

5 Things You Should Know About Heavy Flavor Measurements

Daniel Kikoła



INNOVATIVE ECONOMY
NATIONAL COHESION STRATEGY

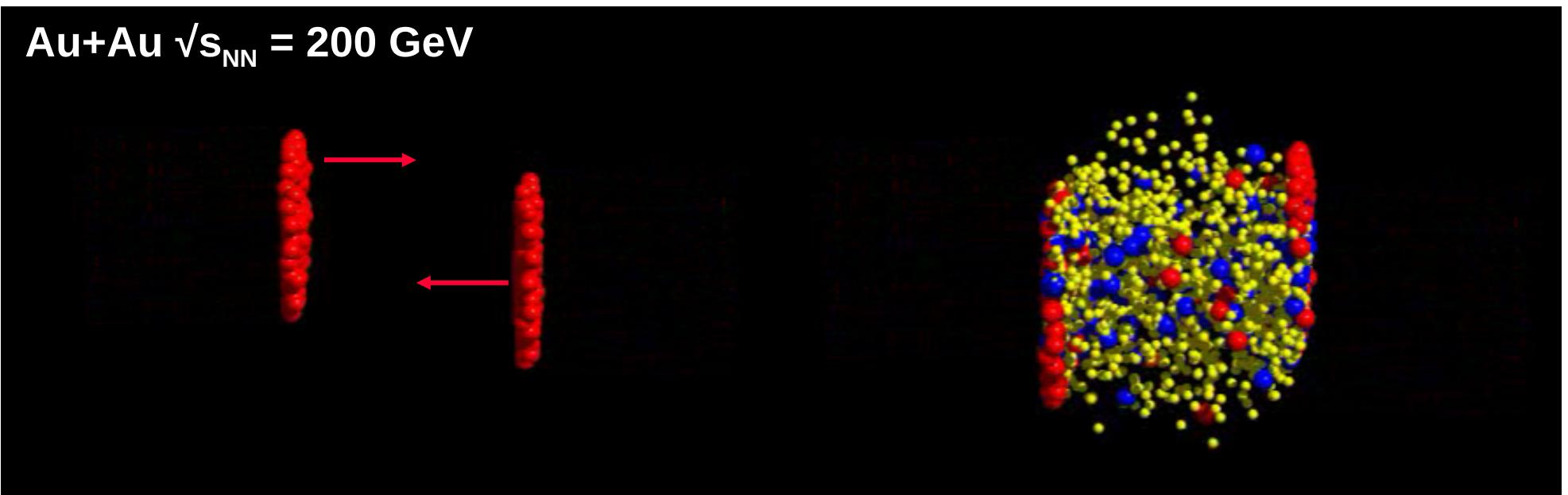


Foundation for Polish Science

EUROPEAN UNION
EUROPEAN REGIONAL
DEVELOPMENT FUND



Relativistic Heavy Ion Collisions



- c, b → produced early

$$M(c\bar{c}) \sim 3 \text{ GeV}$$

$$M(b\bar{b}) \sim 9 \text{ GeV}$$

1. Open heavy flavor vs
quarkonia

→ different tools

Quarkonia

→ color-neutral object in the Quark-Gluon Plasma
(complication: produced via intermediate color-octet state?)

Open heavy flavor

→ heavy quark in QGP → color charge

Matsui & Satz (1986):

Quark-Gluon Plasma

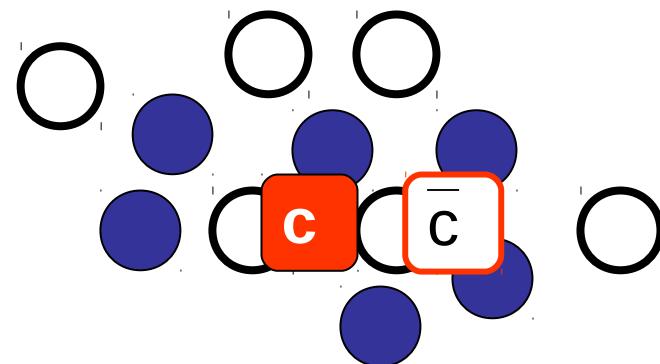
= J/ ψ production suppression



Matsui & Satz (1986):

Quark-Gluon Plasma

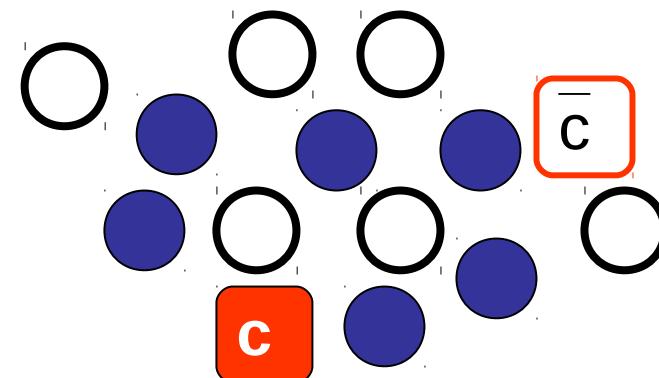
= J/ψ production suppression



Matsui & Satz (1986):

Quark-Gluon Plasma

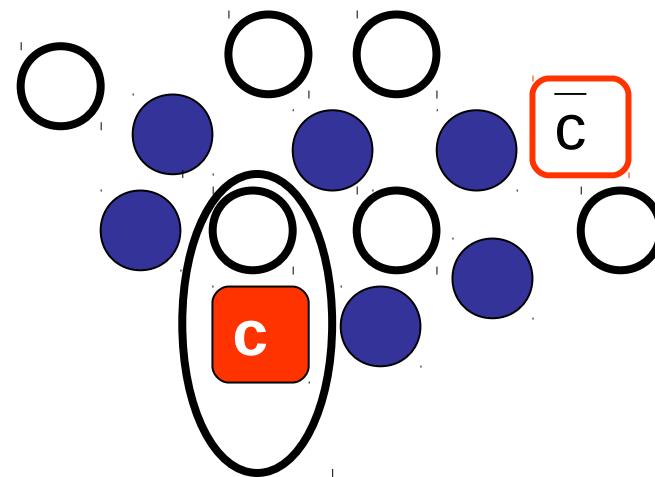
= J/ψ production suppression



Matsui & Satz (1986):

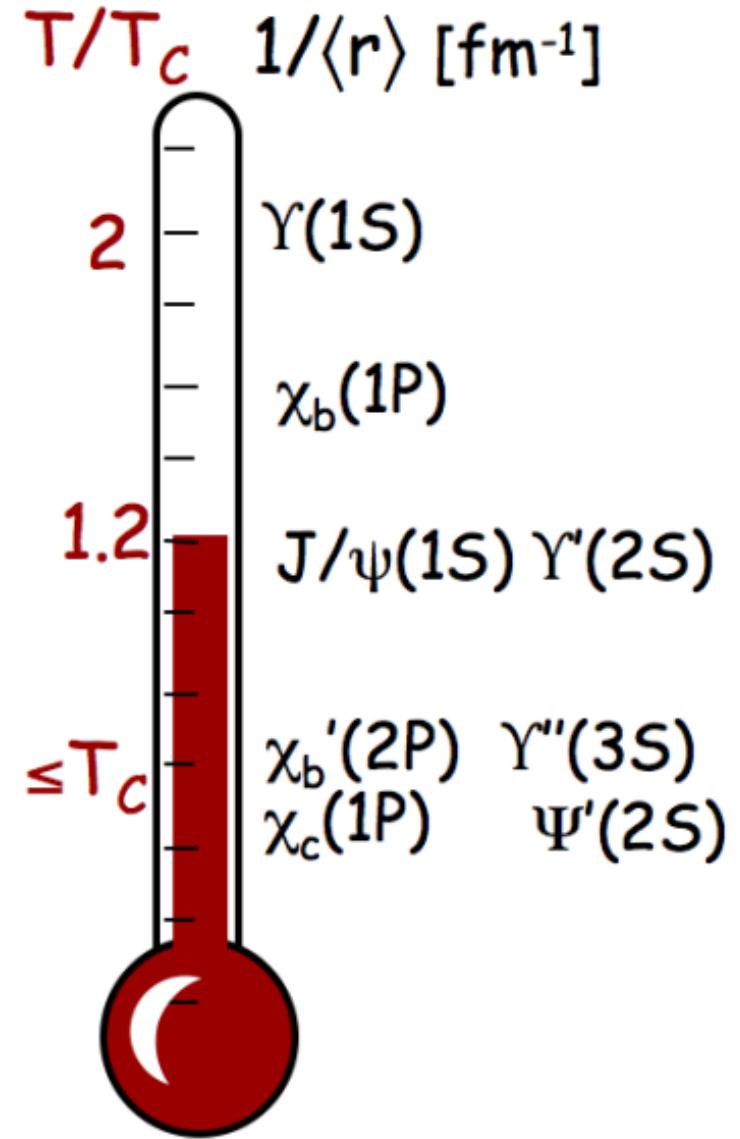
Quark-Gluon Plasma

= J/ψ production suppression



Sequential melting

→ Temperature of QGP



EPJC 61; 705-710, 209

Open heavy flavor

energy loss → transport properties

$$\frac{-dE}{dx} \simeq \alpha_s \langle q^2(L) \rangle = \alpha_s \hat{q} L$$

Ann.Rev.Nucl.Part.Sci.
50 (2000) 37-69

\hat{q} → mean momentum transfer² per collision

Open heavy flavor

energy loss → transport properties

elliptic flow → medium thermalization

Quarkonia

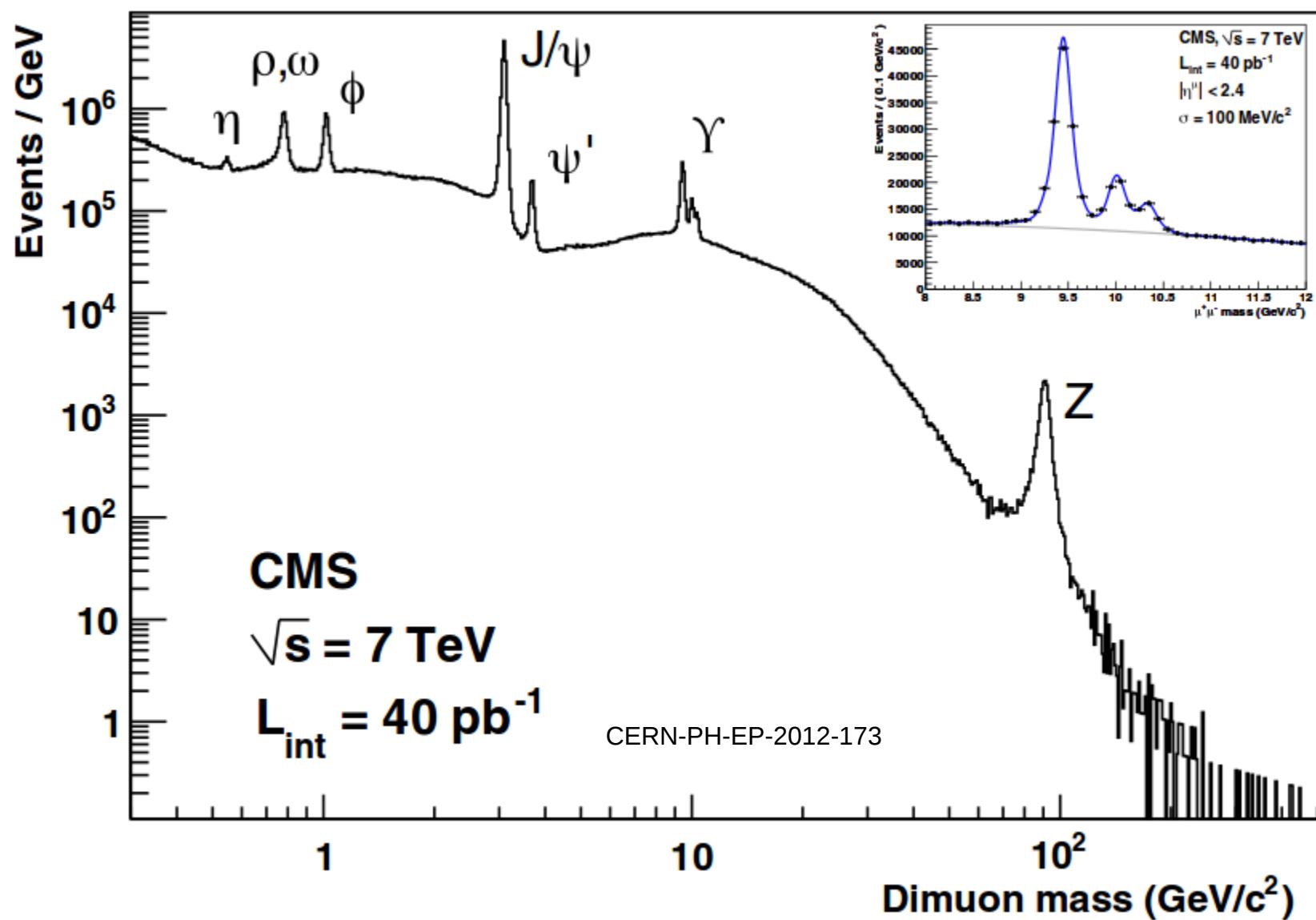
- color-neutral object in the Quark-Gluon Plasma
- thermodynamics properties
(in color screening scenario)

Open heavy flavor

- heavy quark in QGP → color charge
- transport properties, thermalization

2. We cannot measure
heavy quark production

Quarkonium



Quarkonium

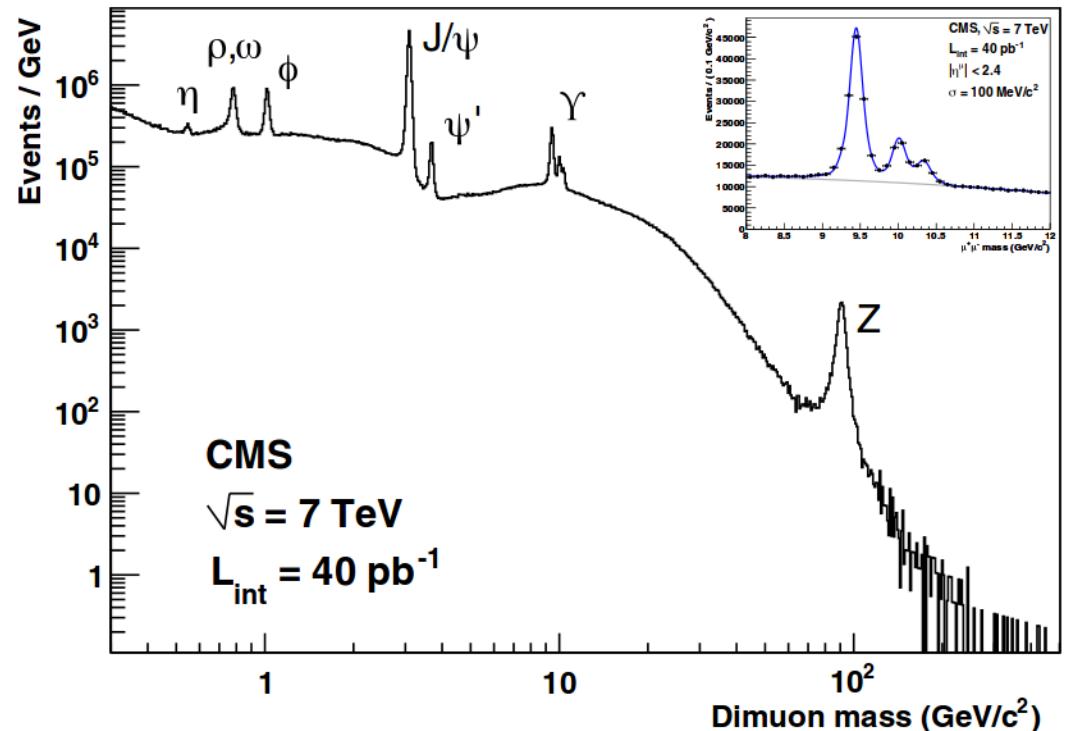
Issues:

- rates
- feed-down:

$$\chi_{b1} \rightarrow \Upsilon(1S) + \gamma \text{ (25\%)} , \chi_{b2} \rightarrow \Upsilon(1S) + \gamma \text{ (10\%)}$$

$$\Upsilon(2S) \rightarrow \Upsilon(1S) + \pi\pi \text{ (10\%)}$$

$$\chi_c \rightarrow J/\psi + \gamma \text{ (\sim 10\%)}$$



Issues:

→ ~0.5 GeV γ reconstruction

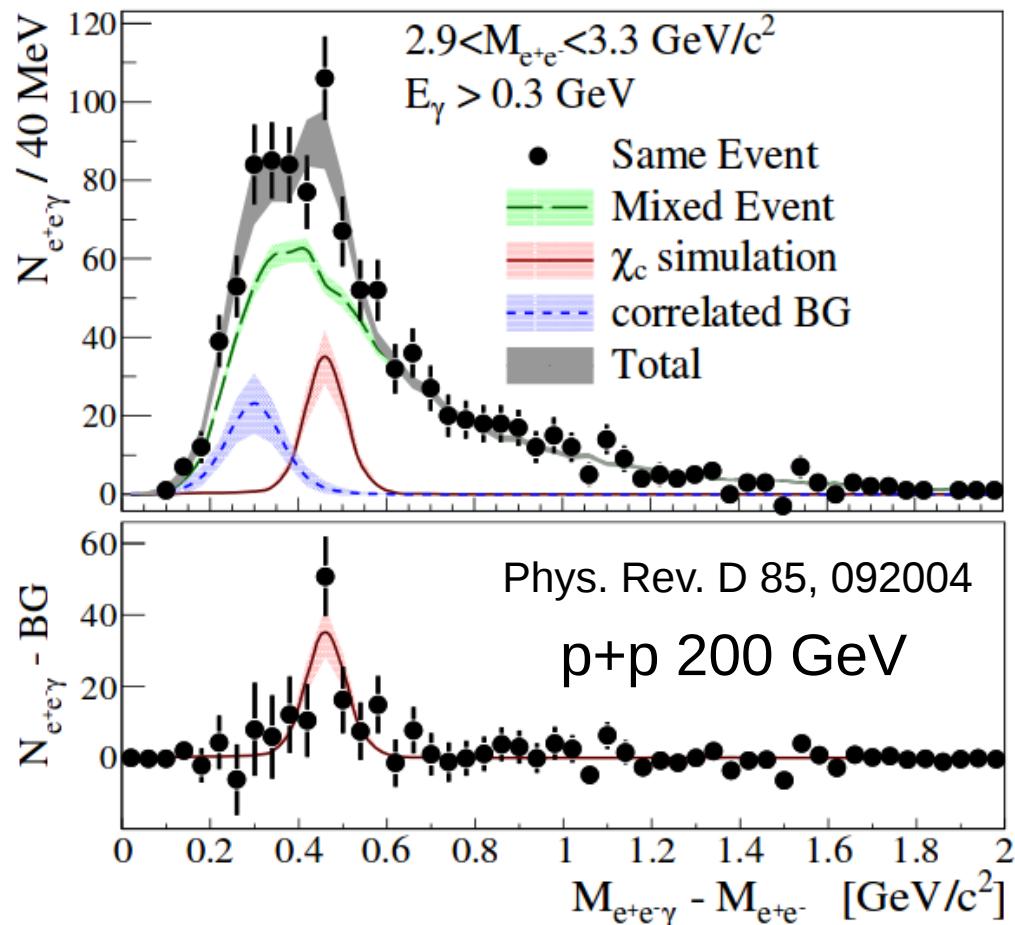
$$M(\chi_{b1,2}) = 9.9 \text{ GeV}/c^2,$$

$$M(\Upsilon(1S)) = 9.5 \text{ GeV}/c^2$$

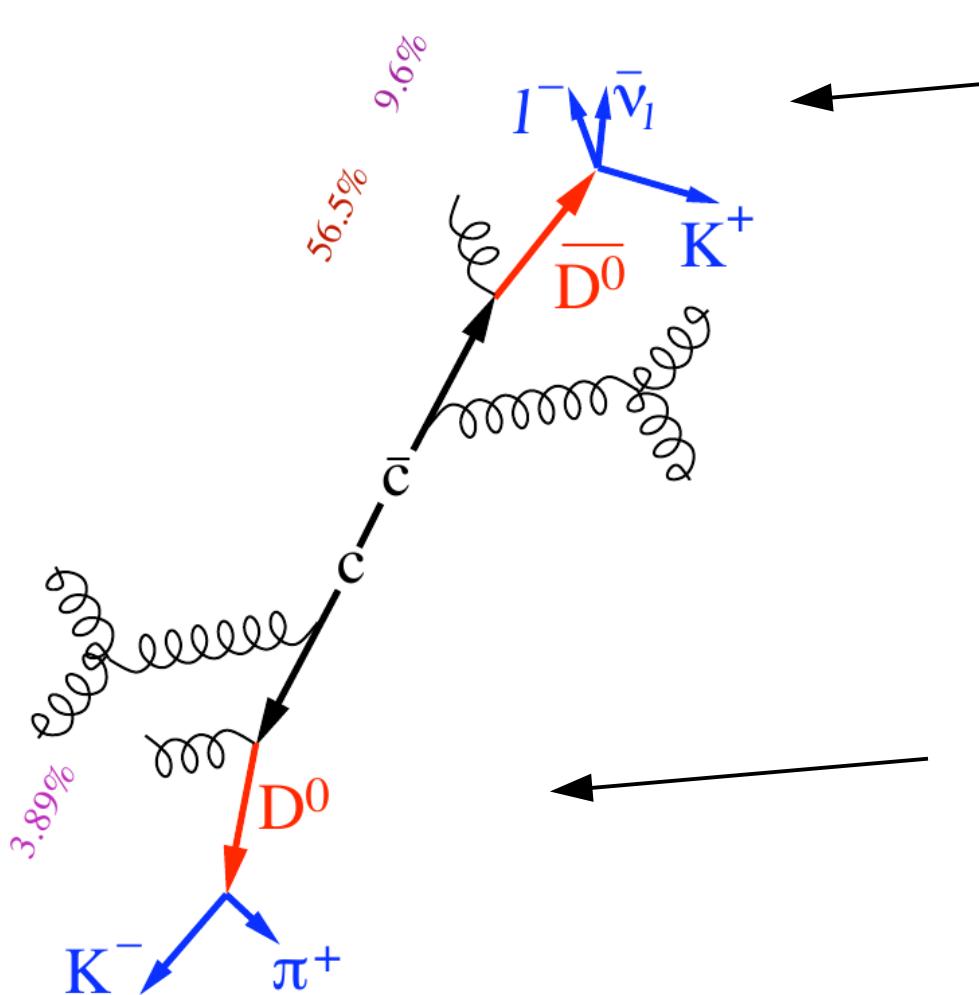
$$M(\chi_c) = 3.6 \text{ GeV}/c^2,$$

$$m(J/\psi) = 3.1 \text{ GeV}/c^2$$

→ background in $\Upsilon(2s) \rightarrow \Upsilon(1s) + \pi\pi$



Open heavy flavor

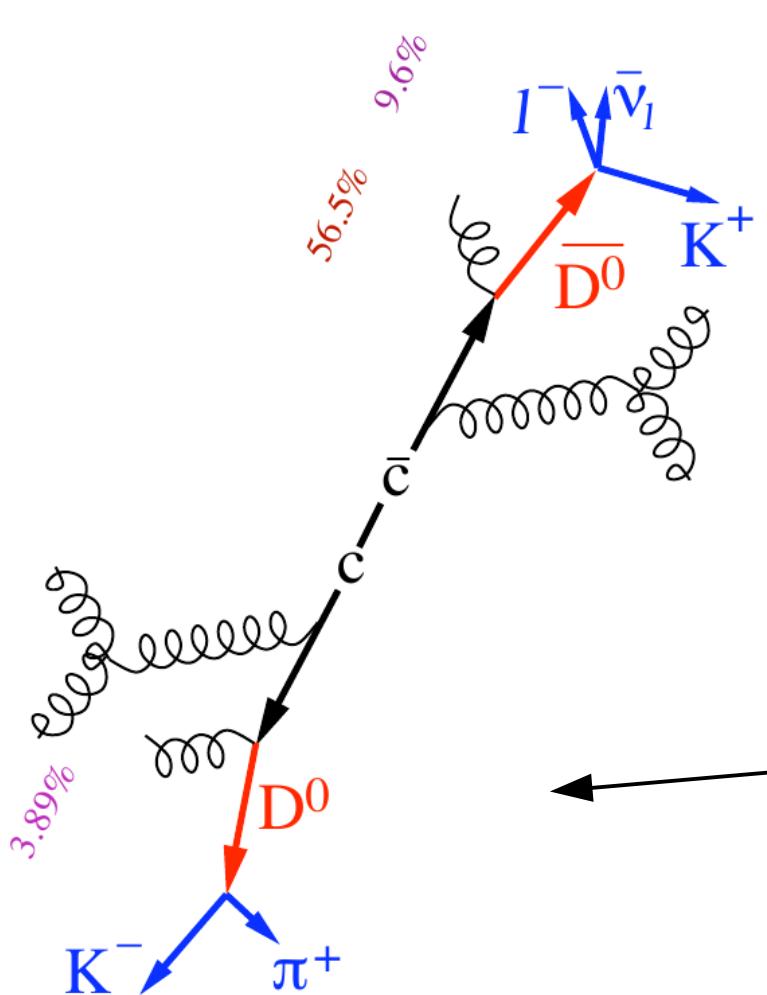


leptons from semi-leptonic
heavy flavor hadron decays

Direct open charm or bottom
reconstruction

Courtesy of David Tlusty

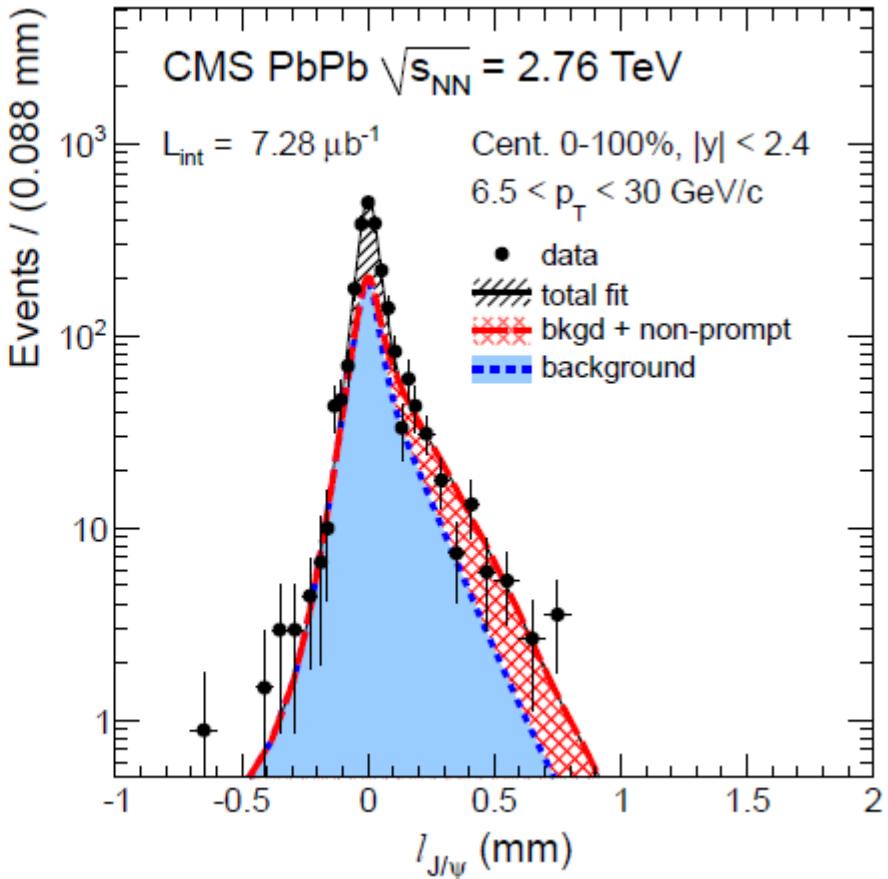
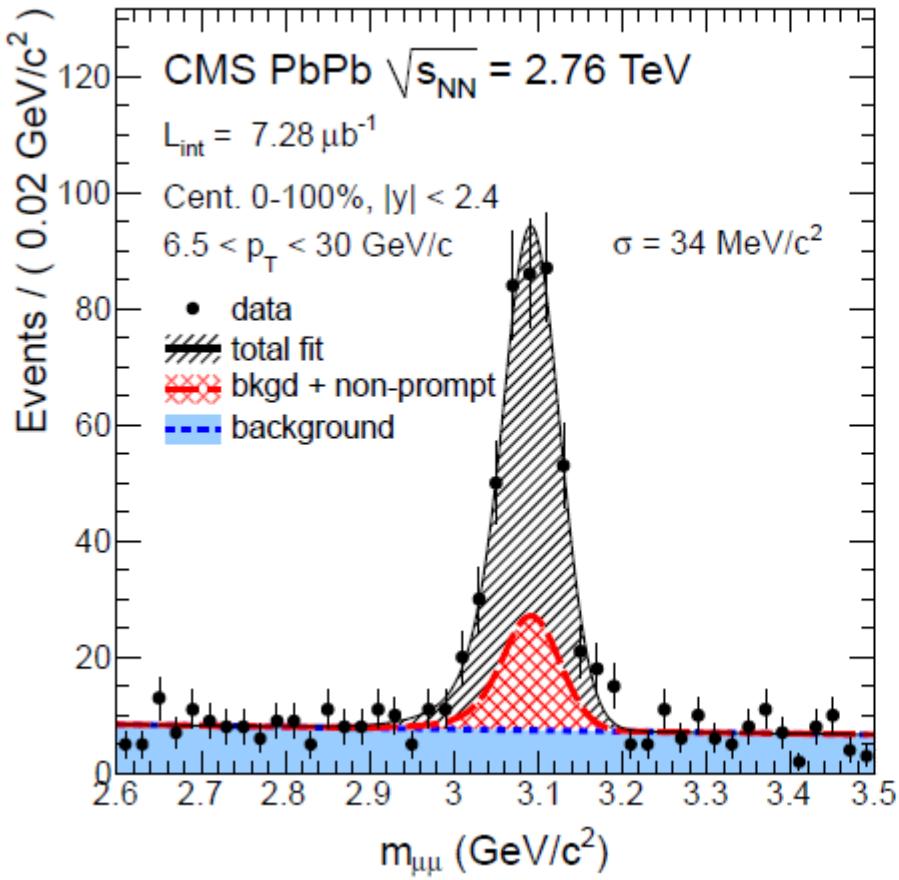
Open heavy flavor



