

$U(1)'$ for neutrino mass, dark matter, stability of the electroweak scale

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On a model building approach to neutrino mass and dark matter with $U(1)'$ gauge symmetry and Coleman-Weinberg mechanism

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Issues in the SM

- Gravity
- Neutrino mass
- Dark matter, Baryon asymmetry of the Universe
- Gauge hierarchy
- Strong CP
- Fermion masses and mixing
- QCD dynamics

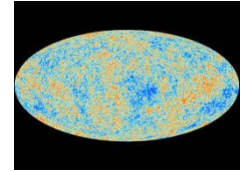
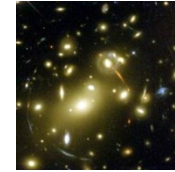
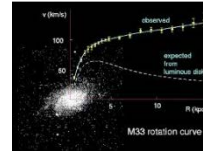
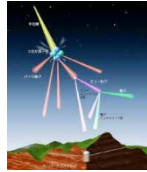
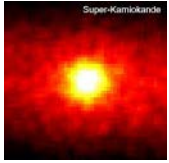
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Issues in the SM

- Gravity
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- Gauge hierarchy
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- QCD dynamics
-

Relatively easy (but compelling)

Neutrino mass, dark matter



Hidden sector ?

Gauge singlet fermion is one of the most attractive possibilities

Minimal extensions

ν MSM

SM + 3 ν_R

Asaka, Blanchet, Shaposhnikov, 2005

$U(1)_{B-L}$ with Z_2

SM + 3 ν_R + 1 scalar

Okada, Seto, 2010

Radiative seesaw (with ν_R)

SM + n ν_R + m scalars

Krauss, Nasri, Trodden, 2003
Ma, 2006
Aoki, Kanemura, Seto, 2009
...

Discrete (global) symmetries for the stability of DM



Gauge symmetry

(The simplest example is $U(1)$)

Classical scale invariance and Higgs mass

Bardeen, 1995

No fine-tuning in the SM itself if

- Λ^2 is canceled by the counter terms
- No new scale exists between EW and Planck

$$\Theta_{\mu}^{\mu}|_{classical} = 2m^2 \overline{H}H$$

$$\Theta_{\mu}^{\mu}|_{one\ loop} = 2\Delta m^2 \overline{H}H + \sum_i \beta_{\lambda_i} O_i$$

$$\Delta m^2 \sim m^2 \cdot X, \text{ not } \Lambda^2 \cdot X$$

“EW symmetry breaking via Coleman-Weinberg”

(An incomplete list of) related works

Hempfling,1996;Dias,2006;Meissner,Nicolai,2007; Chang,Ng,Wu,2007;
Foot,Kobakhidze,McDonald,Volkas,2007;Iso,Okada,Orikasa 2009;
Holthausen,Lindner,Schmidt,,2010;Nunneley,Pilaftsis,2010;
Hur,Ko,2011;Ishiwata,2012;Englert,Jaeckel,Khoze,Spannowsky,2013;Hambye,Strumia,
2013;Marques,Tavares,Schmaltz,Skiba,2013;Carone,Ramos,2013;Farzinnia,He,Ren,
2013;Antipin,Mojaza,Sannino,2013;Hill,2014;Kubo,Lim,Lindner,2014...

Can $U(1)'$ kill "three birds" ?

- Smallness of the neutrino masses
- Stability of dark matter
- Fine tuning in the Higgs mass via Coleman-Weinberg mech.

