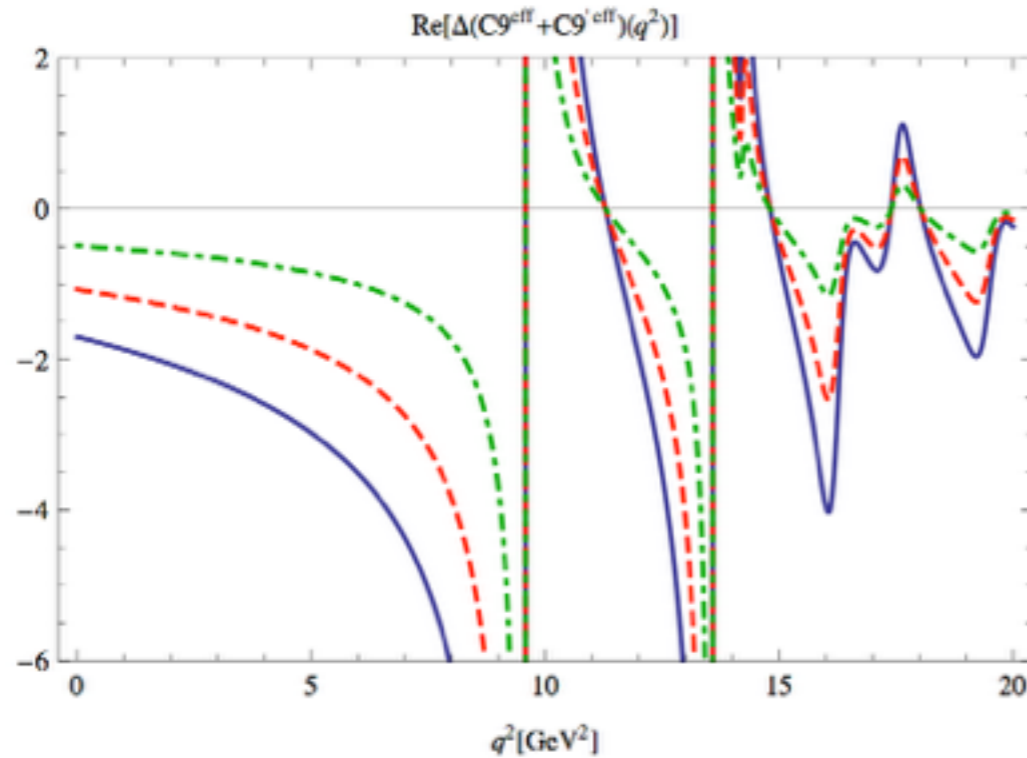
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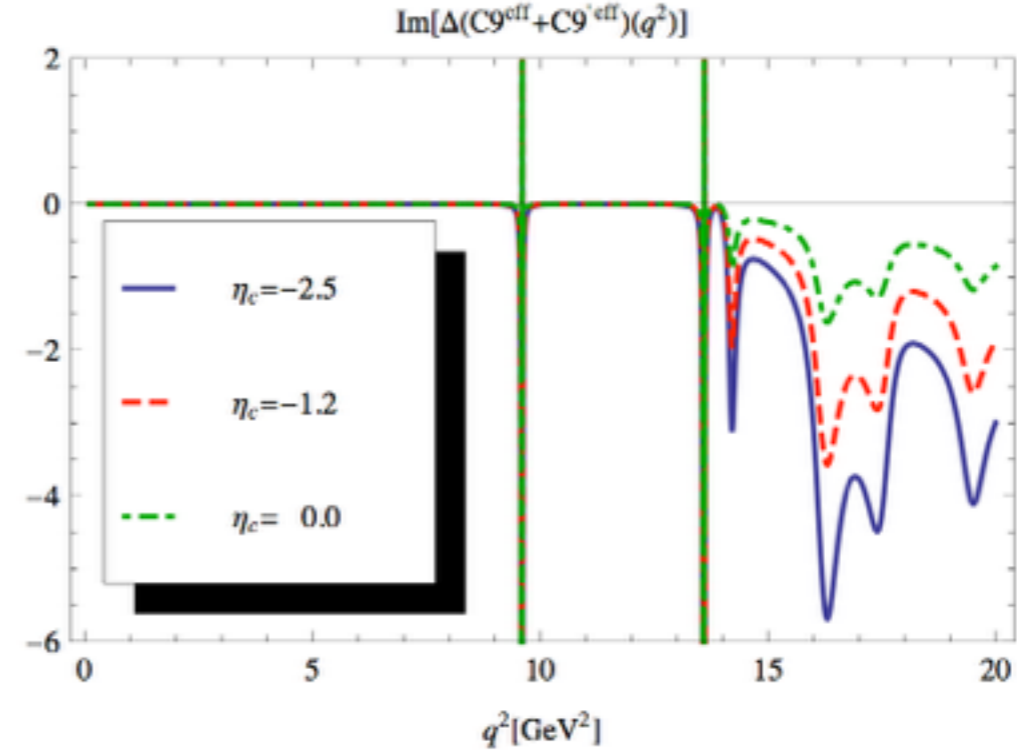