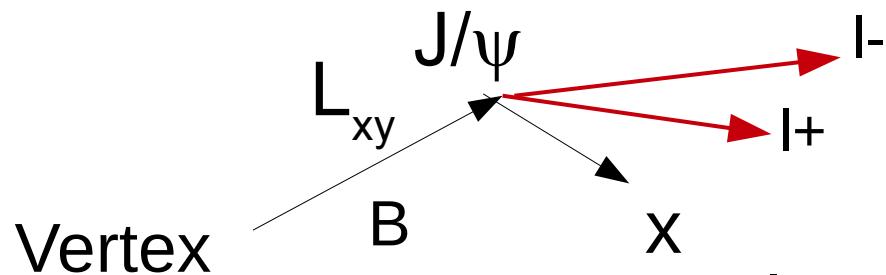
- indirect access to parent kinematics
- c/b mixture (difficult to separate)

- hard to trigger

Courtesy of David Tlusty



$B \rightarrow J/\psi = \text{non-prompt } J/\psi$



$$l_{J/\psi} = L_{xy} m_{J/\psi} / p_T$$

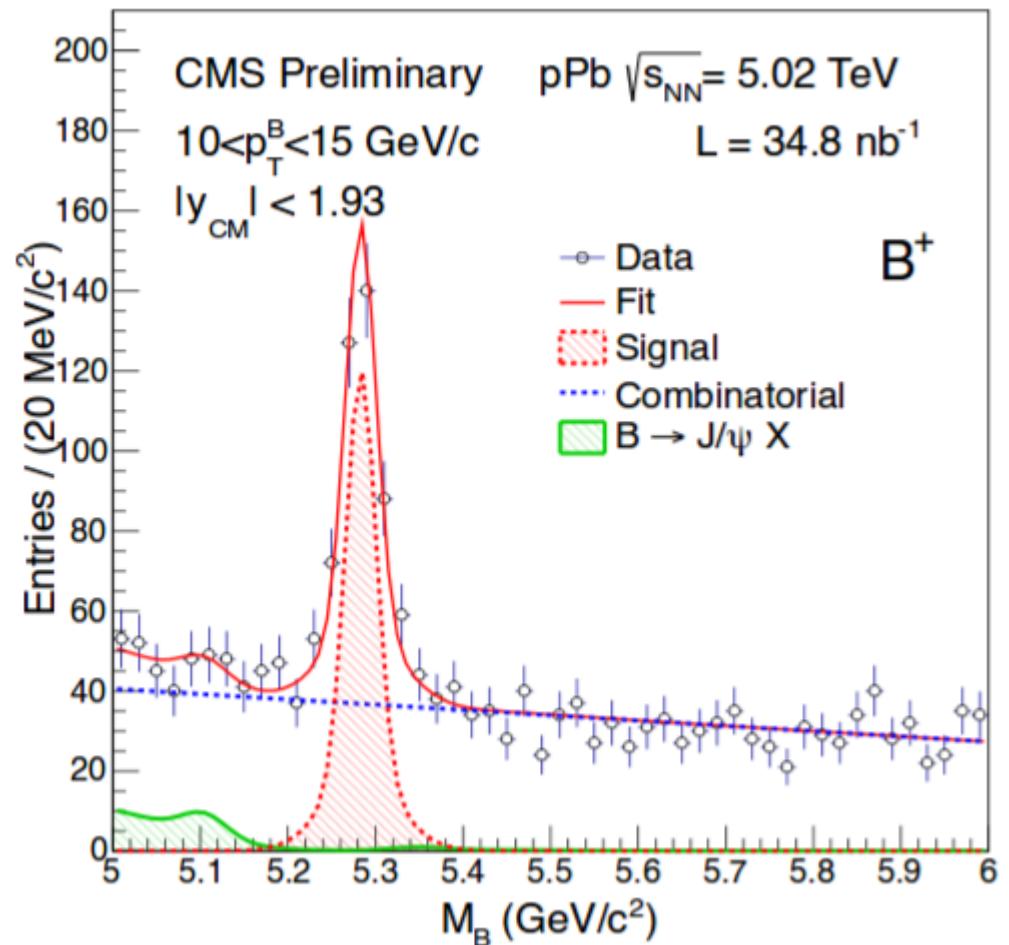
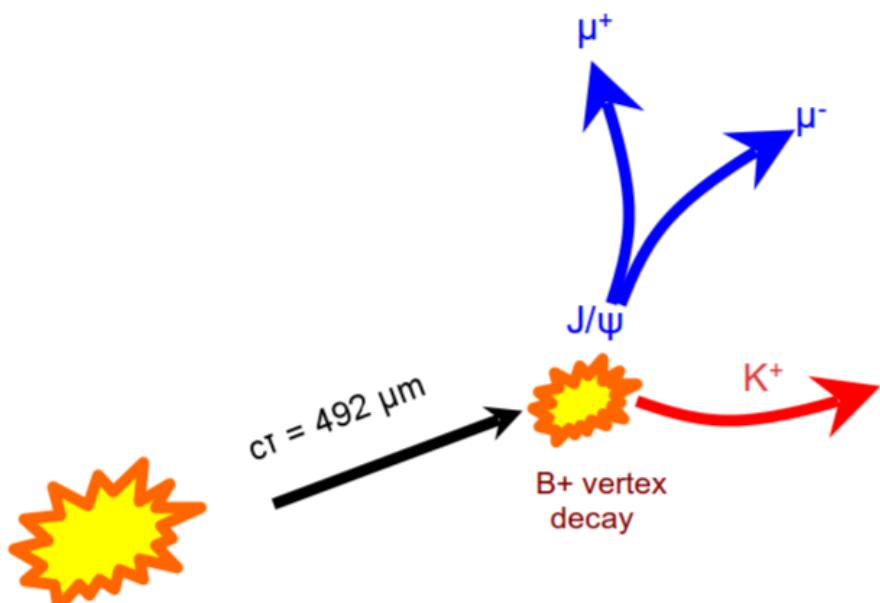
pseudo-proper
decay length

Incomplete kinematics information

$$B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K^+$$

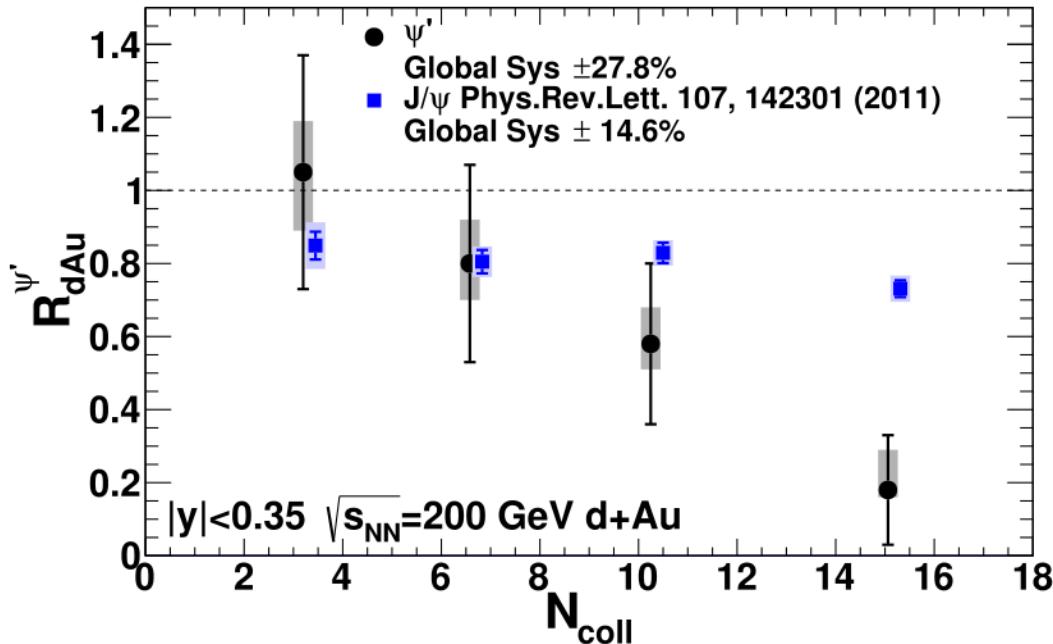
$$B^0 \rightarrow J/\psi K^{0*} \rightarrow \mu^+ \mu^- K^+ \pi^-$$

$$B_s \rightarrow J/\psi \phi \rightarrow \mu^+ \mu^- K^+ K^-$$



G. Michele, QM 2014

3. Understanding of
reference ($p+A$)
is crucial



Cold nuclear matter effects

nuclear PDF \neq free proton PDF

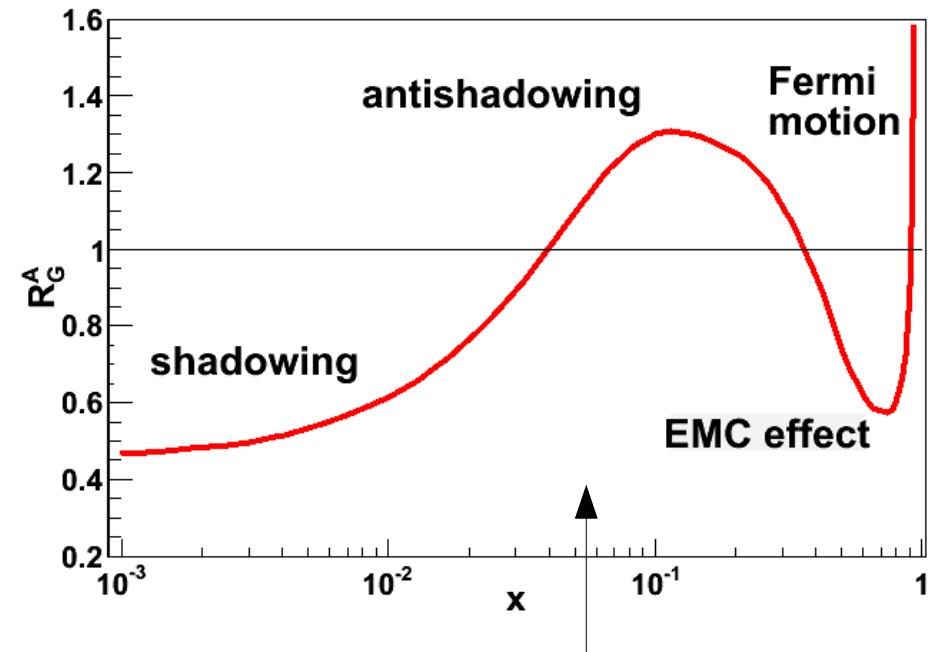
2 \rightarrow 2 process ($gg \rightarrow Q\bar{Q}$):

$$x_{1,2} = \frac{\sqrt{M^2 + p_T^2}}{\sqrt{s_{NN}}} e^{\pm y}$$



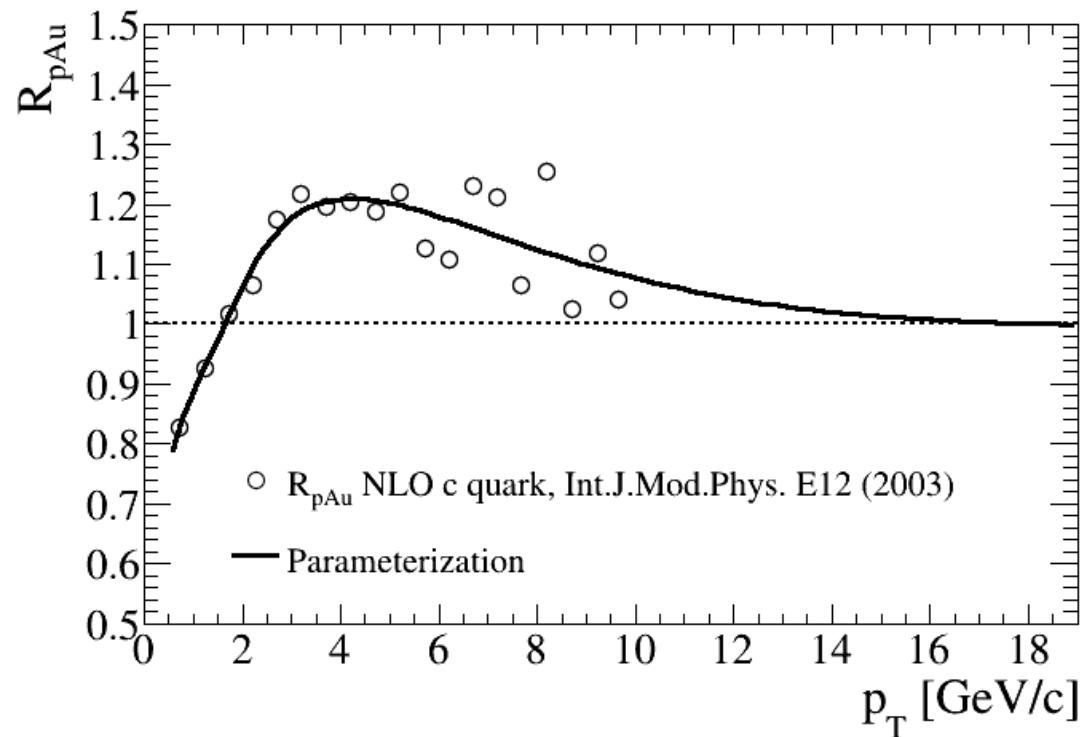
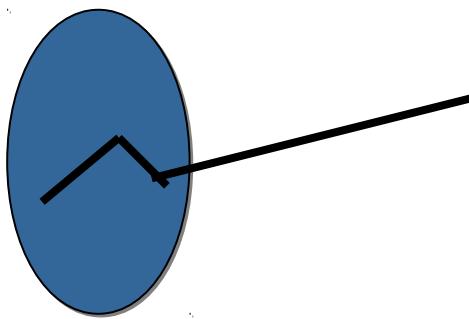
$x_{1,2}$ depend on:

- mass and p_T
- rapidity
- beam energy
- production process



Depends on Q^2

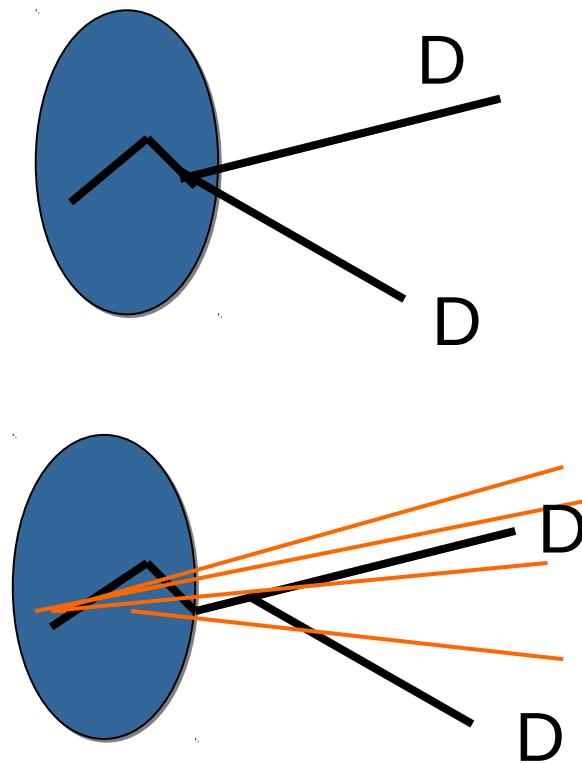
“Cronin effect”



Multiple collisions with partons/nucleons

→ random kicks → larger $\langle k_T \rangle$ than in p+p

Quarkonia: final state “absorption”



nuclear absorption

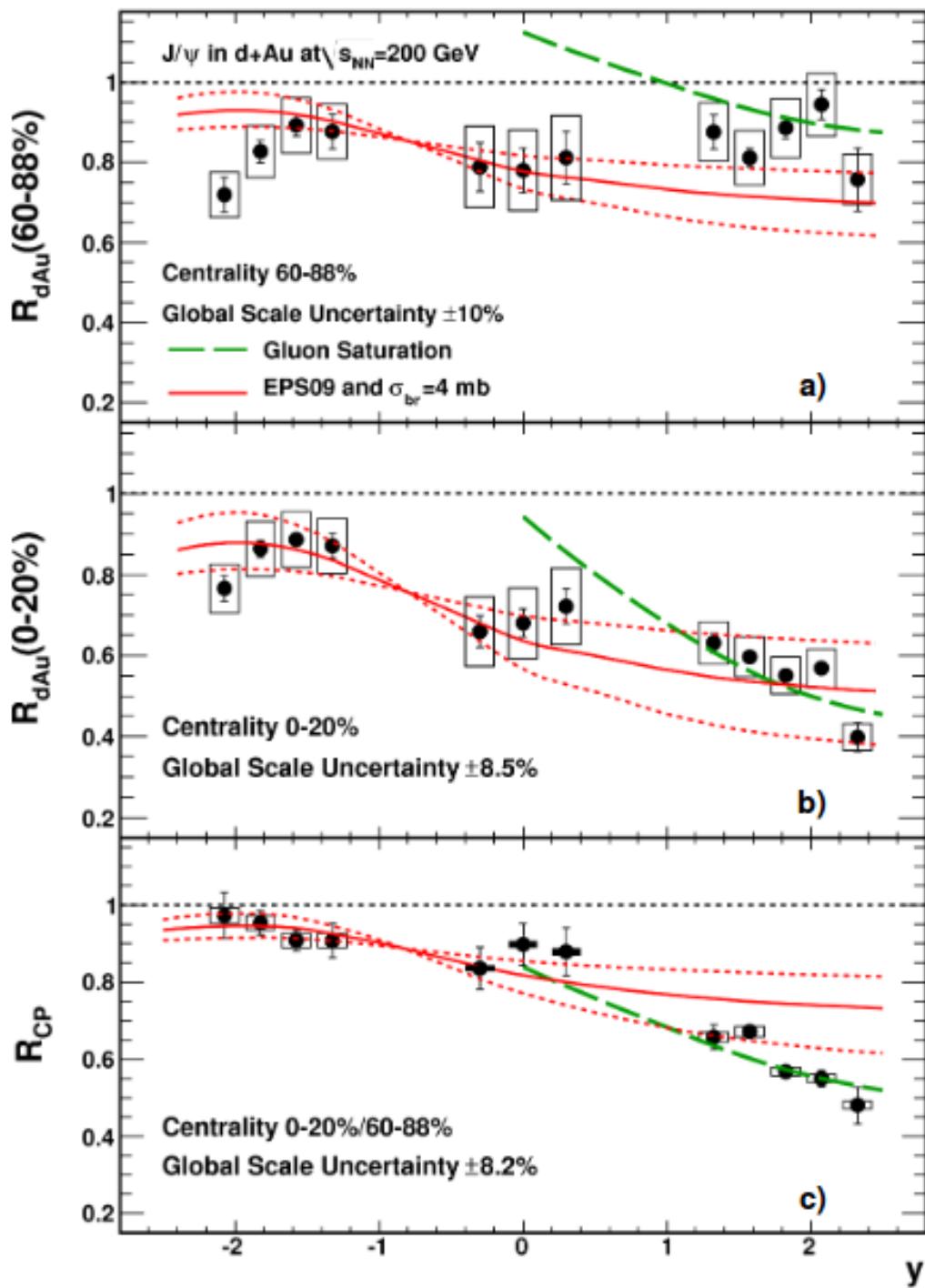
“co-mover” absorption

Typical approach: nuclear PDF + effective absorption σ_{abs}

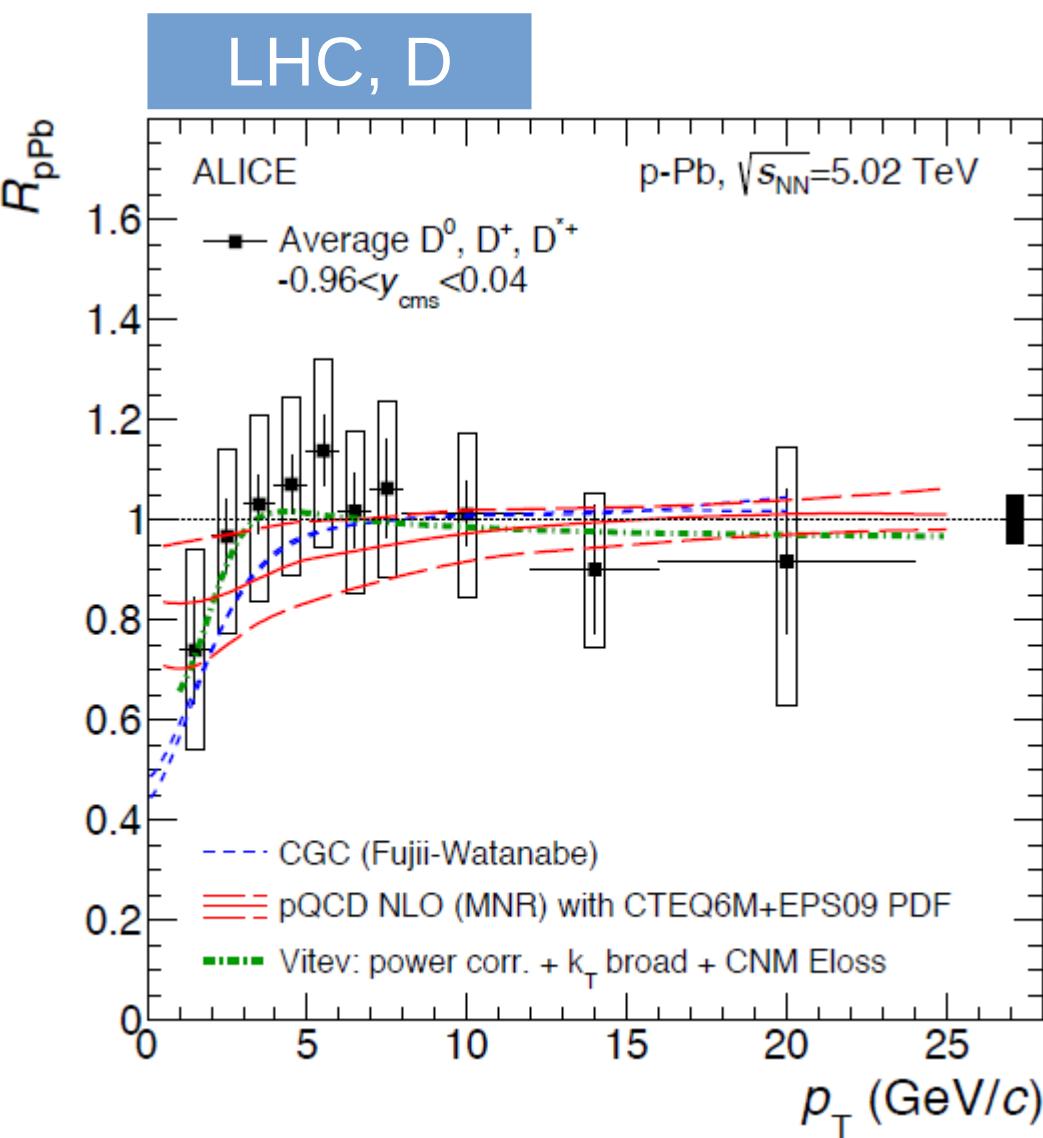
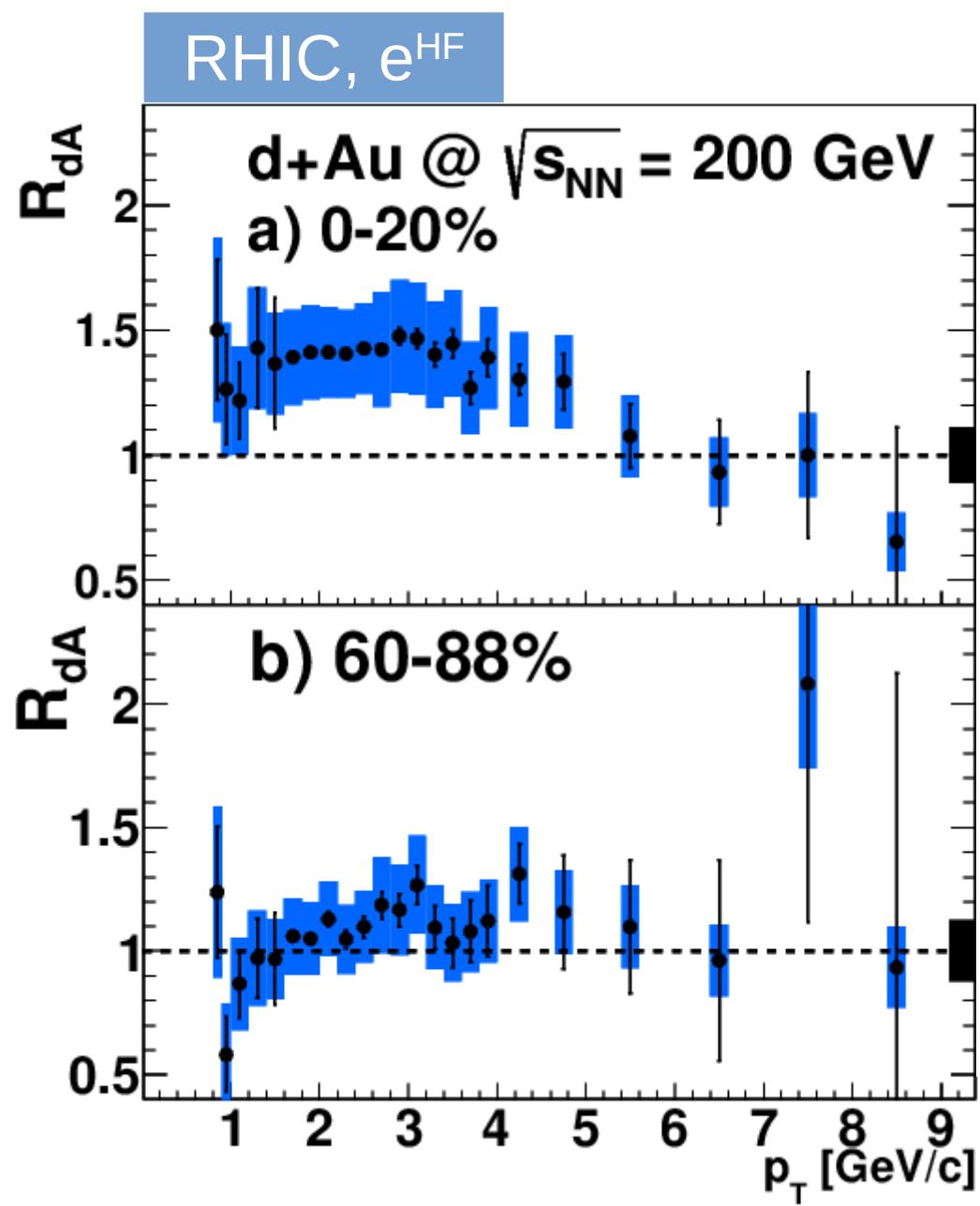
Quarkonia: CNM effects