Address the compelling issues such as neutrino masses, dark matter, (and baryon asymmetry) by the physics up to TeV scale, with the same footing as the SM (the gauge principle)

U(1)' for the neutrino mass and DM

e.g., U(1)' acting on three gauge singlet fermions

Lindner, Schmidt, AW 2013

	ν_{R_1}	ν_{R_2}	ν_{R_3}
$U(1)'$	0	q	$-q$

Unique possibility
for anomaly cancellation
for three ν_R

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Usual Type I seesaw

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Radiative correction

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Lindner, Schmidt, AW 2013

	ν_{R1}	ν_{R2}	ν_{R3}
U(1)'	0	q	-q

Unique possibility
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Usual Type I seesaw

Radiative correction

	ν_{R1}	ν_{R2}	ν_{R3}	η	ϕ	ξ
$SU(2) \times U(1)_Y$	(1, 0)	(1, 0)	(1, 0)	(2, 1/2)	(1, 0)	(1, 0)
U(1)'	0	q	-q	q	2q	q

η : so-called inert doublet

$$\langle \eta \rangle = 0$$

ϕ : breaks U(1)' by VEV

$$\langle \phi \rangle \sim 1 \text{ TeV}$$

ξ : plays a role in the loop correction

$$\langle \xi \rangle = 0$$

U(1)' for the neutrino mass and DM

$$\begin{aligned} \mathcal{L} = & y_{1\alpha} \nu_{R_1}^\dagger L_\alpha \Phi + y_{2\alpha} \nu_{R_2}^\dagger L_\alpha \eta \\ & + \frac{1}{2} (\nu_{R_1}^T, \nu_{R_2}^T, \nu_{R_3}^T) \begin{pmatrix} M_1 & g_{12} \xi^* & g_{13} \xi \\ g_{12} \xi^* & g_1 \phi^* & \widetilde{M}_2 \\ g_{13} \xi & \widetilde{M}_2 & g_2 \phi \end{pmatrix} \begin{pmatrix} \epsilon \nu_{R_1} \\ \epsilon \nu_{R_2} \\ \epsilon \nu_{R_3} \end{pmatrix} + \text{h.c.}, \end{aligned}$$

Mass eigenstates

$$\begin{pmatrix} N_2 \\ N_3 \end{pmatrix} = \begin{pmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} \nu_{R_2} \\ \nu_{R_3} \end{pmatrix}$$

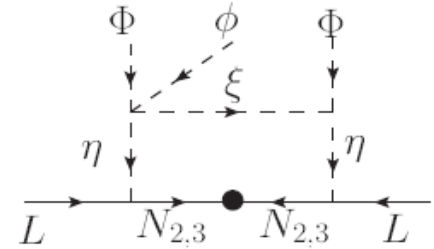
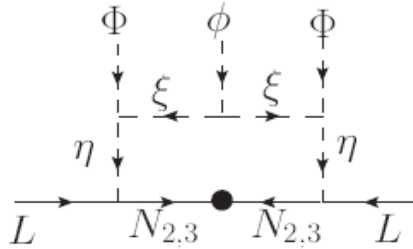
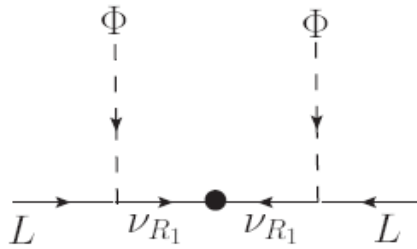
U(1)' for the neutrino mass and DM

$$\mathcal{L} = y_{1\alpha} \nu_{R_1}^\dagger L_\alpha \Phi + y_{2\alpha} \nu_{R_2}^\dagger L_\alpha \eta + \frac{1}{2} (\nu_{R_1}^T, \nu_{R_2}^T, \nu_{R_3}^T) \begin{pmatrix} M_1 & \cancel{g_{12}\xi^*} & \cancel{g_{13}\xi} \\ g_{12}\xi^* & g_1\phi^* & \widetilde{M}_2 \\ \cancel{g_{13}\xi} & \widetilde{M}_2 & g_2\phi \end{pmatrix} \begin{pmatrix} \epsilon \nu_{R_1} \\ \epsilon \nu_{R_2} \\ \epsilon \nu_{R_3} \end{pmatrix} + \text{h.c.},$$