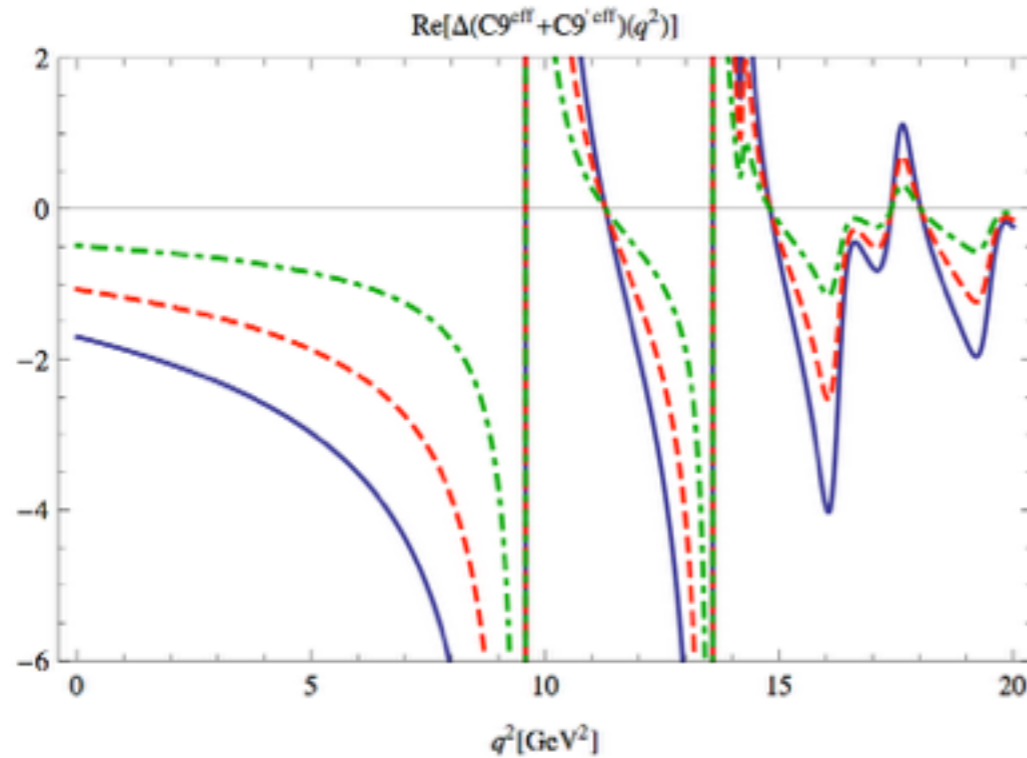
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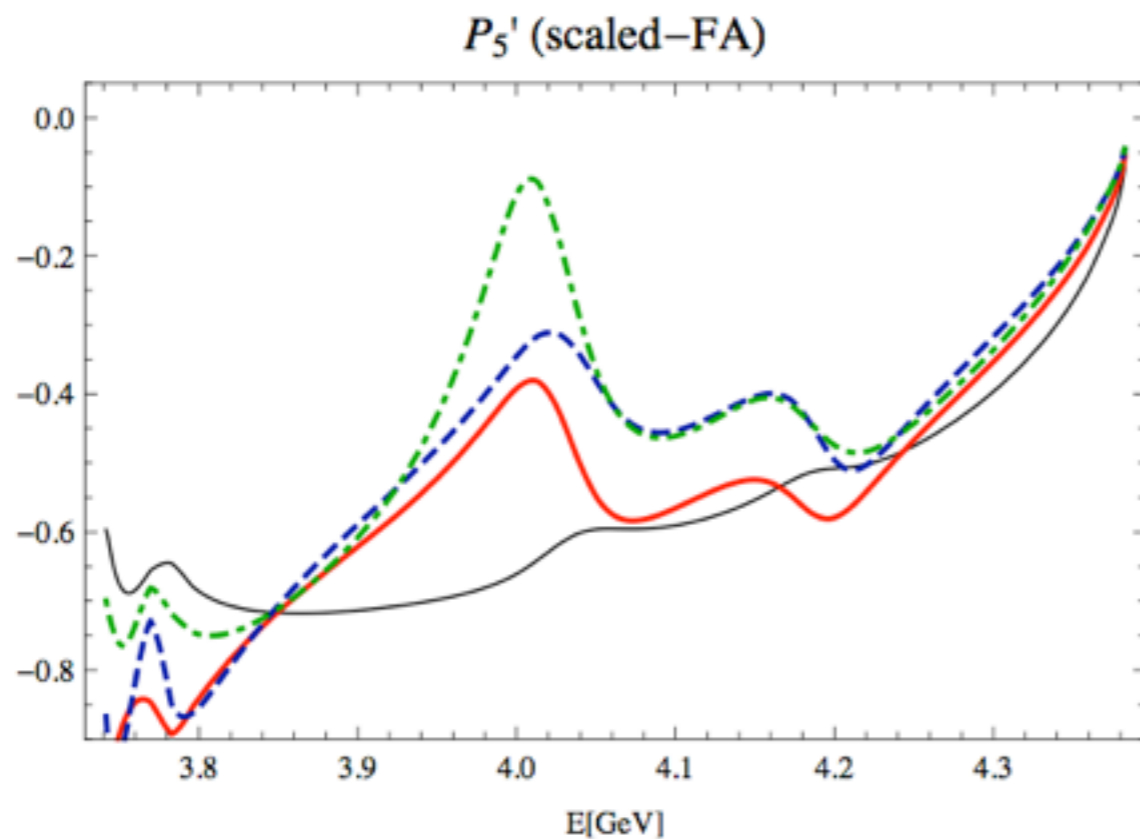
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- hence charm effect good omen but on top more pronounced towards charm resonances and this is what is needed to account for LHCb-results