nuclear PDF + effective absorption σ_{abs}

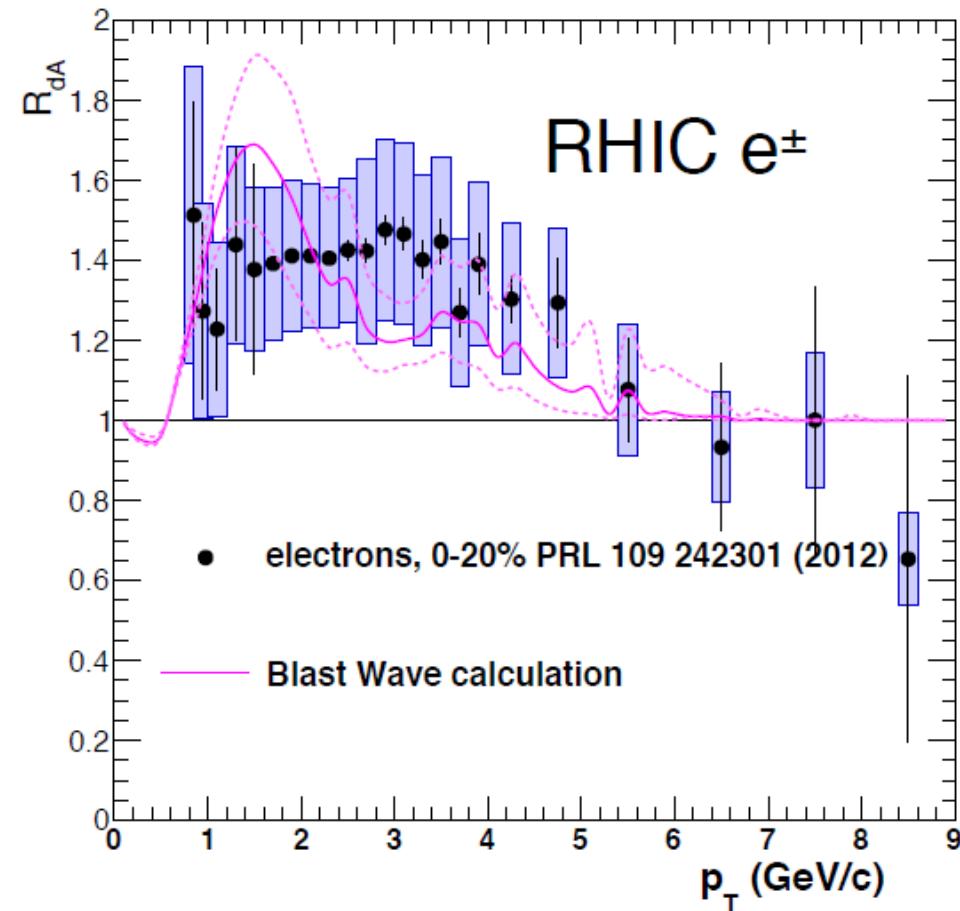
Issue:
 $pA \rightarrow AA$ not straightforward



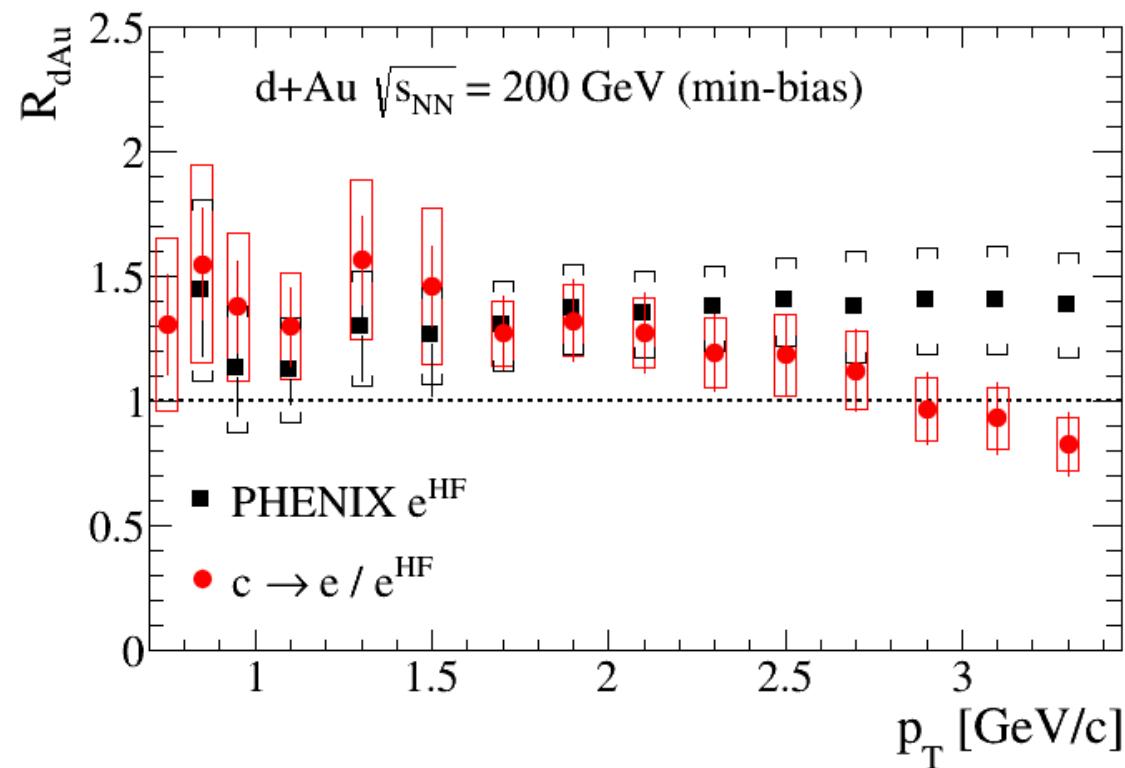
Open HF - CNM effects



$d+Au \rightarrow$ reference or “mini QGP” ?



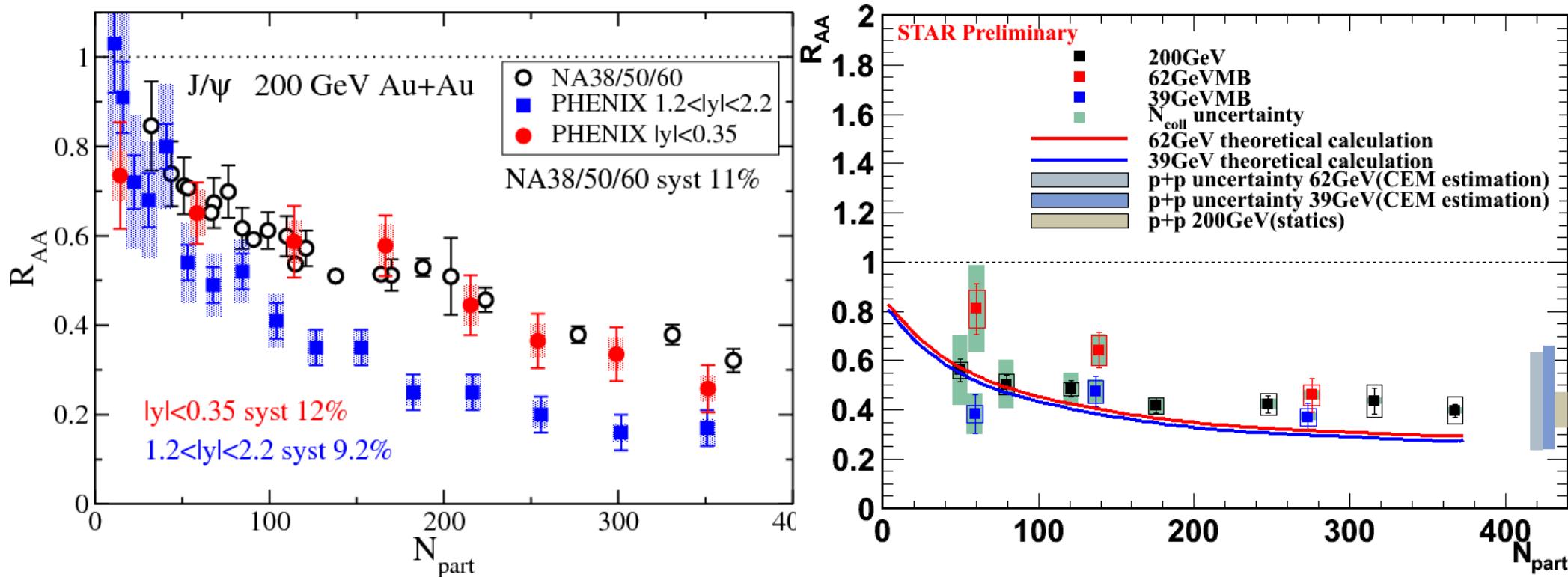
„Possible evidence for radial flow of heavy mesons in $d+Au$ collisions“
 Phys. Lett. B731 51-56 (2014)



nPDF + initial k_T breadboarding
 for charm quarks due to multiple
 scattering of incoming partons.
 D.K. GDRE workshop, Nantes 2014

4. Color screening is
a hypothesis
(one of many)

J/ ψ suppression at SPS and RHIC

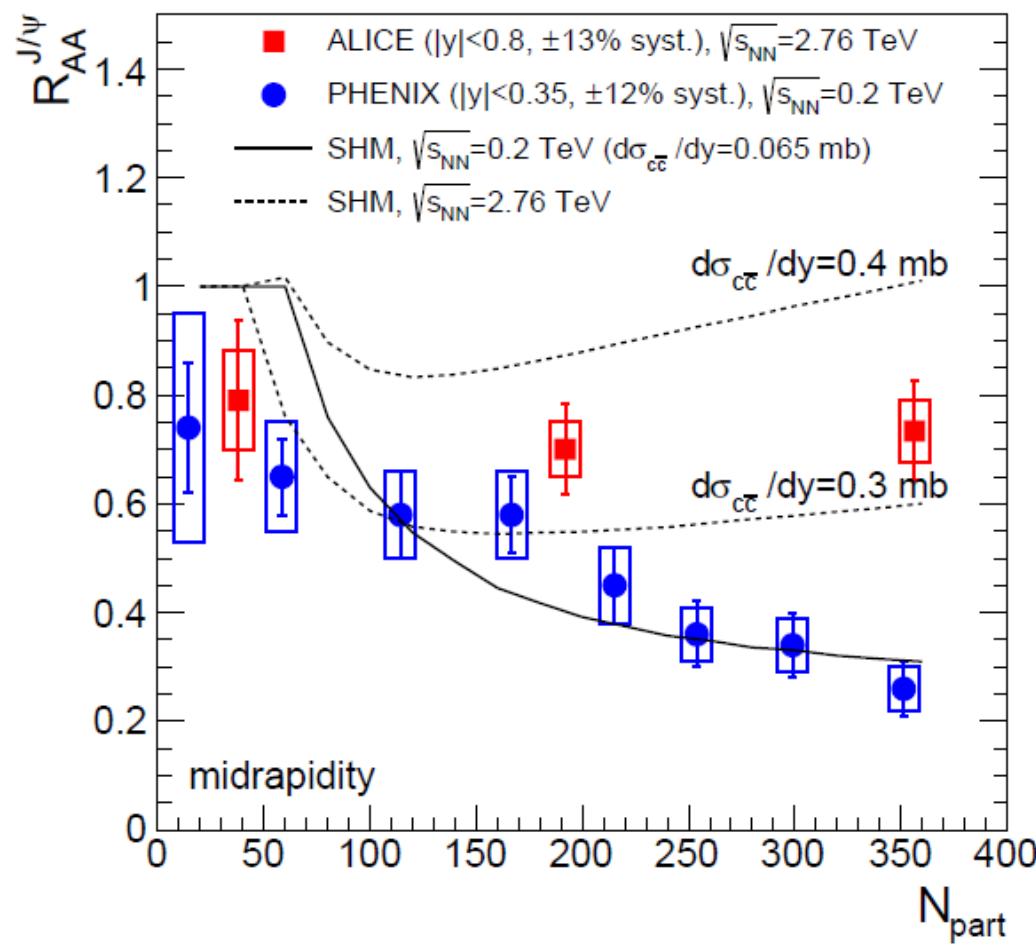


Significant suppression, similar at 39 – 200 GeV

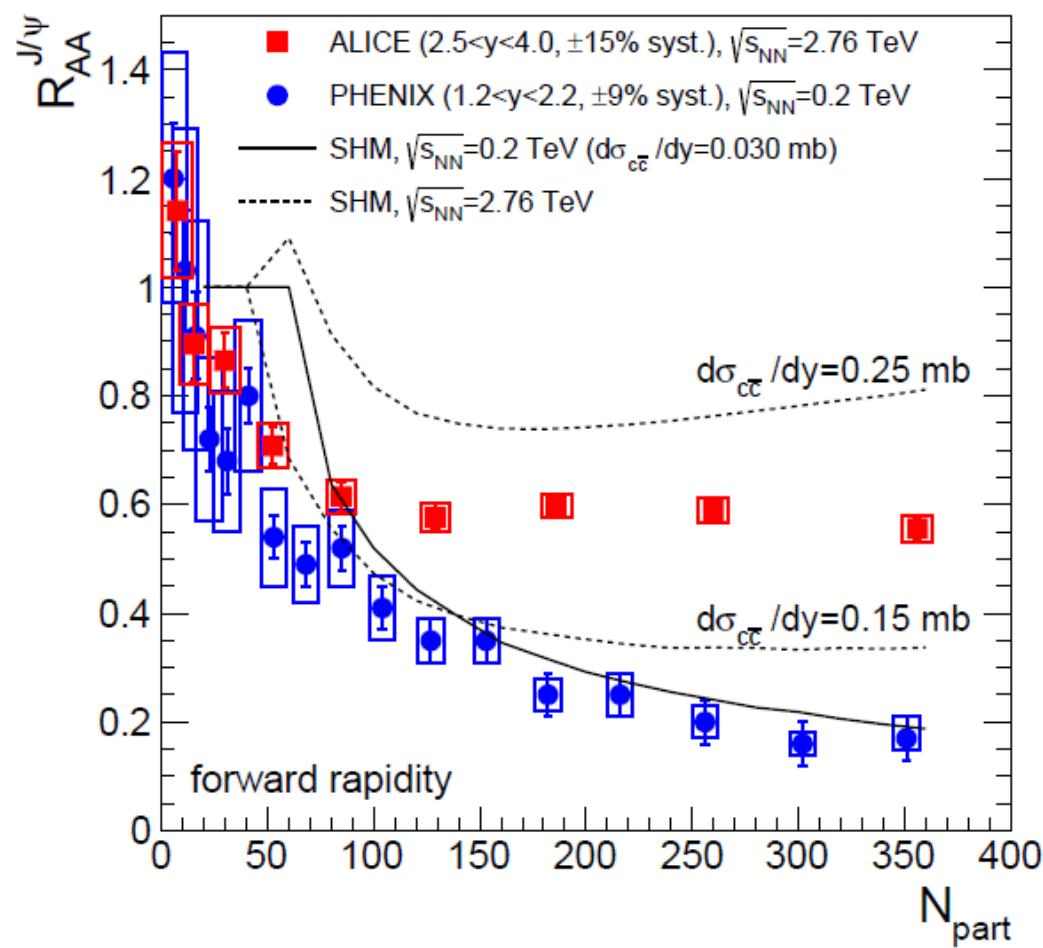
→ Idea: color screening + secondary production in QGP

J/ ψ suppression at SPS and LHC

midrapidity

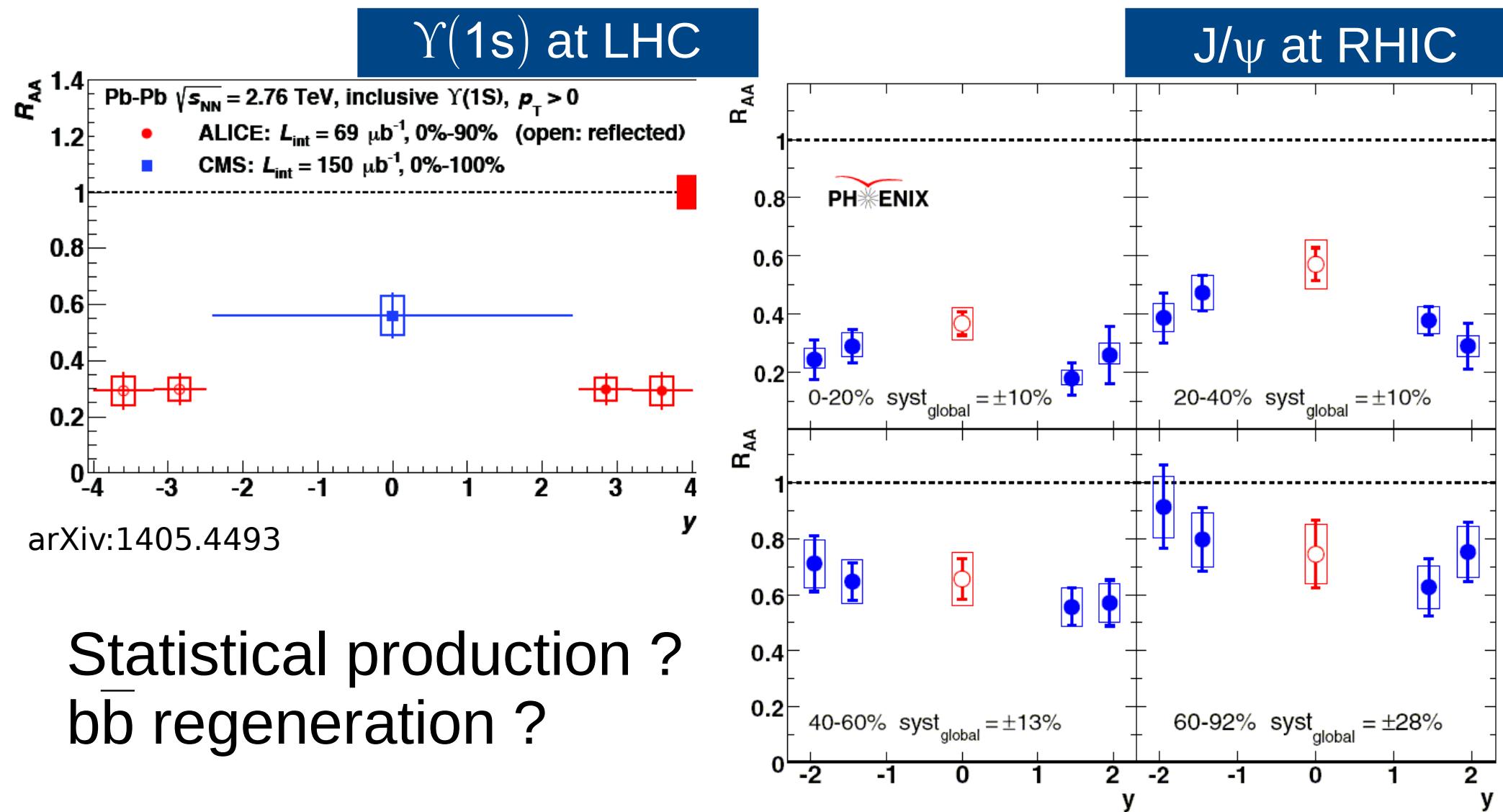


forward rapidity



SHM – statistical hadronization model

Υ at LHC \approx J/ψ at RHIC



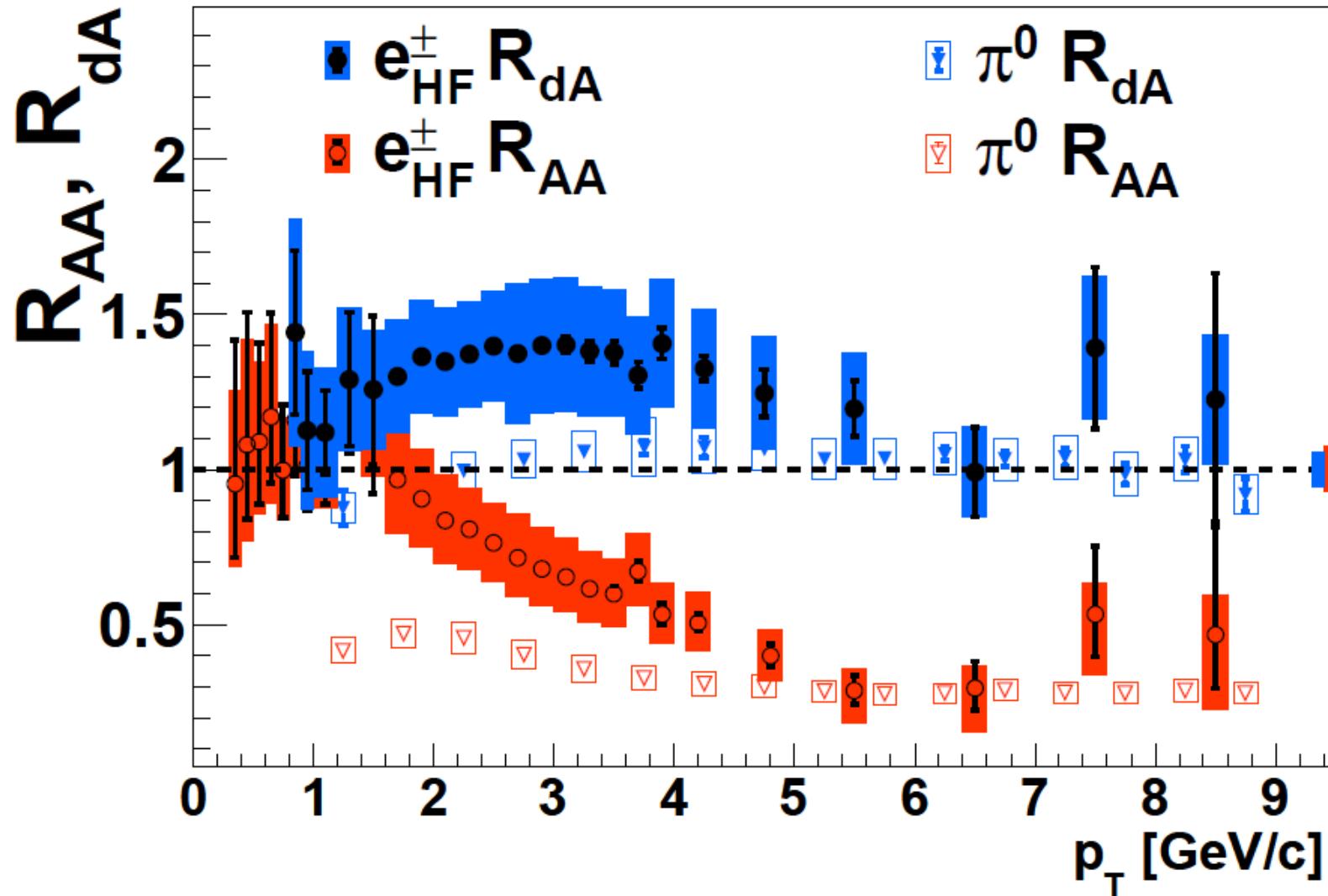
Statistical production ?
 $b\bar{b}$ regeneration ?