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Neutrino mass and mixing



$$(\mathcal{M}_\nu^{\text{tree}})_{\alpha\beta} \simeq y_{1\alpha} y_{1\beta} \frac{v^2}{M_1}$$

$$(\mathcal{M}_\nu^{\text{rad}})_{\alpha\beta} \simeq y_{2\alpha} y_{2\beta} \left(\frac{1}{16\pi^2} \frac{v^2}{M_{2,3}} \frac{\langle \phi \rangle}{M_*} \right)$$

Normal hierarchy ($m_1=0$, $m_2 < m_3$) is natural

An illustrative fit

$$y_{2\alpha} = (U_{\alpha 2}) y_2, \quad y_{1\alpha} = (U_{\alpha 3}) y_1,$$

$$M_{2,3} = 100 \text{ GeV}, \quad M_1 = M_\eta = \langle \phi \rangle = 1 \text{ TeV} \text{ and } M_* = 10 \text{ TeV}$$

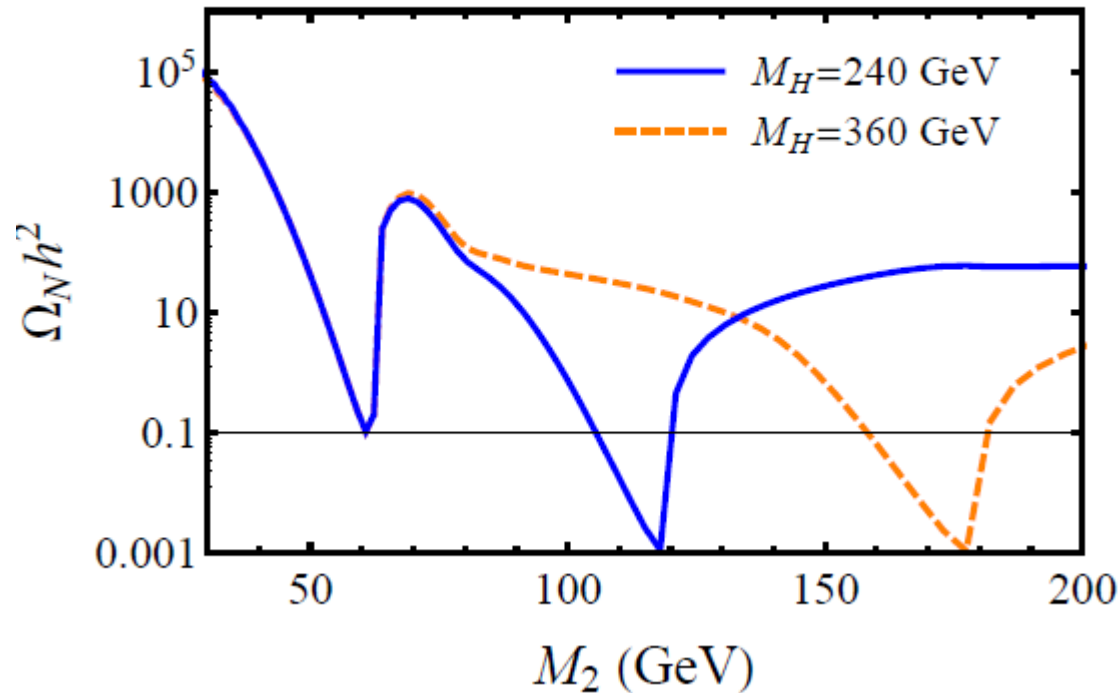


$$y_2 \approx 3 \times 10^{-5} \text{ and } y_1 \approx 1 \times 10^{-6}$$

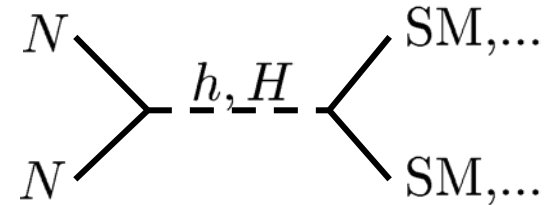
Relic density

s-channel exchange of scalars and Z'

$\sin\alpha=0.1, M_h=125(\text{GeV}), \langle\phi\rangle=1(\text{TeV}), \theta=0$