choose three scenarios

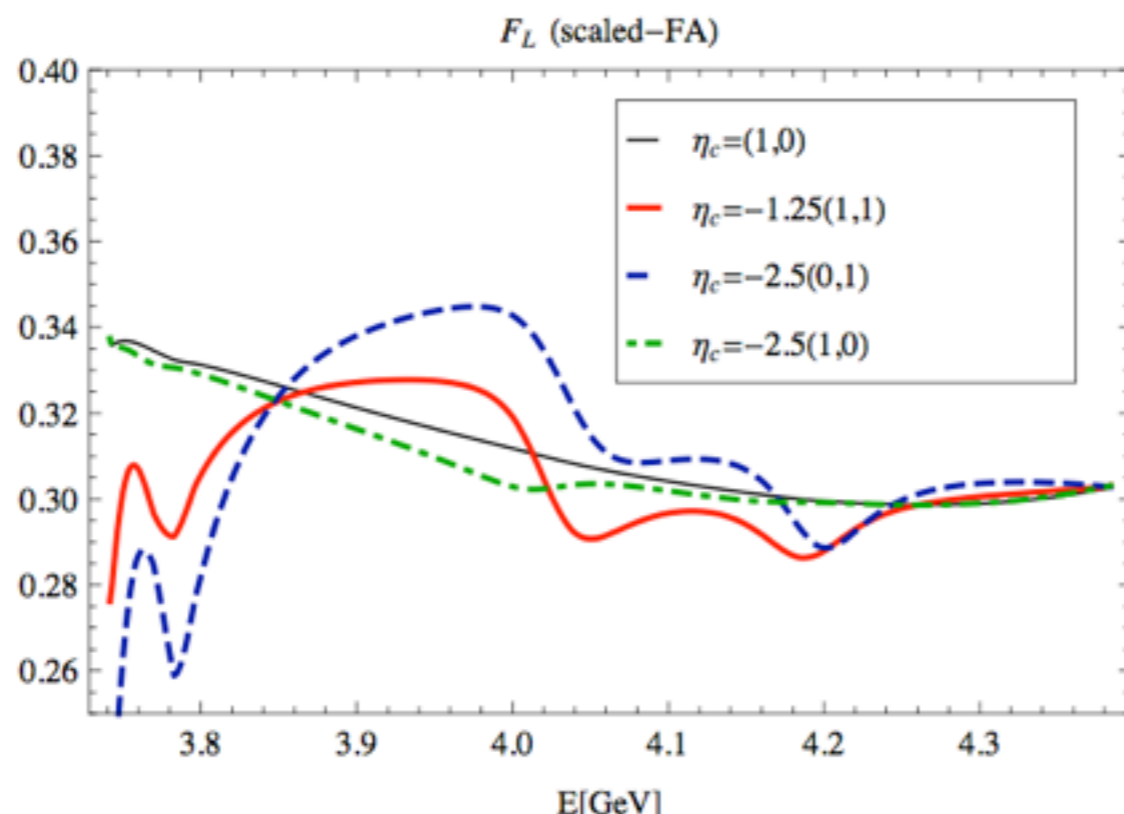
Observable	q^2 -bin	LHCb	SM	$\eta_c = -1.25(1, 1)$	$-2.5(0, 1)$	$-2.5(1, 0)$
$\langle P_2 \rangle$	[1.00, 6.00]	$0.33^{+0.11}_{-0.12}$	0.0085	0.16	-0.013	0.33
$\langle P_2 \rangle$	[2.00, 4.30]	$0.50^{+0.00}_{-0.07}$	0.15	0.25	0.067	0.39
$\langle P_2 \rangle$	[4.30, 8.68]	$-0.25^{+0.07}_{-0.08}$	-0.44	-0.05	-0.23	0.29
$\langle P_2 \rangle$	[14.18, 16.00]	$-0.50^{+0.03}_{-0.00}$	-0.42	-0.39	-0.36	-0.36
$\langle P_2 \rangle$	[16.00, 19.00]	$-0.32^{+0.08}_{-0.08}$	-0.34	-0.31	-0.25	-0.25
$\langle P'_4 \rangle$	[1.00, 6.00]	$0.58^{+0.32}_{-0.36}$	0.57	0.66	0.80	0.64
$\langle P'_4 \rangle$	[2.00, 4.30]	$0.74^{+0.54}_{-0.60}$	0.61	0.69	0.82	0.67
$\langle P'_4 \rangle$	[4.30, 8.68]	$1.18^{+0.26}_{-0.32}$	1.0	1.0	1.2	0.98
$\langle P'_4 \rangle$	[14.18, 16.00]	$-0.18^{+0.54}_{-0.70}$	1.2	1.2	1.2	1.2
$\langle P'_4 \rangle$	[16.00, 19.00]	$0.70^{+0.44}_{-0.52}$	1.3	1.3	1.3	1.3
$\langle P'_5 \rangle$	[1.00, 6.00]	$0.21^{+0.20}_{-0.21}$	-0.44	-0.15	-0.33	0.17
$\langle P'_5 \rangle$	[2.00, 4.30]	$0.29^{+0.40}_{-0.39}$	-0.47	-0.17	-0.36	0.13
$\langle P'_5 \rangle$	[4.30, 8.68]	$-0.19^{+0.16}_{-0.16}$	-0.88	-0.31	-0.44	0.26
$\langle P'_5 \rangle$	[14.18, 16.00]	$-0.79^{+0.27}_{-0.22}$	-0.70	-0.66	-0.59	-0.61
$\langle P'_5 \rangle$	[16.00, 19.00]	$-0.60^{+0.21}_{-0.18}$	-0.53	-0.49	-0.39	-0.38
$\langle A_{FB} \rangle$	[1.00, 6.00]	$0.17^{+0.06}_{-0.06}$	0.0026	0.054	-0.0033	0.14
$\langle A_{FB} \rangle$	[2.00, 4.30]	$0.20^{+0.08}_{-0.08}$	0.034	0.069	0.014	0.15
$\langle A_{FB} \rangle$	[4.30, 8.68]	$-0.16^{+0.05}_{-0.06}$	-0.21	-0.025	-0.098	0.19
$\langle A_{FB} \rangle$	[14.18, 16.00]	$-0.51^{+0.05}_{-0.07}$	-0.43	-0.40	-0.36	-0.37
$\langle A_{FB} \rangle$	[16.00, 19.00]	$-0.30^{+0.08}_{-0.08}$	-0.35	-0.33	-0.26	-0.26