Phys.Rev.Lett.98:232301,2007

5. Heavy Flavor production suppressed at LHC and top RHIC energy

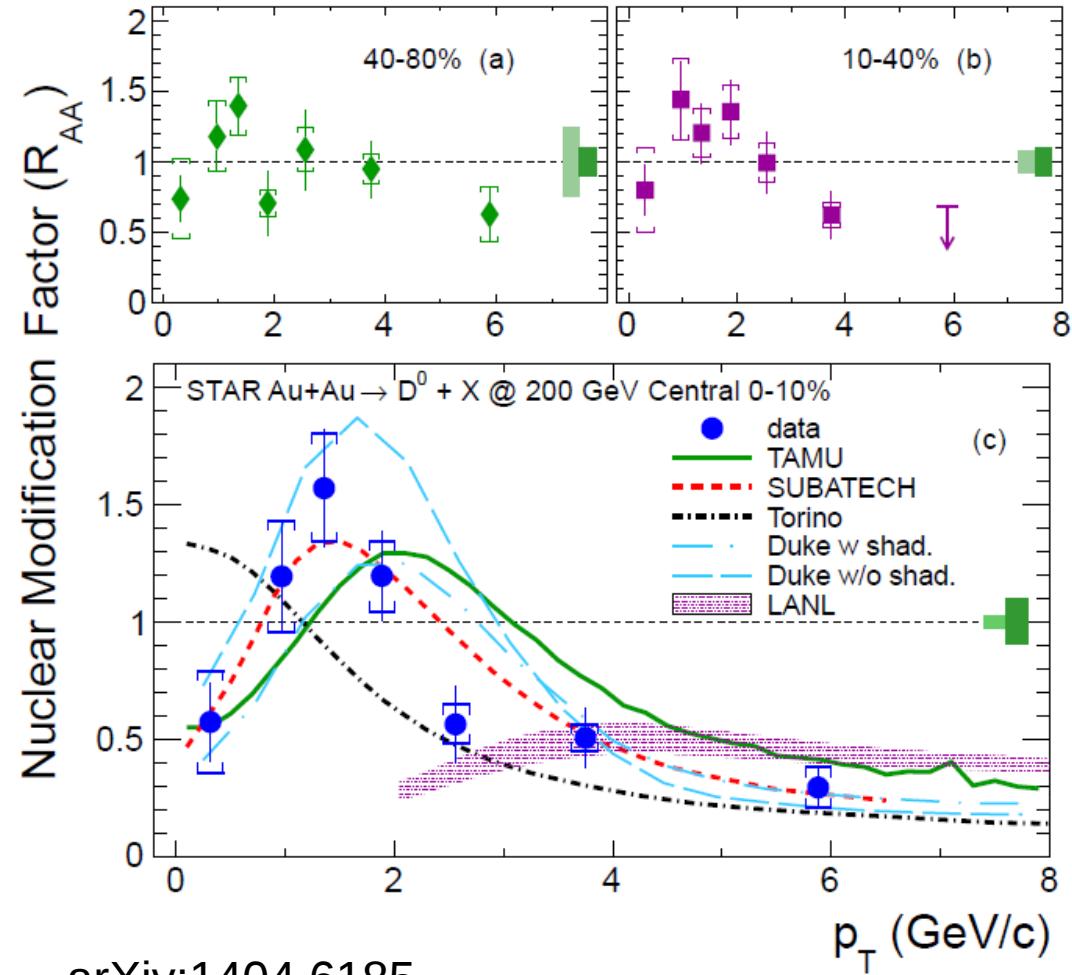
... but not at lower energies

e^{HF} : Cold vs Hot Nuclear matter at RHIC

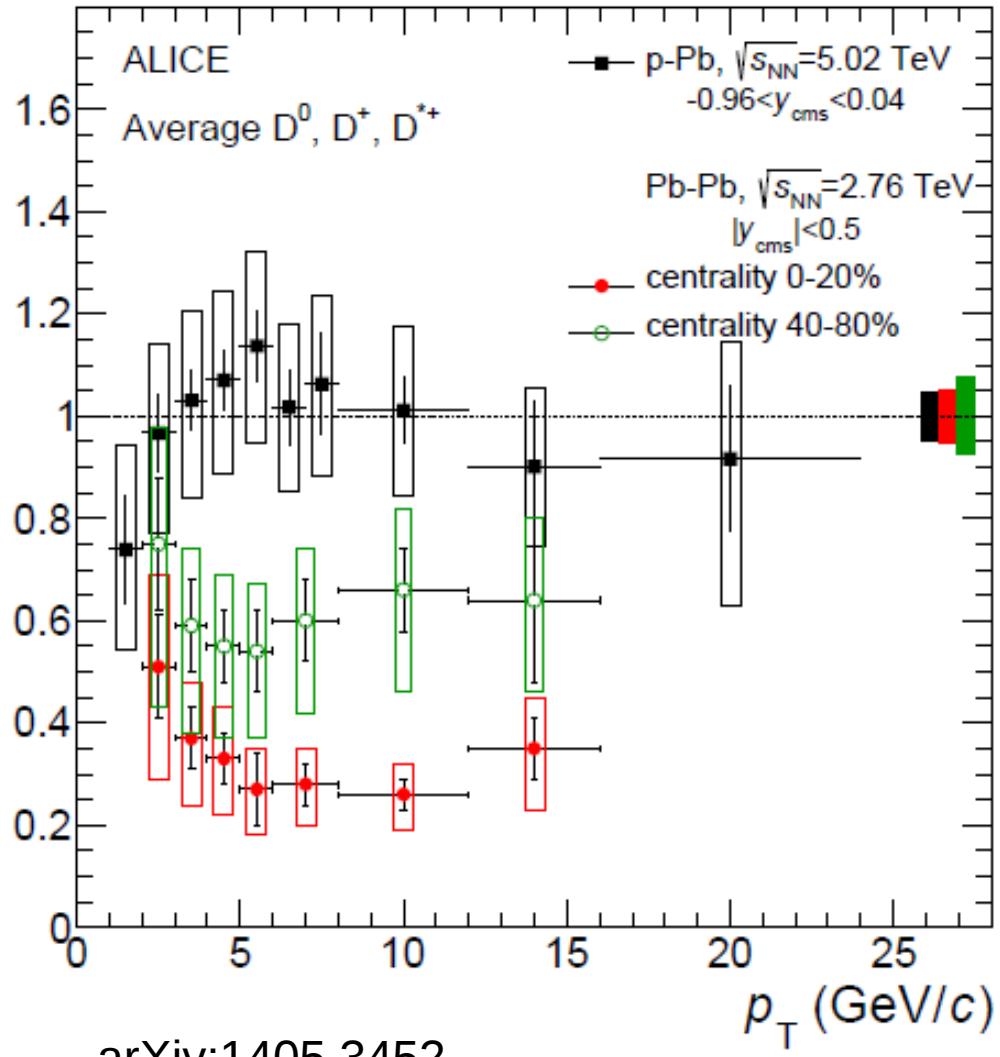


e^{HF} ($b \rightarrow e$, $c \rightarrow e$) suppressed at high p_T in Au+Au 200 GeV

charm suppression at RHIC and LHC

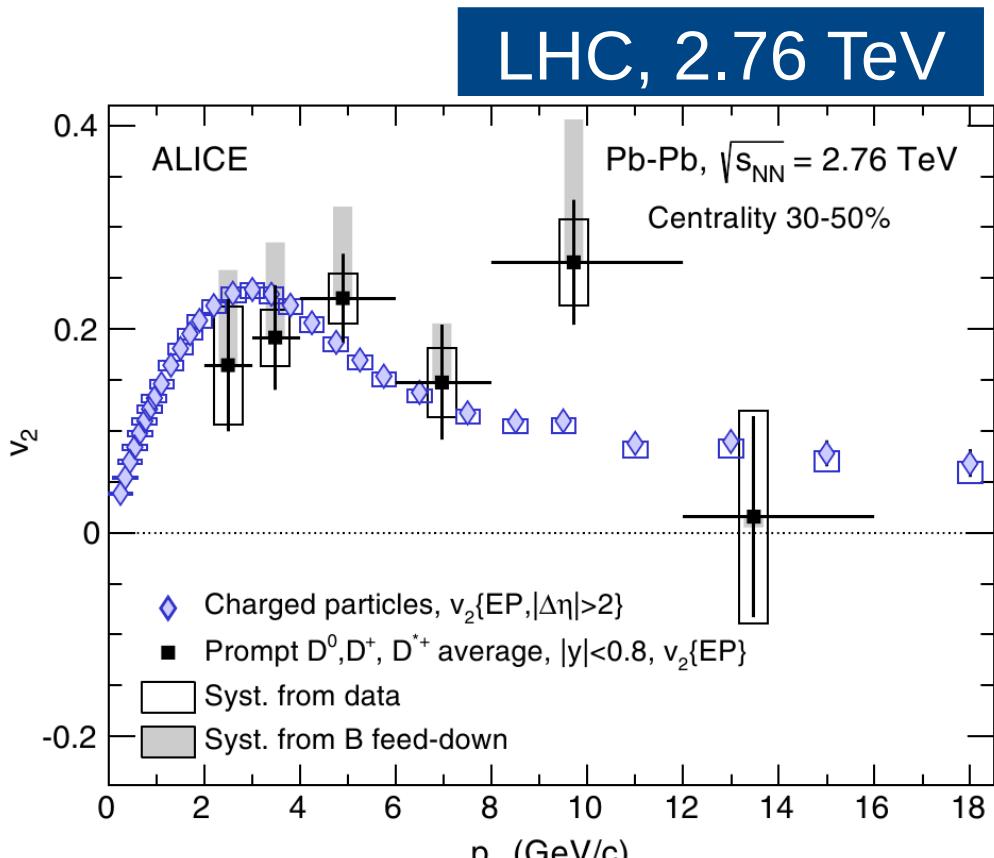


arXiv:1404.6185

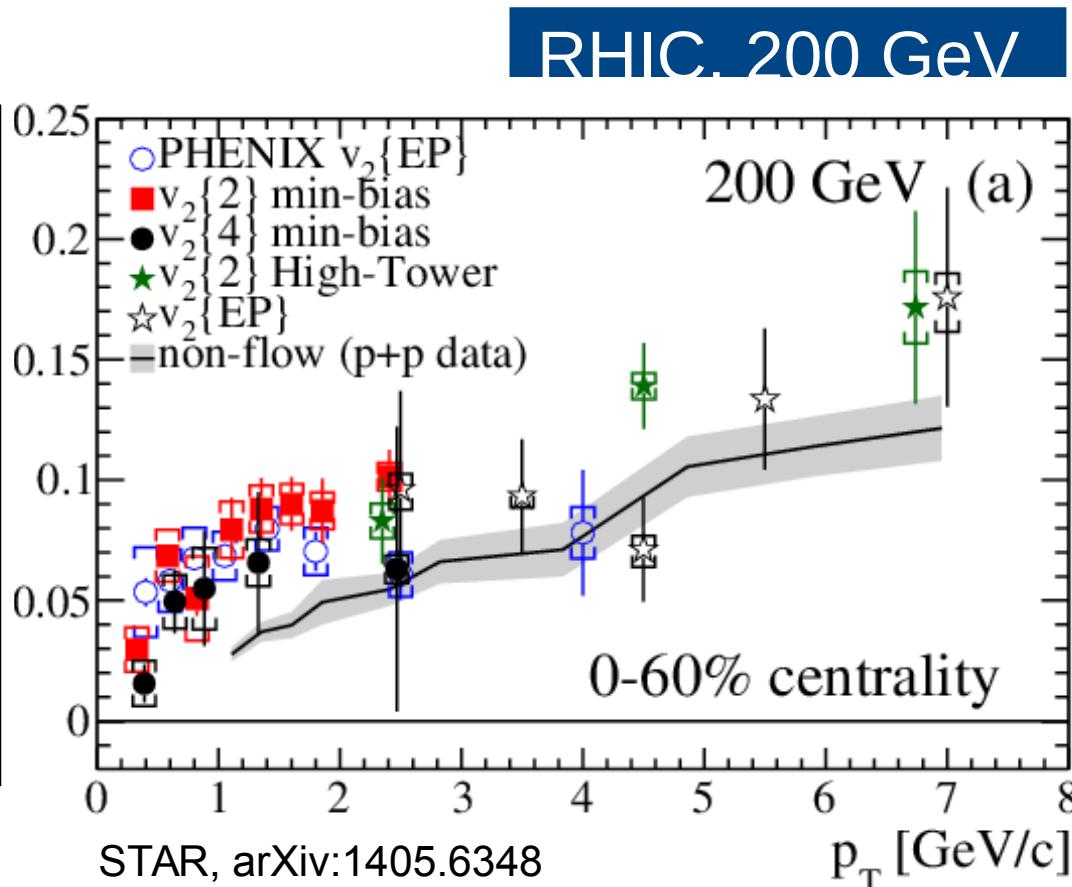


arXiv:1405.3452

Heavy flavor v_2 in at RHIC and LHC

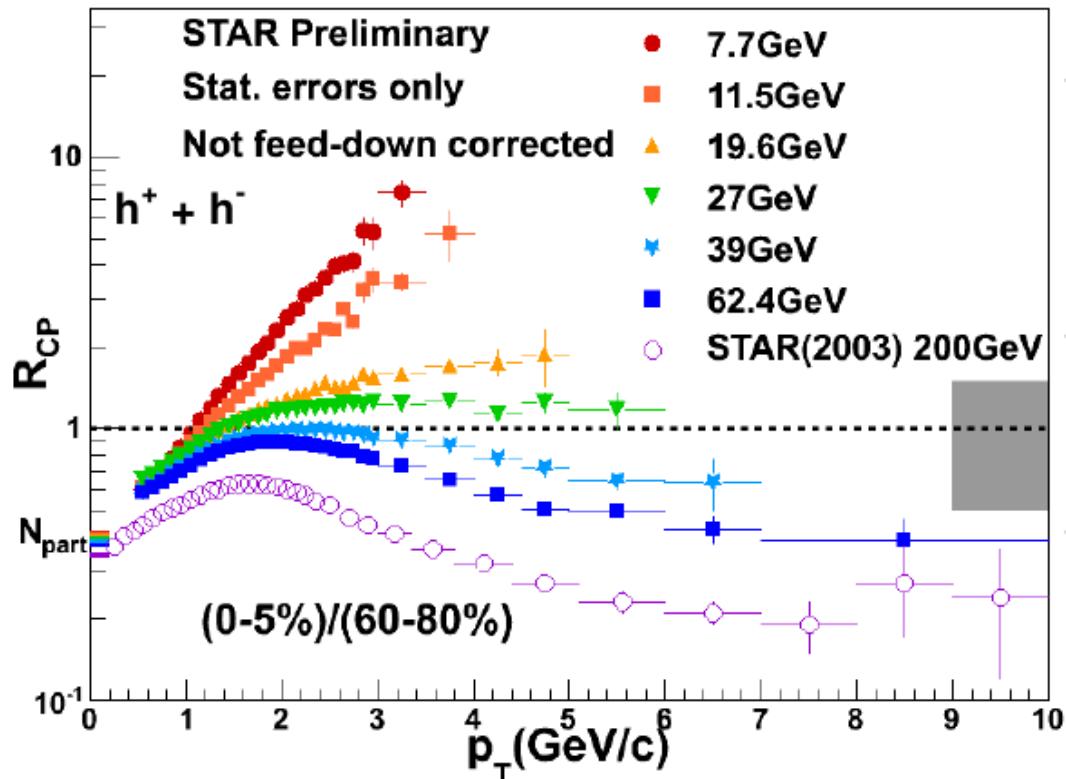


PRL 111, 102301 (2013)



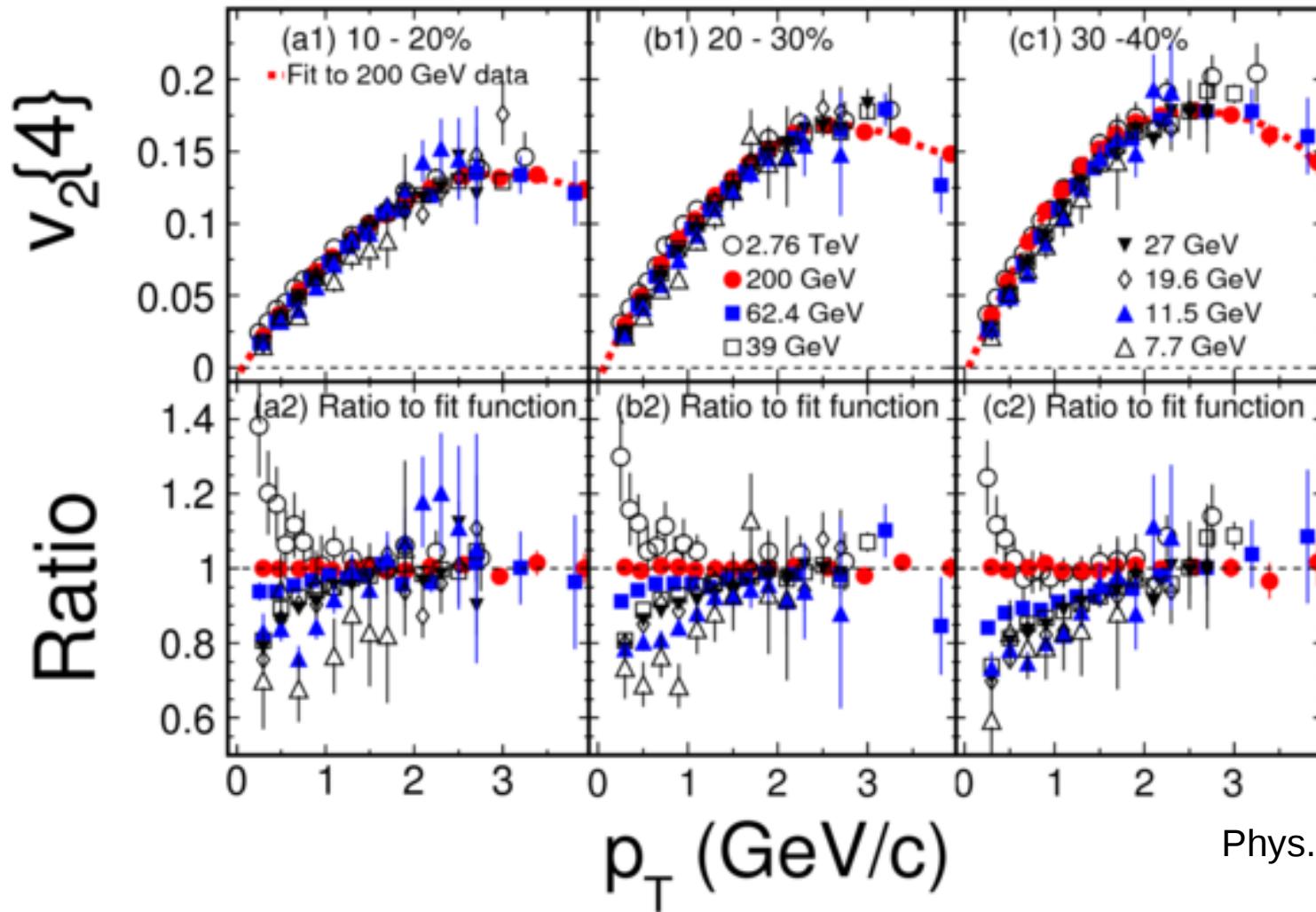
How much charm v_2 in D-meson v_2 ?

Jet quenching at RHIC



Light hadrons suppressed at high p_T at 39 - 200 GeV
eHF – no suppression at 62 GeV

Elliptic flow at RHIC

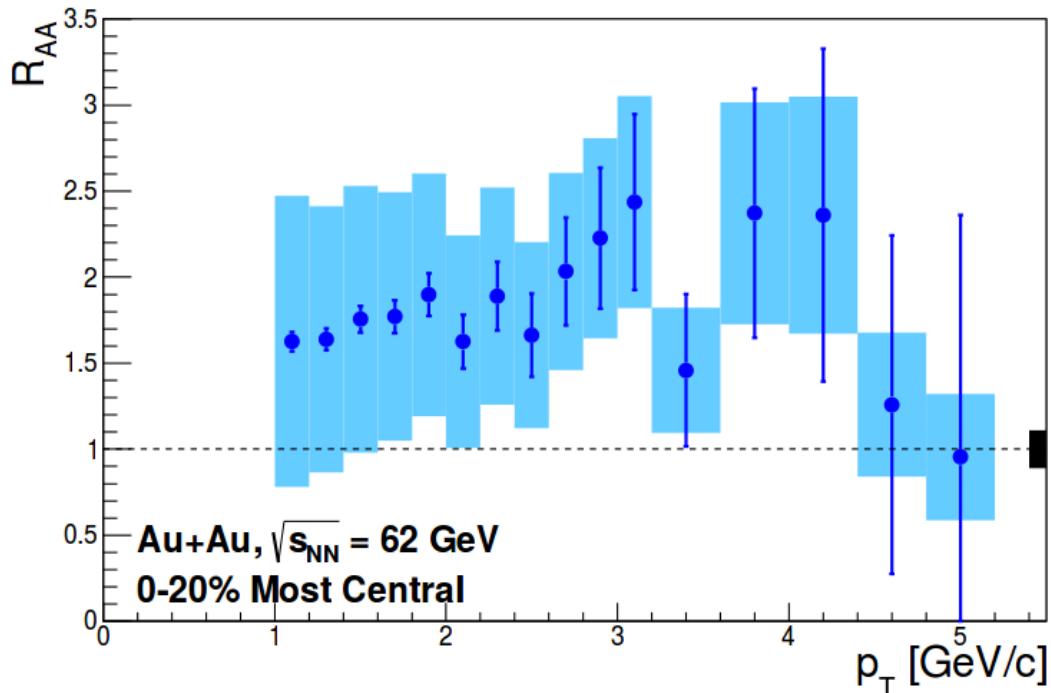


Phys. Rev. C 86 (2012) 54908

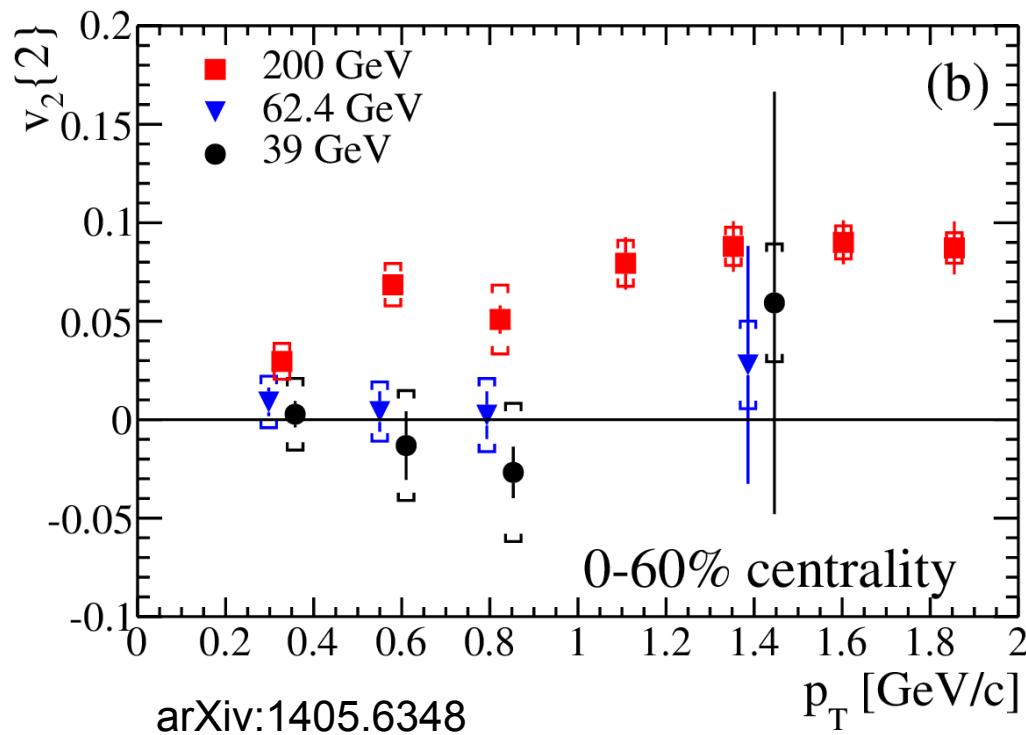
Light hadrons suppressed at high p_T at 39 - 200 GeV

Positive v_2 of charged hadrons, small difference for 39 – 200 GeV

e^{HF} R_{AA} and v_2 at $\sqrt{s}_{\text{NN}} = 62 \text{ GeV}$



arXiv:1405.3301



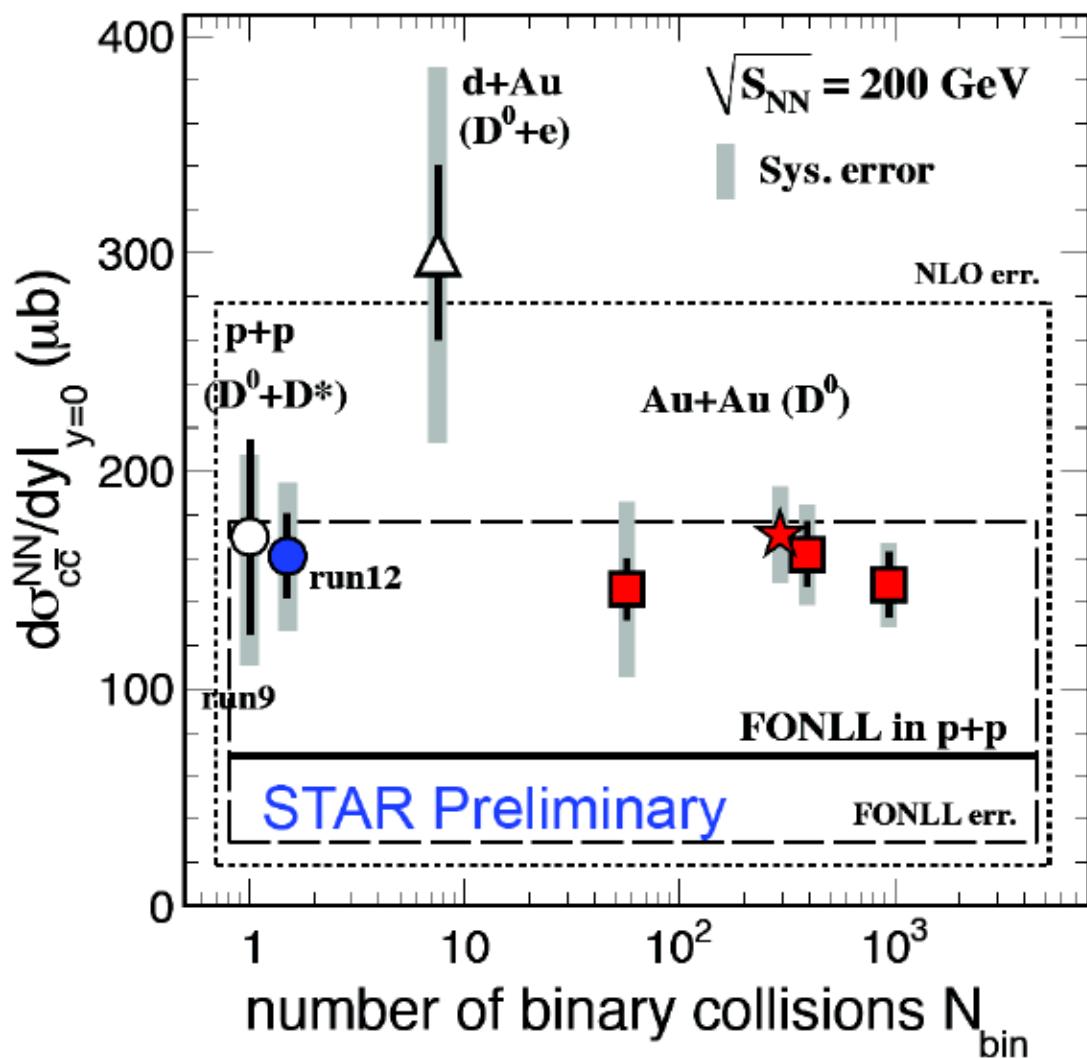
No eHF suppression for $p_T < 5 \text{ GeV}$

v_2 lower at 39 and 62 GeV than at 200 GeV for $p_T < 1 \text{ GeV}/c$

1. Open heavy flavor vs quarkonia
→ different tools
2. We cannot measure heavy quark production
→ model-dependent interpretation
3. Understanding of p+A reference is crucial
→ so far no evidence for “mini-QGP” from HF perspective
→ pA → AA not straightforward
4. Color screening is just a hypothesis
→ stay open-minded
5. Heavy Flavor production suppressed at LHC and top RHIC energy but not at lower energies
→ interesting physics below LHC regime