$\sin\alpha = 0.1, M_h = 125 \text{ GeV}, \langle\phi\rangle = 1 \text{ TeV}, \theta = 0$



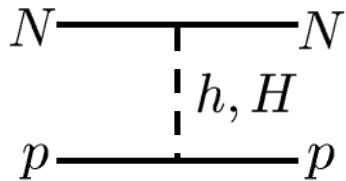
So-called Higgs portal

$$\begin{pmatrix} h \\ H \end{pmatrix} = \begin{pmatrix} \cos\alpha & -\sin\alpha \\ \sin\alpha & \cos\alpha \end{pmatrix} \begin{pmatrix} \Phi_R \\ \phi_R \end{pmatrix}$$

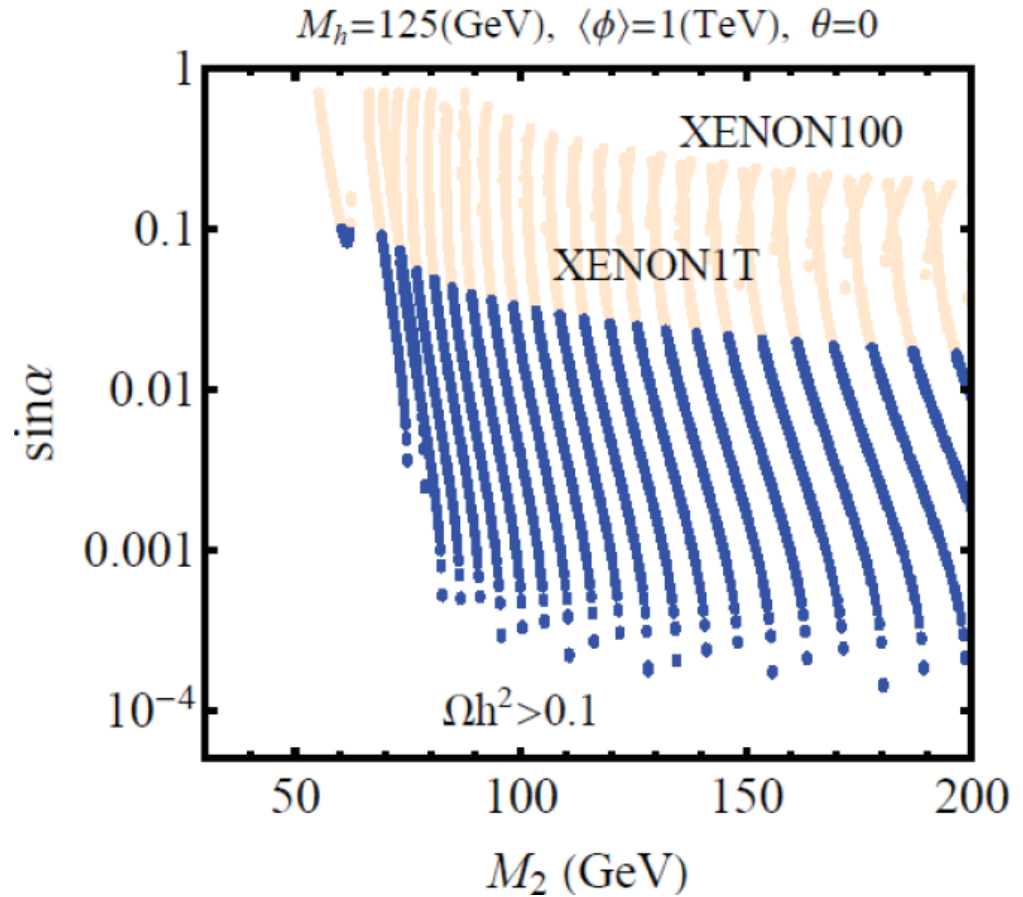
Correct relic density
needs $2M_2 \simeq M_{h,H}$