- inspection tells us that mix between scenario (i) and (iii) best for data ...

what fine binning can do $B \rightarrow K^* \Pi$ angular observables



noticeable effects



moderate effects
(at least when universal)

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- scaled factorisation (-2.5) (can) explain(s) $B \rightarrow K^* l l$ -anomalies
- of course there can still be ΔC_9 short distance new physics
(power corrections cannot explain central values)

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- high q^2 : measure C_9 and C_9' -part of effects as well as polarisation non-universality (from non-factorisable effects)

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- low q^2 : makes sense to do SM predictions well below J/Ψ -resonances

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Final words:

“charm (can) explain(s) $B \rightarrow K^ \ell$ -anomalies
but charm doesn't explain itself”*

BACKUP SLIDES

B→charmonium $K^{(*)}$ et al

- $B \rightarrow \Psi K^{(*)}$ has got notorious reputation (also with factorisation)
- the setting we have with duality interval is on much safer grounds but what we have found is that not only factorisation is not very precise but that the sign of factorisation is the wrong one (indirect analysis)
- it seems the problem in $b \rightarrow c s s$ physics has become **much worse** with this new analysis
- motivates reinvestigation of $b \rightarrow c s s$ physics in general

Fit BESII-data (more details)

r	m_r [GeV]	Γ_r [MeV]	$^{2s+1}L_J$
J/Ψ	3.097	0.0934(21)	3S_1
$\Psi(2S)$	3.686	0.337(13)	3S_1
$\Psi(3370)$	3.771	23.3	3D_1
$\Psi(4040)$	4.039	76.2	3S_1
$\Psi(4160)$	4.192	73.5	3D_1
$\Psi(4415)$	4.415	78.5	3S_1

$$R_{\text{fit}}(s) = R_{\text{res}}(s) + R_{\text{con}}(s)$$

$$R_{\text{con}}(s) = R_{uds} + (1 - z)(\Delta R_c + za), \quad \Delta R_c \equiv R_{udsc} - R_{uds},$$

$$R_{\text{res}}(s) = \frac{9}{\alpha^2} \sum_f \left| \sum_r T^{r \rightarrow f}(s) \right|^2$$

phase at production of resonance r

$$T^{r \rightarrow f}(s) = \frac{m_r \sqrt{\Gamma^{r \rightarrow e^+e^-} \Gamma^{r \rightarrow f}(s)}}{s - m_r^2 + im_r \Gamma_r(s)} e^{i\delta_r}.$$

- Breit-Wigner ansatz with energy dependent width and interference effects