Backup

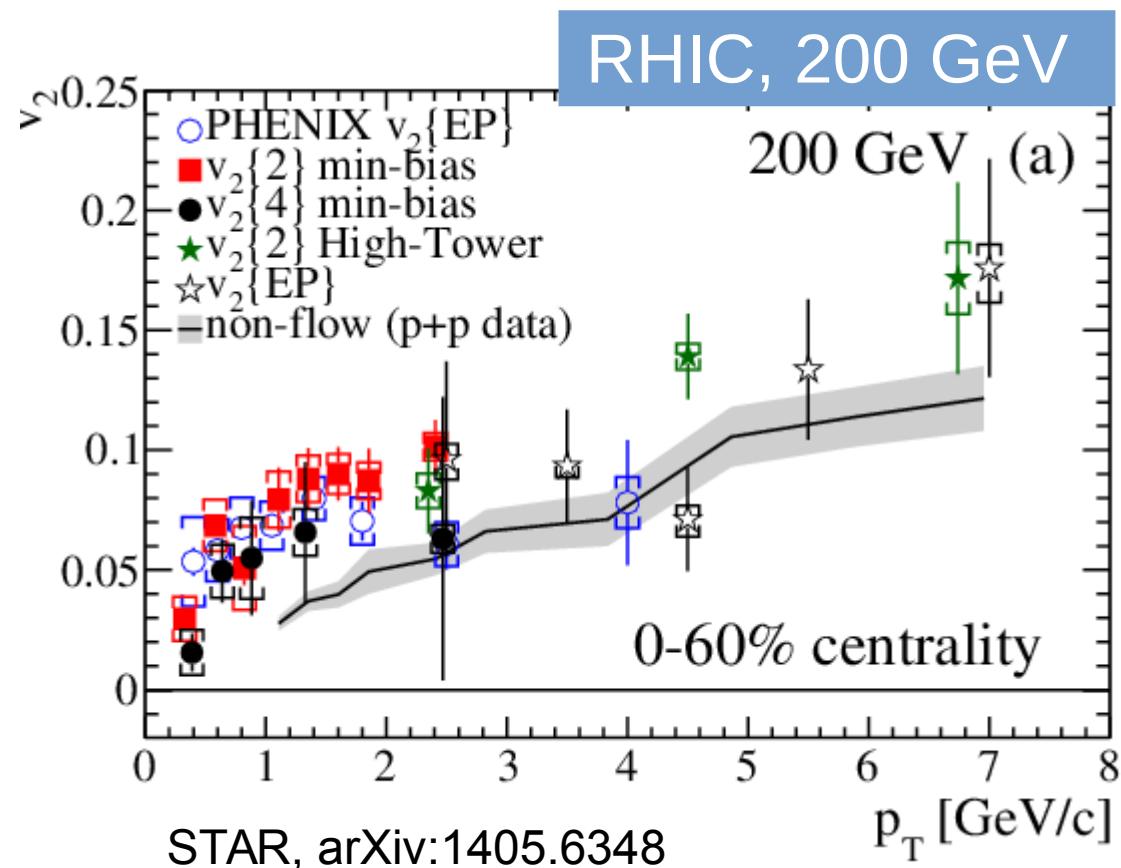
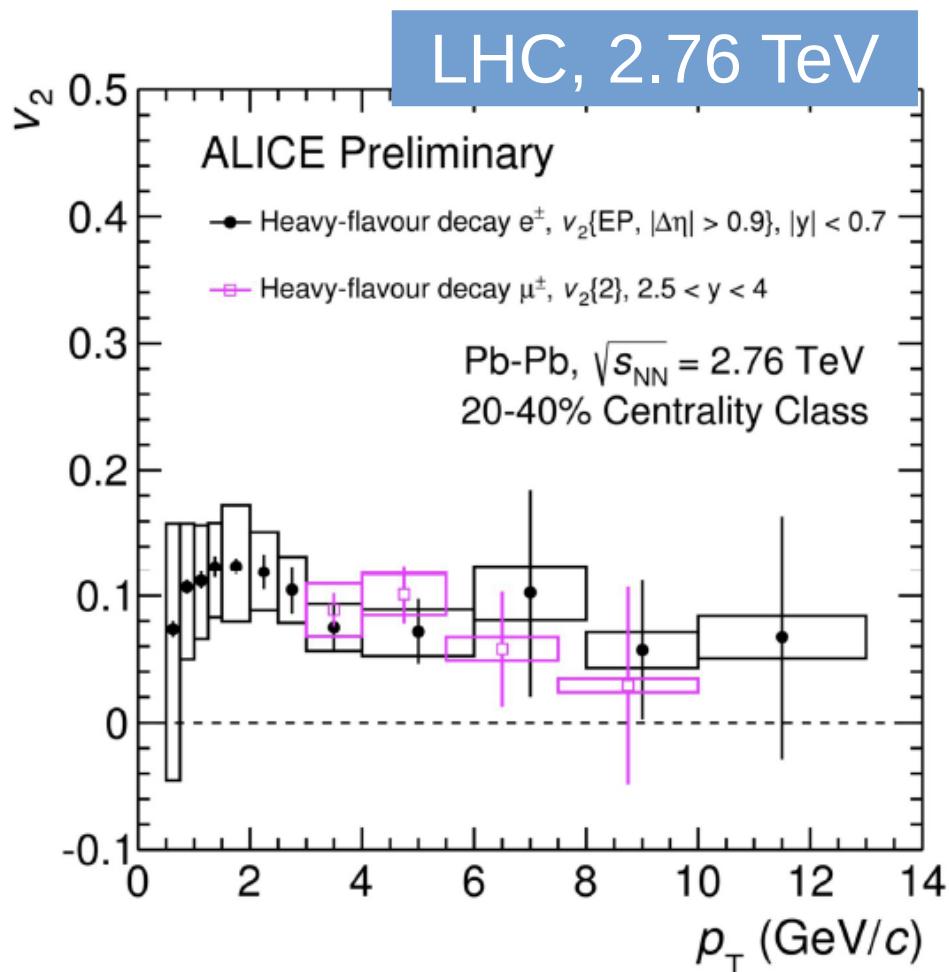
Charm cross section at 200 GeV



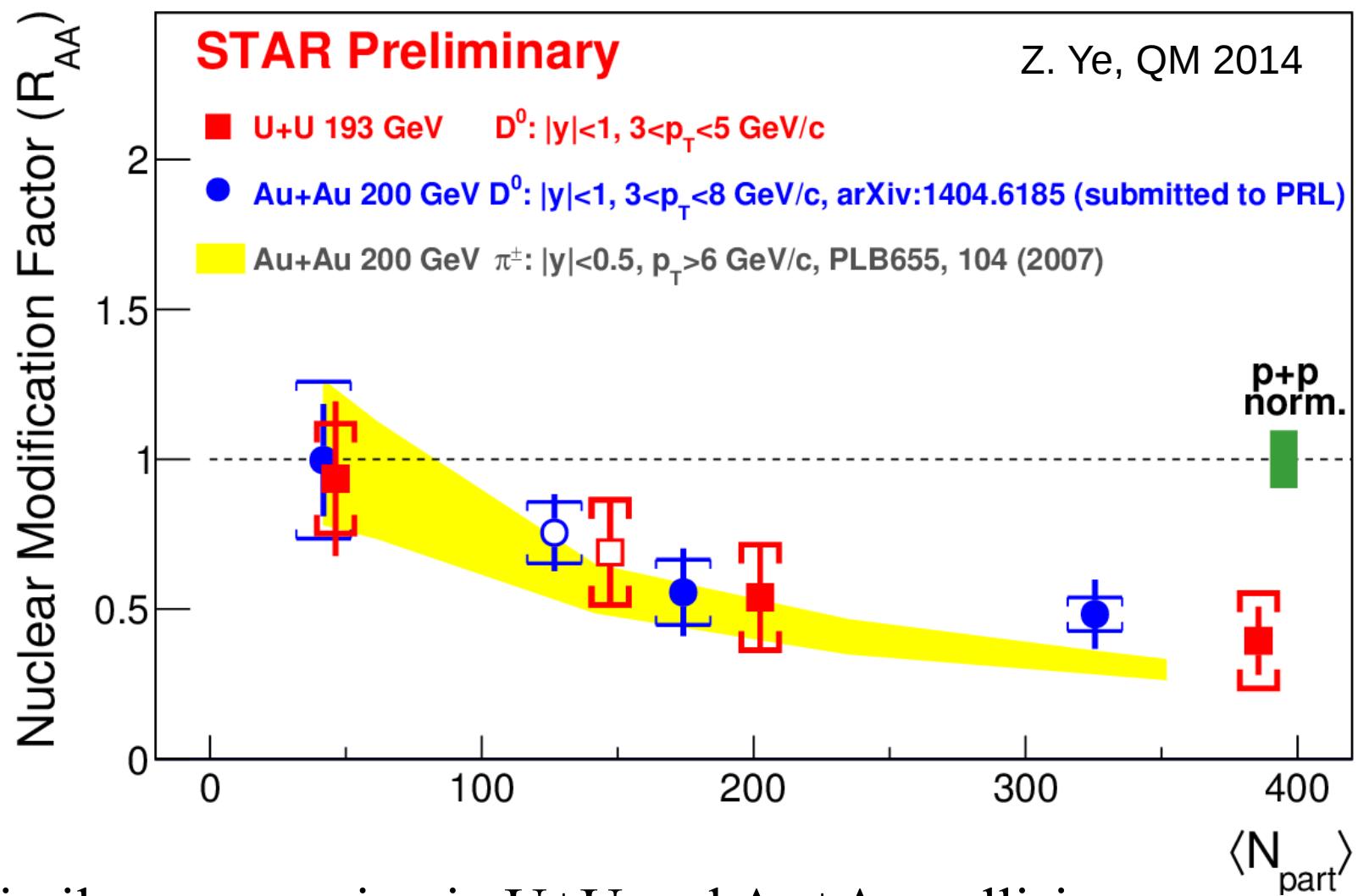
Charm cross section follows
 N_{bin} scaling
→ Charm quarks produced
mostly in initial hard scatterings

- [1] STAR d+Au: J. Adams, et al., PRL 94 (2005) 62301
- [2] STAR p+p Run 9: Phys. Rev. D 86 (2012) 72013
- [3] FONLL: M. Cacciari, PRL 95 (2005) 122001.
- [4] NLO: R. Vogt, Eur.Phys.J.ST 155 (2008) 213

e^{HF} v_2 in at RHIC and LHC



High p_T suppression at RHIC



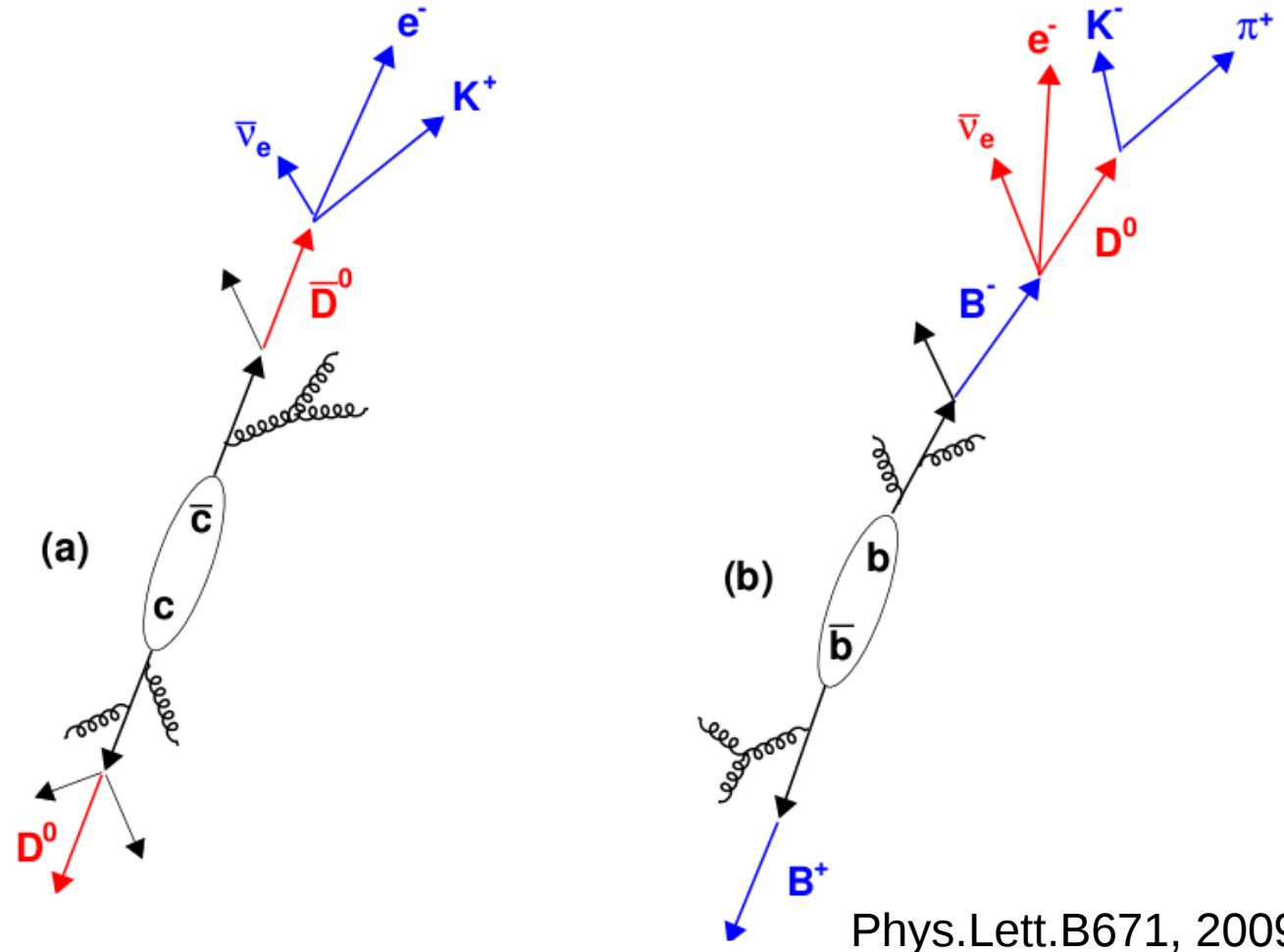
D^0 : Similar suppression in U+U and Au+Au collisions

Similar trend vs system size as for pions

D^0 suppression suggests strong charm-medium interaction

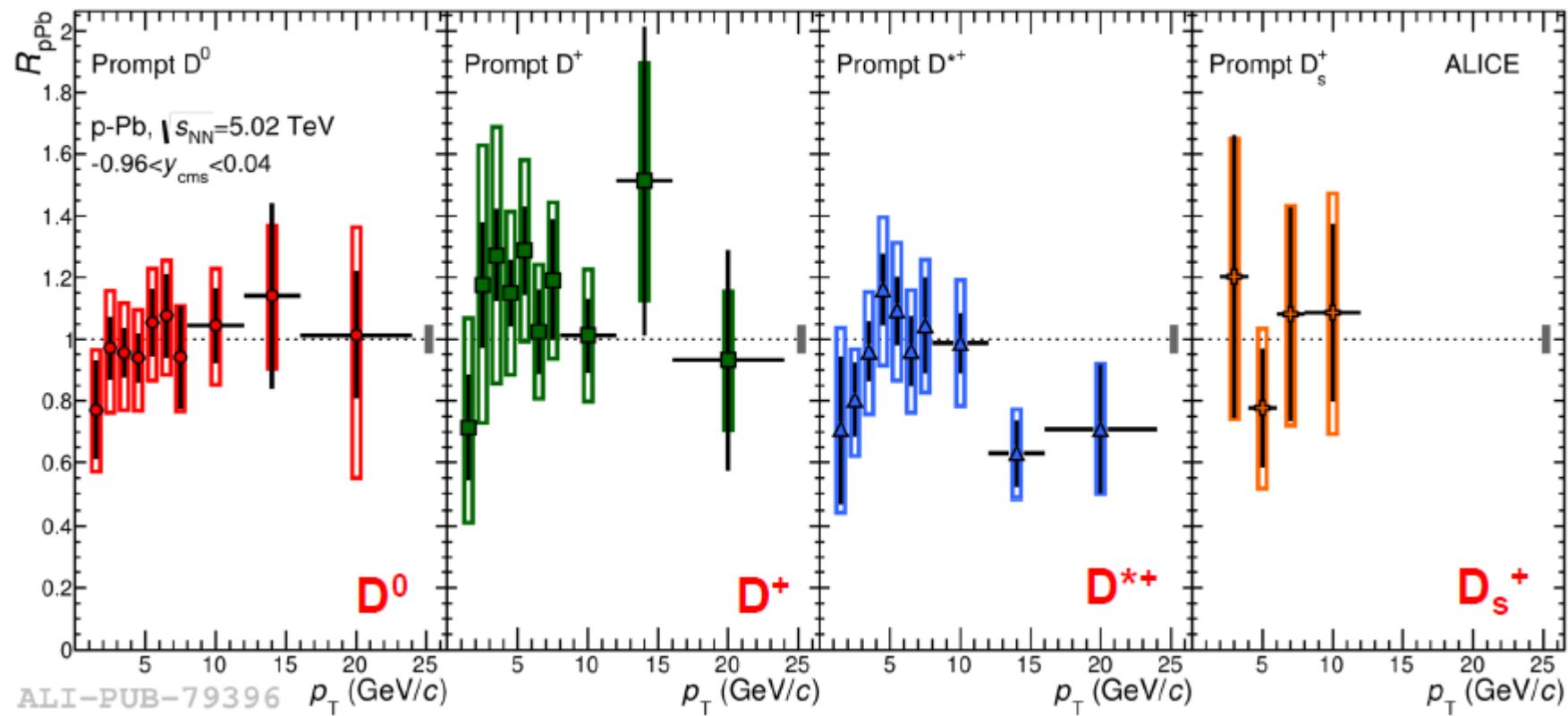
Non-photonic electrons

Proxies for heavy flavor quarks

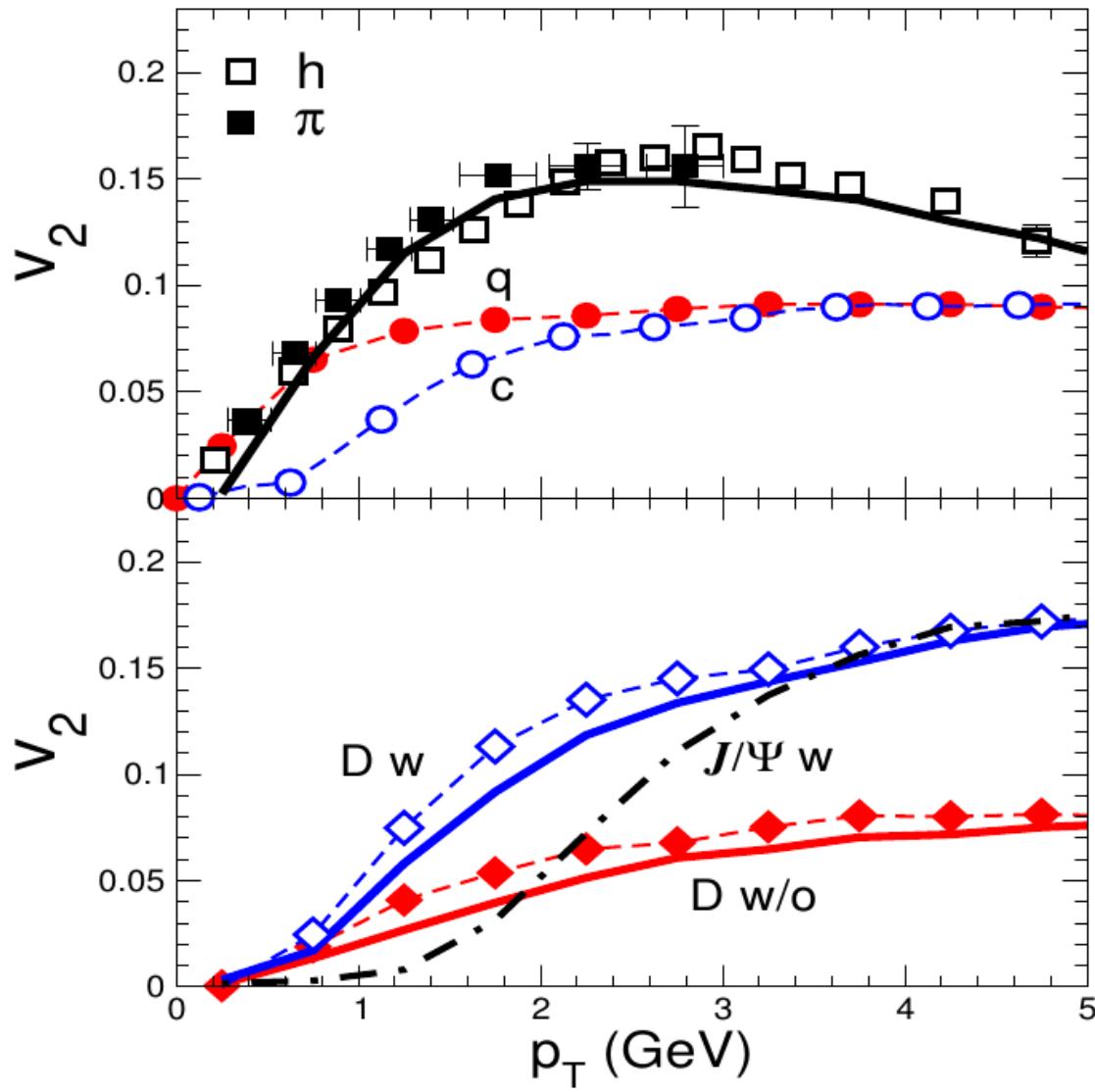


Background:

- photonic electrons: $\gamma \rightarrow ee$, $\pi^0 \rightarrow ee\gamma$, $\eta \rightarrow ee\gamma$
- K_{e3} ($K \rightarrow \pi\nu e$)



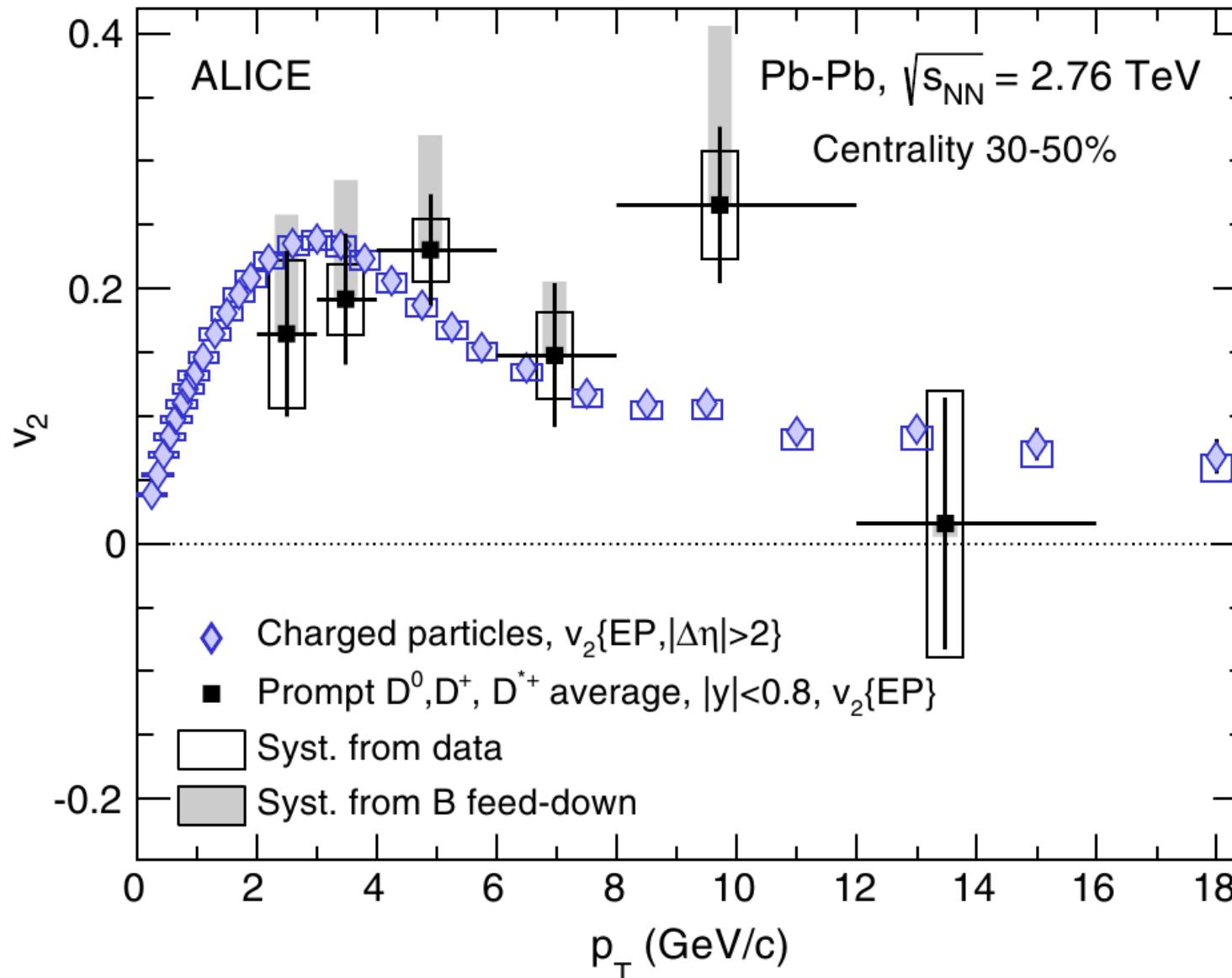
HF production via coalescence



minimum bias Au+Au
200 GeV

50% of D v_2 could be
from light quark

How much charm v_2 in D-meson v_2 ?