Z' contribution is small

Direct Detection



M_H is varied
from 150 GeV
to 500 GeV



$$M_h = 125 \text{ GeV}, \langle \phi \rangle = 1 \text{ TeV}, \theta = 0$$

Higgs and Z'

● Higgs-SM coupling and invisible decay width

- Higgs couplings are suppressed by $\cos\alpha$

EW precision & Higgs data

$\Rightarrow c_v = [0.98, 1.08]$ @ 95%CL

Falkowski, Riva, Urbano, 2013

$$\sin\alpha \lesssim 0.2$$

- If DM mass is smaller than $M_h/2$... $B_{inv} < \text{few percent}$

A global fit of ATLAS, CMS, and Tevatron

$B_{inv} < 24\%$ Belanger et. al. 2013

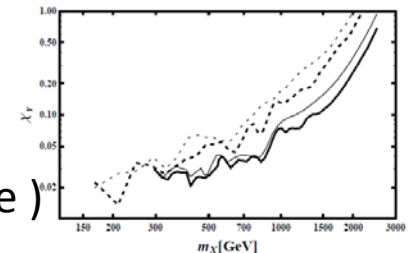
● Z' boson

- η is charged under both $U(1)_Y$ and $U(1)'$
- \Rightarrow Kinetic mixing is generated radiatively ($\sim 10^{-3}$)

$K < 0.03$ for $10 \text{ GeV} < M_{Z'} < 1 \text{ TeV}$ (by ATLAS, CMS, EW precision)

$K < 0.003$ for $1 \text{ GeV} < M_{Z'} < 10 \text{ GeV}$ (by $e^+e^- \rightarrow \gamma l^+ l^-$ with Y resonance)

See for instance, Jaeckel, Jankowiak, Spannowsky 2013



Scale invariant extension

A straightforward idea is ...

Mass parameters \Rightarrow a singlet scalar

	ν_{R_1}	ν_{R_2}	ν_{R_3}	η	ϕ	ξ	X
$SU(2) \times U(1)_Y$	(1, 0)	(1, 0)	(1, 0)	(2 , 1/2)	(1, 0)	(1, 0)	(1, 0)
$U(1)'$	0	q	$-q$	q	$2q$	q	0

ϕ is charged under $U(1)'$ \Rightarrow gets VEV by Coleman-Weinberg

If only $H^\dagger H \phi^* \phi$ and $X^\dagger X \phi^* \phi$ have negative couplings

 $\langle \phi \rangle \sim 1 \text{ TeV}, \langle H \rangle \sim 100 \text{ GeV}, \langle X \rangle \sim 1 \text{ TeV}, \langle \eta \rangle = \langle \xi \rangle = 0$

Scale invariant extension

Can we kick out the gauge-singlet fields entirely ?

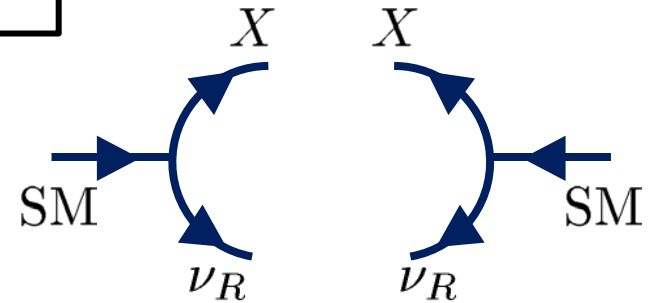


Looks like it's not easy

We start with a gauge singlet fermion charged under U(1)'

$$\begin{array}{cc} \nu_R(\text{SM lepton}) & X \\ q & -q \end{array}$$

• Two chirality flippings are needed



But then

3-points	{	$\nu_R \nu_R \phi$ $q \ q \ -2q$: Dimensionless	○
		$XX \phi^*$: Dimensionful	×
4-points		$XXYY$		

Summary

- Can $U(1)'$ gauge symmetry account for neutrino mass, dark matter, (Coleman-Weinberg) EWSB ?
 - Two of them are OK.
 - (it seems) accommodating the third one needs some trick