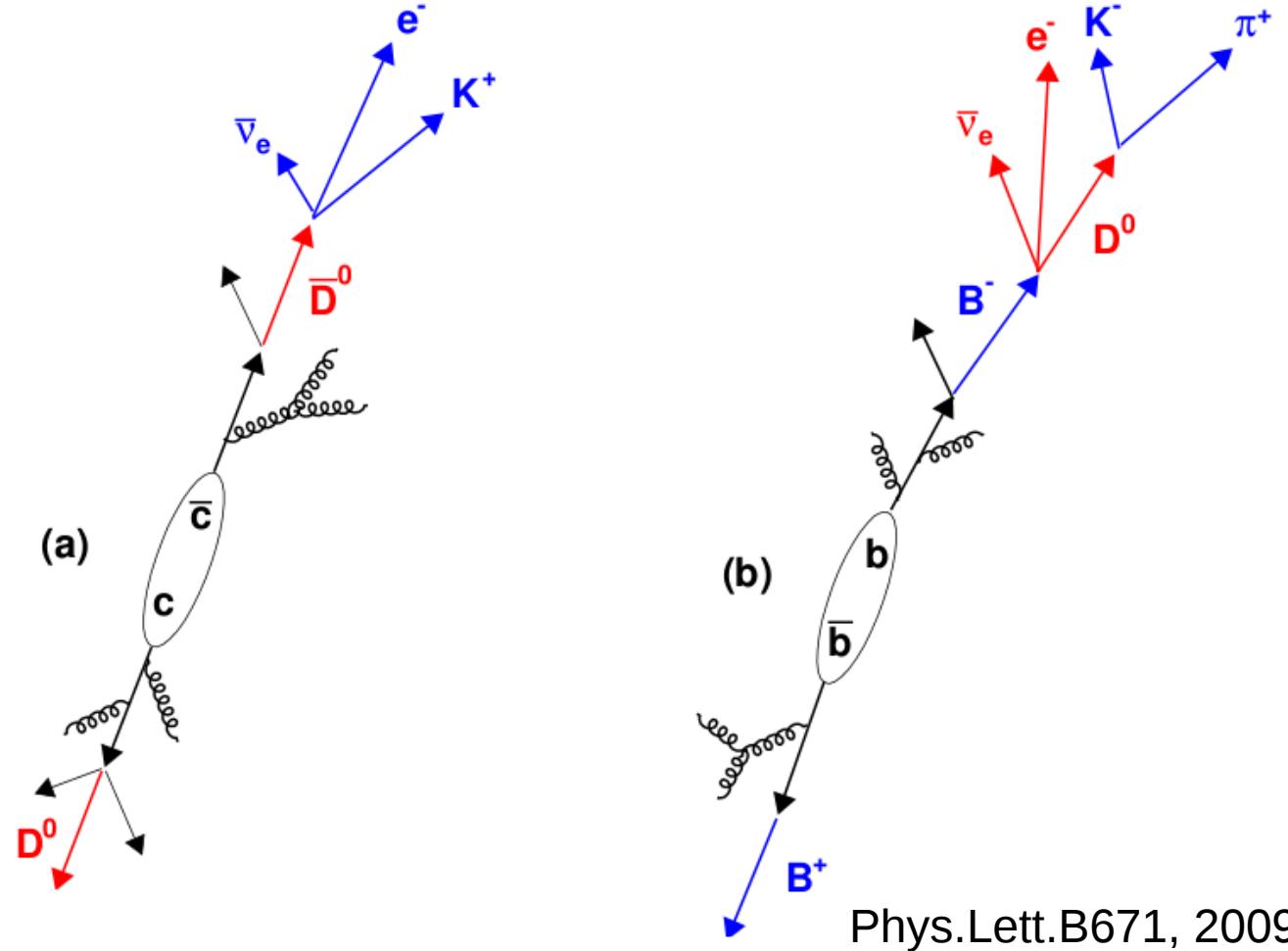


Non-photonic electrons

Proxies for heavy flavor quarks

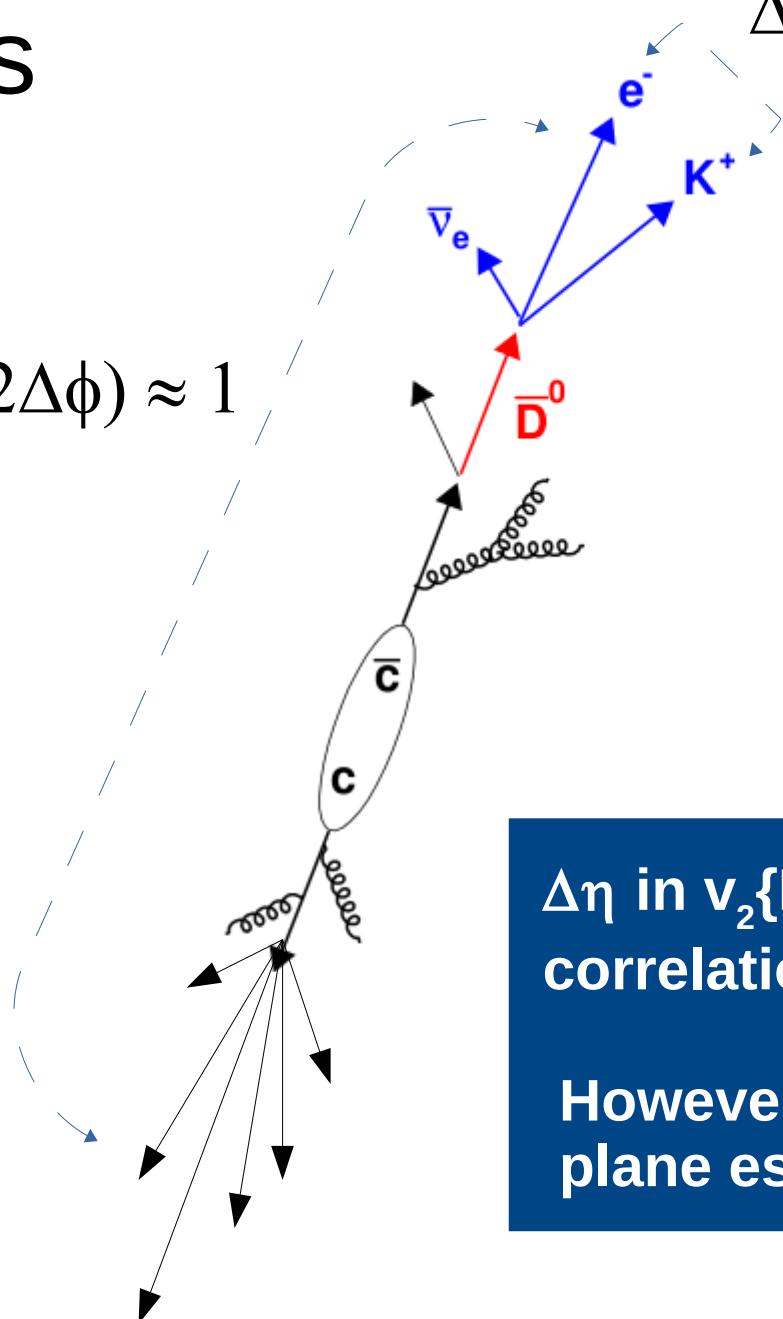
p_T shift compared to parent quark

ϕ angle smeared



Jet-like correlations

$$\Delta\phi \approx \pi \rightarrow \cos(2\Delta\phi) \approx 1$$



$$\Delta\phi \approx 0 \rightarrow \cos(2\Delta\phi) \approx 1$$

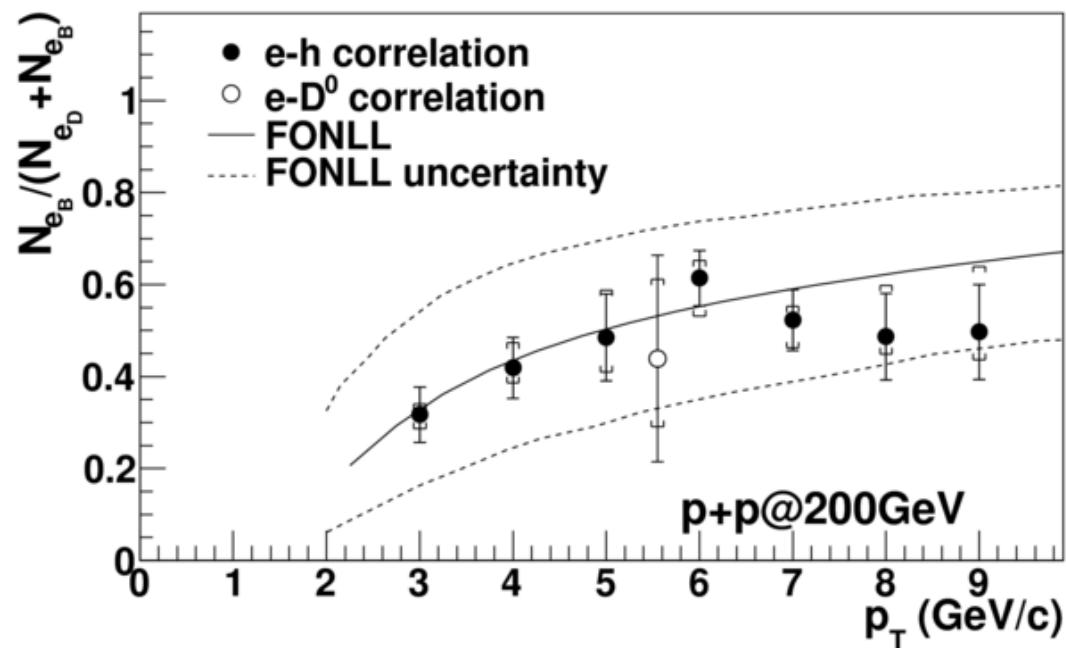
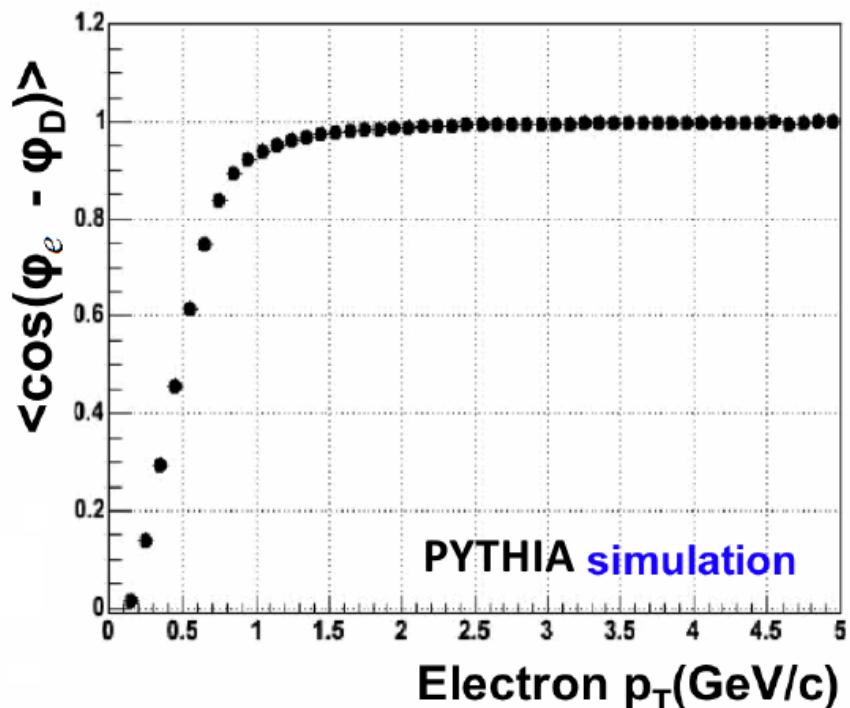
$\Delta\eta$ in $v_2\{\text{EP}\}$ reduces jet-like correlations

However, effect of jets on event plane estimation not really known

e_{HF} represents parent momentum direction well when:
 $p_T^e > 1.5 \text{ GeV}/c$ for D
 $p_T^e > 3 \text{ GeV}/c$ for B

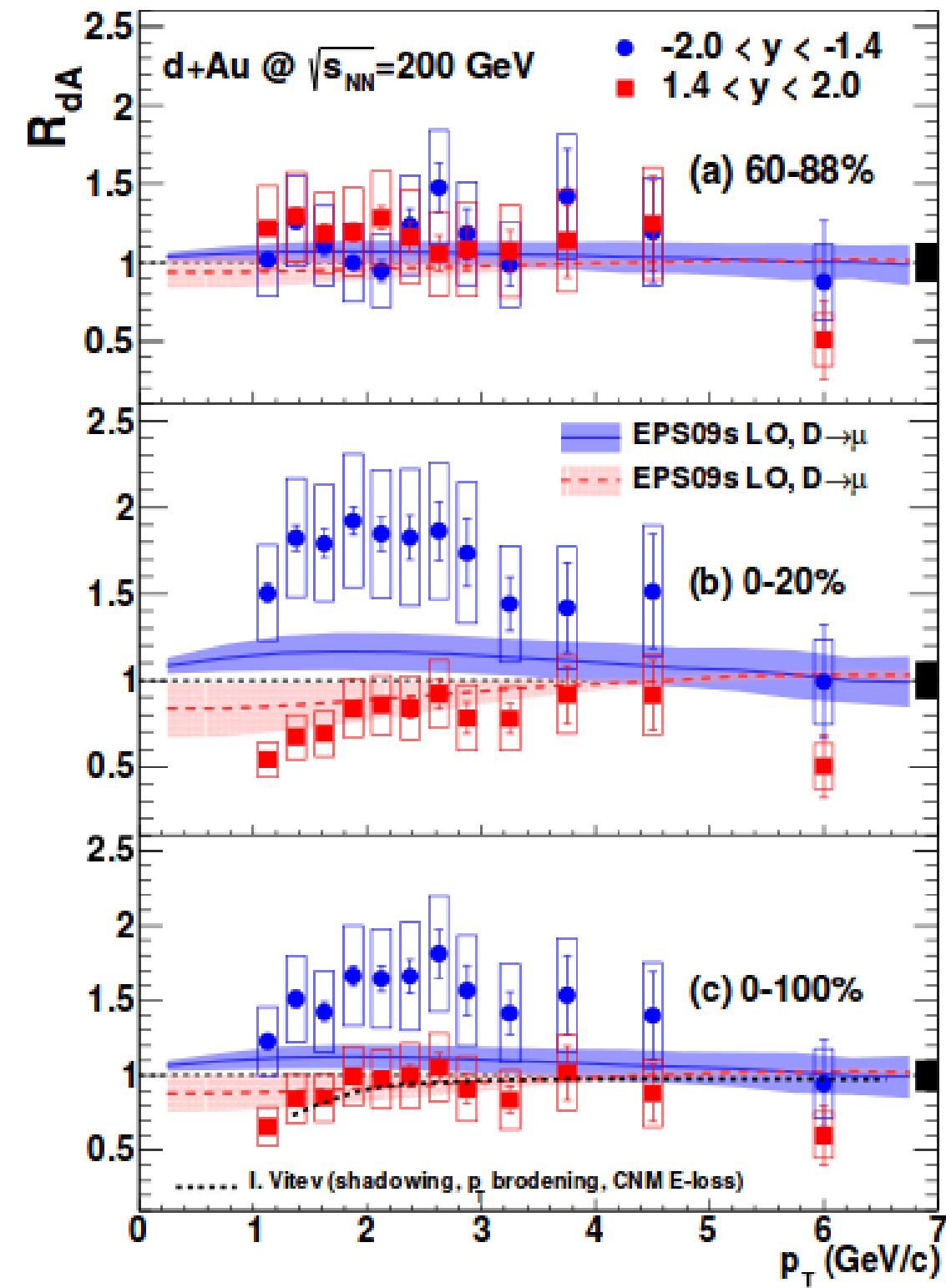


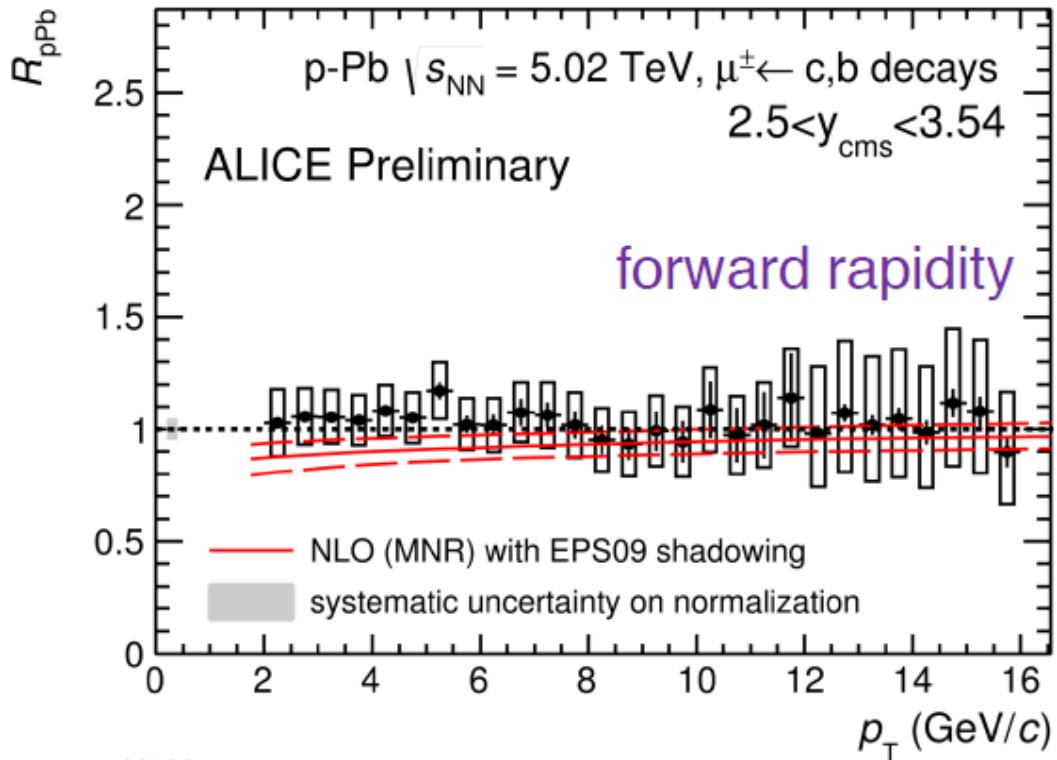
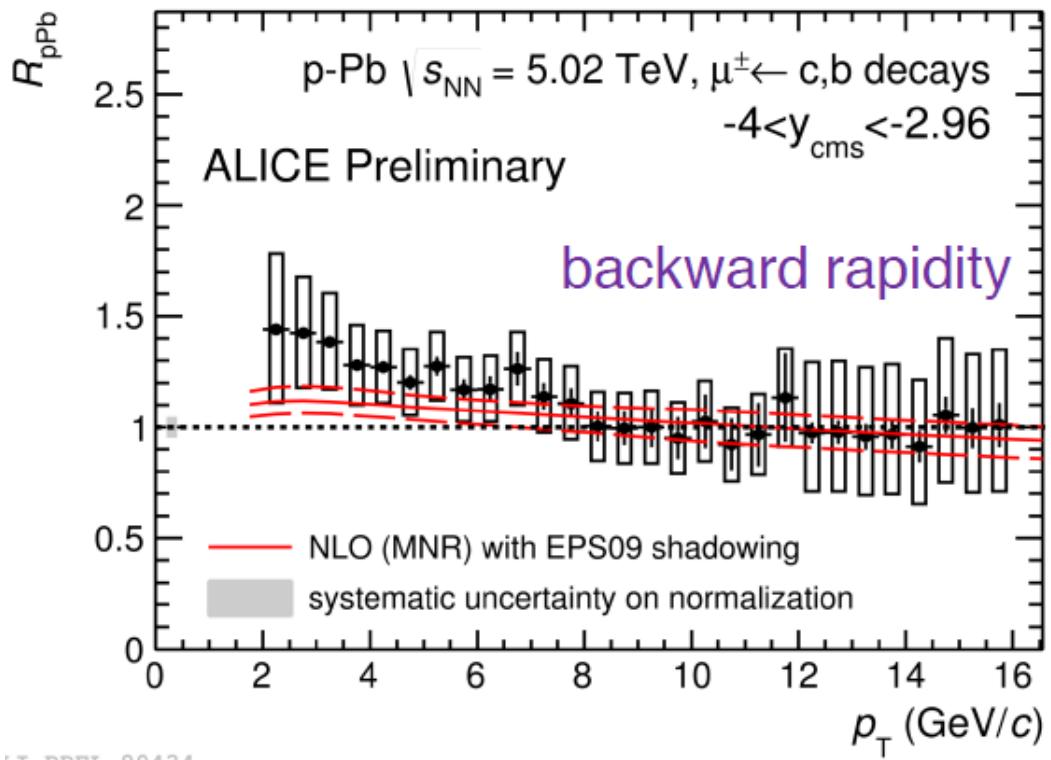
$p_T^e \sim 1.5 - 2 \text{ GeV}/c$
for charm v_2 study



W. Xu, QM 2011

At $\sim 2 \text{ GeV}$, up to 40%
from $B \rightarrow p_T$ shift and v_2 smearing
What effect of D/B suppression?

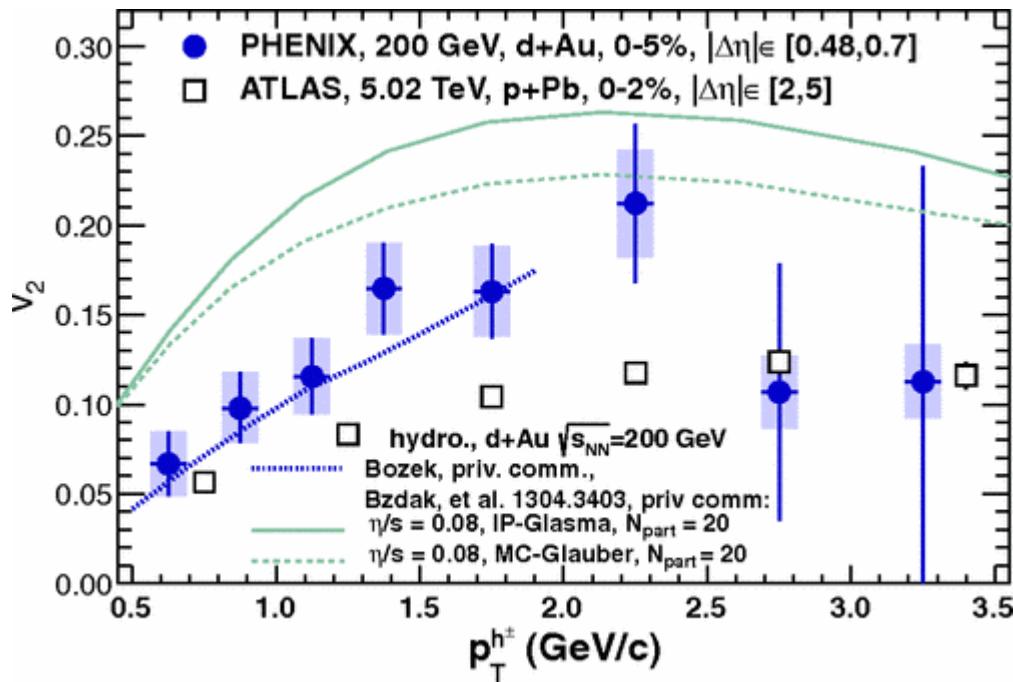




L1-PREL-80434

d+Au: reference or “mini-QGP” ?

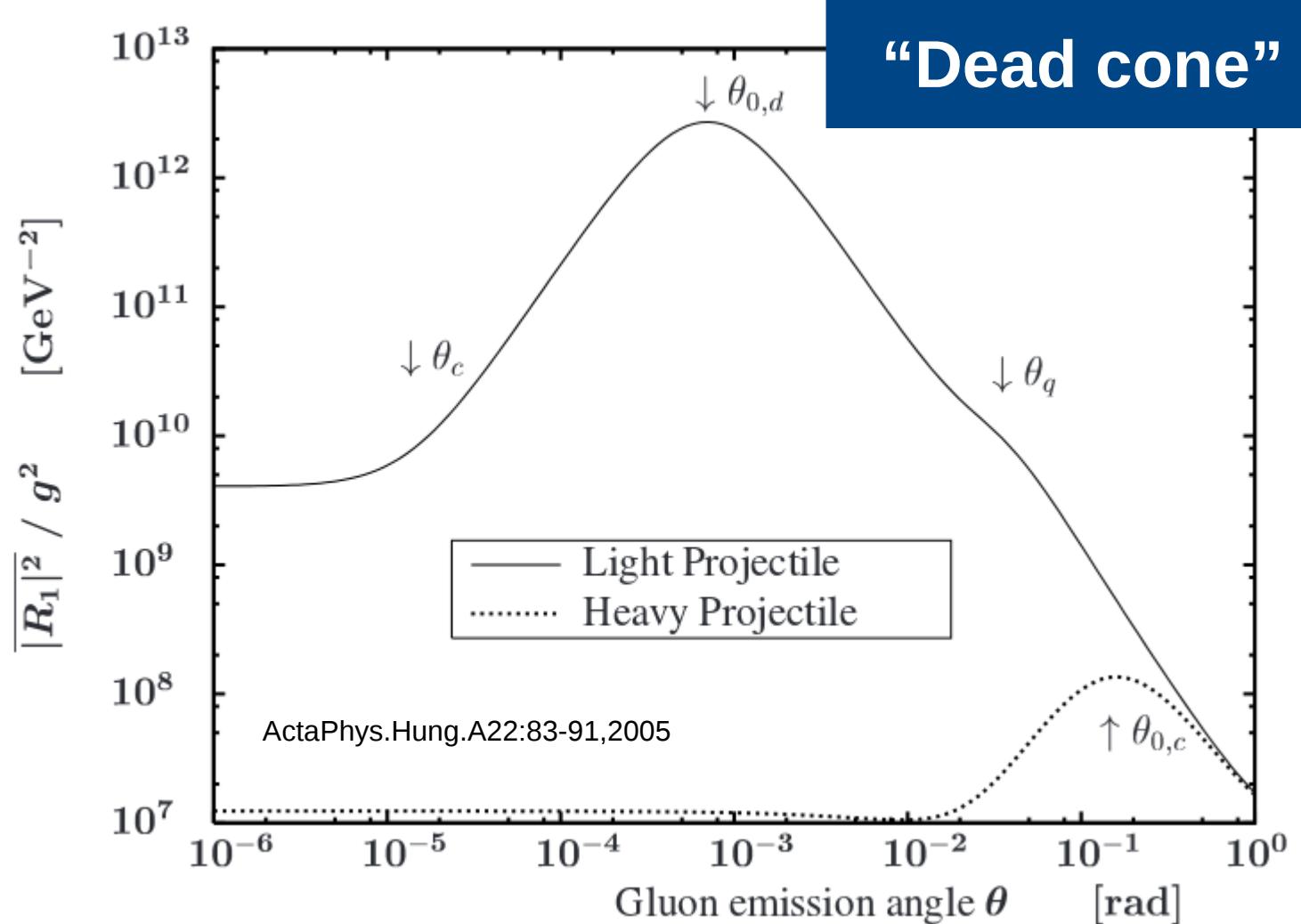
Charged hadrons



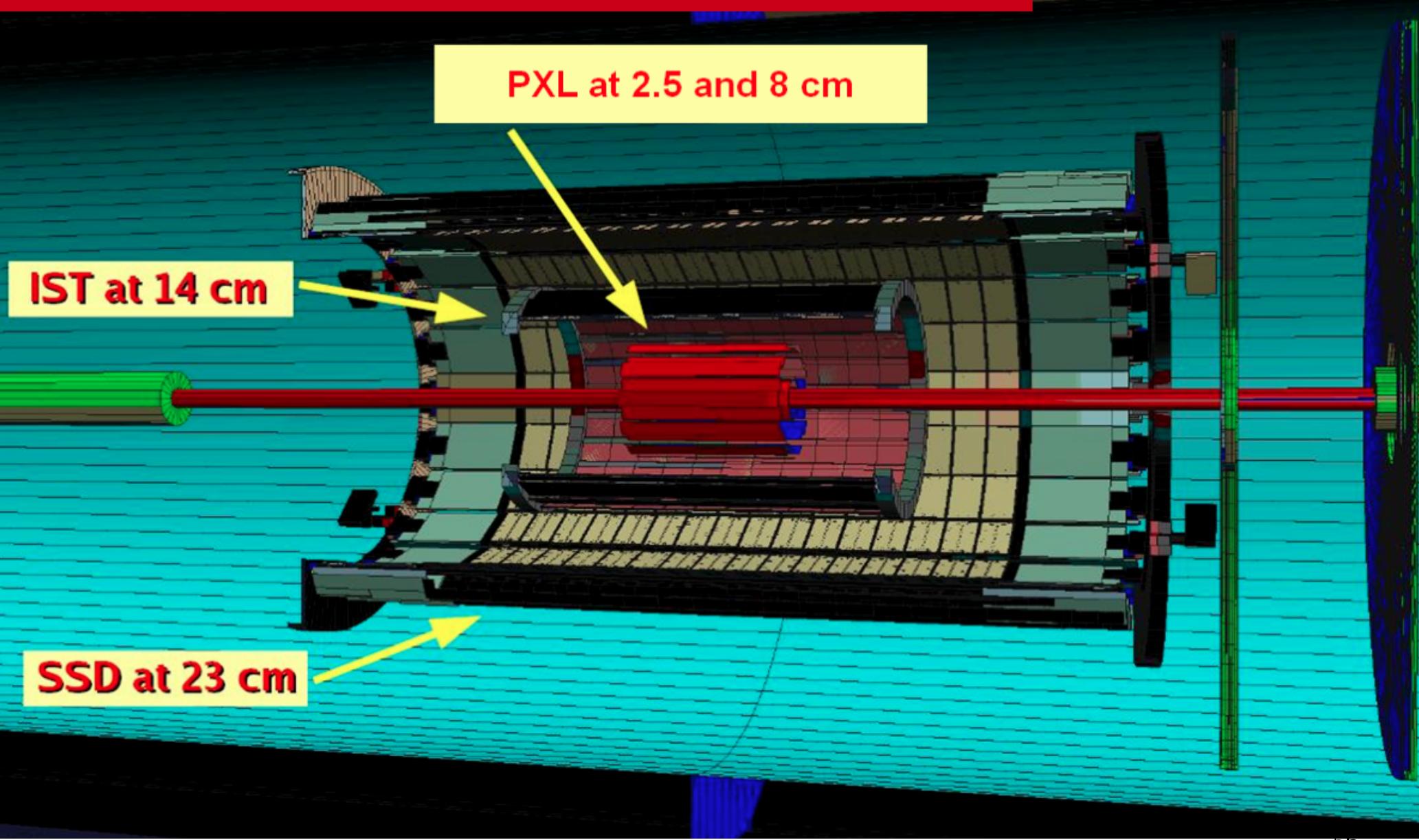
Phys. Rev. Lett. 111, 212301 (2013)

Open heavy flavor

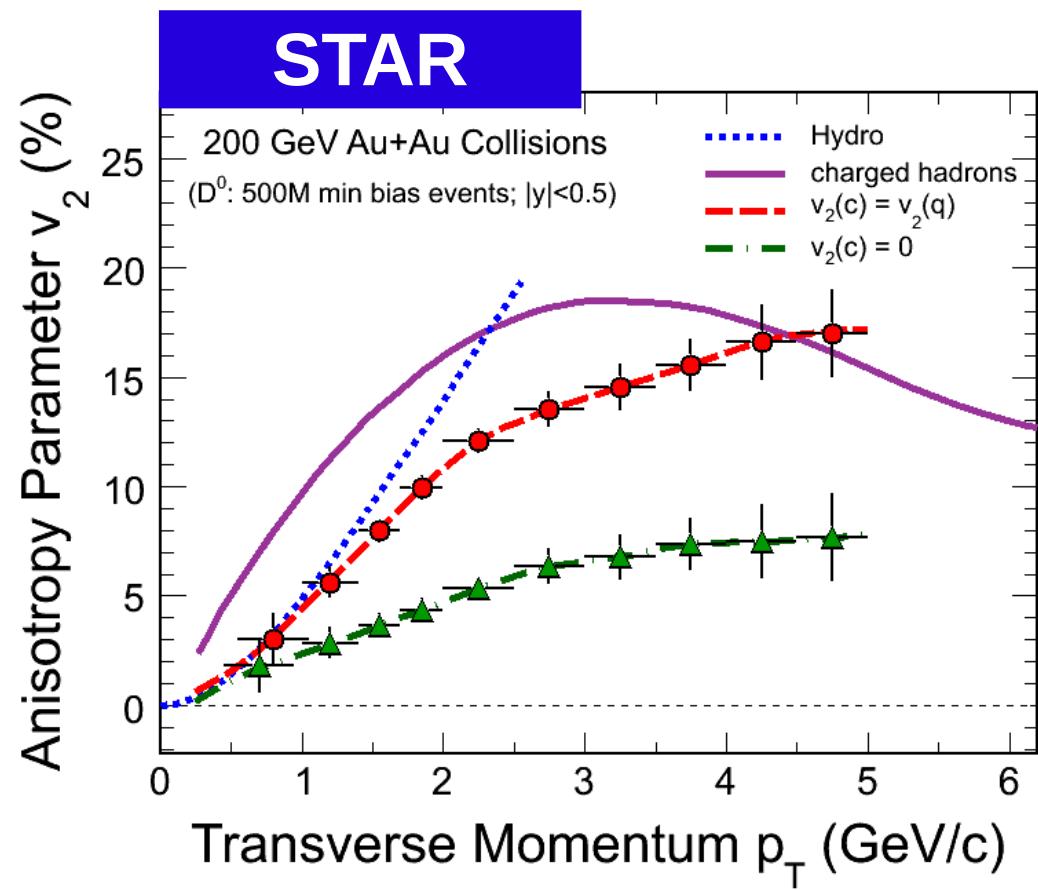
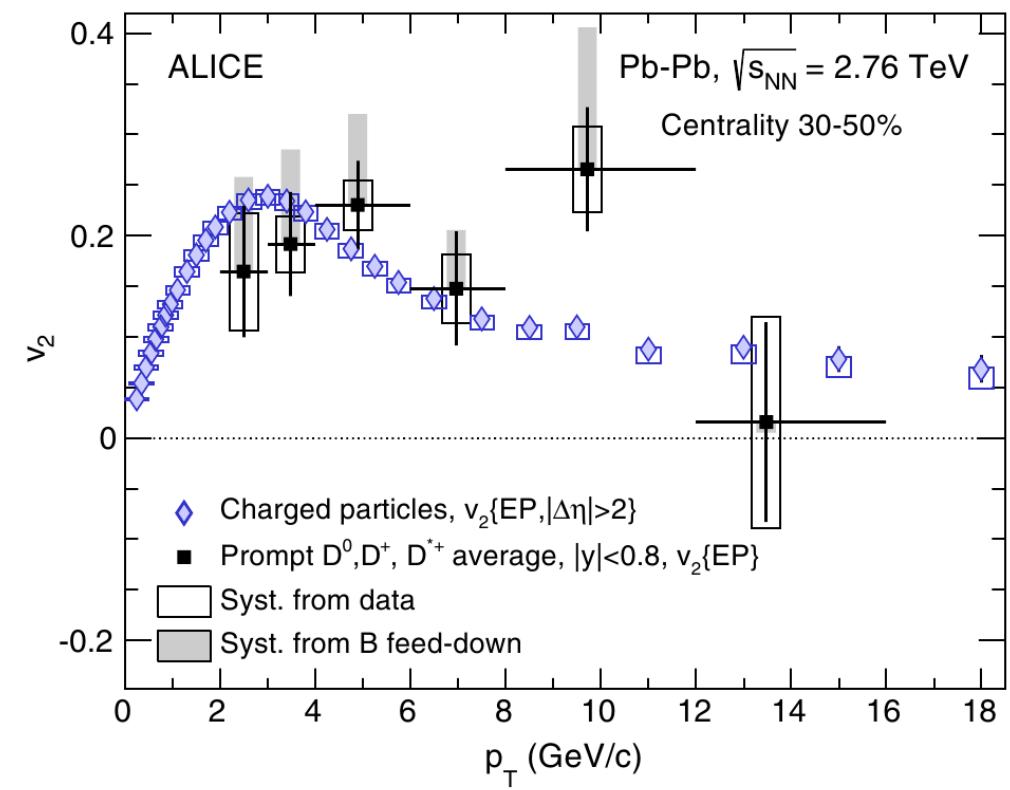
$$\rightarrow \Delta E(g) > \Delta E(q) > \Delta E(c) > \Delta E(g)$$



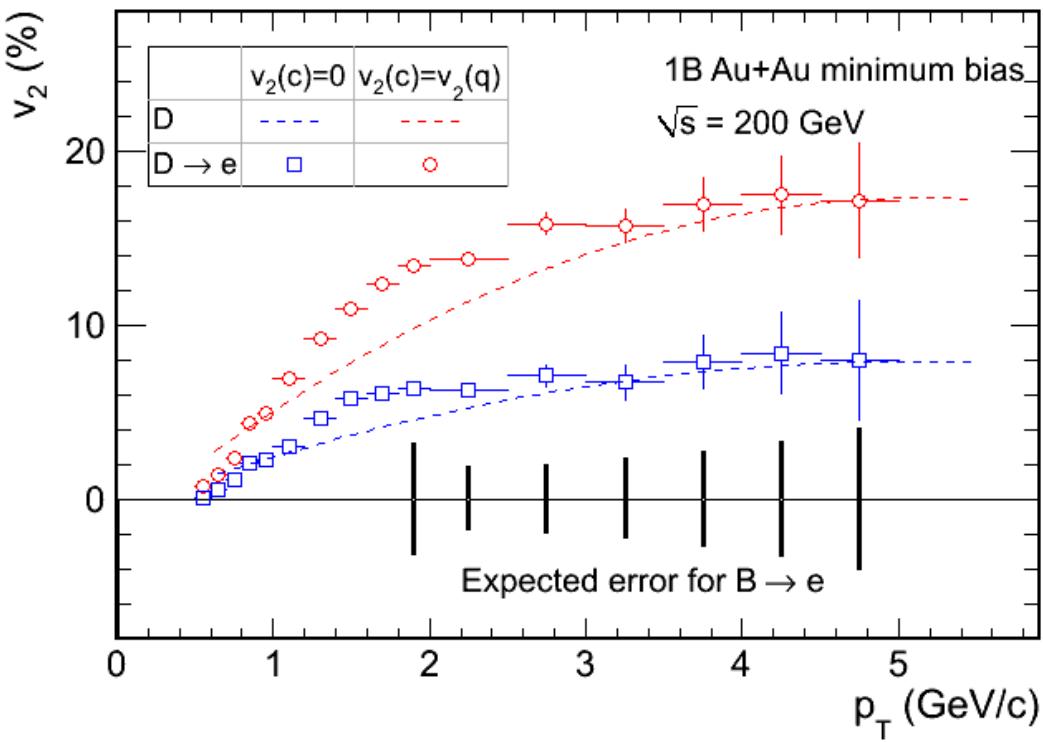
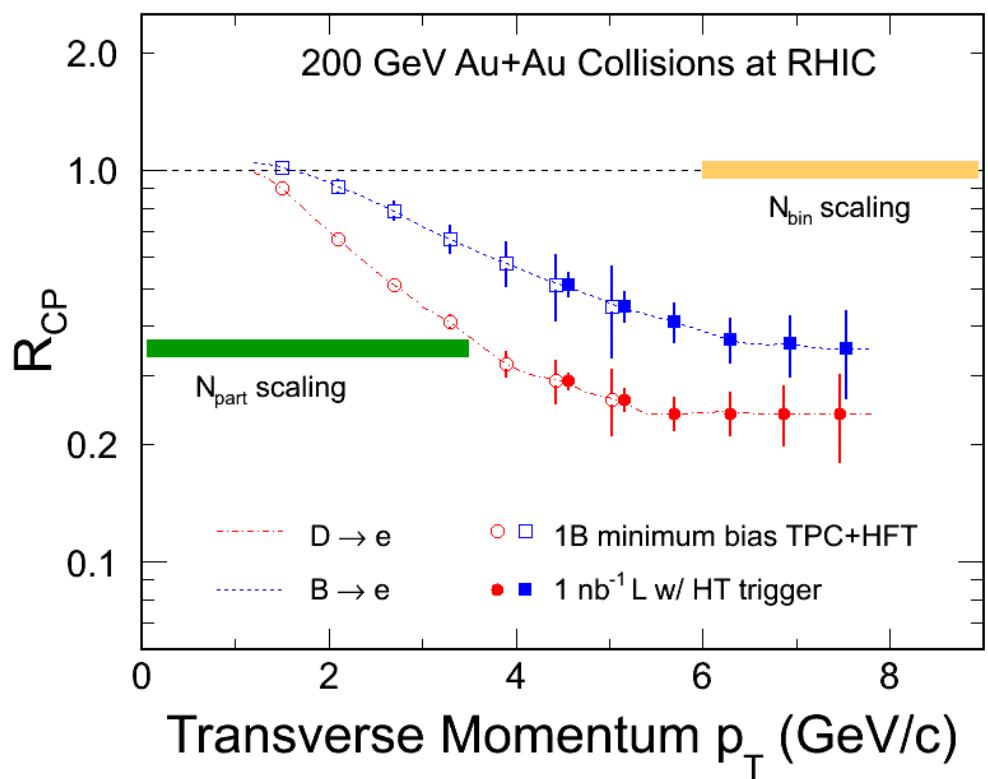
Heavy Flavor Tracker at STAR



STAR data with Heavy Flavor Tracker

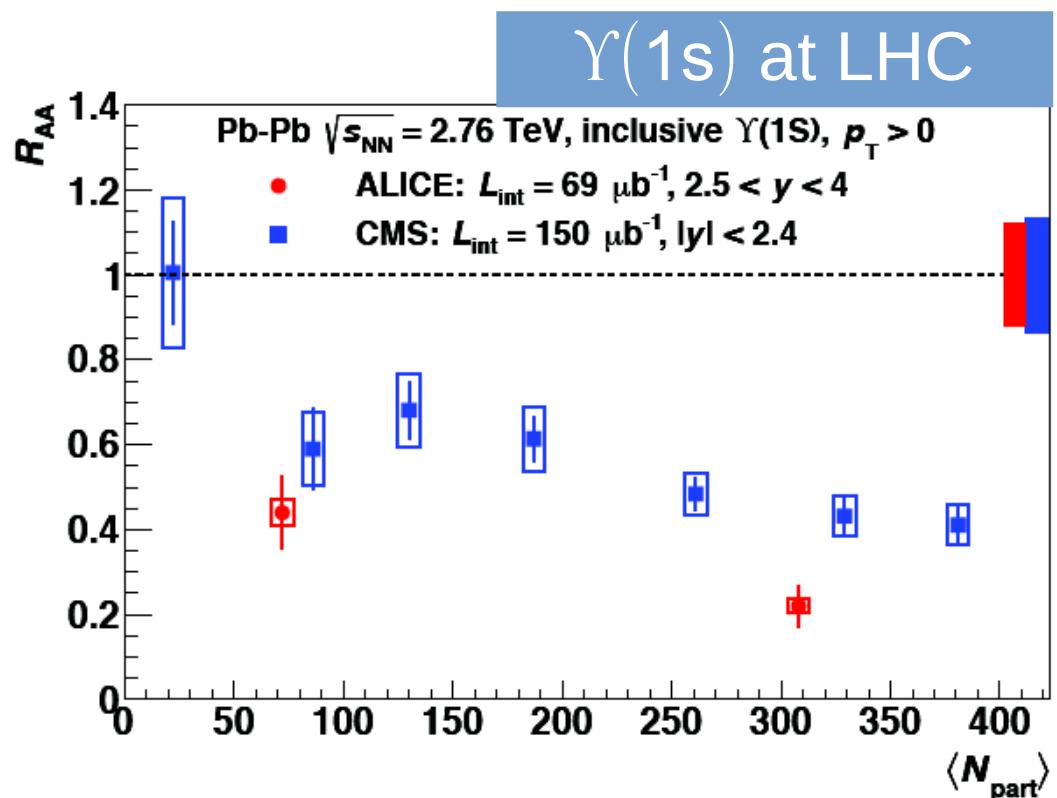


STAR data with Heavy Flavor Tracker

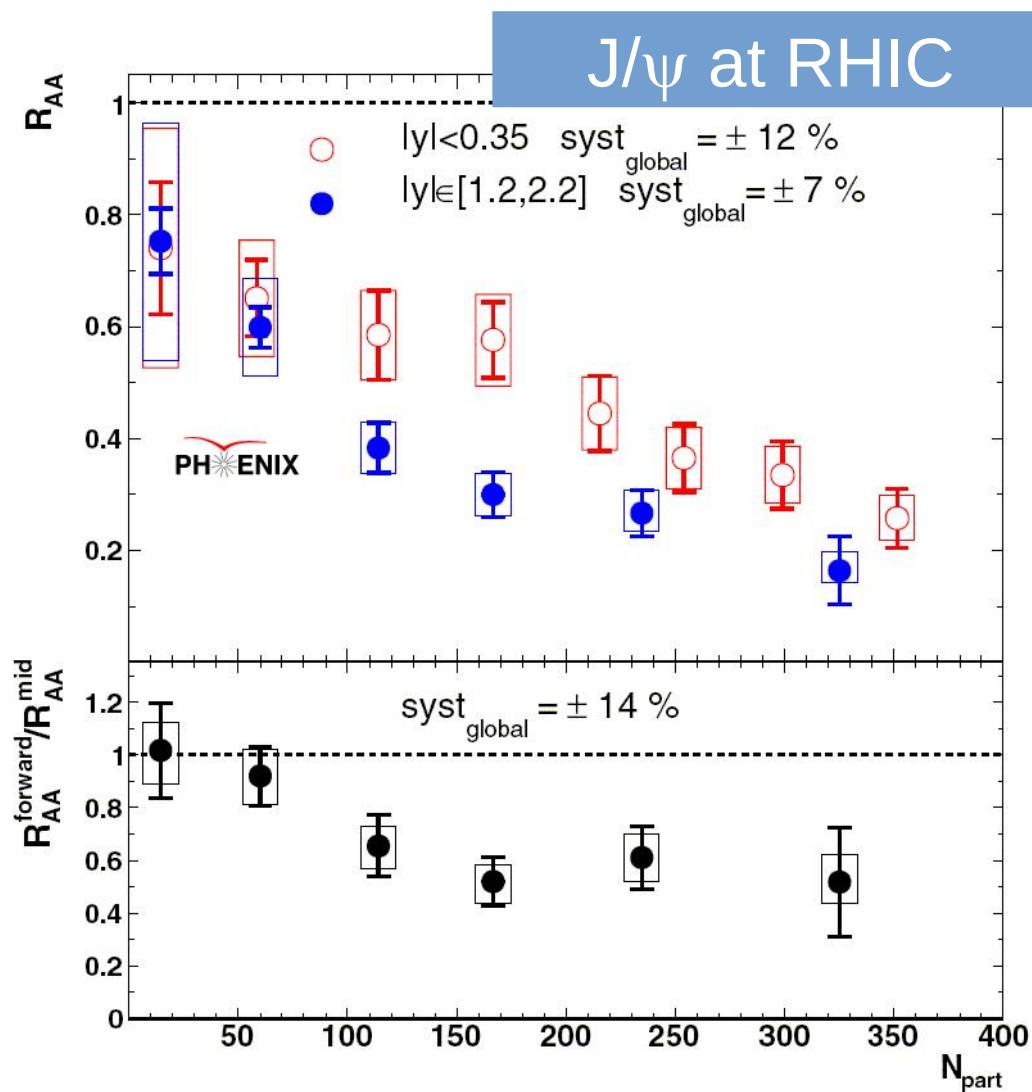


HFT Conceptual Design Report

Υ at LHC \approx J/ψ at RHIC

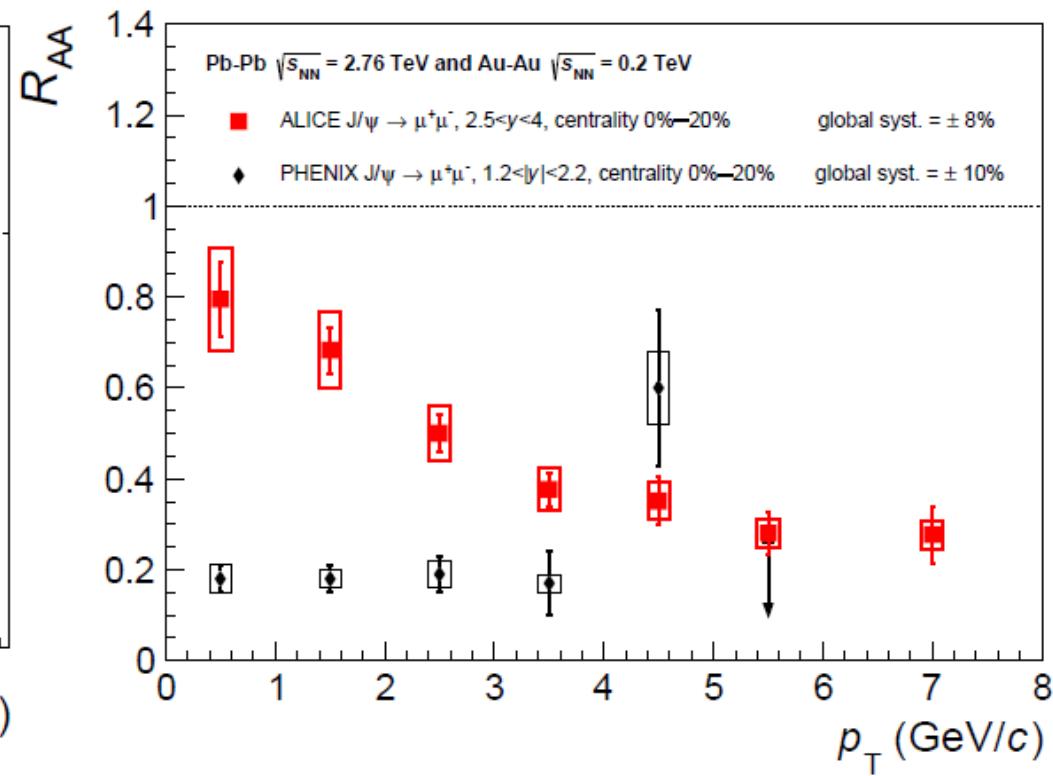
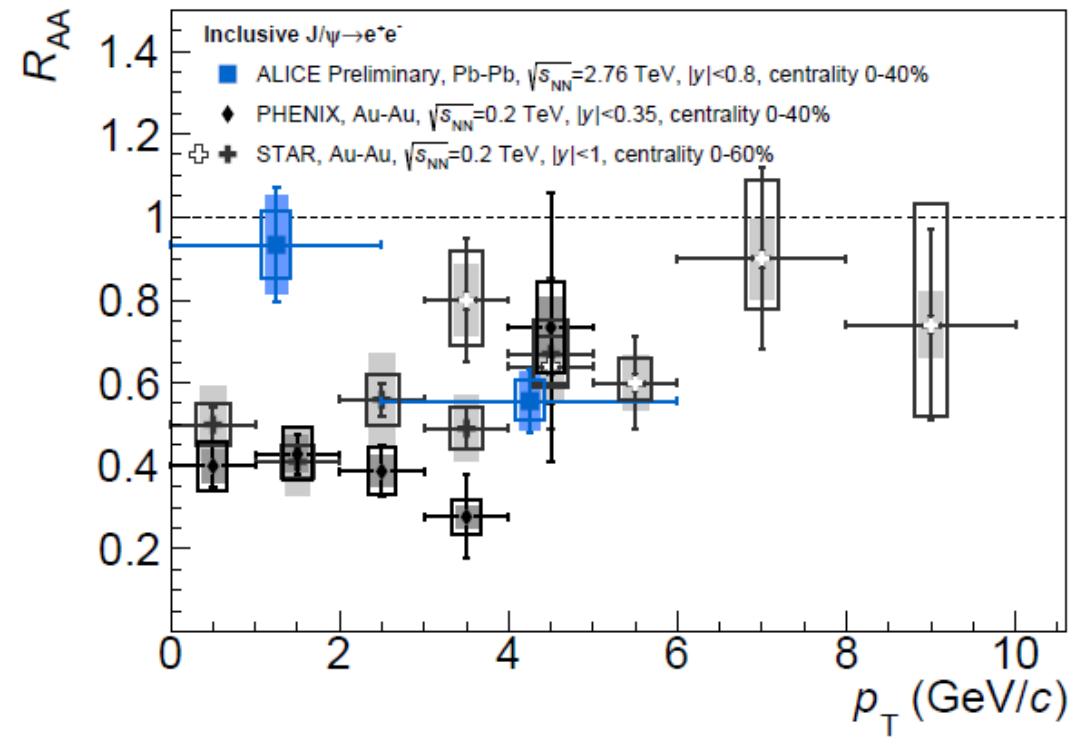


arXiv:1405.4493

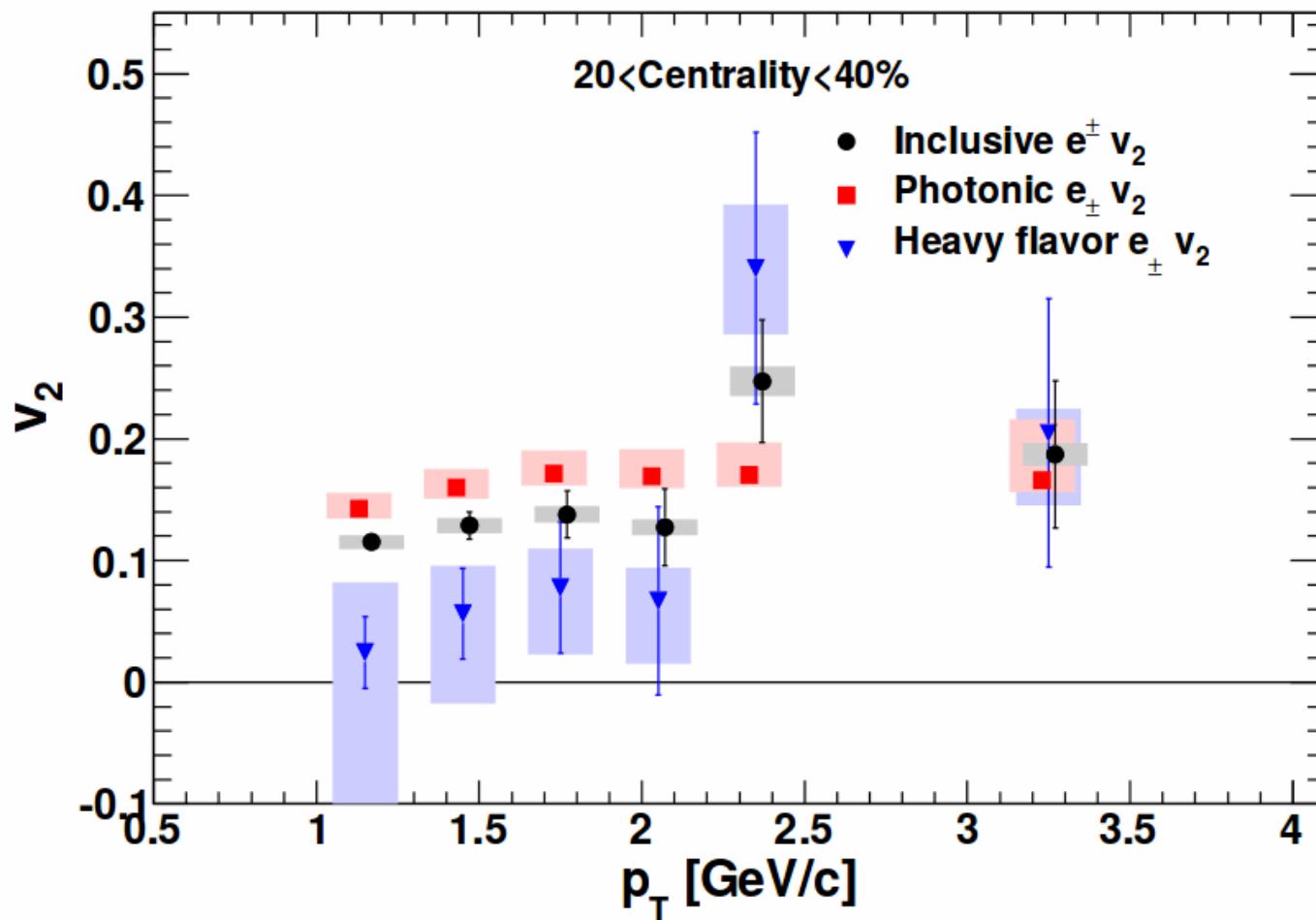


Phys.Rev.Lett.98:232301,2007

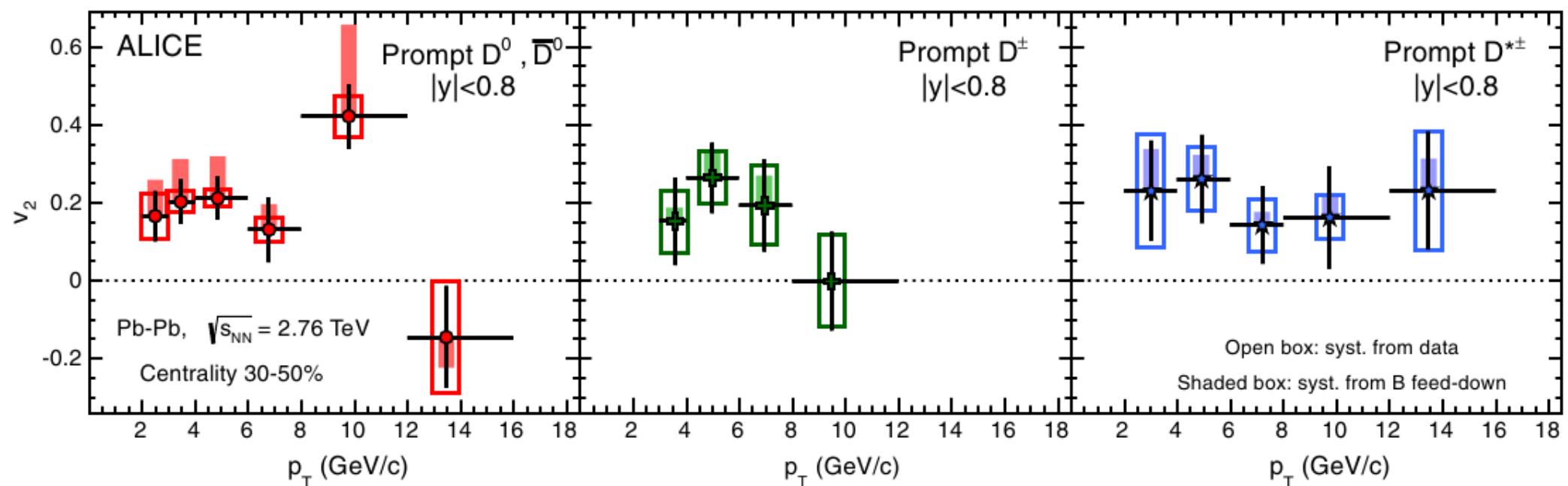
J/ ψ



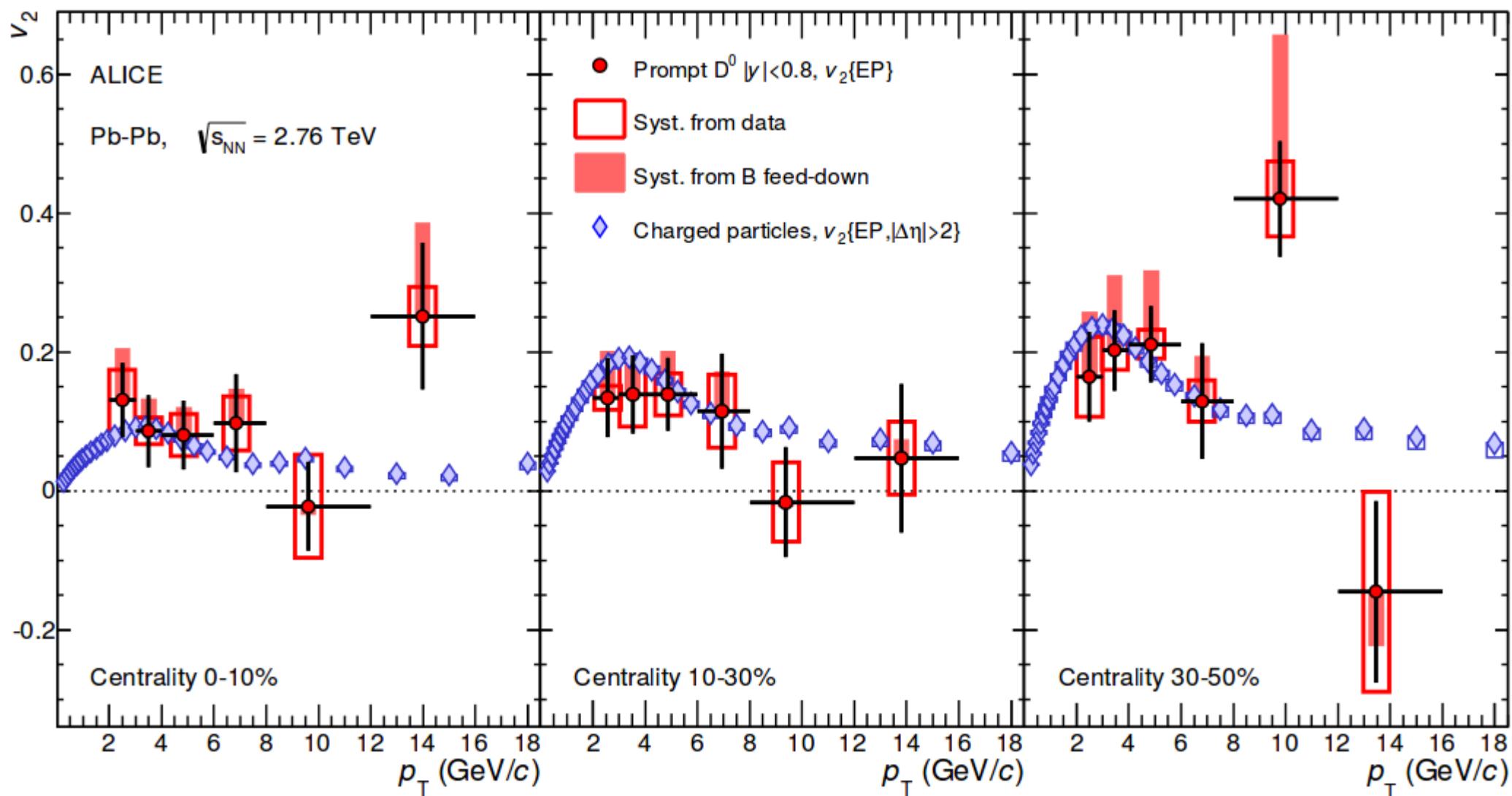
Au+AU 62.4 GeV

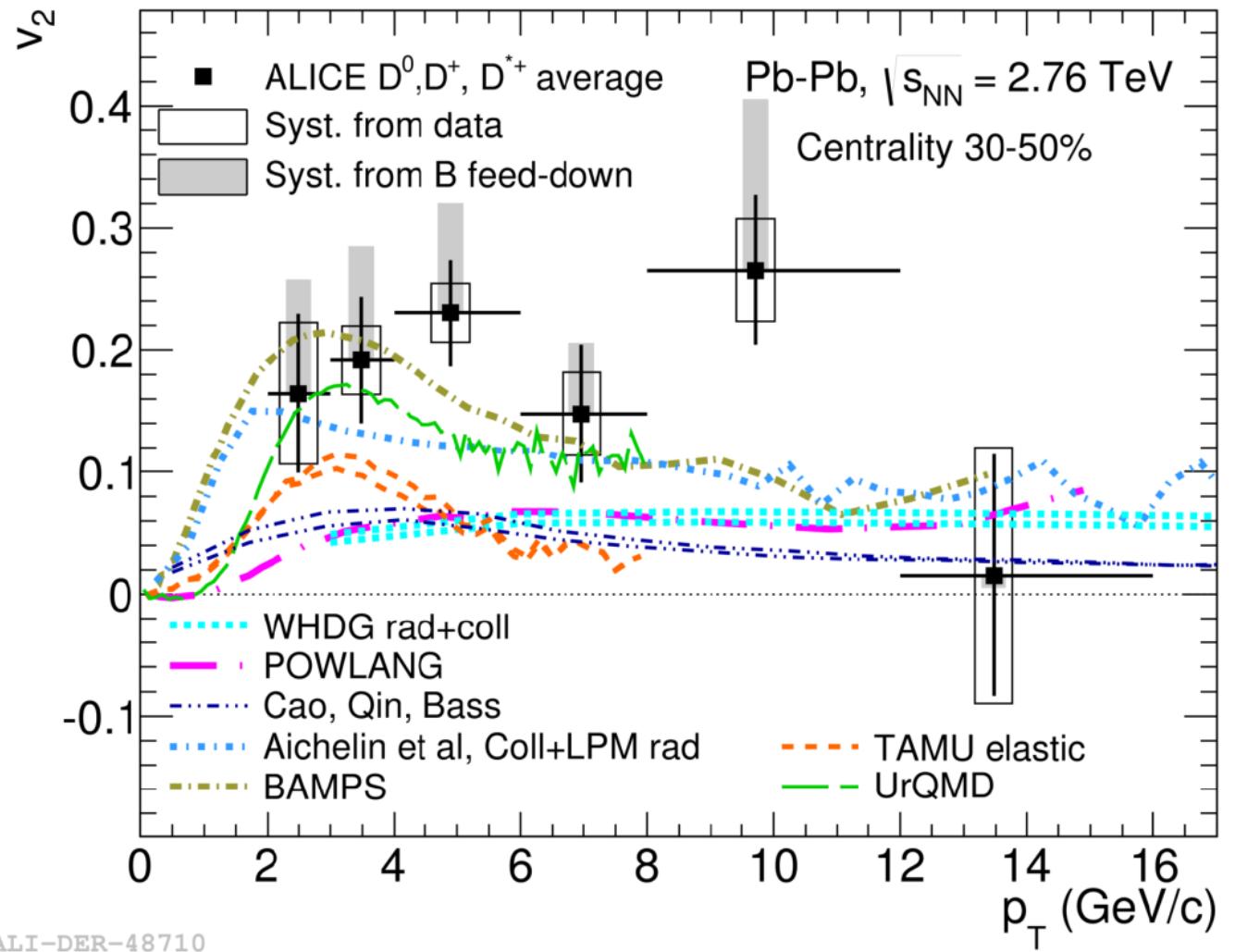


arxiv:1405.3301



PRL 111, 102301
(2013)

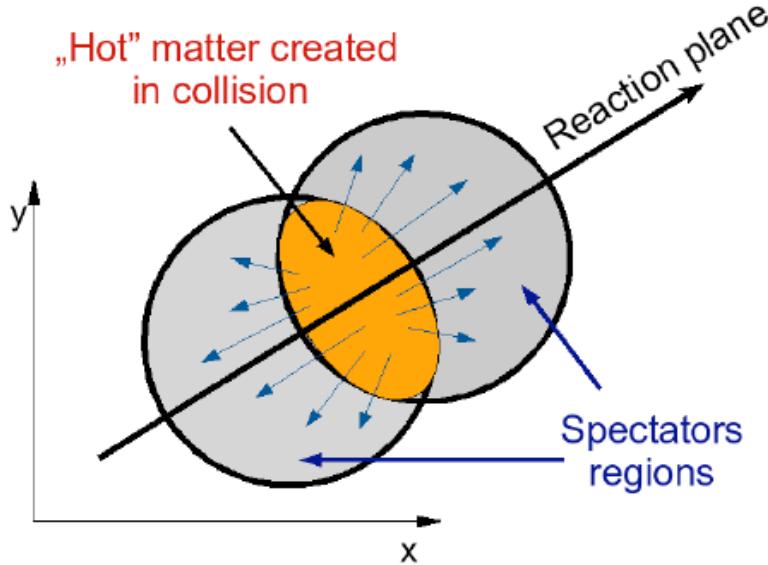




BAMPS – fragmentation – large v_2

TAMU – coalescence (at low p_T) \rightarrow smaller v_2

\rightarrow results depend on mechanism employed



$$v_n \equiv \langle \cos n\phi \rangle = \frac{\int_0^{2\pi} \cos n\phi \frac{dN_j}{d^3 p} d\phi}{\int_0^{2\pi} \frac{dN_j}{d^3 p} d\phi}$$

Two-particle distribution = sum of an uncorrelated distribution and two-particle (direct) correlations

$$\frac{dN_{jk}}{d^3 p_1 d^3 p_2} = \frac{dN_j}{d^3 p_1} \frac{dN_k}{d^3 p_2} (1 + C_{jk}(p_1, p_2))$$

$$\langle \cos n(\phi_1 - \phi_2) \rangle = v_n^2 + \text{nonflow}$$

nonflow: jets, resonance decays, HBT ..

If nonflow $\delta \approx 0$ and negligible fluctuations ($\sigma \approx 0$):

Using 2-particle correlations: $v_n\{2\}^2 = \langle \cos n(\phi_1 - \phi_2) \rangle = \langle v_n \rangle^2$

Using 4-particle correlations:

$$\begin{aligned} v_n\{4\}^4 &= 2\langle \cos n(\phi_1 - \phi_2) \rangle - \langle \cos n(\phi_1 + \phi_2 - \phi_3 - \phi_4) \rangle \\ &= 2\langle v_n^2 \rangle^2 - \langle v_n \rangle^4 = \langle v_n \rangle^4 \end{aligned}$$

If nonflow $\delta \neq 0$ and non-negligible fluctuations ($\sigma \neq 0$):

$$v_n\{2\}^2 = \langle v_n^2 \rangle + \sigma^2 + \delta$$

L. Yi, et al. arxiv: 1101.4646
(assuming Gaussian fluctuations)

$$v_n\{4\}^4 = (\langle v_n \rangle^2 + \sigma^2)^2 - 2\sigma^4$$

→ upper and lower limit on elliptic flow

Initial k_T broadening

Arises from multiple scattering of the projectile partons in the target:

$$\langle k_T^2 \rangle_A = \langle k_T^2 \rangle_p + (\langle \nu \rangle - 1) \Delta^2(\mu)$$

$$\langle k_T^2 \rangle_p = 1 \text{ GeV}^2$$

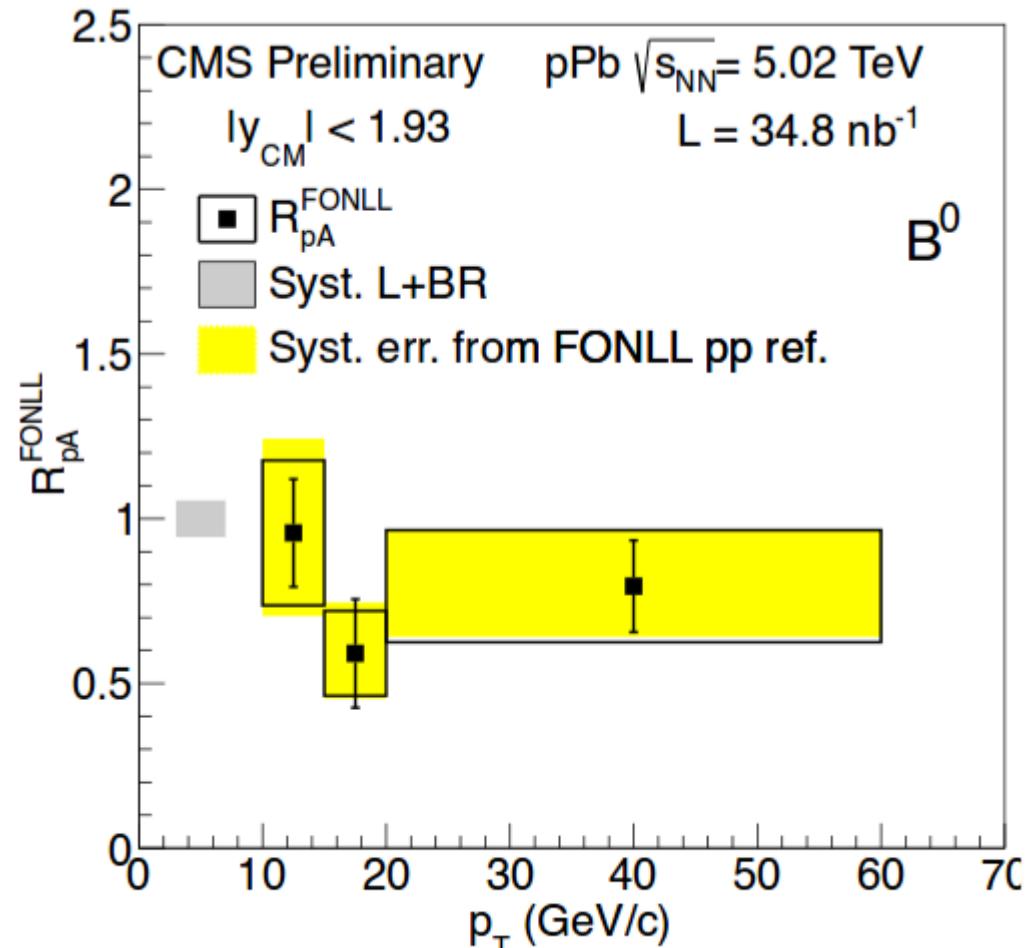
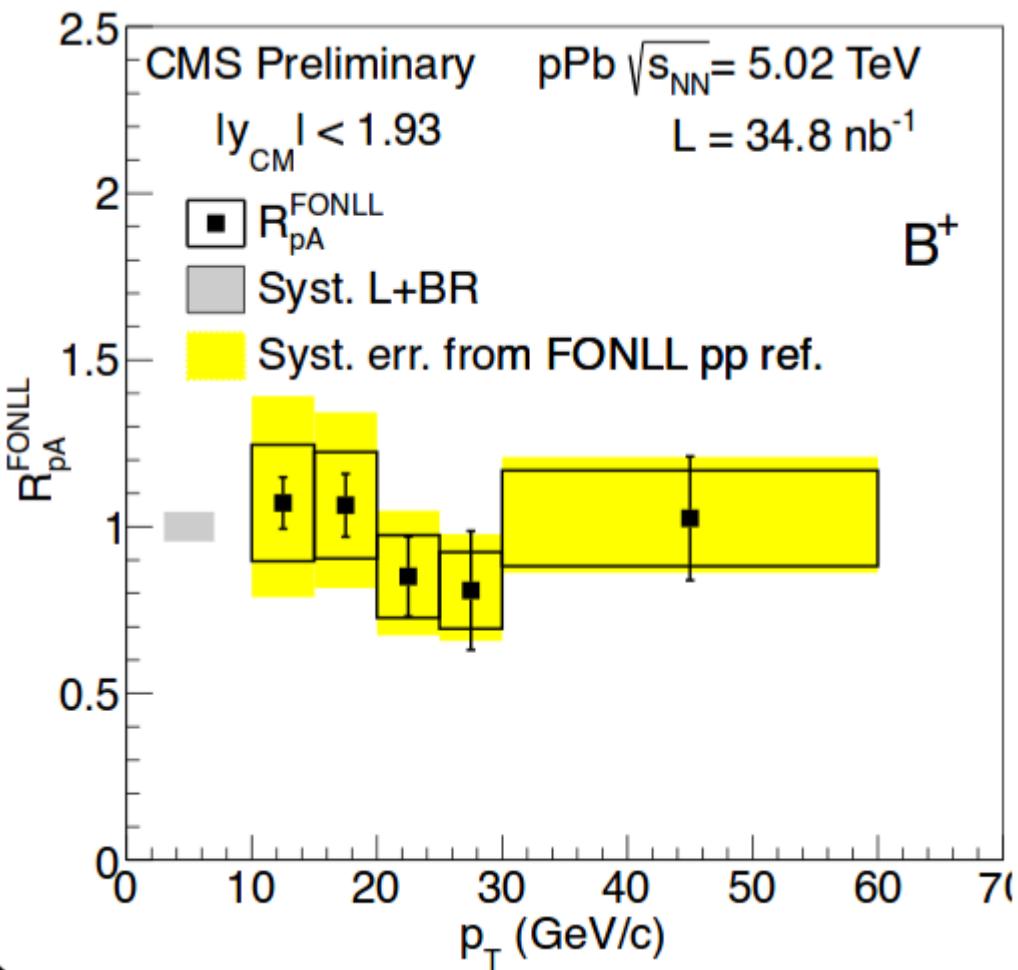
$$\langle \nu \rangle = \sigma_{NN} \frac{\int d^2 b T_A^2(b)}{\int d^2 b T_A(b)} = \frac{3}{2} \sigma_{NN} \rho_0 R_A$$

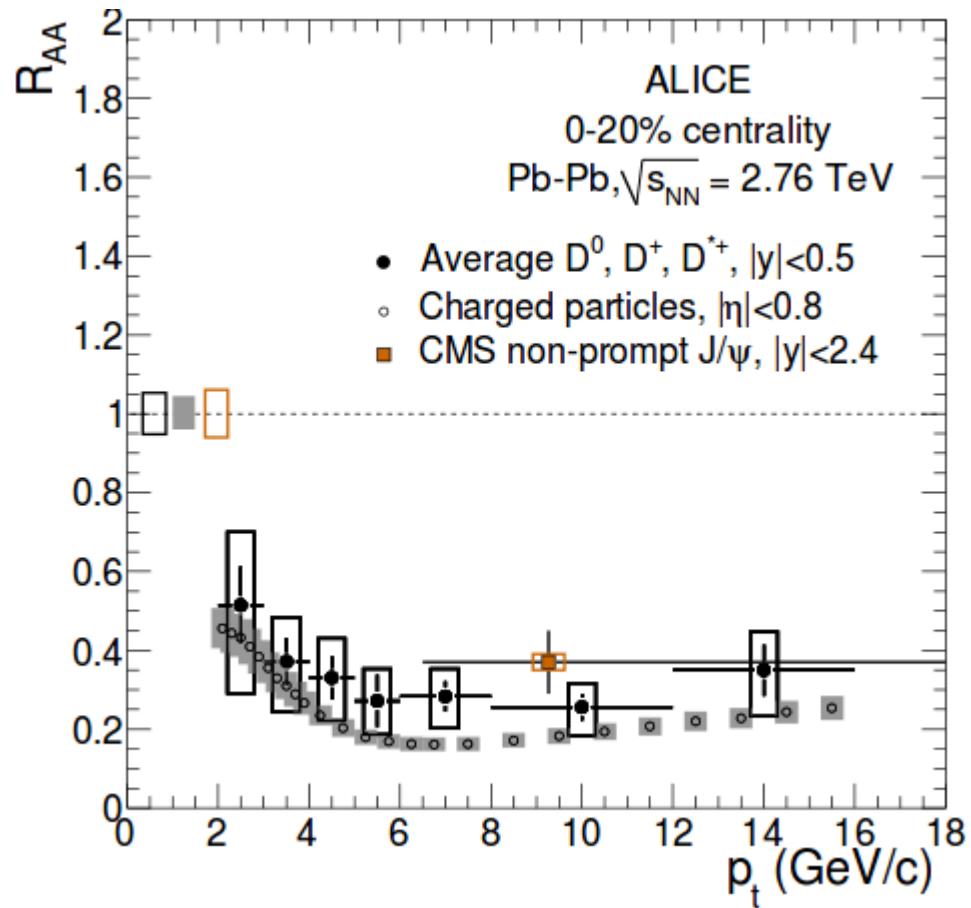
number of collisions
in a p-A interaction

$$\Delta^2(\mu) = 0.225 \frac{\ln^2(\mu/\text{GeV})}{1 + \ln(\mu/\text{GeV})} \text{ GeV}^2$$

$$\mu = 2m_Q \text{ - scale, } m_c = 1.2 \text{ GeV}$$

Bottom R_{pA} at LHC





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